Simplified Sensitivity Calculations for the SBN Proposal

PITT PACC SBN Physics Workshop

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- Challenging surface operation (as pointed out by C. Rubbia)
 - > Several cosmic rays overlap each trigger
 - \triangleright Cosmic ray can produce fake ve events degrading sensitivity
 - > Mitigation with concrete Overburden and cosmic ray tagger
- Promising MC estimation for the SBN proposal
- Necessary MC validation with data eventually with a test set up, invaluable information from MicroBooNE cosmic ray events
- Description of a simplified method to compute experimental sensitivity:
- Possible impact of different systematics on the sensitivity;
- Conclusions

Some considerations on the sensitivity calculation

- The search for neutrino oscillations at FNAL SBN facility relies on the combined analysis of the data from multiple "identical" detectors operated in the same way at different positions along the neutrino beam;
- Data by the different detectors should be selected and analyzed in the same way;
- The calculation of experimental sensitivity requires:
 - Realistic estimate of detector performance, efficiencies and backgrounds;
 - Coherent treatment of the total data sample as well as realistic estimation of the related systematics, including correlations between different data sets and detectors

Some considerations on the sensitivity calculation - 2

• An unified χ^2 approach to the treatment of statistical/systematic uncertainties contributing to the experimental sensitivity has been defined in the SBN proposal:

$$\chi^{2} = (N^{null} - N^{osc}(\Delta m^{2}, \sin^{2} 2\theta))(E^{total})^{-1}(N^{null} - N^{osc}(\Delta m^{2}, \sin^{2} 2\theta))$$

N^{null} and N^{osc}: event spectra w/o and w oscillations

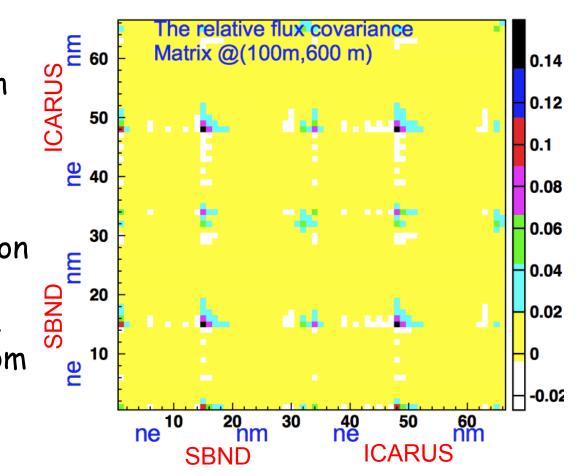
E^{total} is the global error matrix adding together the relevant error matrices for statistics, flux, cross-section, cosmic background and detector response.

Flux systematic

• The flux error matrix computed for the SBN proposal describes the BNB flux systematic error, in case of Near-Far only, as a 4-fold error matrix including both v_e and v_v flavors and f.i. the two detector positions at 100 m and 600 m.

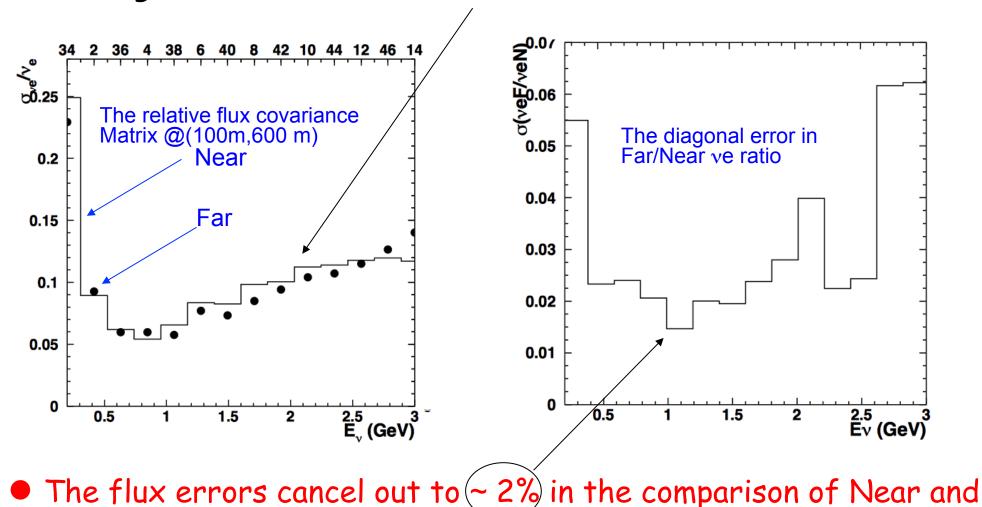
 It is computed as a function of the true neutrino energy

 It is quite complex and conveys plenty of information (like differential/total flux uncertainty at each station, and in the extrapolation from one position to the other)



Differential flux systematic

 Typical uncertainty of the absolute error in flux prediction at a single detector is ~ 6-7%.



