

Particle production and source sizes in $\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV } p\text{-Pb}$ collisions with *ATLAS*

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On behalf of the ATLAS collaboration

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Introduction (Multiplicity)

- ▶ p +Pb collisions are useful for understanding effects of “cold nuclear matter” on charged particle production
- ▶ It's important to have detailed understanding of global observables in these events
- ▶ Nuclear modification factor

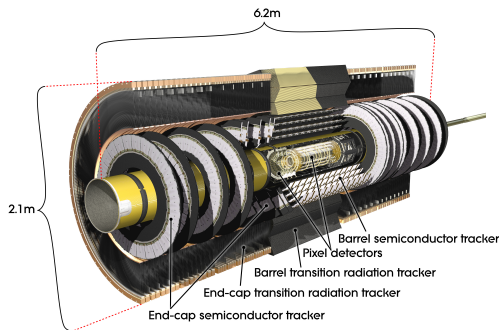
$$R_{p\text{Pb}}(p_{\text{T}}, y^*) = \frac{1}{\langle T_{\text{Pb}} \rangle} \frac{1/N_{\text{evt}} d^2 N_{p\text{Pb}}/dy^* dp_{\text{T}}}{d^2 \sigma_{pp}/dy^* dp_{\text{T}}}$$

is studied differentially in centrality, transverse momentum (p_{T}), and rapidity (y^*)

- ▶ y^* is rapidity in nucleon-nucleon centre-of-momentum frame, needed for fair comparison to pp
- ▶ interpolation between 2.76 and 7 TeV is used for pp reference

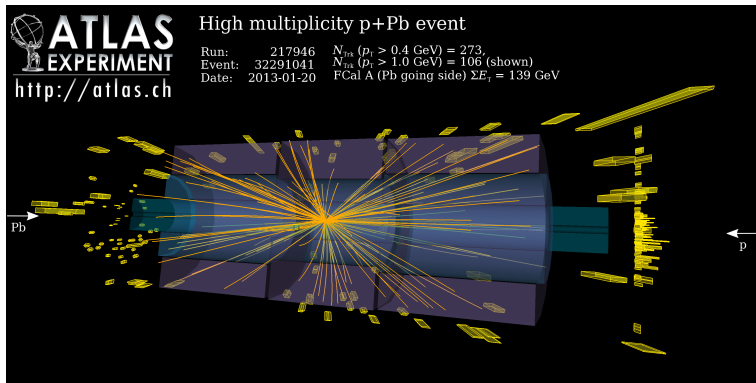
ATLAS inner detector

- ▶ Pixel detector - 82 million silicon pixels
- ▶ Semiconductor Tracker - 6.2 million silicon microstrips
- ▶ Transition Radiation Tracker - 350k drift tubes
- ▶ 2 T axial magnetic field



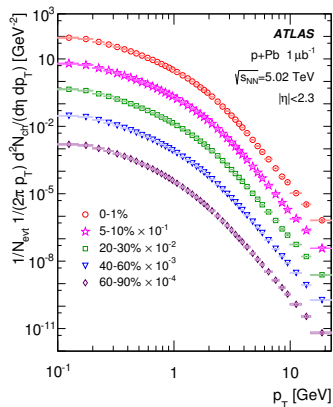
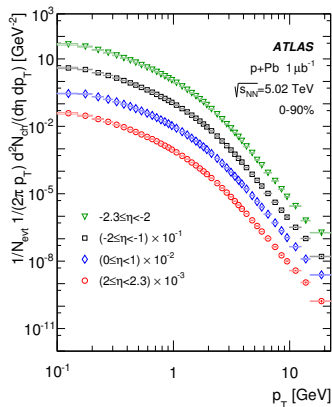
Reconstructed tracks from $|\eta| < 2.5$ at $p_T > 0.1$ GeV

Data selection



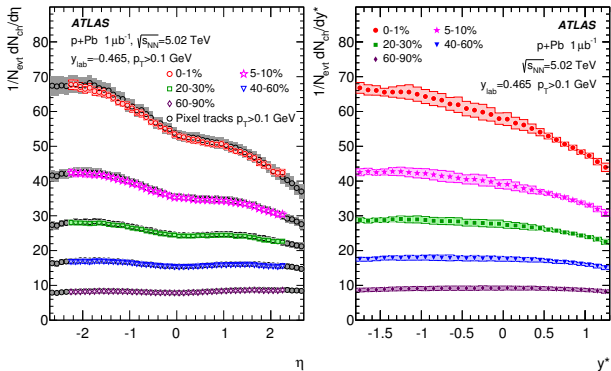
- ▶ Two separate p +Pb runs from the LHC at $\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$
- ▶ $1 \mu\text{b}^{-1}$ (multiplicity) / 28 nb^{-1} (femtoscopy) MinBias data
- ▶ centrality determined from $\sum E_T$ in the Pb-going forward calorimeter at $3.1 < |\eta| < 4.9$

p_T spectra



p_T spectra in intervals of pseudorapidity η (left) and centrality (right)

Differential multiplicity



particle production as a function of η (left) and $y^* = y - y_{lab}$ (right) in several centrality intervals is shown above.

$y_{lab} = 0.465$ is the nucleon-nucleon centre-of-momentum rapidity in the lab frame.

rapidity is calculated with pion mass ($y_{\pi\pi}^*$), and correction to real y^* is derived using Hijing

production is enhanced on Pb-going (-z) side of central events.

