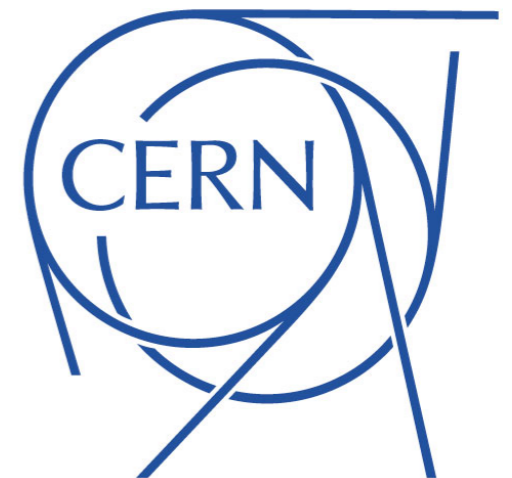


# Update on top pair production at 380 GeV

Ignacio García

IFIC (Valencia)

CLICdp WG Analysis Meeting 17/11/2015 CERN

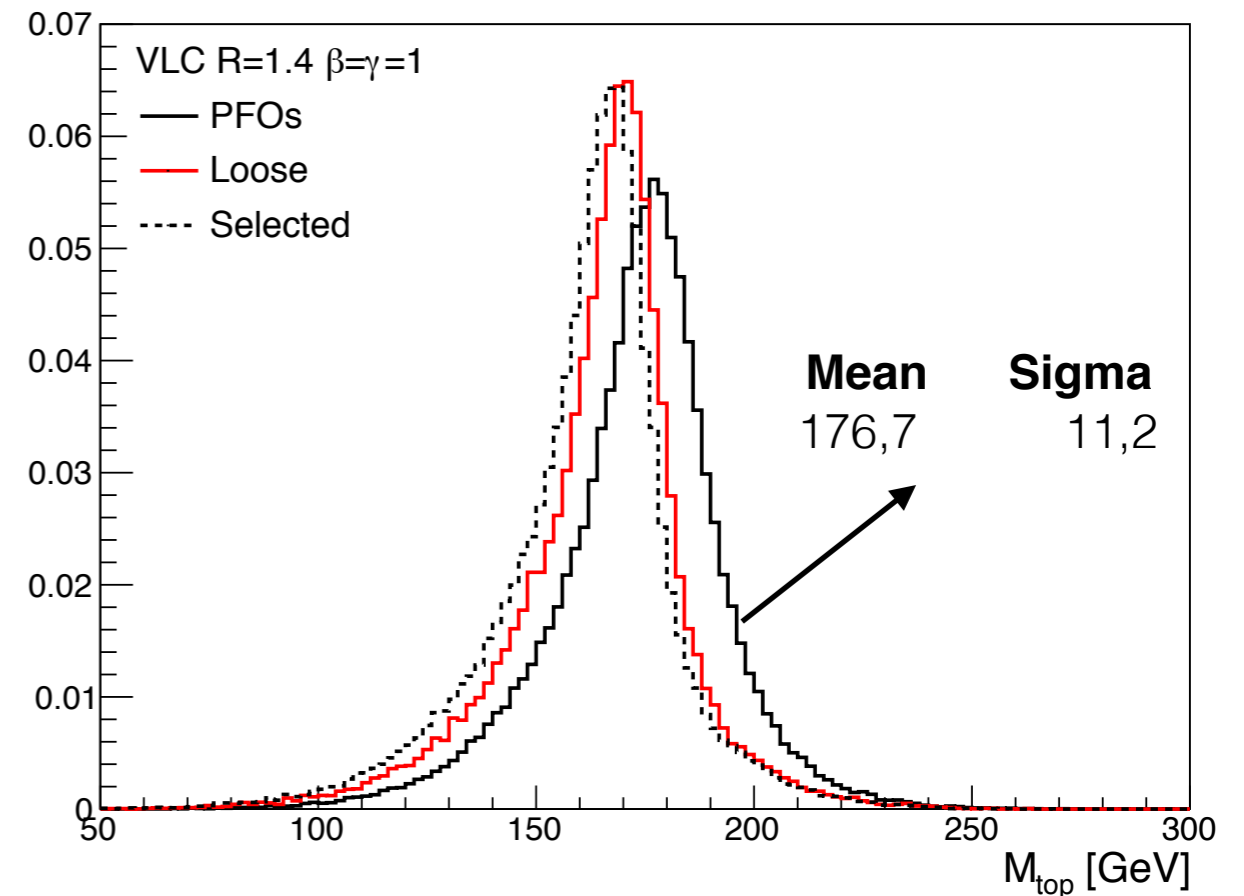
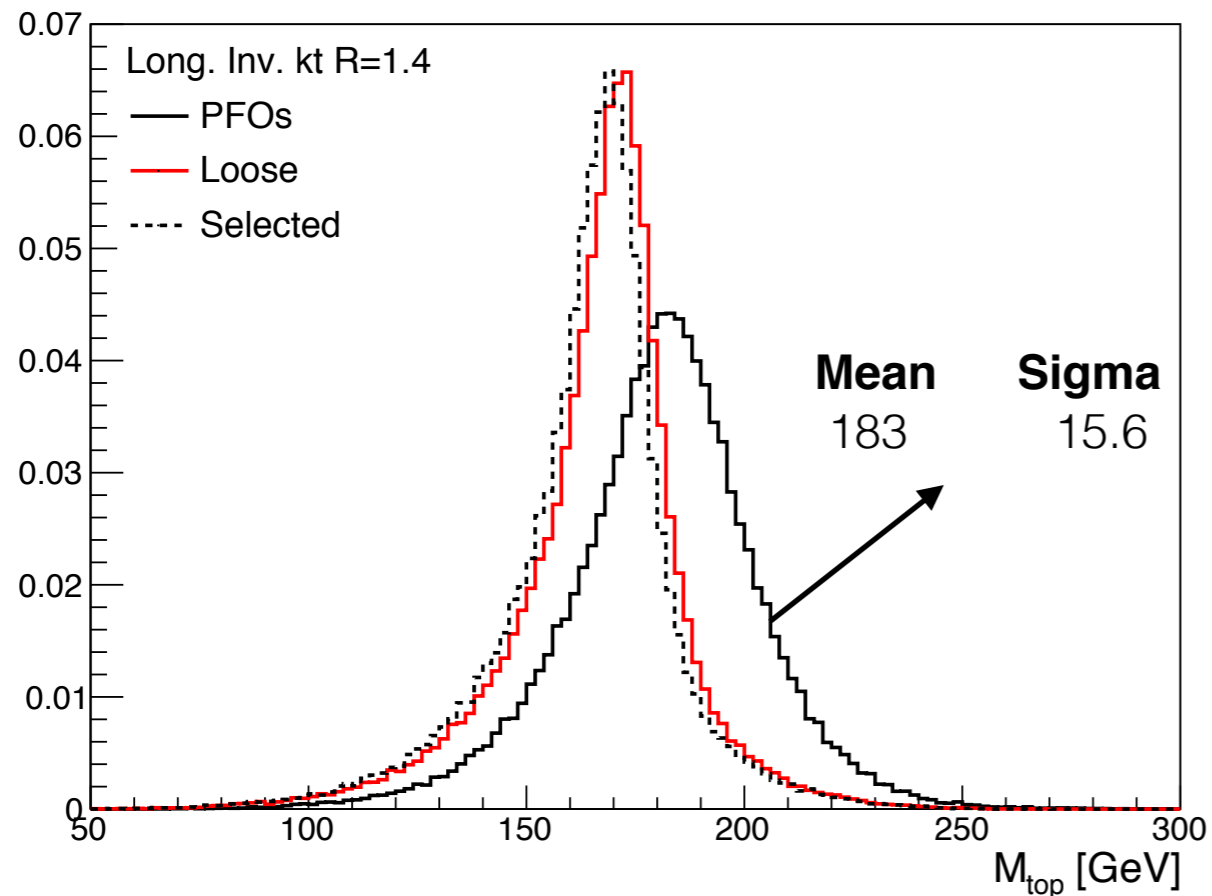


