

# Interpreting the 750 GeV Diphoton Resonance using **photon jets** in **Hidden-Valley-like** models

Chih-Ting Lu (NTHU)

PASCOS 2016: 22nd International Symposium on  
Particles, Strings and Cosmology



- Collaborators for this work :
- Prof. Kingman Cheung, Dr. Jung Chang

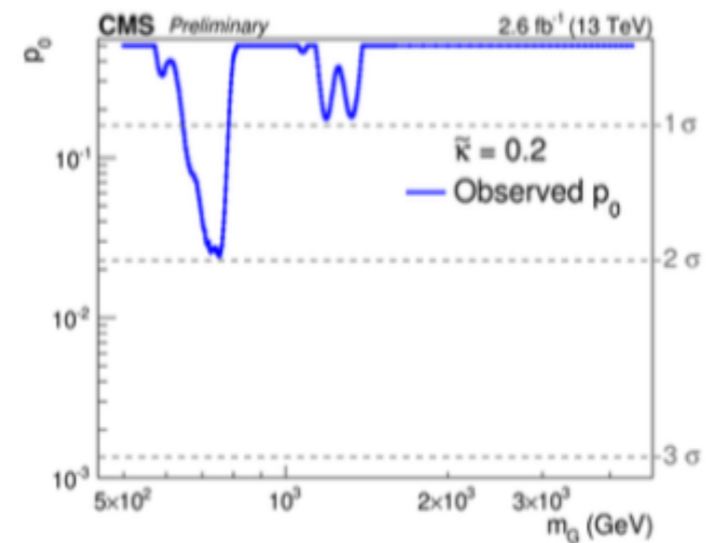
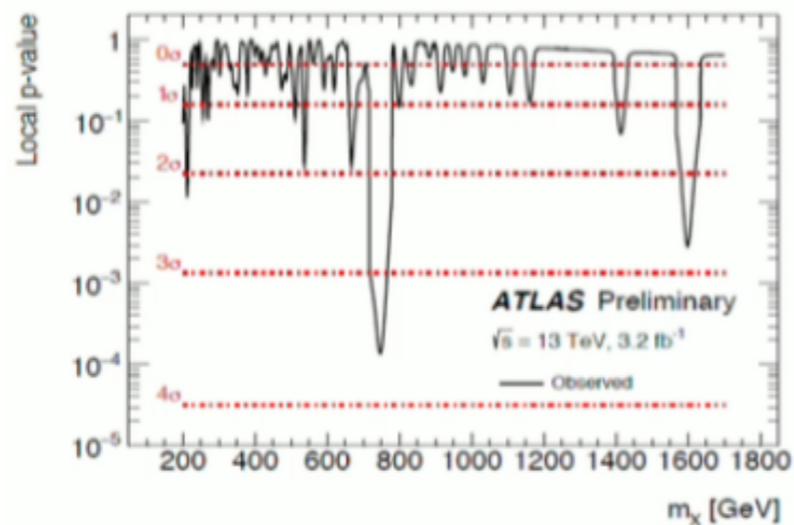
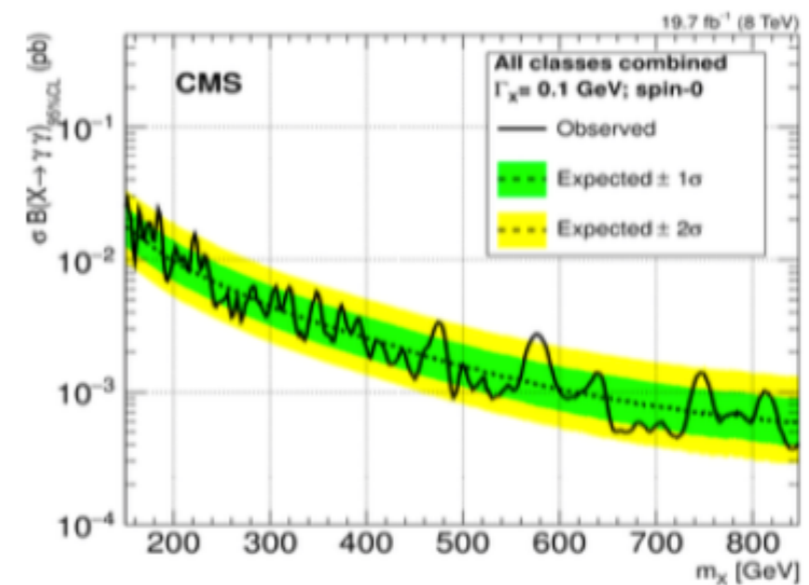
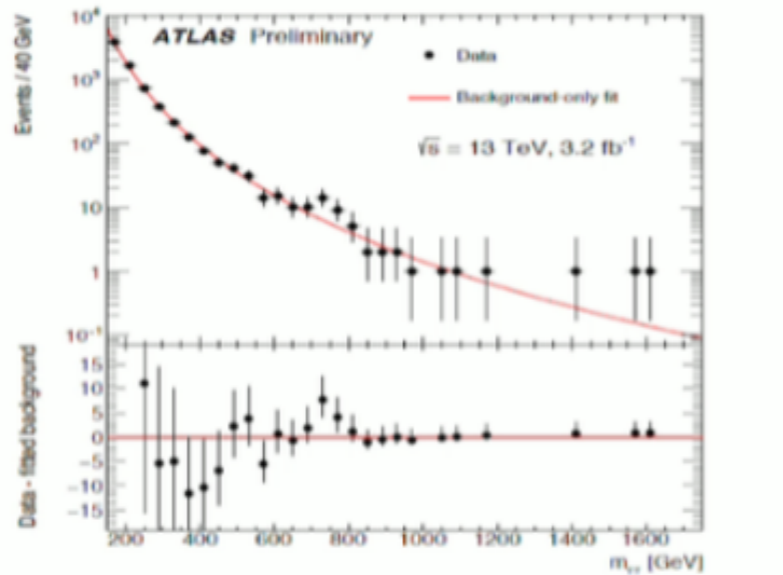
Dec 21, 2015 - 19 pages

**Phys.Rev. D93 (2016) 075013**  
(2016-04-05)

DOI: [10.1103/PhysRevD.93.075013](https://doi.org/10.1103/PhysRevD.93.075013)  
e-Print: [arXiv:1512.06671](https://arxiv.org/abs/1512.06671) [hep-ph] | [PDF](#)