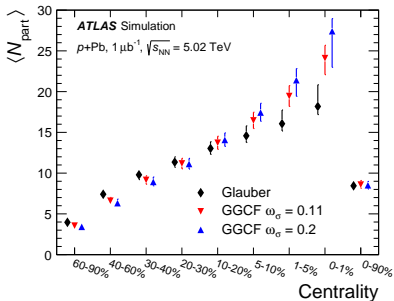
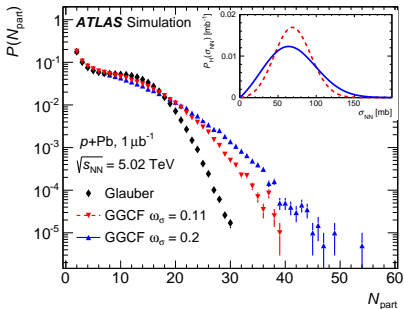
see CERN-EP-2016-007

Glauber-Gribov colour fluctuations (GGCF)

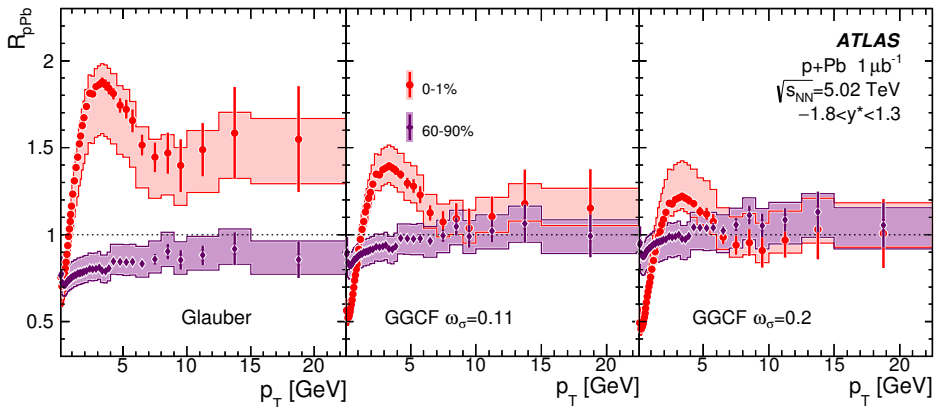
Number of nucleon participants N_{part} calculated with:

- ▶ Glauber model with constant cross section σ_{NN}
- ▶ Glauber-Gribov color fluctuation (GGCF) model, which allow σ_{NN} to fluctuate event-by-event

ω_σ parameterizes extent of fluctuations



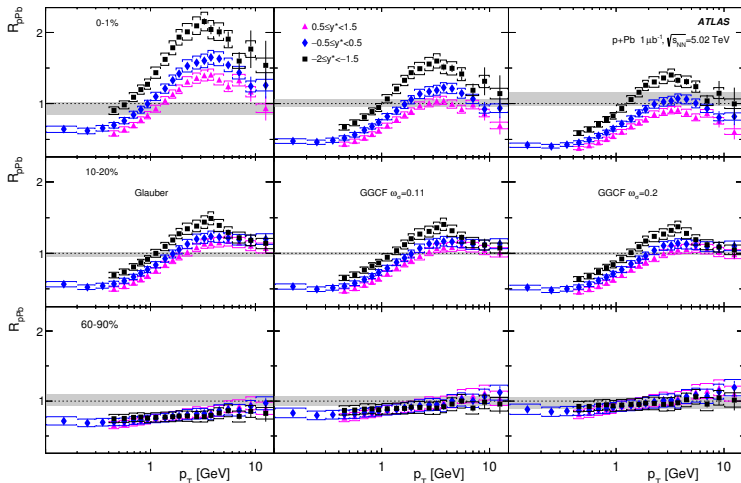
(above: N_{part} distributions and corresponding centrality)

R_{pPb} 

Using a model with large fluctuations in the NN cross-section reduces central R_{pPb} significantly.

It also increases peripheral R_{pPb} to be more compatible with unity.

$R_{p\text{Pb}}(p_T)$ in rapidity (y^*) intervals



- ▶ Low- p_T suppression. Central events have high- p_T enhancement most prominent in Pb-going side.
- ▶ larger GGCF ω_σ brings $R_{p\text{Pb}}$ closer to unity

Introduction (Femtoscscopy)

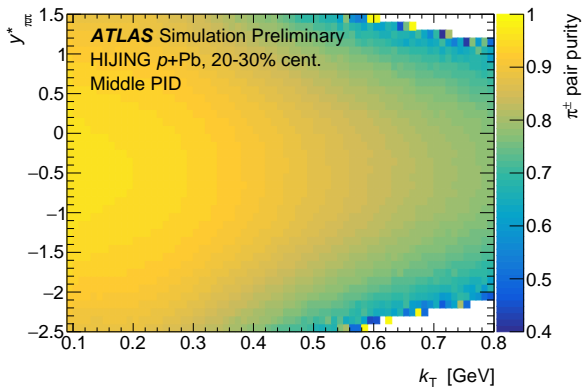
- ▶ Femtoscopy uses momentum-space correlation functions to infer the source density function:

$$C_{\mathbf{k}}(q) = \int d^3r S_{\mathbf{k}}(r) |\psi_q(r)|^2 .$$

Here $k = (p_1 + p_2)/2$ is the average pair momentum and $q = (p_1 - p_2)$ is the relative momentum.

- ▶ $C_{\mathbf{k}}(q)$ is fit to a function to get length scales of $S_{\mathbf{k}}(r)$, which are referred to as the *HBT radii*.
- ▶ Bose-Einstein correlations between identical pions give particularly good resolution.

