



**Michał Wójcik**  
Avast Software  
Research Department

# Flavours of Physics - Kaggle competition (4th place)

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# Features

**FlightDistance** - Distance between  $t$  and PV (primary vertex, the original protons collision point).

**FlightDistanceError** - Error on FlightDistance.

**mass** - reconstructed  $t$  candidate invariant mass, **which is absent in the test samples**.

**LifeTime** - Life time of tau candidate.

**IP** - Impact Parameter of tau candidate.

**IPSig** - Significance of Impact Parameter.

**VertexChi2** - Chi2 of  $t$  vertex.

**dira** - Cosine of the angle between the  $t$  momentum and line between PV and tau vertex.

**pt** - transverse momentum of  $t$ .

**DOCAone** - Distance of Closest Approach between  $p_0$  and  $p_1$ .

**DOCAtwo** - Distance of Closest Approach between  $p_1$  and  $p_2$ .

**DOCAthree** - Distance of Closest Approach between  $p_0$  and  $p_2$ .

**IP\_p0p2** - Impact parameter of the  $p_0$  and  $p_2$  pair.

**IP\_p1p2** - Impact parameter of the  $p_1$  and  $p_2$  pair.

**isolationa** - Track isolation variable.

**isolationb** - Track isolation variable.

**isolationc** - Track isolation variable.

**isolationd** - Track isolation variable.

**isolatione** - Track isolation variable.

**isolationf** - Track isolation variable.

**iso** - Track isolation variable.

**CDF1** - Cone isolation variable.

**CDF2** - Cone isolation variable.

**CDF3** - Cone isolation variable.

**production** - source of  $t$ . This variable is absent in the test samples.

**ISO\_SumBDT** - Track isolation variable.

**p0\_IsoBDT** - Track isolation variable.

**p1\_IsoBDT** - Track isolation variable.

**p2\_IsoBDT** - Track isolation variable.

**p0\_track\_ChisqDof** - Quality of  $p_0$  muon track.

**p1\_track\_ChisqDof** - Quality of  $p_1$  muon track.

