

Reconstructing WIMP properties through signal measurements in direct detection, Fermi-LAT, and CTA

Based on

L. Roszkowski, EMS, S. Trojanowski, A.J. Williams, 1603.06519

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SUSY 2016

University of Melbourne

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Dark matter reconstruction

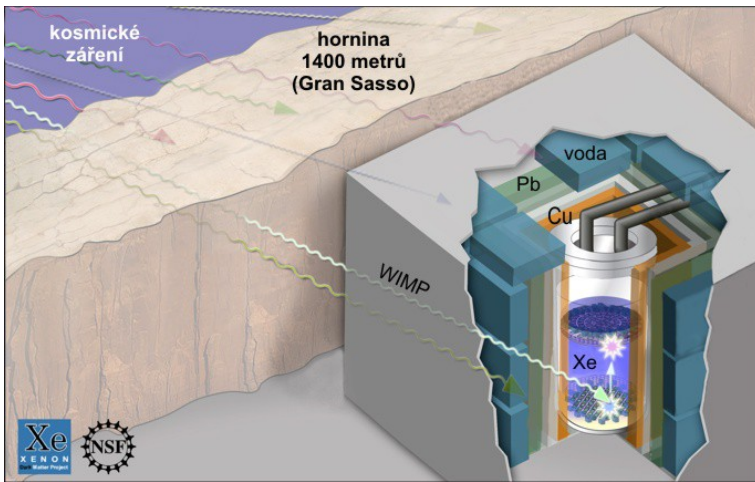
A. Green, 0805.1704 (JCAP 2008)

Bernal, Goudelis, Mambrini, Munoz, 0804.1976 (JCAP 2009)

Arina, Bertone, Silverwood, 1304.5119 (PRD 2013)

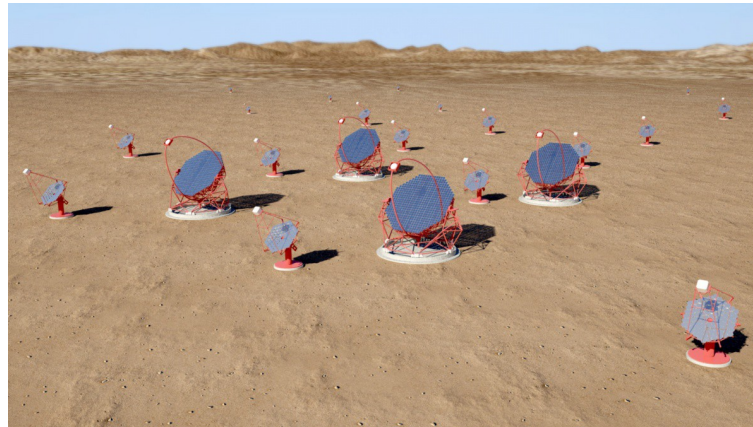
Newstead, Jacques, Krauss, Dent, Ferrer, 1306.3244 (PRD 2013)...

Roszkowski, EMS, Trojanowski, Williams, 1603.06519

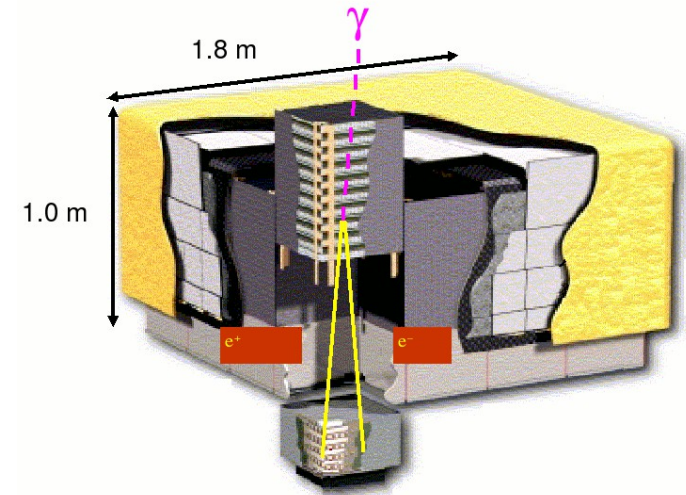


XENON 1-T (Xe)
SCDMS-Snolab (Ge)
DarkSide-G2 (Ar)

CTA 500h



Fermi-LAT 15 yr 46 dSphs



If an unmistakable detection is made in direct and/or indirect detection, how well can one reconstruct simple WIMP properties?

$$m_{\chi}, \sigma_p^{\text{SI}}, \sigma v, \text{ final state}$$

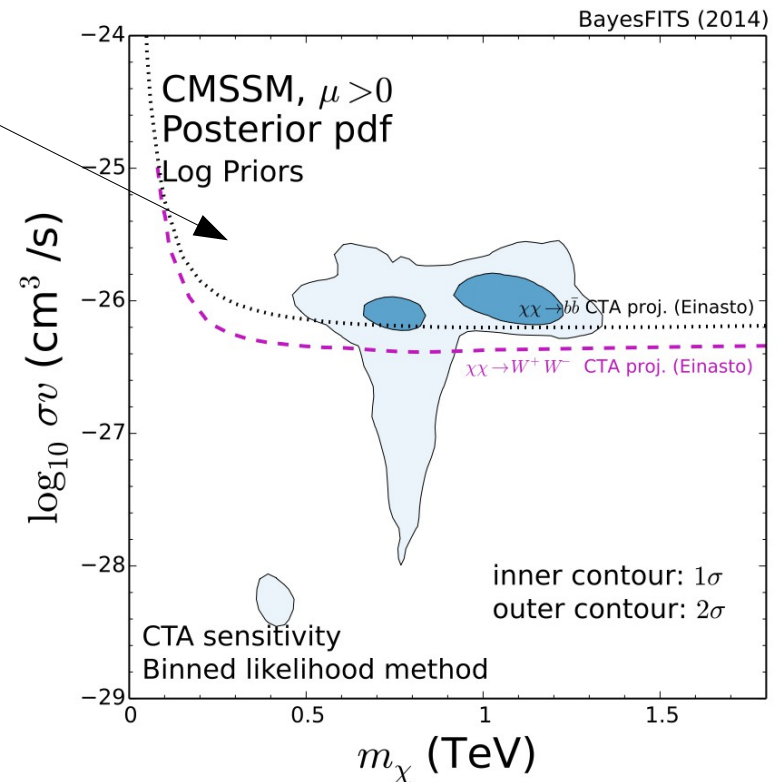
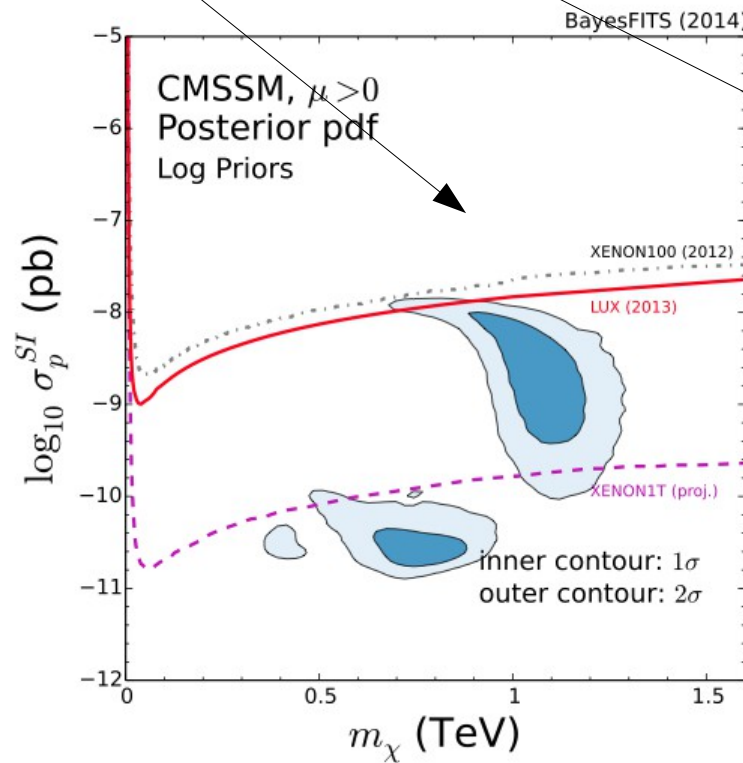
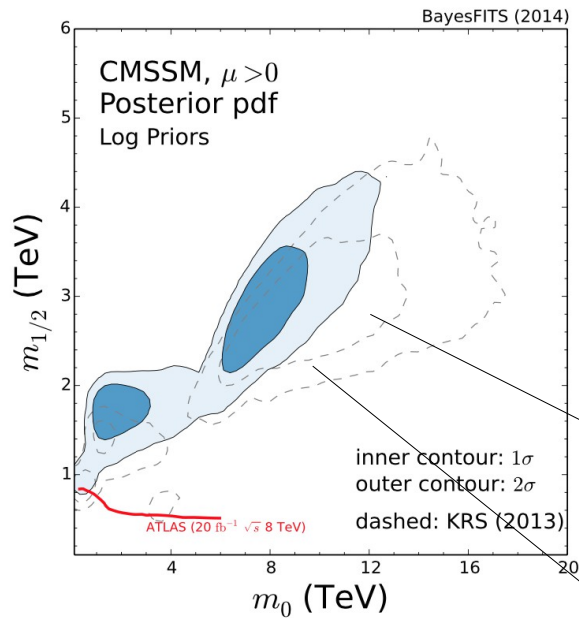
Motivation: dark matter signals (SUSY case)

Kowalska, Roszkowski, EMS, 1302.5956 (JHEP 2013)

