

JUAS
February 22nd 2016



Introduction to MAGNETS I

Davide Tommasini

Content

Introduction to Magnets

Fundamentals 1 : Maxwell

Fundamentals 2 : Field Harmonics

Organization of the Magnets Week

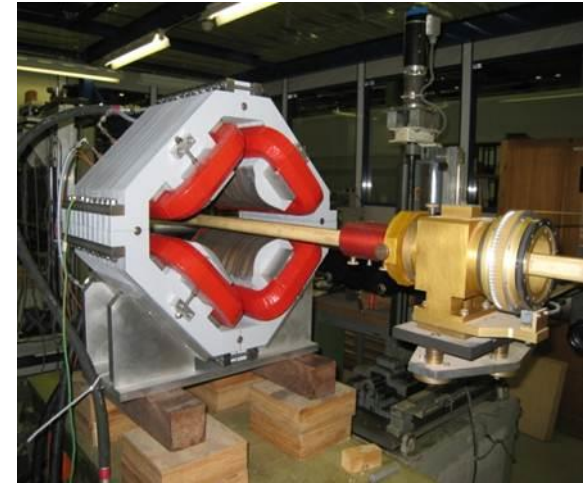
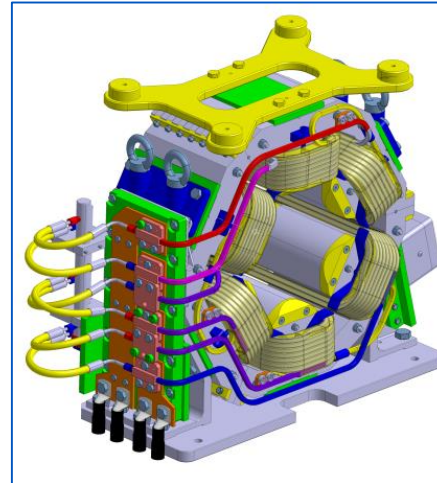
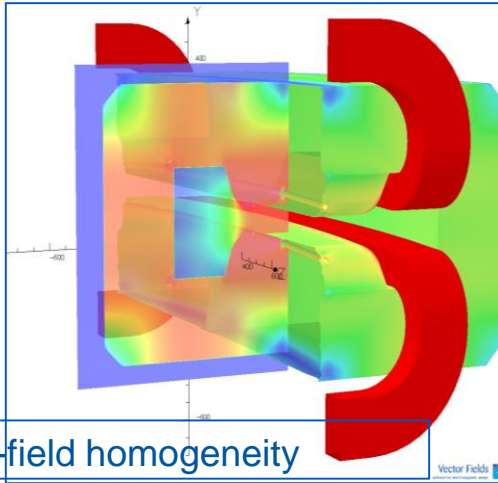
WEEK 7

	Monday Feb 22 nd	Tuesday Feb 23 rd	Wednesday Feb 24 th	Thursday Feb 25 th	Friday Feb 26 th	
09:00	Introduction to Magnets I lecture <i>D. Tommasini</i>	Superconducting magnets lecture - <i>M. Wilson</i>	Mini-workshop Normal conducting Magnets	<i>Bus leaves at 8:00 from JUAS</i>	<i>Bus leaves at 8:00 from JUAS</i>	09:00
09:45						
	Introduction to Magnets II lecture <i>D. Tommasini</i>	Coffee Break	Coffee Break	<i>(lunch at CERN)</i>	<i>(lunch at CERN)</i>	10:00
10:30						
10:45	Coffee Break	Superconducting magnets lecture - <i>M. Wilson</i>	<i>J. Bauche</i> <i>T. Zickler</i>	PRACTICAL WORKS	PRACTICAL WORKS	10:15
	Normal Conducting magnets lecture <i>T. Zickler</i>					Superconducting magnets lecture - <i>M. Wilson</i>
12:15	LUNCH	LUNCH	LUNCH	RF coordinator: F. Caspers	RF coordinator: F. Caspers	12:15
14:00	Superconducting magnets lecture - <i>M. Wilson</i>	Superconducting magnets lecture - <i>M. Wilson</i>	Mini-workshop Superconducting Magnets	VACUUM coordinator: P. Chiggiato	VACUUM coordinator: P. Chiggiato	14:00
15:00						Superconducting magnets lecture - <i>M. Wilson</i>
	Superconducting magnets lecture - <i>M. Wilson</i>		<i>P. Lebrun</i> <i>D. Schoerling</i>	SUPERCONDUCTIVITY coordinator: A. Ballarino	SUPERCONDUCTIVITY coordinator: A. Ballarino	15:00
16:00	Coffee Break	Coffee Break	Coffee Break	BEAM MEASUREMENTS coordinator: W. Farabolini	BEAM MEASUREMENTS coordinator: W. Farabolini	16:00
16:15	Normal Conducting magnets lecture - <i>T. Zickler</i>	Normal Conducting magnets lecture - <i>T. Zickler</i>	<i>M. Wilson</i>			<i>Bus leaves at 17:30 from CERN</i>
17:15	Normal Conducting magnets lecture - <i>T. Zickler</i>	Normal Conducting magnets lecture - <i>T. Zickler</i>		Visit CTF3 complex	<i>Bus leaves at 19:30 from CERN</i>	17:15
18:15						

