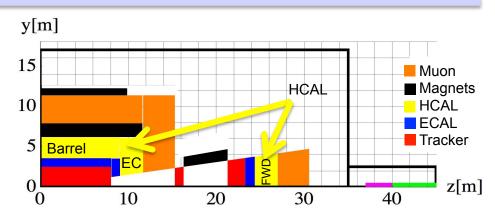
Detector requirements for a Hadronic Calorimeter at the FCC

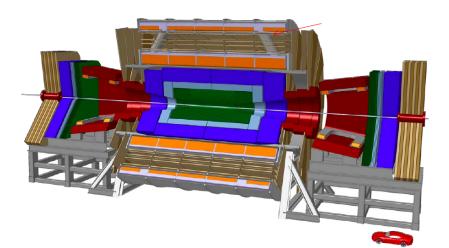
Carlos Solans On behalf of many people 16th September 2015

HCAL for a 100 TeV collider

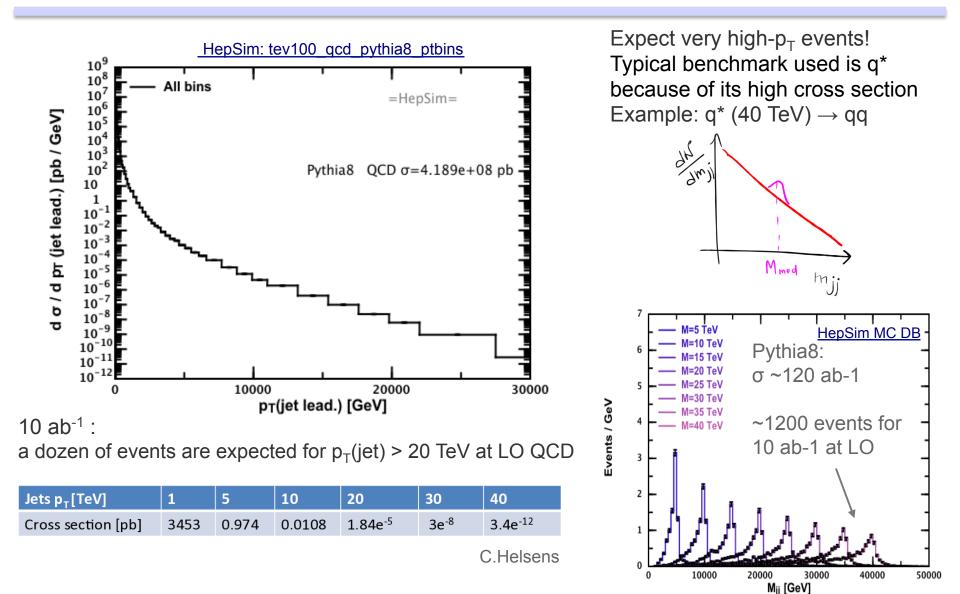
- We expect large energy of decay products at the FCC
 - Large jet P_T
 - Missing E_T signatures
 - High-mass, long-lived particles
 - Tau decays
 - Veto on photons / electrons / jets
- Requirements for HCAL
 - Depth
 - Resolution
 - Segmentation
 - Dynamic range
 - Coverage



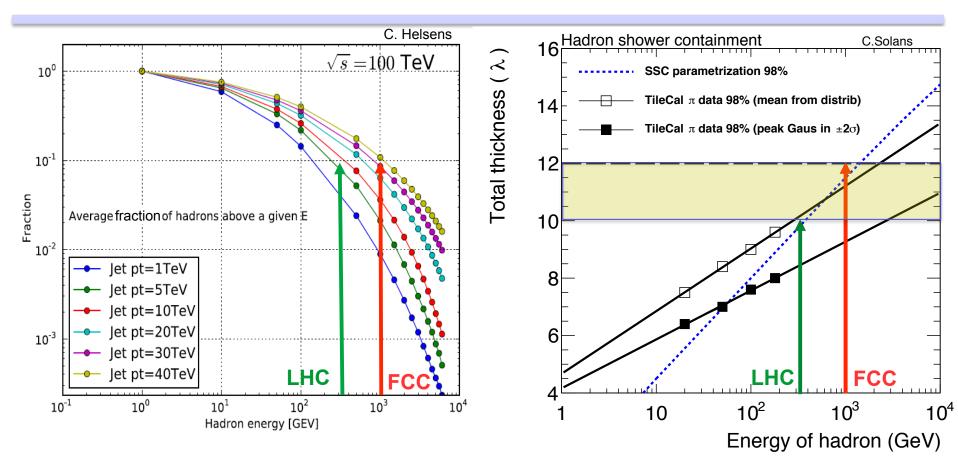
Baseline barrel calorimeter: 80% Fe, 20% Polystyrene λ of this mix = 20.6 cm