# The big news on 12/15, 2015 750 GeV

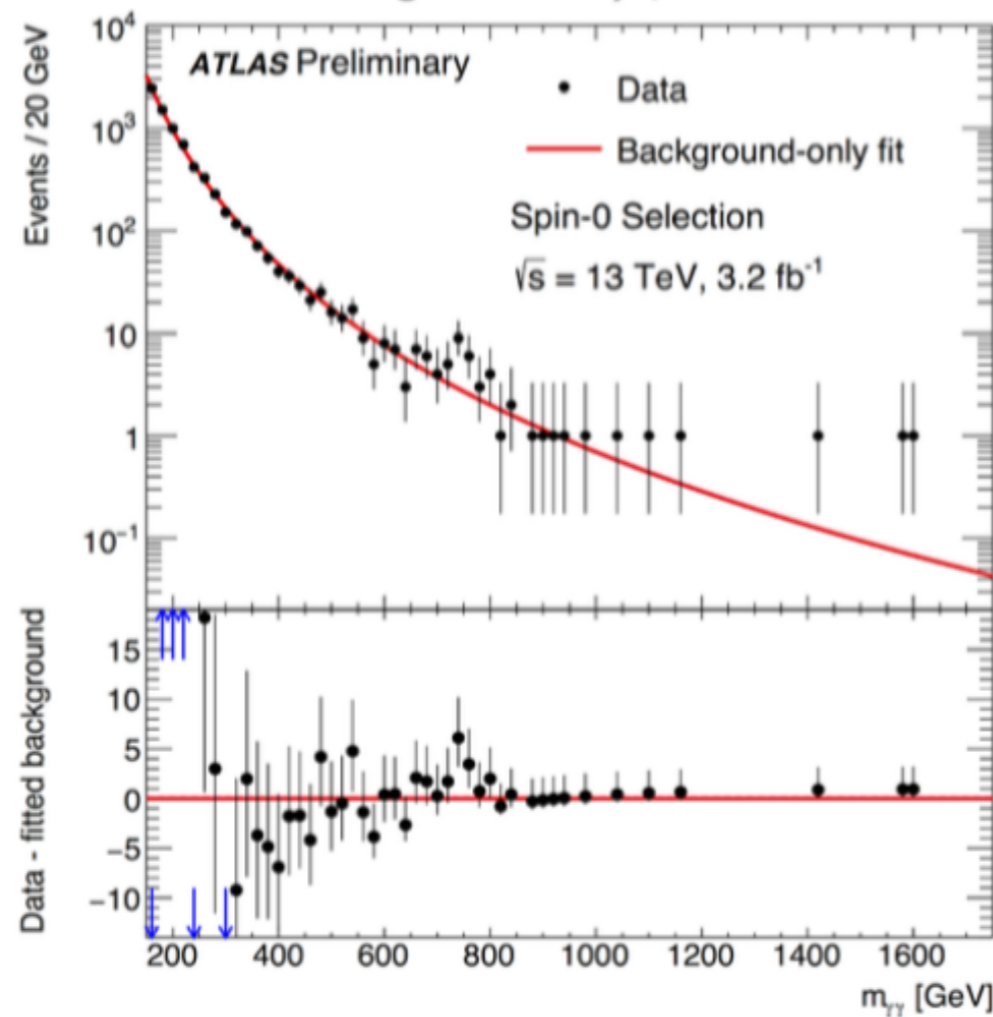
## Diphoton Resonance ??