Pion identification

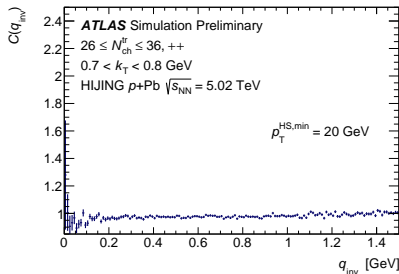
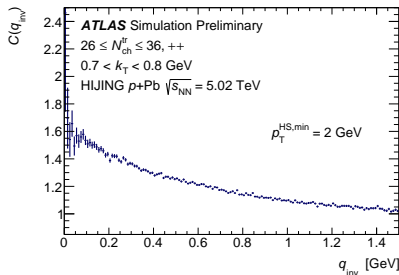


- ▶ Charged pions are identified using dE/dx measured with charge deposited in pixel hits.
- ▶ The pair purity estimated from simulation is shown (left) as a function of pair k_T and $y_{\pi\pi}^*$.

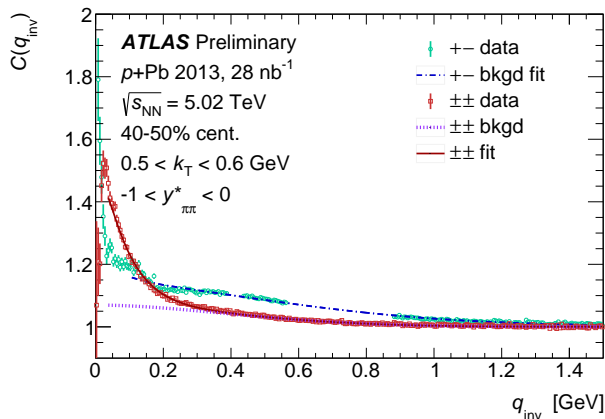
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Jet fragmentation correlation

- ▶ significant background contribution observed in the two-particle correlation function (top right)
- ▶ suppressing hard processes in HIJING causes the correlation to disappear (bottom right)
- ▶ since correlations come from jet fragmentation, they appear in opposite-sign pairs as well
- ▶ jet fragmentation is measured in opposite-sign and the results are used to infer contribution to same-sign



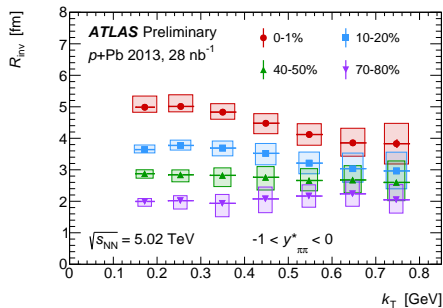
Summary of fitting procedure



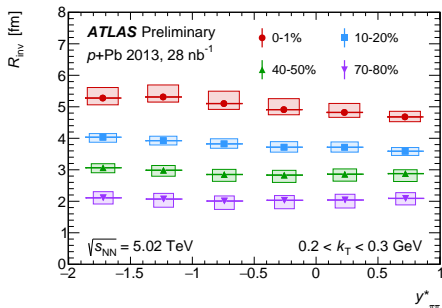
1. amplitude and width of opposite-sign correlation function are measured, with resonances removed by mass cuts (blue dashed)

2. the results from +- are used to fix +-+- background (violet dotted)
3. full correlation function +-+- (dark red) is fit on top of jet background to extract the source radii

Invariant fit results



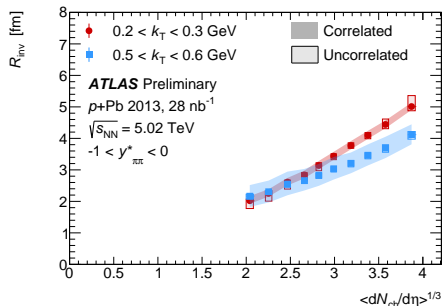
Decrease with rising k_T in central collisions, suggestive of collective behavior. This feature disappears in peripheral collisions.



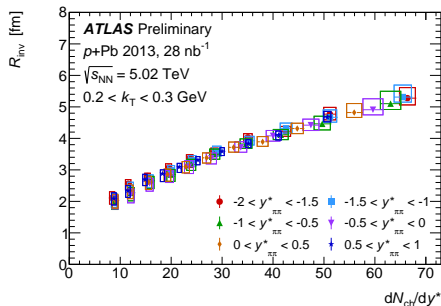
Radii increase in Pb-going direction of central events. Peripheral are flat across rapidity.

N.B. Widths of boxes in these plots vary only for visibility purposes.

Invariant fit results



Scaling of R_{inv} with the cube root of average multiplicity curves slightly upward.



Across centrality and rapidity intervals, the source size is tightly correlated with the local multiplicity.

3D fit results

In three dimensions, the Bertsch-Pratt ("out-side-long") coordinate system is used. It is boosted to the longitudinal co-moving frame (LCMF) of each pair.

q_{out} : along k_T

q_{side} : other transverse direction

q_{long} : longitudinal (boosted to LCMF)

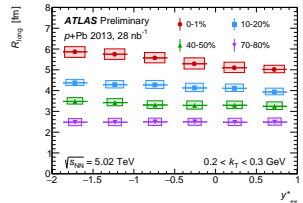
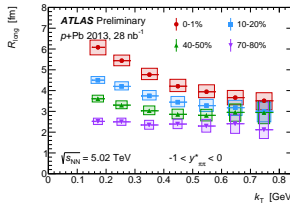
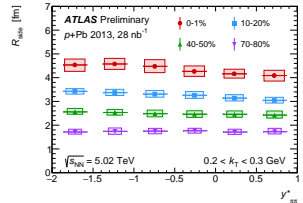
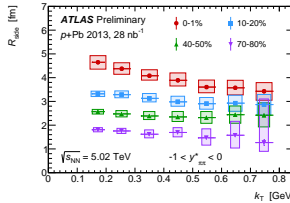
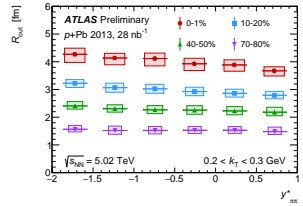
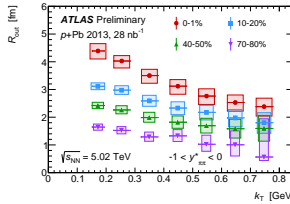
The Bose-Einstein part of the correlation function is fit to an quasi-ellipsoid exponential:

$$C_{BE}(\mathbf{q}) = 1 + \exp(-\|R\mathbf{q}\|)$$

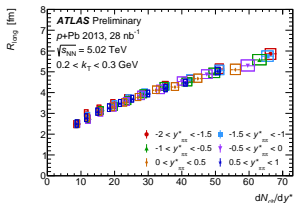
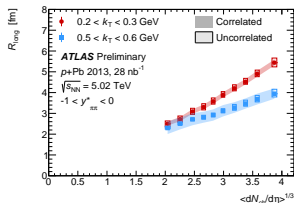
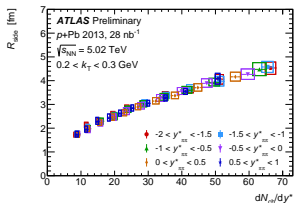
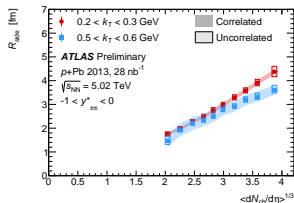
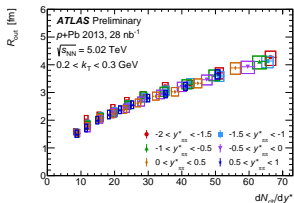
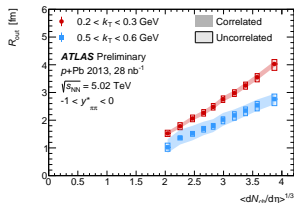
$$R = \begin{pmatrix} R_{\text{out}} & 0 & R_{\text{ol}} \\ 0 & R_{\text{side}} & 0 \\ R_{\text{ol}} & 0 & R_{\text{long}} \end{pmatrix} .$$

3D radii vs. k_T and $y_{\pi\pi}^*$

- ▶ decreasing size with rising k_T in central events; trend is diminished in peripheral.
- ▶ radii vs. $y_{\pi\pi}^*$ are flat in peripheral, and larger on Pb-going side of central
- ▶ typically $R_{\text{out}} < R_{\text{side}} < R_{\text{long}}$



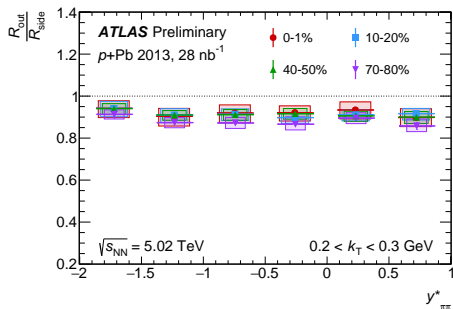
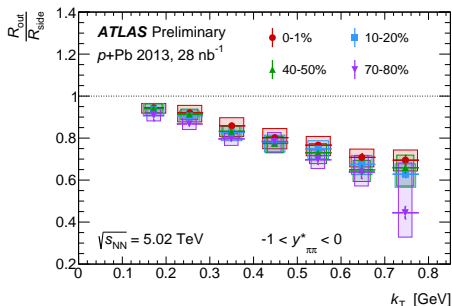
3D radii vs. multiplicity (global and local)



- scaling vs. $\langle dN/d\eta \rangle^{1/3}$ shown on left
- three-dimensional radii also tightly correlated with local multiplicity (right)

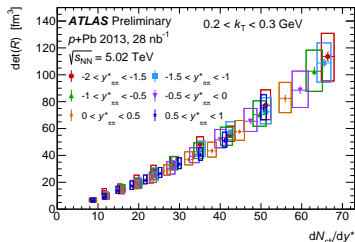
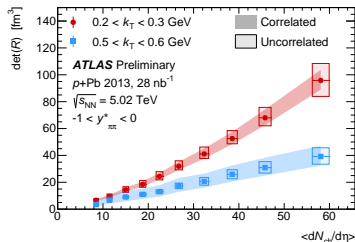
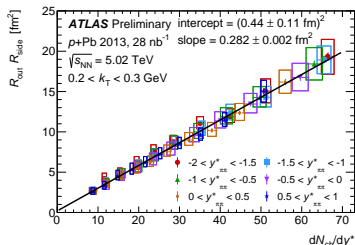
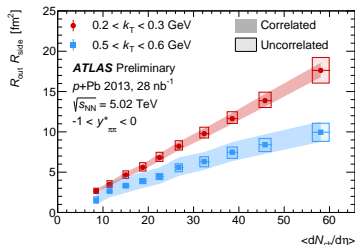
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Ratio of $R_{\text{out}}/R_{\text{side}}$



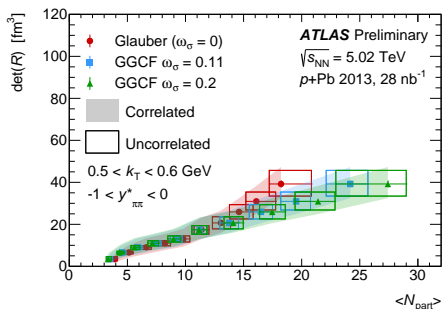
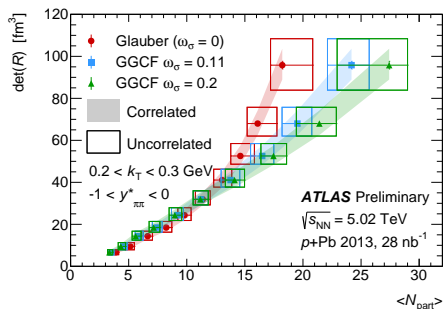
- ▶ R_{out} couples to the lifetime directly where R_{side} does not
- ▶ small ratio $R_{\text{out}}/R_{\text{side}}$ is indicative of “explosive” event
- ▶ steadily decreases with rising k_T and is constant over rapidity
- ▶ marginally larger in central events

