

# THE HIGH ENERGY TAIL OF THE GALACTIC CENTRE EXCESS

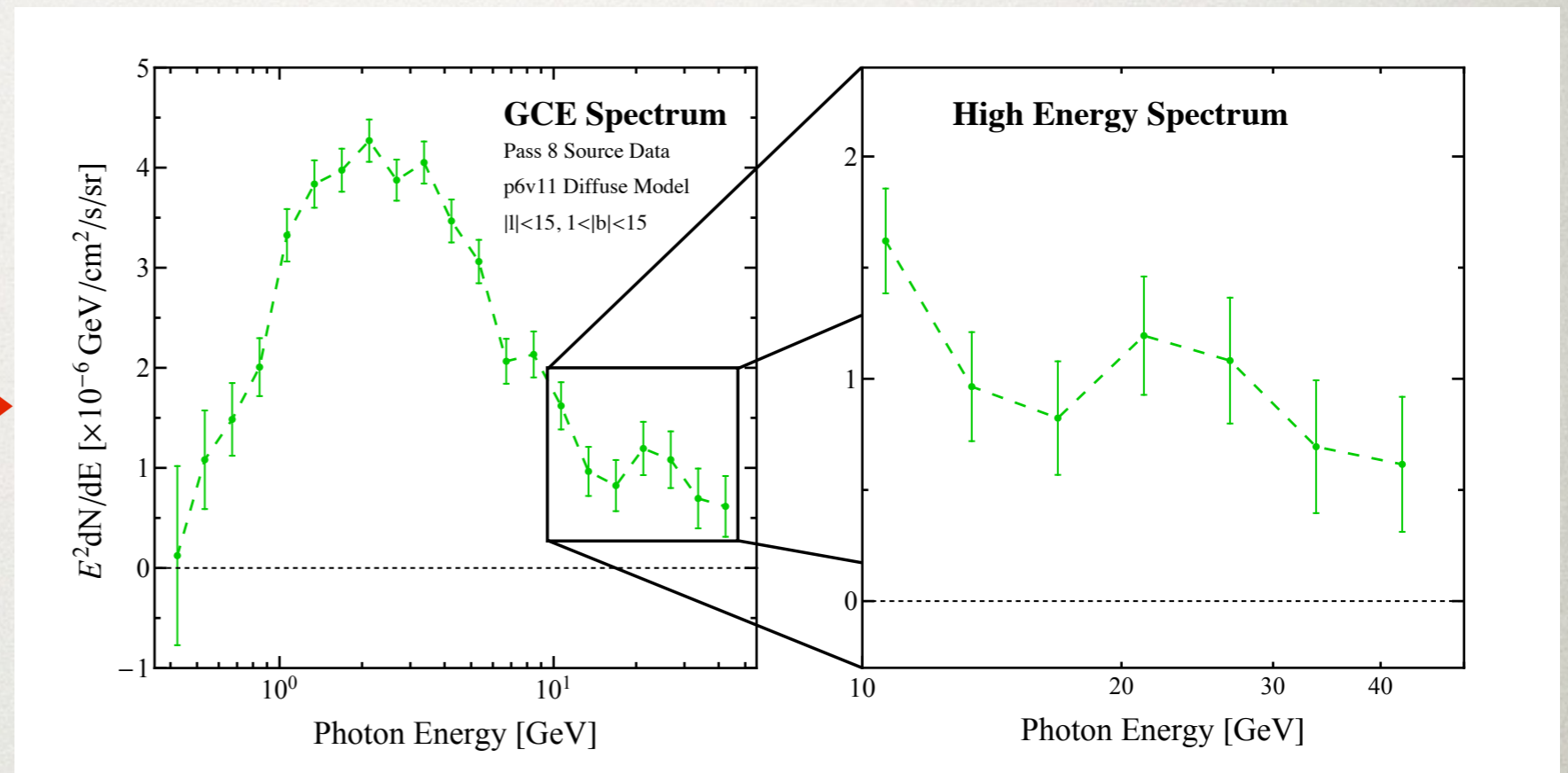
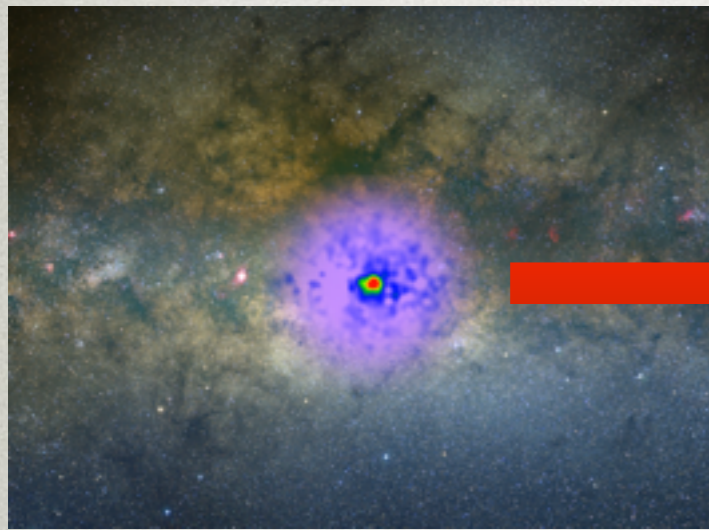
NICK RODD - MIT

BASED ON ONGOING WORK W/ TIM LINDEN, BEN SAFDI AND  
TRACY SLATYER

GAMMA RAYS AND DARK MATTER  
8 DECEMBER 2015

# MOTIVATION

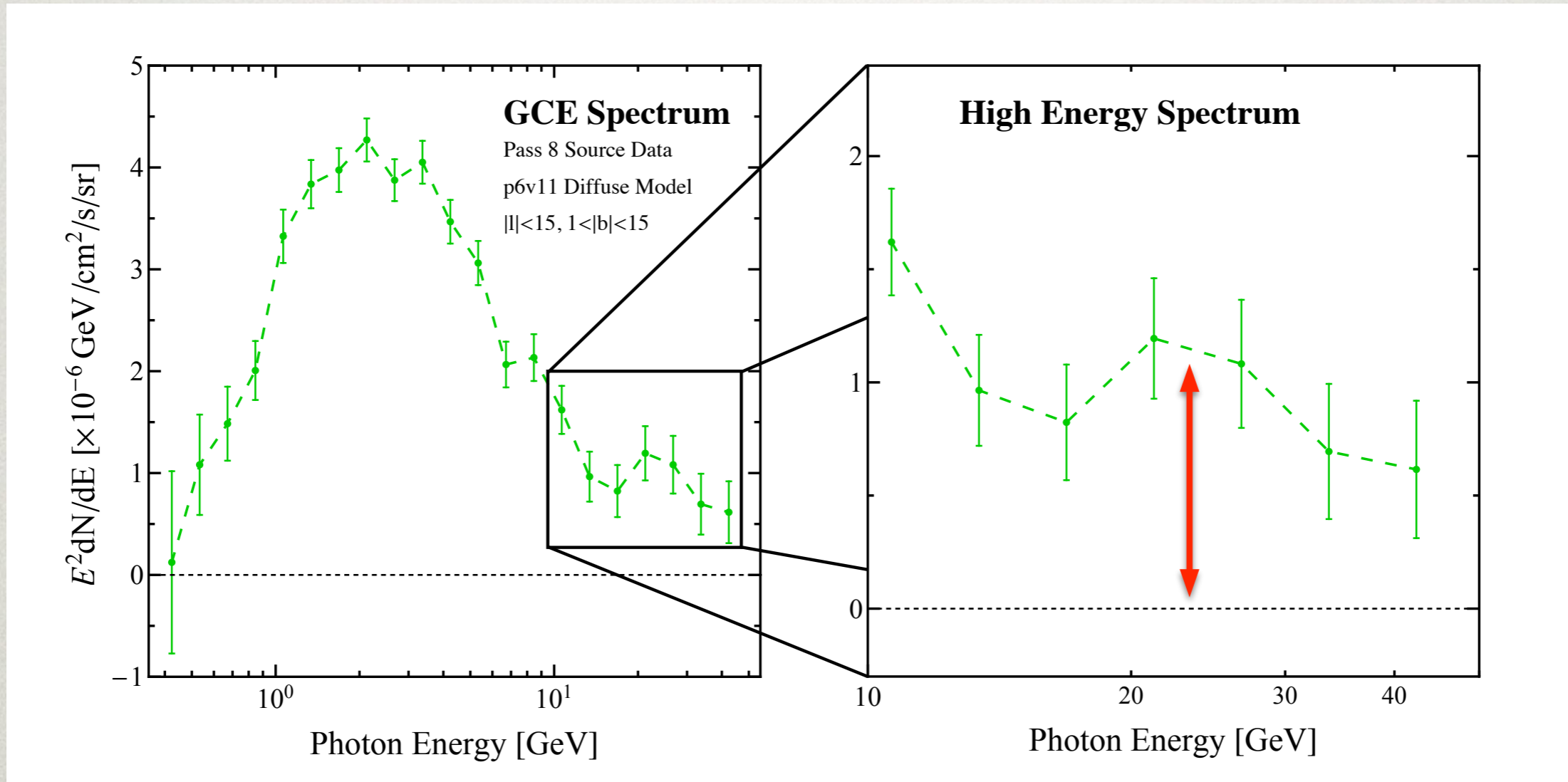
- How high in energy does the GCE emission extend?



- Important handle on whatever is creating the excess:
  - Millisecond Pulsars: is there an exponential cutoff or is it a harder spectrum?
  - Dark Matter: tail of the spectrum reveals a lot about the mass and annihilation mechanism (see e.g. Agrawal et al 1411.2592, Calore et al 1411.4647, NLR et al 1503.01773)

# MOTIVATION

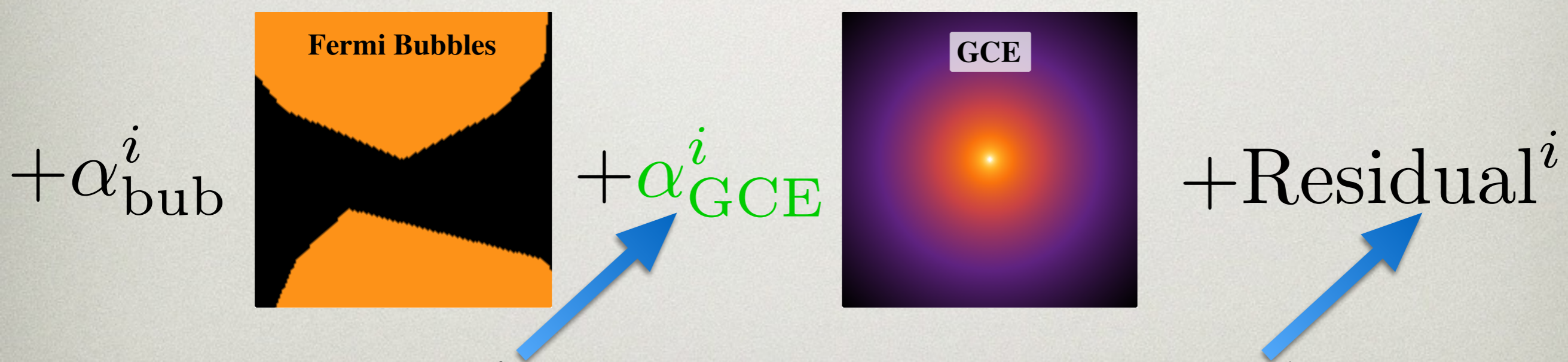
- Looks like we're already done: non-zero emission at high energies



- But shouldn't be so quick! The spectrum should be interpreted carefully - especially at high energies
- To see why let's quickly review where it comes from

# EXTRACTING THE GCE SPECTRUM: TEMPLATE FITTING

Break 3D sky (l,b,E) into energy bins  $\{E^i\}$  and fit as a sum of templates

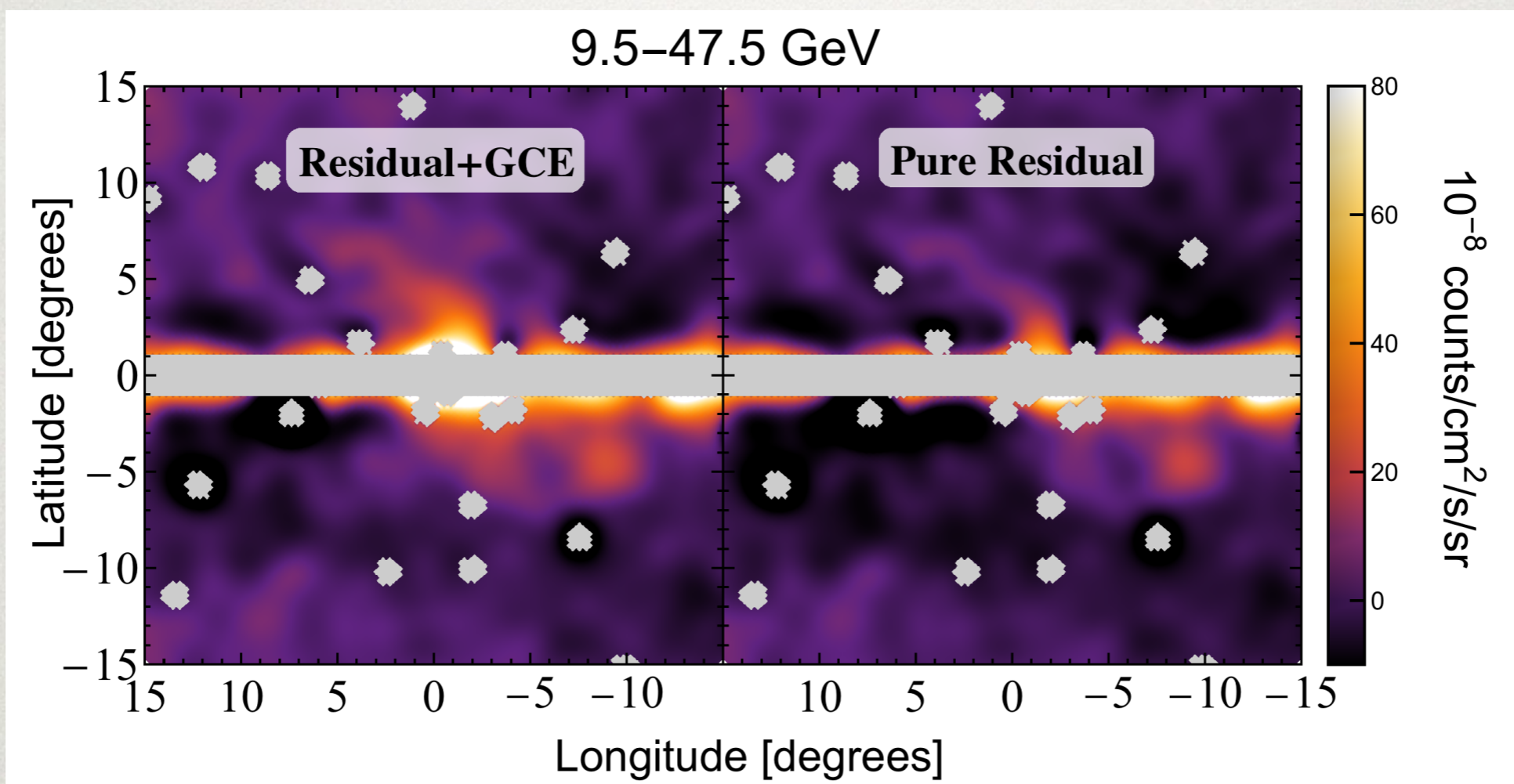


Convert to  $E^2 dN / dE$  -  
build up spectrum

Useful diagnostic of the fit quality  
(complements the Test Statistic)

