

# ACAT 2008 Workshop

- 138 worldwide participants
- Plenary sessions (18 talks)
- 3 Parallel Sessions
  - 1. Computing Technology (27 talks)
  - 2. Data Analysis (26 talks)
  - 3. Computation in Theoretical Physics (21 talks)
- Round Table discussion (on multi-core)

See agenda on Indico: <a href="http://indico.cern.ch/conferenceTimeTable.py?confld=34666">http://indico.cern.ch/conferenceTimeTable.py?confld=34666</a>

### Outline

- Highlights from Data Analysis, algorithms and tools (session 2)
  - MultiVariate analysis methods
    - one plenary talk + 9 parallel talks
  - Parallelization, multi-core
- Summarize some interesting plenary talks
- Many interesting talks spanning various subjects
  - Apologize for not mentioning many of them (from Session 1 or 3)

### Multi-Variate Methods

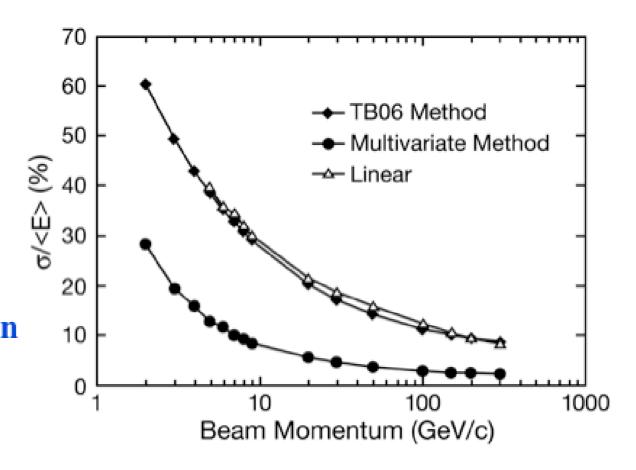
- Very nice plenary presentation from H.
   Prosper on MVA
- Various presentation on multivariate analysis methods in Session 2 (Data analysis, algorithms and tools)
  - MVA methods are gaining acceptance
  - getting attention from LHC experiments
- This year less emphasis on new classifiers
- Presentations on example of usage and comparisons between methods

# Examples of MVA (from H. Prosper talk)

#### Example - Energy Measurements

Regression using neural networks to estimate single particle energies.

See poster by Sergei Gleyzer CMS Collaboration



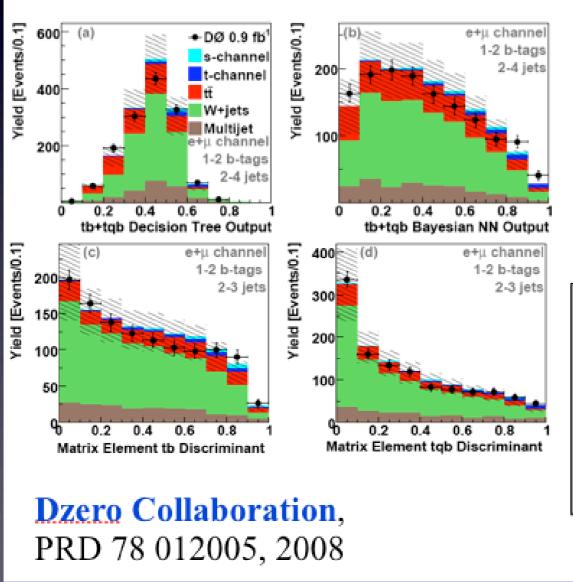
CMS Hadron Calorimeter Resolution

NN reflects better non linear sharing of energy among calorimeter towers

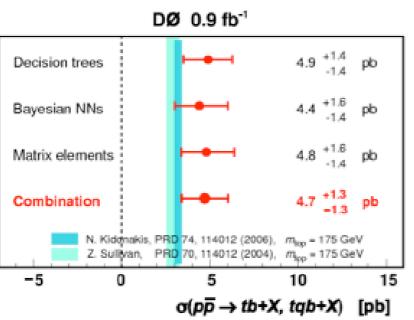
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# Examples of MVA (from H. Prosper talk)

