



# COLLIDER PHENOMENOLOGY OF HIGGS EFFECTIVE FIELD THEORY

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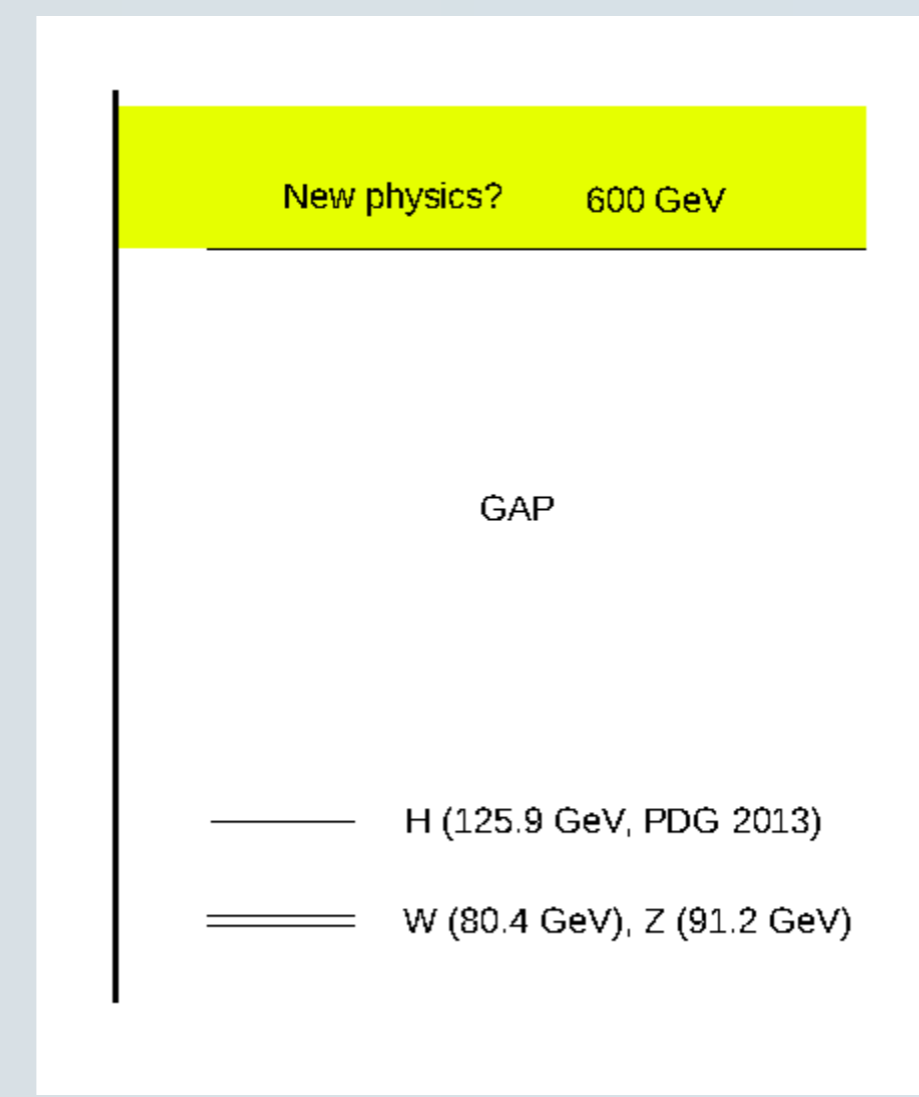
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## ABSTRACT

We report computations of the production cross-section of longitudinal electroweak boson pairs within Effective Field Theory for the Electroweak sector (including the Higgs). Particularly, we focus on photon-photon production, as this is a very clean process allowing access to scalar and tensor resonances. We also employ LEP results on the oblique S,T parameters to constrain the HEFT parameter space.

## 1) LHC findings: the Higgs... and nothing else yet



Spectrum of the Electroweak Symmetry Breaking Sector

What to do next @LHC?

New physics would be great!!



Otherwise, constrain the Effective Field Theory of the particles that we do see.



Empirical science after all...

