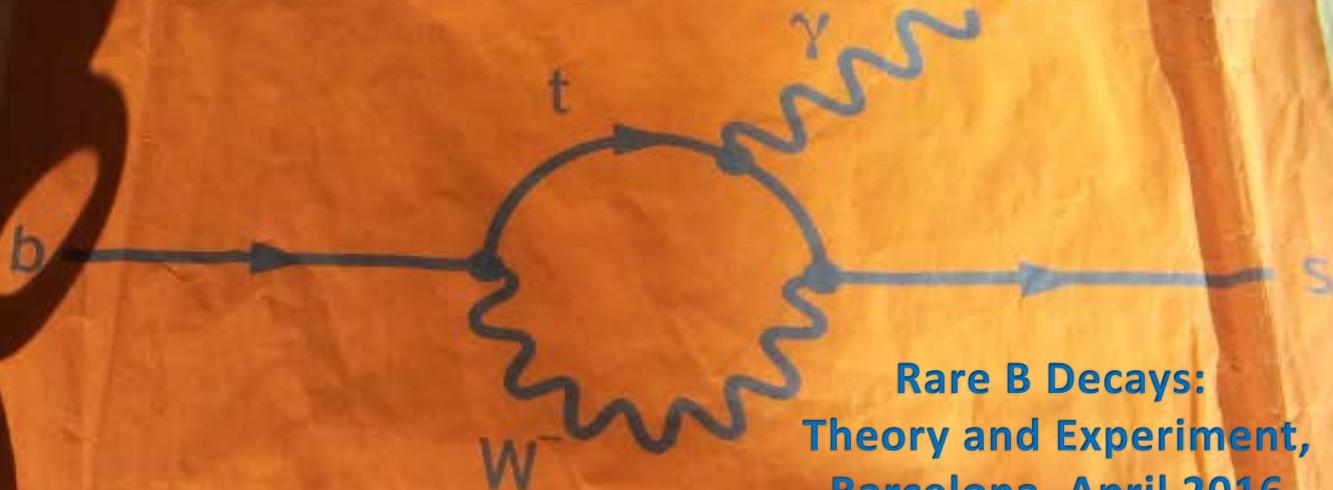


SENSCHAFT

A. Oyanguren (IFIC - U. Valencia/CSIC)



Rare B Decays:
Theory and Experiment,
Barcelona, April 2016

Measurement of the photon polarization at LHCb

...fall eines b-Quarks. Diese Quarksorte ist instabil und kommt daher anders als u und d nicht in normaler Materie vor, sondern etwa in B-Mesonen, die in Beschleuniger...
...nach Milliardstesekunden wieder zerfallen. Hier wandelt sich das b-Quark unter Beteiligung eines virtuellen W-Bosons und einer t-Quarks in ein Photon (γ) und ein s-Quark...

für
men
einfachte der Physiker

Das geht aber auch noch genauer!

Mit Hilfe der Bildchen auf dieser Seite, sogenannte Feynman-Diagramme, können Physiker berechnen, wie wahrscheinlich eine bestimmte Reaktion ist. Ein Feynman-Diagramm besteht aus drei Elementen: Durchgezogene Linien symbolisieren Elementarteilchen wie Elektronen oder Quarks. Gelegentlich sind sie durch Wellenlinien (virtuelle Teilchen) ersetzt. Vertikale Linien stehen für kurzlebige Teilchen, die nur für einen Augenblick existieren, bevor sie in zwei Teilchen zerfallen. Die Wellenlinien repräsentieren die Boten des Elektromagnetismus...



Kurzfristig zu weiteren virtuellen Teilchen verdichtet, was die Reaktion ein wenig anders ablaufen lässt als in ihrer einfachsten Form.

Outline

- Motivation
- $B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$
- $B^0 \rightarrow K^{*0} e^+ e^-$
- $B_s \rightarrow \phi \gamma$
- b-baryons: $\Lambda_b \rightarrow \Lambda \gamma$, $\Xi_b \rightarrow \Xi \gamma$, $\Omega_b \rightarrow \Omega \gamma$
- Conclusions

Motivation

→ Photons in $b \rightarrow s\gamma$ are predicted to be left-handed in the SM (small corrections of order $m_s/m_b \sim 2\%$)

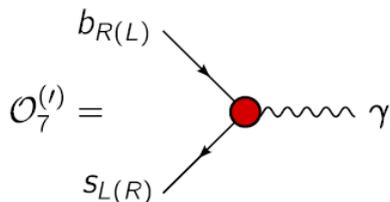
→ Some new physics models, particularly **Left-Right Symmetric Models**, predict an anomalous component of polarized photons

[D. Atwood, M. Gronau and A. Soni, PRL79(97)185]

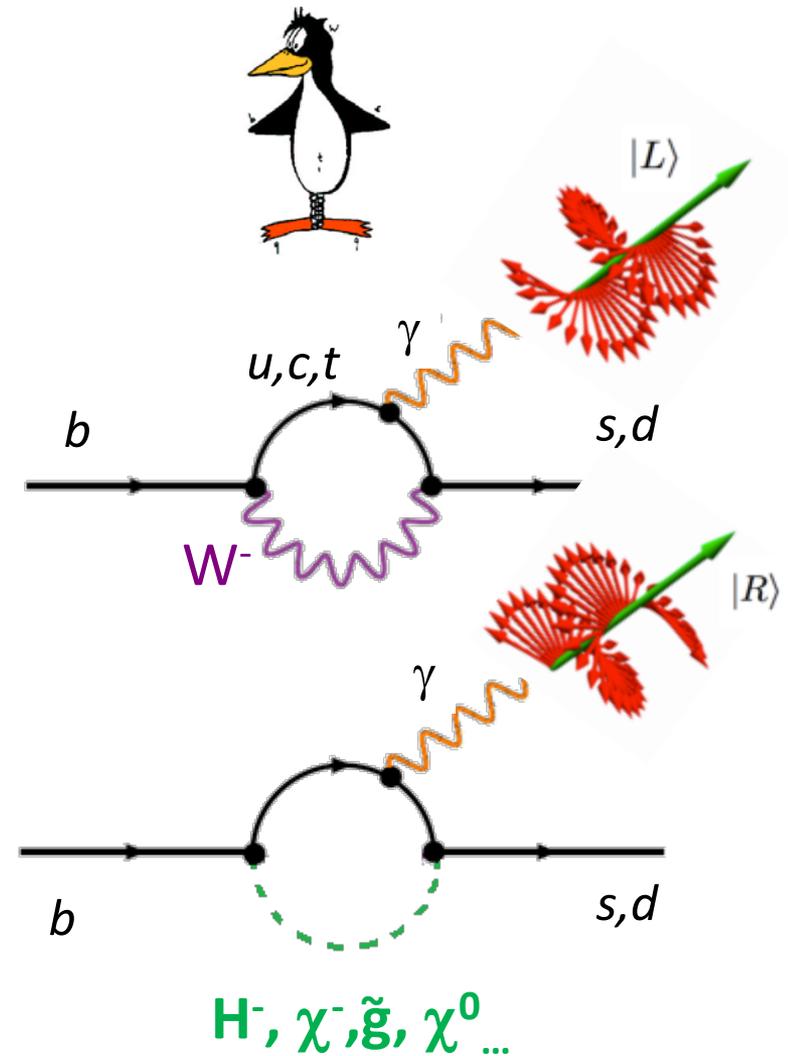
[M. Gronau, D. Pirjol, PRD66(02)054008]

[F. Yu, E. Kou, C. Lü, JHEP12(2013)102]

→ Involved Wilson coefficient: $C_7^{(i)}$



$$O_7^{(i)} = \frac{m_b}{e} (\bar{s} \sigma_{\mu\nu} P_{R(L)} b) F^{\mu\nu}$$



Motivation

How to access **the photon polarization** in b -hadron decays?

- **Time dependent analyses, using B- \bar{B} interference of mixing and decay:**

- Final common state for neutral B and \bar{B} : $B_{(s)} \rightarrow V\gamma$, $V \rightarrow KK, \pi\pi$
- B_s more profitable ($\Delta\Gamma_s \gg \Delta\Gamma_d$)
- @ LHCb: V to charged tracks, better no π^0 's, no K_s 's (Ex: ~~$B_d \rightarrow K^{*0} (K_s \pi^0)\gamma$~~)
- $B_s \rightarrow \phi\gamma$, $B_d \rightarrow \rho\gamma$, $B_d \rightarrow \omega\gamma$
- Observables: TD decay widths, TD CP asymmetries
- Use of flavour tagging (C, S mixing param.) reduces a lot the statistics ($\epsilon_{\text{eff}} \sim 5\%$)

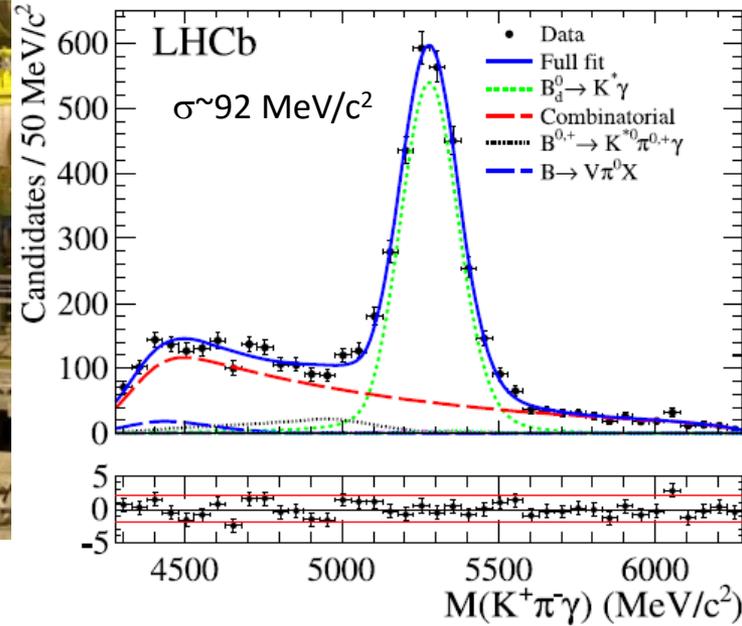
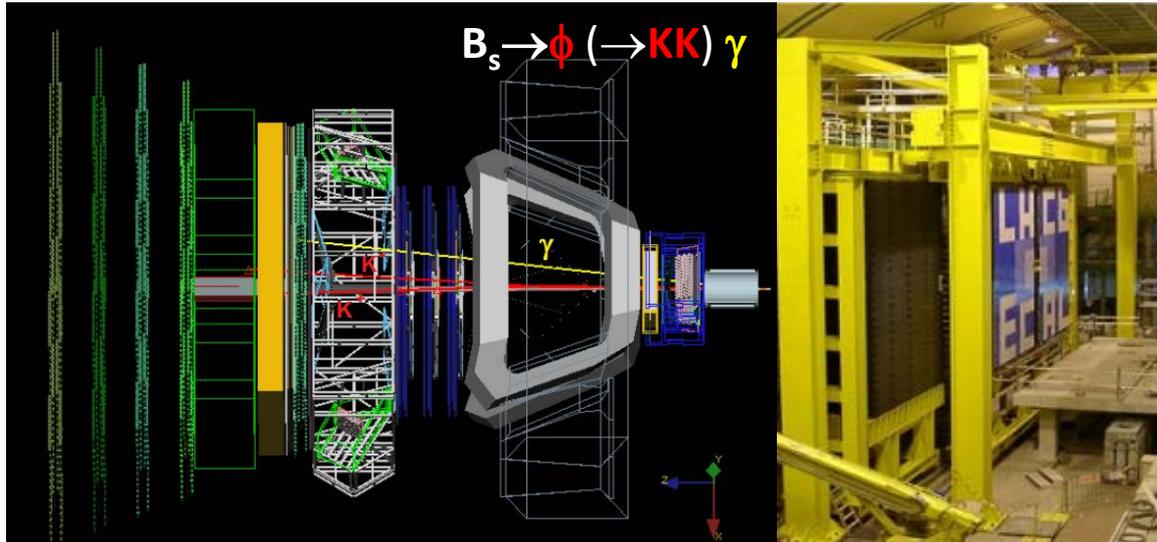
- **Angular analyses:**

- $B_{(s)}$ to three-body + γ decays ($B^+ \rightarrow K^- \pi^+ \pi^+ \gamma$) [[PRL 112\(2014\)161801](#)]
- Decays of b-baryons ($\Lambda_b \rightarrow \Lambda \gamma \dots$)
- Decays with an electron pair in the final state $\gamma \rightarrow e^- e^+$
 - with γ real: radiative decays with converted photons ($B_{(s)} \rightarrow V\gamma (\rightarrow e^- e^+)$)
 - or virtual: $B \rightarrow K^* e^+ e^-$ analyzed in the low q^2 region [[JHEP04\(2015\)064](#)]

Motivation

Radiative decays @ LHCb:

[Nuc. Phys. B 867 (2013) 1-18]



