



Testing & improvement of inelastic πA, KA & anti-pA cross-sections

Mikhail Kosov, 14th Geant4 Users and Collaboration Workshop, 2009



## Introduction

- The inelastic cross-sections are improved for the new one-model CHIPS physics list
  - □ The pA and nA cross-sections are already improved 2 years ago
  - $\square$  CHIPS  $\pi A$  cross-sections are competitive with Barashenkov XS
  - ☐ The existing GEISHA K+A cross-sections are bad for CHIPS
  - □ CHIPS improvement of anti-pA cross-sections is significant
- The main points of the improvement
  - $\square$  Coulomb barrier for positive hadrons (p,  $\pi^+$ , K<sup>+</sup>)
  - Melting of resonances at intermediate energies
  - □ Evolution of the cross-section minimum because of PPP vertex
  - ☐ Glauber calculation using CHIPS hA cross-sections (dashed)
  - $\square$  Total to Inelastic Glauber reduction ( $\sigma_{in}/\sigma_{tot}$  coefficient)



## CHIPS parameterization of $\sigma_{in}$ ( $\pi A$ , $K^-A$ )

Parameterization of  $\pi$ -A and  $\pi$ +A inelastic cross-sections:

$$\sigma_{\pi D} = \sum_{i=1}^{3} \frac{V_i}{(\ln p - B_i)^2 + C_i^2} + \frac{D \cdot (\ln p - E)^2 + F + G / \sqrt{p}}{1. + H / p^4}$$

$$\sigma_{\pi^- A} = \frac{V(A)}{(\ln p - B(A))^2 + C(A)^2} + \frac{(\ln p - 4.2)^2 + F(A)}{1 + H(A) / p^4}$$

$$\sigma_{\pi^- A} = \frac{V(A)}{[(\ln p - B(A))^2 + C(A)^2][1 + D(A) / p^2]} + \frac{(\ln p - 4.2)^2 + F(A)}{1 + H(A) / p^4}$$

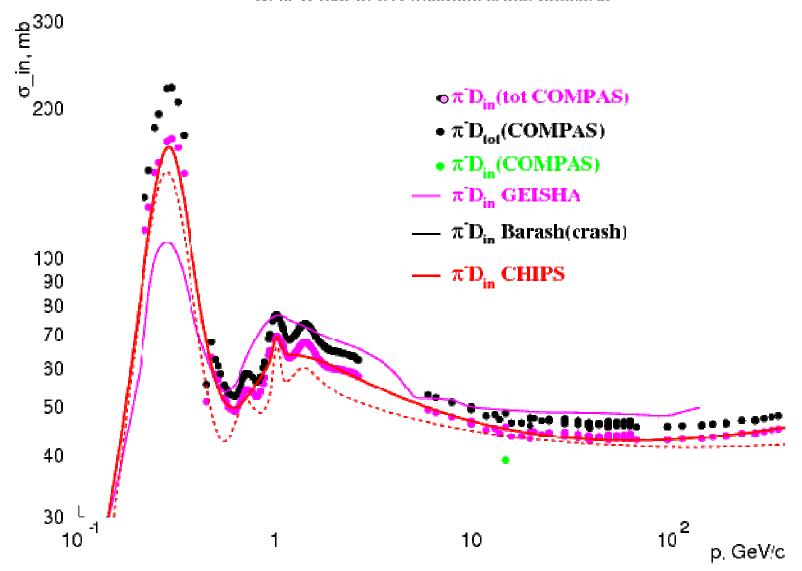
Parameterization of K-A inelastic cross-sections:

$$\sigma_{K^{-}D} = \frac{W}{p\sqrt{p}} + \sum_{i=1}^{2} \frac{V_{i}}{(p - B_{i})^{2} + C_{i}^{2}} + \frac{D \cdot (\ln p - E)^{2} + F}{1. + G/\sqrt{p} + H/p^{4}}$$

$$\sigma_{K^{-}A} = \frac{W(A)}{p\sqrt{p}} + \frac{V(A)}{(p - 1.)^{2} + C(A)^{2}} + \frac{(\ln p - 4.2)^{2} + F(A)}{1 + G(A)/\sqrt{p} + H(A)/p^{4}}$$

