



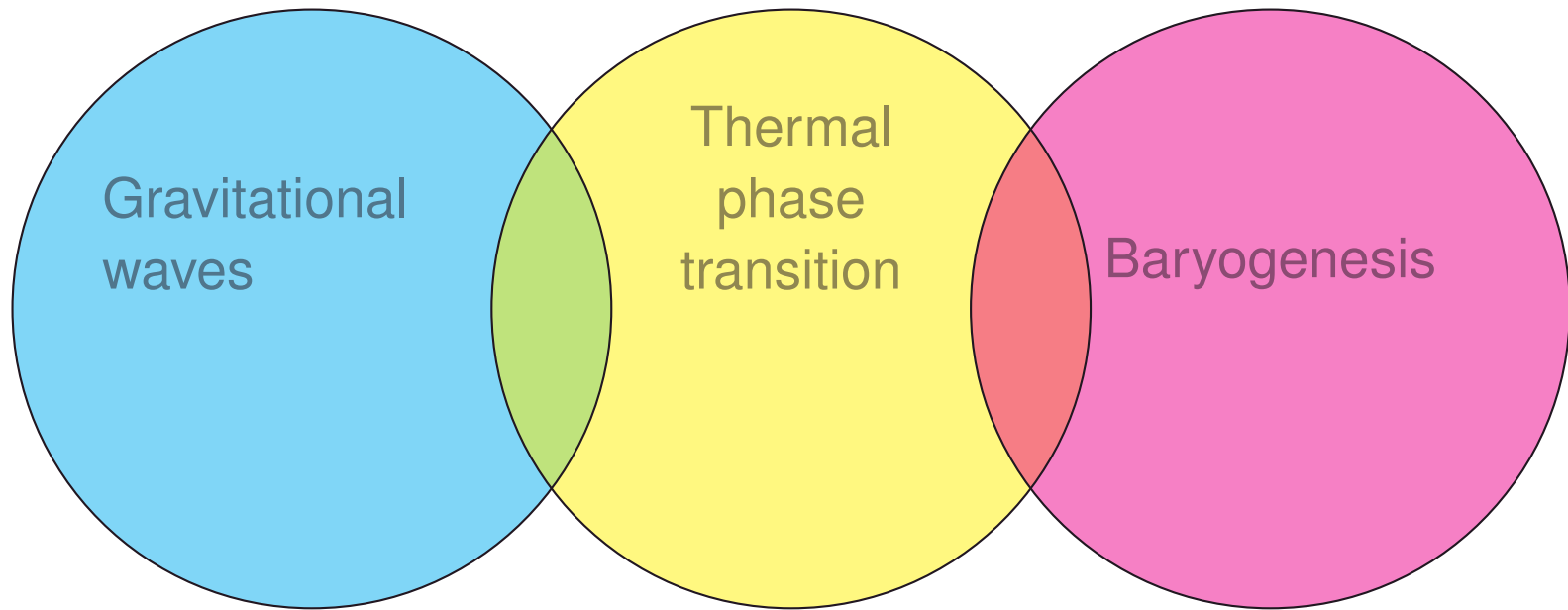
Baryogenesis, gravitational waves and thermal phase transitions

*PRL 112, 041301 (2014) [arXiv:1304.2433],
PRD 92, 123009 (2015) [arXiv:1504.03291],
JCAP 1604 (2016) 001 [arXiv:1512.06239],
and PRD 93, 124037 (2016) [arXiv:1604.08429].*

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and the eLISA Cosmology Working Group