First measurements @ LHCb :

$$\frac{\mathcal{B}(B^0 \rightarrow K^{*0} \gamma)}{\mathcal{B}(B_s^0 \rightarrow \phi \gamma)} = 1.23 \pm 0.06 \text{ (stat.)} \pm 0.04 \text{ (syst.)} \pm 0.10 \text{ (} f_s/f_d \text{)}$$

$$\mathcal{A}_{CP}(B^0 \rightarrow K^{*0} \gamma) = (0.8 \pm 1.7 \text{ (stat.)} \pm 0.9 \text{ (syst.)})\%$$

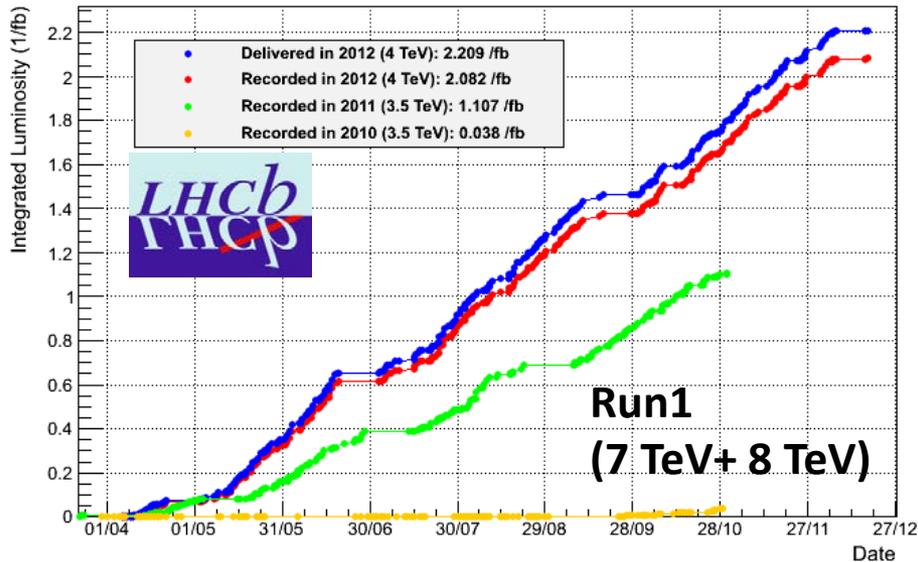
$$5279 \pm 93 \text{ } B_d^0 \rightarrow K^* \gamma$$

$$691 \pm 36 \text{ } B_s \rightarrow \phi \gamma$$

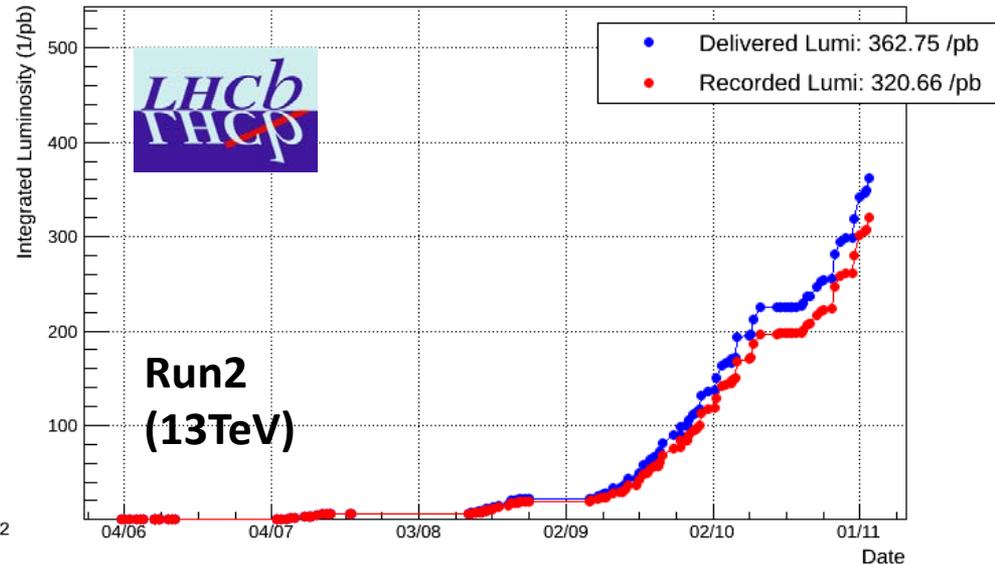
(this with 1fb^{-1} , update with 3fb^{-1} soon)

Motivation

LHCb Integrated Luminosity



LHCb Integrated Luminosity at p-p 6.5 TeV in 2015



LHCb working well, expected 8 fb^{-1} at the end of Run2

(also gain from B production at higher centre-of-mass energy)

Measuring the photon polarization with:

$$B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$$

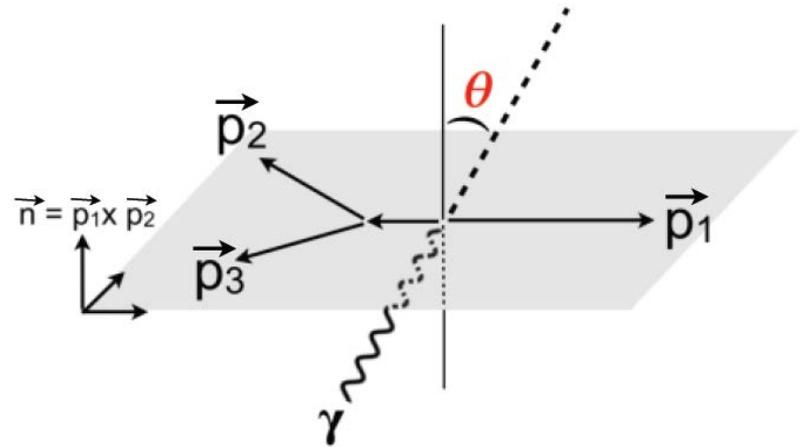


- The photon polarization can be measured in $B_{(s)}$ to three body + γ decays
 \rightarrow the decay plane defines the direction of the photon

- The **photon polarization parameter** λ_γ

$$\lambda_\gamma \equiv \frac{|c_R|^2 - |c_L|^2}{|c_R|^2 + |c_L|^2}$$

expected to be -1 (\bar{B}) or +1 (B) with corrections of $(m_s/m_b)^2$
 (c_R, c_L right and left amplitudes)



- It can be extracted by studying the three body decay of a $K_J (J^P)$ resonant state in $B \rightarrow K_{res} \gamma$ radiative decays [Kou et al, PRD83 (2011) 094007; Gronau et al, PRL88 (2002) 051802]

Ex: the 1^+ states $K_1(1270)$ and $K_1(1400)$, decaying into $K\pi\pi$ final state (via $K^*\pi$ and ρK modes)



- For a radiative $B \rightarrow K_{\text{res}} \gamma$, with the K_{res} a three body decay $K_{\text{res}} \rightarrow P_1 P_2 P_3$

$$\frac{d\Gamma(\bar{B} \rightarrow \bar{K}_{\text{res}} \gamma \rightarrow P_1 P_2 P_3 \gamma)}{ds ds_{13} ds_{23} d\cos\theta}$$

with $s_{ij} = (p_i + p_j)^2$; $s = (p_1 + p_2 + p_3)^2$

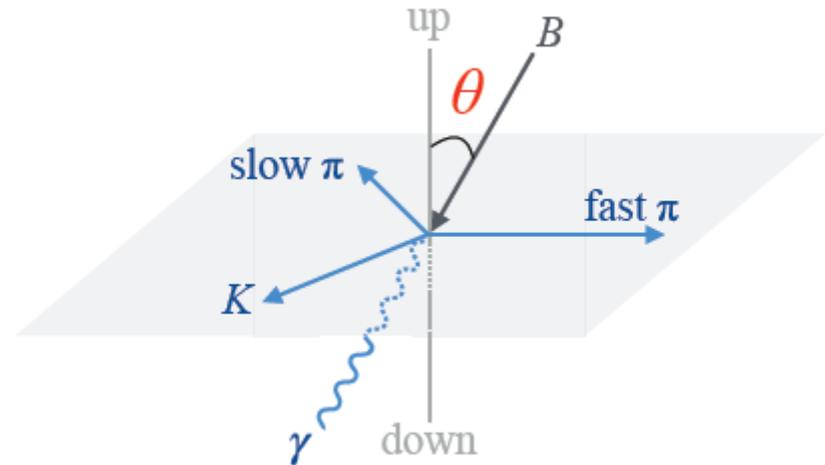
is the sum of the helicity amplitudes

The **Up-down asymmetry** A_{UD}

$$A_{\text{up-down}} = \frac{\int_0^1 d\cos\theta \frac{d\Gamma}{d\cos\theta} - \int_{-1}^0 d\cos\theta \frac{d\Gamma}{d\cos\theta}}{\int_{-1}^1 d\cos\theta \frac{d\Gamma}{d\cos\theta}} \propto \lambda_\gamma$$

Allows to extract the photon polarization information

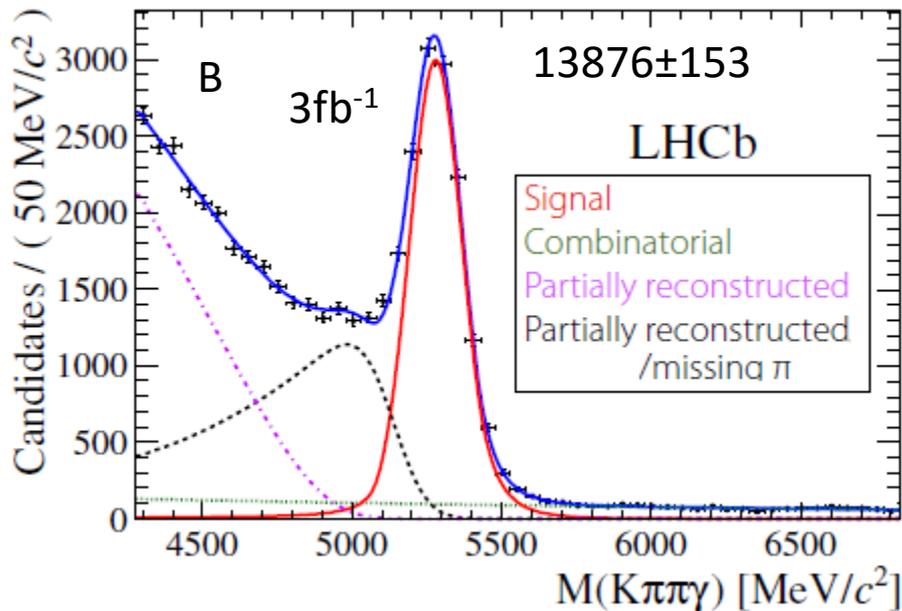
→ Need to count the number of events with photon emitted above/below the $\vec{p}_1 \vec{p}_2$ -plane and subtract them.



$B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$

[PRL 112, 161801 (2014)] (3fb⁻¹)

- Reconstruct a kaon resonance from three charged tracks: two pions of opposite sign and a kaon, plus a **high E_γ photon**.



(Kππ from 1.1-1.9 GeV)