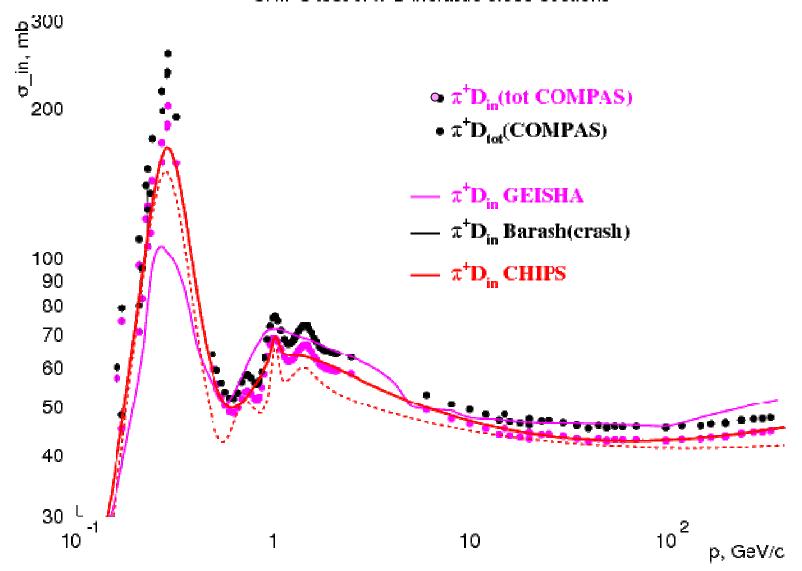


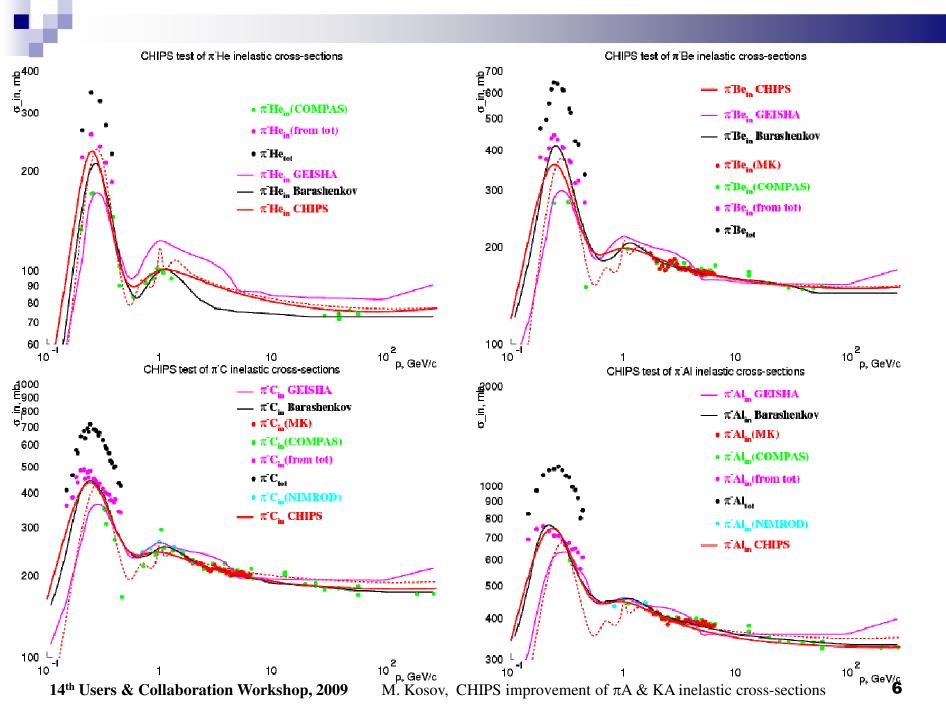
#### CHIPS test of $\pi$ ID inelastic cross-sections