# Outline

- **Jet reconstruction optimisation**
  - Timing cuts
  - Jet algorithm parameters
  - Choosing the most optimal configuration
- **From ILC@500GeV to CLIC@380GeV (NEWS)**
- **Top quark couplings studies at CLIC@380GeV**
  - Lepton+jets tt CLIC@380GeV reconstruction
  - Observables
  - CP conserving top quark couplings uncertainties
  - Preliminary studies of the CPV top quark couplings
- **Conclusions**



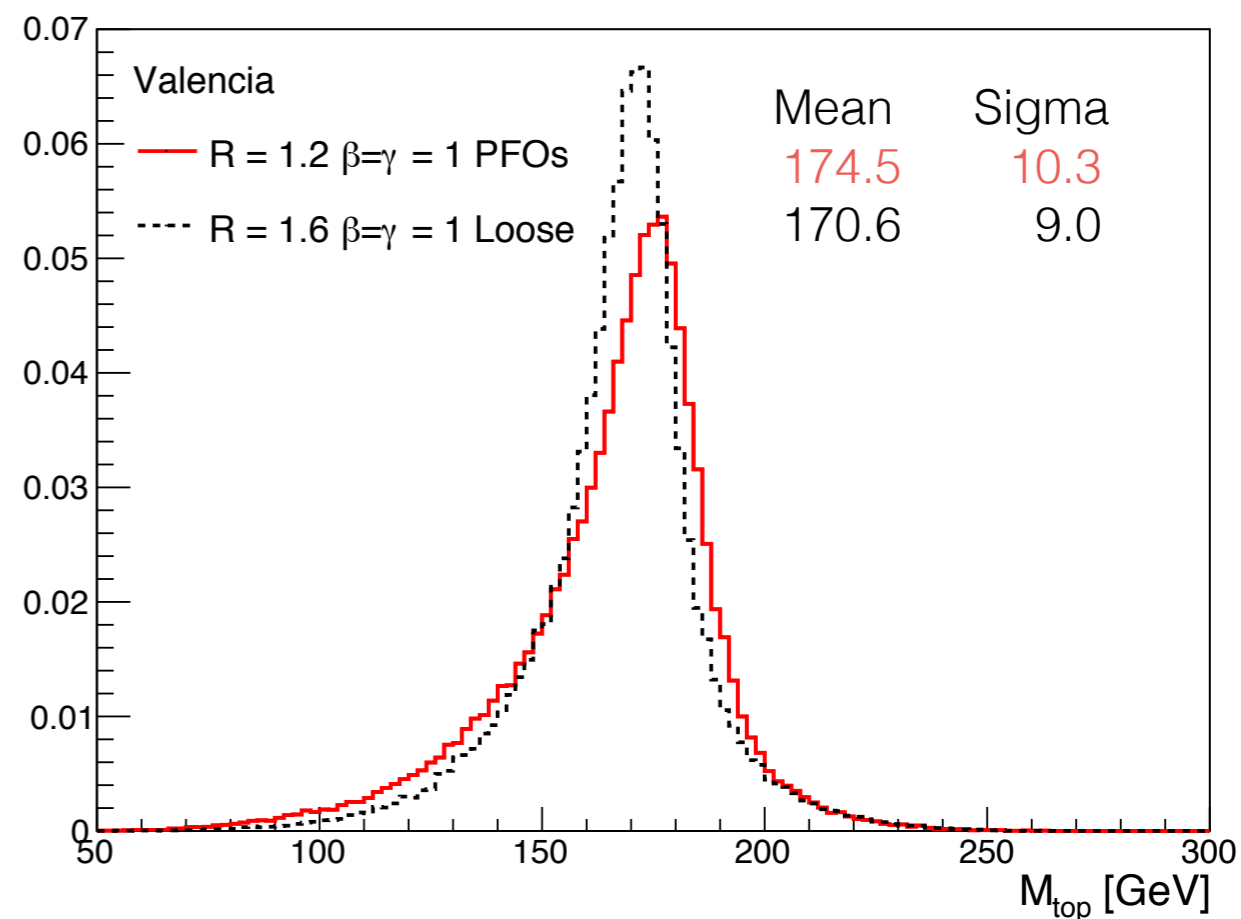
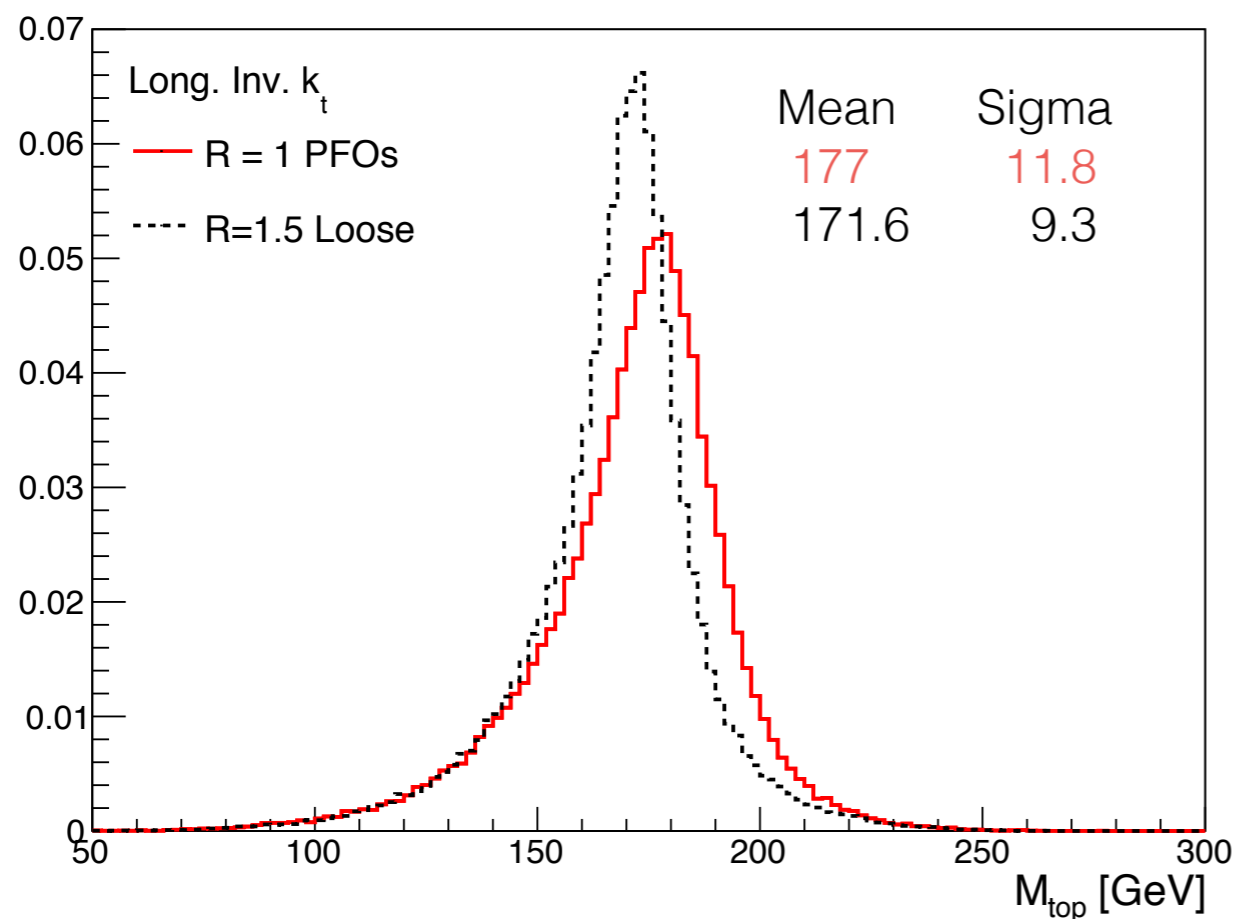
# Timing cuts impact in jet reconstruction



1) For a  $R=1.4$  using **all PFOs** without timing cuts  **$M_{top}$  is clearly degraded** for both algorithms

2) **Selected timing cuts** seem **too hard** at 380GeV  $\rightarrow$   $\sim 5$ GeV below the  $M_{top}$  expected value

# Jet Algorithms performance



Use **PandoraPFANewPFOs** collection with a **small R**  
or use **Loose** collection with a **large R**??

