

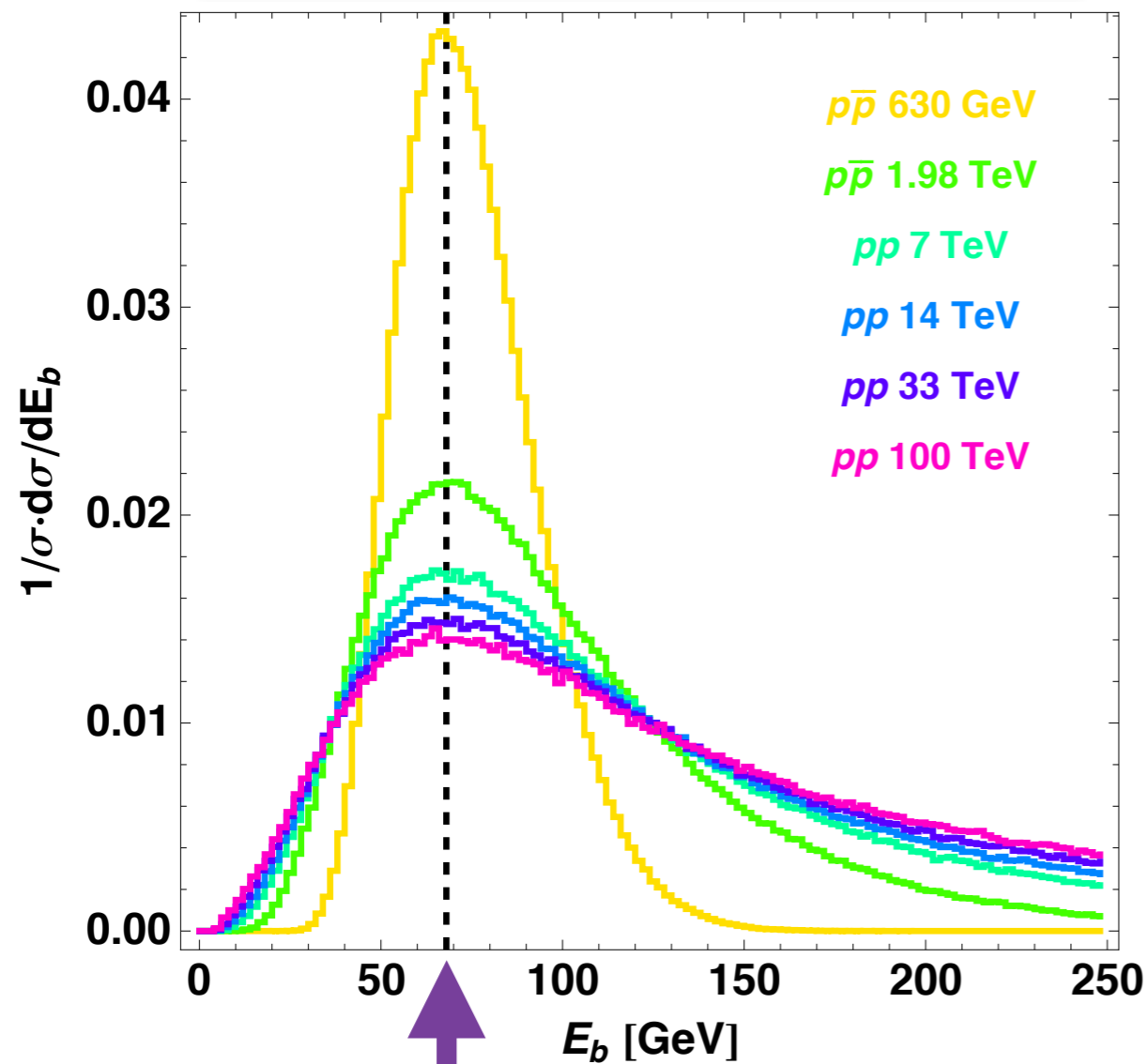
B-hadrons: peaks and other observables

Roberto Franceschini (CERN)
with Agashe, Kim and Schulze - 1603.03445
plus
work in progress with G. Corcella

