

PHENIX results on Bose-Einstein correlation functions

XV. Zimányi Winter School on Heavy Ion Physics

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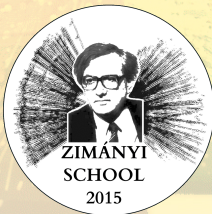
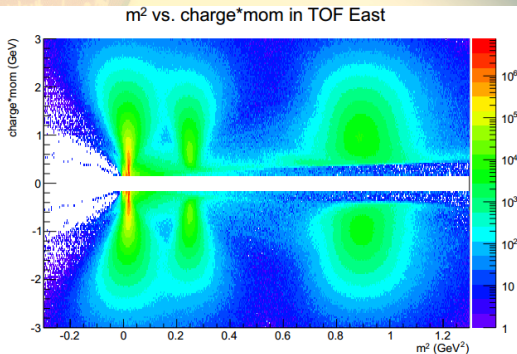
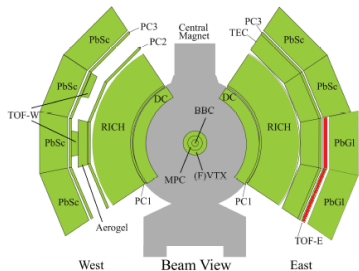


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(PhysRevC.92.034914, 2015-09-23)
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(arXiv:1410.2559, 2014-10-09)
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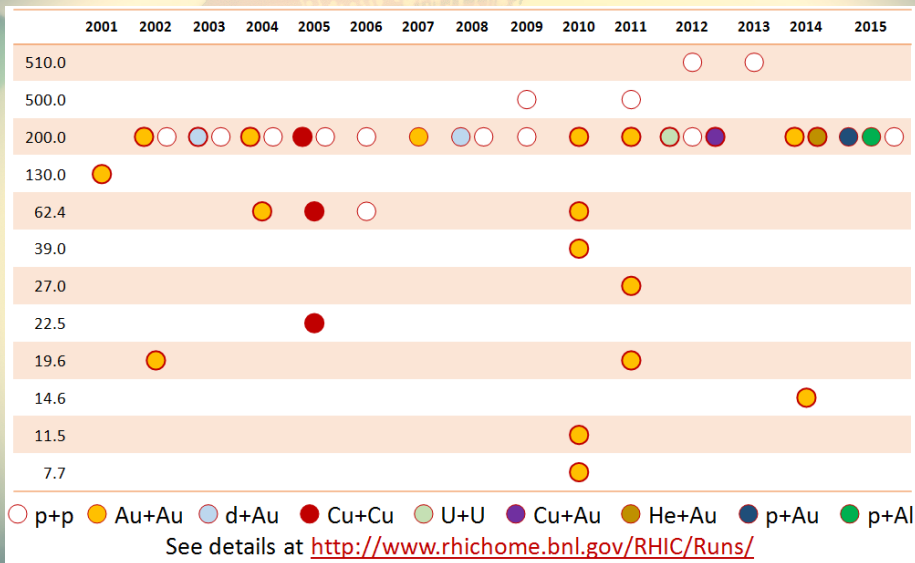
The PHENIX Experiment



The PHENIX detector system

- Observing collisions of p,d,Cu,Au,U
- Charged pion ID from ~ 0.2 to $2 \text{ GeV}/c^2$
- Beam energy scan is important

The RHIC Beam Energy Scan



Bose-Einstein correlations - a short summary

$N_1(p), N_2(p)$ - invariant momentum distributions, the definition of the correlation function:

$$C_2(p_1, p_2) = \frac{N_2(p_1, p_2)}{N_1(p_1)N_1(p_2)} \quad (1)$$

The invariant momentum distributions

$$N_1(p) - \text{norm.}, N_2(p_1, p_2) = \int S(x_1, p_1)S(x_2, p_2)|\Psi_2(x_1, x_2)|^2 d^4x_2 d^4x_1 \quad (2)$$

- $S(x, p)$ source function (usually Gauss shaped - Lévy is more general)
- Ψ_2 - interaction free case - $|\Psi_2|^2 = 1 + \cos(qx)$