**Loose + large R offers better jet performance**



# Choosing the jet algorithm

- Top mass hadronic candidate mean value and width have been taken for choosing the best configuration for the jet reconstruction

		Timing cuts					
Jet algorithm	Parameters	PFOs		Loose		Selected	
		Mtop [GeV]	$\sigma$ [GeV]	Mtop [GeV]	$\sigma$ [GeV]	Mtop [GeV]	$\sigma$ [GeV]
VLC	R=1.2 $\beta=\gamma=1$	-	-	-	-	<b>166</b>	<b>10</b>
	R=1.2 $\beta=1 \gamma=1.4$	<b>174.5</b>	<b>10.3</b>	-	-	-	-
	R=1.4 $\beta=\gamma=1$	<b>176.7</b>	<b>11.2</b>	<b>170</b>	<b>8.9</b>	-	-
	R=1.6 $\beta=\gamma=1$	-	-	<b>170.6</b>	<b>9</b>	-	-
	R=1.6 $\beta=\gamma=0.8$	-	-	<b>171.3</b>	<b>8.7</b>	-	-
	R=1.8 $\beta=\gamma=0.8$	-	-	<b>171.5</b>	<b>9.2</b>	-	-
Long. Inv. $k_t$	R=1	<b>177</b>	<b>11.8</b>	-	-	-	-
	R=1.2	<b>180.2</b>	<b>13.5</b>	-	-	-	-
	R=1.4	<b>183.0</b>	<b>15.6</b>	<b>171.3</b>	<b>9.0</b>	<b>168.4</b>	<b>9.6</b>
	R=1.5	-	-	<b>171.6</b>	<b>9.1</b>	-	-



# Choosing the jet algorithm

- VLC jet algorithm with  $R=1.6$   $\beta=\gamma=0.8$

		Timing cuts					
Jet algorithm	Parameters	PFOs		Loose		Selected	
		Mtop [GeV]	$\sigma$ [GeV]	Mtop [GeV]	$\sigma$ [GeV]	Mtop [GeV]	$\sigma$ [GeV]
VLC	R=1.2 $\beta=\gamma=1$	-	-	-	-	166	10
	R=1.2 $\beta=1$ $\gamma=1.4$	174.5	10.3	-	-	-	-
	R=1.4 $\beta=\gamma=1$	176.7	11.2	170	8.9	-	-
	R=1.6 $\beta=\gamma=1$	-	-	170.6	9	-	-
	<b>R=1.6 <math>\beta=\gamma=0.8</math></b>	-	-	<b>171.3</b>	<b>8.7</b>	-	-
	R=1.8 $\beta=\gamma=0.8$	-	-	171.5	9.2	-	-
Long. Inv. $k_t$	R=1	177	11.8	-	-	-	-
	R=1.2	180.2	13.5	-	-	-	-
	R=1.4	183.0	15.6	171.3	9.0	168.4	9.6
	R=1.5	-	-	171.6	9.1	-	-

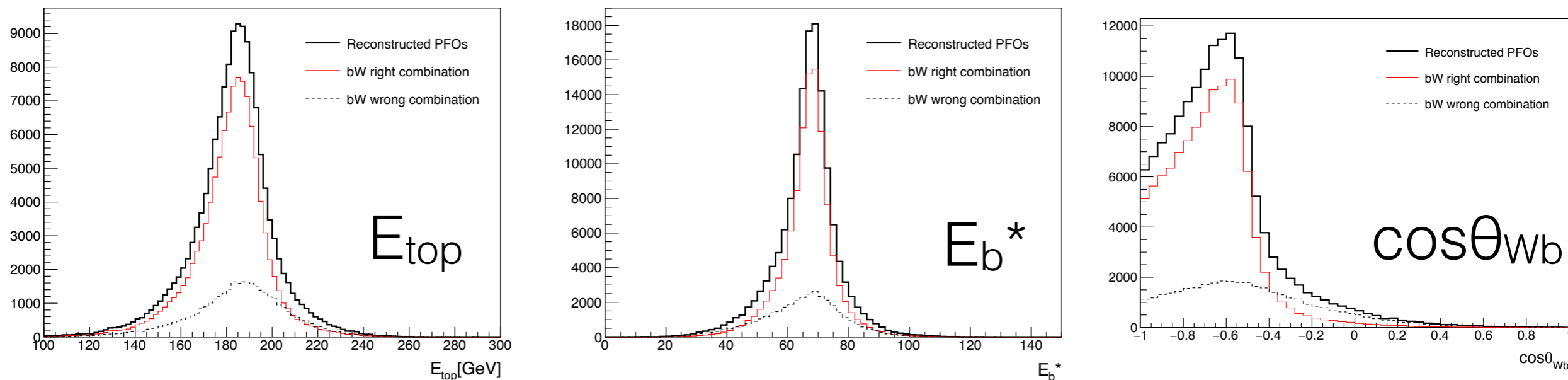


# From ILC@500GeV to CLIC@380GeV

	ILC@500GeV	CLIC@380GeV
$\sqrt{s}$	500 GeV	380 GeV
$E_{\text{top}}$	250 GeV	190 GeV
BX rate	300 ns	0,67 ns
$\gamma\gamma \rightarrow \text{hadrons}$	1.7 $\gamma\gamma \rightarrow \text{had}/\text{BX}$	0.0464 $\gamma\gamma \rightarrow \text{had}/\text{BX}$
PFOs Collections	PandoraPFOs	PandoraPFANewPFOs LoosePandoraPFANewPFOs TightPandoraPFANewPFOs SelectedPandoraPFANewPFOs
Detector Model	ILD_o1_v05	CLIC_ILD_CDR500
Beam polarisation	$P_{e^-} = \pm 100\%$ $P_{e^+} = \mp 100\%$	<b><math>P_{e^-} = \pm 80\%</math> <math>P_{e^+} = 0\%</math></b> <b>NEW</b>
ISR/FSR	YES	YES



# lepton+jets tt CLIC@380GeV reconstruction



The **signal is reconstructed** by choosing the combination of  $b$  quark jet and  $W$  boson that minimises the following equation

$$\chi^2 = \left( \frac{M_t - 172.5}{\sigma_{M_{top}}} \right)^2 + \left( \frac{E_t - 190}{\sigma_{E_{top}}} \right)^2 + \left( \frac{E_b^* - 68}{\sigma_{E_b^*}} \right)^2 + \left( \frac{\cos\theta_{bW} + (-0.6)}{\sigma_{\cos\theta_{bW}}} \right)^2$$

## Selection cuts:

- Semi-leptonic events -> **1 lepton event**
- $b$ -tag values:  **$b\text{-tag}_1 > 0.8$  &  $b\text{-tag}_2 > 0.5$**

