

# Femtoscscopy: the way back on the energy scale from ALICE to NICA.

## Part-I

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O. Rogachevsky, D. Wielanek

# Outline

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**I part:** I will discuss what we are studying and why.

**II part:** Daniel Wielanek will discuss the first studies performed with the new FEMTO-NICA software.

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- Introduction
- Main lessons of femtoscopy at high energies
- 1<sup>st</sup> order Phase Transition criteria for femtoscopy
- UrQMD 3.4 model
- vHLLE+UrQMD model
- Source functions obtained with the models used
- Summary

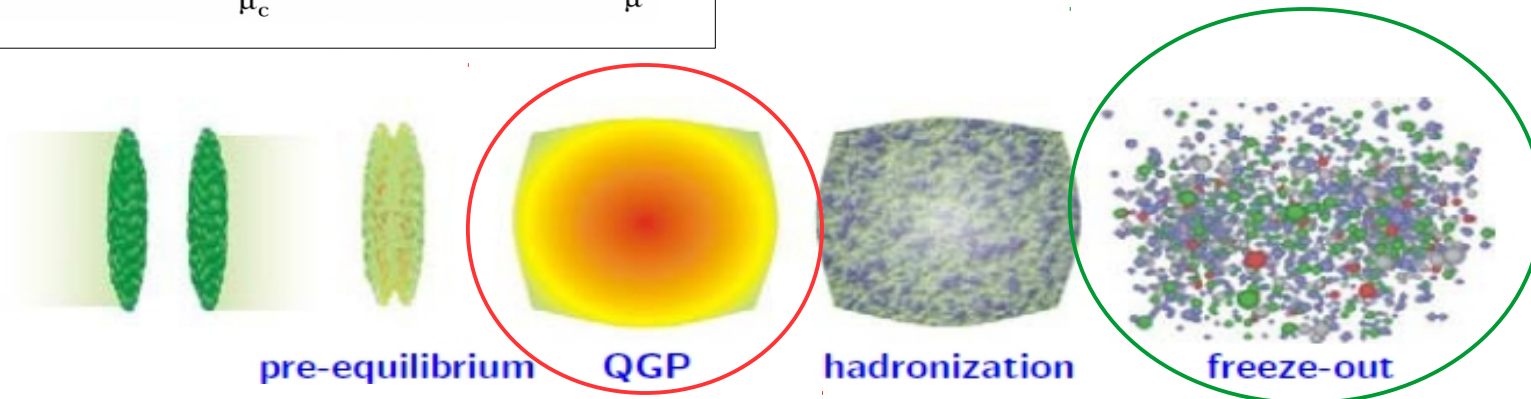
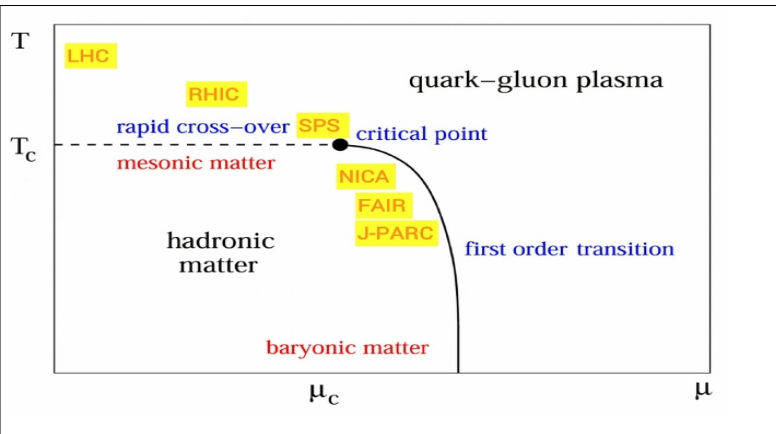
# Introduction

- Crossover transition to QGP occurs at RHIC & LHC

- 1st order phase transition to QGP occurs at lower energies (?)

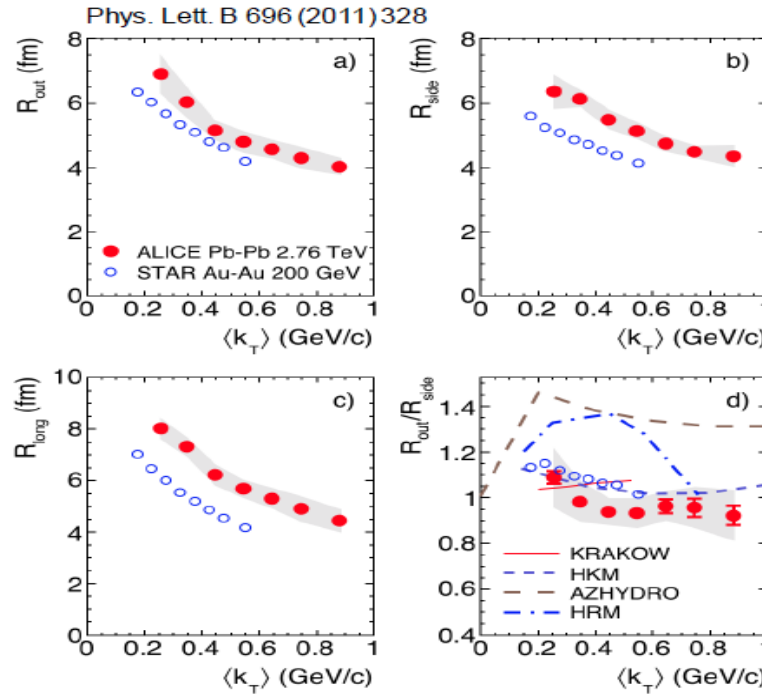
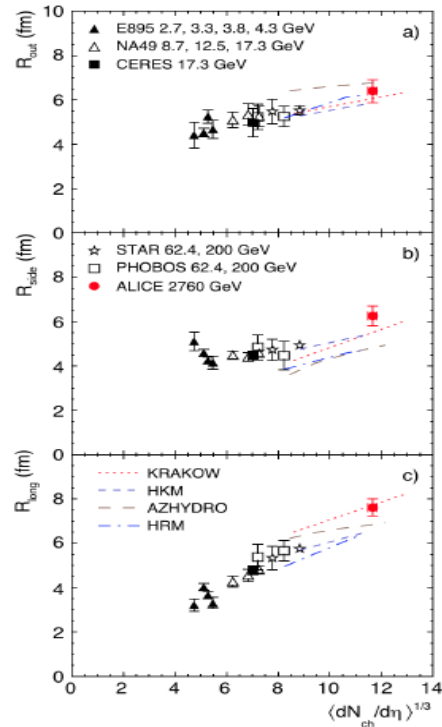
- At what energies do hydro models with 1<sup>st</sup> order PT describe femtoscopy observables better than those with crossover PT ?

- Which femtoscopy observables are most sensitive to this difference ?



**Correlation femtoscopy** : measurement of space-time characteristics  $R, c\tau \sim \text{fm}$  of particle production using particle correlations due to effects of **QS** and **FSI**

# Main ALICE femtoscopy results



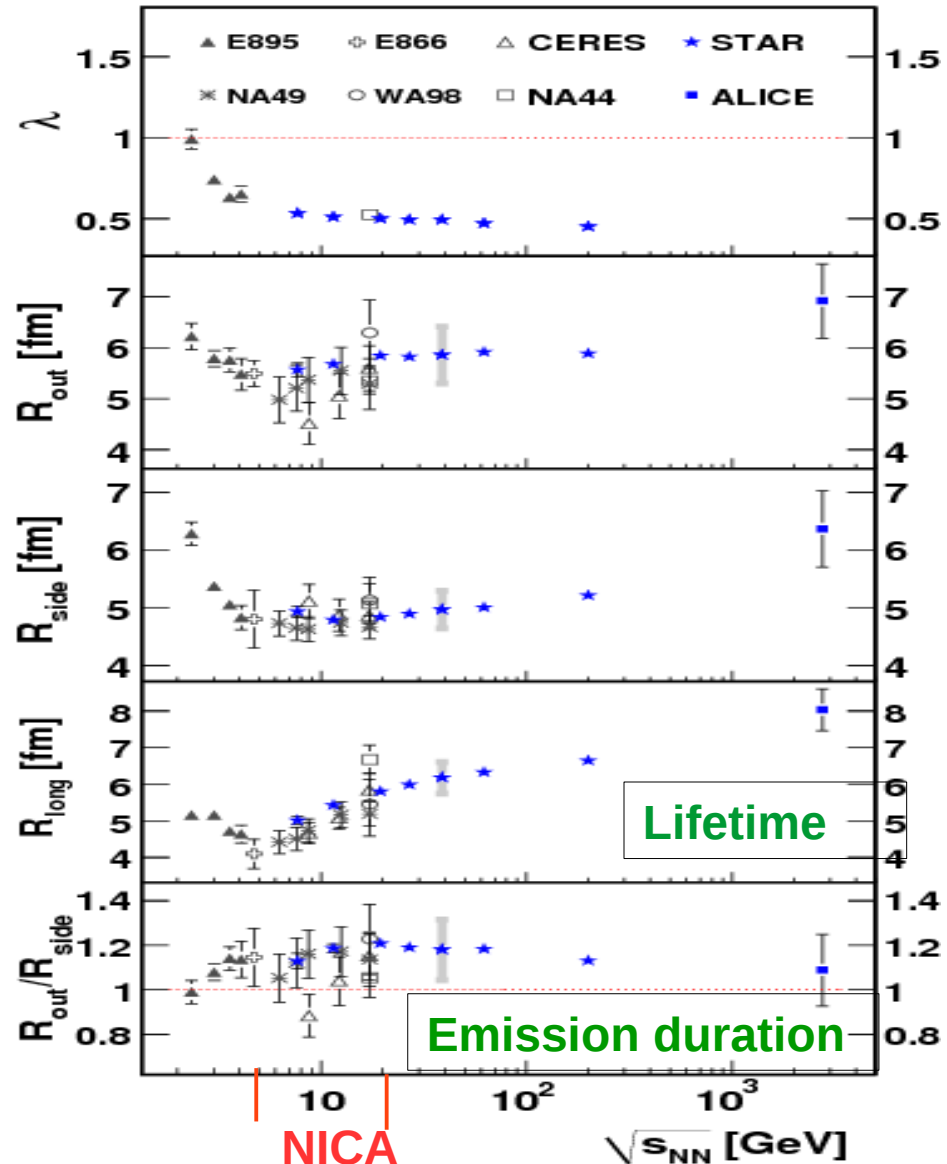
- Homogeneity volume 2 times larger than at RHIC
- $\tau \sim 40\%$  larger than at RHIC (extracted from  $R_{long}$  vs.  $m_T$ )
- Scaling of the radii with  $(dN_{ch}/d\eta)^{1/3}$
- Strong  $k_T$  dependence of radii  $\rightarrow$  strong transverse flow
- $R_{out}/R_{side}$  smaller than at RHIC  $\rightarrow$  stronger r-t correlations

- Hydrodynamic models describe well the whole set of femtoscopy observables at RHIC & LHC energies.
- Importance of: pre-thermal transverse flow, crossover transition between quark-gluon and hadron medium, non-hydrodynamic behavior of the hadron gas at the latest stage -- cascade.