Normal-conducting accelerator magnets

Thomas Zickler

How to design an accelerator magnet, with “real” examples

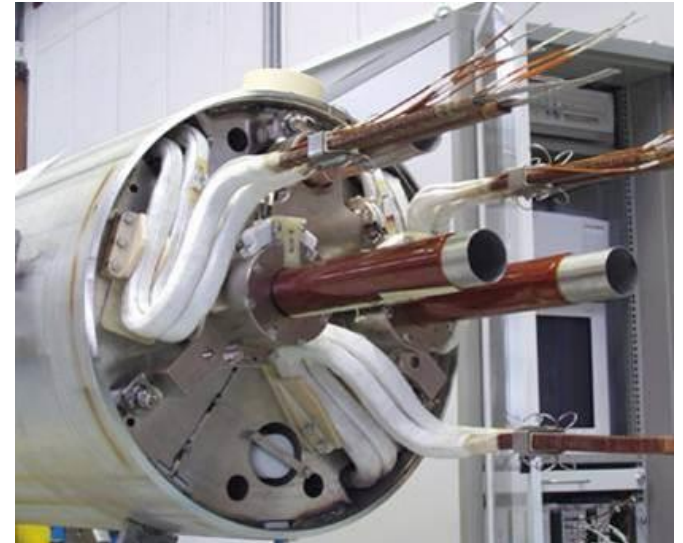
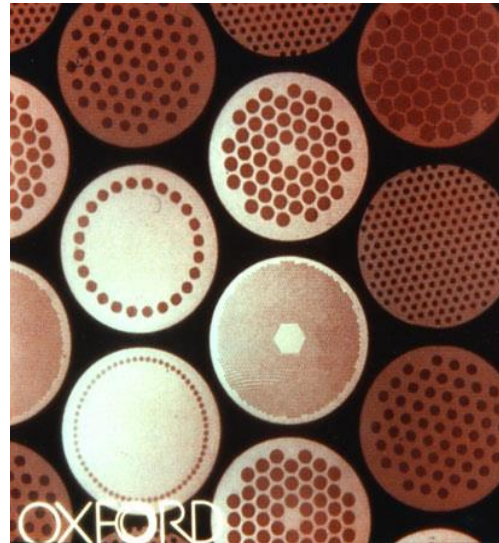
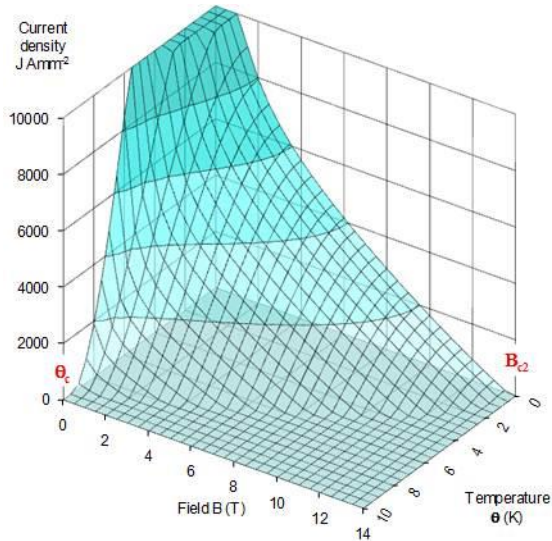


