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Flavour Changing in Z decays at FCC-ee

10th FCC-ee physics workshop - CERN
4-5 February 2016



Based on a work done in collaboration with A. Abada, A. Teixeira, S.Monteil, J.Orloff,
JHEP 1504 (2015) 051

Outline

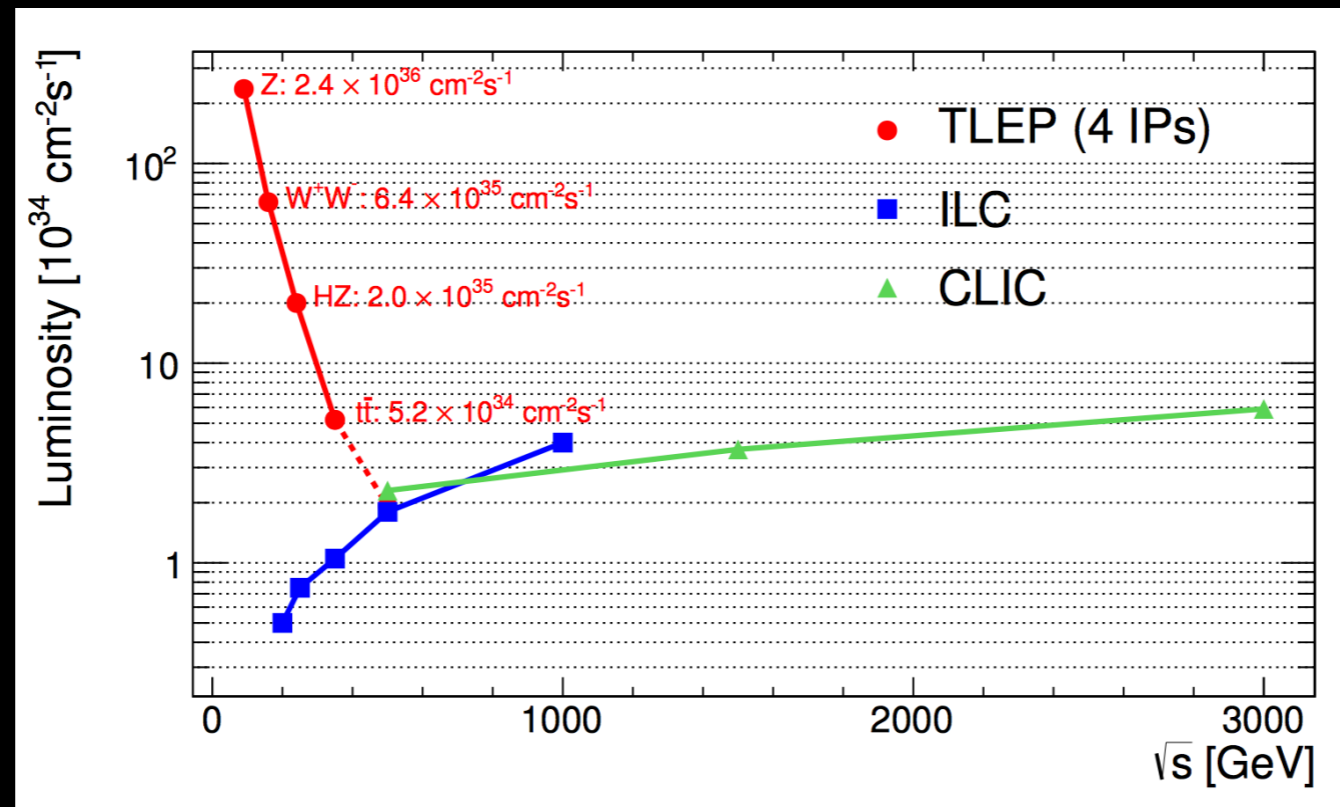
- FCC-ee: a high luminosity Z-factory
 - rare cLFV Z decays
- Extending the SM with sterile fermions
 - Motivation and theoretical framework
 - Phenomenological impact and observational constraints
- cLFV Z decays at a high luminosity Z factory
- Conclusions

- Status of the flavour WG

1) A high luminosity Z-factory



A future high-luminosity Z factory as a tool to study sterile neutrinos



- ▶ FCC-ee is designed to provide e^+e^- collisions in the beam energy range of 40 to 175 GeV.
- ▶ Instantaneous luminosity expected at **FCC-ee**, in a configuration with four interaction points operating simultaneously, as a function of the centre-of-mass energy.
- ▶ Highest foreseen luminosity scheme: $10^{13} Z$

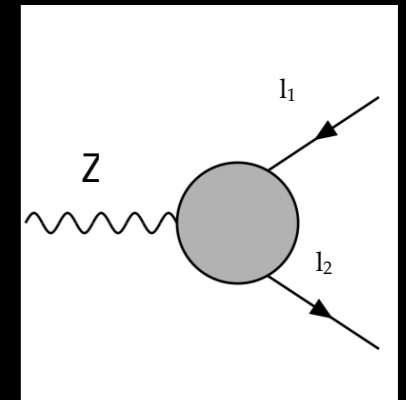
What would we like to see with $10^{12} Z$?

eLFV collider signatures: rare Z decays

- ▶ Z bosons abundantly produced at LEP and at the LHC
- ▶ In the SM with lepton mixing (U_{PMNS}) the theoretical predictions are:

$$BR(Z \rightarrow e^\pm \mu^\mp) \sim BR(Z \rightarrow e^\pm \tau^\mp) \sim 10^{-54}$$

$$BR(Z \rightarrow \mu^\pm \tau^\mp) \sim 4 \times 10^{-60}$$



- ▶ The detection of a rare decay as $Z \rightarrow l_i^\mp l_j^\pm$ ($i \neq j$) would serve as an indisputable evidence of **new physics**