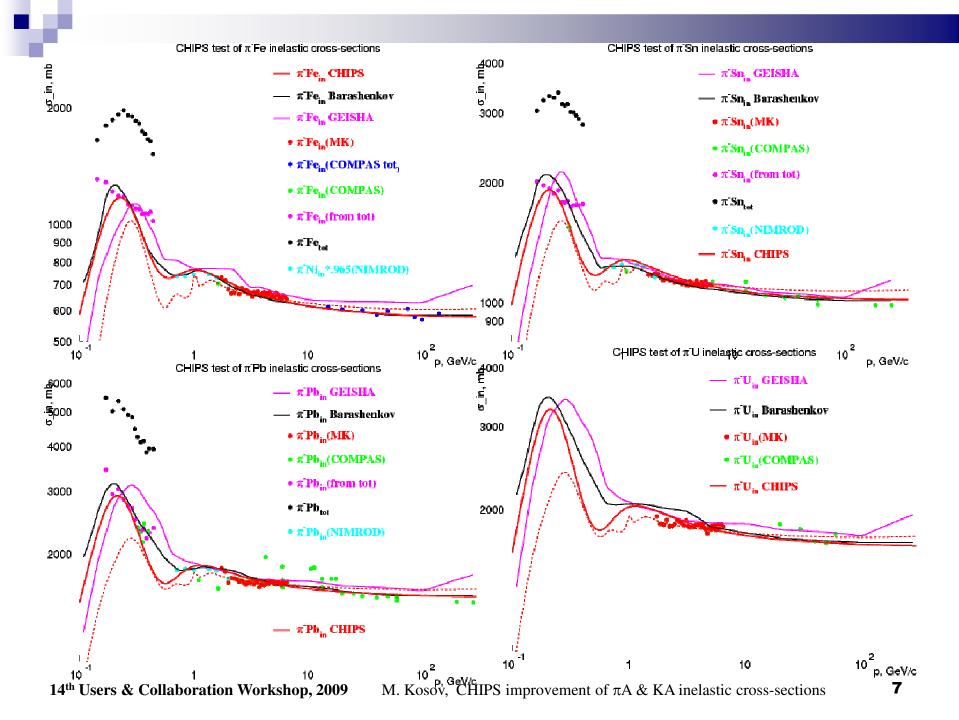


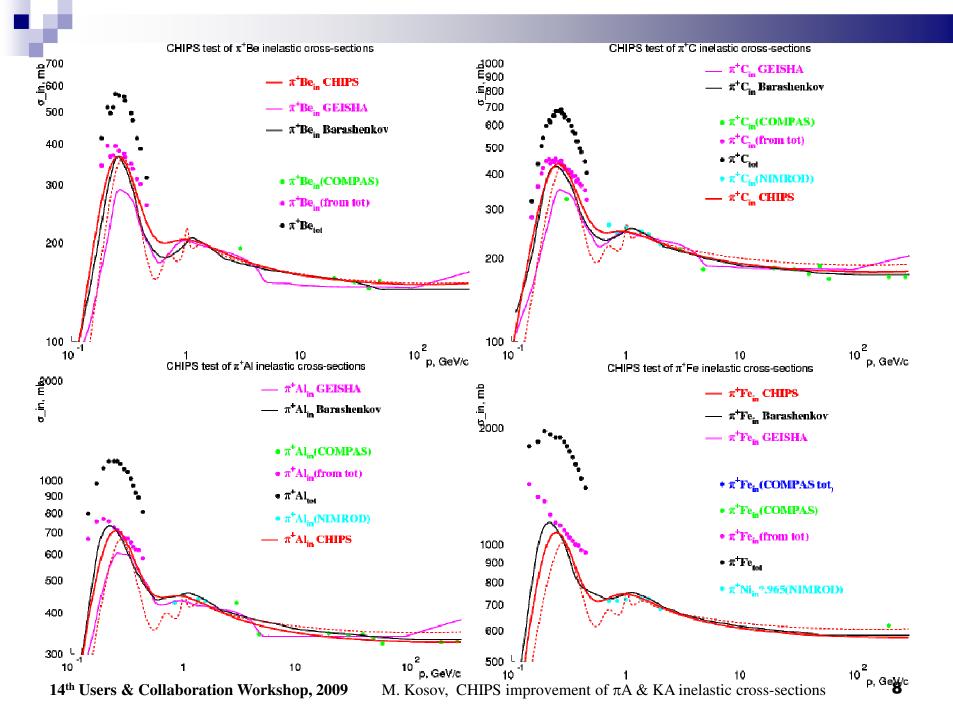