Up-down asymmetry: A_{UD}

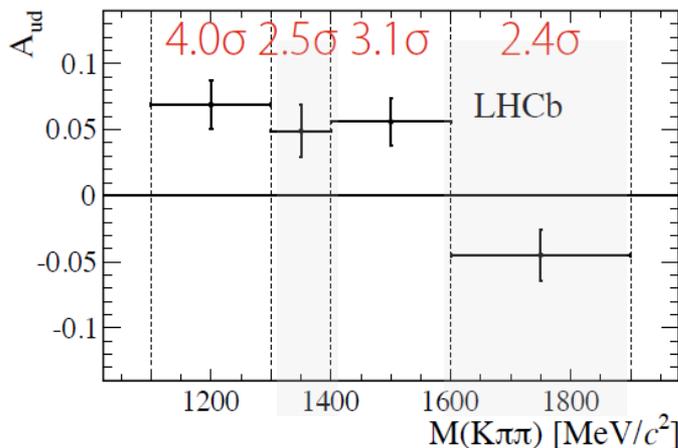
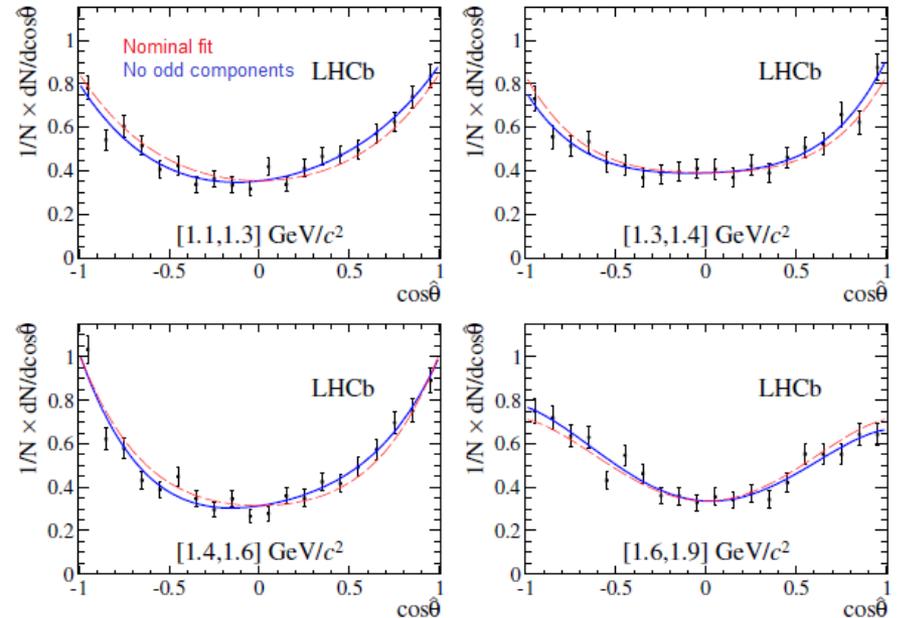
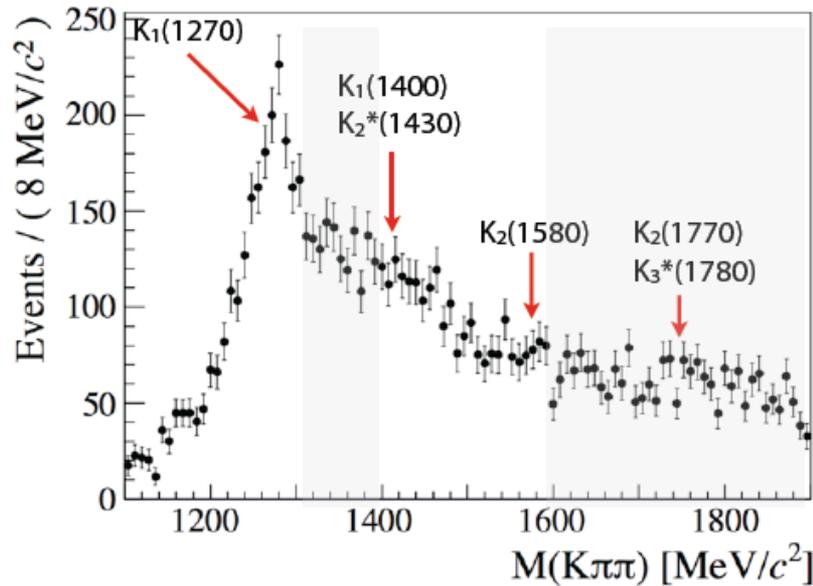
$$A_{UD} = \frac{N(K\pi\pi\gamma)_{\cos\theta > 0} - N(K\pi\pi\gamma)_{\cos\theta < 0}}{N(K\pi\pi\gamma)_{\cos\theta > 0} + N(K\pi\pi\gamma)_{\cos\theta < 0}}$$

→ Many kaon resonances with different properties are expected to contribute

→ A_{UD} studied in several $m(K\pi\pi)$ regions, fitting m_B and the $\cos\theta$ distribution.

$B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$

Background subtracted $K\pi\pi$ spectrum:



$\rightarrow \lambda_\gamma$ differs from 0 at 5.2σ
**First evidence of photon polarization
in $b \rightarrow s$ transitions!**

[PRL 112, 161801 (2014)]

(but this cannot be translated easily in
R, L amplitudes...)

$B^+ \rightarrow K^+ \pi^- \pi^+ \gamma$

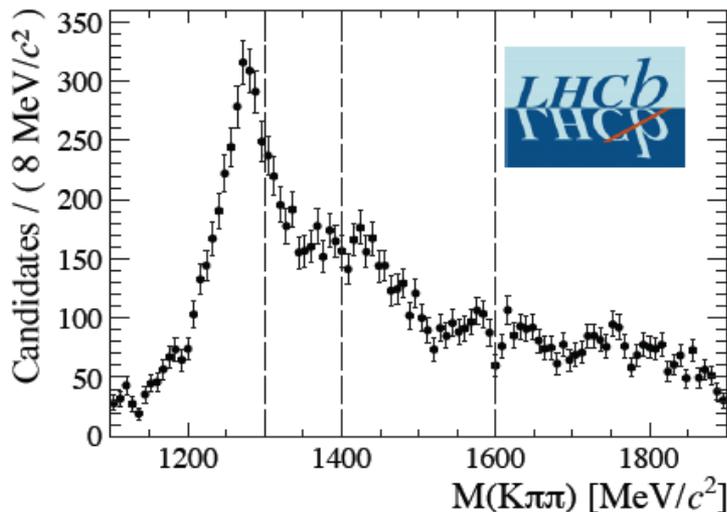
- At present performing an amplitude analysis on the $K\pi\pi$ system to disentangle the different resonant contributions (3-dimensions: $m_{K\pi\pi}^2$, $m_{K\pi}^2$, and $m_{\pi\pi}^2$)

$$\mathcal{PDF}_{X \rightarrow K\pi\pi} = \underbrace{\epsilon(\vec{m})}_{\text{efficiency}} \times \underbrace{\eta(\vec{m})}_{B \rightarrow K\pi\pi\gamma} \times \sum_{J^P} \left| \sum_k f_k \mathcal{A}_k^{J^P}(\vec{m}) \right|^2$$

phase-space

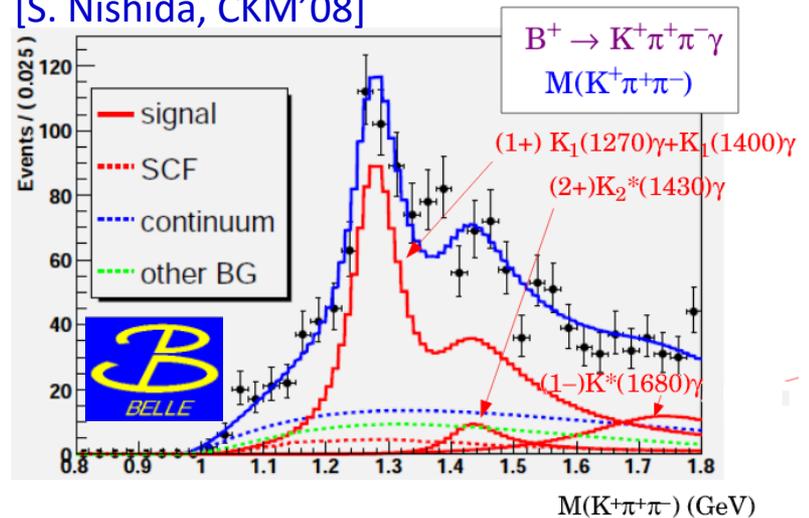
k indicates the resonance
 J^P is the spin-parity
 $\mathcal{A}_k^{J^P}$ is the amplitude
 f_k defines a fraction and a phase

$$\vec{m} = m_{K^+\pi^-\pi^+}^2, m_{K^+\pi^-}^2, m_{\pi^+\pi^-}^2$$



And including the angular observables

[S. Nishida, CKM'08]



[Belle, PRL 101 (2008), 251601]

[BaBar, PRD 93 (2016), 052013]

Measuring the photon polarization with:

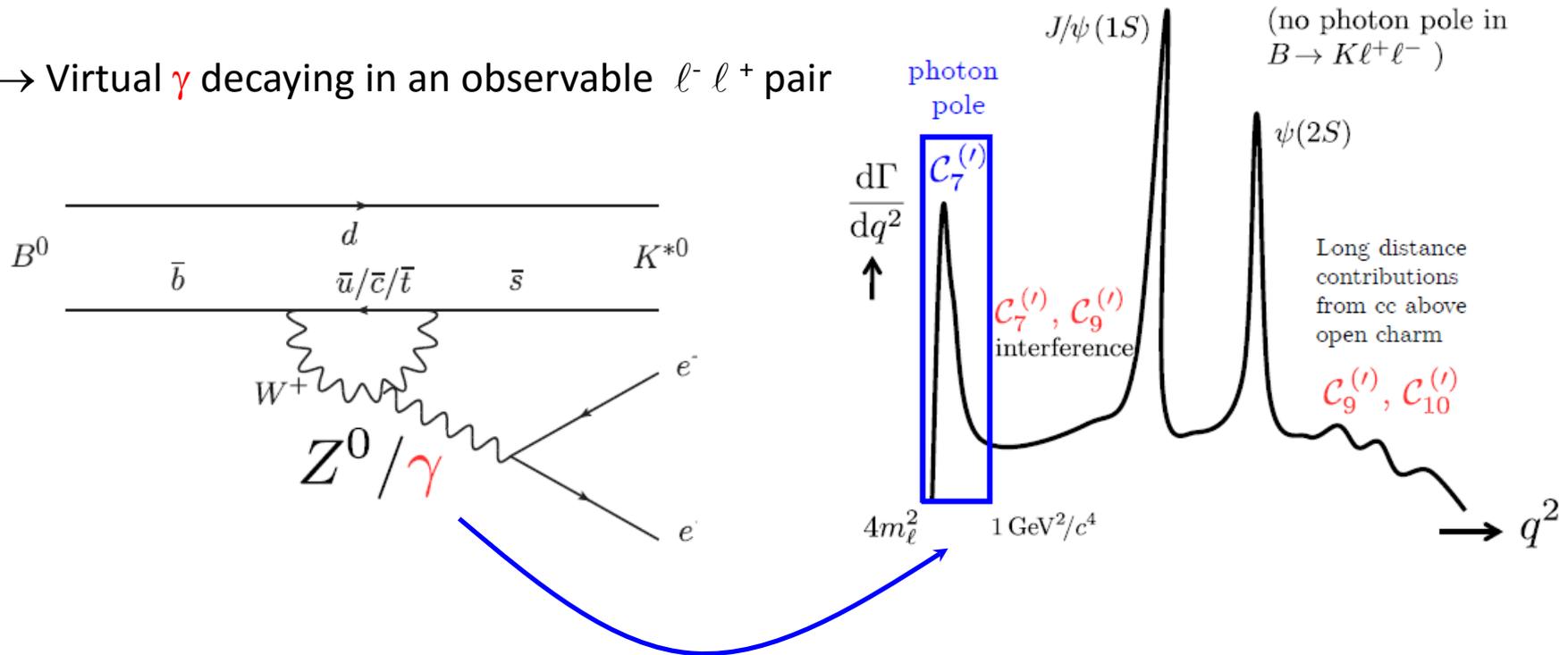
$$B^0 \rightarrow K^{*0} e^- e^+$$

$B^0 \rightarrow K^{*0} e^- e^+$

- Measurement of angular observables of the $B^0 \rightarrow K^{*0} e^- e^+$ in the low $q^2 < 1 \text{ GeV}^2$

[JHEP04(2015)064] (3 fb^{-1})

→ Virtual γ decaying in an observable $\ell^- \ell^+$ pair

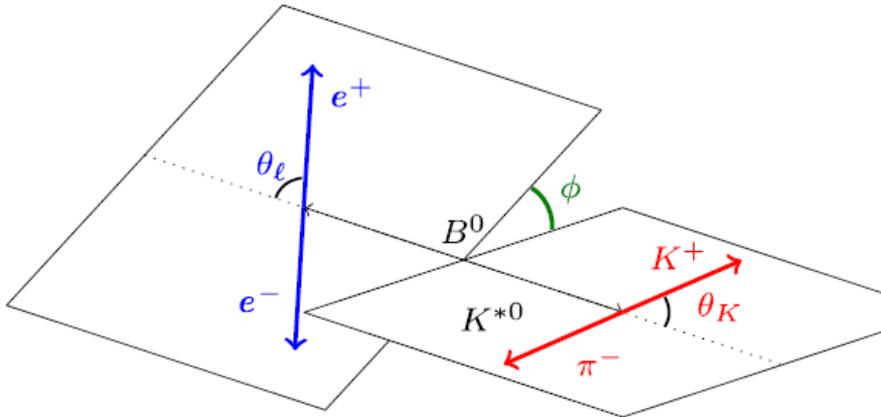


→ Sensitive to the photon polarization due to the photon pole (for $B \rightarrow V \ell^- \ell^+$)

→ Requires to go very low in the q^2 region → **electrons**

$B^0 \rightarrow K^{*0} e^- e^+$

- The differential decay rate depends on three angles: θ_ℓ , θ_K and ϕ



$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{d^4(\Gamma + \bar{\Gamma})}{dq^2 d\cos\theta_\ell d\cos\theta_K d\tilde{\phi}} =$$

$$\frac{9}{16\pi} \left[\frac{3}{4}(1 - F_L) \sin^2\theta_K + F_L \cos^2\theta_K + \left(\frac{1}{4}(1 - F_L) \sin^2\theta_K - F_L \cos^2\theta_K \right) \cos 2\theta_\ell + \frac{1}{2}(1 - F_L) A_T^{(2)} \sin^2\theta_K \sin^2\theta_\ell \cos 2\tilde{\phi} + (1 - F_L) A_T^{\text{Re}} \sin^2\theta_K \cos\theta_\ell + \frac{1}{2}(1 - F_L) A_T^{\text{Im}} \sin^2\theta_K \sin^2\theta_\ell \sin 2\tilde{\phi} \right]$$

$$A_T^{(2)}(q^2 \rightarrow 0) = \frac{2\text{Re}(C_7 C_7'^*)}{|C_7|^2 + |C_7'|^2}$$

$$A_T^{\text{Im}}(q^2 \rightarrow 0) = \frac{2\text{Im}(C_7 C_7'^*)}{|C_7|^2 + |C_7'|^2}$$