# Expected features of 1<sup>st</sup> order PT

- **LHC Pb-Pb** :  $\sqrt{s_{NN}} \sim 2.76$  TeV  
**RHIC**  $\sqrt{s_{NN}} \sim 62.4$  to 200 GeV  
 large T & small  $\mu_B$
- **RHIC Beam Energy Scan program (BES)**  
 $\sqrt{s_{NN}} = 7.7, 11.5, 19.6, 27, 39$  GeV  
 small T & large  $\mu_B$
- **NICA Expected beams**  
 $\sqrt{s_{NN}} = 4 - 11$  GeV  
 small T & large  $\mu_B$

STAR, Phys.Rev. C92 (2015) 1, 014904

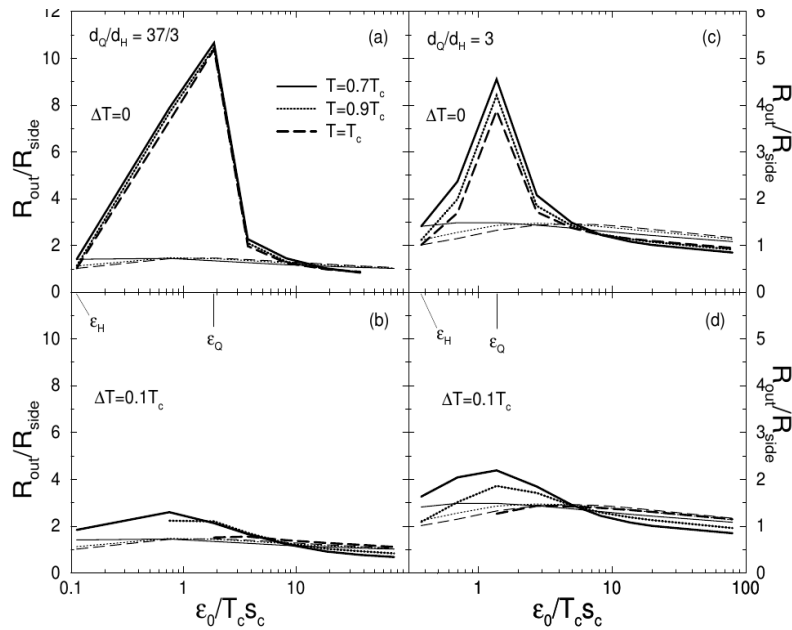


# Expected features of 1<sup>st</sup> order PT

- It was predicted that for 1<sup>st</sup> order phase transition  $R_{out}/R_{side} \gg 1$  & large  $R_{long}$  due to emission stalling during phase transition

( S. Pratt, Phys. Rev. D 33 (1986) 1314. G. Bertsch, M. Gong, M. Tohyama, Phys. Rev. C 37 (1988) 1896)

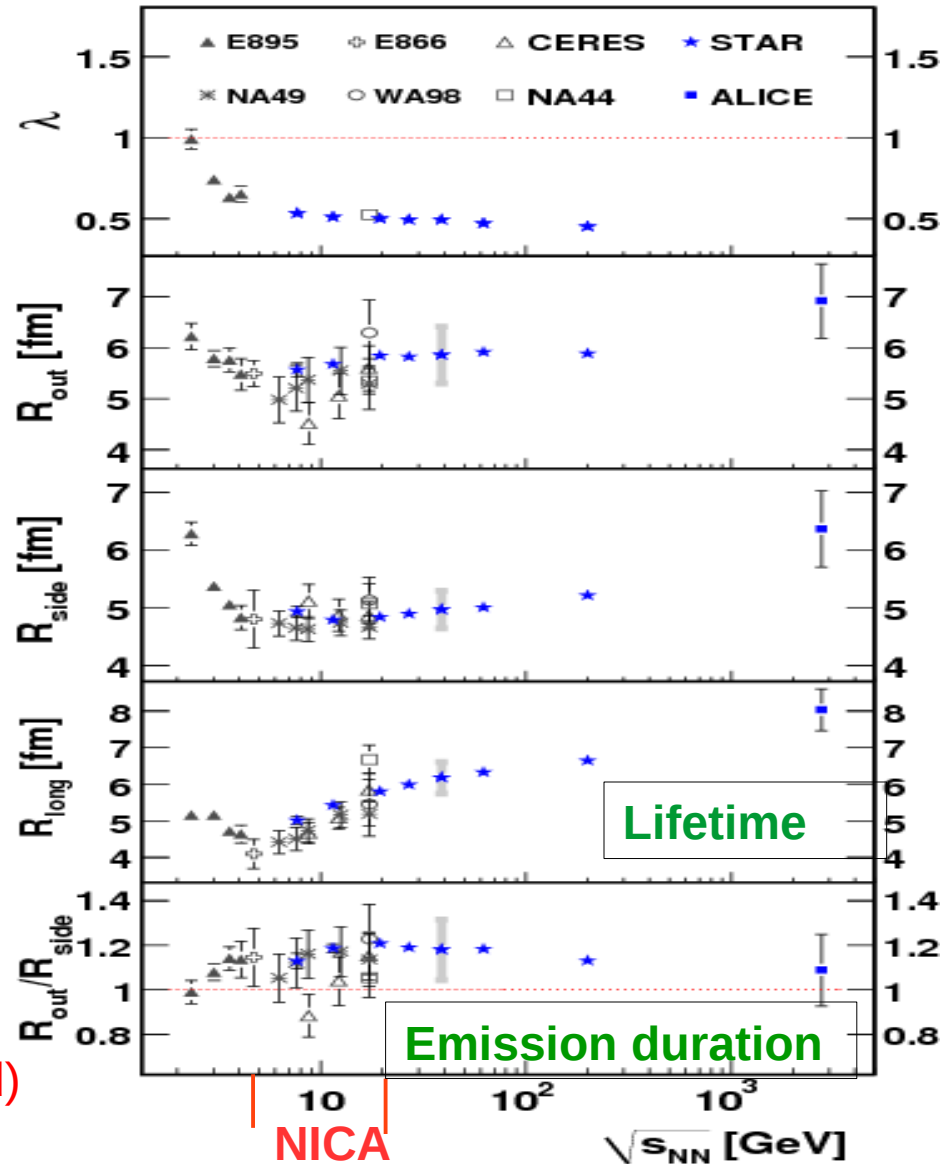
D. H. Rischke and M. Gyulassy, Nucl. Phys. A608, 479 (1996)



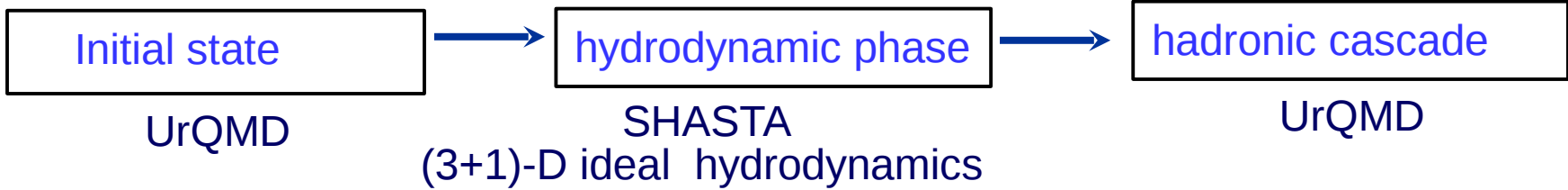
- But r-t correlations in expanding source reduce the observed  $R_{out} \rightarrow R_{out}/R_{side}$

- What do the modern hydrodynamic (hybrid) models expect ?

STAR, Phys.Rev. C92 (2015) 1, 014904



# UrQMD 3.4 model



H. Petersen, J. Steinheimer, G. Burau, M. Bleicher and H. Stöcker, Phys. Rev. C 78 (2008) 044901.

UrQMD-3.4 code was taken from <http://urqmd.org/>

Many thanks to Hannah Petersen for the advises concerning parameters of simulations!

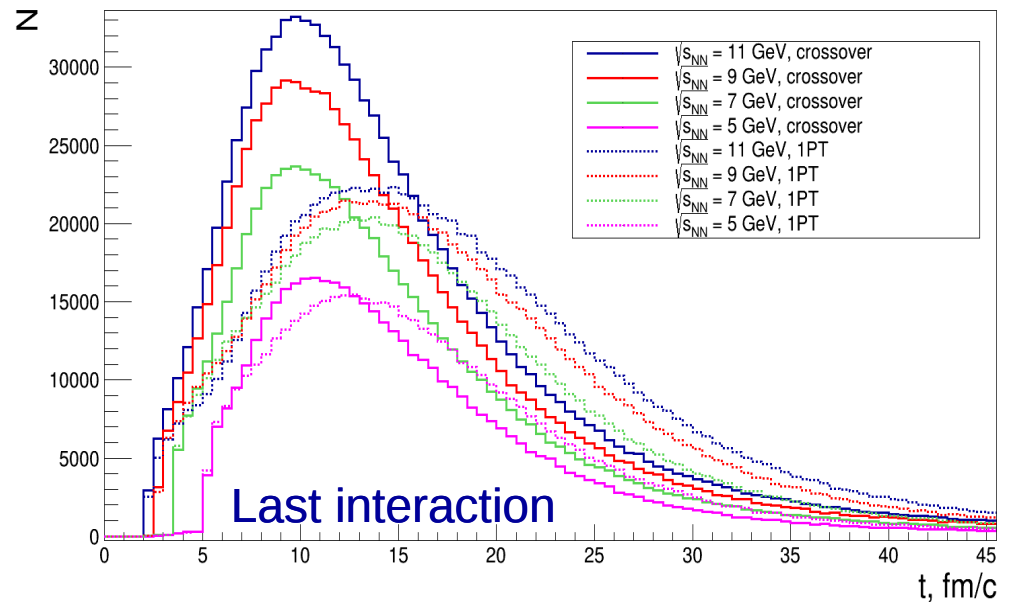
- Initial collisions and string fragmentations from the microscopic UrQMD model.
- (3+1)-dimensional ideal hydrodynamic evolution.
- hadronic cascade.