# Still there... and more consistent than before... on 3/17, 2016

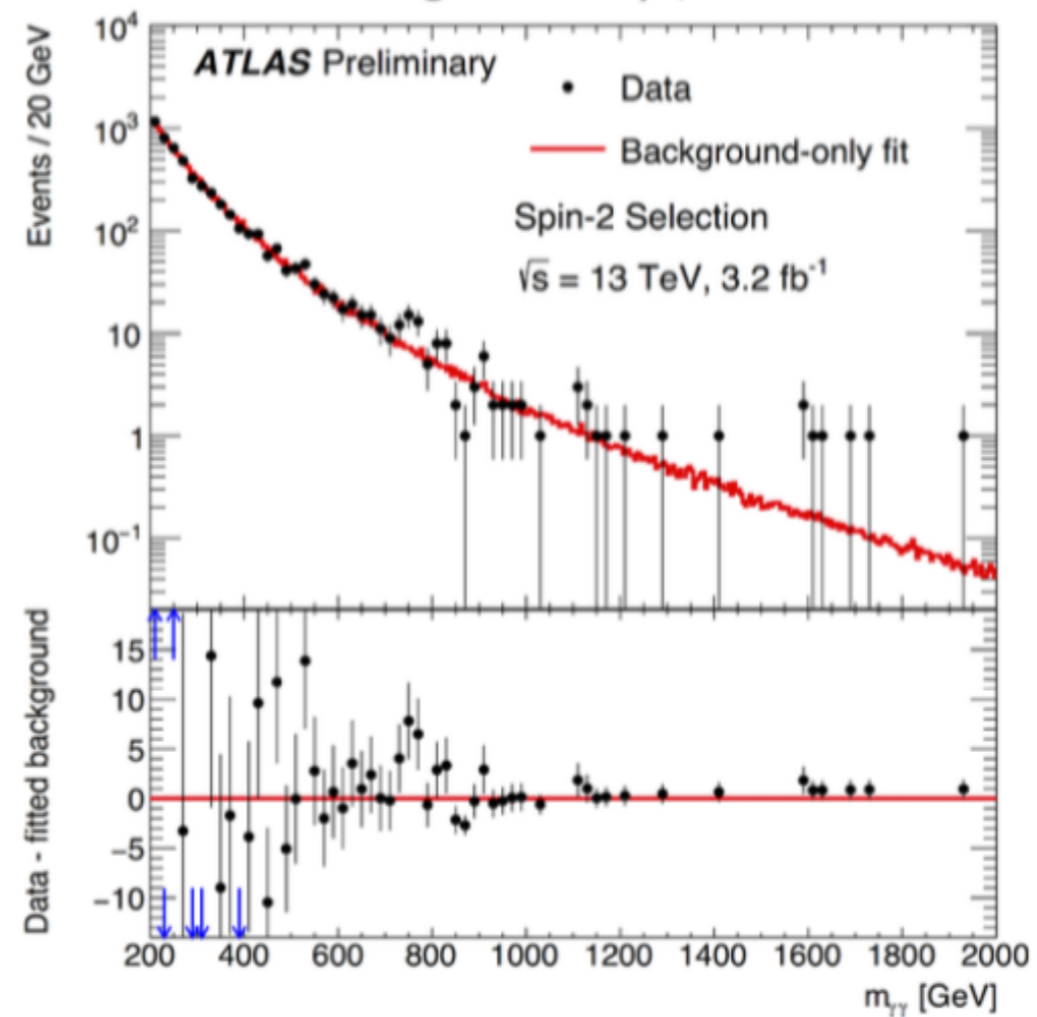
## SPIN-0 ANALYSIS

*background-only fit*



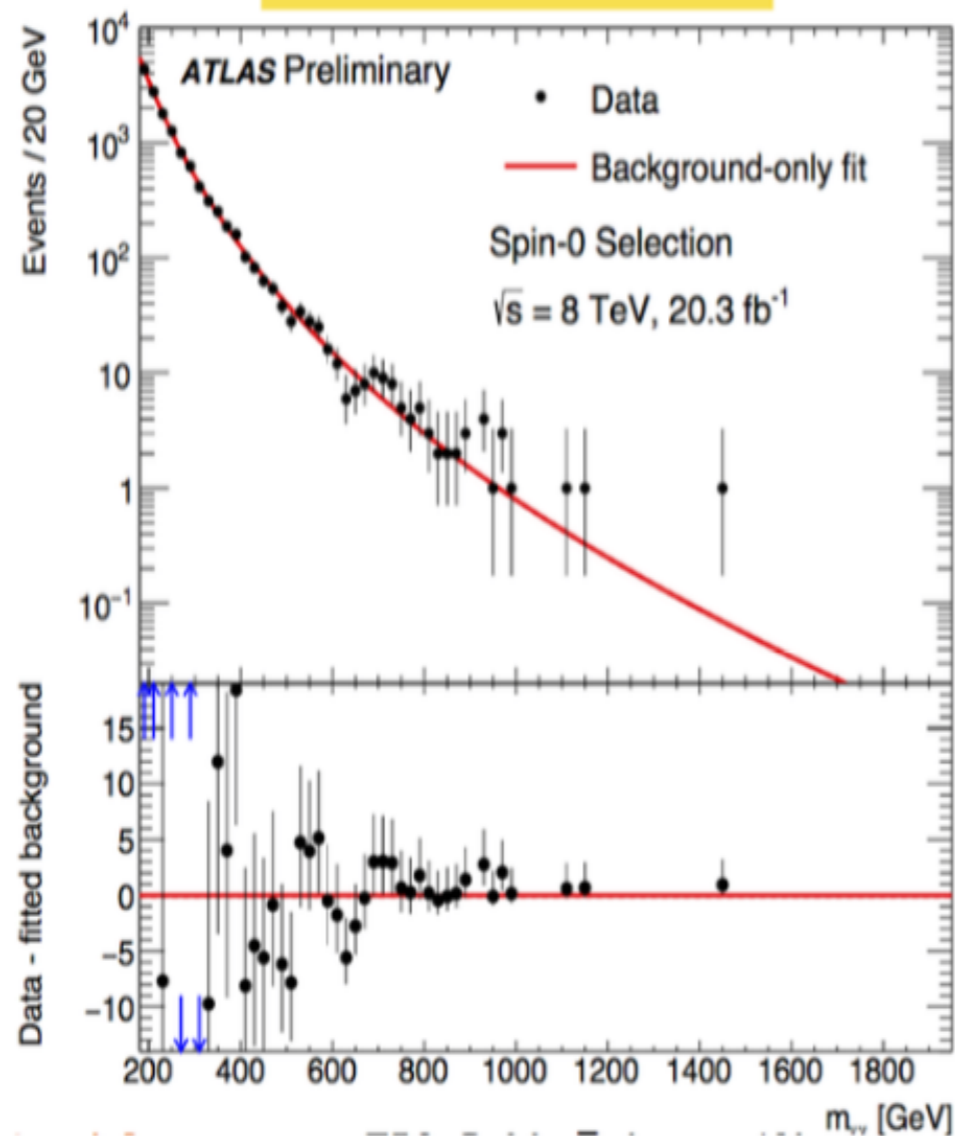
## SPIN-2 ANALYSIS

*background-only fit*

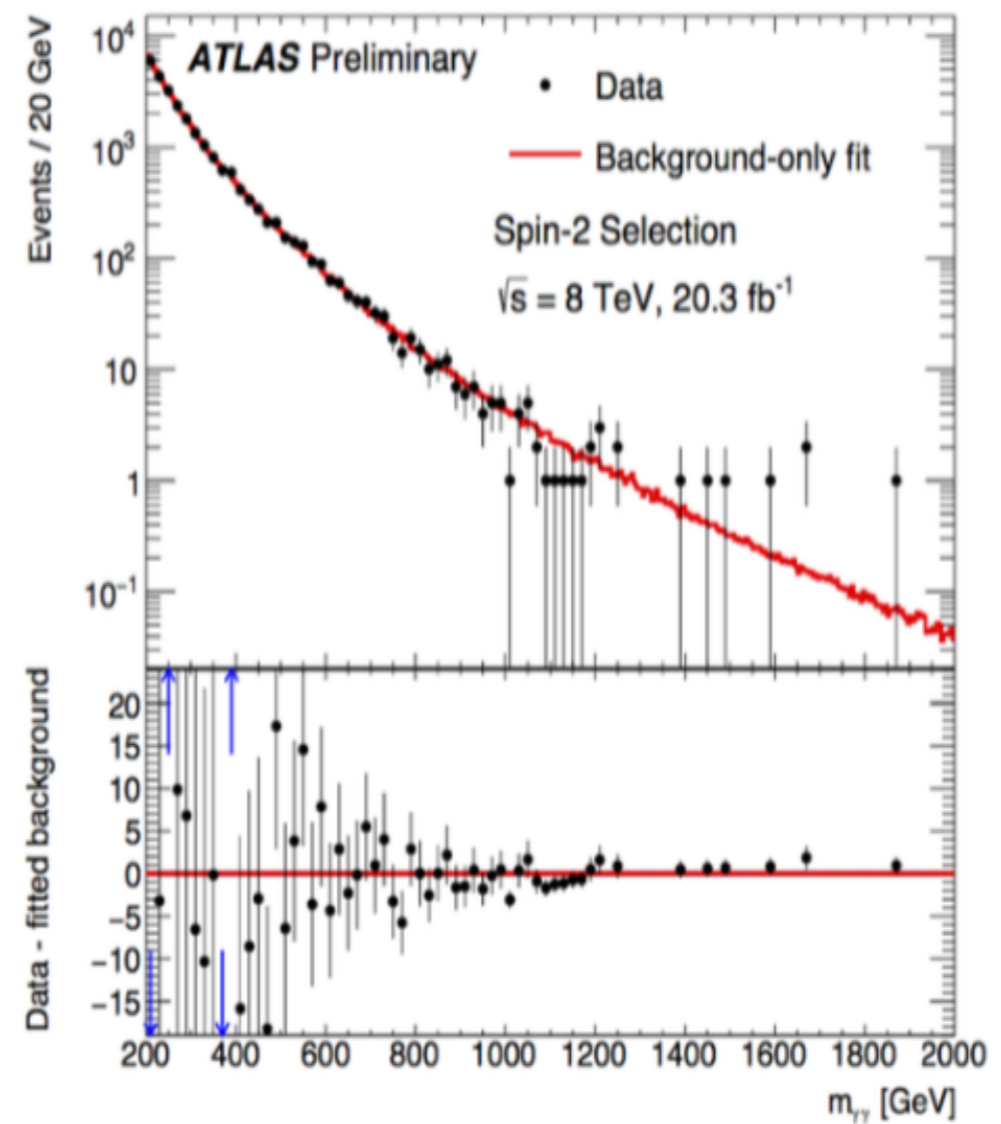


# Still there... and more consistent than before... on 3/17, 2016

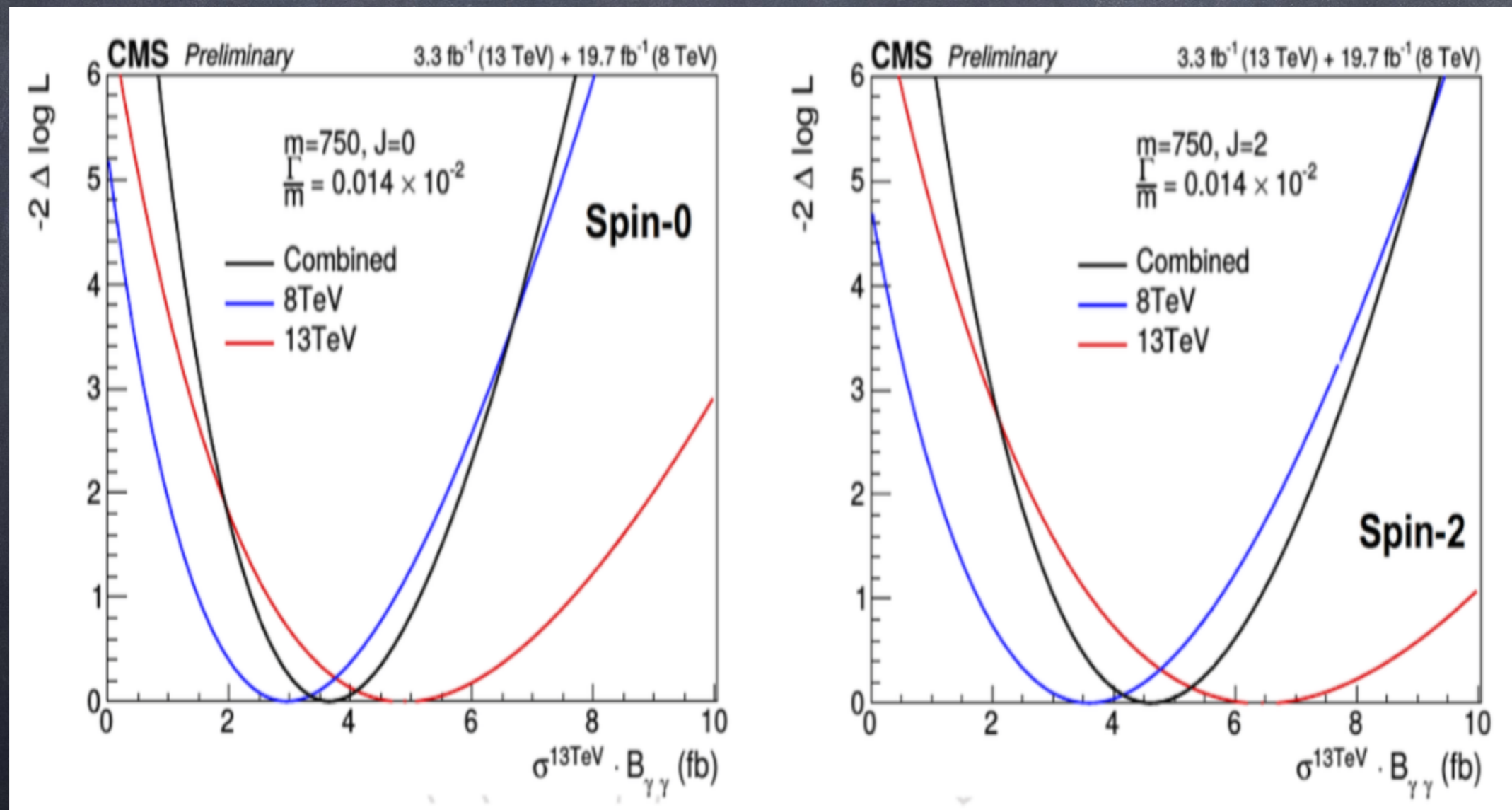
## SPIN-0 ANALYSIS



## SPIN-2 ANALYSIS

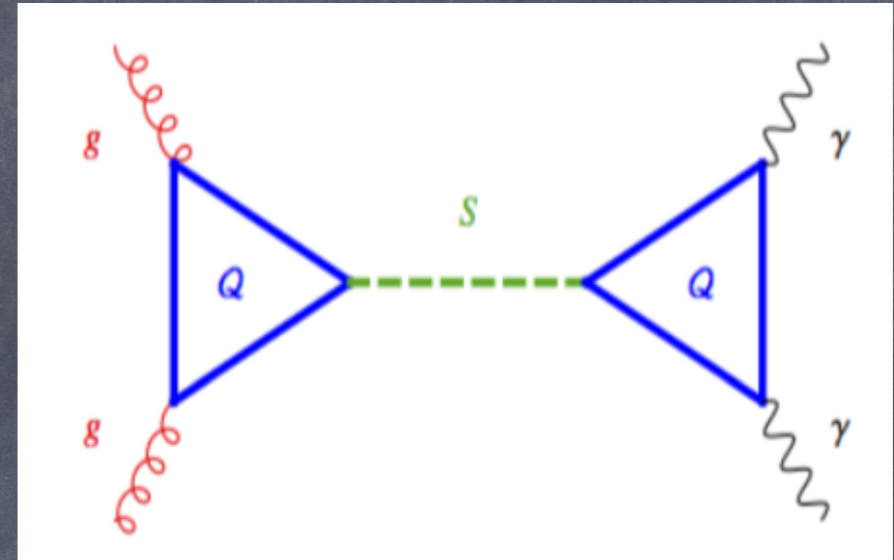


Still there... and more consistent than  
before... on 3/17, 2016



# How to explain these data ?

- The Standard Way :



- More than 1/3 of papers (>150) are belong to this kind !!

$$\mathcal{L}_{\text{eff}} = \frac{\alpha}{4\pi} \frac{k_\gamma}{\Lambda_\gamma} \phi F_{\mu\nu} \tilde{F}^{\mu\nu} + \frac{\alpha_s}{4\pi} \frac{k_g}{\Lambda_g} \phi G_{\mu\nu}^a \tilde{G}^{a\mu\nu}$$

- Some effective models, composite models, extra-dimensional models, ... are belong to this kind !