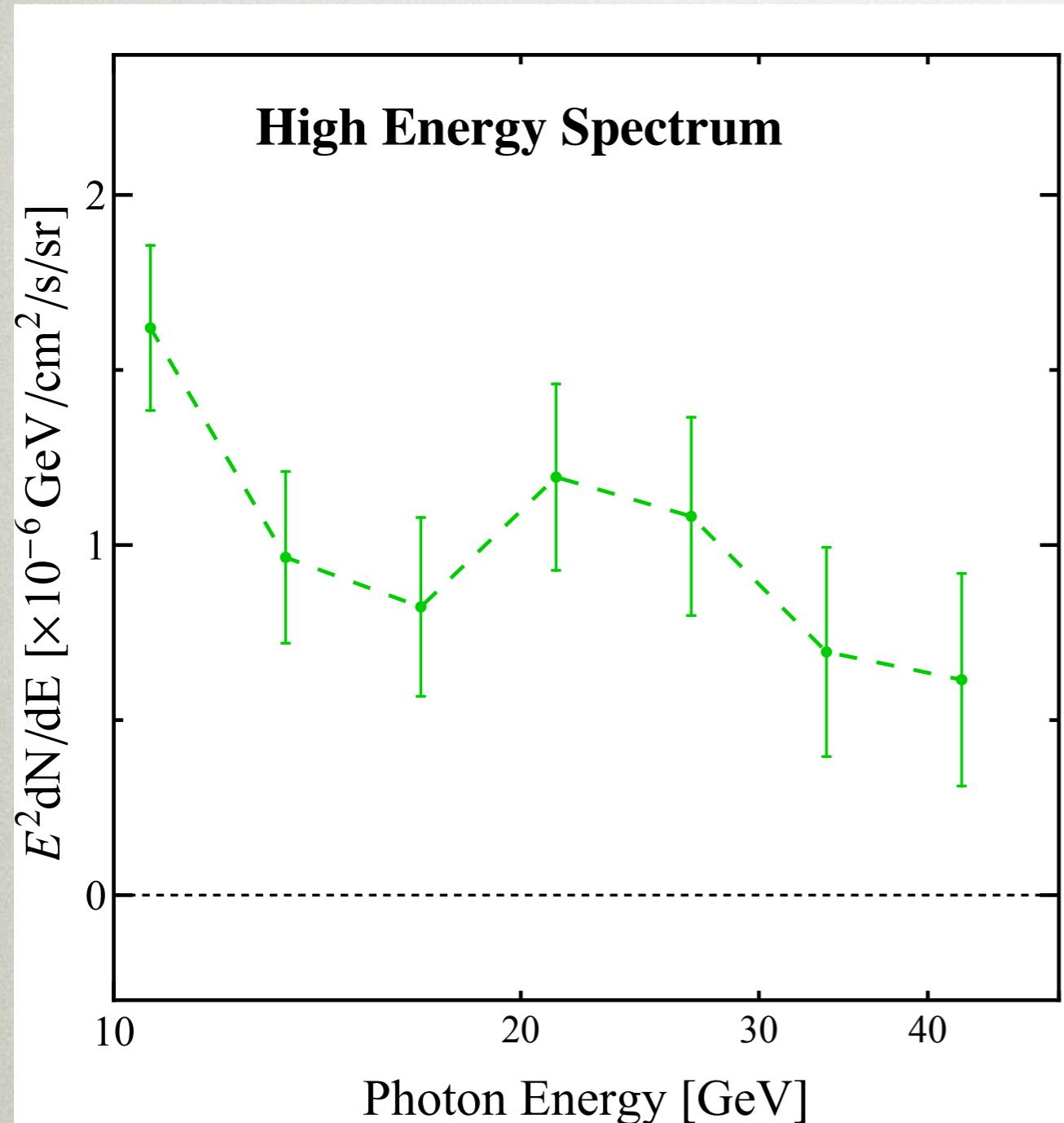
# EXTRACTING THE GCE SPECTRUM: TEMPLATE FITTING

At high energies consider: Data - diff - bub - iso (- GCE):



- If the excess is really present at high energies it is of a comparable size to the spatial residuals, which could fake a contribution
- Instead need to look for peculiar spatial properties we know the GCE exhibits: sphericity, profile's inner slope, non-poisson stats, etc

# ANALYSING SPATIAL PROPERTIES



## 1. Galactic Centre

- Small ROI: 15°x15°
- No Mask - model PS
- Based on Fermi Tools

## 2. Inner Galaxy

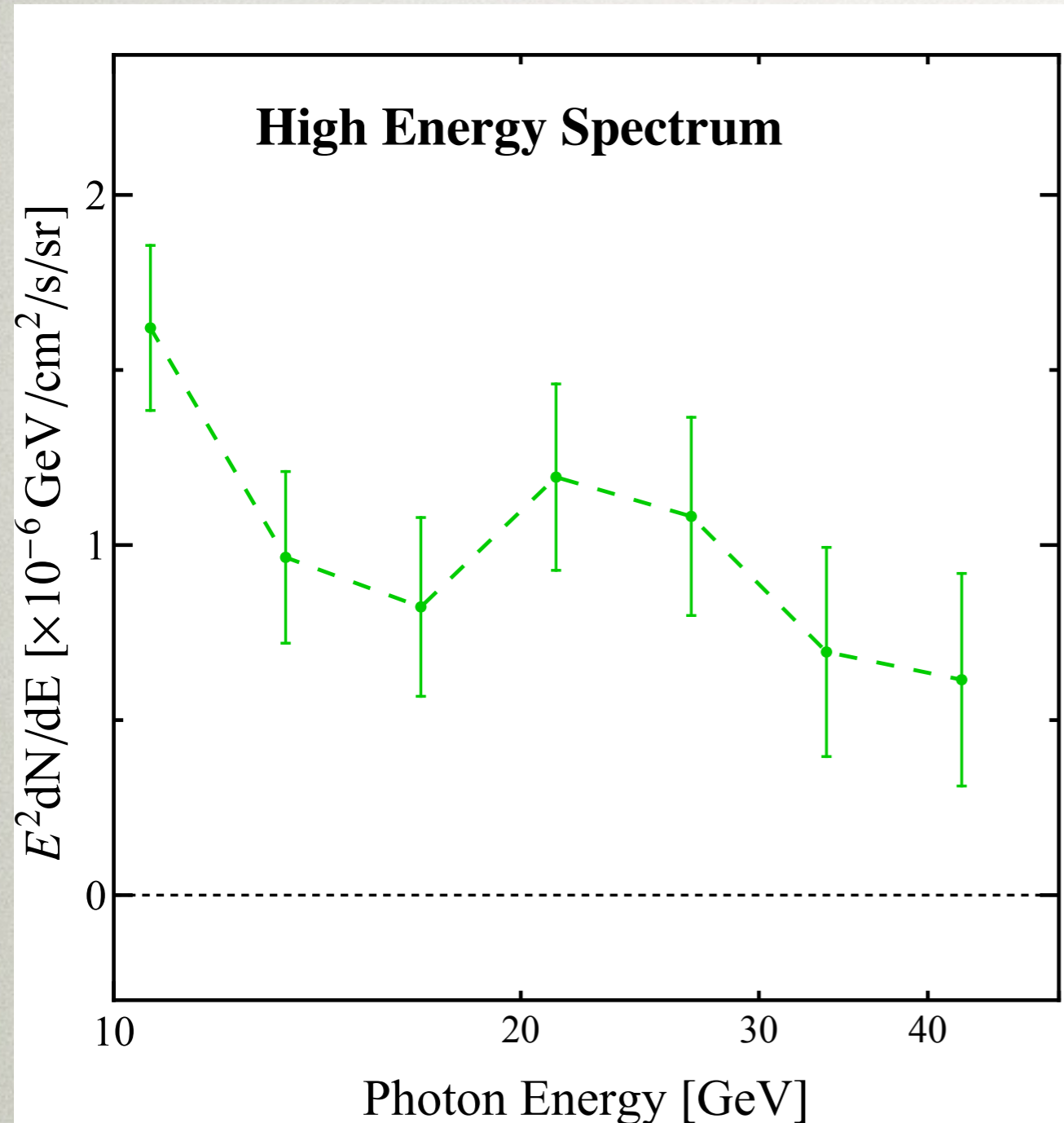
- Larger ROI: 30°x30°
- Mask plane and bright PS
- Frequentist template fitting

## 3. Non-Poissonian Stats

- Similar to IG, except:
- Bayesian template fitting
- Different treatment of PS

- In all three analyses use the majority of source class Pass 8 events:
  - At high energies statistics, not angular resolution, is the biggest problem
- Number of systematic checks to confirm results not a relic of low stats

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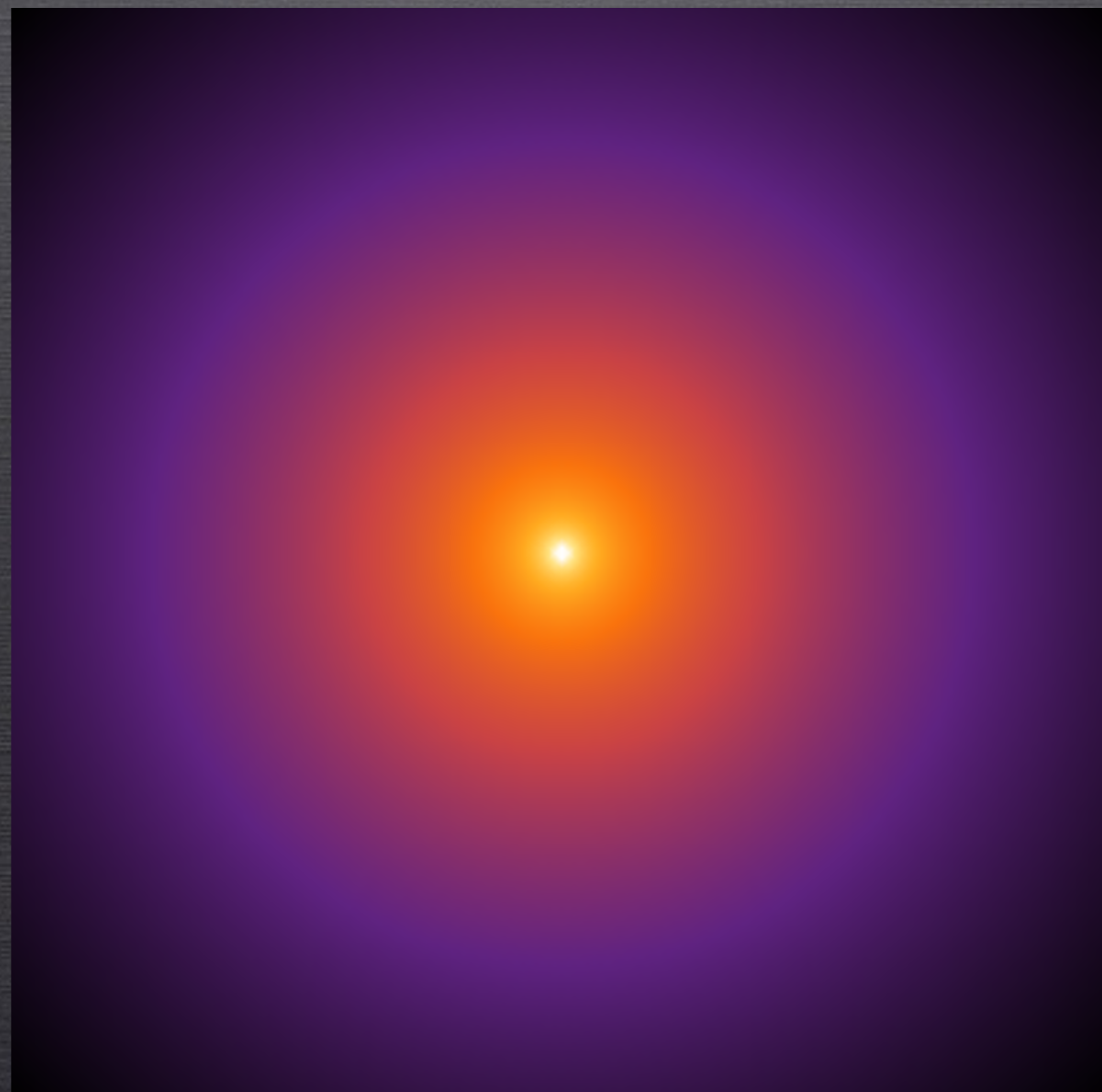
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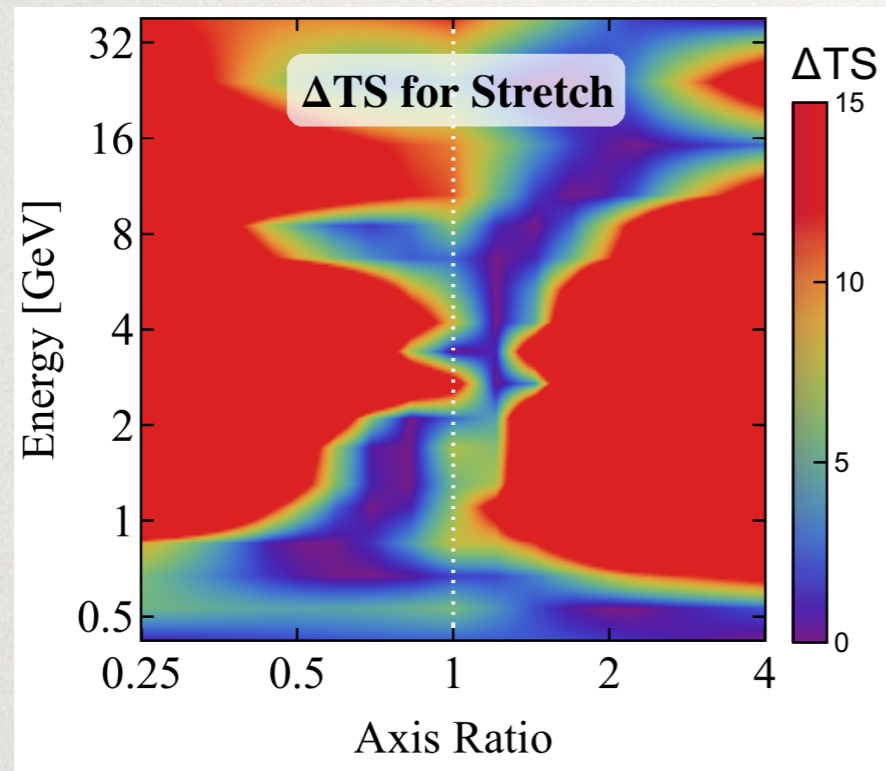
# SPATIAL PROPERTIES IN THE INNER GALAXY



