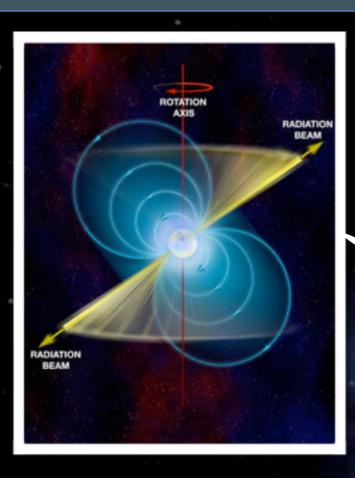


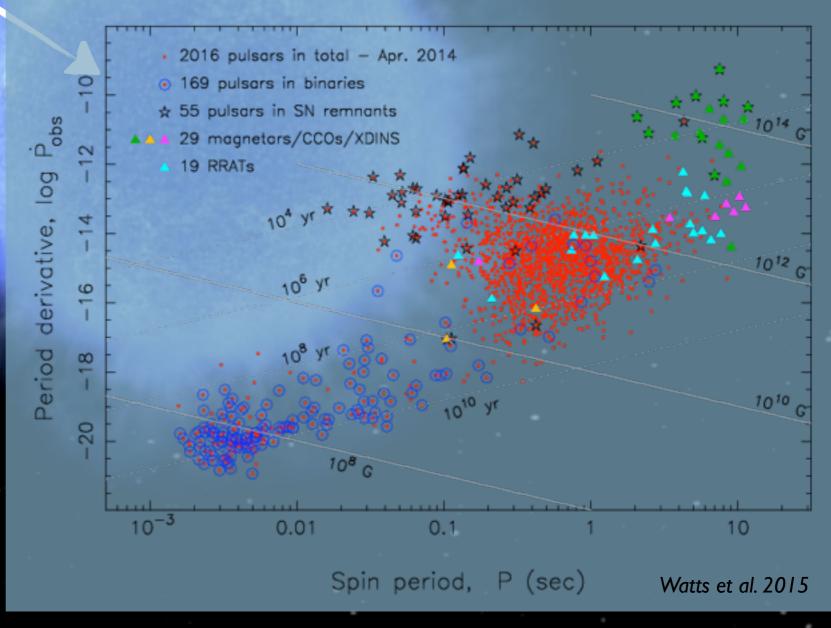
- neutron star
- fast rotation, period P
- strong magnetic field B
- spins down by electromagnetic losses

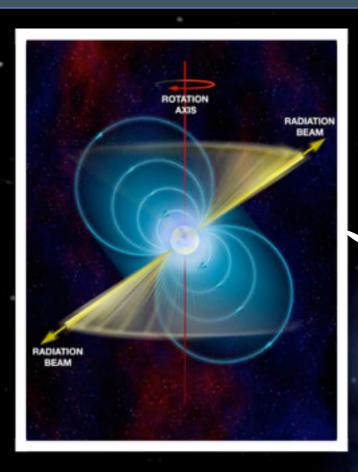




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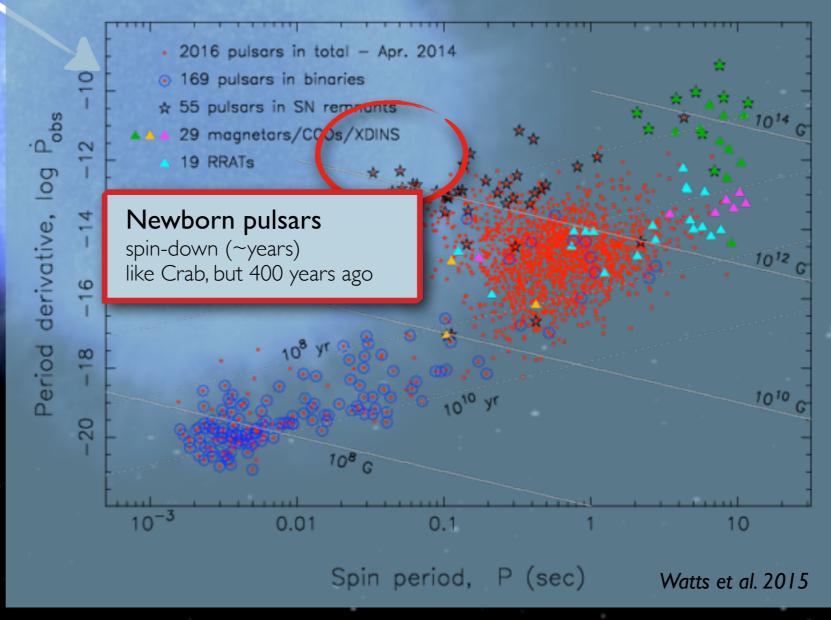


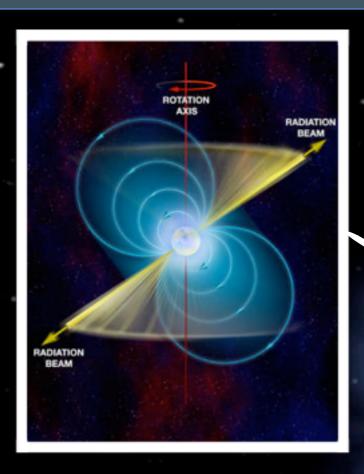




- neutron star
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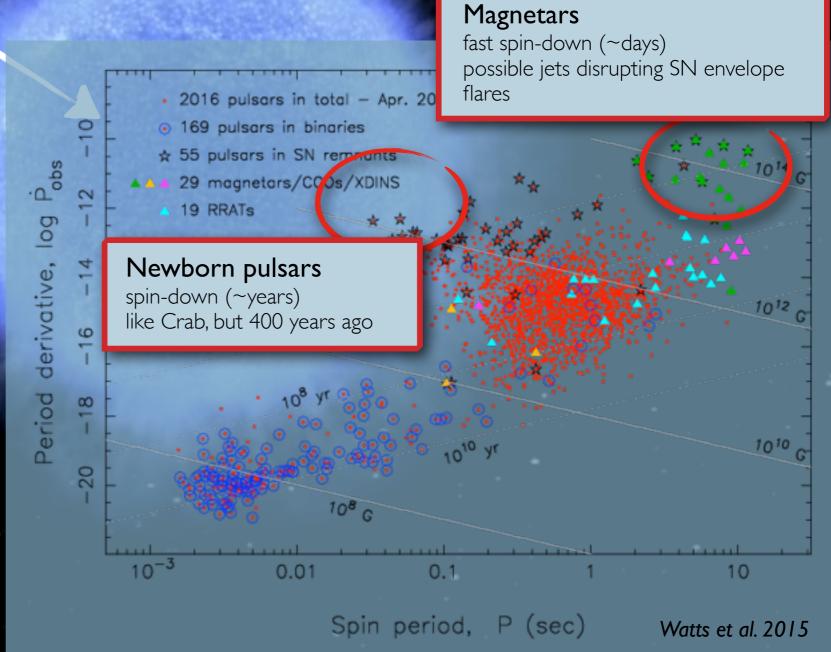






- neutron star
- fast rotation, period P
- strong magnetic field B
- spins down by electromagnetic losses

supernova

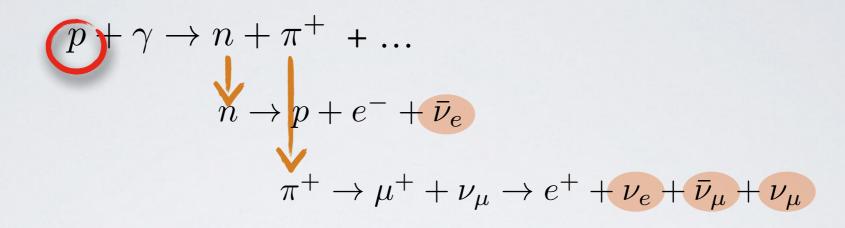


$$p + \gamma \rightarrow n + \pi^+ + \dots$$

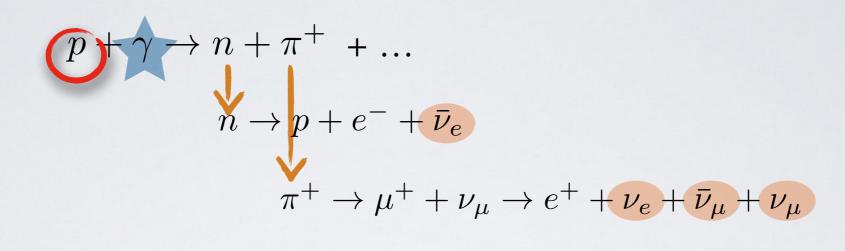
$$p + \gamma \rightarrow n + \pi^{+} + \dots$$

$$\uparrow \qquad \qquad p + e^{-} + \bar{\nu}_{e}$$

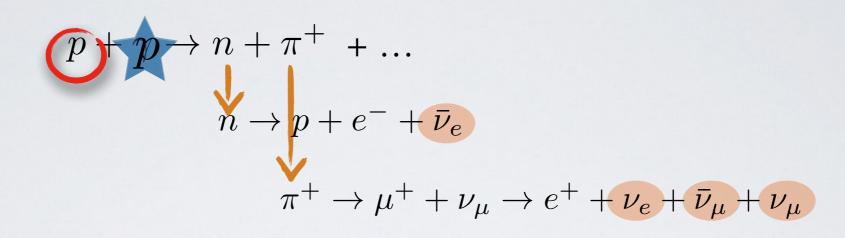
$$\pi^{+} \rightarrow \mu^{+} + \nu_{\mu} \rightarrow e^{+} + \nu_{e} + \bar{\nu}_{\mu} + \nu_{\mu}$$



- Cosmic ray acceleration in pulsars
 - Energy budget
 - Magnetic field strength/structure
 - Particle injection



- Cosmic ray acceleration in pulsars
 - Energy budget
 - Magnetic field strength/structure
 - Particle injection
- Background for interaction
 - baryonic density
 - radiative background
 - location: near the star, nebular region, surrounding supernova ejecta

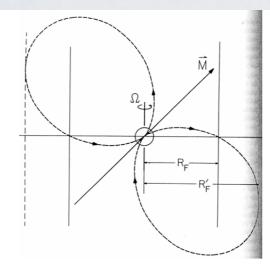


- Cosmic ray acceleration in pulsars
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Charge density

Induced electric field

$$\mathbf{E} = -\frac{\mathbf{v}}{c} \times \mathbf{B} = -\frac{1}{c} (\mathbf{\Omega} \times \mathbf{r}) \times \mathbf{B}$$



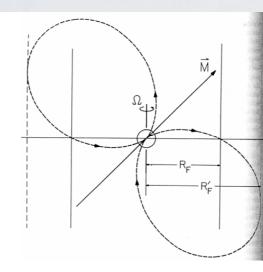
Implies a charge density (Goldreich-Julian 69)

$$\rho = \frac{1}{4\pi} \nabla \cdot \mathbf{E} \approx -\frac{\mathbf{\Omega} \cdot \mathbf{B}}{2\pi c} \equiv \rho_{GJ}$$

Charge density

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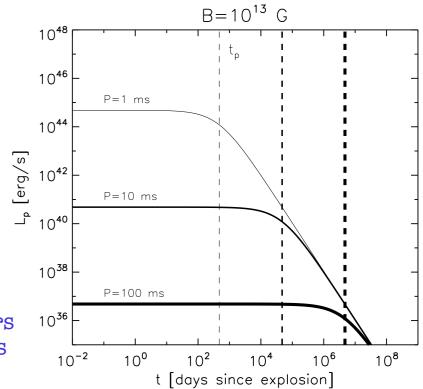


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pulsar outflow energetics

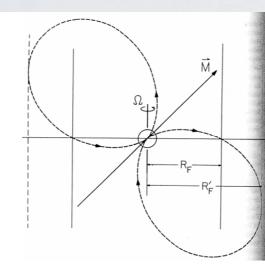
total energy
$$E_{\rm p}=\frac{I\Omega_{\rm i}^2}{2}\sim 1.9\times 10^{52}\,{\rm erg}\,I_{45}P_{\rm i,-3}^2$$
 pulsar luminosity
$$L_{\rm p}(t)=\frac{E_{\rm p}}{t_{\rm p}}\frac{1}{(1+t/t_{\rm p})^2}$$