# How to explain these data ?

- Some exotic proposals :
- Ex :
- collimated photons (photon jets)
- fake photon (dark photon)
- diphoton excess w/o resonance at 750 GeV
- ...

# What is the photon-jet ?

A photon-jet ( $\gamma$ -jet) is a special feature that consists of a cluster of **collinear** photons from the decay of a **fast moving light particle** ( $O(1\text{GeV})$ ).

- Does it work to explain the 750 GeV diphoton excess data ?

- <1> We interpret the resonance as a scalar boson  $X(750)$  in **Hidden-Valley-like models**.
- <2> The scalar boson  $X$  can mix with the standard model Higgs boson and thus can be produced via gluon fusion.
- <3> It then decays into a pair of **very light hidden particles**  $Y$  of  **$O(1\text{GeV})$** , each of which in turn decays to a pair of collimated  $\pi^0$ 's, and these two  $\pi^0$ 's decay into photons which then form photon-jets.
- <4> Because these photons inside the photon-jet are so collimated that it cannot be distinguished from a single photon, and so in the final state of the decay of  $X(750)$  a pair of photon-jets look like a pair of single photons, which the experimentalists observed and formed the 750 GeV diphoton resonance.

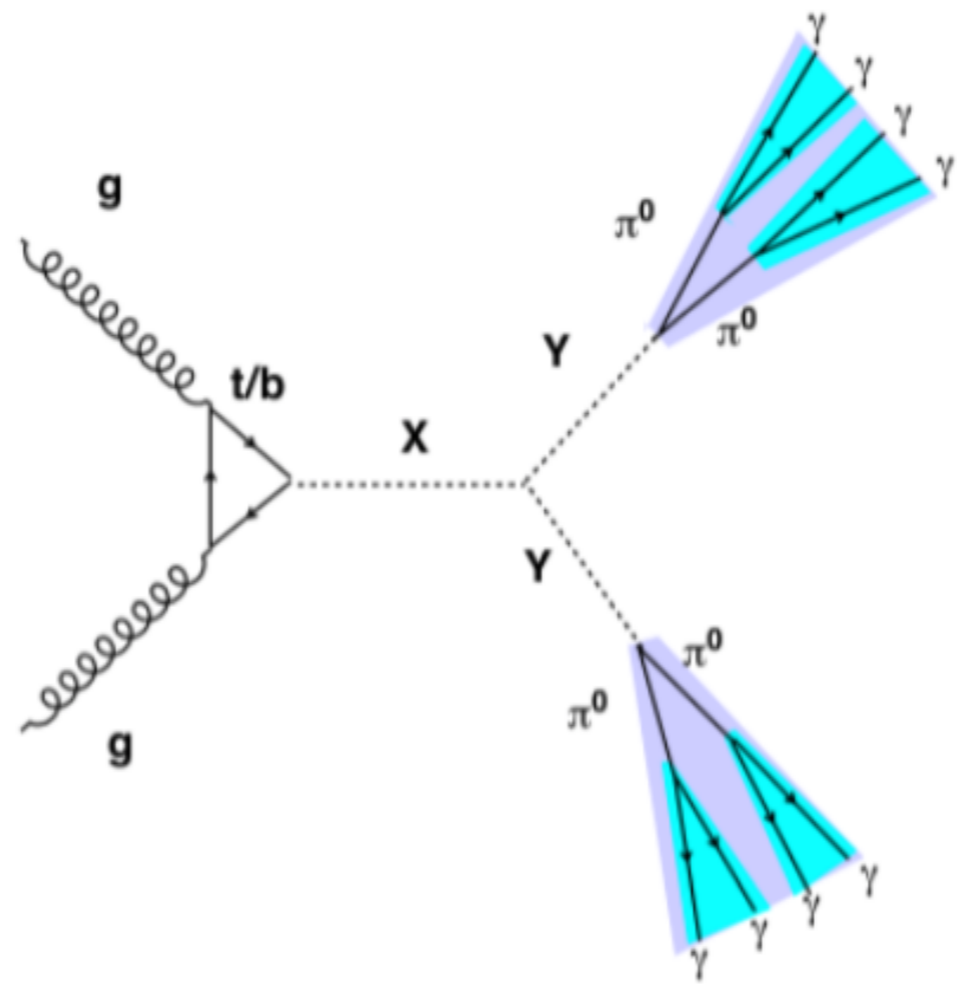


FIG. 2. The Feynman diagram for  $pp \rightarrow X \rightarrow YY \rightarrow (\pi^0\pi^0)(\pi^0\pi^0) \rightarrow (4\gamma)(4\gamma)$  (2  $\gamma$ -jets in the final state)

# The advantages of this idea :

- 1. We separate the **production mode** and **final state** to two different particles : X and Y which will ease the tension of the production rate about  $\sigma \sim O(10 \text{ fb})$  **naturally**.
- 2. We can explain the width relative to the mass of the resonance is rather large ( $\Gamma/M \approx 0.06$ ) by the stronger coupling of  $X \rightarrow YY$  but not  $X \rightarrow \gamma\gamma$  which is just **tree-level** and both X and Y are in the **hidden sector**, so the coupling of them could be large **naturally**.
- 3. Our scenario is somewhat more **economical** which means we just invite two new particles : **X(750 GeV)** and **Y(O(1GeV))** to interpret the 750 GeV diphoton excess data.

# Hidden-Valley-like simplified model

$$\begin{aligned}\mathcal{L} = & \frac{1}{2}\partial_\mu\chi_1\partial^\mu\chi_1 + \frac{1}{2}\partial_\mu\chi_2\partial^\mu\chi_2 + \frac{1}{2}\mu_1^2\chi_1^2 + \frac{1}{2}\mu_2^2\chi_2^2 + \mu_3^2\chi_1\chi_2 \\ & + (\lambda_1\chi_1 + \lambda_2\chi_2)[M(\Phi^\dagger\Phi) + N(\lambda_1\chi_1 + \lambda_2\chi_2)^2] \\ & + \mathcal{L}_{SM},\end{aligned}$$