Chiral EoS - Crossover

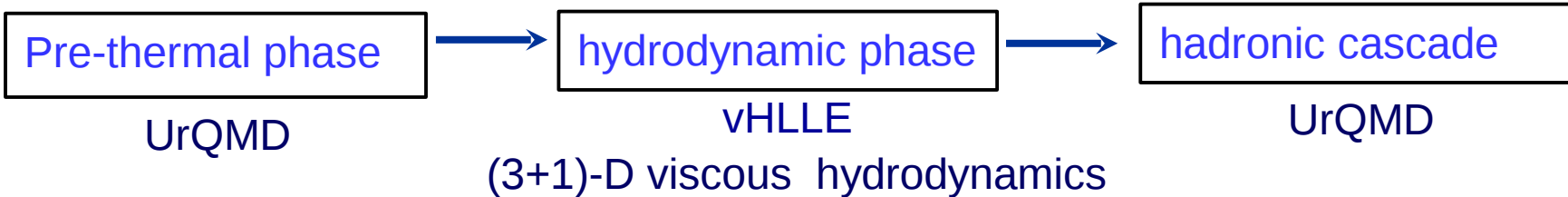
Bag model EoS - 1st order

Hadron gas EoS

- Hydro phase lasts longer with 1<sup>st</sup> order PT



# vHLE+UrQMD model



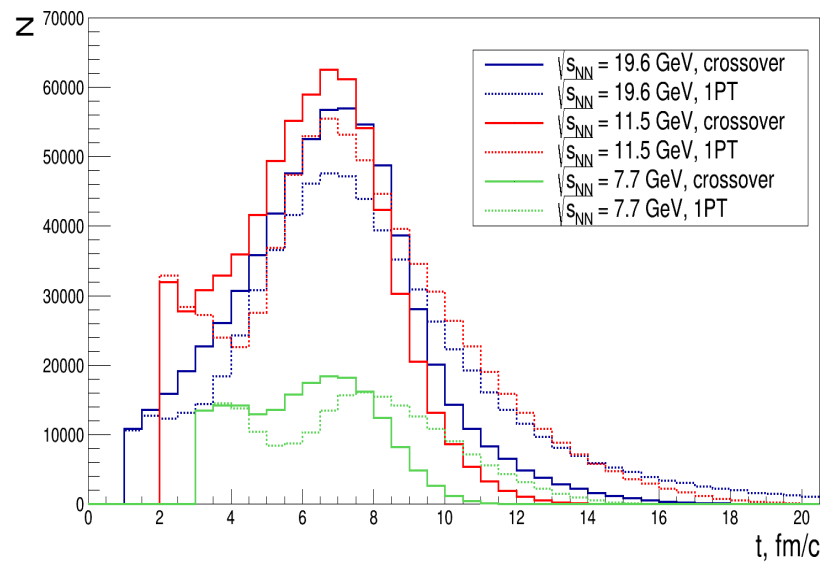
Iu. Karpenko, P. Huovinen, H. Petersen, M. Bleicher, Phys.Rev. C 91, 064901 (2015), arXiv:1502.01978,1509.3751, talk QM2015  
 vHLE code: free and open source, <https://github.com/yukarpenko/vhllc>, Comput. Phys. Commun. 185 (2014), 3016

Model tuned by matching with the experimental data of SPS and BES RHIC.

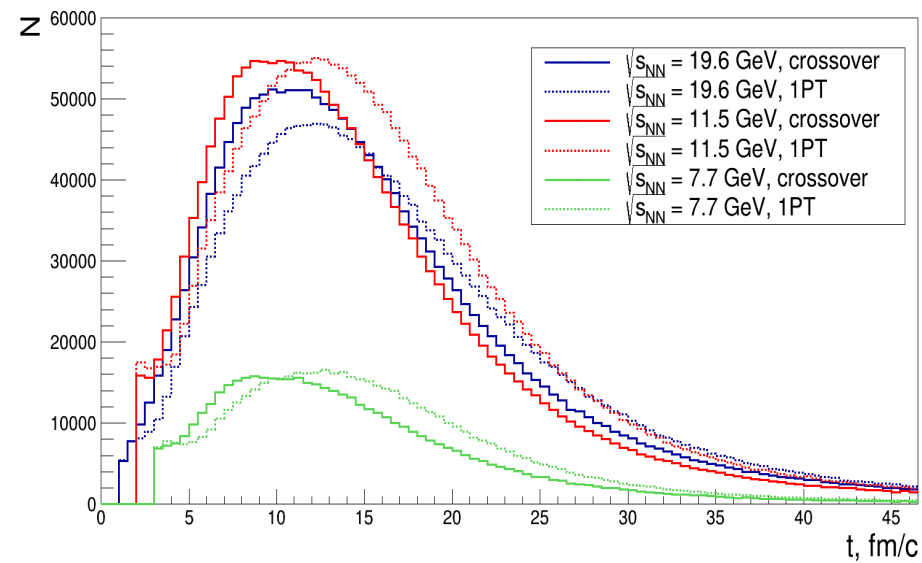
**Chiral EoS -crossover phase transition**  
 J. Steinheimer, et al, J. Phys. G 38, 035001 (2011)

**HadronGas + Bag Model – 1<sup>st</sup> order PT**  
 P.F. Kolb, et al, Phys.Rev. C 62, 054909 (2000)

## vHLE

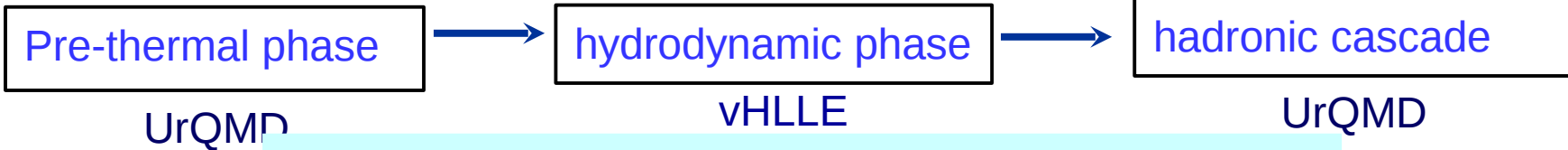


## vHLE+UrQMD





# vHLL+UrQMD model



Hydro phase lasts longer with 1<sup>st</sup> order PT, especially at lower energies but cascade smears this difference.

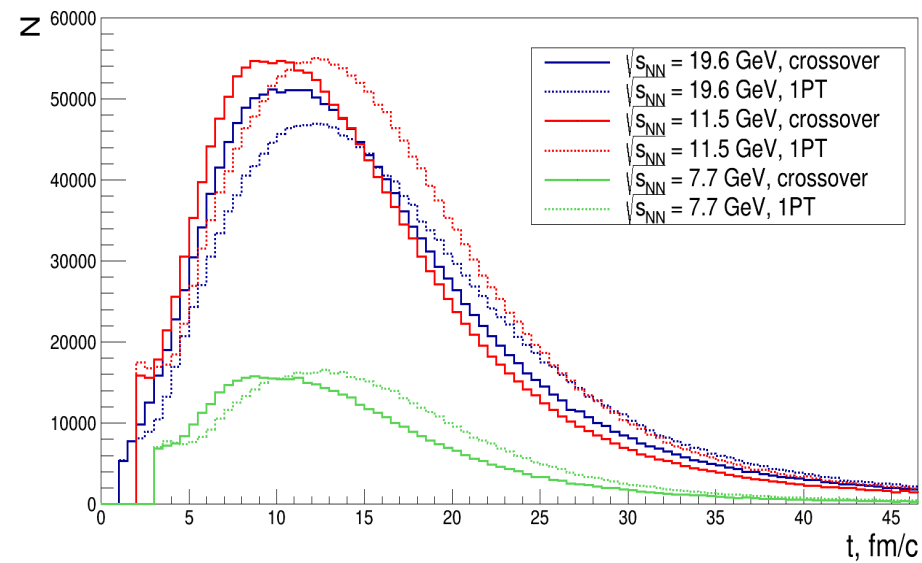
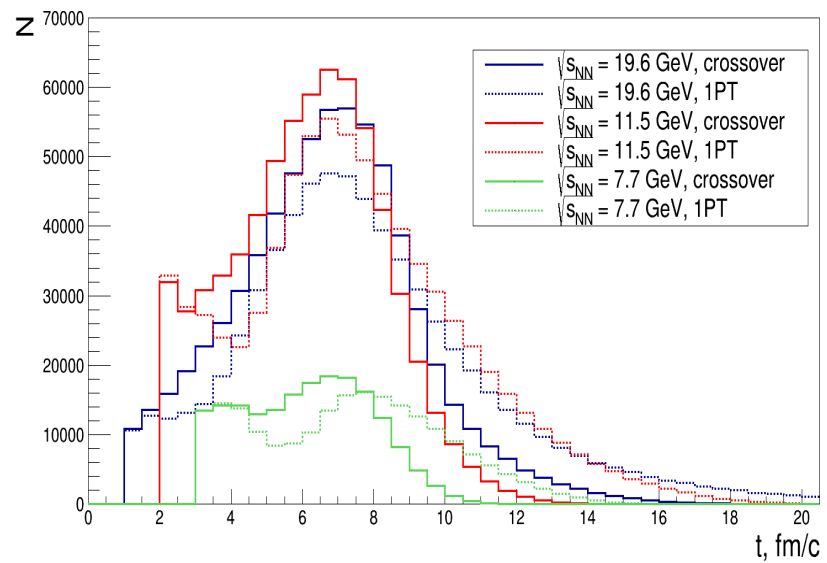
Is it possible to see it using Femtoscopy technique ?

