

# HTS insert for a particle accelerator using a twisted stacked cable

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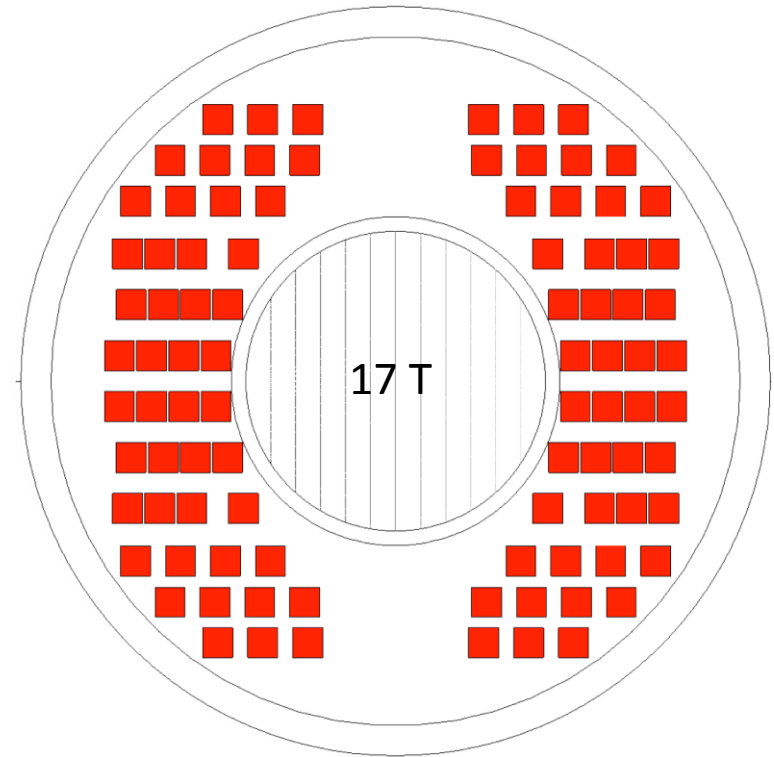
# *Outline of contents*

- *HTS twisted stacked magnet design*
  - 2D magnet cross-section
  - 3D magnet ends
- *Current distribution analysis*
- *Future aspects*
- *Conclusions*


# 2D HTS twisted stacked design

## 46-turns HTS insert

| Parameter                  | Value                 |
|----------------------------|-----------------------|
| Center field $B_0$         | 17 T                  |
| Current density $J_{op}$   | 650 MA/m <sup>2</sup> |
| Operating current $I_{op}$ | 10.4 kA               |
| Conductor area             | 1472 mm <sup>2</sup>  |
| Field quality $B_3/ B_5$   | 1.5/ 0.78 units       |
| Inner/ external tube       | 2/ 4 mm               |

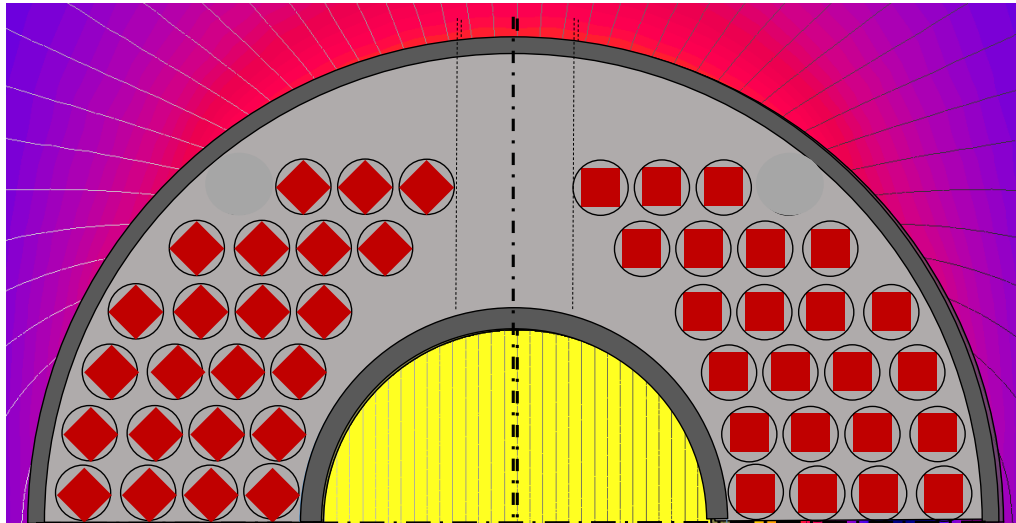


## Main highlights of twisted stacked design

- ✓  4 x 4 mm block-coil consisting 20 ReBCO stacked tapes of 4 mm wide achieves required  $I_{op} = 10$  kA with 46-turns HTS stacked cable.
- ✓ Three or four block-coils are assembled and aligned in horizontal to facilitate the mechanical architecture and winding.
- ✓ Good field quality as possible within range of  $J_{op} = 600 - 700$  A/mm<sup>2</sup>.