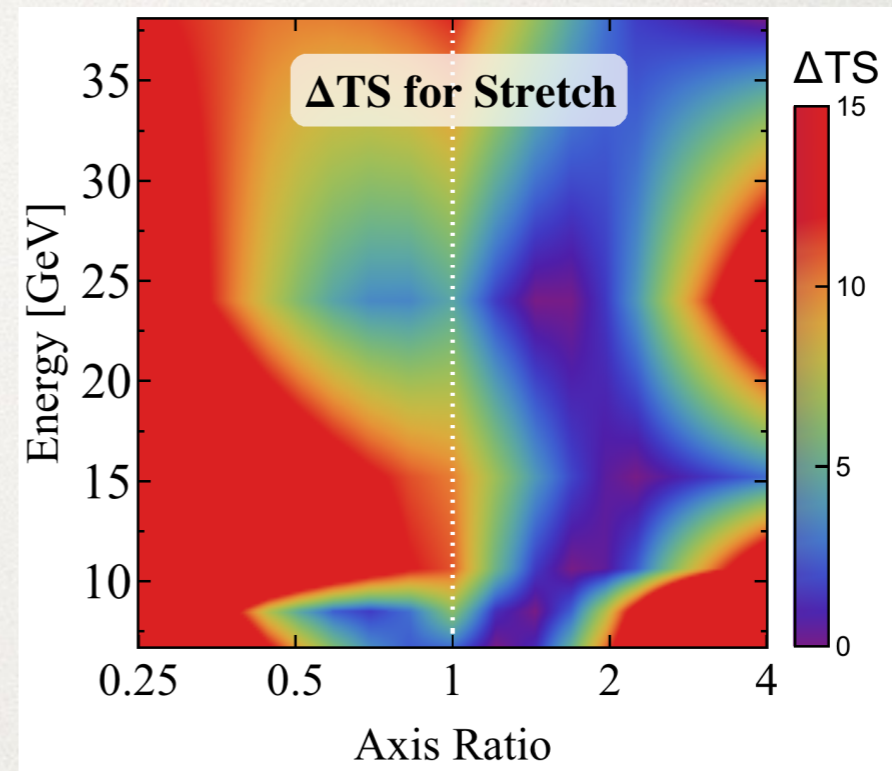


# BIN BY BIN SPHERICITY

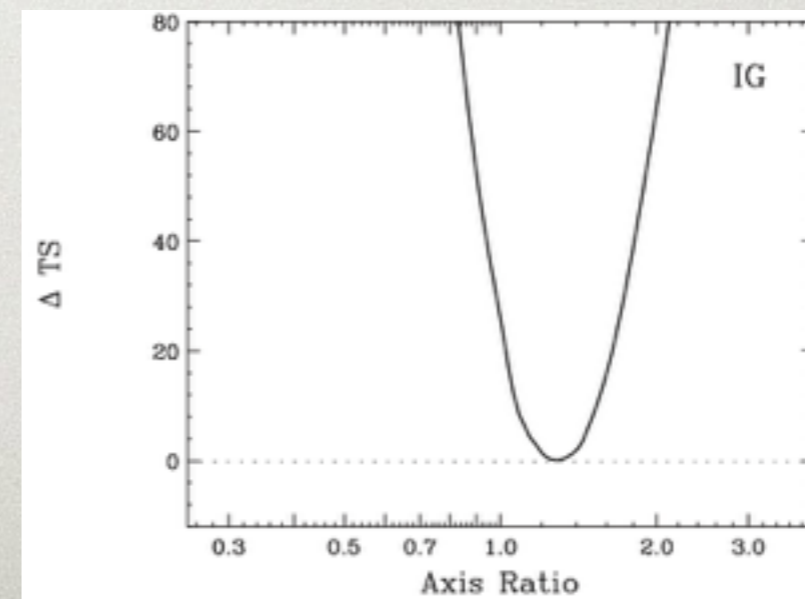
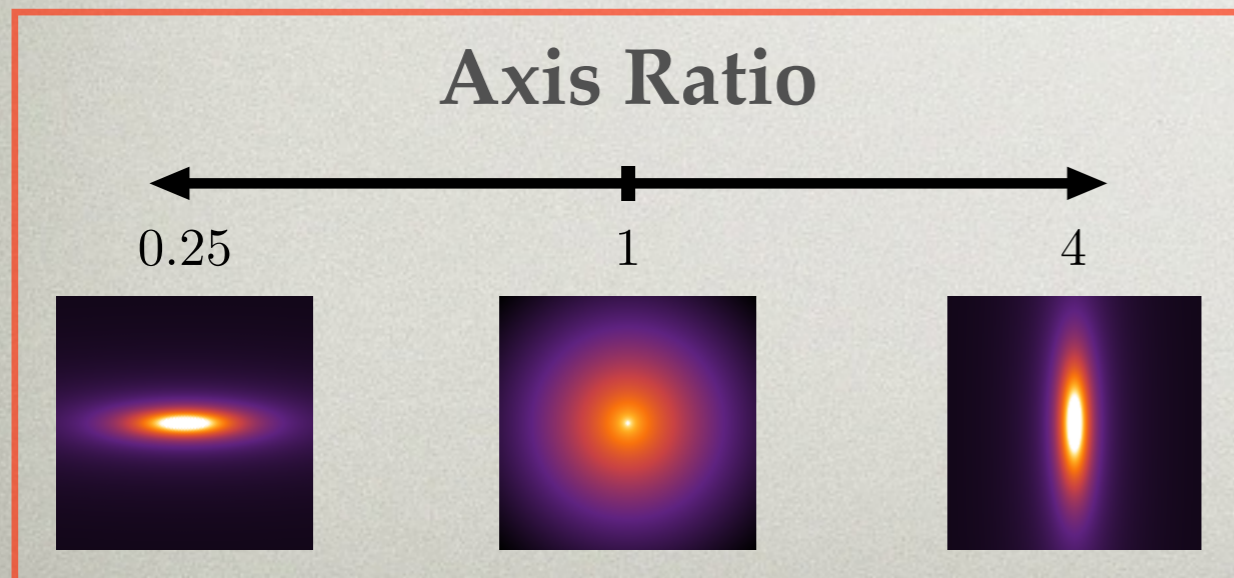
## All Energies



## High Energy



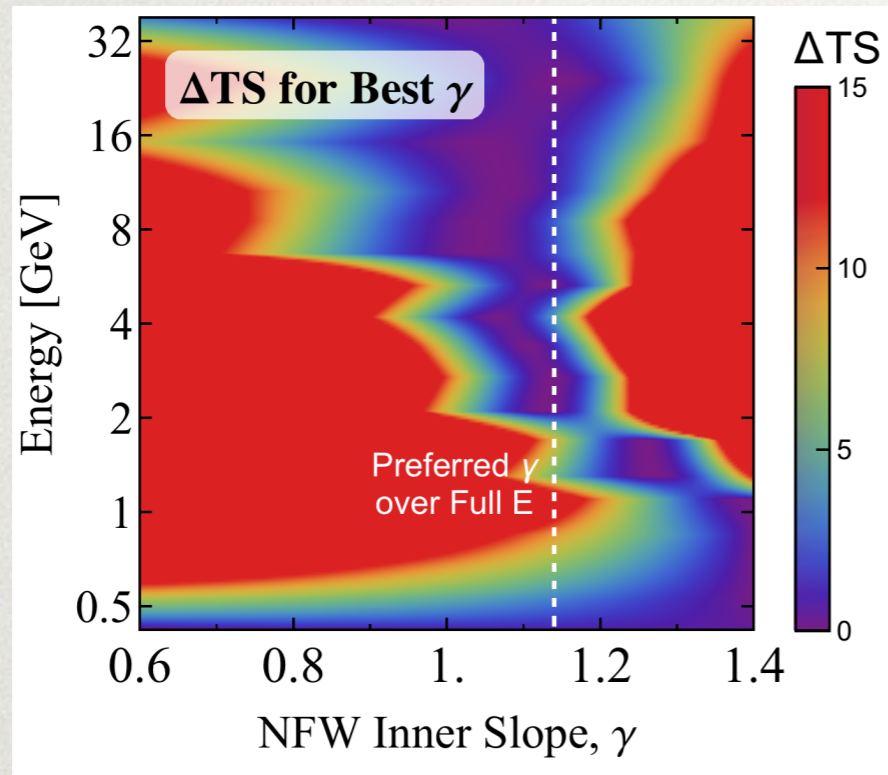
- Increase in preference for GCE to be stretched perpendicular to the plane
- Stretch along the plane still disfavoured