Superconducting Accelerator Magnets

Martin Wilson

Properties and behaviour of superconductors

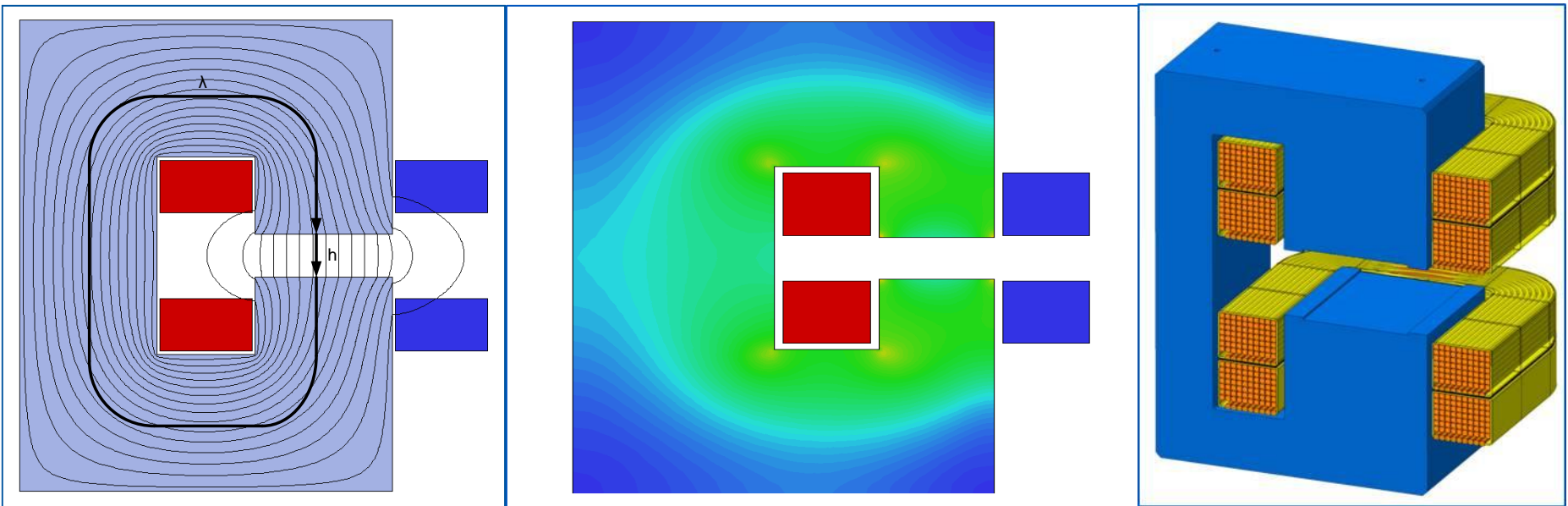
Use of superconductors in magnets



Mini-workshop on normal conducting magnets

Coordinated by Thomas Zickler

- Goal: outline design of a normal conducting magnet
- Provide a short report of the results (*credit points*)

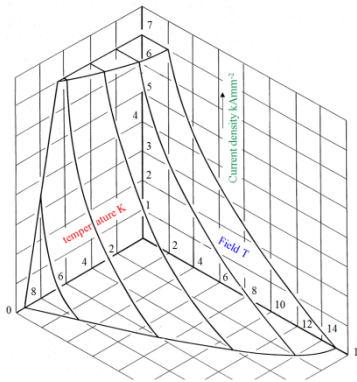


Mini-workshop on superconducting magnets

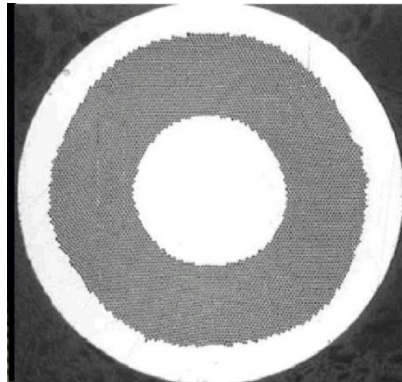
Coordinated by Philippe Lebrun

- Goal: outline design of a super-conducting magnet
- Provide a short report of the results (*credit points*)