- SMEFT (Standard Model EFT)
  - \*) Linear realization of spontaneous symmetry breaking
  - \*) The Higgs h is part of a complex doublet  $\Phi$
  - \*) Constraints among coefficients

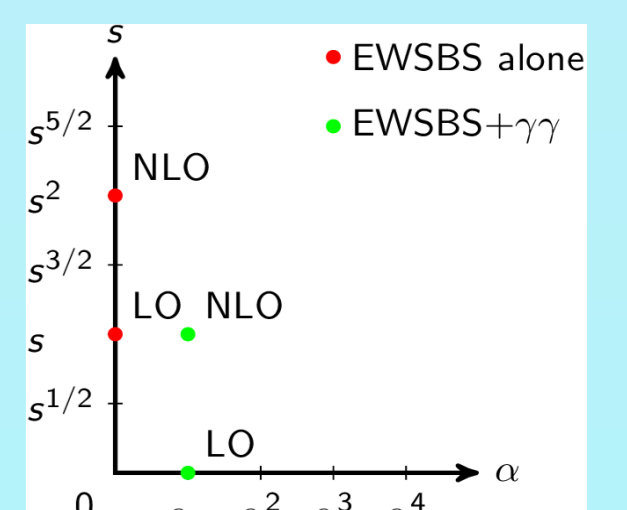
## HEFT (Higgs EFT)

- \*) Non-Linear realization of spontaneous symmetry breaking
- \*) The Higgs h is an independent scalar field
- \*) Most general possible EFT for the electroweak sector ✓

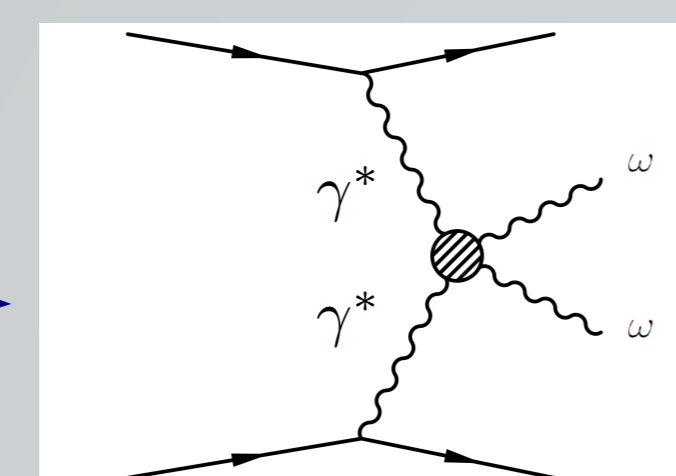
## 2) Lagrangian with chiral (derivative) counting

$$\mathcal{L} = \frac{1}{2} \left( 1 + 2\frac{h}{v} \left( \frac{h}{v} \right)^2 \right) \partial_\mu \omega^a \partial^\mu \omega^a + \frac{1}{2} \partial_\mu h \partial^\mu h + \frac{h}{v} \partial_\mu \omega^a \partial_\nu \omega^a \partial^\mu \omega^a \partial^\nu \omega^a + \frac{h}{v} \partial_\mu \omega^a \partial^\mu \omega^a \partial_\nu \omega^b \partial^\nu \omega^b + \frac{h}{v} \partial_\mu \omega^a \partial^\mu \omega^a \partial_\nu \omega^b \partial^\nu \omega^b + \frac{h}{v} \partial_\mu \omega^a \partial^\mu \omega^a \partial_\nu \omega^b \partial^\nu \omega^b$$

- \*) In the SM,  $a^2=b=1$ ; all others vanish various BSM parameters can be studied
- \*) New strong interactions: separations from those values strong ww, hh rescattering
- \*) Coupling to  $\gamma\gamma$  or  $tt$  (not part of EW symmetry sector) controlled by perturbation theory



## 5) Particularly clean: $\gamma\gamma$ collisions



$$\frac{d\sigma_{pp \rightarrow pp W^+ W^-}}{ds_{\gamma\gamma}} = \int dx dy E_p^2 \frac{f(x)}{E_p x} \frac{f(y)}{E_p y} \sigma_{\gamma\gamma \rightarrow W^+ W^-} \delta(s_{\gamma\gamma} - 4xyE_p^2)$$

