

Experimental Measurements and Detectors for the FCC-ee

Mogens Dam
Niels Bohr Institute
Copenhagen

On behalf of the FCC-ee Study Group

CERN Academic Training, 3 February 2015

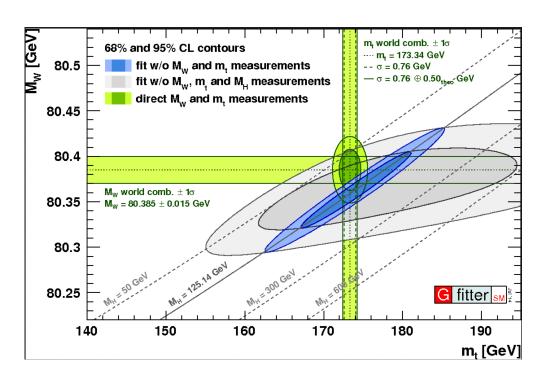
Picture and slide layout, courtesy Jörg Wenninger

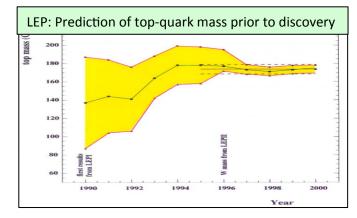
Precision physics with e⁺e⁻ colliders (1)

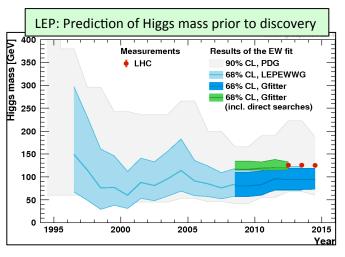
Historically, e⁺e⁻ collisions have been used for precision measurements

- Precision measurements: τ mass, J/ψ mass, Z mass & width
- Predictions at higher scales: m_{top}, m_H, limits on NP
- Unexpected discoveries: c quark, gluon, τ lepton

Electroweak precision measurements (largely from LEP) plays a crucial rôle in constraining "New Physics"







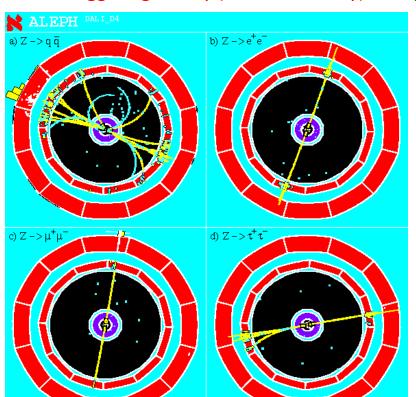
Precision physics with e⁺e⁻ colliders (2)

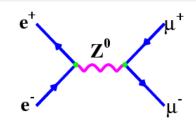
Annihilation of elementary point-like particles

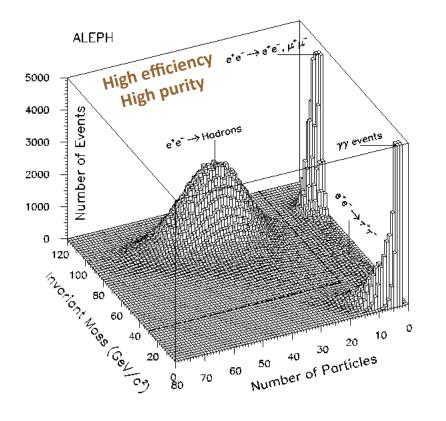
- ✓ No underlying event
- ✓ No strong interactions between beam particles: No pile-up collisions
- ✓ "All events = signal events"



triggering is easy (100% efficiency); analysis is a bliss







Precision physics with e⁺e⁻ colliders (3)

Annihilation of elementary, point-line particles: no underlying event

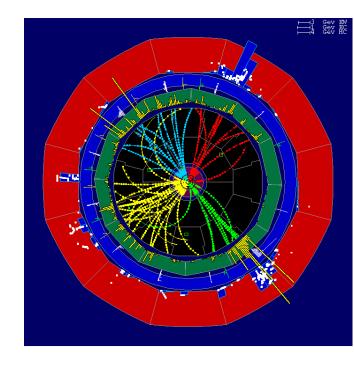
- Initial state completely defined
- Final state has known energy and momentum: (√s, 0, 0, 0)
- ightharpoonup Example: an $e^+e^- \rightarrow W^+W^- \rightarrow qqq\bar{q}$ candidate
 - Four jets in the event and nothing else
 - Total energy and momentum are conserved

$$E_1 + E_2 + E_3 + E_4 = Vs$$

$$P_1^{X,Y,Z} + p_2^{X,Y,Z} + p_3^{X,Y,Z} = 0$$

• Jet directions $(\beta_i^{x,y,z} = P_i^{x,y,z}/E_i)$ are very well measured

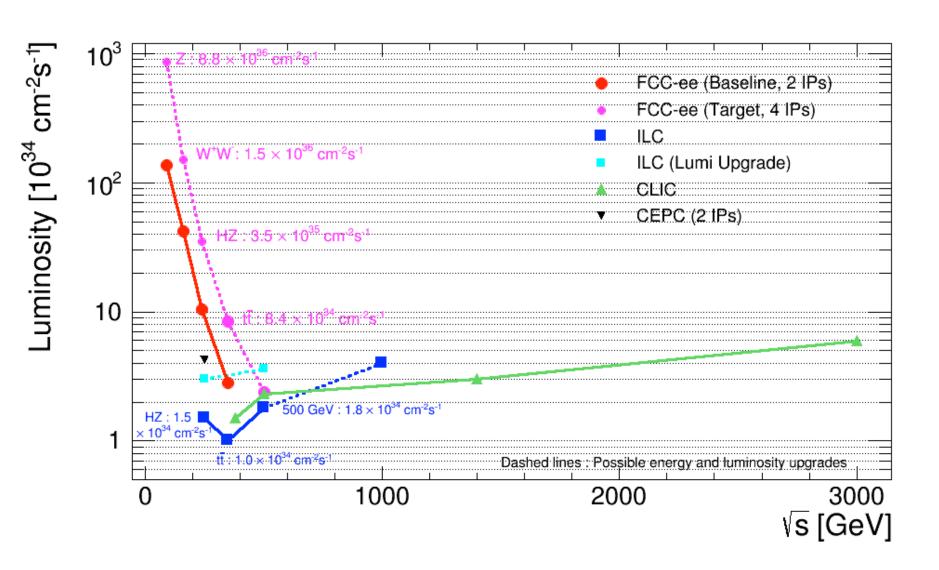
$$\begin{bmatrix} 1 & 1 & 1 & 1 \\ \beta_1^x & \beta_2^x & \beta_3^x & \beta_4^x \\ \beta_1^y & \beta_2^y & \beta_3^y & \beta_4^y \\ \beta_1^z & \beta_2^z & \beta_3^z & \beta_4^z \end{bmatrix} \begin{bmatrix} E_1 \\ E_2 \\ E_3 \\ E_4 \end{bmatrix} = \begin{bmatrix} \sqrt{s} \\ 0 \\ 0 \\ 0 \end{bmatrix}$$



- Jet energies (or di-jet masses: m_W) determined analytically by inverting the matrix
 - No systematic uncertainty related to jet energy calibration

