in severely curved driving of IRWs system

A study on the control method of lateral displacement and yaw angle JunHui Won¹, KyungJin Joo¹, GangSeok Lee¹, Ju Lee¹, SeungJoo Kim²

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This paper proposes an optimal control algorithm through lateral displacement and yaw angle in curved road of shallow-depth subway systems. In the case of the surface transportation, which has recently been introduced, severe curved driving performance is required for the downtown. The existing researches are the main research theme of the lateral displacement restoration control, but there is a limit to smooth operation when the curv run only by receiving the lateral information. However, when the yaw angle information is obtained, it is possible to consider the turning angle of the vehicle w the vehicle is driving in a curved road. However, it is difficult to control because the change of yaw angle is more sensitive than lateral drift. Therefore, this paper suggests an algorithm that uses both lateral displacement control and yaw control. The proposed method will be verified with Matlab/Simulink model and the effectiveness of the proposed method will be verified through small-scale bogie system.

Large size Co-Extrusion wheelsets The model of the SPMSM of designed SPMSM independently rotating wheelsets Permanent + second [s] 1.295 1.29 1.285

Introduction

The motor of independently rotating selected model accordance to performance of control to independently control 4 motors. Magnetic torque and reluctance torque are the two torques that exist in the motor. In the case of reluctance torque, it occurs due to interaction of d-axis and q-axis currents. The controllability reduces compared to the magnetic torque that only uses daxis current. Thus, the motor was with SPMSM(Surface Magnet Synchronous Motor) using only the magnetic torque.

$e_y = y - y_c$ $\dot{e}_{y} = \dot{y} - \dot{y}_{c} = -V_{y} - V_{x}e_{\psi} = -\frac{l_{r}}{l}V_{x}\tan\delta_{f} - V_{x}e_{\psi} \approx -\frac{l_{r}}{l}V_{x}\delta - V_{x}e_{\psi}$ $\frac{e_{y}(k+1)-e_{y}(k)}{T}\approx\dot{e}_{y}(k)=-\frac{l_{r}}{l_{x}}V(k)\delta(k)-V_{x}(k)-e_{\psi}(k)$ $e_{y}(k+1) = e_{y}(k) - TV_{x}(k)e_{\psi}(k) - T\frac{l_{r}}{l}V(k)\delta(k)$ $e_{\psi}(k+1) = e_{\psi}(k) + T\dot{\psi}_{c}(k) - T\dot{\psi}(k)$ y: Lateral position of the origin of $\{xyz\}$ coordinate y_c : Lateral position of the lane center $V_{\rm r}$: longitudinal velocity at the center of vehicle $l_{f}(l_{r})$: longitudinal distance from the front (rear) wheel $l_{fr}: l_f + l_r$ wheelbase $\delta(\delta_{f}, \delta_{r})$: (front, rear) steering angle ψ : yaw, angle of vehicle

Mathematical Equation



Disturba

second(s)

restoring time

The left figure shows the result of the restoring control by controlling the lateral distance of the vehicle when the disturbance input is represented by the lateral distance, the yaw angle, and the q-axis current waveform

When the lateral distance restoring control is performed, the restoring time is required to be about 1.2 seconds, and it is necessary to reduce the restoring time.

1.285

1.28

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eral distance [cm] 88 88 88 81		1	1	ı Dis	turbance	estoring time		I-axis current [A]
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1.295						A		

Disturb

second(s)

restoring, time



clusion

ue ripple is smaller compared to the induction motor. Also, with the as the future traction motor. and also applied 1/5 scale for the small-

g can be maintained, which demonstrated the superiority of algorism. the small-scale bogie, it is considered that the algorism can be applied

l, the restoring time is required to be about 1.2 seconds, and it is

to control the front wheel acting as the steering wheel, and the rear

Hardware



DSP and inverters

Fig. used independent wheel motor to show the later recovering control test inverter and controller.

Because of the 1C2M system, there are 4 motors. DSP used TI28335, and because 12 switching signals can be created per 1 DSP, a total of 2 DSPs were used



The three images on the left are the waveforms of the newly designed lateral distance, yaw angle and q-axis current, respectively. In order to make the restoring time shorter than that of the lateral distance control, the front wheels receive the sensor in the other direction to control the front wheel acting as the steering wheel, and the rear wheel controls the lateral distance according to the conventional method. As a result, it took about 1 second restoring time when disturbance occurred than previous method.