# Winding topology

## 2D magnet ends cross-section at twist part



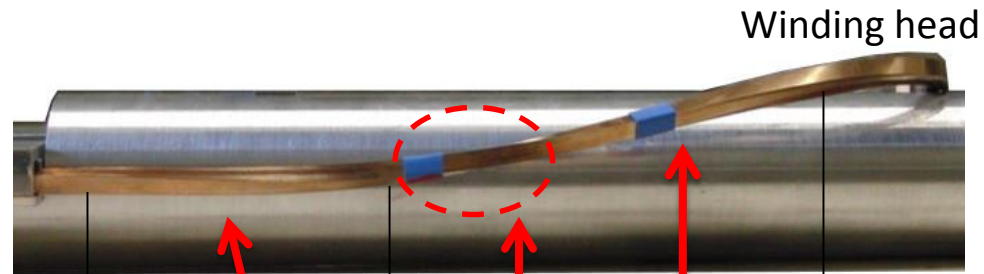
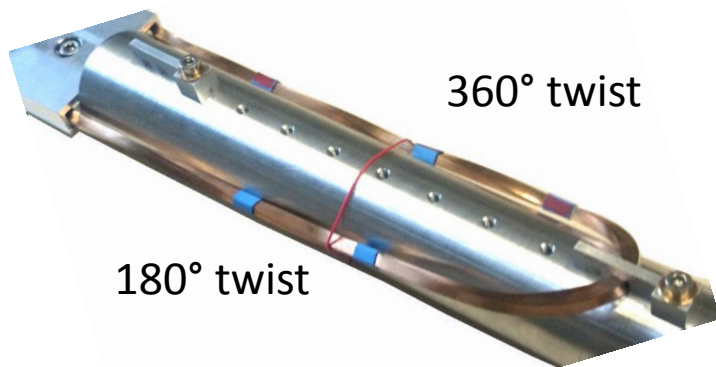
Racetrack coil (above beam tube)

→ 180° twist one side  
0° on the other

Flared-ends coil (below beam tube)

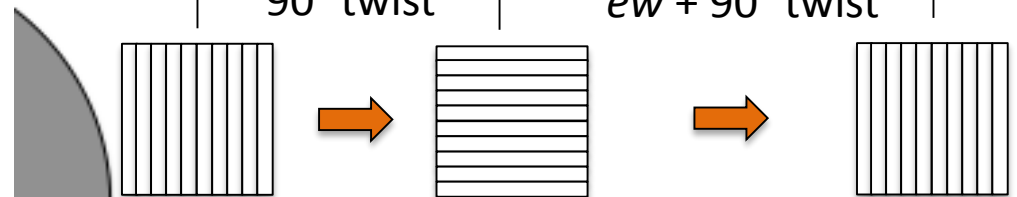
→ 180° twist one side  
360° twist on the other

## Flared-ends coil



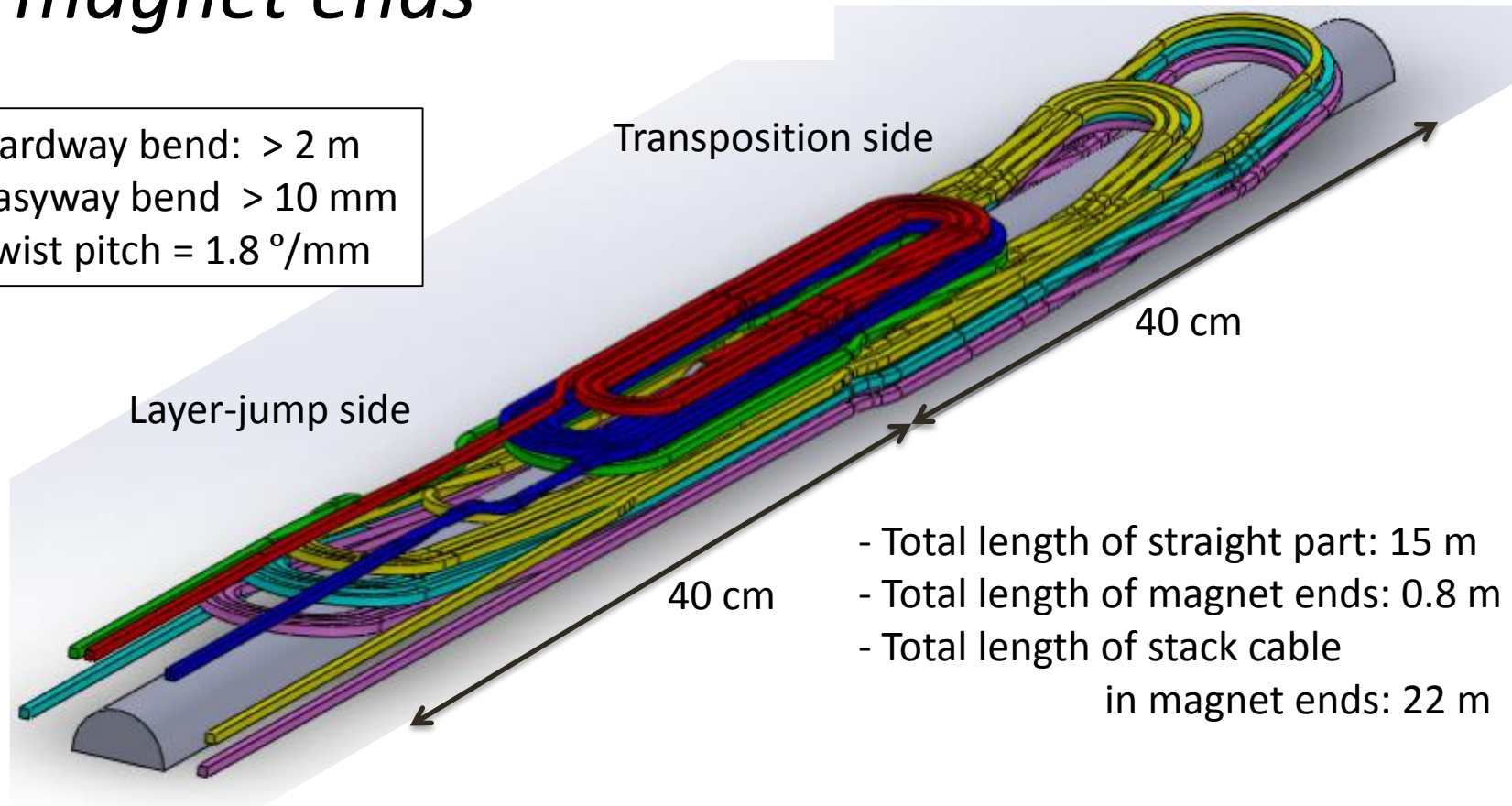
90° twist

ew + 90° twist



# 3D magnet ends

Hardway bend:  $> 2\text{ m}$   
Easyway bend  $> 10\text{ mm}$   
Twist pitch =  $1.8^\circ/\text{mm}$