- ▶ Current limits:

$$BR(Z \rightarrow e^\mp \mu^\pm) < 1.7 \times 10^{-6}$$

$$BR(Z \rightarrow e^\mp \tau^\pm) < 9.8 \times 10^{-6}$$

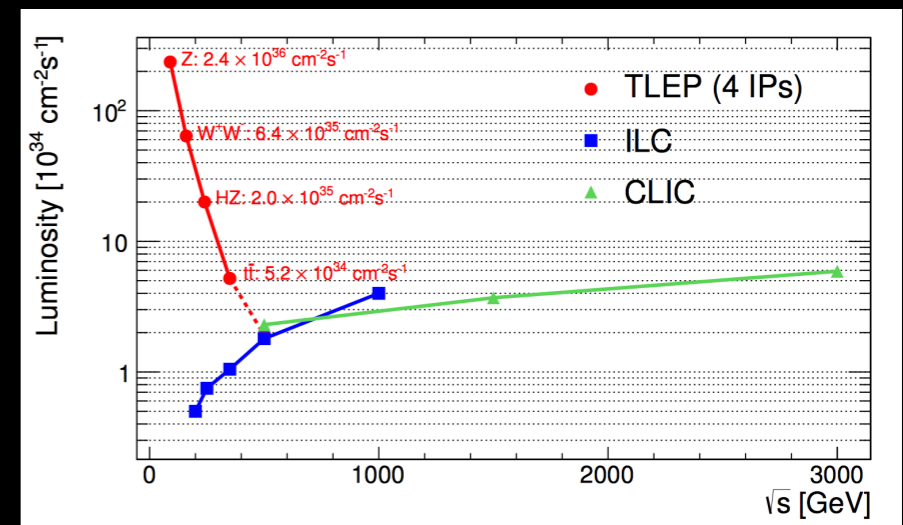
$$BR(Z \rightarrow \mu^\mp \tau^\pm) < 1.2 \times 10^{-5}$$



$$Br(Z \rightarrow e\mu) < 7.5 \cdot 10^{-7}$$

OPAL Collaboration, R. Akers et al., Z. Phys. C67 (1995) 555–564.
 L3 Collaboration, O. Adriani et al., Phys. Lett. B316 (1993) 427.
 DELPHI Collaboration, P. Abreu et al., Z. Phys. C73 (1997) 243.
 ATLAS, CERN-PH-EP-2014-195 (2014)

- ▶ Future experimental prospects: Linear Collider / FCC-ee



2) Extending the SM with sterile fermions



cLFV: observables of New Physics

- ▶ Flavour violation in charged lepton sector: a window on physics beyond the SM!
 - Are neutral and charged LFV related?
 - Does cLFV arise from ν -mass mechanism? Or entirely different nature?
- ▶ Two phenomenological approaches to account for these observables:
 - effective [e.g. Broncano et al. 2003, Davidson, De Gouvea ...]
 - **model dependent** (specific NP scenario)
- ▶ LFV in models of new physics:
 - cLFV from **generic BSM models**: well-motivated **SM extensions** to ease (some) of its th & exp problems **generic cLFV extensions** (SUSY, little Higgs, ...); **extended frameworks** (gauge / flavour symmetries, extra dims, ...)
 - **models of massive neutrinos** (SM seesaws, or extended frameworks): Smallness of m_ν (and nature - Majorana!?) → **new mechanism of mass generation**

cLFV arising in SM minimally extended via sterile fermions !

Sterile neutrinos

- ▶ From the **invisible decay width of the Z boson** [LEP]:
⇒ extra neutrinos must be sterile (=EW singlets) or cannot be a Z decay product

Any singlet fermion that mixes with the SM neutrinos

- Right-handed neutrinos • Other singlet fermions

- ▶ Sterile neutrinos are SM gauge singlets - colourless, no weak interactions, electrically neutral
Interactions with SM fields: through mixings with active neutrinos (via Higgs)

- ▶ No bound on the number of sterile states, no limit on their mass scale(s)

- ▶ Phenomenological interest (dependent on the mass scale):

- eV scale: Several oscillation results or **anomalies** (reactor antineutrino anomaly, LSND, MiniBooNe...) cannot be explained within 3-flavour oscillations
⇒ need at least an extra neutrino

Reactor ν anomaly: $\Delta m^2 \gtrsim 0.5 \text{ eV}^2$

Galium ν anomaly: $\Delta m^2 \gtrsim 1 \text{ eV}^2$

LSND ν anomaly: $\Delta m^2 \gtrsim 0.1 \text{ eV}^2$

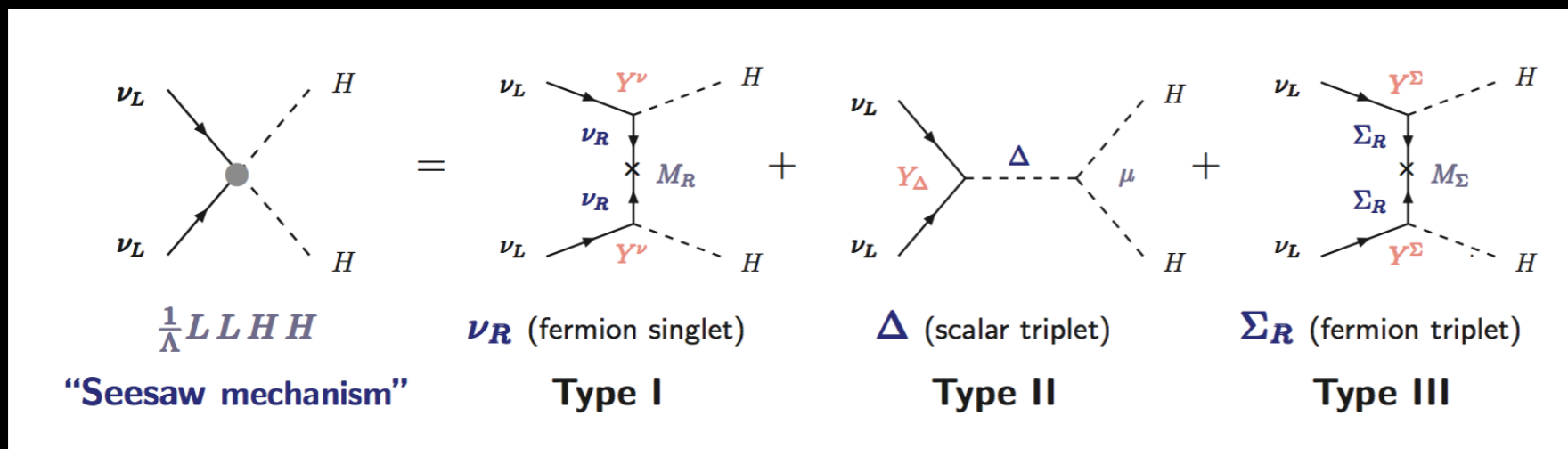
...

