

Proposal for the experimental scenario

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Workshop on Simulations and measurements of Long Range Effects in the LHC

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With input from

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- Principle of wire correction
- Wire embedded in collimators
 - Optics, wire distance and current
- Experimental conditions, observables and associated instrumentation needs
- SPS wires status
- Discussion

Wire compensation

- Considering round beams and crossing in both planes, the BBLR kicks are

$$\Delta\{x', y'\} = -\frac{2N_b r_p}{\gamma} \frac{\{X, Y\}}{X^2 + Y^2} \left(1 - e^{-\frac{X^2 + Y^2}{2\sigma^2}}\right)$$

with $X = x + x_c$, $Y = y + y_c$

- For an “infinite” round wire, the kicks are

$$\Delta\{x', y'\}_W = \frac{\mu_0}{2\pi} \frac{I_W L_W}{B\rho} \frac{\{X_W, Y_W\}}{X_W^2 + Y_W^2}$$

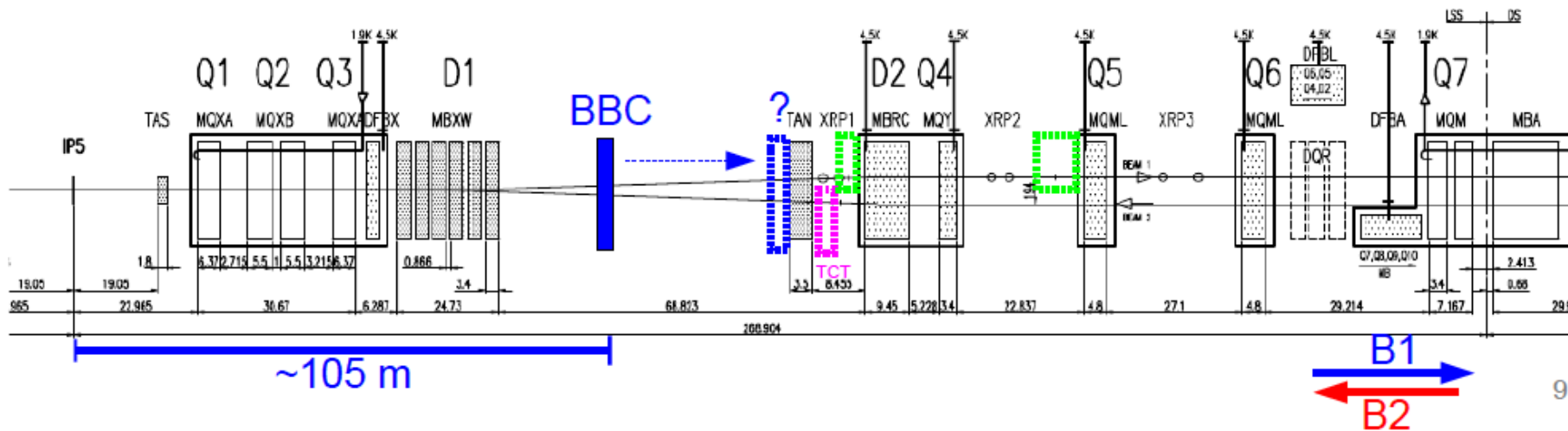
with $X_W = x + x_W$, $Y_W = y + y_W$

- For cancelling the effect **for any position** (large separations) $x_W = x_c$, $y_W = y_c$, $I_W L_W = ecN_b$
- This gives **5.5 Am/encounter** for the nominal LHC and **10.6 Am** for HL-LHC