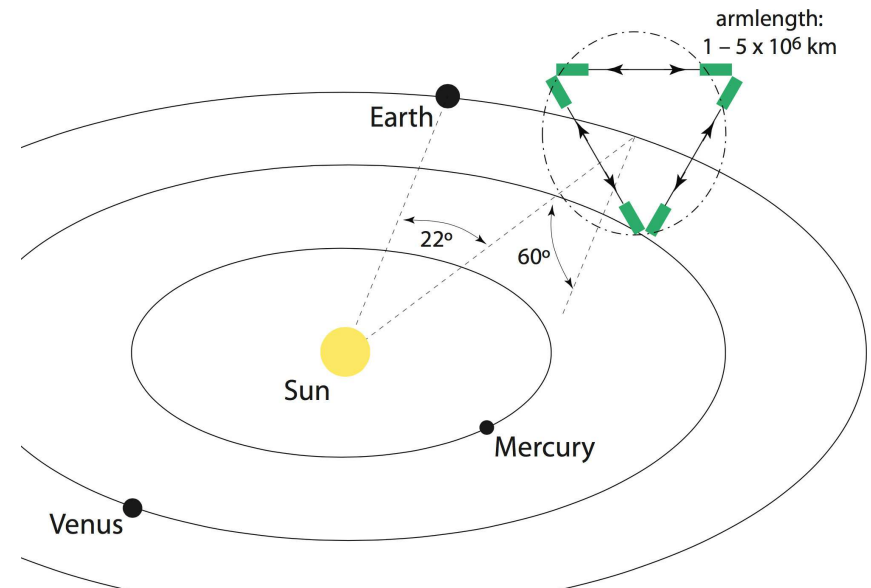
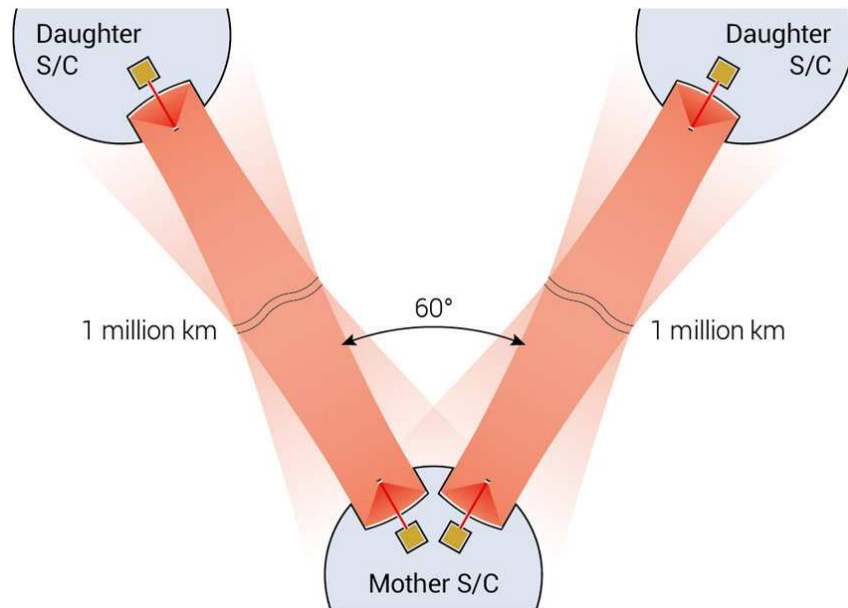
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- First order EWPT can produce observable gravitational wave signatures
- Future projects including LISA can probe a range of extended EW models
- It's *possible* to believe that a phase transition that produces observable GWs also could explain baryogenesis Megevand; Joyce, Prokopec, Turok; Fromme, Huber, Seniuch; Caprini and No; ...

What's “next”: [e]LISA Talks by Scott Hughes and others

Peak sensitivity in mHz: well-placed to see background from EWPT



- eLISA would have two arms (four laser links), 1M km separation
- Launch as ESA's third large-scale mission (L3) in c.2034
- Cheaper version of LISA (2 arms, smaller, noisier, shorter duration)
- In light of events:
 - Restore missing arm?
 - Increase separation?
 - Extend mission duration?

Thermal phase transitions

Extended Standard Model with first-order PT.
Around temperature T_* ,

- Scalar field bubbles nucleate
 - with rate β
- Bubbles expand, liberate latent heat
 - characterised by α_{T_*}
- Bubbles interact with plasma
 - deposit kinetic energy with efficiency κ_f
- Friction from plasma acts on bubble walls
 - walls move with velocity v_{wall}
- Bubbles collide
 - producing gravitational waves

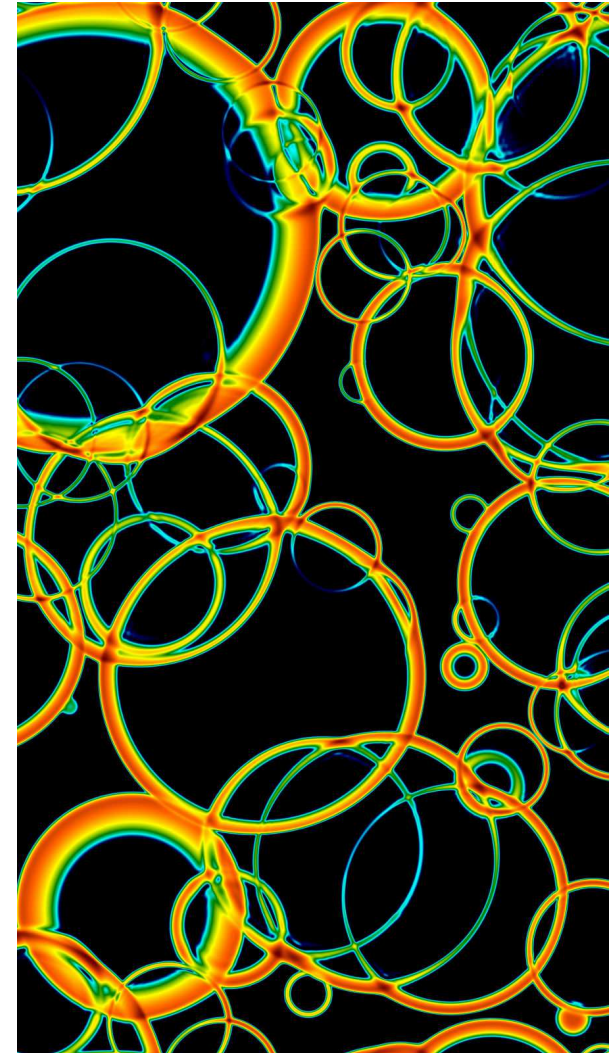
β , α_{T_*} , v_{wall} (and T_*):

