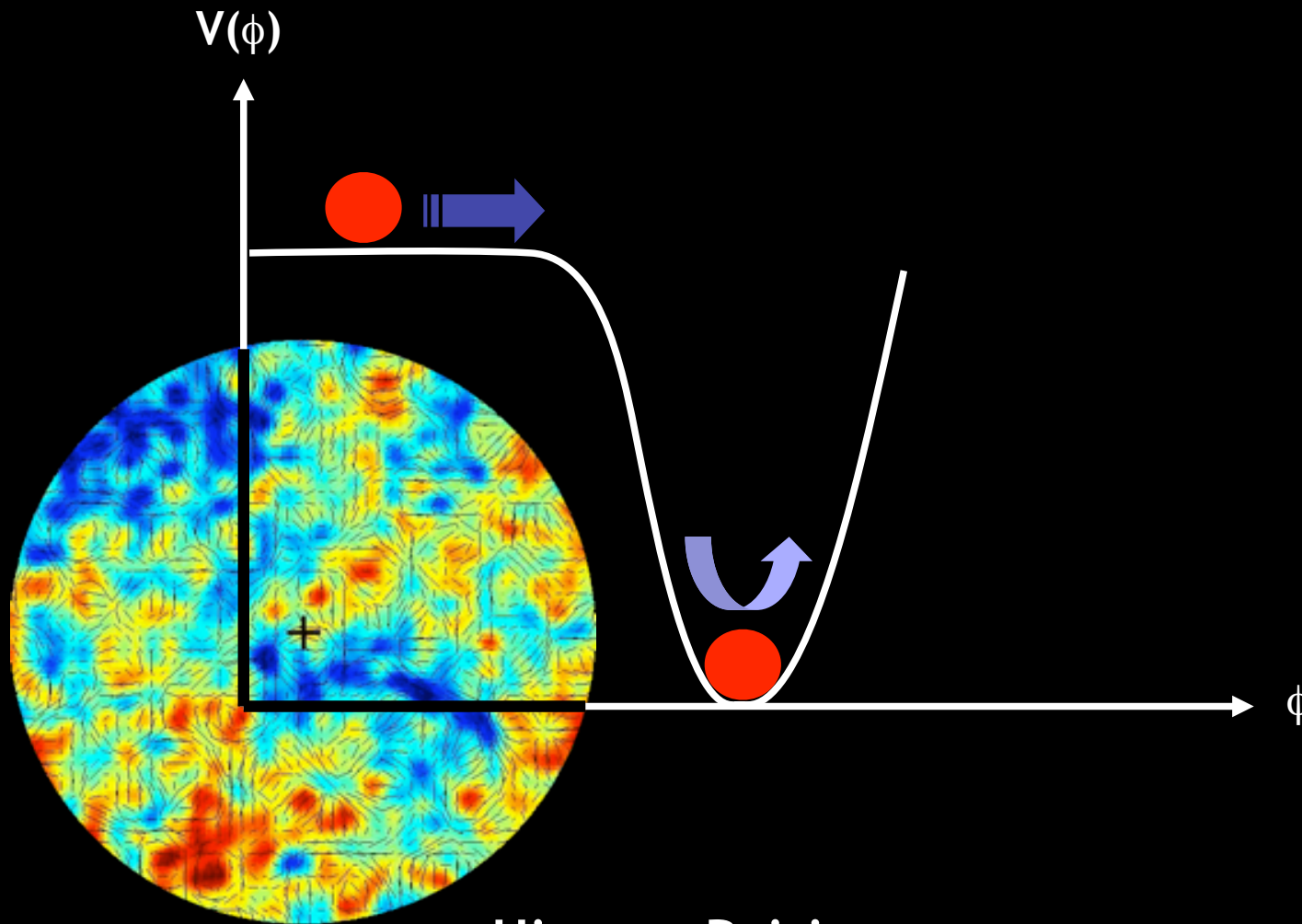


Prospects for CMB observations



Hiranya Peiris

STFC Halliday Fellow

University of Cambridge

Cosmic History / Cosmic Mystery

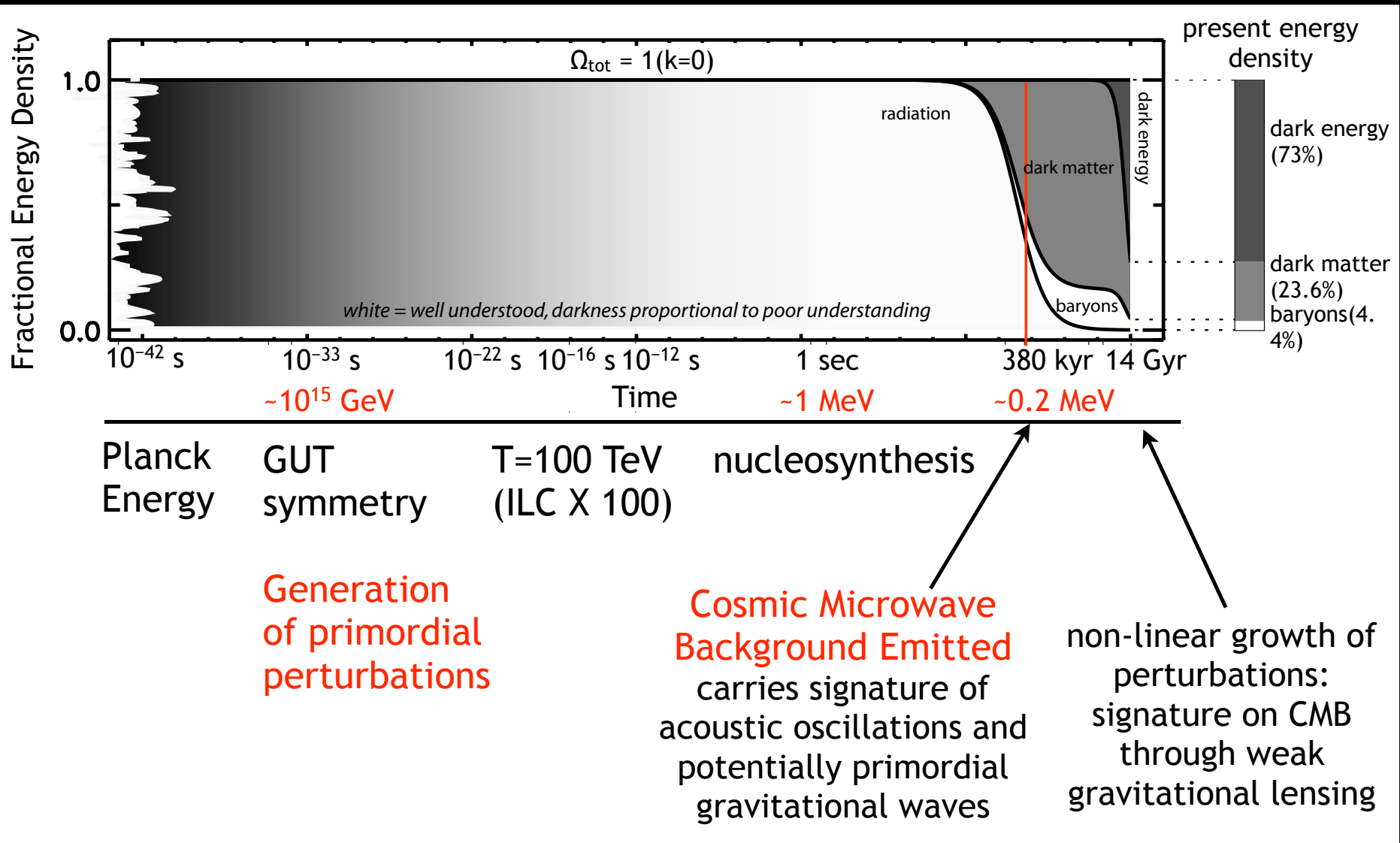


Figure: J. McMahon, adapted by HVP

Λ CDM: The “Standard Model” of Cosmology

Homogeneous background

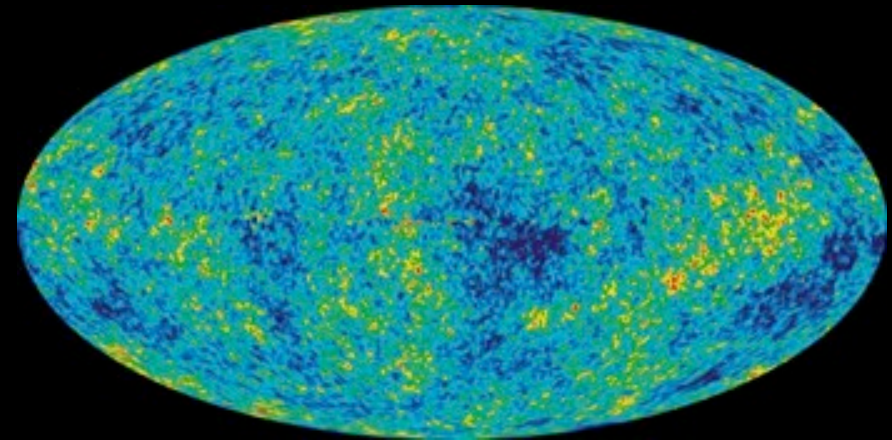


$\Omega_b, \Omega_c, \Omega_\Lambda, H_0, \tau$

- atoms 4%
- cold dark matter 23%
- dark energy 73%

$\Lambda?$ CDM?

Perturbations



A_s, n_s, r

- nearly scale-invariant
- adiabatic
- Gaussian

ORIGIN??

History of CMB temperature measurements

1965



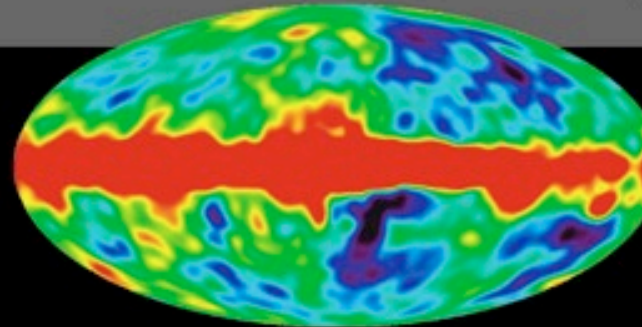
Penzias and
Wilson



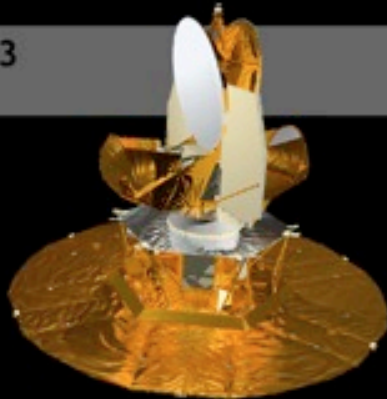
1992



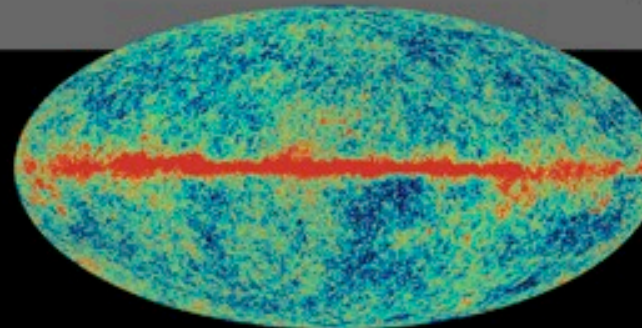
COBE



2003

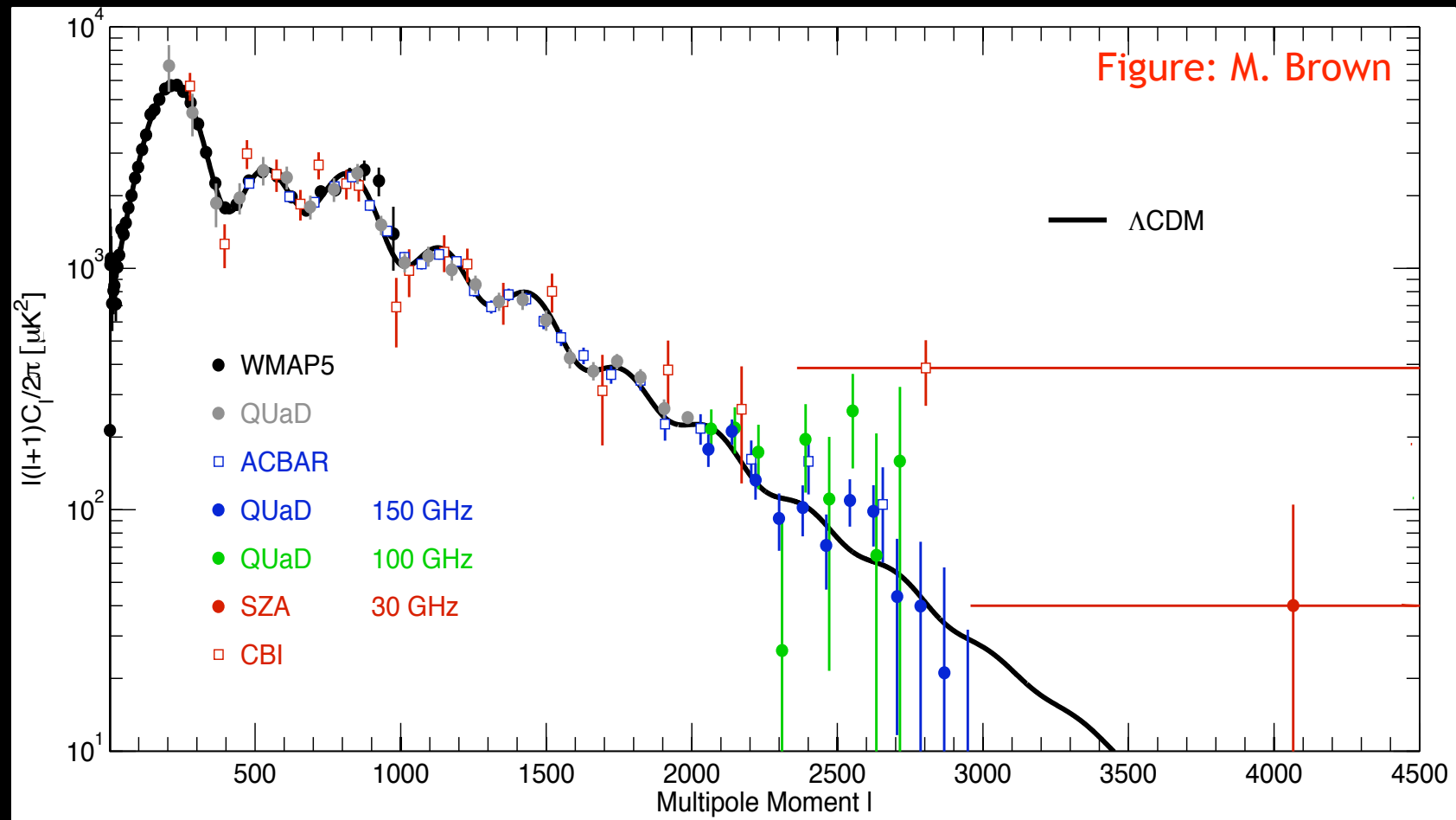


WMAP



TOCO (1998) BOOMERANG (1998, 2003) MAXIMA (2000)
ARCHEOPS (2002) CBI (2002) ACBAR (2002) VSA (2002)

State of the art: temperature



- ▶ Sachs-Wolfe plateau and the late time Integrated Sachs-Wolfe effect
- ▶ Acoustic peaks at “adiabatic” locations
- ▶ Damping tail and photon diffusion
- ▶ Weak gravitational lensing (detected in cross-correlation, Smith et al. 2007)

Scalar & tensor power spectra

- For scalar perturbations (left), $\delta\gamma$ oscillates $\pi/2$ out of phase with $v_\gamma \Rightarrow C_l^E$ peaks at minima of C_l^T