Far detector

Integral flux systematic

- The integrated v_e and v_u fluxes at different locations:
 - > The integrated flux uncertainty is 6% (ν_{μ}), 7% (ν_{e}) in each detector;
 - The knowledge of a neutrino flavor flux permits to predict the other flavor one with similar (~6%) precision;
 - The flux extrapolation from the Near to Far position for the same neutrino flavor is very precise: $4\%(v_u)$ 9% (v_e) .

		Near		Far	
		v_{e}	$ u_{\mu}$	v_{e}	$ u_{\mu}$
Near	v_{e}	7	6	0.9	6
	$ u_{\mu}$	6	6	6	0.4
Far	v_e	0.9	6	7	6
	$ u_{\mu}$	6	0.4	6	6
N.B. Numbers are in %					

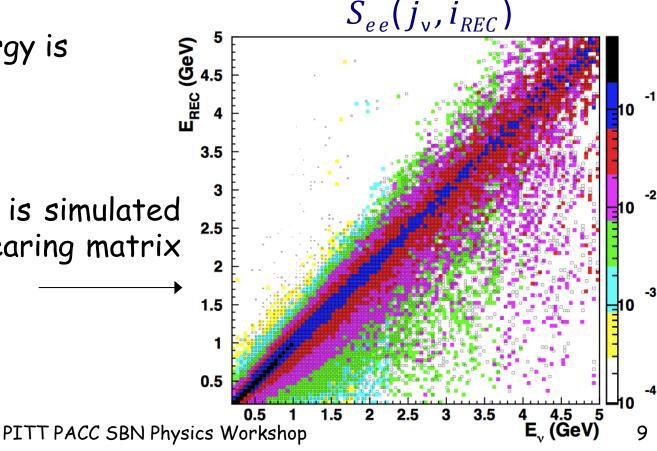
 The same conclusions hold also for the reconstructed electron neutrino events n_e

A simplified approach to the sensitivity calculation

- Approximation representing a fast alternative to a full MonteCarlo propagation of the neutrino events for each Δm^2 and $\sin^2 2\theta$
- Useful independent test of results by full MC simulations
- Correlation between different detectors and different neutrino flavors are described by matrices;
- The detector response is modeled via smearing matrix (from MC simulation) transforming true E_{V} to reconstructed E_{RFC}
- Similar treatment of expected spectra without/with oscillation
- Straightforward inclusion of different systematic uncertainties contributions;
- Some test cases of the sensitivity for the v_e appearance from anomalous v_μ oscillations (please notice that only SBND and ICARUS are considered in the following)

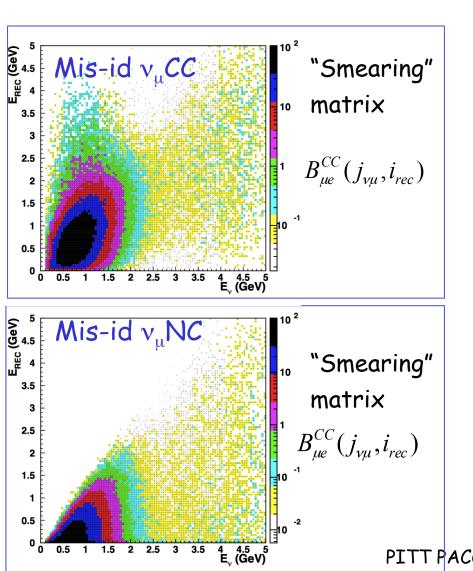
The v_e signal: event energy reconstruction