509.3751 , talk QM2015 (2014), 3016

RHIC.  
- 1<sup>st</sup> order PT  
054909 (2000)

Iu. Karpenko, P. Huo  
vHLL code: free and  
Model tuned by  
Chiral EoS -  
J. Steinheimer,

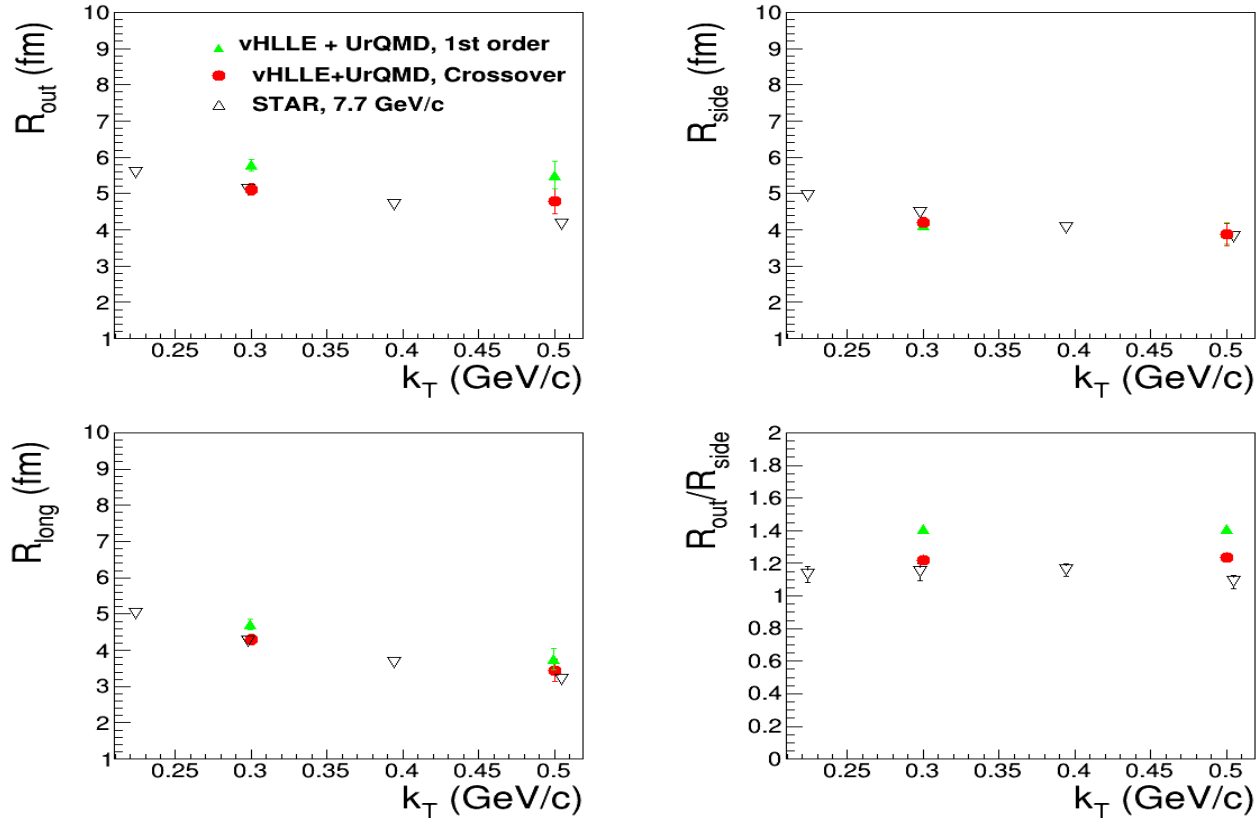
## vHLL+UrQMD



# Radii versus $k_T$ with vHLLE+UrQMD model

- Very first test with  $\sim 5000$  vHLLE+UrQMD events

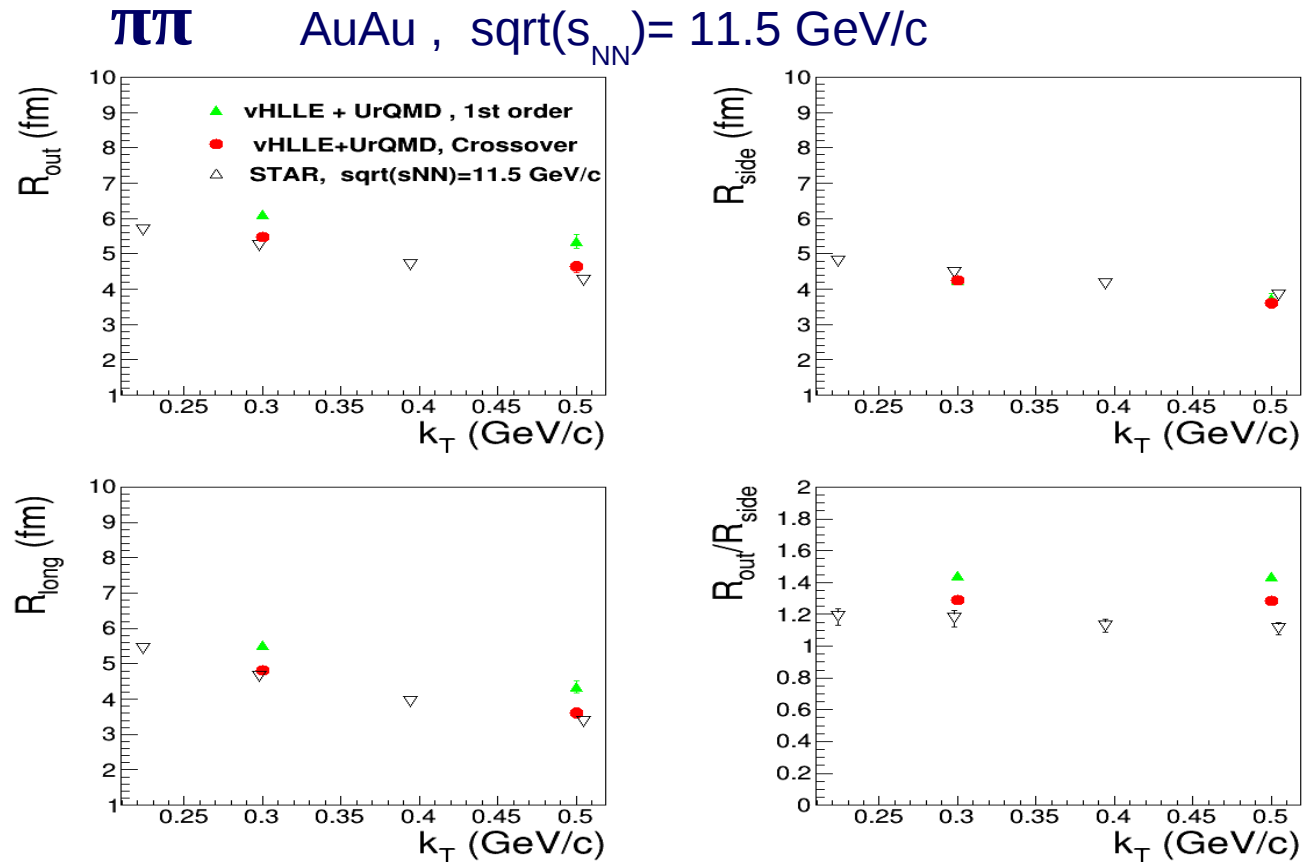
$\pi\pi$  AuAu,  $\sqrt{s_{NN}} = 7.7$  GeV/c



- $R_{long}^{1st\ order} > R_{long}^{Crossover}$ , difference  $< 0.5$  fm
- $R_{out}/R_{side}^{1st\ order} > R_{out}/R_{side}^{Crossover}$
- It looks like vHLLE+UrQMD model with Crossover describes STAR data better than the one with 1<sup>st</sup> order PT, but more detailed study is needed

# Radii versus $k_T$ with vHLLE+UrQMD model

- Very first test with  $\sim 20000$  vHLLE+UrQMD events



- $R_{long}^{1st\ order} > R_{long}^{Crossover}$ , difference  $\sim 0.5$  fm
- $R_{out}/R_{side}^{1st\ order} > R_{out}/R_{side}^{Crossover}$
- model with Crossover PT describes STAR data better than with  $1^{st}$  order PT

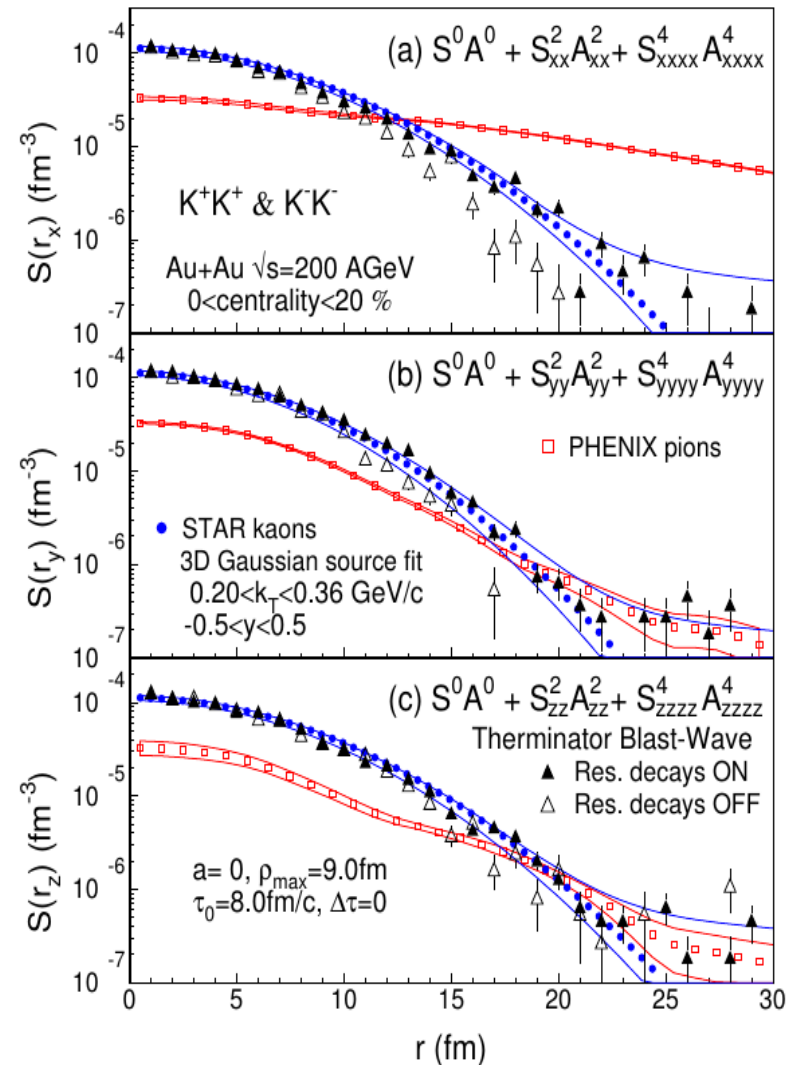
# Imaging

- PHENIX and STAR collaborations apply a new “imaging technique” to extract the  $S(r^*)$ -source function, which represents time-integrated distribution of particle emission points separation  $r^*$  in the pair rest frame (PRF).

$$C(\mathbf{q}) - 1 \equiv R(\mathbf{q}) = \int (|\phi(\mathbf{q}, \mathbf{r})|^2 - 1) S(\mathbf{r}) d\mathbf{r},$$

- The method is suitable for extracting the  $S(r)$  directly from the data without any hypothesis about source shape; it seems to be very useful for comparison of the experimental data with the models with 1PT or Crossover EoS.