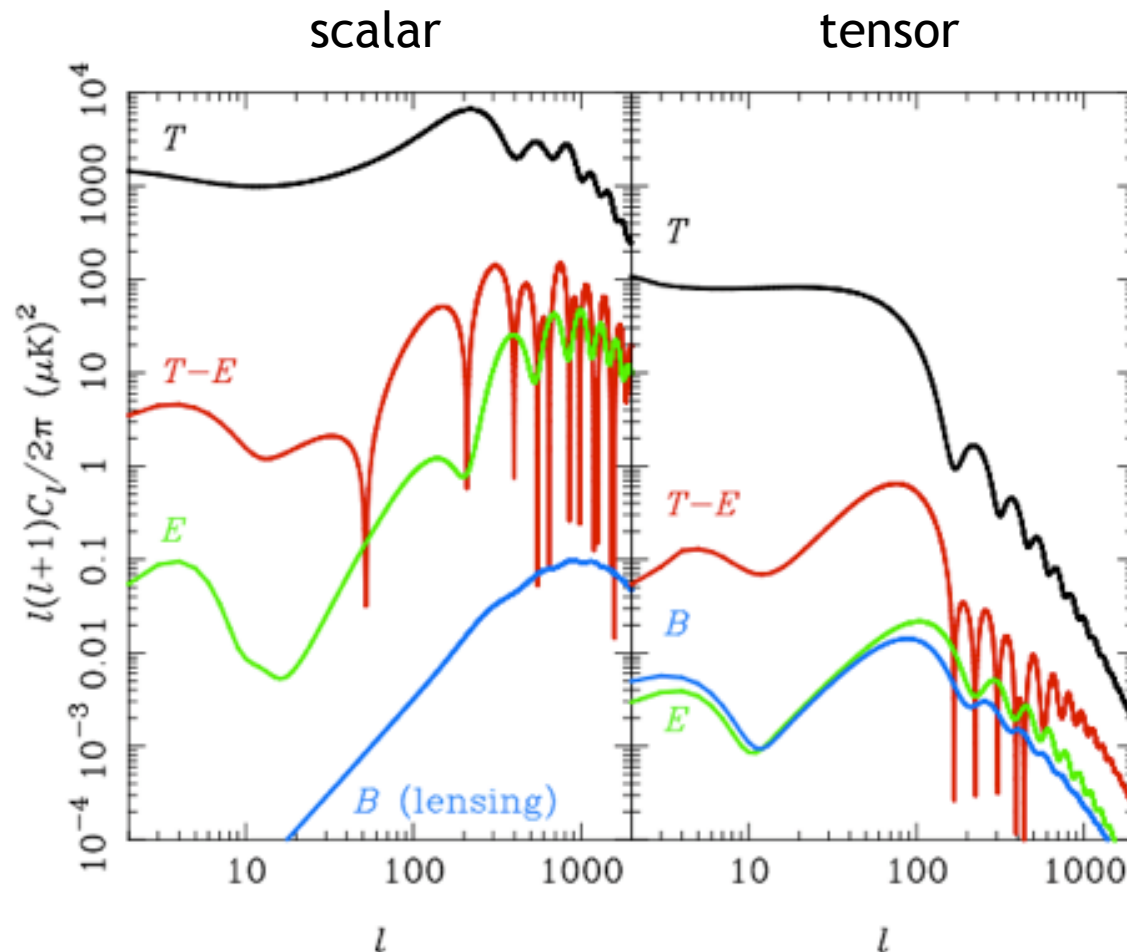
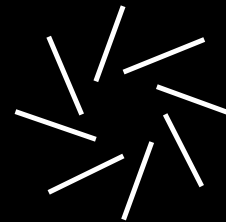
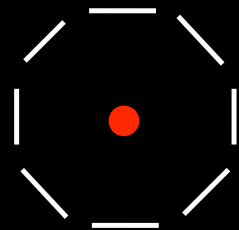
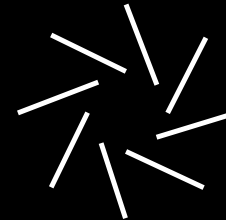
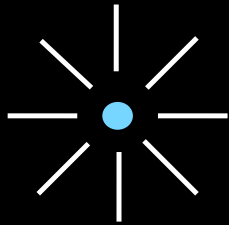


Figure: A. Challinor

Types of CMB polarization

CMB polarization can be decomposed into two orthogonal modes. E-mode is the curl-free mode (“Electric”). B-mode is the divergence-free mode (“Magnetic”).



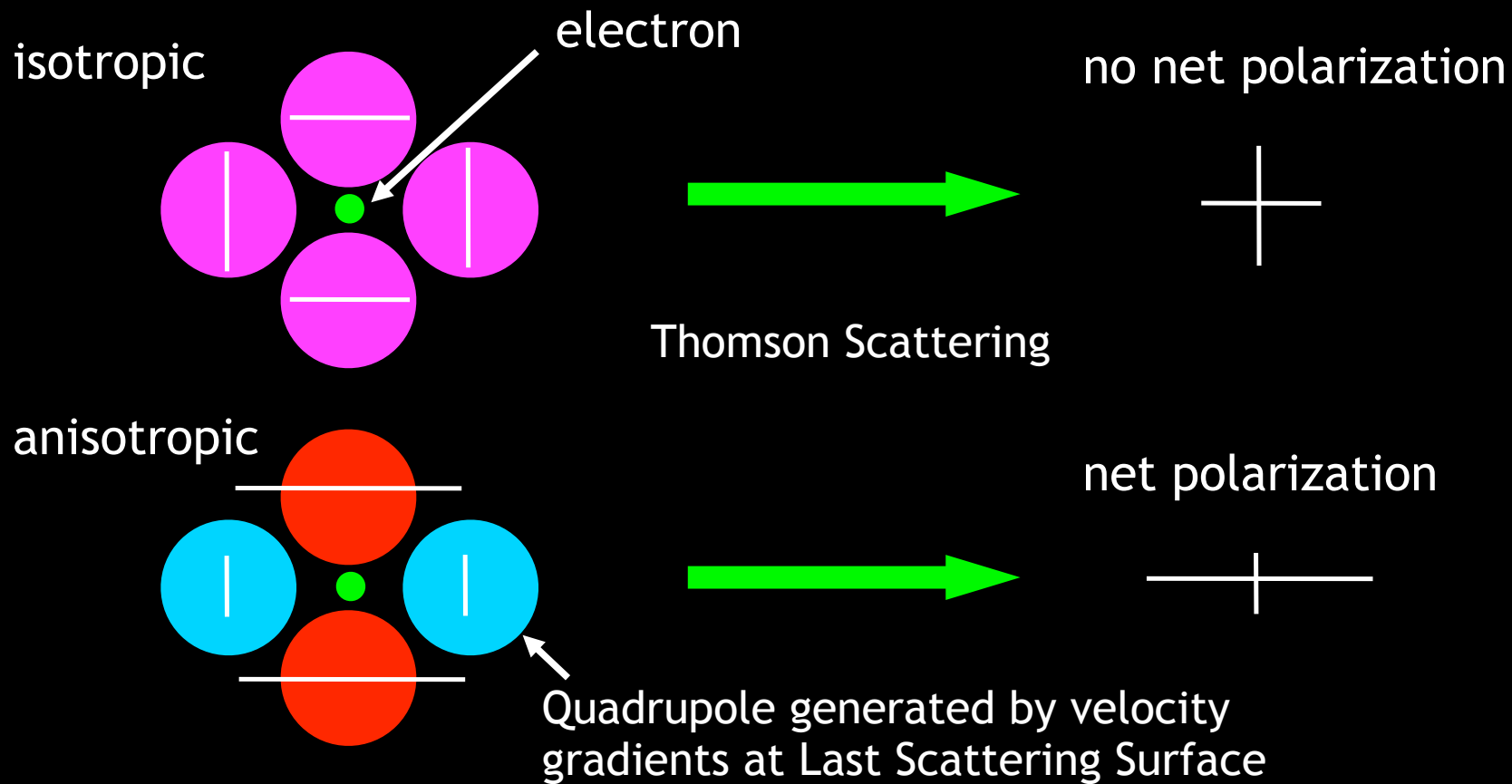
E-mode

B-mode

B mode discriminates between **scalar** and **tensor** perturbations

Generation of CMB polarization

- Temperature quadrupole at the surface of last scatter generates polarization.



Temperature-Polarization Correlation

Temperature quadrupole at $z \sim 1089$ generates polarization

Radial pattern around cold spots
Tangential pattern around hot spots

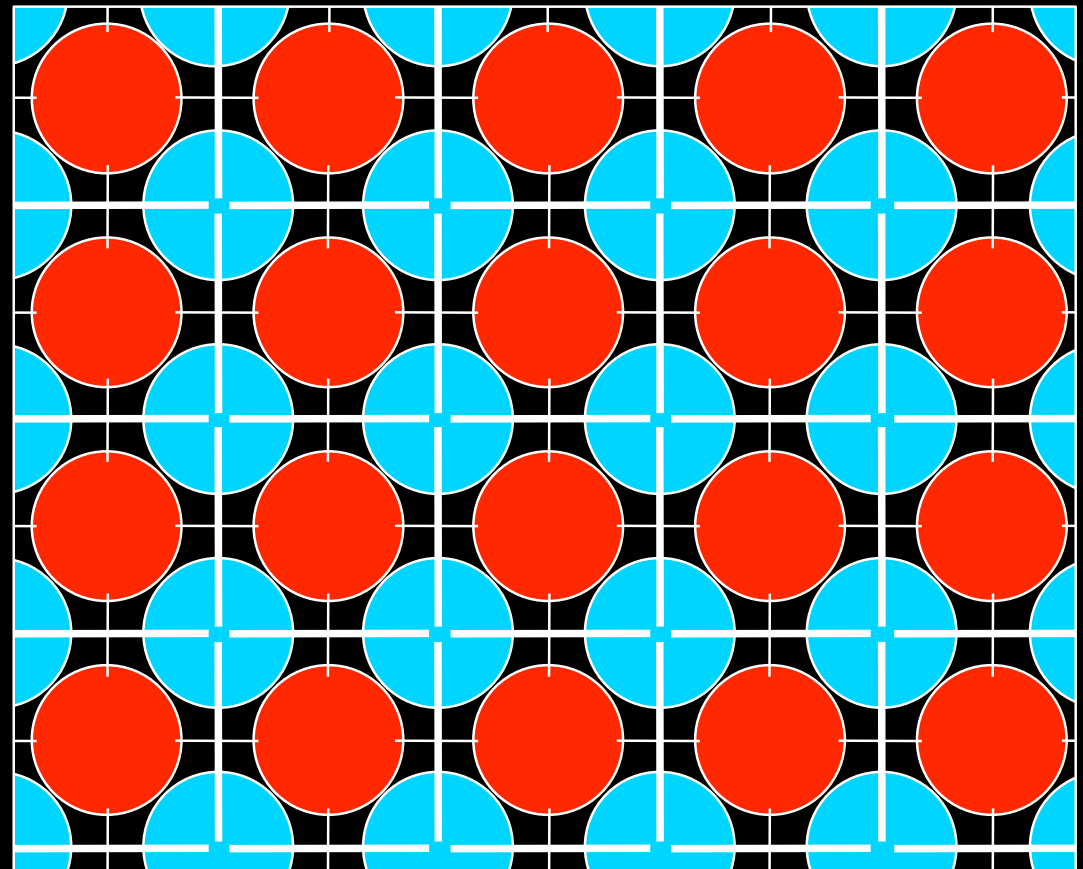
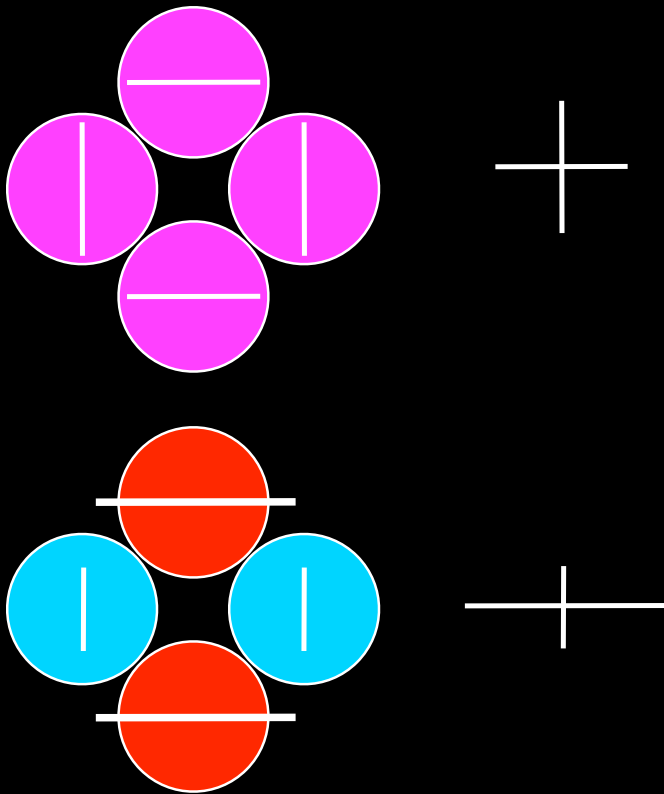


Figure: E. Komatsu

Correlated polarization in real space

- On largest scales, infall into potential wells at last scattering generates e.g. tangential polarization around large-scale hot spots
- Sign of correlation scale-dependent inside horizon

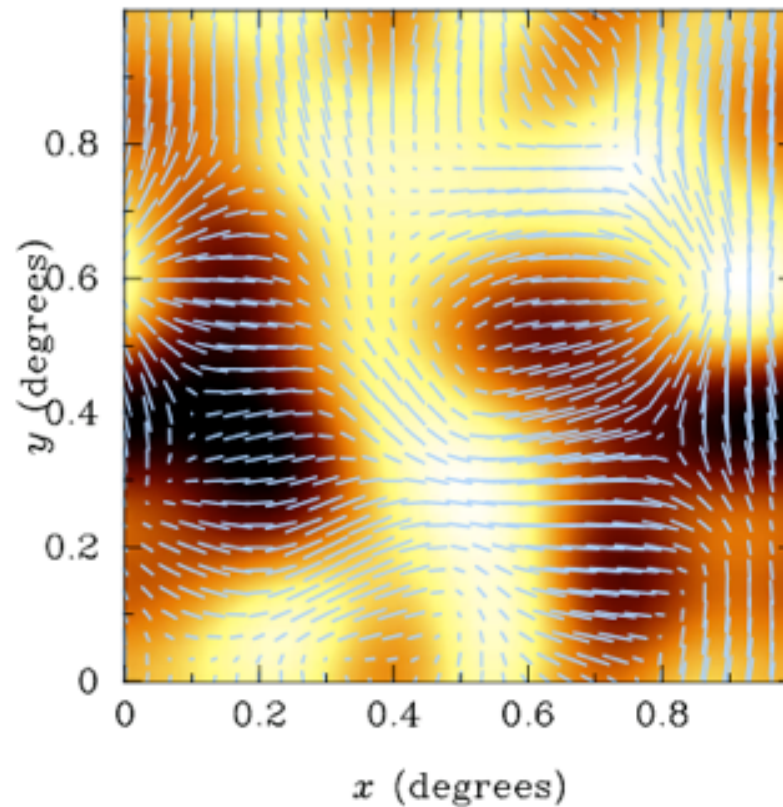


Figure: A. Challinor

Gravitational waves

- Tensor metric perturbations $ds^2 = a^2[d\eta^2 - (\delta_{ij} + h_{ij})dx^i dx^j]$ with $\delta^{ij}h_{ij} = 0$
 - Shear $\propto \dot{h}_{ij}$ gives anisotropic redshifting \Rightarrow

$$\Theta(\hat{n}) \approx -\frac{1}{2} \int d\eta \dot{h}_{ij} \hat{n}^i \hat{n}^j$$

- Only contributes on large scales since h_{ij} decays like a^{-1} after entering horizon

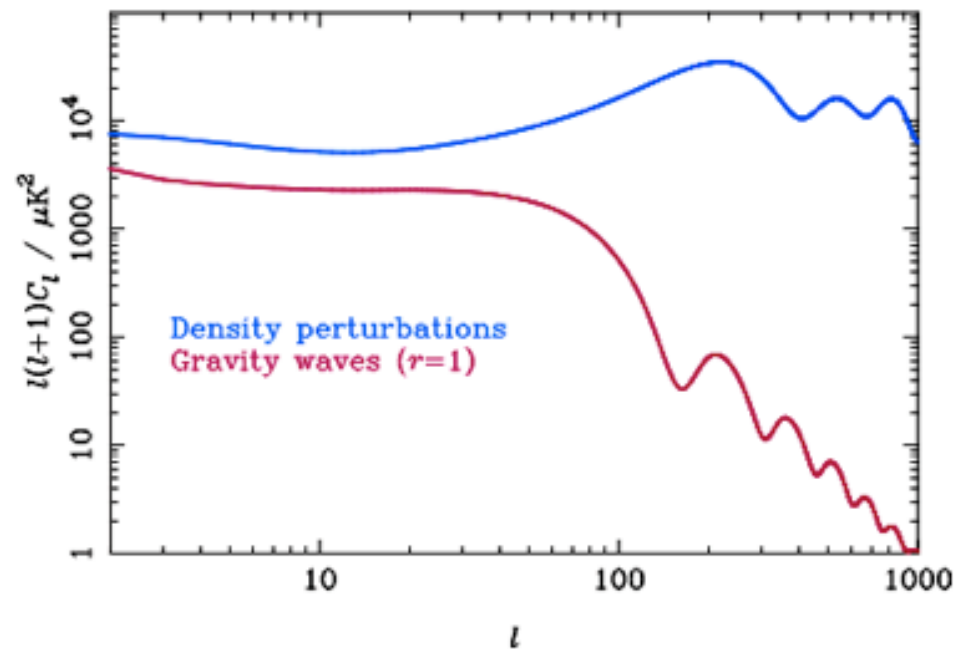
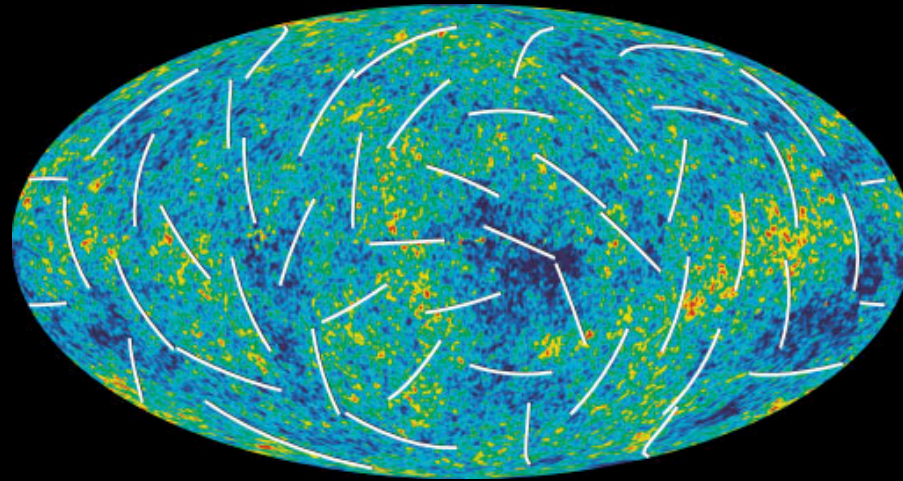