The invariance of energy

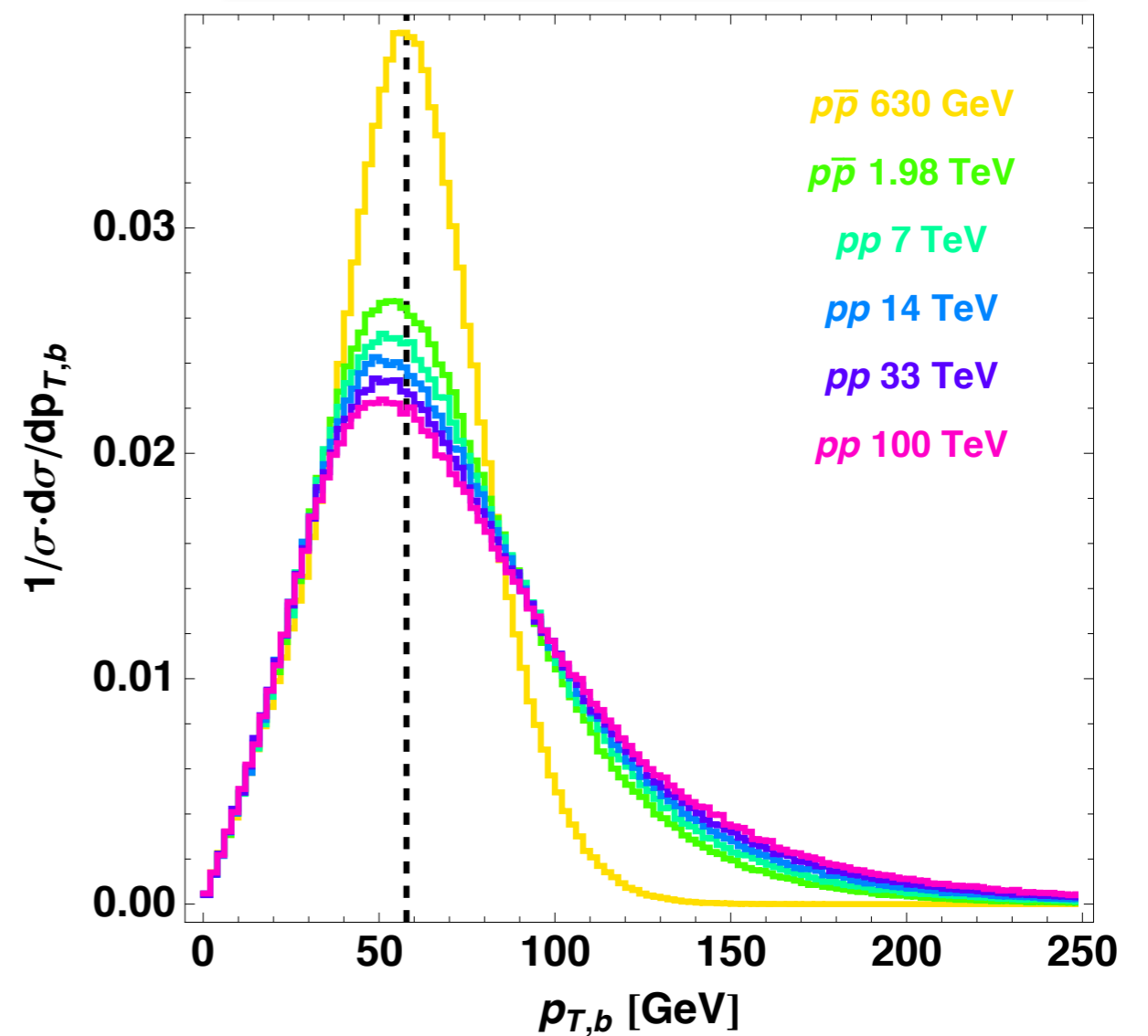
1209.0772 - Agashe, RF and Kim

Shape changes, peak doesn't!



