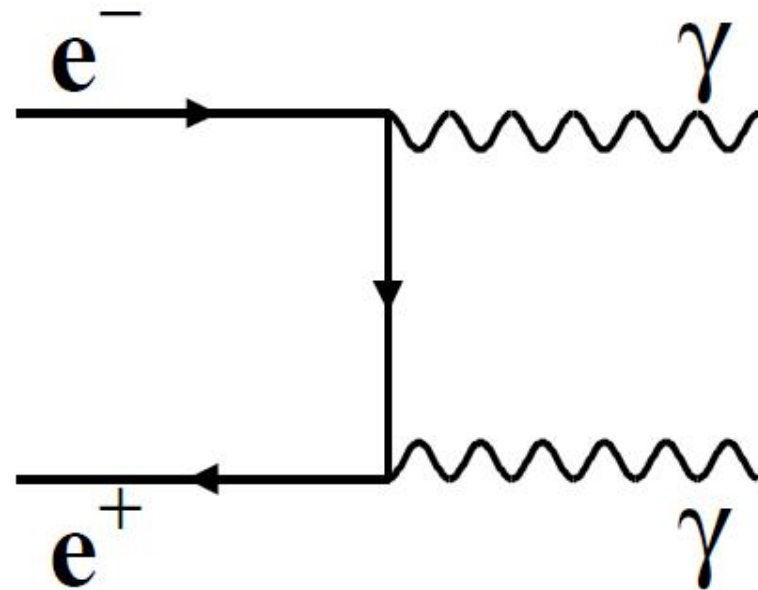


# Study of $ee \rightarrow \gamma\gamma$

**Igor Boyko, Yura Nefedov**  
**JINR/Dubna**

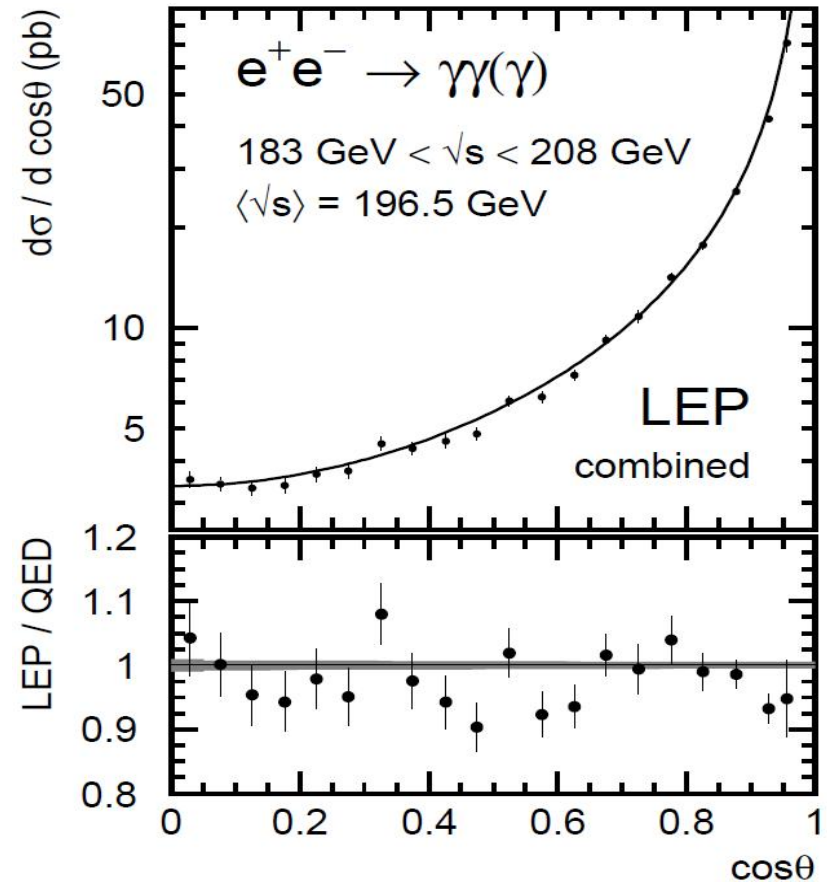
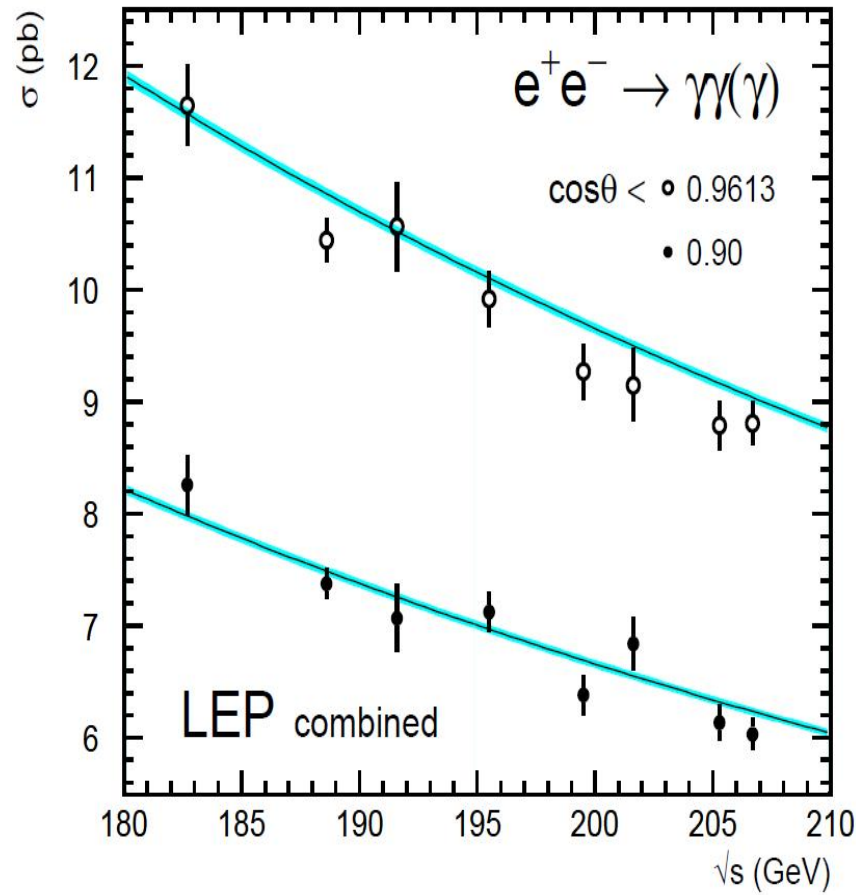
# Signal process