Roszkowski, EMS, Williams, 1405.4289 (JHEP 2014)

Roszkowski, EMS, Williams, 1411.5214 (JHEP 2015)

Signals are expected soon in both direct detection and gamma rays (CTA)

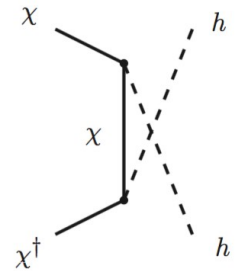
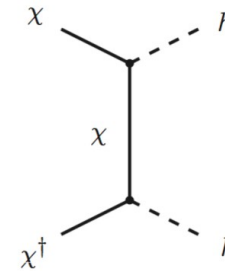
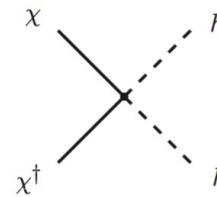
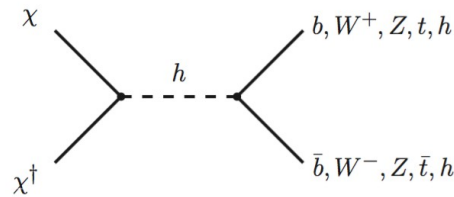


Motivation: WIMPs beyond SUSY

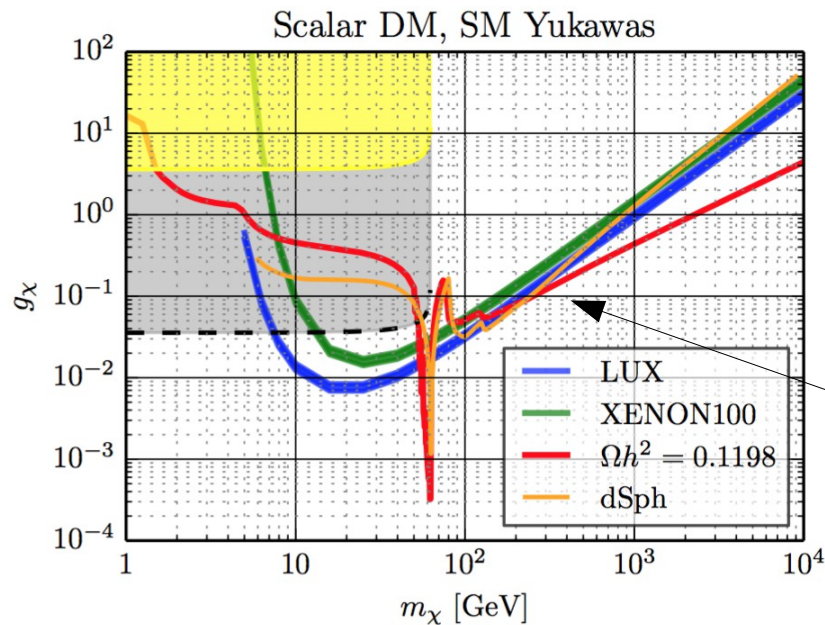
Signals in direct detection and/or gamma rays are not limited to SUSY models

Example: Higgs portal

$$\mathcal{L}_\chi = g_\chi \chi^\dagger \chi H^\dagger H$$



e.g. Bishara, Brod, Uttayarat, Zupan 1504.04022



Parameter space relic density:
signals expected DD + dSphs!

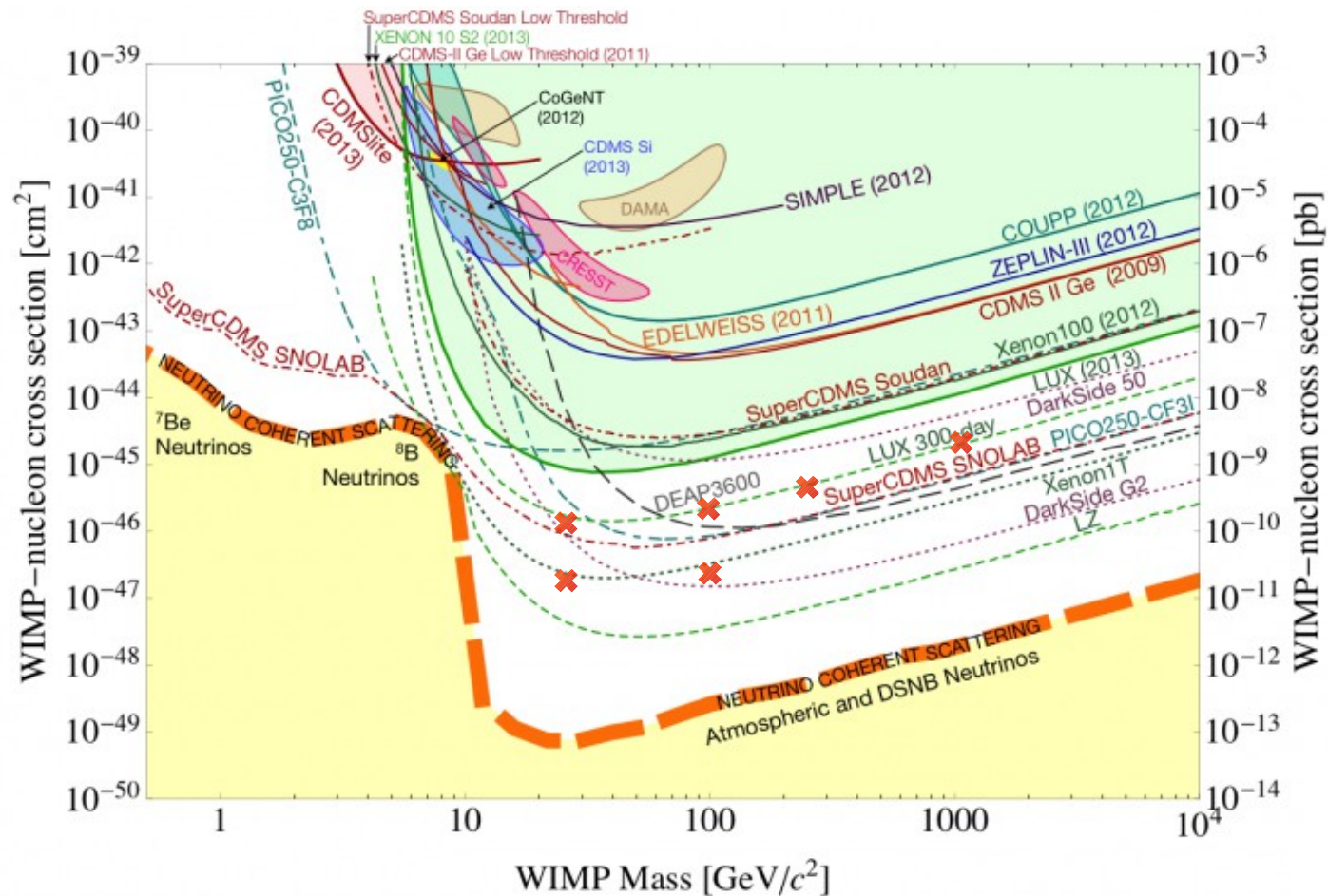
$m_\chi \sim 100 - 500 \text{ GeV}$

Benchmark pts (mock signals)

	BP1	BP2	BP3	BP4(a, b, c, d)	BP5
m_χ	25 GeV	100 GeV	250 GeV	1000 GeV	1000 GeV
σv	$8 \times 10^{-27} \text{ cm}^3/\text{s}$	$2 \times 10^{-26} \text{ cm}^3/\text{s}$	$4 \times 10^{-26} \text{ cm}^3/\text{s}$	$2 \times 10^{-25} \text{ cm}^3/\text{s}$	$3 \times 10^{-26} \text{ cm}^3/\text{s}$
σ_p^{SI}	$2 \times 10^{-46} \text{ cm}^2$	$3 \times 10^{-46} \text{ cm}^2$	$5 \times 10^{-46} \text{ cm}^2$	$2 \times 10^{-45} \text{ cm}^2$	$2 \times 10^{-45} \text{ cm}^2$
Final state (hadronic scans)	$b\bar{b}$	$b\bar{b}$	$b\bar{b}$	(a) $b\bar{b}$ (b) W^+W^- (c) $\tau^+\tau^-$	W^+W^-
Final state (leptonic scan)				(d) $\mu^+\mu^-$	