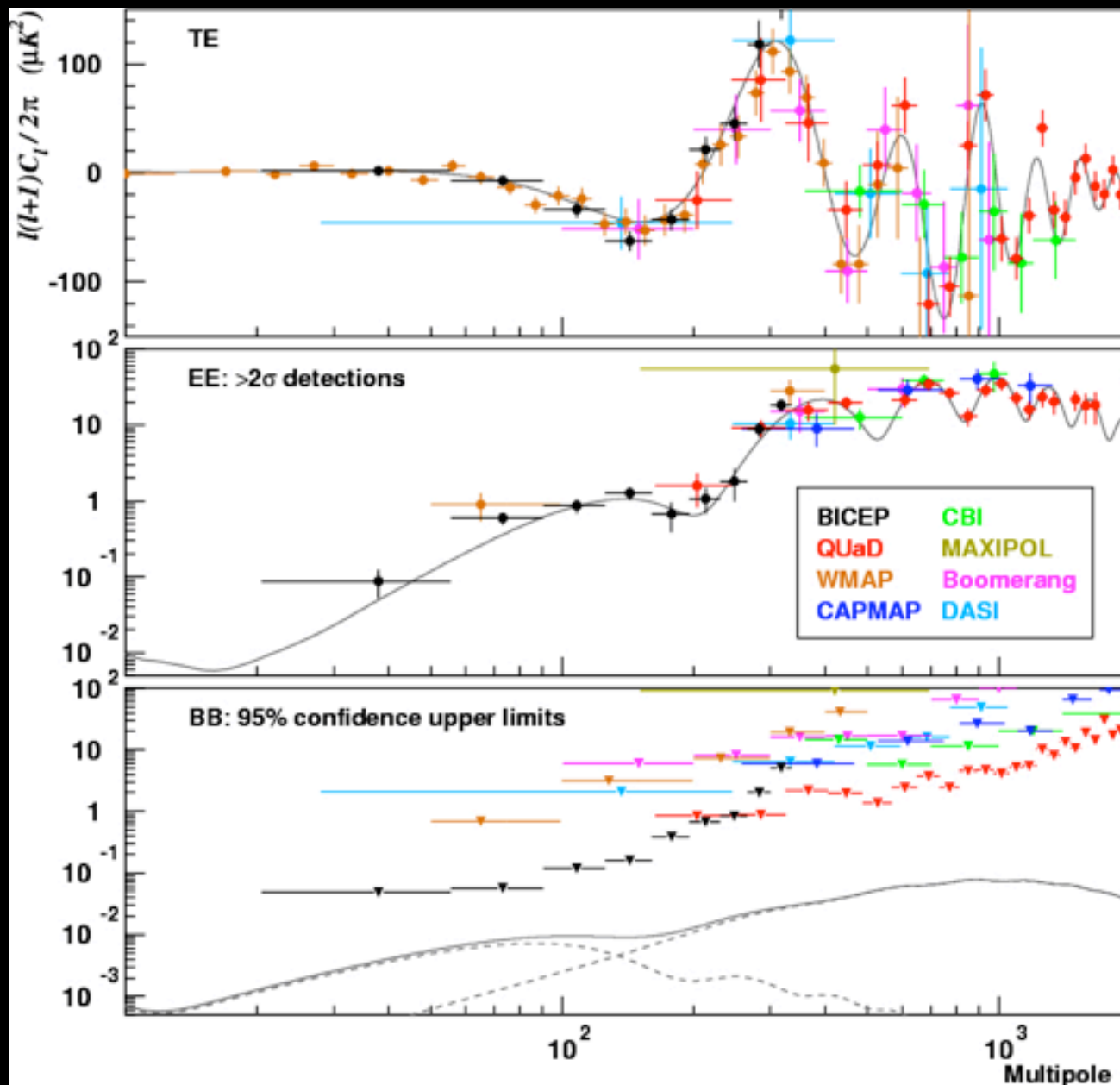
Figure: A. Challinor

History of CMB polarization measurements



First detected by DASI in 2002

State of the art: polarization

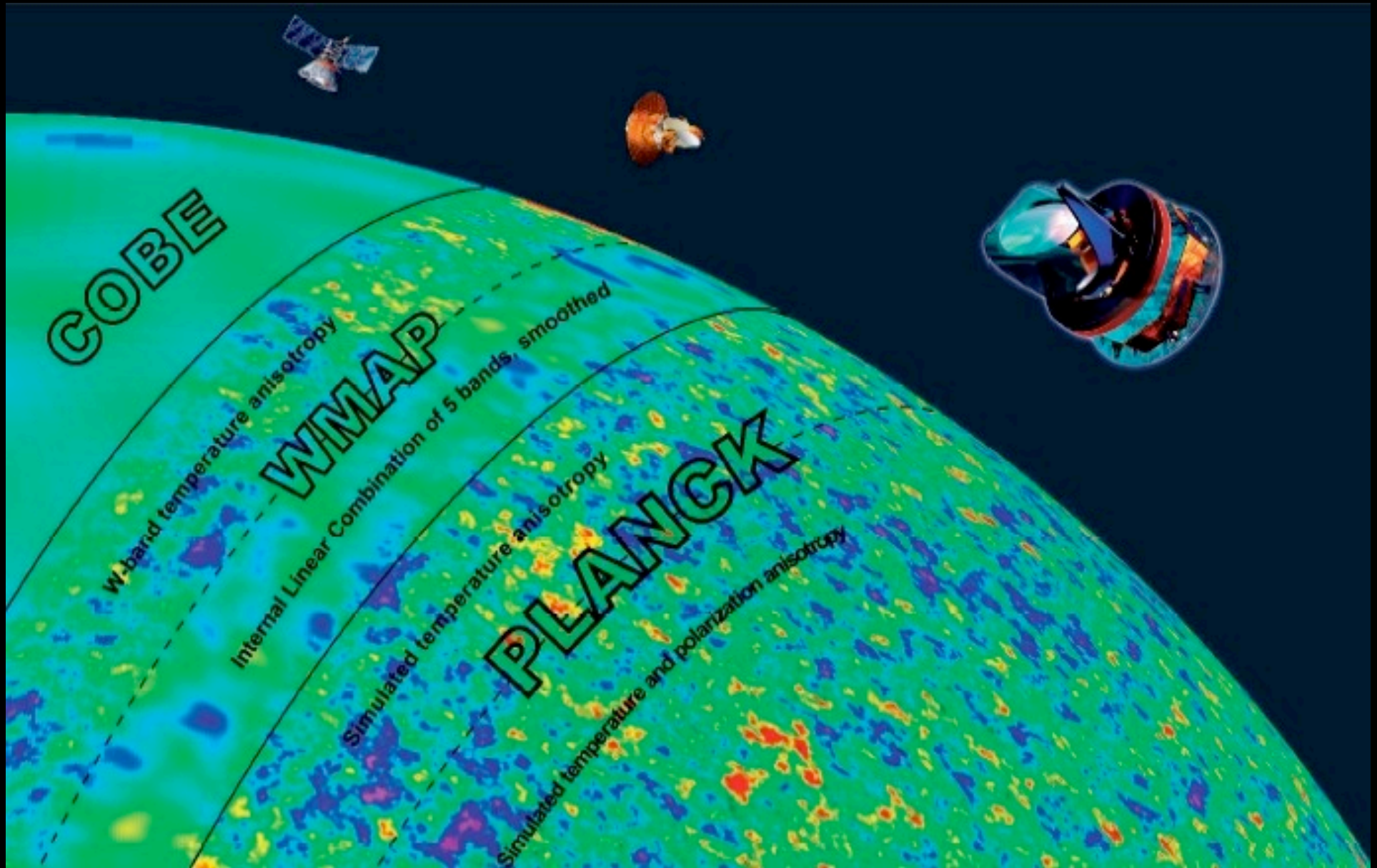


- ▶ Acoustic peaks at “adiabatic” locations
- ▶ E-mode polarization and cross-correlation with T
- ▶ Large angle polarization from reionization
- ▶ BICEP limit from BB-alone: $T/S < 0.73$ (95% CL)

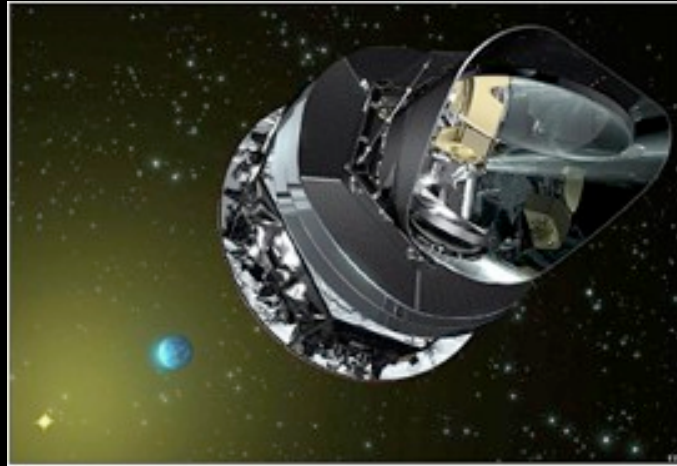
Figure: Chiang et al. (2009)

Planck:

THE NEXT GENERATION



Planck



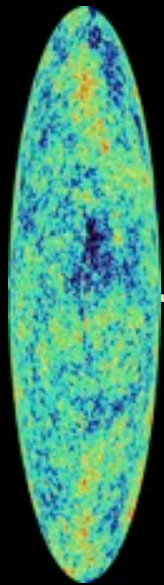
ESA

Extract **essentially all information** in primary CMB temperature anisotropy; big advance in polarization measurements.

What's next?

Next frontier: secondary anisotropies

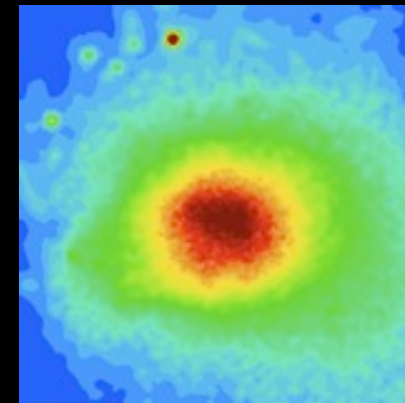
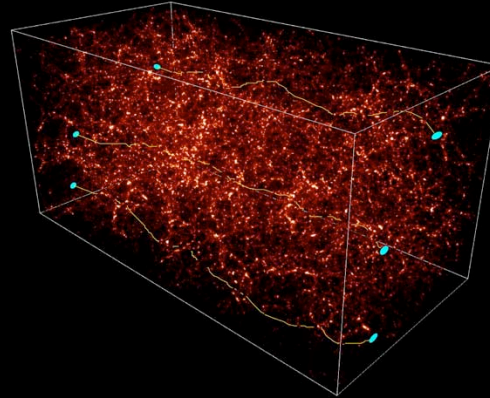
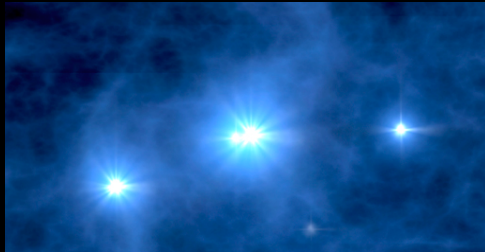
Use the CMB as a backlight to illuminate the growth of cosmological structure.



- First galaxies
- Universe is reionized
- Ostriker-Vishniac/kSZ

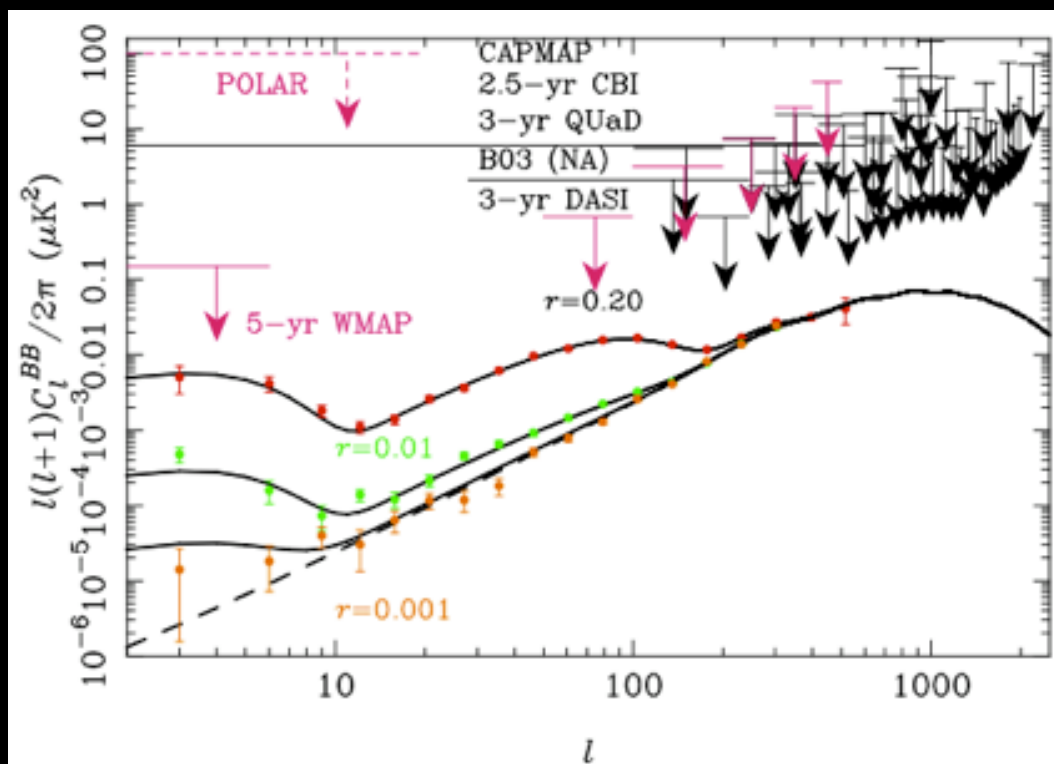
• weak lensing

- Sunyaev-Zel'dovich (SZ) clusters
- Diffuse thermal SZ
- Kinetic SZ
- Rees-Sciama/ISW



Watch this space because experiments like South Pole Telescope & Atacama Cosmology Telescope are well under way.

Next frontier: polarization



- ▶ B-mode polarization circumvents cosmic variance from dominant linear density perturbations; current upper limits (e.g. BICEP) same ballpark as from TT.
- ▶ Next generation (SPIDER, EBEX, QUIET etc) targeting $T/S > 0.01$.
- ▶ Requires exquisite control of systematics and removal of polarized Galactic foregrounds.

Inflation

- Solves the flatness/horizon problems if the early universe inflates by factor $\sim 10^{30}$.
- Cosmological perturbations arise from quantum fluctuations, evolve classically.