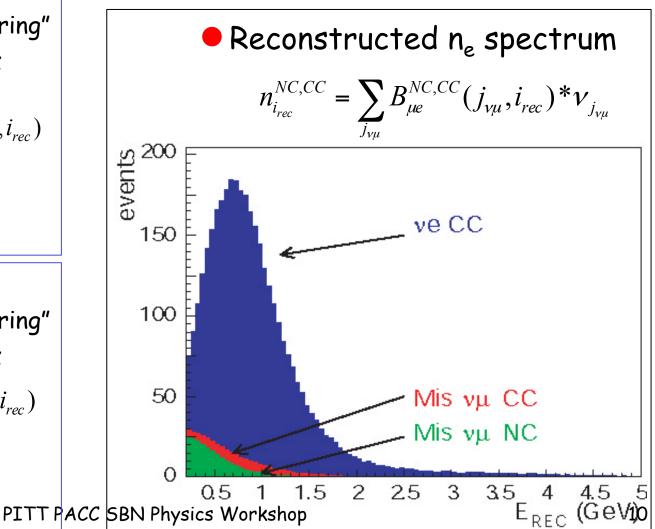
- The $v_e CC$ event energy reconstruction is modeled by MC simulation of the intrinsic v_e
- The visible hadronic and leptonic energy are separately corrected to account for the undetected/not contained energy as a function of the vertex position
- The reconstructed energy is close to the true E_{ν} , with a ~ 20% smearing;
- The detector response is simulated with a $S_{ee}(j_{v},i_{REC})$ smearing matrix transforming E_{v} to E_{REC}



Background from misidentified NC and CC

 \bullet Mis-id NC (1.5‰) and CC (.2‰) is adopted, supported by event scan., E_{rec} is computed in the same way as for the true v_e





The expected v_e spectra

 \bullet At each SBN detector the reconstructed un-oscillated $\nu_{\rm e}$ spectrum is factorized as

$$n_{e0} = S_{ee} (v_e CC)_0 + \left(B_{\mu e}^{NC} + B_{\mu e}^{CC}\right) (v_\mu CC)_0 + n_e^{dirt} + n_e^{\cos mic}$$

using the previously defined reconstruction matrices S_{ee} for v_e and $B_{\mu e} = B_{\mu e}^{NC} + B_{\mu e}^{CC}$ for the misidentified $v_{\mu}CC$ and $v_{\mu}NC$, applied to the un-oscillated neutrino spectra $(v_eCC)_0$ and $(v_{\mu}CC)_0$, while n_e^{dirt} and n_e^{cosmic} are the expected contributions from "dirt" & cosmic backgrounds

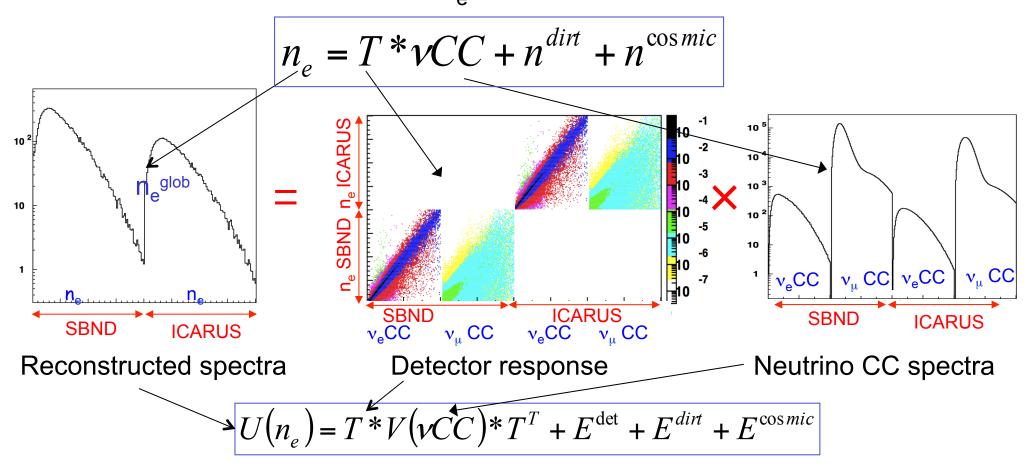
ullet In case of oscillation the reconstructed v_e spectrum at each detector

$$n_{eOsc} = S_{ee} \left(v_e CC \right)_{Osc} + \left(B_{\mu e}^{NC} + B_{\mu e}^{CC} \right) \left(v_{\mu} CC \right)_{Osc} + n_e^{dirt} + n_e^{\cos mic}$$
 With oscillation

is expected to be generated by the oscillated neutrino spectra $(v_eCC)_{osc}$ and $(v_\mu CC)_{osc}$