3 (+1) parameters are all you need

Espinosa, Konstandin, No, Servant;

Kamionkowski, Kosowsky, Turner

(can get κ_f from α_{T_*} and v_{wall})



Electroweak baryogenesis

Standard lore:

1. Bubbles of the broken phase nucleate and expand
 - within the broken phase, the baryon number is frozen out
2. Particles in the plasma scatter off the bubble wall
 - generating \mathcal{C} and \mathcal{CP} asymmetries in front of the wall
3. Particles diffuse back into the symmetric phase
 - sphaleron transitions convert this into a baryon asymmetry
4. Baryon asymmetry remains when bubble wall ‘catches up’ – and in the broken phase a baryon asymmetry is produced

Need:

- A strongly first-order phase transition (to avoid washout within the bubble walls) – **Good for GWs!**
- Slow bubble wall velocity (must normally be subsonic, and slower the better for diffusion processes to work) – **Bad for GWs!**

Key question: how does the GW power spectrum depend on the wall velocity?

What the metric sees at a thermal phase transition

- Bubbles nucleate, most energy goes into plasma, then:
 1. $h^2\Omega_\phi$: Bubble walls and shocks collide – ‘envelope phase’
 2. $h^2\Omega_{\text{sw}}$: Sound waves set up after bubbles have collided, before expansion dilutes KE – ‘acoustic phase’
 3. $h^2\Omega_{\text{turb}}$: MHD turbulence – ‘turbulent phase’
- These sources then add together to give the observed GW power:

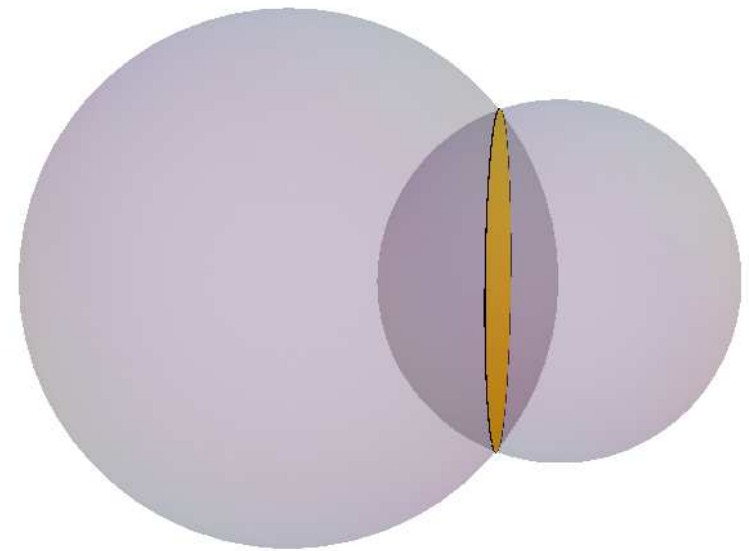
$$h^2\Omega_{\text{GW}} \approx h^2\Omega_\phi + h^2\Omega_{\text{sw}} + h^2\Omega_{\text{turb}}$$

- Each phase’s contribution depends on the nature of the phase transition.
- Now: explore steps 1-2 through two types of simulations:
 1. The ‘envelope approximation’ $\rightarrow h^2\Omega_\phi$
 2. Field ϕ (‘Higgs’) coupled by friction to fluid U^μ (‘plasma’) $\rightarrow h^2\Omega_{\text{sw}}$

1: Envelope approximation

Kosowsky, Turner and Watkins; Kamionkowski, Kamionowsky and Turner

- Thin-walled bubbles, no fluid
 - Bubbles expand with velocity v_w
 - Stress-energy tensor $\propto R^3$ on wall
 - Overlapping bubbles \rightarrow GWs
 - Keep track of solid angle
 - Collided portions of bubbles source gravitational waves
 - Resulting power spectrum is simple
 - One scale
(avg. bubble radius R_*)
 - Two power laws ($\omega^3, \sim \omega^{-1}$)
 - Amplitude
- \Rightarrow 4 numbers define spectral form



