









Cosmic Ray Anisotropies

Obergurgl







Cosmic Ray Anisotropie

The Gamma-ray Sky



Origin of Gamma Rays

- Sources
- Unresolved sources
- Diffuse emission
- Dark matter





The Gamma-ray Sky



Origin of Gamma Rays

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Connection to Propagation

- Production mechanism of gamma rays
- Info on cosmic rays?



Cosmic Ray Anisotropies

Transport Equation

 $\frac{\partial \psi_i}{\partial t}$



Transport Equation

 $\frac{\partial \psi_i}{\partial t} = q(\vec{r},p)$

Individual Terms

CR sources



Transport Equation

$$\frac{\partial \psi_i}{\partial t} = q(\vec{r},p) \!+\! \nabla \!\cdot \! \mathcal{D} \nabla \psi_i$$

Individual Terms

- CR sources
- Spatial diffusion



Transport Equation

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Individual Terms

- CR sources
- Spatial diffusion
- Diffusive reacceleration



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- (Adiabatic) energy changes



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Result

 $\bullet~{\rm CR}{\mbox{-}distribution}~\psi_i$



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- ightarrow can compute gamma rays



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Solution

- 3+1 dimensions
- Entire Galaxy



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- 3+1 dimensions
- Entire Galaxy
- \rightarrow Numerical solution



Types of Solvers

- Particle-based
 - Monte Carlo
 - SDEs
- Grid-based



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Particle Based Solvers

- Monte Carlo
 - Benyamin, Shaviv et al.





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Finite Differences Approaches

Different Codes

- Semi-analytical:
 - Usine
- Fully numerical:
 - Galprop
 - DRAGON
 - Picard





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Other Approaches

- Green's functions (Büsching et al.)
- Fluid description (Hanasz et al.)





Transport Processes

- Convection
- Diffusion
- Diffusive reacceleration



Transport Processes

- Convection
- Diffusion
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Galaxy Model

- Matter distribution
- ISRF
- Magnetic field

Numerical Galaxy Model





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Interaction with ISM

- Spallation cross sections
- Energy loss processes
- Nuclear network

Numerical Galaxy Model





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- $\leftrightarrow \ \mathsf{Galaxy} \ \mathsf{model}$

Secondaries

- Secondary CRs
- Gamma rays
- Neutrinos



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Solution Process CR source distribution



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Solution Process CR source distribution \downarrow Transport solver



Transport Processes

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CR Distribution



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Numerical models

Transport Processes

- Convection
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Gamma-Ray Emission



Secondaries

- Secondary CRs
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Numerical models

Issues in Previous Approaches

Transport Equation

$$\frac{\partial \psi}{\partial t} = q(\vec{r}, p) + \nabla \cdot (\mathcal{D}\nabla\psi - \vec{v}\psi) + \frac{\partial}{\partial p} p^2 D_{pp} \frac{\partial}{\partial p} \frac{1}{p^2} \psi - \frac{\partial}{\partial p} \left\{ \dot{p}\psi - \frac{p}{3} (\nabla \cdot \vec{v})\psi \right\} - \frac{1}{\tau_f} \psi - \frac{1}{\tau_r} \psi$$

Physics Issues

• Physics as parameters


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Transport Parameters

- Source distribution $q(\vec{r},p)$
- Diffusion tensor ${\cal D}$
- Momentum diffusion D_{pp}
- Spatial convection \vec{v}
- $\bullet~{\rm Energy}~{\rm losses}~\dot{p}$
- Spallation τ_f



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- Physics as parameters
- Constant in time
- Constant in space
- \rightarrow Parameter tuning

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Simplified Parameters

- Diffusion, halo height
- Galaxy model
- Convection

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Technical Issues

- Solver
- Local structure ↔ spatial resolution
- Consistency
- \rightarrow See discussion in Kissmann et al. (2012)



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Gamma-ray Example: Simple Galaxy Model



















Idea

- Statistical investigation of propagation
- Fast, simplified simulation models



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- Fast, simplified simulation models



Examples

- Usine (semi-analytical)
- Galprop (very low resolution)



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- Statistical investigation of propagation
- Fast, simplified simulation models

Application

- Statistical analysis
- Estimate on transport parameters
- Effect of cross sections



(From Putze et al. (2010) A&A 516, A66)

Examples

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Idea

- Statistical investigation of propagation
- Fast, simplified simulation models

Application

- Statistical analysis
- Estimate on transport parameters
- Effect of cross sections
- But: CRs only



(From Putze et al. (2010) A&A 516, A66)

Examples

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Development

- Localised sources
- Spatial diffusion:
 - Spatial variation
 - Anisotropy



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Examples:

- Spiral-arm source distribution
- Diffusion tensor
- Related codes:
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Solution Approach

- Start with empty Galaxy
- Advance in time until convergence



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Problem I

- Characteristic timescales
- Convergence timescales





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Characteristic time: ${\sim}50$ yrs



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Problem II

- Check for convergence?
- Timestep control





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\rightarrow Let's do better





Cosmic Particle Transport: THE NEXT GENERATION

Contents lists available at ScienceOlem

Astroparticle Physics journal homopope: www.elsevier.com/locate/astropart

Ж

PICARD: A novel code for the Galactic Cosmic Ray propagation problem Countral Countral

R. Kissmann

ABSTRACT

Attick Many: Roowed 10 leptember 2011 Reviewd in reviewd hern 10 Jamaay Aeropod 3 Irbenary 2014 Analable online 15 February 2014 Keywordt: Canada Kays Method e namerical Offician

In this manuscript we present a new appreach for the manuscript adultion of the Galaxie Countie Ray propagation problem. We introduce a net find a sing advanced onto paysary manuscript algorithms while making the ground complexity of other multibleted advances. In this payer we present the underlying materials (ketter in complexity or white toxis showing the correctness of the scheme. Finally we show the unbiased of the sample aroungation problem using therease on the body with spatiality to Galaxie the unbiased of the sample aroungation problem using the revene on the body of an applicability to Galaxie.

