

1. Background and objective

Coil assembly using multiple conductors with different I_c

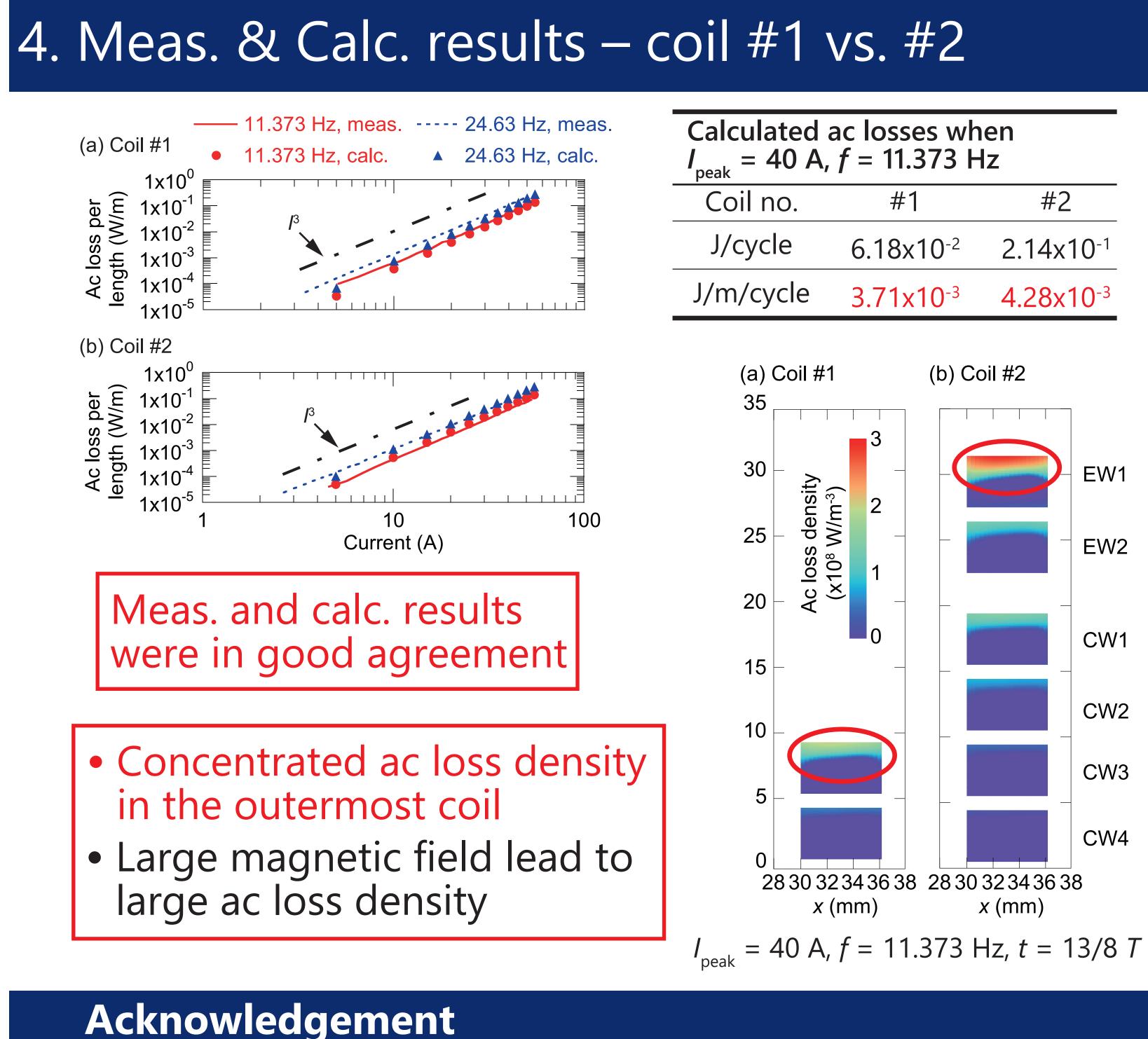
High I_c conductor at high normal magnetic field (I_c grading) can reduce whole ac loss in coil assembly

Low I conductor is relatevely cheap compared with high I_c conductor

Complicated ac loss density distribution

Ac loss characteristics in coil assemblies are complexity related to distribution of magnetic field seen by conductors

- Conducting cross-sectional electromagnetic field analyses for coil assemblies
- Revealing how coil geometries and conductors affect ac loss density distribution