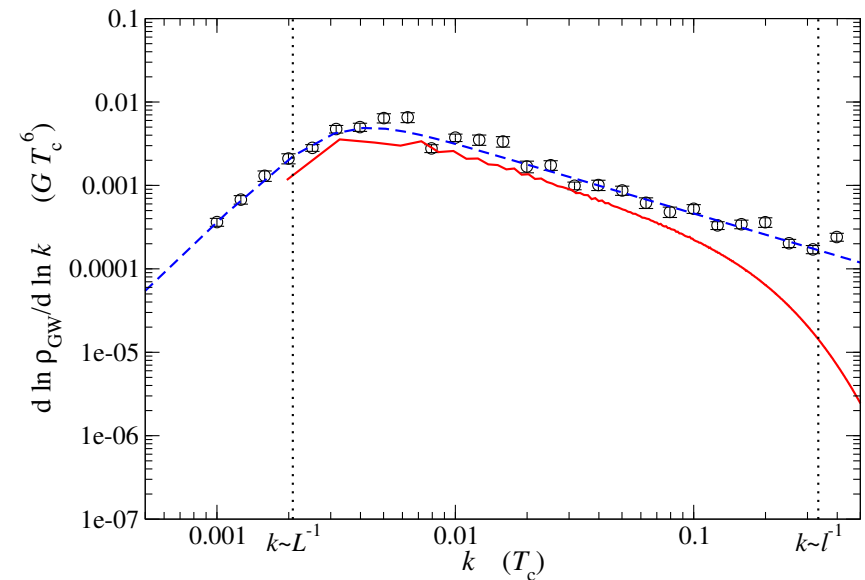
1: Making predictions with the envelope approximation

Espinosa, Konstandin, No and Servant; Huber and Konstandin

4-5 numbers parametrise the transition:

- α_{T_*} , vacuum energy fraction
- v_w , bubble wall speed
- κ_ϕ , conversion ‘efficiency’ to $(\nabla\phi)^2$
- Transition rate:
 - H_* , Hubble rate at transition
 - β , bubble nucleation rate

→ ansatz for $h^2\Omega_\phi$



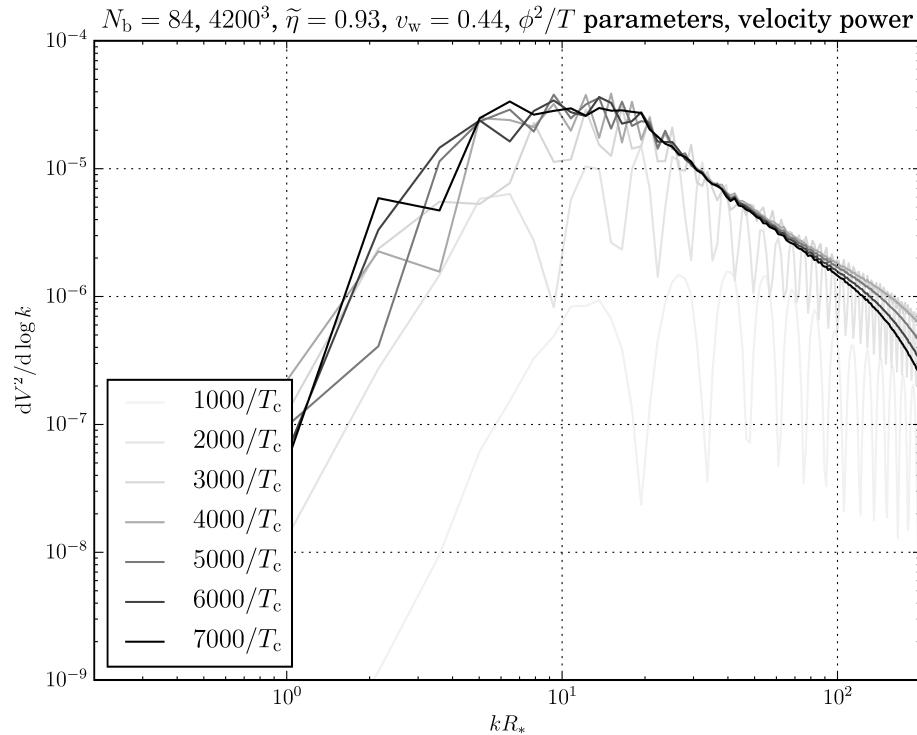
NB: if applied to a *thermal* transition, energy in GWs would be

$$h^2\Omega_{\text{GW}} \propto \frac{0.11 v_w^3}{0.42 + v_w^2} \frac{\kappa_f^2 \alpha^2}{(\alpha + 1)^2} \left(\frac{H_*}{\beta} \right)^2 \left(\frac{100}{g_*} \right)^{1/3}$$

