

# Photon-jet Ridge @p+A

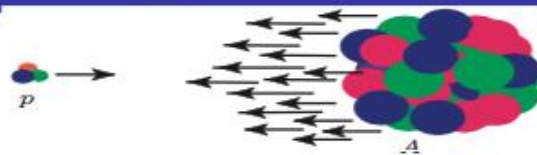
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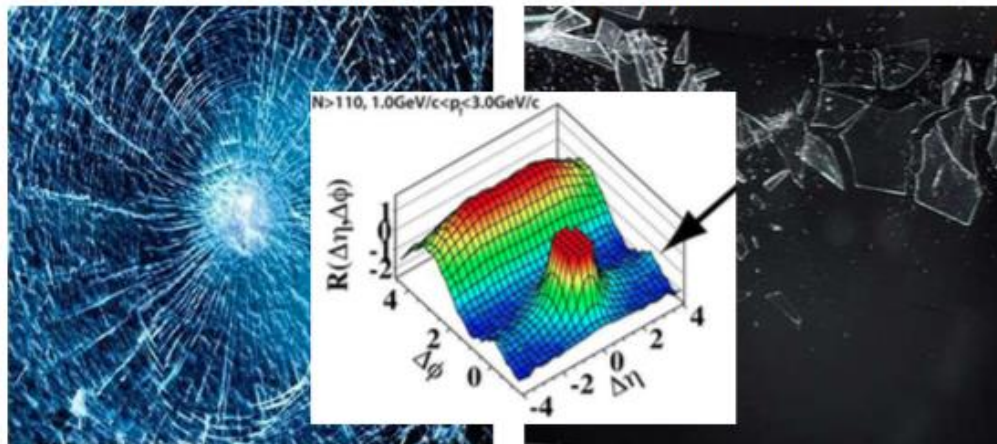
3rd International Conference on the Initial Stages in High-Energy Nuclear Collisions  
Lisbon, May 25, 2016

# What is origin of the observed Ridge phenomenon in $p+p(A)$ collisions?



Color–Glass–Condensate in pPb

Collective flow in pPb collisions



Motivation:

See talk by  
Alex Kovner

- Does the ridge phenomenon in  $p+p(A)$  collisions mainly come from initial-state or final-state effects?
- Is the "ridge" universal phenomenon, for all different two-particle productions in  $p+p(A)$  collisions? **di-photon, photon-jet, etc.**

**Photon-jet Ridge:** Rezaeian, PRD in press, arXiv:1603.07354.

➡ This talk

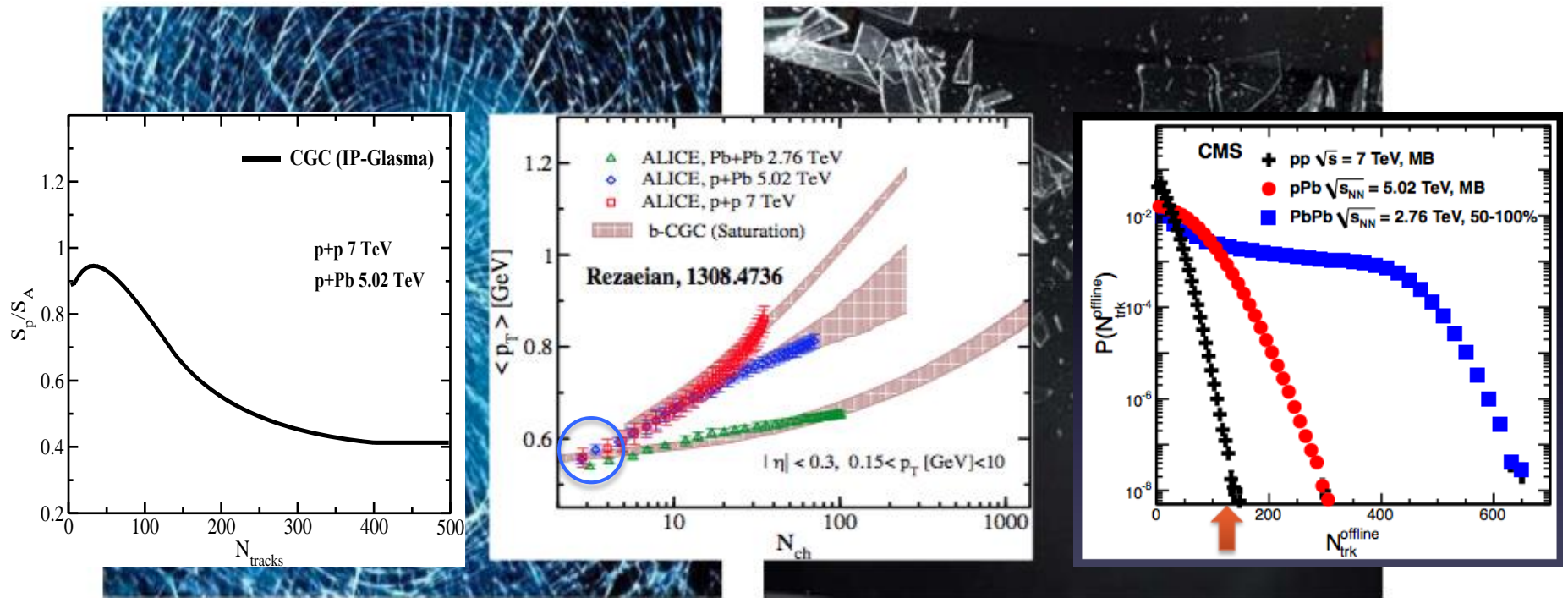
**Di-photon Ridge:** Kovner, Rezaeian, PRD92, arXiv:1508.02412.



# Back-of-the-envelope measurements: Initial-state v. final-state!

Increase v. flatness of  $\langle p_T \rangle(N_{ch})$

$\langle p_T \rangle(N_{ch})$  :  $K_T$  – Factorization, and  $Q_{s,min}^2 \rightarrow Q_{s,min}^2 \times N_{ch}/\langle N_{ch} \rangle$



Different system sizes:

$$S_{eff}(N_{cri}) = Const.$$

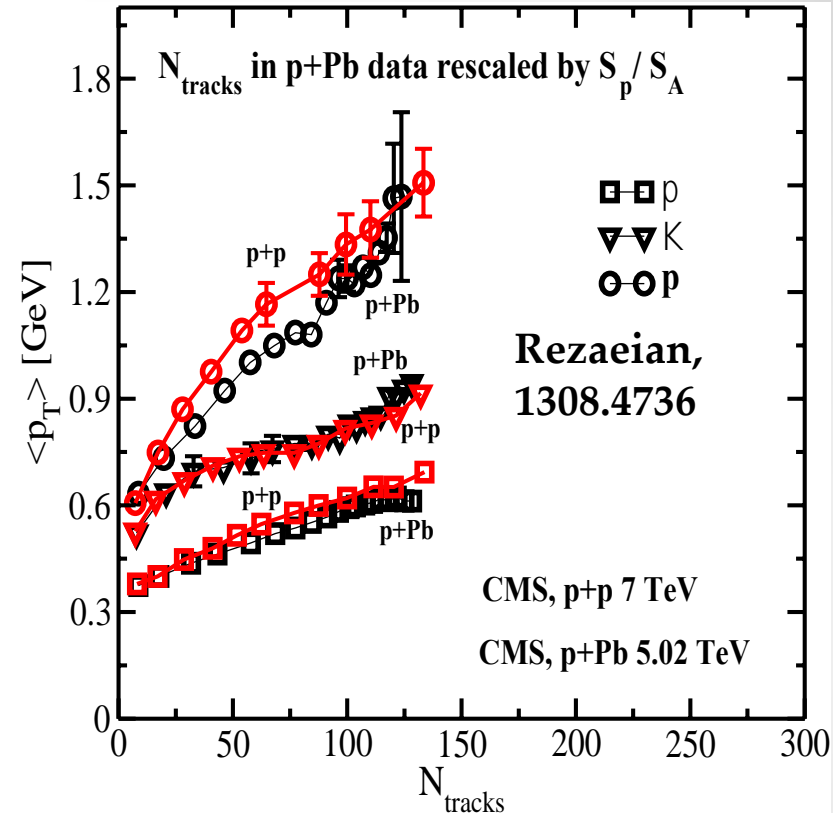
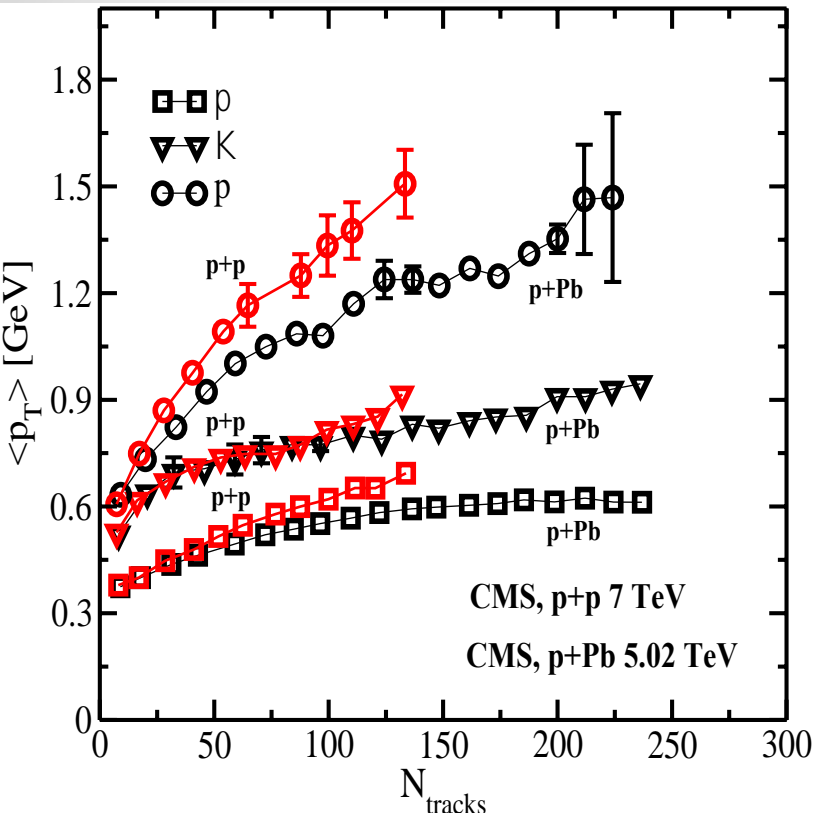
$$\langle N_{ch} \rangle^{Pb+Pb} > \langle N_{ch} \rangle^{p+Pb} > \langle N_{ch} \rangle^{p+p},$$

$$N_{cri}^{Pb+Pb} > N_{cri}^{p+Pb} > N_{cri}^{p+p},$$

Two competing effects: **saturation scale** and **effective interactions area**.

A event with the same multiplicity in pp, pA and AA **does not** necessarily correspond to the same system.

# Geometric scaling in p+Pb@LHC

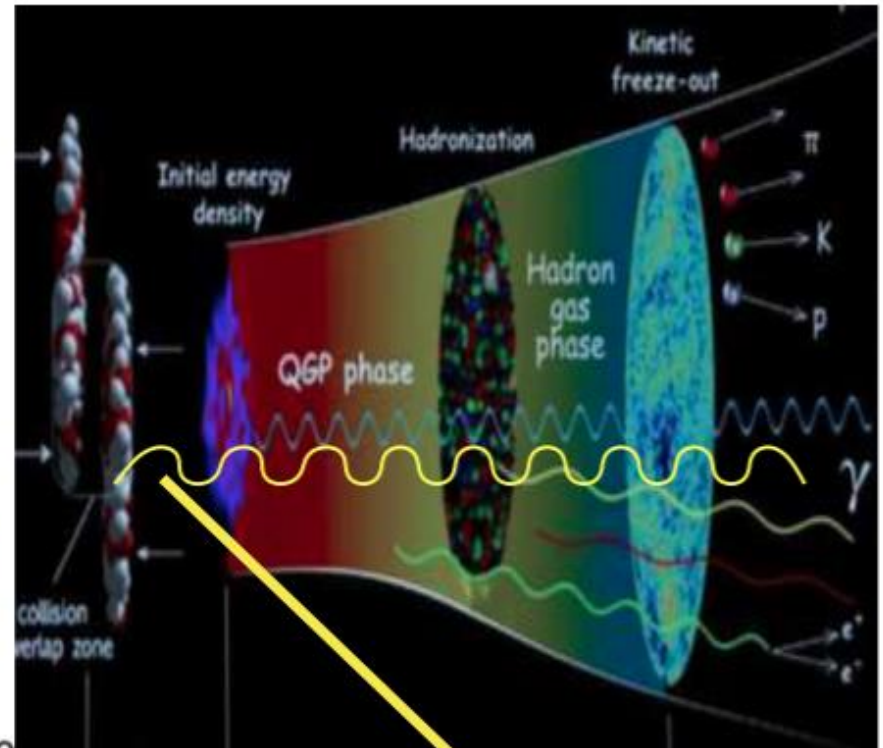
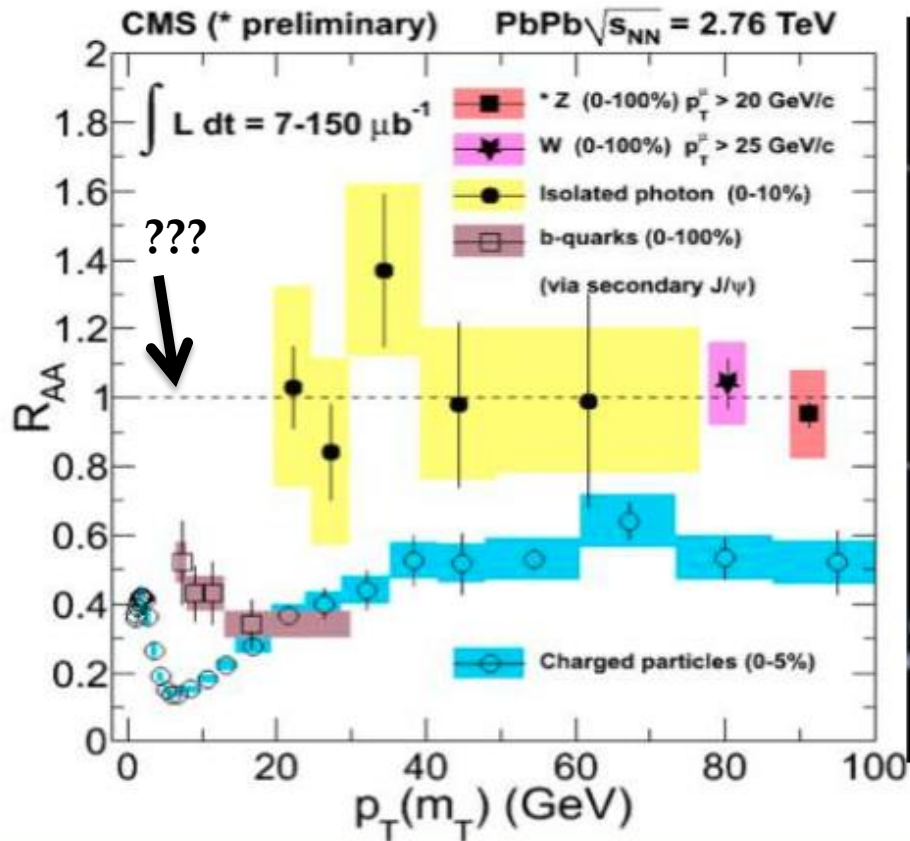


$$N_{\text{tracks}}^{p+p} \propto S_p Q_{s,\min}^2(x) \quad \text{and} \quad N_{\text{tracks}}^{p+Pb} \propto S_A Q_{s,\min}^2(x) \longrightarrow N_{\text{tracks}}^{p+p} \approx K \frac{S_p}{S_A} N_{\text{tracks}}^{p+Pb}$$

McLerran, Praszalowich, Schenke, arXiv:1306.2350; A. R., arXiv:1308.4736.