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Comparison between AC loss measurements and analyses in coil assemblies with different geometries and conductors

EW1 EW2 CW1 CW2 CW3 CW4

2. Analysis method and analyzed coils

Equation to be solved in cross-sectional model

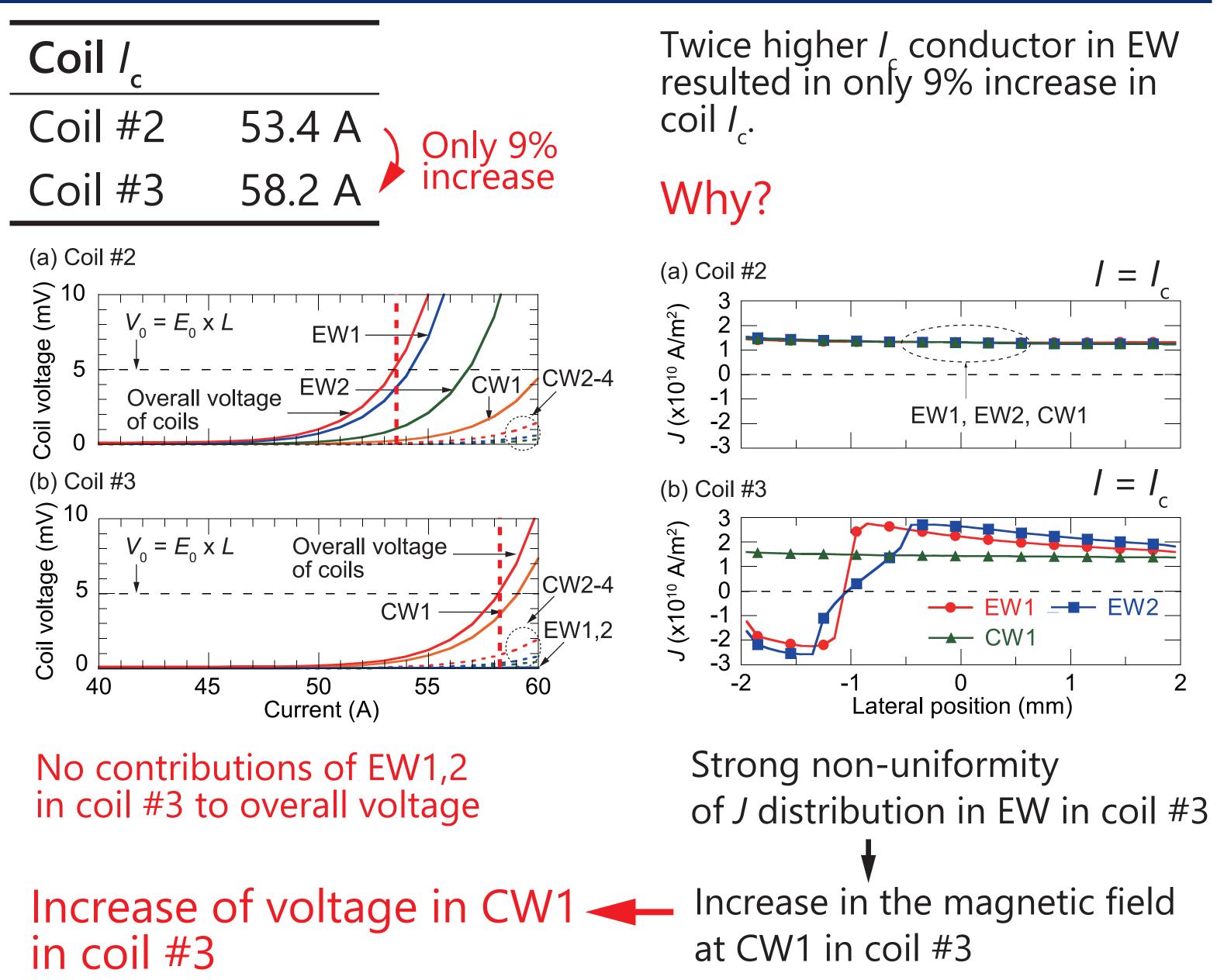
_	∂	1	∂T	10 ⊥	∂	• B _{s-f}
	∂y	σ	∂y		∂t	D _{s-f}