## Main highlights of 3D HTS coil-ends

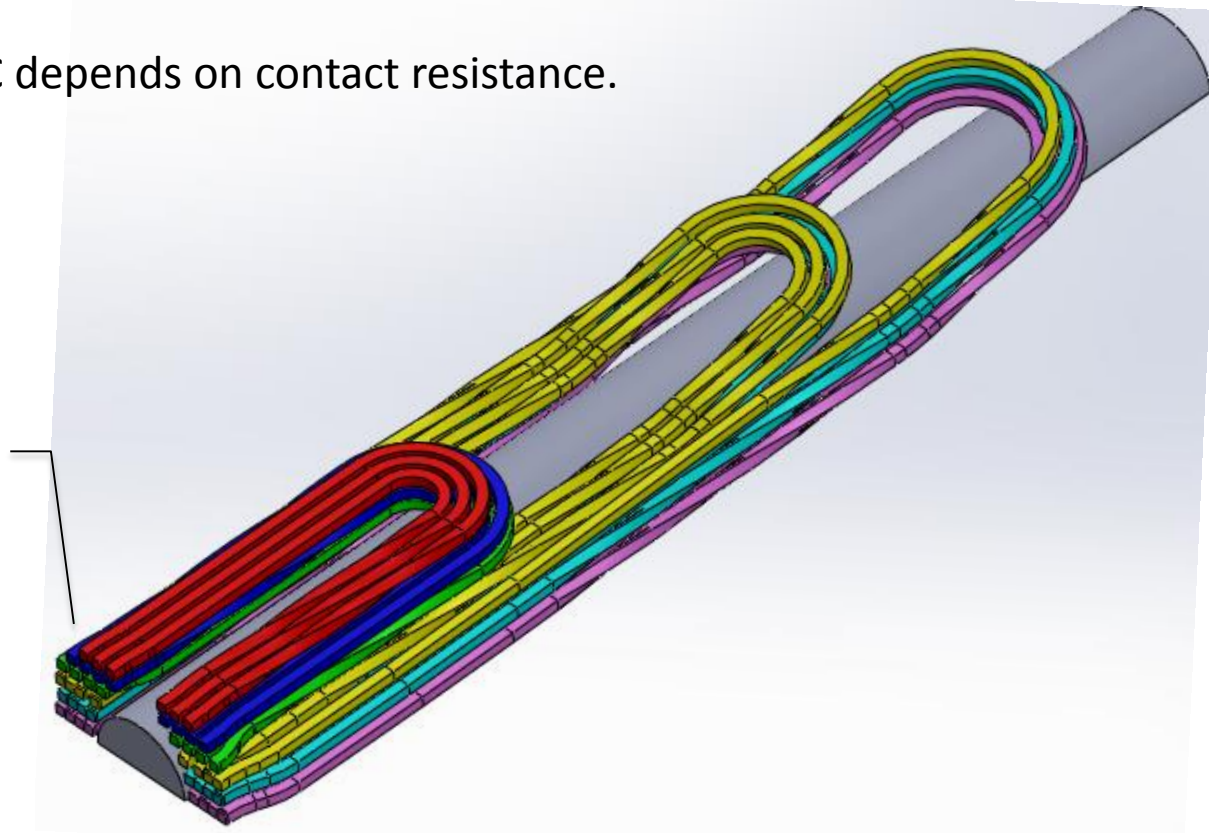
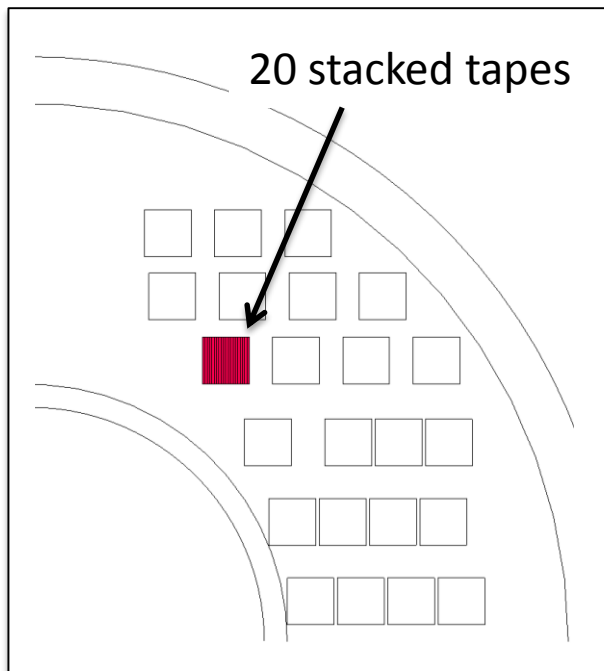
- ✓ 46-turns HTS insert is consist of six double pancakes. Three coils at top and at bottom are the racetrack and flared-ends coils, respectively.
- ✓ Double pancake is connected with layer jump. Layer jump is done with twist + *ew* bending or with *hw* bending.