Superconducting material



Superconducting strand



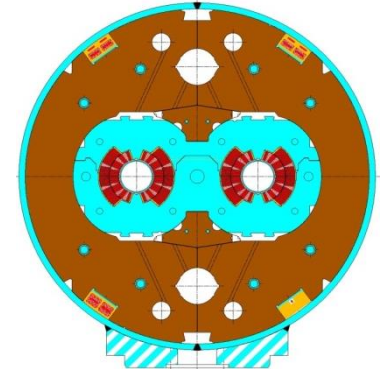
Superconducting cable



Superconducting coil



Superconducting magnet



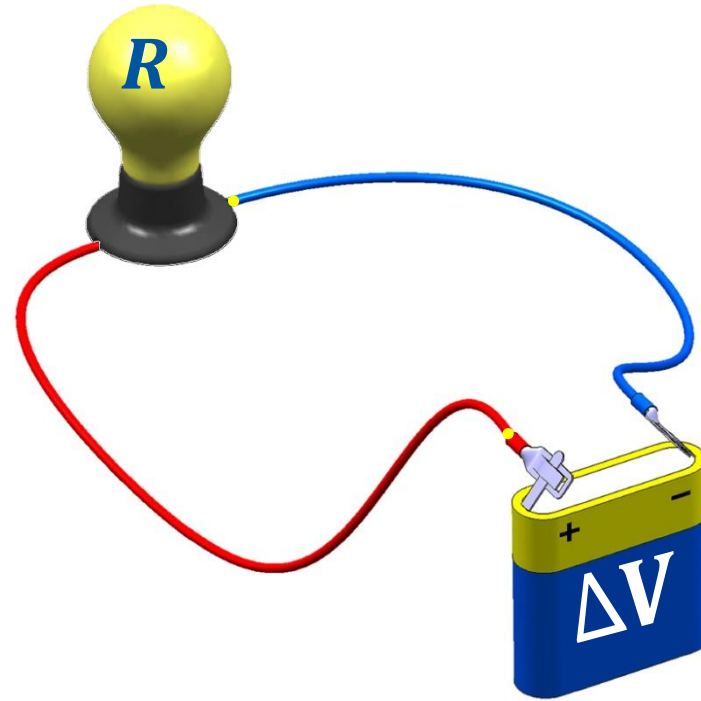
JUAS, 20/02/2014

Mini-workshop on superconducting magnets

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Introduction to Magnets

Electricity



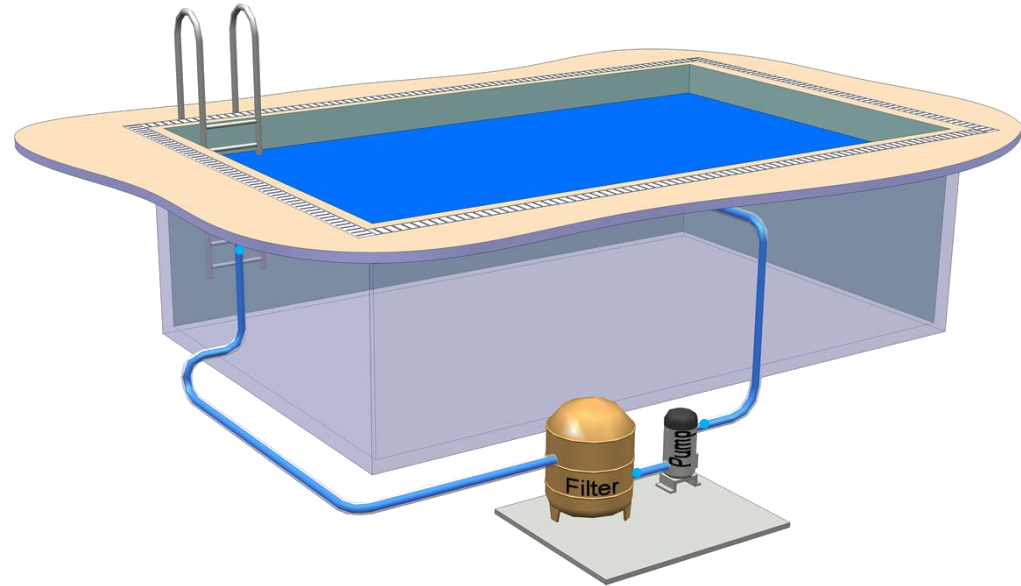
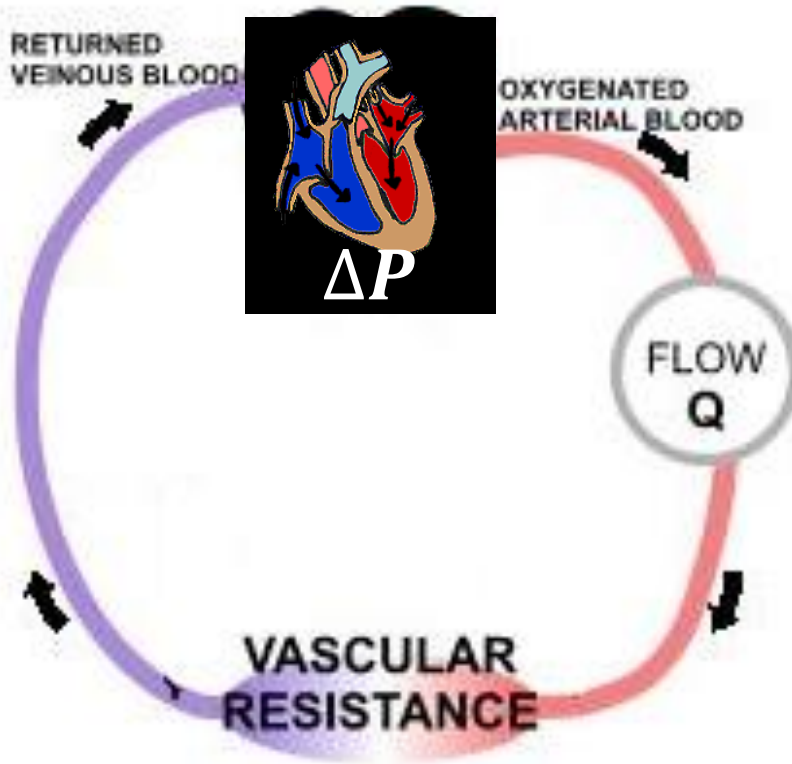
$$\frac{\Delta V}{\Delta l} = \rho \cdot J$$

electric strength
produces a J

$$J \cdot S = I = \Delta V / R$$

TEST: why I is in red ?