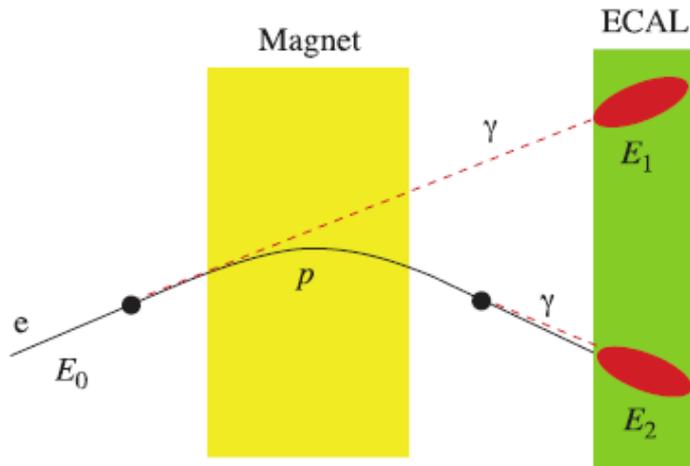
access to the photon polarization information

[D. Becirevic and E. Schneider Nucl. Phys. B 854 (2012) 321]

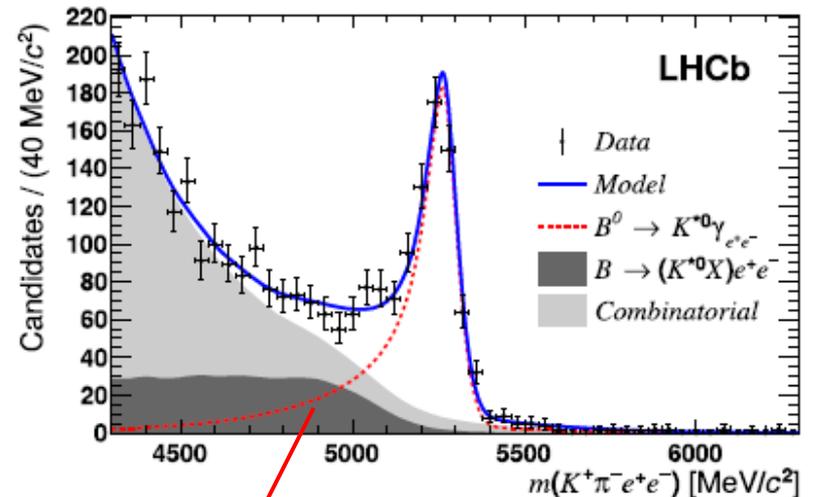
$$A_T^{\text{Re}} = \frac{4}{3} A_{\text{FB}} / (1 - F_L) \quad F_L: \text{longitudinal polarization of the } K^* \text{ (expected small at low } q^2, \gamma_\perp \text{ polarized)}$$



- Electrons are difficult to reconstruct since they lose energy by radiation: need **bremstrahlung recovery**



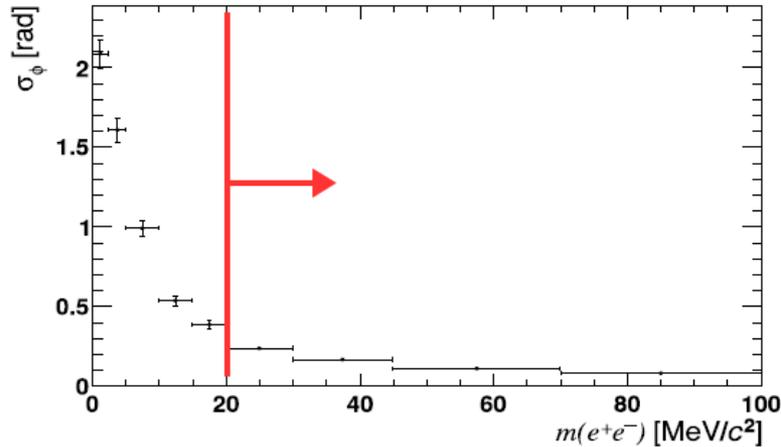
→ adding neutral clusters from the ECAL, with $E_T > 75\text{MeV}$



Long radiative tail in the B mass distribution: controlled from $B \rightarrow K^* \gamma$ events ($\gamma \rightarrow e^- e^+$, with bremstrahlung emission)

$B^0 \rightarrow K^{*0} e^- e^+$

- q^2 range driven by the experimental resolution in $\phi \rightarrow$ cut at $m(e^-e^+) > 20$ MeV



→ $q^2_{\min} = 0.0004 \text{ GeV}^2$

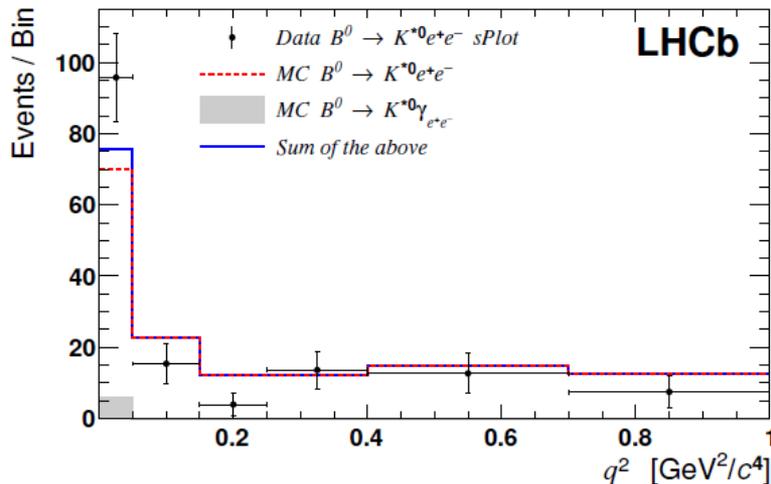
good also to suppress the $B \rightarrow K^* \gamma (\rightarrow e^- e^+)$ background
and

→ $q^2_{\max} = 1 \text{ GeV}^2$

allowing to isolate $C_7^{(1)}$ contributions

Unfolding reconstruction effects, the effective q^2 range is:

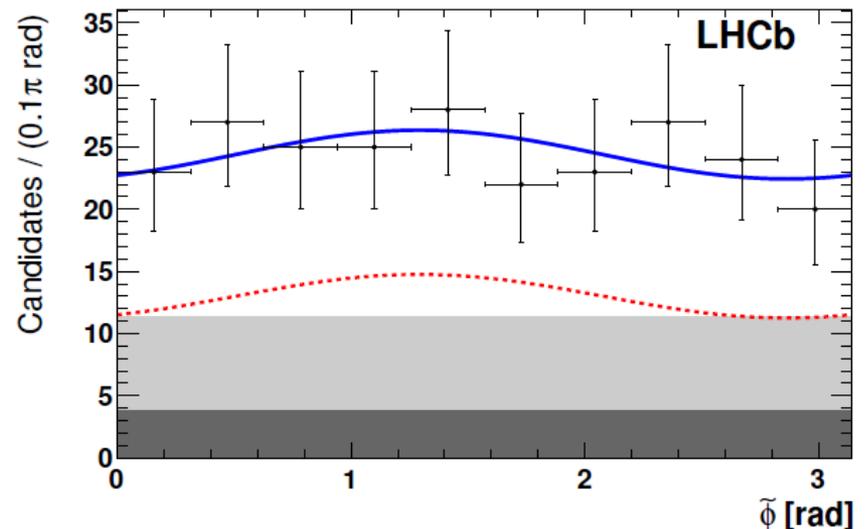
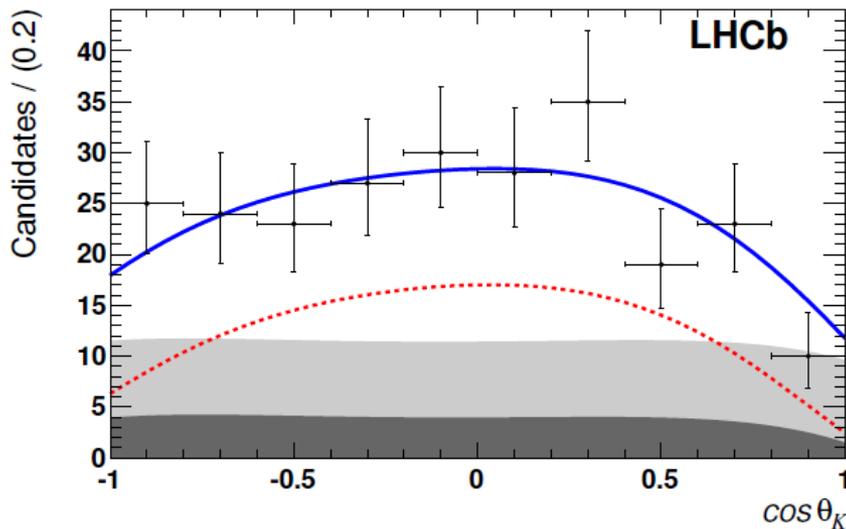
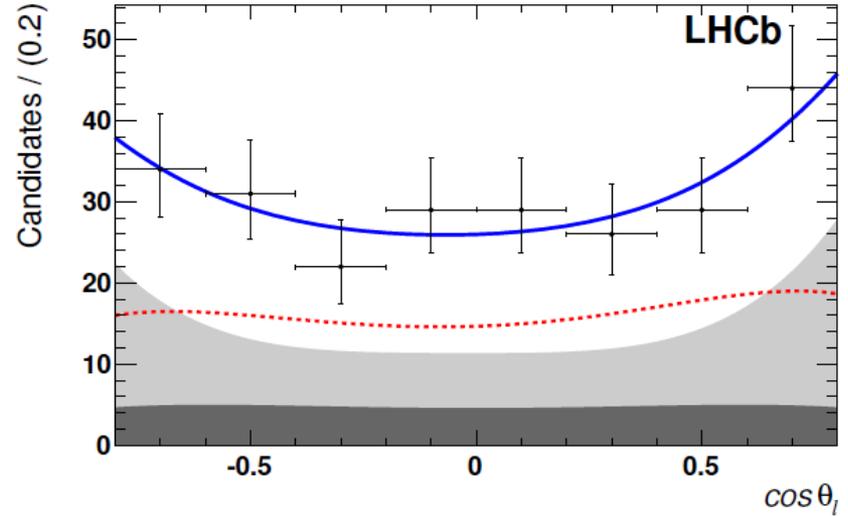
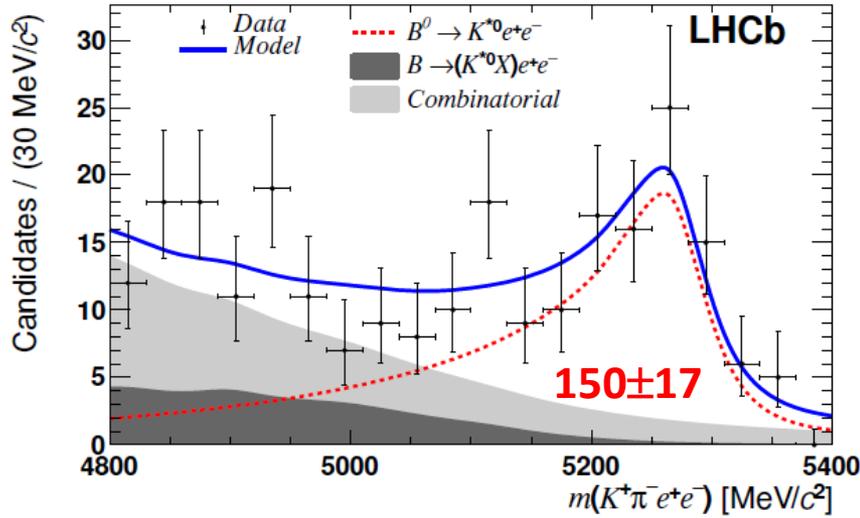
$q^2 \in (0.0020(8), 1.12(6)) \text{ GeV}^2$



Reconstructed q^2 distribution

$B^0 \rightarrow K^{*0} e^- e^+$

- 4-dimensional fit to $m(K^+ \pi^- e^- e^+)$ and the three angles θ_ℓ , θ_K and ϕ :



$B^0 \rightarrow K^{*0} e^- e^+$

- The results of the fitted parameters (A_T^{im} and $A_T^{(2)}$ being sensitive to the γ polarization):

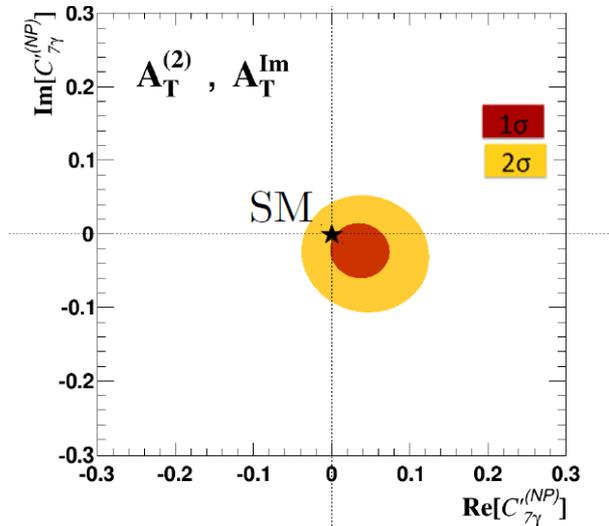
Results:

$$\begin{aligned}
 F_L &= 0.16 \pm 0.06 \pm 0.03 \\
 A_T^{\text{Re}} &= +0.10 \pm 0.18 \pm 0.05 \\
 A_T^{(2)} &= -0.23 \pm 0.23 \pm 0.05 \\
 A_T^{\text{Im}} &= +0.14 \pm 0.22 \pm 0.05
 \end{aligned}$$

SM predictions:

$$\begin{aligned}
 F_L &= 0.10_{-0.05}^{+0.11} \\
 A_T^{\text{Re}} &= -0.15_{-0.03}^{+0.04} \\
 A_T^{(2)} &= +0.03_{-0.04}^{+0.05} \\
 A_T^{\text{Im}} &= (-0.2_{-1.2}^{+1.2}) \times 10^{-4}
 \end{aligned}$$

→ **Compatible with the SM predictions***:



[Adapted from Jäger and Camalich
arXiv:1412.3183]

The best sensitivity to $C_7^{(\prime)}$ up to date!