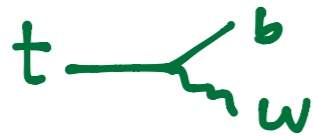
$$E_b^* = \frac{m_t^2 - m_w^2 + m_b^2}{2m_t}$$

Shape changes, peak does too



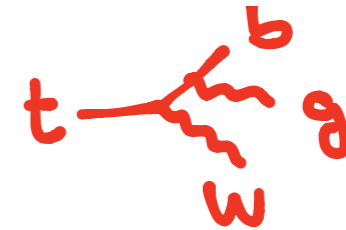
NLO: production & decay

(MC2FM)

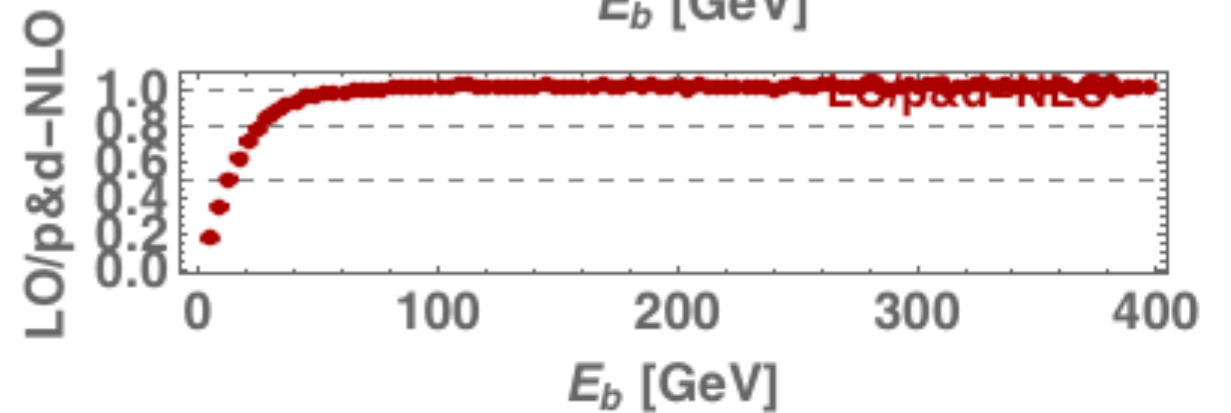