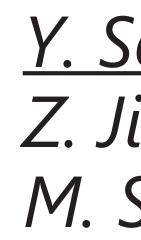
Thin strip approximation

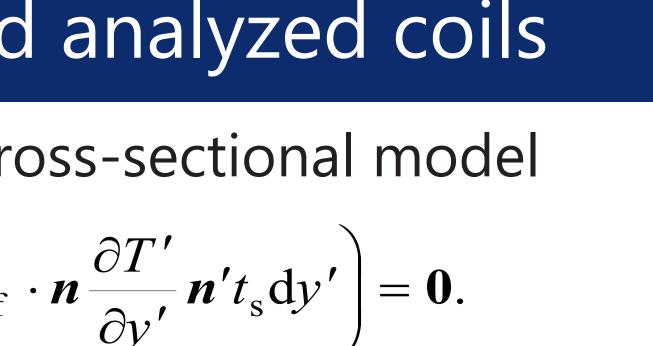
 $J_{y} = -\frac{\partial T}{\partial x} \quad \frac{\partial J_{y}}{\partial z} = 0$ $J_{x} = \frac{\partial T}{\partial y} \quad \frac{\partial J_{x}}{\partial z} = 0$ $J_{x} = \frac{\partial T}{\partial y} \quad \frac{\partial J_{x}}{\partial z} = 0$

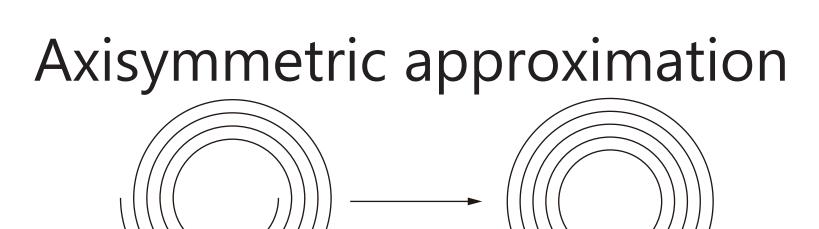
Specifications of analyze	ed coil a	assembl
Coil no.	#1	#
Number of PCs	4	(8
Conductor used	#1	#1 #2(
Inner / outer radius	(1)	30 mm /
Overall height	20 mm	64
Gap between PCs in EW / CW		1 r
Gap between EW and CW	N/A	2 r
Number of turns / PC		20
Separation between turns		0.22
Total conductor length	16.7 m	50.

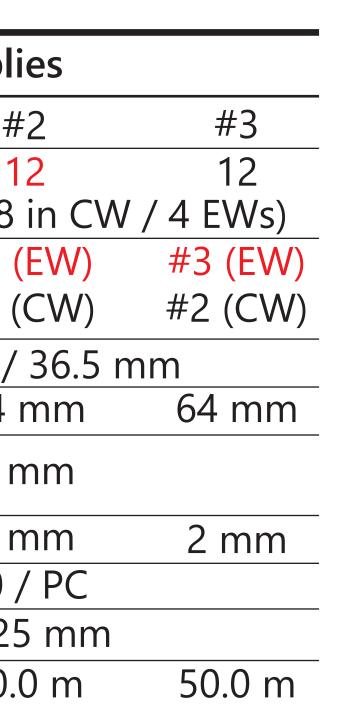
5. Effect of I grading (coil #2 vs. #3) – coil I

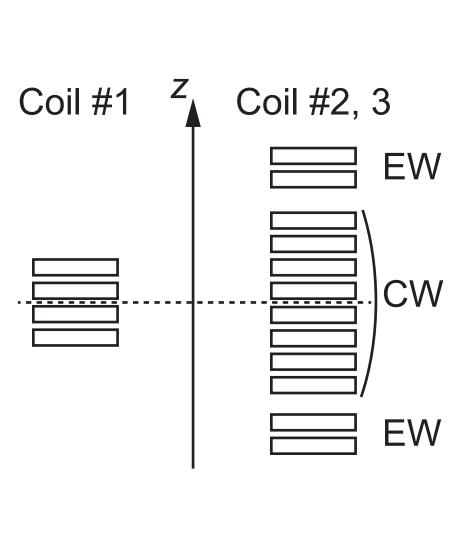












3. Field dependence of J & n of conductors

Conductor no.	
Manufacturer Lot no.	S
Width Tape thickness superconducting layer thickness	