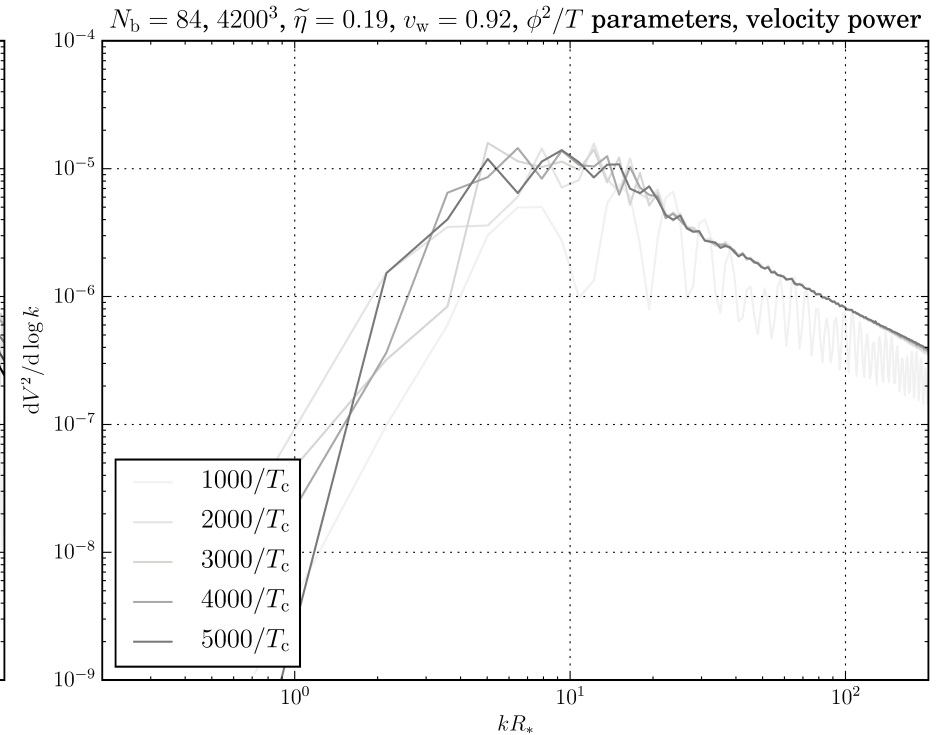
assumes the shocks are **thin** and disappear after the bubbles collide: this is an underestimate: the dominant source from the fluid KE is sound waves

2: Velocity power spectra and power laws

Fast deflagration



Detonation

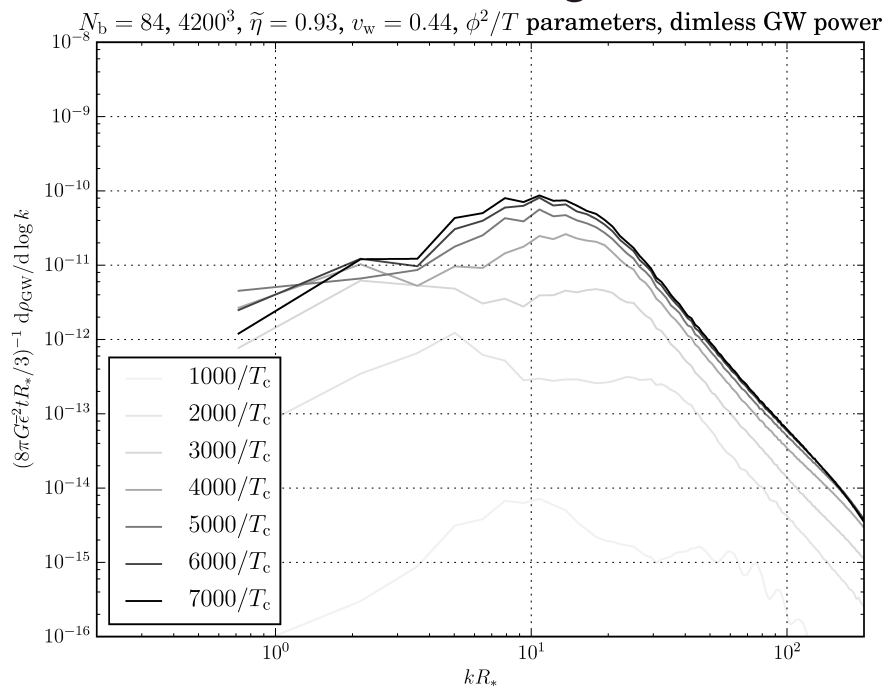


- Weak transition: $\alpha_{T_N} = 0.01$
- Power law behaviour above peak is between ω^{-2} and ω^{-1}
- “Ringing” due to simultaneous bubble nucleation, not physically important

