

Mass-constraining variables to confront dark matter production at the LHC

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SUSY 2016, Melbourne

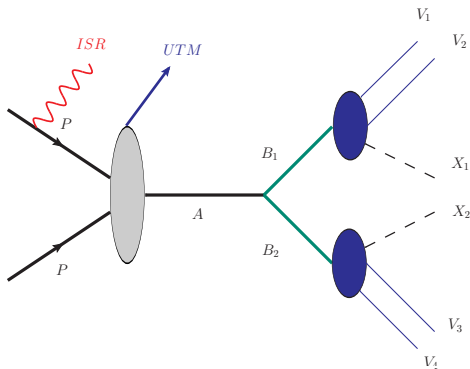
July 5, 2016

Outline

- Objective
- Part-I:
 - Constrained \hat{s} variables
 - Mass determination using $\hat{S}_{min/max}^{cons}$
 - Event reconstruction using $\hat{S}_{min/max}^{cons}$
 - summary
- Part-II:
 - M_{2Cons}
 - Mass measurement using M_{2Cons}
 - Event reconstruction using M_{2Cons}
 - summary

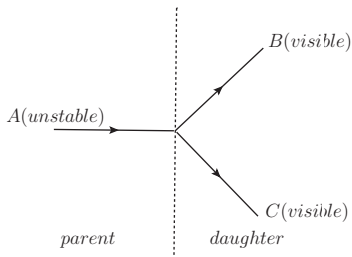
Objective

- Determine/constrain: Unknown masses $\{M_A, M_B, M_X\}$.
- Event reconstruction \Rightarrow determination of q_i .



Two body visible: A simple case study

- ★ Mass measurement is very easy if there are no invisible particles in the final state.



Example:

- $h \rightarrow \gamma\gamma$
- $Z \rightarrow \ell\ell$

Why it is challenging?

Problems with hadron collider:

- Incoming parton momenta unknown.
- CM energy of collision unknown.
- Boost along the beam direction unknown.

Problems introduced by DM motivated theories:

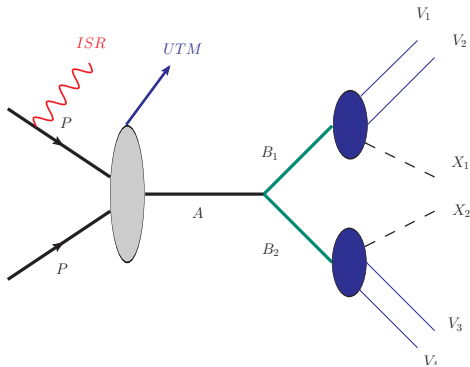
- Two invisible particles escape detection.
- Masses of the invisible particles are unknown.
- Masses of their parent are also unknown.

Part-I: Presence of invisible particles in final state

Example: $h \rightarrow \tau\tau \rightarrow \tau_h \nu_\tau \tau_h \nu_\tau$

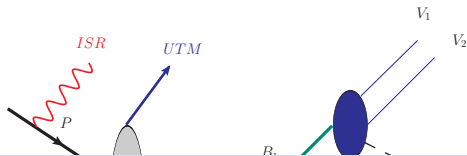
Part-I: Presence of invisible particles in final state

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Part-I: Presence of invisible particles in final state

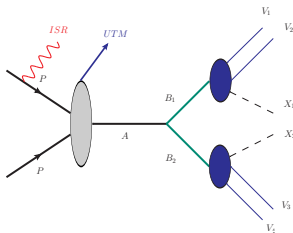
Example: $h \rightarrow \tau\tau \rightarrow \tau_h \nu_\tau \tau_h \nu_\tau$



examples: where we know B and X mass.