A lot of Zs are available anyway to calibrate and align everything

Performance targets for luminosity



Very rich FCC-ee physics programme

Appellation	Tera-Z	Oku-W	Mega-Higgs	Mega-top	
√s (GeV)	90 (Z)	160 (WW)	240 (HZ)	350 (t t)	350+ (WW→H)
Lumi [10 ³⁴ cm ⁻² s ⁻¹]	880	152	24	10	10
Lumi [ab ⁻¹ /yr]	88.0	15.2	3.5	1.0	1.0
Events/year	3.7 x 10 ¹²	6.1 x 10 ⁷	7.0 x 10 ⁵	4.2 x 10 ⁵	2.5 x 10 ⁴
Target # events	(10 ¹²) 10 ¹³	10 ⁸	2 x 10 ⁶	10 ⁶ t t	
# years	(0.3) 2.5	1	3	0.5	3

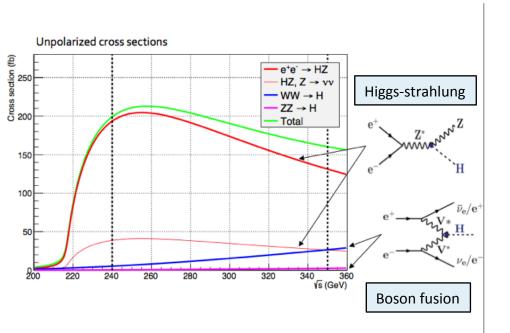
FCC-ee is the ultimate Z, W, Higgs, and top factory!

See arXiv:1308.6176, "First Look at the Physics Case of TLEP" FCC-ee physics meetings, https://indico.cern.ch/category/5259/

Logically, divide the programme into two main parts:

- a. Precision Higgs physics at $\sqrt{s} = 240 \text{ GeV}$
- b. Precision electroweak physics at $\sqrt{s} = 90$, 160, and 350 GeV

Precision Higgs physics at FCC-ee (1)



Luminosity	<i>/</i> 0	ptimised	running	point(s)
Laminosit	, –	pullingea	1 411111111111111111111111111111111111	Ponit,	~,

- Collect 2M H7 events at \(\s = 240 \) GeV
- Plus 100k VV → H events at √s ≈ 350 GeV

m _H = 125 GeV			
Decay	BR [%]	Unc. [%]	
bb	57.7	3.3	
тт	6.32	5.7	
СС	2.91	12.2	
μμ	0.022	6.0	
ww	21.5	4.3	
99	8.57	10.2	
ZZ	2.64	4.3	
YY	0.23	5.0	
Zγ	0.15	9.0	
ΓΗ [MeV]	4.07	4.0	

Higgs decay modes

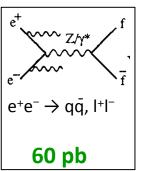
- Determine all Higgs couplings in a modelindependent way
- Infer the Higgs total decay width
- Evaluate (or set limits on) Higgs invisible or exotic decays

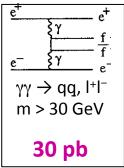
Measurement of $\sigma(e^+e^- \to H+X) \times BR(H \to YY)$ for $Y = b, c, g, W, Z, \gamma, \tau, \mu$, invisible

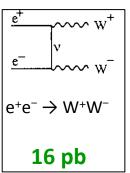
Precision Higgs physics at FCC-ee (2)

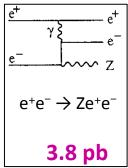
Physics backgrounds are "small"

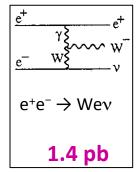
• For example, at $\sqrt{s} = 240 \text{ GeV}$

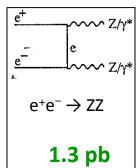


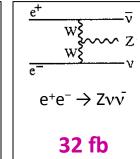




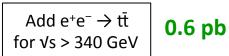




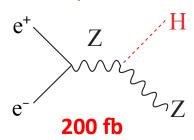




- "Green" cross sections decrease like 1/s
- "Purple" cross sections increase slowly with s



To be compared to

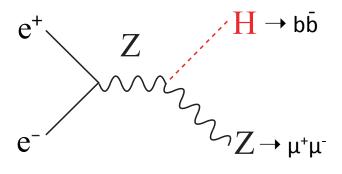


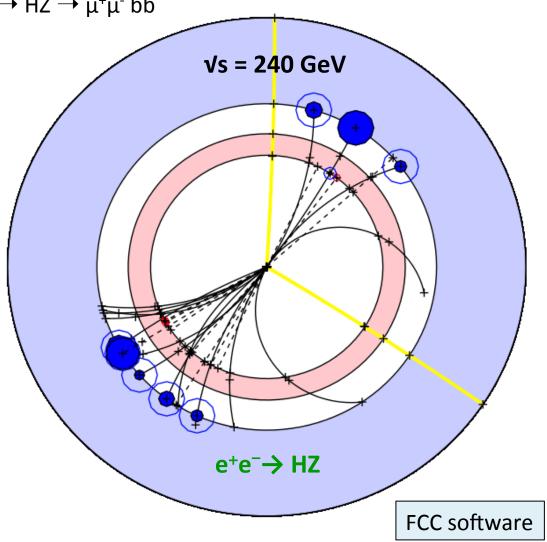
- Only one to two orders of magnitude smaller
 - vs. 11 orders of magnitude in pp collisions
 - Trigger is 100% efficient
 - All Higgs events are useful and exploitable
 - Signal purity is large

Precision Higgs physics at FCC-ee (3)

Example of a Higgs boson event $e^+e^- \rightarrow HZ \rightarrow \mu^+\mu^- b\bar{b}$

- Tagged with $Z \rightarrow \mu^+\mu^-$
- Very clean signature





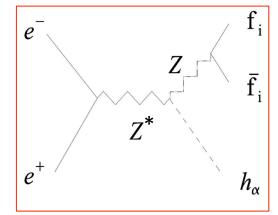
Precision Higgs physics at FCC-ee (4)

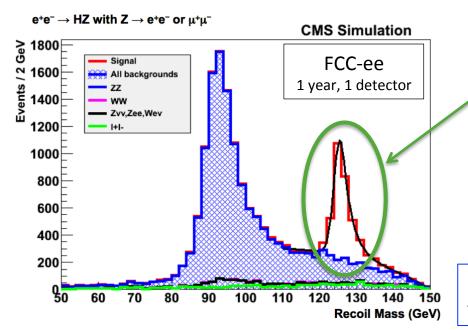
Recoil method unique to e⁺e⁻ colliders

Tag Higgs boson in HZ event by the presence of a Z \rightarrow e⁺e⁻, μ ⁺ μ ⁻

- a. Select events with a lepton pair (e^+e^- , $\mu^+\mu^-$) with m_7 compatible mass
 - No requirement on Higgs decay
 - All Higgs decays also invisible will be selected
- b. Apply energy-momentum conservation to determine "recoil mass"

$$m_{recoil}^2 = (Vs - E_{||})^2 - |p_{||}|^2$$





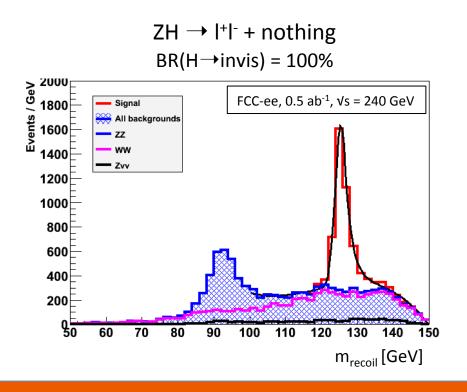
- c. Plot recoil mass distribution resolution proportional to momentum resolution
- d. From fit, determine number of HZ events, i.e. determine $\sigma_{HZ} \times BR(Z \rightarrow e^+e^-, \mu^+\mu^-)$