#### Example – Single Top Search



Single top quark search using boosted decision trees
Bayesian neural networks
matrix element method

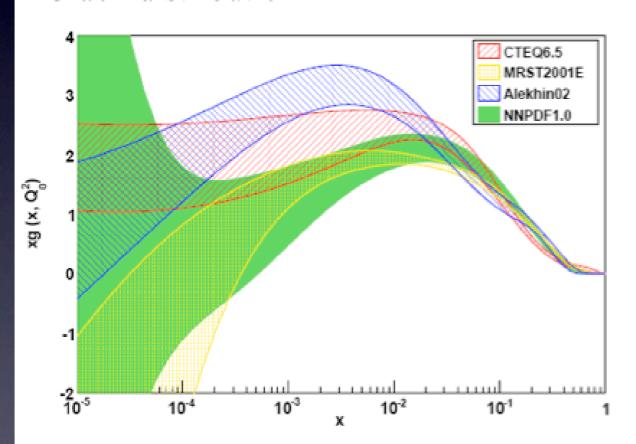


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# Examples of MVA (from H. Prosper talk)

#### **Example – Parton Distributions**

#### Gluon distribution



PDFs modeled with neural networks, fitted using a genetic algorithm

The NNPDF Collaboration, R.D. Ball et al., arXiv: 0808.1231v2

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#### Introduction

#### A Short List of Multivariate Methods

- Random Grid Search
- Linear Discriminants
- Quadratic Discriminants
- Support Vector Machines
- Naïve <u>Bayes</u> (Likelihood Discriminant)
- Kernel Density Estimation
- Neural Networks
- Bayesian Neural Networks
- Decision Trees
- Random Forests
- Genetic Algorithms

#### **Outstanding Issues**

#### **Tuning Methods**

 Is cross-validation sufficient to choose the function class (number of leaves, number of trees, number of hidden nodes etc.)?

#### Verification

- How can one confirm that an *n-dimensional* density is well-modeled?
- How can one find, characterize, and exclude, discrepant domains in n-dimensions automatically?

#### **Summary**

- Multivariate methods can be applied to many aspects of data analysis.
- Many practical methods, and convenient tools such as TMVA, are available for regression and classification.
- All methods approximate the same mathematical entities, but no one method is guaranteed to be the best in all circumstances. So, experiment with a few of them!
- Several issues remain. The most pressing is the need for sound methods, and convenient tools, to explore and quantify the quality of modeling of n-dimensional data.

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#### Verification

#### Discriminant Verification

Any classifier f(x) close to the Bayes limit approximates D(x) = p(x|S) / [p(x|S) + p(x|B)]

Therefore, if we weight, event-by-event, an admixture of N signal and N background events by the function f(x)

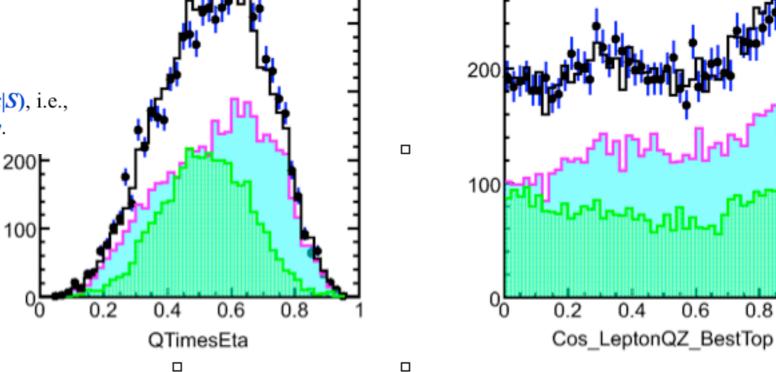
$$S_{\mathbf{w}}(x) = N p(x|S) f(x)$$

$$B_{\rm w}(x) = N p(x|B) f(x)$$

then the sum

 $S_{w}(x) + B_{w}(x) = N(p(x|S) + p(x|B)) f(x) = N p(x|S)$ , i.e., we should recover the n-dimensional *signal density*.