Basic considerations

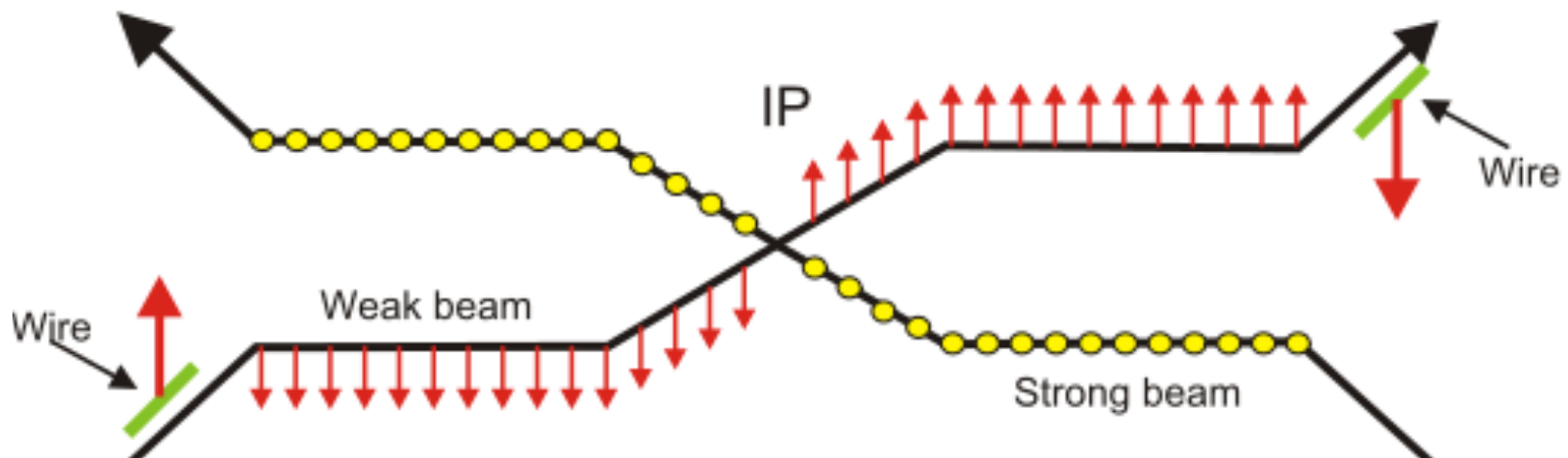
J.P. Koutchouk, 2001

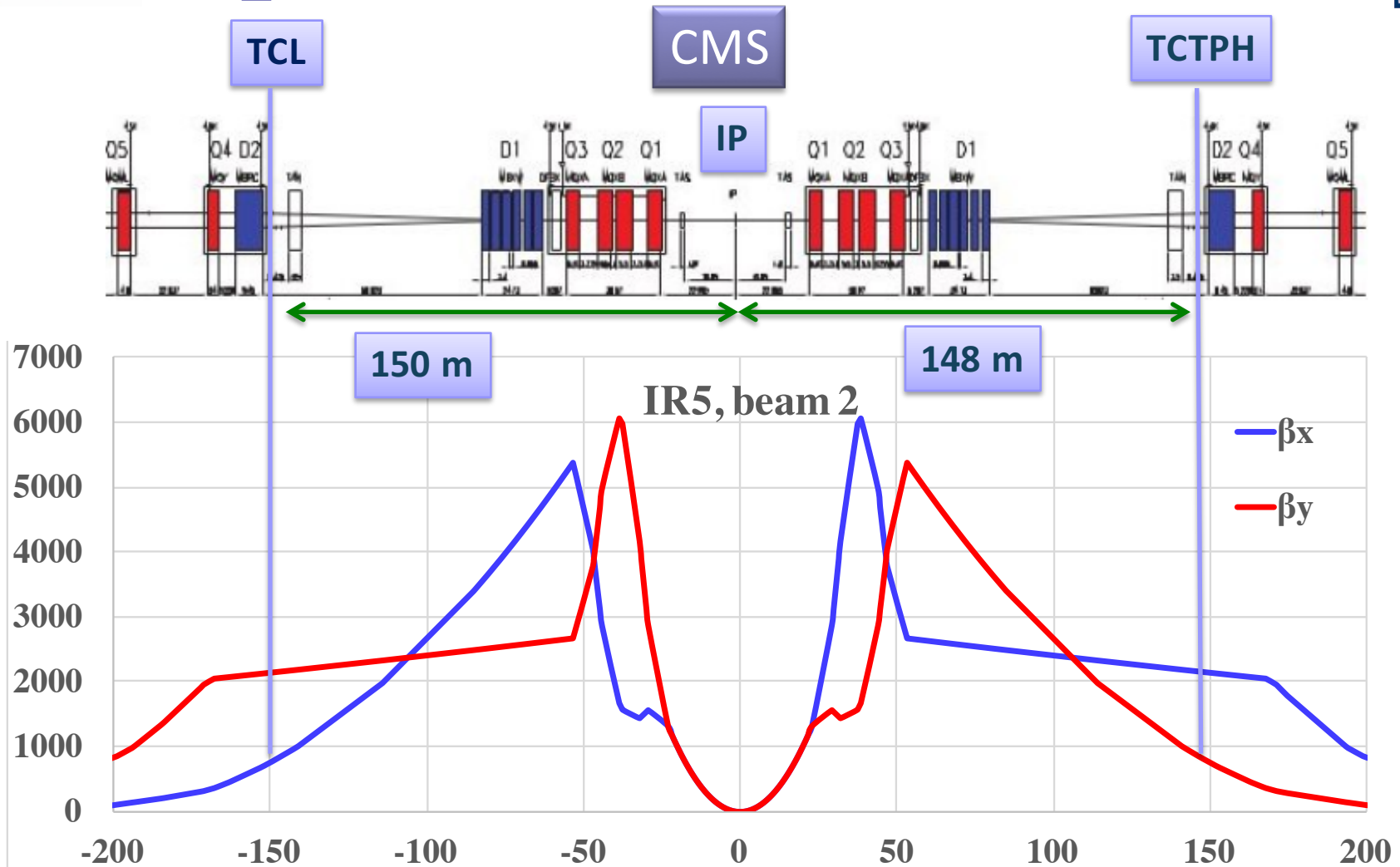
- **Locality** of the compensation
 - Close to the BBLR encounters which occur at $\sim\pi/2$ from either IP side
 - A lot of space available between D1 and TAN but integration is difficult (idea of e-lens)
 - Phase advance still close to $\pi/2$ even up to Q5
- **Optics considerations** S. Fartoukh et al., PRSTAB, in press
 - Large beta functions for efficient tune-shift compensations
 - The optics functions equality is not optimal for resonance driving term compensation
 - Ratio of 2 or $1/2$ is optimal for HL-LHC
- The absolute criterion should be **non-linear compensation**
 - Increase of Dynamic Aperture through combined reduction of non-linear resonances and tune-spread