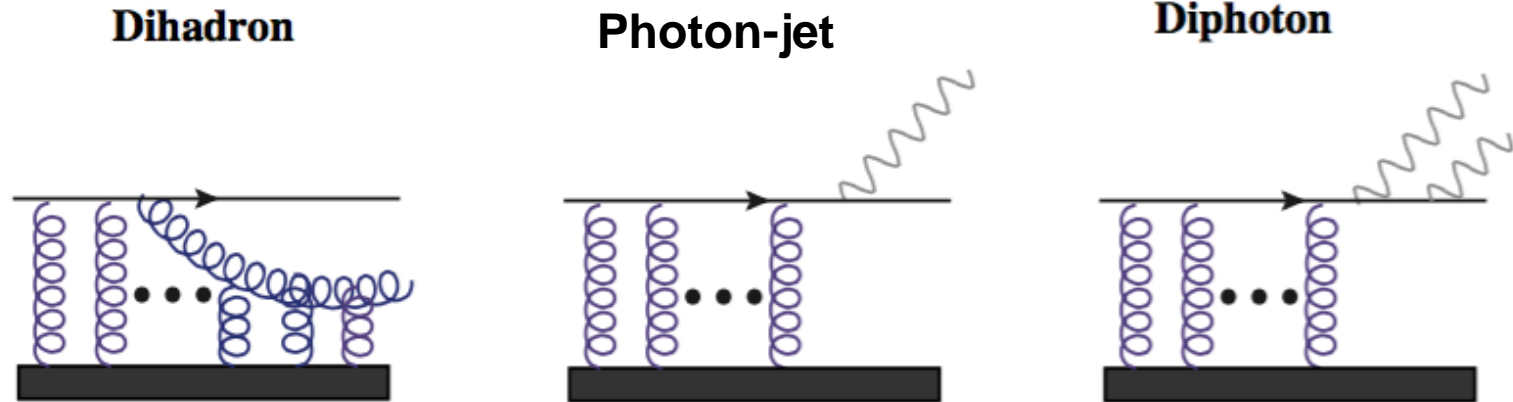
- Can final-state type approaches like hydrodynamic explain this scaling phenomenon?

# Prompt Photon @A+A



- Photons can be produced at different stages of collisions (prompt, thermal, decay). Here I only discuss prompt photon coming from hard collisions in small-x region.
- In AA collisions all hadrons are strongly quenched except prompt photon → **prompt photon can be a good probe of initial-state effects.**

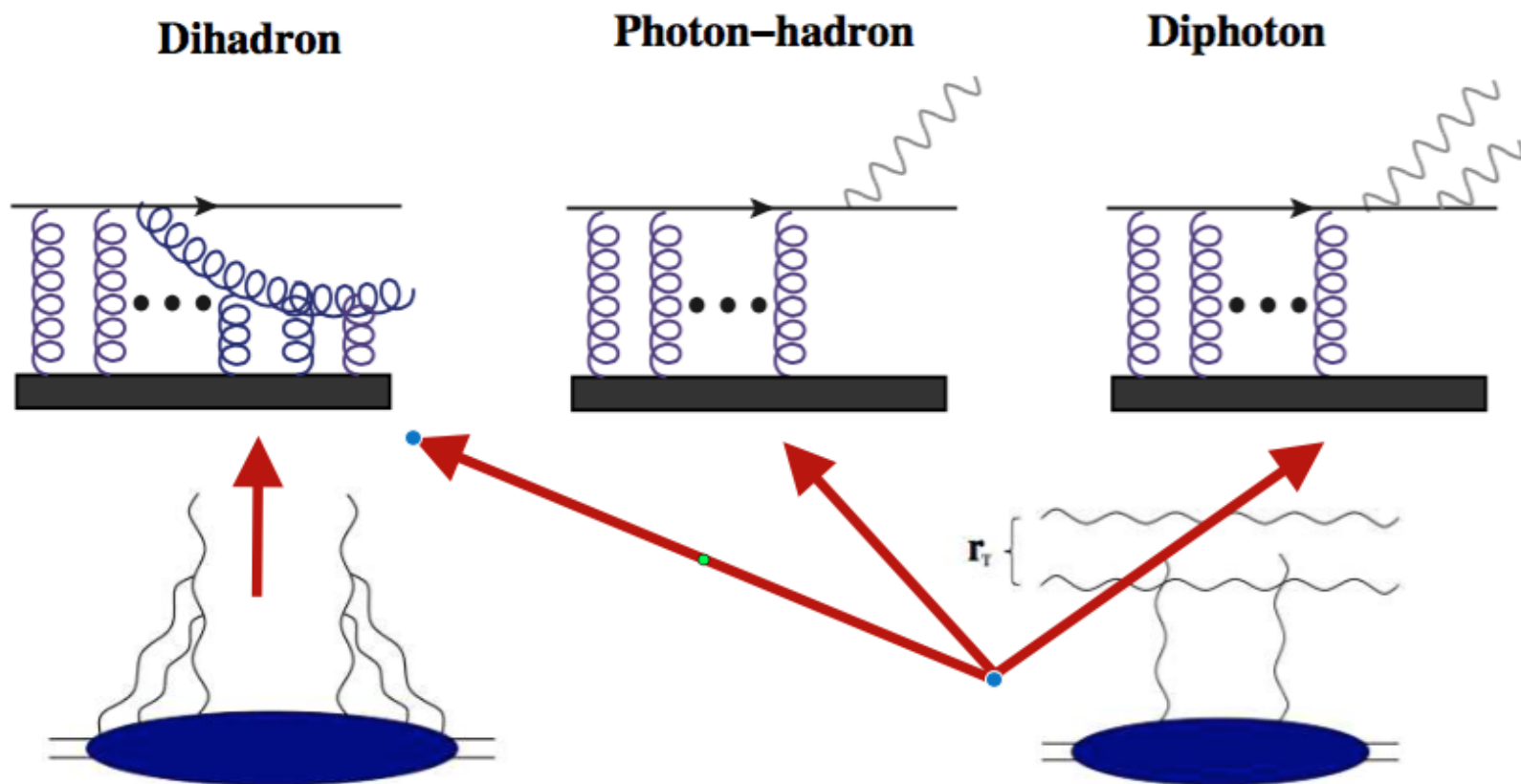
# Two-particle production



- Soft gluons are scattered out of the projectile wave function by directly scattering on a saturated target.  
**Photons do not scatter themselves, but rather decohere from the scattered quarks.**
- Virtual photons do not directly interact with the gluons inside target.
- Final-state effects are absent in the photon production, no initial-final state interference, and no hadronization.



## Two-particle production in p+A collisions from the CGC



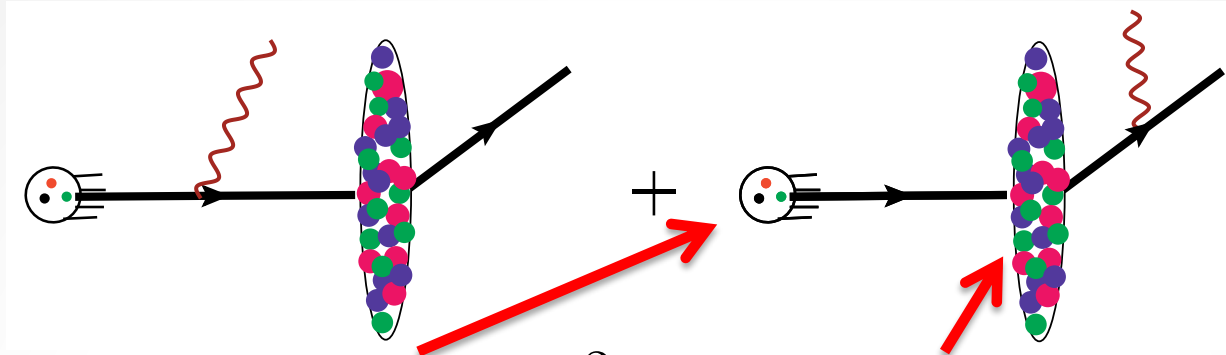
Weizsacker-Williams (WW) gluon distribution (quadrupole)  
counts the number of gluons (**never measured**)

Color dipole gluon distribution (dipole)  
appears in  $F_2$ ,  $F_L$  structure functions (**measured**)

### Dihadron v. photon-hadron v. diphoton production in the CGC

- In contrast to dihadron production, photon-hadron and diphoton cross section depend only on the dipole amplitude (not WW gluon distribution).