- $e^+e^- \rightarrow \gamma\gamma$  provides possibility to test various QED extensions, in particular to probe a finite size of the electron
- Need to measure absolute cross-section and angular spectrum of  $\gamma\gamma$



$$\left( \frac{d\sigma}{d\Omega} \right)_{\text{Born}} = \frac{\alpha^2}{s} \left[ \frac{1 + \cos^2 \theta}{1 - \cos^2 \theta} \right]$$

# Results from LEP



# New physics with $e^+e^- \rightarrow \gamma\gamma$

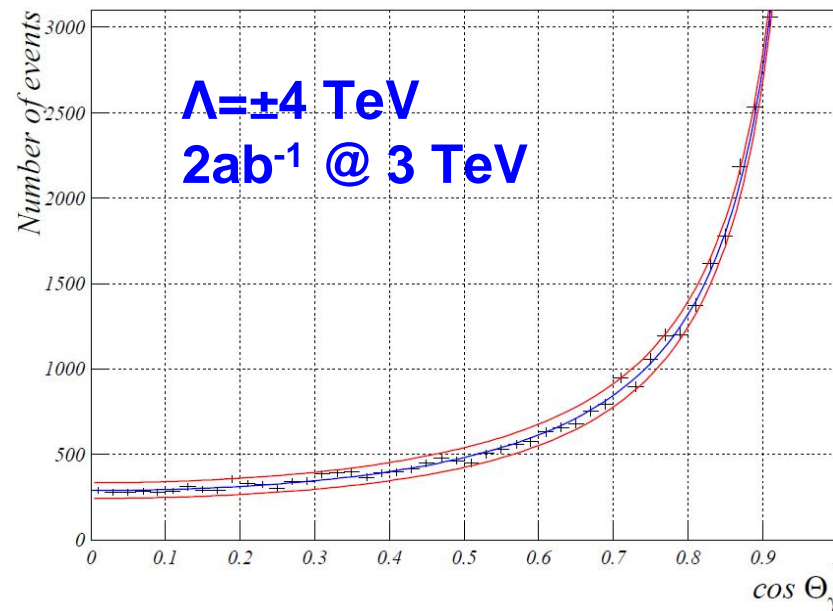
- QED cut-off parameter (finite electron size)
  - The most sensitive way to search for non-zero electron size
  - The most precise limit from combination of the LEP data:  $4.6 \times 10^{-17}$  cm (431 GeV)
- Compactified extra dimensions:  $4D \rightarrow (4+n)D$ 
  - The Plank mass is actually 1 or few TeV; the “observed” very large  $M_{\text{PL}}$  is simply because we put wrong number of dimensions in our formula
- Excited electron  $e^*$  exchanged in the t-channel

# Finite electron size

$$\left(\frac{d\sigma}{d\Omega}\right)_{\Lambda_{\pm}} = \left(\frac{d\sigma}{d\Omega}\right)_{\text{Born}} \pm \frac{\alpha^2 s}{2\Lambda_{\pm}^4} (1 + \cos^2 \theta)$$

# Finite electron size

$$\left(\frac{d\sigma}{d\Omega}\right)_{\Lambda_{\pm}} = \left(\frac{d\sigma}{d\Omega}\right)_{\text{Born}} \pm \frac{\alpha^2 s}{2\Lambda_{\pm}^4} (1 + \cos^2 \theta)$$