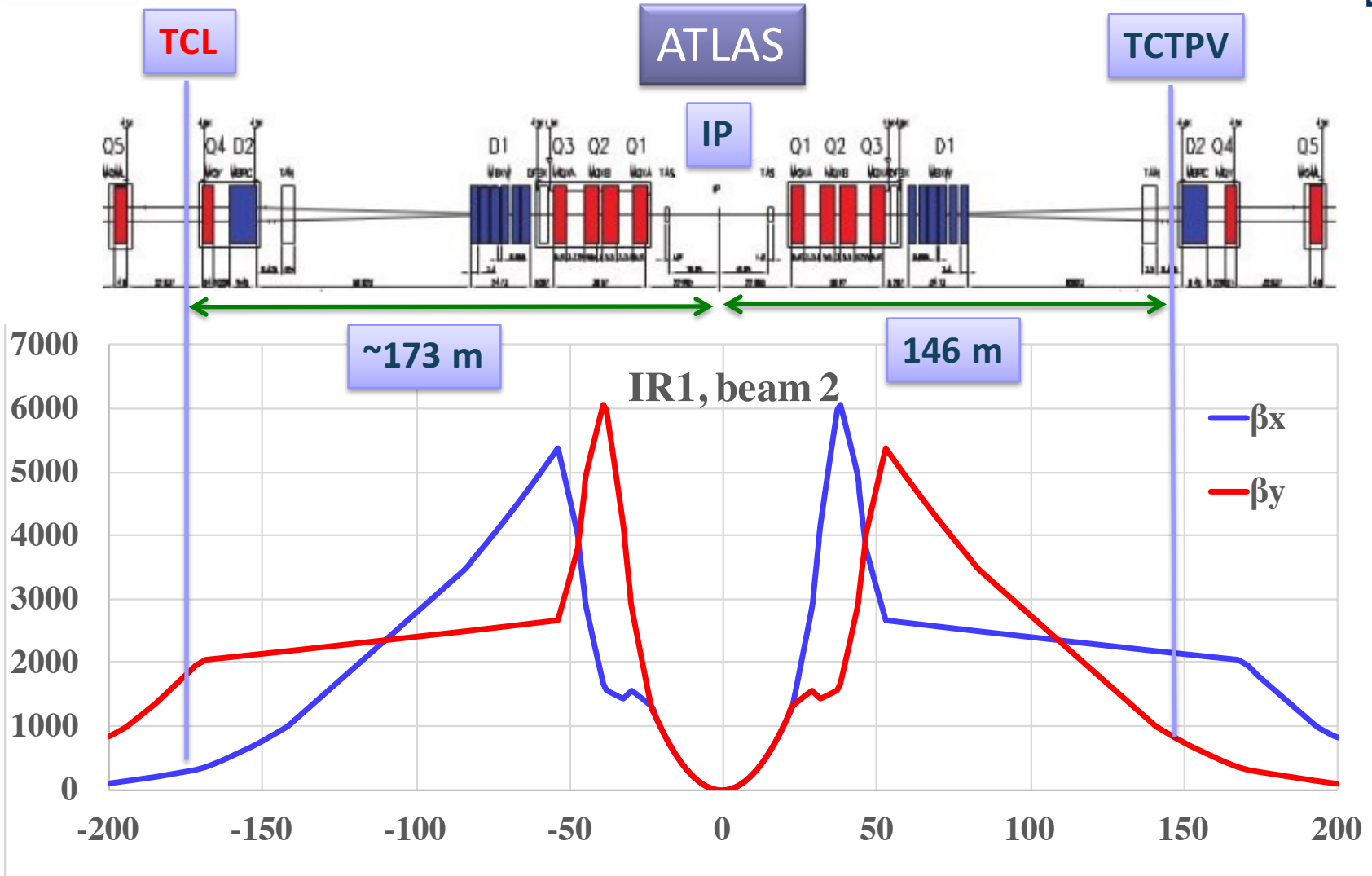
Two wires per IP

- **Integrated current** can be **reduced** for the same correction reach
- Due to optics anti-symmetry and different plane crossing, **effect of two wires** in the two planes is also **anti-symmetric** (if placed in symmetric locations wrt to the IP)
- **Powered independently** to fit better the integrated kick on either side
- **Beam 2** is presently considered being the one equipped with the test halo diagnostics (coronagraph)
 - Are there any other constraints preventing this choice?





- IR5: Horizontal TCT and TCL will be replaced with wire-embedded collimators
- Optics very close to anti-symmetric between the two locations (6.5TeV, 0.4m β^* shown)



- IR1: Vertical TCT will be replaced with wire-embedded collimator and **new TCT** installed downstream of Q4 (beam 2), as location next to D2 quite crowded
- Optics **not close to anti-symmetric** especially for the small corresponding β



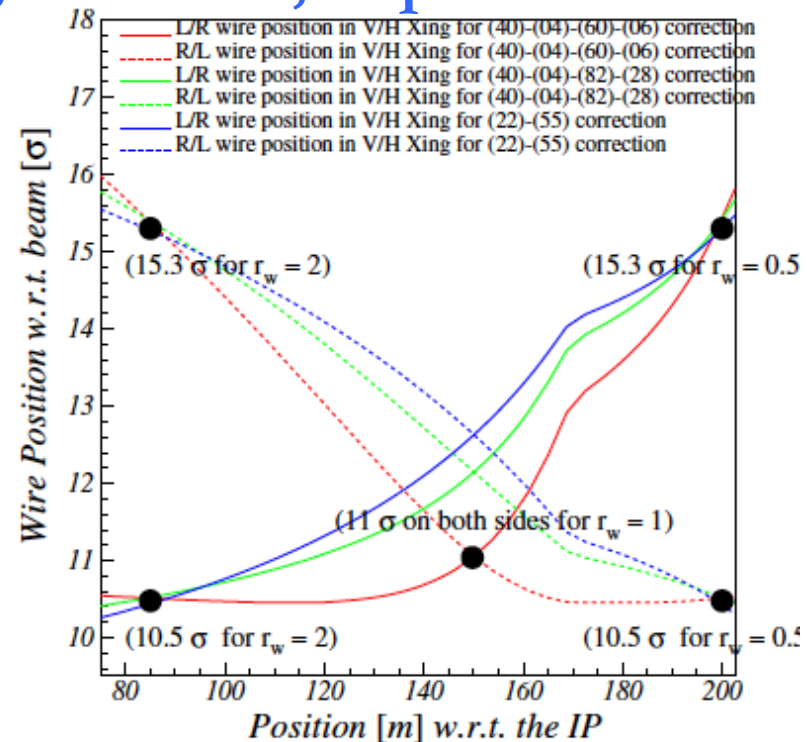
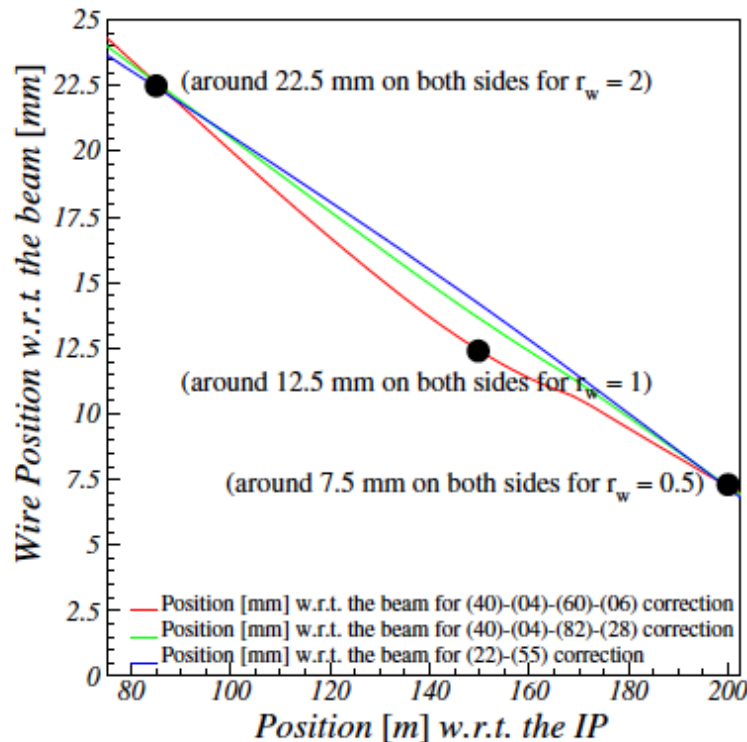
- In both IR1 and 5, wire location to almost $\pi/2$ from IP (max deviation of 2.5°)
- For IR5, β -function ratios of around **0.36-2.61**, almost **anti-symmetric**
- For IR1, β -function ratios of around **2.48-0.16**, far from **anti-symmetric**
- Both optics are likely far from **optimal** β -function **ratio**
 - Around **1.7-0.6** for nominal LHC
- **Optics adjustments** are desirable for the experiment, at least for left side of IR1