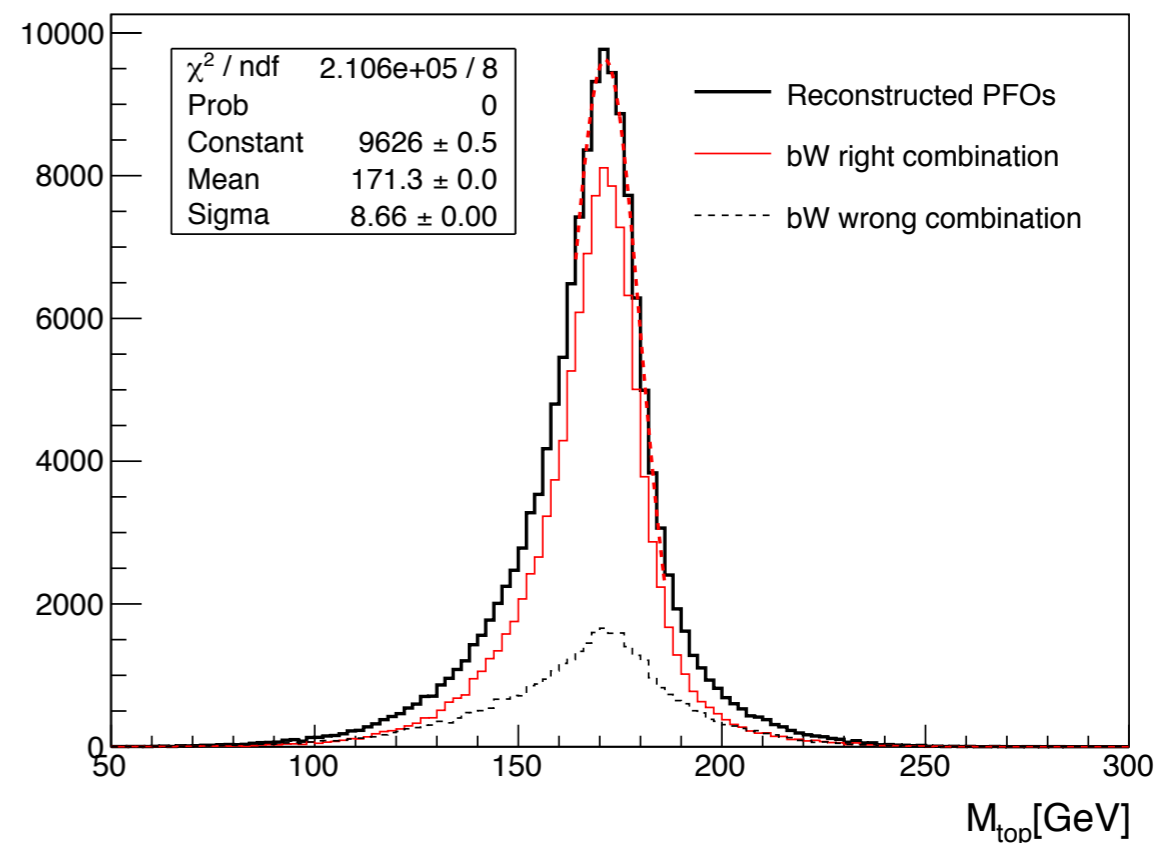
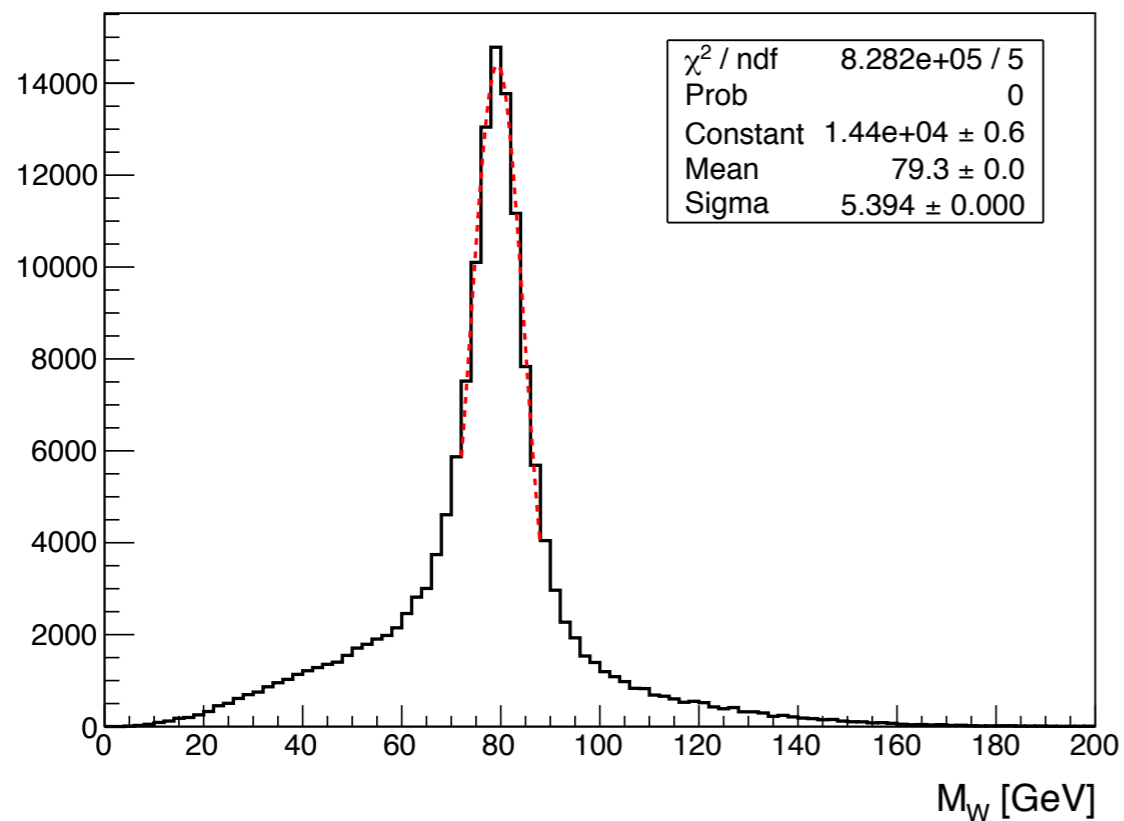
The **entire selection** retains:

- **59.3%** for the configuration  $P(e^-) = -0.8$  (Left-handed electrons)
- **53.7%** for  $P(e^-) = +0.8$  (Right-handed electrons)