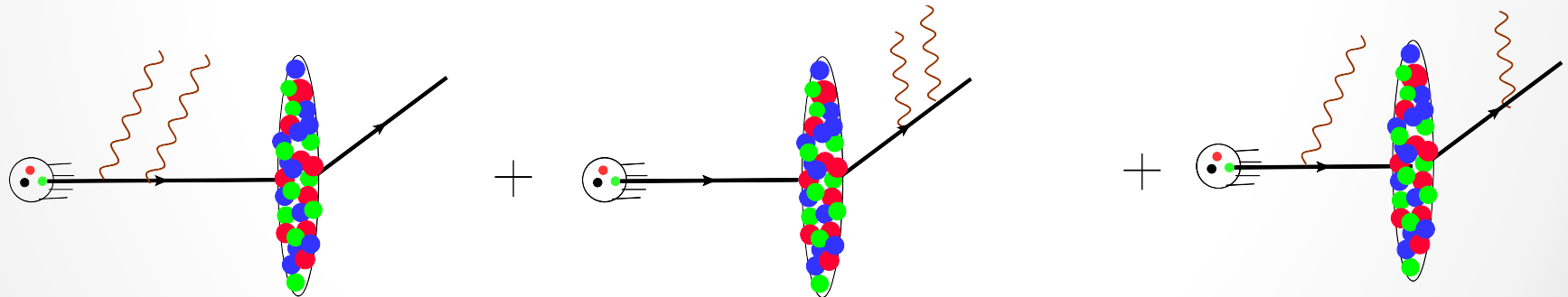
## Prompt Photon+Jet production in p+A collisions at LO:



$$\sigma = \alpha_{em} F(x_q, \mu^2) \otimes \mathcal{H}^\gamma \otimes N_F(x_g, p_T)$$

Gelis, Jalilian-Marian, hep-ph/0205037; Baier, Mueller, Schiff, hep-ph/0403201;  
Kovner, Rezaeian, arXiv:1404.5632.

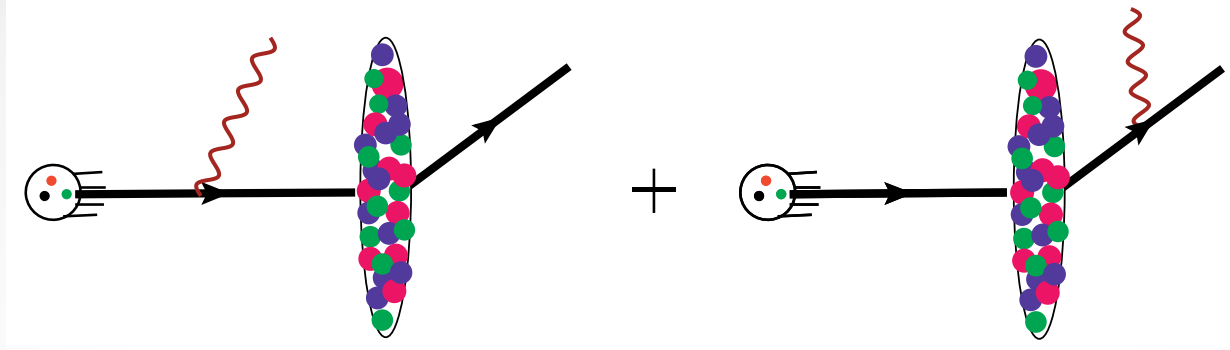
## Prompt Diphoton+Jet production in p+A collisions at LO:



$$\sigma = \alpha_{em}^2 F(x_q, \mu^2) \otimes \mathcal{H}^{\gamma\gamma} \otimes N_F(x_g, p_T)$$

Kovner, Rezaeian, arXiv:1404.5632; arXiv:1508.02412.





## Prompt Photon+Jet production in p+A collisions at LO from the CGC:

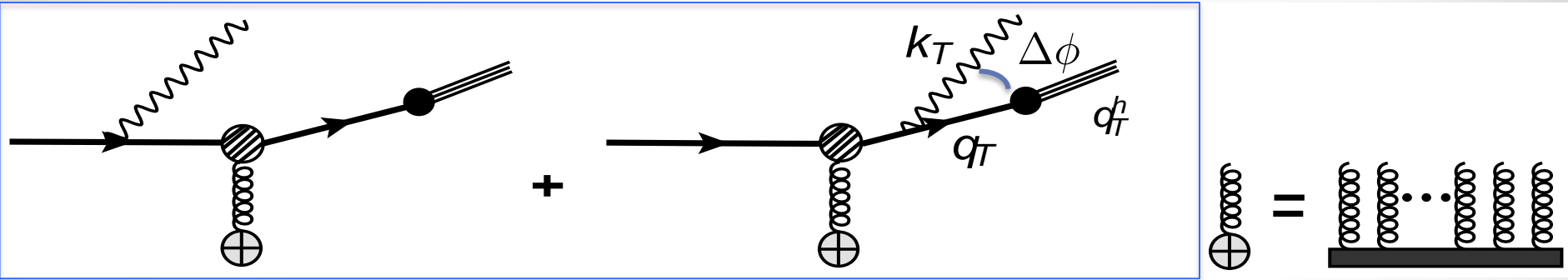
### Theory:

- Gelis, Jalilian-Marian, *PRD***66**, hep-ph/0205037.
- Baier, Mueller, Schiff, *NPA***741**, hep-ph/0403201.
- Kovner, Rezaeian, *PRD***92**, arXiv:1404.5632.

### Phenomenology:

- Jalilian-Marian, Rezaeian, *PRD***86**, arXiv:1204.1319. ← **Away-side Corr.**
- Staśto, Xiao, Zaslavsky, *PRD***86**, arXiv:1204.4861. ← **DY**
- Rezaeian, *PRD***86**, arXiv:1209.0478; *PLB***718**, arXiv:1210.2385. ← **R<sub>pA</sub>**
- Rezaeian, *PRD in press*, arXiv:1603.07354 ← **Ridge**

# Origin of Photon-Jet Ridge



$$\frac{d\sigma^{p+A \rightarrow \gamma(k) + \text{jet}(q) + X}}{d^2\mathbf{b}_T d^2\mathbf{k}_T d\eta^\gamma d^2\mathbf{q}_T d\eta^{\text{jet}}} \propto |\mathbf{q}_T + \mathbf{k}_T|^2 N_F(b_T, |\mathbf{q}_T + \mathbf{k}_T|, x_g).$$

**Condition 1:** If  $p_T^{\text{total}} = |\mathbf{q}_T + \mathbf{k}_T| \approx 0 \rightarrow \sigma^{p+A \rightarrow \gamma(k) + \text{jet}(q) + X} \approx 0$ .