**p2\_track\_ChisqDof** - Quality of  $p_2$  muon track.

**p0\_pt** - Transverse momentum of  $p_0$  muon.

**p0\_p** - Momentum of  $p_0$  muon.

**p0\_eta** - Pseudorapidity of  $p_0$  muon.

**p0\_IP** - Impact parameter of  $p_0$  muon.

**p0\_IPSig** - Impact Parameter Significance of  $p_0$  muon.

**p1\_pt** - Transverse momentum of  $p_1$  muon.

**p1\_p** - Momentum of  $p_1$  muon.

**p1\_eta** - Pseudorapidity of  $p_1$  muon.

**p1\_IP** - Impact parameter of  $p_1$  muon.

**p1\_IPSig** - Impact Parameter Significance of  $p_1$  muon.

**p2\_pt** - Transverse momentum of  $p_2$  muon.

**p2\_p** - Momentum of  $p_2$  muon.

**p2\_eta** - Pseudorapidity of  $p_2$  muon.

**p2\_IP** - Impact parameter of  $p_2$  muon.

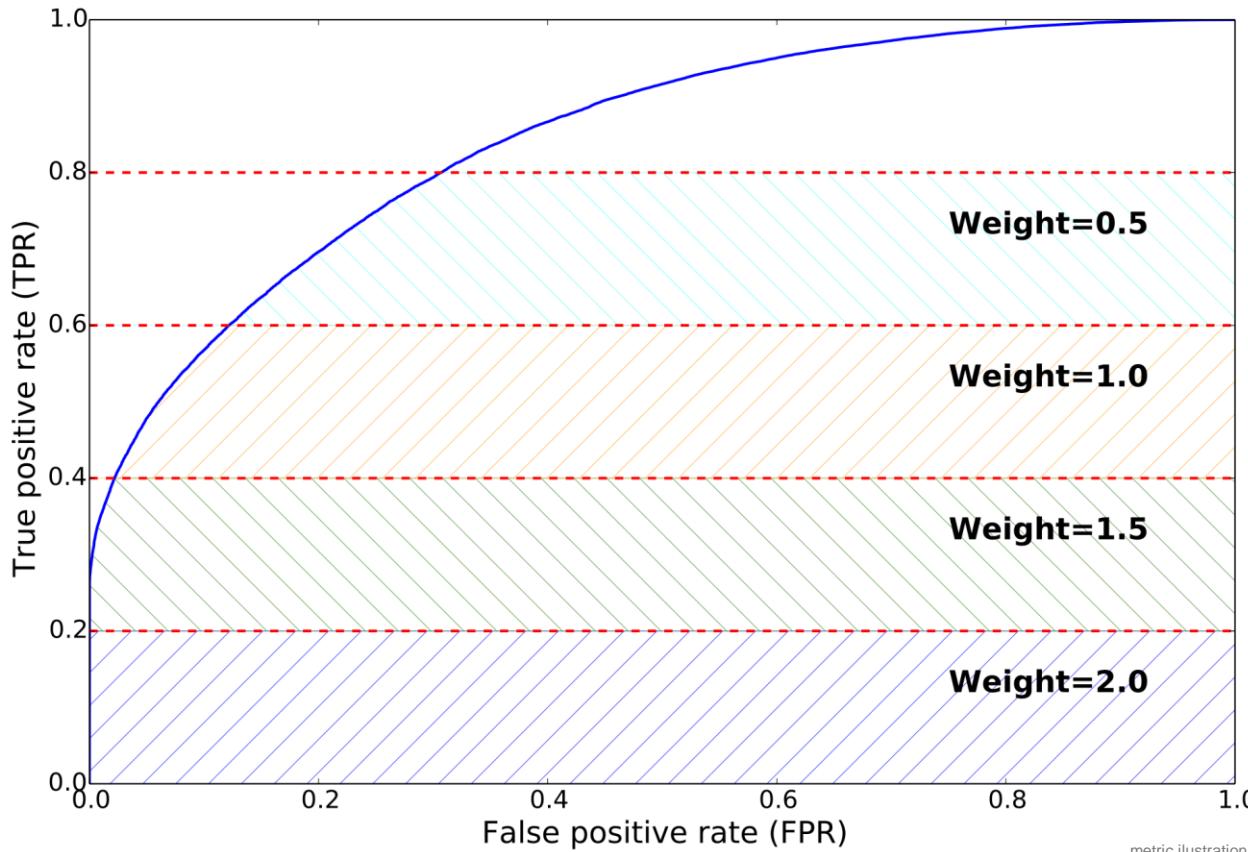
**p2\_IPSig** - Impact Parameter Significance of  $p_2$  muon.

**SPDhits** - Number of hits in the SPD detector.

**min\_ANNmuon** - Muon identification. LHCb collaboration trains Artificial Neural Networks (ANN) from informations from RICH, ECAL, HCAL, Muon system to distinguish muons from other particles. This variables denotes the minimum of the three muons ANN. **min ANNmuon** should not be used for training. This variable is absent in the test samples.

**signal** - This is the target variable for you to predict in the test samples.

# Receiver operating characteristic (ROC) curve



(KS) Kolmogorov–Smirnov test  
≤ 0.09

(CVM) Cramer–von Mises test  
≤ 0.002

## Features a, nnp01, nnp02, nnp12

Let  $p$  be a vector of momentum of mother particle and  $p_0, p_1, p_2$  be momentum vectors of outcoming particles. We don't know these vectors from data, but we can calculate their magnitudes.

We assume that  $p = p_0 + p_1 + p_2$  thus

$|p|^2 = |p_0|^2 + |p_1|^2 + |p_2|^2 + 2\cos(a_{01})|p_0||p_1| + 2\cos(a_{02})|p_0||p_2| + 2\cos(a_{12})|p_1||p_2|$ , where  $a_{ij}$  is an angle between particles  $i$  and  $j$ .