S. Fartoukh et al.,
PRSTAB, in press

Wire-beam distance

- For strict optics anti-symmetry (round optics), and for equal wire currents matching the number of long range encounters ($\sim 90A$ for the nominal LHC), physical distance of wire to the beam should be the same (but not the normalised one)
- This is independent on the resonances corrected
- For the “ideal” aspect ratio (2 and $\frac{1}{2}$ for HL-LHC), all resonances are corrected with the same wire distance to the beam

S. Fartoukh et al., PRSTAB, in press

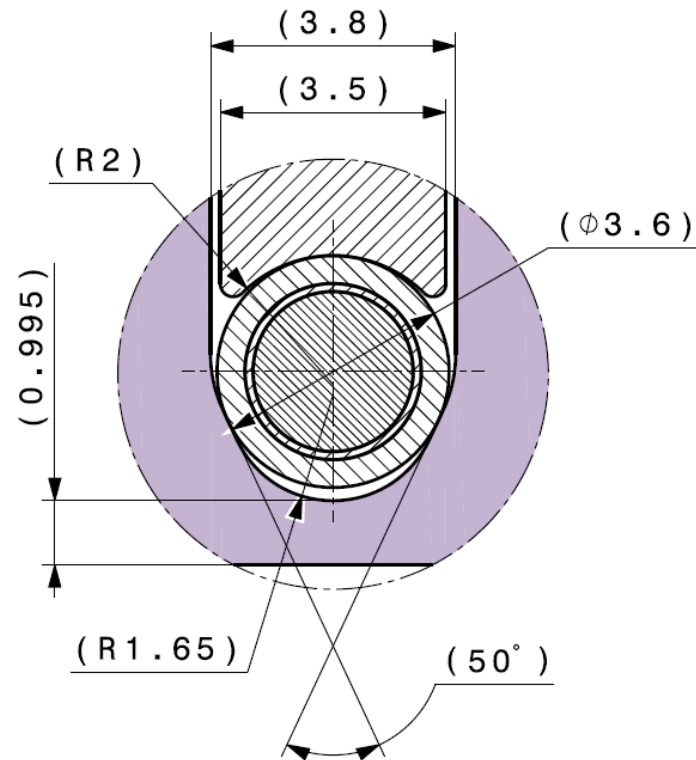




Wire-beam distance

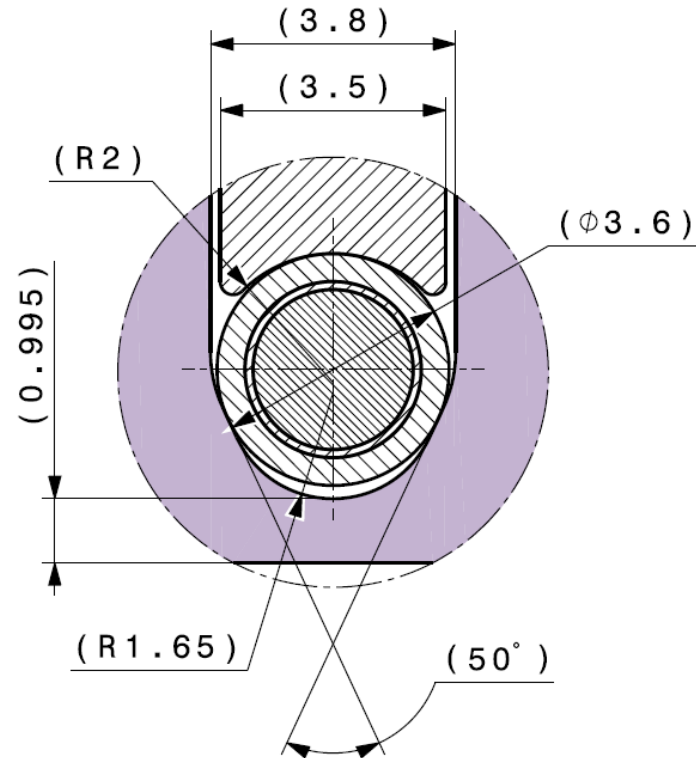


- Distance of wire for the test depends on optics at that location
 - For ideal aspect ratio (**modified** optics), a unique distance at either side cancels all LR driven resonances
- The wire center is positioned at around 2.8 mm from the collimator jaw edge, corresponding to around **2.6 - 4.3 σ** (0.4m- β^* optics @ 6.5 TeV, for the **almost symmetric locations** and 3.75 μm emittance)
- For nominal TCT-TCL collimator settings ($\sim 9.5 \sigma$), the wire position will be at **12.1 σ** for high- β aspect ratio, and at **13.8 σ** for low- β aspect ratio