Consider
different
targets

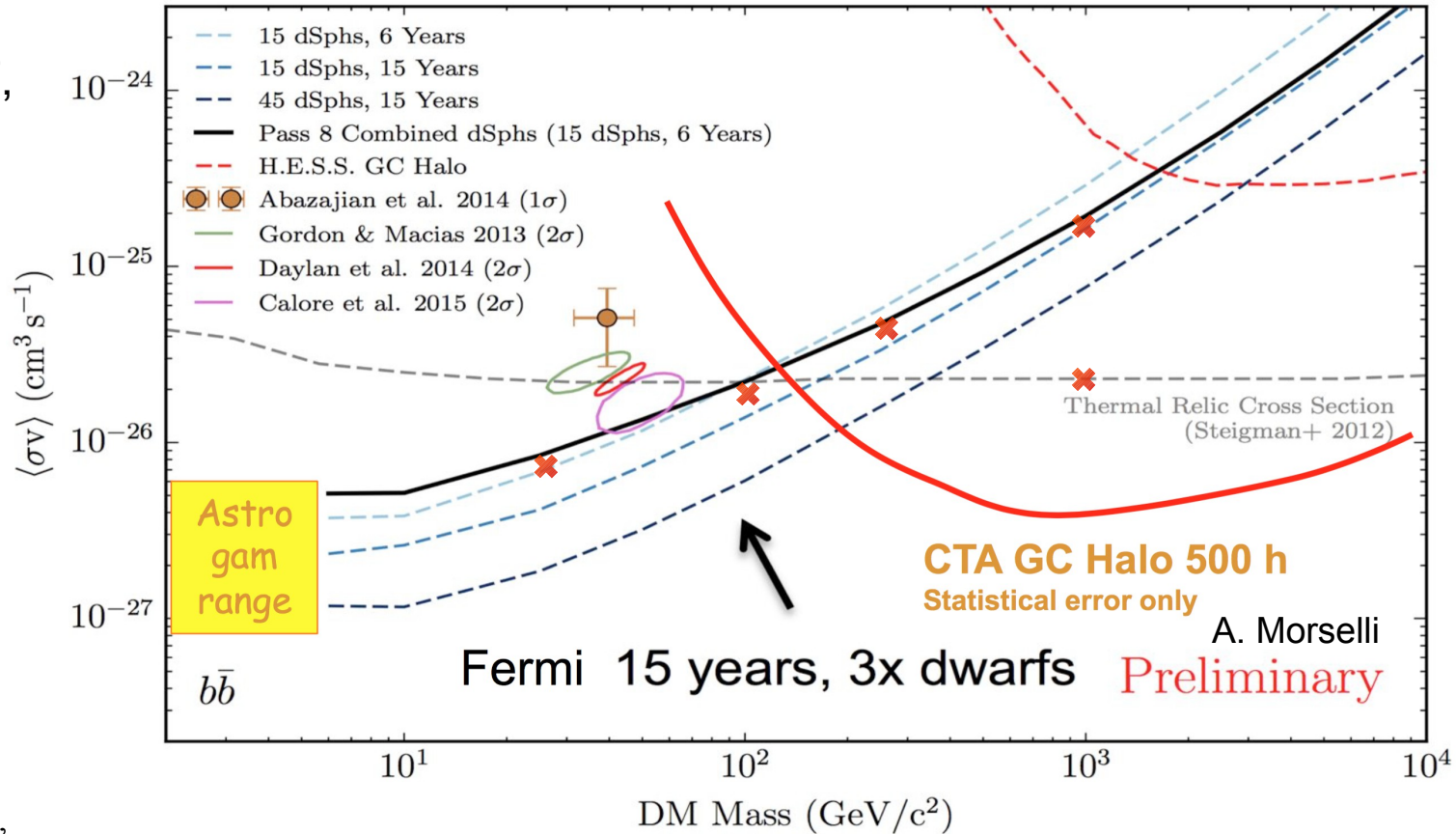
Xenon
Germanium
Argon



Benchmark pts (mock signals)

	BP1	BP2	BP3	BP4(a, b, c, d)	BP5
m_χ	25 GeV	100 GeV	250 GeV	1000 GeV	1000 GeV
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Final state (hadronic scans)	$b\bar{b}$	$b\bar{b}$	$b\bar{b}$	(a) $b\bar{b}$ (b) W^+W^- (c) $\tau^+\tau^-$	W^+W^-
Final state (leptonic scan)				(d) $\mu^+\mu^-$	

Consider
Fermi-LAT,
CTA



Fit parameters through MC scan

Profile likelihood:

d mock data

m scanned parameters

ξ observables

$$\mathcal{L}(m) \equiv p(d|\xi(m))$$

$$\delta\chi^2 \equiv -2 \ln(\mathcal{L}/\mathcal{L}_{\max})$$

Symbol	Parameter	Scan range	Prior distribution
m_χ	WIMP mass	10 – 10000 GeV	log
σv	Annihilation cross section	$10^{-30} - 10^{-21} \text{ cm}^3/\text{s}$	log
σ_p^{SI}	Spin-independent cross section	$10^{-48} - 10^{-42} \text{ cm}^2$	log
<i>Hadronic benchmark points</i>			
$f_{b\bar{b}}$	Branching ratio $b\bar{b}$ final state	0 – 1*	See text
f_{WW}	Branching ratio WW final state	0 – 1	See text
f_{hh}	Branching ratio hh final state	0 – 1	See text
$f_{\tau\tau}$	Branching ratio $\tau\tau$ final state	0 – 1	See text
<i>Leptonic benchmark point –BP4(d)</i>			
f_{lep}	Branching ratio leptons	0 – 1*	See text
f_{had}	Branching ratio hadrons	0 – 1	See text
$f_{\tau\tau}$	Branching ratio $\tau\tau$ final state	0 – 1	See text
<i>Nuisance parameters</i>			
v_0	Circular velocity	$220 \pm 20 \text{ km/s}$	Gaussian
v_{esc}	Escape velocity	$544 \pm 40 \text{ km/s}$	Gaussian
ρ_0	Local DM density	$0.3 \pm 0.1 \text{ GeV/cm}^3$	Gaussian
γ_{NFW}	NFW slope parameter	1.20 ± 0.15	Gaussian

*The sum of the branching ratios is 1 and the prior is a modified Dirichlet distribution (see text).

Uncertainties

• Direct detection in underground labs:

Measure the differential rate of struck nucleon:

$$\frac{dR}{dE_R} = \frac{\sigma_p^{\text{SI}}}{2m_\chi \mu_{\chi p}^2} A^2 F_N^2(E_R) \mathcal{G}(v_{\min}, v_{\text{esc}}) \rightarrow \mathcal{G}(v_{\min}, v_{\text{esc}}) = \rho_0 \int_{v_{\min} < |\mathbf{v}| < v_{\text{esc}}} \frac{f(\mathbf{v}, v_0)}{|\mathbf{v}|} d^3v$$

Uncertainties encoded in nuisance parameters:

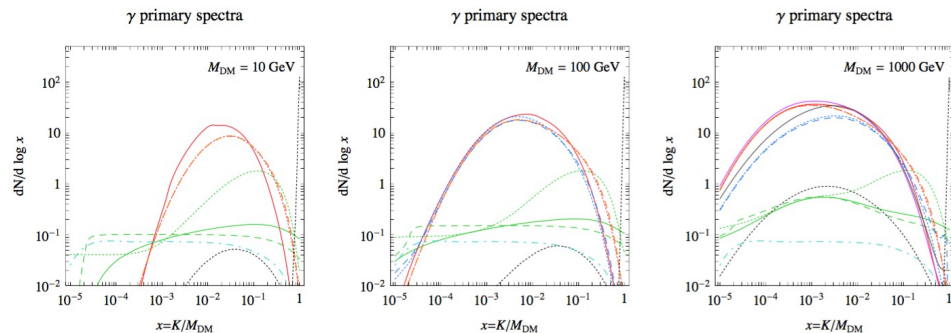
• γ rays from dSphs in Fermi-LAT detector:

Measure the γ -ray flux:

$$\left(\frac{d\Phi}{dE} \right)_{\text{dSphs}} = \frac{\sigma v}{8\pi m_\chi^2} J \frac{dN_\gamma}{dE}$$

Flux uncertainties:

- **J-factor**
(take Fermi-LAT 1310.0828)
- **Annihilation final state:**



M. Cirelli
PPPC

Uncertainties

- **γ rays from GC in CTA detector:**

Measure the γ -ray flux:

$$\left(\frac{d\Phi}{dE}\right)_{\text{GC}} = \frac{\sigma v}{8\pi m_\chi^2} \left(J_{\Delta\Omega} \frac{dN_\gamma}{dE} + \frac{1}{E^2} \int_{m_e}^{m_\chi} dE_s \bar{I}_{\text{IC},\Delta\Omega}(E, E_s) \frac{dN_{e^\pm}}{dE_s} \right)$$

Uncertainties halo profile

Parametrize by

$\gamma_{\text{NFW}}, \rho_0$

Annihilation final state

DM signal:

$$\mu_{ij}^{\text{DM}} = t_{\text{obs}} \int_{\Delta E_i} dE \frac{1}{\sqrt{2\pi\delta(E)^2}} \int_{30 \text{ GeV}}^{m_\chi} dE' \left(\frac{d\Phi_j}{dE'}\right)_{\text{GC}} A_{\text{eff}}(E') e^{-\frac{(E-E')^2}{2\delta(E)^2}}$$

Energy resolution uncertainties

γ -ray background uncertainties GC

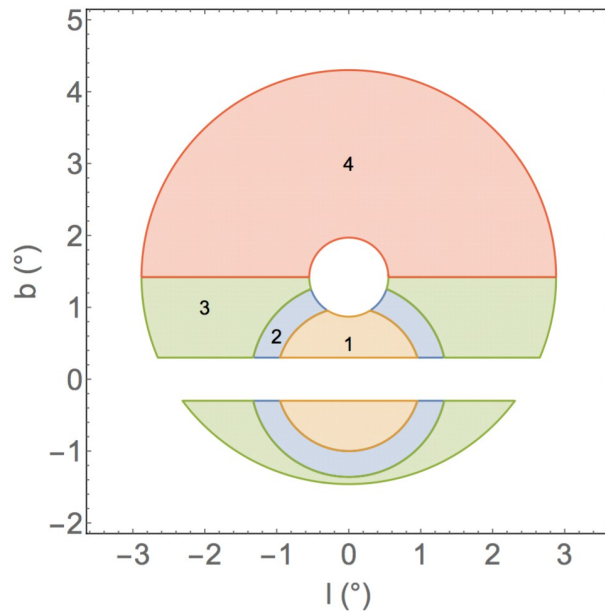
In each energy bin i the observed signal has 3 indep. components:

$$\mu_{ij} (R_i^{\text{CR}}, R_i^{\text{GDE}}) = \mu_{ij}^{\text{DM}} + R_i^{\text{CR}} \mu_{ij}^{\text{CR}} + R_i^{\text{GDE}} \mu_{ij}^{\text{GDE}}$$