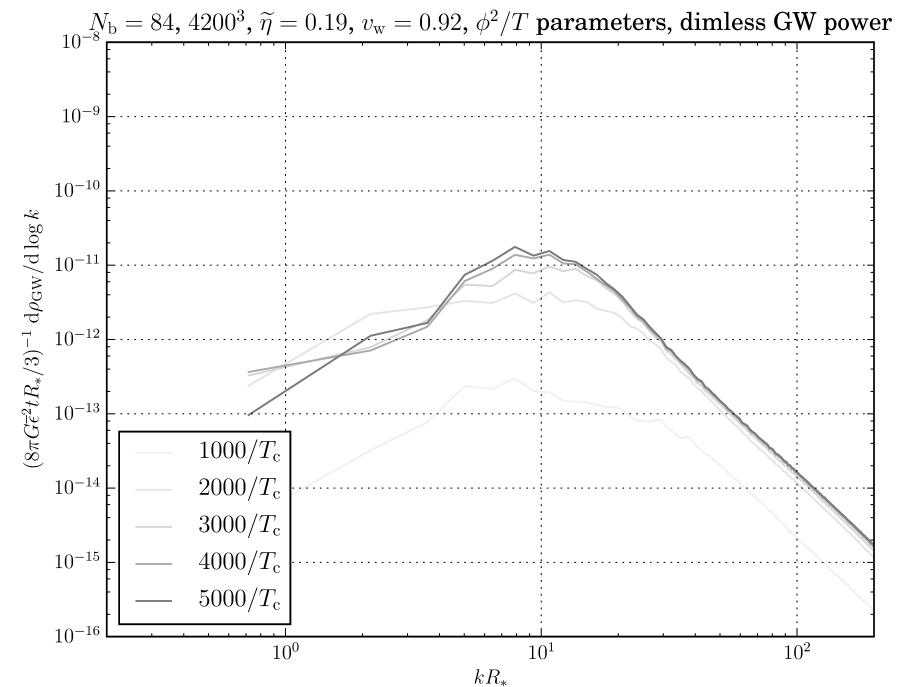
2: GW power spectra and power laws

- Sourced by T_{ij}^f only

Fast deflagration



Detonation

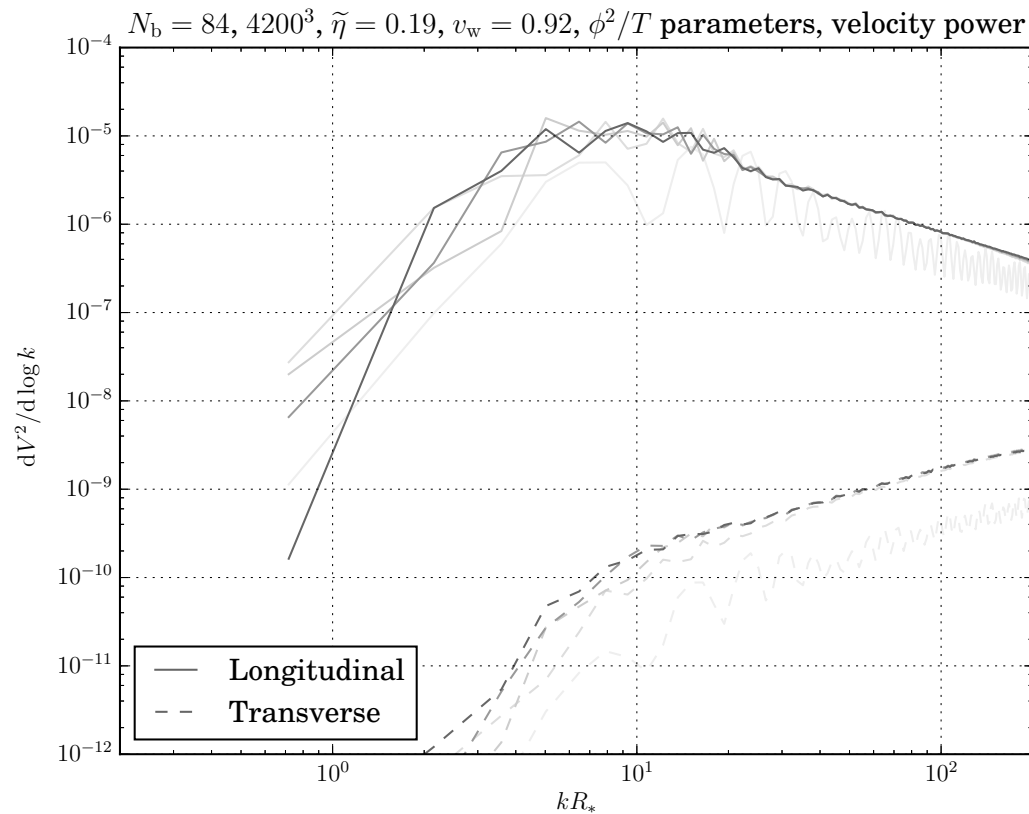


- Curves scaled by t : source ‘on’ continuously until turbulence/expansion

$$h^2 \Omega_{\text{SW}} \propto v_w \frac{\kappa_f^2 \alpha^2}{(\alpha + 1)^2} \left(\frac{H_*}{\beta} \right) \left(\frac{100}{g_*} \right)^{1/3}$$

→ power law ansatz for $h^2 \Omega_{\text{SW}}$

3: Transverse versus longitudinal modes – turbulence?