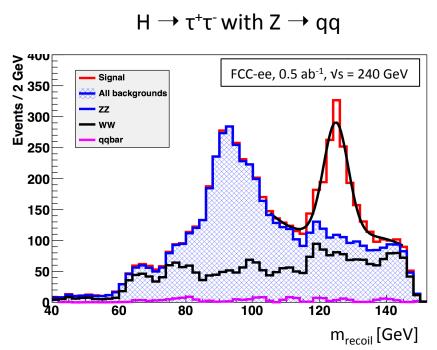
Full simulation studied, so far, using CMS detector

Precision Higgs physics at FCC-ee (5)

Repeat search in all possible final states

- For all exclusive decays of the Higgs boson: measure $\sigma_{H7}x$ BR(H \rightarrow YY)
 - Including invisible decays, just tagged by the presence of the lepton pair & m_{recoil}
 - For all decays of the Z (hadrons, taus, neutrinos) to increase statistics





Precision Higgs physics at FCC-ee (6)

Indirect determination of the total Higgs decay width

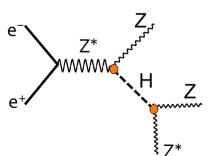
At √s=240 GeV

From the measurement of the total production

cross section (slide 10)

$$\sigma_{HZ} \propto g_{HZ}^2$$

From a counting of HZ events with $H \rightarrow ZZ$



Final state with three Zs. Almost background free

• Measure σ_{H7} x BR(H \rightarrow ZZ)

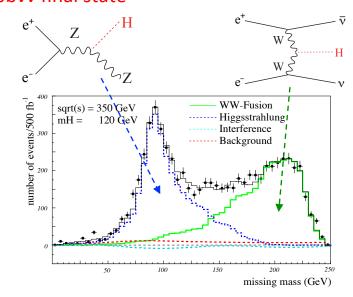
$$\sigma_{HZ} \times BR(H \rightarrow ZZ) \propto g_{HZ}^{4}/\Gamma_{H}^{2}$$

Infer Γ_H from combination of two measurements

$$\Gamma_{\rm H} \propto \ \sigma_{\rm HZ} / \ {\rm BR}({\rm H} {
ightarrow} \ {\rm ZZ})$$

At √s ≥350 GeV

From counting of WW→H→bb events in bbvv final state



- Measure σ(WW →H→bb)
- Take BRs into WW and bb from 240 GeV run
- Infer the total width

$$\Gamma_{\rm H} \propto \sigma_{\rm W \rightarrow W \rightarrow bb} / BR(H \rightarrow WW) \times BR(H \rightarrow bb)$$

Precision Higgs physics at FCC-ee (7)

Summary of precisions

Coupling	HL-LHC	FCC-ee
κ _W	2-5%	0.19%
κ _Z	2-4%	0.15%
κ_{b}	4-7%	0.42%
K _c	-	0.71%
κ _τ	2-5%	0.54%
κ _μ	~10%	6.2%
κ _γ	2-5%	1.5%
κ_{g}	3-5%	0.8%
κ _{Ζγ}	~12%	?
BR _{inv}	~10-15%	0.25%
Гн	~50%?	0.9%
κ _t	7-10%	13% (*)
κ _H	77%	80% (*)

(*) indirect

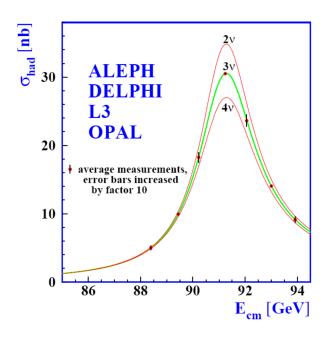
Precision electroweak physics at FCC-ee (1)

Tera-Z: The Z line-shape measurement

- Repeat the LEP1 programme every few minutes
 - Remember, after 5 years at LEP

$$N_v$$
 = 2.984 ± 0.008
 Γ_Z = 2495.2 ± 2.3 MeV
 m_Z = 91187.5 ± 2.1 MeV
 R_I = 20.767 ± 0.025
 α_s = 0.1190 ± 0.0025





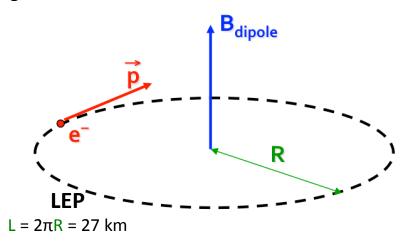
- Predicting accuracies with 300 times smaller statistical precision than at LEP is difficult
 - Conservatively use LEP experience for systematics
- Example: The uncertainty on E_{beam} (1.5 MeV) was the domninant uncertainty on $m_{Z_L} \Gamma_{Z_L}$
 - Can we do significantly better at FCC-ee?

Precision electroweak physics at FCC-ee (2)

Measurement of the beam energy at LEP

Ultra-precise measurement unique to circular colliders (crucial for m_z, Γ_z)

Electron with momentum **p** in uniform vertical magnetic fiend **B**

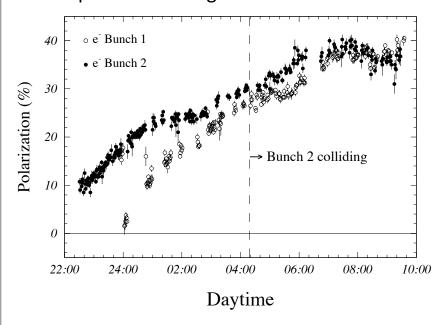


$$E \simeq p = eBR = (e/2\pi) BL$$

In real life, B non-uniform, LEP ring not circular

$$E = \frac{e}{2\pi} \oint_{\text{LEP}} B \, dl$$
To be measured

The electrons get transversally polarized (i.e., their spin tends to align with **B**



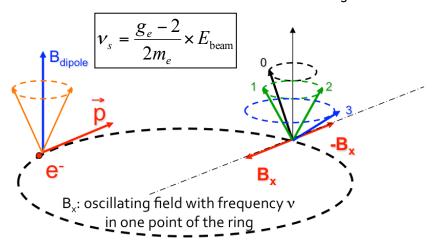
Slow process (~1 hour to get 10% polarization)

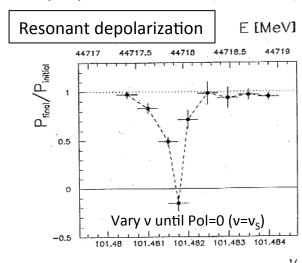
NB. Polarization can be maintained in collisions (was tried only once at LEP)

Precision electroweak physics at FCC-ee (3)

Measurement of the beam energy at LEP (cont'd)

- The spin precesses around B with a frequency proportional to |B| (Larmor precession)
 - Hence, the number of revolutions v_s for each LEP turn is proportional to BL (or ∮ BdL)





Intrinsic precision of the method: $\Delta E_{beam} < 100 \text{ keV}$!