# Hidden-Valley-like simplified model

$$m_h^2 \simeq 2\lambda\langle\phi\rangle^2 - (\mu_1^2\sin^2\theta_1 + \mu_2^2\sin^2\theta_2) - M\langle\phi\rangle(\lambda_1\sin 2\theta_1 + \lambda_2\sin 2\theta_2) \\ = (125 \text{ GeV})^2$$

$$m_X^2 \simeq -\mu_1^2\cos^2\theta_3 - \mu_2^2\sin^2\theta_3 - \mu_3^2\sin 2\theta_3 + 2\lambda\langle\phi\rangle^2\sin^2\theta_1 + \lambda_1 M\langle\phi\rangle\sin 2\theta_1$$

$$m_Y^2 \simeq -\mu_1^2\sin^2\theta_3 - \mu_2^2\cos^2\theta_3 + \mu_3^2\sin 2\theta_3 + 2\lambda\langle\phi\rangle^2\sin^2\theta_2 + \lambda_2 M\langle\phi\rangle\sin 2\theta_2$$

$$\mathcal{L}_{Xhh} \simeq \frac{1}{2}[2\lambda\langle\phi\rangle\cos^2\theta_1\sin\theta_1 + 6N\lambda_1^3\cos\theta_1\sin^2\theta_1 \\ + \lambda_1 M(\cos^3\theta_1 - 2\cos\theta_1\sin^2\theta_1)]Xhh \equiv \frac{\mu_{Xhh}}{2}Xhh$$

$$\mathcal{L}_{XYY} \simeq \frac{6N}{2}[\lambda_2^3\cos^2\theta_3\sin\theta_3 + \lambda_1^3\cos\theta_3\sin^2\theta_3 + \lambda_1\lambda_2^2(\cos^3\theta_3 - 2\cos\theta_3\sin^2\theta_3) \\ + \lambda_2\lambda_1^2(\sin^3\theta_3 - 2\cos^2\theta_3\sin\theta_3)]XYY \equiv \frac{\mu_{HS}}{2}XYY ,$$

# Hidden-Valley-like simplified model

$$\Gamma(X \rightarrow W^+W^-) = \sin^2 \theta_1 \frac{g^2 m_X^3}{64\pi m_W^2} \sqrt{1 - \frac{4m_W^2}{m_X^2}} \left( 1 - \frac{4m_W^2}{m_X^2} + \frac{12m_W^4}{m_X^4} \right),$$

$$\Gamma(X \rightarrow ZZ) = \sin^2 \theta_1 \frac{g^2 m_X^3}{128\pi m_Z^2} \sqrt{1 - \frac{4m_Z^2}{m_X^2}} \left( 1 - \frac{4m_Z^2}{m_X^2} + \frac{12m_Z^4}{m_X^4} \right),$$

$$\Gamma(X \rightarrow t\bar{t}) = \sin^2 \theta_1 \frac{N_c g^2 m_t^2}{32\pi m_W^2} \left( 1 - \frac{4m_t^2}{m_X^2} \right)^{3/2} (1 + \Delta_{QCD}),$$

$$\Gamma(X \rightarrow YY) = \frac{\mu_{HS}^2}{32\pi m_X} \times \sqrt{1 - 4 \left( \frac{m_Y}{m_X} \right)^2}.$$

$$\Gamma(X \rightarrow hh) = \frac{\mu_{Xhh}^2}{32\pi m_X} \times \sqrt{1 - 4 \left( \frac{m_h}{m_X} \right)^2}.$$

# Hidden-Valley-like simplified model

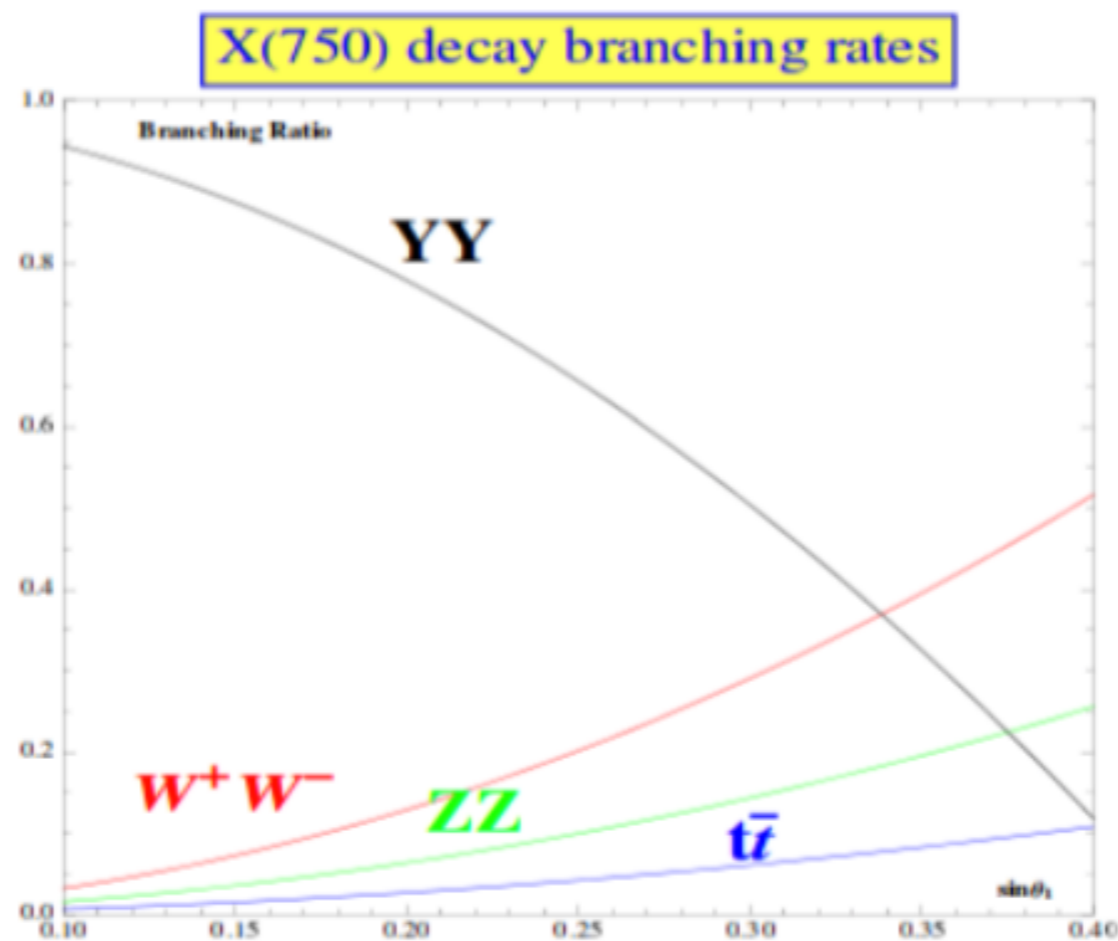


FIG. 1. The branching ratios of the scalar boson  $X(750)$  with  $\Gamma = 45\text{GeV}$  for the four most dominant modes  $YY$ ,  $W^+W^-$ ,  $ZZ$ , and  $t\bar{t}$

# Hidden-Valley-like simplified model

$$\Gamma(Y \rightarrow \ell^+ \ell^-) = \sin^2 \theta_2 \frac{m_\ell^2 m_Y}{8\pi \langle \phi \rangle^2} \left(1 - \frac{4m_\ell^2}{m_Y^2}\right)^{3/2},$$

$$\Gamma(Y \rightarrow \pi\pi) = \sin^2 \theta_2 \frac{m_Y^3}{216\pi \langle \phi \rangle^2} \left(1 - \frac{4m_\pi^2}{m_Y^2}\right)^{1/2} \left(1 + \frac{11m_\pi^2}{2m_Y^2}\right)^2,$$

$$\Gamma_Y = \frac{1}{\tau_Y} = \sum_{\ell=e,\mu} \Gamma(Y \rightarrow \ell^+ \ell^-) + \sum_{\pi=\pi^+,\pi^0} \Gamma(Y \rightarrow \pi\pi),$$

Here  $\pi\pi$  includes  $\pi^+\pi^-$ ,  $\pi^0\pi^0$  and  $\Gamma(Y \rightarrow \pi^+\pi^-) = 2\Gamma(Y \rightarrow \pi^0\pi^0)$ .