QCD jets at a 100 TeV collider



HCAL depth



- 10% of energy of a $p_T(jet) > 30$ TeV carried by 1 TeV hadrons (~9 hadrons/jet)
- ~12 λ is needed to contain 98% of a few TeV single hadron

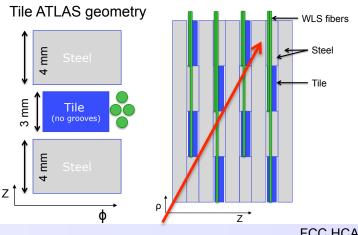
<u>C.Batlay, Calorimetry for SSC detectors, Snowmass 84</u> <u>Tile calorimeter collaboration, NIM A 615 (2010) 158</u>

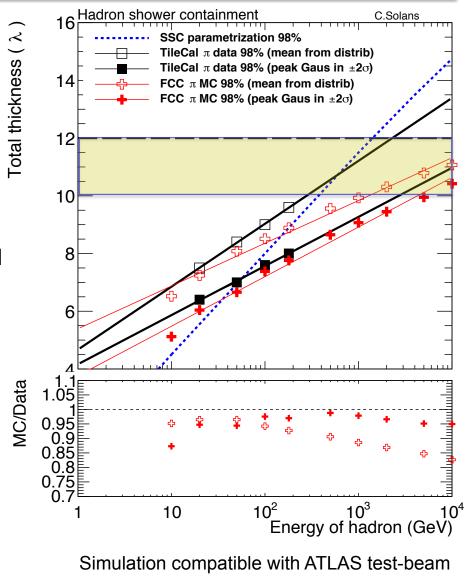
Single pion containment

	Da	ta	MC		
Method	а	b	а	b	
Mean	0.95	4.7	0.64	5.4	
Peak	0.74	4.2	0.75	3.8	

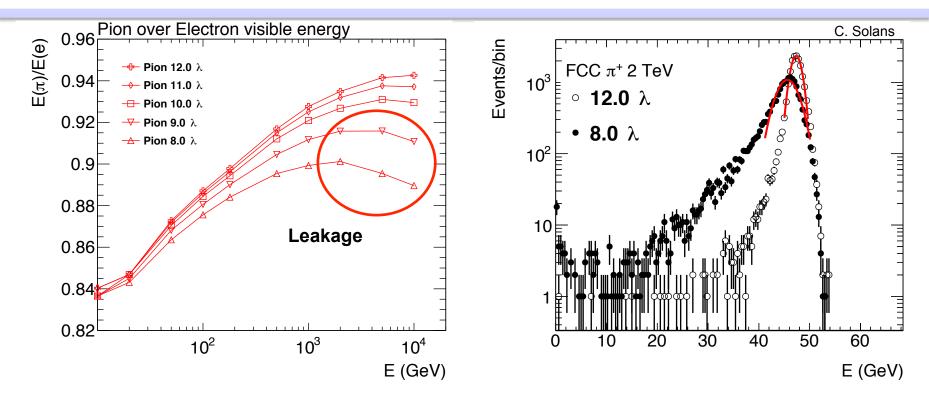
Single pion shower containment at 98% parameterization: $\lambda_{98} = a \cdot ln(E) + b$