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# Current distribution ~ Introduction ~

1. Twisted stacked cable (TSC) has only one twist per turn out of 15m long insert.
2. Stacked tapes are insulated each other in order not to allow the current sharing.
3. Current distribution of TSC depends on contact resistance.

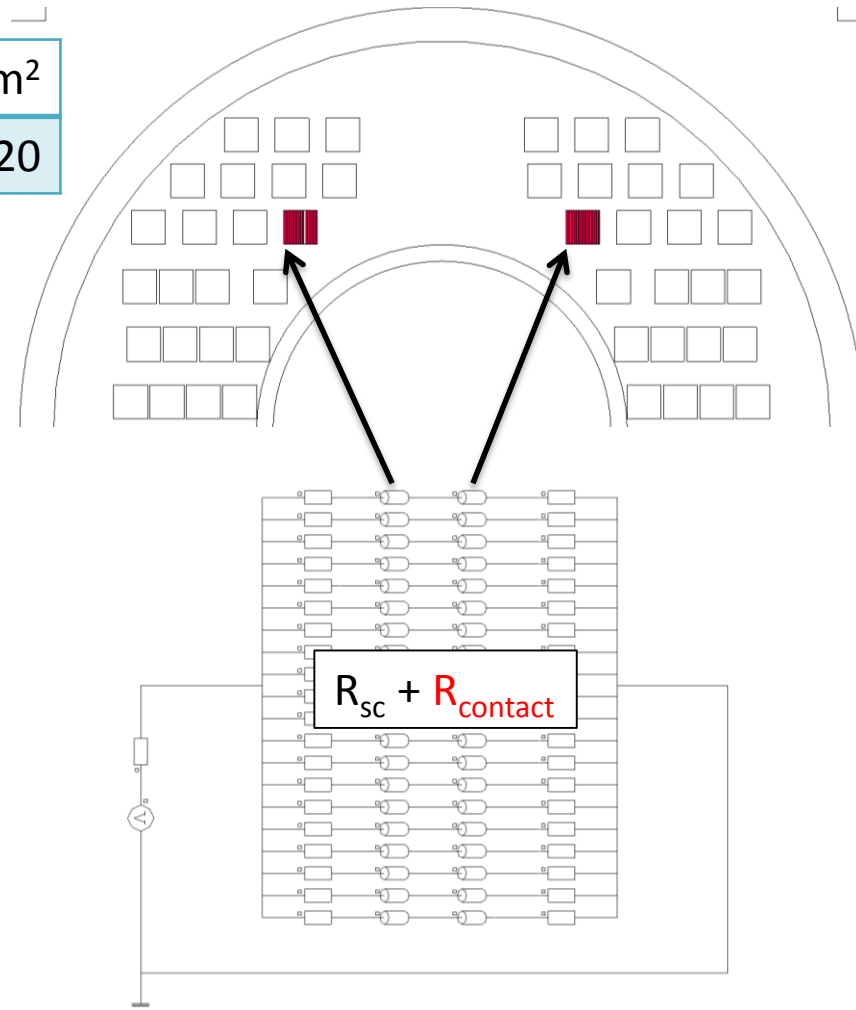
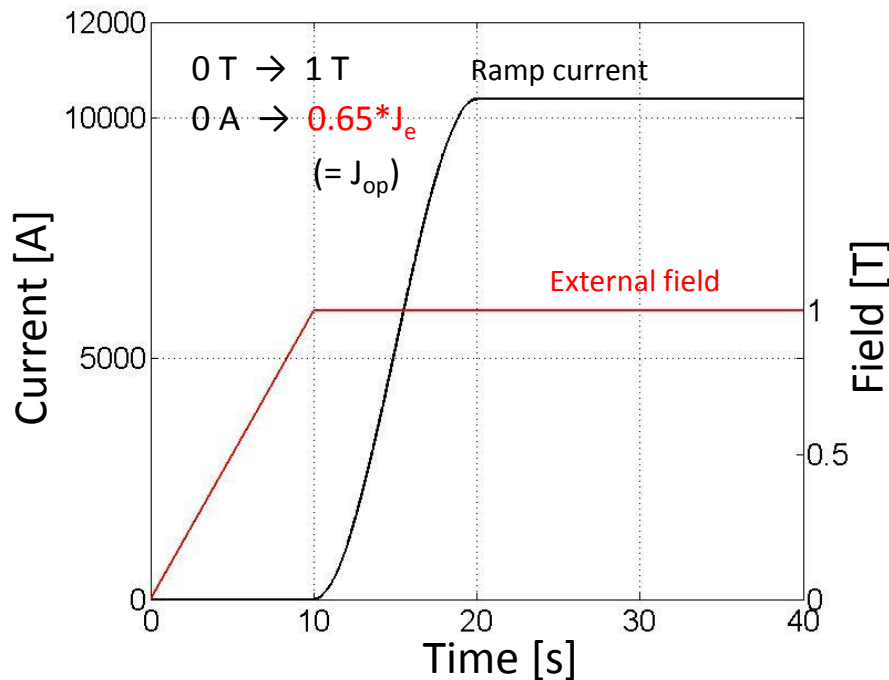


# Current distribution ~ Numerical setup ~

- Specification for HTS tape

|                                   |                        |
|-----------------------------------|------------------------|
| Engineering current density $J_e$ | 1000 MA/m <sup>2</sup> |
| n-value                           | 20                     |