#### Verification – Example



Cyan plot: weighted signal

Black curve: sum

Green plot: weighted background

8.0

Black dots: signal

### TMVA

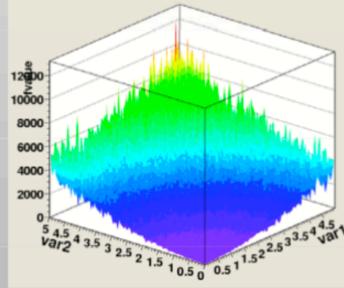
- Most popular packages in the community
- New version next year with various nice new features:
  - Support for regression in addition to classification
  - multi-class classification
  - automatic tuning using cross validation
  - generic boost or bag of any classifier
  - new method PDE-FOAM (separate talk)

## TMVA (J. Stelzer)

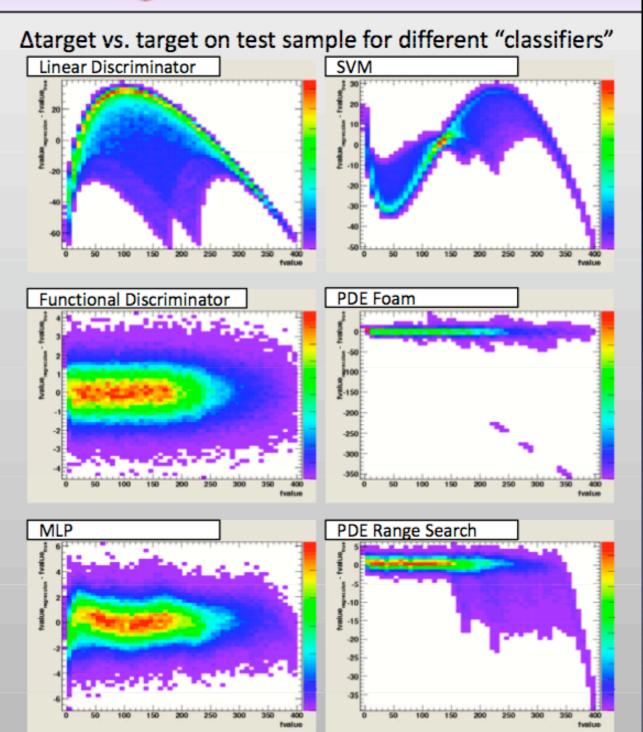
#### **Multivariate Regression**

- "Classifiers" try to describe the functional dependence
  - Example: predict the energy correction of jet clusters
- Classification:  $R^N \rightarrow R \rightarrow \{0,1,..,N\}$
- Regression: R<sup>N</sup>→R
- Training: instead of specifying sig/bkgr, provide a regression target
  - Multi-dim target space possible
- Does not work for all methods!

Example: target as function of two variables



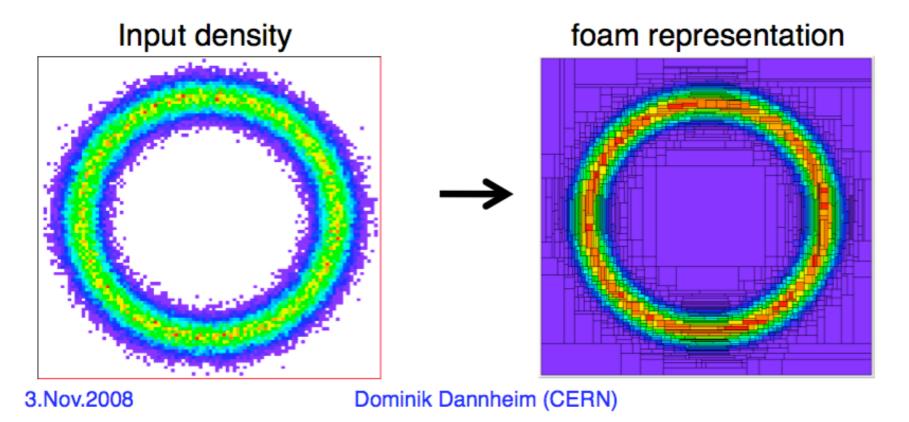




## PDE FOAM (D. Dannheim)

#### PDE-Foam

- Self-adapting binning method to divide d-dimensional phase space in finite number of hyper rectangles (cells)
- Algorithm based on Monte-Carlo Generator Package "Foam" by Stanislaw Jadach (Comput. Phys. Commun. 152 (2003) 55-100)
- Foam of cells: Few large cells in phase-space regions with constant likelihood density, many small cells in regions with high gradients of likelihood density
- Preserve only binned averaged density information after training phase
  - → Fast and memory efficient classification, independent of training sample size
  - → Reduces sensitivity to statistical fluctuations for small training samples