- $h \rightarrow WW^* \rightarrow l\nu l\nu$
- Heavy H/Z' : $H/Z' \rightarrow t\bar{t} \rightarrow b\bar{b}w^+w^- \rightarrow b\bar{b}l^+\nu_{el}^-\bar{\nu}_e$
- Exotic scalar: $\phi^{++} \rightarrow w^+w^+ \rightarrow l^+\nu_{el}^+\nu_e$

\hat{S}_{min} : An inclusive variable

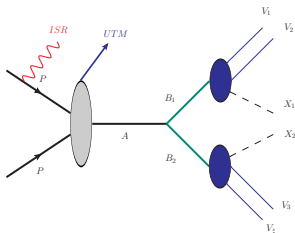


- Parton level Mandelstam variable:

$$\hat{s}(\vec{q}_i, m_\chi) = (E + \sum_{i=1}^2 \sqrt{m_\chi^2 + \vec{q}_i^2})^2 - (\vec{P} + \sum_{i=1}^2 \vec{q}_i)^2$$

- Impossible to determine \hat{s} experimentally

\hat{S}_{min} : An inclusive variable



$$\hat{S}_{min} = \min_{\vec{q}_1, \vec{q}_2} [\hat{s}(\vec{q}_1, \vec{q}_2)]$$

$$\{\vec{q}_1 + \vec{q}_2 = \vec{P}/T\}$$

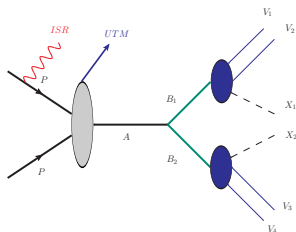
$$\sqrt{\hat{S}_{min}(2\tilde{m}_\chi)} = \sqrt{(E^v)^2 - (P_z^v)^2} + \sqrt{|\vec{P}_T|^2 + (2\tilde{m}_\chi)^2}$$

Constrained \hat{s} variables

Constrained \hat{s} variables:

$$\hat{s}_{min}^{cons} = \min_{\substack{\vec{q}_1, \vec{q}_2 \\ \{constraints\}}} [\hat{s}(\vec{q}_1, \vec{q}_2)]$$

$$\hat{s}_{max}^{cons} = \max_{\substack{\vec{q}_1, \vec{q}_2 \\ \{constraints\}}} [\hat{s}(\vec{q}_1, \vec{q}_2)]$$



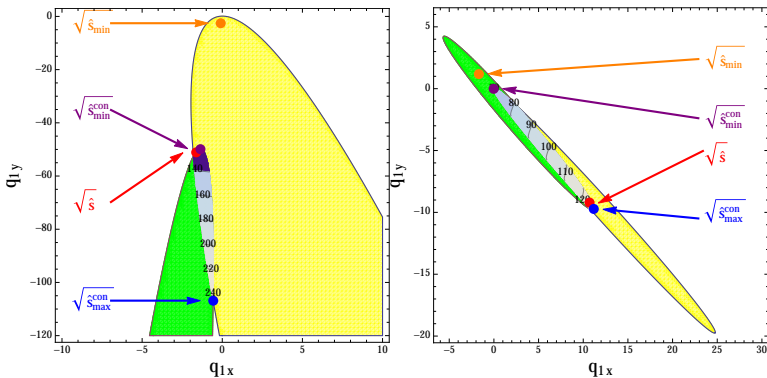
constraints:

Mass shell constraints of intermediate (B) and invisible particle (X)
+ missing transverse momenta constraints.

Assumption: Both the masses M_B and m_X are known.

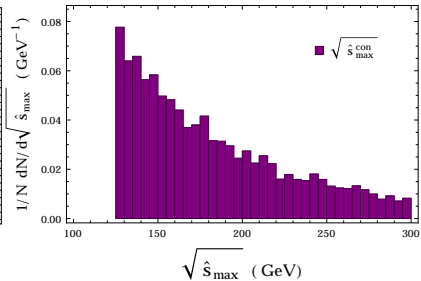
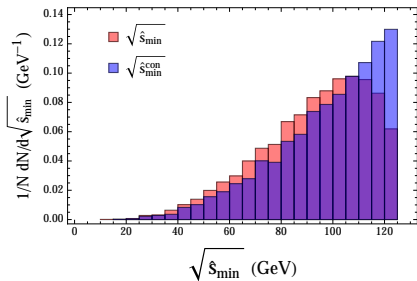
Constrained \hat{s} variables

◇ Consequence of mass shell constraints.



