

Dielectric haloscopes: a new way to search for axion DM

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MAX-PLANCK-GESELLSCHAFT

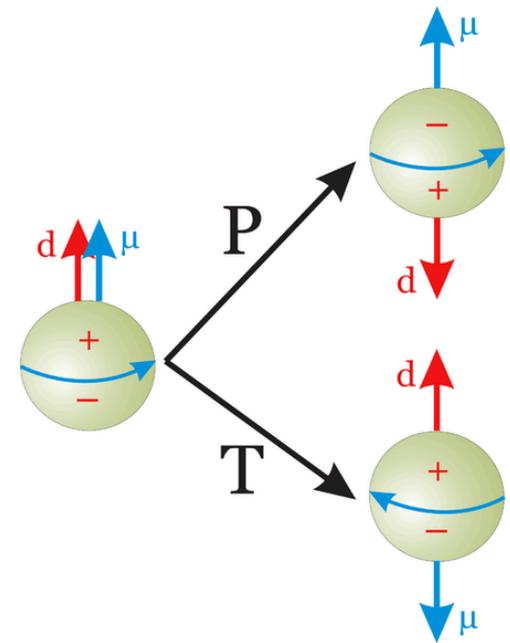


Max-Planck-Institut für Physik
(Werner-Heisenberg-Institut)

Strong CP problem

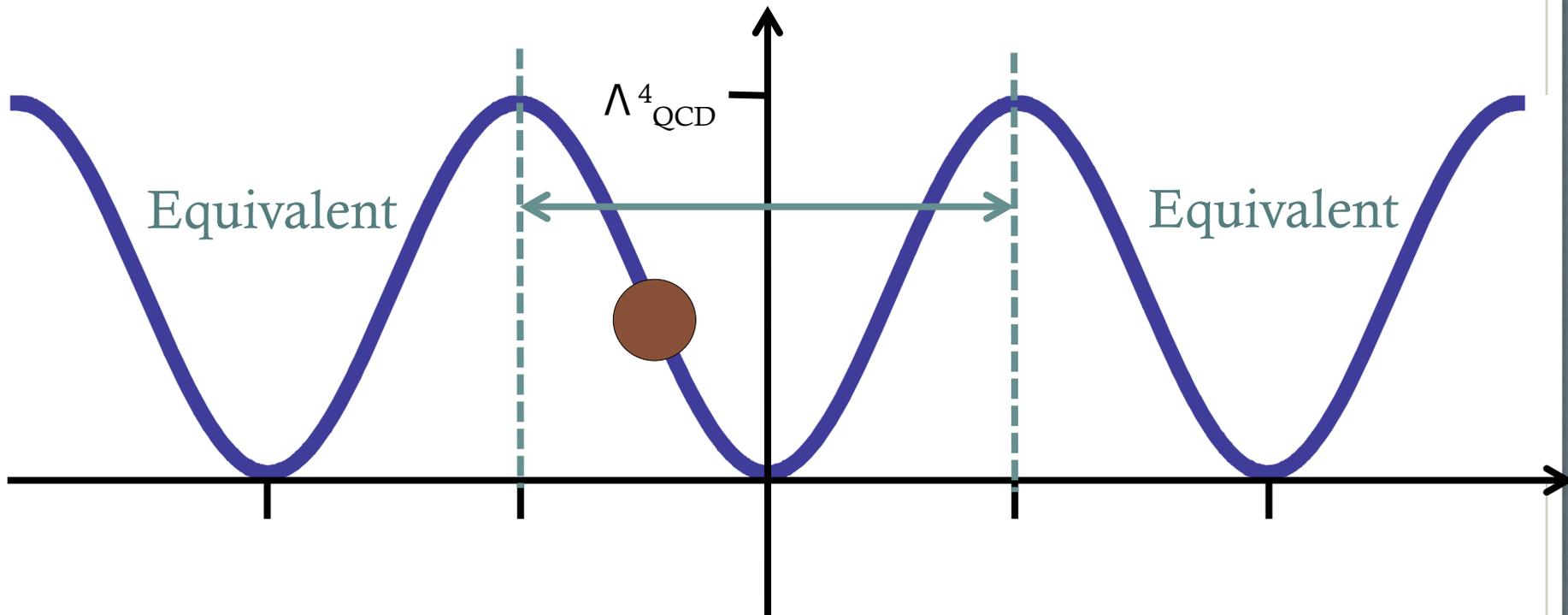
- QCD potentially has a CP violating term
- Measurement of neutron EDM (which requires T violation) gives $\theta < 10^{-10}$
- No reason for θ to be so ridiculously small (even anthropics can't explain it)

$$\theta \frac{g^2}{32\pi^2} G\tilde{G}$$



Strong CP problem

QCD vacuum energy



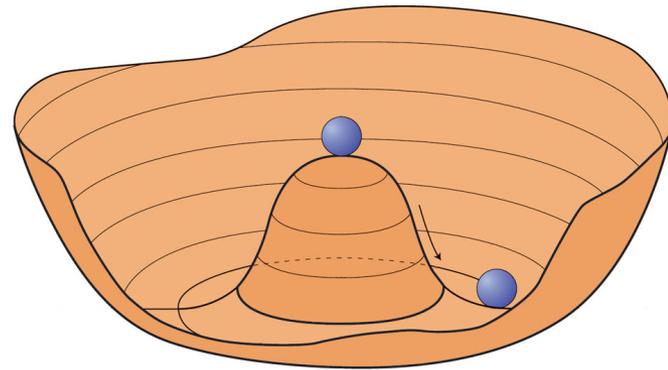
- $\theta = 0$ minimizes the vacuum energy, but θ is not a dynamical term

Axions

- Solve the strong CP problem by providing a dynamical explanation.