- However, m_7 and Γ_7 measured at LEP with a precision of 2.2 MeV
 - Extrapolation uncertainty from measurement performed w/o collisions

Measurement of the beam energy at FCC-ee

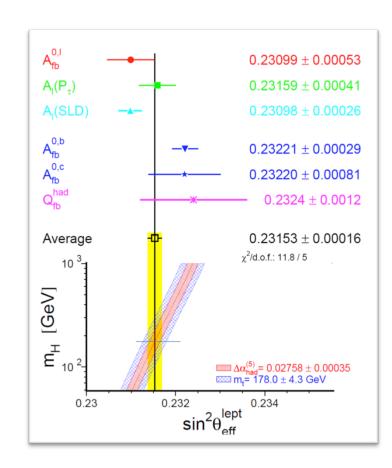
- LEP was colliding 4 bunches of e⁺ and e⁻; FCC-ee will have 10.000's of bunches.
- Use ~100 "single" bunches to measure E_{beam} with resonant depolarization
 - Measure E_{beam} directly in physics runs
 - Each measurement gives 100 keV precision; no extrapolation uncertainty

m_z to < 100 keV

Precision electroweak physics at FCC-ee (4)

Asymmetries and $sin^2\theta_w$

- LEP asymmetry measurements dominated by statistics
 - A_{FB}^{II} , P_{τ} , A_{FB}^{bb} , A_{FB}^{cc}
- Large precision gain from O(10⁵) larger stats.
- Study of A_{FB}^{μμ} alone indicates factor 50 improvement compared to LEP
 - Matching uncertainties from stats. and beam energy syst. (assumed 100 keV)
- Study of A_{FB}^{0,b} alone indicates gain of factor O(10)
- Potential of other asymmetries to be studied
 - e.g. P₊
- Also, investigate A_{LR} with longitudinally polarized beam option
 - Beam energy calibration influenced by spin rotators?
- Still early days: much interesting work ahead ...



Precision electroweak physics at FCC-ee (7)

Tera-Z: Examples of targeted accuracies

Observable	Measurement	Current precision	FCC-ee stat.	Possible syst.	Challenge
m _z (MeV)	Lineshape	91187.5 ± 2.1	0.005	< 0.1	QED corr.
Γ _z (MeV)	Lineshape	2495.2 ± 2.3	0.008	< 0.1	QED corr.
R _I	Peak	20.767 ± 0.025	0.0001	< 0.001	QED corr.
R _b	Peak	0.21629 ± 0.00066	0.000003	< 0.00006	g -> bb
Ν _ν	Peak	2.984 ± 0.008	0.00004	0.004	Lumi meast.
Α _{FB} ^{μμ}	Peak	0.0171 ± 0.0010	0.000004	< 0.00001	E _{beam} meast.
$\alpha_s(m_Z)$	R _I	0.1190 ± 0.0025	0.000001	0.00015	New Physics
$1/\alpha_{QED}(M_Z)$	A _{FB} ^{μμ} around peak	128.952 ± 0.015	0.004	0.002	EW corr.

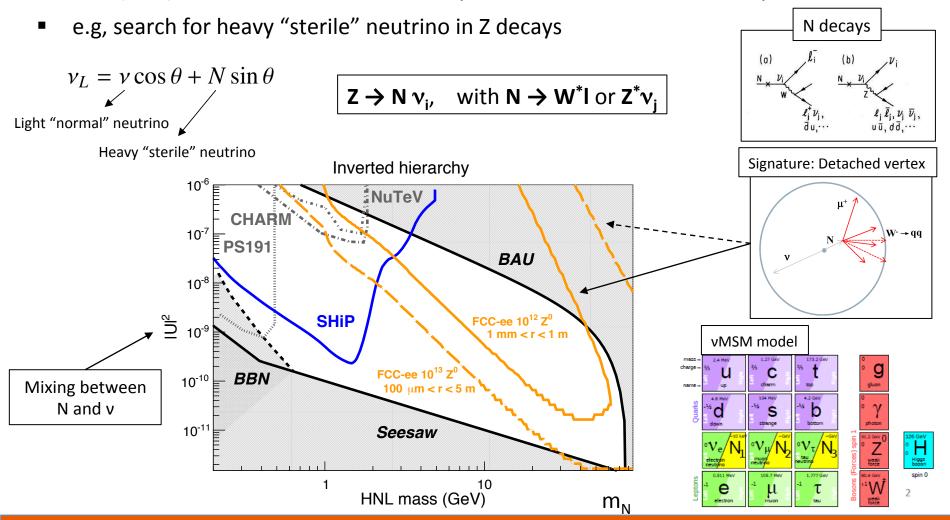
Experimental uncertainties mostly of systematic origin

- So far, mostly conservatively estimated based on LEP experience
- Work ahead to establish more solid numbers

Precison electroweak physics at FCC-ee (8)

Opportunities for direct searches for new physics through rare decays

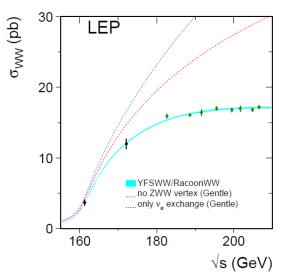
• 10^{12} (10^{13}) Z, 10^{11} b, c or τ : A fantastic potential that remains to be explored



Precision electroweak physics at FCC-ee (9)

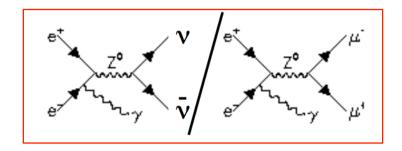
Oku-W: 108 WW events at production threshold

Measurement of the W mass with cross section at threshold



Measurement of the number of neutrinos (with single photon events)

$$N_{\nu}$$
 ~ $\sigma(e^+e^- \rightarrow \nu \nu \bar{\gamma})$ / $2\sigma(e^+e^- \rightarrow \mu^+\mu^- \gamma)$



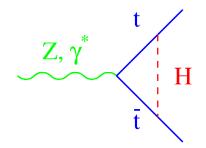
 m_W to < 500 keV!

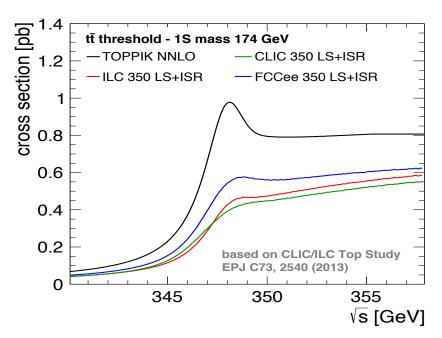
Observable	Measurement	Current precision	FCC-ee stat.	Possible syst.	Challenge
m _w (MeV)	Threshold scan	80385 ± 15	0.3	< 0.5	QED Corr.
N _ν	Radiative returns e⁺e⁻ →γZ, Zvv, II	2.92 ± 0.05 2.984 ± 0.008	0.001	< 0.001	?
$\alpha_s(m_W)$	$B_{had} = (\Gamma_{had}/\Gamma_{tot})_W$	B _{had} = 67.41 ± 0.27	0.00018	< 0.00015	CKM Matrix

Precision electroweak physics at FCC-ee (10)