(Partial reconciliation of anomalies:
Gariazzo et al. 15)

- keV scale: motivations for sterile neutrinos from **cosmology**, e.g. warm dark matter or to explain pulsar velocities

Sterile fermions: theoretical appeal

- Present in numerous SM extensions aiming at accounting for ν masses and mixings: e.g. **right-handed neutrinos** (Seesaw type-I, ν MSSM..), **other sterile fermions** (Inverse Seesaw)



Explain small ν masses with "natural" couplings via new dynamics at heavy scale

(Minkowski 77, Gell-Mann Ramond Slansky 80, Glashow, Yanagida 79, Mohapatra Senjanovic 80, Lazarides Shafi Wetterich 81, Schechter-Valle, 80 & 82, Mohapatra Senjanovic 80, Lazarides 80, Foot 88, Ma, Hambye et al., Bajc, Senjanovic, Lin, Abada et al., Notari et al...)

LFV observables: depend on powers of Y_ν and on the mass of the (virtual) NP propagators

- Simplified **toy models** for phenomenological analysis: "ad-hoc" construction (no specific assumption on mechanism of mass generation) encodes the effects of **N additional sterile** states in a single one



Low scale: Inverse seesaw (ISS)

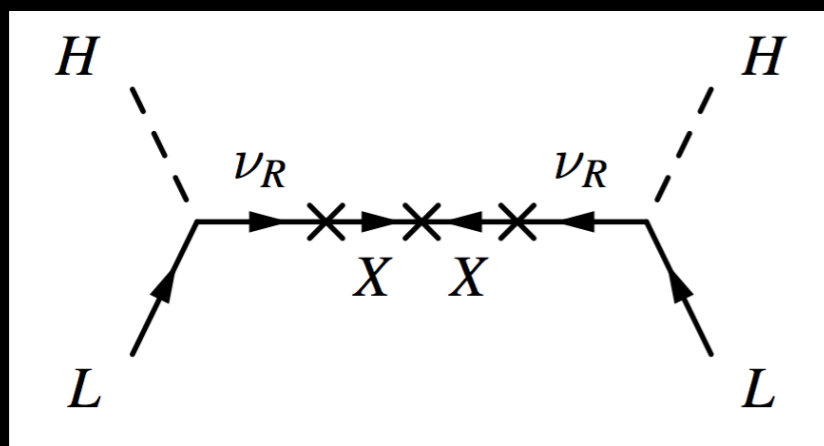
(Mohapatra & Valle, 1986)

- ▶ Add three generations of SM singlet pairs, ν_R and X (with $L=+1$)
- ▶ Inverse seesaw basis (ν_L, ν_R, X) :

$$M^\nu = \begin{pmatrix} 0 & m_D & 0 \\ m_D^T & 0 & M_R \\ 0 & M_R^T & \mu_X \end{pmatrix}$$

$$\Rightarrow \begin{cases} 3 \text{ light } \nu : m_\nu \approx \frac{(Y_\nu v)^2}{(Y_\nu v)^2 + M_R^2} \mu_X \\ 3 \text{ pseudo-Dirac pairs : } m_{N\pm} \approx M_R \pm \mu_X \end{cases}$$

- ▶ New (virtual) states & modified couplings: cLFV, non-universality, signals at colliders!
- ▶ $Y_\nu \sim O(1)$ and $M_R \sim 1 \text{ TeV}$ testable at the colliders and low energy experiments.
- ▶ Large mixings (active-sterile) and light sterile neutrinos are possible



Parameters:

- M_R (real, diagonal) $M_R = (0.1 \text{ MeV}, 10^6 \text{ GeV})$
- μ_X (complex, symmetric) $\mu_X = (0.01 \text{ eV}, 1 \text{ MeV})$
- R_{mat} (rotation, complex)
- 2 Majorana and 1 Dirac phases from U_{PMNS}
- Normal (NH) / Inverted (IH) hierarchy

“Toy model” for pheno analyses: SM + ν_s

- ▶ Add one sterile neutrino $n_L = (\nu_{Le}, \nu_{L\mu}, \nu_{L\tau}, \nu_s^c)^T \rightarrow$ 3 new mixing angles
actives-sterile

$$U_{4 \times 4} = R_{34} \cdot R_{24} \cdot R_{14} \cdot R_{23} \cdot R_{13} \cdot R_{12}$$

U_{PMNS}

- ▶ From the interaction to the physical mass basis: $n_L = U_{4 \times 4} \nu_i$
- ▶ Spectrum: 3 light active neutrinos + 1 heavier (mostly) sterile state
- ▶ Active-sterile mixing $U_{\alpha i}$: rectangular matrix
- ▶ Left-handed leptons mixing: 3x3 sub-block, non unitary!

$$U_{4 \times 4} = \left(\begin{array}{c|c} \tilde{U}_{PMNS} & \begin{array}{c} U_{eS} \\ U_{\mu S} \end{array} \\ \hline \begin{array}{cc} U_{Se} & U_{S\mu} \end{array} & U_{\tau S} \end{array} \right)$$

Parameters:

- $\theta_{14}, \theta_{24}, \theta_{34}$
- 3 Majorana and 3 Dirac phases
- Normal (NH) / Inverted (IH) hierarchy

Phenomenological impact

- ▶ Modified W^\pm charged currents and Z^0 , H neutral currents

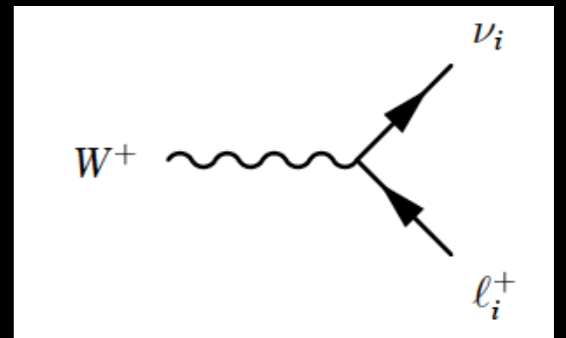
If sufficiently light, sterile states may be produced as final products

- ▶ Leptonic charged currents can be modified due to the mixing with the steriles:

Standard case (3 flavors): $\nu_i = e, \mu, \tau$

$$\nu_i = \text{flavor eigenstate} = \sum_{a=1}^3 U_{ai}^{\text{PMNS}} \nu_a$$

$$\nu_a = \text{mass eigenstates, } a = 1, 2, 3$$



Add sterile neutrinos: $\mathcal{L}_{W^\pm} \sim -\frac{g_w}{\sqrt{2}} W_\mu^- \sum_{\alpha=e,\mu,\tau} \sum_{i=1}^{3+n_S} U_{\alpha i} \bar{l}_\alpha \gamma^\mu P_L \nu_i$

$$\nu_i = \sum_{a=1}^{3+n_S} U_{ai} \nu_a, \quad a = 1, 2, 3, 4 \dots 9 \dots n_\nu$$

$U =$ extended matrix, $j=1 \dots 3, i=1 \dots n_\nu$

If $n_\nu > 3, U \neq U_{\text{PMNS}} \rightarrow$ the 3×3 sub matrix is **not unitary**

$$U_{\text{PMNS}} \rightarrow \tilde{U}_{\text{PMNS}} = (\mathbb{1} - \eta) U_{\text{PMNS}}$$

(see also: Fernandez-Martinez et al. 2007, Gavela et al. 2009, Abada et al. 2014, Arganda et al. 2014)

- ▶ Modified neutral currents:

$$\mathcal{L}_{Z^0} = -\frac{g_w}{2 \cos \theta_w} Z_\mu \sum_{i,j=1}^{3+n_S} \bar{\nu}_i \gamma^\mu \left[P_L (\mathbf{U}^\dagger \mathbf{U})_{ij} - P_R (\mathbf{U}^\dagger \mathbf{U})_{ij}^* \right] \nu_j$$

Experimental constraints

The deviations from unitarity and the possibility of having steriles as final decay products, might induce departures from the SM expectations.

1. Neutrino oscillation parameters (seesaw approximation and PMNS)
2. Unitarity constraints
3. Electroweak precision data
4. LHC data (invisible decays)
5. Leptonic and semileptonic meson decays (B and D)
6. Laboratory bounds: direct searches for sterile neutrinos
7. Lepton flavor violation ($\mu \rightarrow e \gamma$)
8. Neutrinoless double beta decay
9. Cosmological bounds on sterile neutrinos

Experimental constraints

1. Neutrino oscillation parameters (seesaw approximation and PMNS)

2. Unitarity constraints Non-standard neutrino interactions with matter can be generated by NP. $U_{3\times 3} = (1 - \eta)U_{PMNS}$
effective theory approach

(Antusch et al., 2009,2014)

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(Del Aguila et al., 2008, Atre et al., 2009)

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4. LHC data (invisible decays) decay modes of the Higgs boson
 $h \rightarrow \nu_R \nu_L$ relevant for sterile neutrino masses ~ 100 GeV

(Bhupal Dev et al., 2012,
P. Bandyopadhyay et al, 2012,
Cely et al., 2013, Arganda et
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5. Leptonic and semileptonic meson decays (K, B and D) $\Gamma(P \rightarrow l\nu)$ with $P = K, D, B$ with one or two neutrinos in the final state
(CLEO, Belle, BaBar, NA62, LHCb, BES III, J. Beringer et al., PDG, 2013, Shrock, '81; Atre et al., '09; Abada et al., '13-'15 ...)

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6. Laboratory bounds: direct searches for sterile neutrinos e.g. $\pi^\pm \rightarrow \mu^\pm \nu_s$, the lepton spectrum would show a monochromatic line.
(Shrock 1980, Atre et al. 2009, Kusenko et al. 2009, Lello 2013)

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7. Lepton flavor violation ($\mu \rightarrow e \gamma$, 3body decays)

$$Br(\mu \rightarrow e\gamma)_{MEG} = 0.57 \times 10^{-12}$$

(Gronau et al, '85; Ilakovac & Pilaftsis, '95 - '14,
Deppisch et al, '05; Dinh et al, '12; Alonso et al, '12; ...)

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9. Neutrinoless double beta decay $m_\nu^{\beta\beta} = \sum_i U_{ei}^2 m_i \leq (140 - 700) \text{meV}$ (EXO-200, KamLAND-Zen, GERDA, CUORICINO)
(see also: Blennow et al. 2010, Lopez-Pavon et al. 2013, Abada et al. 2014)
10. Cosmological bounds on sterile neutrinos