Charge density

Induced electric field

$$\mathbf{E} = -\frac{\mathbf{v}}{c} \times \mathbf{B} = -\frac{1}{c} (\mathbf{\Omega} \times \mathbf{r}) \times \mathbf{B}$$

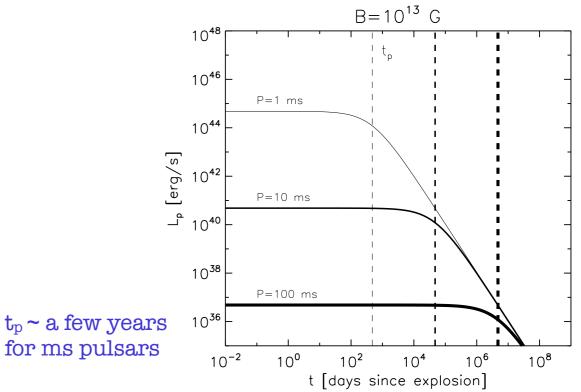


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conversion of pulsar electromagnetic into kinetic energy

particles accelerated to maximum Lorentz factor:

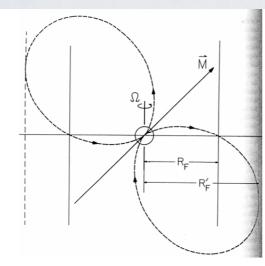
$$\gamma_{
m M} \simeq rac{L_{
m p}}{\dot{N}mc^2}$$
 Goldreich-Julian charge density

$$E_0 \sim 1.5 \times 10^{20} \, \mathrm{eV} A_5 (\eta \kappa_4^{-1} P_{\mathrm{i}})^2 B_{13} R_{\star,6}^3$$
 fraction of luminosity into particle kinetic energy

Charge density

Induced electric field

$$\mathbf{E} = -\frac{\mathbf{v}}{c} \times \mathbf{B} = -\frac{1}{c} (\mathbf{\Omega} \times \mathbf{r}) \times \mathbf{B}$$



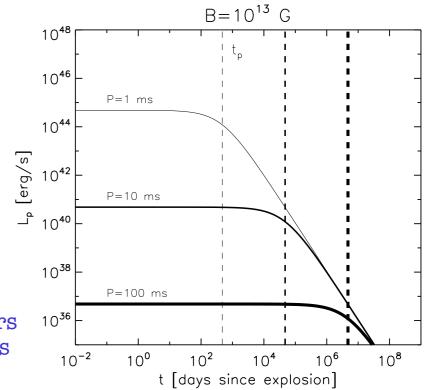
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pulsar spins down

pulsar outflow energetics

total energy
$$E_{\rm p}=\frac{I\Omega_{\rm i}^2}{2}\sim 1.9\times 10^{52}\,{\rm erg}\,I_{45}P_{\rm i,-3}^2$$
 pulsar luminosity
$$L_{\rm p}(t)=\frac{E_{\rm p}}{t_{\rm p}}\frac{1}{(1+t/t_{\rm p})^2}$$



 $t_p \sim a \text{ few years}$ for ms pulsars

conversion of pulsar electromagnetic into kinetic energy

particles accelerated to maximum Lorentz factor: $L_{
m p}$

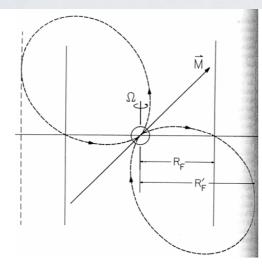
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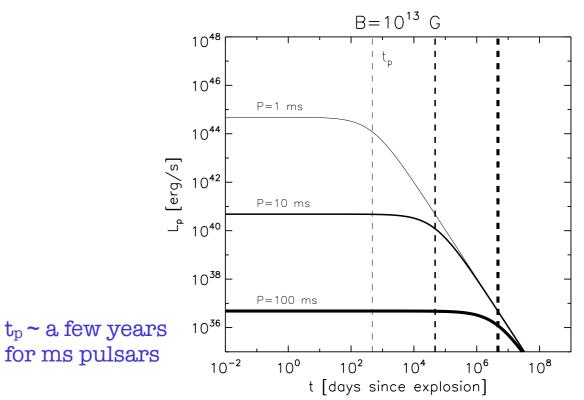


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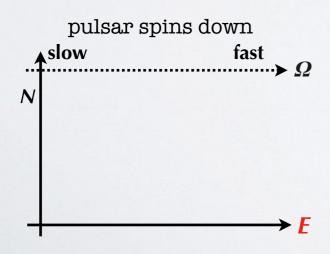
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conversion of pulsar electromagnetic into kinetic energy particles accelerated to maximum Lorentz factor:

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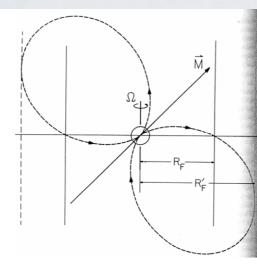
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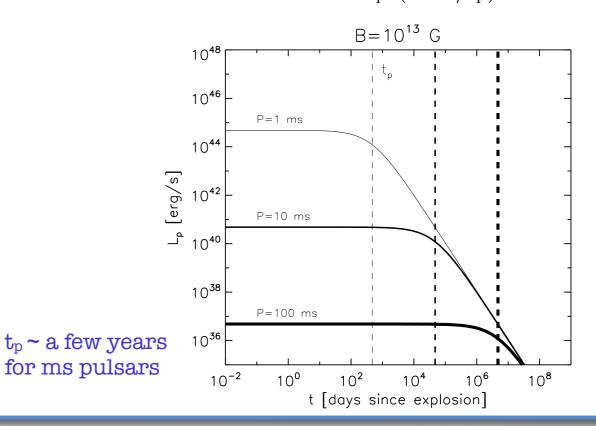


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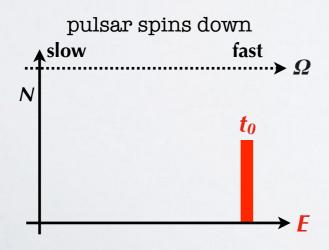


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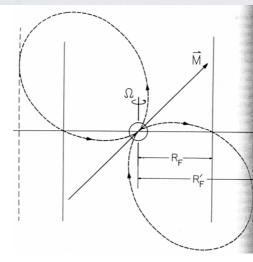
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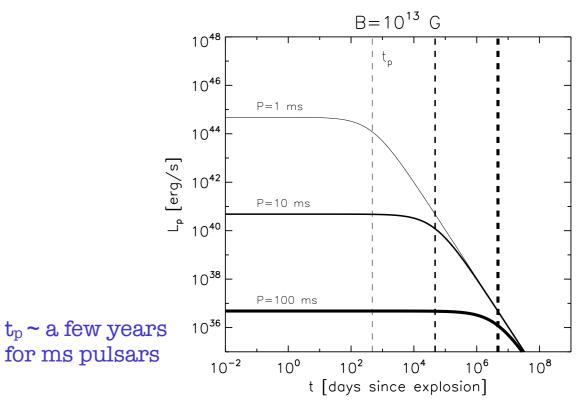


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 pulsar luminosity
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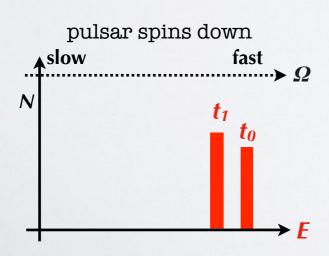


conversion of pulsar electromagnetic into kinetic energy

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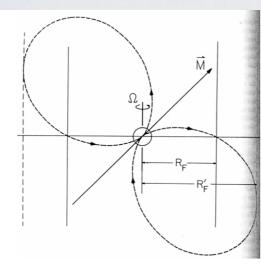
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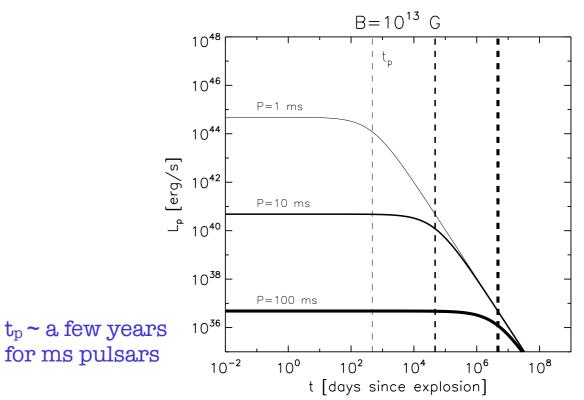


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total energy $E_{\rm p}=\frac{I\Omega_{\rm i}^2}{2}\sim 1.9\times 10^{52}\,{\rm erg}\,I_{45}P_{\rm i,-3}^2$ pulsar luminosity $L_{\rm p}(t)=\frac{E_{\rm p}}{t_{\rm p}}\frac{1}{(1+t/t_{\rm p})^2}$

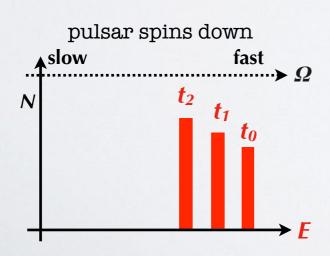


conversion of pulsar electromagnetic into kinetic energy

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 Goldreich-Julian charge density

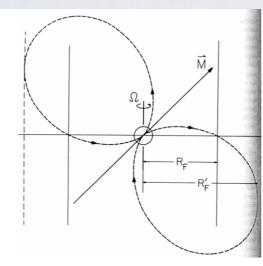
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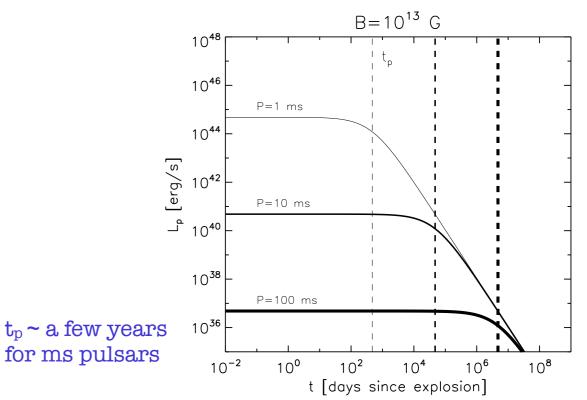


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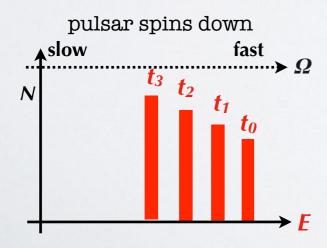


conversion of pulsar electromagnetic into kinetic energy

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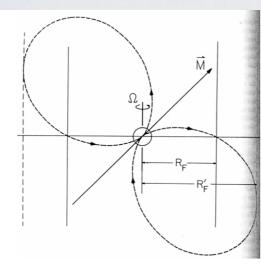
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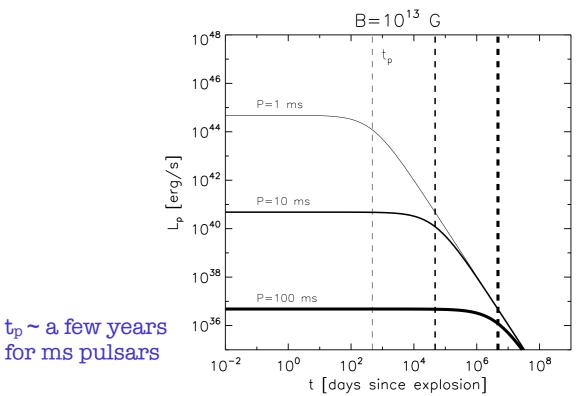