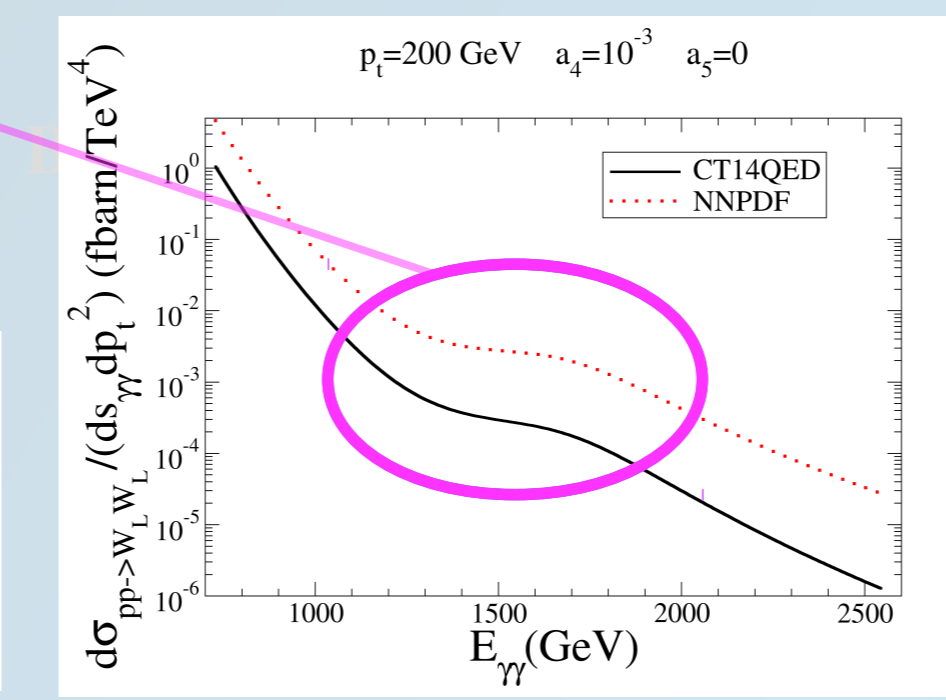
$$= \int dx \frac{1}{s_{\gamma\gamma}} \frac{f(x)}{x} f\left(\frac{s_{\gamma\gamma}}{4E_p^2 x}\right) \sigma_{\gamma\gamma \rightarrow W^+ W^-}$$

The IAM provides the parton-level cross-section  
Soon to be published...

## ABSENCE OF RESONANCES? CONSTRAIN PARAMETERS

$$\mathcal{L}_4 = \frac{e^2 a_1}{2v^2} A_{\mu\nu} A^{\mu\nu} (v^2 - 4\omega^+ \omega^-) + \frac{2e(a_2 - a_3)}{v^2} A_{\mu\nu} [i(\partial^\nu \omega^+ \partial^\mu \omega^- - \partial^\mu \omega^+ \partial^\nu \omega^-) + eA^\mu (\omega^+ \partial^\nu \omega^- + \omega^- \partial^\nu \omega^+) - eA^\nu (\omega^+ \partial^\mu \omega^- + \omega^- \partial^\mu \omega^+)] - \frac{c_\gamma h}{2v} e^2 A_{\mu\nu} A^{\mu\nu}$$