[JHEP04(2015)064]

$$\underline{B^0 \rightarrow K^{*0} e^- e^+}$$

- **Prospects for Run2:**

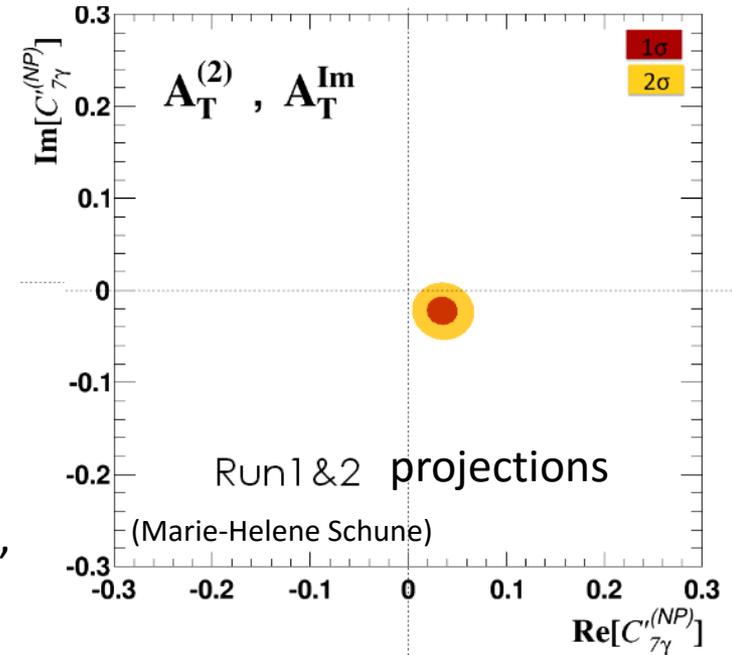
→ Statistics of Run1 x (1 + ~ 4) (with same performance):

Run1 + Run2 ~ 750 $B \rightarrow K^* e^- e^+$ events

Improvements:

→ Overconstrain the B kinematics and brem. emission
 ▶ Cut even lower than 1 GeV in q^2 reducing further the combinatorial and partially reconstructed backgrounds, and being more sensitivity to the photon polarization.

→ Add other observables: P'_4 P'_5 P'_6 and P'_8



→ **The photon polarization could be measured to about 5 to 7 % !**

Measuring the photon polarization with:

$$B_s \rightarrow \phi \gamma$$

$$\underline{B_s} \rightarrow \phi \gamma$$

→ The time-dependent decay rate for $B_s \rightarrow \phi \gamma$ and $\bar{B}_s \rightarrow \phi \gamma$ decays is described by:

$$\Gamma_{B_s^0 \rightarrow \phi \gamma}^{(\pm)}(t) =$$

$$= |A|^2 e^{-\Gamma_s t} \left(\cosh \frac{\Delta\Gamma_s t}{2} - \mathcal{A}^\Delta \sinh \frac{\Delta\Gamma_s t}{2} \pm \mathcal{C} \cos \Delta m_s t \mp \mathcal{S} \sin \Delta m_s t \right)$$

$\mathcal{C} \sim 0$ in the SM $\mathcal{S} \sim 0$ in the SM

$$\mathcal{A}^\Delta \approx \sin 2\psi \cos \varphi_s$$

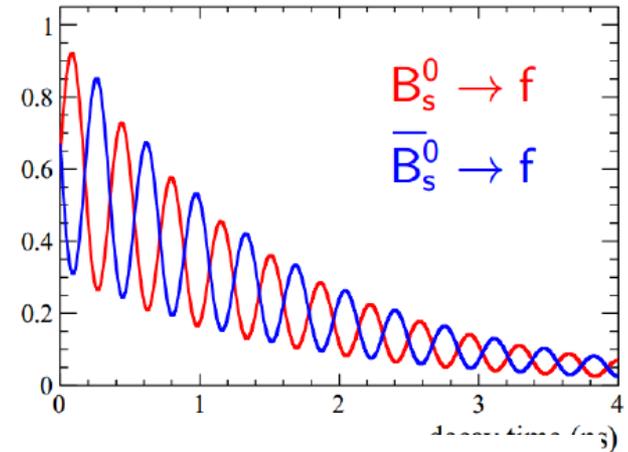
$$\mathcal{S} \approx \sin 2\psi \sin \varphi_s \sim 0 \text{ in the SM}$$

$\varphi_s =$ weak mixing phase (\ll in the SM)

Fraction of anomalous polarized photons: $\tan \psi \equiv \left| \frac{\mathcal{A}(B_s \rightarrow \phi \gamma_L)}{\mathcal{A}(B_s \rightarrow \phi \gamma_R)} \right|$

$$\Delta\Gamma_s = \Gamma_L - \Gamma_H = (0.081 \pm 0.011) \text{ ps}^{-1}$$

$$\Gamma_s = 1/\tau_{B_s} = (0.6596 \pm 0.0046) \text{ ps}^{-1}$$



$$\underline{B_s} \rightarrow \phi \gamma$$

→ Untagged measurement of the time dependent $B_s \rightarrow \phi \gamma$ width:

$$\Gamma_{B_s^0}(t) = |A|^2 e^{-\Gamma_s t} \left(\cosh \frac{\Delta\Gamma_s t}{2} - \mathcal{A}^\Delta \sinh \frac{\Delta\Gamma_s t}{2} \right)$$

$$\approx |A|^2 e^{-\Gamma_{B_s \rightarrow \phi \gamma} t} \quad \text{with}$$

It can be seen as an “Effective lifetime” depending on the A^Δ

$$\Gamma_{B_s \rightarrow \phi \gamma} = \Gamma_s + \frac{\mathcal{A}^\Delta \Delta\Gamma}{2}$$

SM value: $A^\Delta = 0.047 \pm 0.025 + 0.015_{(\alpha_s)}$ [Muheim, Xie, Zwicky, PLB664(08)174]

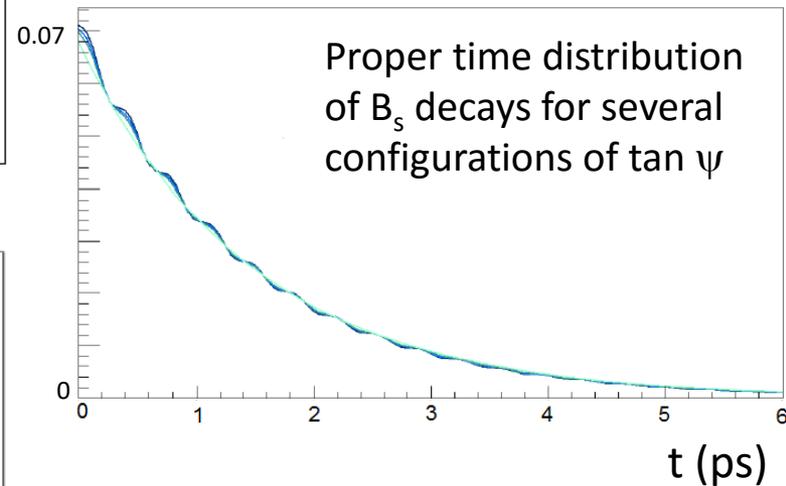
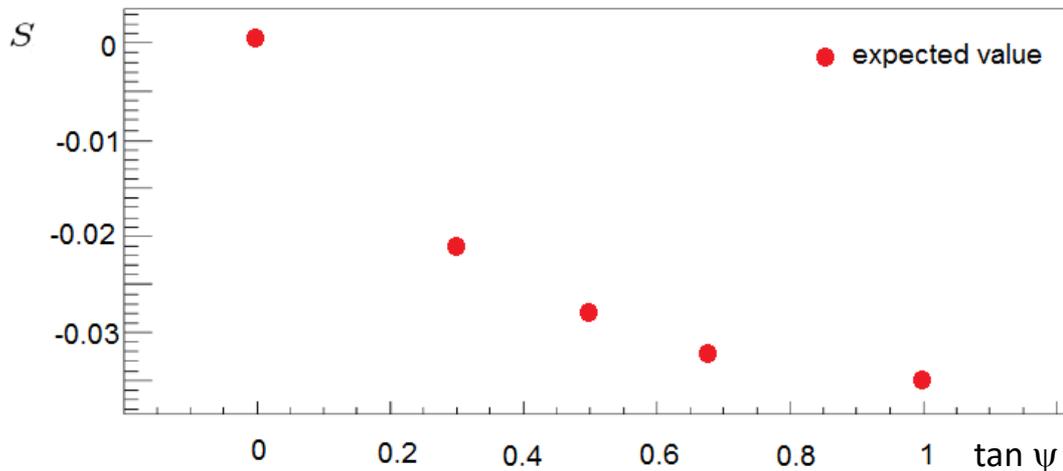
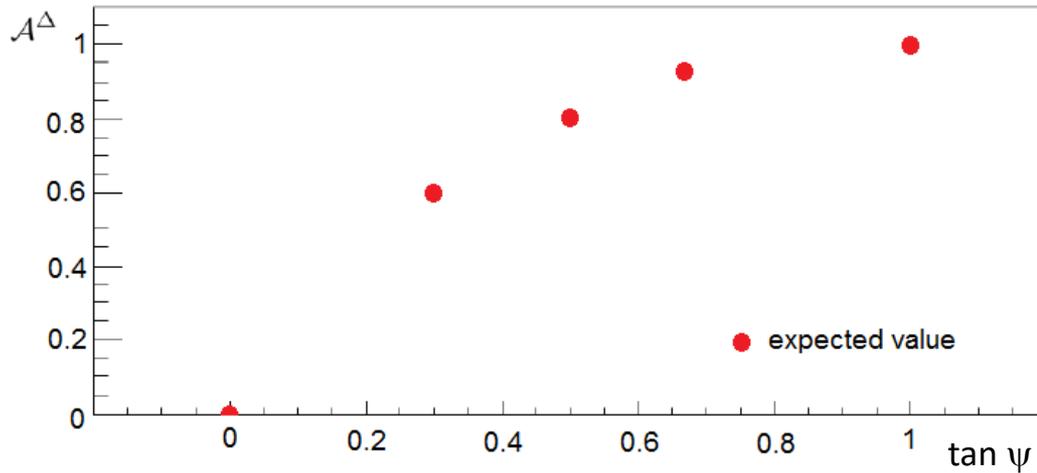
Left-Right Symmetric models: A^Δ up to ~ 0.7 [Atwood, Gronau and Soni, PRL79(97)185]