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pulsar outflow energetics

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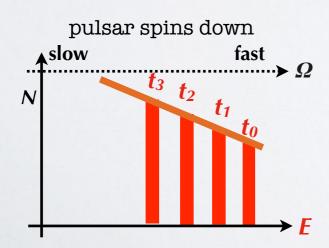


conversion of pulsar electromagnetic into kinetic energy

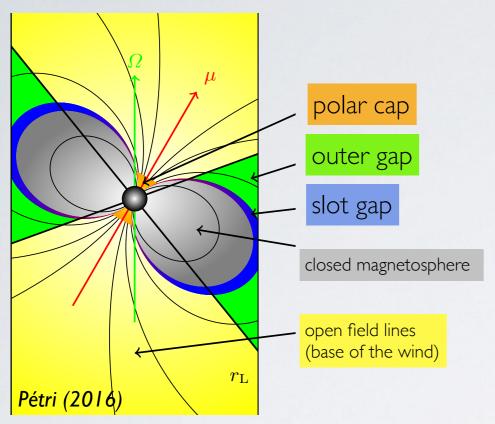
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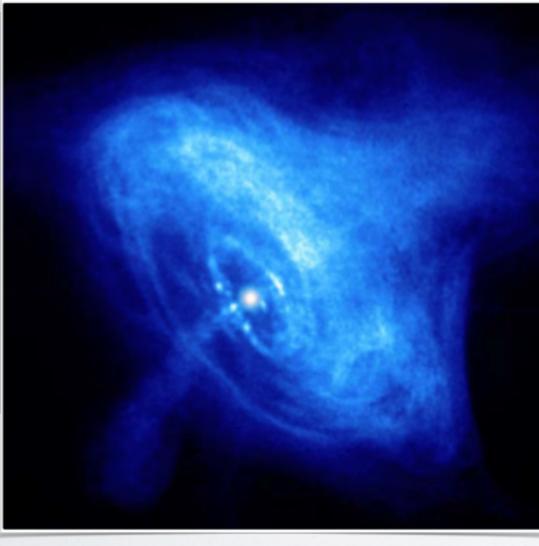


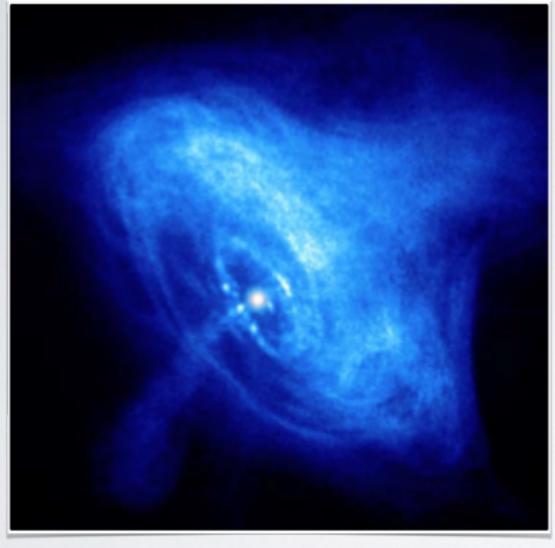
▶ Acceleration region?

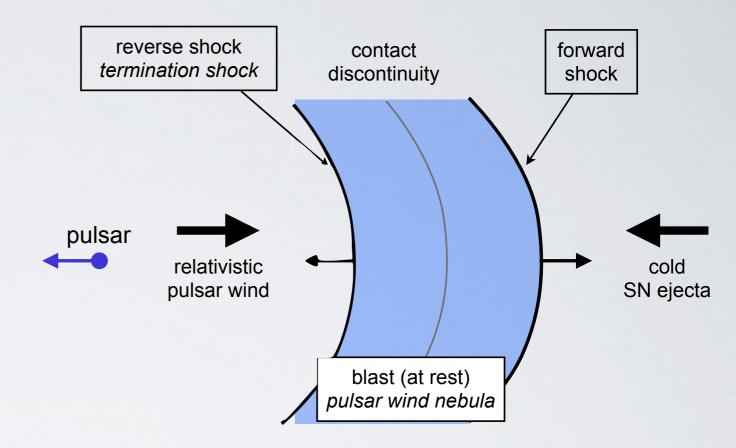


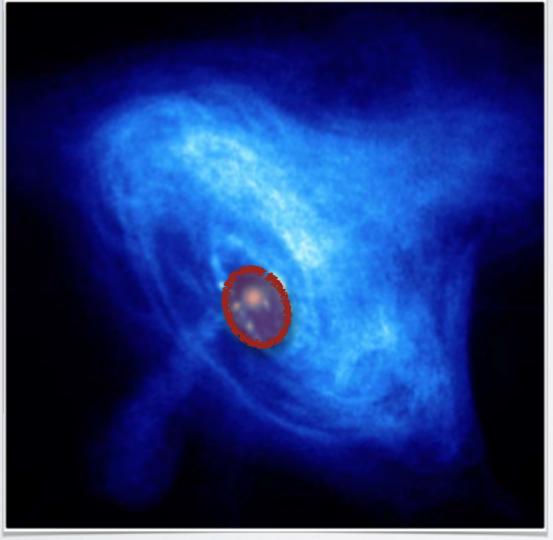
▶ Gaps close to star

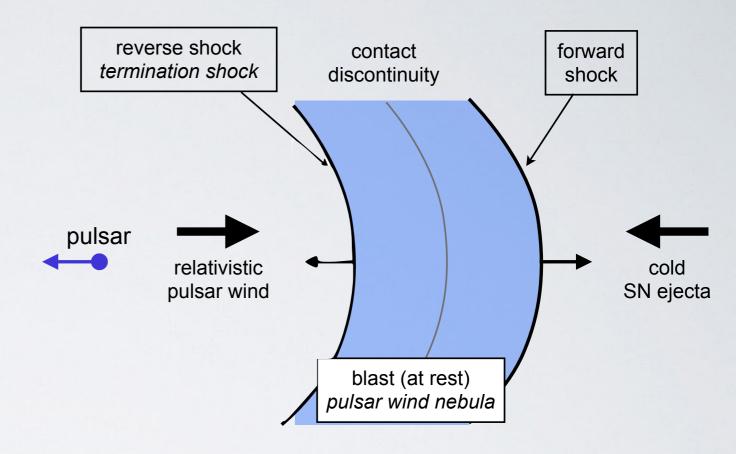
reviews: Harding (2007), Hirotani (2008)

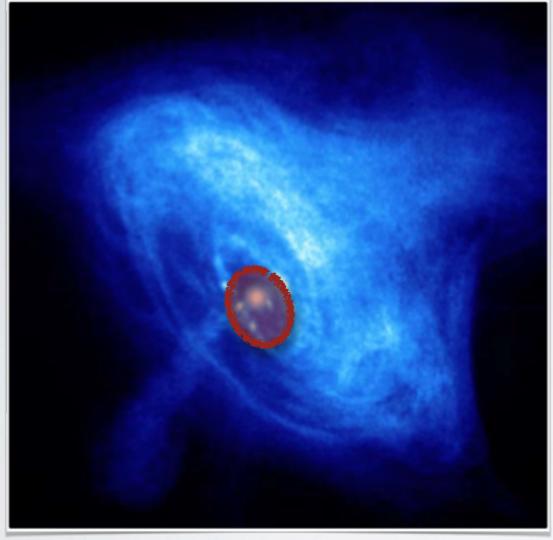


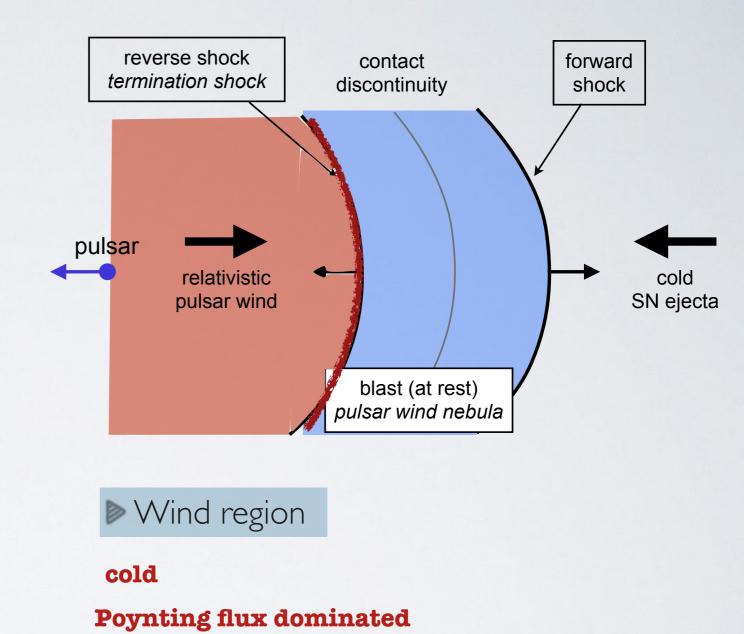


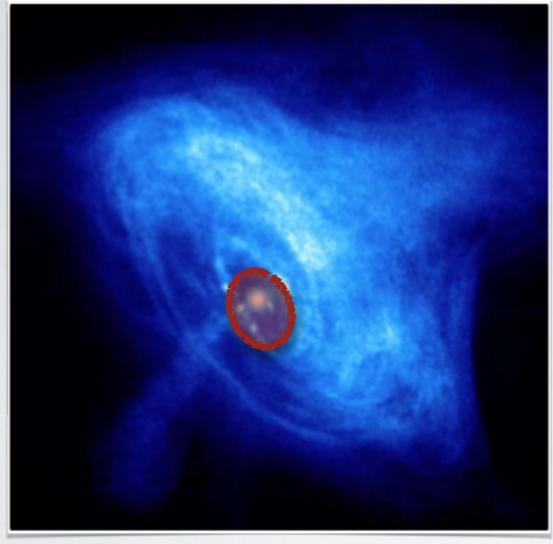


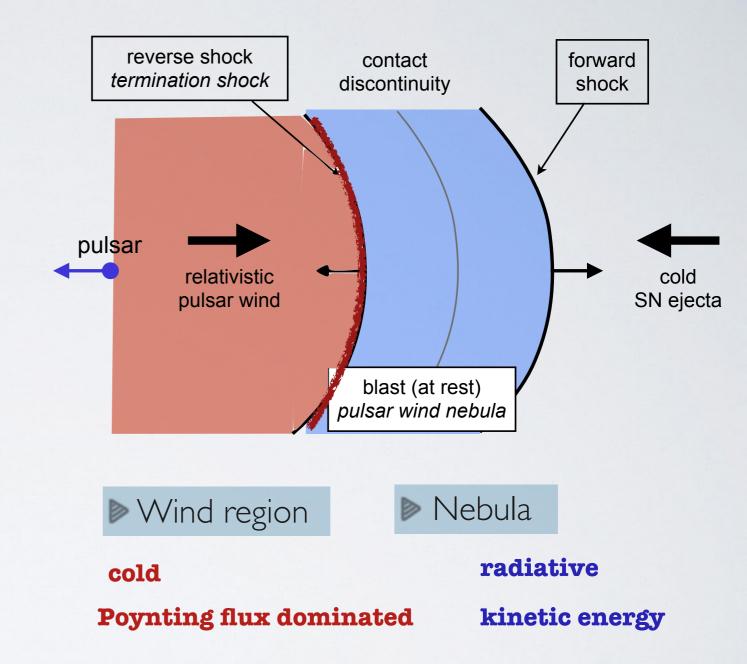




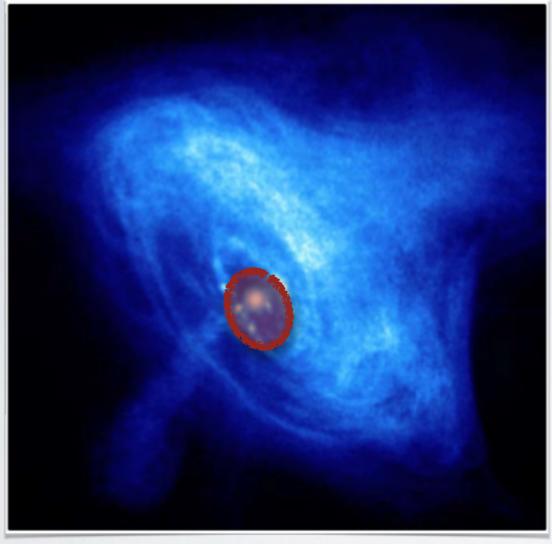


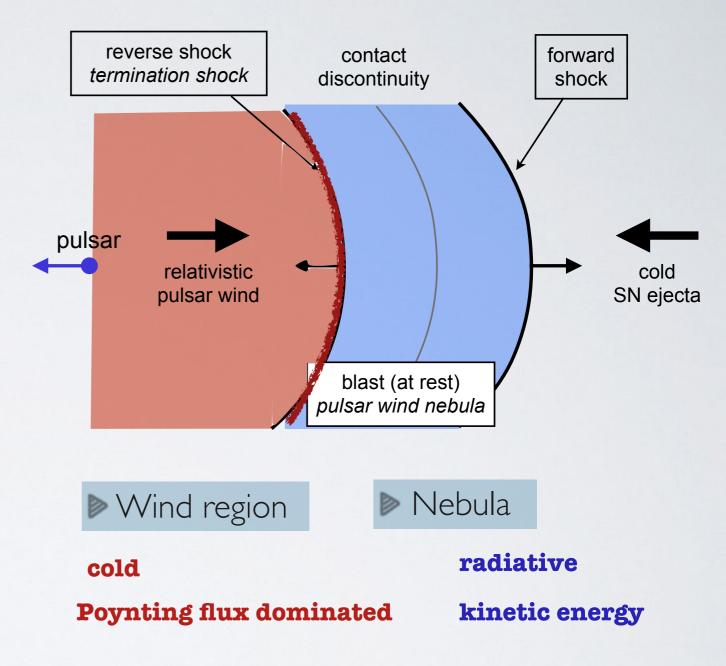






Acceleration region?