#### Discriminant

$$D_i = \frac{n_{sig,i}}{n_{sig,i} + c \cdot n_{bg,i}}$$

## Others MVA Packages

#### STATISTICAL PACKAGES

SPR

R

**WEKA** 

http://cran.r-project.org/

http://www.cs.waikato.ac.nz/~ml/weka/

- ✓ Supported on Unix
- ✓ Command line
- √ C++
- ✓ Faster on big datasets
- ✓ Many different FOMs
- ✓ More flexible: boosting and bagging an arbitrary sequence of classifiers, generalized forward addiction, multiclass learner with any kind of classifier, etc...

- Supported on many platforms
- Command line
- ✓ R or implemented in C, C++
  and interfaced into R
- Implemented in R is slow, but easy to interpretate. Otherwise, faster but less interpretable.
- Extensive on-line documentation
- Huge number of statistical tools
- ✓ Less flexible

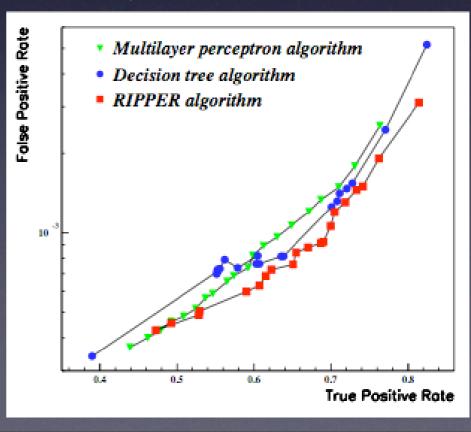
- ✓ Supported on many platforms
- ✓ Command line and GUI
- Java
- ✓ Slow on big datasets
- Easy graphical interface, fast to learn
- ✓ Less flexible

SPR better for more complex analyses. R / WEKA good for easier analyses.

# RIPPER (R. Britsch)

- RIPPER algorithm
  - classification of events using collection of if-then rules (direct rule based classifier)
- Instance weighting according to cost
  - assign cost to wrongly (or corrected) classified instances
- Use Bagging

Example: LHCb MC  $\Lambda \rightarrow p_+ + \pi_-$ 

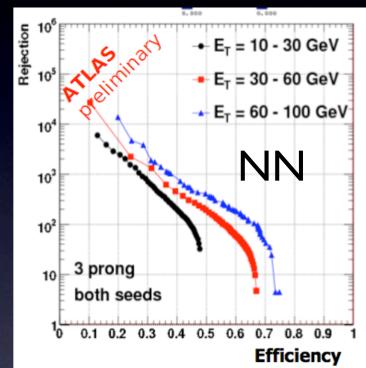


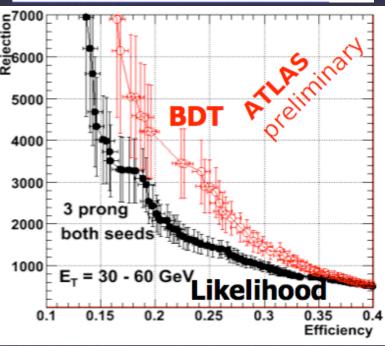
### Examples of MVA Applications

Tau Identification in ATLAS using MV tools (M. Wolter)

#### **Summary**

- Tau identification significantly improved by using multivariate analysis tools.
- All of the presented classification methods are performing well:
  - Cuts fast, robust, transparent for users.
  - Projected Likelihood a popular and well performing tool
  - PDE\_RS robust and efficient, but large samples of reference candidates needed.
  - Neural network fast classification while converted to the C function after training,
  - BDT fast and simple training, insensitive to outliers, good performance.
     Relatively new in HEP
- Multivariate analysis is necessary, if it is important to extract as much information from the data as possible.
- For classification problems no single "best" method exists. What matters is also simplicity and speed of learning and fast (and robust) classification.