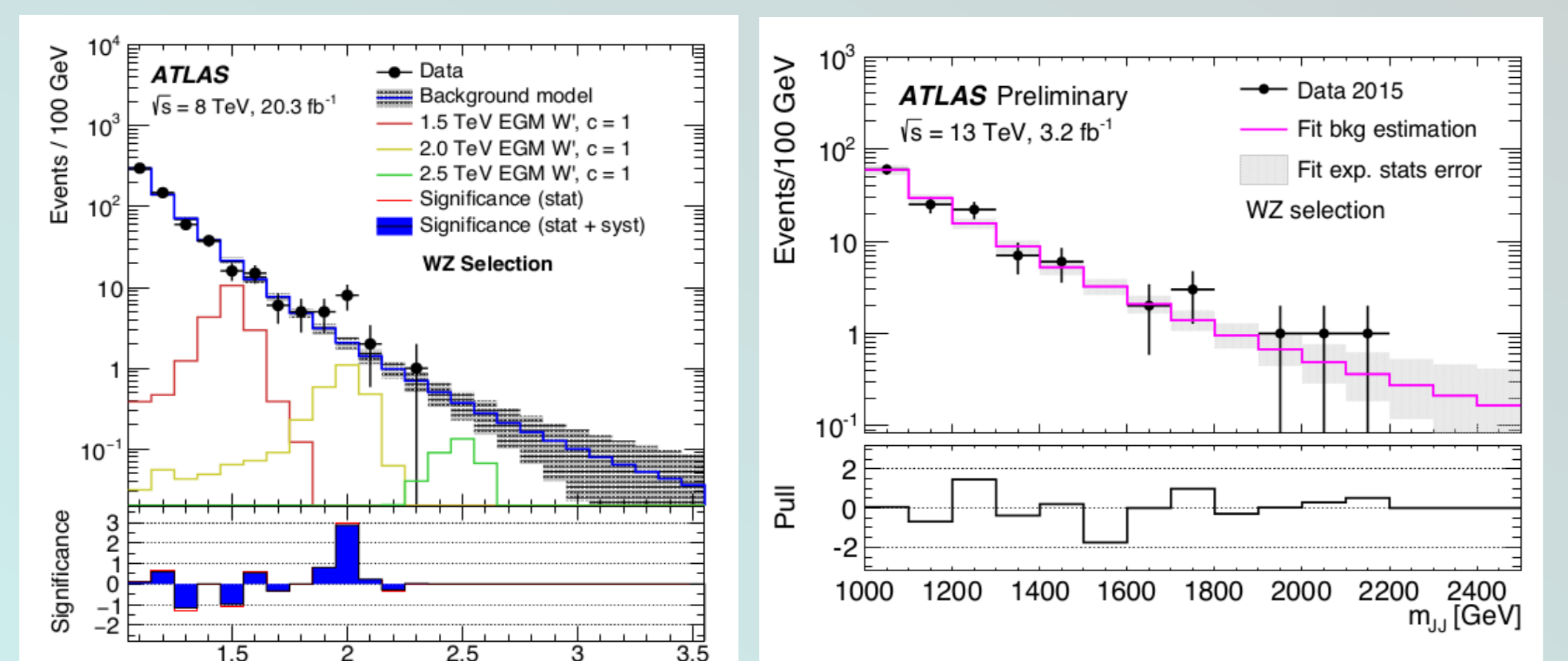
Additional terms in the Lagrangian coupling the photon