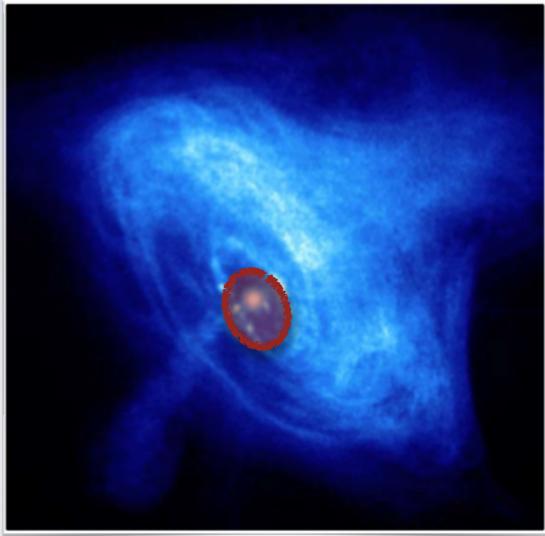




- dissipation of e-m to kinetic energy?
- related to "sigma-problem"

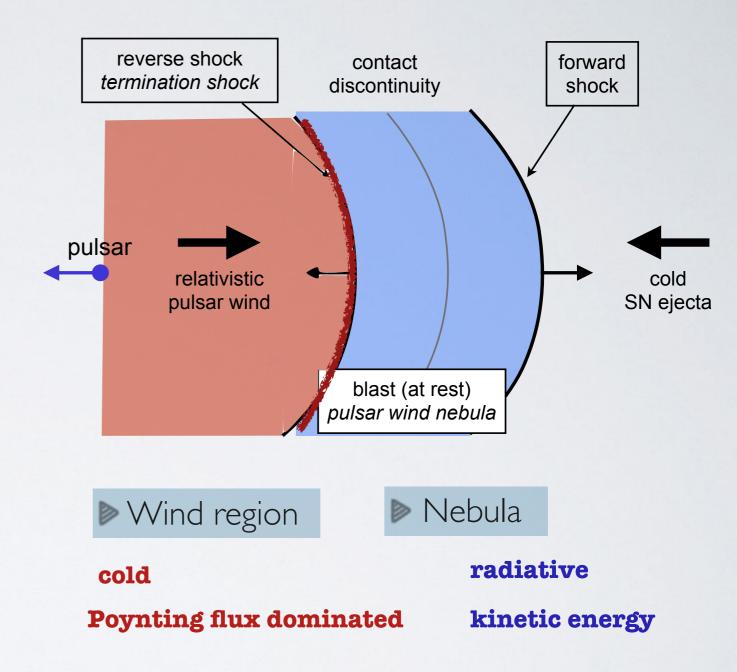
e.g., Kirk et al. 2009

Acceleration region?



- Acceleration mechanism?

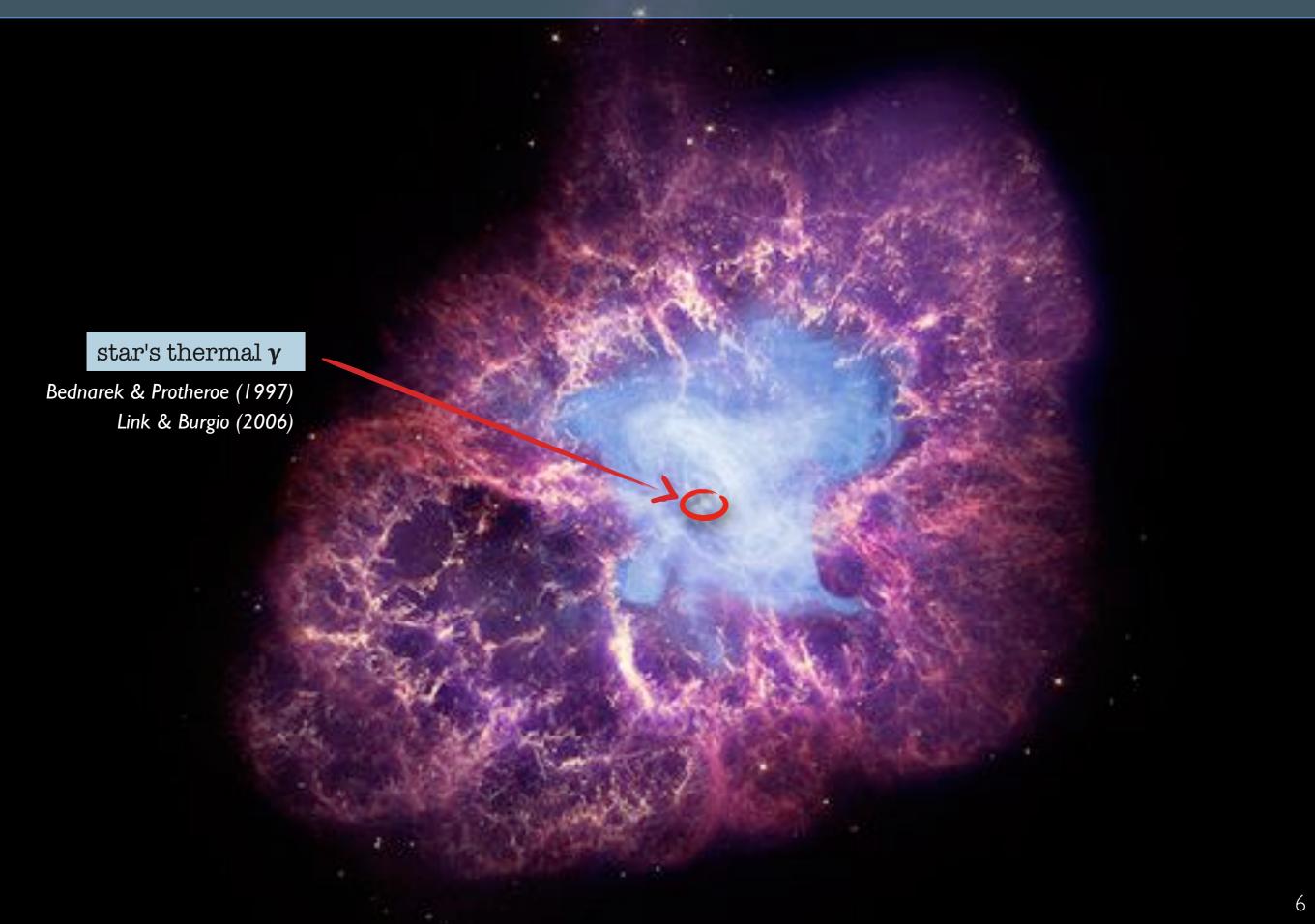
 - ▶ Fermi @TS e.g., Lemoine, KK, Pétri 15
 - reconnection wind region
 and/or close to TS in striped
 wind or in nebula? e.g., Sironi & Spitkovsky 12
 Lemoine, KK, Pétri 15