Solution: Fit DM signal and bg independently in different regions of the sky:

$$\mathcal{L}_{\text{CTA}} = \prod_{i=1}^{N_{\text{CTA}}} \left\{ \int dR_i^{\text{CR}} e^{-\frac{(1-R_i^{\text{CR}})^2}{2\sigma_{\text{CR}}^2}} \int dR_i^{\text{GDE}} e^{-\frac{(1-R_i^{\text{GDE}})^2}{2\sigma_{\text{GDE}}^2}} \left[\prod_{j=1}^4 \frac{\mu_{ij} (R_i^{\text{CR}}, R_i^{\text{GDE}})^{n_{ij}}}{n_{ij}!} e^{-\mu_{ij} (R_i^{\text{CR}}, R_i^{\text{GDE}})} \right] \right\}$$

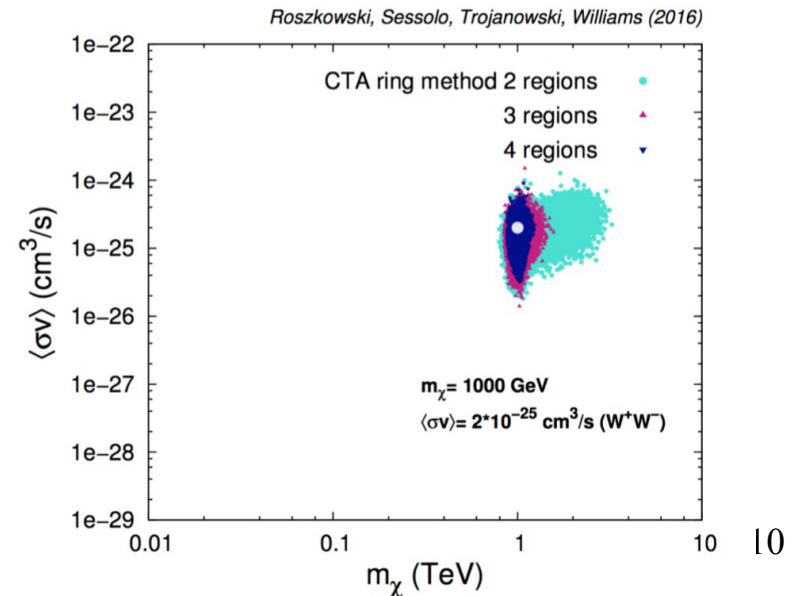
Example: split sky in 4 regions:



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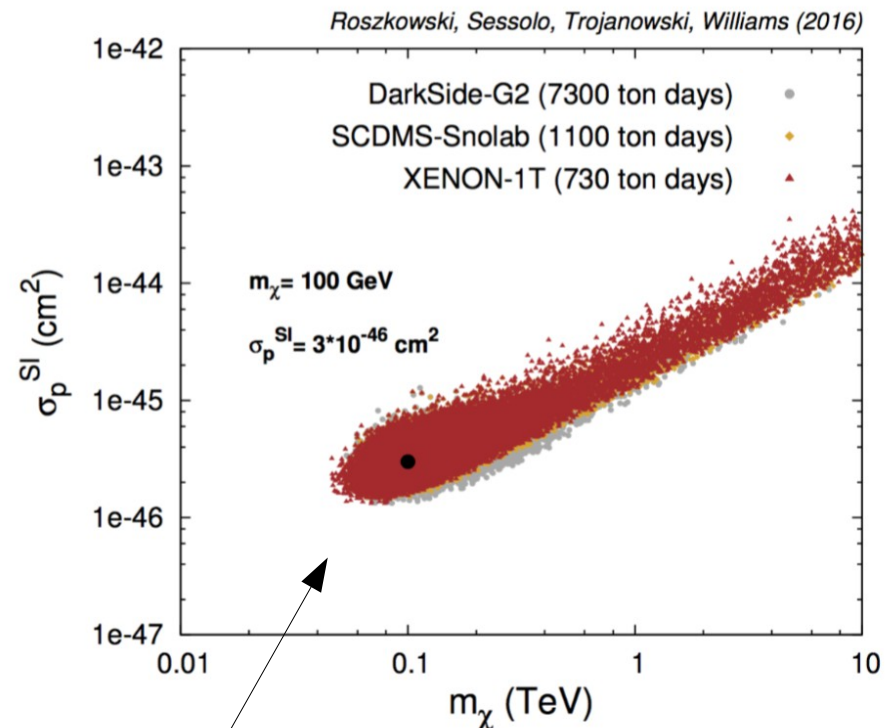
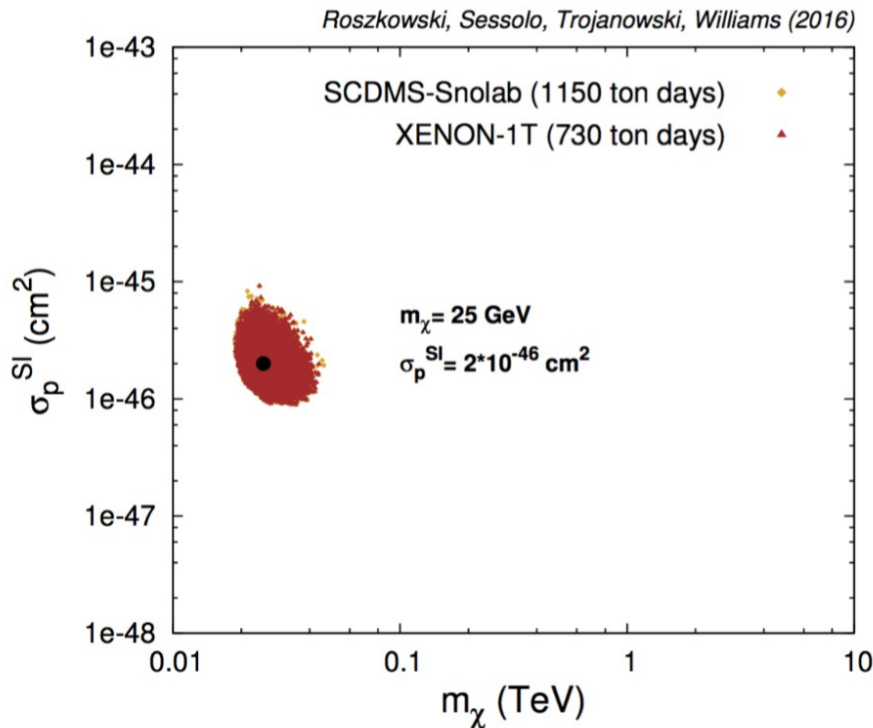
cc Maria Sessolo

“3” does the trick:



Direct detection reconstruction (Xe, Ge, Ar)

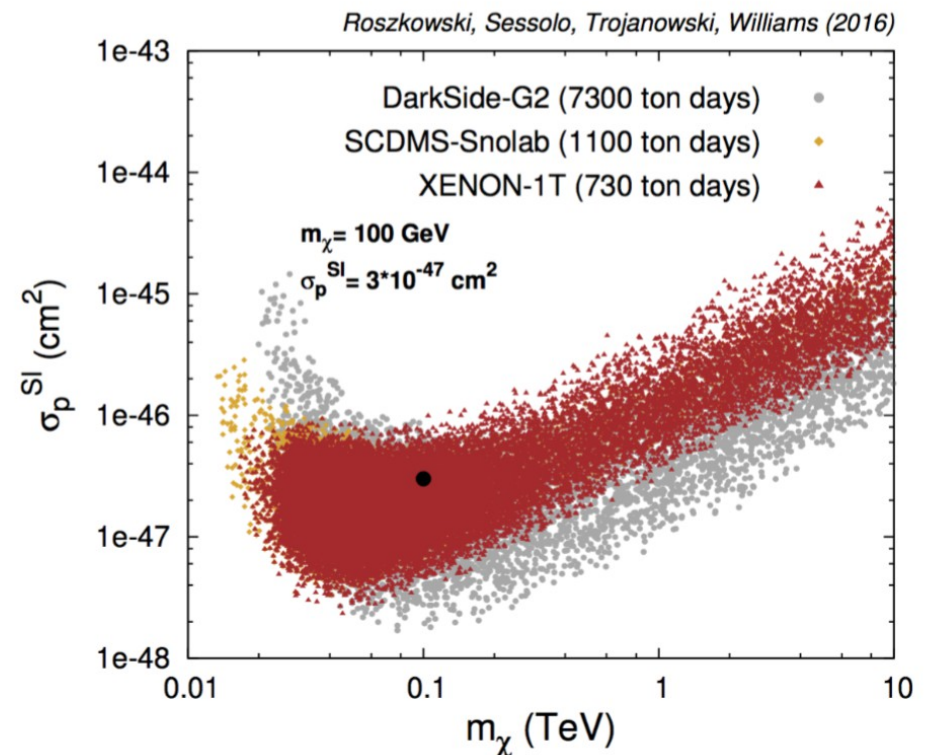
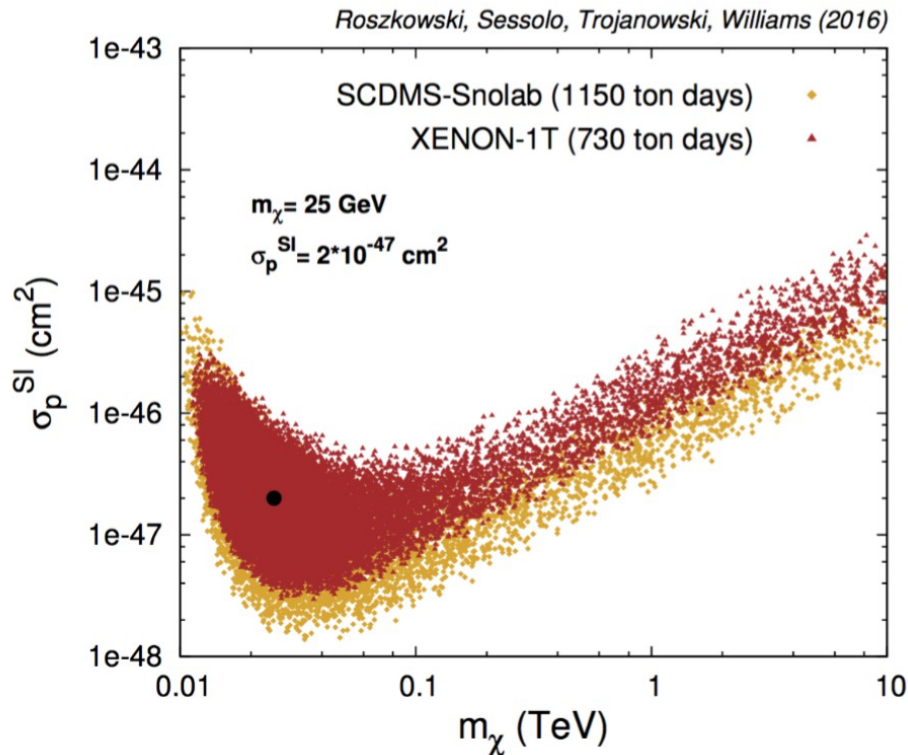
95% C.L. regions:



- $M_\chi = 25 \text{ GeV}$ good!
- The spectrum of nuclear recoils is insensitive to the WIMP mass when this is greater than that of the target nucleus.
- Larger masses are up the degeneracy band (fig looks the same)

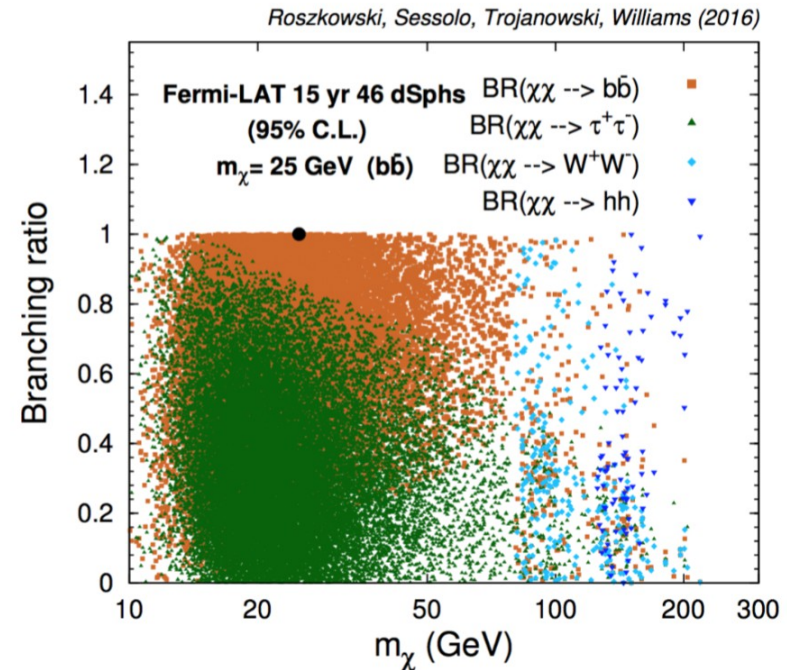
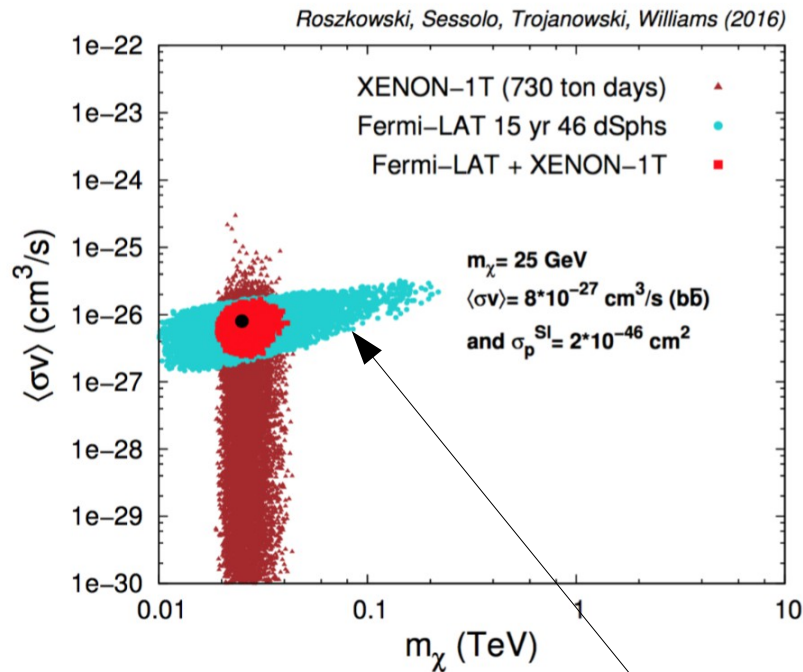
Direct detection reconstruction (Xe, Ge, Ar)

95% C.L. regions:



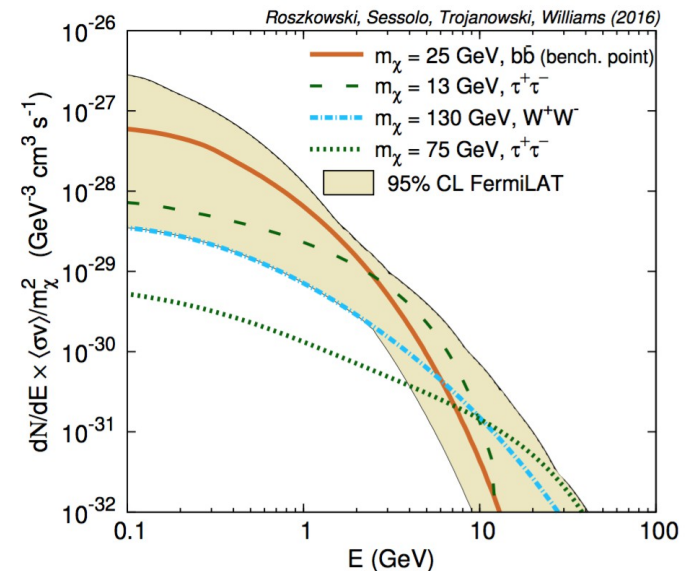
- Reconstruction lost if σ_{SI} down by 1 order of magnitude
- Exposure plays fundamental role (negligible BG)

Fermi-LAT + Xenon-1T ($m_\chi = 25$ GeV)

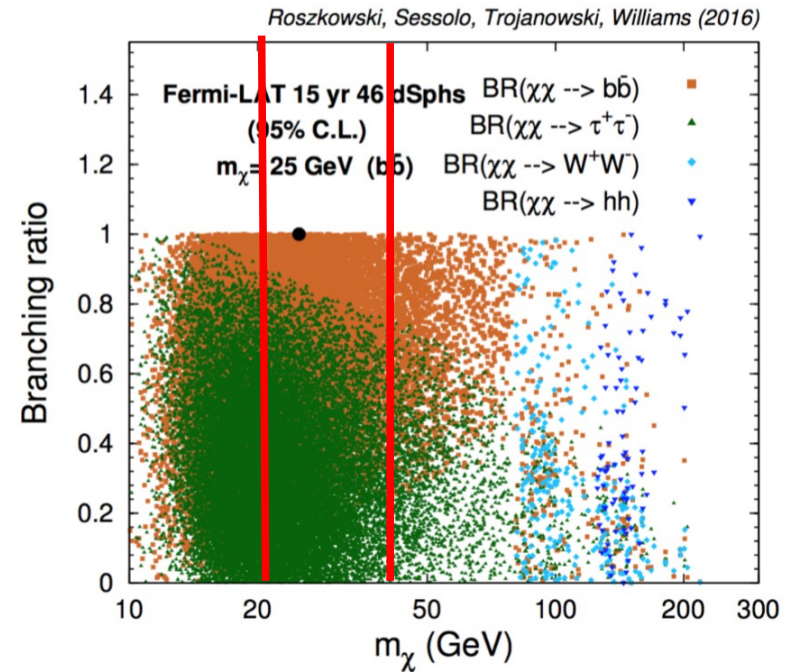
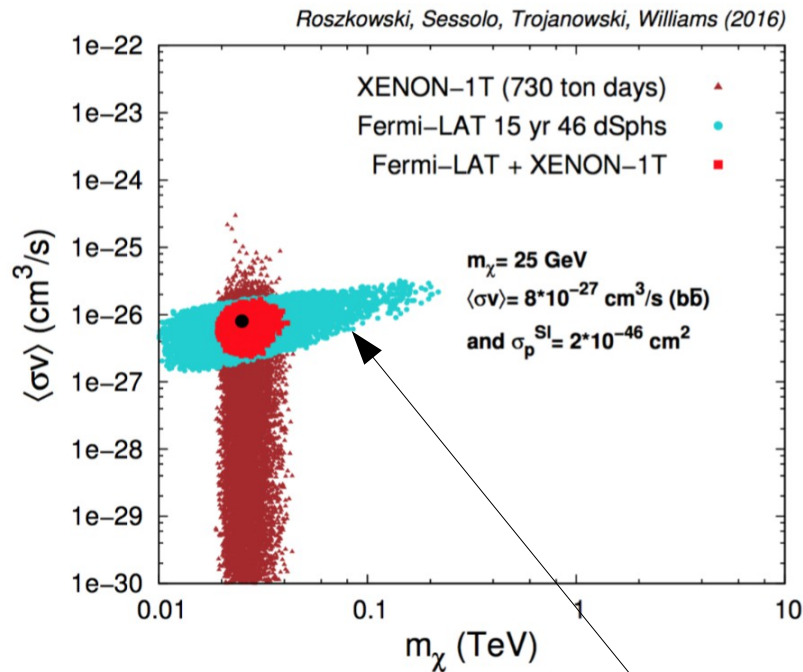