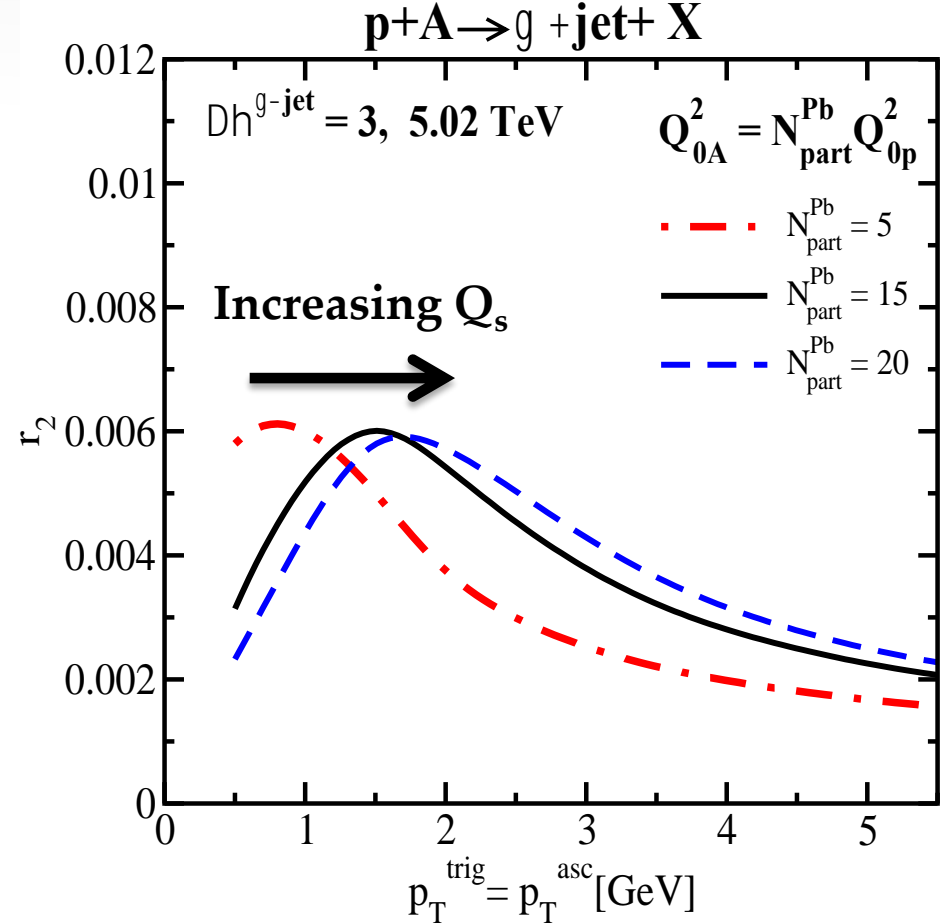
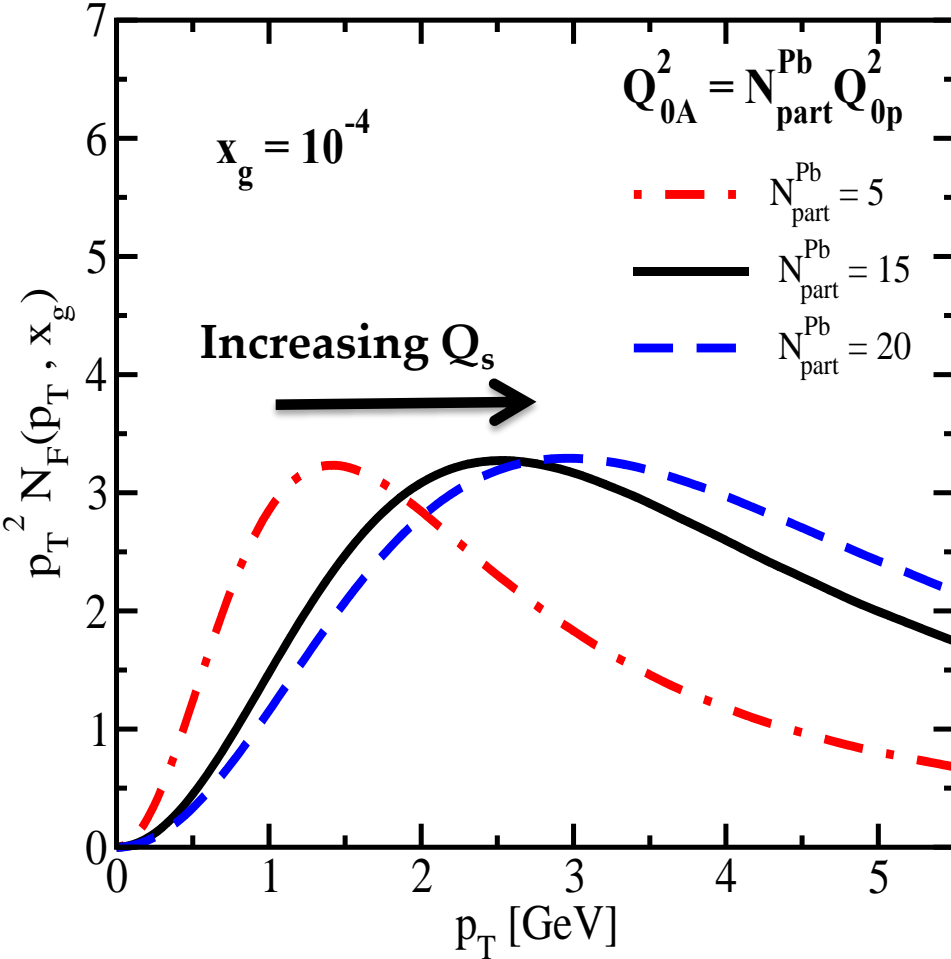
## Local Minimum

This condition can be satisfied for away-side correlations:  $\Delta\phi = \pi$  for  $q_T \sim k_T$

**Condition 2:** If  $p_T^{\text{total}} = |\mathbf{q}_T + \mathbf{k}_T| \approx Q_s$  then  $\sigma^{p+A \rightarrow \gamma(k) + \text{jet}(q) + X} \rightarrow \text{Maximum}$ .

## Local Maximum

This condition can be satisfied for near-side correlations:  $\Delta\phi = 0$  for  $q_T \sim k_T \sim Q_s/2$



$$r_2(p_T^{\text{trig}}, \eta^\gamma, p_T^{\text{asc}}, \eta^{\text{jet}}, \Delta\phi) = \frac{2\pi q_T^2 \frac{dN^{p+A \rightarrow \gamma(k) + \text{jet}(q) + X}}{d^2\mathbf{k}_T d\eta^\gamma d^2\mathbf{q}_T d\eta^{\text{jet}}}}{\frac{dN^{p+A \rightarrow \gamma(k) + X}}{d^2\mathbf{k}_T d\eta^\gamma}} \bigg|_{k_T = p_T^{\text{trig}}, q_T = p_T^{\text{asc}}}.$$

# Correlations via Coincidence probability

**Coincidence probability** (Photon triggered):  $\longrightarrow CP(\Delta\phi) = N^{\text{photon-jet}}(\Delta\phi)/N^{\text{photon}}$

$$CP(p_T^{\text{trig(photon)}}, \eta^\gamma, p_T^{\text{asc(jet)}}, \eta^{\text{jet}}, \Delta\phi) = \frac{2\pi \int_{p_T^{\text{trig}}} dk_T k_T \int_{p_T^{\text{asc}}} dq_T q_T \frac{d\sigma^{p+A \rightarrow \gamma(k) + \text{jet}(q) + X}}{d^2\mathbf{b}_T d^2\mathbf{k}_T d\eta^\gamma d^2\mathbf{q}_T d\eta^{\text{jet}}}}{\int_{p_T^{\text{trig}}} d^2\mathbf{k}_T \frac{d\sigma^{p+A \rightarrow \gamma(k) + X}}{d^2\mathbf{b}_T d^2\mathbf{k}_T d\eta^\gamma}} - C_{\text{ZYAM}},$$