If $k_1 \simeq k_2$: $C_2 \rightarrow$ inverse Fourier-trf. $\rightarrow S$

$$x = x_1 - x_2$$

$$q = k_1 - k_2$$

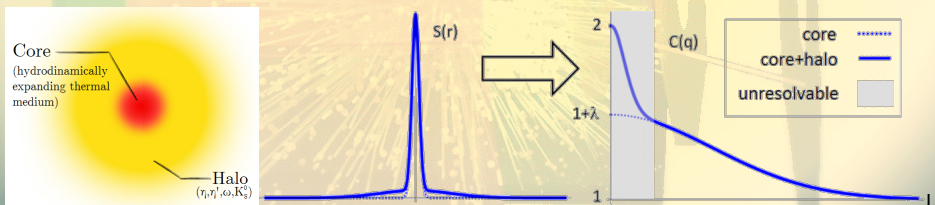
$$K = (k_1 + k_2)/2$$

$$C_2(q, K) \simeq 1 + \left| \frac{\tilde{S}(q, K)}{\tilde{S}(0, K)} \right|^2, \quad \tilde{S}(q, k) = \int S(x, k) e^{iqx} d^4x$$

- Sometimes this simple formula fails (cf. experimentally observed oscillations at L3, CMS)
see also the talks of A. Bialas at WPCF 2015, WPCF 2014

Final state interactions, resonances

- Final state interactions distort the simple Bose-Einstein picture
 - identical charged pions - Coulomb interaction
 - different methods of handling, an usual practice: Coulomb-correction
 - $C_{B-E}(q) = K(q) \cdot C_{measured}(q)$
 - An other possibility to fit with the effect incorporated in the fitted func.
- Resonance pions reduce the correlation function
- $S = S_C + S_H$
- Primordial pions - Core < 10 fm
- Resonance pions - from very far regions - Halo



Bolz et al, Phys.Rev. D47 (1993) 3860-3870

T. Csörgő. B. Lörstad and J. Zimányi, Z.Phys. C71 (1996) 491-497

The out-side-long system, HBT radii

- Corr. func. (with Gaussian source): $C_2(\mathbf{q}) = 1 + \lambda \cdot e^{-R_{\mu\nu}^2 q^\mu q^\nu}$
- Bertsch-Pratt pair coordinate-system
 - out direction: direction of the average transverse momentum (K_t)
 - long direction: beam direction (z axis)
 - side direction: orthogonal to the latter two
- LCMS system (Lorentz boost in the long direction)
- From the $R_{\mu\nu}^2$ matrix, R_{out} , R_{side} , R_{long} nonzero - HBT radii
- Out-side difference - $\Delta\tau$ emission duration
- From a simple hydro calculation:

$$R_{out}^2 = \frac{R^2}{1 + \frac{m_T}{T_0} \beta_T^2} + \beta_T^2 \Delta\tau^2 \quad R_{side}^2 = \frac{R^2}{1 + \frac{m_T}{T_0} \beta_T^2}$$

- RHIC: ratio is near one \rightarrow no strong 1st order phase trans.

S. Chapman, P. Scotto, U. Heinz, Phys.Rev.Lett. 74 (1995) 4400-4403

T. Csörgő and B. Lörstad, Phys.Rev. C54 (1996) 1390-1403



Comparison of charged pion and kaon femtoscopy

PHENIX Collaboration, PhysRevC.92.034914

● Dataset used for the analysis:

- Run-7, Au+Au, $\sqrt{s_{NN}} = 200$ GeV, $4.2 \cdot 10^9$ events
- Min. bias trigger, at least two hits in each BBC required
- Additional offline requirements:
 - One ZDC hit on each side
 - Collision vertex position less than ± 30 cm
- Single track cuts:
 - 2σ matching cuts in PC3 & PbSc for pions
 - 2.5σ matching cuts in PC3 & PbSc for kaons
- Particle identification:
 - time-of-flight data from PbSc west, momentum, flight length
 - 2σ cuts on m^2 distribution
 - π/K separation up to ~ 1 GeV/c
- Pair-cuts:
 - Pairs associated with hits on the same tower were removed
 - $(\Delta\phi^\pi > 0.07)$ or $(\Delta z^\pi > 5$ cm & $\Delta\phi^\pi > 0.02)$ or $(\Delta z^\pi > 70$ cm)
 - $(\Delta\phi^K > 0.04)$ or $(\Delta z^K > 4$ cm & $\Delta\phi^K > 0.01)$ or $(\Delta z^K > 65$ cm)

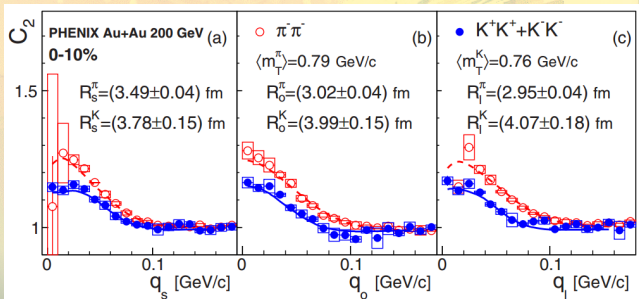
Comparison of charged pion and kaon femtoscopy