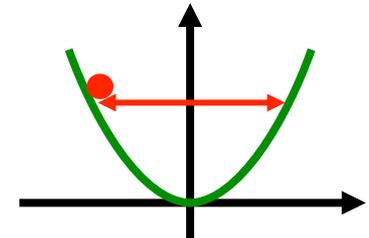
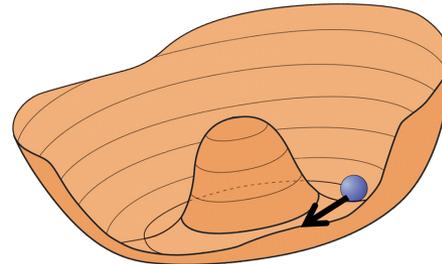
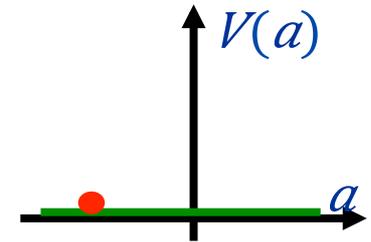
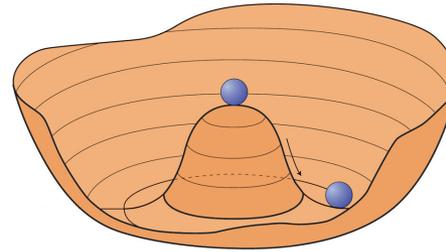
$$\mathcal{L}_{\text{stand mod} + \text{axion}} = \dots + \frac{1}{2} \partial_\mu a \partial^\mu a + \frac{g^2}{32\pi^2} \frac{a(x)}{f_a} G_{\mu\nu}^a \tilde{G}^{a\mu\nu}$$

- Need a new anomalous U(1) chiral symmetry (Peccei-Quinn), which is broken at high temperature $\sim f_a$ (around 10^{12} GeV)



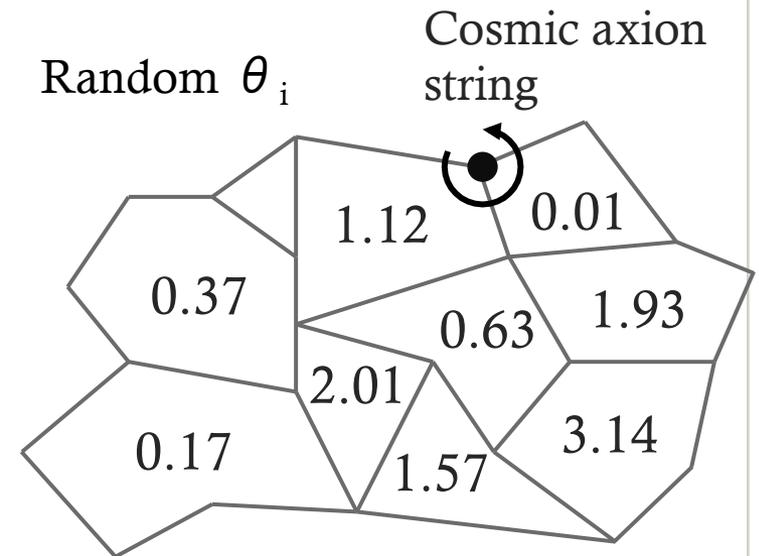
Axions

- The axion is the angular degree of freedom which is unbroken at intermediate temperatures
- At the QCD scale the potential tilts as the axion acquires a mass – axion rolls down to a CP conserving minimum