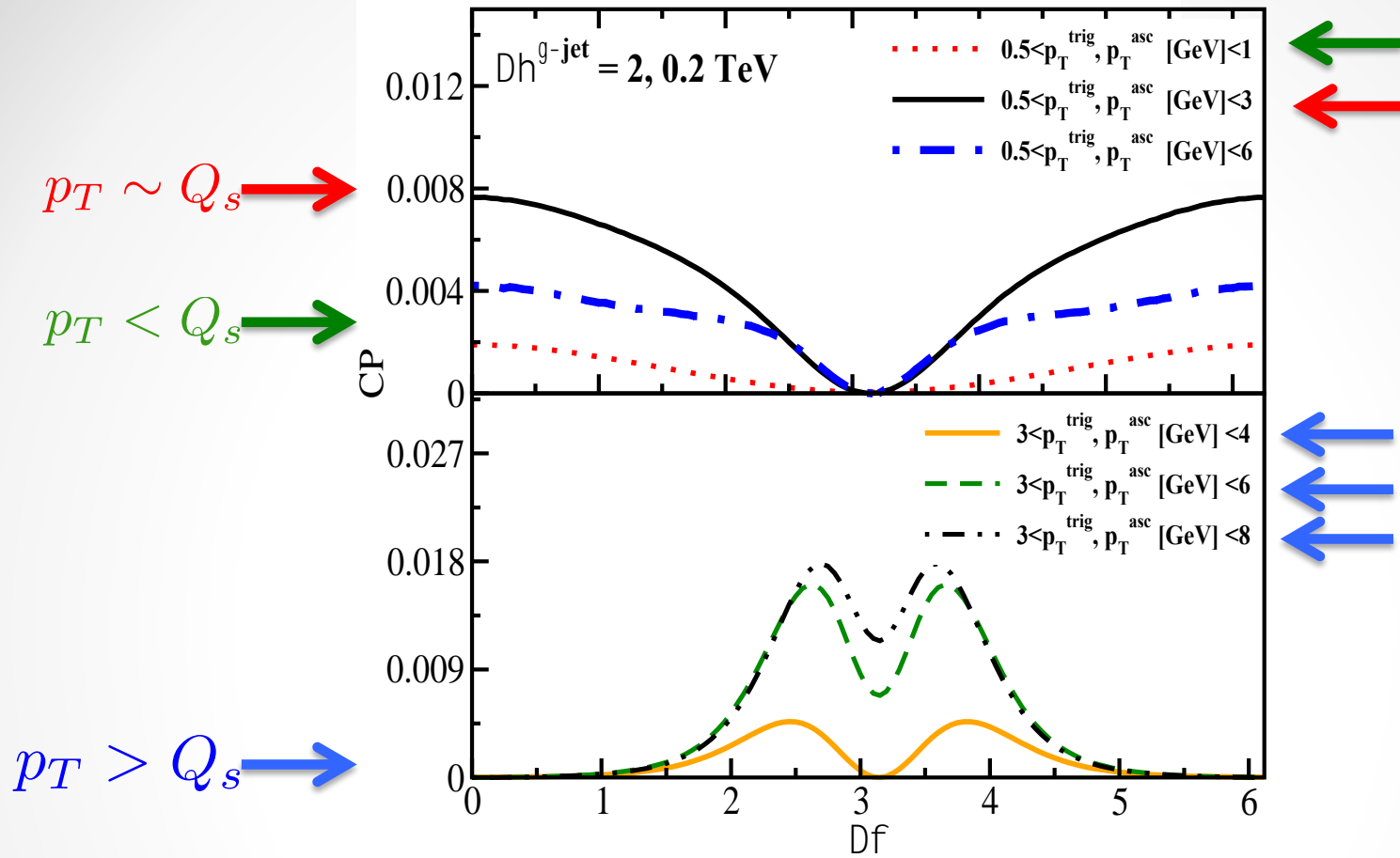
$CP[\gamma (\text{trigger}) + \text{Jet} (\text{associated})] > CP[\gamma (\text{associated}) + \text{Jet} (\text{trigger})]$

**ZYAM** subtraction: is not the same way as defined by ATLAS Coll.  
But this will not change the over-all physics here.

**See talk by Brian Cole**

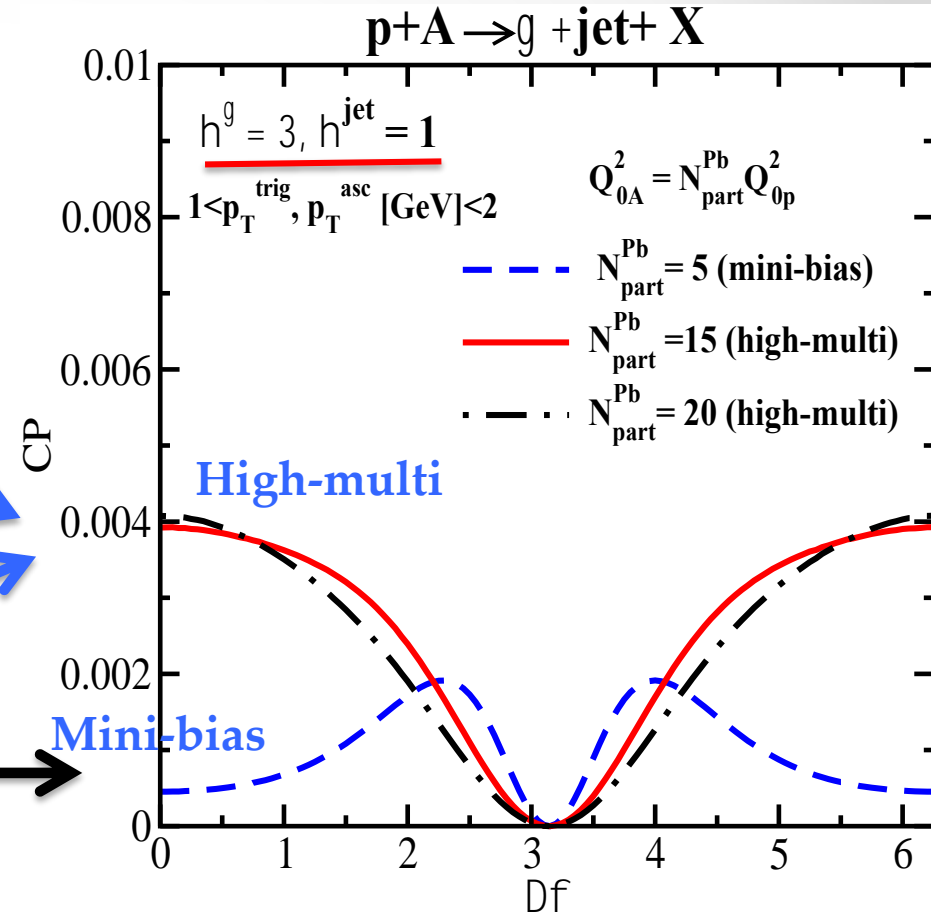
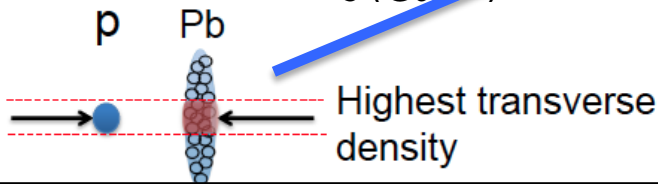
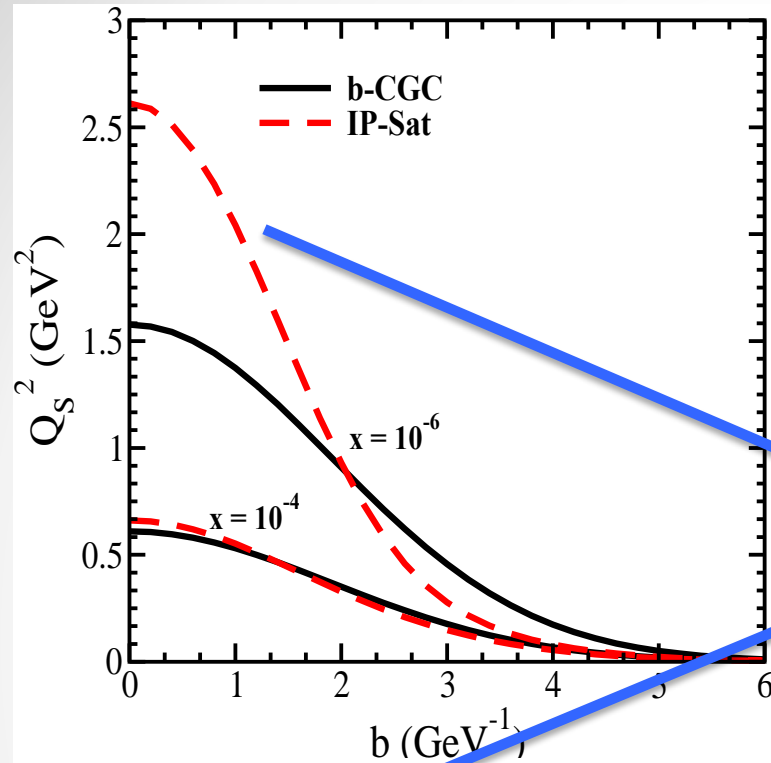


# $p+A \rightarrow g + \text{jet} + X$



For  $P_T^{\text{Total}} < Q_s$  or  $P_T^{\text{Total}} > Q_s$ , away from the **condition 2**, the near-side correlations diminishes.