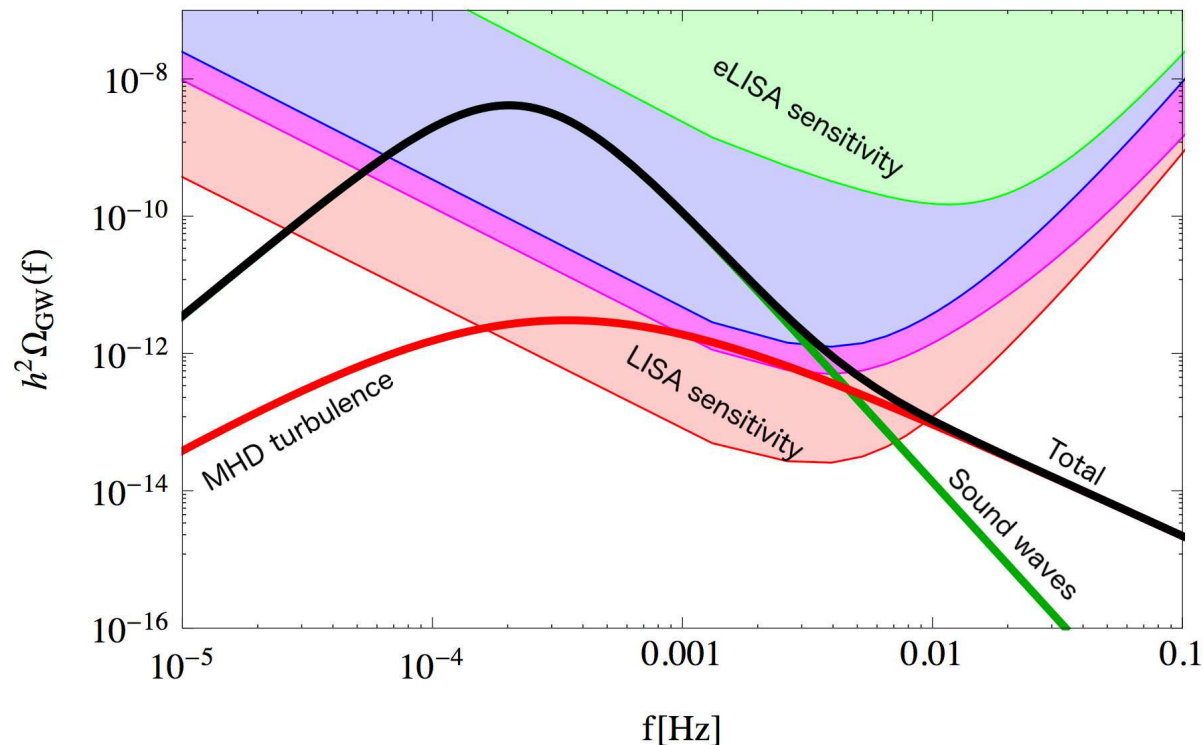


- Weak transition (small α): physics is linear; most power is in the longitudinal modes – acoustic waves, not turbulence
- Is turbulence something that would happen later?
- Power spectrum would have causal ω^3 then $\omega^{-5/3}$ from Kolmogorov velocity power spectrum **Caprini, Durrer and Servant**