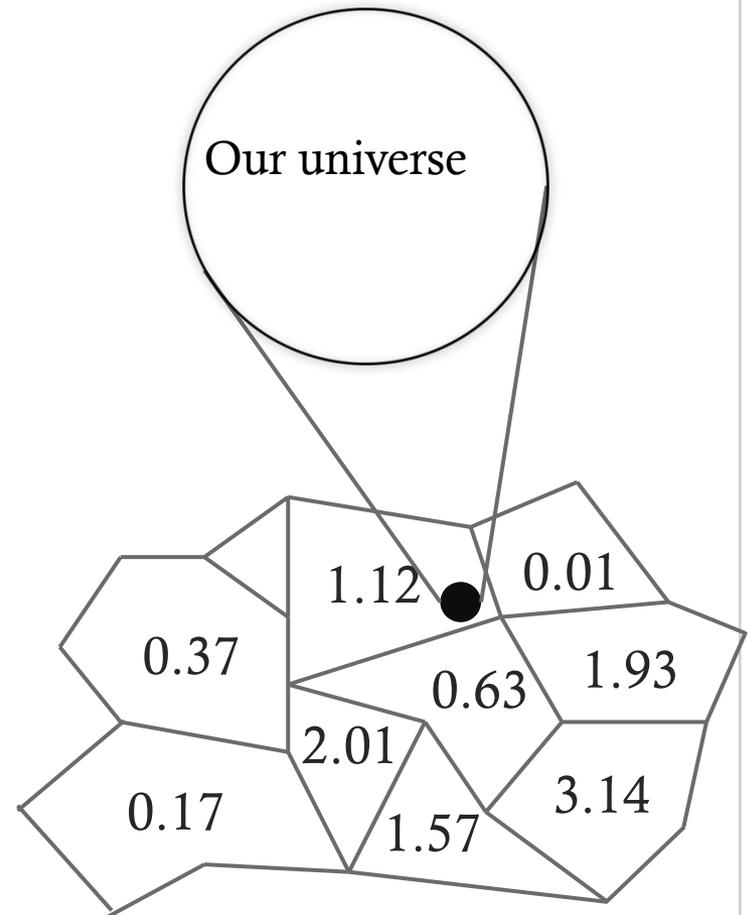
Axion DM: scenario 1

- Scenario 1: PQ broken after inflation
- θ_i has random values in every casual region, with the dark matter density determined by the average
- Topological defects such as strings and domain walls exist in the early universe



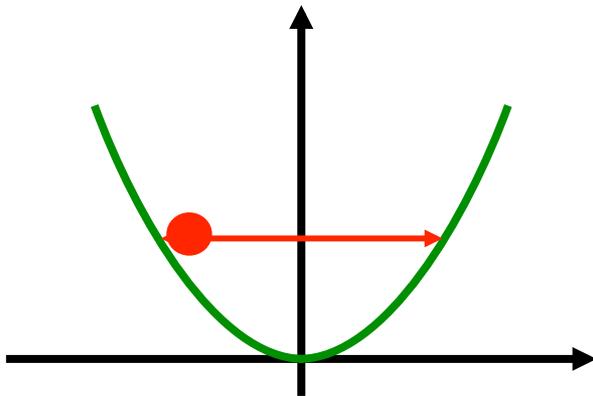
Axion DM: scenario 2

- Scenario 2: PQ broken before inflation
- θ_i has a single random value which determines the dark matter density
- No topological defects