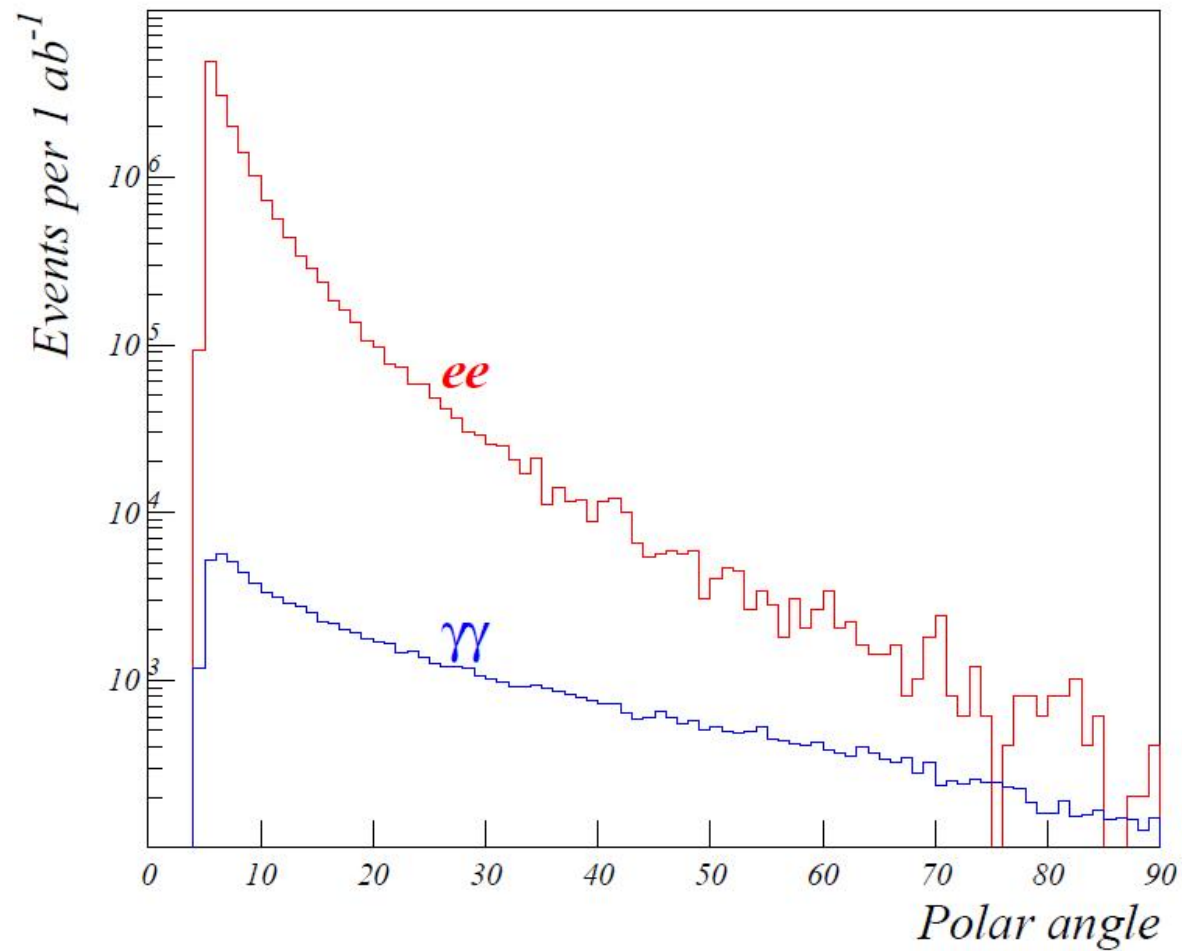
# Extra dimensions and excited electrons

$$\left(\frac{d\sigma}{d\Omega}\right)_{M_s} = \left(\frac{d\sigma}{d\Omega}\right)_{\text{Born}} - \frac{\alpha s}{2\pi} \frac{\lambda}{M_s^4} (1 + \cos^2 \theta) + \frac{s^3}{16\pi^2} \frac{\lambda^2}{M_s^8} (1 - \cos^4 \theta)$$
$$\lambda = \pm 1$$

$$\left(\frac{d\sigma}{d\Omega}\right)_{e^*} = \left(\frac{d\sigma}{d\Omega}\right)_{\text{Born}} + \frac{\alpha^2 f_\gamma^4}{16 \Lambda^4} s \sin^2 \theta \left[ \frac{p^4}{(p^2 - M_{e^*}^2)^2} + \frac{q^4}{(q^2 - M_{e^*}^2)^2} \right]$$
$$- \frac{\alpha^2 f_\gamma^2}{2s \Lambda^2} \left[ \frac{p^4}{(p^2 - M_{e^*}^2)} + \frac{q^4}{(q^2 - M_{e^*}^2)} \right],$$

$$p^2 = -\frac{s}{2}(1 - \cos \theta) \text{ and } q^2 = -\frac{s}{2}(1 + \cos \theta)$$