Transverse area and volume elements



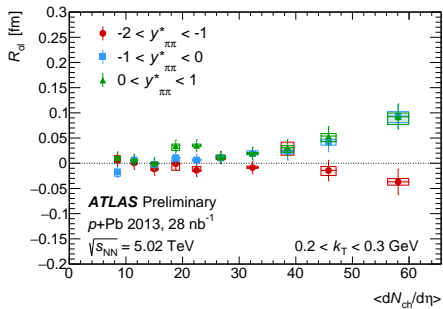
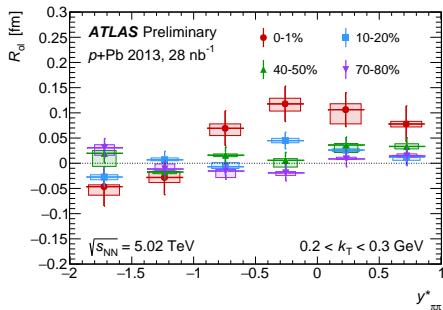
At low k_T , the transverse area element $R_{out} R_{side}$ scales linearly with multiplicity. The volume element $\det(R)$ scales linearly with multiplicity at higher k_T .

Volume scaling with N_{part} including color fluctuations



Volume scaling curvature with N_{part} is more modest when fluctuations in the proton's size are accounted for.

R_{01} cross term



In *central* events on the *forward* side, there is strong evidence of a positive R_{01} (4.8σ combined significance in 0–1% centrality)

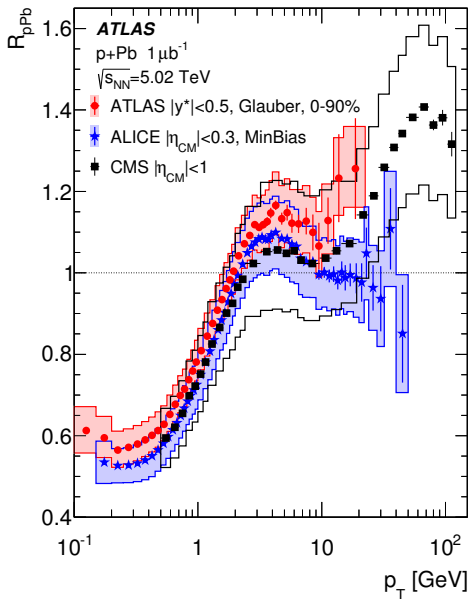
- ▶ demonstrates breaking of boost invariance: z-asymmetry is manifest in proton-going side.
- ▶ requires both longitudinal and transverse expansion in hydrodynamic models

Conclusion

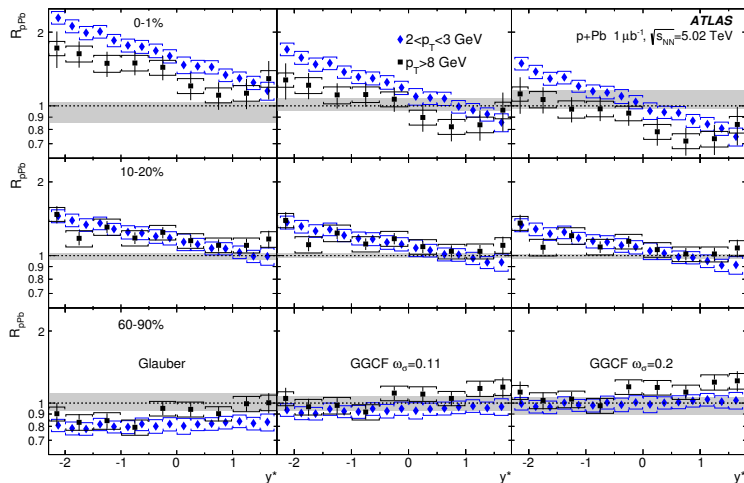
- ▶ Nuclear modification factor, as well as one- and three-dimensional HBT radii, are measured in proton-lead collisions at 5 TeV.
- ▶ These measurements are presented differentially in centrality, transverse momentum, and rapidity.
- ▶ Accounting for fluctuations in the nucleon-nucleon cross section is seen to significantly affect the behavior of both the nuclear modification factors and the source size.
- ▶ HBT Radii in central events show a decrease with increasing k_T , which is qualitatively consistent with collective expansion. This trend is diminished in peripheral events.
- ▶ Variation of source over rapidity follows local multiplicity.
- ▶ Evidence for non-zero (positive) R_{01} on the proton-going side of central events is observed.