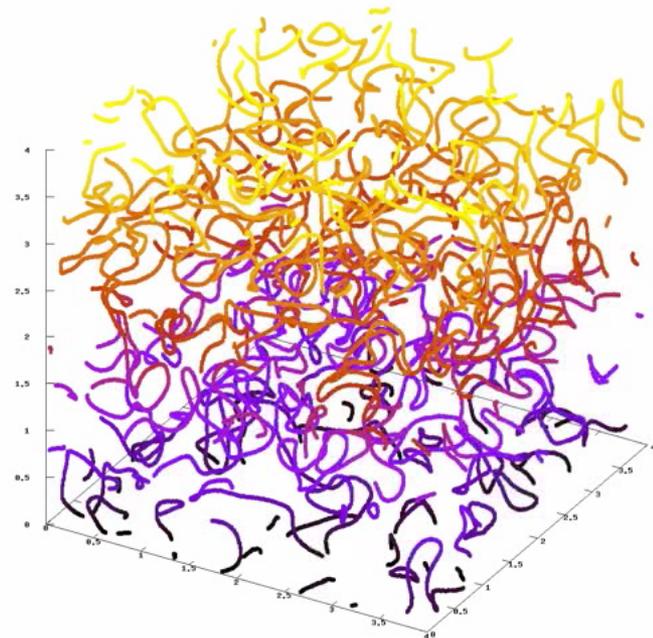


Axion production mechanisms

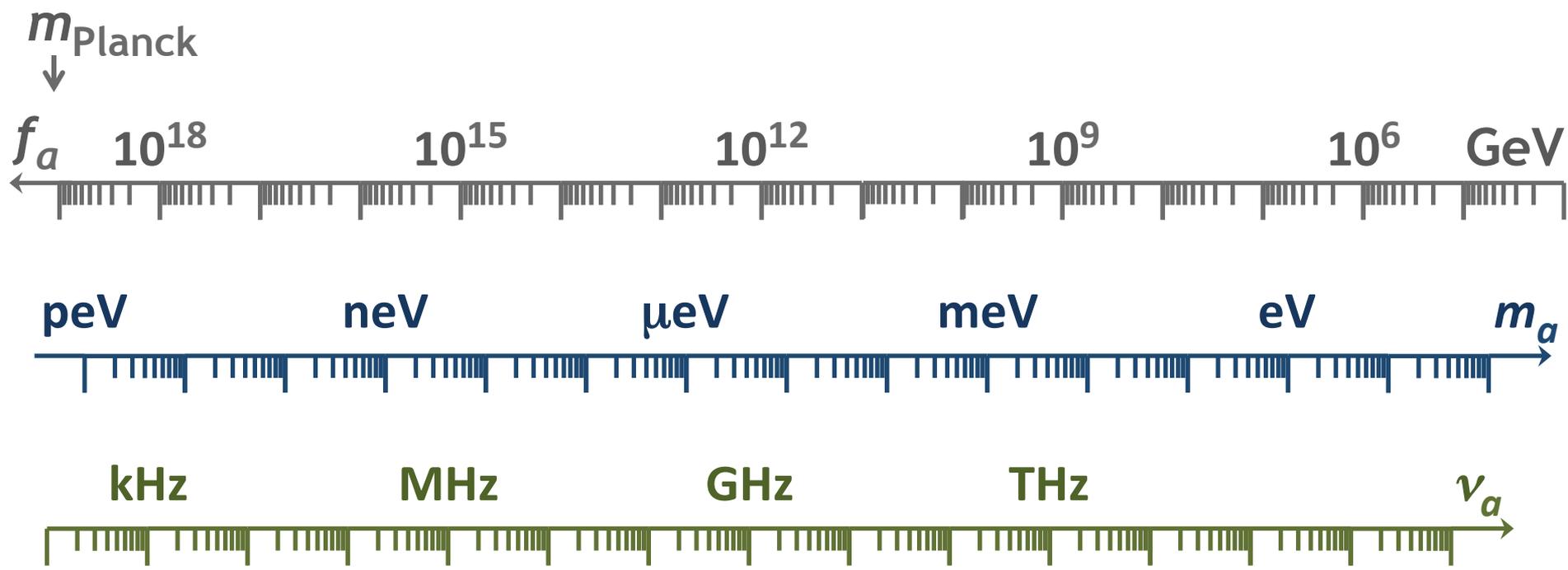
Vacuum Misalignment



Decay of topological defects



Animation credit: Javier Redondo



Scenario 1



Scenario 2

Axions are classical fields

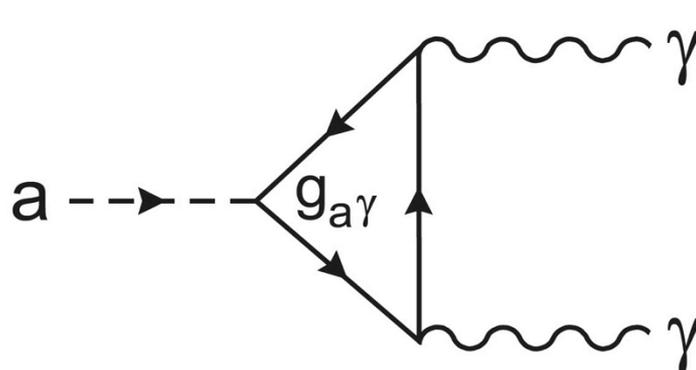
- Two classical limits of QFT: point particles and classical fields
- Wimps are an example of the first: heavy (~ 100 GeV) and low in number – direct detection looks for scatterings
- Axions are light ($\sim 10^{15}$ times lighter) and highly degenerate ($n_a \sim 10^{25}$)
- Totally different phenomenology

Axion-electrodynamics

- Axions and ALPs interact with photons through an anomaly term

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} - J^\mu A_\mu + \frac{1}{2}\partial_\mu a\partial^\mu a - \frac{1}{2}m_a^2 a^2 - \frac{g_{a\gamma}}{4}F_{\mu\nu}\tilde{F}^{\mu\nu}a,$$

- This coupling is tiny, but still important



$$m_a = 5.70(7) \mu\text{eV} \frac{10^{12}\text{GeV}}{f_a},$$

$$g_{a\gamma} = \frac{\alpha}{2\pi f_a} C_{a\gamma} = 2.04(3) \times 10^{-16} \text{GeV}^{-1} \frac{m_a}{\mu\text{eV}} C_{a\gamma},$$

$$C_{a\gamma} = \frac{E}{N} - 1.92(4),$$

Axion induced E-field

- Maxwell's inhomogenous equations get new terms: axion acts as a current

$$\epsilon \nabla \cdot \mathbf{E} = \rho - g_{a\gamma} \mathbf{B}_e \cdot \nabla a ,$$

$$\nabla \times \mathbf{H} - \dot{\mathbf{E}} = \mathbf{J} + g_{a\gamma} \mathbf{B}_e \dot{a} ,$$

$$\ddot{a} - \nabla^2 a + m_a^2 a = g_{a\gamma} \mathbf{E} \cdot \mathbf{B}_e ,$$