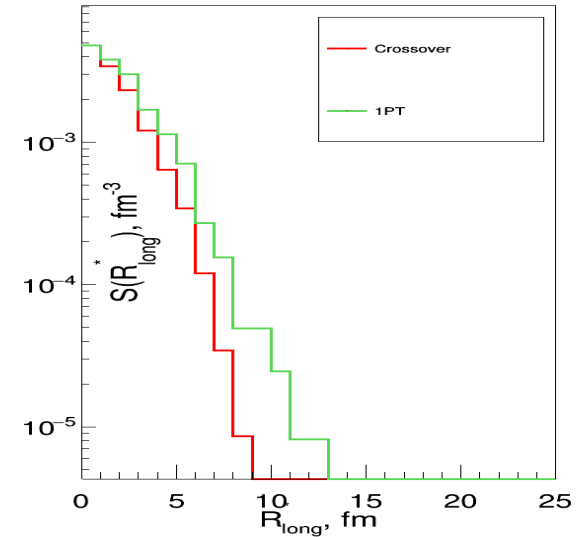
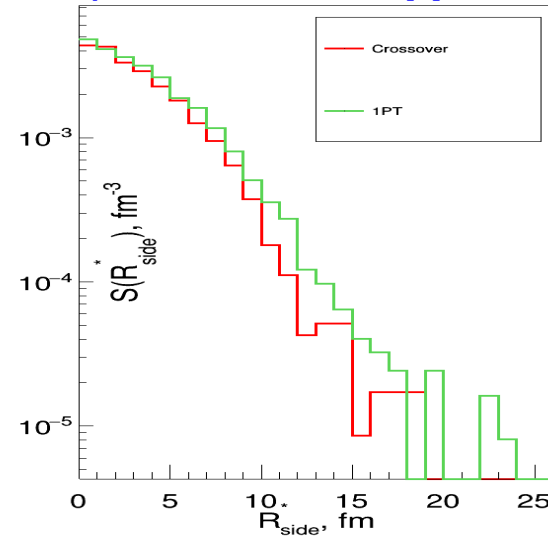
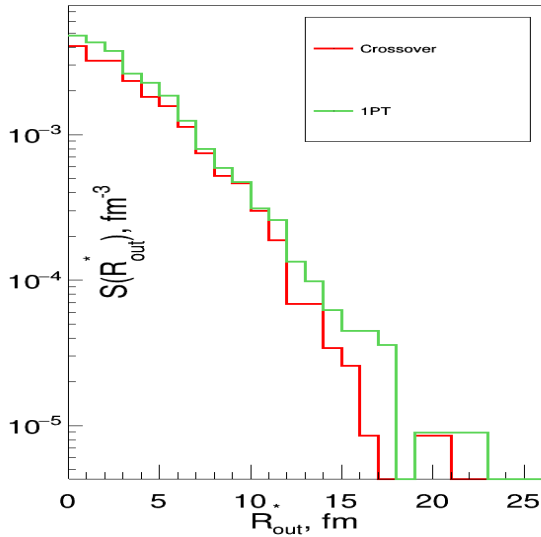
STAR, Phys.Rev. C88 (2013) 3, 034906



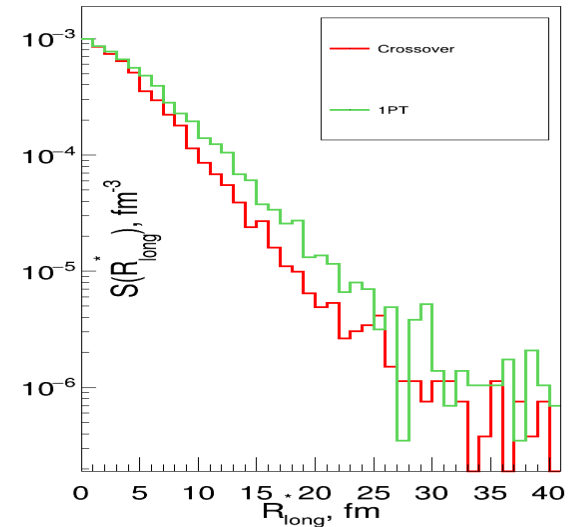
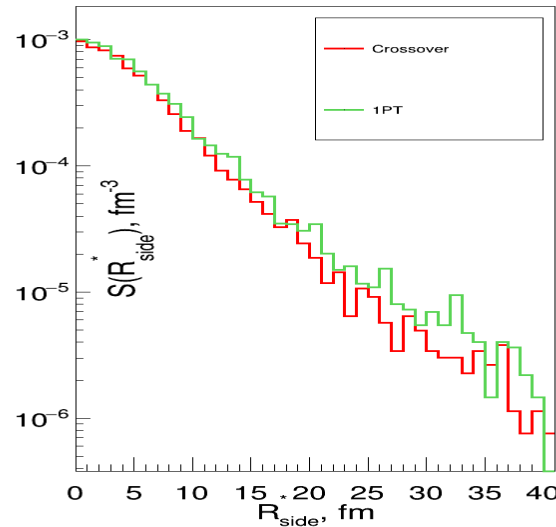
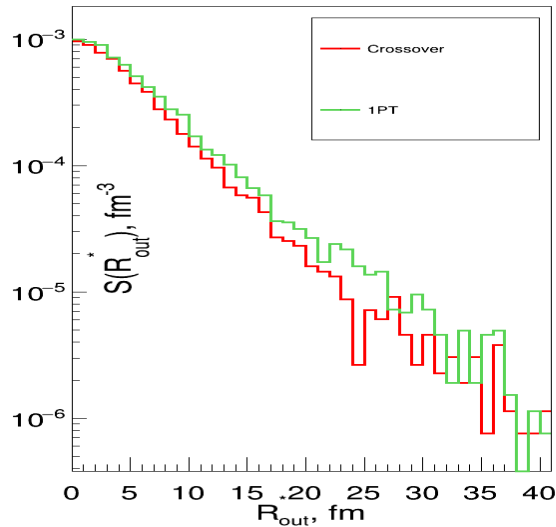
# Source Function with vHLLE + UrQMD model

VHLLE

sqrt(sNN) = 7.7 GeV : S(r) for  $\pi\pi$



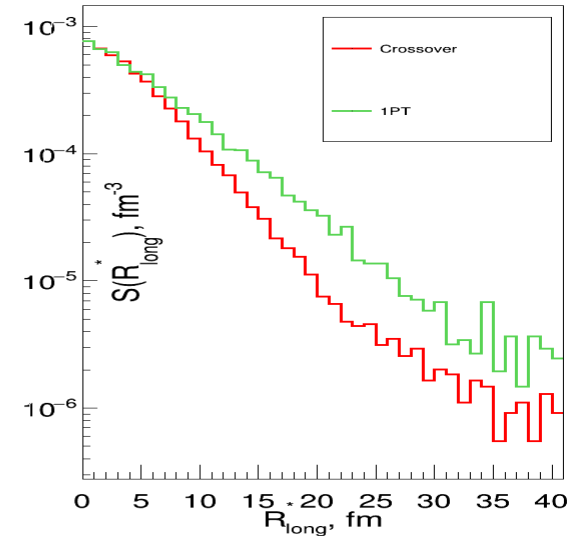
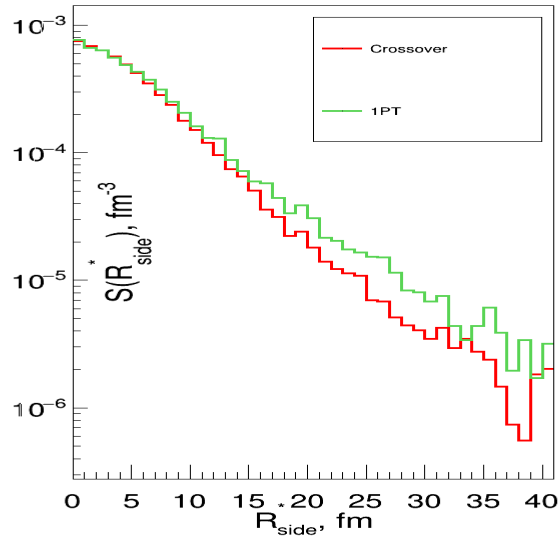
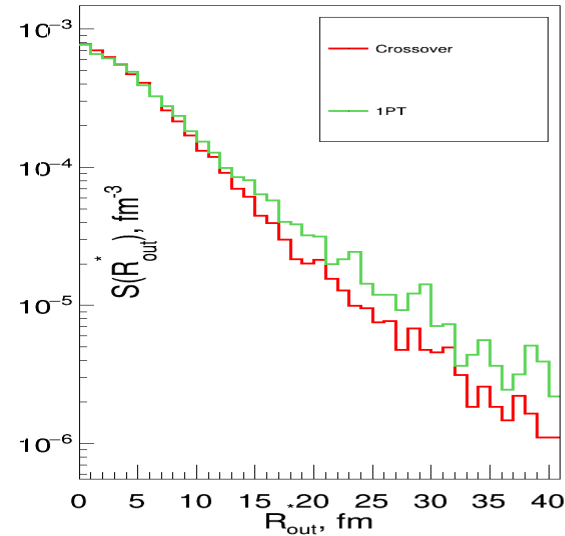
VHLLE + UrQMD



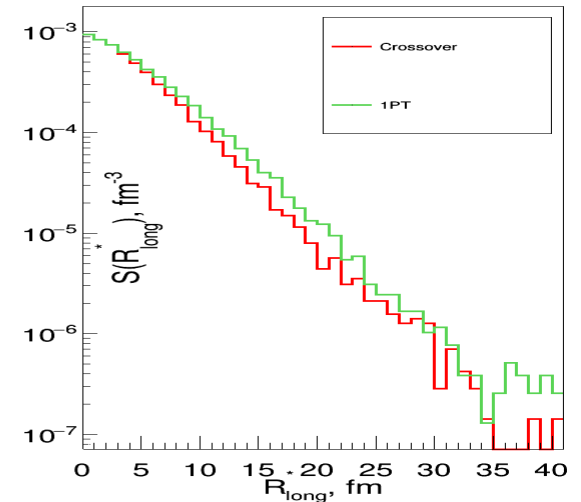
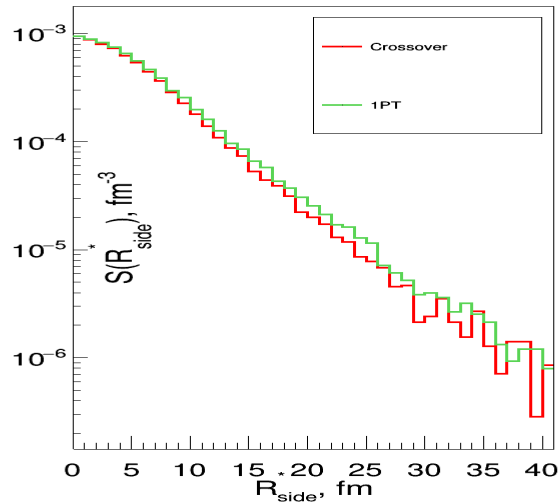
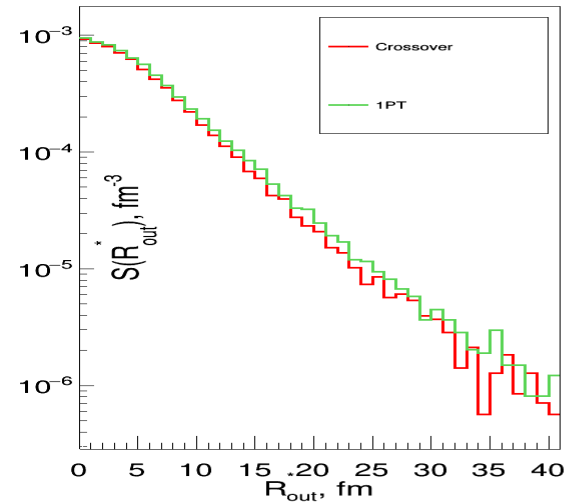
# Source Function with vHLLE + UrQMD model