# Top and W mass distributions

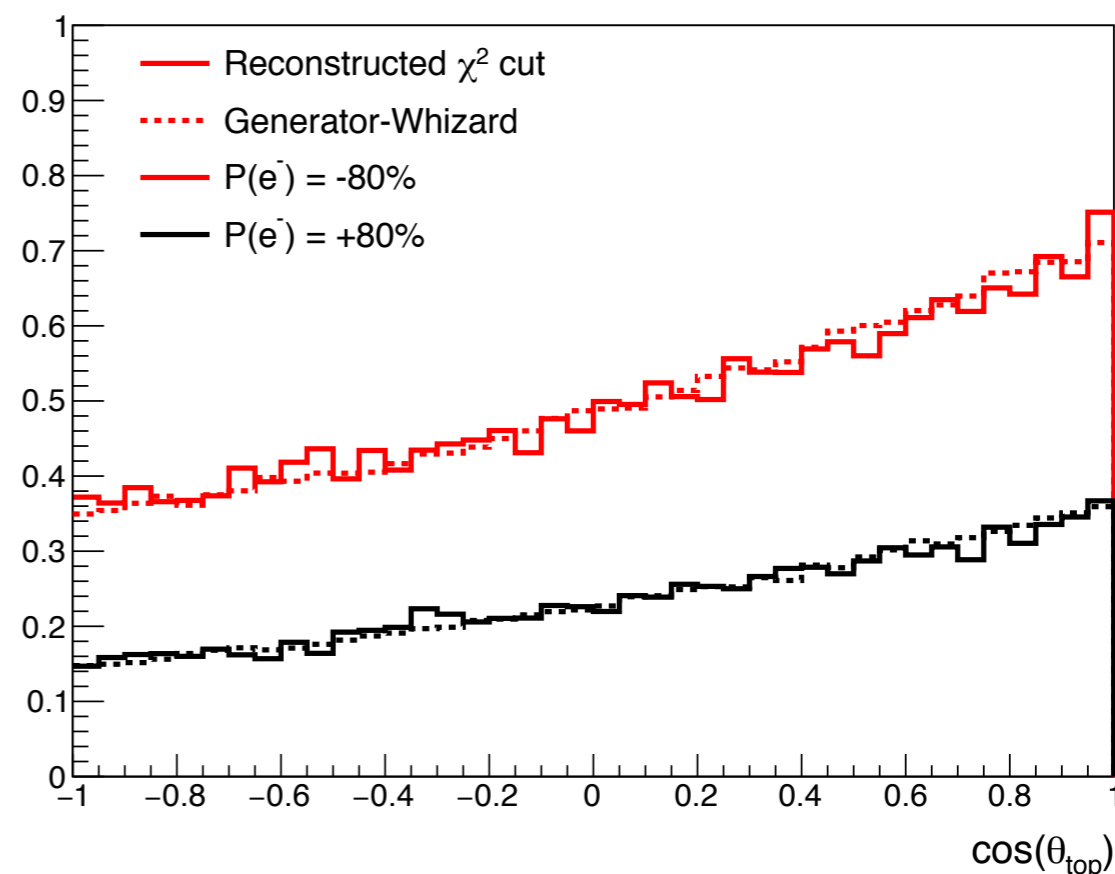
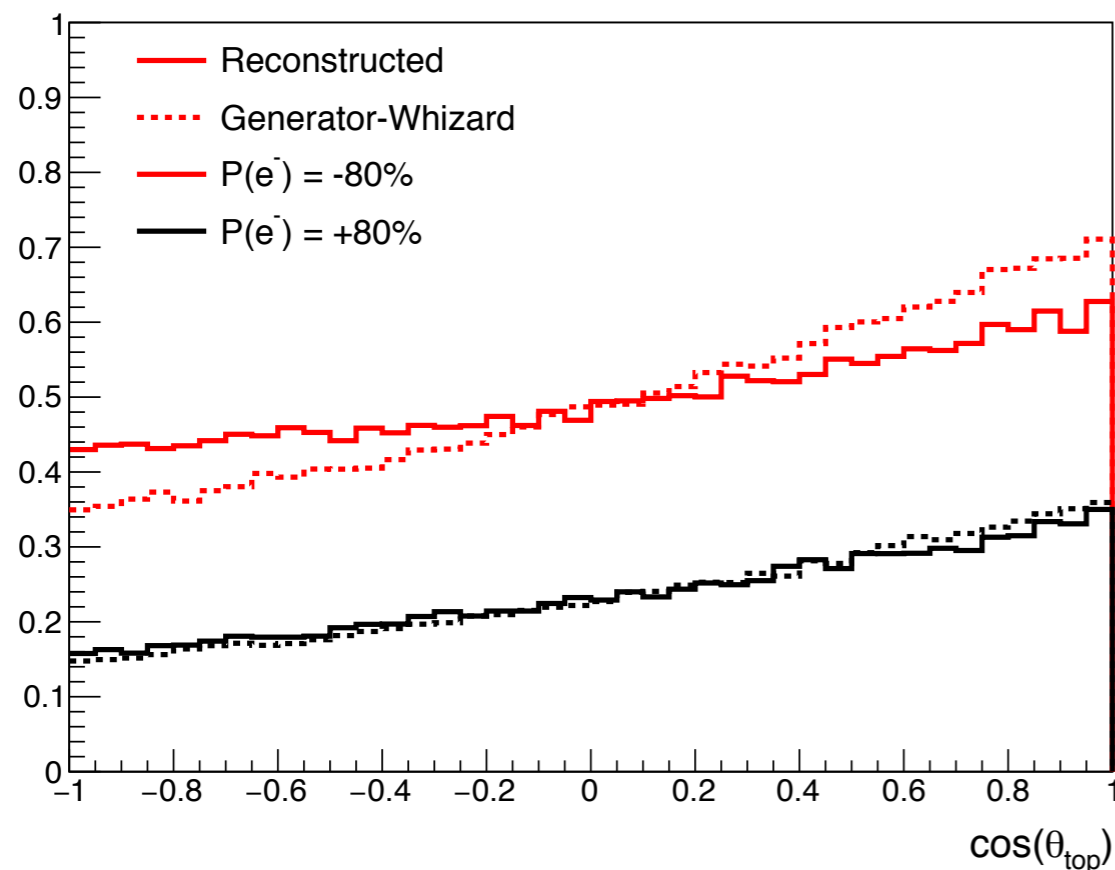


We observe a **shift of  $\sim 1$  GeV** in the mean value of the W and top candidates mass distributions (expected values  $M_W=80.4\text{GeV}$  and  $M_{\text{top}}=172.5\text{GeV}$ )

Is not possible to recover the **particles removed by the Loose timing cut** even with the best jet performance -> *Solution: "UltraLoose" selection??*



# Forward-Backward Asymmetry



$A_{FB}$  much smaller and migrations due to ambiguity in b-W pairing more severe at 380 GeV than at 500 GeV (esp. for -80%, +30% polarization)

## Curing migration

$\chi^2 < 1$  (very tight cut  $\rightarrow$  lower statistics)

Reconstruction efficiency  $\sim 18\%$

Pe-	$A_{FB}^{MC}$	$A_{FB}$	$A_{FB} (\chi^2 < 1)$
-80 %	0,185	0,096	0,172
+80 %	0,227	0,194	0,211



# Observables and couplings

- **Total cross section ( $\sigma$ )**
- **The Forward-Backward Asymmetry ( $A_{FB}$ )**

$$\left. \begin{array}{l} \sigma(+), A_{FB}(+) \\ \sigma(-), A_{FB}(-) \end{array} \right\} \begin{array}{l} (+ = e_R^-) \\ (- = e_L^-) \end{array} \Rightarrow \left\{ \begin{array}{ccc} F_{1V}^Y & * & F_{2V}^Y \\ F_{1V}^Z & F_{1A}^Z & F_{2V}^Z \end{array} \right\}$$

So once 4 observables are measured, we can obtain the following **CP conserving 5 couplings** separately in groups of 3 ( $F_{1X}$ ) and 2 ( $F_{2X}$ )

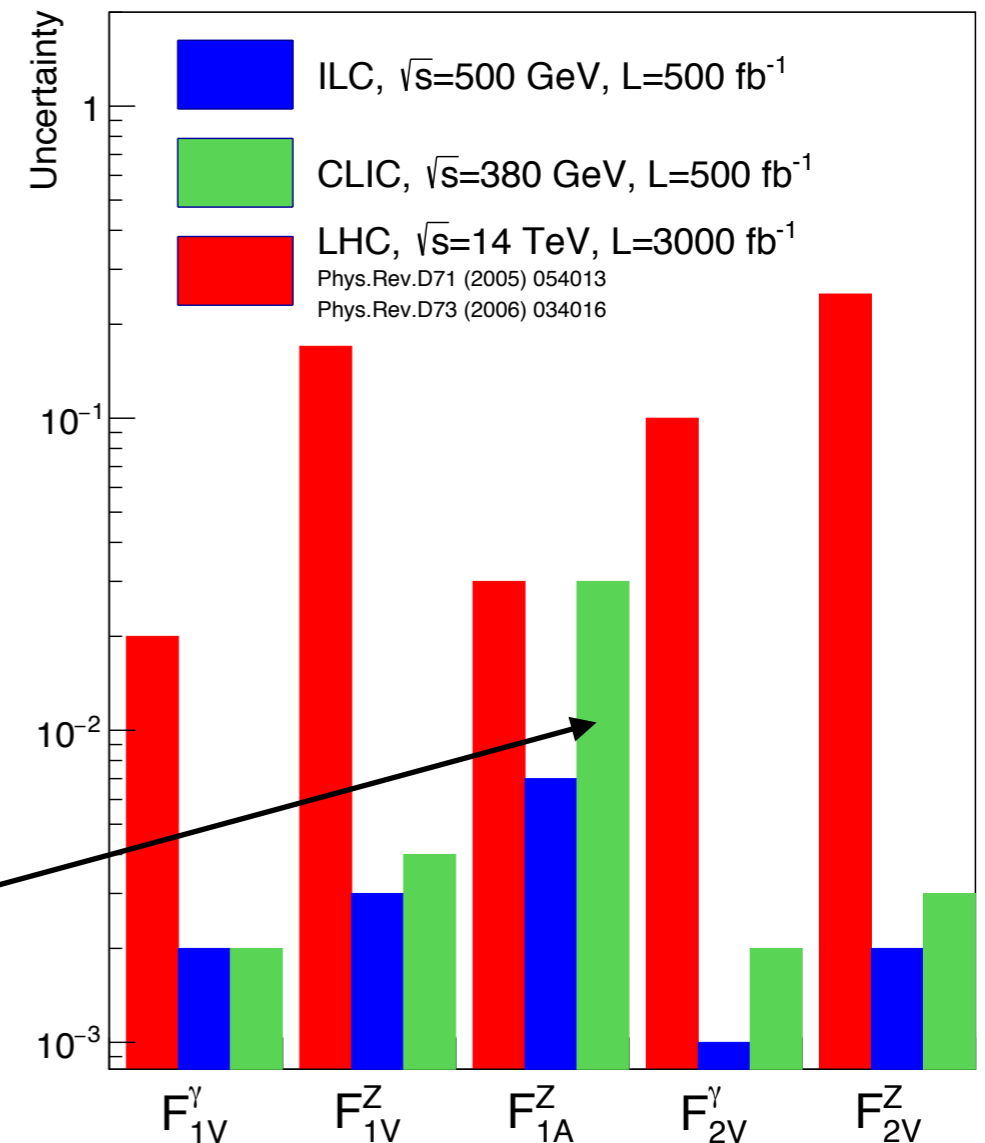
$F_{1A}^Y = 0$  always because of the gauge invariance