- The upshot is that in an external B-field the axion sources an E-field

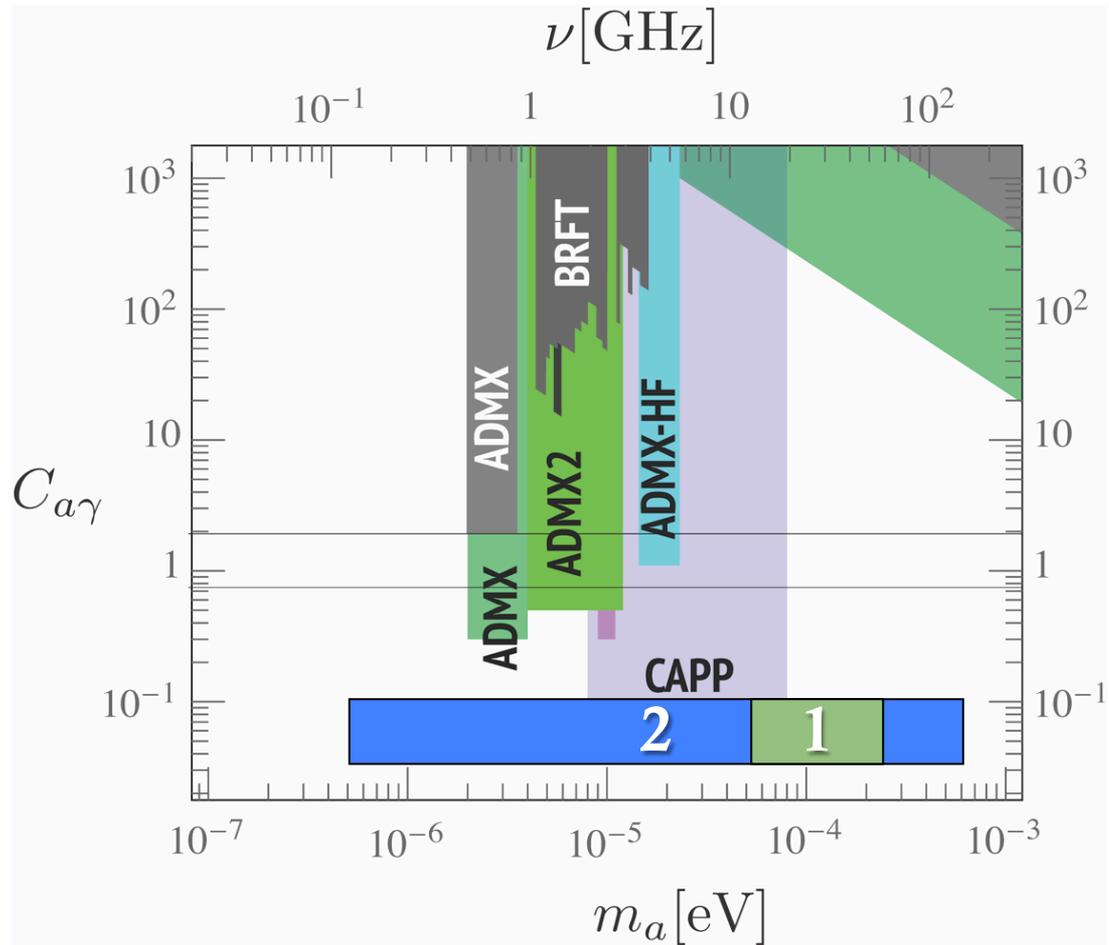
$$\mathbf{E}_a = -\frac{g_{a\gamma} \mathbf{B}_e a_0}{\epsilon} e^{-im_a t} = 1.3 \times 10^{-12} \text{ V/m} \frac{B_e}{10 \text{ T}} \frac{C_{a\gamma} f_{\text{DM}}^{1/2}}{\epsilon} .$$

Cavity Haloscopes

- Build a cavity at the same scale as the axion's Compton wavelength – resonant enhancement
- Hugely increases signal, but only in a very narrow range
- Power and bandwidth inversely related
- Requires large volume – hard to do for large axions masses (small wavelengths)



Cavity Haloscopes

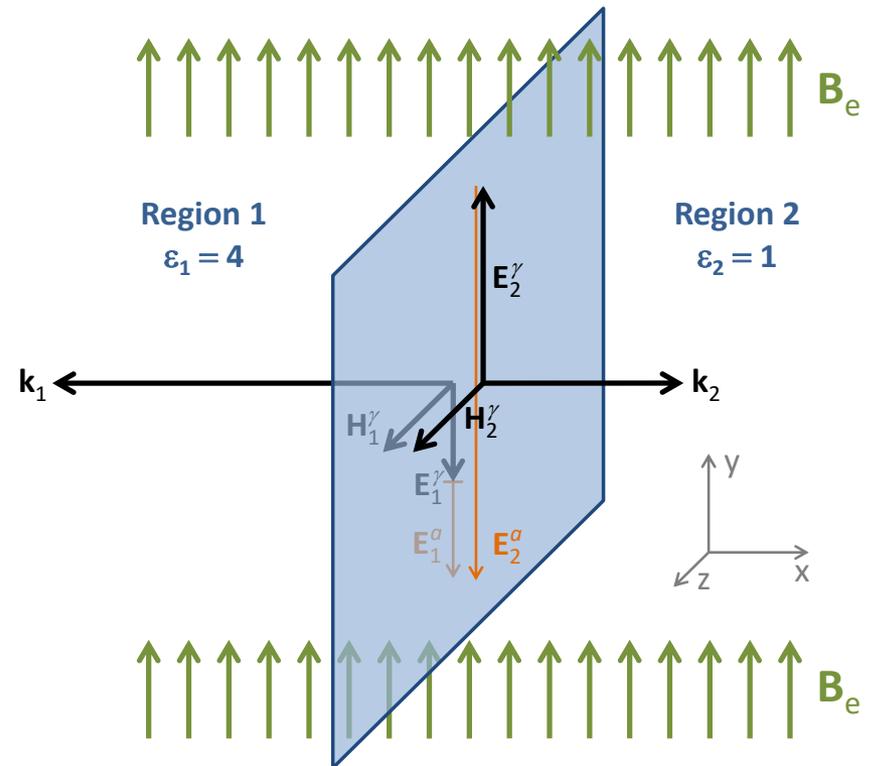


Single interface

(fun with boundary conditions)