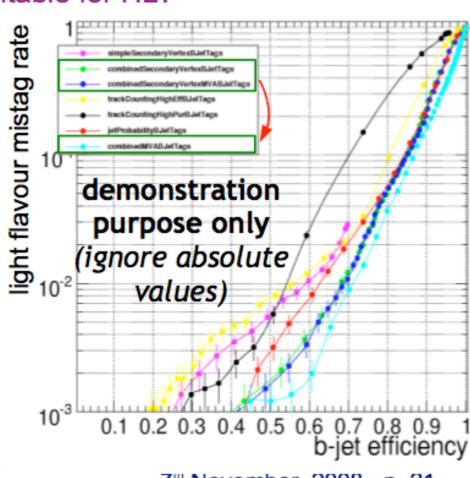


### Examples of MVA Applications

#### C.Saout: b-Tagging Algorithms in the CMS

Several different algorithms implemented, with different characteristics:

- Track Counting: sort tracks by descending Signed IP Significances (3D)
  - ▶ robust, simple and fast → suitable for HLT
- Jet probability: total probability that all tracks originate from PV
- Soft-lepton tagger, using electrons or muons
  - less reliance on IP and on tracker, fast, suitable for HLT
- Simple Secondary Vertex:
  - > significance of flight distance
  - Robust wrt to misalignment
- Combined Secondary Vertex:
  - Using all variables in likelihood or NN
  - Highest performance, but more complex



**Thomas Speer** 

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# Paradigm (S. Gleyzer) A Decision Making Framework for HEP

Decision making tool based on critical information

Relevant PARADIGM criteria

Relative Variable Importance RVI

**Useful for:** 

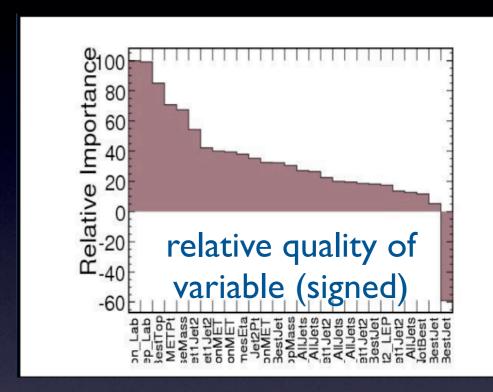
Variable Selection Classifier Improvement