Hydraulics

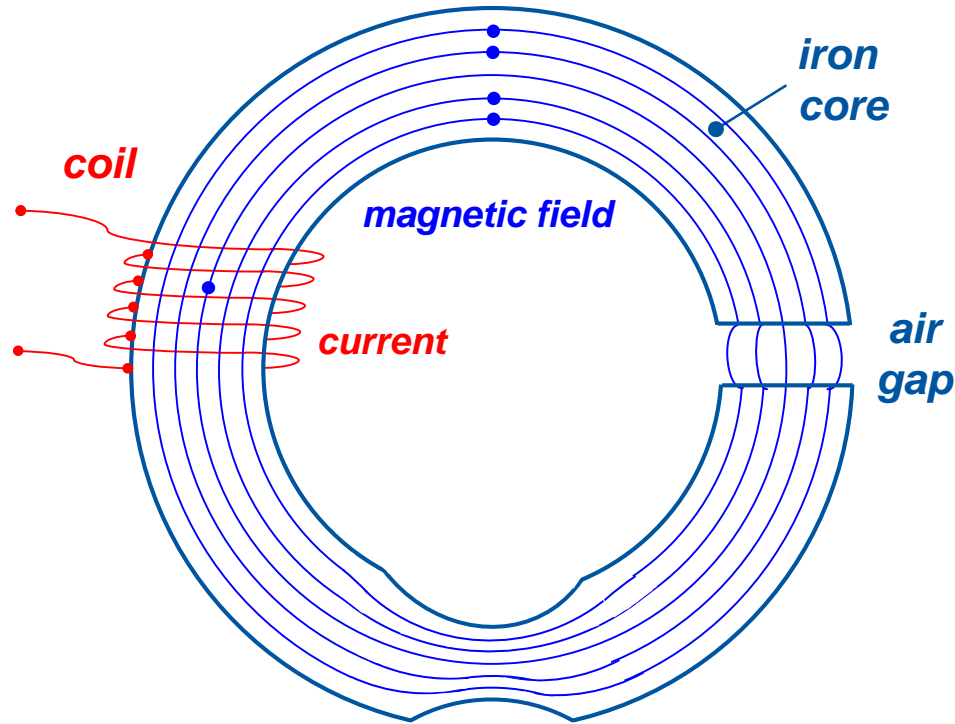


$$v \cdot S = Q = \Delta P / R$$

$$\frac{\Delta P}{\Delta l} = \lambda \cdot v$$

hydraulic strength
produces a v

Magnetism



$$H = \rho \cdot B$$

magnetic strength
produces a B

$$B \cdot S = \varphi = NI/R = \frac{1}{R} \oint H \cdot dl$$

$NI =$ «magnetomotive force»