Access to  $J^P = 0^+, 2^+$  resonances

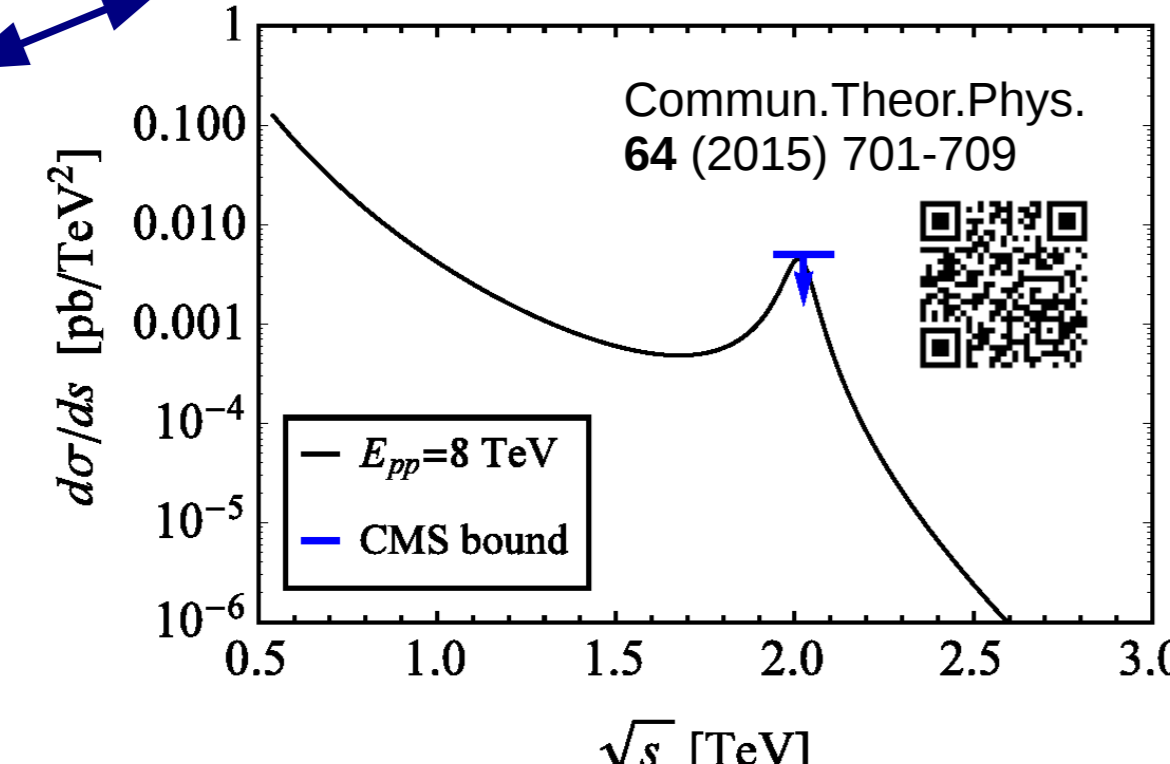
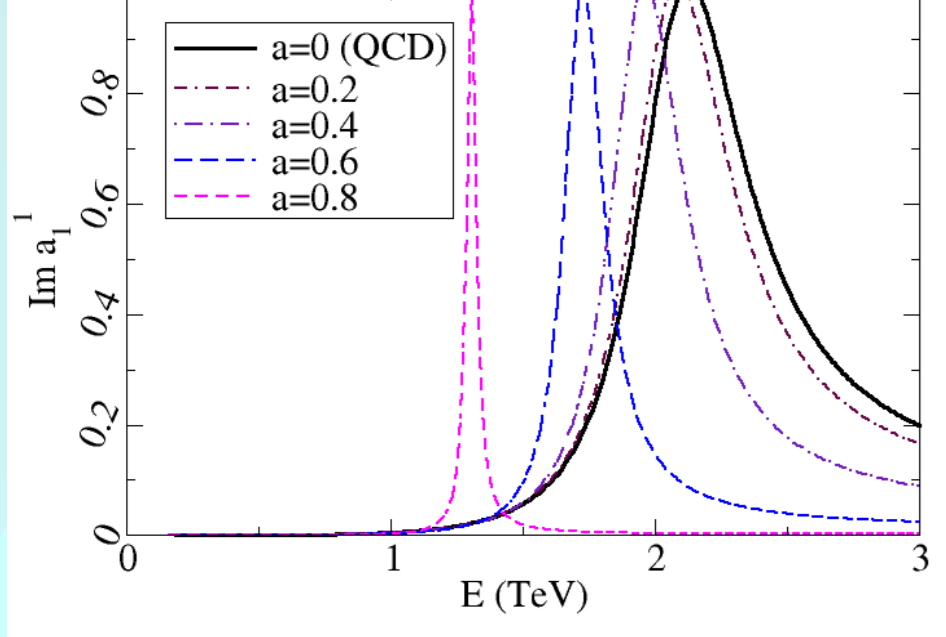
Typical experimental problem: large, uncontrolled backgrounds rely on Monte Carlo simulations? Trust sideband fits? Try less noisy channels (low statistics is also low noise)