From true vCC to reconstructed electron spectra

• The measurement of the neutrino spectra by the detectors corresponds to a linear transformation mapping the 4-fold vector vCC to the two-fold vector n_e with a 2x4 -fold matrix T:



Reconstructed ne Error matrix

Sensitivity computation

- The oscillation excess can be searched for exploiting: the ratio $R_{eNF}(E_{REC}) = n_{eFar}/n_{eNear}$:
 - > profit of the excellent precision of the BNB MC in extrapolating the Near to Far beam once it has been measured the Near site;
 - $ightharpoonup R_{eNF}(E_{REC})$ measures the *change* in the oscillation probability with the distance i.e. the *relative* variations of spectrum at Far Vs Near;
 - $ightharpoonup R_{eNF}(E_{REC})$, a part from second order effects, is robust against any common Near/Far systematic uncertainty, like f.i. cross-sections;
 - Probust estimator against common un-modeled distortions on Near and Far spectra which could generate a fake signal in a shape-only analysis;
 - > Residual systematics due to differences between Near and Far detector have to be carefully considered and kept under control.
- The direct exploitation of n_{e Far} and n_{e Near} spectra
 - > Full experimental information;

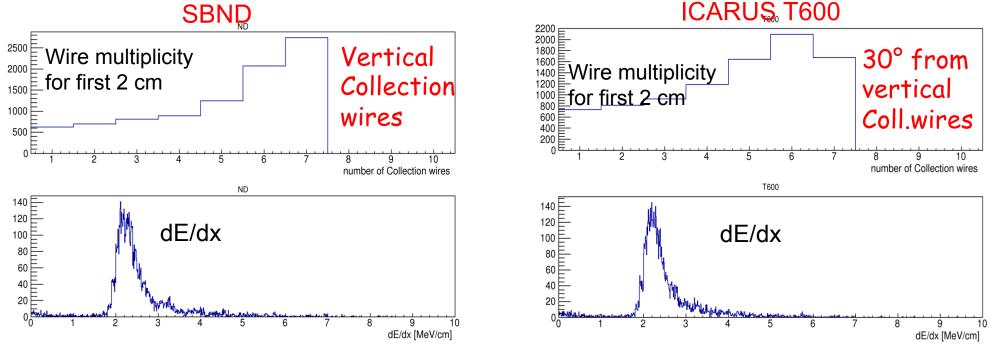
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> Limited in addition by common Near/Far systematic effects

Detector related systematics

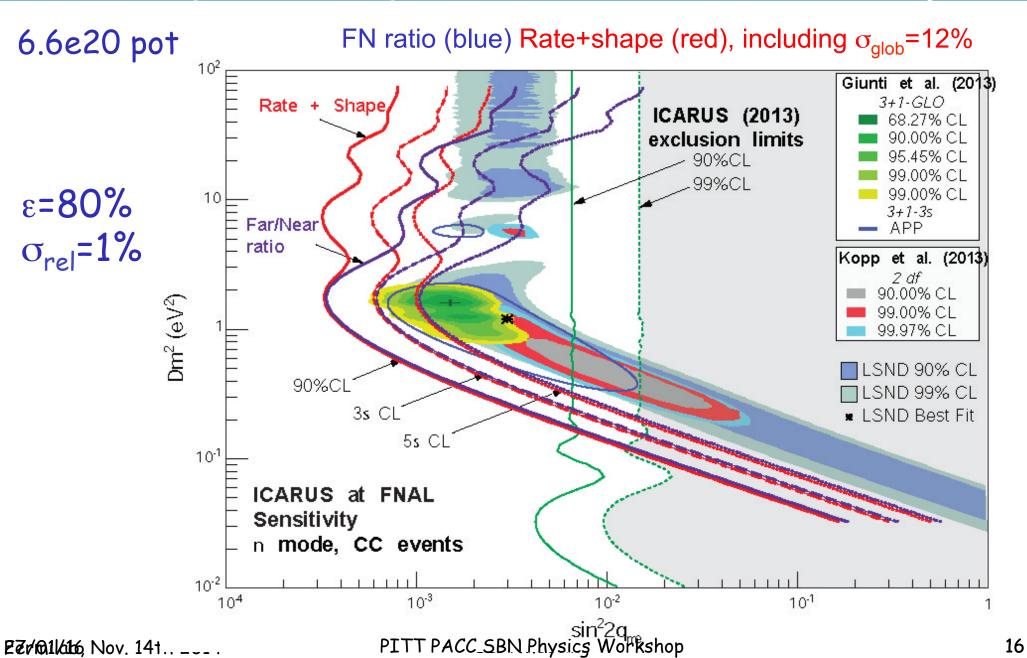
- Differences between the Near and Far detectors:
 - Light collection systems and time identification of off beam interactions;
 - Veto counter coverage and efficiency;
 - Electric drift field (absolute value and homogeneity);
 - ICARUS / SBND TPC wires orientation;
 - > Read-out electronics (shaping, sampling time, S/N ratio, noise etc.);
 - Detector calibrations;
 - LAr purity levels;
 - Drift lengths and space charge effects induced by cosmics;
 - Event rate at Far and Near sites;
 - Background levels from c-rays and beam dirt events;
 - Different aspect ratios of Near-Far detectors through possible variations of event /acceptance/efficiency/purity;
 - **>**
- > At the moment an overall global error is used in the calculations