- Operating condition

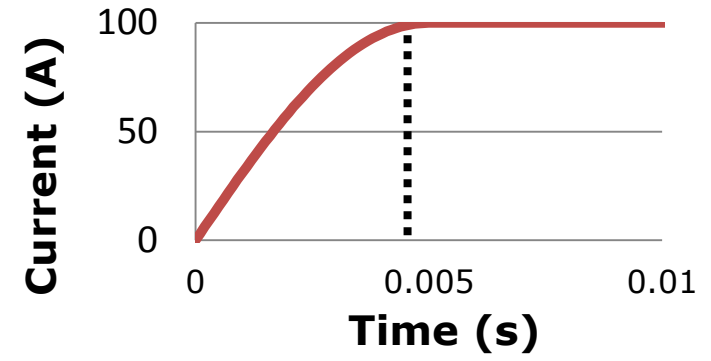
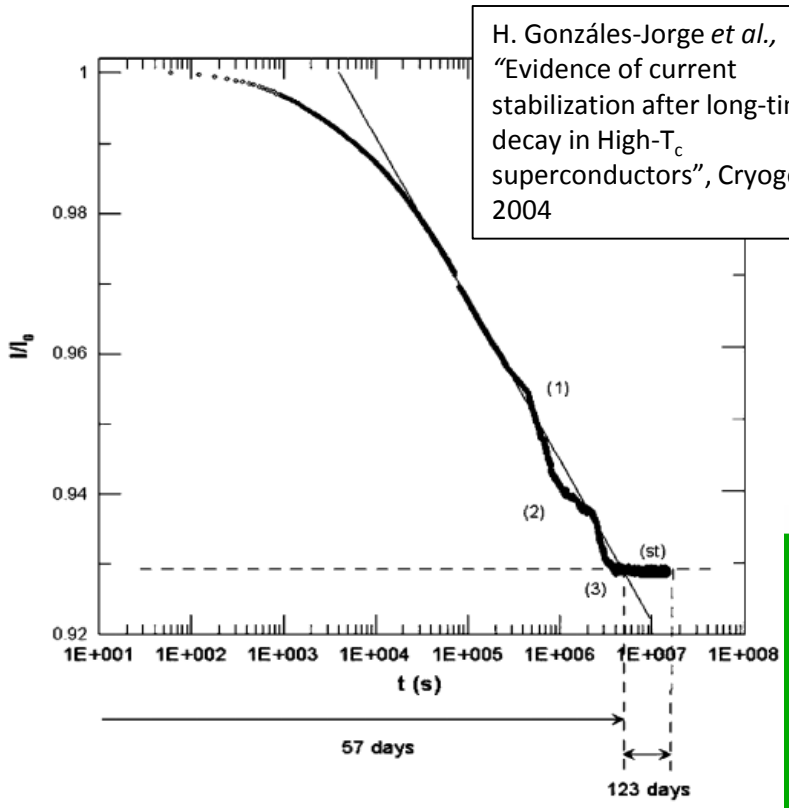




# Current distribution ~ Numerical setup ~

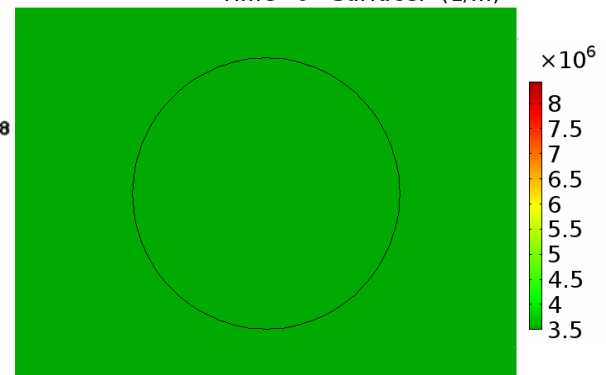
Using the right  $E$ - $J$  characteristics for the material

H. González-Jorge *et al.*,  
 "Evidence of current  
 stabilization after long-time  
 decay in High- $T_c$   
 superconductors", *Cryogenics*,  
 2004



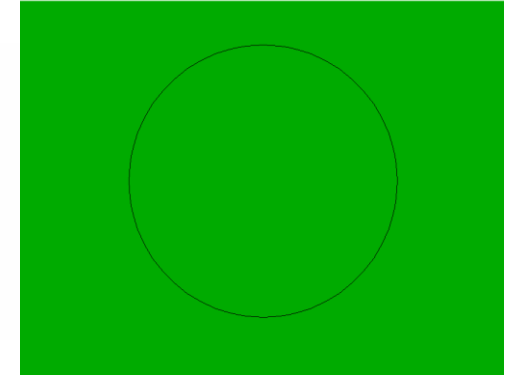
$$E = E_0 \left( \frac{J}{J_{c0}} - 1 \right)^{n_0}$$

Time=0 Surface: (1/m)



$$E = E_c \left( \frac{J}{J_c} \right)^n$$

Time=0 Surface: (1/m)