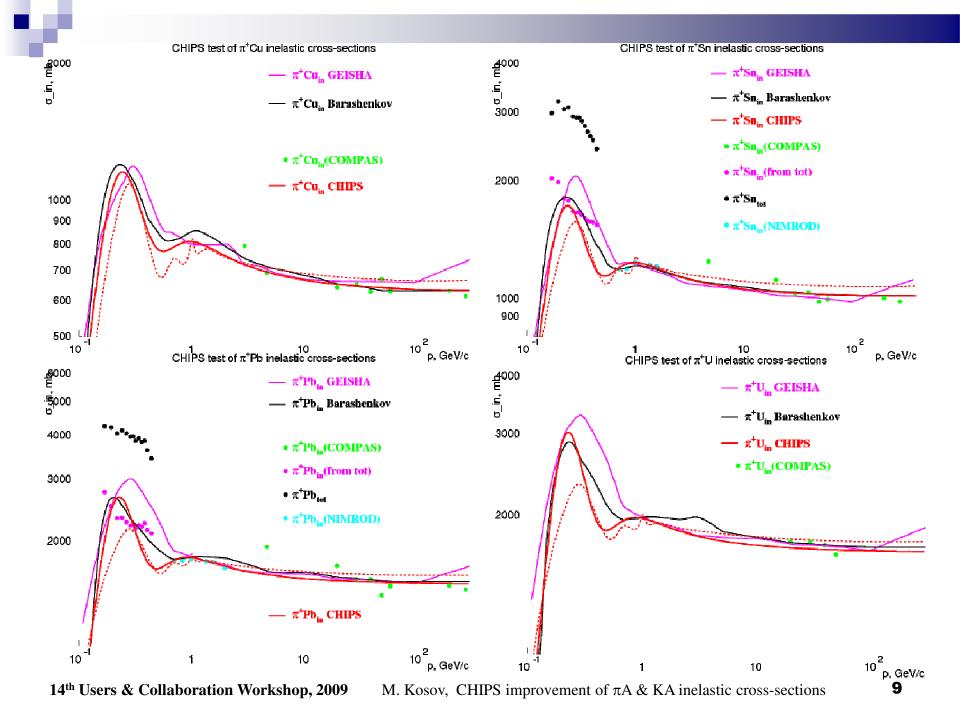
#### CHIPS test of $\pi^{+}D$ in elastic cross-sections