# Density (multiplicity) dependence of the Ridge



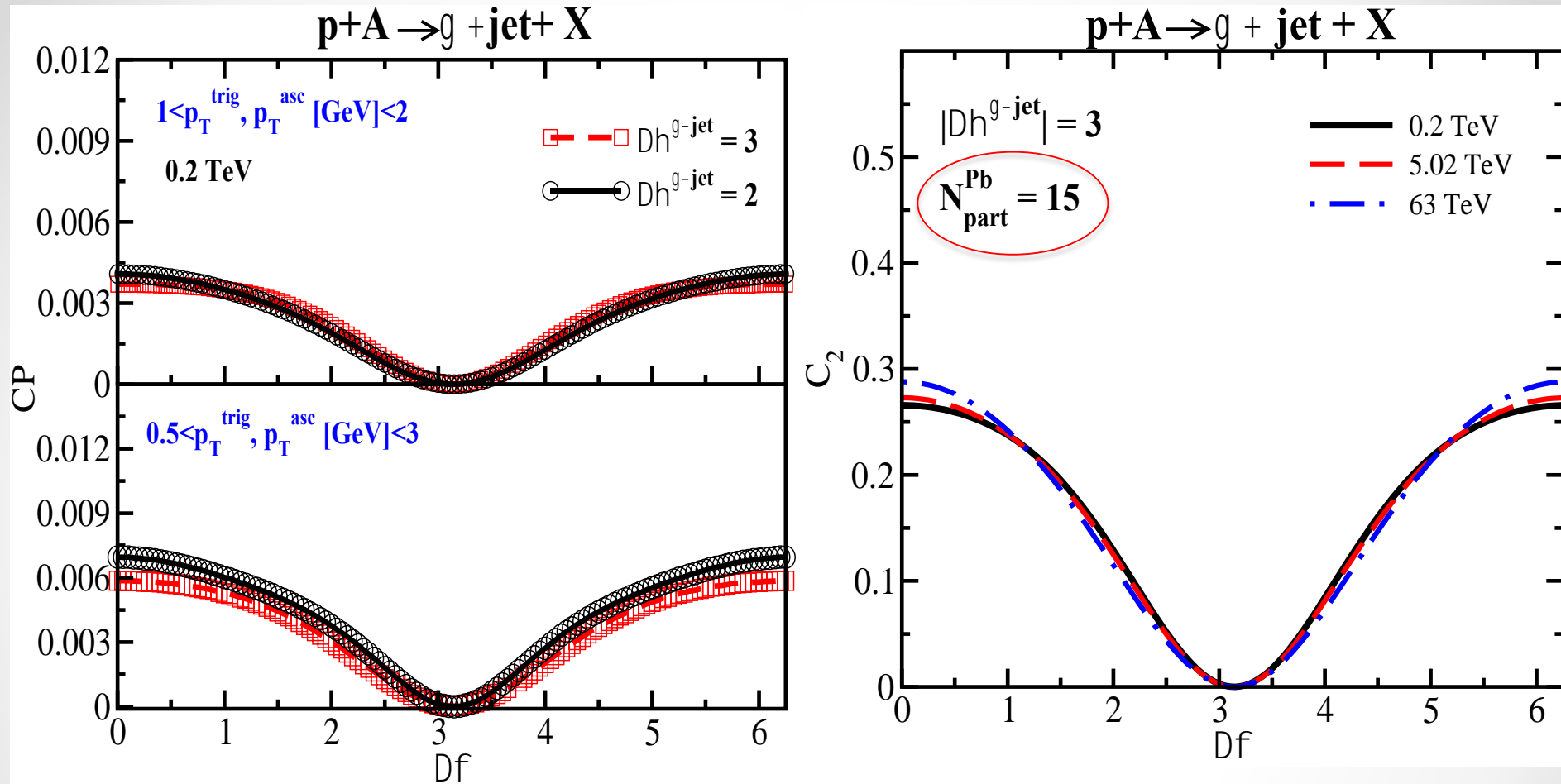
At events with  $N_{\text{part}}^{\text{Pb}} > 10$ , near-side photon-jet correlations are maximum and does not change with multiplicity further. At the same events, the di-hadron Ridge shows up (Dusling, Venugopalan, 2013).

$$Q_0^2(\text{lead}) = N_{\text{part}}^{\text{Pb}} Q_0^2(\text{proton})$$

# of "wounded" nucleons in lead nucleus

$N_{\text{part}}^{\text{Pb}} \approx 5$  : minimum bias collisions

# Rapidity and energy dependence of the Ridge

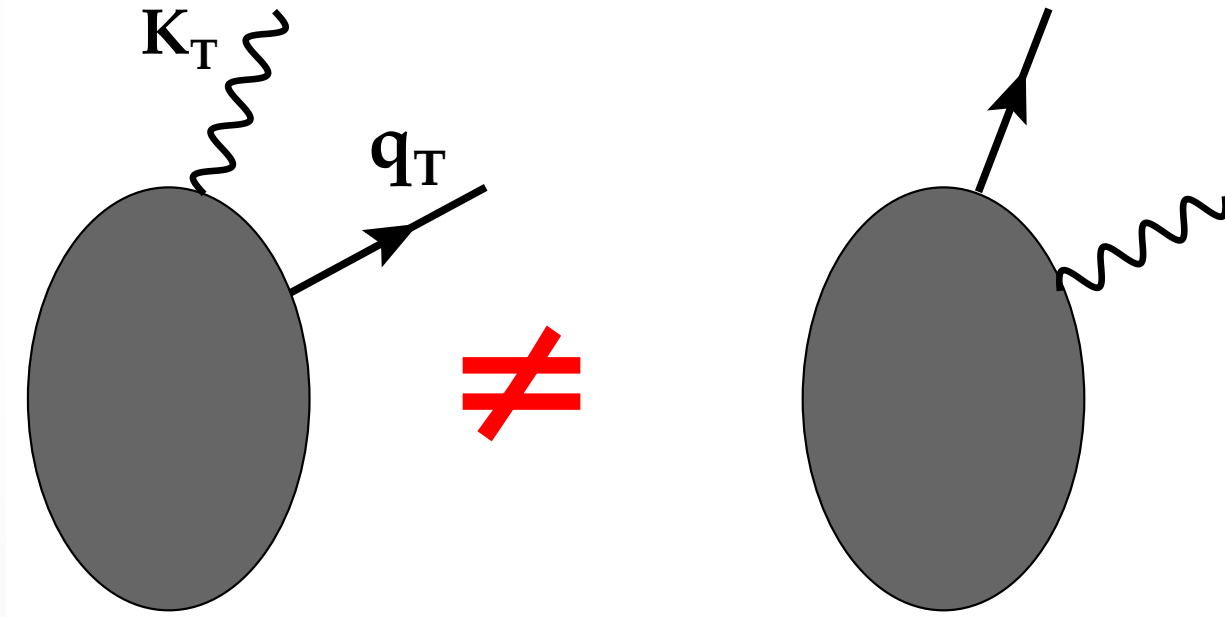


- ❑ The near-side and away-side photon-jet correlations practically do not change within  $\Delta\eta^{\gamma-\text{jet}} \approx 2-4$  in high-multiplicity events.
- ❑ Although,  $x_g$  changes from  $10^{-3}$  to  $10^{-6}$ , there is little energy dependence for the photon-jet ridge at high multiplicity events.