B & H

In a given material, a

*magnetic field strength **H***

produces a

*magnetic field induction **B***

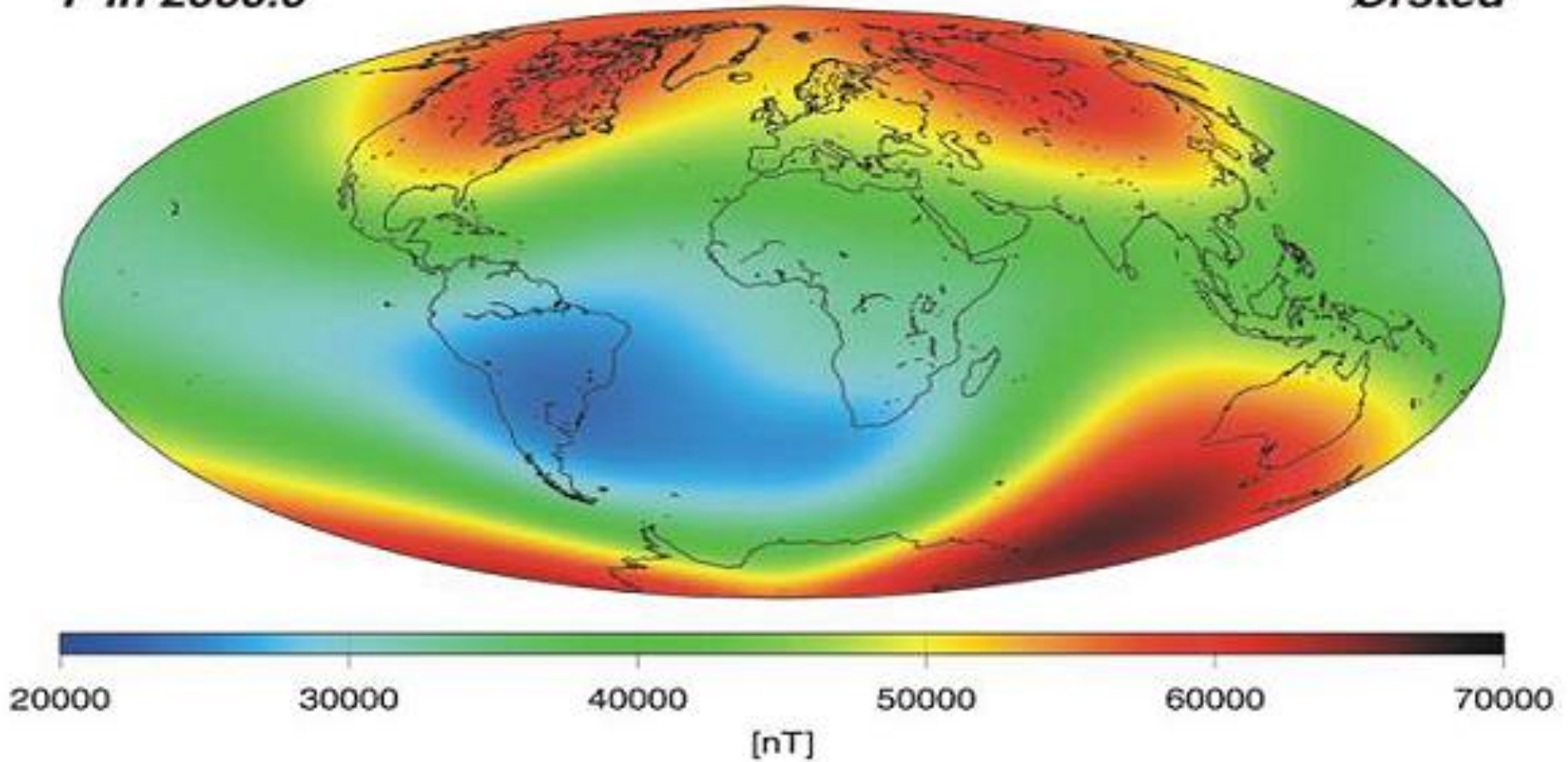
according to

$$**B** = \mu_0 \cdot \mu_r \cdot **H**$$

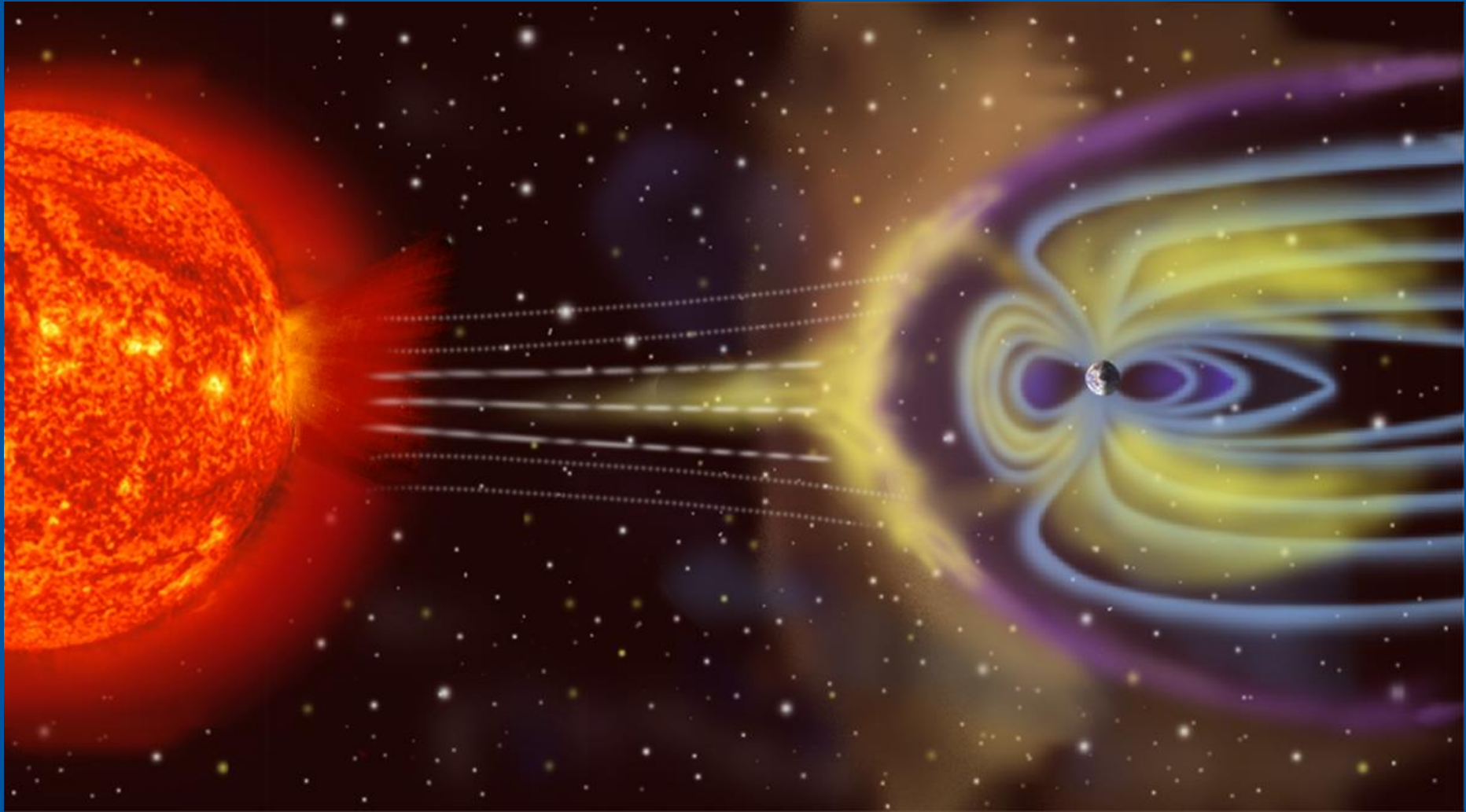
FLUX

F in 2000.0

Ørsted



Source: <http://smc.cnes.fr/OVH/>



Inductance

The inductance is the equivalent of the inertia.