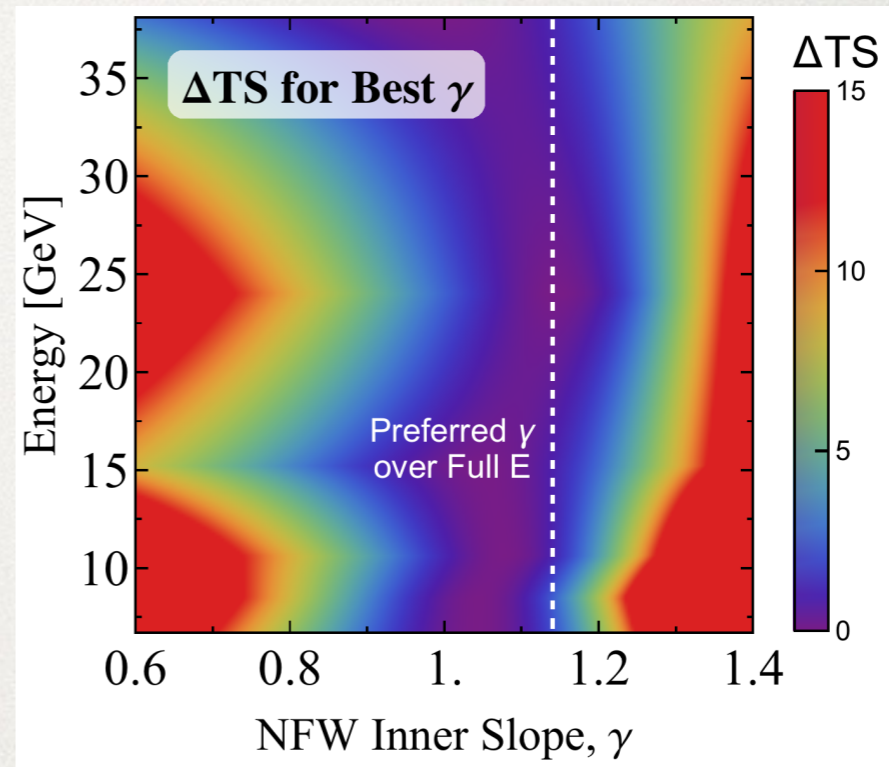
Daylan, NLR,  
et al 1402.6703

# BIN BY BIN INNER SLOPE

## All Energies

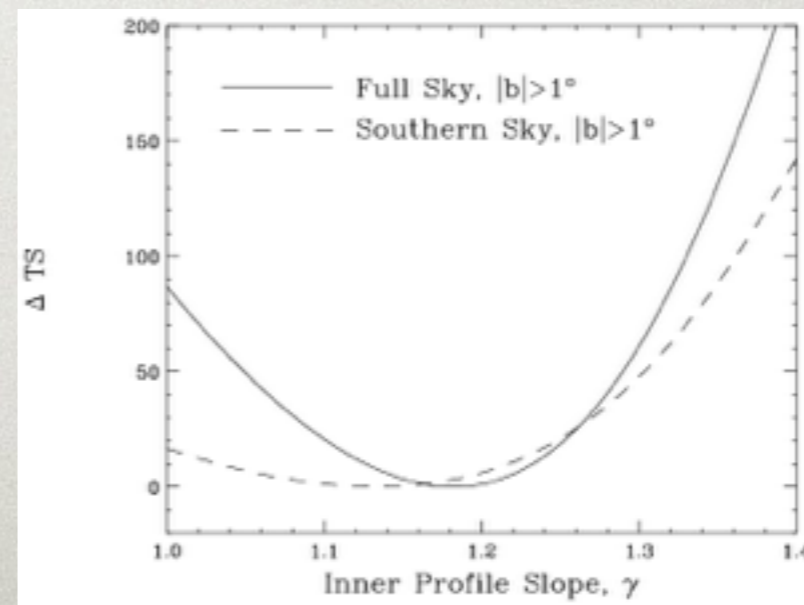
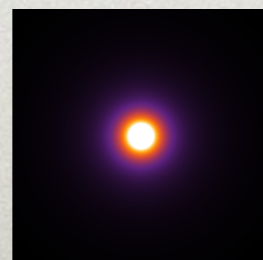
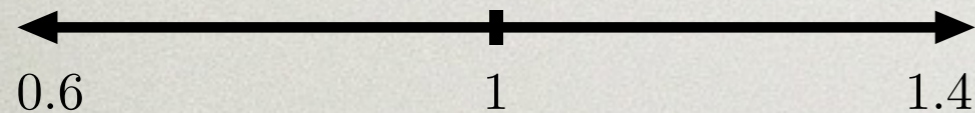


## High Energy



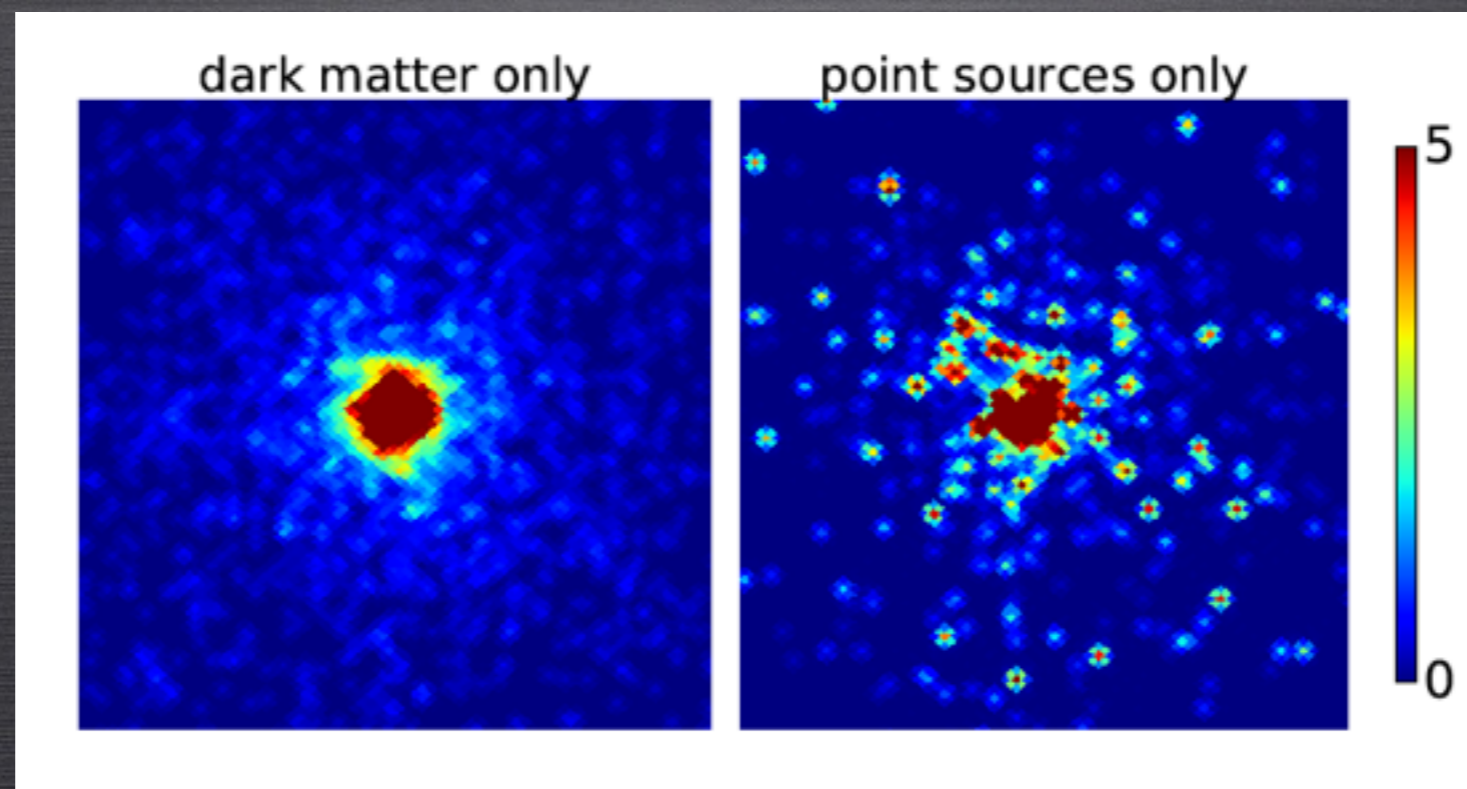
- Preferred  $\gamma$  at high energy roughly consistent with excess as a whole
- Over the full energy range there is a downward trend in preferred  $\gamma$

### NFW Inner Slope, $\gamma$



Daylan, NLR,  
et al 1402.6703

# POINT SOURCE ORIGIN OF THE GCE



SEE LEE, LISANTI, SAFDI, SLATYER & XUE (1506.05124) AND MALYSHEV & HOGG (1104.0010), LEE, LISANTI & SAFDI (1412.6099) FOR ADDITIONAL DETAILS

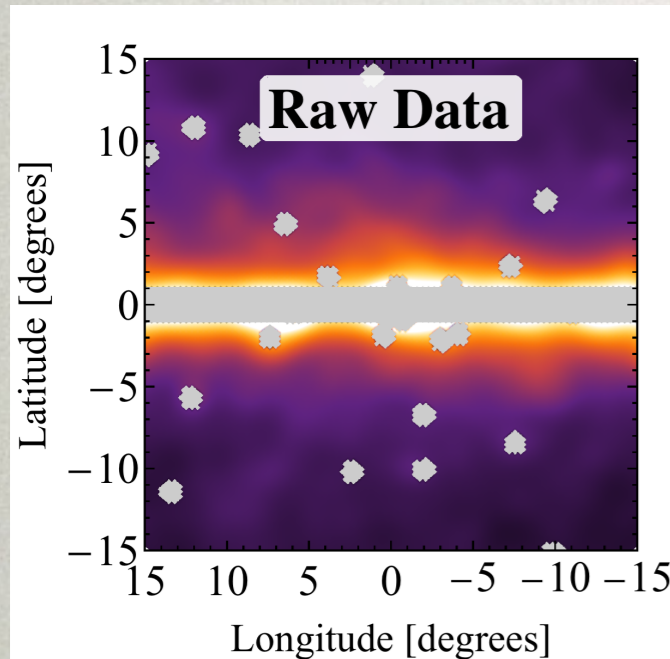
BARTELS, KRISHNAMURTHY & WENIGER (1506.05104) FOR SIMILAR ANALYSIS USING WAVELETS (SEE BARTELS TALK TOMORROW)

PROBABILISTIC CATALOGUES PROVIDE ANOTHER APPROACH TO THIS ISSUE (TALKS BY DAYLAN AND PORTILLO ALSO TOMORROW)

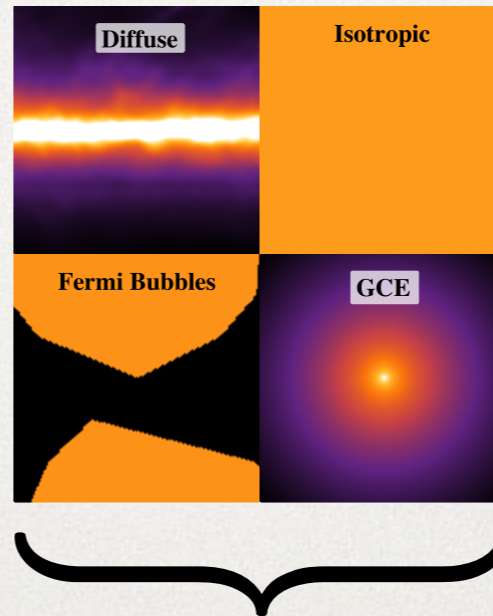
# TEMPLATE FITTING REVISITED



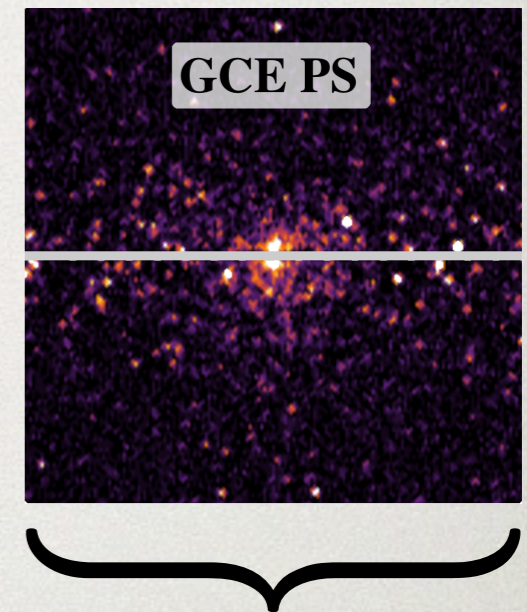
Break 3D sky (l,b,E) into energy bins  $\{E^i\}$  and fit as a sum of templates



$$= \sum_{\text{Templates}}$$



$$+ \beta^i$$



–Residual<sup>i</sup>

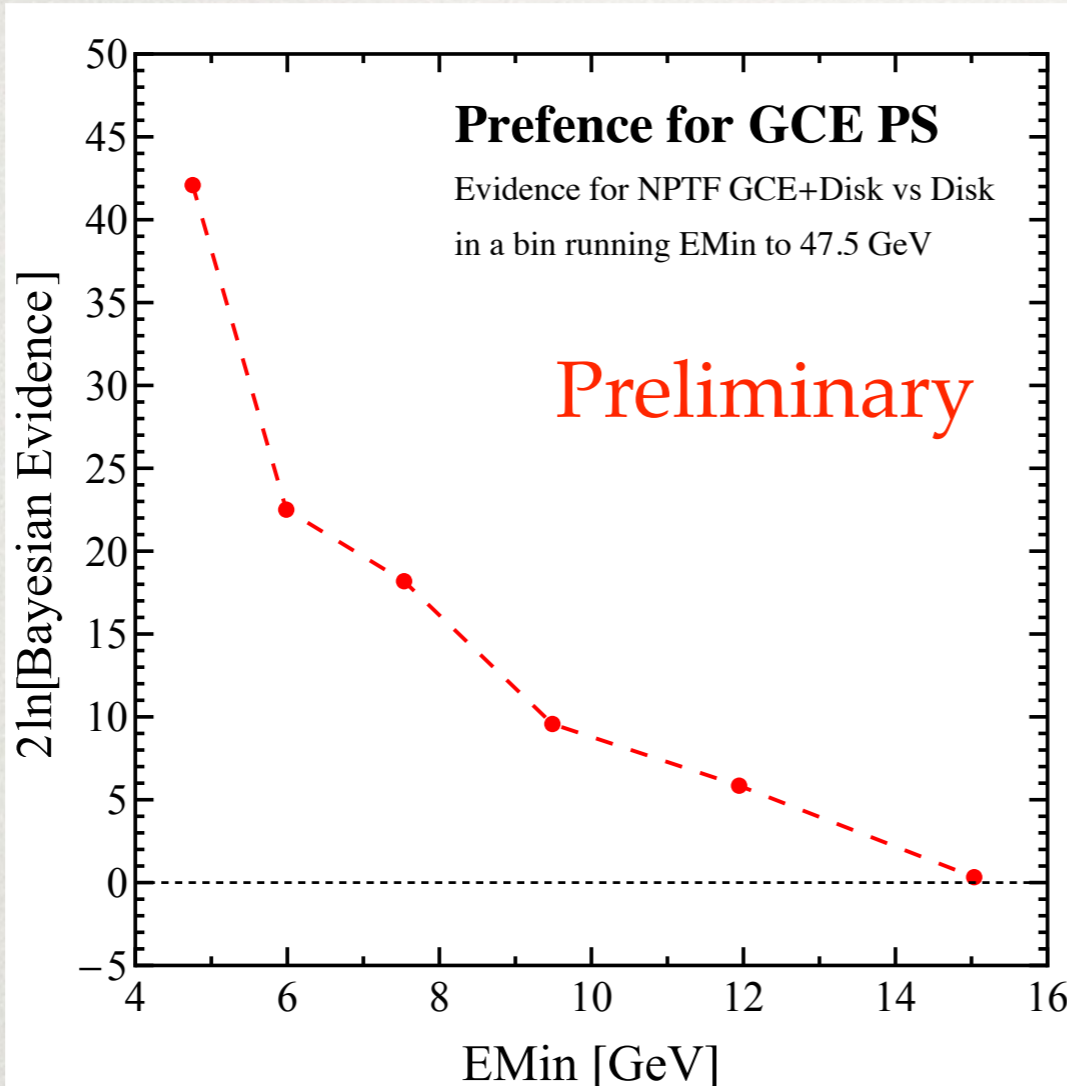
Fit with Poissonian  
Statistics

Fit with non-Poissonian  
Statistics

- A non-Poissonian template fit (NPTF) allows the fit to incorporate templates that look more point-like than smooth
  - NPTF can find evidence of point sources below Fermi detection threshold
  - Has been used to show evidence that the GCE is made up of unresolved point sources (1506.05124)
  - Does this preference for point sources extend to higher energies?