# Signal and main background

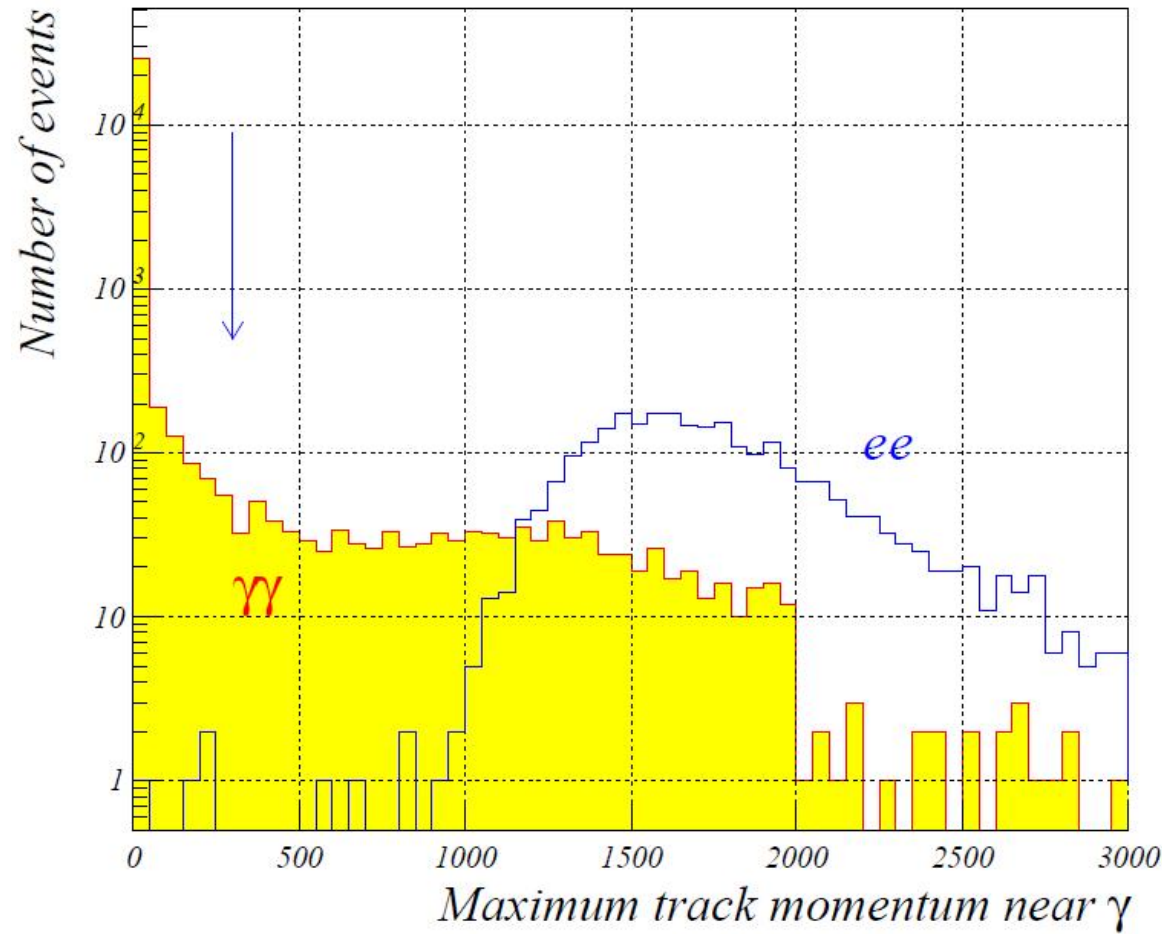




# Selection cuts

- Two photons, the most energetic above **1300 GeV**, another above **1200 GeV**
- No third photon above **50 GeV**
- Back-to-back photons:  $\pm 10^\circ$  in  $\theta$ ,  $\pm 10^\circ$  in  $\phi$
- **Track veto**: no tracks with  $|p| > 300 \text{ GeV}/c$  within  $20^\circ$  from a photon candidate (even “bad tracks”!)