Formulation of $J_{c}(B,\phi) \& n(B,\phi)$

 $x(B, \varphi) = \left(x_{ab}^m + x_c^m\right)^{1/m},$

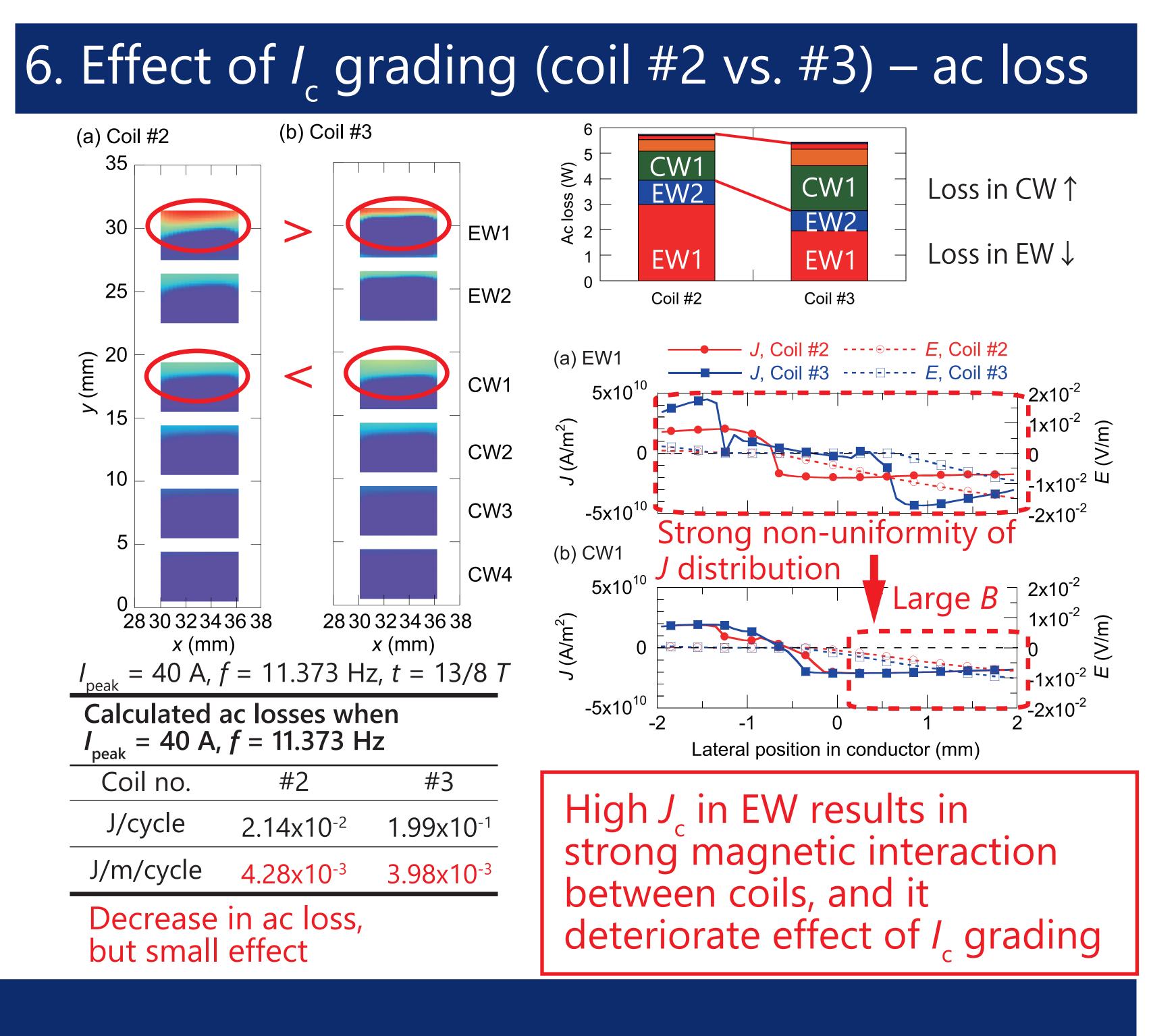
x means J_c or n_i

$$f_{ab}(\varphi) = \sqrt{u_{ab}^{2} \cos^{2}(\varphi - \delta_{ab}) + \sin^{2}(\varphi - \delta_{ab})},$$