PHENIX Collaboration, PhysRevC.92.034914

- Both azimuthal-dependent and azimuthally integrated analysis (We only have time for the latter one)
- Fitted function:

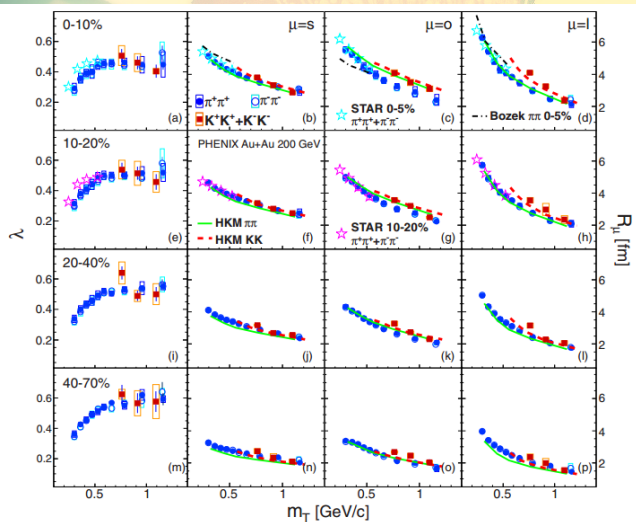
$$C_2(q) = N[\lambda(1 + G(q))F_C + (1 - \lambda)]$$

$$G(q) = e^{-R_s^2 q_s^2 - R_o^2 q_o^2 - R_l^2 q_l^2} \left(\cdot e^{-2R_{os}^2 q_s q_o} \right)$$



Comparison of charged pion and kaon femtoscopy

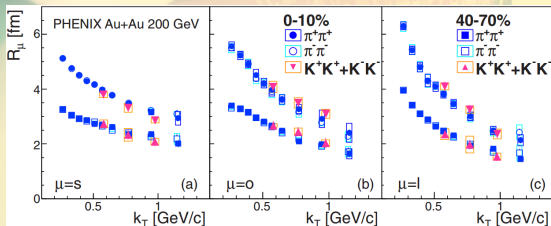
PHENIX Collaboration, PhysRevC.92.034914



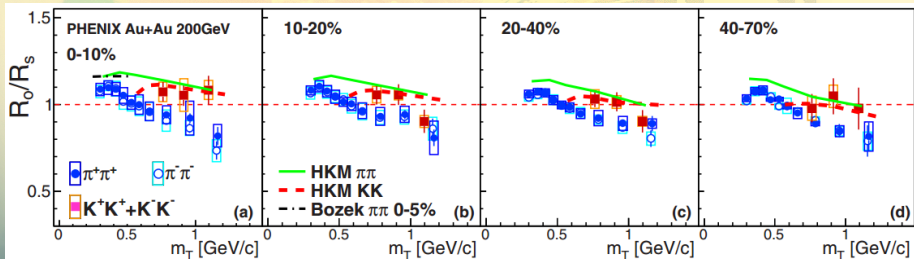
- R_s comparable
- R_o, R_l different
- $\pi^+ \pi^+, \pi^- \pi^-$ consistent
- radii from PHENIX and STAR in agreement
- greater difference in λ
- Comparison with HKM

Comparison of charged pion and kaon femtoscopy

PHENIX Collaboration, PhysRevC.92.034914



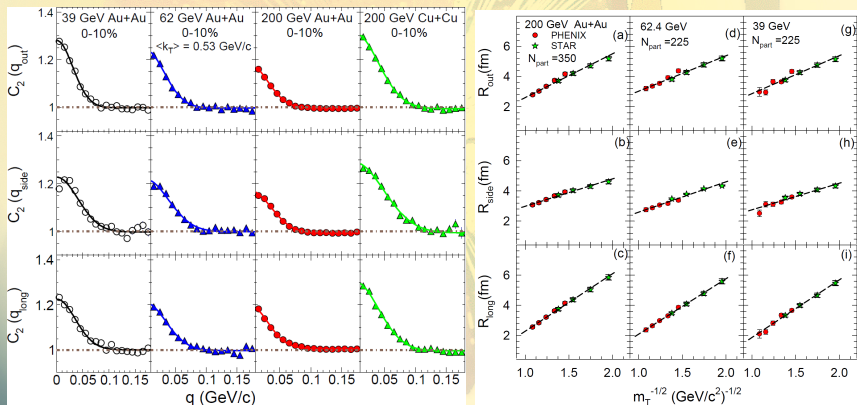
- Radii scale better for k_T
- Longer emission duration for kaons?