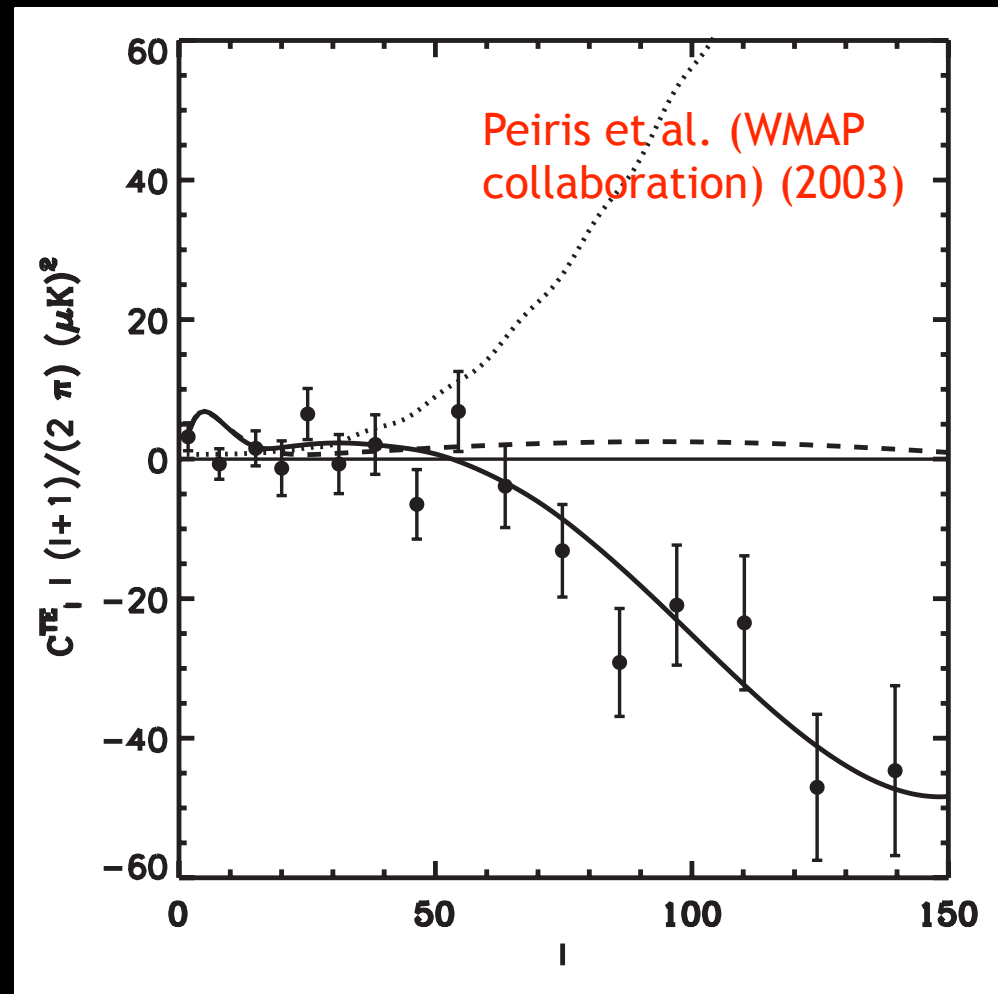
$$P_\phi(k) \simeq \hbar \left(\frac{H}{2\pi} \right)^2 \begin{cases} \rightarrow P_{\mathcal{R}} \simeq \frac{\hbar}{4\pi^2} \left(\frac{H^4}{\dot{\phi}^2} \right)_{k=aH} & \text{scalar} \\ \rightarrow P_h \simeq \frac{2\hbar}{\pi^2} \left(\frac{H}{m_{\text{Pl}}} \right)_{k=aH}^2 & \text{tensor} \end{cases}$$

- Don't know the dynamics of inflation: parameterize weakly scale-dependent functions with a few numbers to pin down observationally.

$$P_{\mathcal{R}}(k) \simeq A_s \left(\frac{k}{k_0} \right)^{n_s - 1} \quad P_h(k) \simeq A_t \left(\frac{k}{k_0} \right)^{n_t} \quad r = \frac{P_h(k_0)}{P_{\mathcal{R}}(k_0)}$$

Slow roll inflation consistent with WMAP+

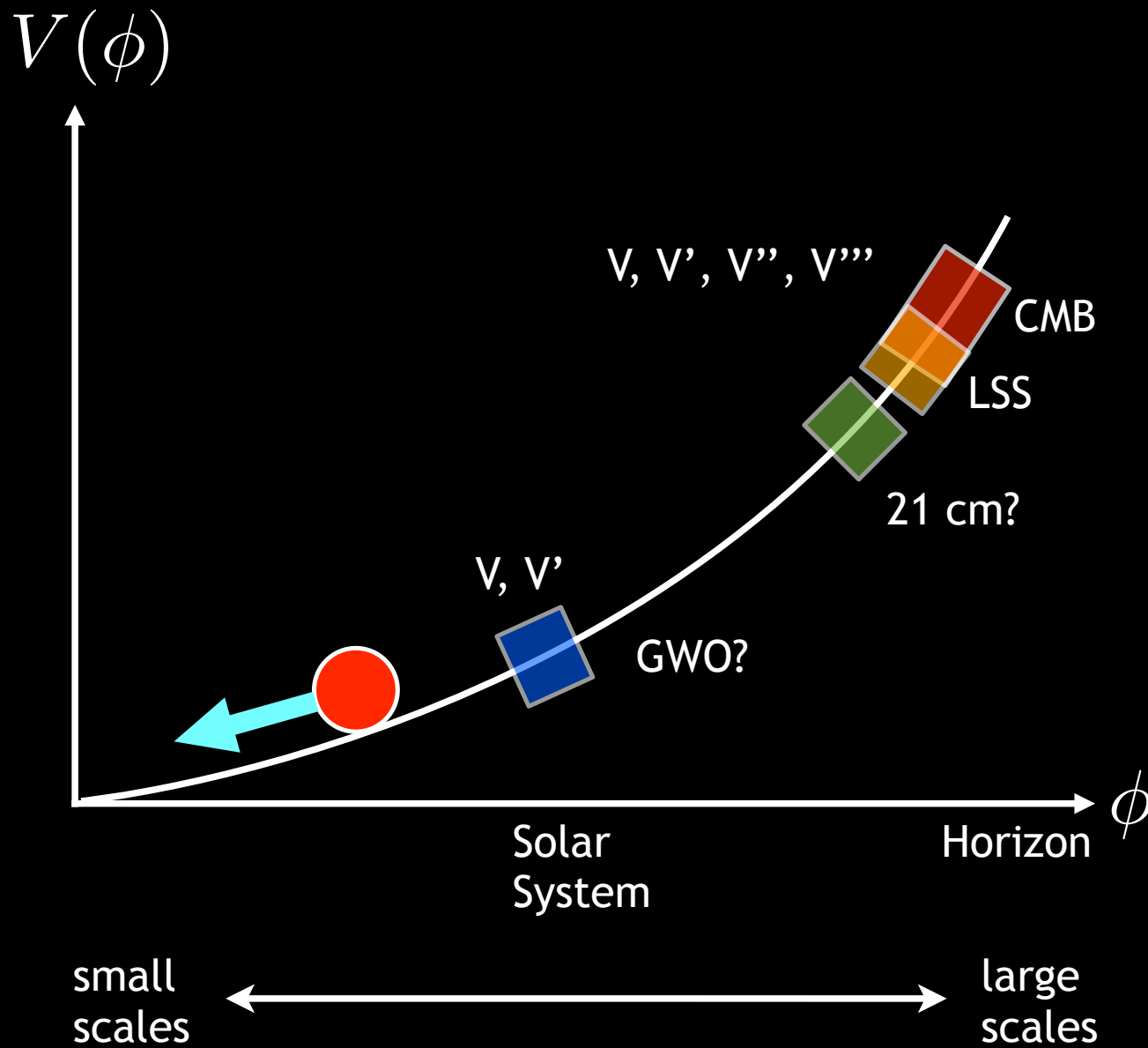
- ▶ Superhorizon, adiabatic fluctuations
 - T and E anticorrelated at superhorizon scales
- ▶ Flatness tested to 1%.
- ▶ Gaussianity tested to 0.1%.
- ▶ nearly scale-invariant fluctuations
 - red tilt indicated at $\sim 2.5 \sigma$



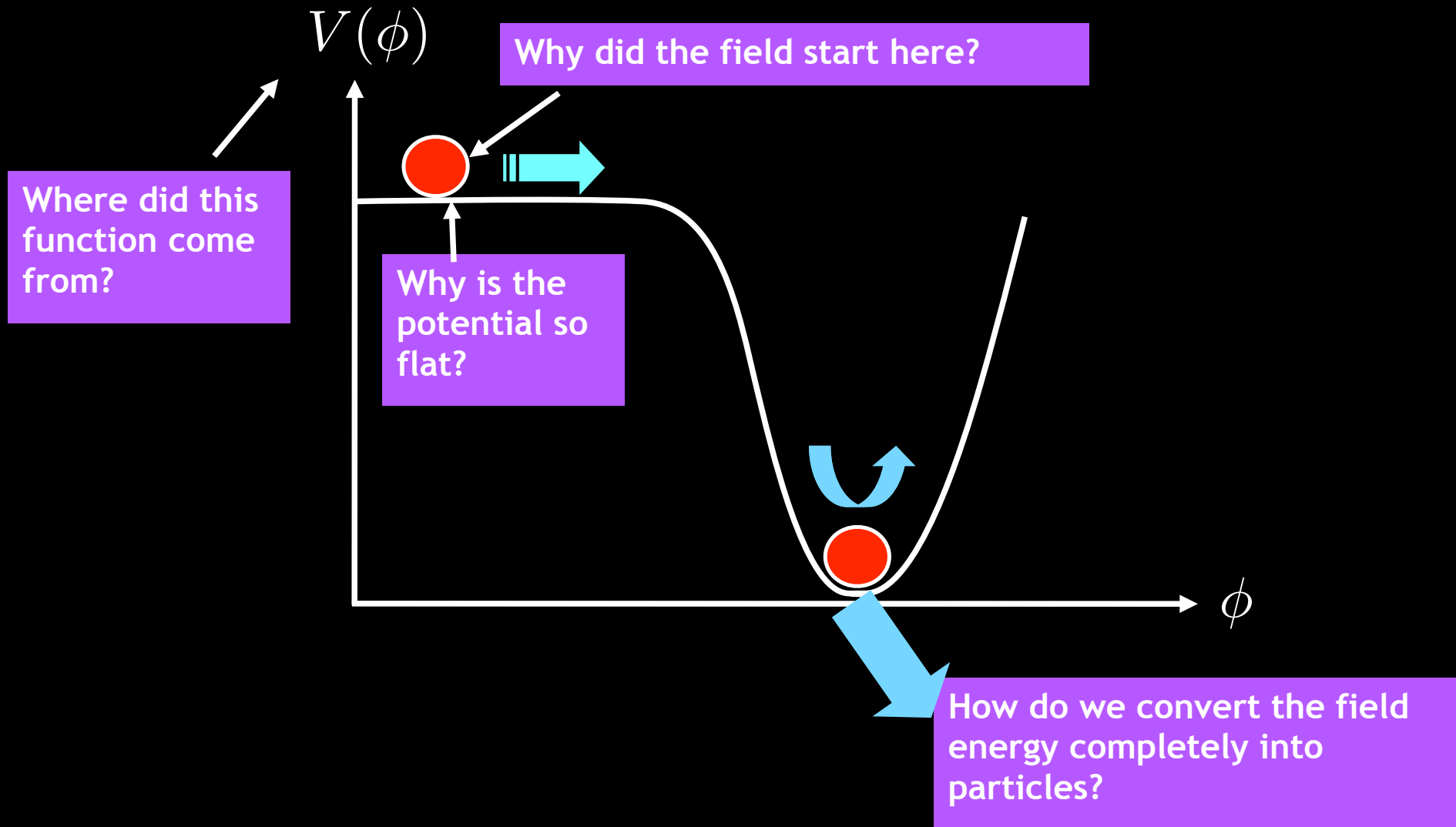
- ▶ Still testing basic aspects of inflationary mechanism rather than specific implementation.

Spergel, Verde, Peiris et al. (2003), Komatsu et al. (2003), Peiris et al. (2003), Spergel et al (WMAP Collaboration) (2006), Dunkley et al & Komatsu et al (WMAP Collaboration) (2008)

Fingerprints of the early universe



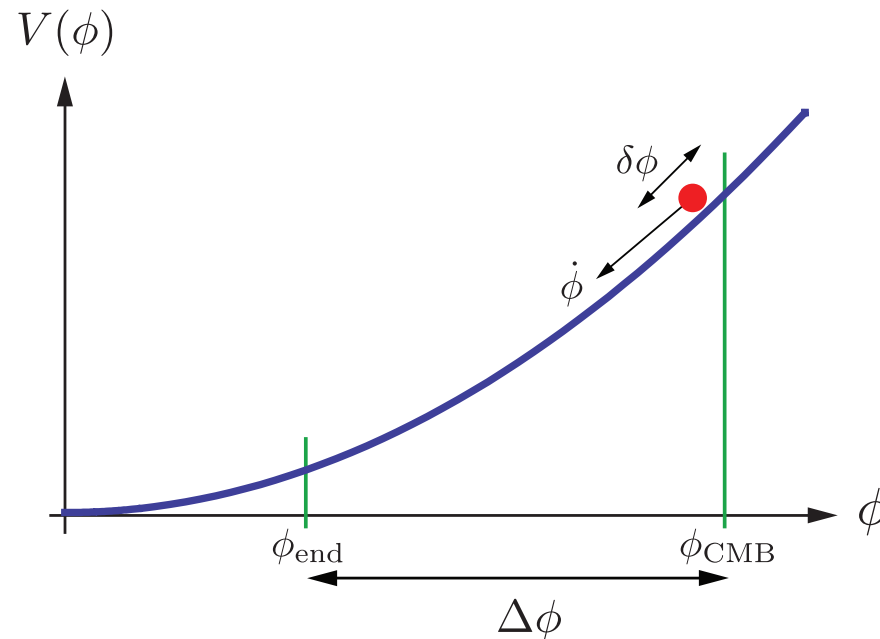
What is the physics of inflation?



Primordial gravitational waves: a smoking gun

- ▶ Temperature only sensitive to **scalars**. Polarization can differentiate between **scalars** (density) and **tensors** (gravitational waves).
- ▶ Current limit $r_{\text{CMB}} < 0.2$. “Realistically” observable: $r_{\text{CMB}} \geq 0.01$
- ▶ Measurement gives two critical pieces of info:
 - energy scale of inflation: $V^{1/4} \sim \left(\frac{r_{\text{CMB}}}{0.01}\right)^{1/4} 10^{16} \text{ GeV}$
 - super-Planckian field variation: $\frac{\Delta\phi}{M_{\text{Pl}}} > \mathcal{O}(1) \left(\frac{r_{\text{CMB}}}{0.01}\right)^{1/2}$

Large field inflation



- ▶ Important class of models where inflaton is driven by e.g. a monomial potential:

$$V(\phi) \sim \phi^p$$

- ▶ Field evolves over a super-Planckian distance during inflation: $\Delta\phi > M_{\text{Pl}}$
- ▶ Large amplitude of gravitational waves produced by QM fluctuations.

Lyth Bound

In a de Sitter spacetime,

$$\text{tensors: } P_h \propto \frac{H^2}{M_{\text{Pl}}^2} \quad \text{scalars: } P_s \propto H^2 \left(\frac{H}{\dot{\phi}} \right)^2$$

$$\text{tensor to scalar ratio: } r \equiv \frac{P_h}{P_s} = 8 \left(\frac{1}{M_{\text{Pl}}} \frac{d\phi}{dN_e} \right)^2$$

$$\text{where } dN_e \equiv d \ln a = H dt = \left(\frac{H}{\dot{\phi}} \right) d\phi$$

$$\text{field variation relates to tensor signal: } \frac{\Delta\phi}{M_{\text{Pl}}} = \int_{\phi_{\text{end}}}^{\phi_{\text{CMB}}} dN_e \sqrt{\frac{1}{8} r(N_e)}$$

Useful if this can be computed from a microscopic theory!

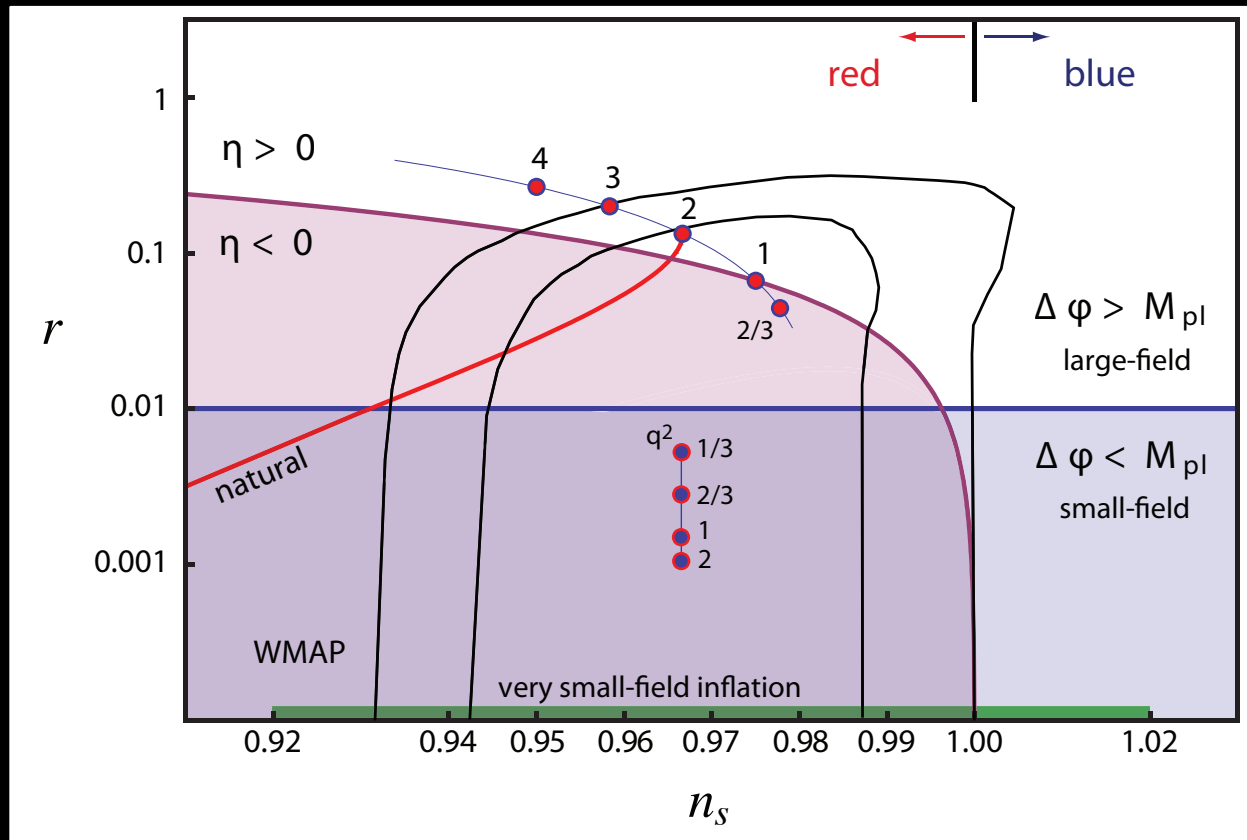
Useful if this can be constrained via observations!

Primordial gravitational waves: the challenges

*Gravity's waves are
Traceless; which does not mean they
Can never be found.*

Haiku by Peter Coles

Challenge I: what is the amplitude?



- ▶ r determines whether model is large or small field.
- ▶ n_s determines whether spectrum is red or blue.
- ▶ a combination of n_s and r determines the curvature of the potential η .

Figure: D. Baumann / CMBPol Mission Study (amended by HVP)

Tensors: B-mode contribution is small!