A. Bertarelli

- An optimal aspect ratio optic can reduce it by $\sim 1 \sigma$, but still far from average beam-beam separation of 10σ
- At the nominal separation, lifetime is not dominated by BBLR, so wire tests should be done while reducing the crossing angle (TCT settings can be slightly relaxed)
- In conclusion, from one side the wire location is not an issue but from the other side, the internal collimator jaw should be pushed towards $\sim 6 \sigma$
- This may be a machine protection issue, apart from **pilot beams**



A. Bertarelli

- The effect of the wire or BBLR (RDTs or tune spread) is linear with integrated current but scales as the inverse wire distance to the beam to a power equal to the resonance order, i.e.

$$C_{p,q} \propto \frac{IL}{d_W^{p+q}}$$

- If the optics and layout conditions (β -aspect ratios, wire distance,...) cannot be met, wire currents and distances, should be used for cancelling the LR leading order effect, i.e. **octupole-like tune-spread**
- Wire distance is scaled as the inverse 4th power, so the max wire current ($\sim 350\text{A}$), can be used to relax the wire distance by **40%**



- **“Strong”** (non-compensated) beam1 composed by nominal 25ns trains with sufficient number of bunches to cover all long ranges, i.e. with at least $(16 \times 2) + 1 = 33$ bunches, neglecting the long-ranges inside D1
 - Usual train with 72 bunches from PS covers all long ranges even inside D1
- **“Weak”** (compensated) beam2 composed of (at least 4) single bunches, with
 - **Low intensities** (pilots), allowing the wire to approach in “optimal” distance
 - **Large emittances**, for enhancing the effect on the tails
 - **One bunch** positioned by e.g 12.5ns from nominal bucket for **avoiding HO**
 - **One bunch** on nominal bucket for testing the effect **with HO**
 - **One “PACMAN” bunch** positioned in a way to receive **only half LR kicks**
 - **One non-colliding bunch** (not HO nor LRs) for reference
- Beams should be initially separated in IP2 and 8
- Colliding in only 1 IP can be used to test correction separately



- **Optics** need to be adjusted at least for new collimator in IR1, but also modified optics with optimal aspect ratio should be considered
 - **MD time** for optics **validation** already **during 2016**
- Effect is weak with nominal crossing angle, so reduction is necessary
 - Sufficient **time** to **long range MDs** should be given for quantifying the effect
- Doing the tests at injection energy should be also considered
 - Large gain in time and machine protection restrictions
 - Optics conditions are not optimal for enhancing the long range effect (squeezed optics)

- Lifetime (bunch-by-bunch)
 - Need simulations to benchmark the experiments, i.e. track distributions with BBLR + compensation
 - Disentangle BBLR with respect to other effects such as head on, burn-off, vacuum, IBS, noise,... (on going work of F. Antoniou for LHC luminosity modelling)
- Tails evolution
 - Losses on different collimator positions
 - **Halo diagnostics**
- Beam transfer function
 - Damper effect?
- Orbit, tune, tune-spread (coupling, chromaticity)
 - Last three are difficult to measure, while in collision