Beam energy & system size dependence of HBT radii

PHENIX Collaboration, arXiv:1410.2559

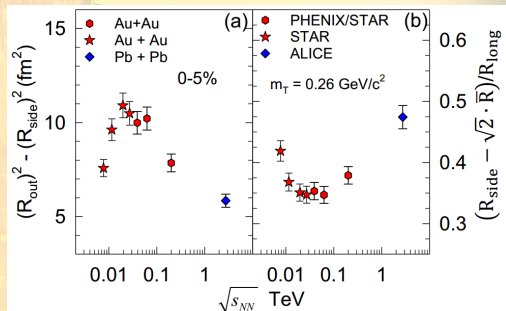
- Corr. func. in 3D, Gaussian fit (details: arXiv:1410.2559)
- $\pi^+\pi^+$, $\pi^-\pi^-$ data combined
- $1/\sqrt{m_T}$ transverse mass scaling of HBT radii
- Linear dependence for all systems and directions
- Interpolation to common m_T , PHENIX and STAR consistent



Beam energy & system size dependence of HBT radii

PHENIX Collaboration, arXiv:1410.2559

- quantities related to emission duration and expansion velocity
- non-monotonic patterns
- indication of CEP?



- More precise mapping and further detailed studies required
- Is there any other way to find the critical point?
- Maybe Levy exponent α !

Ongoing work: PHENIX Levy HBT analysis & future plans

A brief overview

- Dataset:

- $\sqrt{s_{NN}}=200$ GeV Au+Au, min. bias, more than 7 billion events
- Huge statistics, fine p_T binning possible

- Goal:

- Detailed shape analysis of 1D two-pion corr. func.
 - Levy source instead of Gauss → better agreement with data

- $$\mathcal{L}(\alpha, R, \mathbf{r}) = \frac{1}{(2\pi)^3} \int d^3 q e^{i\mathbf{q}\mathbf{r}} e^{-\frac{1}{2}|\mathbf{q}R|^\alpha}$$

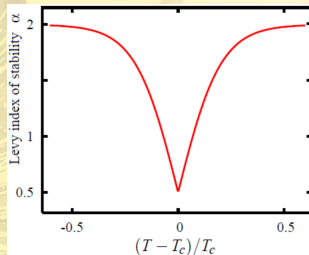
- Extraction and analysis of the source parameters
 - Precision measurement of $\lambda(m_T)$, $\alpha_{Levy}(m_T)$, $R_{Levy}(m_T)$

Ongoing work: PHENIX Levy HBT analysis & future plans

The physics case behind the results

● Measurement of $\alpha_{Levy}(m_T)$

- $\alpha = 2$ Gaussian, $\alpha = 1$ Cauchy
- Results indicate strong deviation from Gaussian ($\alpha \simeq 1.15$)
- α_{Levy} actually identical to critical exponent η
- At the critical point: $\eta = 0.5$
- Change in α_{Levy} related to the proximity of CEP
- Plan: repeating the measurements at lower energies
- A possible way of finding the Critical End Point?



Csörgő, Hegyi, Zajc, Eur.Phys.J. C36 (2004) 67, nucl-th/0310042

Csörgő, Hegyi, Novák, Zajc, AIP Conf.Proc. 828 (2006) 525, nucl-th/0512060

Csörgő, arXiv:0903.0669 [nucl-th]

Summary I

- Recent PHENIX HBT results:
 - Comparison of charged pion and kaon femtoscopy - PhysRevC.92.034914
 - 200 GeV Au+Au, Gaussian fits, azimuthally dep./int. analysis
 - m_T scaling holds well for R_s
 - visible differences for R_o, R_l between pions & kaons
 - differences larger in more central collisions
 - k_T scaling works well for all radii
 - R_o/R_s is larger for kaons \rightarrow different $\Delta\tau$?
 - Beam energy & system size dependence of HBT radii
 - $1/\sqrt{m_T}$ transverse mass scaling of HBT radii
 - Linear dependence for all systems and directions, PHENIX & STAR consistent
 - Specific combinations of radii vs. $\sqrt{s_{NN}}$ show non-monotonic behaviour
 - Indication of CEP? - further detailed studies required

Summary II

- Ongoing work: Levy HBT analysis
 - Dataset: Run-10 200 GeV Au+Au, ~ 7 billion evts.
 - Goal: precise measurement of Levy source parameters
 - Future plans: 3 pion correlations, lower energies
 - Expected physics info: mass modifications, partial coherence, CEP

Thank you for your attention!