BACKUP SLIDES

Comparison of R_{pPb} with other collaborations

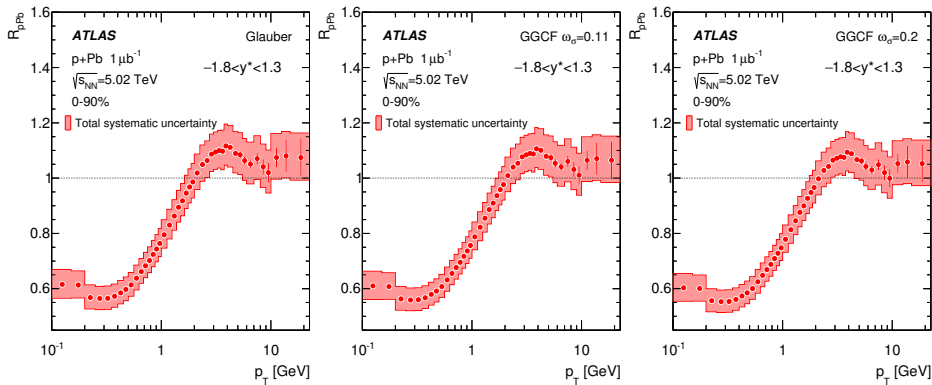


R_{pPb} as function of rapidity



see CERN-EP-2016-007

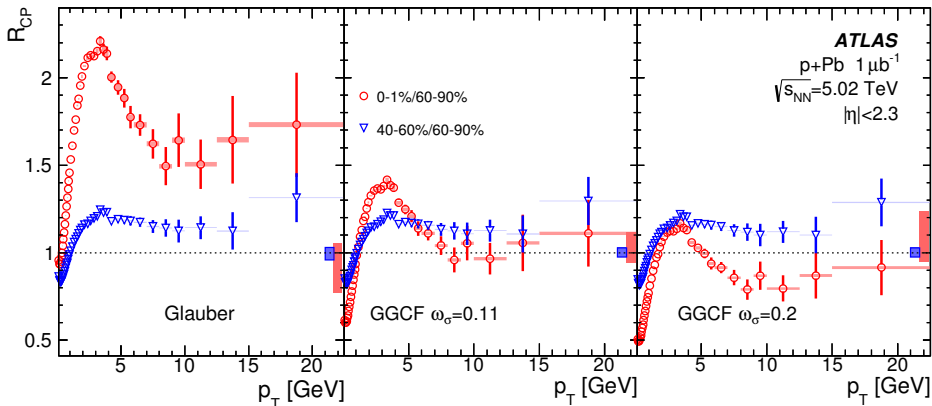
R_{pPb} inclusive in centrality



Choice of initial geometry model does not significantly affect results inclusive in centrality

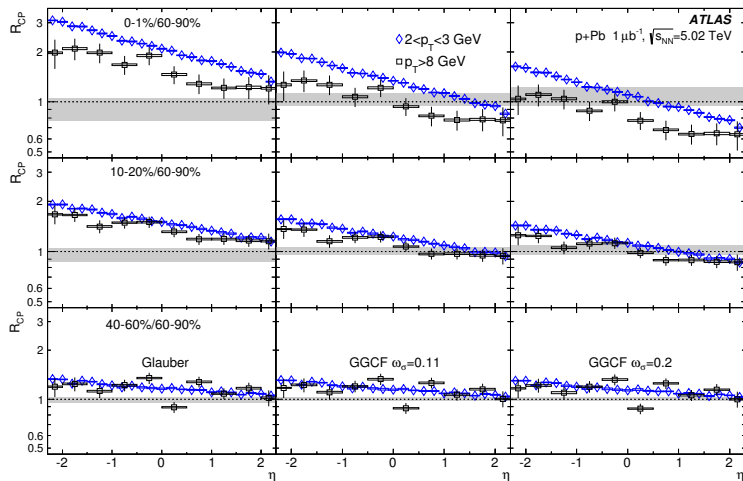
see CERN-EP-2016-007

R_{CP} central to peripheral ratio



modest value of $\omega_\sigma = 0.11$ gives consistent high- p_T production across centralities

R_{CP} as function of rapidity



Central-to-peripheral ratio as function of rapidity, as low and high p_T

Introduction (Femtoscopy)

- ▶ Recent observations of angular correlations in p +Pb collisions indicate signs of collective behavior – the so-called “ridge”.
- ▶ Femtoscopy is used to provide additional handles on the size, shape, and evolution of the particle source.
- ▶ *Femtoscopy* uses the sensitivity of the momentum-space correlation function to the source density function:

$$C_{\mathbf{k}}(q) - 1 = \int_{\partial\Sigma} d^3r S_{\mathbf{k}}(r) \left(|\langle q|r \rangle|^2 - 1 \right) .$$

Here $k = (p_1 + p_2)/2$ is the average pair momentum and $q = (p_1 - p_2)$ is the relative momentum, and $\partial\Sigma$ is the freeze-out hypersurface of the source.

- ▶ $C(q)$ is fit to a function and results are used to infer the length scales of $S_{\mathbf{k}}(r)$, which are referred to as the *HBT radii*.
- ▶ For identical non-interacting bosons, $C_{\mathbf{k}}(q) - 1$ is the Fourier transform of the source density. These results use charged pions.

Introduction (Femtoscropy)

- ▶ Results will focus on exponential fits to the Bose-Einstein part of two-pion correlation functions C_{BE} :

$$C_{BE}(q) = 1 + e^{-\|Rq\|} .$$

The analysis is done as a function of q_{inv} or with 3-dimensional \mathbf{q} , where R is a symmetric matrix.

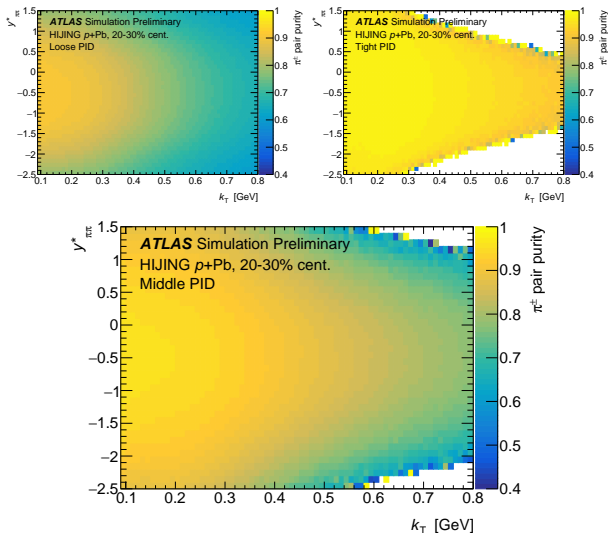
- ▶ The full experimental correlation function is the Bowler-Sinyukov form:

$$C_{exp}(q) = [(1 - \lambda) + \lambda K(q_{inv}) C_{BE}(q)] \Omega(q) ,$$

where λ is a free parameter, $K(q_{inv})$ accounts for Coulomb interactions between the pions and $\Omega(q)$ represents the non-femtoscopic background features of the correlation function.