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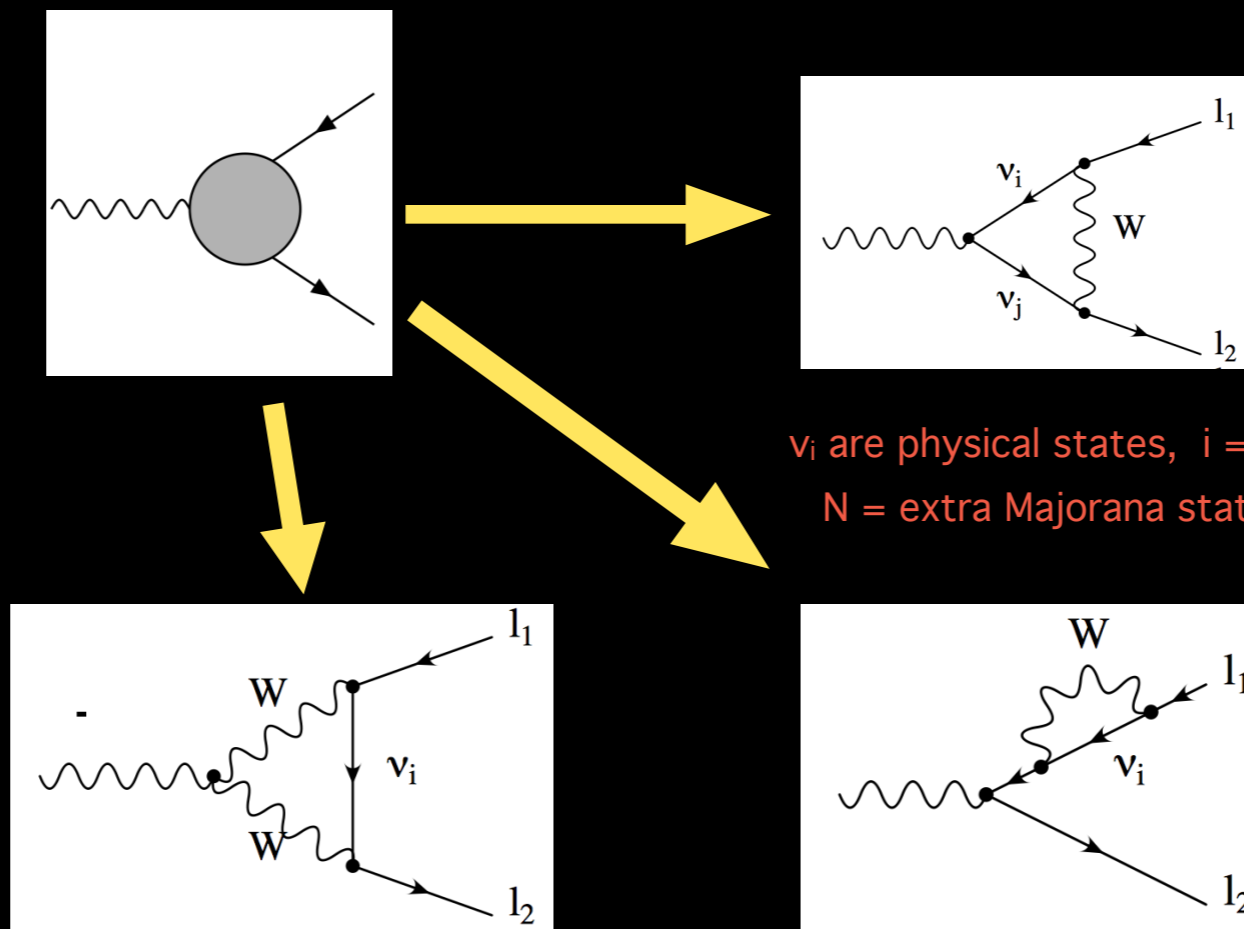
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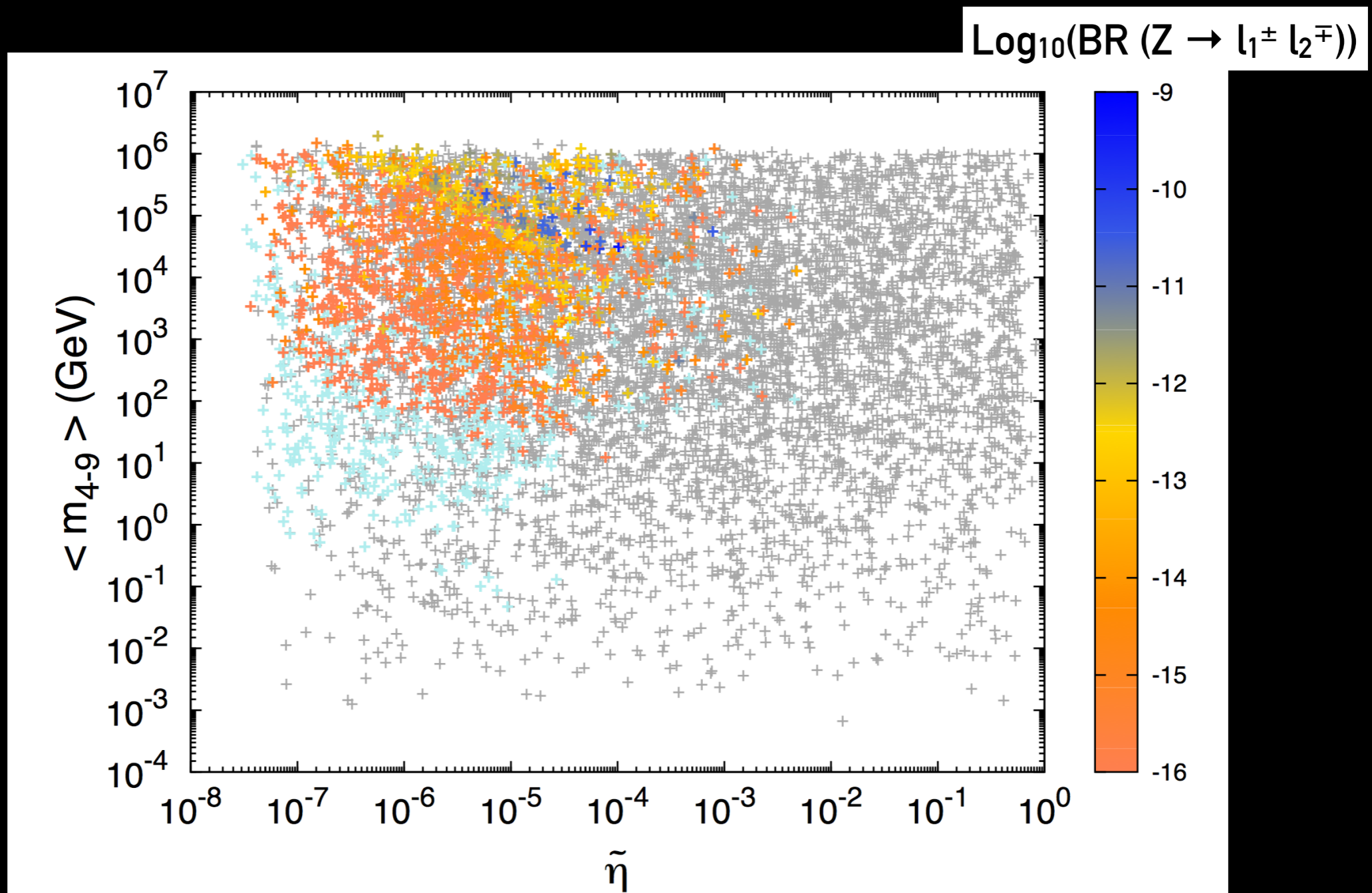
10. Cosmological bounds on sterile neutrinos Large scale structure, Lyman- α , BBN, CMB, X-ray constraints (from $\nu_i \rightarrow \nu_j \gamma$), SN1987a
(Smirnov et al. 2006, Kusenko 2009, Gelmini 2010)