- Geant4 + FTFP_BERT + Tile ATLAS model
- ~12 λ to contain few TeV single hadron
- MC showers are shorter than data



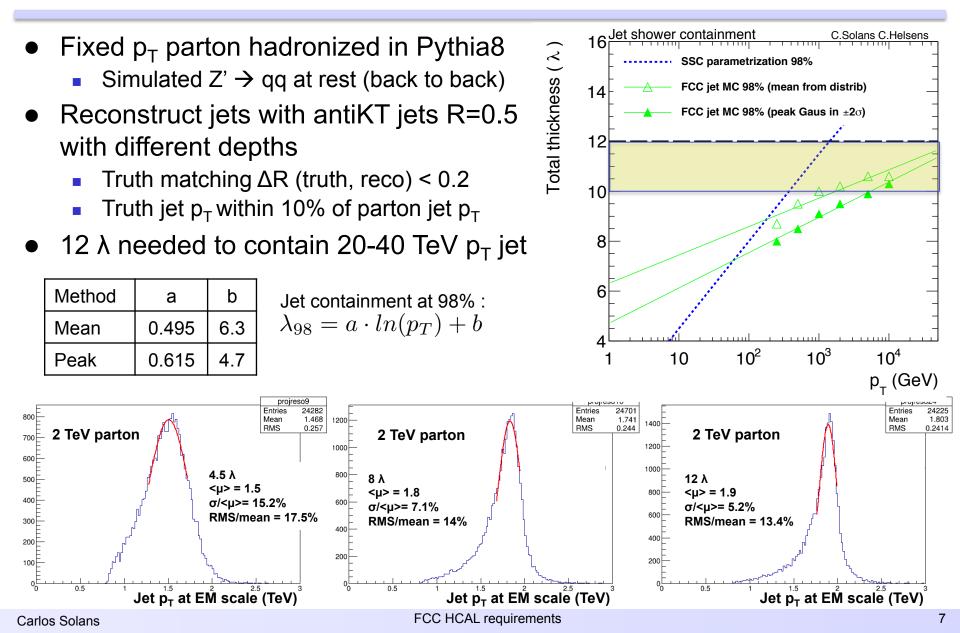


Single pion simulation



- Non compensating calorimeter (e/h ~ 1.27)
 - Implies non linearity for pions over energy
- Leakage enhances low energy tails and non-linearity
 - Response of 2 TeV pion: $8\lambda/12\lambda = 96\%$, $10\lambda/12\lambda = 98\%$
 - Percent of events below 3 sigma for $8\lambda = 11\%$, $12\lambda = 3\%$

Jet containment at 98% (preliminary)



Energy resolution

Performance of calorimeters improves with energy

$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

a - stochastic/sampling term

- b electronic noise term
- c constant term

Single hadrons: ATLAS: $\sigma_E/E\sim 50\%/\sqrt{E}\oplus 3.0\%$

(small noise term for both)

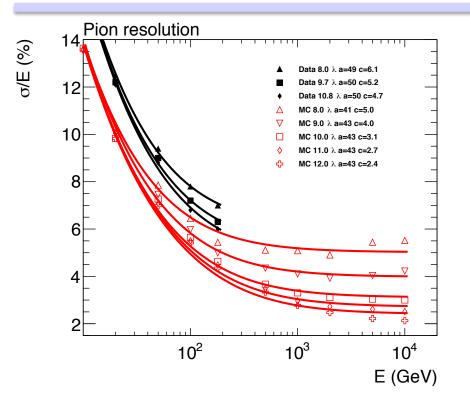
CMS:
$$\sigma_E/E \sim 100\%/\sqrt{E} \oplus 4.5\%$$

pT(jet)~1 TeV: 50% contribution from the constant term pT(jet)>5 TeV: Constant term dominates

Reduction of the constant term requires solutions for:

dead material, longitudinal and lateral energy leakage, non-uniformity calibration, transition region, etc.