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1. Introduction

The Galactic Cosmic Bay propagation problem, i.e., the question how Cosmic Rays are transported from their sources to arbitrary incations in the Galaxy, becomes ever more relevant with recent advances in observational techniques. Such observations yield the flux of primary Cosmic Rays (see, e.g., 0.12.2.3) or doo of secwebed in Cosmic Ray transport. The transport of Galactic Cosmic Rays is a diffusion-loss prob-

ion wantport of tallactic connec may in a carbaiton-loss prob-lem (see [15]). That is we have to find a solution of the partial dif-ferential equation:

 $\frac{\partial \phi}{\partial t} = \nabla \cdot (\mathcal{D}^{(2)} \phi) + \nabla \cdot (\bar{u} \phi) = \frac{\partial}{\partial u} \left(p^2 D_{\mu \nu} \frac{\partial}{\partial u} \frac{\phi}{p^2} \right)$ $+ \frac{\partial}{\partial \omega} \left(\hat{\mathbf{y}} \boldsymbol{\psi} - \frac{p}{s} (\nabla \cdot \hat{\mathbf{u}}) \boldsymbol{\psi} \right) = s(\vec{\mathbf{y}}, p, c) - \frac{1}{s} \boldsymbol{\psi}$

losses by fragmentation and subjoactive decay for the current This partial differential equation has been solved using dif-

With the increasing precision of Galactic Countic Ray such numerical codes like Uses (see [11]) that use codes aim at finding the best values for the variables

APh Vol.55 (2014)

Features of Picard

Solver

- Steady-state solution
- Explicit time integrator
- MPI-parallel
- Improved nuclear network
- Speed



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Solver

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Example Resolution

- Standard CR simulation (e.g., Fermi Diffuse Paper)
 - 2D (1 kpc \times 100 pc)
- Picard
 - $\bullet~$ 3D (up to ${\sim}75~{pc}^3)$





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Example results: Milkyway as spiral galaxy



CR Source Candidates

- Supernova remnants
- Pulsars
- Gamma-ray binaries



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- $\rightarrow\,$ young objects



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- $\rightarrow\,$ star formation regions



CR Source Candidates

- Supernova remnants
- Pulsars
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Source Distribution

- Spiral galaxy
- $\rightarrow \text{ Spiral arms}$
- ightarrow Galactic bar

Spiral Galaxy NGC1232





CR Source Candidates

- Supernova remnants
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- Gamma-ray binaries
- ightarrow young objects
- ightarrow star formation regions

Source Distribution

- Spiral galaxy
- \rightarrow Spiral arms
- ightarrow Galactic bar
 - Tracers of spiral structure
- \rightarrow Variety of models

Spiral Galaxy NGC1232





Confrontation with CR Data

CR Data

- CR Fluxes \checkmark
- Secondary / Primary ratios
 - ${}^{10}\text{Be}/{}^9\text{Be}$ Ratio
 - B/C Ratio





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Four-Arm Model

- Adapt parameters
- Fit possible
- Spatial variation

Axially Symmetric Model





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Modified Four-Arm Model





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Four-Arm Model

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- Fit possible
- Spatial variation

Impact on gamma rays?











 $\bullet ~{\sim} 100\,\text{GeV}$



Spiral Arms





Spiral Arms





Spiral Arms





Spiral Arms





Spiral Arms





Spiral Arms





Spiral Arms



Spiral Arms



• Two-arm model excluded?

∼1 GeV
~100 GeV





- Two-arm model excluded?
- Galactic centre?

∼1 GeV
∼100 GeV

Spiral Arms

Preliminary Results

- At Galactic centre
- Different source models
- No ISRF scaling yet (see Fermi Diffuse Paper)





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- Change in total flux
- Impact of electrons
- Inverse compton



Preliminary Results

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- Different source models
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Conclusion

- Dependence on source model
- Other transport parameters
- Numerics?



Observation

- Change in total flux
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Effect of Convergence



Setup

• Different GALPROP

time-integration parameters





Effect of Convergence



Setup

• Different GALPROP time-integration parameters Result

- Global shift
- Local structure



Conclusion

Transport Modelling

- Range of available codes
- $\bullet~\mbox{Change}~\mbox{2D} \rightarrow \mbox{3D}$
- Resolution
- Improved Transport Physics



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Gamma Rays

- Local & global flux variation
- Impact of different components



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Galactic Centre

- Here: localised sources
- Possibilities:
 - Anisotropic diffusion
 - Re-acceleration
 - Unresolved sources
 - Matter / Radiation
 - Galactic Wind
- Problems:
 - 2D models insufficient
 - Spatial resolution