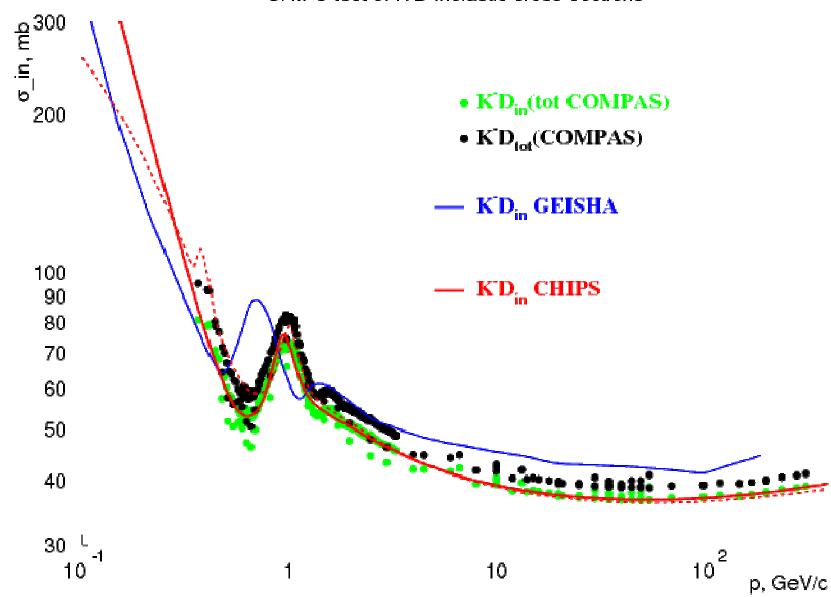


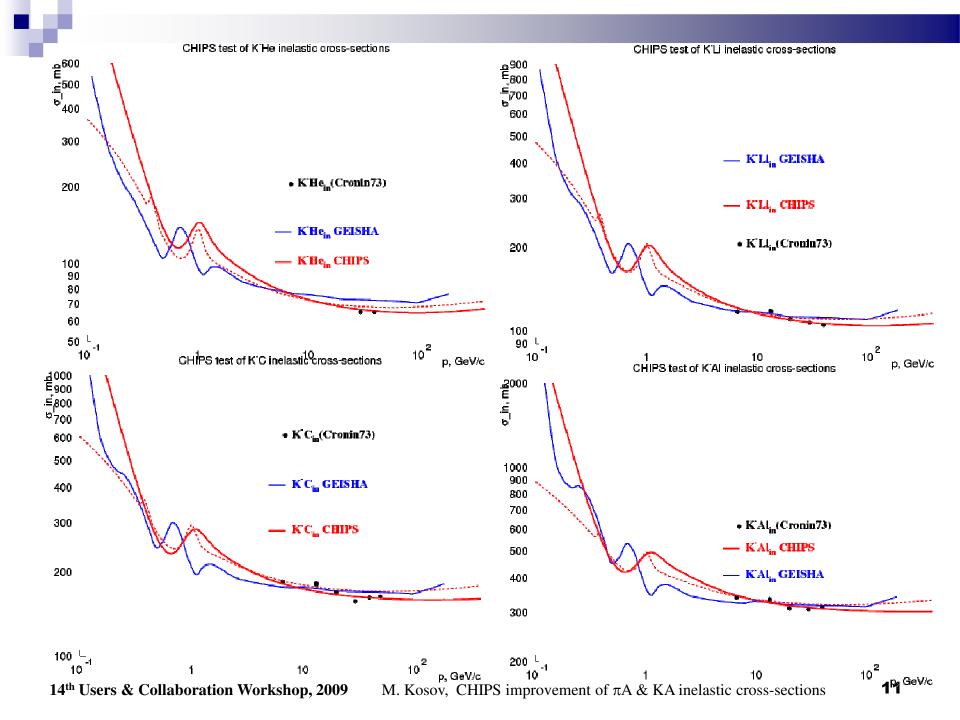


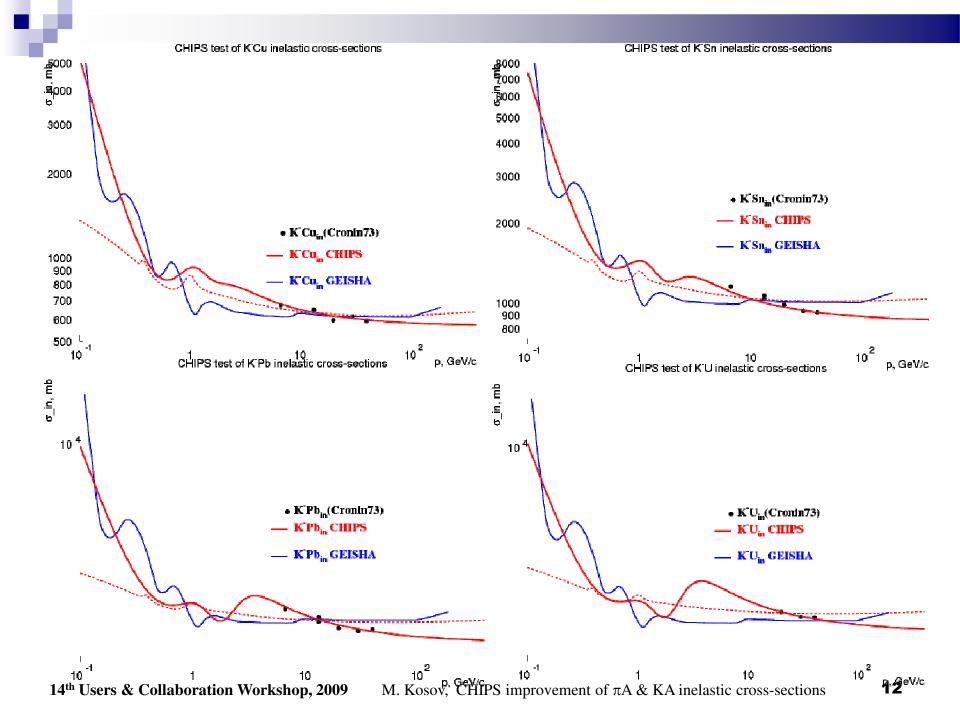




#### CHIPS test of KTD inelastic cross-sections







## Preliminary CHIPS fit for $\sigma_{in}$ (K+A,anti-pA)

Parameterization of K<sup>+</sup>A inelastic cross-section:

$$\sigma_{K^{+}D} = \frac{V}{(p-B)^{2} + C^{2}} + \frac{D \cdot (\ln p - E)^{2} + F}{1 + G/\sqrt{p} + H/p^{4}}$$

$$\sigma_{K^{+}A} = (\sum_{i=1}^{2} \frac{V(A)}{(p-B(A))^{2} + C(A)^{2}}) / (1 + \frac{p^{12}}{A^{8}}) + \frac{(\ln p - 4.2)^{2} + F(A)}{1 + G(A) / \sqrt{p} + H(A) / p^{4}}$$

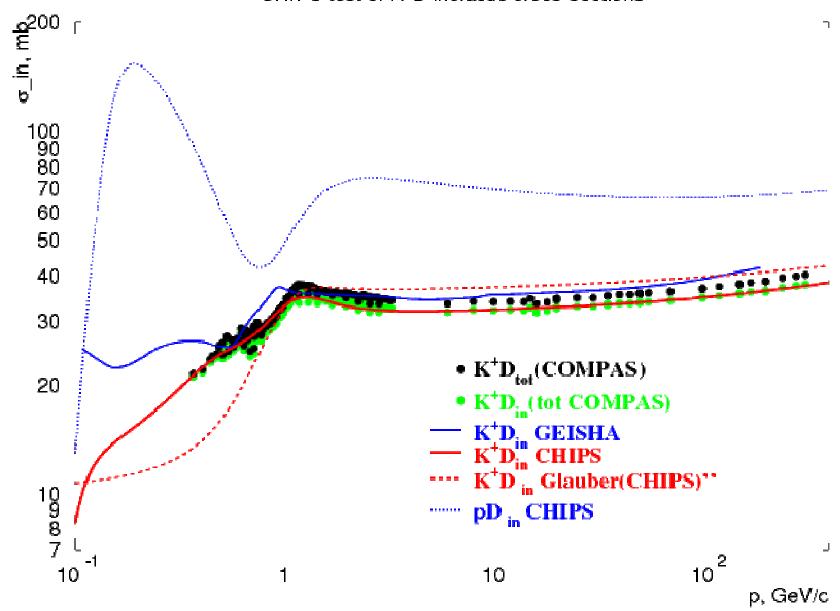
Parameterization of anti-pA inelastic cross-section:

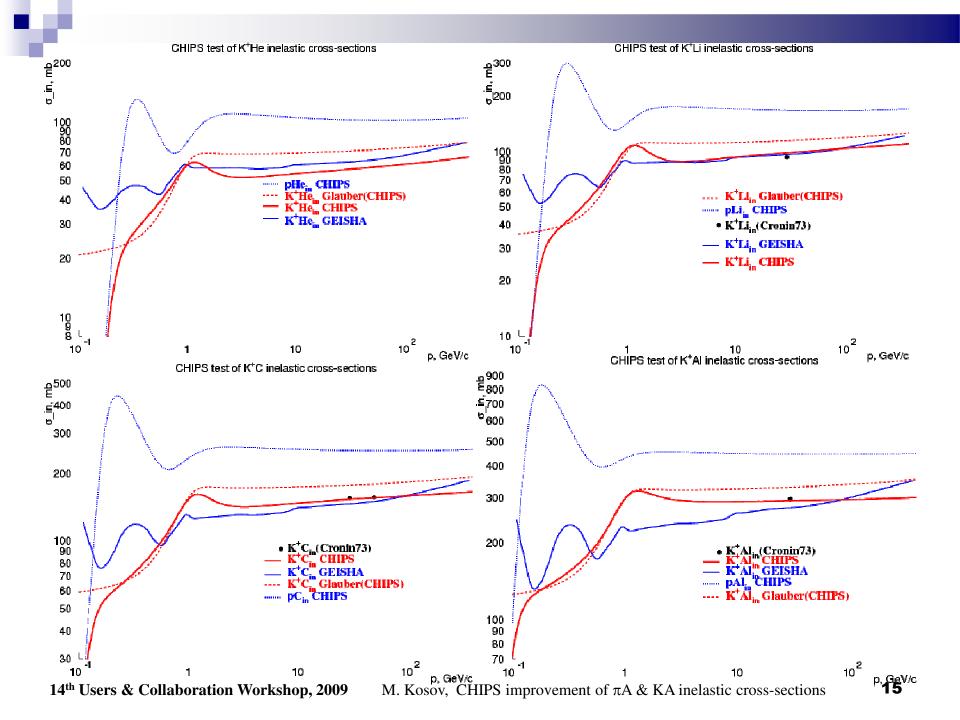
$$\sigma_{anti-pD} = G \cdot p^{-2/3} + H \cdot p^{-1/3} + D \cdot (\ln p - E)^2 + F$$