→ **Fraction of anomalous polarized photons $\sim 40\%$**

$\underline{B_s} \rightarrow \phi \gamma$

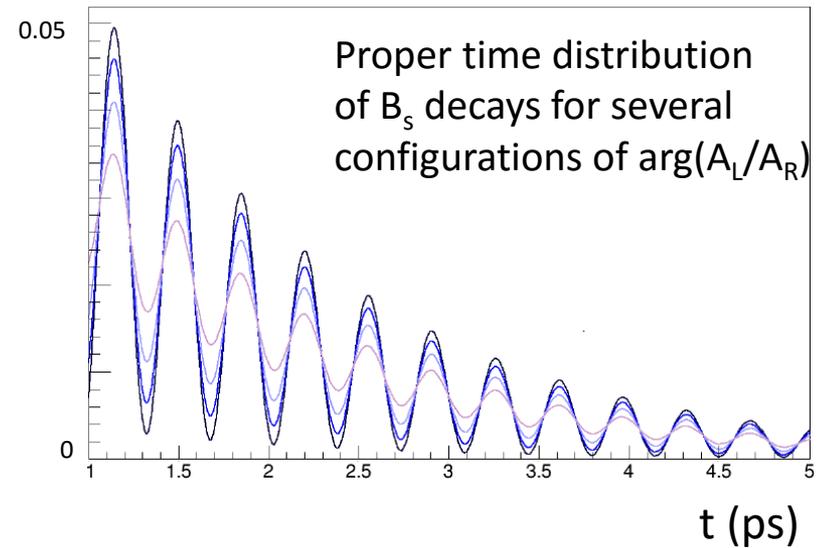
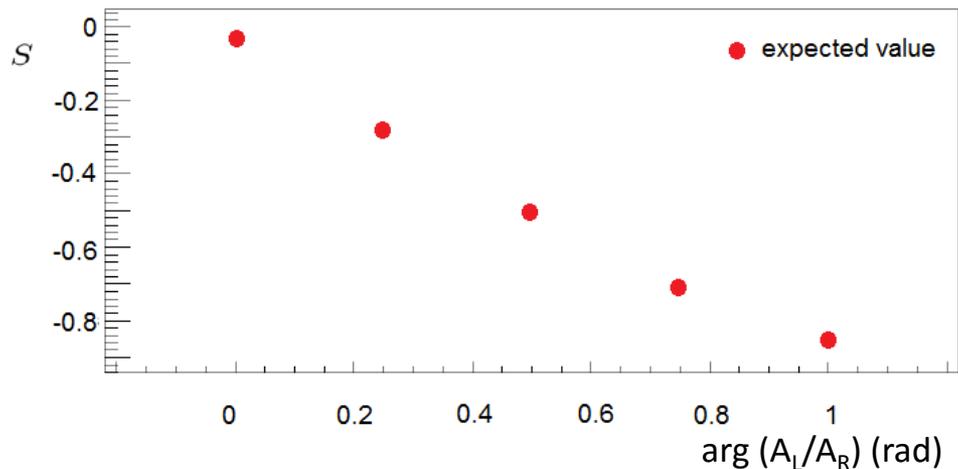
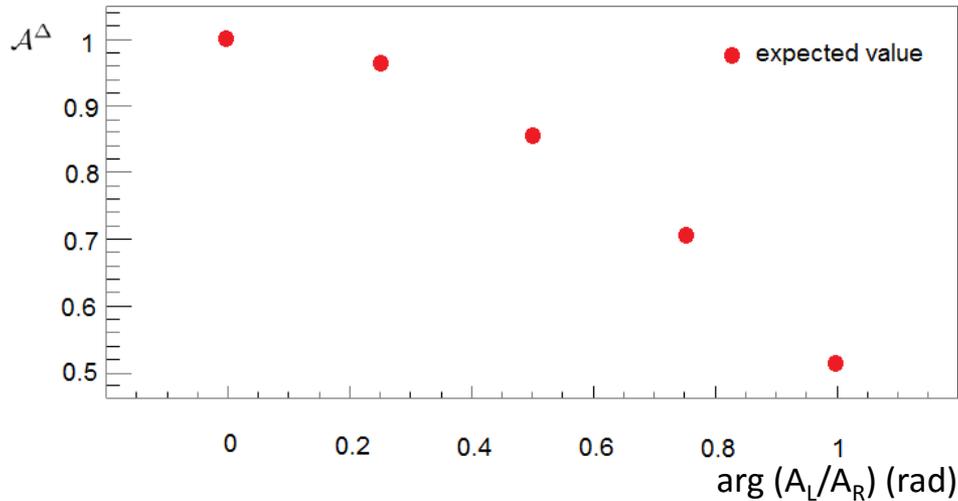
- Dependence of A^Δ and S parameters with the fraction of anomalous polarized photons

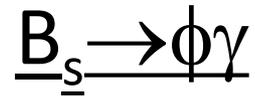
$$\tan \psi \equiv \left| \frac{\mathcal{A}(B_s \rightarrow \phi \gamma_L)}{\mathcal{A}(B_s \rightarrow \phi \gamma_R)} \right|$$



$$\underline{B_s} \rightarrow \phi \gamma$$

- Dependence of A^Δ and S parameters with the relative phase of anomalous polarized photons (assuming 50% of A_L)

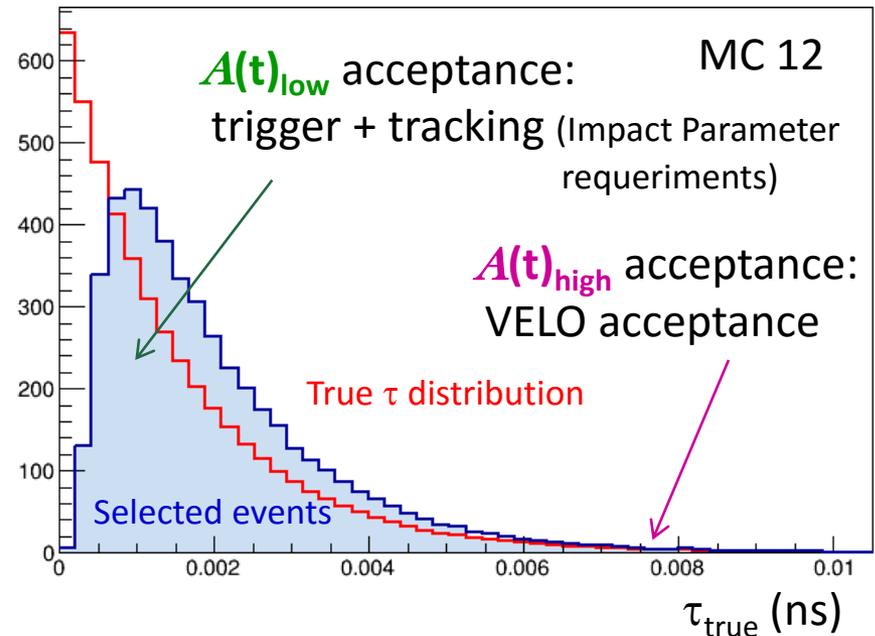
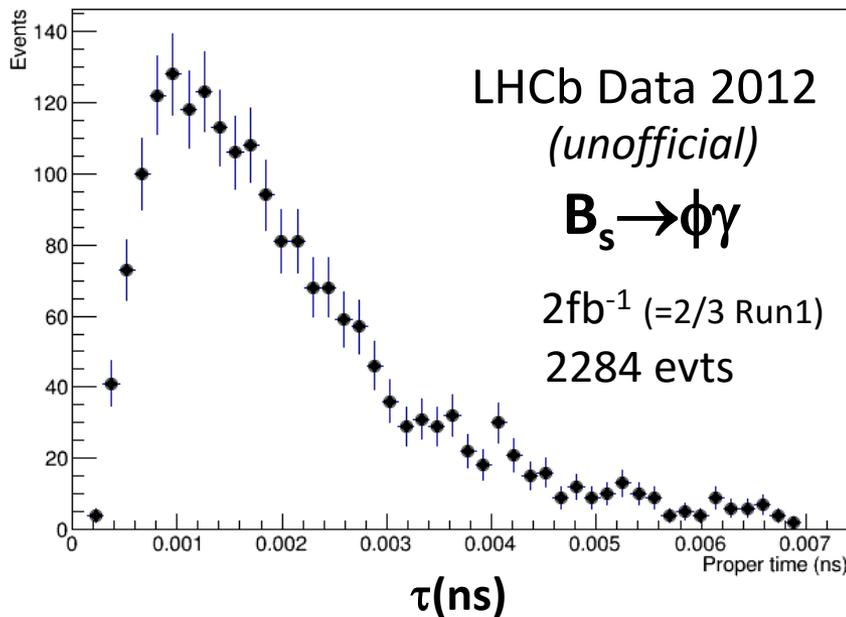




→ Untagged measurement of the time dependent decay rate:

$$\Gamma_{B_s}(t_r) \text{ measured} = A(t) \cdot \Gamma_{B_s}(t; A^\Delta) \otimes R(t, t_r)$$

Untagged proper time distribution:



One of the main issues in this analysis concerns the determination of the acceptance:

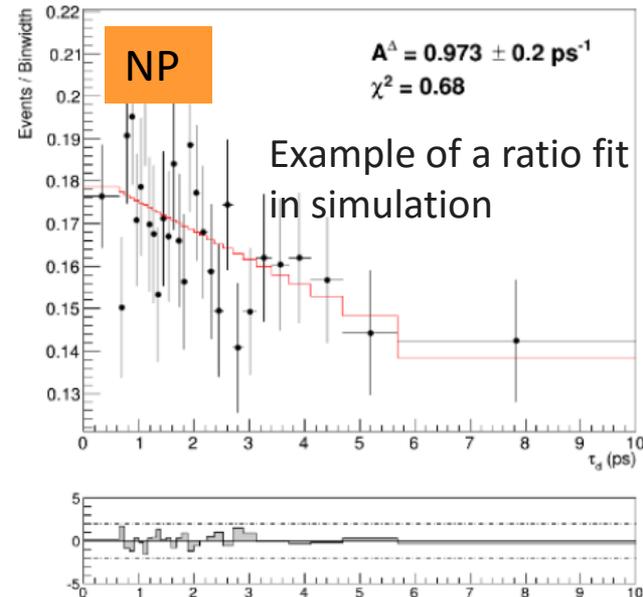
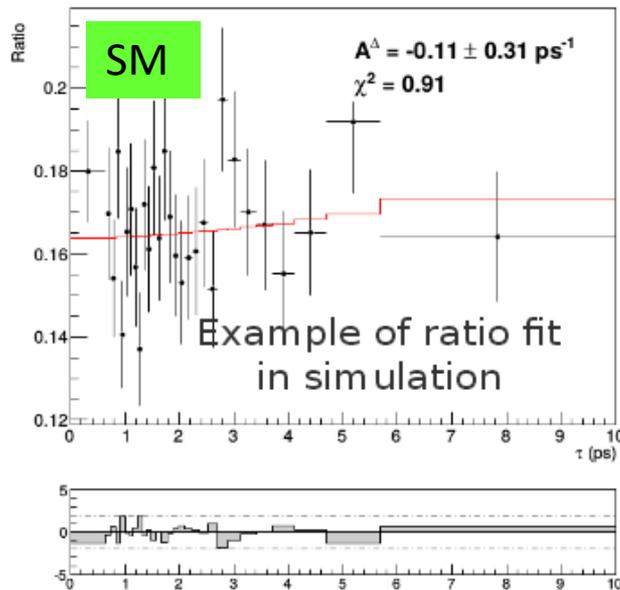
$$A(t) = \frac{at^n}{1+at^n} \times (1+\beta t)$$

$$\underline{B}_s \rightarrow \phi \gamma$$

→ $B \rightarrow K^* \gamma$ data is used to constrain the acceptance

→ A^Δ is extracted from a fit to the ratio of B_s/B_d decay widths, and from a direct fit:

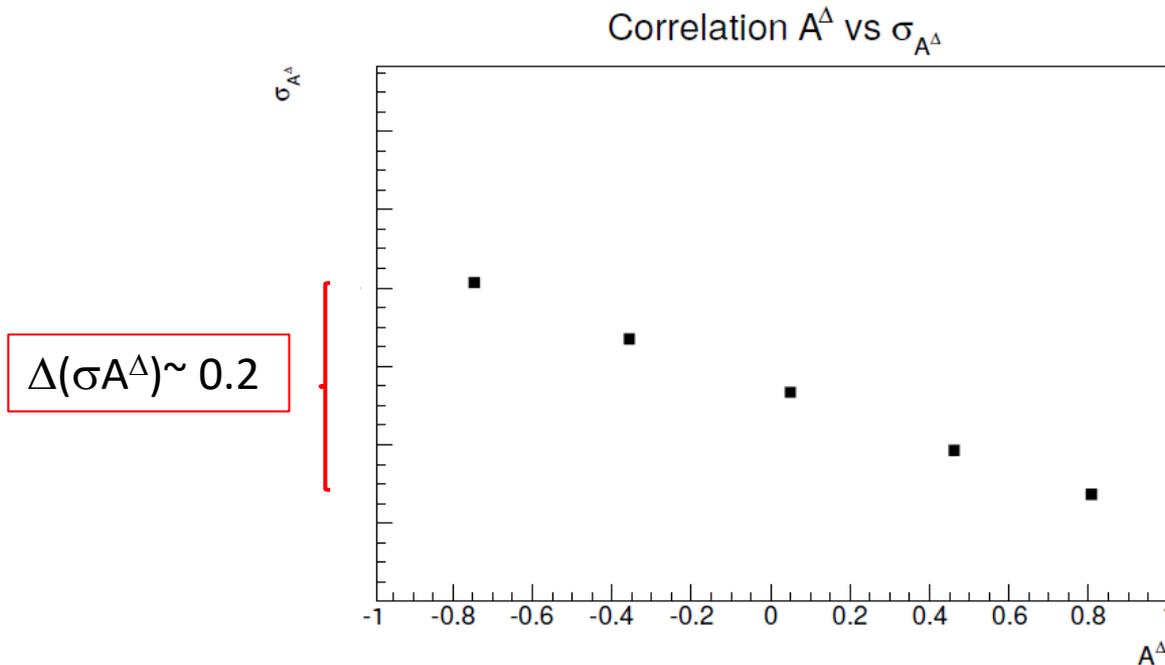
The ratio gives the $(\cosh(\Delta\Gamma_s t / 2) + A^\Delta \sinh(\Delta\Gamma_s t / 2))$ piece →



→ One needs to include uncertainties coming from the background subtraction, the statistics of the control sample, fitting procedure and acceptance assumptions

$$\underline{B}_s \rightarrow \phi \gamma$$

Note the large correlations between the statistical uncertainty and the A^Δ value