Fermi-LAT poor mass reconstruction

Info from both experiments improves mass and final state reconstruction

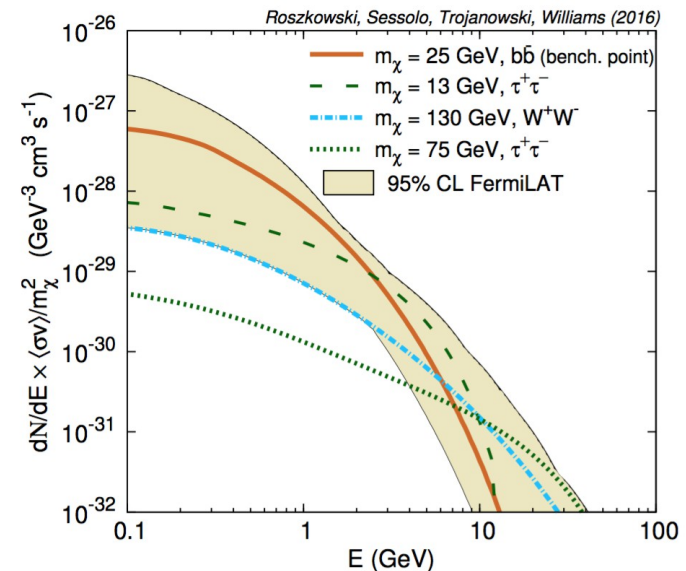


Fermi-LAT + Xenon-1T ($m_\chi = 25$ GeV)

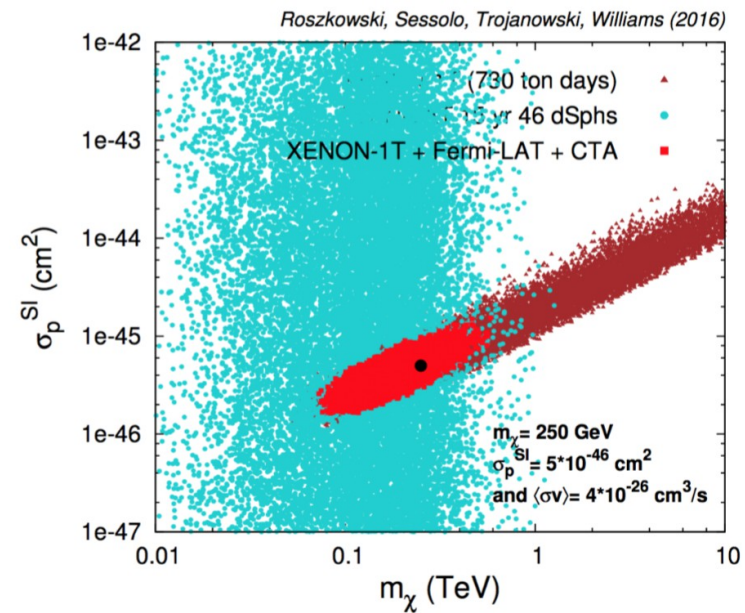
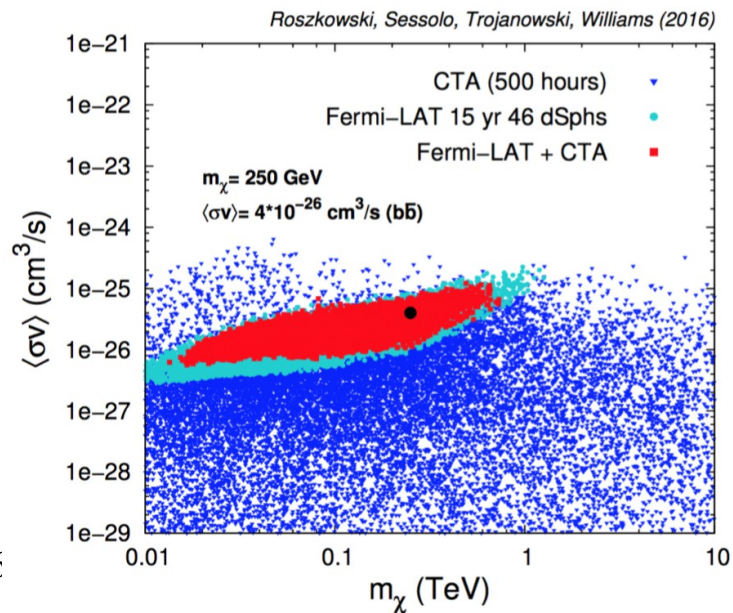
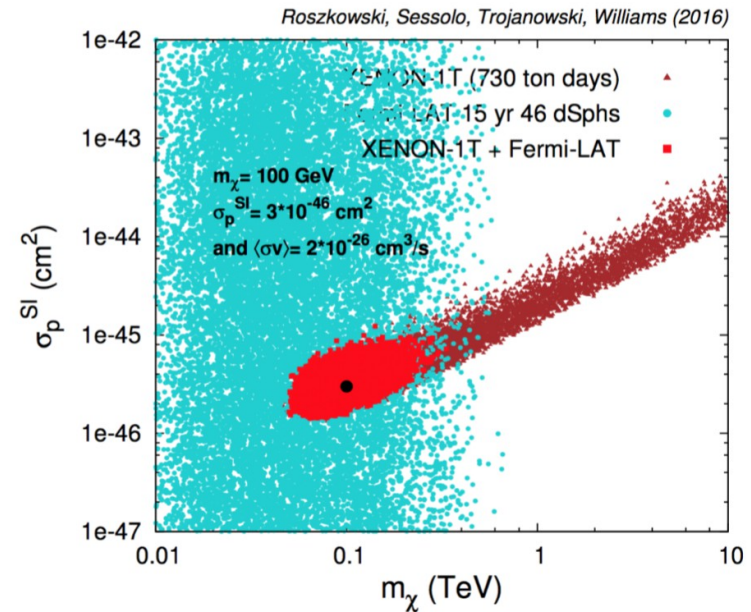
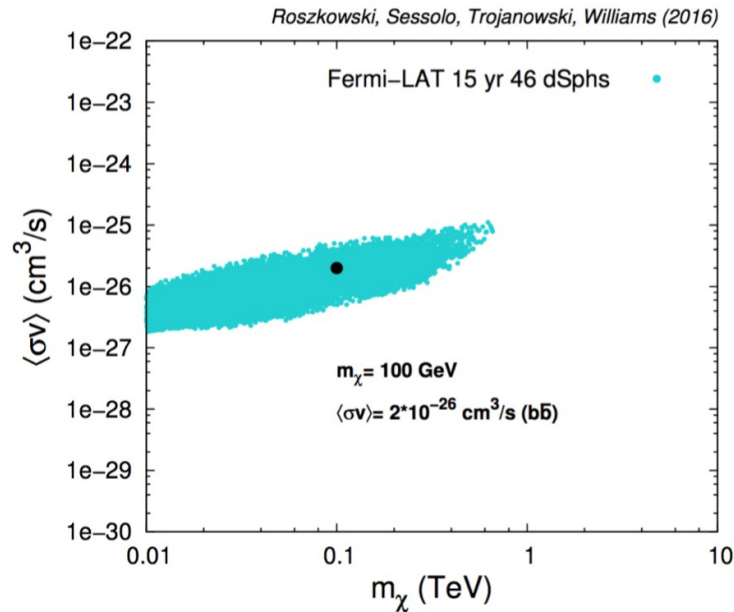


