# Bulk observables in small colliding systems using Yang-Mill dynamics and Lund string fragmentation 

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## Outline

Initial state models based on CGC $->$ ab-initio framework for correlated multi-particle production in small systems

How to propagate the correlations generated in initial state to the final state particles ?

Approach I : Hydrodynamic evolution (widely discussed in this conference)
Approach II : Scheme of fragmentation (topic of this talk)

This is the very first attempt to combine solutions of CYM equation with Lund string fragmentation

## Outline

Goal : Study the role of initial state dynamics on bulk observables that are attributed to collectivity

Focus: High multiplicity events in the collisions of small systems : $p+p$ and $p / d+A$

We need:

- An ab-initio framework of particle production
- Full treatment of different sources of fluctuations
- State-of-the art treatment of fragmentation


## Details of the framework

- Full solutions of CYM on 2+1D lattice: IP-Glasma Monte-Carlo model of initial conditions : constrained by HIC data
- Lund model of fragmentation in PYTHIA to produce particles from gluons: default parameters to avoid tuning


Sjostrand, Mrenna, Skands hep-ph/0603175

## Initial state of the IP-Glasma model

- IP-Sat model —> color charge density of colliding hadrons : constrained by HERA DIS e-p data
- Non-perturbative sources of fluctuations introduced by fluctuating the average saturation scale

McLerran, PT 1508.03292

$$
P\left(\ln \left(Q_{S}^{2} /\left\langle Q_{S}^{2}\right\rangle\right)\right)=\frac{1}{\sqrt{2 \pi} \sigma} \exp \left(-\frac{\ln ^{2}\left(Q_{S}^{2}\left(\mathbf{s}_{\perp}\right) /\left\langle Q_{S}^{2}\left(\mathbf{s}_{\perp}\right)\right\rangle\right)}{2 \sigma^{2}}\right) \quad \sigma^{2}(Y)=\sigma_{0}^{2}\left(Y_{0}\right)+\sigma_{1}^{2}\left(Y-Y_{0}\right)
$$




## Step-I : sample gluons from IP-Glasma

Perform e-by-e classical YangMills evolution till time $\tau \sim 1 / Q_{S}$

$$
\begin{aligned}
\frac{d N_{g}}{d y d^{2} k_{T}}=\frac{2}{N^{2}} \frac{1}{\tilde{k}_{T}} & {\left[\frac{g^{2}}{\tau} \operatorname{tr}\left(E_{i}\left(\mathbf{k}_{\perp}\right) E_{i}\left(-\mathbf{k}_{\perp}\right)\right)\right.} \\
& \left.+\tau \operatorname{tr}\left(\pi\left(\mathbf{k}_{\perp}\right) \pi\left(-\mathbf{k}_{\perp}\right)\right)\right]
\end{aligned}
$$

Sample gluons in momentum space in the range :

$$
0<\left|y_{\max }\right|<\log \left(\sqrt{s} / 2 m_{p}\right)
$$



Glasma distribution is boost invariant :
Distribution of Gluons $->$ uniform in rapidity

## Step-II : Implementing PYTHIA Strings



Connect the gluons close in phase space to color neutral strings with $\sim N_{\mathrm{gs}}=N_{g} /\left\langle Q_{S}^{2} S_{\perp}\right\rangle$ of gluons per strings

## Multiplicity distribution



- Promising results on multiplicity distributions
- Observables are to be studied in bins of multiplicity
- Some uncertainties in the estimation of $N_{\mathrm{ch}} /\left\langle N_{\mathrm{ch}}\right\rangle$


## Single Inclusive distributions

## Minimum bias spectra --> well reproduced




Multiplicity dependence of $\left\langle p_{T}\right\rangle \longrightarrow>$ high multiplicity events in CGC $\longrightarrow$ driven by rare large $Q_{S}$ events

Running $a_{s}$ effect $\longrightarrow$ high $_{p_{T}}$

## Identified particle distributions




## Reasonable agreement without any tuning

## Mass ordering of average transverse momentum

data arXiv:1604.06736



Mass ordering of average transverse momentum—> naturally reproduced in this framework (even at very low multiplicity)

## Mass ordering of average transverse momentum



Effect of running coupling $\longrightarrow$ increase in $\left\langle p_{T}\right\rangle$