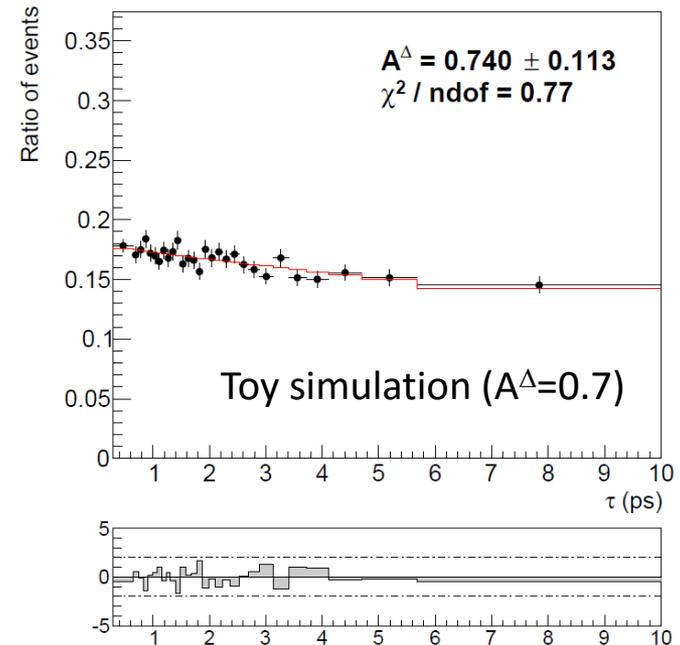
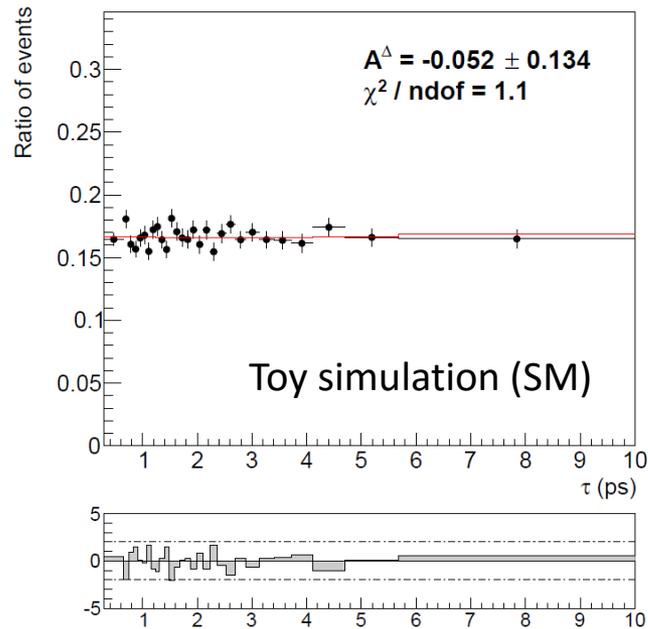
→ I.e., more precise measurements for non-SM photons

LHCb analysis almost completed, results with 3fb^{-1} expected for Summer

$$\underline{B_s} \rightarrow \phi \gamma$$

Prospects for Run2:

$\sim 20000 B_s \rightarrow \phi \gamma$ events for Ru1+Run2



$$\sigma_{A^\Delta} (\text{SM}) \sim 0.13$$

(Systematic uncertainties expected of the same order)

$$\underline{B_s} \rightarrow \phi \gamma$$

→ Flavour tagging for B_s drastically reduces our data:

$$\sigma(pp \rightarrow B_s + X) = 10.5 \pm 1.3 \mu\text{b} \quad [\text{JHEP08(2013)11}]$$

$$\mathcal{B}(B_s \rightarrow \phi \gamma) = (3.5 \pm 0.4) \times 10^{-5}$$

$$\epsilon_{\text{reconstruction}}(B_s \rightarrow \phi \gamma) \sim 1\%$$

Tagging algorithms:

Same side (SS):

From fragmentation of the signal b (π for B , K for B_s)

Opposite side (OS):

From the opposite B:

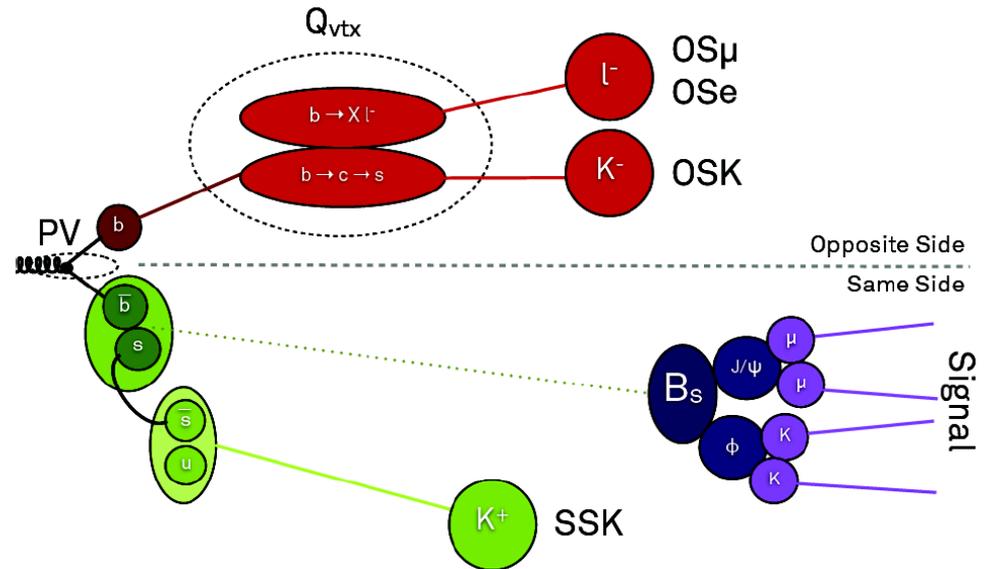
- e, μ from semileptonic B decays,
- kaons from $b \rightarrow c \rightarrow s$,
- inclusive reconstruction of the opposite B vertex

→ $N_{\text{evts}} \times \epsilon_{\text{tag}} (1 - 2\omega)^2$ We found for $B_s \rightarrow \phi \gamma$:

Tagging efficiency, $\epsilon_{\text{tag}} \sim 75\%$

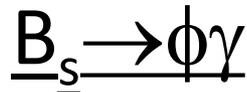
Mistag probability, $\omega \sim 36\%$

Effective efficiency: $\epsilon_{\text{eff}} \sim 5.44\%$



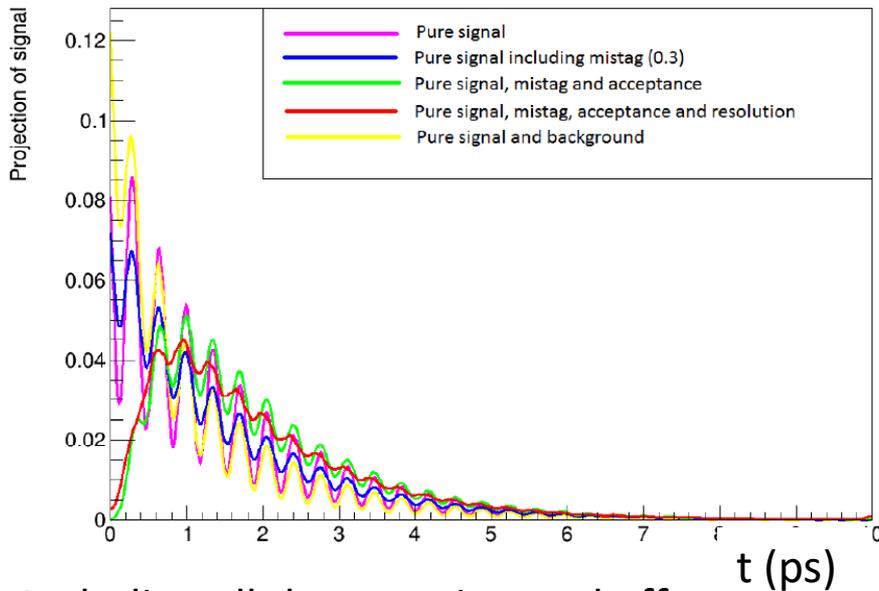
[Eur. Phys. J. C 72(2012) 2022
LHCb-CONF-2012-026
LHCb-CONF-2012-033J
HEP11 (2014) 060]

+ ongoing improvements for Run2



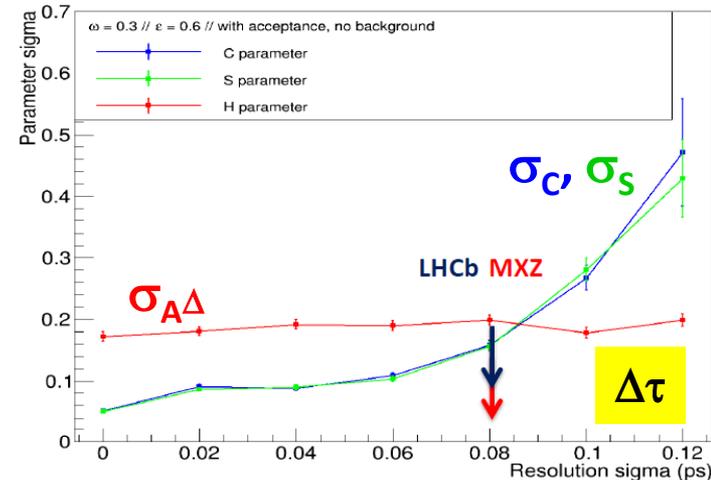
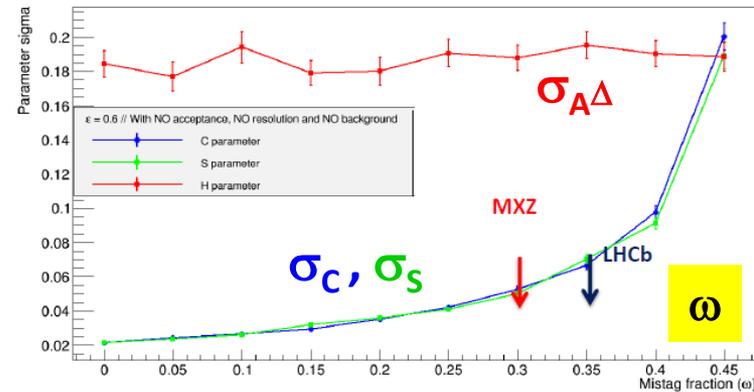
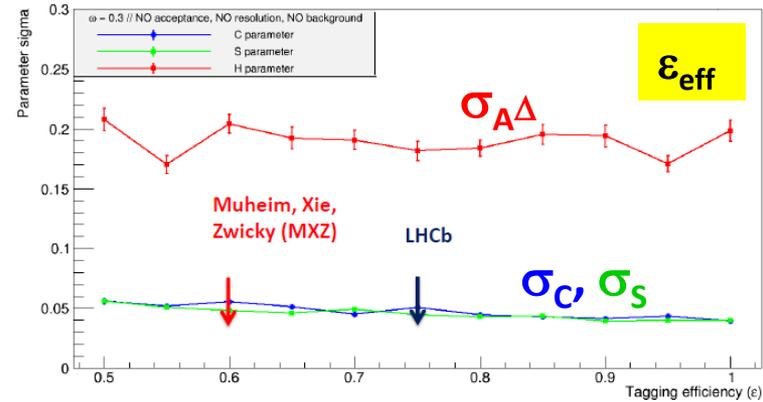
→ Tagged measurement of the time dependent decay rate: **expected ~ 1000** events for Run1+Run2

Simulation studies similar to **[Muheim, Xie, Zwicky PL B664(2008)174]**, including LHCb detector effects.