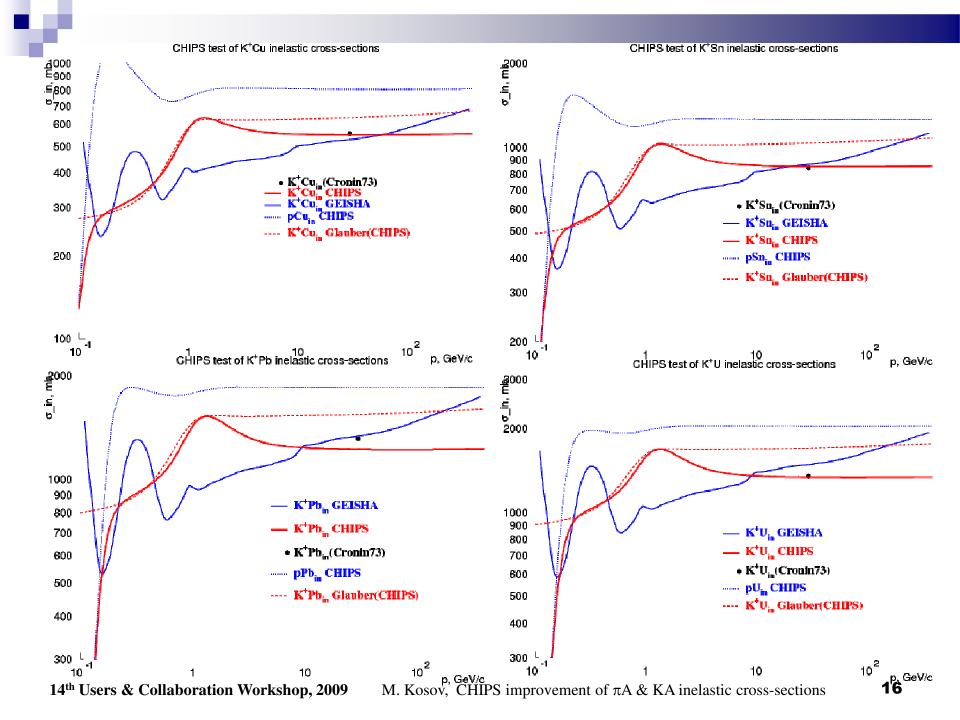
$$\sigma_{anti-pA} = D(A) + (\ln p - 4.2)^2 + F(A) / \sqrt{p}$$