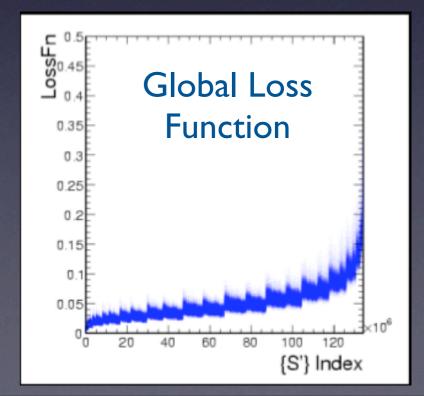
**Global Loss Function GF** 

**Useful for:** 

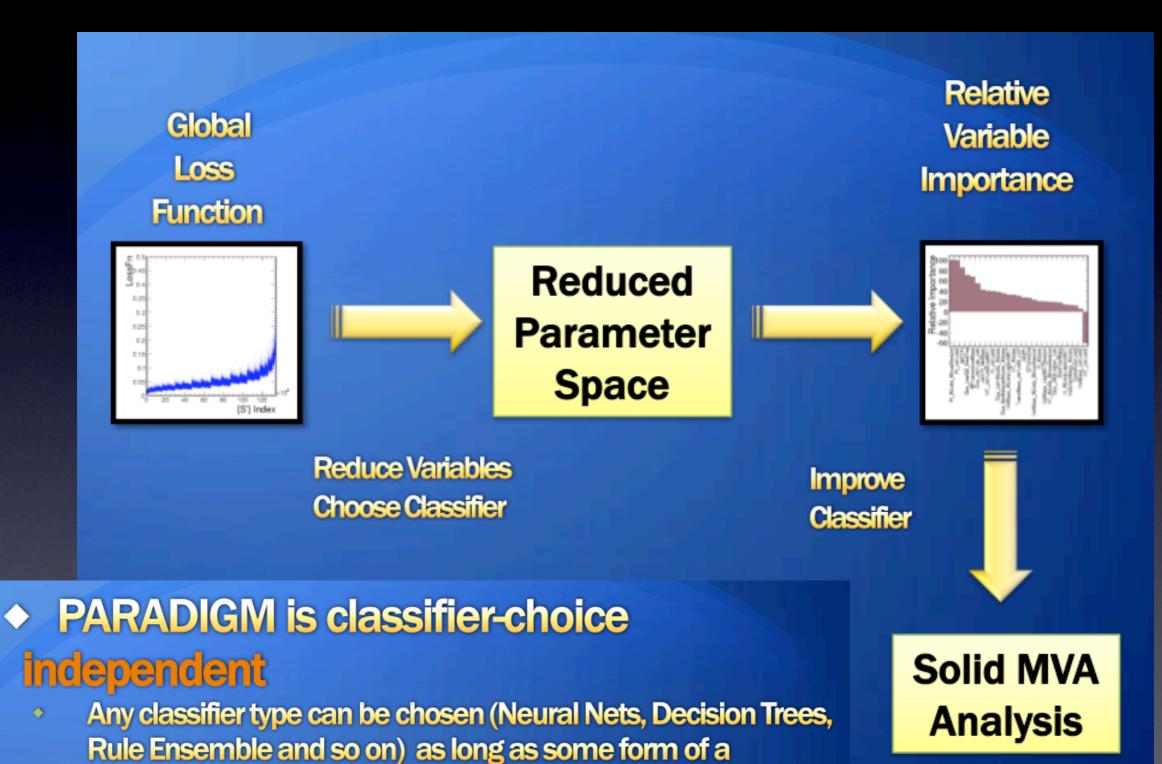
Variable Reduction Classifier Selection

Lower the GF: lower loss of classification power from removing a subset {S'} from {V}





# Paradigm (S. Gleyzer)



performance measure can be assigned to all classifiers

For Ex. area under the ROC curve

## Feature Selection Algorithms

(G. Palombo)

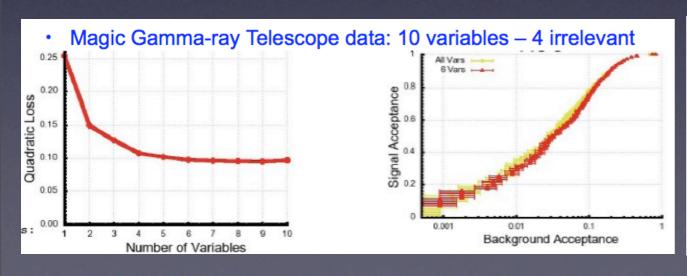
#### FEATURE SELECTION (FS)

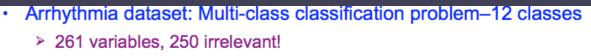
- Selection of the most powerful discriminating features (variables)
- Usually not all the features are useful for the classification problem. In modern applications, where the number of instances (events) can be huge, it is important to evaluate whether it is possible to find irrelevant features.
- FS addresses the problem of reducing the feature set to the smallest subset that gives the same or better quality of separation between signal and background as the full set does.

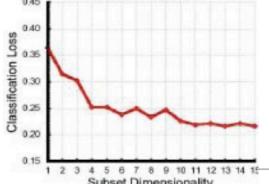
#### GOAL OF THE ANALYSIS AND DATA

- Comparing FS methods implemented in SPR to each other and with other methods implemented in statistical packages R and Weka.
- Comparing our results with previously published results for the same datasets.
- HEP datasets usually have many events with few input variables, but typically these datasets are not public.
- We use the datasets Magic Telescope, Cardiac Arrhythmia, WDBC, WBC, Colic Horse which are (with the exception of Magic Telescope) much smaller than typical HEP dataset. But they are all available publicly at:

www.ics.uci.edu/~mlearn/MLRepository.html







Features set	accuracy (%)	p-value
Best 11 Add2Rem1	80.95	
Best 11 $Add1Rem0$	76.19	0.49 (-)
Best $3 \text{ Add2Rem1}$	71.90	0.04 (-)
Best $4 \text{ Add2Rem1}$	75.24	0.22 (-)
All 261 SPR	75.95	0.10 (-)