Mega-top: a million tt events at threshold

- Measure top quark mass and width
 - From cross section at threshold
 - No beamstrahlung systematics
- Measure the top Yukawa coupling
 - From top polarisation measurement (c.f. tau polarisation measurement at LEP)





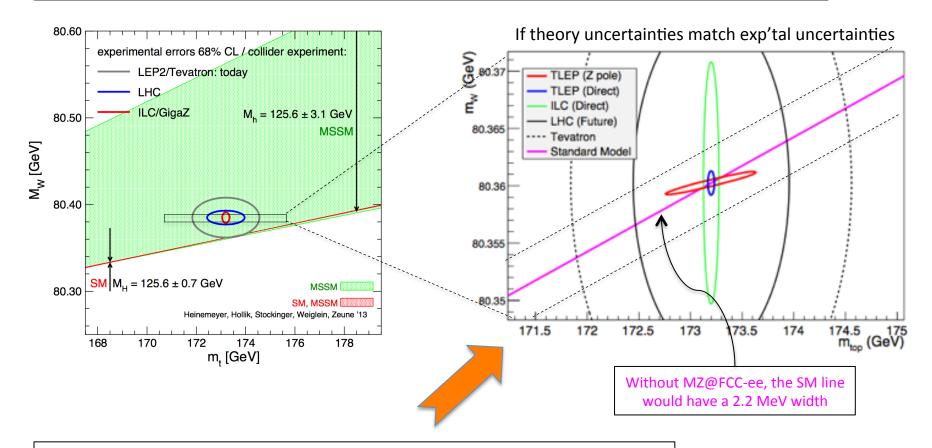
m_{top} to 10 MeV!

Observable	Measurement	Current precision	FCC-ee stat.	Possible syst.	Challenge
m _{top} (MeV)	Threshold scan	173200 ± 900	10	10	QCD (~40 MeV)
Γ _{top} (MeV)	Threshold scan	?	12	?	$\alpha_s(m_Z)$
λ_{top}	Threshold scan	m = 2.5 ± 1.05	13%	?	$\alpha_s(m_Z)$

Precision electroweak physics at FCC-ee (11)

Standard Model has no free knobs left to turn:

=> Any deviations between measurements would point to **New Physics**



Presence of New Physics could dramatically change this picture

Selected F	-CC-ee	e Bean	n Para	meter	`S
Baseline design	LEP2	FCCee-Z	FCCee-W	FCCee-H	FCCee-t

45.5

100

1450

100

90300

0.33

0.09

1.0

1

2

9.5

45

68

247

CERN Academic Training / Mogens Dam, NBI

80

100

152

100

5192

0.6

0.27

1.0

1

2

16

45

19

109

120

100

30

100

770

8.0

0.61

1.2

1

2

25

51

4.9

78

175

100

6.6

100

78

1.7

1.3

2.5

1

2

36

72

1.3

63

23

104.5

26.7

4

22

4

6

48

250

1.5

50

270

3500

0.0125

360

Beam energy E_b [GeV]

Circumference [km]

Beam current [mA]

No. bunches/beam

SR power total [MW]

No. e⁻ per bunch [10¹¹]

Vertical emittance [pm]

 $L/IP [10^{34} cm^{-2}s^{-1}] (2 IPs)$

3 February 2016

Beam lifetime [min] (2 IPs)

 $\beta^*_{x}[m]$

 $\beta^*_{v}[mm]$

 $\sigma_{x}^{*}[\mu m]$

 $\sigma^*_{v}[nm]$

Horizontal emittance [nm]

100

90300

0.33

0.09

1.0

1

2

9.5

45

68

247

CERN Academic Training / Mogens Dam, NBI

100

5192

0.6

0.27

1.0

2

16

45

19

109

100

78

1.7

36

72

1.3

63

24

Very strong

vertical

focussing

100

770

0.8

2

25

51

4.9

78

Selected FCC-ee Beam Parameters						
Baseline design	LEP2	FCCee-Z	FCCee-W	FCCee-H	FCCee-t	
Beam energy E _b [GeV]	104.5	45.5	80	120	175	
Circumference [km]	26.7	100	100		unch	
Beam current [mA]	4	1450	152	crossi	ng time to 3 ns	
				down	to 3 ns	

22

4

6

48

250

1.5

50

270

3500

0.0125

360

SR power total [MW]

No. e⁻ per bunch [10¹¹]

Vertical emittance [pm]

 $L/IP [10^{34} cm^{-2}s^{-1}] (2 IPs)$

3 February 2016

Beam lifetime [min] (2 IPs)

 $\beta^*_{x}[m]$

 $\beta^*_{v}[mm]$

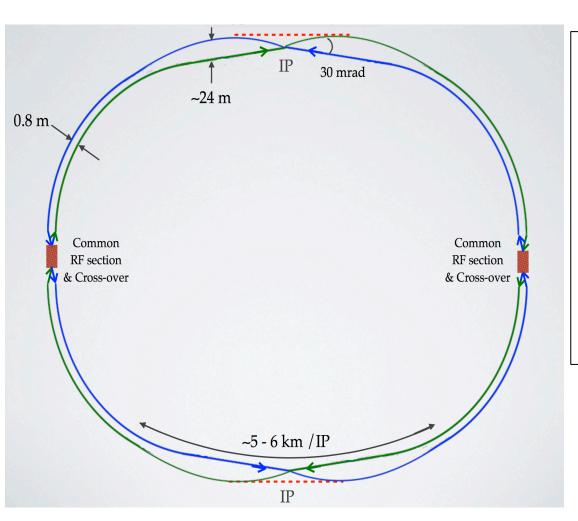
 $\sigma_{x}^{*}[\mu m]$

 $\sigma^*_{v}[nm]$

Horizontal emittance [nm]

No. bunches/beam

FCC-ee accelerator layout



Of particular importance for experiments

- 30 mrad beam crossing angle
 - Avoid parasitic crossings
- No bending of beams before crossing, only after
 - Minimize synchrotron radiation through interaction region
 - $P_{SR} < 1$ kW within 250 m from IP
 - E^γ_{crit} < 100 keV minimize neutron production

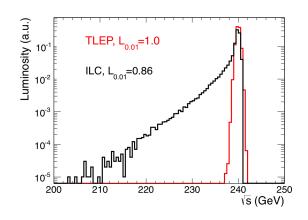
FCC-ee experimental conditions

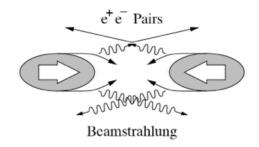
Sharp beam-energy profile

- Beams are circulating, i.e. have to be reusable after collision
 - Non-destructive focusing and collision
 - Beam-beam interactions have to be kept at a minimum



- On average 4000 e⁺e⁻ pairs created per BX
- Carry total energy of ~1 TeV (400 x less that at ILC500)
- Vertex detector layer at R = 10 mm would receive a tolerable
 1.5 hit / BX / cm²





No underlying events; No pile-up

- Running conditions most "extreme" at Z peak:
 - ~100 kHz of Zs
 - ~200 kHz of small angle elastic e⁺e⁻ (Bhabha) scattering normalisation
 - Compare to 300 MHz beam-crossing rate