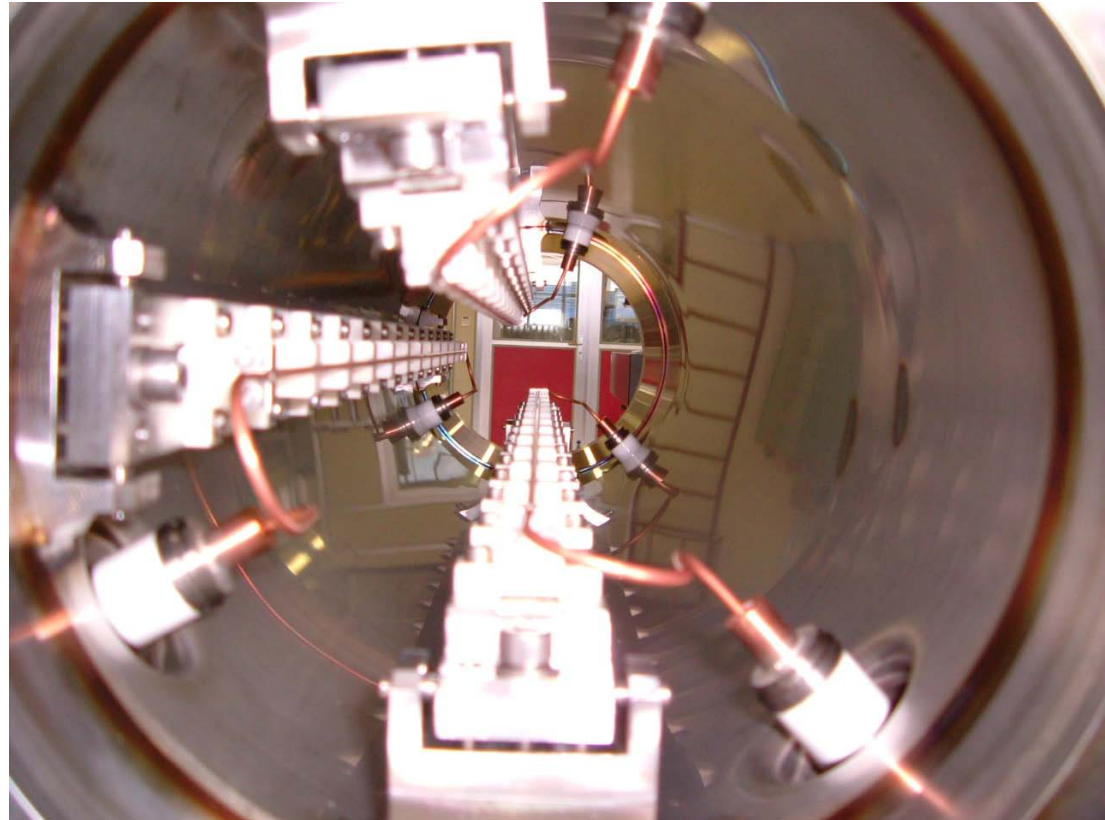


Wire effect in single beam

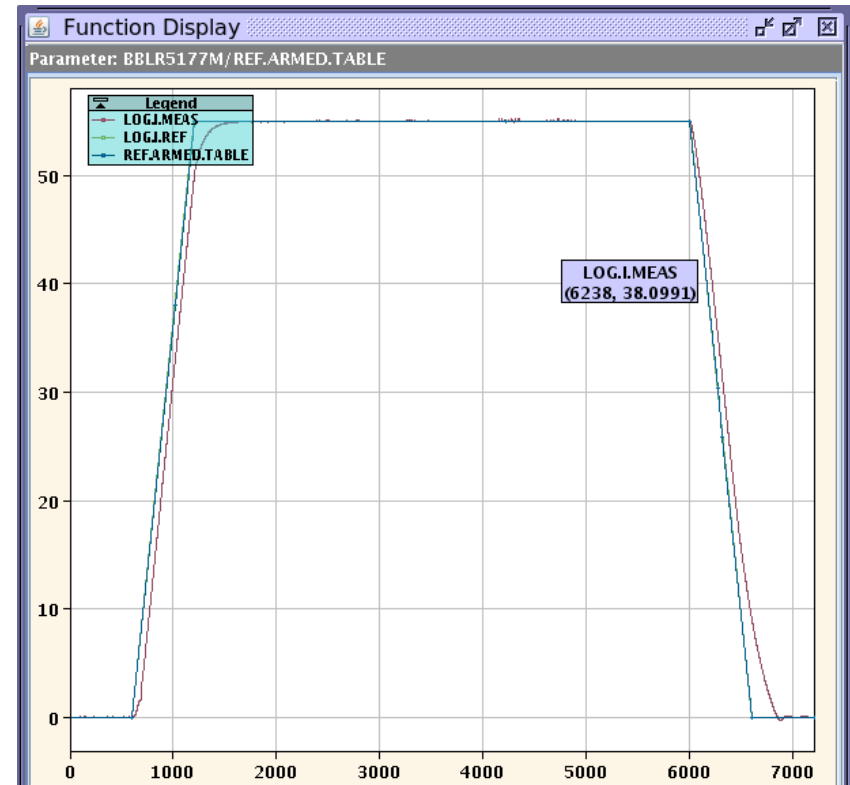


- Need to benchmark effect of wire
- Calibrate position and current with observables:
 - Orbit, tune, tunes-spread, coupling (alignment), resonance driving terms, effect on distribution (tails)
- Could be done even at injection energy and conditions (only 1 beam)
 - Experimental conditions and instrumentation as for LHC optics measurements
 - BPMs in orbit and TBT mode, BSRT, wire scanners, Q-Kicker, AC-dipole, etc...
 - A lot of information can be already gained with existing wires in SPS

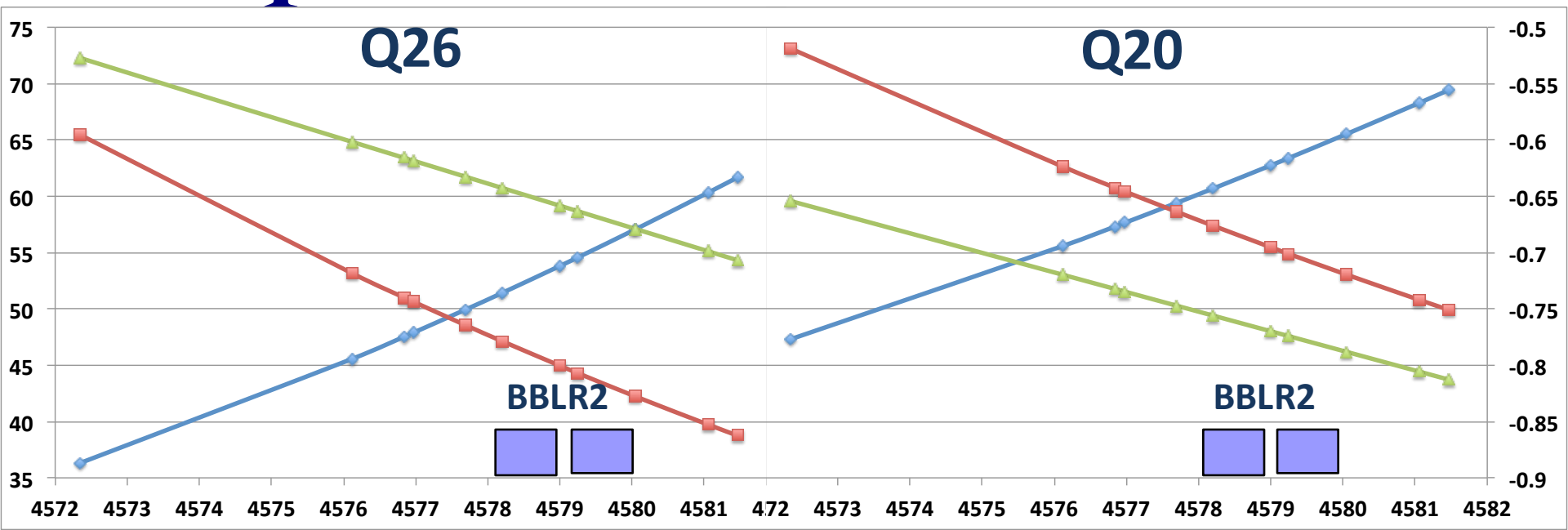
- Two 60cm long 3-wire compensators installed in the CERN SPS
 - Different “crossing” plane and even @ 45deg
- Movable in vertical by +/- 5mm (remote controlled)
- Water cooled
- Powered with integrated DC current of up to 360A m (~60 LR collisions in LHC)
- About equal beta functions in the transverse planes (~50m)