- R.m.s. *B*-mode signal from gravity waves < 200 nK

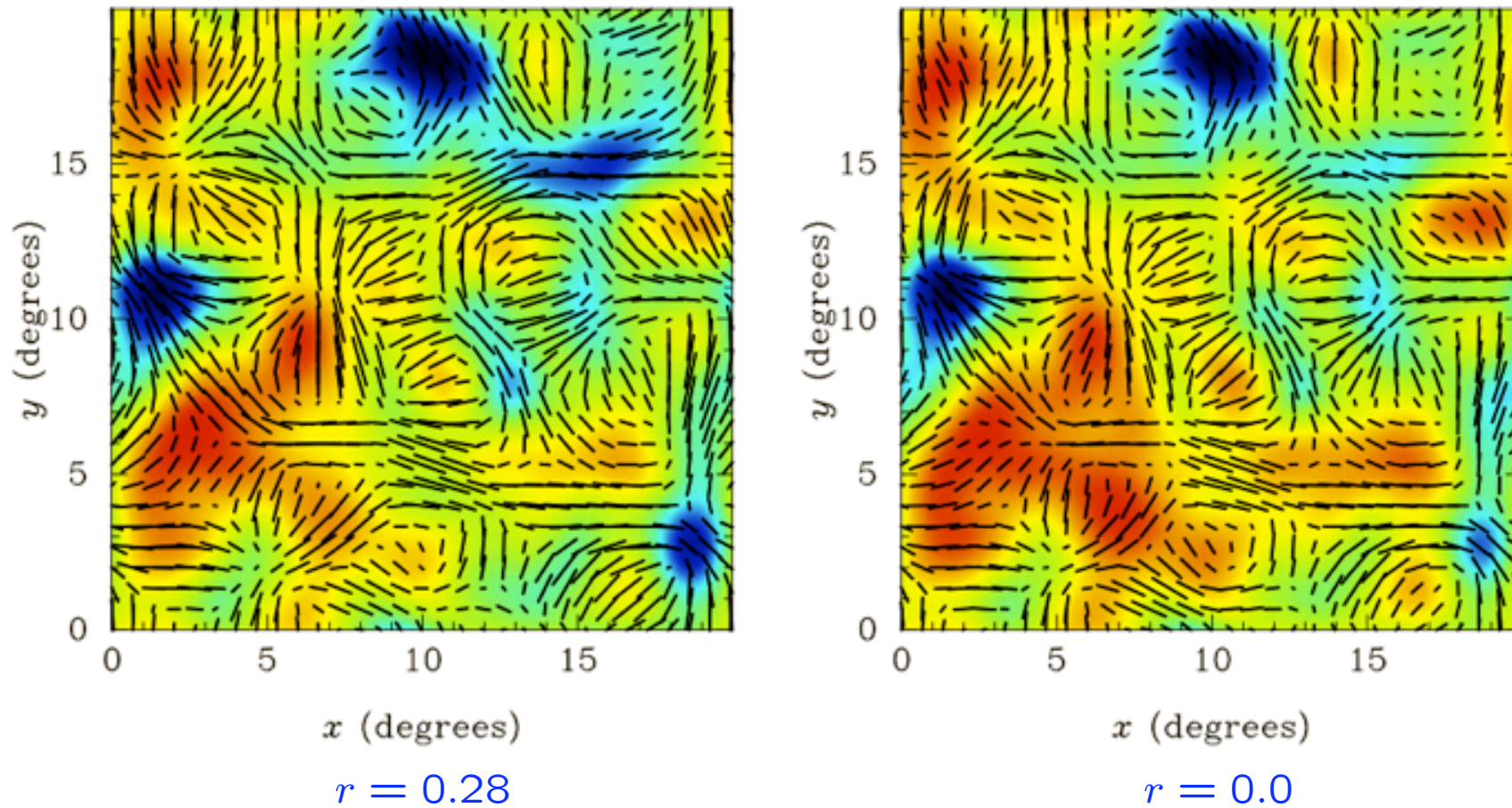


Figure: A. Challinor

Relative Amplitudes of CMB power spectra

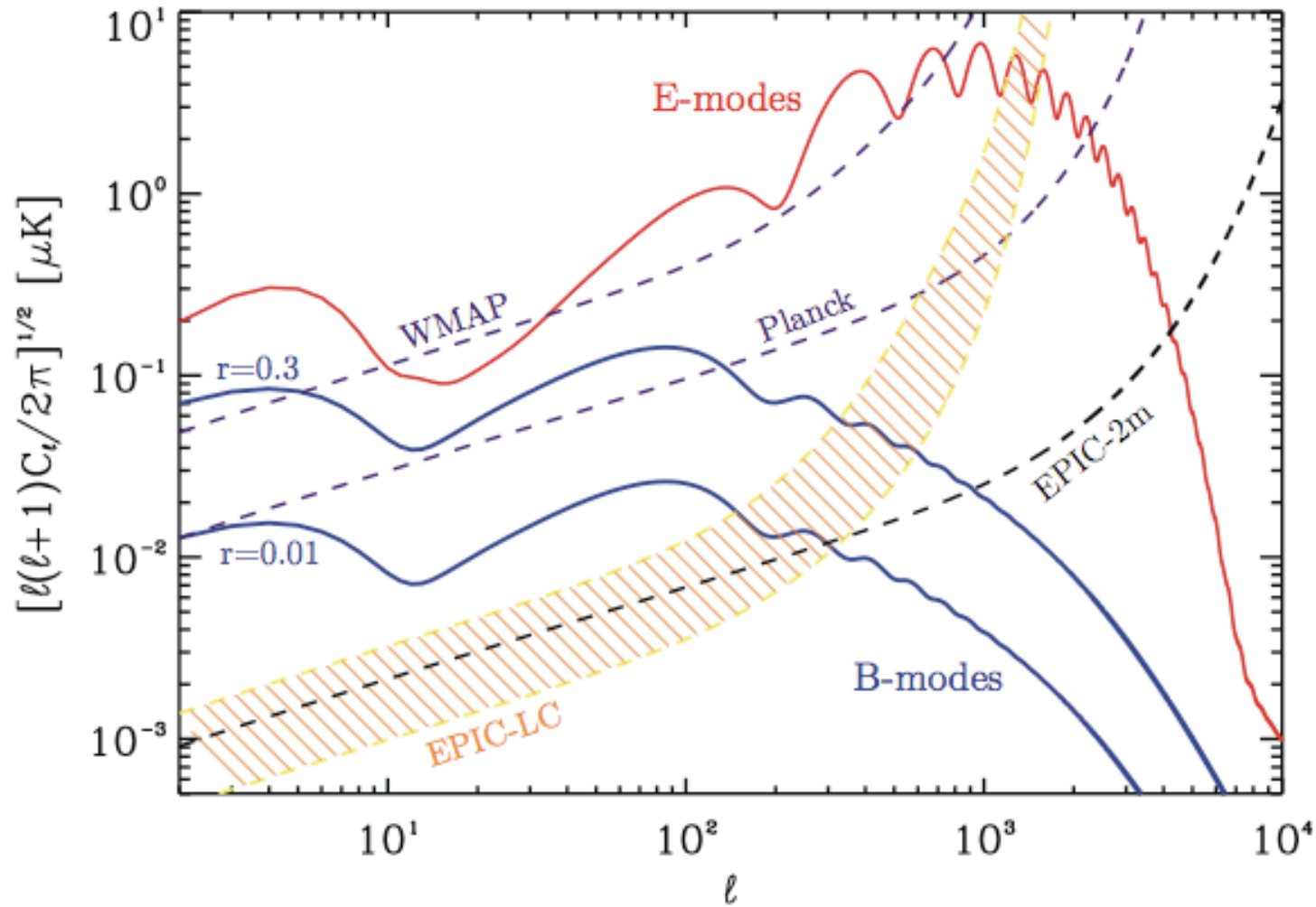


Figure: CMBpol Mission Concept Study

Challenge II: Weak Lensing

- ▶ Generated by weak lensing of the E-mode by large scale structure; subdominant on large scales, dominates on small scales. (Seljak & Zaldarriaga 1998)
- ▶ Use cross-correlation/ map non-Gaussianity to “de-lens”? (Okamoto & Hu/Lewis/Knox & Song/Smith)

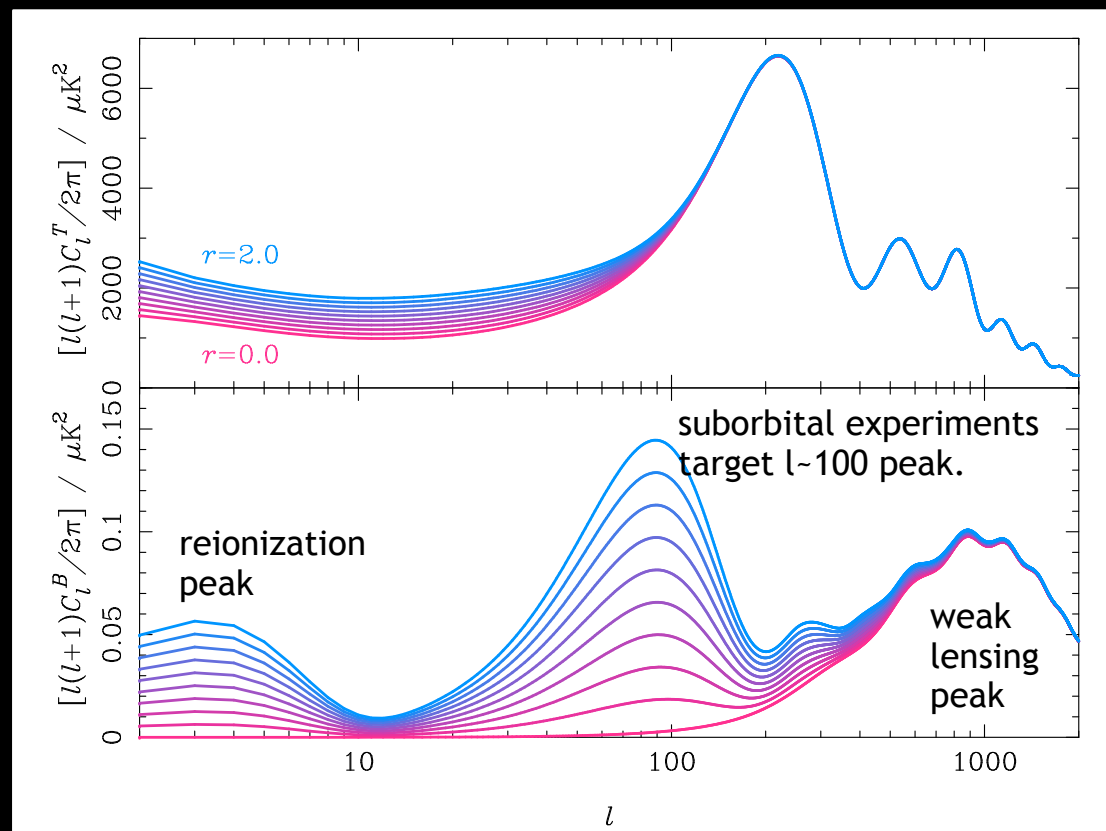


Figure: A. Challinor
via A. Jaffe.

Challenge III: Detectors

- ▶ Polarization-sensitive bolometers
 - Good above ~ 100 GHz. (e.g. BOOMERanG, DASI)
- ▶ HEMT polarimeters
 - Good below ~100 GHz (e.g. WMAP)

Limited by photon shot noise

$$\Delta T_{\text{rms}} = \frac{T_{\text{RMS}} + T_{\text{receiver}}}{\sqrt{\Delta\nu\Delta t}}$$

Need detector arrays to beat down noise limit/detector
Wide frequency coverage to keep foregrounds in check } heavy!

low l lensing-free → large sky coverage
systematic control → stability } Space → weight restrictions!

Challenge IV: we live inside a galaxy!

RMS polarized Galactic emission at 1 deg.

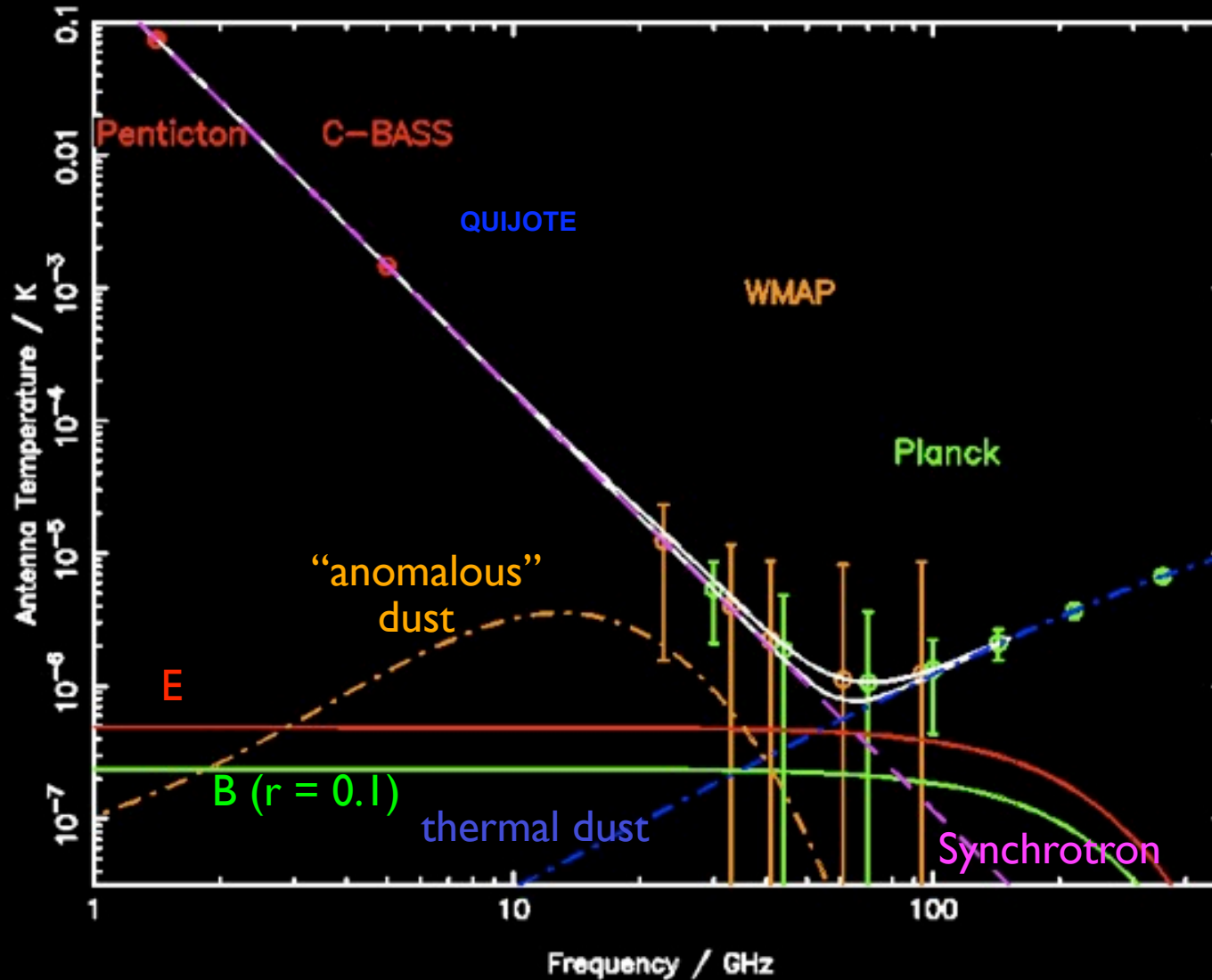
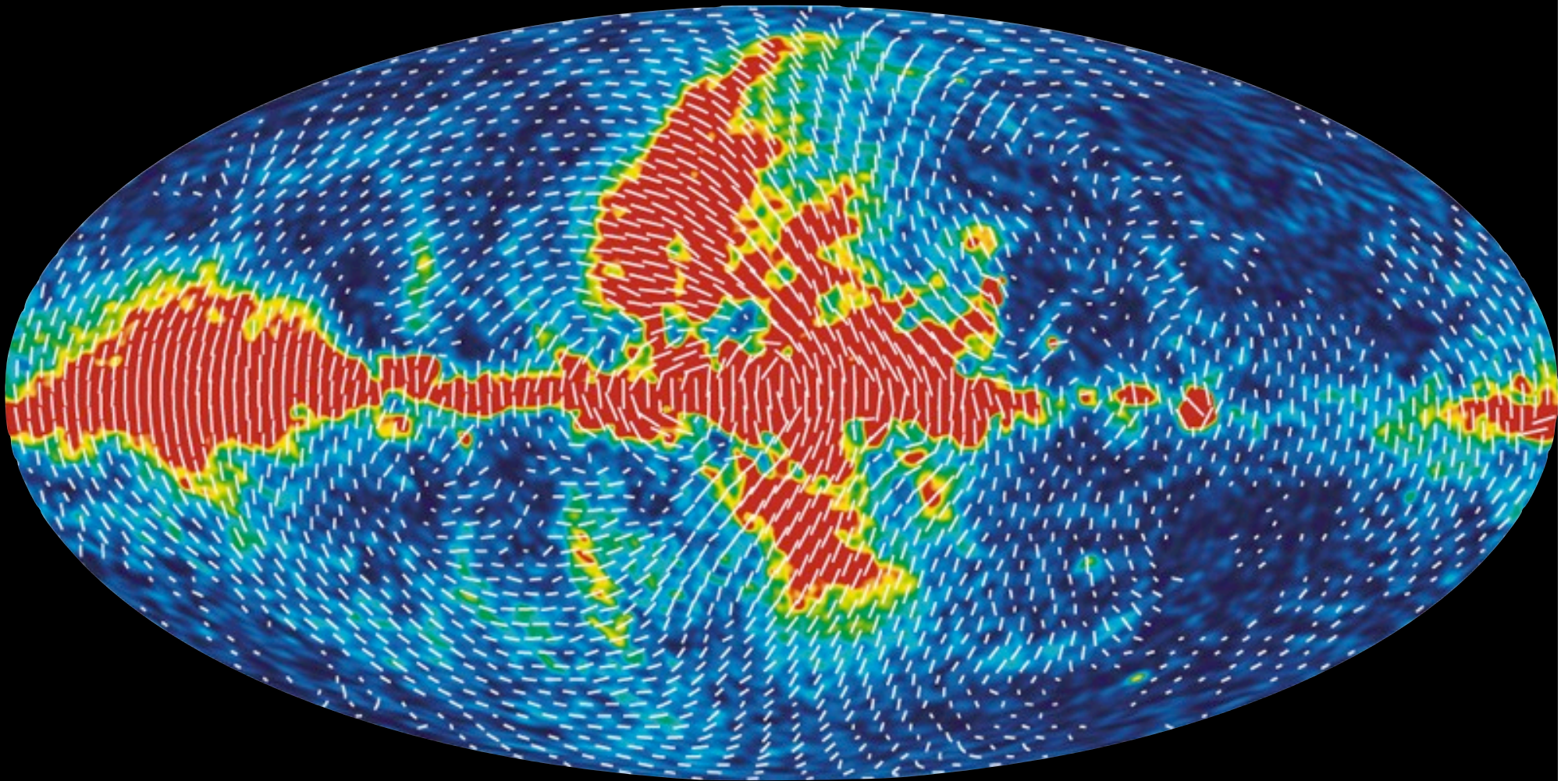