Let  $B = |p|^2 - |p_0|^2 - |p_1|^2 - |p_2|^2$

and let  $x_{01} = \frac{|p_0||p_1|}{B}$ ,  $x_{02} = \frac{|p_0||p_2|}{B}$ ,  $x_{12} = \frac{|p_1||p_2|}{B}$ . (they are features 'nnp01', 'nnp02', 'nnp12')

Now we get an equation  $0.5 = \cos(a_{01})x_{01} + \cos(a_{12})x_{12} + \cos(a_{12})x_{12}$

Because angles  $a_{ij}$  are quite small all points  $(x_{01}, x_{02}, x_{12})$  are almost on the plane

$x + y + z = 0.5$ , which is clearly visible on data plot. This is the plane of 0-angles. We can now measure how far from this plane our real  $(x_{01}, x_{02}, x_{12})$  are. And this is exactly feature 'a'.

$$a = 0.5 - x_{01} - x_{02} - x_{12}.$$

## Features 1

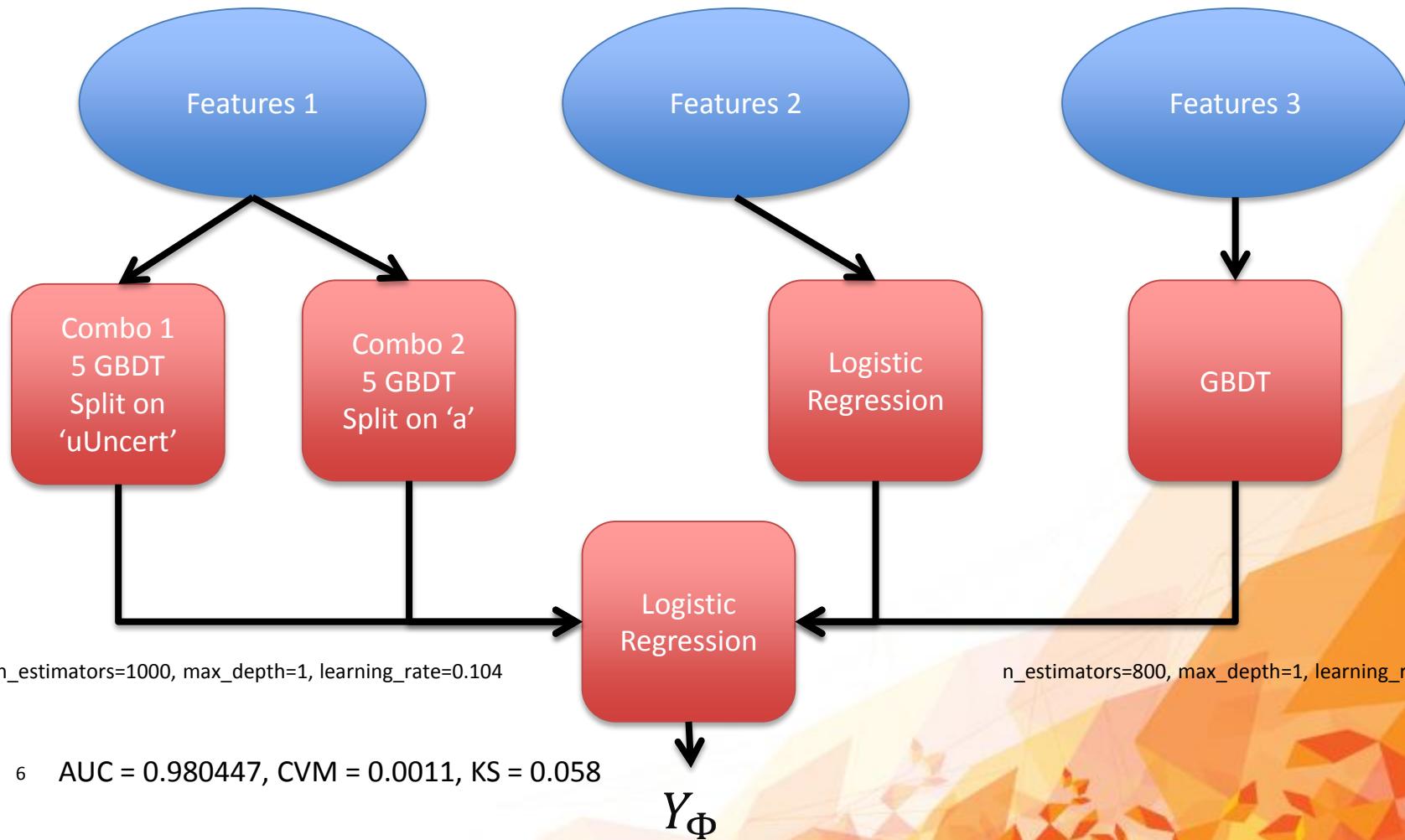
**nUncert, a, nnp01, nnp02,  
nnp12, np0\_IsoBDT,  
np1\_IsoBDT, np2\_IsoBDT,  
np0\_track\_Chi2Dof,  
np1\_track\_Chi2Dof,  
np2\_track\_Chi2Dof,  
nVertexChi2', nIPSig, nIP,  
nFlightDistanceError,  
nFlightDistance, nLifeTime,  
nISO\_SumBDT, dira, nIP,  
CDF1, CDF2, CDF3,  
\_pz0, \_pz1, \_pz2,  
\_nE0, \_nE1, \_nE2**