A large inertia (I)/inductance (L) means you need:

- a large force to suddenly increase the speed
- a large voltage to suddenly increase the current/field
- ✓ you can store energy in a wheel rotating at speed ω
- ✓ you can store energy in a coil supplied by a current i

$$E = \frac{1}{2} I \cdot \omega^2 = \frac{1}{2} L \cdot i^2$$

When the magnetic field has to be quickly changed you want to keep the inductance low, typically by reducing the number of coil turns.

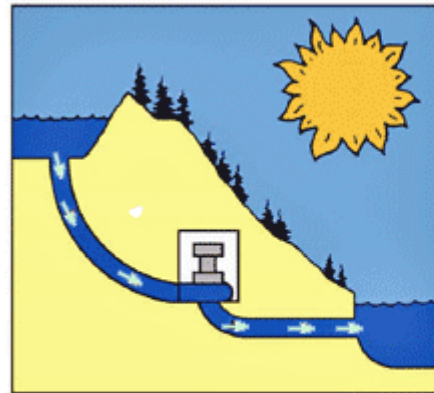
Magnetic Energy

When you fill a volume with a magnetic field you are storing a «Magnetic Energy»

$$dE = \frac{1}{2} B \cdot H \cdot dV$$

This is the work you need to fill a volume dV with a field induction B

When you empty the volume you get back the energy, but not entirely.



Daytime: Water flows downhill through turbines, producing electricity



Nighttime: Water pumped uphill to reservoir for tomorrow's use

<http://www.usgs.gov/>

Hysteresis

Coined in 1890 by Sir James Alfred Ewing, derived from ὑστέρησις (lack, later)

A property of a system such that an output value incorporates some lag, delay or direction/history dependence from the corresponding input (ex in regulation).



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Te Whare Wānanga o Waikato

Hysteresis in single neuron and neural population models

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² Waikato clinical School, University of Auckland, Waikato Hospital, Hamilton, 3240, New Zealand



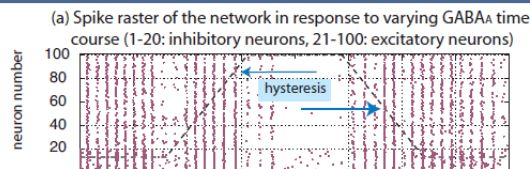
THE UNIVERSITY OF
AUCKLAND
NEW ZEALAND

Introduction

In a hysteretic system the output not only depends on the input, but also depends on the current and previous internal states of the system. In such systems there is no way to predict their output just based on the input level. Hysteresis can be found in electrical, magnetic, mechanical, economical, and biological systems. Reports that patients awoken at lower concentration of anaesthetic than that required to put them to sleep indicate that hysteresis is an important feature of anaesthesia [1]; this clinical finding is supported by a theoretical modelling study of the induction-recovery anaesthesia cycle [3].

Hysteresis may also be an essential component of the transition between slow-wave and REM states of natural sleep [2]. Here we investigate hysteretic behavior of two classes of spiking neuron models, both individually, and as a population aggregate formed from a cluster of excitatory and inhibitory neurons.

Results



Model

Single neuron model

We use the simple neuron model suggested by Izhikevich [4]:

$$C\dot{v} = k(v - v_r)(v - v_t) - u + I_{dc} + I_{syn}$$

$$\dot{u} = a \{b(v - v_r) - u\}$$

if $v \geq v_{peak}$, then

$$v \leftarrow c, \quad u \leftarrow u + d$$

Arguably this is the simplest possible model capable of spiking, bursting, being an integrator or a resonator, so is recommended as the model of choice in simulations of large-scale networks of spiking neurons [4].

Network model

Regular spiking (RS) excitatory pyramidal neurons make up 80% of cortical neural population with the remaining the 20% being mainly fast-spiking (FS) inhibitory interneurons. The network is constructed from FS and RS neurons connected via chemical non-plastic synapses. Synaptic transmission is based on AMPA and GABA_A receptors. Total synaptic current arriving at each neuron is simulated as

$$I_{syn} = g_{AMPA}(v - 0) + g_{GABA_A}(v + 70) + \text{noise}$$

where v is the postsynaptic membrane potential (mV) and noise is a small amplitude white noise. Time varying conductance represents neurotransmitter release by following a simple decaying exponential form as