# Hidden-Valley-like simplified model

For a 1 GeV scalar boson  $Y$ , the branching ratio into  $\pi\pi$  is almost 100% and for  $\mu^+\mu^-$  is just about 0.4%

For a 1 GeV scalar boson  $Y$  with  $\sin\theta_2 = 1.6 \times 10^{-2}$ , we have

$$\Gamma_Y \approx 4.25 \times 10^{-10} \text{ GeV and so } \tau_Y = \frac{1}{\Gamma_Y} \approx 1.55 \times 10^{-15} \text{ (s)}.$$

$$\sigma(pp \rightarrow gg \rightarrow X(750)) = \sin^2 \theta_1 \times \sigma_{\text{SM}}(pp \rightarrow gg \rightarrow H_{\text{SM}}) .$$

# Fitting the width for $X(750)$

In order to fit the width of  $X(750)$  to 45 GeV with the mixing angle  $\sin \theta_1 = 0.3$ , we need a very strong coupling for  $X$  with a pair of  $Y$ 's

$$|\mu_{HS}| \gtrsim 1308 \text{ GeV} . \quad (29)$$

	$YY$	$W^+W^-$	$ZZ$	$t\bar{t}$
BR	50.45%	29.07%	14.38%	6.10%
$\Gamma_i$ (GeV)	22.70	13.08	6.47	2.75

TABLE I. The branching ratios and partial widths for  $X(750)$  into the four most dominant modes  $YY$ ,  $W^+W^-$ ,  $ZZ$ , and  $t\bar{t}$  with the mixing angle fixed at  $\sin \theta_1 = 0.3$ .

# Fitting the production rate for X(750)

$$\begin{aligned} & \sigma(pp \rightarrow X \rightarrow YY \rightarrow (\pi^0\pi^0)(\pi^0\pi^0) \rightarrow (4\gamma)(4\gamma)) \\ &= \sigma(pp \rightarrow X) \times B(X \rightarrow YY) \times [B(Y \rightarrow \pi^0\pi^0)]^2 \times [B(\pi^0 \rightarrow \gamma\gamma)]^4 \\ &\approx [736 \text{ fb} \times (0.3)^2] \times [50.45\%] \times \left[100\% \times \frac{1}{3}\right]^2 \times [100\%]^4 \\ &\approx 3.71 \text{ fb} \end{aligned}$$