Figure: P. Leahy via A. Jaffe

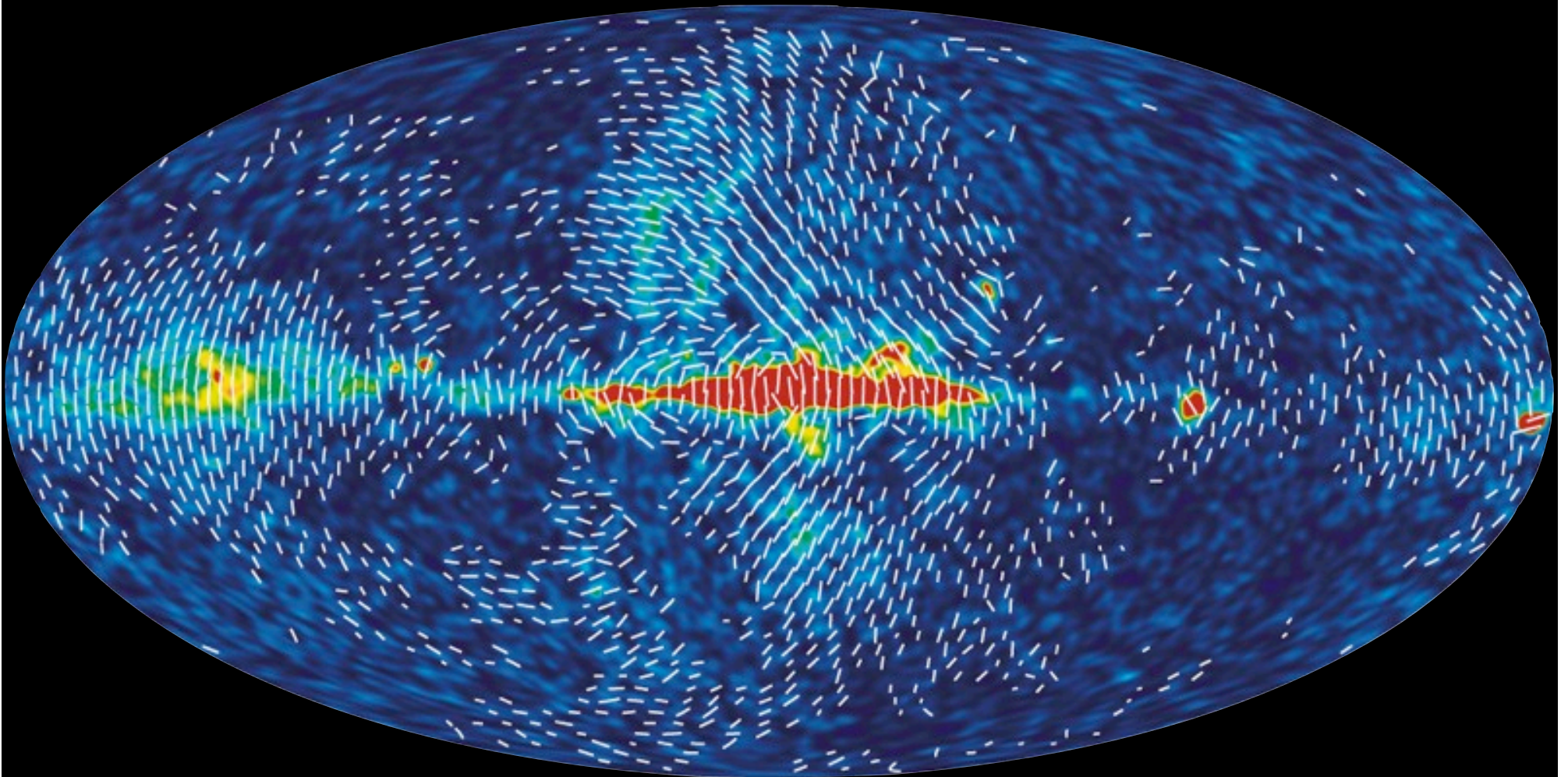
K Band (23 GHz)



Dominated by synchrotron. Note polarization direction perpendicular to magnetic field lines.

Figure: WMAP Science Team (2008)

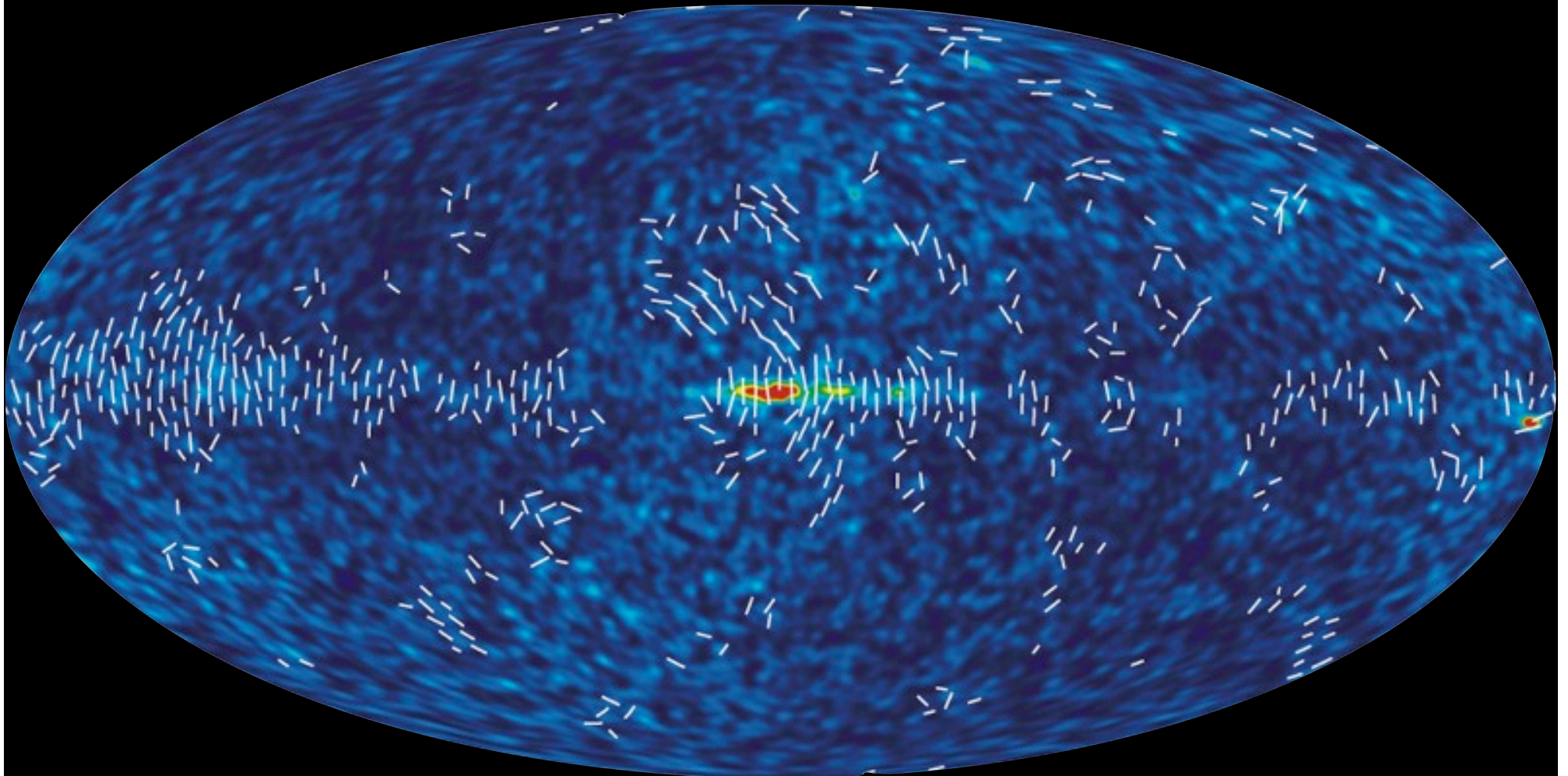
Ka Band (33 GHz)



Synchrotron drops as $\nu^{-3.2}$ from K to Ka.

Figure: WMAP Science Team (2008)

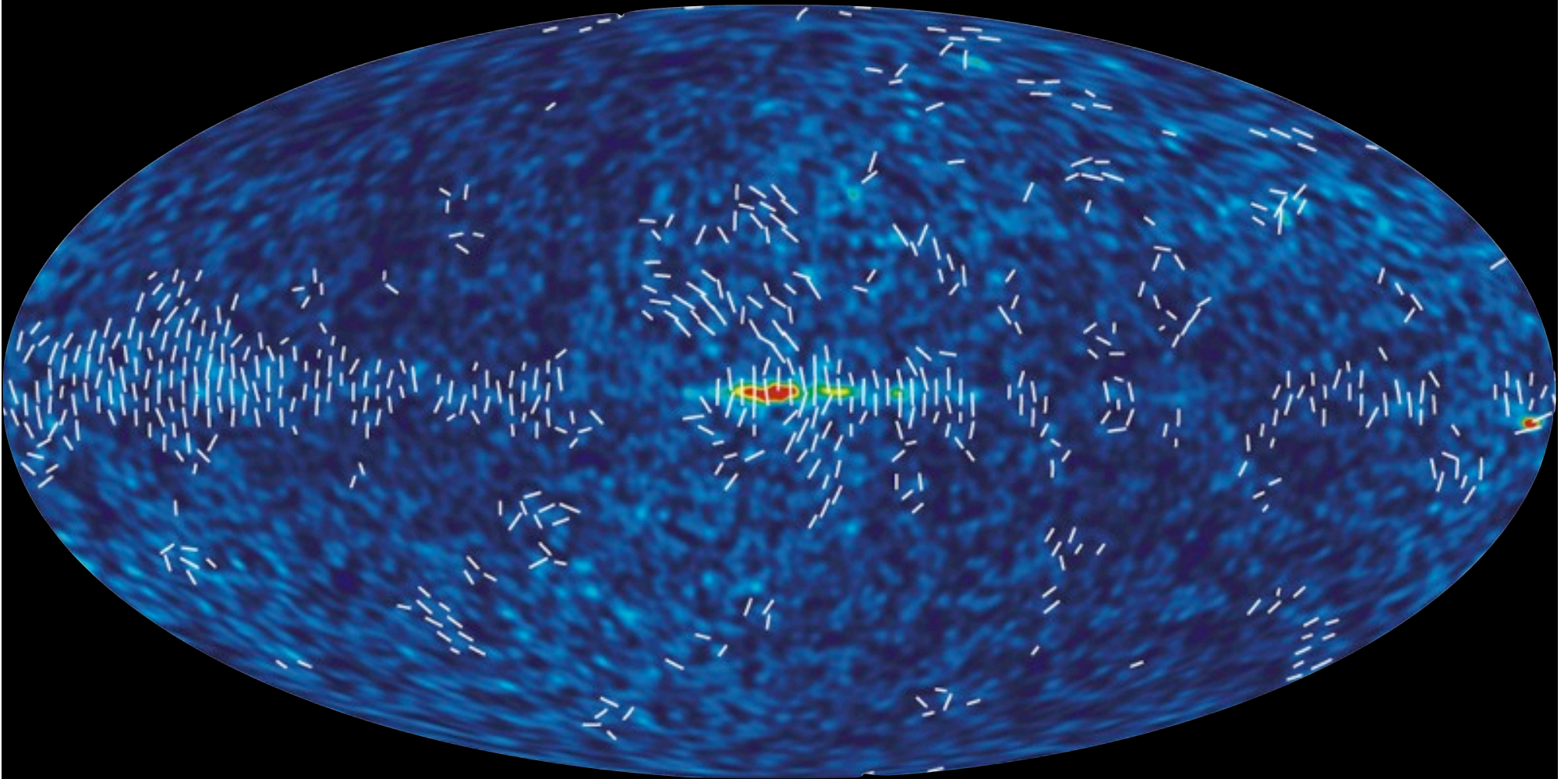
V Band (61 GHz)



Polarized FG emission is lowest in V band (notice noise is larger in ecliptic plane).

Figure: WMAP Science Team (2008)

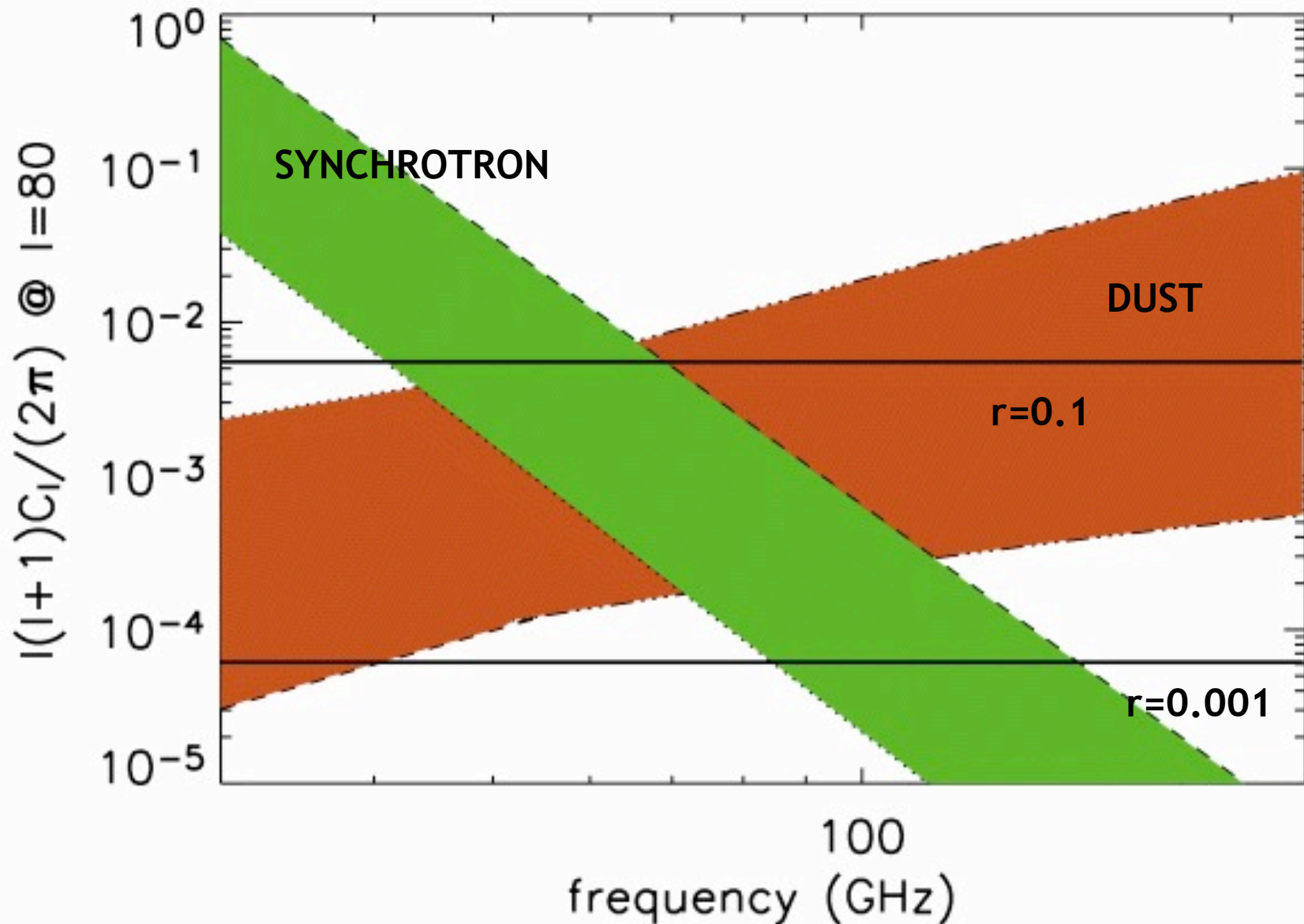
W Band (94 GHz)