## 4.c) Search for vector resonances



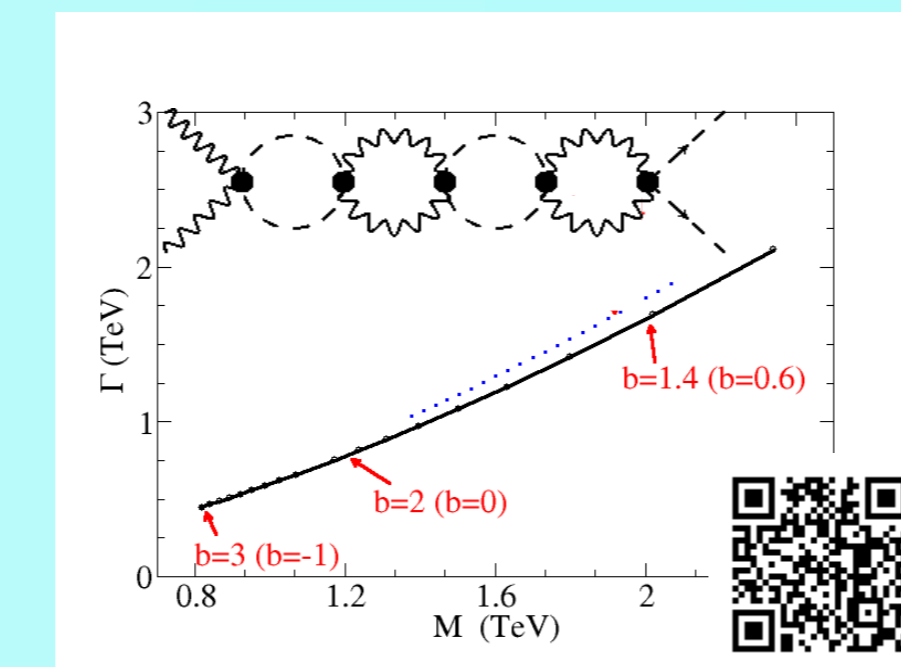
Experiment: ATLAS diboson

## Theory: IAM with J=1



## 4) Examples from recent LHC data

### 4.a) Absence of $W_L W_L$ resonance to constrain b (hh- $W_L W_L$ coupling)



from our PRL 114 (2015) 221803  
 $-1 < b < 3$   
(because no  $W_L W_L$  resonance seen at low energy, it cannot be too strongly coupled to hh)

### 3) Use resonance searches

Perturbative amplitudes grow polynomially in s (and violate unitarity)