# Photon-jet v. two-hadron correlations

- ◆ The cross-section of photon-jet production and the correlations are **NOT** symmetric with respect to the replacement of:

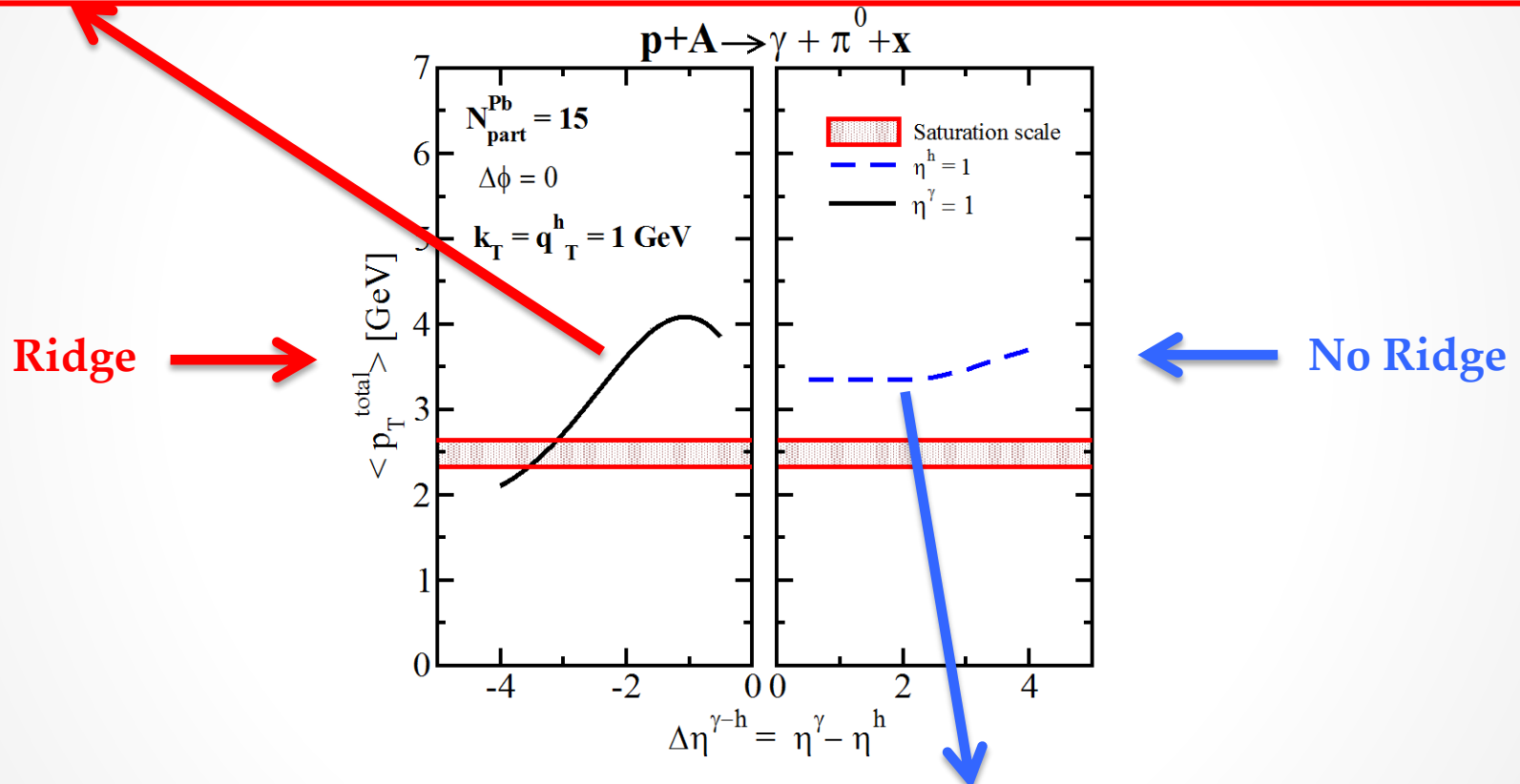
$$\eta^\gamma \longleftrightarrow \eta^{jet}, q_T \longleftrightarrow k_T$$





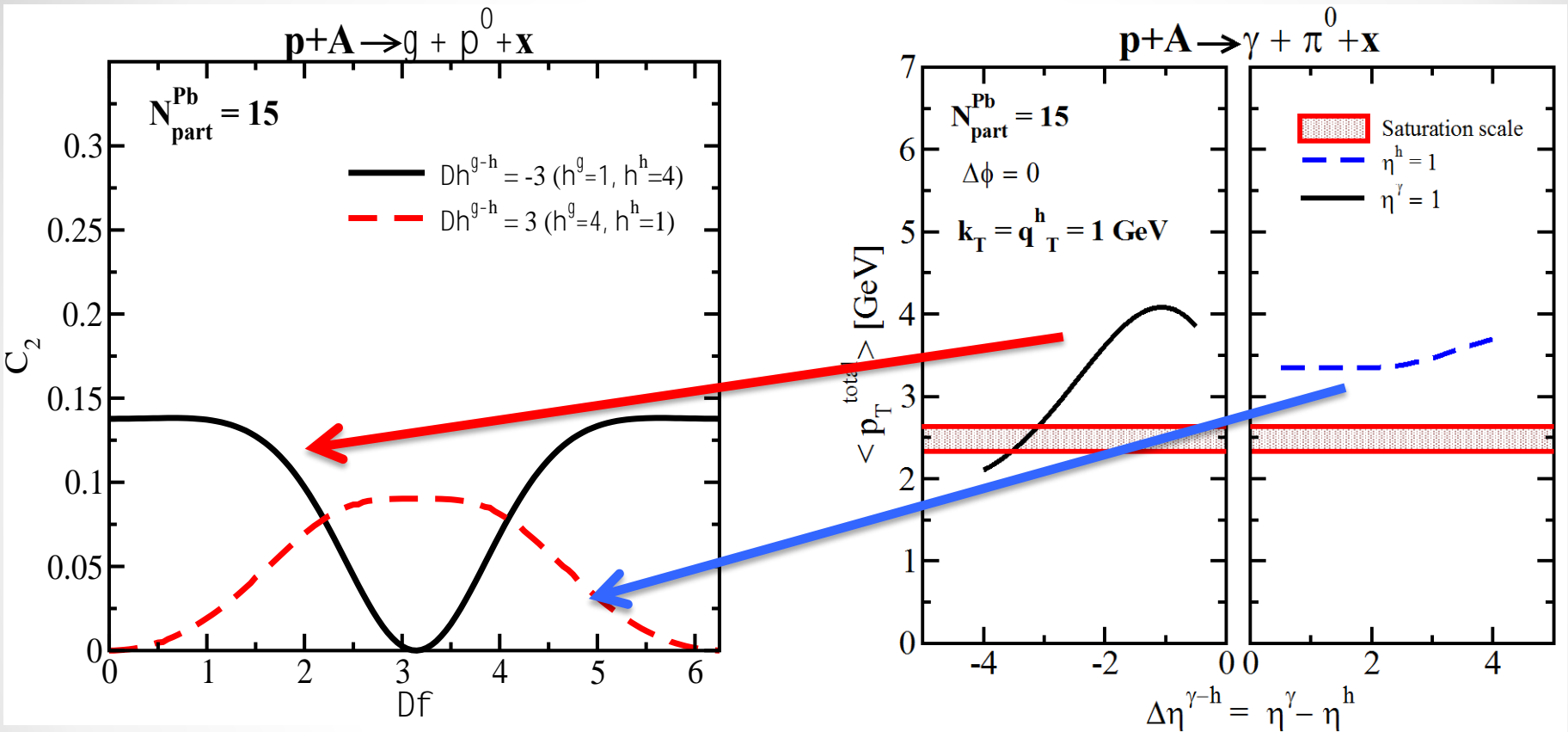
# Photon-hadron correlations

For  $\eta^\gamma - \eta^h \ll 0$  :  $\langle p_T^{total} = |k_T + q_T^h/z_h| \rangle \rightarrow Min$ , because  $\langle z_h \rangle \rightarrow Max$



For  $\eta^\gamma - \eta^h \gg 0$  :  $\langle p_T^{total} = |k_T + q_T^h/z_h| \rangle \rightarrow const$ , because  $\langle z_h \rangle \rightarrow const$

# Photon-hadron near-side correlations



For **photon-hadron** production a ridge-like structure only exist for :

$$\eta^h > \eta^\gamma$$

# Conclusion

- ❑ A ridge-type structure exists for pairs of prompt photon and jet production in high-multiplicity p+A collisions at both RHIC and the LHC.

The **photon-jet collimation** at near-side strongly depends on saturation dynamics and is **maximum** at:

- $P_T^{total} \sim Q_s \rightarrow p_T^{jet,\gamma} \approx 1 - 3 \text{ GeV}$

- $N_{part}^{Pb} > 5$

- $\eta^{\gamma-jet} \approx 2 - 5$

These ridge-like features are strikingly similar to the observed ridge effect for di-hadron correlations at RHIC and the LHC.

In the Glasma approach of **Dusling-Venugopalan**: both projectile and target are in the saturation regime. Here only target is in the saturation regime!

- ❑ Hadronization of jet has non-trivial effects on the photon-jet correlations.
- ❑ Photon-hadron correlations: the near-side collimation exists for  $\eta^\gamma < \eta^h$ .