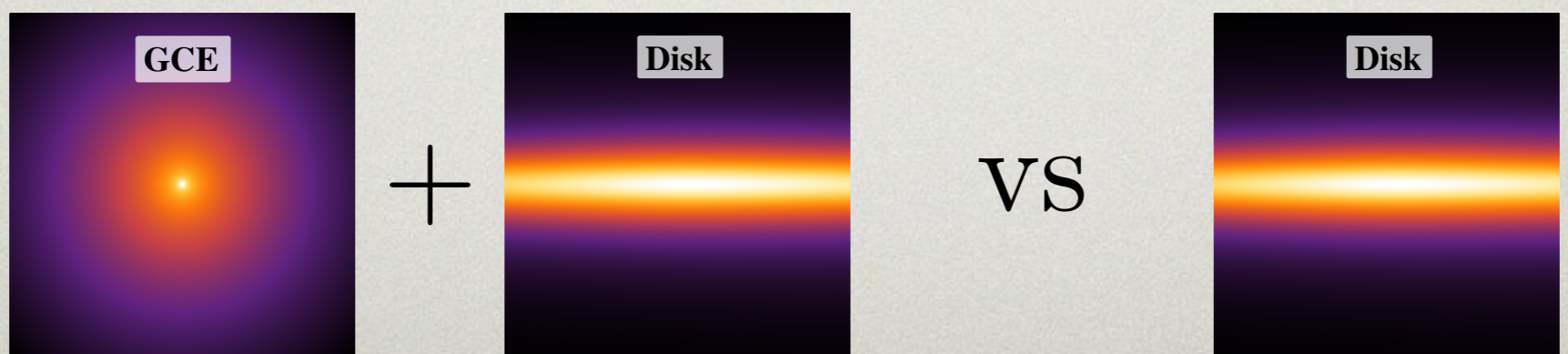


Can loosely think of as  $\Delta TS$  or  $-2\Delta \ln \mathcal{L}$



- Evidence for GCE PS persists to high energies
- NB: both fits contain a Poissonian GCE template
- But begins to disappear as statistics run out
- Is this what we'd expect?
- Need simulated data!

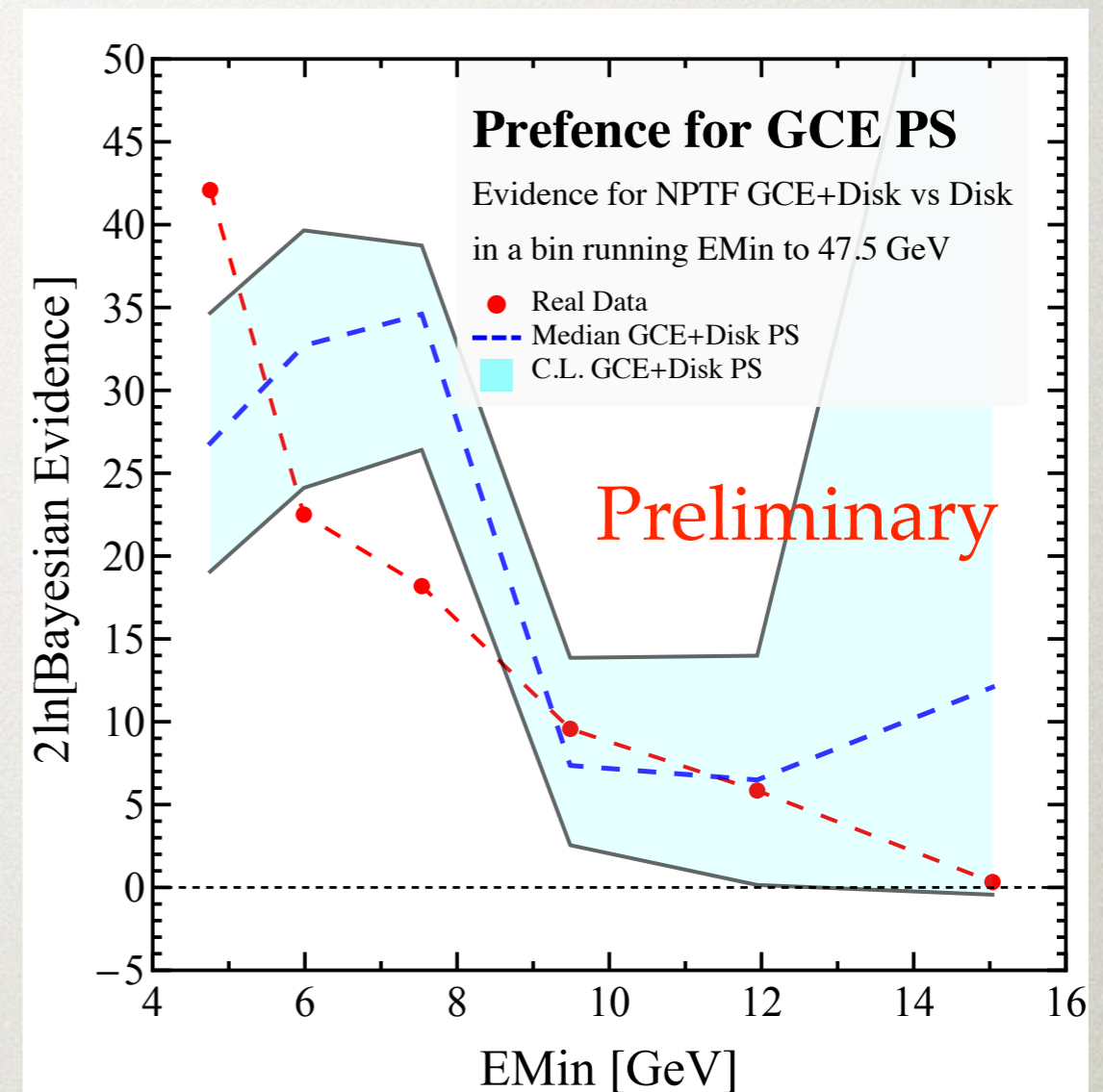
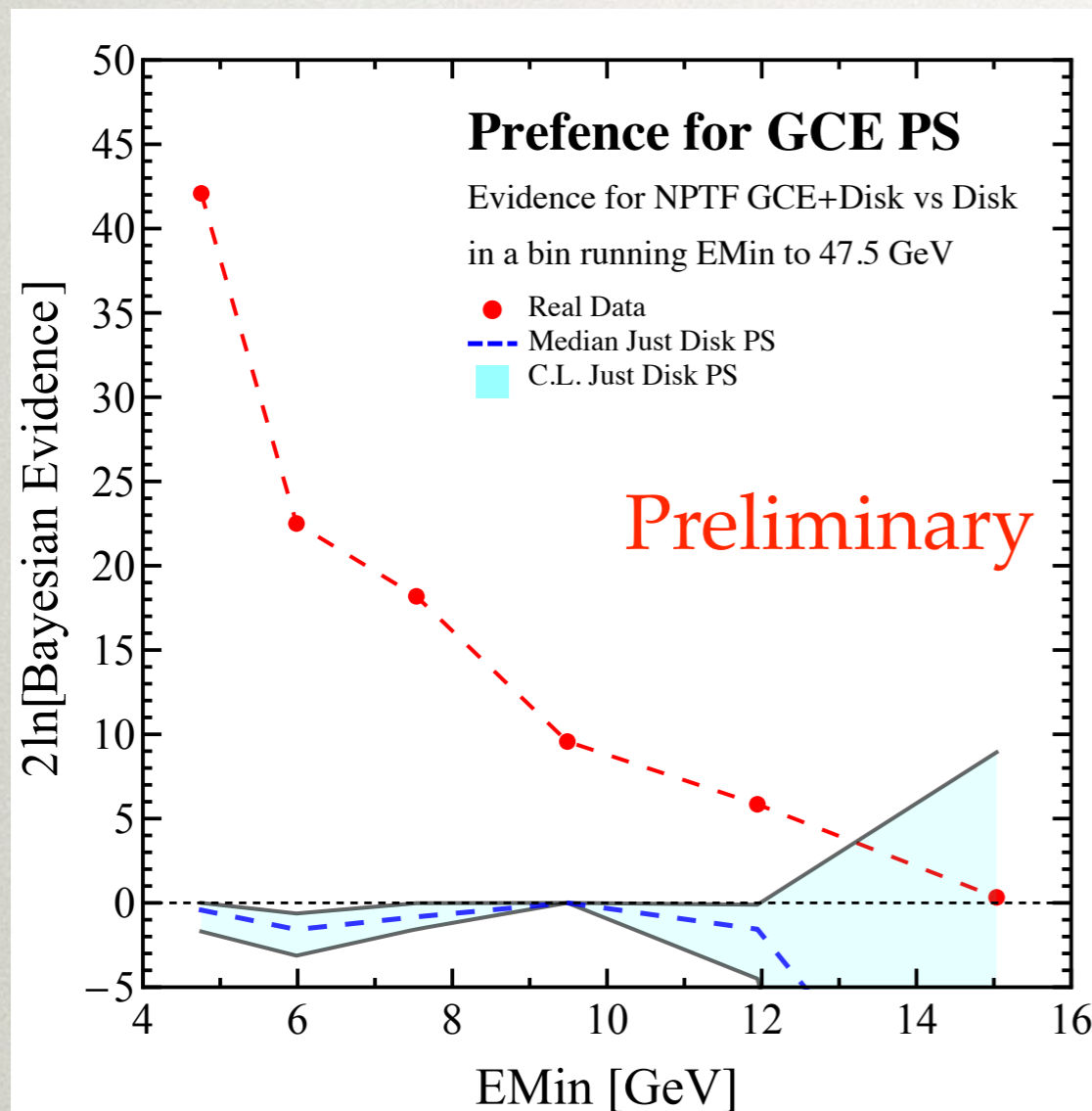
Figure shows the preference for GCE + Disk correlated PS vs Disk only, i.e.



# NPTF EXPECTATION VIA SIMULATED DATA



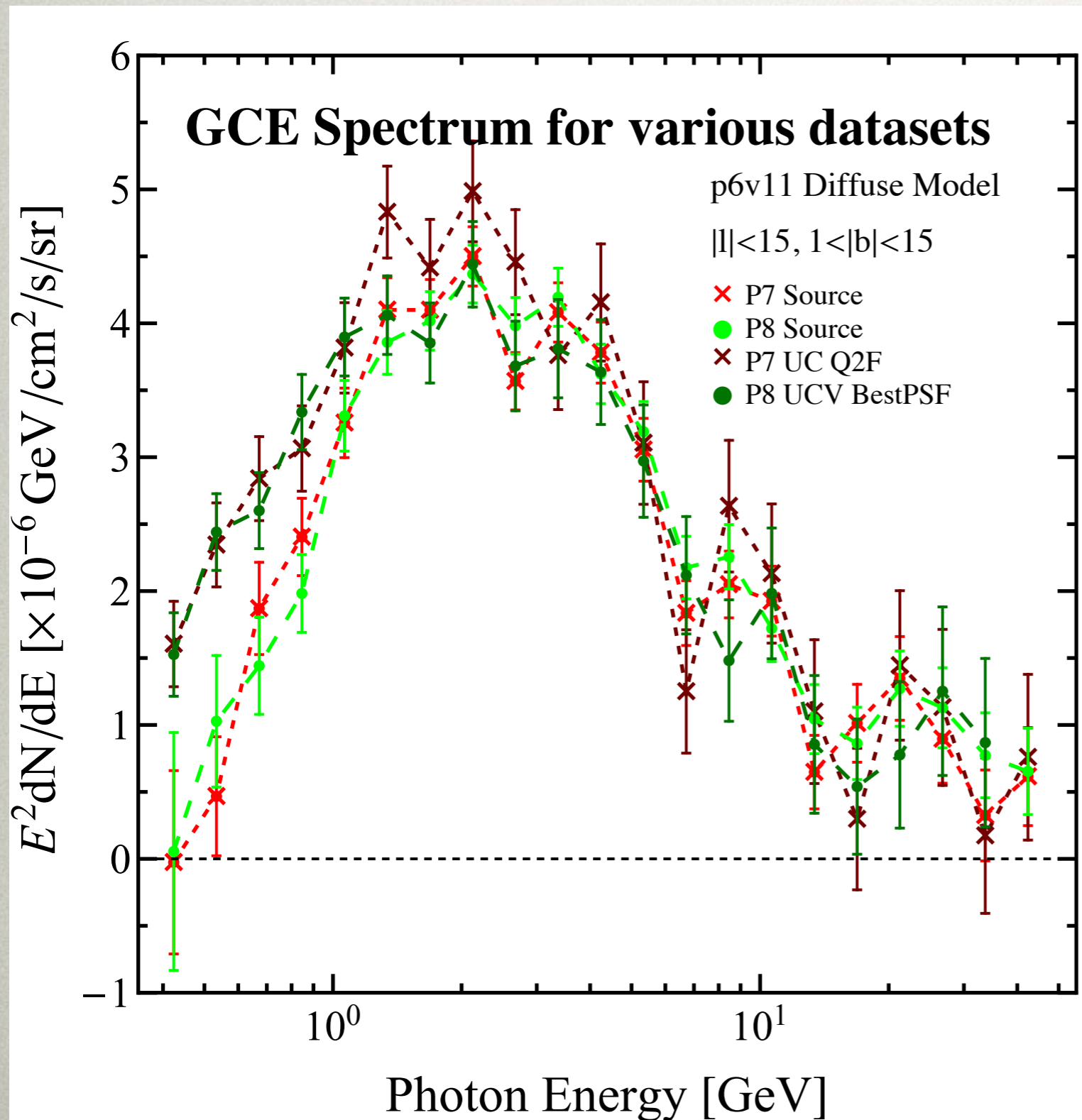
Compare the real data result to what we would get from simulations of disk only (left) or disk+GCE PS (right)