Example:effects from different wire orientation on e-id

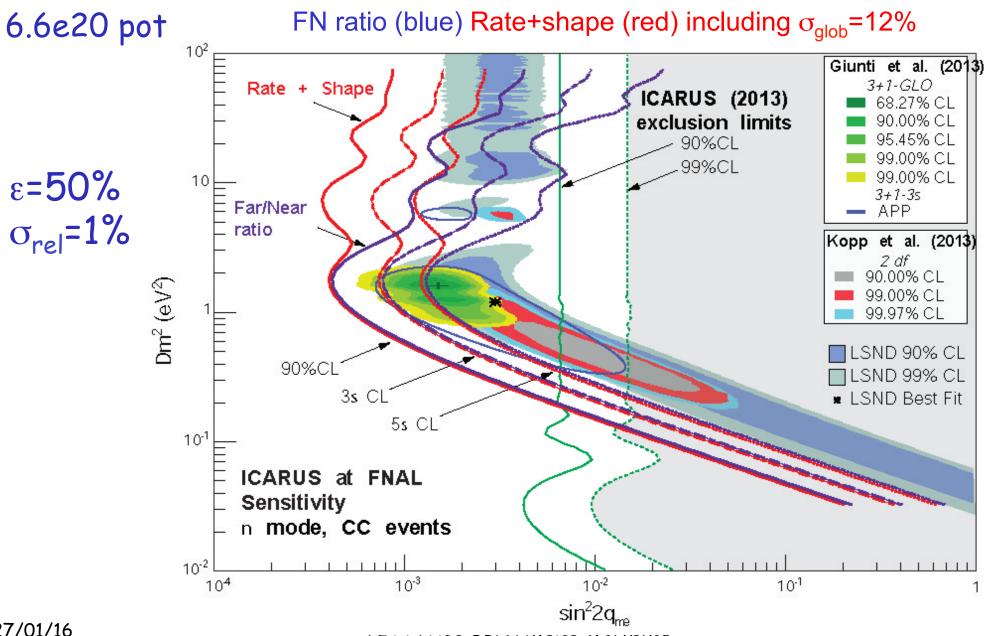


- Requiring dE/dx < 3.4 MeV/cm the electron identification efficiency is 90% (ICARUS-T600) and 89.86% (SBND) => Negligible ~1‰ effect;
- 3 (7) % difference requiring at least 3 (5) collection wires: up to 0.7% contribution to systematics (naïvely assuming to control at 10% level);
- Possible mitigation by exploiting the electron track length together with the number of Collection wires) and possibly the Induction wires