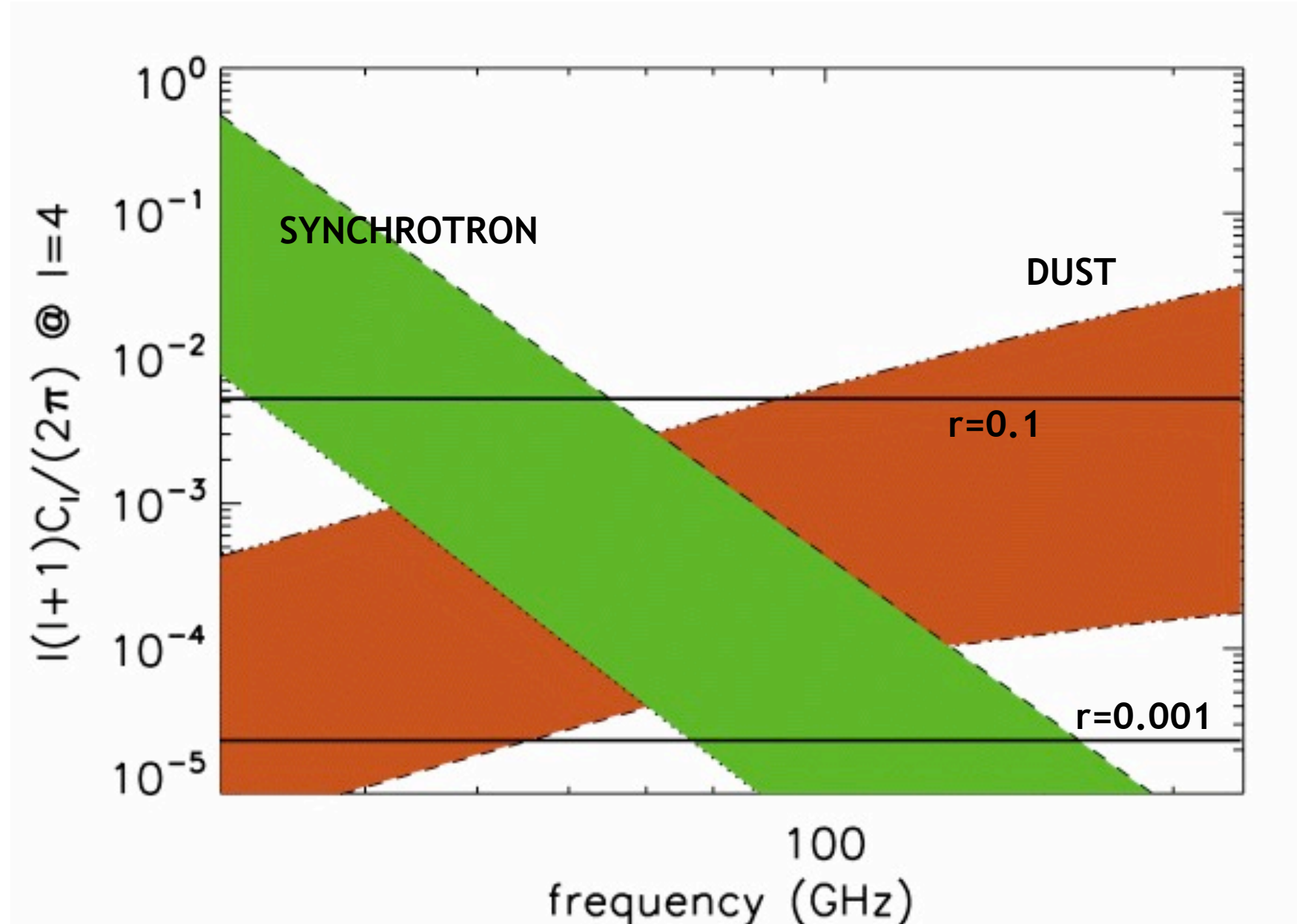
Synchrotron smallest in W band, but there may be polarized dust contamination.

Figure: WMAP Science Team (2008)

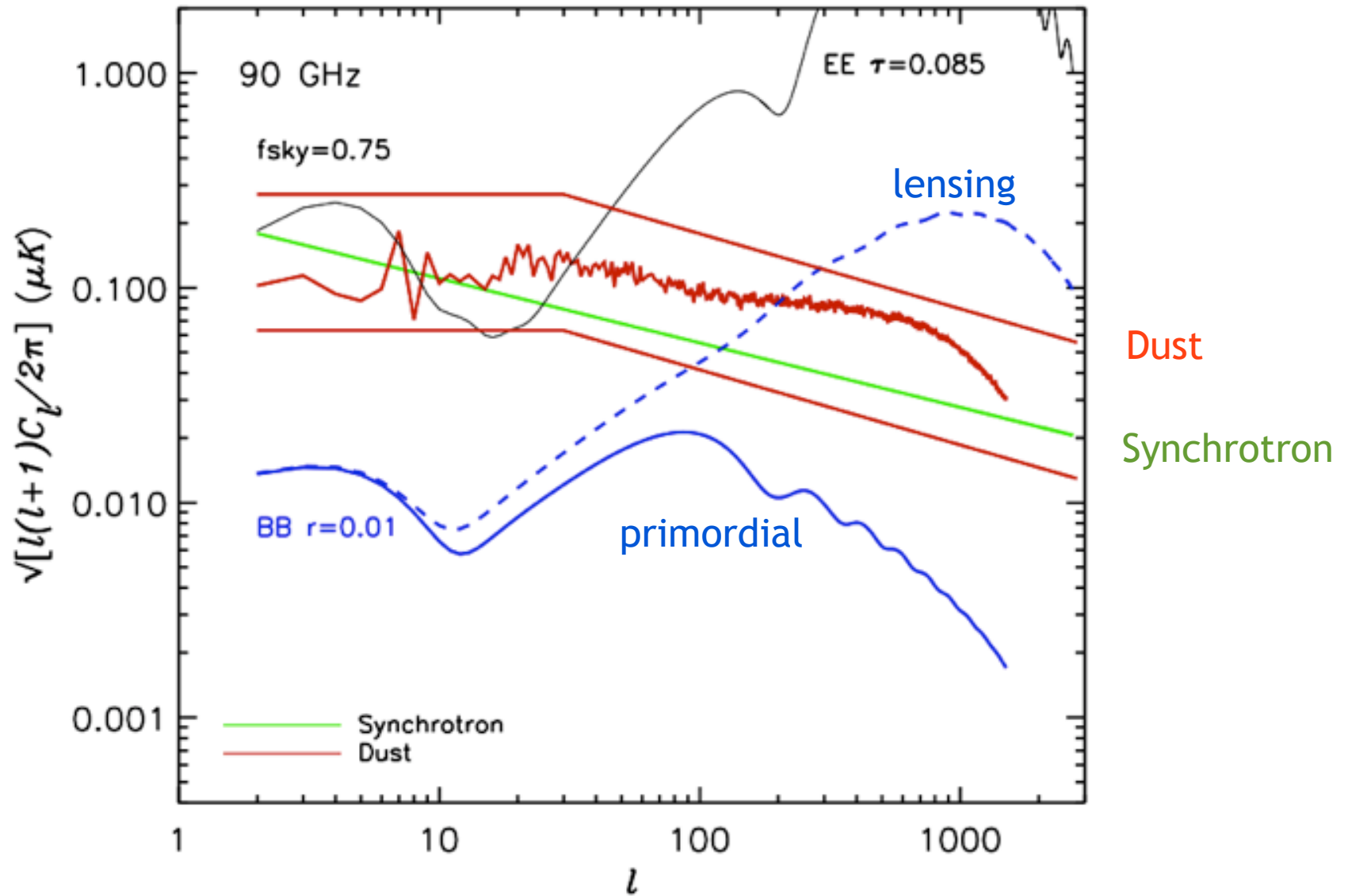
Foreground uncertainties vs CMB at $l=80$



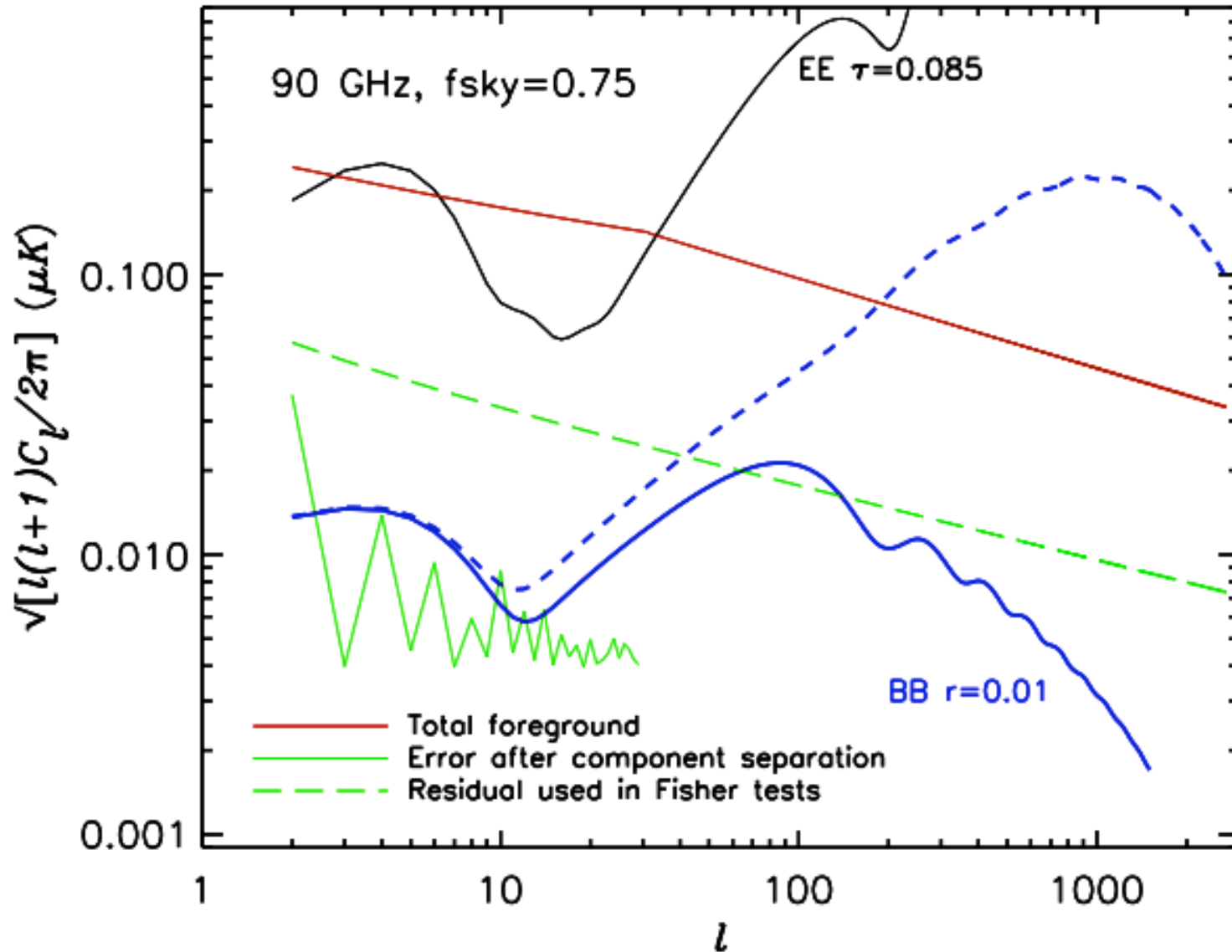
Foreground uncertainties vs CMB at $l=4$



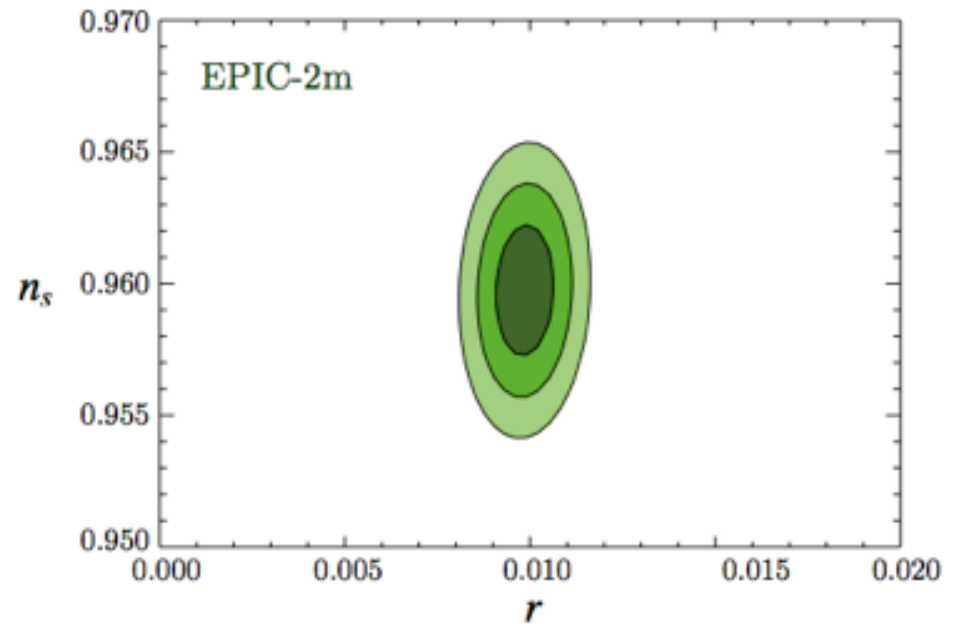
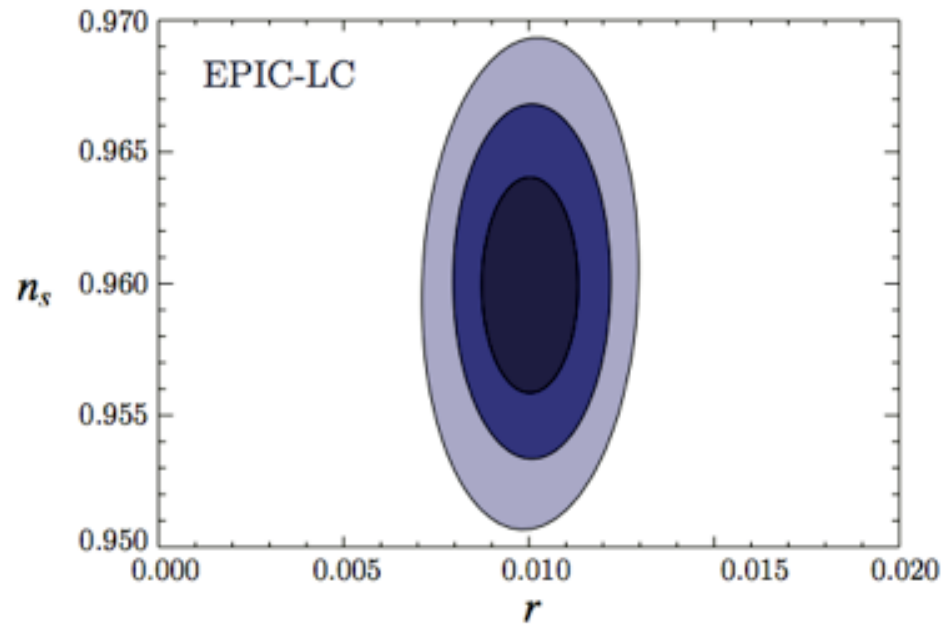
Foregrounds vs CMB at 90 GHz