- Results are clearly more consistent with the presence of GCE correlated point sources at high energies rather than simply disk only
- But not perfectly consistent - following up some leads on the spike in the simulated GCE PS data at 6-8 GeV

# SYSTEMATICS AND CROSS-CHECKS

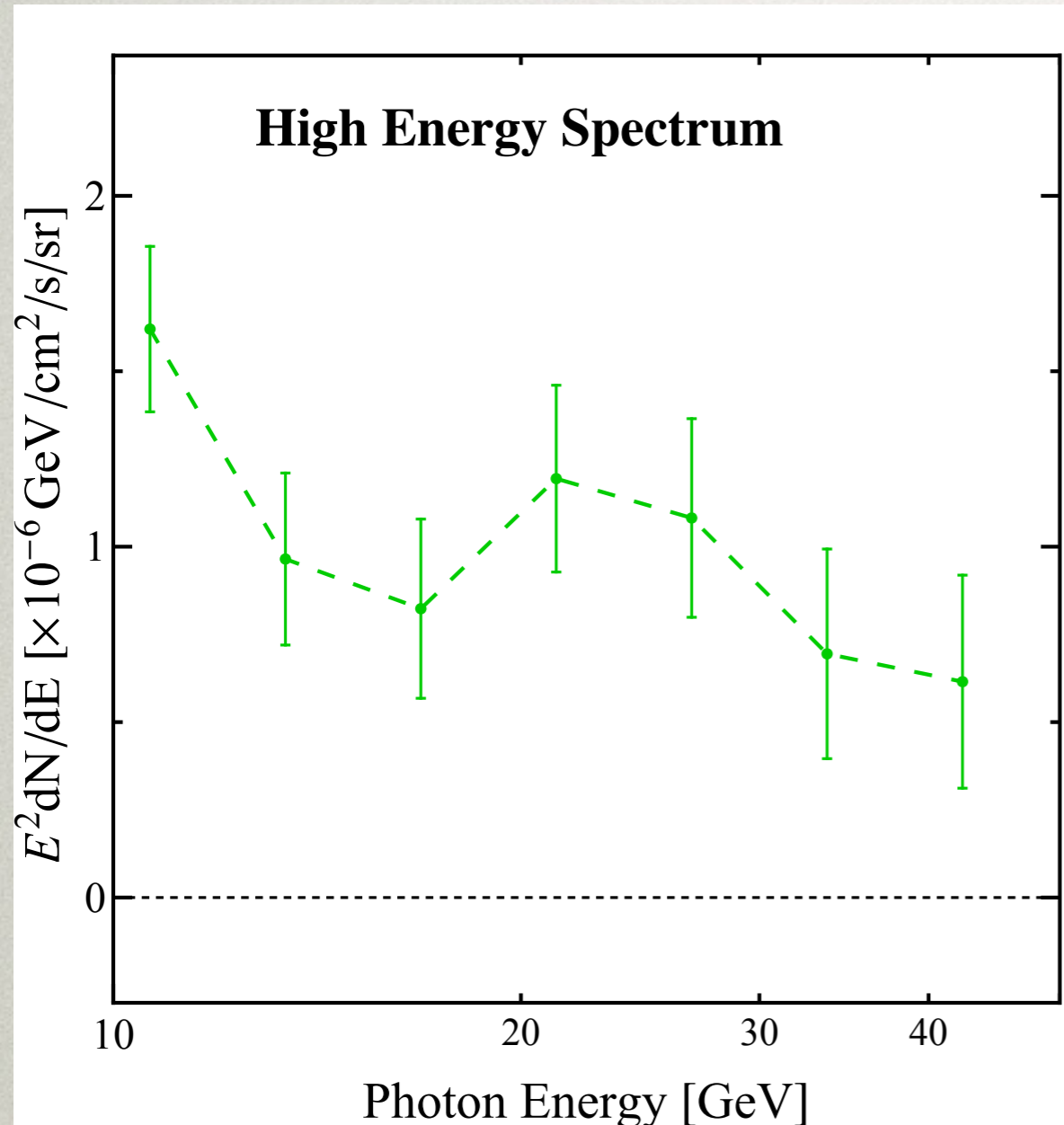
# PASS 7 VS PASS 8



- Largely unchanged by Pass 7 to 8 transition
- More variance by changing eventclass and eventtype
- Difference at low energy related to larger point source mask covering more of the ROI for source data



# CONCLUSIONS



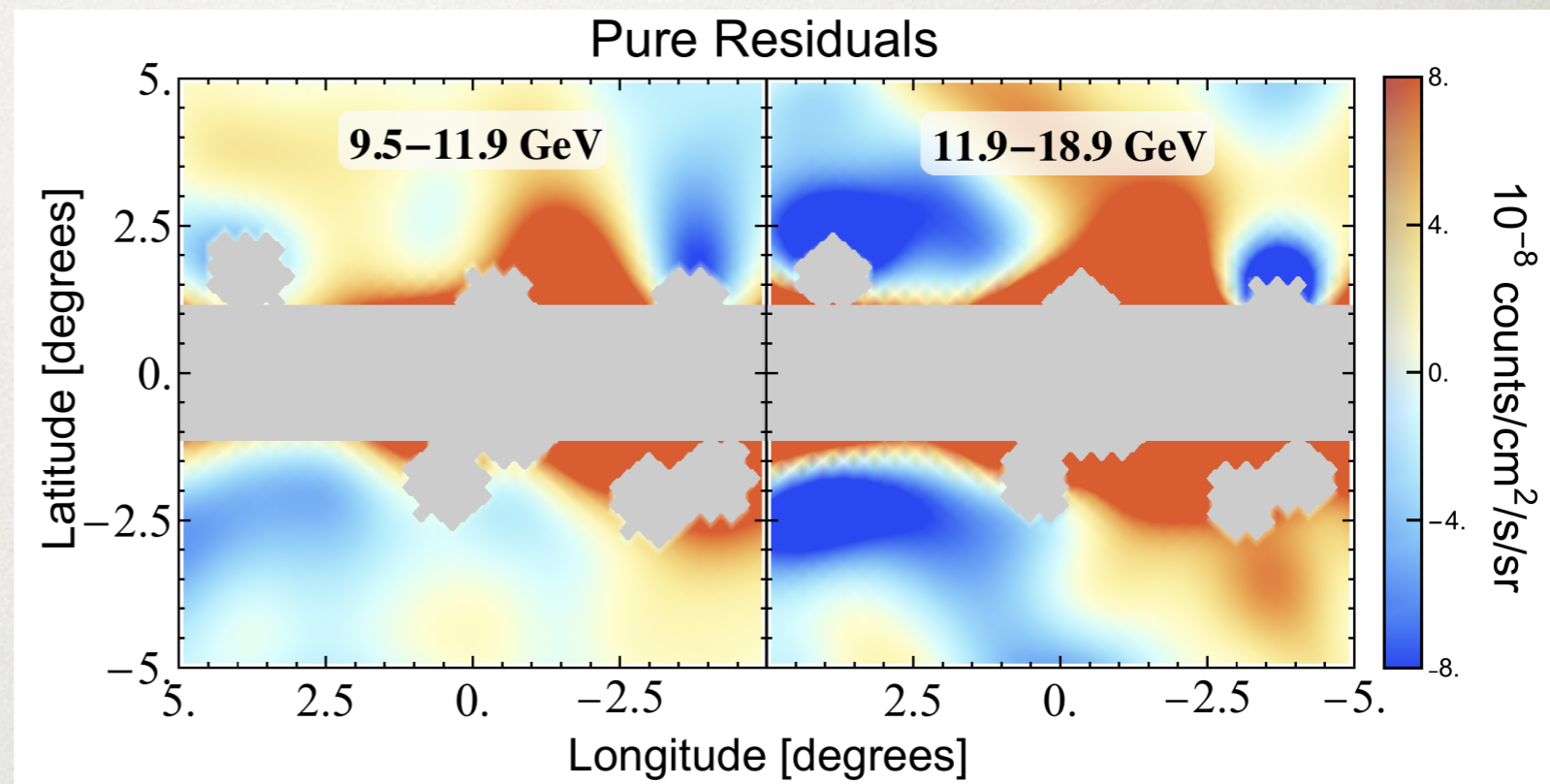
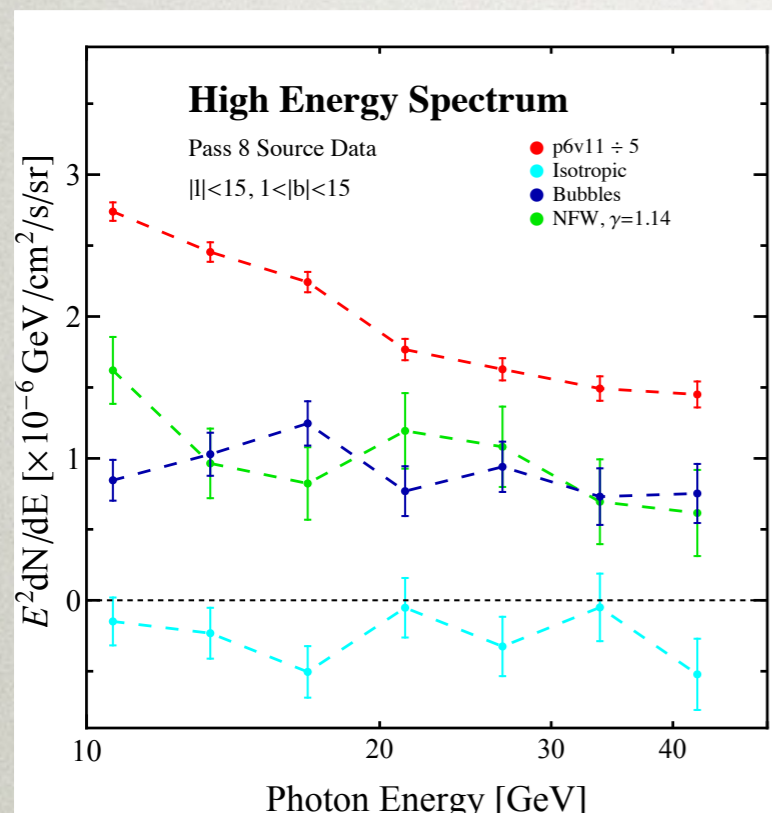
- At 10 GeV and maybe even higher the GCE exhibits similar spatial properties to those at  $\sim 1$  GeV
- See this in sphericity, preferred inner slope and NPTF analysis
- Appear to run out of statistics before seeing any clear change in behaviour

- Lots of details not shown, e.g. is that dip at 11.9-18.9 a real feature? Probably not!
- **Advertisement:** working with Lina Necib, Ben Safdi and Siddharth Sharma to have the NPTF code publicly released early next year, so watch out for this!
- Also see Siddharth's talk Friday for another application of this code