Fermi-LAT poor mass reconstruction

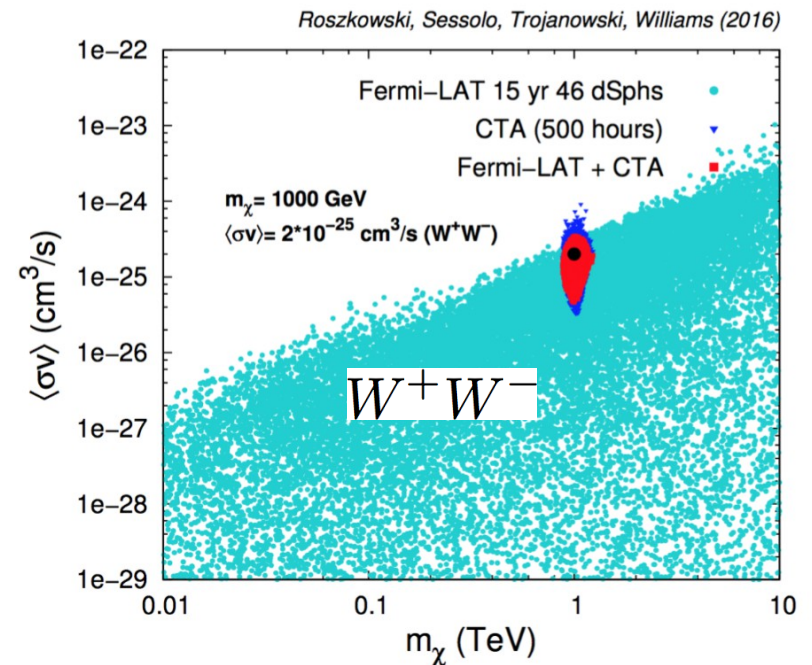
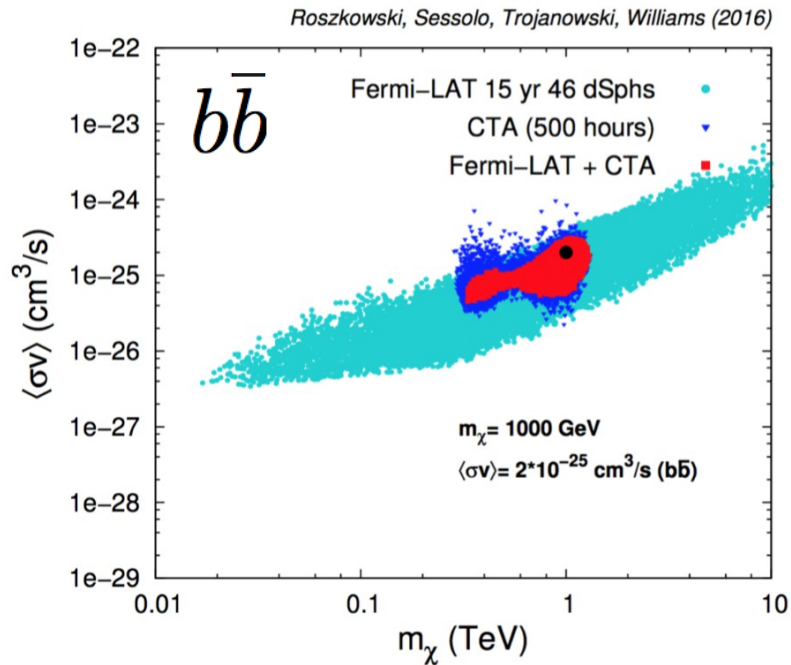
**Info from both experiments
improves mass and final state
reconstruction**



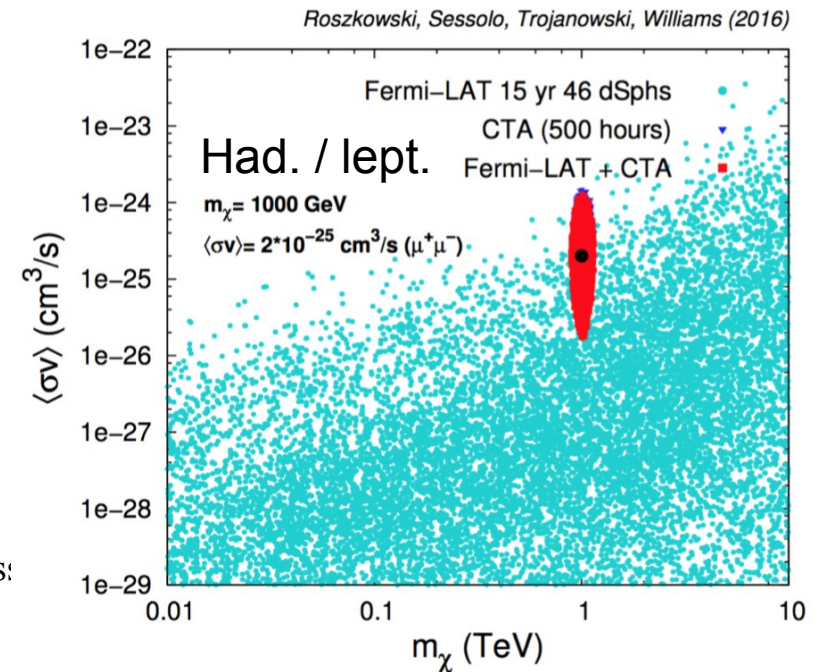
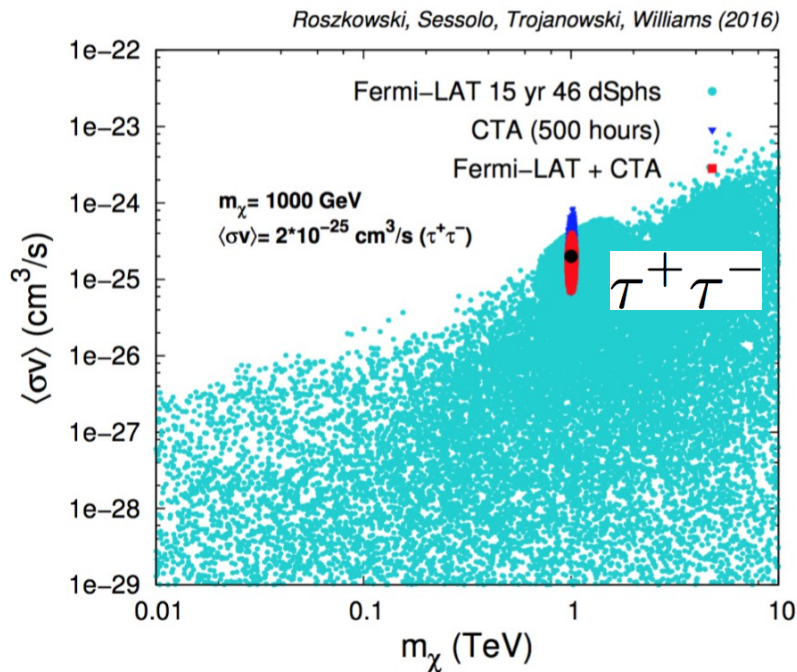
More complementarity ($m_\chi = 100\text{-}250\text{ GeV}$)



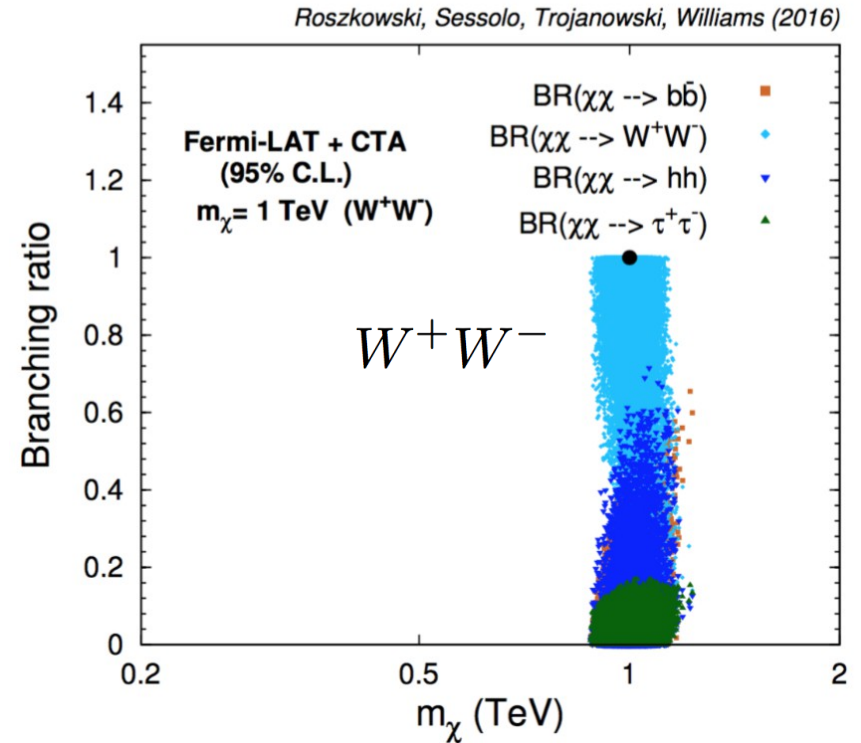
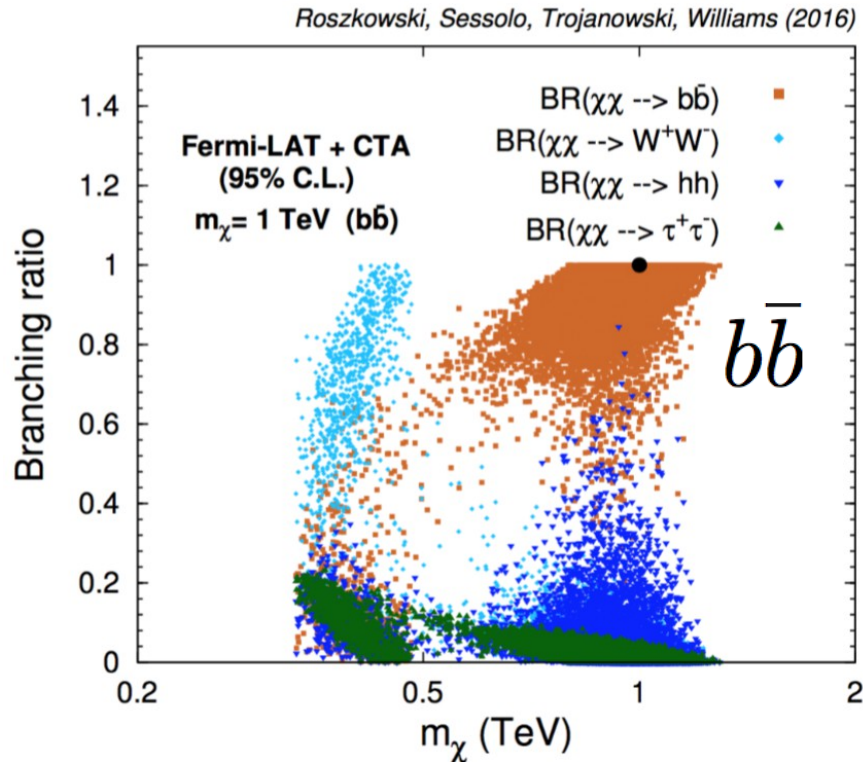
Fermi-LAT + CTA ($m_\chi = 1000$ GeV)



Quality of reconstruction strongly depends on final state of real signal...