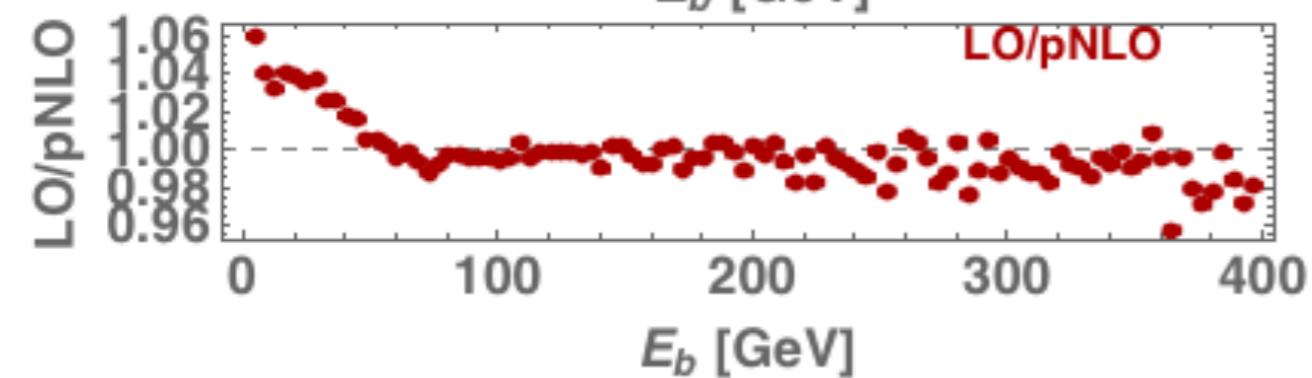
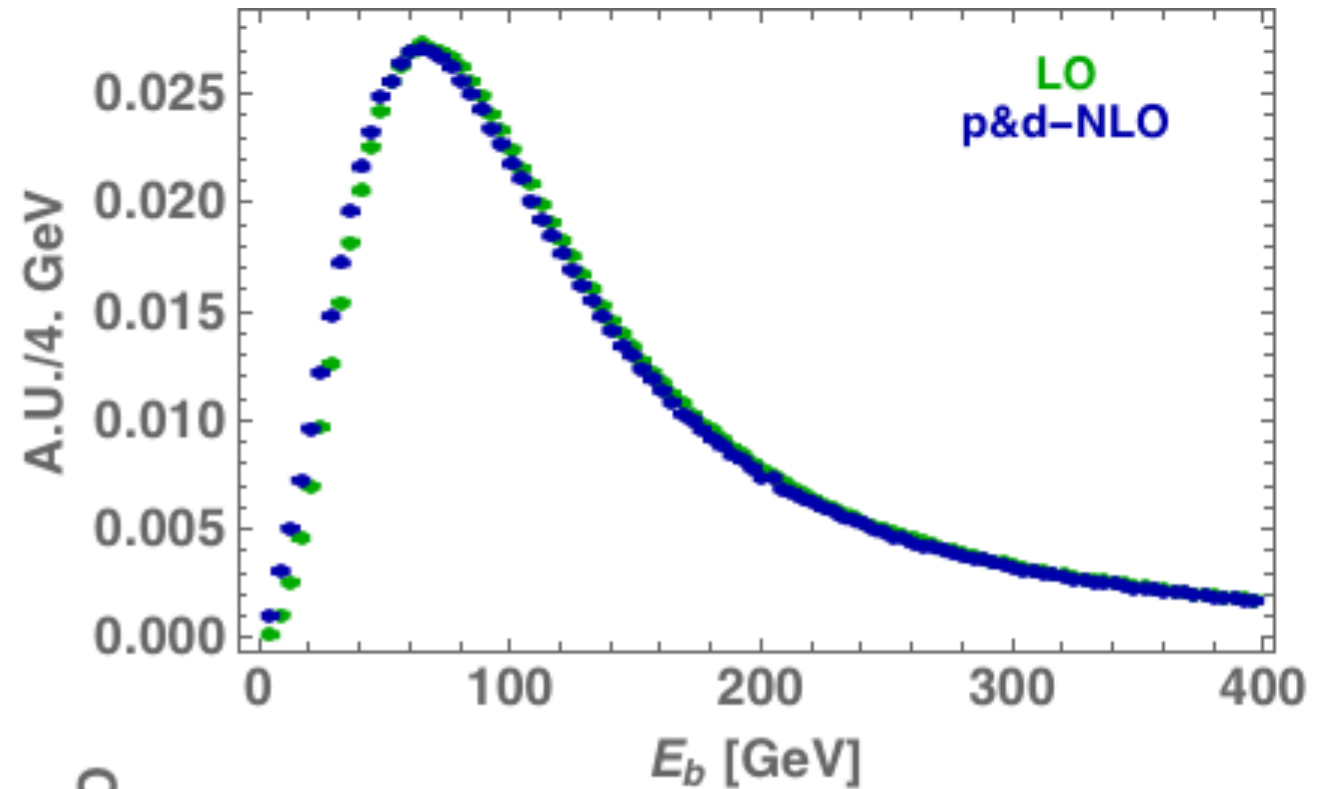
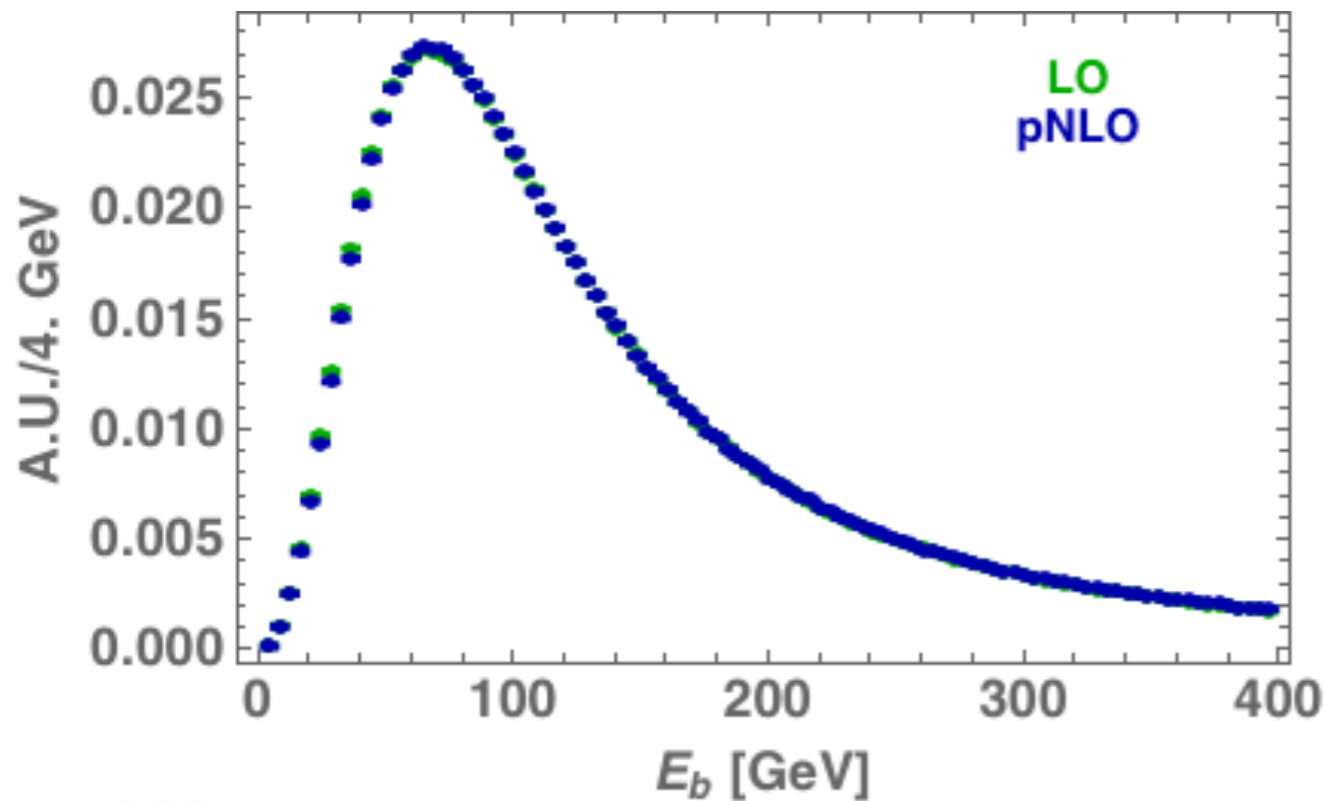