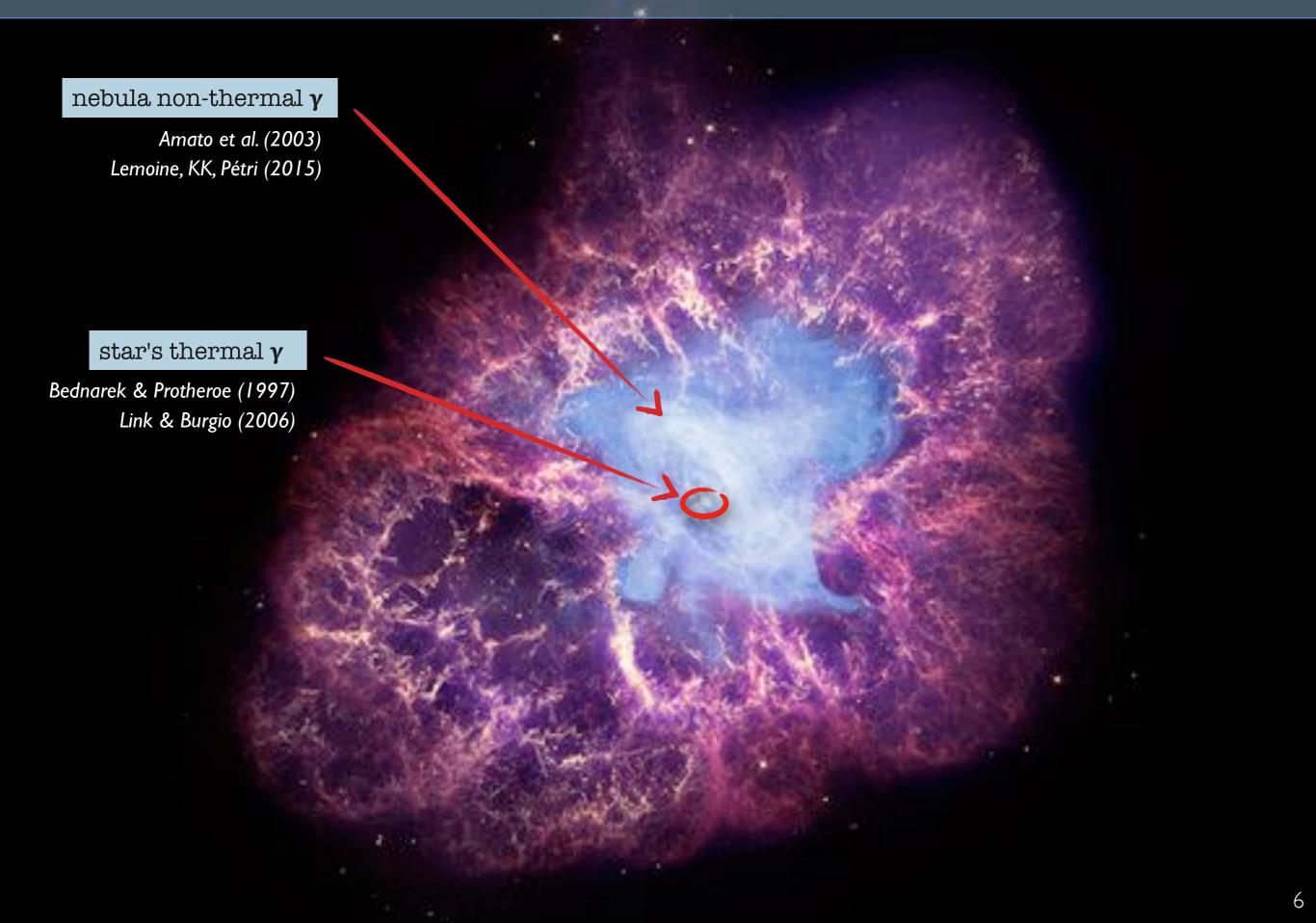


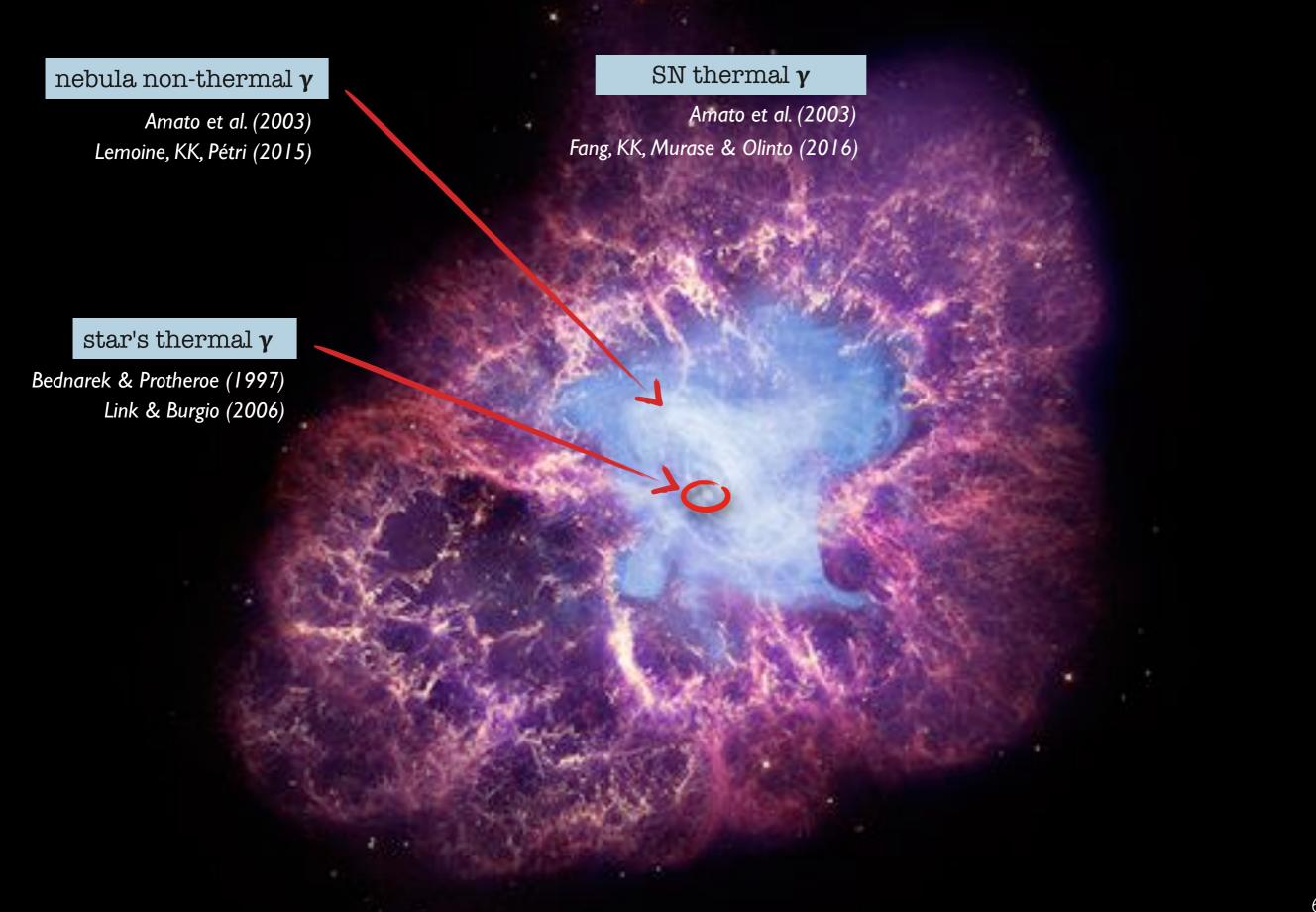
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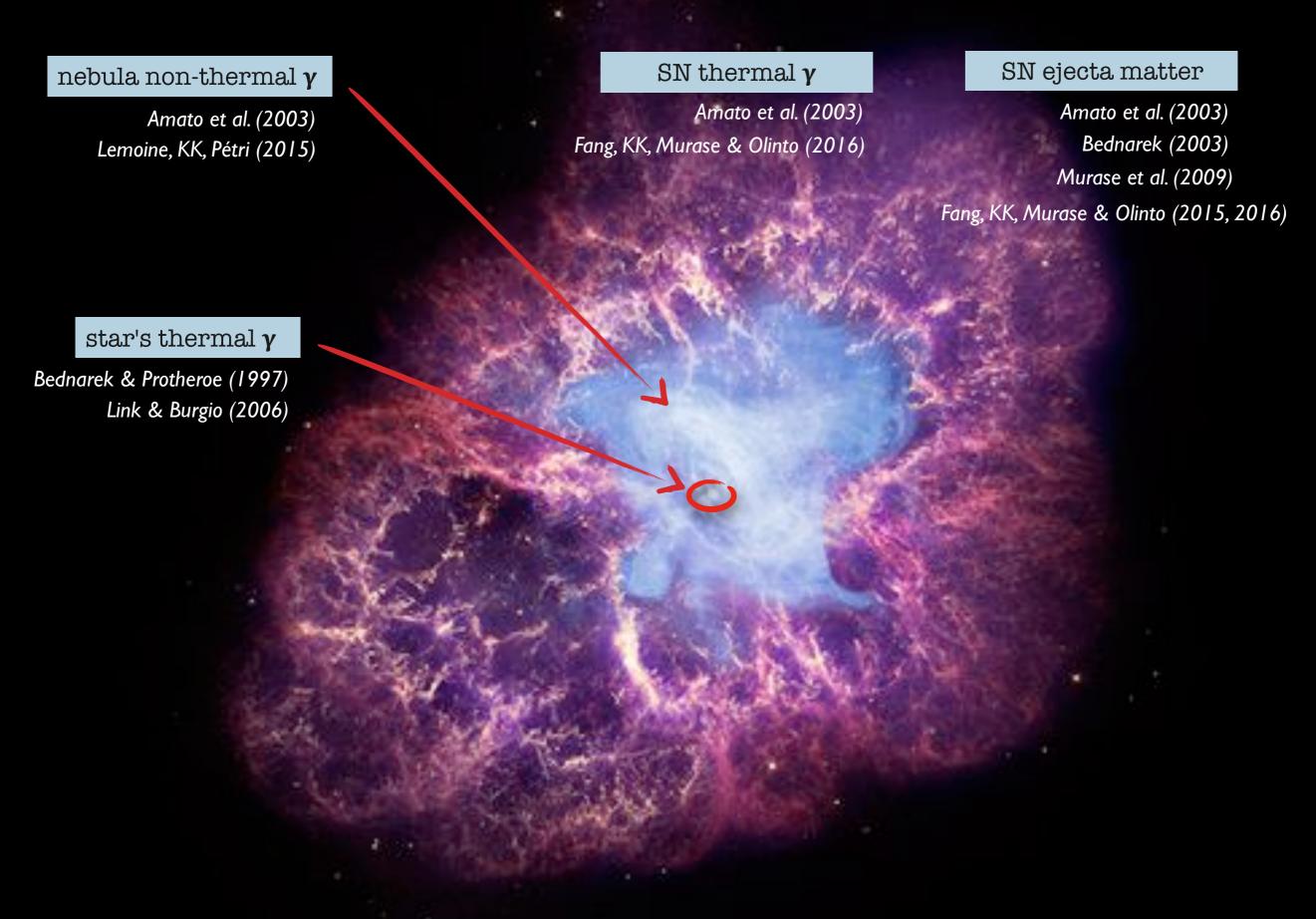
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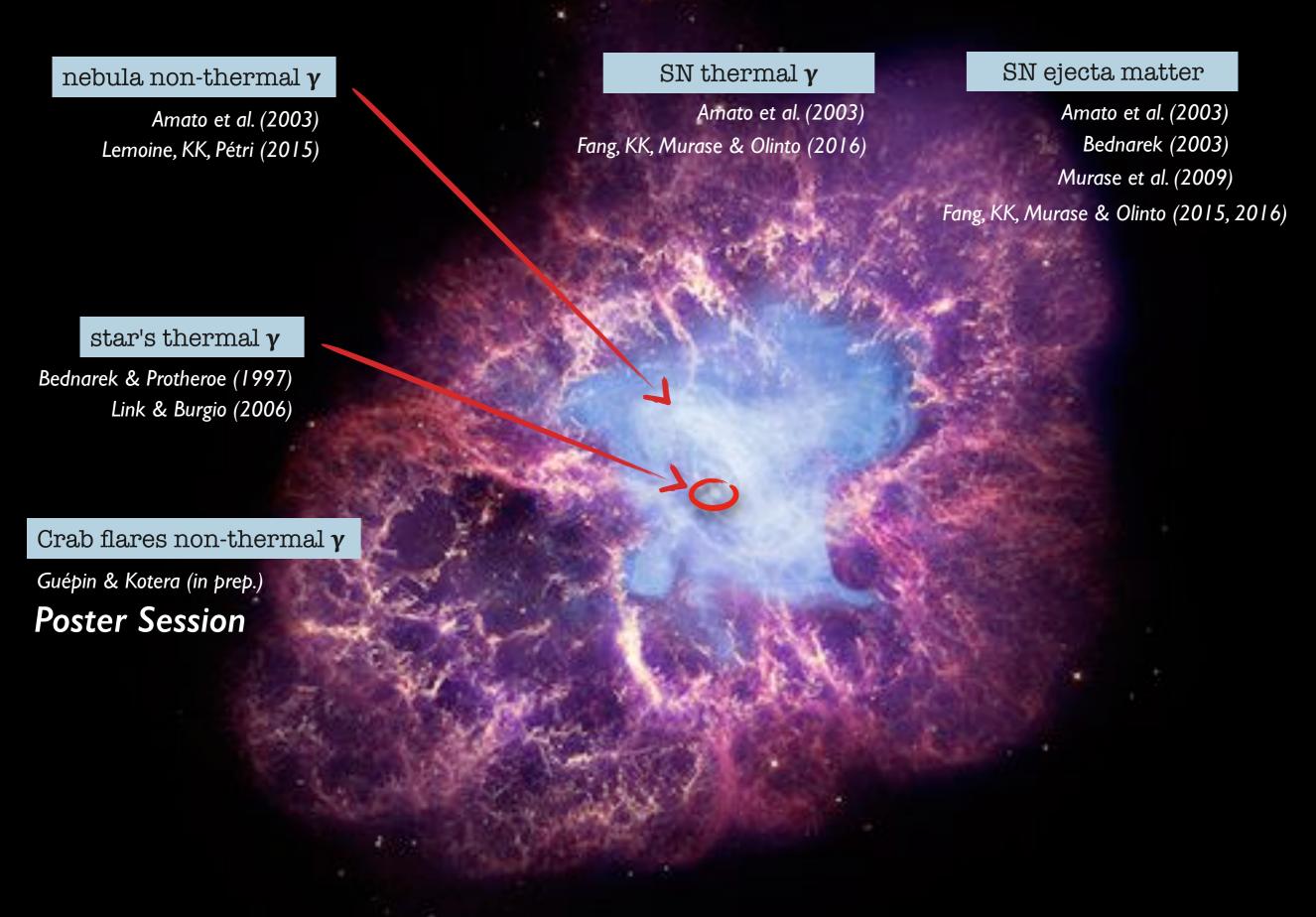








Interaction backgrounds for neutrino production



Interaction backgrounds for neutrino production

nebula non-thermal γ

Amato et al. (2003) Lemoine, KK, Pétri (2015)

star's thermal γ

Bednarek & Protheroe (1997) Link & Burgio (2006)

Crab flares non-thermal y

Guépin & Kotera (in prep.)

Poster Session

SN thermal γ

Amato et al. (2003) Fang, KK, Murase & Olinto (2016)

SN ejecta matter

Amato et al. (2003) Bednarek (2003) Murase et al. (2009) Fang, KK, Murase & Olinto (2015, 2016)

Aartsen et al. 2014

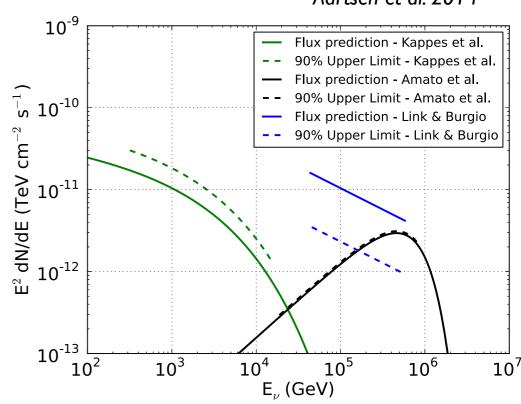


Figure 12. Flux predictions (solid) for three models of neutrino emission from the Crab Nebula, with their associated 90% C.L. upper limits (dashed) for an energy range containing 90% of the signal. Both the model from Amato et al. (2003) and the most optimistic model from Link & Burgio (2005, 2006) are now excluded at 90% C.L. For the gamma-ray-based model from Kappes et al. (2007), the upper limit is still a factor of 1.75 above the prediction.