Single pion energy resolution



C. Solans

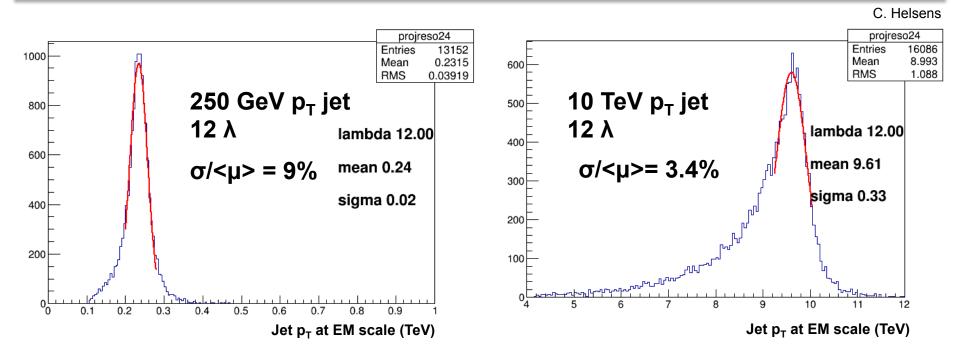
	Gaussian	sigma	RMS		
λ	a (GeV ^{-1/2})	c (%)	a (GeV ^{-1/2})	C (%)	
8	41	5.0	42	6.9	
9	43	4.0	43	5.3	
10	43	3.1	45	4.0	
11	43	2.7	45	3.4	
12	43	2.4	45	2.9	

Energy resolution assuming noise (b) = 0

$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

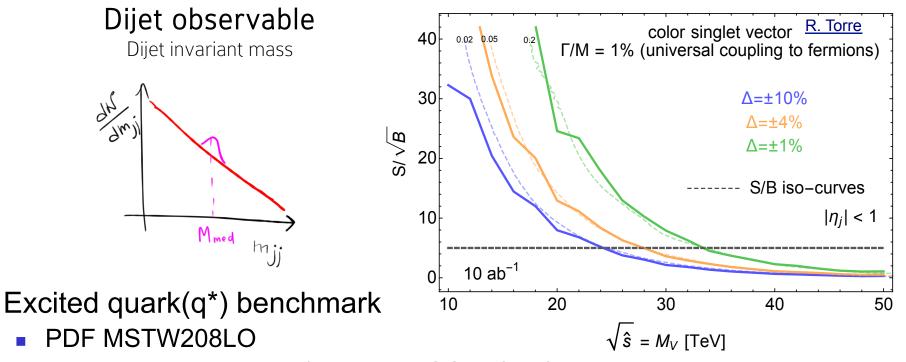
- By increasing the depth of the calorimeter we reduce the constant term
 - Single pion simulations are comparable with ATLAS test-beam data
- Energy resolution achievable at 12 λ : $\sigma_E/E \sim 43\%/\sqrt{E} \oplus 2.4\%$

Jet energy resolution (preliminary)



- Very preliminary results from jet energy resolution
- Resolution is very large in medium p_T range compared to ATLAS
 - To be investigated
- Need to understand the big tails at high p_T with 12 λ