# BACKUP SLIDES

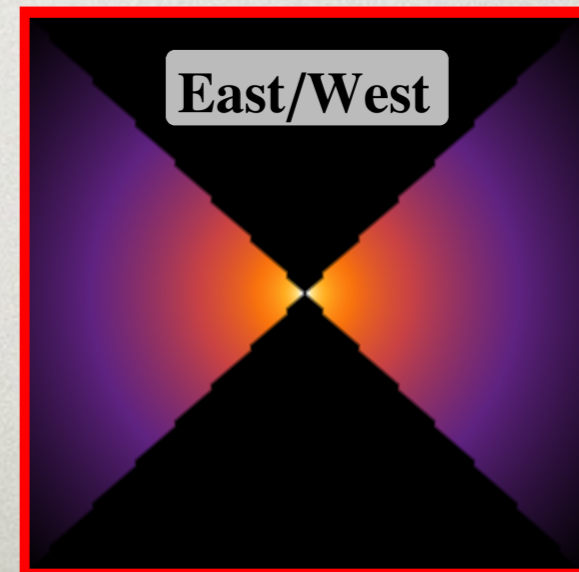
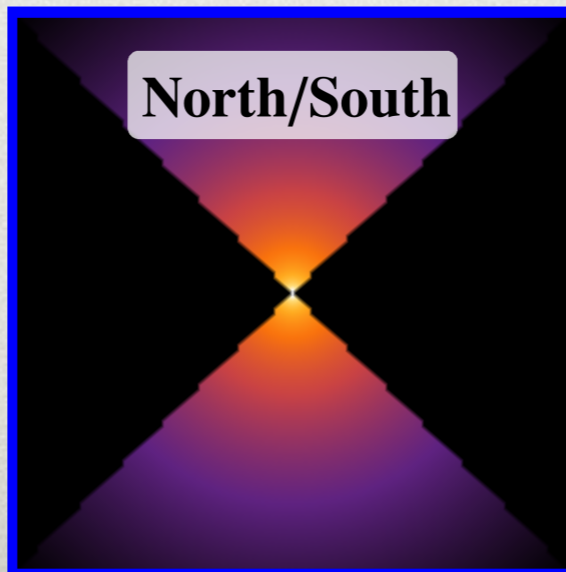
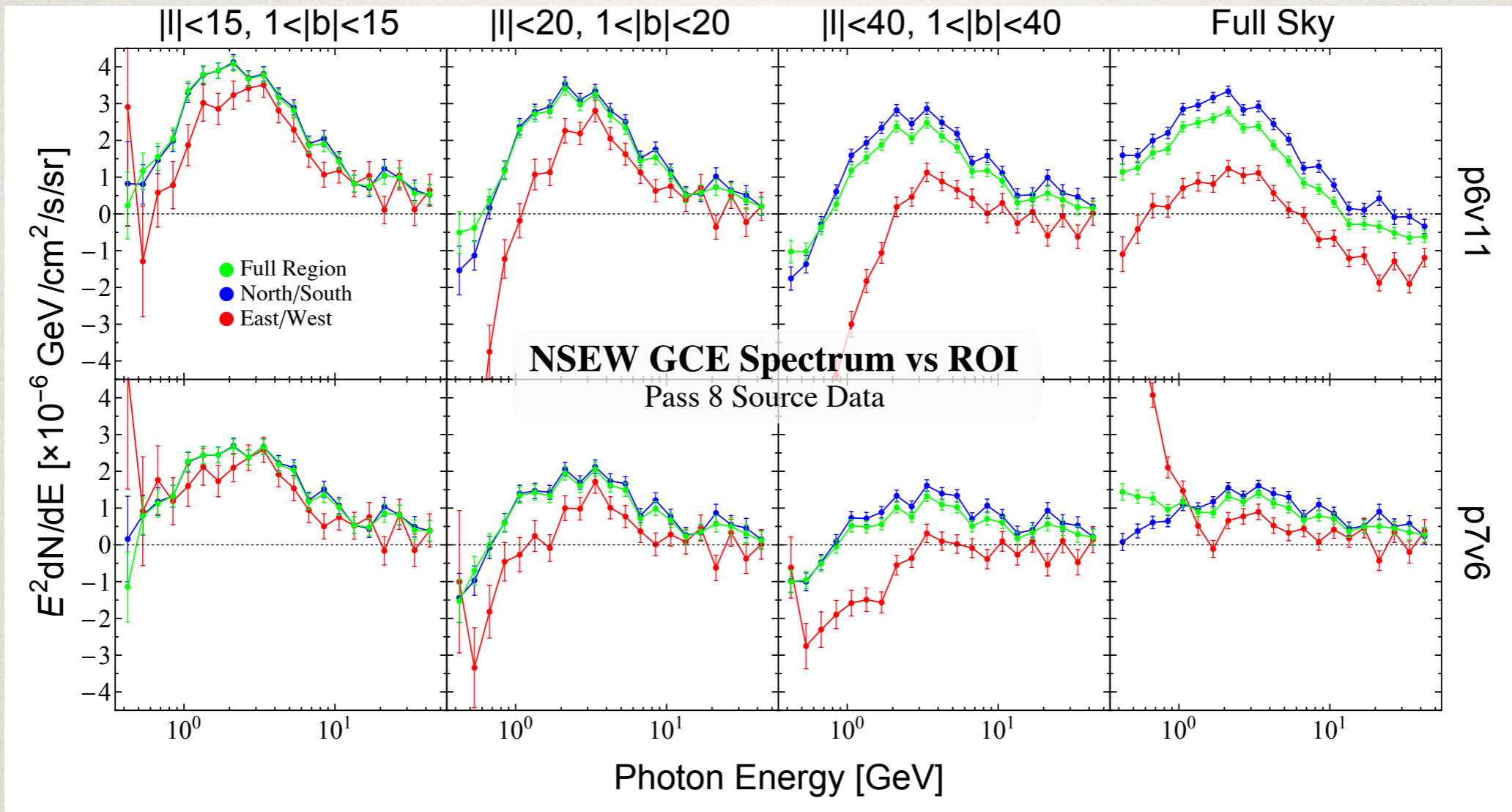
# DIP IN THE SPECTRUM AT 11.9-18.9 GEV

Probably not a real feature of the GCE

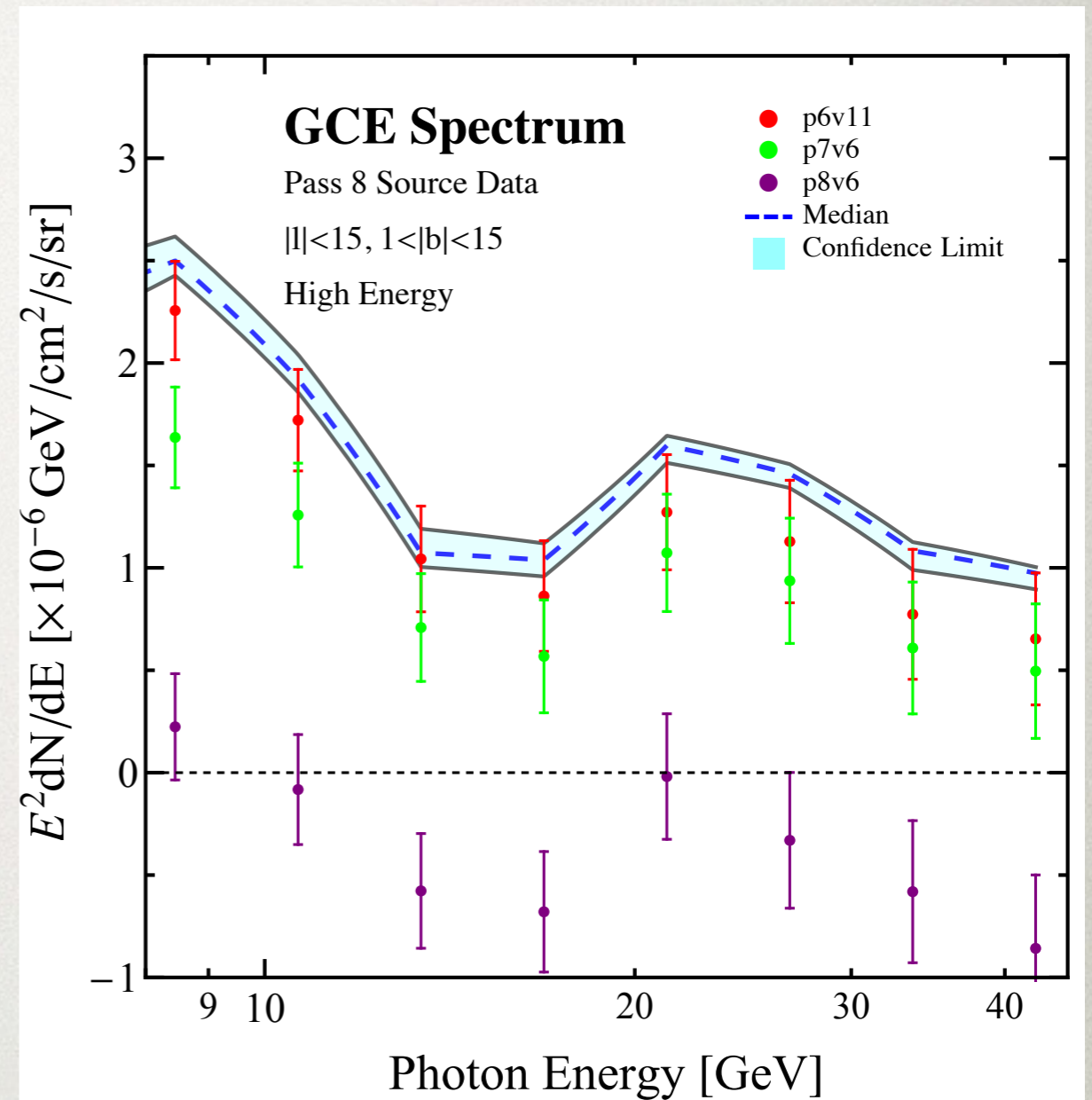
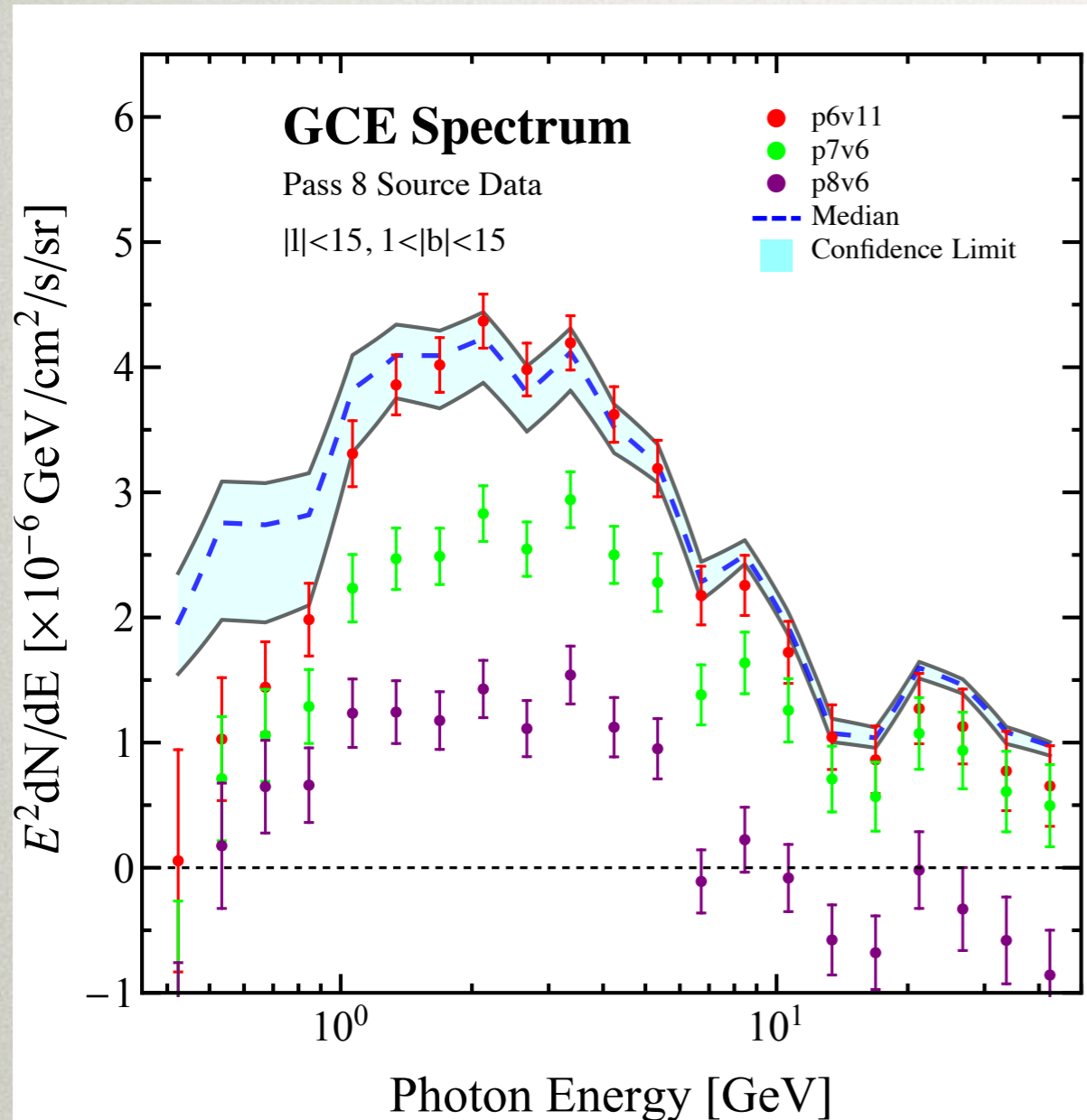


- Other backgrounds aren't stable at this energy
- If a real feature no reason for them to fluctuate too
- Can use the residual maps to diagnose if there are any issues
- Clear over subtraction in this bin which would penalise the GCE from having a large coefficient in a template fit