Interaction backgrounds for neutrino production

nebula non-thermal γ

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Poster Session

Aartsen et al. 2014 10⁻⁹

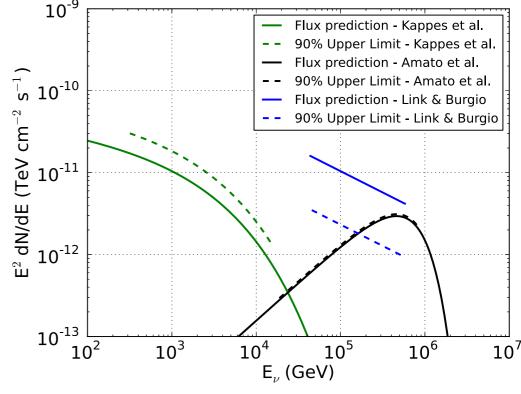
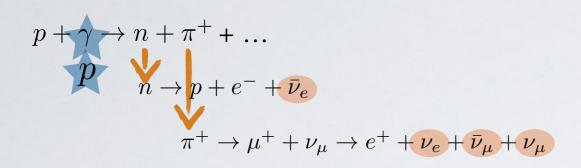
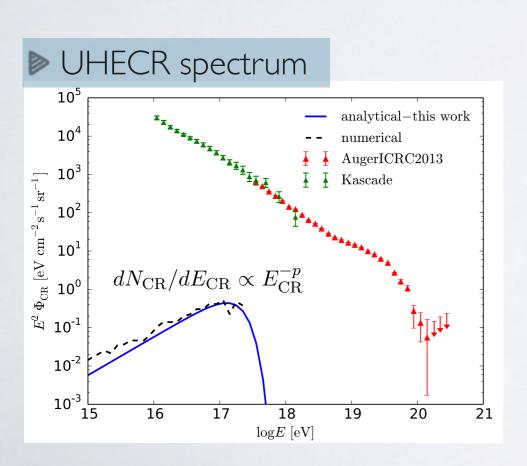
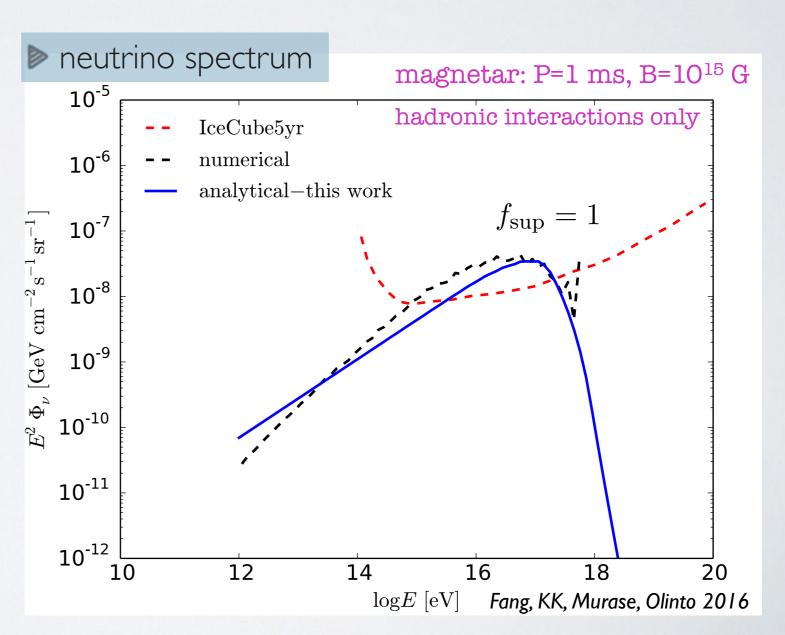


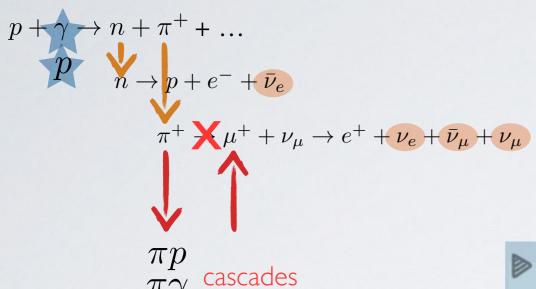
Figure 12. Flux predictions (solid) for three models of neutrino emission from the Crab Nebula, with their associated 90% C.L. upper limits (dashed) for an energy range containing 90% of the signal. Both the model from Amato et al. (2003) and the most optimistic model from Link & Burgio (2005, 2006) are now excluded at 90% C.L. For the gamma-ray-based model from Kappes et al. (2007), the upper limit is still a factor of 1.75 above the prediction.

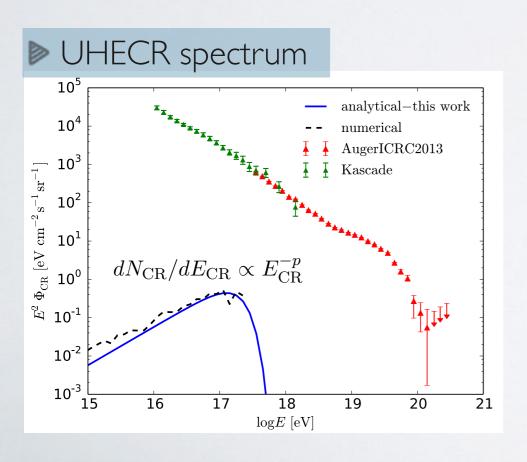
Most promising for > PeV neutrinos: interactions in SN

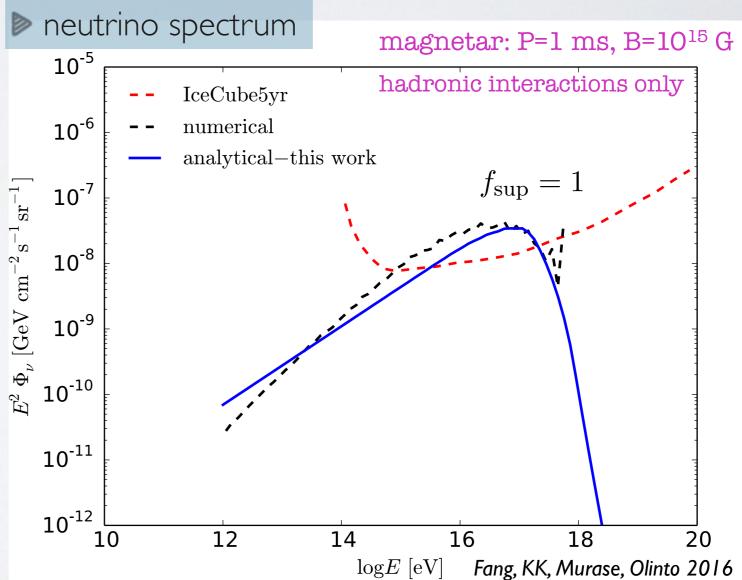


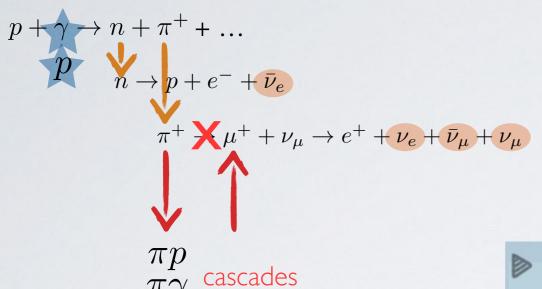










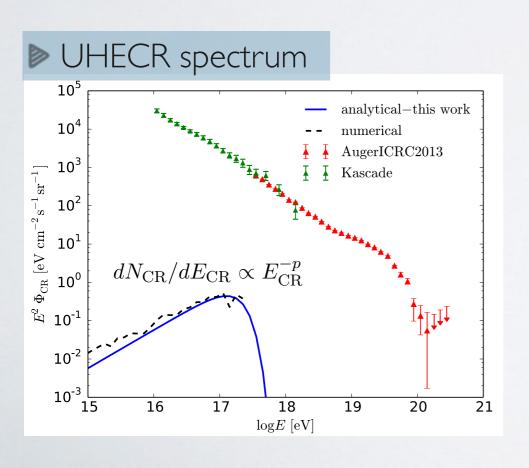


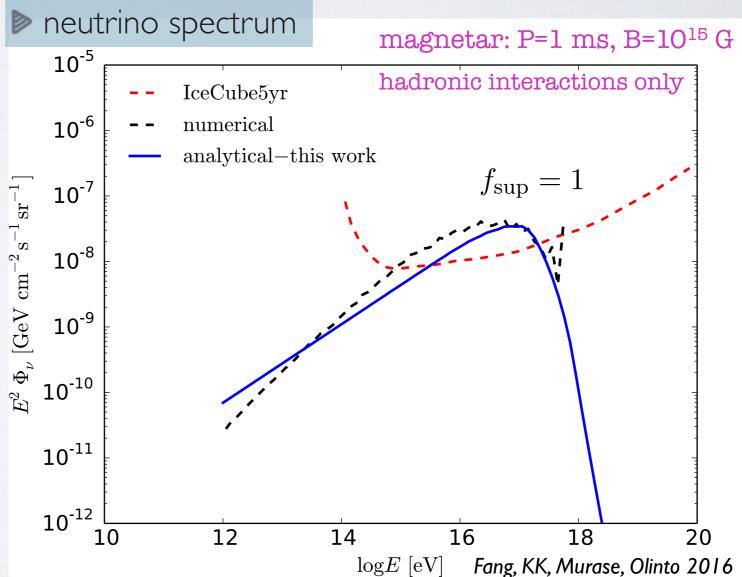
meson production efficiency

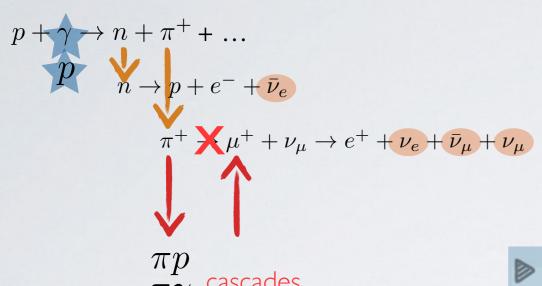
$$f_{\text{mes}} = \min\left(\tau_{pp} + \tau_{p\gamma}, 1\right)$$

neutrino suppression factor

$$f_{\text{sup}} = \min \left[1, \left(\left(\frac{t_{\pi p}}{\gamma_{\pi} \tau_{\pi}} \right)^{-1} + \left(\frac{t_{\pi \gamma}}{\gamma_{\pi} \tau_{\pi}} \right)^{-1} \right)^{-1} \right]$$