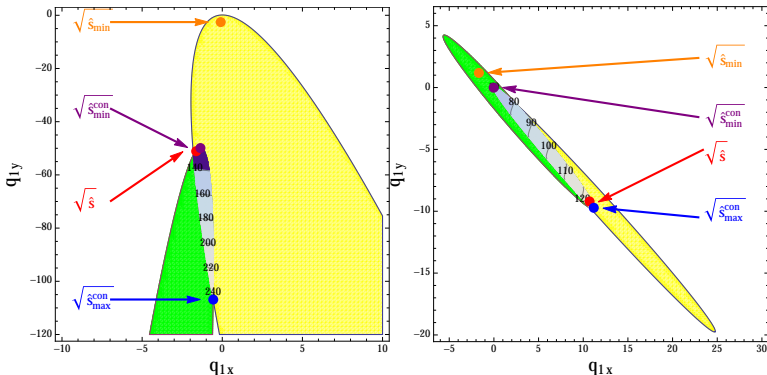
Constrained \hat{S} variables contd.

Example: $h \rightarrow \tau\tau$ (SM)



Momentum reconstruction using \hat{s} and its cousins

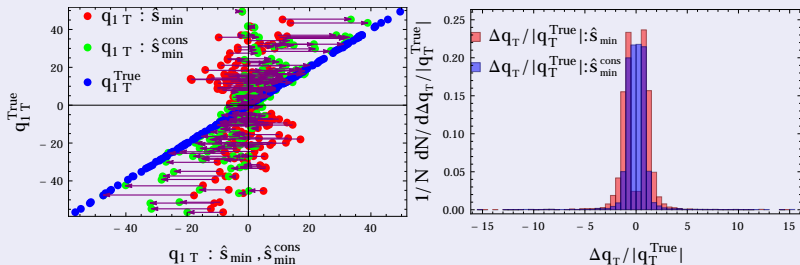
◇ Antler topology: momentum reconstruction capability.



Momentum reconstruction using \hat{s} and its cousins

◇ Antler topology: momentum reconstruction capability.

Reconstructed momenta correlated with true momenta



Summary of part-I

- \hat{S}_{min} being global and inclusive can be used for determining mass scale of new physics without the knowledge of topology.
- \hat{S}_{min}^{cons} and \hat{S}_{max}^{cons} both are very useful for mass determination as well as event reconstruction.
- The events near endpoint or threshold of constrained \hat{S} variables gives better momentum reconstruction.

Part-II: Unknown intermediate and invisible particle masses.

Examples:

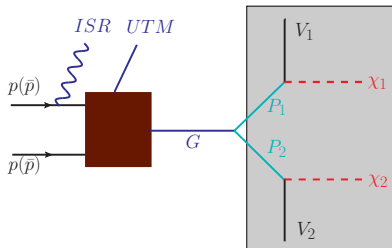
- SUSY:

$$H \rightarrow \tilde{\chi}_2^0 \tilde{\chi}_2^0 \rightarrow Z \tilde{\chi}_1^0 Z \tilde{\chi}_1^0$$

- Z' SUSY:

$$Z' \rightarrow \tilde{\ell}^+ \tilde{\ell}^- \rightarrow \ell^- \tilde{\chi}_1^0 \ell^+ \tilde{\chi}_1^0$$

- UED: $Z^{(2)} \rightarrow L^{(1)} L^{(1)} \rightarrow \ell^- \gamma^{(1)} \ell^+ \gamma^{(1)}$

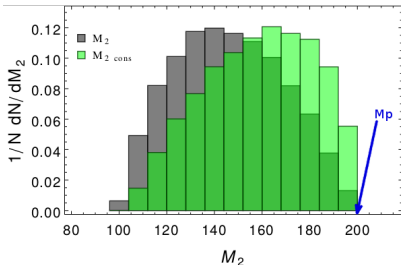
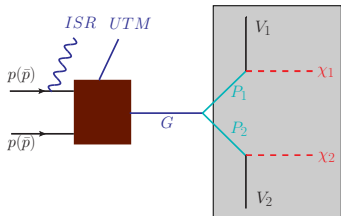