3) Impact of ν_s on cLFV Z decays



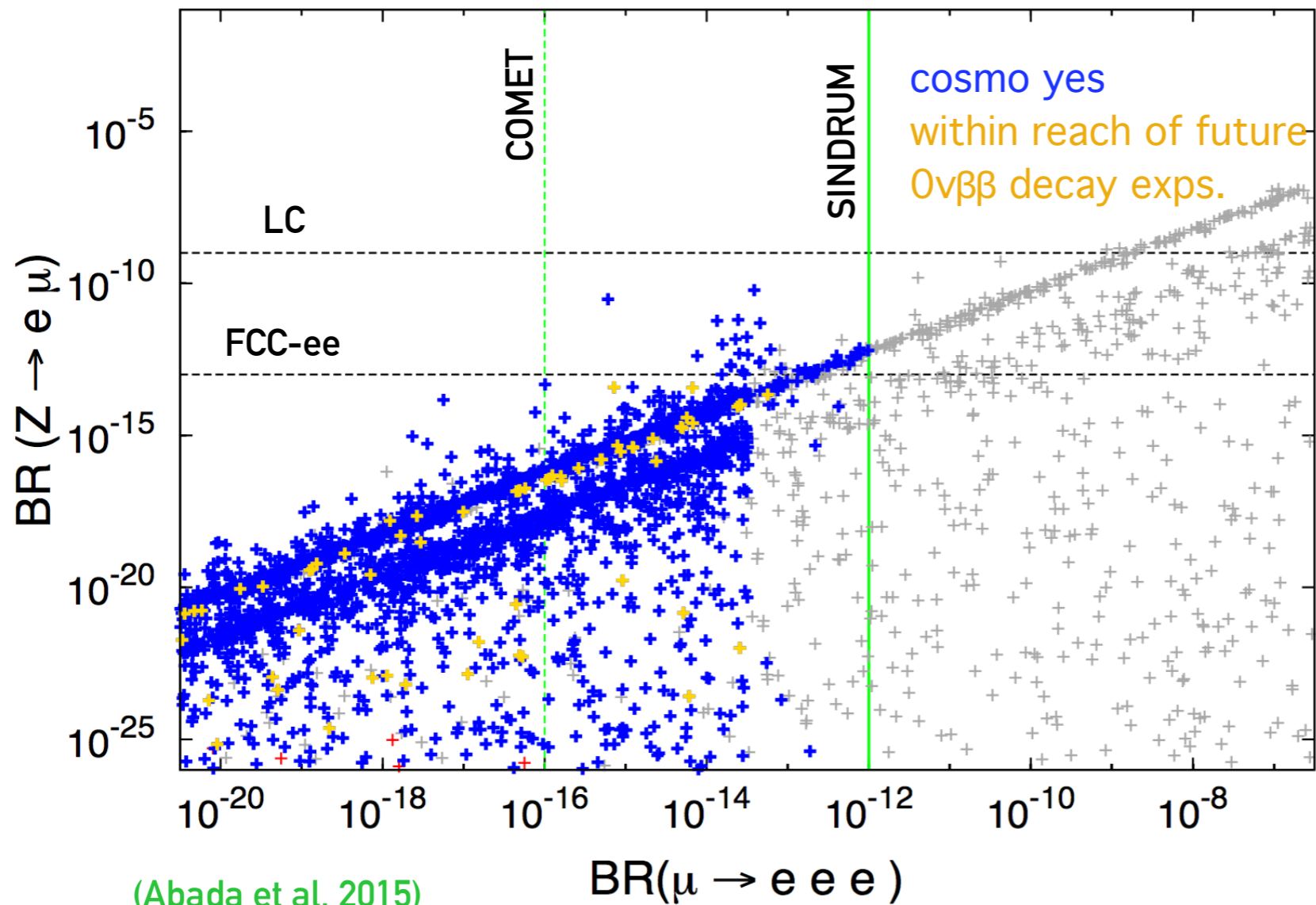
ν_i are physical states, $i = 3+N$
 $N = \text{extra Majorana states}$

ν s and cLFV in the ISS: $Z \rightarrow l_1^\pm l_2^\mp$

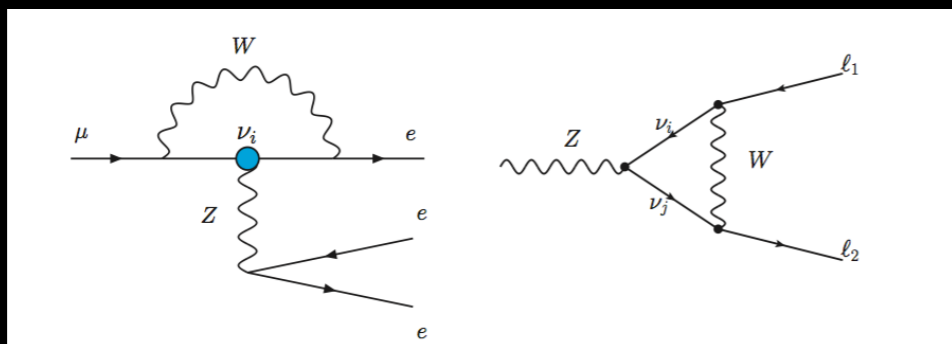


$\tilde{\eta} = 1 - \det(\tilde{U}_{\text{PMNS}})$
measures the deviation from unitarity.

ν s and cLFV: cLFV Z decays & three-body decays



(Abada et al. 2015)