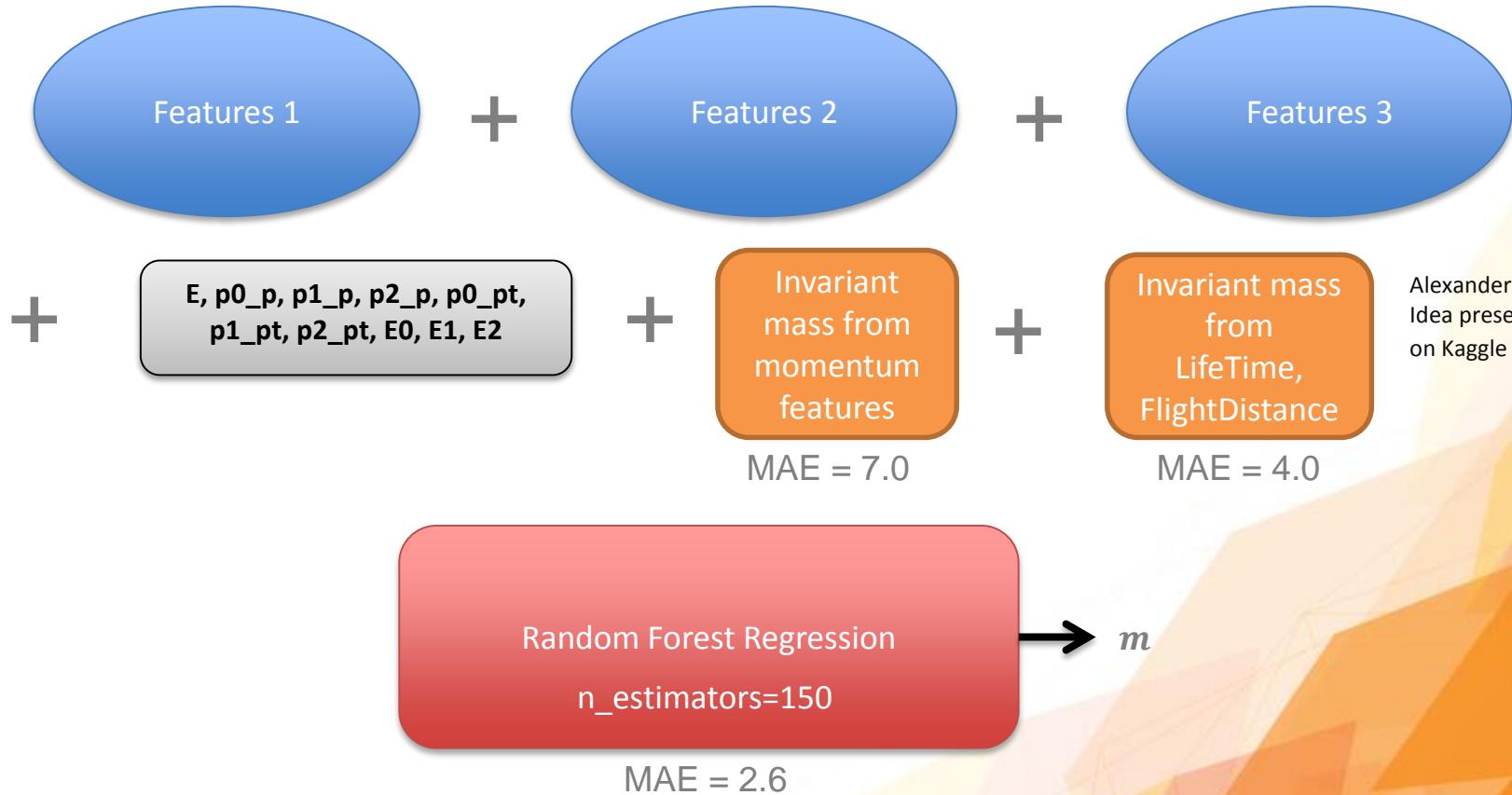
## Features 2

niso, nisolationa,  
nisolationb, nisolationc,  
nisolationd,  
nisolatione, nisolationf

## Features 3

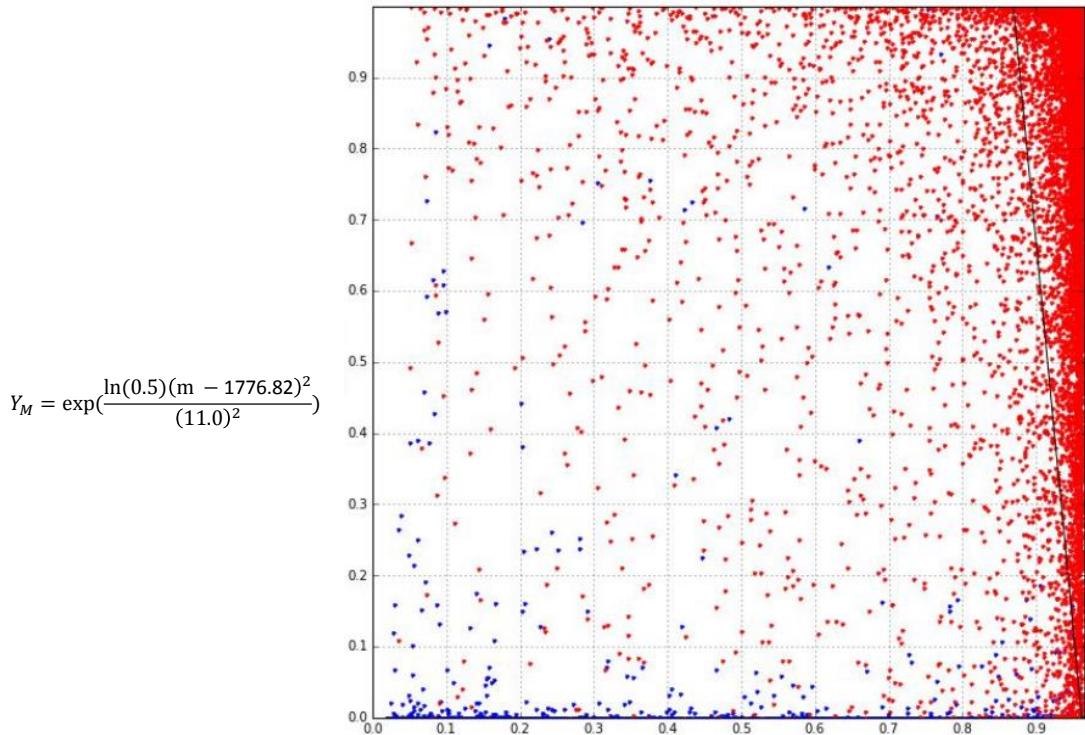
**a, nVertexChi2, dira,  
nDOCAone, nDOCAtwo,  
nDOCAthree,  
nFlightDistanceError, nIP,  
nIPSig, nFlightDistance**





$$Y_M(b) = \exp\left(\frac{\ln(0.5)(m - 1776.82)^2}{b^2}\right)$$

$$Y = aY_\Phi + (1 - a)Y_M(b) = 0.915 Y_\Phi + 0.085 \exp\left(\frac{\ln(0.5)(m - 1776.82)^2}{(11.0)^2}\right)$$



$$0.88 \leq 0.915 Y_\Phi + 0.085 Y_M$$

# Thank you all for your attention!

Special thanks to Avast Software and Intel Corporation for helping me to be here!