## Azimuthal Correlations in CGC

- Intrinsic momentum space correlation from initial state
- Originate from partons (probe) scattering off a color domain (target)
- Suppressed by number of color sources / domains


Dumitru, Dusling, Gelis, Jalilian-Marian,
Lappi, Venugopalan 1009.5295
Kovner, Lublinsky 1012.3398
Dusling, Venugopalan 1201.2658
Kovchegov, Wertepny 1212.1195
Dumitru, Giannini 1406.5781
Lappi, Schenke, Schlichting, Venugopalan 1509.03499
Very distinct from Hydrodynamic flow (driven by geometry )

## Azimuthal correlations in CGC (gluons only)



$$
\frac{d N^{\text {pair }}}{d \Delta \phi}=\left\langle\frac{1}{2 \pi} \int_{0}^{2 \pi} \frac{d N}{d \phi}(\phi) \frac{d N}{d \phi}(\phi+\Delta \phi)\right\rangle
$$



$$
\frac{2 \pi}{N_{\text {trig }} N_{\text {assco }}} \frac{d N^{\text {pair }}}{d \Delta \phi}=1+\sum_{n} 2 V_{n \Delta} \cos (n \Delta \phi)
$$

## Azimuthal correlations (after fragmentation)



Real events



## Azimuthal correlations for charged hadrons



After subtraction of

1) Mixed-events
2) Low-mult events

$$
V_{n \Delta}^{\mathrm{sub}}=V_{n \Delta}-V_{n \Delta}^{\mathrm{low}-\mathrm{mult}} \times \frac{N_{\mathrm{assoc}}^{\mathrm{low}-\mathrm{mult}}}{N_{\mathrm{assoc}}}
$$

Dilution of correlations after the fragmentation

## Azimuthal correlations identified particles



Low multiplicity
$\pi, K, p$
$\longrightarrow$

Preliminary result


High multiplicity

h, Ks, $\wedge$


## Azimuthal correlations identified particles



Some hints of mass dependence $\rightarrow$ Need to study even higher multiplicity events \& p+p @13 TeV




$$
8<N_{\mathrm{ch}} /\left\langle N_{\mathrm{ch}}\right\rangle<11
$$

## Summary

- Very first attempt to combine CGC based IP-Glasma with Lund model of fragmentation in PYTHIA
- Quantitative description for a number on of bulk observables in $\mathrm{p}+\mathrm{p}$ collisions looks promising
- Observed mass ordering of $\left\langle p_{T}\right\rangle$ is very well reproduced
- Hints of mass dependence of $\mathrm{v}_{2}$ observed —> need to study higher multiplicity bins



Next step : higher multiplicity $\mathrm{p}+\mathrm{p}$ and $\mathrm{p}+\mathrm{Pb}$ in this framework

## back-up

## Details of CGC the framework

- Fundamental objects are Color Charge density matrices $\boldsymbol{\rho}^{\mathbf{a}}\left(\boldsymbol{x}_{\perp}, \boldsymbol{Y}\right)$ Local Gaussian distribution W[ค] (MV-Model)

$$
\left\langle\rho^{a}\left(\mathbf{x}_{\perp}\right) \rho^{b}\left(\mathbf{y}_{\perp}\right)\right\rangle=\delta^{a b} \delta^{2}\left(\mathbf{x}_{\perp}-\mathbf{y}_{\perp}\right) g^{2} \mu^{2}\left(\mathbf{x}_{\perp}\right)
$$

- Color field before collisions : solving Yang Mills equations $\left[D_{\mu}, F_{\mu v}\right]=J_{v}$ for each configuration of source $\boldsymbol{\rho}\left(\boldsymbol{x}_{\perp}\right)$

after collisions ( $\mathrm{\tau}>0$ )
Glasma flux tubes $->$ free streaming gluons


## (III) Intrinsic fluctuations of saturation scale

 Input to CGC framework $\longrightarrow$ dipole cross section e+p/AColor dipole picture : distribution of partons $\longrightarrow$ dist. of color dipoles


With evolution of rapidity each dipole split with probability $\sim a_{s} d Y$ $\rightarrow$ dipole splitting is however stochastic

Stochastic dipole splitting $\longrightarrow$ not present in BK/JIMWLK —>beyond CGC

## Momentum flow in Glasma graph (origin of ridge-like correlation)

## Dusling, Li, Schenke 1509.07939