- Set-up re-evaluated
 - New power convertor able to pulse in PPM mode Powering H or V wire, with a switch
 - Step motors verified and controller in good shape
 - Vacuum integrity checked
 - Fine tuning of the PC performed during this summer (interlock, polarity switch)



- MDs for benchmarking wire models
 - At SPS flat bottom in parallel MD cycle (single LHC-type bunches)
 - Beam brought close to the wire with closed bump (already checked)
 - Effect of wire on orbit, tune, tunes-spread, coupling (alignment), resonance driving terms, beam distribution (tails)



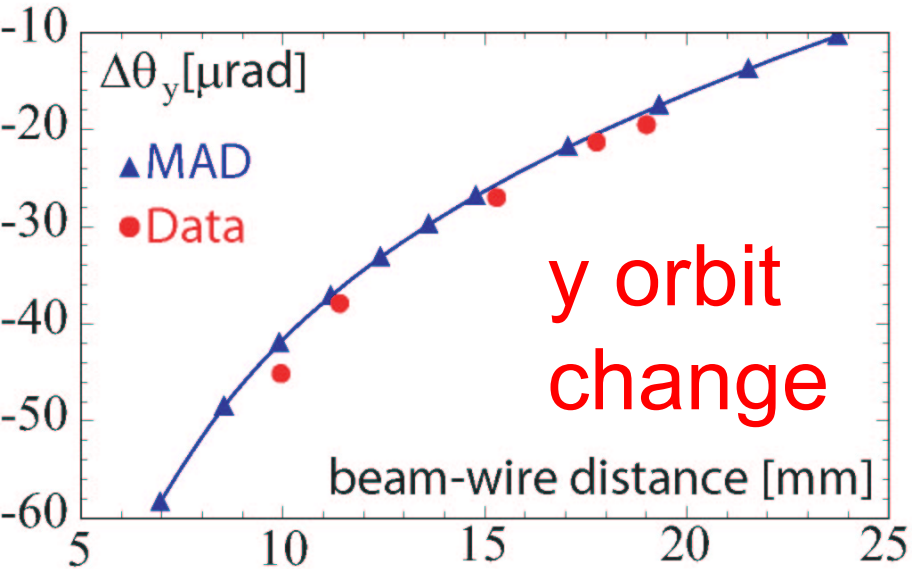
■ Q26 optics (nominal for FT beam)

■ Q20 optics (nominal for LHC beam)

□ $\beta_x \sim 53\text{m}$, $\beta_y \sim 45\text{m}$, $D_x \sim 0.65\text{m}$

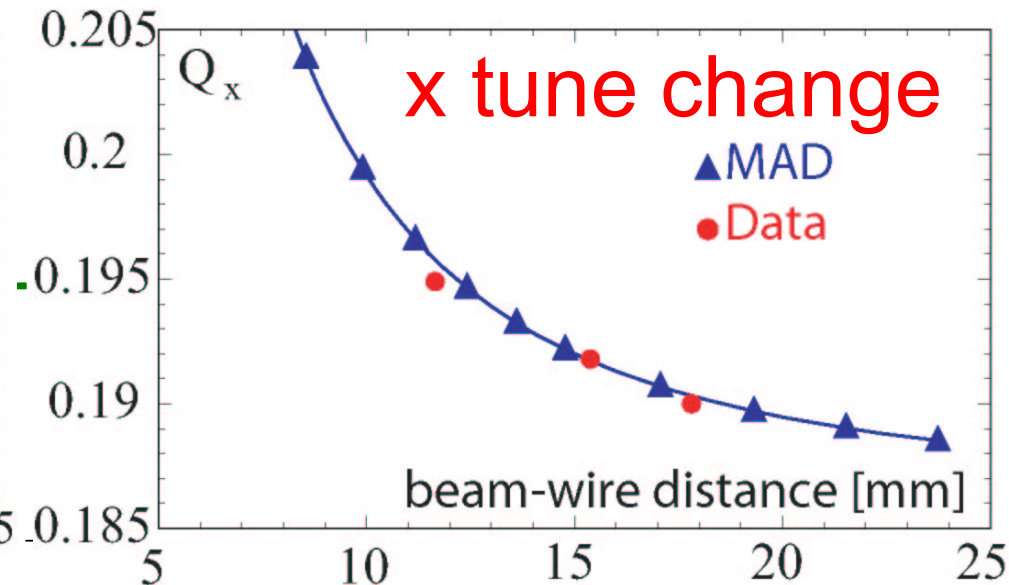
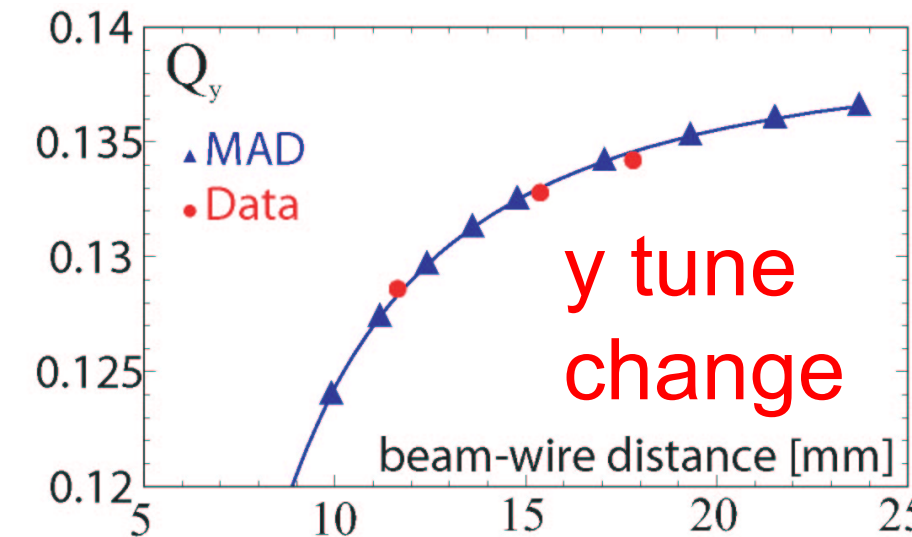
□ $\beta_x \sim 63\text{m}$, $\beta_y \sim 55\text{m}$, $D_x \sim 0.75\text{m}$