M_2 and its improvement

$$M_2(\tilde{m}_\chi) = \min_{\vec{q}_1, \vec{q}_2} [\max\{M^{(1)}(\tilde{m}_\chi), M^{(2)}(\tilde{m}_\chi)\}]$$

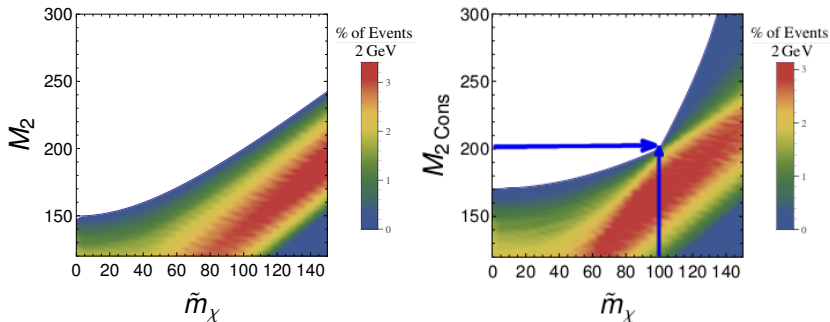
$$\{\vec{q}_{1T} + \vec{q}_{2T} = \vec{P}/T\}$$

$$M_{2Cons}(\tilde{m}_\chi) = M_2(\tilde{m}_\chi); Cons = \begin{cases} (p_{v_1} + p_{v_2} + q_1 + q_2)^2 = m_G^2 \\ M^{(1)} = M^{(2)} \end{cases} \quad (1)$$



Mass measurement from kink

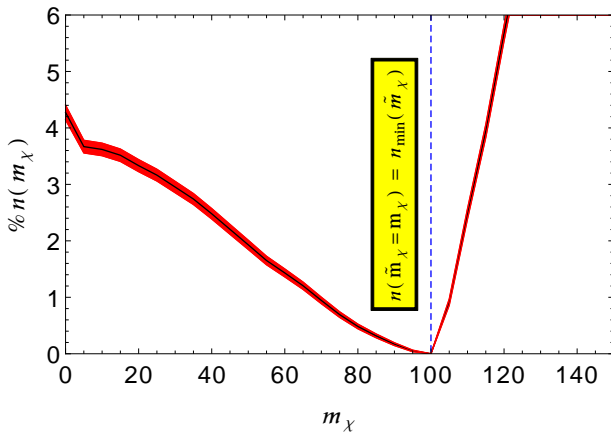
- ◇ The presence of **kink** and its population with **number of events**.



kink reconstruction

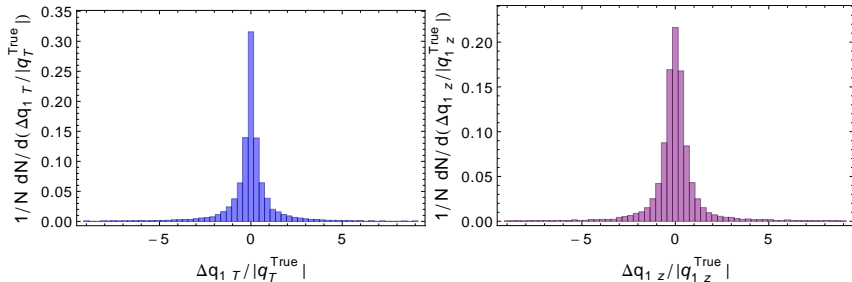
- ★ A way of determining m_χ optimally.

$$n(\tilde{m}_\chi) = \frac{\sum \mathcal{H}(M_{2\text{Cons}} - M_2^{\text{max}})}{N}$$



Event reconstruction using M_{2Cons}

- ◇ We reconstruct momenta from the minimization of M_{2Cons} .



Summary of part-II

- We discuss the new variable M_{2Cons} which can be used for simultaneous determination of both intermediate and invisible particle mass.
- We demonstrate that kink appears when one uses heavy resonance mass shell constraint.
- An optimal way for reconstruction of position of kink is also discussed using Heaviside step function.
- M_{2Cons} can be used for event reconstruction and it turns out that the reconstructed momenta are well correlated with true momenta.

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Thank You