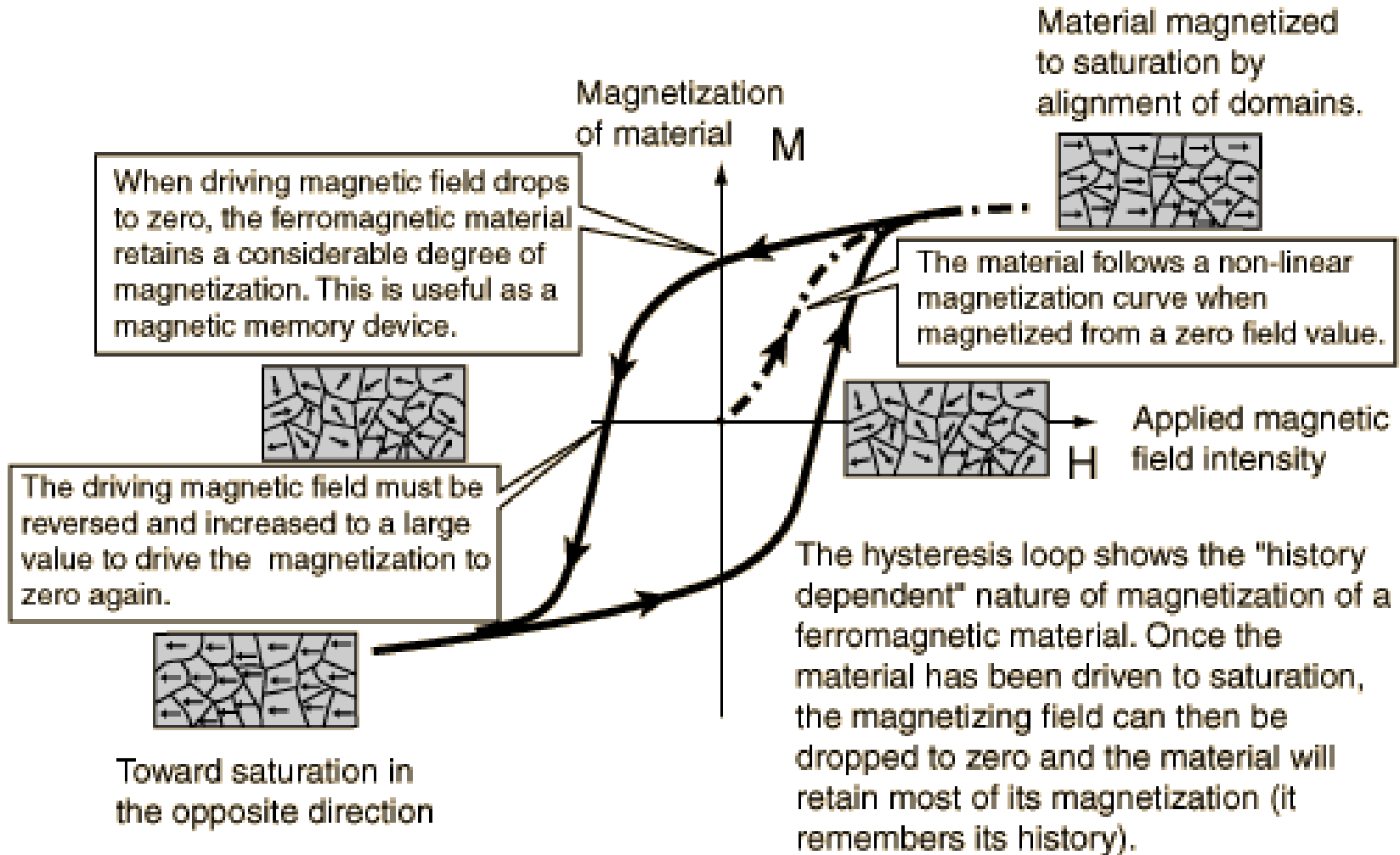
$$\dot{g} = \frac{-g}{\tau}$$

in which g is the conductance and τ is the relevant time constant.

Each RS neuron is randomly connected to 50% of the whole population and each FS neuron to 90% of the RS neurons. There is no self excitation or mutual inhibition, but all FS neurons are self inhibited. FS neurons are driven by a dc current of 70.2 pA to make them excitable: based on its phase diagram, an FS neuron will fire one spike or will be attracted to a spiral stable state. The RS neurons are in bistable regime based on the drive current of 126 pA. They can fire repetitive spikes or can be silent, attracted to a

Parameter	Description
v	Membrane potential (mV)
u	Recovery variable
C	Membrane capacitance
v_t	Instantaneous threshold voltage
v_r	Resting potential
I_{dc}	Drive current (pA)
I_{syn}	Synaptic current (pA)
a	Decay rate of recovery variable
b	Sensitivity of recovery variable
v	Spike cutoff value (mV)

Hysteresis



<http://hyperphysics.phy-astr.gsu.edu>

Technologies

Permanent Magnets

The magnetic energy stored in the material is used in the magnetic circuit. This means that the magnetic field amplitude that you can produce in a given volume of air depends on:

1. the **magnetic energy density** that the permanent magnet material can «store»
2. the size (volume) of the permanent magnet

Electromagnets

They can be essentially:

1. normal conducting: typically **iron dominated** because, below **saturation** the **magnetization** ampereturns are **cheap**
2. superconducting: more complex than normal conducting, typically used only when strictly necessary profiting that the **superconducting** ampereturns are **cheap**. Used then when the required field is above iron saturation ($> 2\text{T}$) or even at lower fields when the air gaps are so large that powering the required ampereturns would be non economically advantageous with respect to a normal conducting version.



Thanks