F. Zimmermann et al.



$$\delta y'_0 = \frac{\mu_0 I L}{2\pi r_W B \rho}$$

$$\delta \nu_{x,y} = \mp \frac{\mu_0 I L}{8\pi^2 B \rho} \frac{\beta_{x,y}}{r_W^2}$$



- Is beam 2 the final choice?
 - Beam instrumentation and machine protection considerations
- Optics adjustments (full or partial)
 - Are they possible? Can we schedule them already in 2016?
- Wire-collimator installation schedule
 - Is it possible to install even one wire-collimator during a technical stop in 2016, allowing wire calibration MDs earlier than the full installation
- Wire tests at injection energy
 - Do we have an experimental set-up where the LR effect can be enhanced at injection (e.g. squeezed optics for weak beam)
 - Is injection energy good for halo measurements
- Beam intensity of the weak beam
 - Are pilot bunches enough for all type of measurements, in particular halo, losses, lifetime, BTF,...
 - Is there a possibility to move the jaws further close to the beam for higher intensities

Back up slides

Orbit effect due to wire

- The wire induces an orbit shift due to a “dipole” kick expressed as

$$\delta x'_0 = \frac{\mu_0 I L \cos \phi_W}{2\pi B \rho r_W} \quad \text{and} \quad \delta y'_0 = \frac{\mu_0 I L \sin \phi_W}{2\pi B \rho r_W}$$

- For only horizontal or vertical positioning of the wire, there is only an orbit kick in the corresponding plane
- In either side of the IP, powering the wires accordingly (opposite sign and with current following the square root of beta functions ratio), orbit effect (π -bump)
 - To be used for calibration purposes

Coupling due to wire

- The minimum tune-split due to wire-induced coupling is

$$\delta\nu_{\min} = \frac{\mu_0 I L}{4\pi^2 B \rho} \sqrt{\beta_x \beta_y} \frac{\sin 2\phi_W}{r_W^2}$$

- If the wire is positioned in one plane, there is no coupling
- Maximum coupling is induced for $\varphi_W = 45^\circ$, giving around $6e-3$ tune-shift for wire in **BBC** position
- Global coupling can be cancelled, between wires in the two IPs, if wire is positioned in complementary phase $\varphi_W = 135^\circ$, in the opposite IP (and current follows square root of the product of beta functions)

Tune-shift due to wire

- The linear tune-shift induced by a wire is expressed as

$$\delta\nu_{x,y} = \mp \frac{\mu_0 I L}{8\pi^2 B \rho} \beta_{x,y} \frac{\cos 2\phi_W}{r_W^2}$$

- Equal beta functions in both planes chosen for having the same impact in both planes (**BBC** location)
- Induced tune-shift between wires in two IPs cancelled, if wire is positioned in equal distance but different planes, and integrated current follows beta function change
 - Alternating crossing idea for cancelling BBLR tune-shift
- For equal distance of the wire in both planes at the same IP ($\phi_W=45^\circ$), tune shift is suppressed (true also for BBLR)

- The first order tune-spread (octupole-like effect) is

$$\begin{pmatrix} \delta\nu_x \\ \delta\nu_y \end{pmatrix} = -\frac{3\mu_0 I L \cos(4\phi_W)}{16\pi^2 B \rho r_W^4} \begin{pmatrix} \beta_x^2 & -2\beta_x\beta_y \\ -2\beta_x\beta_y & \beta_y^2 \end{pmatrix} \begin{pmatrix} J_x \\ J_y \end{pmatrix}$$

- For alternating crossing in optically symmetric IPs, tune-spread adds up (same polarity)
- It can be cancelled for wire angle (or crossing) at $\pi/8$
- Because of triplet optics symmetry, diagonal terms of anharmonicity matrix for BBLR are equal
 - True also for the effect of two wires placed symmetrically in either side of the IP
- Ratio of beta functions at wire position can be chosen as to cancel completely tune-spread

- The first order resonance driving terms are

$$\mathcal{H}_{n_x, n_y} \propto \left| \int_0^C \frac{b_n}{r_W^n} \beta_x^{n_x/2} \beta_y^{n_y/2} e^{i(n_x \mu_x + n_y \mu_y)} ds \right|$$

- For phase advances $\mu_x \approx \mu_y \approx \pm\pi/2$

$$\Re [e^{i(\pm(2k+1)\pi/2)}] \approx 0 \quad \Im [e^{i(\pm 2k\pi/2)}] \approx 0$$

$$\Re [e^{i(\pm 4k\pi/2)}] \approx 1 \quad \Im [e^{i(\pm(4k-3)\pi/2)}] \approx \pm 1$$

$$\Re [e^{i(\pm(4k-2)\pi/2)}] \approx -1 \quad \Im [e^{i(\pm(4k-1)\pi/2)}] \approx \mp 1$$

- Due to the IP optics anti-symmetry, the contribution to purely H/V even resonances, from either side, is symmetric