- E_a depends on the medium, so changing media causes a discontinuity.
- EM won't tolerate discontinuities in the parallel E and H fields
- Regular EM waves are emitted to compensate

$$\mathbf{E}_a(t) = -\frac{g_{a\gamma} \mathbf{B}_e}{\epsilon} a(t)$$



Single interface

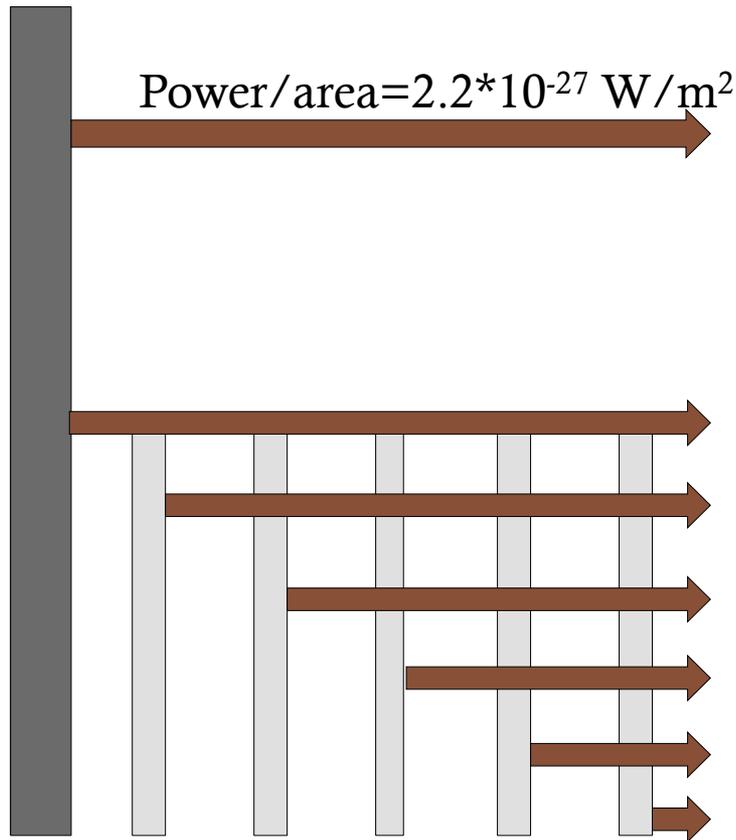
(fun with boundary conditions)

- The ideal single interface is a mirror (dish antenna), which provides

$$\frac{P^\gamma}{A} = (\mathbf{E}_2^\gamma \times \mathbf{H}_2^\gamma)_x = \frac{E_0^2}{2} = 2.2 \times 10^{-27} \frac{W}{m^2} \left(\frac{|\mathbf{B}_e|}{10 \text{ T}} \right)^2 C_{a\gamma}^2 f_{\text{DM}},$$

- 4-5 orders of magnitude too small for the QCD axion to be detected with modern technology
- Need more power!