## CLIC, $\sqrt{s}=380\text{GeV}$ $L=500\text{fb}^{-1}$

$\mathcal{P}_{e^-}, \mathcal{P}_{e^+}$	$(\delta\sigma/\sigma)_{\text{stat.}} (\%)$	$(\delta A_{FB}^t/A_{FB}^t)_{\text{stat.}} (\%)$
-0.8, 0	0.81	4.6
+0.8, 0	0.90	5.5

**Similar precision to ILC except** for the coupling  $F_{1A}^Z$  that suffers the large statistical error of  **$A_{FB} \sim 5\%$**

$$\Gamma_{\mu}^{t\bar{t}X}(k^2, q, \bar{q}) = ie \left\{ \gamma_{\mu} (F_{1V}^X(k^2) + \gamma_5 F_{1A}^X(k^2)) - \frac{\sigma_{\mu\nu}}{2m_t} (q + \bar{q})^{\nu} (i F_{2V}^X(k^2) + \gamma_5 F_{2A}^X(k^2)) \right\},$$



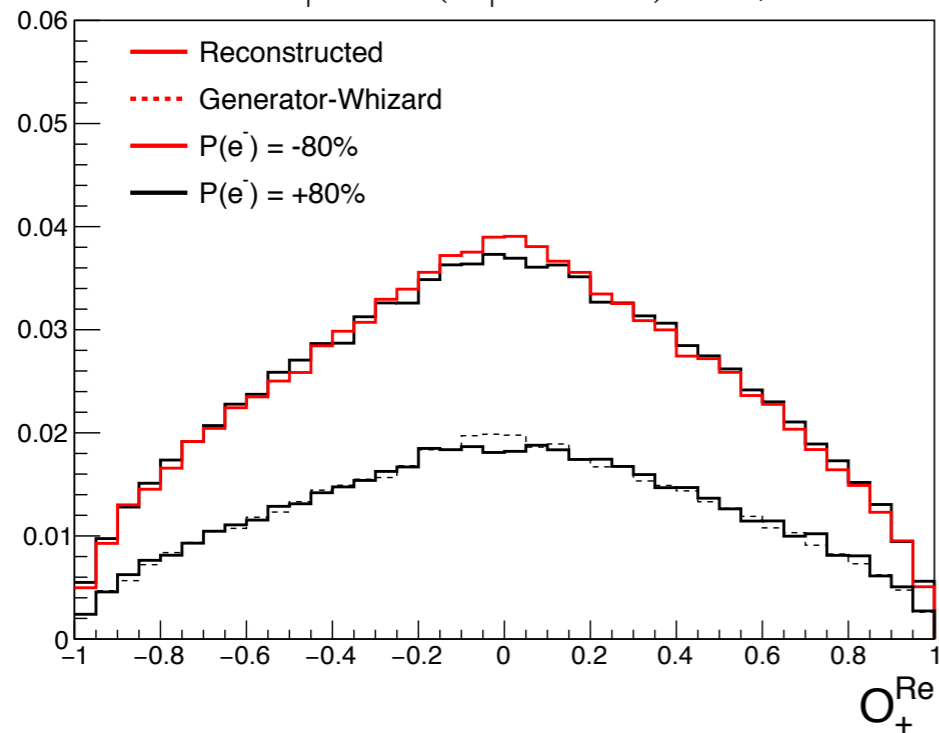
# CPV observables studies

The “baseline” study is limited to CP-conserving form factors, but  $e^+e^-$  is known to **do well also for CP-violating  $F_{2A}$**  at least since TESLA times

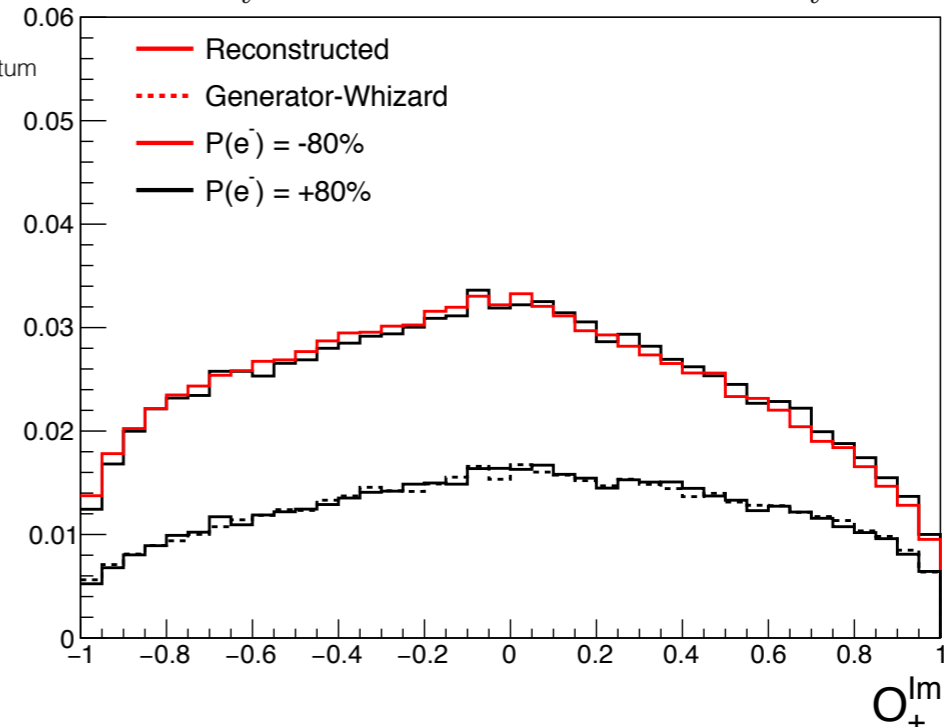
Reconstructing **optimal CP observables** from [W. Bernreuther et. al. arXiv:hep-ph/9602273](http://arxiv.org/abs/hep-ph/9602273) that measure differences in top polarization orthogonal to production plane and also differences in top quark flight direction. In the lepton + jets final state:

$$O_+^{Re} = (\hat{q}_+^* \times \hat{q}_X) \cdot \hat{e}_+$$

$$O_+^{Im} = -\left[1 + \left(\frac{\sqrt{s}}{2m_t} - 1\right)(\hat{q}_X \cdot \hat{e}_+)^2\right]\hat{q}_+^* \cdot \hat{q}_X + \frac{\sqrt{s}}{2m_t}\hat{q}_X \cdot \hat{e}_+ \hat{q}_+^* \cdot \hat{e}_+$$



Where  
q = charged lepton momentum  
X = hadronic top system  
e = positron momentum



These observables have simple relations to the four  $F_{2A}$  form factors

$$A_{\gamma,Z}^{Re} = \langle O_+^{Re} \rangle - \langle O_-^{Re} \rangle = c_\gamma [P Re(F_{2A}^\gamma) + K Z Re(F_{2A}^Z)]$$

$$A_{\gamma,Z}^{Im} = \langle O_+^{Im} \rangle - \langle O_-^{Im} \rangle = d_\gamma [Im(F_{2A}^\gamma) + P K Z Im(F_{2A}^Z)]$$