#### CHIPS test of K<sup>+</sup>D inelastic cross-sections

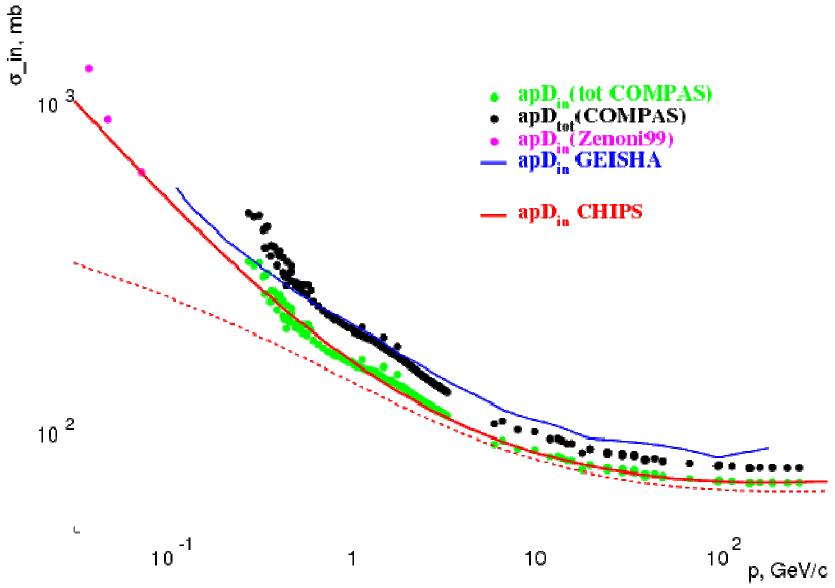


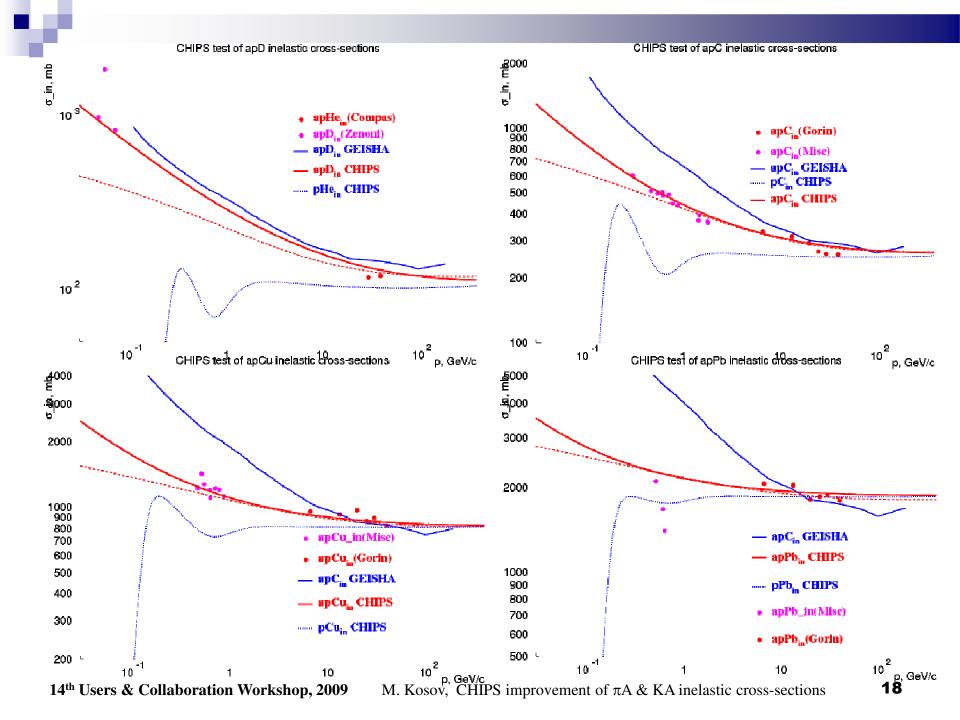






#### CHIPS test of apD inelastic cross-sections







### **Conclusion**

- Now the updated CHIPS inelastic cross-section update is almost ready for the CHIPS Phys. List
- The only scope to be covered is Hyperon-nuclear reactions for which there is no data: do similar to NA inelastic cross-sections with CHIPS Glauber
- A lot should be done for elastic cross-sections fit, but now the strategy is different (w.r.t.``` NA): use  $\sigma_{el}$ ("ex")= $\sigma_{tot}$ (ex)- $\sigma_{in}$ (CHIPS)
- In November 2009 the first one-model CHIPS physics list can be implemented for testing; the inelastic cross-sections is the first thing to test
- Other G4 models can use CHIPS cross-sections



## Thank you

# Backup slides following