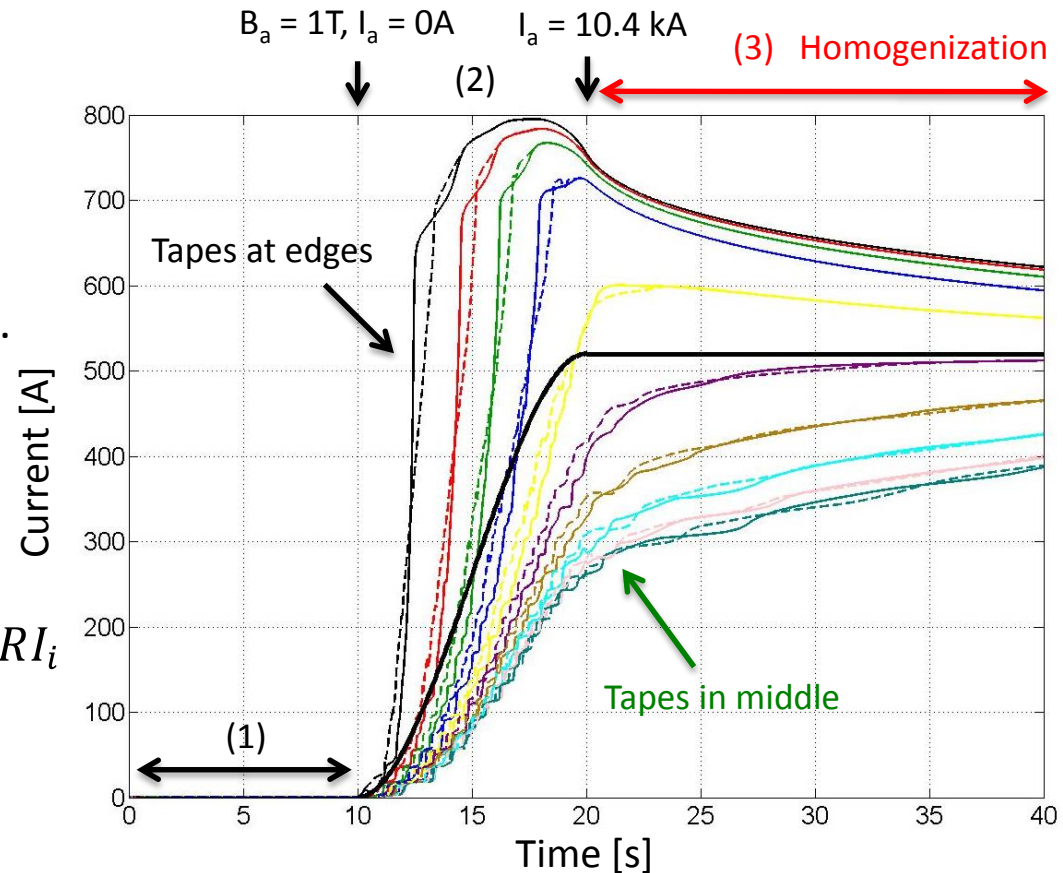


# Current distribution ~ 1<sup>st</sup> step ~

- 15 m long magnet + Constant contact resistance  $R = 1000 \text{ n}\Omega$

- 1) Current remains zero during the external field. (Twist transposition)
- 2) Tapes at edges have more current due to a shielding current in middle.
- 3) Current equilibrates depending on total resistance and inductance.