Only 1:1000 bunch-crossings will have an interaction: $\mu = 0.001$

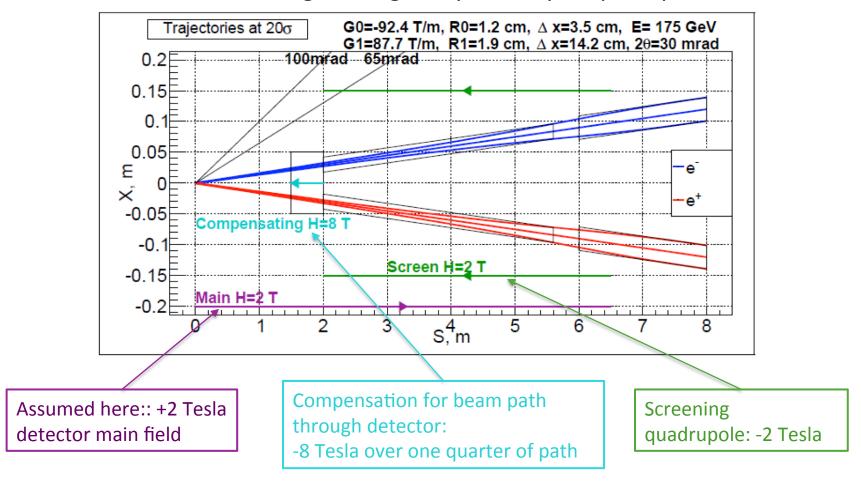
Interaction Region design (1)

The Interaction Region is complicated

- Very strong focussing; low β* (2 mm)
 - Small distance between IP and first quadupole: L* ≈ 2 m
 - Final-focus magnets will be located inside the detector volume
- Beams cross at an angle of 30 mrad
 - Beams traverse detector volume at 15 mrad w.r.t. experimental B-field
 - Beam particles receive vertical kick; emittance blow-up
- Shielding/compensation needed
 - a. Final-focus magnets need to be shielded from the main experimental solenoid
 - b. Compensating magnets are needed in order to "undo" the effect of experimental B-field
- Small angle region is very busy
 - Need to understand backscattering of beamstrahlung and synchrotron radiation from heavy machine elements close to IP
 - Need to find space for instrumentation at small angles
 - Luminosity monitors,...

Interaction Region design (2)

Interaction region magnet system layout principle



Very strong influence of solenoid edges on vertical emittance

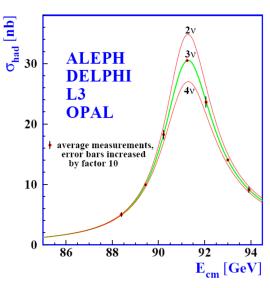
May in the end put an effective limit on the strength of the detector field

Luminosity measurement (1)

Luminosity measurement needed for normalization of all cross section measurements

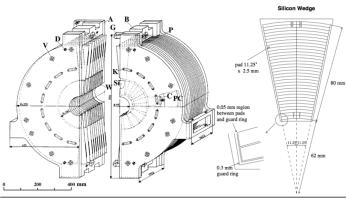
- Most prominent example: Z line shape
 - Relative luminosity: energy-point to energy-point (m_z)
 - Absolute luminosity: cross section measurement at Z pole
- LEP luminosity uncertainty (OPAL): $\delta L/L = 6.4 \times 10^{-4}$
 - Luminosity contribution important for e.g. N, measurement

$$N_v = 2.984 \pm 0.008$$
 | lumi theo: $\delta N_v = 0.004$ | lumi expt: $\delta N_v = 0.002$



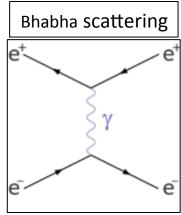
Luminosity determined via small angle elastic e⁺e⁻ → e⁺e⁻ scattering

- Bhabha scattering is very strongly forward peaked $(1/\theta^2)$
 - Requires a small and very precisely known value of θ_{min}
- Measured with a set of two detectors, one at each side of IP



Example LEP (OPAL):

- Tungsten/silicon calorimeters
- Geometry controlled to better than 10 μm
- Systematic: ΔL/L = 3.4 × 10⁻⁴

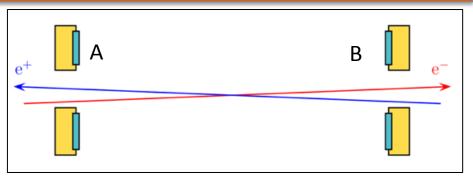


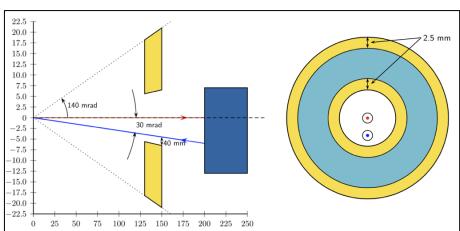
Luminosity measurement (2)

FCC-ee luminosity measurement

- Beam crossing angle: center monitors around the outgoing beams
- To eliminate first order dependence on beam parameters, need tight and looser fiducial volume:

Acceptance = tightA \cap looseB + tightB \cap looseA





FCC-ee (ambitious) target: 10⁻⁴ level

Luminosity measurement – main differences w.r.t. LEP:

- Small angle area is very busy; monitors get pushed closer to IP (2500 mm → 800 -1500 mm)
 - Need for mechanical precision approaching 1 μm (!)
- Beam crossing angle of 30 mrad
 - harder to get close to outgoing beam and match Bhabha rate to Z rate

Interaction region layout study

Recently formed: Machine Detector Interface Working Group

- Study the integration of beams, machine elements and detectors
- Come up with a plausible interaction region design

Topics

- a. Synchrotron radiation and masking
- b. Other accelerator backgrounds
- c. Magnetic integration
- d. Luminosity measurements and other desired particle detectors...

Detector Requirements

The FCC-ee physics programme is very broad.

With multiple IPs (up to 4) there is room for different design emphasis.

One could think of at least two major options:

Precision physics & new physics searches

Higgs Precision Physics

Excellent energy/momentum resolution for e, μ , jet

- Z tagging via μμ, ee
- Possibility to use Z → qq tag for for several h final states (h→ invisible)
- Rare Higgs decay modes: $\mu\mu$, $\gamma\gamma$, ZZ, invisible Excellent flavour tagging:
- Separation of Higgs to bb, cc, gg



EW Precision Physics

Extremely precise definition of **fiducial volumes** for signal and normalization.

This includes

- geometry: precise borders, no cracks
- momentum/energy: no bias



New Physics Searches

Detached vertices over a large lifetime range

- Large radius tracking volume
- Excellent primary/secondary vertex resolution and flavour tagging

No escaping particles: Hermiticity

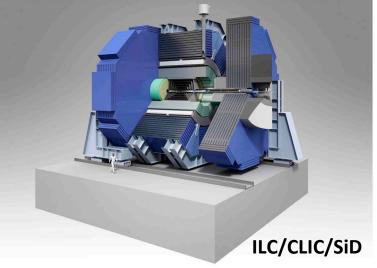


Detectors for FCC-ee (1)

We know today how to build a detector for e⁺e⁻ precision physics

Experience with LEP detectors and 20-years R&D with ILC/CLIC detectors





Detectors must have the ability to collect 100 kHz of Z decays, with 100% efficiency

... and be able to repeat the whole LEP1 programme in about two minutes.