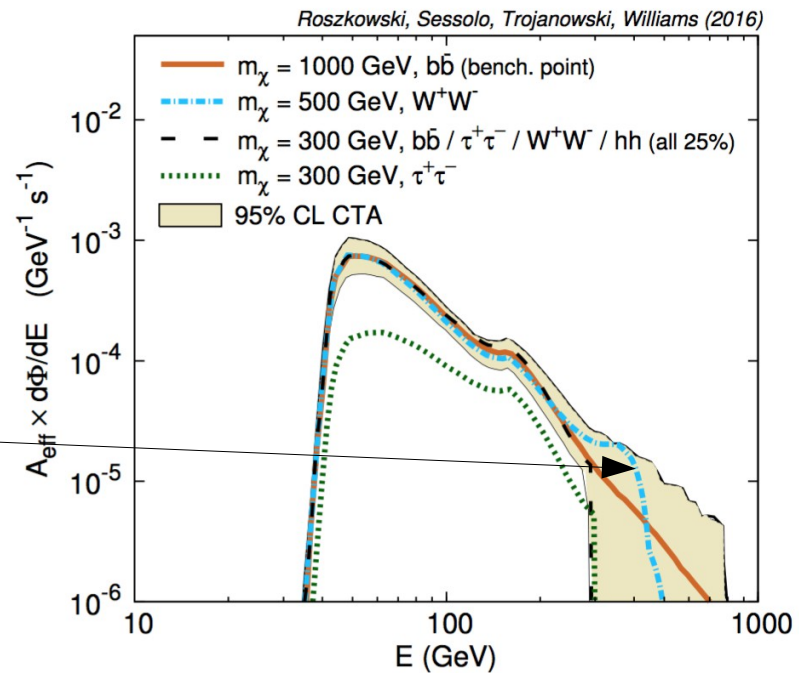


Final state reconstruction

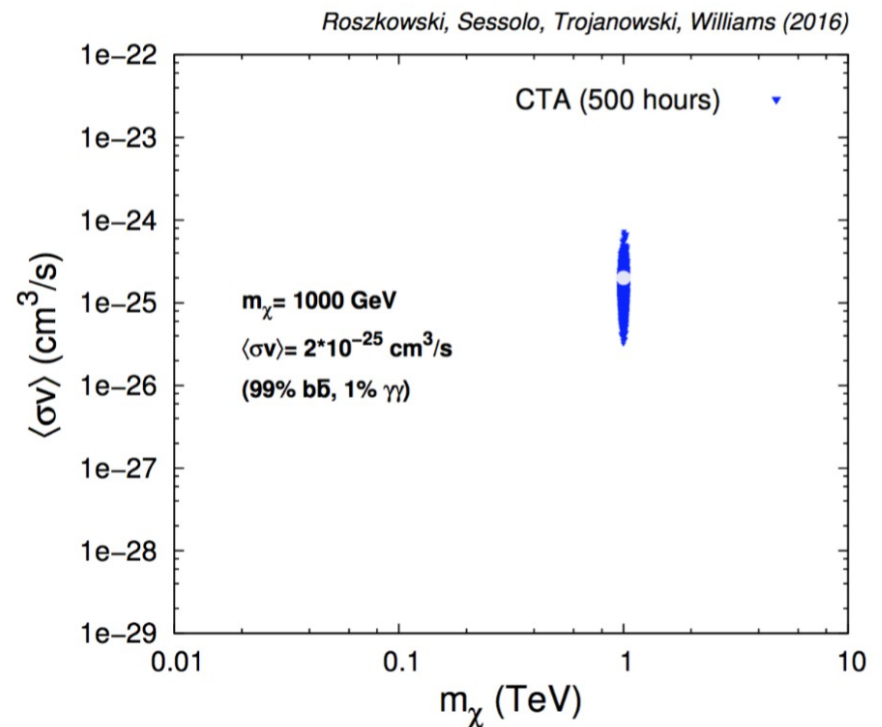
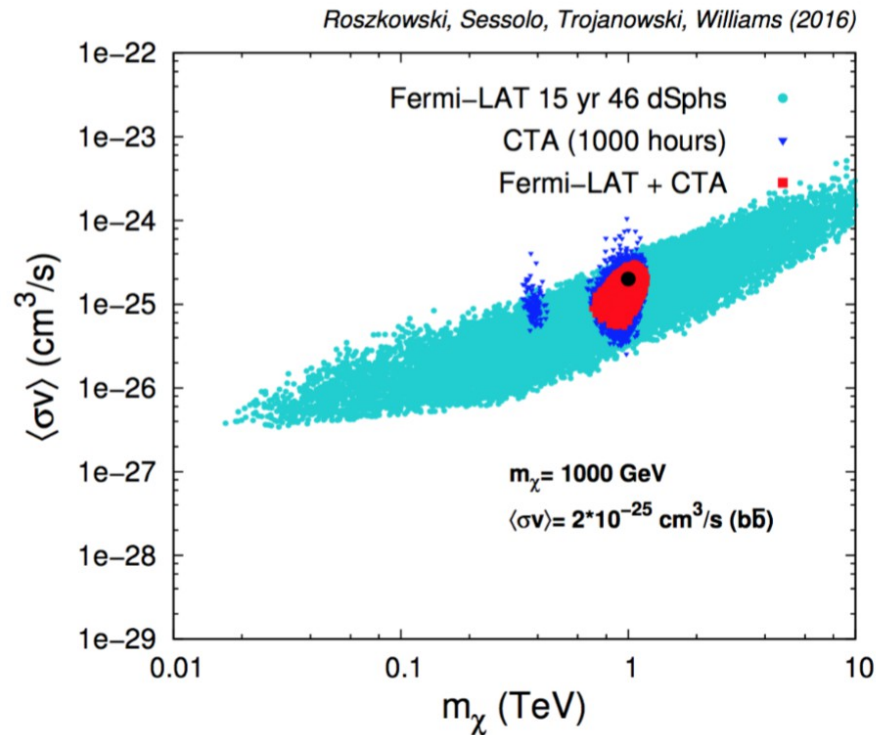


Some final states present specific features that make them very recognizable...

$$W^\pm \rightarrow W^\pm \gamma$$



How to improve $b\bar{b}$ CTA reconstruction?



> exposure...

1% $\gamma\gamma$ line...

... Significant improvement in mass reconstruction!

To take home:

- WIMP signals appearing in different experiments are well motivated
- WIMP reconstruction depends on treatment of uncertainties
- Complementarity of DD/gamma rays helps reconstructing in low/moderate mass WIMPs
- CTA has very high resolution in large mass regime
- Morphological analysis, + exposure, monochromatic lines can be used to increase precision

BACKUP

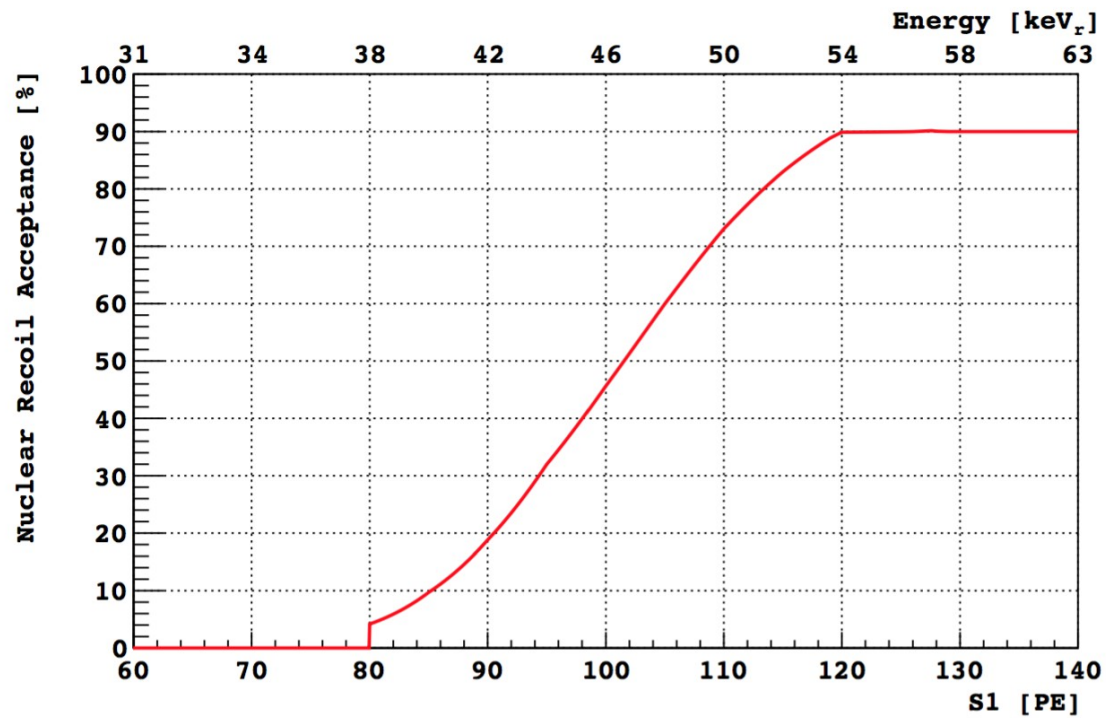


Figure 6: Nuclear recoil acceptance of the dark matter search box. Acceptance is fixed at 90% between 120 and 460 PE (54 and 206 keV_r).

Roszkowski, Sessolo, Trojanowski, Williams (2016)