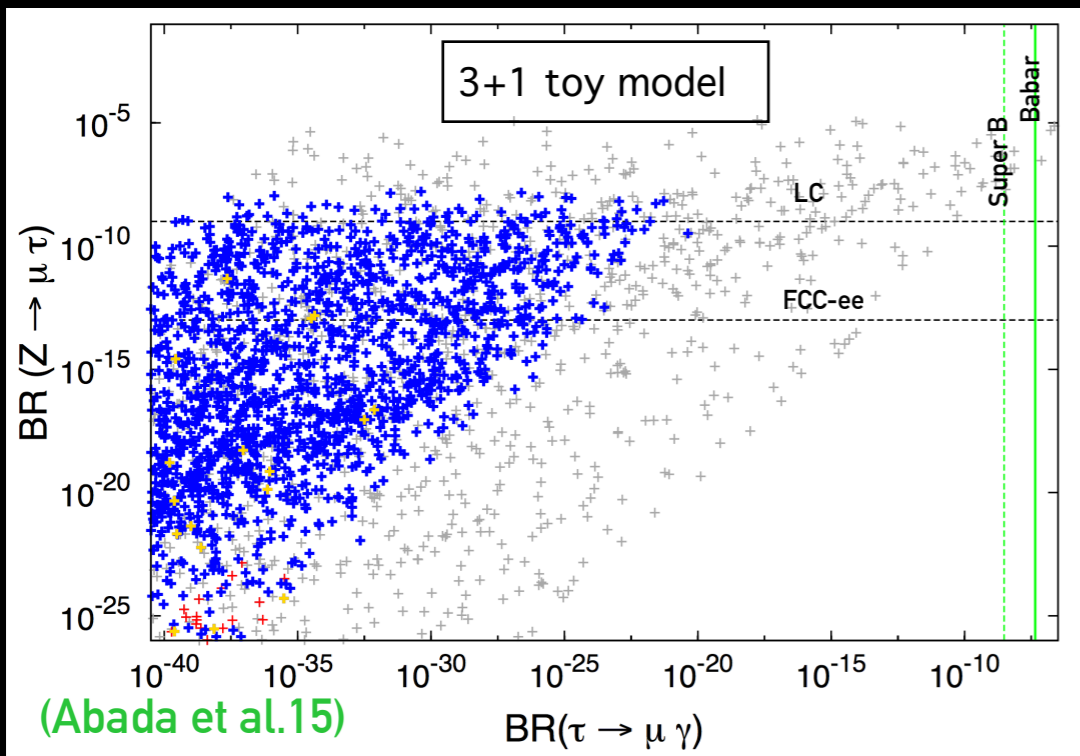
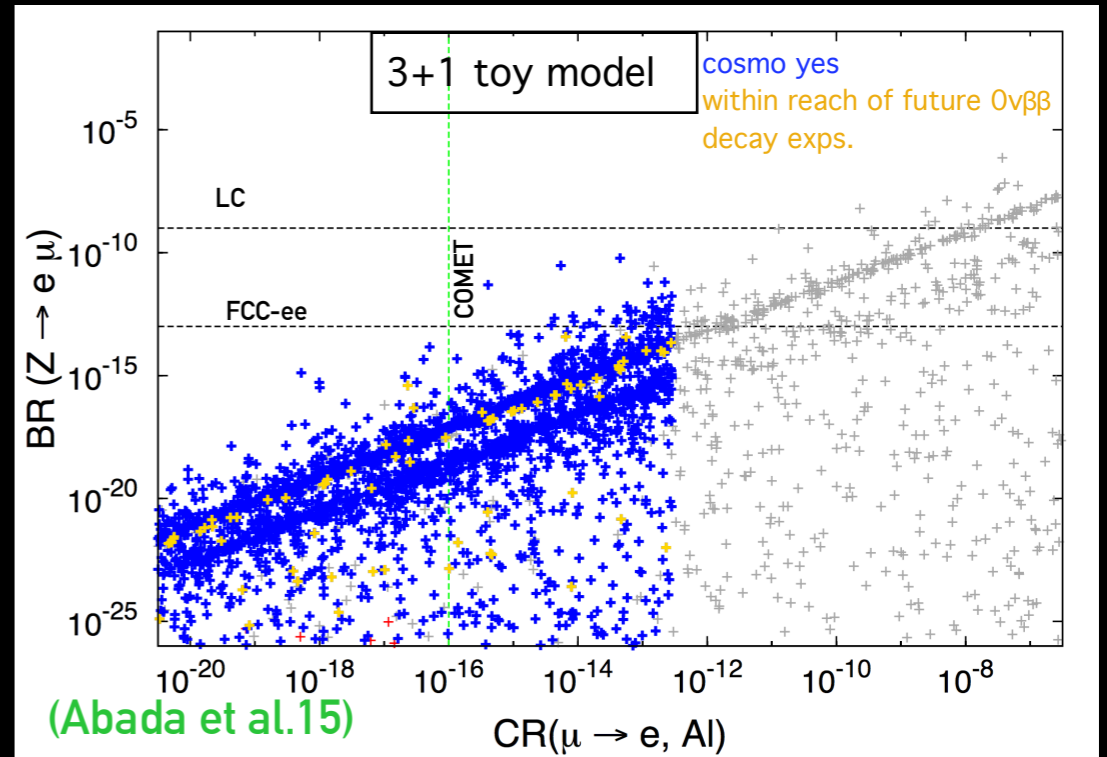
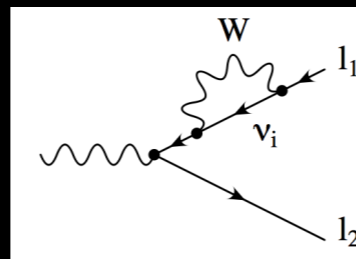
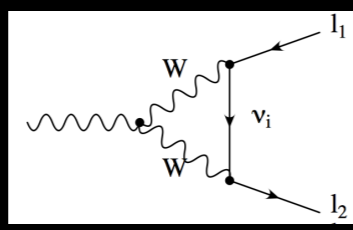
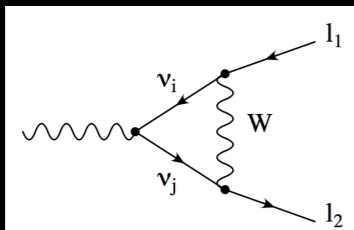


► dominated by Z penguins
(same contribution to three body $\mu \rightarrow e e e$)

ν_s and cLFV: rare Z decays

- rare cLFV Z decays at a high luminosity Z factory:

$$Z \rightarrow l_i^\mp l_j^\pm$$



- allows to probe cLFV in mu-tau sector beyond superB reach
- Other searches for sterile neutrinos at colliders:
 - direct searches for heavy N at colliders
 - cLFV Higgs decays (Arganda et al.14,15)