Inspiration should come from LHC detector upgrades and DAQ systems.

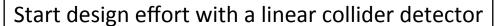
Physics differences between linear collider and FCC-ee case

- Lower maximum energy 400 vs. 1000 GeV
 - Momentum resolution, energy resolution, calorimeter depth
- Higher statistics: matching systematics have to under acceptance to better than 1/VN

Technical differences between linear collider and FCC-ee case

- Extremely high physics rate 100 kHz Zs: DAQ
- Continuous running (no bunching of beams): cooling issues
- Machine Detector Interface

Detectors for FCC-ee (2)



CLIC - SiD

B-field: Possibly weaker (~2 T)

- Accelerator constraint
 - Beam crossing angle
- Lower max momentum

Calorimetry

Jet energy (1/3 x LEP)

$$\frac{\sigma_E}{E} \approx 3 - 4\%$$

Momentum: (1/10 x LEP)

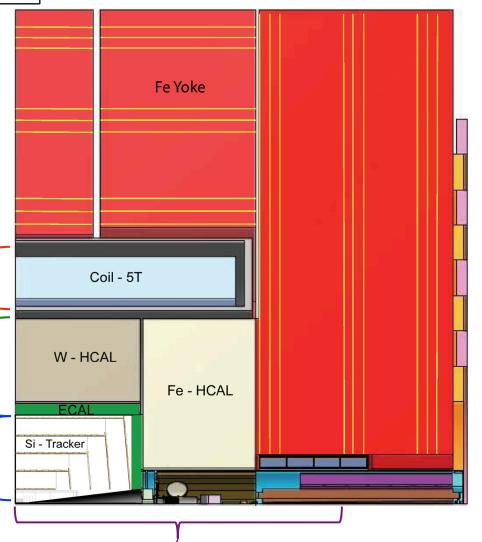
$$\sigma_{1/p} < 5 \times 10^{-5} \, \mathrm{GeV}^{-1}$$

Impact parameter: (1/3 x SLD)

• e.g. b/c-tagging

$$\sigma_{r\phi} = 5 \oplus 10/(p\sin^{\frac{3}{2}}\theta)\,\mu\mathrm{m}$$

Hermetic: down to $\theta = 5$ mrad



Summary

- FCC-ee has a very rich and diverse physics programme
 - Possibly several detector options with focus on different aspects
- Ambitious luminosity goal of especially FCC-Z dictates very high BX rates
 - Down to 3-5 ns; However, no pileup: $\mu \approx 0.001$
- Optics exist with realistic synchrotron levels in detector regions
 - Masking work can begin
- Low beamstrahlung background
 - Small CM energy spread
 - Possible to place 1st VXD layer very close to beam line
- Very challenging Interaction Region design
 - 30 mrad beam X'ing angle; L* ≈ 2.0 m
 - Beams cross detector B-field at an angle of 15 mrad: Need compensation
 - May eventually lead to a limit on the detector field(?)
 - Space for very forward instrumentation limited
 - Luminosity measurement, hermiticity
- Look to ILC (and LEP) for overall detector design. Differences wrt ILC
 - Continuous running / no pulsing: Power consumption / Cooling
 - Factor three lower energy reach
 - Relaxed requirements for momentum resolution(?), calorimeter depth and resolution(?)
- Much interesting and important work ahead
 - Many opportunities to contribute

Backup...

Organization of the experimental studies

FCC-ee: Working groups (1)

- Experimental studies Coordinators A. Blondel, P. Janot
 - Precision measurements of the Z, W, H, t properties Rare decays BSM physics

EW Physics (Z pole)

R. Tenchini

F. Piccinini

Diboson physics, m_w

R. Tenchini

F. Piccinini

H(126) Properties

M. Klute

K. Peters

Top Quark Physics

P. Azzi

Freya Blekmann

QCD and $\gamma\gamma$ Physics

D. d'Enterria

P. Skands

Flavour Physics

S. Monteil J. Kamenik **New Physics**

M. Pierini

C. Rogan

Develop the necessary tools

Physics Software

C. Bernet

B. Hegner

Common across FCC **Synergies with LCs**



Understand the experimental conditions

Exp'tal

Online & Trigger

E. Perez

C. Leonidopoulos

Environment

N. Bacchetta

Synergy with FCC-hh and Linear Colliders

Set constraints on the possible detector designs to match statistical precision

Detector Designs

A. Cattai

G. Rolandi

M. Dam

Synergy with linear collider detectors:

Collaboration with CLIC detector (CERN group) Several detectors possible

lots of space for new ideas!

Precision electroweak physics at FCC-ee (5)

Direct $\alpha_{QED}(m_z)$ measurement

For exploitation of precision EW measurements, need precise knowledge of $\alpha_{OED}(m_z)$

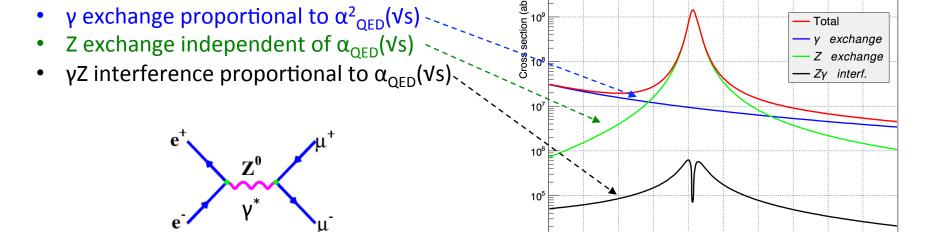
- Standard method involves extrapolation from $\alpha_{QED}(0)$ to $\alpha_{QED}(m_z)$
 - Dispersion integral over hadronic cross section low energy resonances: $\delta \alpha / \alpha = 1.1 \times 10^{-4}$

$$\alpha_{QED}^{-1}(m_Z) = 128.952 \pm 0.014$$

New idea: exploit large statistics of FCC-ee to measure $\alpha_{OED}(m_z)$ directly close to m_z

Extrapolation error becomes negligible!

Two methods considered: Meast. of cross section, $\sigma(e^+e^- \rightarrow \mu^+\mu^-)$, and asymmetry, $A_{FB}^{\mu\mu}$

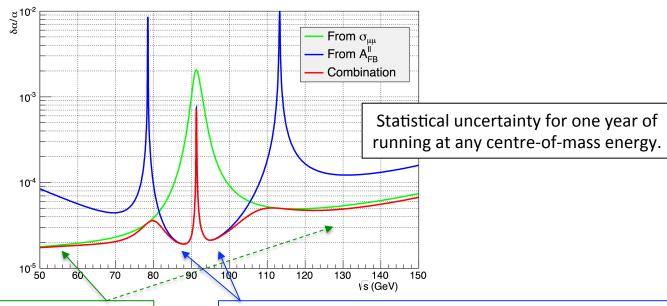


√s (GeV)

110

Precision electroweak physics at FCC-ee (6)

Direct $\alpha_{OED}(m_z)$ measurement (cont'd)



From σ_{uu} measurement

- Sensitivity best "far" away from Z peak, particularly at the low side
- Systematics (normalisation) probably a killer

From $A_{FB}^{\mu\mu}$ measurement

- Sensitivity best at points vs = 87.9 and 94.3 GeV
- Theoretical systs. largely cancel by "averaging" over 87.9 and 94.3 GeV points.
 - Higher order EW to be calculated (few x 10⁻⁴)
- Experimental systs. controlable; dominant contribution from knowledge of E_{BEAM}: 1 x 10⁻⁵

By running six months at each of 87.9 and 94.3 GeV points:

Potential to reach a precision of : $\delta \alpha / \alpha = 3 \times 10^{-5}$

FCC-ee Physics Programme

A very rich physics menu!