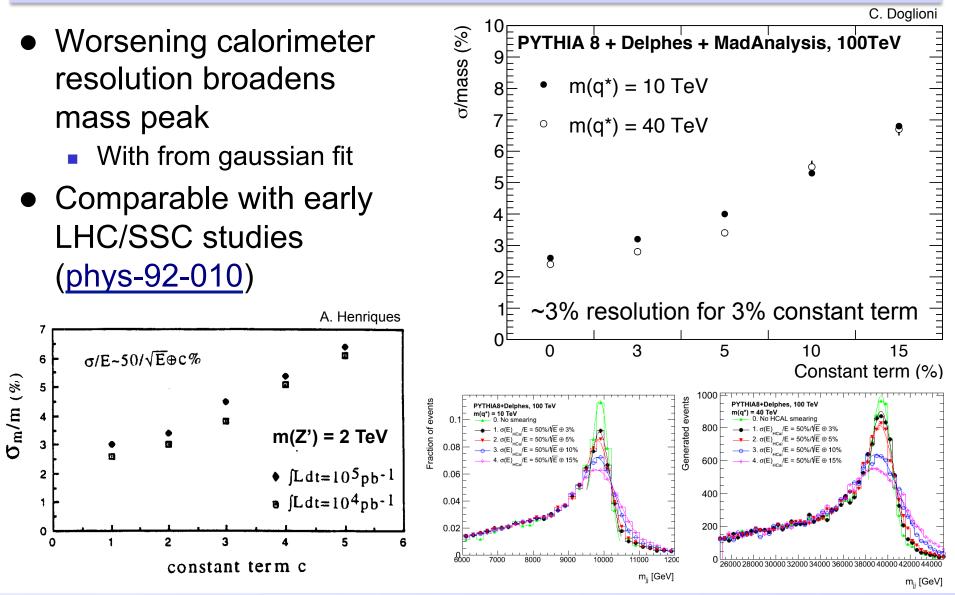
Impact on di-jet search sensitivity



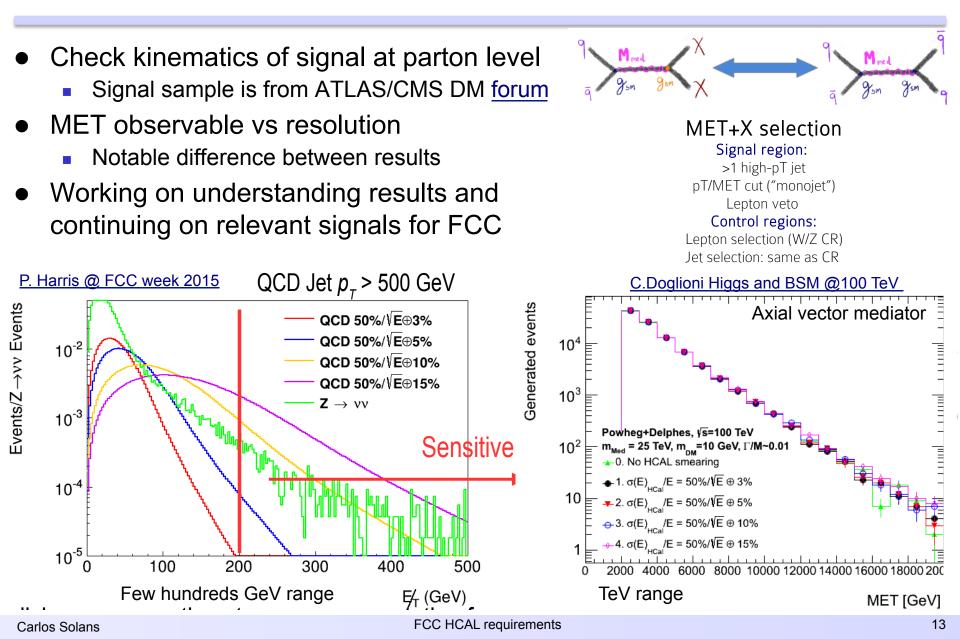
- AntiKT jets with R=0.5 (Delphes FCC default)
- https://cds.cern.ch/record/1750237
- Using <u>HepSim samples</u> and MadAnalysis 5 (<u>arXiv:1206.1599</u>)
 - Check signal width for different constant terms

C.Doglioni Higgs and BSM @100 TeV 2015

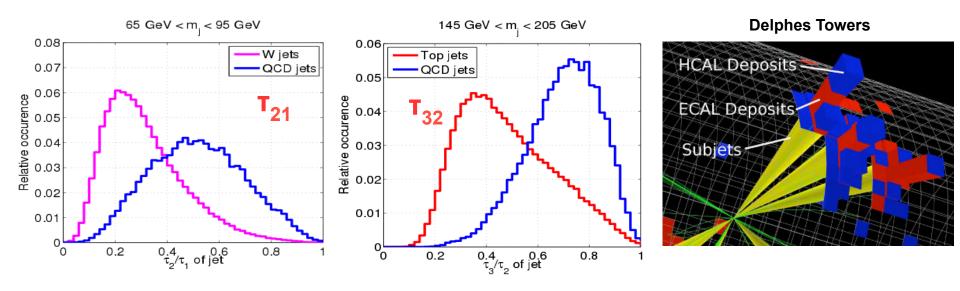
Di-jet mass resolution



Resolution effect on MET (DM reach)