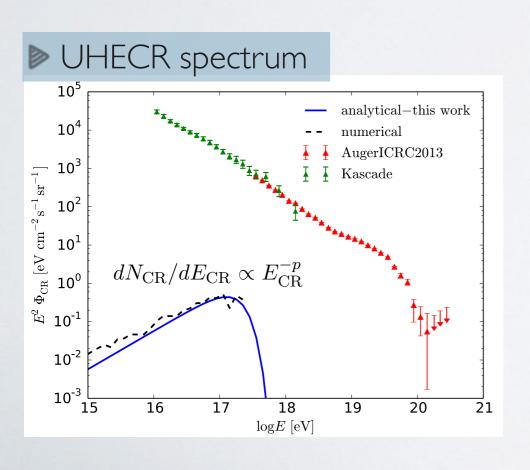


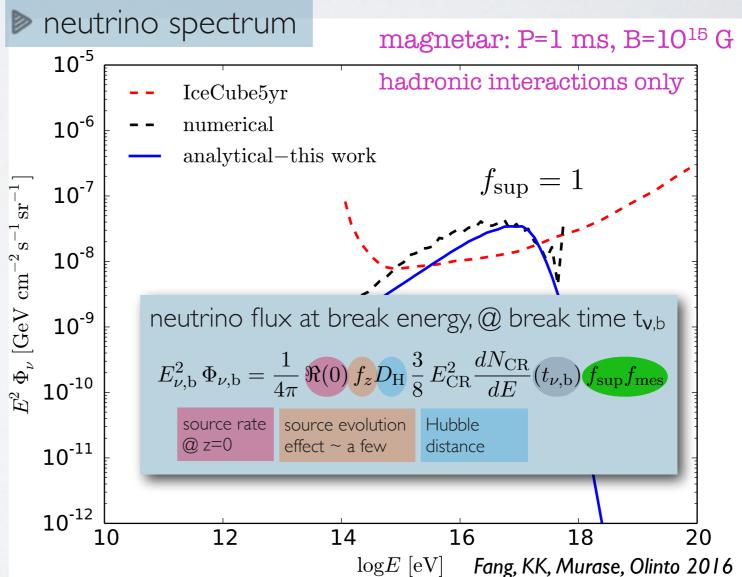
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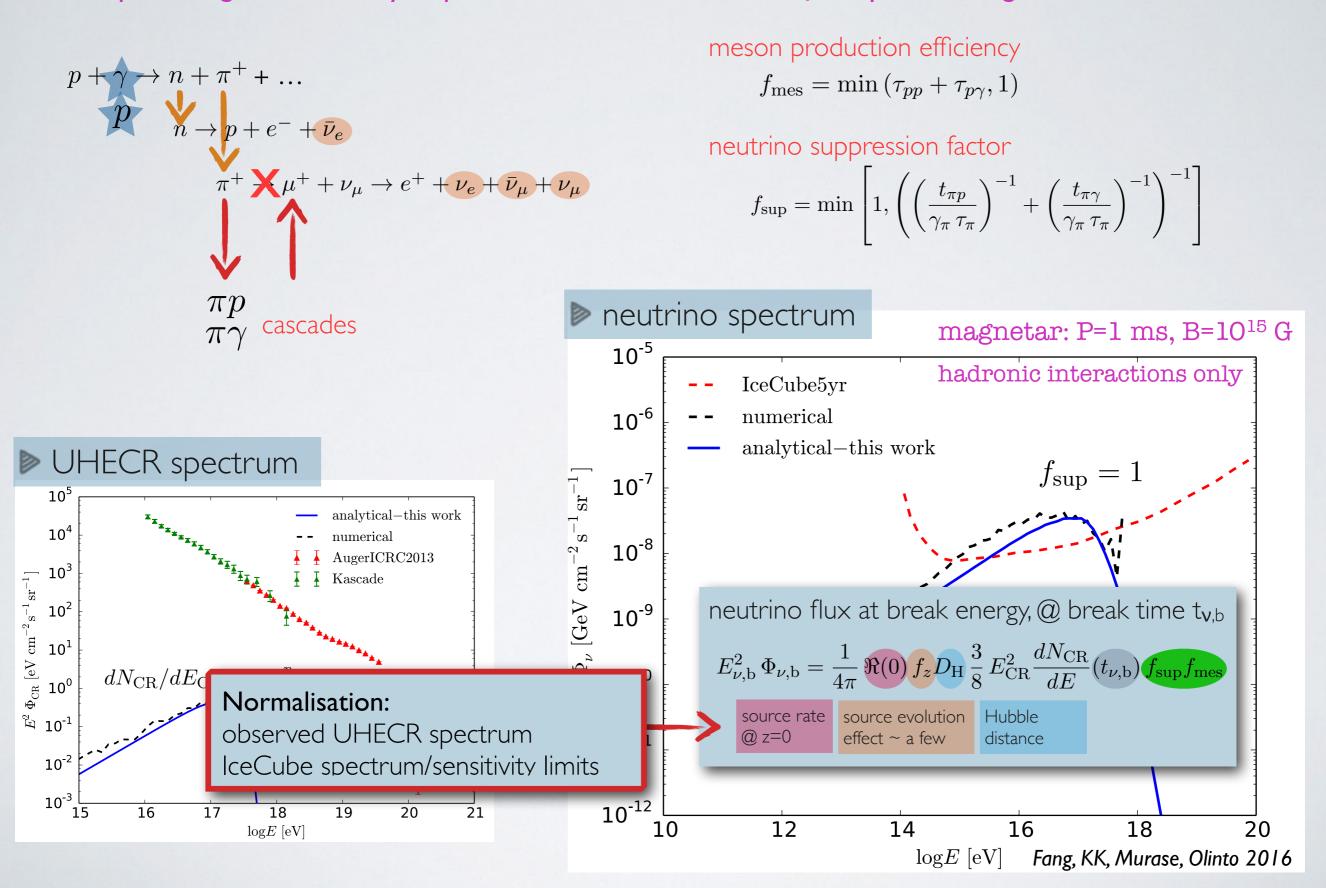
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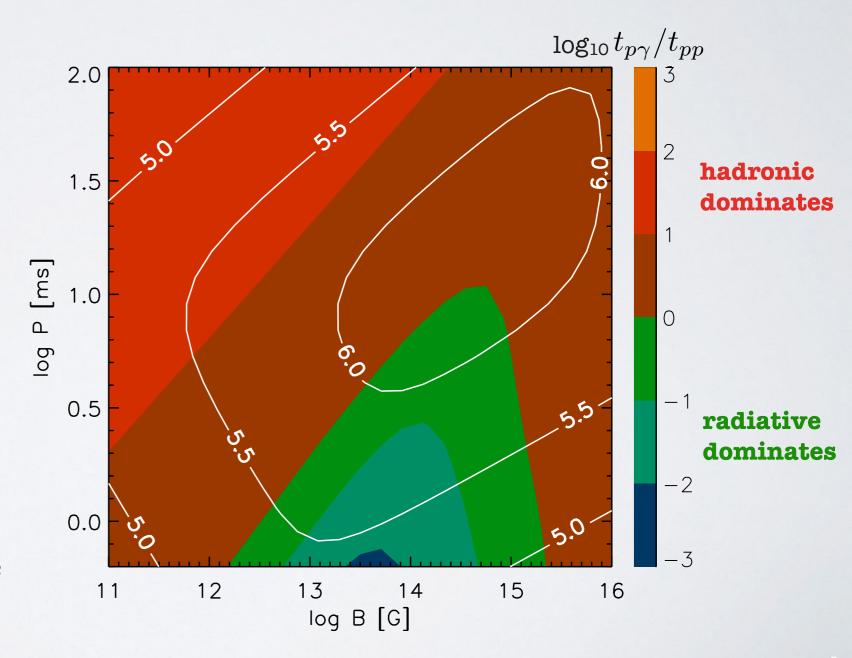


- baryonic, radiative backgrounds evolve in time
- dominant process changes over time
- \triangleright spectral break time $t_{v,b}$ = good reference time

fraction of neutron star rotational energy converted to thermal photons in SN ejecta

$$\eta_{\rm th} = 1$$

- ▶ faster rotation: more conversion
- for η<10⁻³ hadronic interactions dominate over whole param. space

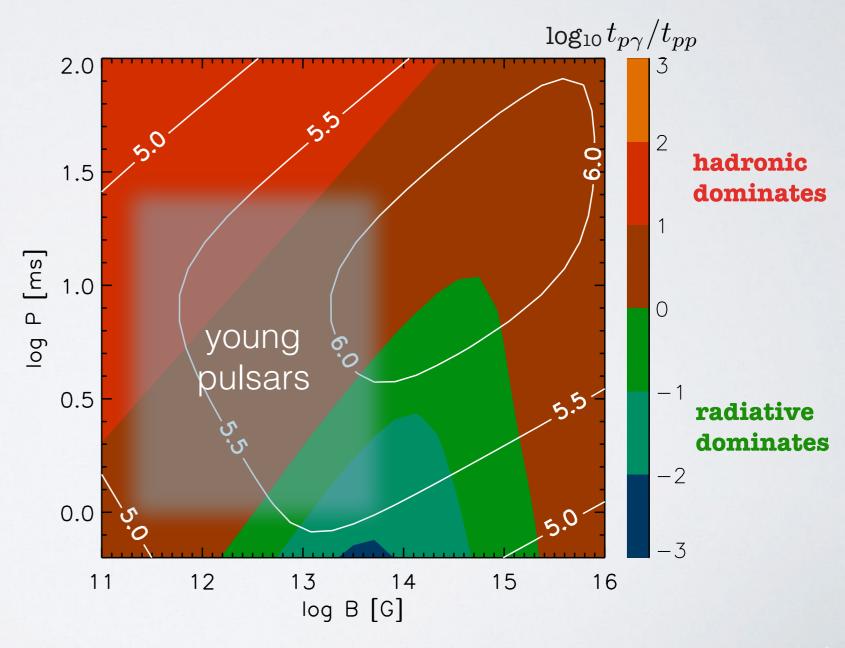


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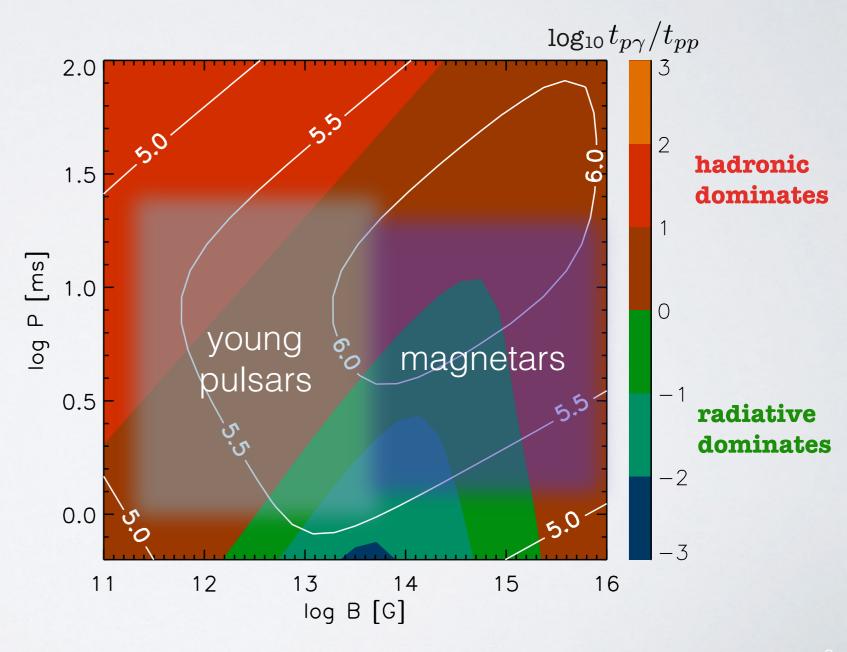


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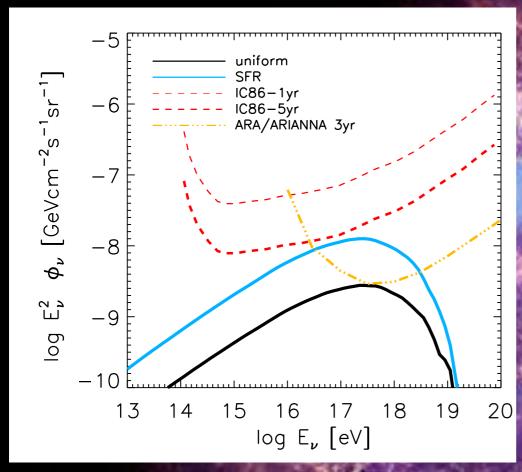
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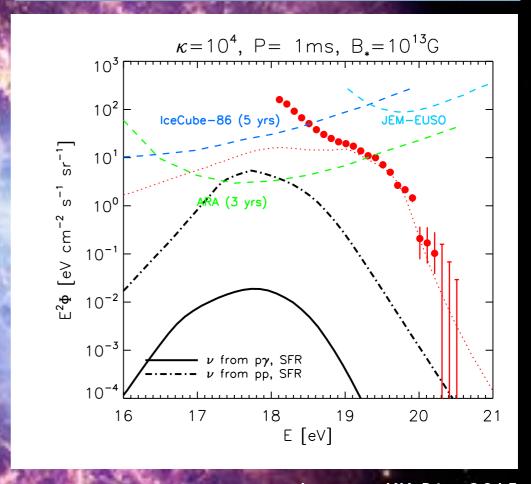
Ultrahigh energy neutrinos from the pulsar model