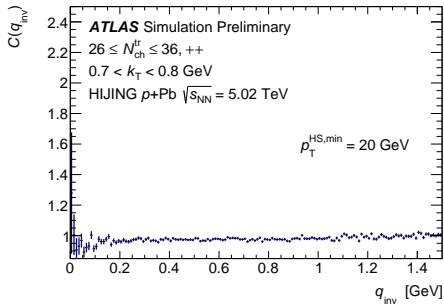
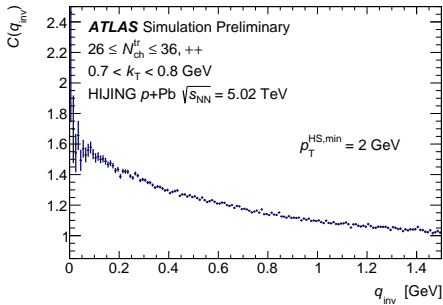
- ▶ Mis-identified pions, coherent emission, weak decays contribute to decrease in λ .

Pion identification



Three PID selection criteria are defined, and a variation from the nominal selection to a looser and tighter definition is used as a systematic variation.

(Jet fragmentation in opposite-sign Hijing)



Wide correlation disappears in opposite-sign too when turning off hard processes

Jet fragmentation correlation

Common methods to account for this background include:

1. Using a double ratio $C(q) = C^{data}(q)/C^{MC}(q)$.
 - ▶ Monte Carlo tends to over-estimate the magnitude of the effect, which can skew the results significantly
2. Partially describing the background shape using simulation and allowing additional free parameters in the fit.
 - ▶ one might worry about additional free parameters biasing the fits

Here we measure the jet fragmentation in opposite-sign and use a mapping derived in Pythia to predict the form in same-sign.

Jet fragmentation correlation

A data-driven method is developed to constrain the effect of hard processes. Fits to the opposite-sign correlation function are used to predict the fragmentation correlation in same-sign. This has its own challenges.

1. Resonances appear in the opposite-sign correlation functions
 - ▶ mass cuts around ρ , K_S , and ϕ
 - ▶ cut off opposite-sign fit below 0.2 GeV
2. Fragmentation has different effect on the opposite-sign correlation function than on the same-sign
 - ▶ a mapping is derived from opposite- to same-sign using simulation
 - ▶ opposite-sign fit results in the data are used to fix the background description in the same-sign

Jet fragmentation correlation

The jet fragmentation is modeled as a stretched exponential in q_{inv} :

$$\Omega(q_{\text{inv}}) = 1 + \lambda_{\text{bkgd}}^{\text{inv}} e^{-|R_{\text{bkgd}}^{\text{inv}} q_{\text{inv}}|^{\alpha_{\text{bkgd}}^{\text{inv}}}}$$

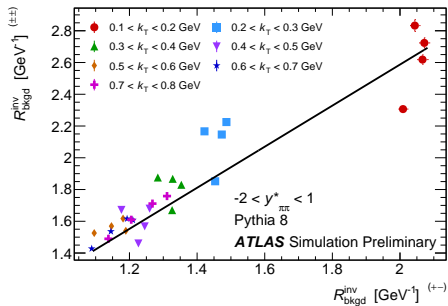
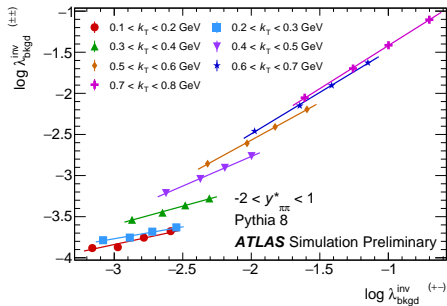
In 3D it is factorized into components parallel and perpendicular to jet axis

$$\Omega(\mathbf{q}) = 1 + \lambda_{\text{bkgd}}^{\text{osl}} e^{-|R_{\text{bkgd}}^{\text{out}} q_{\text{out}}|^{\alpha_{\text{bkgd}}^{\text{out}}} - |R_{\text{bkgd}}^{\text{sl}} q_{\text{sl}}|^{\alpha_{\text{bkgd}}^{\text{sl}}}}$$

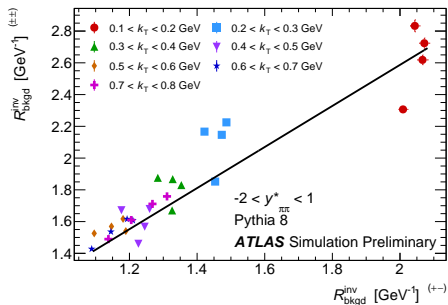
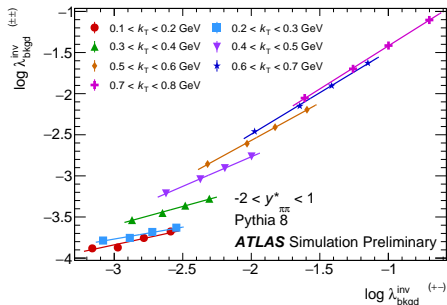
with $q_{\text{sl}} = \sqrt{q_{\text{side}}^2 + q_{\text{long}}^2}$.