Putting it all together - $h^2\Omega_{\text{gw}}$

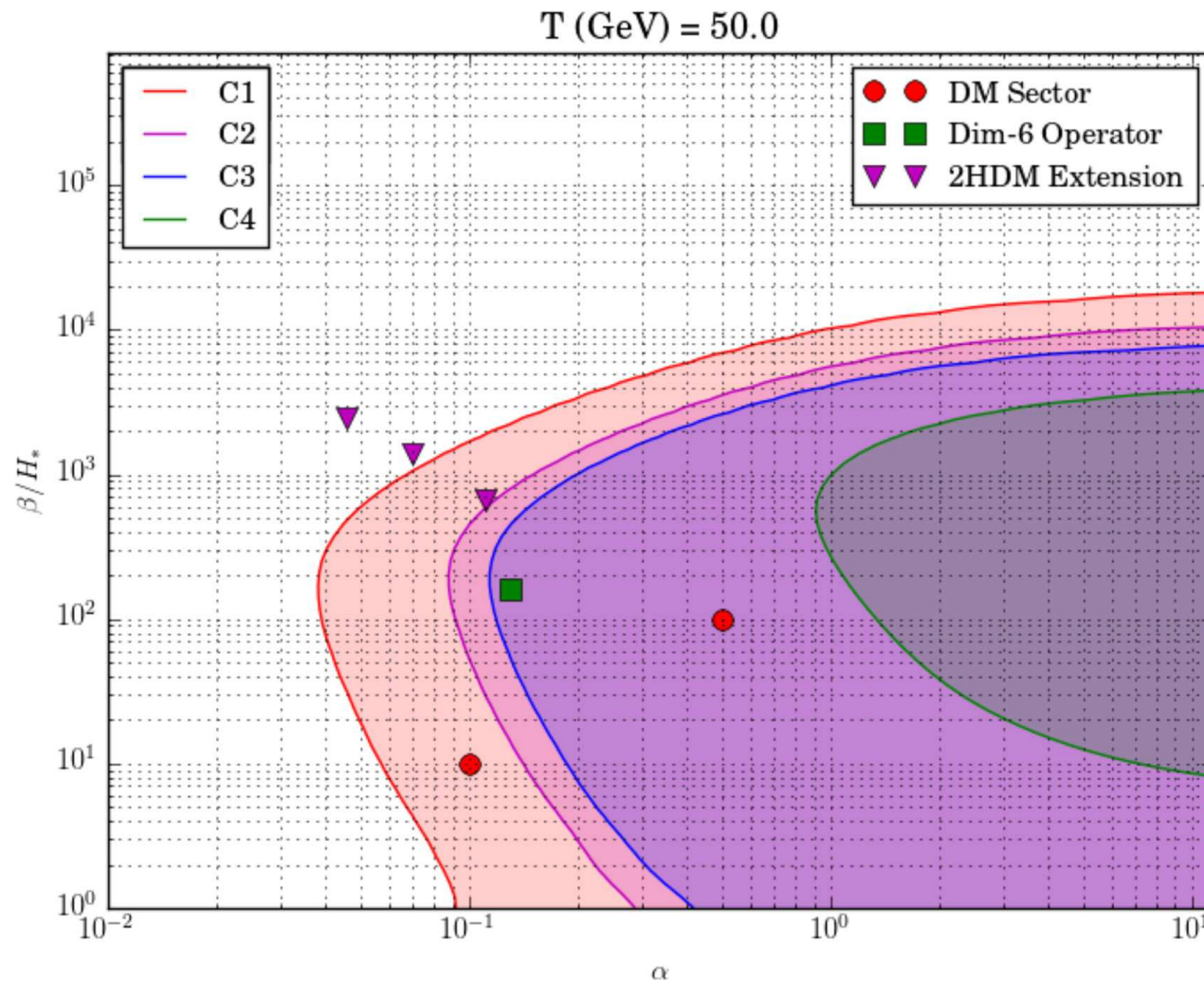
- We have three sources, $\approx h^2\Omega_\phi$, $h^2\Omega_{\text{sw}}$, $h^2\Omega_{\text{turb}}$
- We know how they vary as a function of T_* , α_T , v_w , β
- So we can (tentatively) say whether eLISA can detect the phase transition associated with a given model...

(example with $T_* = 100\text{GeV}$, $\alpha_{T_*} = 0.5$, $v_w = 0.95$, $\beta/H_* = 10$)



Putting it all together - physical models to GW power spectra

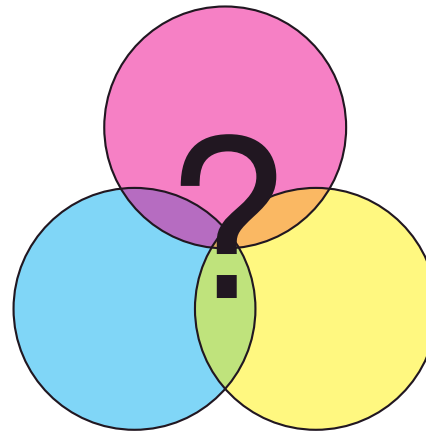
Map your favourite theory to $(T_*, \alpha_{T_*}, v_w, \beta)$; we can put it on a plot like this



... and tell you if it is detectable by the different [e]LISA cases.

Summary and outlook

- Now:
 - Understand ‘what happened during a first order PT’
 - Recent work shows source may be stronger than previously thought
 - Many models of first order EWPTs can produce observable gravitational waves, with lower wall velocities than expected – good for baryogenesis!



- Next:
 - Strong transitions, turbulence, instabilities still poorly understood
 - Connections with baryogenesis [Katz and Riotto](#); [Chala, Nardini, Sobolev](#); ...