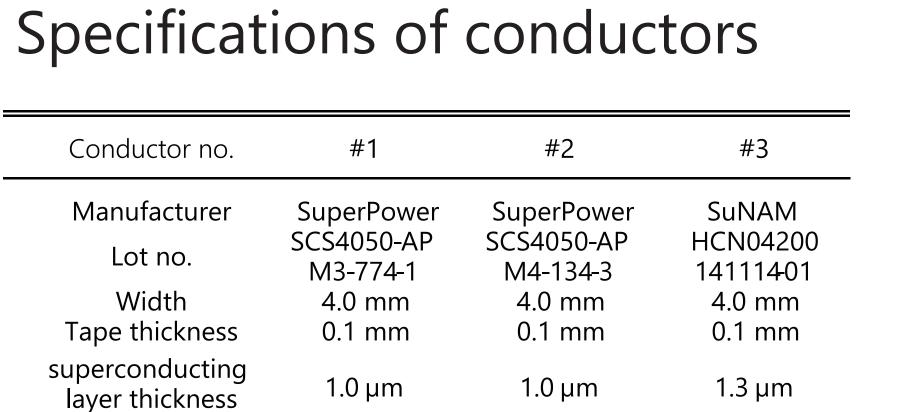
$$f_{c}(\varphi) = \begin{cases} \sqrt{\cos^{2}(\varphi - \delta_{c}) + u_{c}^{2} \sin^{2}(\varphi - \delta_{c})} \\ (-90^{\circ} + \delta_{c} \le \varphi \le 90^{\circ} + \delta_{c}) \\ \sqrt{v^{2} \cos^{2}(\varphi - \delta_{c}) + u_{c}^{2} \sin^{2}(\varphi - \delta_{c})} \\ (otherwise) \end{cases}$$

$$\phi = 0 \text{ is the direction of normal vector of}$$

wide face of conductor

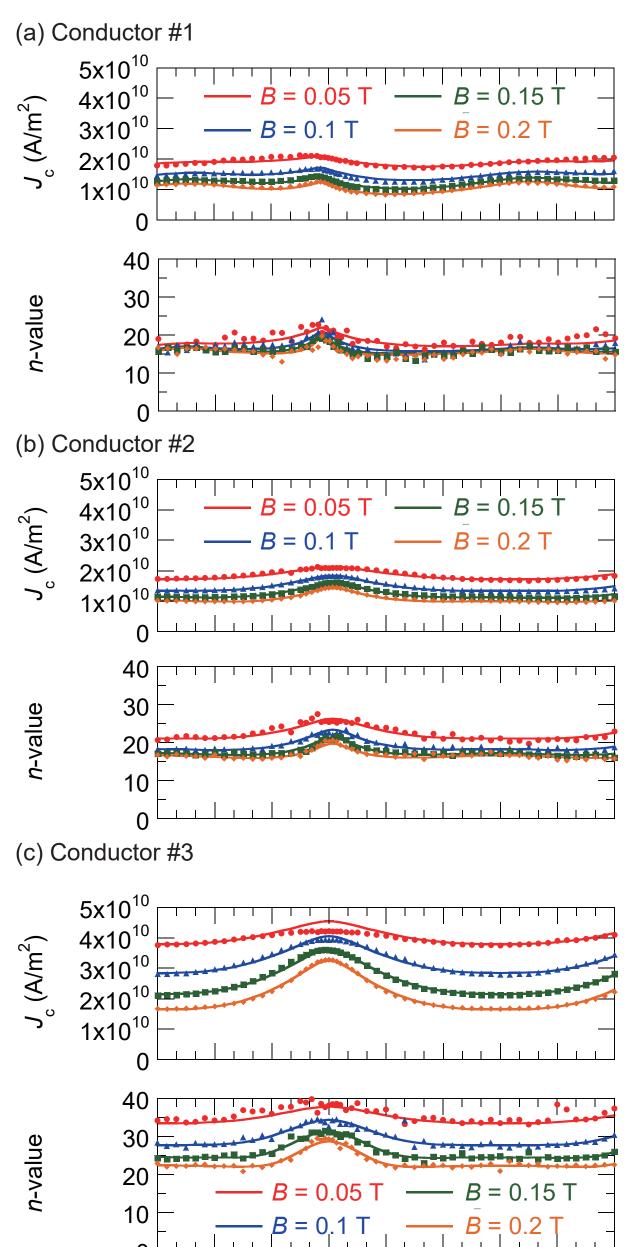


Wed-Af-Po3.12-19 <u>Y. Sogabe</u>, N. Amemiya (Kyoto Univ.), Z. Jiang, S. C. Wimbush, N. M. Strickland, M. Staines, N. J. Long (RRI, VUW)



 $x_{ab,c}(B,\varphi) = x_{0ab,c} / (1 + Bf_{ab,c}(\varphi) / B_{0ab,c})^{\beta_{ab,c}}$

and the subscription *ab,c* means *ab* or *c*



ngle (degree