$$L_i \frac{dI_i}{dt} + \sum_{j=1}^N M_{ij} \frac{dI_j}{dt} + E_c \left( \frac{I_i}{I_c} \right)^n \cdot l + RI_i = V$$



# Current distribution ~ 2<sup>nd</sup> step ~

- 15 m long magnet + Random contact resistance  $R (= R' + \Delta R')$

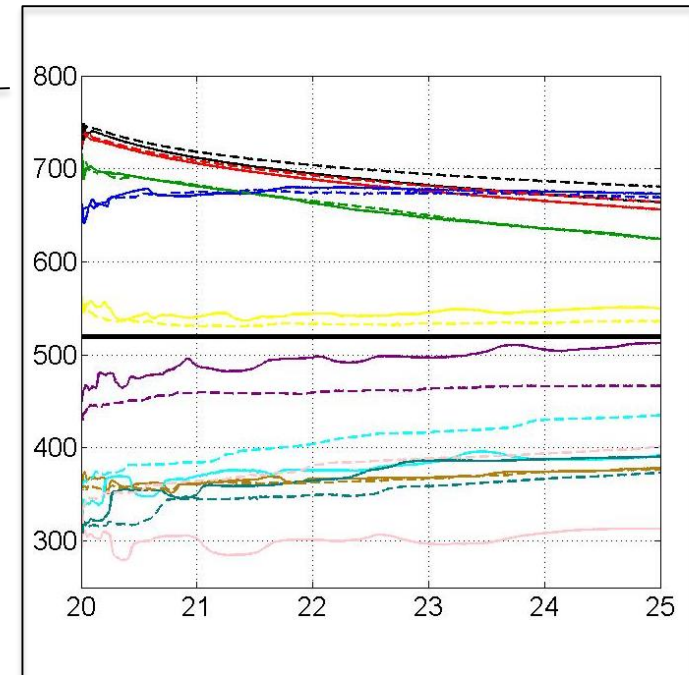
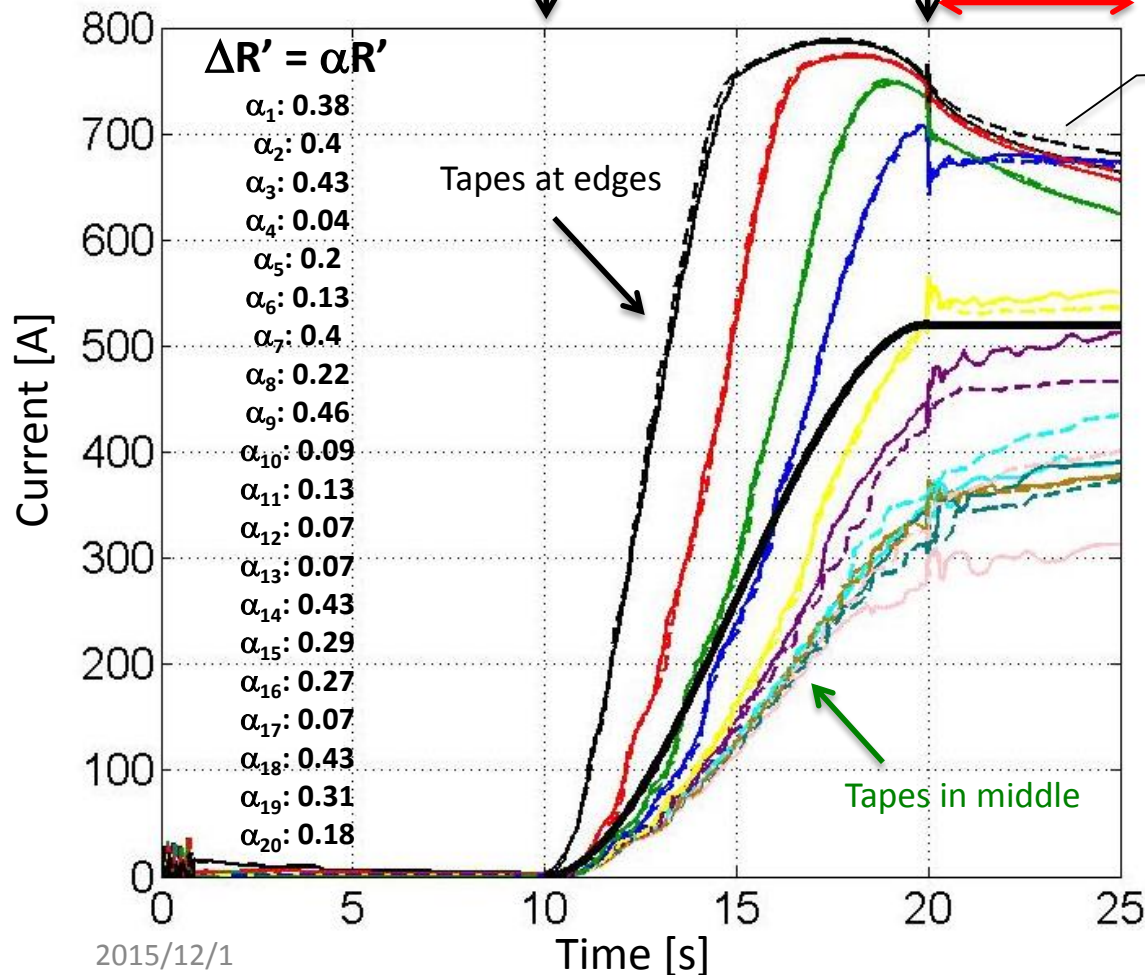
$$R' = 1000 \text{ n}\Omega$$