$$A_{IJ}(s) = A_{IJ}^{(0)}(s) + A_{IJ}^{(1)}(s) + \dots$$

$$A_{IJ}^{(0)}(s) = Ks,$$

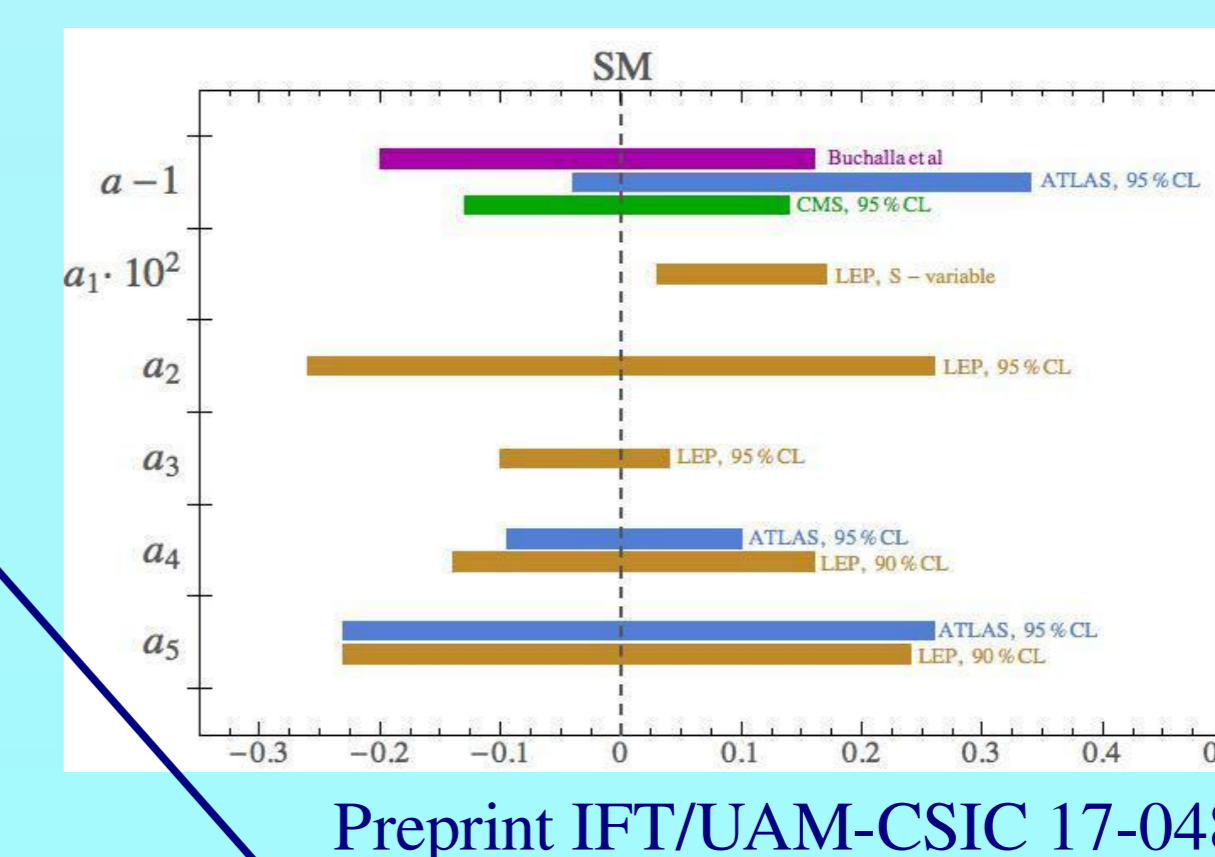
$$A_{IJ}^{(1)}(s) = \left( B(\mu) + D \log \frac{s}{\mu^2} + E \log \frac{-s}{\mu^2} \right) s^2$$

Unitarized pert. Theory "Inverse Amplitude Method" produces resonances with M and  $\Gamma$  related to the Lagrangian parameters.

$$A(s) \approx A^{IAM}(s) = \frac{[A^{(0)}(s)]^2}{A^{(0)}(s) - A^{(1)}(s)}$$

Method: compare experimental resonance searches to IAM and use it to constrain parameters of HEFT