HCAL transversal segmentation

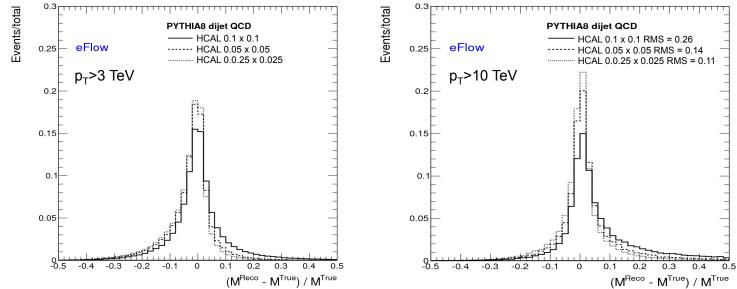


- Assess transversal segmentation through jet sub-structure
- T_N-subjettiness measures the degree to which a jet can be considered as being composed of N subjets
 - $T_{21} = T_2 / T_1 < 0.3$: reduces QCD dijet bkg for boosted Z/W
 - $T_{32} = T_3 / T_2 > 0.75$: reduces QCD dijet bkg for boosted top quarks

Impact on jet sub-jettiness variables

Improvement (%) of sub-jettiness variables for based on distribution RMS							
	P _T >3 TeV		P _T >3 TeV			P _T >10 TeV	
Granularity	wrt ATLAS	т _{з2} (%)	т ₂₁ (%)	RMS(M _{jet}) (%)	т _{з2} (%)	т ₂₁ (%)	RMS(M _{jet}) (%)
0.1 x 0.1	1	1	1	1	1	1	1
0.05x0.05	1/2	18	28	30	9	18	80
0.025x0.025	1/4	30	41	35	13	28	120

Transversal granularity is more important for high- p_T jets

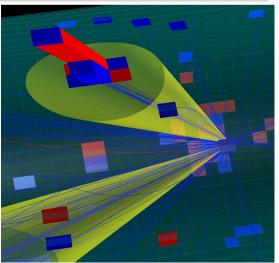


FCC HCAL requirements

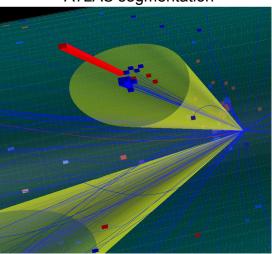
Impact on read-out dynamic range

S. Chekanov

- Dynamic range is important for electronics specifications
 - The bigger the cell the more energy collected
- In ATLAS we achieve 10⁶ resolution with 2 gains of 10³ (2¹⁰)
 - High resolution 200 MeV muon deposits
 - Low resolution for 1TeV jet deposits
- If we have 10 times more energy and 4 times smaller cells we get 2.5 times more energy per cell
 - We want to keep the high resolution threshold
- We require a 10⁷ resolution
 - Achievable with existing technologies