VHLLE

sqrt(sNN) = 11.5 GeV : S(r) for  $\pi\pi$



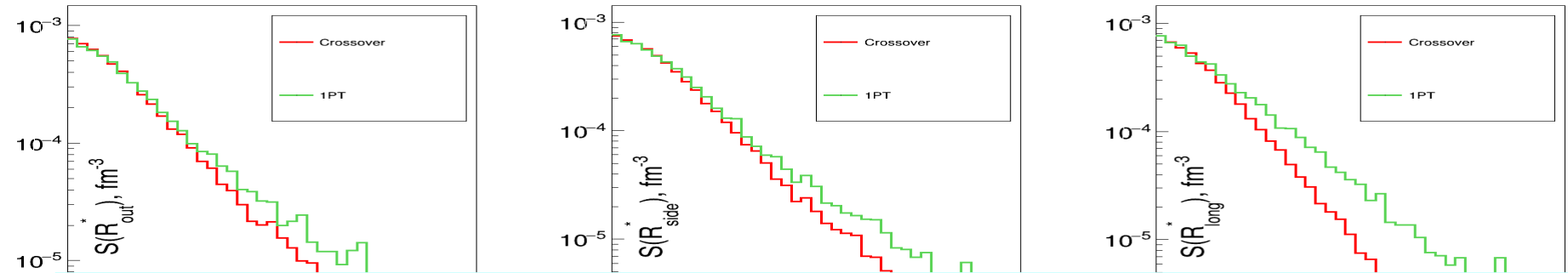
VHLLE + UrQMD



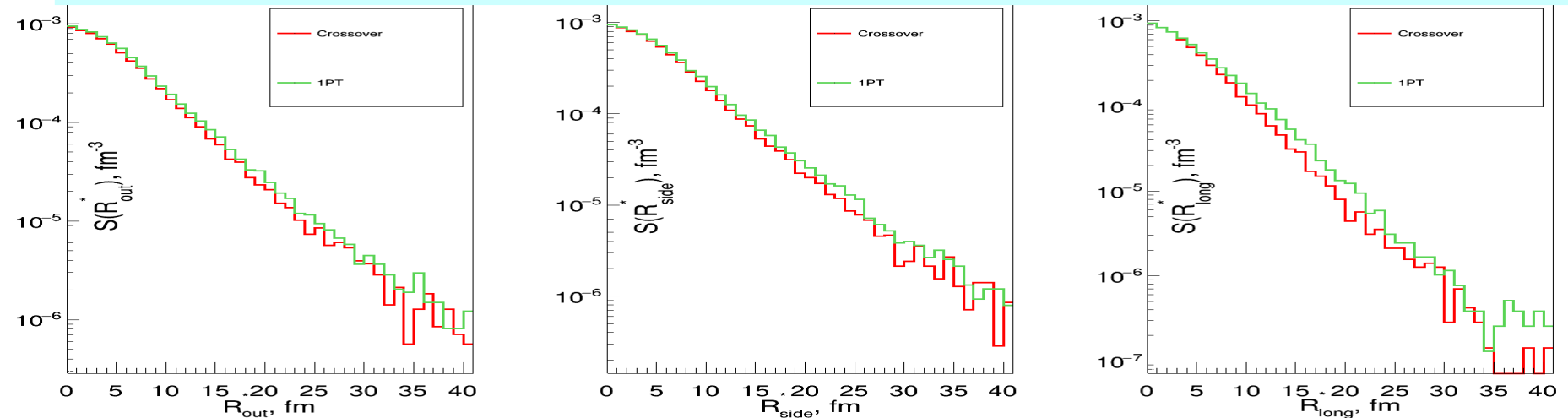
# Source Function with vHLLE + UrQMD model

VHLLE

sqrt(sNN) = 11.5 GeV : S(r) for  $\pi\pi$

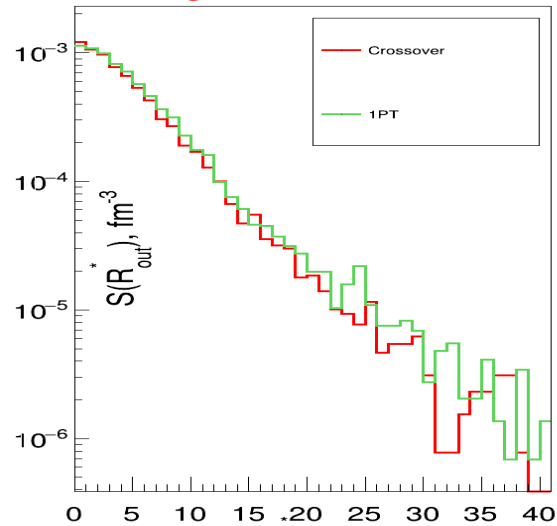


For the calculations with pure hydro vHLLE with 1<sup>st</sup> order PT the tails of source functions are longer than those obtained with crossover PT.  
For the calculations with cascade the difference is smeared but also seen.  
The largest difference is observed for  $R_{\text{long}}$

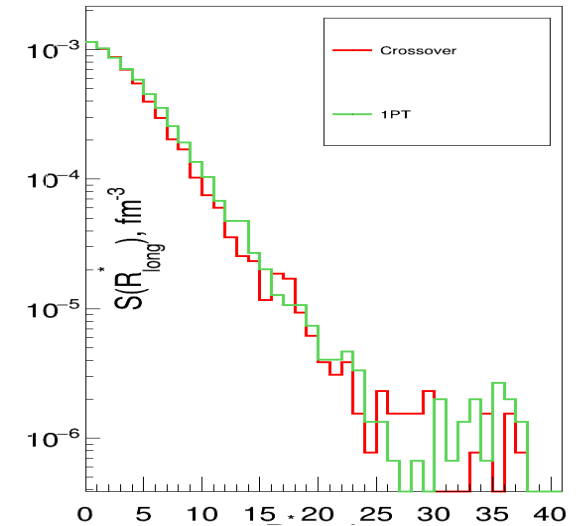
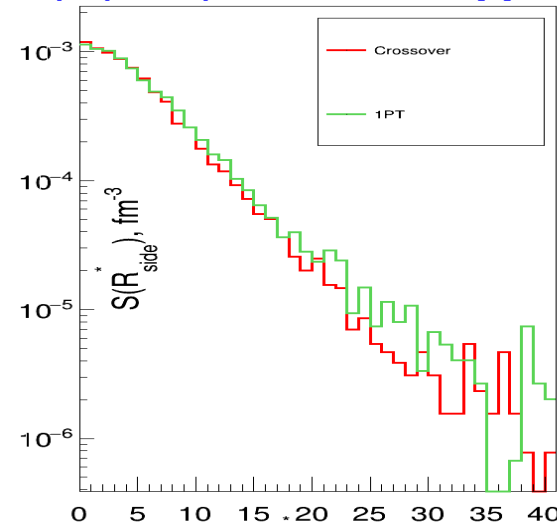


# Source Function with UrQMD 3.4 model

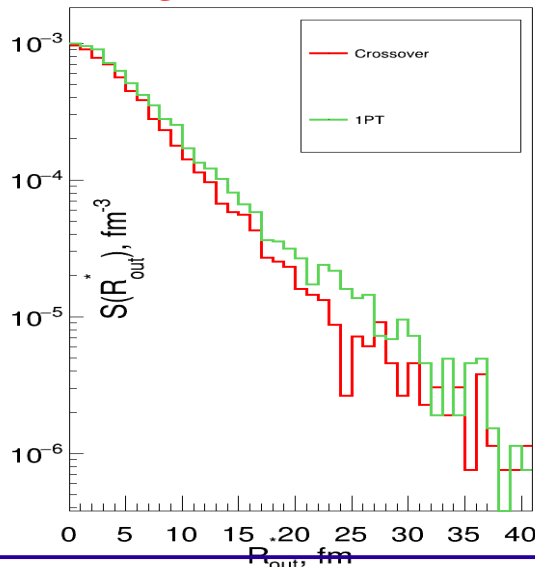
## UrQMD-3.4



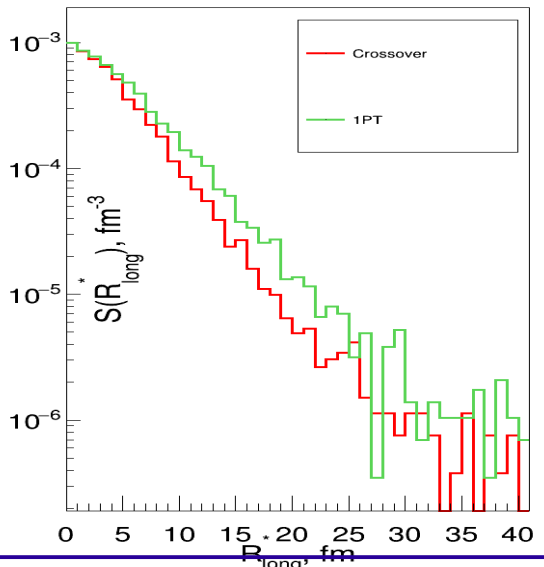
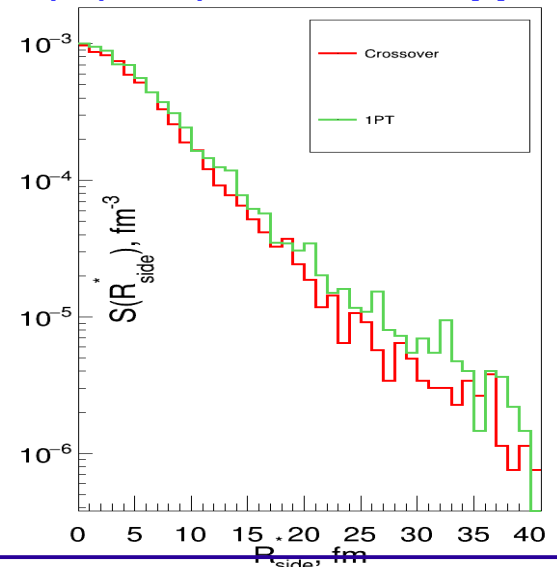
## $\sqrt{s_{NN}} = 5$ GeV : $S(r)$ for $\pi\pi$