Multiple layers: dielectric haloscope

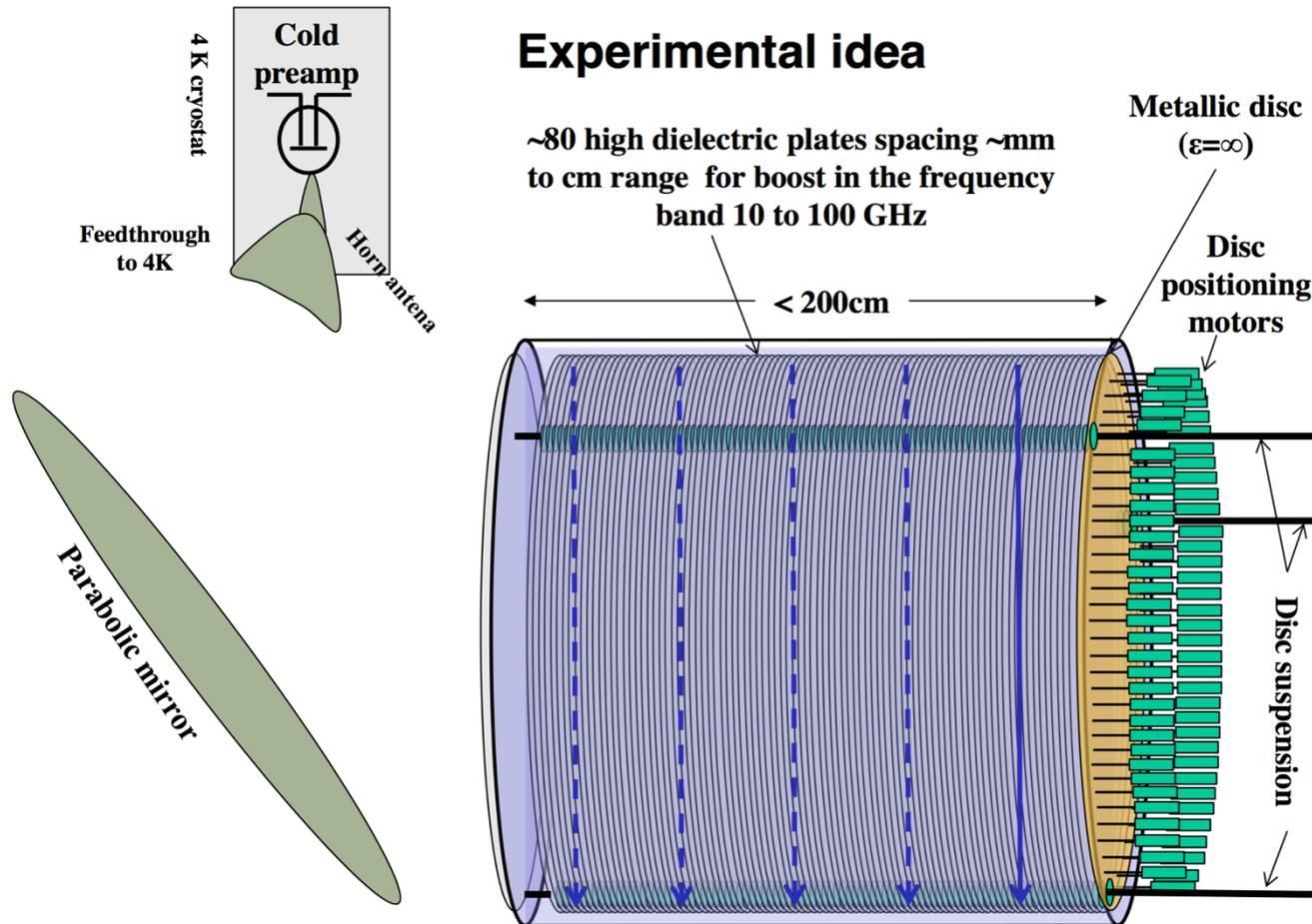


EM waves from each interface
+ internal reflections

Adjusting disc distances
→ coherent sum

Both transparent and resonant
modes important

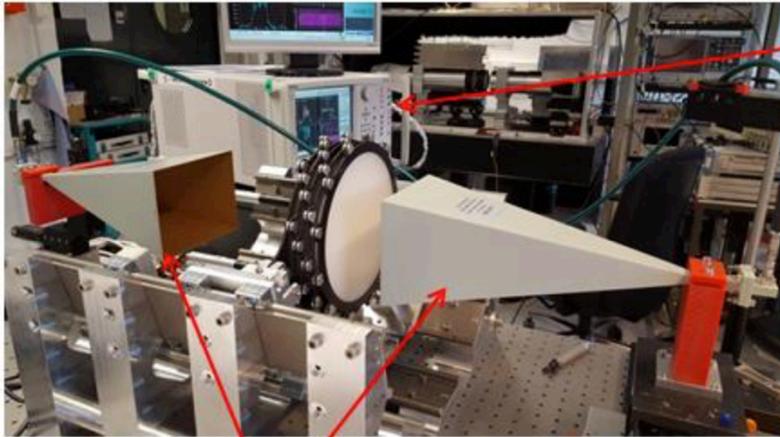
Towards an experiment: MADMAX



Conclusions

- Axions are a highly well motivated dark matter candidate with a unique phenomenology
- Dielectric haloscopes are an exciting new method for searching for axion dark matter
- They have the potential to detect axions produced in the predictive and currently unexplored post inflationary scenario for the first time