HepSim + Delphes with ATLAS segmentation

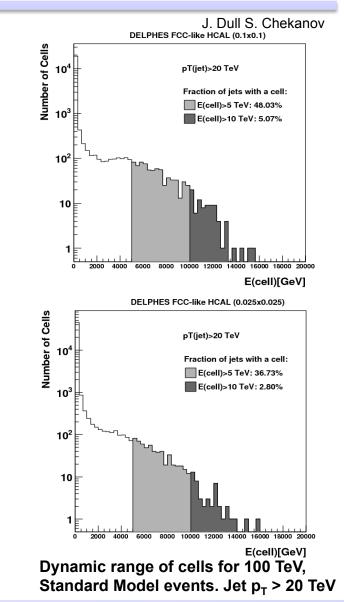


HepSim + Delphes with x4 ATLAS segmentation

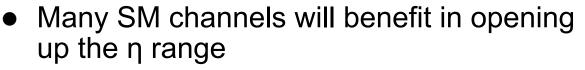
Impact of cell size in occupancy

Granularity	P _T th (TeV)	E _{cell} th (TeV)	Prob (%)	Sim
0.1 x 0.1	3	1.2	4.14	Geant4
0.1 x 0.1	3	1.5	1.45	Geant4
0.1 x 0.1	3	1.2	4.77	Delphes
0.1 x 0.1	3	1.5	0.81	Delphes
0.1 x 0.1	20	5	48.03	Delphes
0.1 x 0.1	20	10	5.07	Delphes
0.025 x 0.025	20	5	36.73	Delphes
0.025 x 0.025	20	10	2.8	Delphes

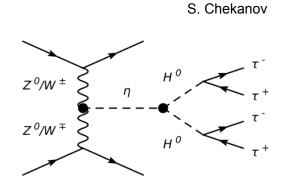
x4 reduction of cell size reduces number of cells above threshold by a factor of ~1.5



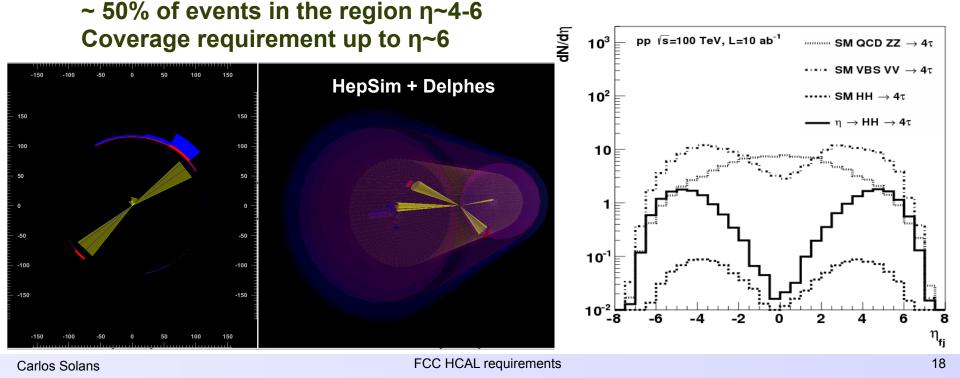
HCAL η coverage



- VBF-Higgs production, WW \rightarrow WW, WW \rightarrow HH, ttH production
- BSM channels: High-mass resonances in vector-boson scattering & Higgs decay:



A. V. Kotwal, S.C., M. Low Phys. Rev. D 91, 114018 (2015)



Summary

- Calorimeter depth of 12 λ
- Energy resolution constant term ~3% or smaller
 - Small note in progress to summarize jet and pion simulations
- 4 times more transversal granularity than LHC
 - Δη x Δφ = 0.025 x 0.025 (Delphes baseline is 0.5 x 0.5)
- Longitudinal segmentation to improve calibration
 - No detailed study yet
- Cell energy range extended by a factor 10
- Extended coverage up to $\eta \sim 6$



MET spectrum difference

From Philip Harris

- 1. Assume no neutrinos are in the di-jet
- 2. Assume the MET resolution follows the form of a rayleigh distribution (ie the MET is gaussian)
 - 1. Take the MET resolution to be sqrt(2) the jet resolution (these are di-jet events)
- 3. Take a form for the jet p_T spectrum
 - 1. p_T^{-5} is reasonable
- 4. Take multiple hypotheses for the jet resolution
 - 1. sigma(p_T) = Const + stochastic/sqrt(E)
- 5. Sample the pT spectrum, compute the jet resolution and construct a rayleigh of this form, sum all rayelieghs together

Expected QCD Shape

- Compute QCD MET by scanning same jet res
 - Using resolution above
- Resulting *MET* shape is a rayleigh distribution
 - Rayleigh : f(*MET*)=*MET*/ σ^2 exp(-*MET*²/ σ^2)
 - Sigma is the jet resolution
- Convolve this with jet p_T spectrum ($d\sigma_J/dp_T = pT^{-5}$)