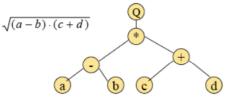
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# Gene Expression Programming (L. Teodorescu)

- Evolutionary computation simulates the natural evolution on a computer
  - > Generate a population of individuals with increasing fitness to environment
- GEP: Works with two entities, chromosomes and expression trees

  Candidate solution represented
  by an expression tree (ET)

  ET encoded in a chromosome:
  read ET left right
  and top down



Q\*-+abcd Q means sqrt

Chromosome - has one or more genes of equal length

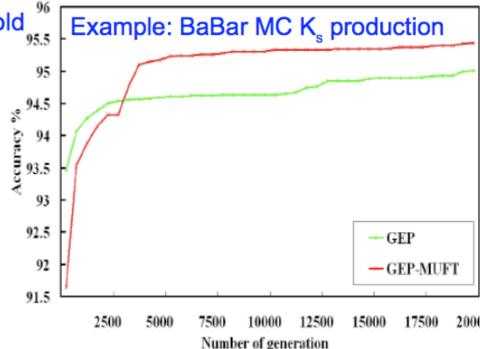
Gene – head: contains both functions and terminals (length h)
- tail: contains only terminals (length t)

- Reproduction: Genetic operators applied on chromosomes
- > Recombination: exchange parts of two chromosomes
- > Mutation: change the value of a node
- > Transposition: move part of chromosome to another location

#### L. Teodorescu: Enhanced Gene Expression Programming

#### Several new developments since ACAT07:

- Different ordering of symbols in chromosome:
  - ➤ Keeps the proximity of the genetic material during the translation process
    → expected lower destructive effect of the genetic operators
- Controlled evolution through fitness threshold
  - Eliminate the weak individuals from the evolution process
- · Dynamic classification threshold
  - Threshold value adapted to each individual
- Improvements:
  - > earlier convergence
  - slightly higher accuracy



## Data Analysis

- Improvements in ROOT fitting and minimization (L.M.)
- Goodness of fit test for weighted histograms (poster by N. Gagunashvili)
- Parallelization of fitting and minimization (A. Lazzaro)
  - split likelihood calculation (in RooFit) and/or

**→** MPI

OpenMP

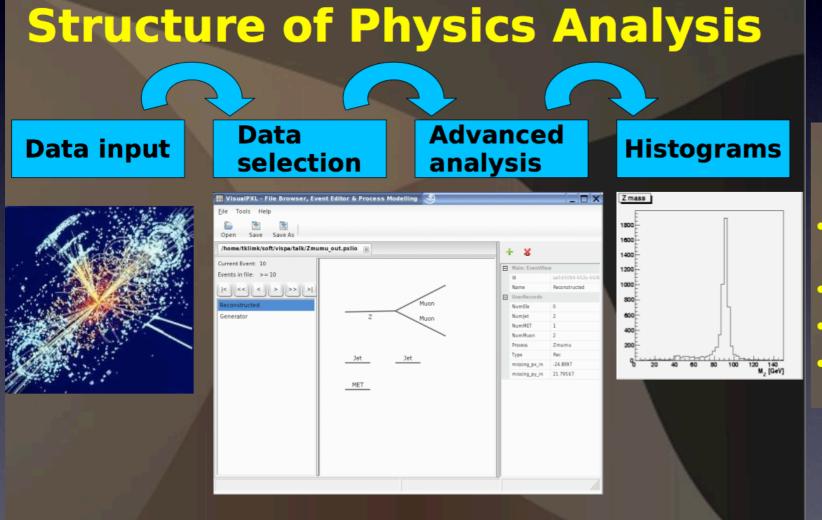
Number of Cores

- derivative calculation in Minuit2
- used MPI and/or openMP

## Visual Physics Analysis

(Tatsiana KLIMKOVICH)