## UrQMD-3.4



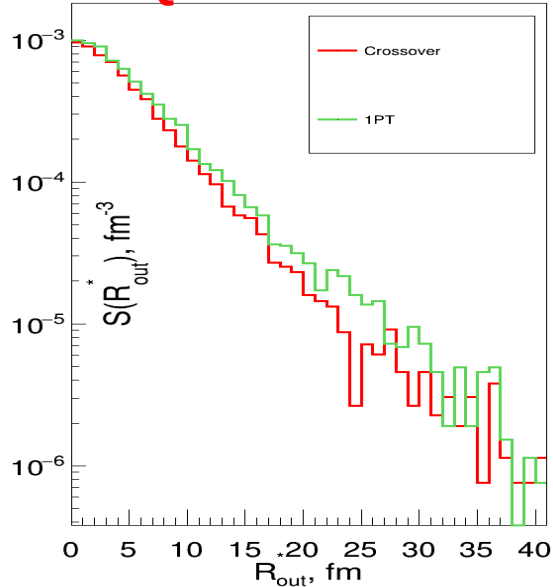
## $\sqrt{s_{NN}} = 7$ GeV : $S(r)$ for $\pi\pi$



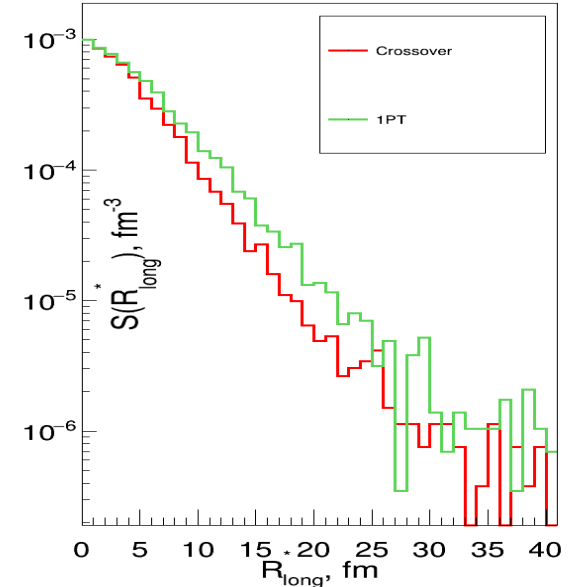
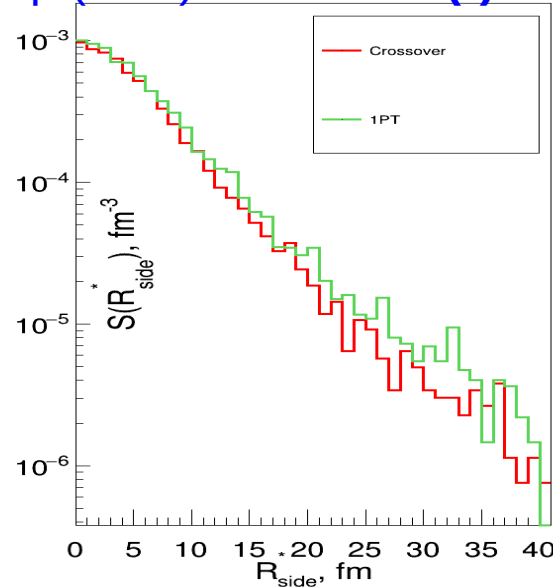


# Source Function with UrQMD 3.4 model

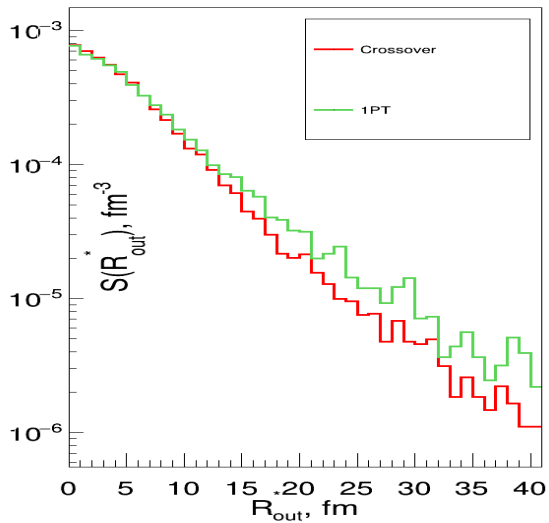
UrQMD-3.4



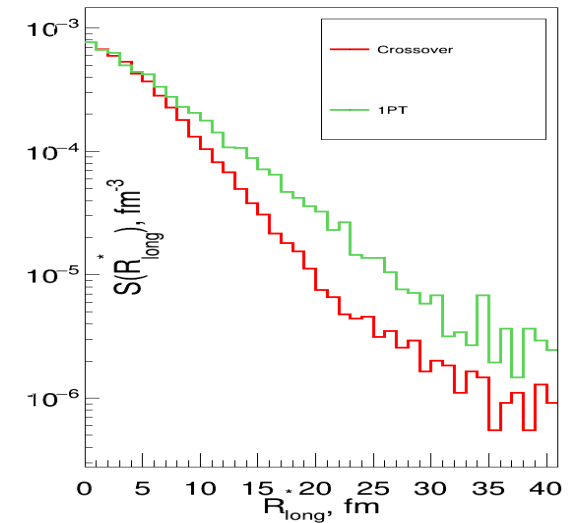
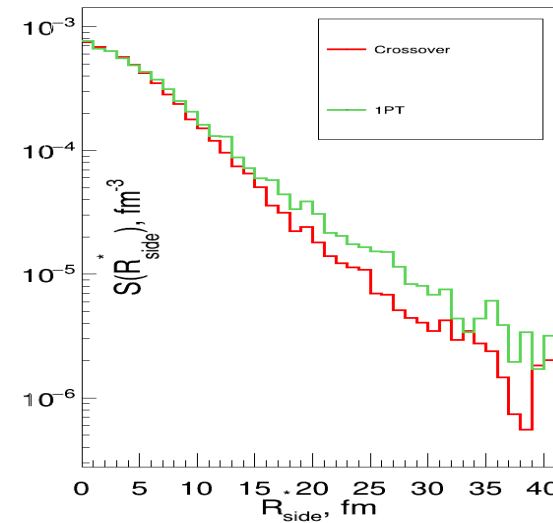
$\sqrt{s_{NN}} = 9$  GeV :  $S(r)$  for  $\pi\pi$



UrQMD-3.4



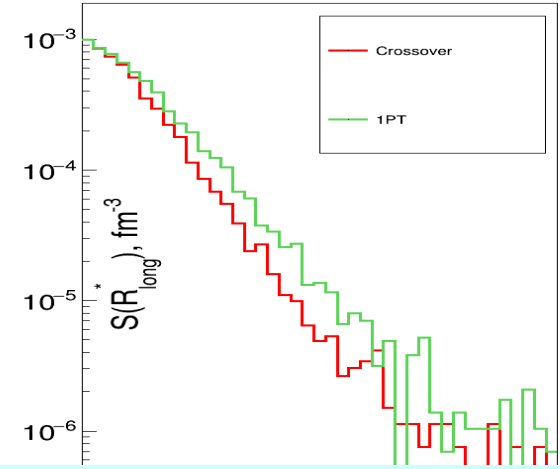
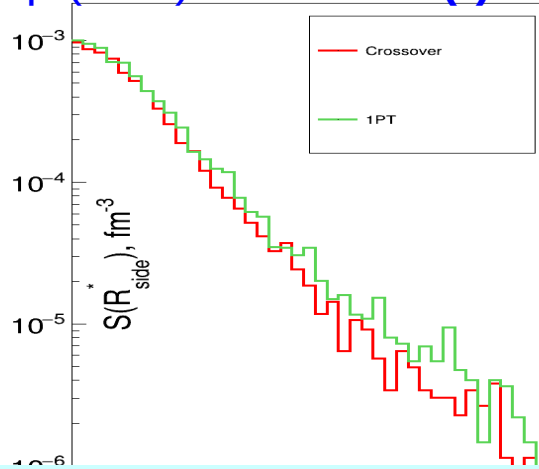
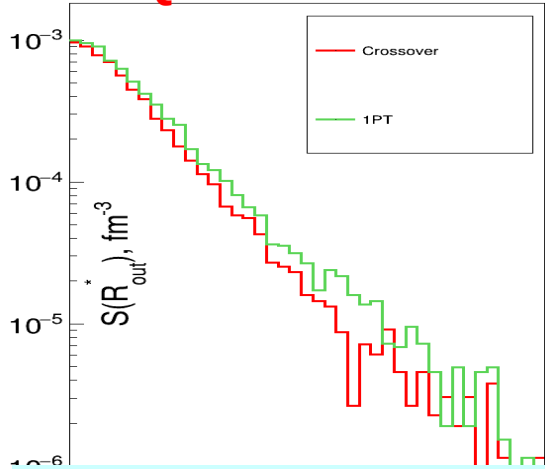
$\sqrt{s_{NN}} = 11$  GeV :  $S(r)$  for  $\pi\pi$