# IMPACT OF THE ROI

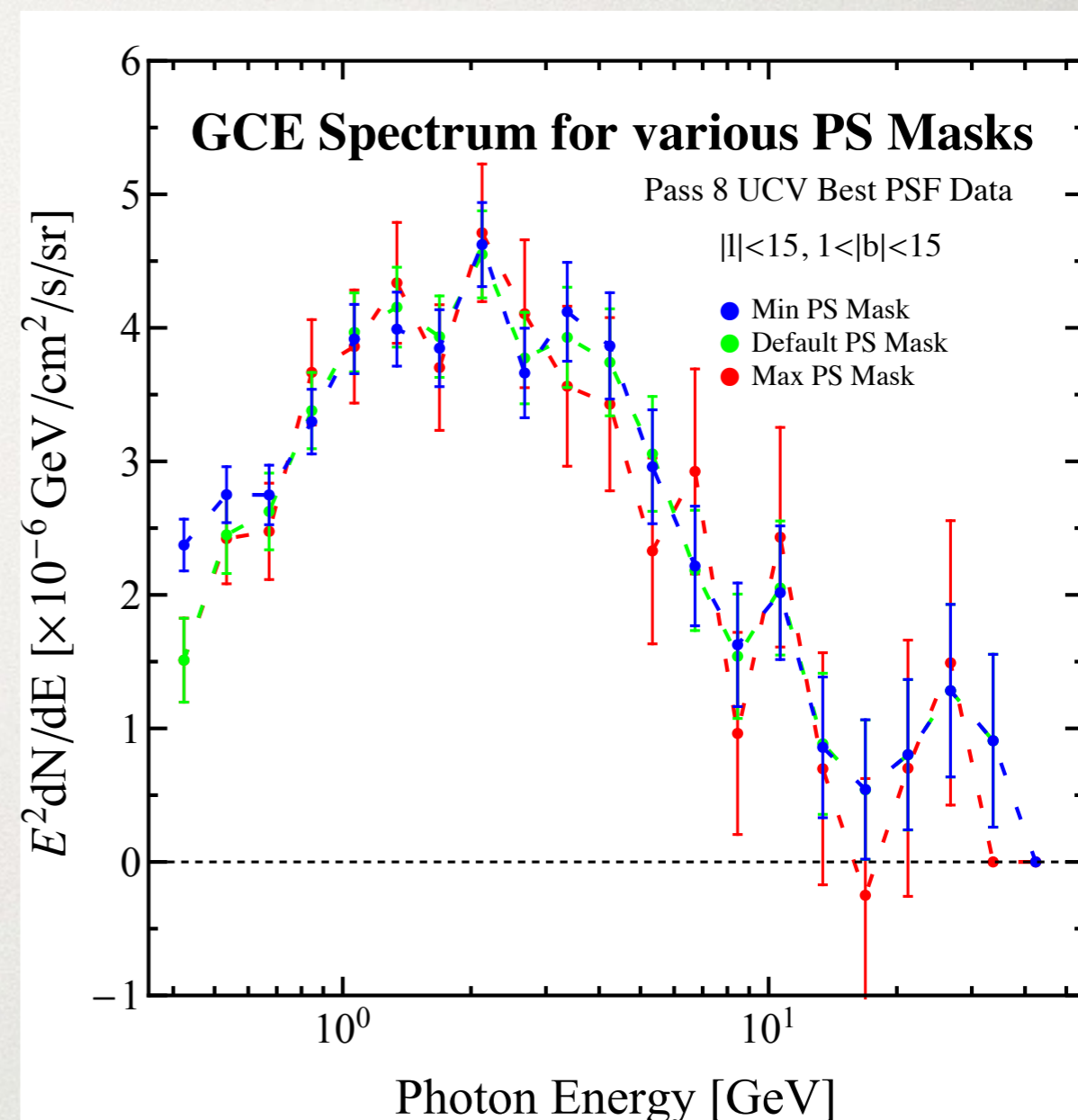
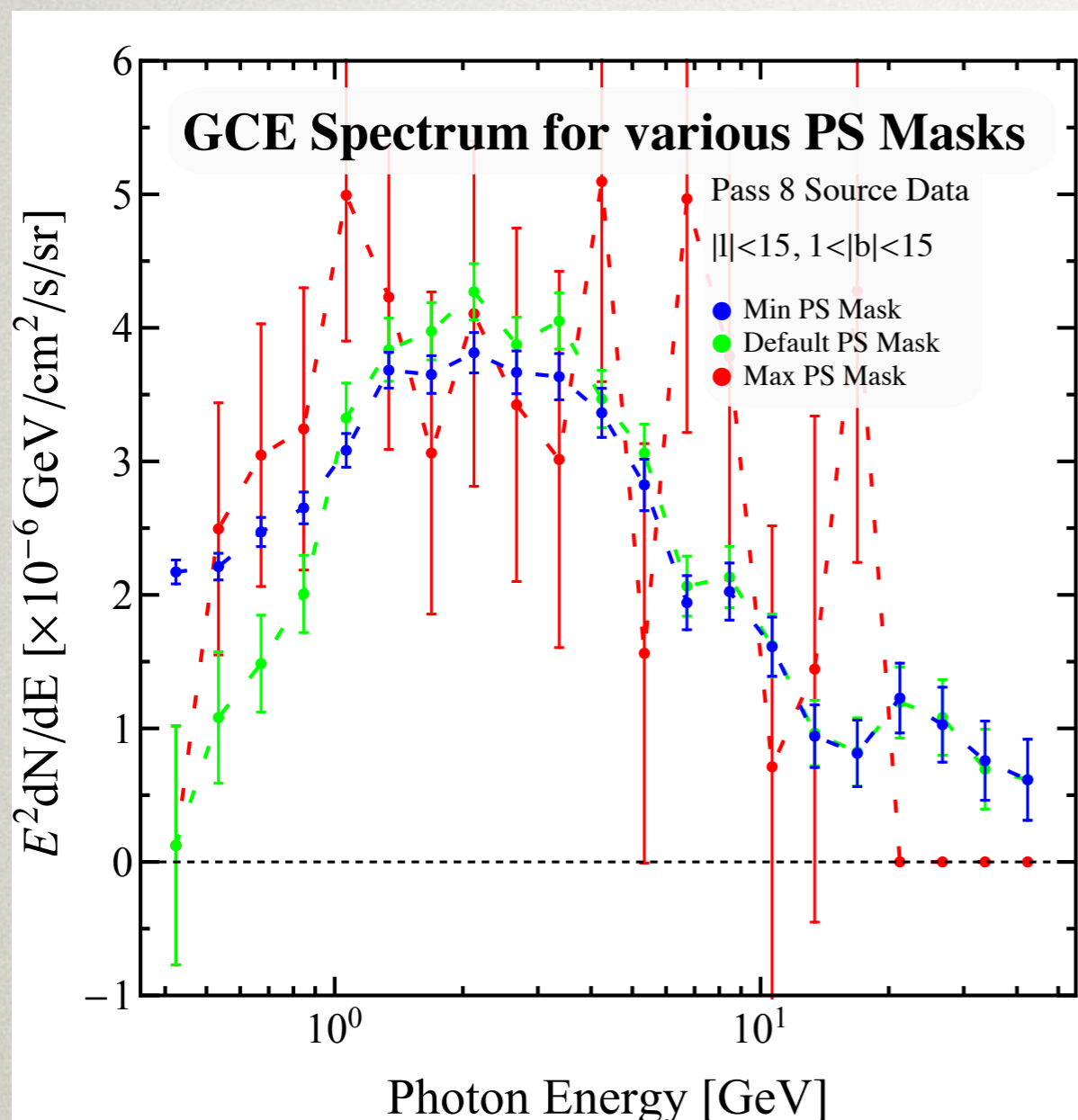


# ROBUSTNESS OF THE SPECTRUM



- Spectrum and its feature appear to be robust above  $\sim 1$  GeV
- Expectation derived from 14 galprop models used in 1409.0042
- p7v6 and p8v6 break the trend, but are not well suited for an analysis of the GCE given they have large scale structures added

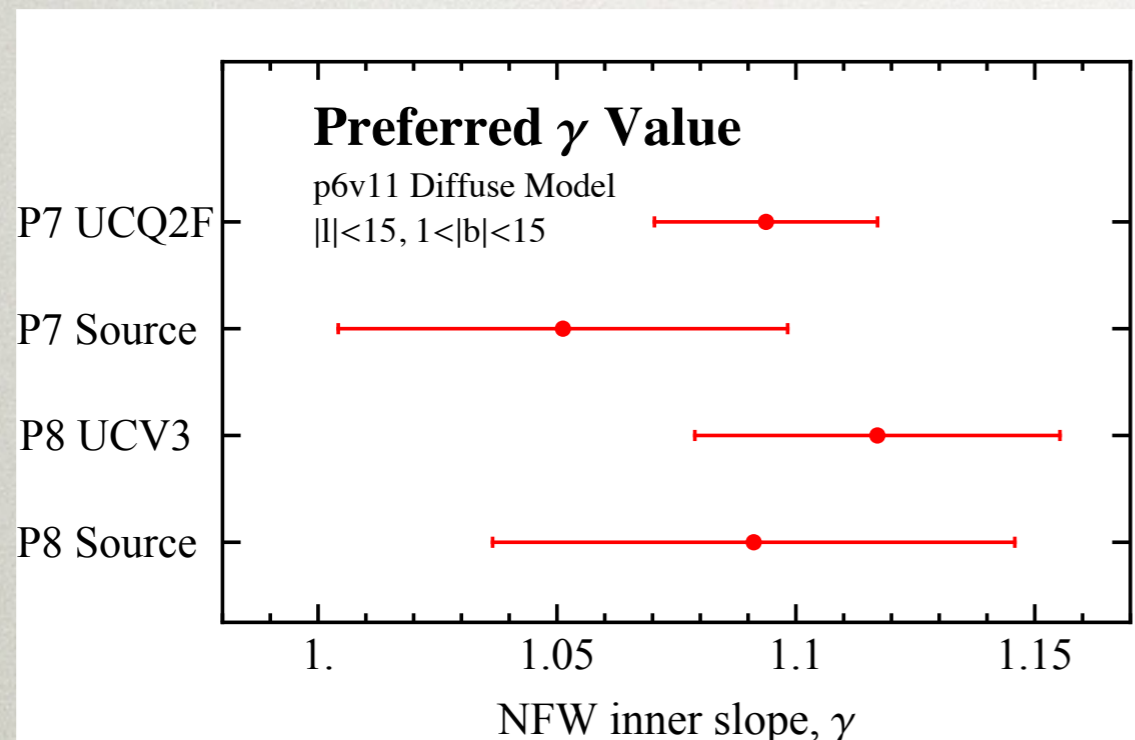
# IMPACT OF PS MASK ON SPECTRUM



- IG analysis masks 300 brightest 3FGL sources - size of mask set by the PSF of Fermi - much larger in all source data (left) than ultracleanveto best psf (right)
- For source data, varying the size of the mask can greatly impact the slope of the spectrum below  $\sim 1$  GeV and make it more consistent with UCV Best PSF

# PREFERRED INNER SLOPE

The preferred inner slope we find is different to previous analyses, but this varies with dataset and diffuse model



Model	Preferred $\gamma$	
	All Source	UCV Best PSF
p6v11	1.14	1.08
p7v6	1.16	1.15
p8v6	1.25	1.24
Model A	1.13	1.15
Model F	1.04	1.09

Bands on the left are derived from 17 diffuse models: p6v11, p7v6, p8v6 and 14 galprop models from 1409.0042

# SIGNIFICANCE OF THE GCE



Model	$\Delta$ TS for GCE		
	30x30	40x40	Full Sky
p6v11	2858.9	2289.7	3333.6
p7v6	1204.7	720.9	982.9
p8v6	266.0	239.9	798.6

Pass 8 Source Data

Model	$\Delta$ TS for GCE		
	30x30	40x40	Full Sky
p6v11	1541.8	1175.4	1268.5
p7v6	779.4	477.6	439.5
p8v6	521.7	405.8	560.4

Pass 8 Ultraclean Veto  
BestPSF Data

DataSet	$\Delta$ TS for GCE			
	Bin 1	Bin 2	Bin 3	Bin 4
Pass 7	59.2	18.4	27.8	3.8
Pass 8	51.3	27.6	37.5	10.4

Source Data - High Energy  
bins (~10-50 GeV)



# An example

I expect 10 photons per pixel, in some region of the sky. What is my probability of finding 0 photons? 12 photons? 100 photons?

Case 1: diffuse emission, Poissonian statistics

$$P(12 \text{ photons}) = 10^{12} e^{-10}/12! \sim 0.1$$

$$\text{Likewise } P(0 \text{ photons}) \sim 5 \times 10^{-5}, P(100 \text{ photons}) \sim 5 \times 10^{-63}$$

Case 2: population of rare sources.

Expect 100 photons/source, 0.1 sources/pixel - same expected # of photons

$$P(0 \text{ photons}) \sim 0.9, P(12 \text{ photons}) \sim 0.1 \times 100^{12} e^{-100}/12! \sim 10^{-29}, \\ P(100 \text{ photons}) \sim 4 \times 10^{-3}$$

(plus terms from multiple sources/pixel, which I am not including in this quick illustration)

# Non-Poissonian statistics

- Easiest to recast probabilities in terms of generating functions:

$$p_k^{(p)} = \frac{1}{k!} \left. \frac{d^k \mathcal{P}^{(p)}}{dt^k} \right|_{t=0}$$

- Then total generating function for sum of model components = product of component generating functions.

$$\mathcal{P}^{(p)}(t) = \mathcal{D}^{(p)}(t) \cdot \mathcal{G}^{(p)}(t) \quad \begin{array}{l} \text{from non-Poissonian piece} \\ \text{from Poisson likelihood} \end{array}$$

Statistics for a PS population are defined by source count function - # of sources with a given brightness.

generating function for point source population

$$\sum_{k=0}^{\infty} p_k t^k = \exp \left[ \sum_{m=1}^{\infty} x_m (t^m - 1) \right] \equiv P(t)$$

expected number of m-photon sources

$$x_m = \frac{\Omega_{\text{pix}}}{4\pi} \int_0^{\infty} dS \frac{dN}{dS}(S) \int df \rho(f) \frac{(fS)^m}{m!} e^{-fS}$$

source count function

determined by Monte Carlo, accounts for finite angular resolution

# Non-Poissonian template fitting

- Can now add new templates to our model, which allow non-Poissonian statistics.
- 3 extra degrees of freedom for each such template, to describe source count function (parameterized as broken power law):

follows a spatial template

$$\frac{dN_p(S)}{dS} = A_p \begin{cases} \left(\frac{S}{S_b}\right)^{-n_1} & S \geq S_b \\ \left(\frac{S}{S_b}\right)^{-n_2} & S < S_b \end{cases}$$

- Source count function assumed constant over sky, but overall normalization can vary pixel to pixel - allows non-trivial spatial dependence of point source population.
- For now, restrict to a single broad energy bin (2-12 GeV) - no extraction of spectrum.