Prototype setup

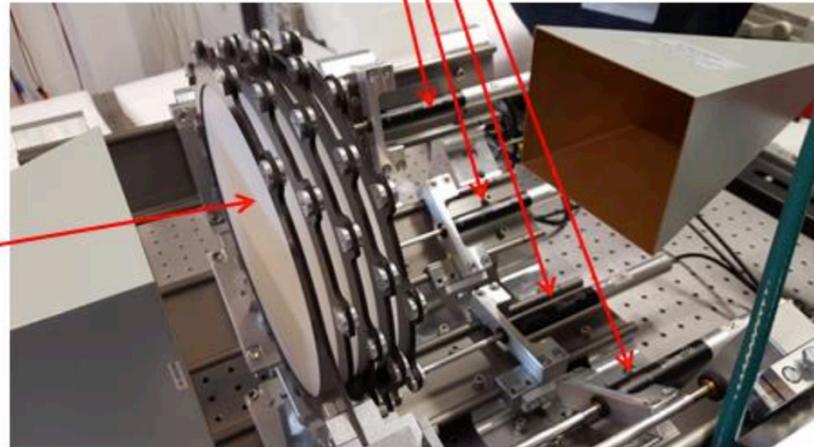


Network Analyzer

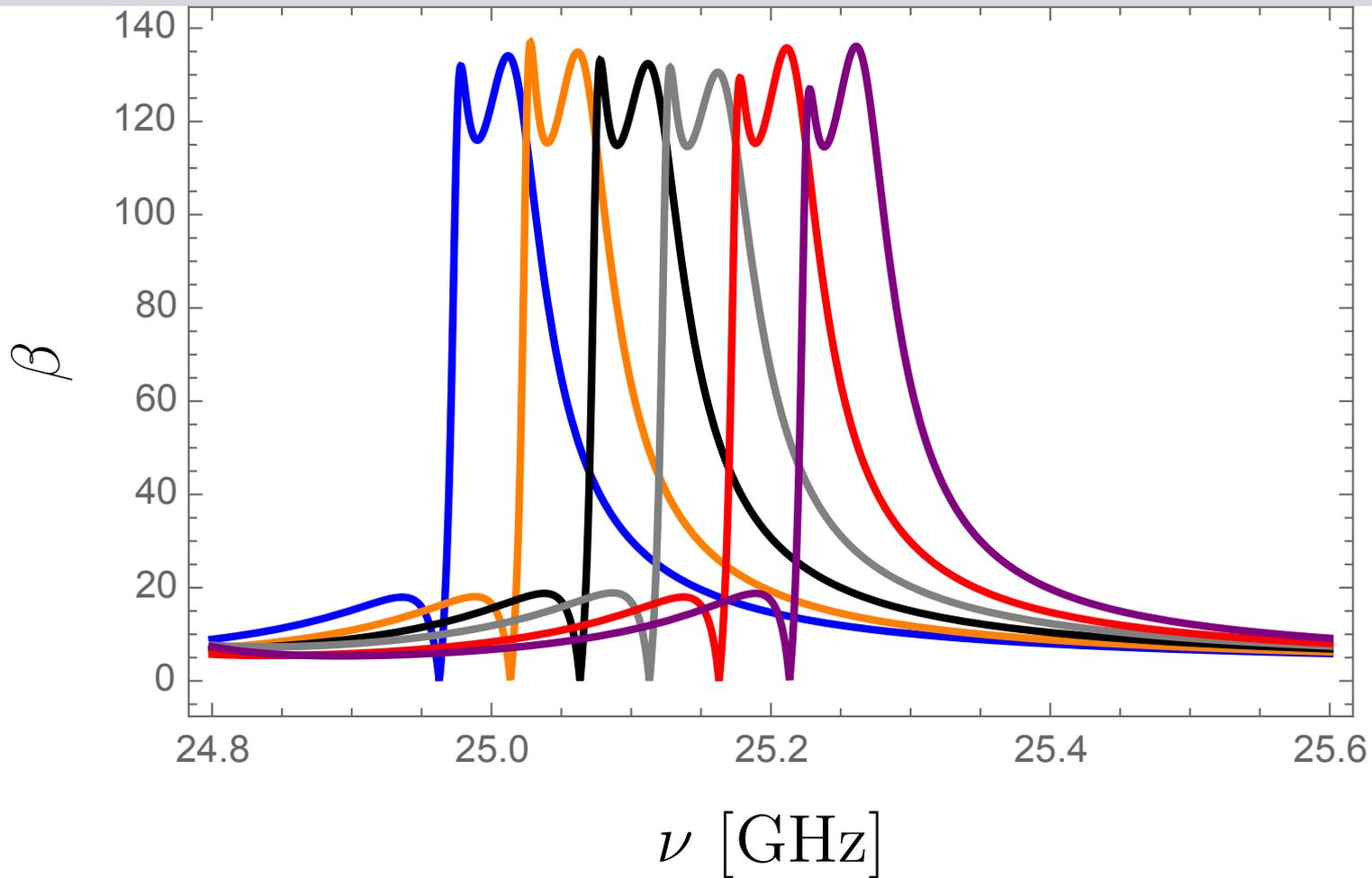
Antenas

Motors

Sapphire discs



Example 20 disk solutions

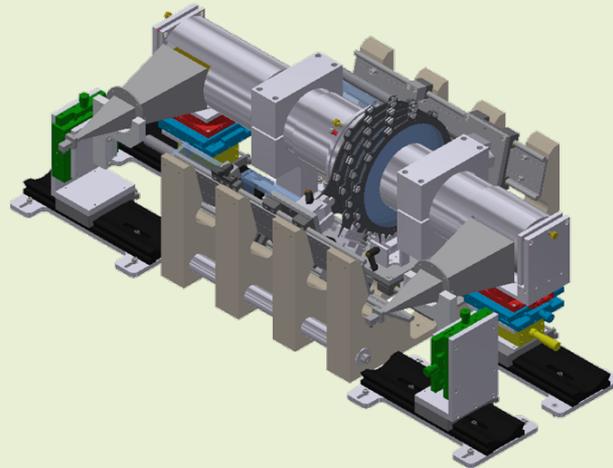


Length scales

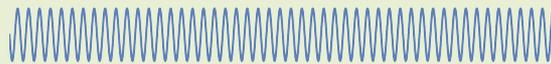
$$m_a = 100 \mu\text{eV}$$

$$\nu_a = 25 \text{ GHz}$$

Axion de Broglie wave length



Apparatus in B-field



Photon wave length