VISPA: a novel concept for visual physics analysis



#### **VISPA Key Components**

- PXL: C++ package providing underlying functionality
- PyPXL: Python interface to PXL
- Module steering system
- Autoprocess: automatic decay chain reconstruction

- use GUI to design analysis
- can export to Python (create Python analysis modules)

# Languages, Interpreters, etc..

- T. Johnson: Java based software for High-Energy and Astro-physics
- C. Lattner: Introduction to the LLVM Compiler System
- Axel N.:The role of interpreters in HPC
- Axel N.: C++ and Data

# C++ and Data (Axel Naumann)

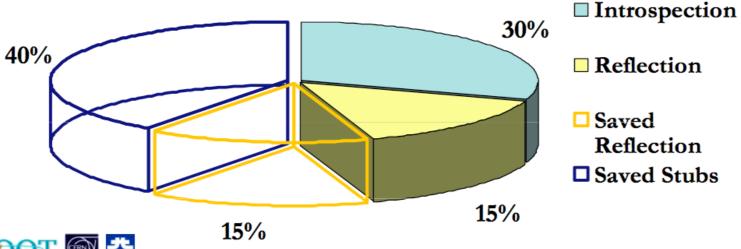
- Overview of C++ reflection and dictionary
  - Dictionary size and coming optimizations

#### Reflection Data Optimization

ROOT will soon serialize reflection objects

Proof of concept already implemented

- Reduce disk space
- Improve build (no libraries)
- Unload when done



# Session 3

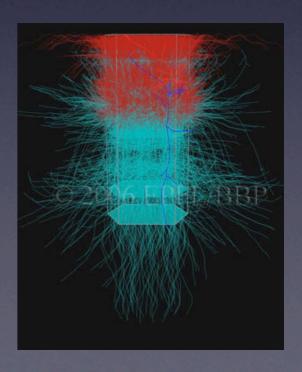
(Computation in Theoretical Physics)

- Geant4 talks (V.N.Ivanchenko)
  - Recent Progress of Geant4 Electromagnetic Physics and Readiness for the LHC Start
  - Hadronic Physics in Geant4: Improvements and Status for LHC Start
- MC generators in CMS (P. Bartalini)
- LCG Generators (M. Kirsanov)
- Statistics (S. Bityukov)
  - Two approaches to combine significances

## Blue Brain Project (F. Schürmann)

- EPFL project in collaboration with IBM
- Reverse-engineer the mammal brain
  - reconstruct and simulate neurons based on large amount of experimental data
    - model connections and build neural circuits
    - simulate microcircuit (brain activity)
      - massive parallel computation
- use supercomputer (IBM Blue-gene)





# High-Precision Arithmetic and Mathematical Physics



(D. Bailey, LBL)

$$\pi = \sum_{n=0}^{\infty} \frac{1}{16^k} \left( \frac{4}{8k+1} - \frac{2}{8k+4} - \frac{1}{8k+5} - \frac{1}{8k+6} \right)$$

see http://en.wikipedia.org/wiki/Bailey-Borwein-Plouffe\_formula

- Examples of applications requiring more extended precision (double-double or quad-double)
  - supernovae simulations
  - climate modeling
  - planetary orbit calculations
  - Coulomb N-body atomic system simulations

#### High precision software

Non-commercial (free) software:				
Total Significant				
Туре	Bits	Digits	Support	
Double-double	128	32	DDFUN90, QD.	
Quad-double	256	64	QD.	
Arbitrary	Any	Any	ARPREC, MPFUN90, GMP, MPFR.	

Commercial software: Mathematica, Maple.

#### High-precision Arithmetic is Indispensible in Modern Scientific Computing



- State-of-the-art large-scale scientific calculations involving highly nonlinear systems often require numerical precision beyond conventional 64-bit floating-point arithmetic.
- Few physicists, chemists and engineers are experts in numerical analysis, so software-based high-precision arithmetic is often the best remedy for severe numerical round-off error.
- The emerging "experimental" methodology in mathematics and mathematical physics often requires hundreds or even thousands of digits of precision.
- Double-double, quad-double and arbitrary precision software libraries are now widely available (and in most cases are free).
- High-level C, C++ and Fortran-90 interfaces facilitate the conversion of large scientific programs to use this software.