# CPV observables preliminary results

**No migrations** observed for these observables -> **No  $\chi^2$  cut** needed

**50-60% efficiency** retained (better statistics than for  $A_{FB}$ )

Left-handed electron	Mean value Reco	RMS	$\delta_{stat}$ (500fb <sup>-1</sup> )		Uncertainty	CLIC@380GeV 500 fb <sup>-1</sup>	ILC@500GeV 500 fb <sup>-1</sup>	TDR TESLA 300 fb <sup>-1</sup>
ORe+	0,00134	0,47	0,001	Standard Error propagation →	Re{F <sub>2A</sub> <sup>γ</sup> }	0,004	0,004	0,007
ORe-	0,0014	0,47	0,001		Re{F <sub>2A</sub> <sup>Z</sup> }	0,007	0,006	0,008
OIm+	-0,0295	0,52	0,001		Im{F <sub>2A</sub> <sup>γ</sup> }	0,004	0,006	0,008
OIm-	-0,0285	0,52	0,001		Im{F <sub>2A</sub> <sup>Z</sup> }	0,007	0,010	0,010
ARe	-0,0001	-	0,001					
Alm	-0,0010	-	0,002					

The potential of CLIC@380 GeV for measuring CPV couplings, assuming a  $L = 500 \text{ fb}^{-1}$ , is comparable to previous studies



# Summary and conclusions

- **LoosePandoraPFANewPFOs with VLC jet algorithm (R=1.6  $\beta=\gamma=0.8$ ) offers the best jet reconstruction**
- **We have to cut very hard in the  $\chi^2$  to cure the migration on  $A_{FB}$  -> we pay a high price in statistics (~18%)**
- **It translates into a statistical error of ~5% for  $A_{FB}$  that increases the uncertainty in the top quark couplings -> An improvement of the quality cuts is needed or more statistics**
- **A great precision in the measurement of CPV couplings could be reached with  $e+e\rightarrow tt$  CLIC@380GeV ( $L=500\text{fb}^{-1}$ )**
- **It would interesting to extend the study to CLIC@500 GeV (cross check), CLIC@1.4TeV (boosted tops, minor migrations due to ambiguity Wb pairing)**



**Thank you for your attention**



# BACKUP SLIDES





# Valencia Jet Algorithm

A robust jet reconstruction algorithm for high-energy lepton colliders [doi:10.1016/j.physletb.2015.08.055](https://doi.org/10.1016/j.physletb.2015.08.055)

A new clustering jet reconstruction algorithm that combines the good features of lepton collider algorithms, in particular the **Durham-like distance criterion**;

$$d_{ij} = \min(E_i^{2\beta}, E_j^{2\beta})(1 - \cos \theta_{ij})/R^2$$

with the **robustness against background** of the longitudinally invariant  **$k_t$  algorithm**

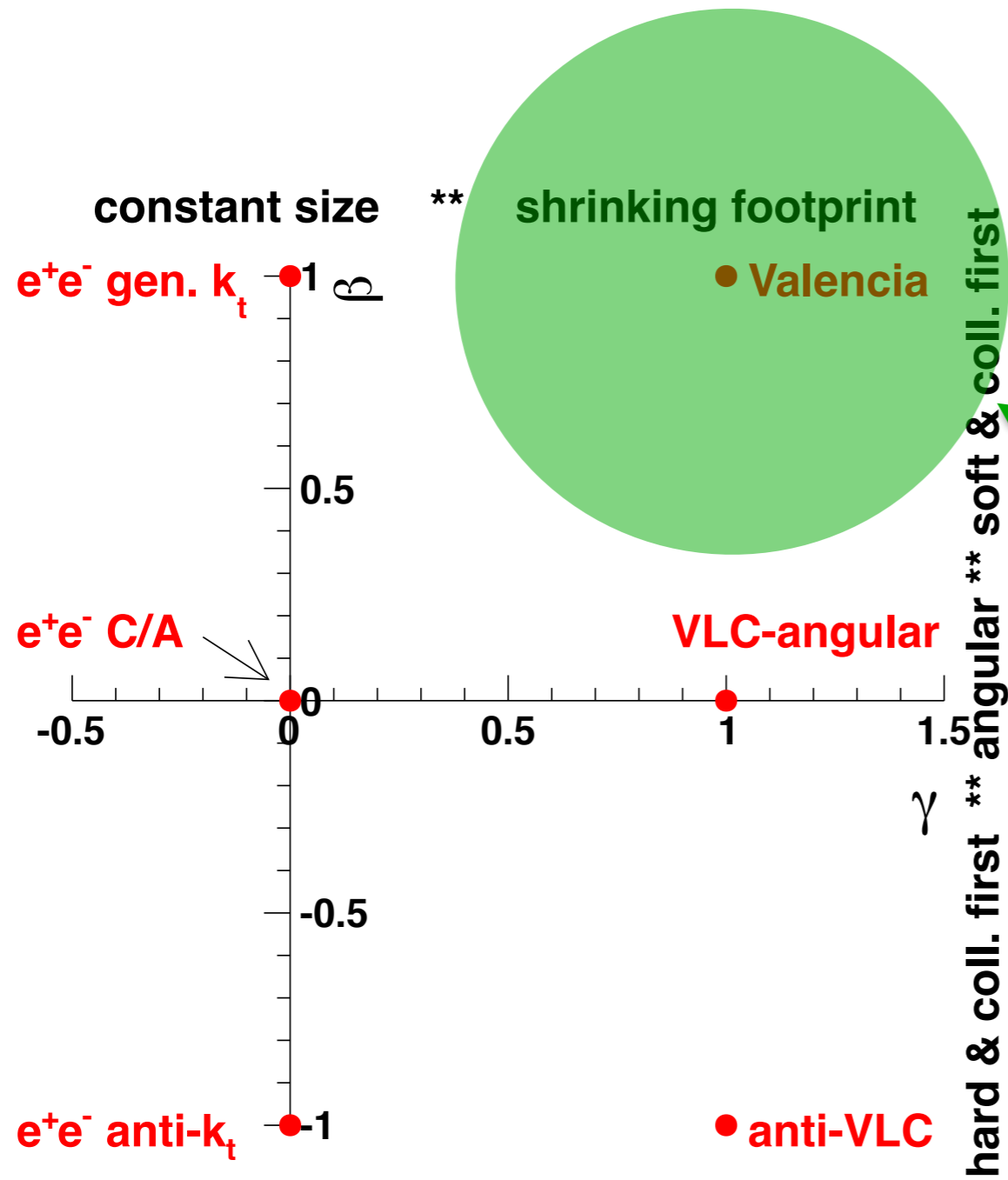
$$d_{iB} = E^{2\beta} \sin^{2\gamma} \theta_{iB}$$

The  $\gamma$  parameter governs the evolution of the jet area with polar angle and  $\beta$  allows to **change the clustering order**.

\*In the default settings the two exponents  $\beta$  and  $\gamma$  are equal. For  $\beta=\gamma=1$  the expression simplifies to  $d_{iB} = E^2 \sin^2 \theta_{iB} = p_{ti}^2$