# Fitting the production rate for X(750)

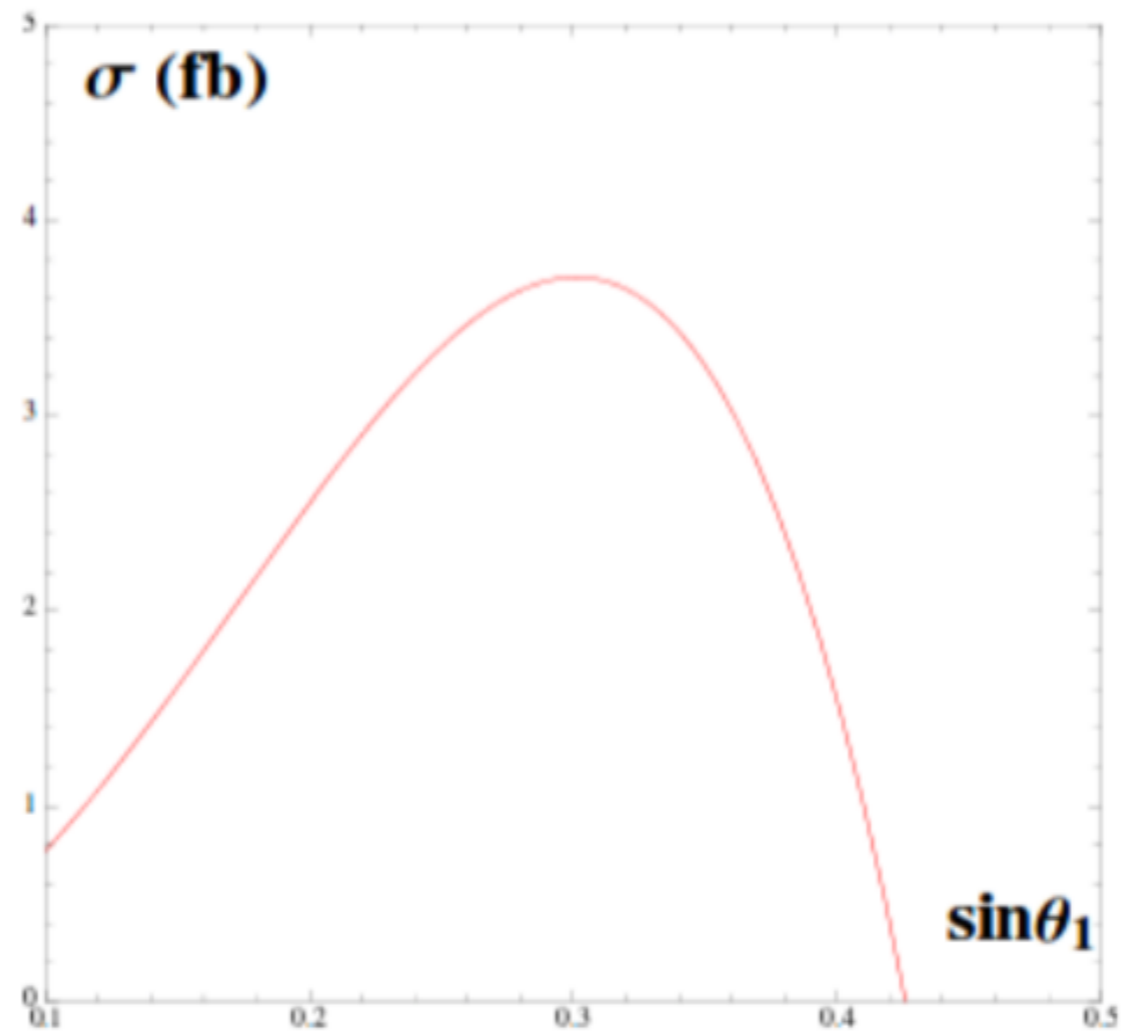


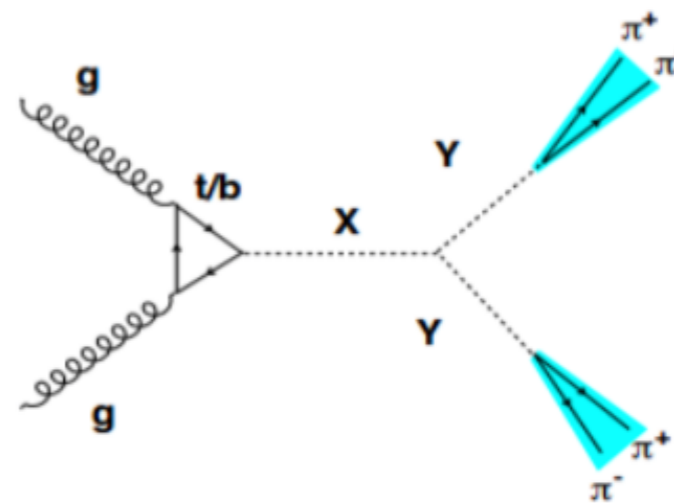
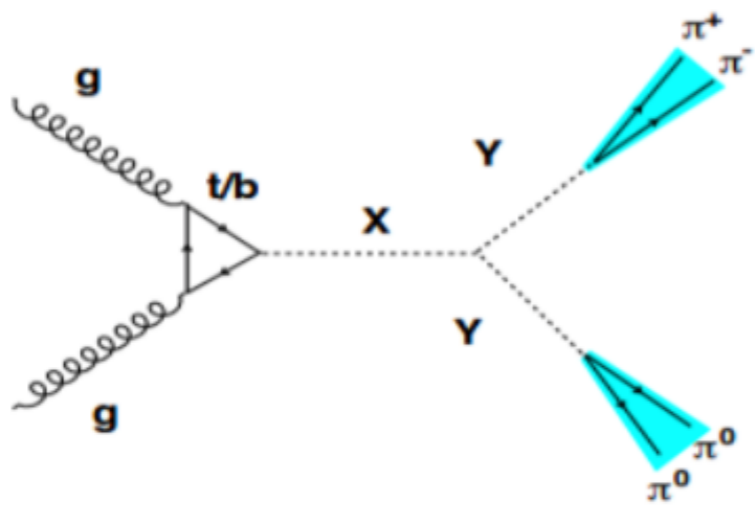
FIG. 4. The variation of production rate of  $\sigma (pp \rightarrow X \rightarrow YY \rightarrow (\pi^0\pi^0)(\pi^0\pi^0) \rightarrow (4\gamma)(4\gamma))$  versus  $\sin\theta_1$

# DISCUSSION

$\mathcal{O}(15 \text{ fb})$

$$pp \rightarrow X \rightarrow YY \rightarrow (\pi^0 \pi^0)(\pi^+ \pi^-)$$

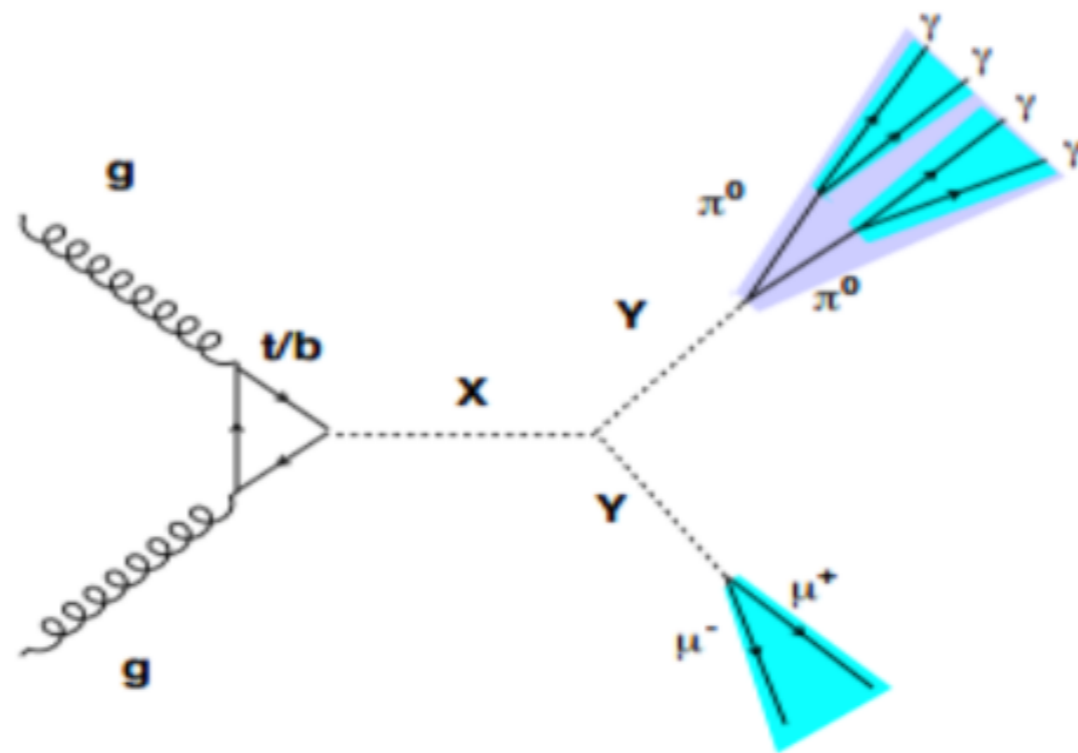
$$pp \rightarrow X \rightarrow YY \rightarrow (\pi^+ \pi^-)(\pi^+ \pi^-)$$



# DISCUSSION

$\mathcal{O}(0.1 \text{ fb})$

$$pp \rightarrow X \rightarrow YY \rightarrow (\pi^0 \pi^0)(\mu^+ \mu^-)$$



# Conclusion

If the 750 GeV Diphoton Resonance comes to be true, except for testing other decay channels to confirm the predictions of different type of models in the market, one important issue comes out :  
Could we interpret the large production rate of  $O(10 \text{ fb})$  and large width relative to the mass  $\Gamma/M \approx 6\%$  naturally ??

We try to use our idea as a smoking gun to induce other more natural way but not traditional way to explain the 750 GeV Diphoton Resonance data !

👁️ *Thank you very much for  
your listening !!*