Including all the experimental effects:
 $(\omega = 0.365, \epsilon_{\text{tag}} = 0.744)$

$\sigma_C \sim 0.17$	$\sigma_S \sim 0.17$	$\sigma_{A\Delta} \sim 0.13$
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Measuring the photon polarization with:

b-baryons

$(\Lambda_b, \Xi_b, \Omega_b)$

$$\underline{\underline{\Lambda_b}} \rightarrow \underline{\underline{\Lambda}} \gamma$$

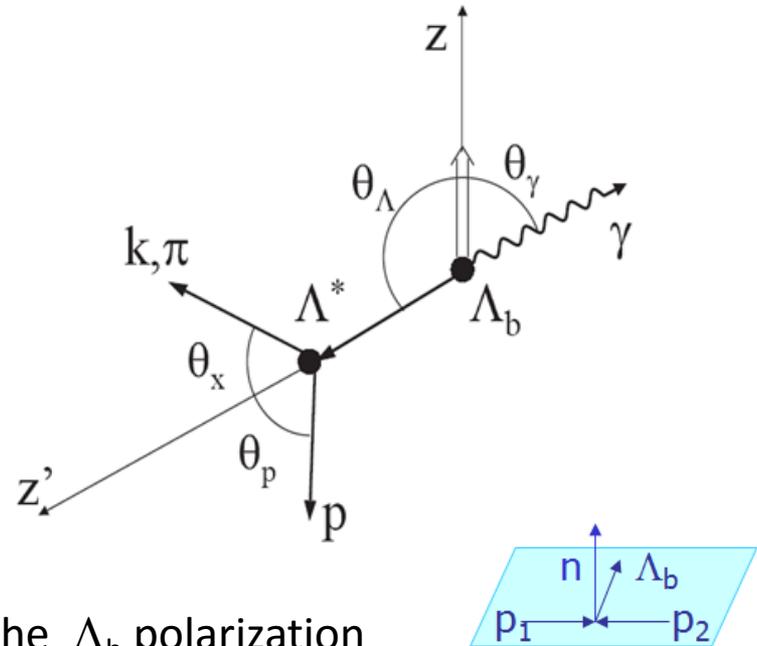
- Exploiting the angular correlations between the polarized initial state and the final state:
[\[Mannel, Recksiegel, J.Phys. G24 \(1998\) 979-990;](#)
[Hiller, Kagan, PRD 65, 074038 \(2002\)\]](#)

For Λ_b decaying into $\Lambda^0(1115)$ with $J=1/2$:

$$\frac{d\Gamma}{d \cos \theta_\gamma} \propto 1 - \alpha_\gamma P_{\Lambda_b} \cos \theta_\gamma$$

$$\frac{d\Gamma}{d \cos \theta_p} \propto 1 - \alpha_\gamma \alpha_{p,1/2} \cos \theta_p$$

$$\alpha_\gamma = \frac{P(\gamma_L) - P(\gamma_R)}{P(\gamma_L) + P(\gamma_R)}$$



P_{Λ_b} is the Λ_b polarization

$\alpha_{p,1/2}$ is the weak decay parameter

α_γ is the photon polarization

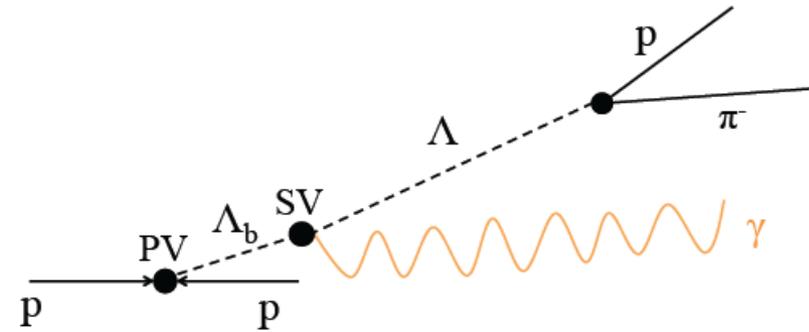
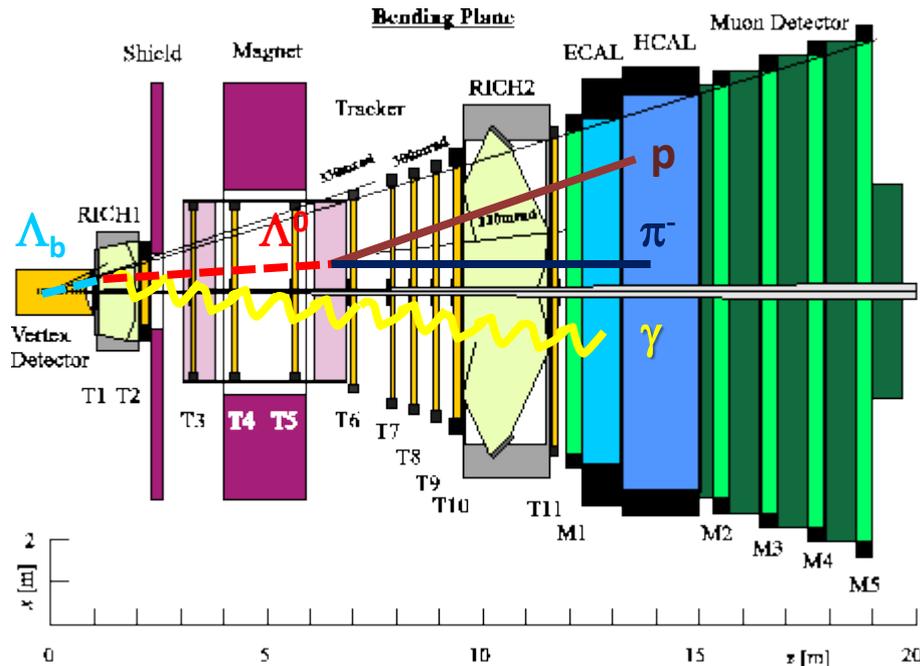
→ The Λ_b transverse production polarization has been found to be small:

$P_{\Lambda_b} = 0.06 \pm 0.07 \pm 0.02$ [\[PLB724 \(2013\)27\]](#) → No sensitivity in $\cos \theta_\gamma$

→ $\alpha_{p,1/2} = 0.642 \pm 0.013$ [\[PDG2014\]](#) → access to α_γ via the angular distribution of the proton

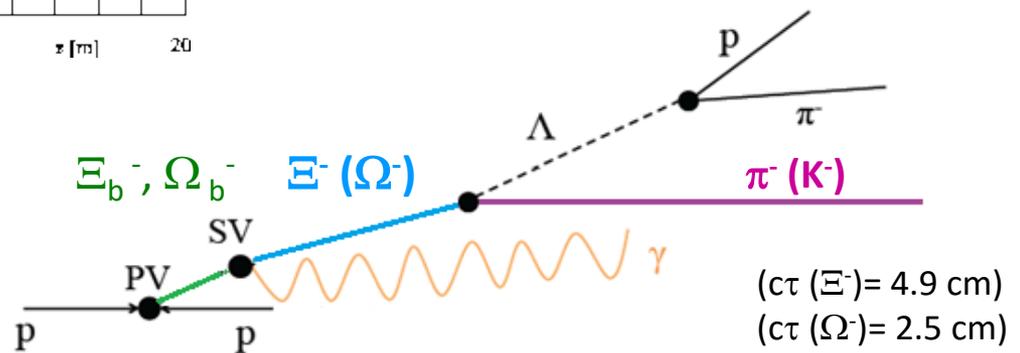
$$\underline{\Lambda_b} \rightarrow \Lambda \gamma$$

→ **Experimental challenge:** the Λ_b decay vertex cannot be reconstructed due to the long lifetime of the Λ^0 baryon ($c\tau = 7.89$ cm)

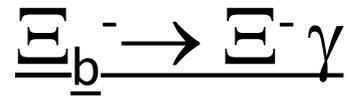


★ Another possibility:
to use stranger b-baryons:
 $\Xi_b^- \rightarrow \Xi^- \gamma$, $\Omega_b^- \rightarrow \Omega^- \gamma$

[L. Oliver, J.-C. Raynal, and R. Sinha,
Phys.Rev. D82 (2010) 117502]



Heavy baryon track + one pion or kaon track to constraint the vertex



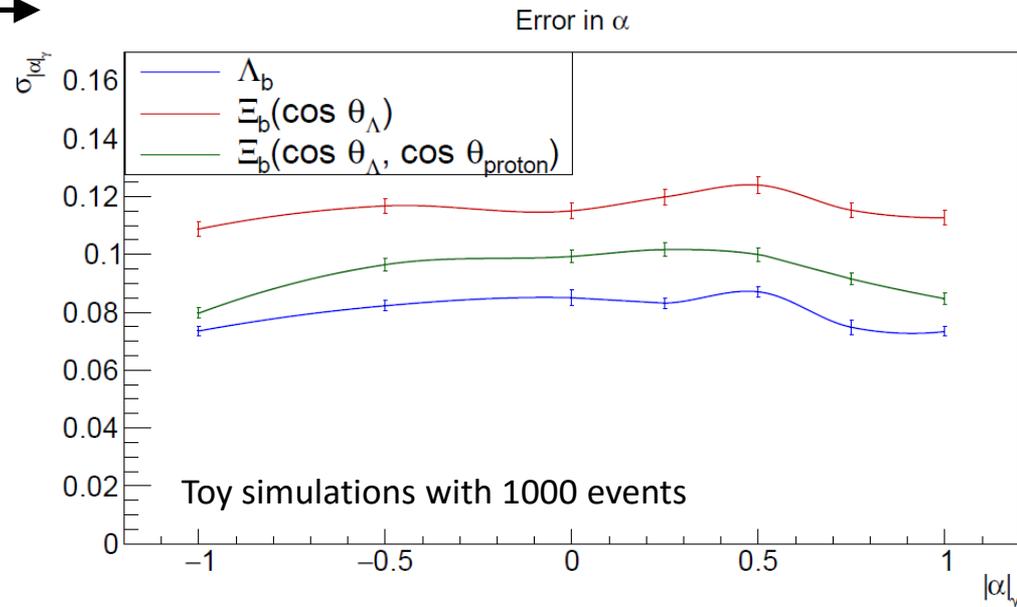
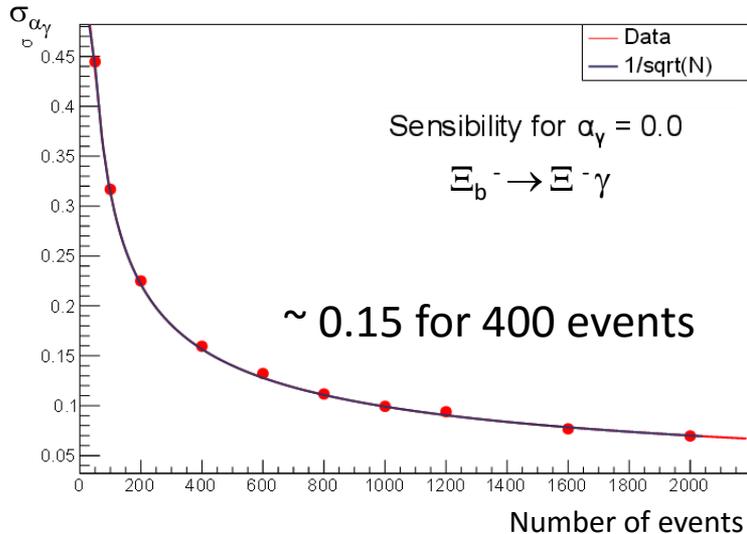
- Angular distribution for the $\Xi_b^- \rightarrow \Xi^- \gamma$:

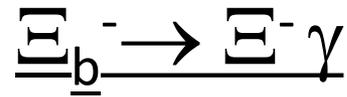
$$\Gamma_{\Xi_b}(\theta_\Lambda, \theta_p) = \frac{1}{4} \left(1 - \alpha_\gamma \alpha_\Xi \cos \theta_\Lambda + \alpha_\Lambda \cos \theta_p (\alpha_\Xi - \alpha_\gamma \cos \theta_\Lambda) \right)$$

Integrating over $\cos \theta_p$: $\Gamma_{\Xi_b} = \frac{1}{4} \left(1 - \alpha_\gamma \alpha_\Xi \cos \theta_\Lambda \right)$

$$\alpha_\Lambda = -0.458 \pm 0.012 \text{ [PDG2014]}$$

Similar sensitivity to the photon polarization as the $\Lambda_b \rightarrow \Lambda \gamma$ channel if one uses information of the two angles \rightarrow





- Expected number of events:

$$N_{sig} = 2 \times \mathcal{L}_{int} \times \sigma(pp \rightarrow H_b) \times BR_{TOTAL} \times \epsilon_{geo+reco}$$

	$\sigma(pp \rightarrow H_b)^{14\text{TeV}}$ [1]	$BR(H_b \rightarrow H\gamma)$ [2]	$BR(\Xi^-[\Omega^-] \rightarrow \Lambda^0\pi^-[K^-])$ [3]	$\Lambda^0 \rightarrow p\pi^-$ [3]	$\epsilon_{geo+reco}$	N[Run II] 5fb ⁻¹	N[2016] 1.5fb ⁻¹
$\Lambda_b \rightarrow \Lambda^0\gamma$	85 μb	$10^{-4} - 10^{-6}$ [4]	—	0.64	0.0015	81600-816	24500-245
$\Xi_b^- \rightarrow \Xi^- \gamma$	12 μb	$10^{-4} - 10^{-6}$	1.0	0.64	0.0006	2100-21	630-6
$\Omega_b^- \rightarrow \Omega^- \gamma$	0.11 μb	$10^{-2} - 10^{-4}$	0.67	0.64	0.0006	1280-13	383-4

- Depending on the BR and the channel, one could have hundreds of events already this year
- Trigger prepared for $\Lambda_b \rightarrow \Lambda\gamma$, $\Xi_b \rightarrow \Xi\gamma$, $\Omega_b \rightarrow \Omega\gamma$
- Good angular resolution at LHCb, effect on $\sigma_{\alpha\gamma}$ small
- Other experimental effects (acceptance, background contamination) in study

1. [HEPHY-PUB-609, arXiv:1009.2731]

2. [arXiv:hep-lat/0310035v2]

3. [PDG]

4. Measured upper limit: $< 10^{-3}$ [CL 90 %]

Conclusion

- The **photon polarization** is being measured **at LHCb** using several channels and different observables
- Important to constrain $C_7^{(\prime)}$ in NP scenarios, it is usually set to zero in global fits
- Difficult analyses due to the γ/e reconstruction in pp collisions, but we did it → **NP constraints more precise than the ones from B-factories!**
- Working hard in **new and improved measurements**
- **Run 2** data already coming ...

Stay tuned, there is much to come... !

Thank you!