# The $(\beta, \gamma)$ space

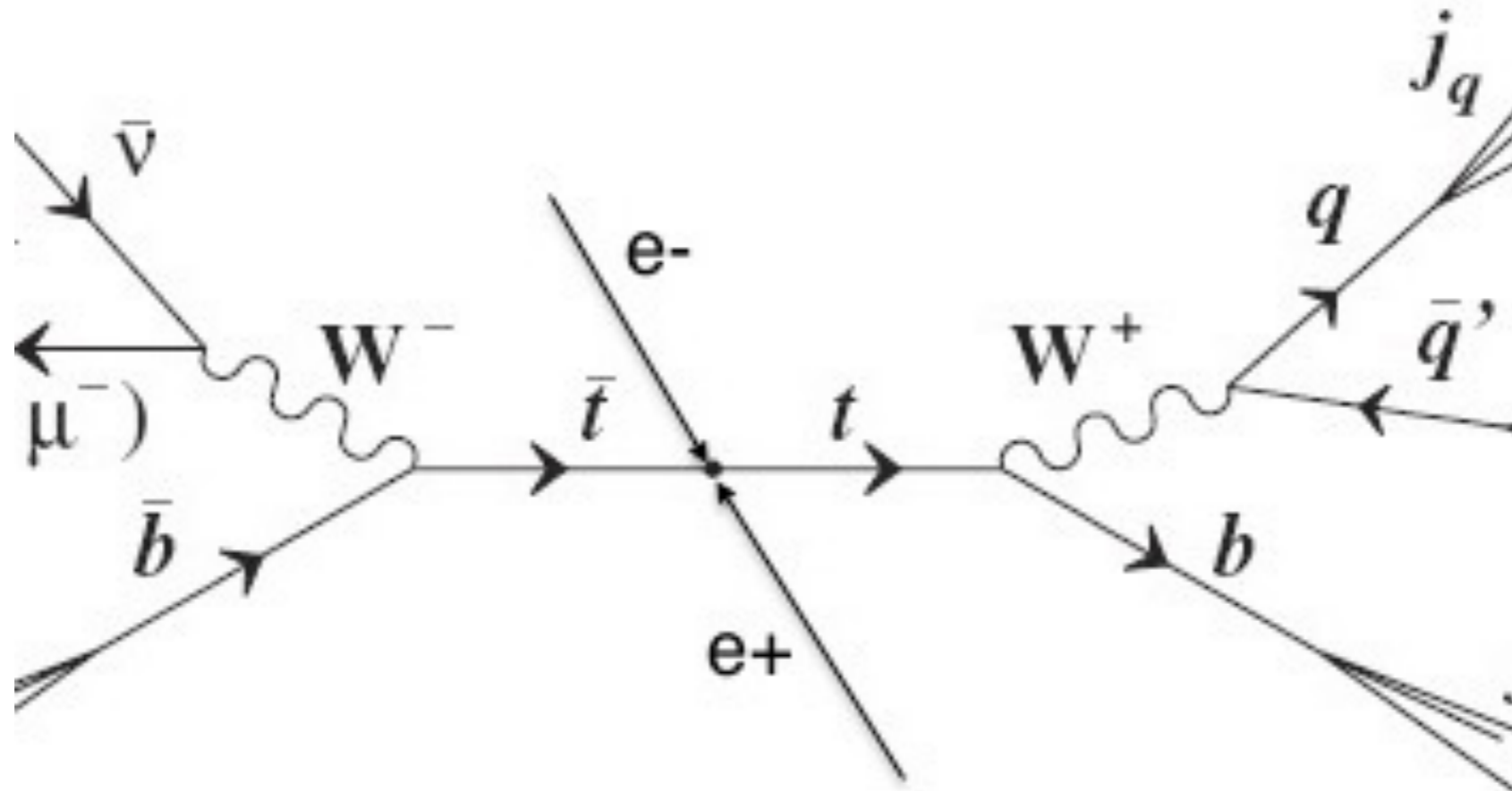


We only work close to the default configuration of the VLC algorithm

$$\beta \approx \gamma \approx 1$$

# Jet reconstruction performance

- Events are selected in which the top pair decays semi-leptonically



## Event generation

- 1) **WHIZARD**: event generation (*samples for the DBD*)
- 2) **PYTHIA**: Parton shower and hadronisation
- 3) **FASTJET**: Durham for primary jet reconstruction and Long. Inv.  $k_t$  for  $\gamma\gamma \rightarrow$  hadrons removal

# Event selection

- The signal is reconstructed by **choosing** the **combination of  $b$  quark jet and  $W$  boson** that minimises the following equation:

$$d^2 = \left( \frac{m_{cand.} - m_t}{\sigma_{m_t}} \right)^2 + \left( \frac{E_{cand.} - E_{beam}}{\sigma_{E_{cand.}}} \right)^2 + \left( \frac{p_b^* - 68}{\sigma_{p_b^*}} \right)^2 + \left( \frac{\cos\theta_{bW} - 0.23}{\sigma_{\cos\theta_{bW}}} \right)^2$$

- Some **cuts**:
  - **Hadronic mass** of the final state:  $180 < m_{had.} < 420$  GeV
  - Reconstructed  **$W$  mass**:  $50 < m_W < 250$  GeV
  - Reconstructed **top mass**:  $120 < m_t < 270$  GeV
  - **Isolated lepton**: *the best candidate*
  - **$b$ -tag values**:  $b\text{-tag}_1 > 0.8$  &  $b\text{-tag}_2 > 0.3$
- The **entire selection** retains:
  - **51.9%** for the configuration  $P, P' = -1, +1$  (Left-handed electrons)
  - **55.0%** for  $P, P' = +1, -1$  (Right-handed electrons)

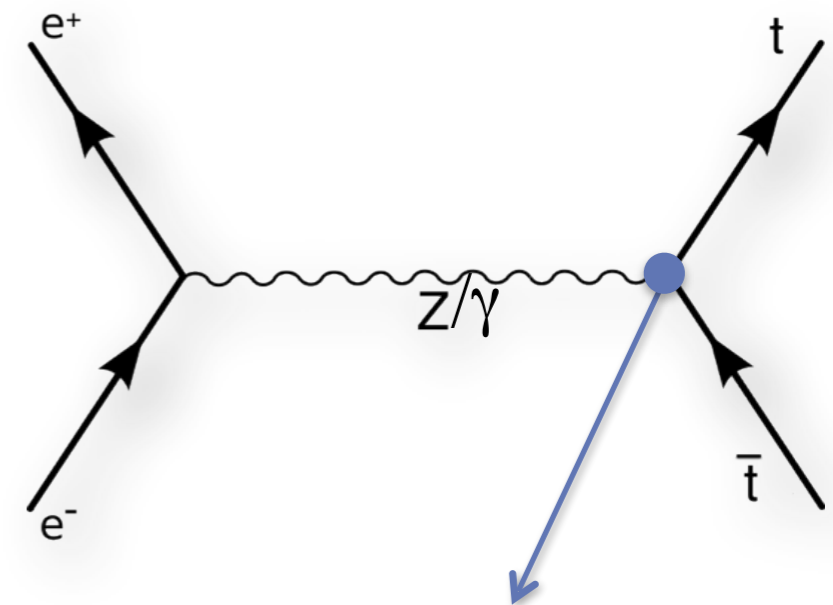


# lepton+jets tt ILC@500GeV

- This study, based on a detailed simulation of the ILD detector concept for ILC, assumes a  $\sqrt{s}=500\text{GeV}$  and  $L=500\text{fb}^{-1}$  and polarised beams.
- The vector, axial and tensorial CP conserving couplings are extracted separately for the Z and  $\gamma$  component
- A way to describe the **current of  $ttZ^0$  and  $tt\gamma$  primary vertices**:

- $X = Z^0, \gamma$
- $V = \text{Vector coupling}$
- $A = \text{Axial coupling}$

$$\Gamma_{\mu}^{t\bar{t}X}(k^2, q, \bar{q}) = ie \left\{ \gamma_{\mu} (F_{1V}^X(k^2) + \gamma_5 F_{1A}^X(k^2)) - \frac{\sigma_{\mu\nu}}{2m_t} (q + \bar{q})^{\nu} (i F_{2V}^X(k^2) + \gamma_5 F_{2A}^X(k^2)) \right\},$$



A precise characterisation of the top quark electro-weak vertices at the ILC [arXiv:1505.06020](https://arxiv.org/abs/1505.06020)

# From ILC@500GeV to CLIC@380GeV

- **ee** → **6 fermions** samples (selecting **only lepton+jets decays**) from the Monte Carlo samples for top reconstruction studies (<https://twiki.cern.ch/twiki/bin/view/CLIC/MonteCarloSamplesForTopPhysics>)
- **ILCDirac software** (Marlin, FastJet, Pandora...)
- **Full simulation CLIC\_ILD\_CDR500** detector model
- Jet algorithms: **Longitudinally invariant  $k_t$**  and **Valencia jet algorithm**
- **Analysis chain** and the **code** (adapted) from ILC@500GeV studies