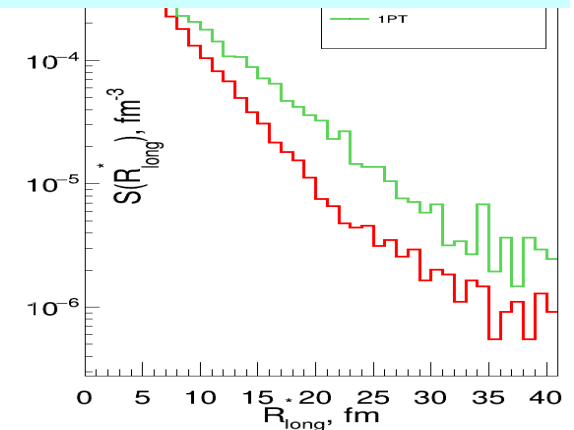
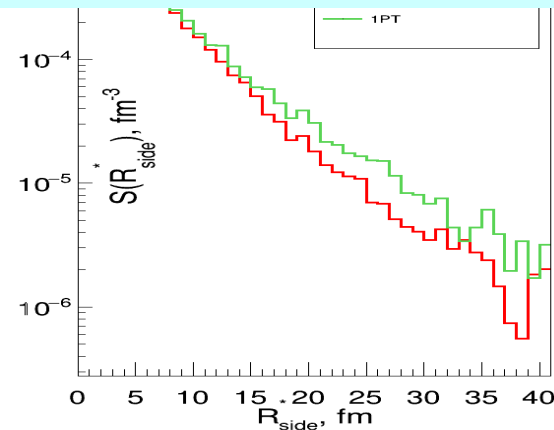
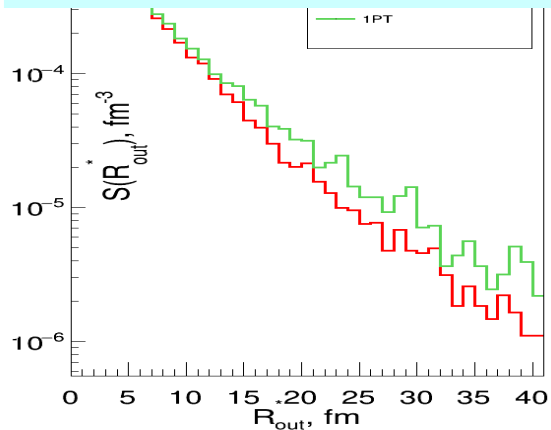
# Source Function with UrQMD 3.4 model

UrQMD-3.4

$\sqrt{s_{NN}} = 9 \text{ GeV} : S(r)$  for  $\pi\pi$



For the calculations with 1<sup>st</sup> order PT the tails of source functions are longer than those obtained with crossover PT.  
The largest difference is observed for  $R_{long}$

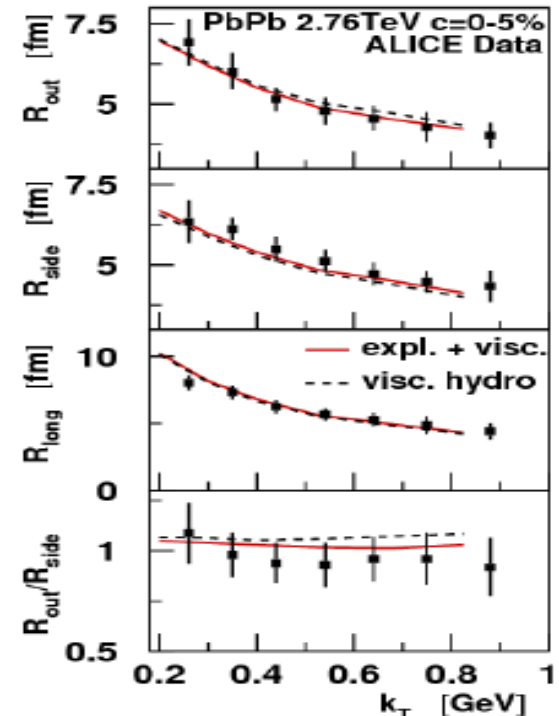
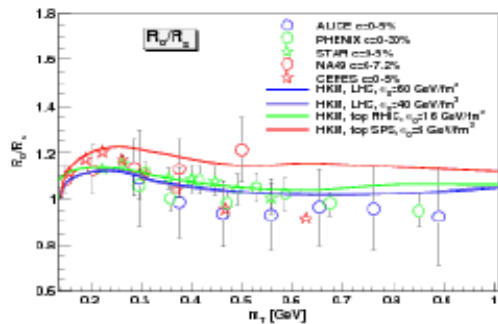
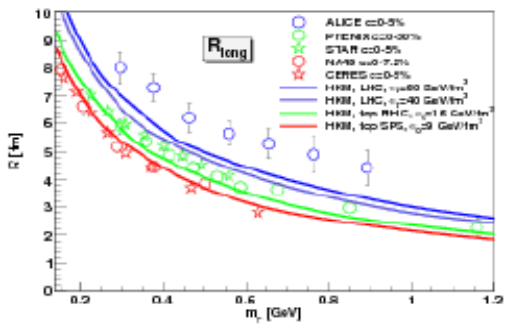
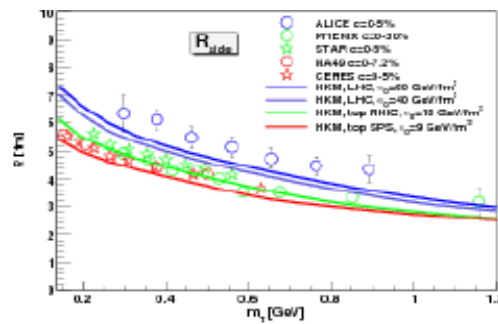
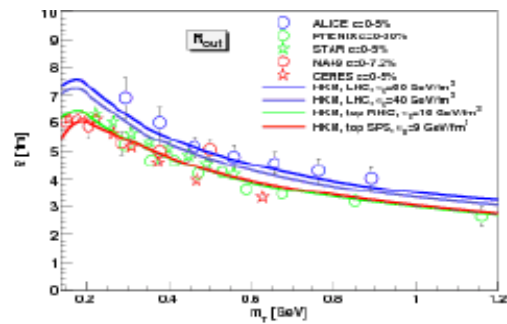


# Summary & Plans

- Possibility to distinguish between hybrid model source functions with 1<sup>st</sup> order phase transition and crossover was studied using vHLLE+UrQMD and UrQMD34 models.
- Hydro phase lasts longer with 1<sup>st</sup> order PT.
- Hadronic cascade strongly affects the source functions, but there is still a possibility to distinguish between 1<sup>st</sup> order and Crossover using this technique.
- We are planning to continue these studies with larger statistics for pions and kaons
- vHLLE+UrQMD model with Crossover describes RHIC femtoscopy radii at  $\sqrt{s_{NN}} = 7.7-11.5$  GeV better than with 1<sup>st</sup> order PT
- $R_{long}$  radii for 1<sup>st</sup> order  $>$   $R_{long}$  Crossover, difference is rather small for low energies
- $R_{out}/R_{side}$  for 1<sup>st</sup> order  $>$   $R_{out}/R_{side}$  Crossover, difference is rather small for low energies
- We are planning to study the non-Gaussian tails of CF using different parametrizations: e.g Hump or Edgeworth parametrizations.

**Additional slides**

# Theoretical interpretations for LHC



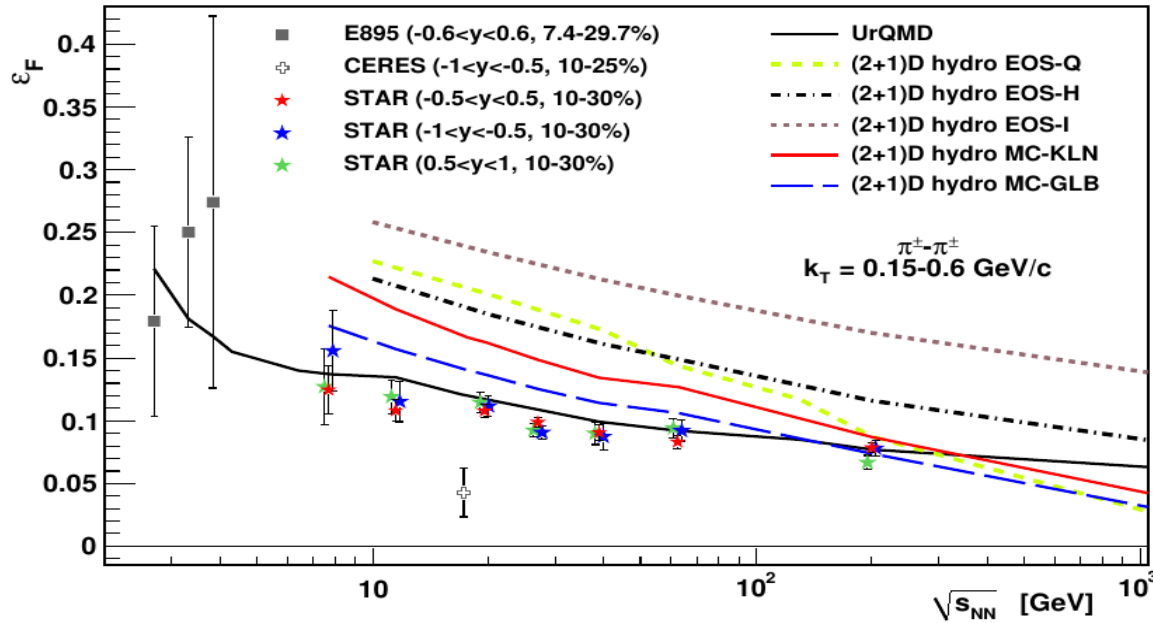
Yu. Karpenko, Yu. Sinyukov, Phys.Lett. B688 (2010) 50-54  
**Hydro-Kinetic Model: the same hydrokinetic basis as that used for RHIC** supplemented with hadronic cascade model at the latest stage of the evolution: **The following factors are important:** presence of pre-thermal transverse flow, crossover transition between quark-gluon and hadron medium, non-hydrodynamic behavior of the hadron gas at the latest stage, and correct matching of hydrodynamic and non-hydrodynamic stages.

P. Božek, Phys.Rev. C83 (2011) 044910  
**3D relativistic viscous hydrodynamics.** Glauber model initial conditions EoS based on lattice results and hadron-gas model - crossover.  
**The viscosity and the EoS are the same as those used for RHIC energies.**

# Az-femtoscopy

STAR arxiv 1403.4972 [hep-exp]

Dependence of the kinetic freeze-out eccentricity for pions on collision energy



$$\varepsilon_F = \frac{\sigma_y'^2 - \sigma_x'^2}{\sigma_y'^2 + \sigma_x'^2} \approx 2 \frac{R_{s,2}^2}{R_{s,0}^2}$$

From: F. Retière and M. A. Lisa,  
Phys. Rev. C 70, 044907 (2004)

$$\sigma_x^2 = \{x^2\} - \{x\}^2 \quad \text{in-plane}$$

$$\sigma_y^2 = \{y^2\} - \{y\}^2 \quad \text{out-of-plane}$$

The prediction of the Boltzmann transport model, UrQMD matches most closely the freeze-out shape at all energies. UrQMD does not require assumptions about how freeze-out occurs; the model is 3D and does not require boost-invariance, therefore, it is equally applicable at all the studied energies.