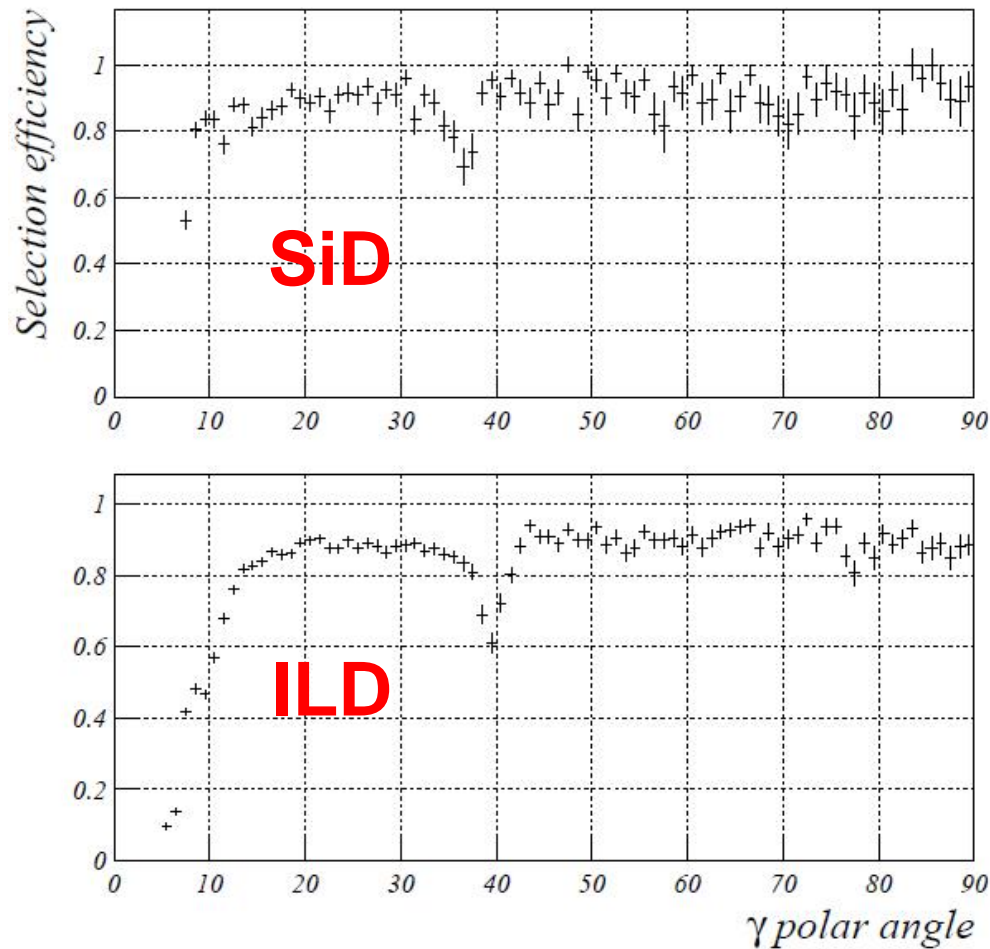
# Track veto



# “Bad track” issue

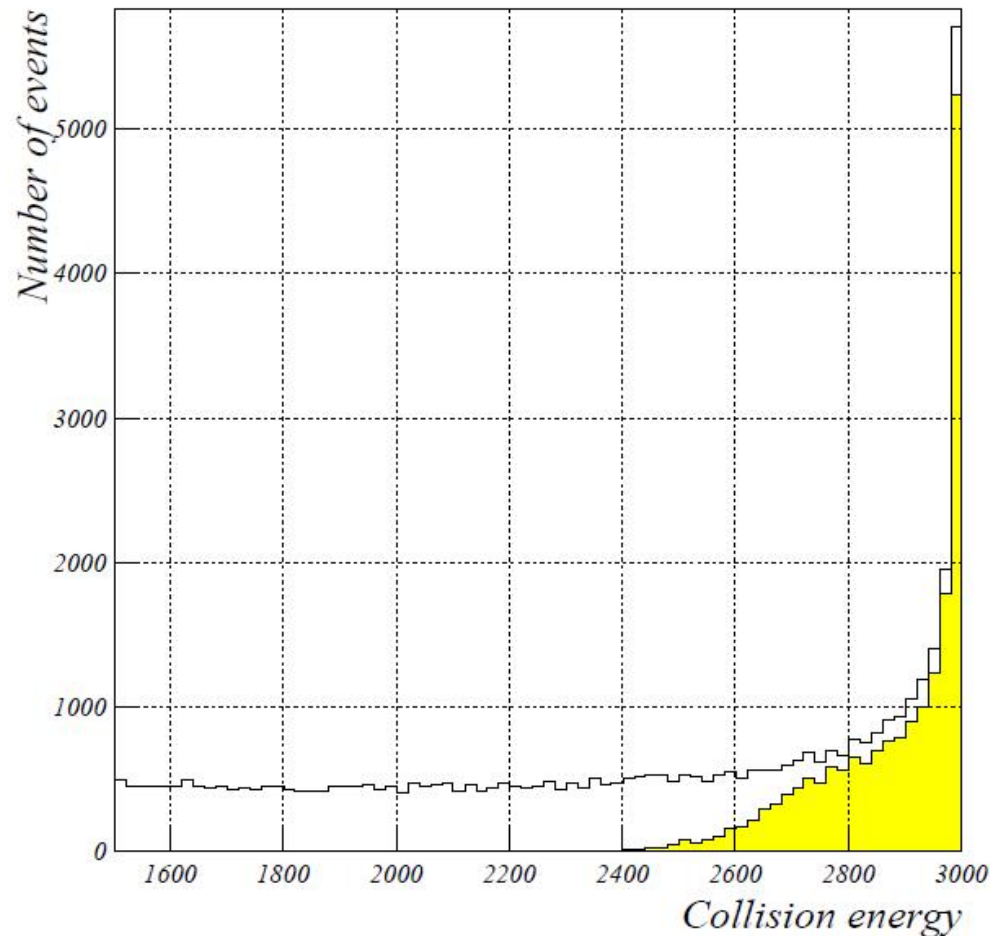
- We study the absolutely extreme part of the kinematic space. Our signal is made of 1.5 TeV photons, background are 1.5 TeV electrons
- At 1.5 TeV/c the track momentum resolution approaches  $\sigma(p)/p=15\%$  - the limit of “good track” definition.
- In the forward region nearly all electrons are reconstructed as good photons (no good track!)
- Hence, the “track veto” must reject also the “bad tracks”