$$\alpha = 0 \square 0.5$$

$$B_a = 1\text{T}, I_a = 0\text{A}$$

$$I_a = 10.4 \text{ kA}$$

Homogenization



$$L_i \frac{dI_i}{dt} + \sum_{j=1}^N M_{ij} \frac{dI_j}{dt} + E_c \left( \frac{I_i}{I_c} \right)^n \cdot l + RI_i = V$$

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- 15 m long magnet + Random contact resistance  $R (= R' + \Delta R')$

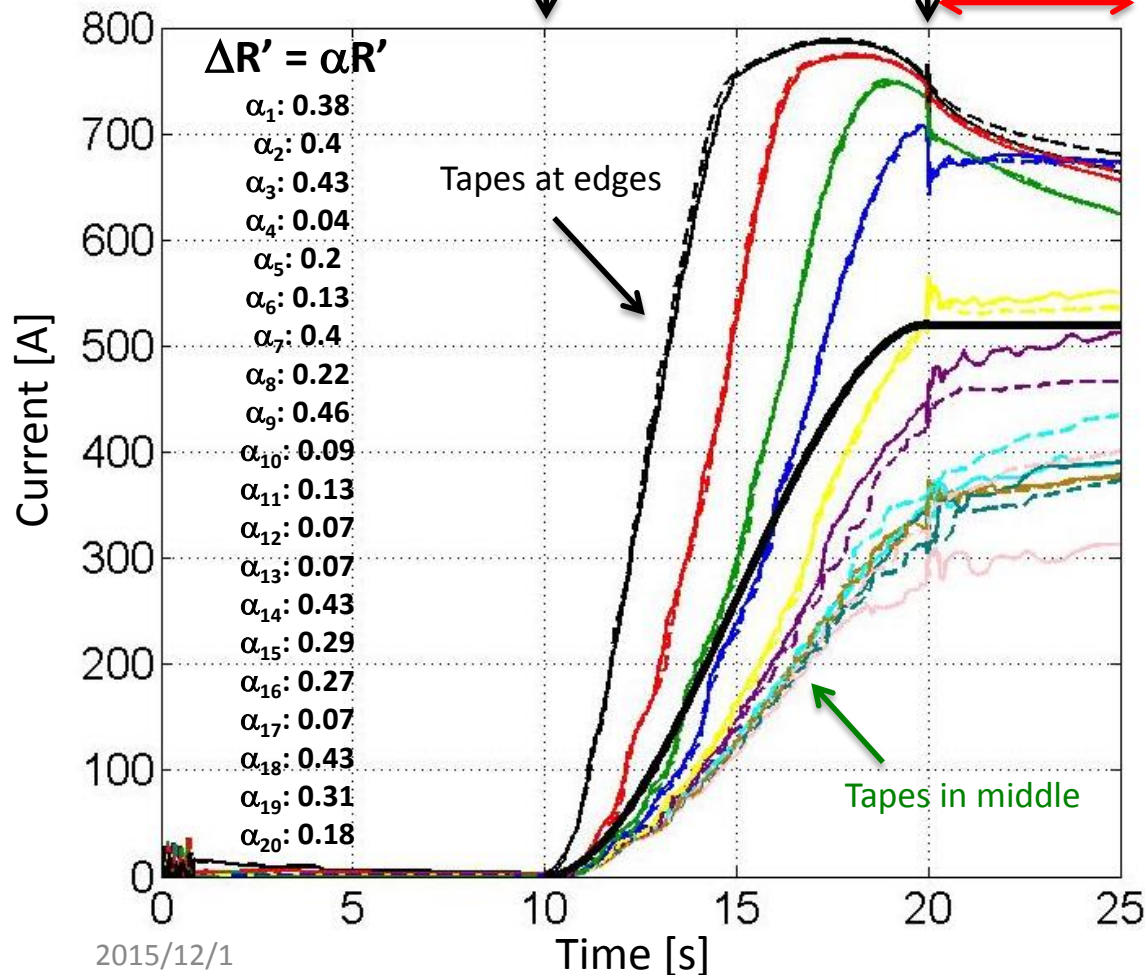
$$R' = 1000 \text{ n}\Omega$$

$$\alpha = 0 \square 0.5$$

$$B_a = 1\text{T}, I_a = 0\text{A}$$

$$I_a = 10.4 \text{ kA}$$

Homogenization



Next step

- 1) Long period analysis
- 2) Smaller  $R'$  with less variation  $\alpha$
- 3) Anisotropic dependency
- 4) Divide all block into 20 tapes

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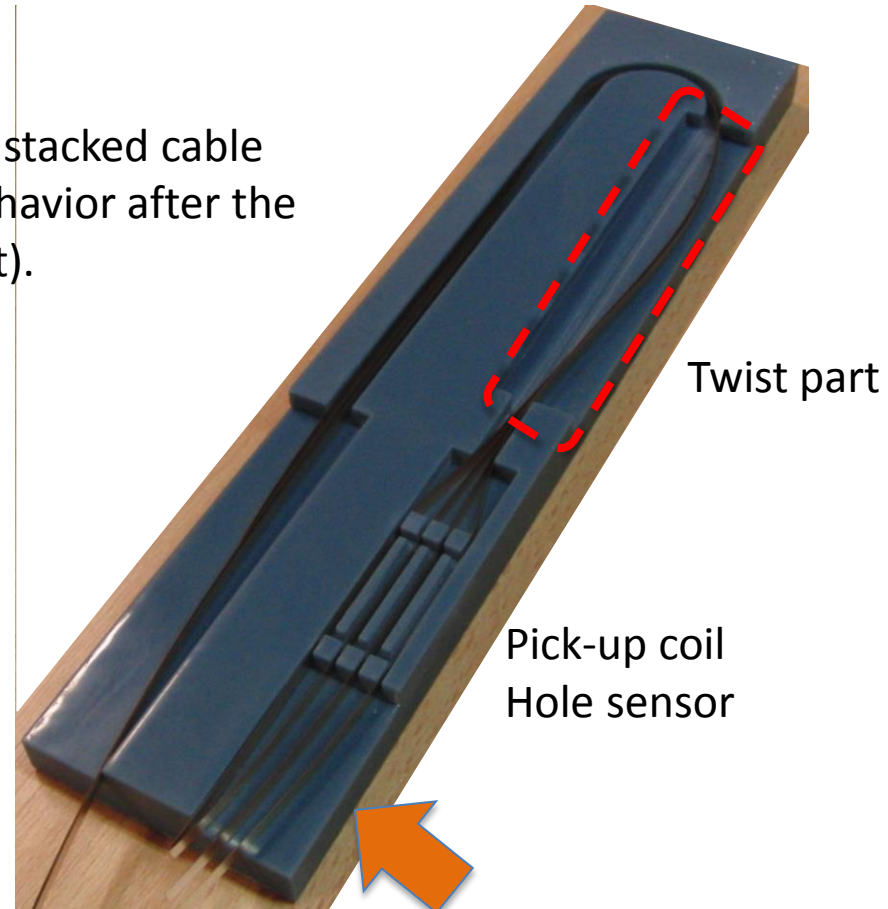
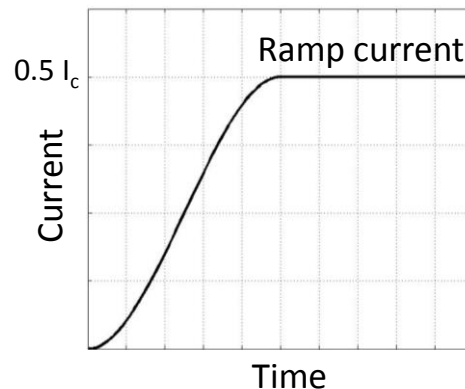
# Test for current distribution

## <Objective>

To see the current distribution of twisted stacked cable with the ramp current. And to see the behavior after the end of the ramp current (Long period test).




## <Plan>

- 1) Test at 77 K in Grenoble  
December/ 2015
- 2) Test under external field  
January or February/ 2016  
Fresca 10 T test station ?



Electrical joints (MIT)

# Conclusion

-  46-turns HTS twisted stacked design achieved a field of 5 T with  $J_e = 650$  MA/m<sup>2</sup> and a good field quality. Large  $J_e$  is needed as the background field penetrate into c-axis at twist part. The relative magnet ends' positions of HTS insert and LTS outsert may maintain the large  $J_e$ .
-  Twisted stacked cable needs to be insulated because there is only one twist per turn out of 15 m long HTS insert. Therefore, the current distribution is determined by the contact resistance. Further analysis is ongoing.
-  Current distribution test of twisted stacked cable is planed to especially see after the end of the ramp current.