Conclusions

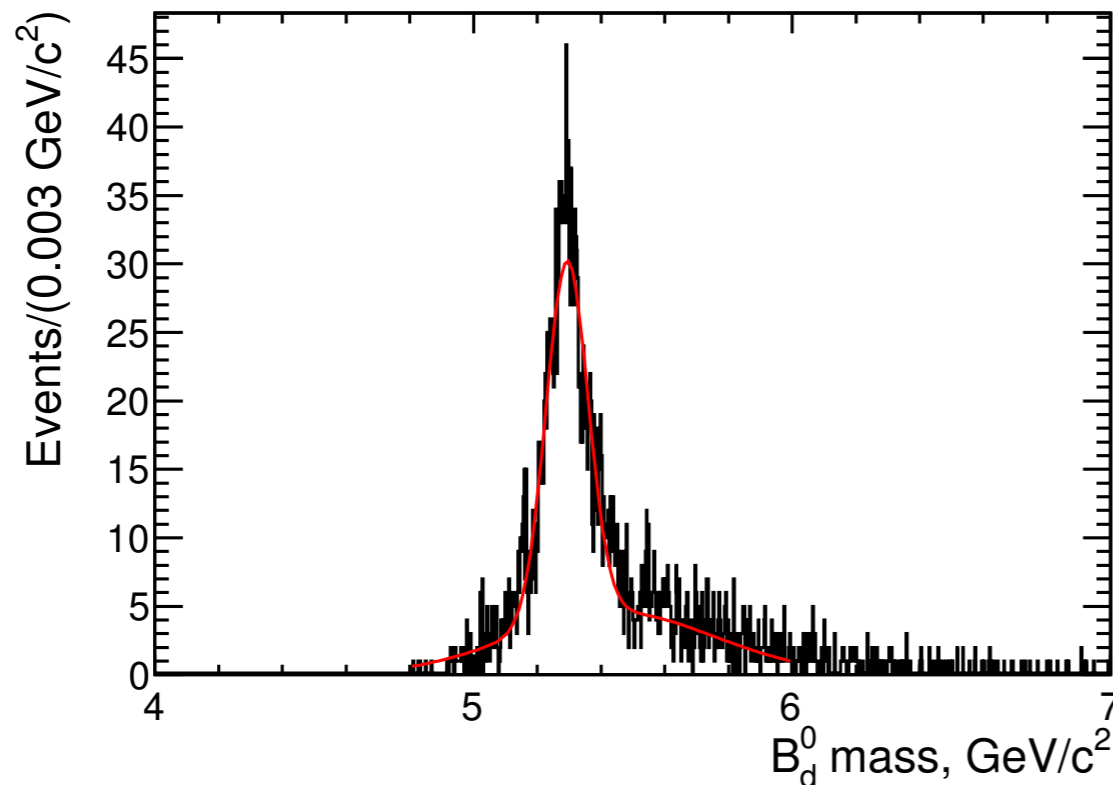
- We have considered **two extensions** of the SM (ISS and 3+1) which add to the particle content of the SM one or more sterile neutrinos.
- We have explored indirect searches for these sterile states at a future circular collider like **FCC-ee** running close to the Z mass threshold.
- We have considered the **contribution of the sterile states** to rare cLFV Z decays in these two classes of models and discussed them taking into account a number of **experimental and theoretical constraints**.
- Among these, **low-E LFV observables** receiving contributions from Z-mediated penguins like **$\mu \rightarrow e$ conversion** in nuclei and **$\mu \rightarrow eee$** impose strong **constraints** on the sterile neutrinos induced $\text{BR}(Z \rightarrow l_1^\pm l_2^\mp)$.
- Our analysis emphasised the underlying synergy between a **high-luminosity Z factory** and dedicated **low-E facilities**: regions of the parameter space of both models can be probed via LFV Z decays at FCC-ee, through LFV low-E decays ($\tau \rightarrow \mu\mu\mu$) and also $0\nu\beta\beta$.
- **FCC-ee could probe LFV in the μ - τ sector**, in complementarity to the reach of low-E expts.

- A preliminary Physics Case for Flavour Physics has been built relative to the anticipated results of the soon to be running LHCb upgrade and Belle II experiments.
<http://indico.cern.ch/event/313708/contribution/25/material/slides/0.pdf>
- This served as a basis for a kick-off discussion meeting (mainly with an audience of theoreticians) to criticize and eventually amend / refine / enhance the Physics scope of the WG. Held 1.5 years ago, September 2014.
<https://indico.cern.ch/event/336998/>
- A provisional strategy/hierarchy has been defined and contacts have been taken to initiate the phenomenological and experimental studies. Four other meetings followed where actual work started to be reported.
<https://indico.cern.ch/event/359433/>
<https://indico.cern.ch/event/380986/>
<https://indico.cern.ch/event/403492/>
<https://indico.cern.ch/event/462662/>

- Lepton Flavour Violation studies in $Z \rightarrow e\mu, e\tau, \tau\mu$
 - Institutes: LPC Clermont, LPT Orsay.
 - Goals:
 - a) revisit and complete the phenomenological study relating the observed branching fractions (BF) to the mass of the hypothetical sterile neutrinos.
 - b) estimate the experimental limit achievable on BF. Ongoing.

- Angular analysis of the decay mode $B_s \rightarrow \tau\tau$
 - Institutes: Marseille, CPT and CPPM.
 - Goals:
 - a) phenomenological build up the angular analysis.
 - b) exploration of partial reconstruction techniques.
 - c) estimate the expected precision on BF and angular parameters.
 - Recent results: https://indico.cern.ch/event/462662/contribution/1/attachments/1194584/1735242/talk_FCCee.pdf

- Angular analysis of the decay mode $B^0 \rightarrow K^*(892)\tau\tau$
 - Proponents: W. Altmanshoffer, J. Kamenik, D. Straub, S. Monteil, A. Semkiv
 - Goals:
 - a) phenomenological build up the angular analysis.
 - b) exploration of partial reconstruction techniques.
 - c) estimate the expected precision on BF and angular parameters.



Obtained with FCC software
Follow-up with A. Semkiv's Master
thesis (Kyiv).

- Discussions have started on new or connected subjects, where there have been an expression of interest for experimentalists to commit to. Among them, one can find:
- Angular analysis of the decay mode $B^0 \rightarrow K^*(892)ee$: *this is interesting to complete the picture of the rare radiative leptonic decays (and test lepton universality incidentally).*
- CP -violating phases γ and ϕ_s from $B_s \rightarrow D_s K$: *this is interesting per se but mostly useful to determine which type of Particle Identification detector would be needed to complete this physics program.*
- *Rare, exclusive hadronic Z decays: theoretically extremely clean; powerful tests of QCD factorization, can be used to probe directly both flavor conserving and FCNC couplings of the Z to quarks.*

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 - Angular analysis of the decays $(92)ee$: *this is interesting to complete the picture of $e^+e^- \rightarrow c\bar{c}$ decays (and test lepton universality incidence)*
 - CP -violating phases: *this is interesting per se but mostly useful to determine the CP violation. A Particle Identification detector would be needed to complete the physics program.*
 - *Rare, exclusive hadronic Z decays: theoretically extremely clean; powerful tests of QCD factorization, can be used to probe directly both flavor conserving and FCNC couplings of the Z to quarks.*