Neutrino flux for population of pulsars fitting the UHECR spectrum interaction with Supernova ejecta



Fang, KK, Murase, Olinto 2015

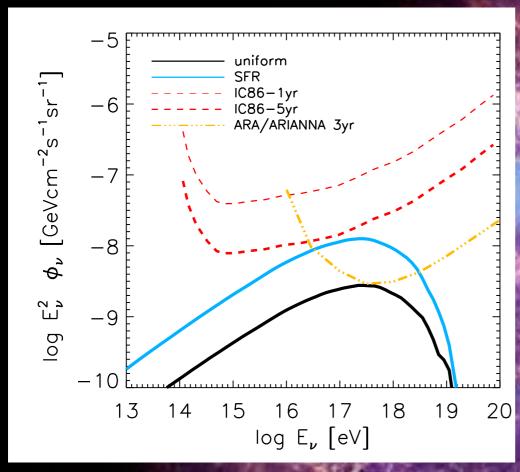
Neutrino flux for population of pulsars fitting the UHECR spectrum interactions in PWN



Lemoine, KK, Pétri 2015

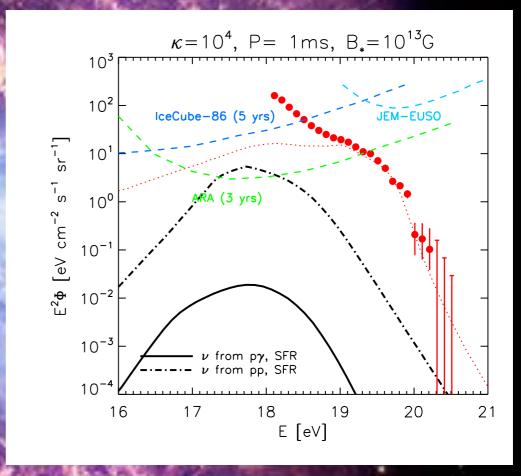
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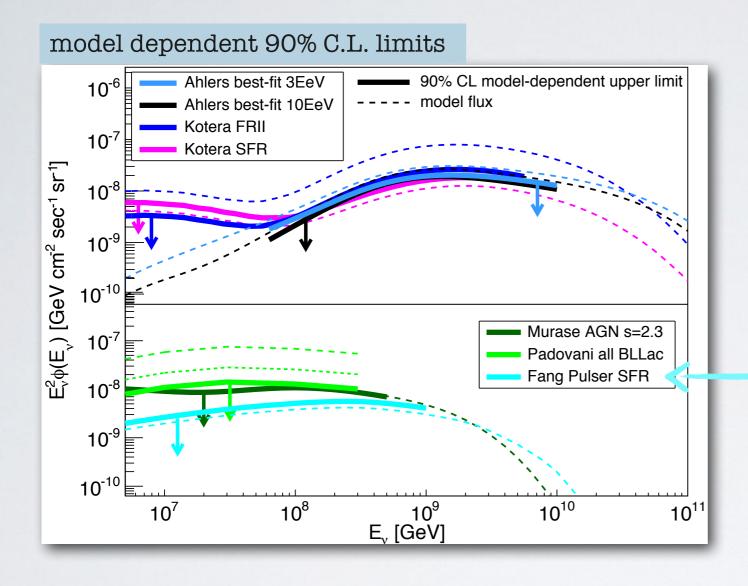
Fang, KK, Murase, Olinto 2015

Neutrino flux for population of pulsars fitting the UHECR spectrum interactions in PWN



Lemoine, KK, Pétri 2015

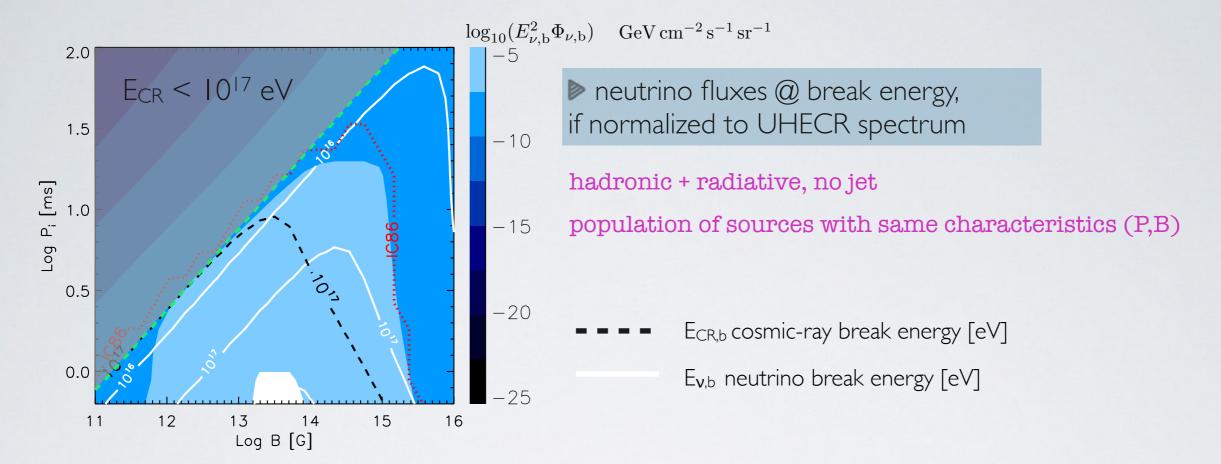
- Already constrained with IceCube
- Most pessimistic case: testable with IceCube in the next decade!

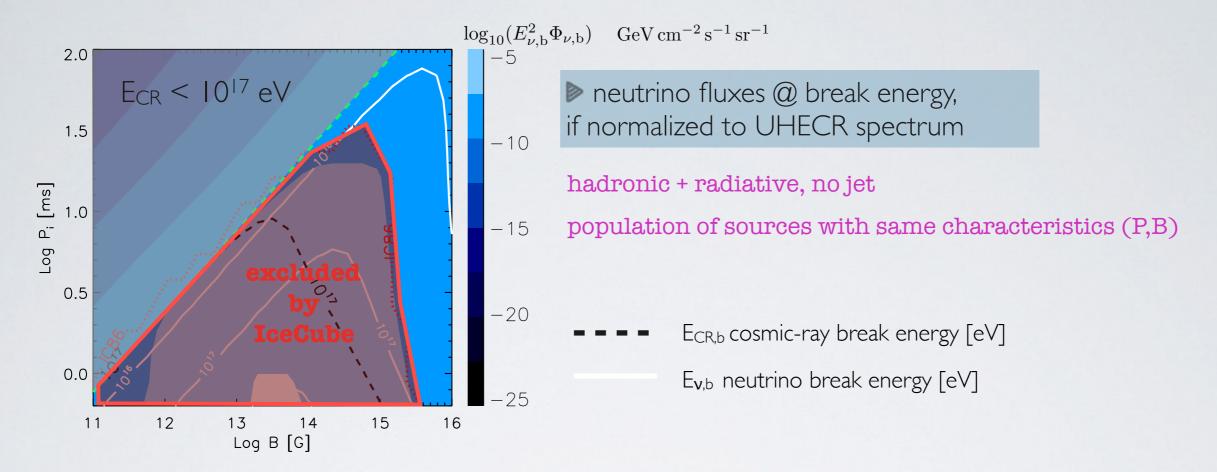


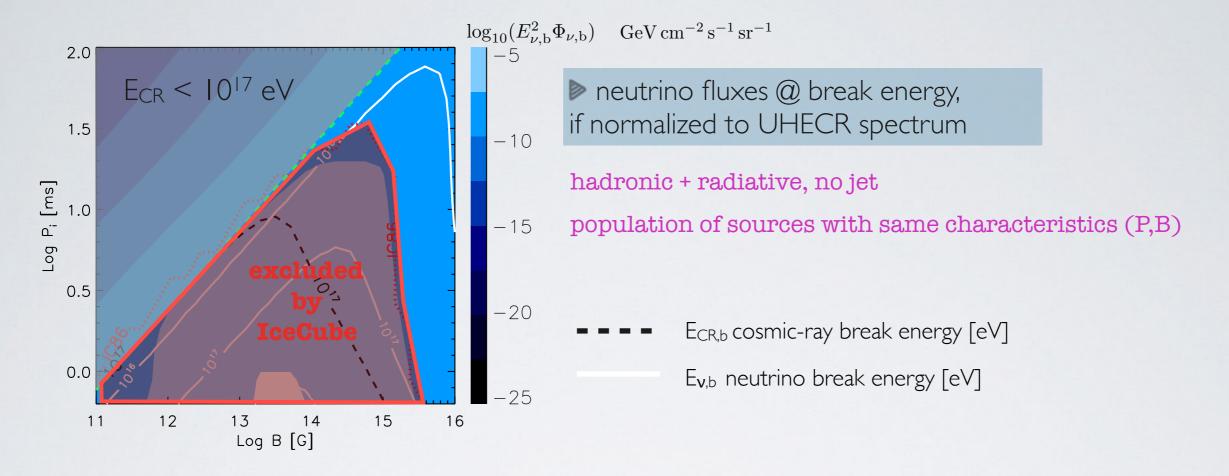
Expected number of events in 2426 days of effective livetime			Model Rejection Factor
ν Model	Event rate	p-value	MRF
	per livetime		
Murase et al. [45]			
$s = 2.3, \xi_{CR} = 100$	$7.4^{+1.1}_{-1.8}$	$2.2^{+9.9}_{-1.4}\%$	$0.96 \ (\xi_{CR} \le 96)$
Murase et al. [45]			
$s = 2.0, \xi_{CR} = 3$	$4.5^{+0.7}_{-0.9}$	$19.9^{+20.2}_{-9.2}\%$	$1.66 \ (\xi_{CR} \le 5.0)$
Fang <i>et al.</i> [48]			
SFR	$5.5^{+0.8}_{-1.1}$	$7.8^{+14.4}_{-3.7}\%$	1.34
Fang <i>et al.</i> [48]			
uniform	$1.2^{+0.2}_{-0.2}$	$54.8^{+1.7}_{-2.7}\%$	5.66
Padovani et al. [46]			
$Y_{\nu\gamma} = 0.8$	$37.8^{+5.6}_{-8.3}$	< 0.1%	$0.19 \ (Y_{\nu\gamma} \le 0.15)$
	·	·	

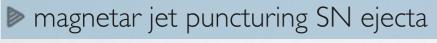
MRF = ratio of expected average upper limit to expected signal

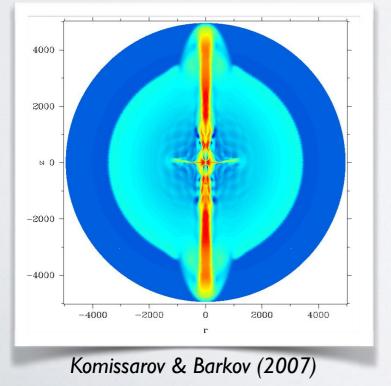
▶ Population of newborn pulsars as sources of UHECRs following star formation rate excluded at 99.9% C.L.

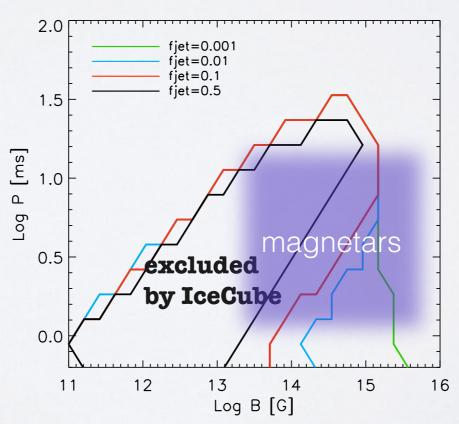












f_{jet} = "jet fraction"

fraction of accelerated particles that can escape without crossing a dense environment

magnetars not excludedUHECR production and escape possible

Conclusions

- pulsars/magnetars should be strong high-energy neutrino emitters
- surrounding SN ejecta material unavoidable to produce neutrinos unless punctured by jet (GRB-like)
- lceCube already strongly constraining pulsar/magnetar scenarios for **UHECR** production
 - some (P,B) neutron-star populations excluded for UHECR production
 - newborn pulsars with uniform emissivity evolution excluded at 90% C.L. by IceCube as UHECR producers