# Selection efficiency



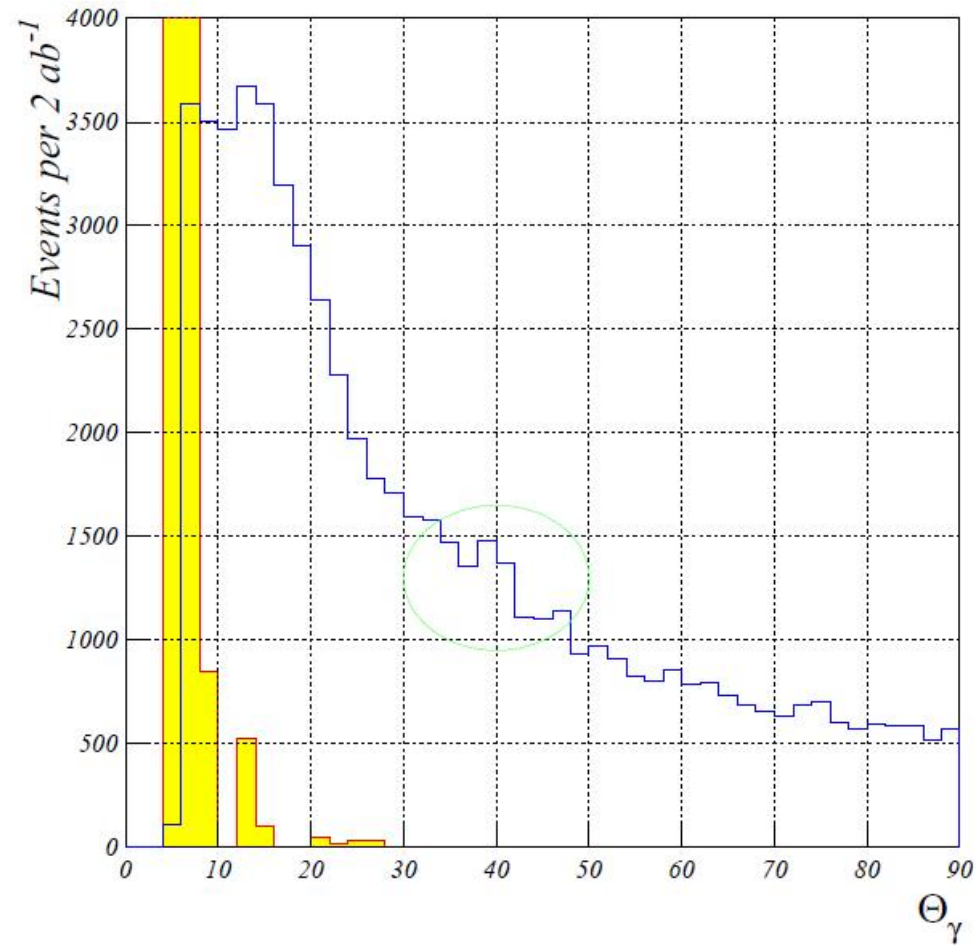
- Efficiency and angular acceptance much better than at LEP
- Angular coverage: down to  $8-9^\circ$  for SiD, down to  $12-13^\circ$  for ILD

# Selected collision energy

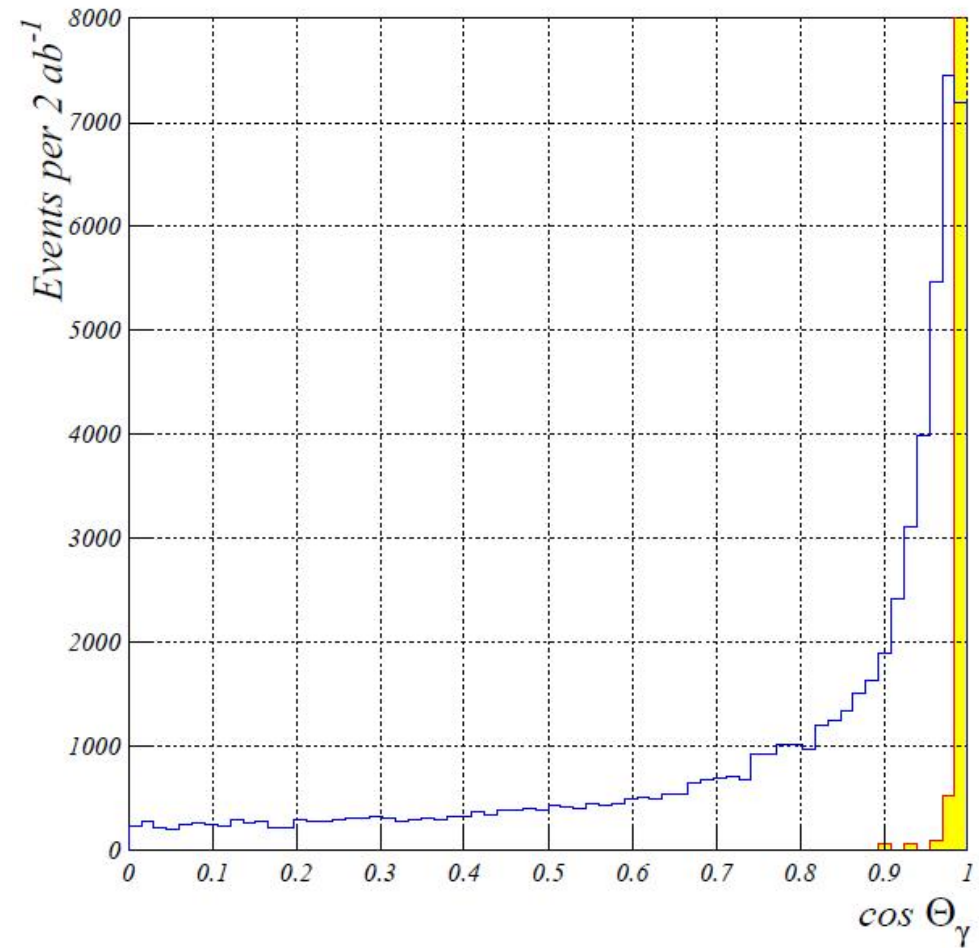


- Selection cuts ensure nearly nominal collision energy
- Average  $\sqrt{s}$ : 2878 GeV
- Reduced  $\sqrt{s}$  will somewhat reduce sensitivity