FG cleaning residuals from simulated maps

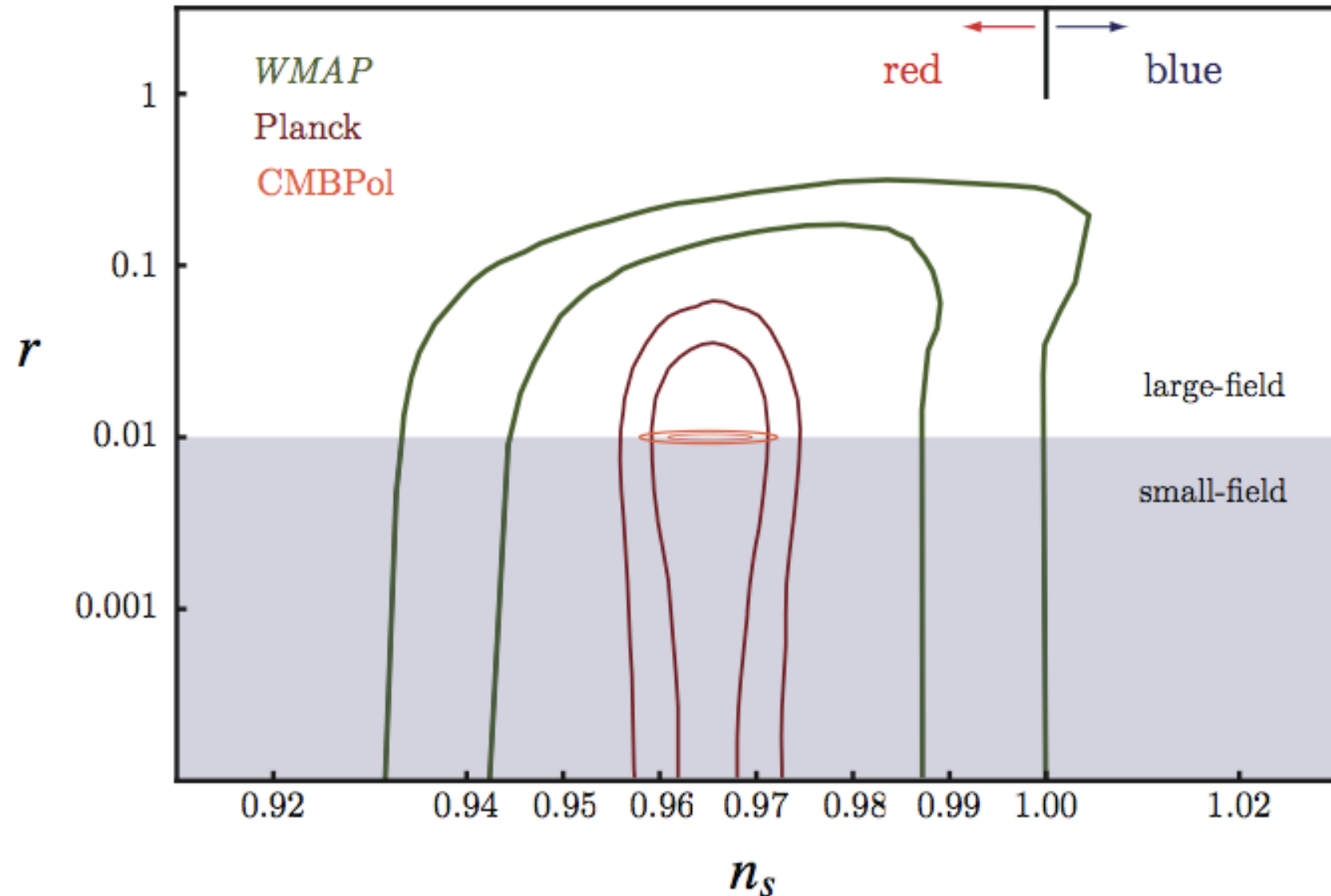


Forecasted CMBpol constraints for $r=0.01$



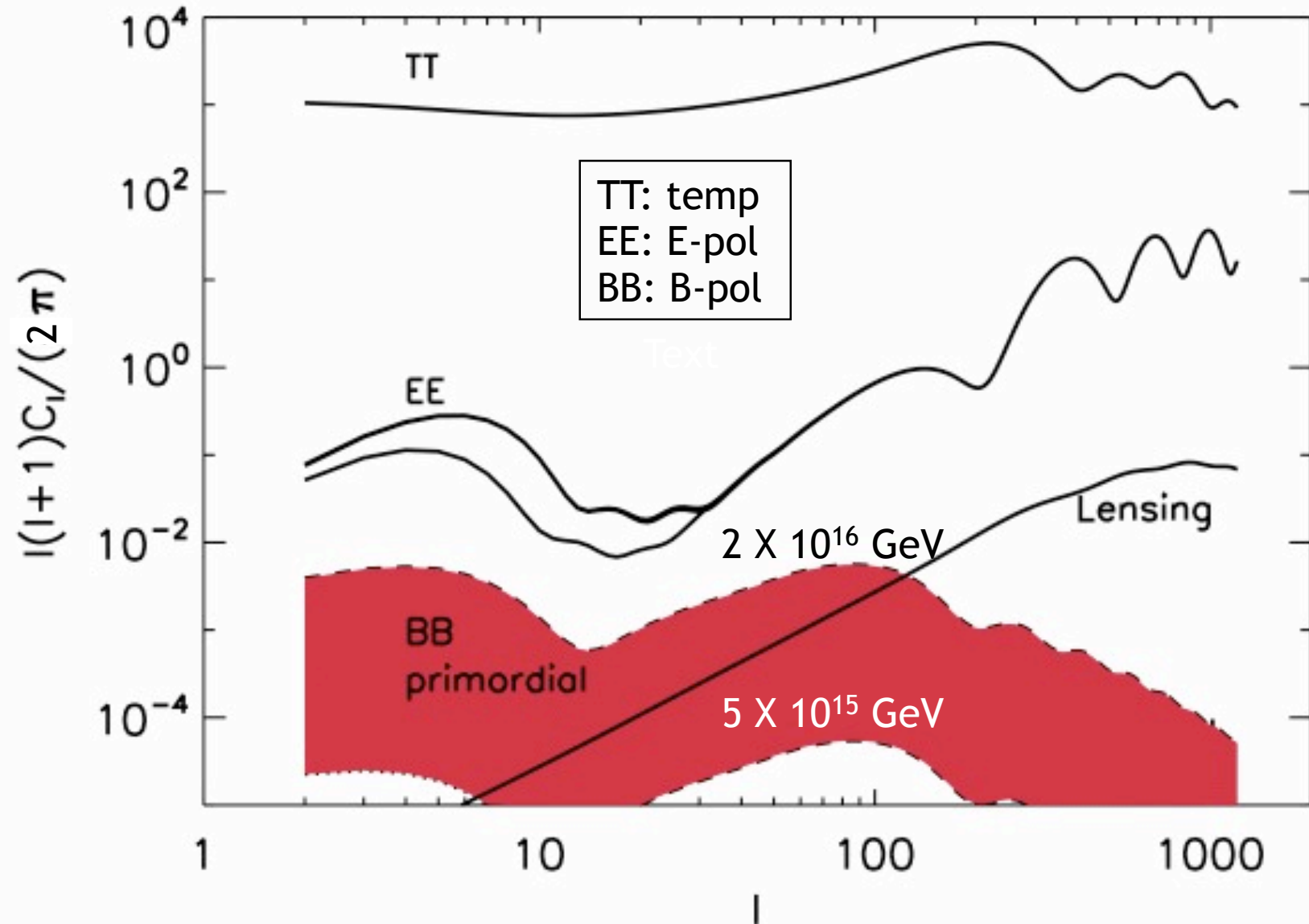
- ▶ EPIC-LC: “low cost” CMBpol proposal
- ▶ EPIC-2m: “mid cost” CMBpol proposal

Forecasted CMBpol constraints for $r=0.01$



Approximate range of primordial tensors accessible to upcoming experiments

$$V^{1/4} \simeq 3.3 \times 10^{16} r^{1/4} \text{ GeV}$$



Science enhanced by precision polarization

(a non-comprehensive and idiosyncratic list)

Primordial non-Gaussianity

Gaussian quantum fluctuation

$$\delta\eta$$

non-Gaussian inflaton fluctuation

$$\delta\phi \sim g_{\delta\phi}(\delta\eta + f_{\delta\eta}\delta\eta^2)$$

non-Gaussian curvature fluctuation

$$\zeta \sim g_{\zeta}(\delta\phi + f_{\delta\phi}\delta\phi^2)$$

non-Gaussian CMB anisotropy

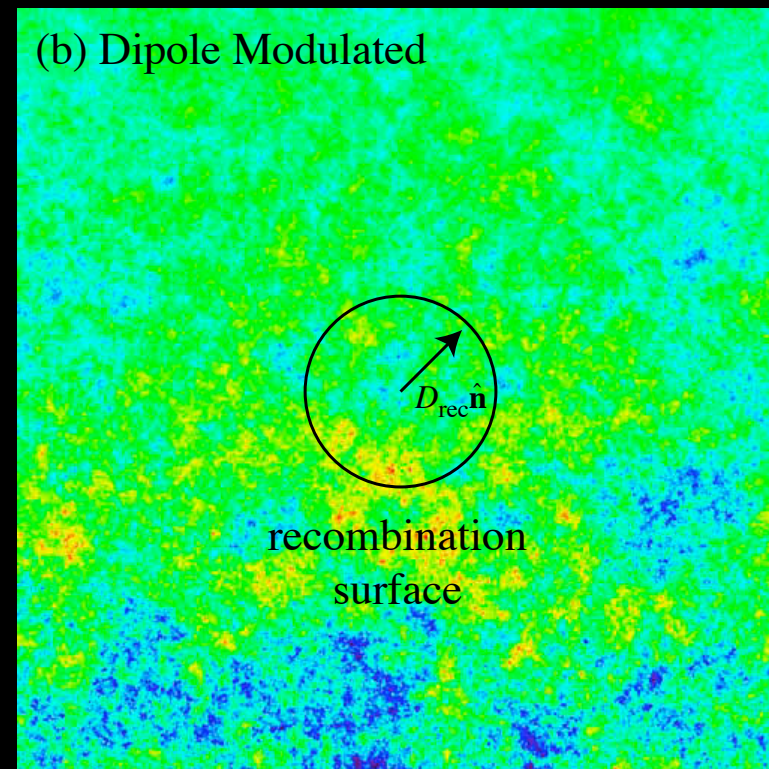
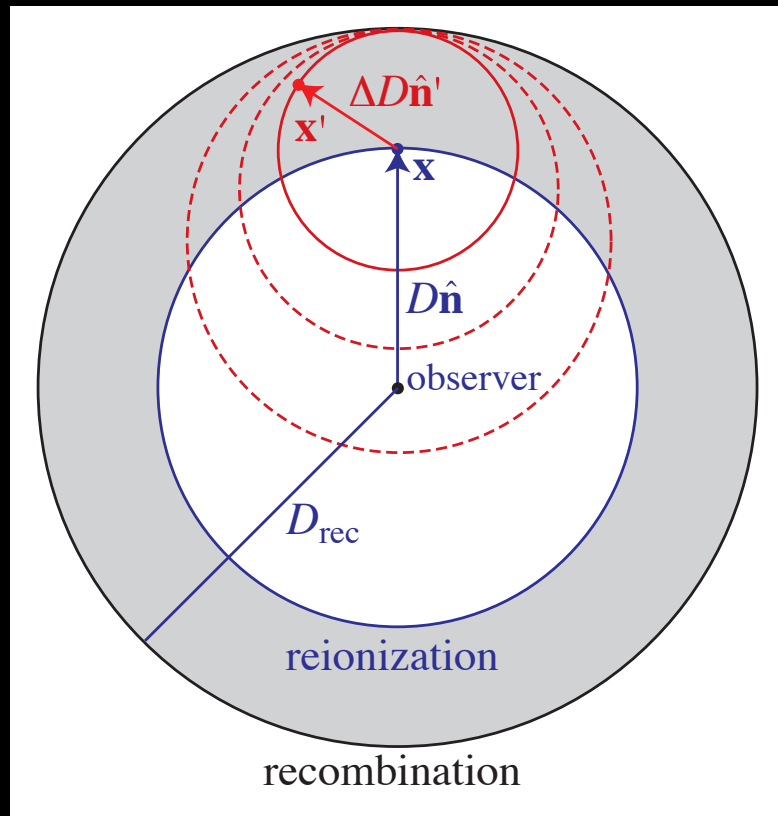
$$\frac{\delta T}{T} \sim g_T(\zeta + f_{\zeta}\zeta^2)$$

Addition of polarization data improves estimator for “ f_{NL} ” by 160%!

Could be critical in reaching slow roll inflation prediction $f_{\text{NL}} \sim 1$.

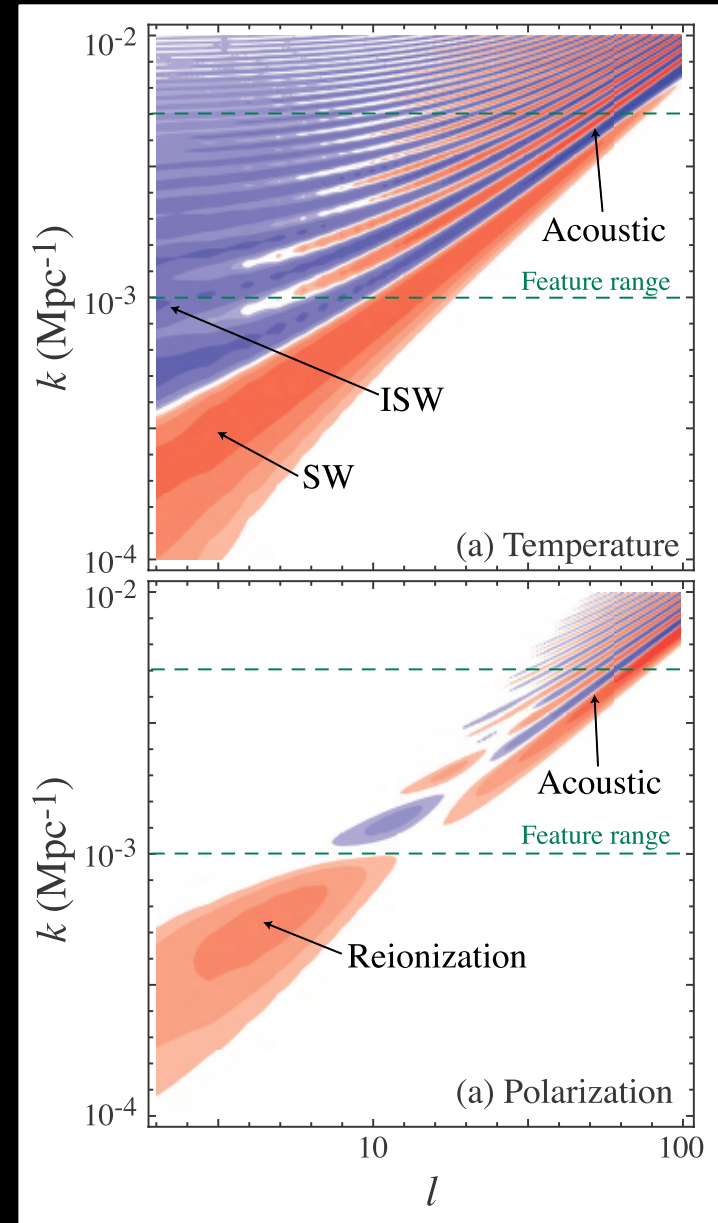
CMB Polarization: Testing Statistical Isotropy

- ▶ Isotropy “anomalies” identified in WMAP temperature field (e.g. **hemispherical asymmetry**, **quadrupole-octupole alignment**)
- ▶ Any physical model of temperature anomalies provides testable predictions for statistics of polarization field; goes beyond *a posteriori* inferences.



CMB Polarization: Is Potential Smooth?

- ▶ “Glitches” in WMAP TT spectrum at large scales: statistics, systematics, or new physics?
- ▶ Features in inflationary power spectrum?
- ▶ Test: polarization transfer function narrower than temperature one.
- ▶ Disentangle from complex reionization history?



For the full science case see...

Probing Inflation with CMB Polarization

Daniel Baumann^{†1,2,3}, Mark G. Jackson^{†4,5,6}, Peter Adshead⁷, Alexandre Amblard⁸, Amjad Ashoorioon⁹, Nicola Bartolo¹⁰, Rachel Bean¹¹, Maria Beltrán¹², Francesco de Bernardis¹³, Simeon Bird¹⁴, Xingang Chen¹⁵, Daniel J. H. Chung¹⁶, Loris Colombo¹⁷, Asantha Cooray⁸, Paolo Creminelli¹⁸, Scott Dodelson⁴, Joanna Dunkley^{3,19}, Cora Dvorkin¹², Richard Easther⁷, Fabio Finelli^{20,21,22}, Raphael Flauger²³, Mark P. Hertzberg¹⁵, Katherine Jones-Smith²⁴, Shamit Kachru²⁵, Kenji Kadota^{9,26}, Justin Khoury²⁷, William H. Kinney²⁸, Eiichiro Komatsu²⁹, Lawrence M. Krauss³⁰, Julien Lesgourgues^{31,32,33}, Andrew Liddle³⁴, Michele Liguori³⁵, Eugene Lim³⁶, Andrei Linde²⁵, Sabino Matarrese¹⁰, Harsh Mathur²⁴, Liam McAllister³⁷, Alessandro Melchiorri¹³, Alberto Nicolis³⁶, Luca Pagano¹³, Hiranya V. Peiris¹⁴, Marco Peloso³⁸, Levon Pogosian³⁹, Elena Pierpaoli¹⁷, Antonio Riotto³¹, Uroš Seljak^{40,41}, Leonardo Senatore^{1,2}, Sarah Shandera³⁶, Eva Silverstein²⁵, Tristan Smith^{42,43}, Pascal Vaudrevange⁴⁴, Licia Verde^{19,45}, Ben Wandelt⁴⁶, David Wands⁴⁷, Scott Watson⁹, Mark Wyman²⁷, Amit Yadav^{2,46}, Wessel Valkenburg³², and Matias Zaldarriaga^{1,2}

arxiv:0811.3919

Also...

- arxiv:0811.3915 Prospects for polarized foreground removal
- arxiv:0811.3816 Gravitational lensing
- arxiv:0811.3918 Reionization Science with the CMB
- arxiv:0811.3920 Foreground Science knowledge

Summary

arxiv:0811.3911

CMBPol Mission Concept Study: A mission to map our origins

Future observational prospects

- Go to small scales. Much better measurements of the primordial scalar power spectrum shape.
 - Planck $l \sim 3000$ ($k \sim 0.2/\text{Mpc}$)
 - ACT, SPT $l \sim 10000$ ($k \sim 0.7/\text{Mpc}$) [secondary effects]
 - Galaxies $k \sim 1/\text{Mpc}$ [non-linearity & bias]
 - Lyman alpha $k \sim 5/\text{Mpc}$ [gas phys. & radiation feedback]
 - Reionization $k \sim 50/\text{Mpc}$ [much is unknown]
- Detecting gravitational waves.
 - CMB: BICEP, QUIET, CLOVER, PolarBeaR, EBEX, SPIDER, Planck, CMBPOL/B-Pol etc... [large scales]
 - GWO: direct detection of primordial gravitational waves (BBO) [solar system scales]
- Detecting primordial non-Gaussianity.
 - Can we detect $f_{NL} \sim 1$ or $f_{NL} \gg 1$?
 - Can we distinguish shape dependence? scale dependence?

THE END