Example of computation for 80% ve efficiency



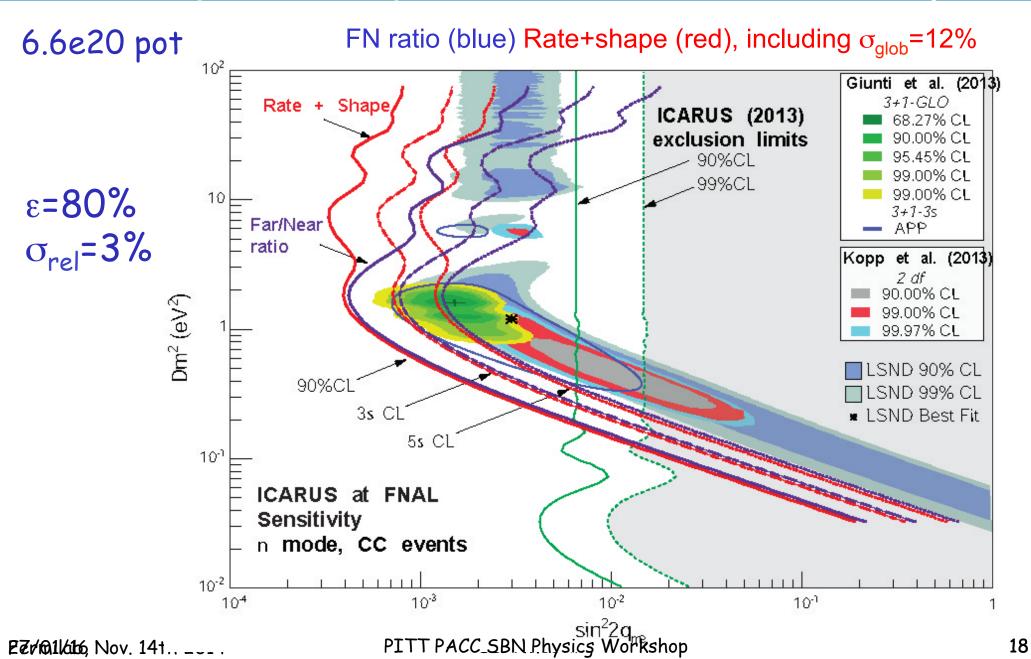
Example of computation for 50% ve efficiency



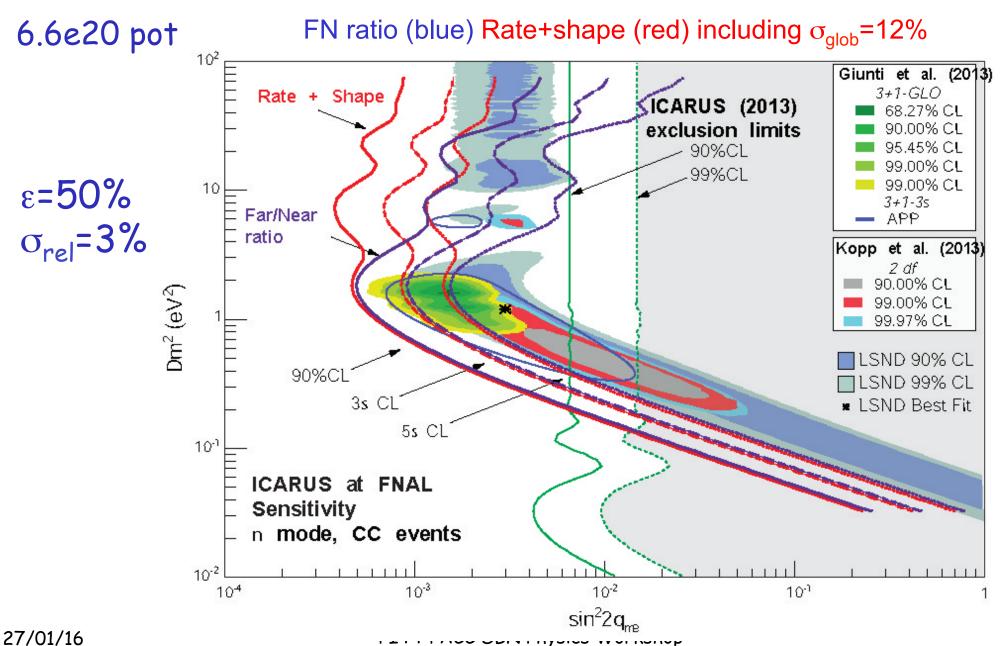
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Example of computation for 80% ve efficiency



Example of computation for 50% ve efficiency



Conclusions

- A coherent method including systematical and statistical errors for multiple detector measurements permitting independet cross checks of sensitivity computation
- MC should be directly validated/replaced whenever possible by experimental measurement,
- Detector systematics sources have been addressed, more detailed study to be done; global residual N/F difference very relevant and need to be kept at the few percent level;
- Good 5 σ coverage of the LSND parameter region for 6.6e20 pot requires high ve detection efficiency and detector systematics at few percent level.
- Similar studies to be performed for ve and $\nu\mu$ disappearance sensitivities and global ve and $\nu\mu$ analysis.