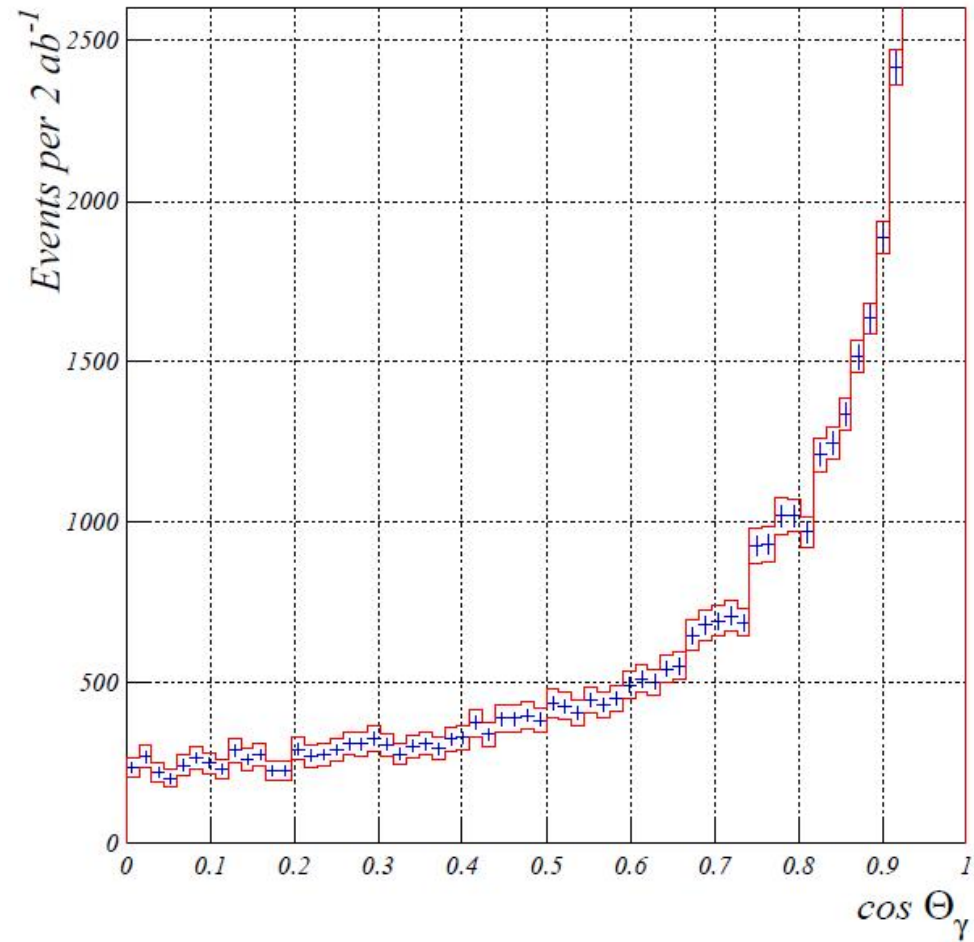
# Signal versus ee background



# Signal versus ee background

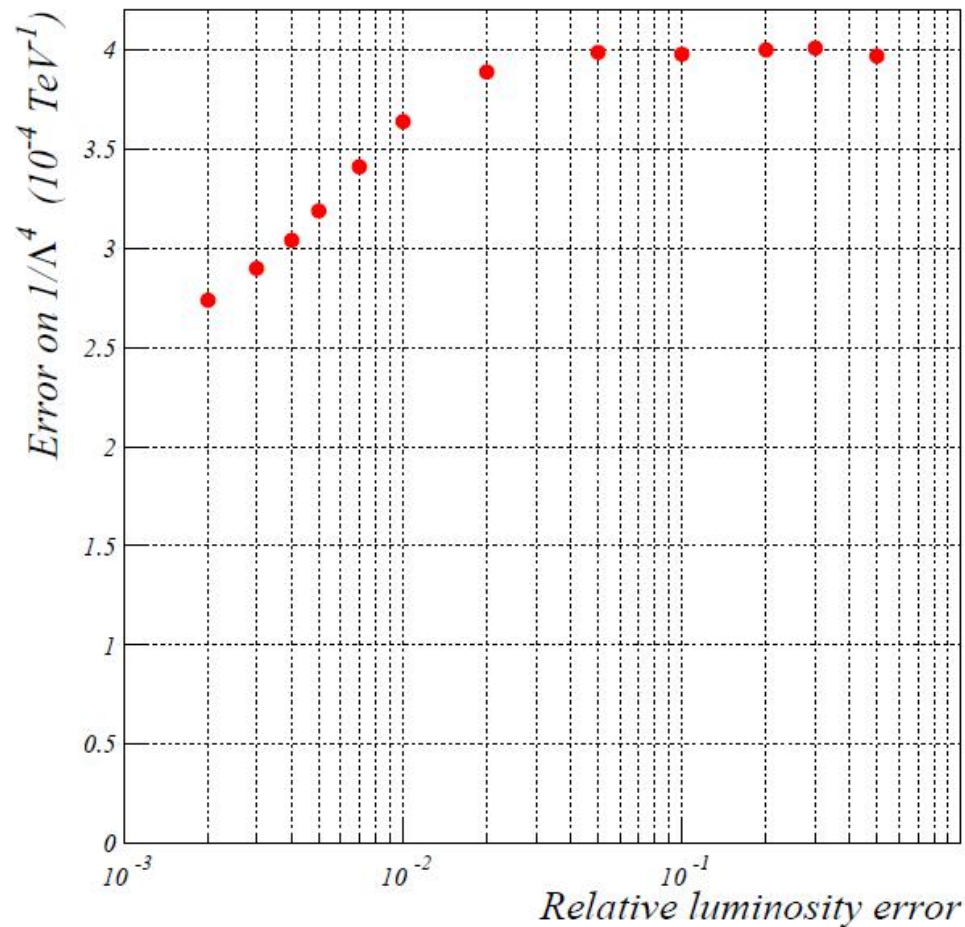


# Finite electron size $\pm 4$ TeV





# Result: sensitivity to electron size versus precision on luminosity



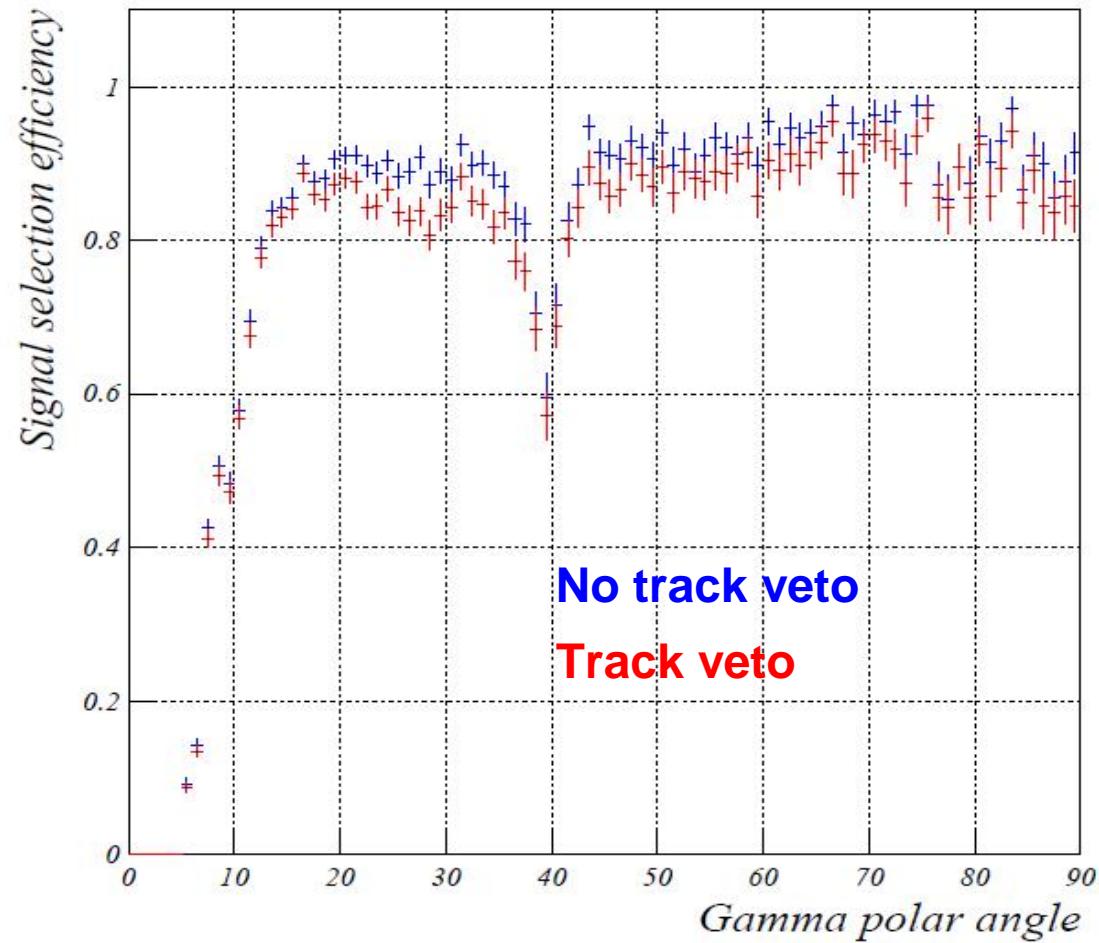
- Sensitivity is improved by precise luminosity, but not dramatically.
- For  $\sigma(L)/L=0.5\%$ , the 95% CL exclusion limit is  **$\Lambda > 6.33 \text{ TeV}$**
- For comparison: at LEP the limit was  $\Lambda > 431 \text{ GeV}$

# Summary

- CLIC is the best place for QED tests
- Preliminary result on sensitivity to electron size: **6.33 TeV** or  **$3.1 \times 10^{-18} \text{cm}$** 
  - LEP: 431 GeV or  $4.6 \times 10^{-17} \text{cm}$
- To do next:
  - Add (small) background from  $\gamma e \rightarrow \gamma e$
  - Estimate systematic errors (other than lumi)
  - Repeat the ILD study with SiD geometry
  - Test more models of New Physics

**Spare slides**

# Track veto: Is selection efficiency still acceptable?



# $\theta$ reconstruction