## Existing constraints on the HEFT parameters



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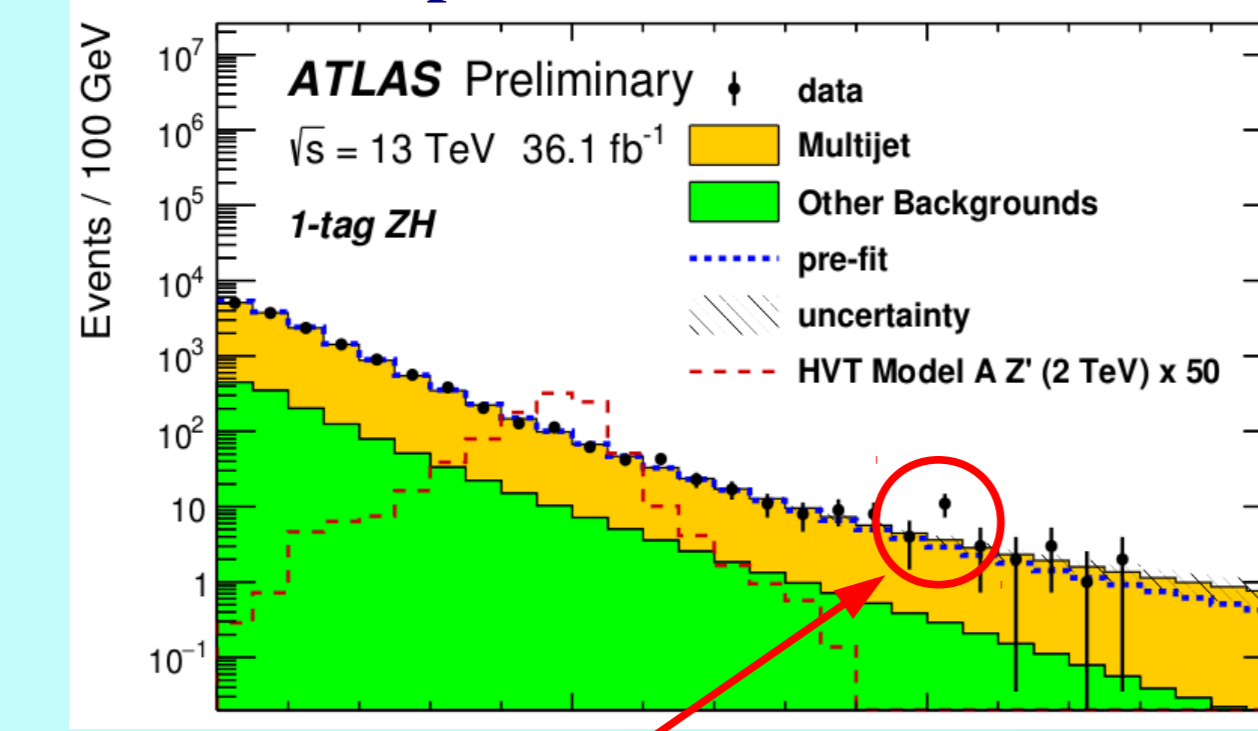
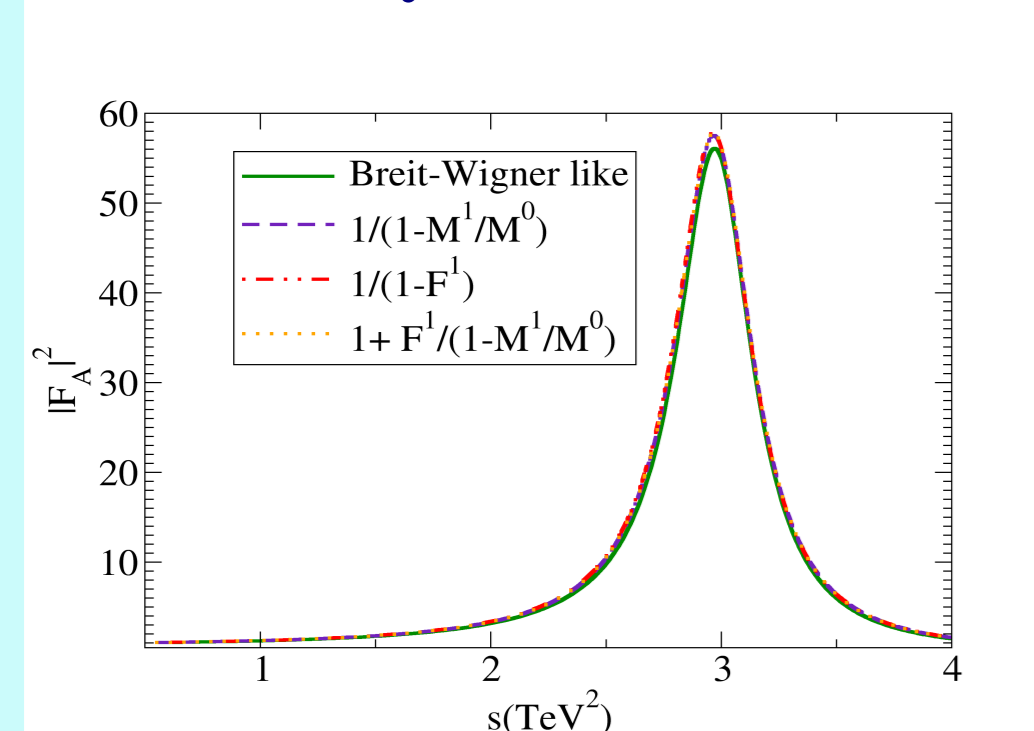
\*) Oblique S, T parameter constraints from LEP.

\*) Obtained by spectral representation of S,T in terms of spectral functions

How to make further progress at the LHC and at future e-e+ colliders?

## 4.b) Searches for axial resonances: 3 TeV wh at ATLAS

## Theory: IAM with J=1



Is that anything but a fluctuation?