See arXiv:1308.6176, "First Look at the Physics Case of TLEP" FCC-ee physics meetings, https://indico.cern.ch/cetegory/5259/

- Core physics programme
 - The Z pole scan, Vs=88-95 GeV
 - ho m_z, Γ_Z to < 100 keV, $\sin^2\theta_W$ to $5x10^{-6}$, $\alpha_{OED}(m_Z)$ to $2x10^{-5}$, $\alpha_s(m_Z)$ to $2x10^{-4}$, ...
 - ➤ Rare decays/process searches and flavour physics with up to 10¹³ Z decays
 - The WW threshold scan, vs=160-165 GeV
 - $ightharpoonup m_w$ to 300 keV, $\alpha_s(m_7)$ to $2x10^{-4}$, ...
 - The Higgs factory, Vs=240 GeV and above
 - Improve HL-LHC precision on Higgs couplings by an order of magnitude
 - ➤ Measure the Higgs width to better to 1%, and BR_{invis} to 0.1%
 - The top threshold scan, √s=340-350 GeV
 - \rightarrow m_{top} to 10-20 MeV

Well matched to FCC-hh discovery range

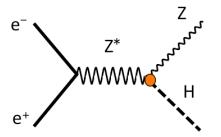
- Set constraints on new physics scale to 100 (10) TeV if weakly (Higgs) coupled
 - > Possibly discover very-weakly-coupled new physics through rare processes
- And also...
 - Top electroweak couplings at $\sqrt{s}=365-370$ GeV (as part of the top threshold scan)
 - The Hee coupling at Vs=120 GeV
 - The highest centre-of-mass energy vs=500 GeV (physics case?)

Precision Higgs physics at FCC-ee (4)

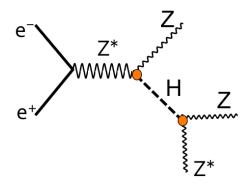
Indirect determination of the total Higgs decay width

a. From the measurement of the total production cross section (slide 10)

$$\sigma_{\rm HZ} \propto g_{\rm HZ}^{2}$$



- b. From a counting of HZ events with H \rightarrow ZZ
 - Measure σ_{HZ} x BR(H \rightarrow ZZ)



Final state with three Zs Almost background free

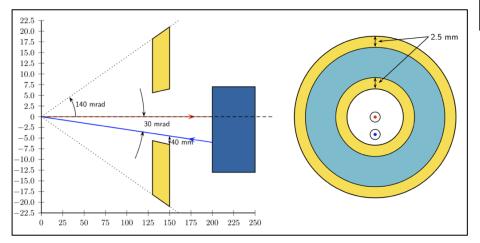
- BR(H → ZZ) = Γ (H → ZZ) Γ _H is proportional to g_{HZ}^2
 - $ightharpoonup \sigma_{HZ} \times BR(H \to ZZ)$ is proportional to g_{HZ}^4/Γ_H
- Infer the total width Γ_{H} from the two measurements

$$\Gamma_{\rm H} \propto \sigma_{\rm HZ} / BR(H \rightarrow ZZ)$$

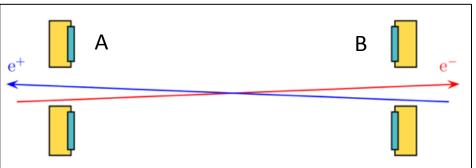
Luminosity measurement (2)

FCC-ee (ambitious) target: 10⁻⁴ level

 Beam crossing angle: center monitors around the outgoing beams



LEP: 2500 mm



To eliminate first order dependence on beam parameters, need tight and looser fiducial volume:

Shift in parameter for a shift

of +10⁻⁴ in acceptance

Acceptance = tightA \cap looseB + tightB \cap looseA

A few geometries studies

 $heta_{\min}$ $\theta_{
m max}$ $\delta z_{
m front}$ $\delta r_{\rm max}$ $\delta r_{\rm min}$ $r_{\rm max}$ σ $z_{\rm front}$ r_{\min} |mm||mm|mrad [mrad] [nb] $[\mu m]$ $|\mu m|$ μm |mm|115 115 10 50 -2.16.1 1000 80 80 1300 157 68 121 -3.017 89 18 65 1500 95 185 63 123 23 -3.526 75

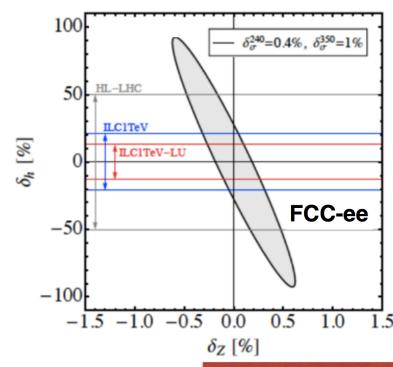
Need µm level of precision

Hadronic peak cross section (Z→qq): 30 nb

Higgs self-coupling through loop corrections

$$\sigma_{Zh} = \begin{vmatrix} \mathbf{e} \\ \mathbf{e} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} \cdot \begin{pmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{Re} \begin{vmatrix} \mathbf{e} \\ \mathbf{h} \end{vmatrix}^{2} + 2 \operatorname{R$$

- ➤ Very large datasets at high energy allow extreme precision g_{ZH} measurements
- Indirect and model-dependent probe of Higgs self-coupling
- Note, the time axis is missing from the plot

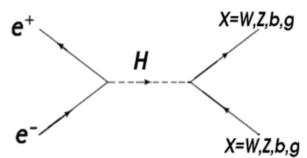


Matthew McCullough arxiv:1312.3322

First generation couplings

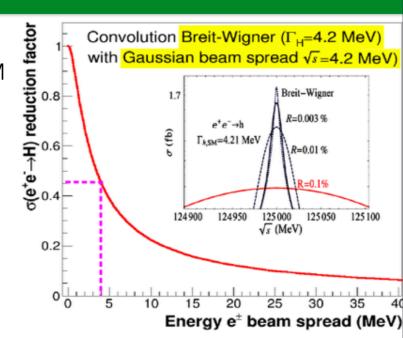
⇒ s-channel Higgs production

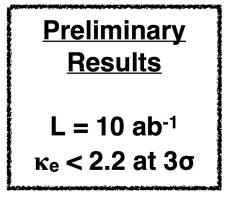
- Unique opportunity for measurement close to SM sensitivity
- Highly challenging; σ(ee→H) = 1.6fb; various Higgs decay channels studied



→ Work in progress

- Loop-induced production channels have cross section than pure s-channel. But, how large are BSM effects?
- Can monochromators yields energy spread of Higgs width or smaller? At what luminosity cost?
- Energy scan O(10MeV) around mH will be needed to locate exact sqrt(s)
- Polarization increases cross section (e.g. by x2 at P=70%). At what luminosity cost?





d'Enterria-Wojcik-Aleksan