These parameters are studied in Pythia, and a mapping from opposite-sign to same-sign values is derived.

Jet fragmentation mapping

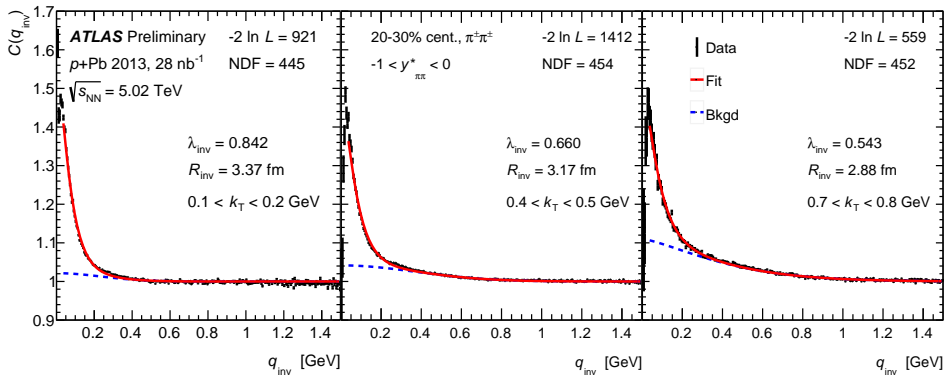


model $R_{\text{inv}}^{\pm\pm}$ as proportional to R_{inv}^{+-} (right). Then with constant fixed, do k_T -dependent comparison of background amplitude in $\pm\pm$ and $+-$ (left). Does not work perfectly but does increasingly well at high k_T , where the effect is relevant.

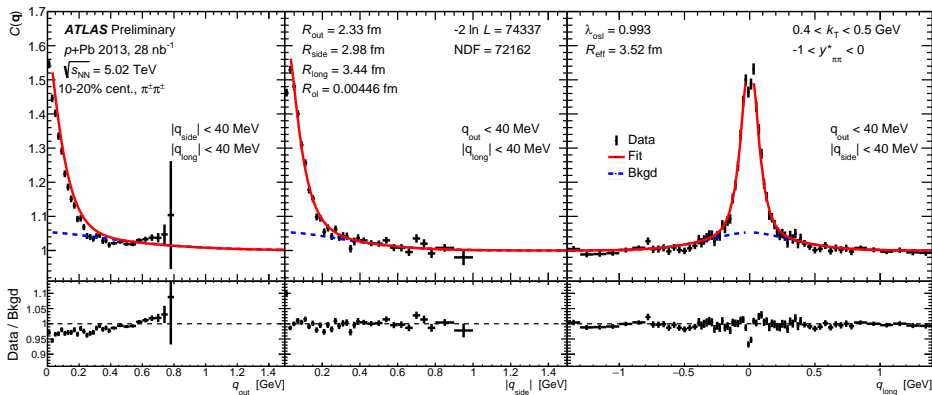


$R_{\text{inv}}^{\pm\pm}$ is modelled as proportional to R_{inv}^{+-} (right). Then with constant fixed, do k_T -dependent comparison of background amplitude in $\pm\pm$ and $+-$ (left). Does not work perfectly but does increasingly well at high k_T , where the effect is relevant.

Example fit to invariant correlation function

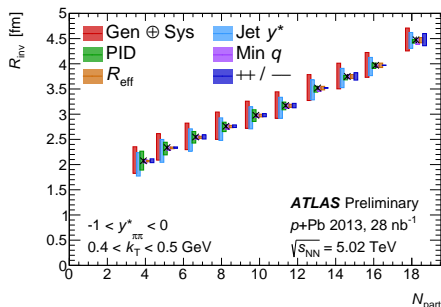
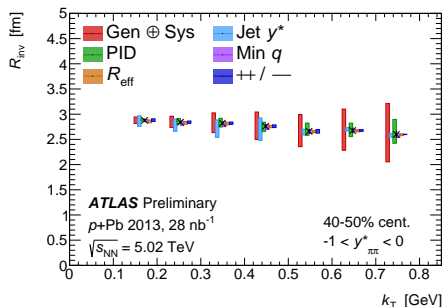


Example fit to 3D correlation function



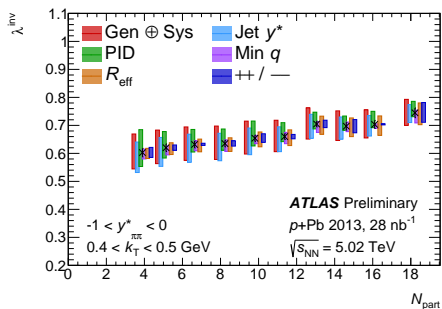
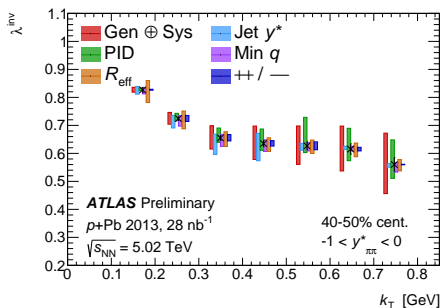
Fit appears poor along q_{out} axis, but works well globally. Note that the q_{out} axis is right where the tracks have the same outgoing angle. Moving just 1 or 2 bins away helps significantly.

Systematics example (R_{inv})



The above plots show the contributions of each systematic uncertainty on R_{inv} as a function of k_T and N_{part} .

Systematics example (λ_{inv})



The above plots show the contributions of each systematic uncertainty on λ_{inv} as a function of k_T and N_{part} .