decay at LO

Energy of b-jet



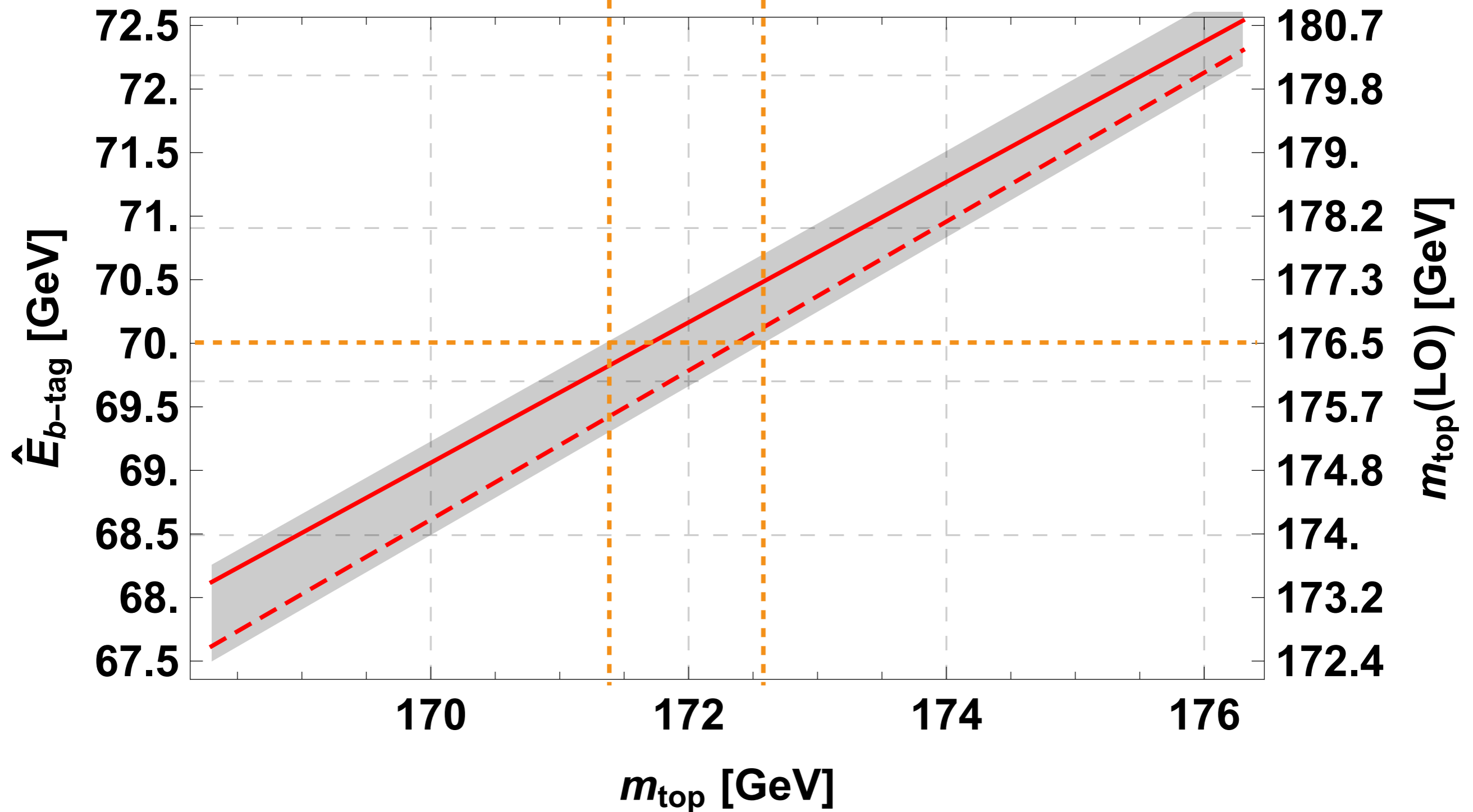
decay at NLO



The result

Agashe, RF, Kim, Schulze - 1603.06536

$\Delta(\text{th}) = \pm 0.6 \text{ GeV}$



- **b-jet energy peaks “invariance” holds** when only **NLO production** corrections are considered
- full NLO gives **$\delta m_{\text{top}} \approx \pm 0.6$ GeV scale sensitivity** mostly arising from **description of decay**
- **NNLO decay** description of jets would probably be enough to make a solid prediction at **$\delta m_{\text{top}} \approx \Lambda_{\text{QCD}}$**

NLO $E^*(m_{\text{top}})$

Agashe, RF, Kim, Schulze - 1603.06536

$p_{Tj} > 30 \text{ GeV}$, $\eta_j < 2.4$, $p_{T\ell} > 20 \text{ GeV}$, $\eta_\ell < 2.4$

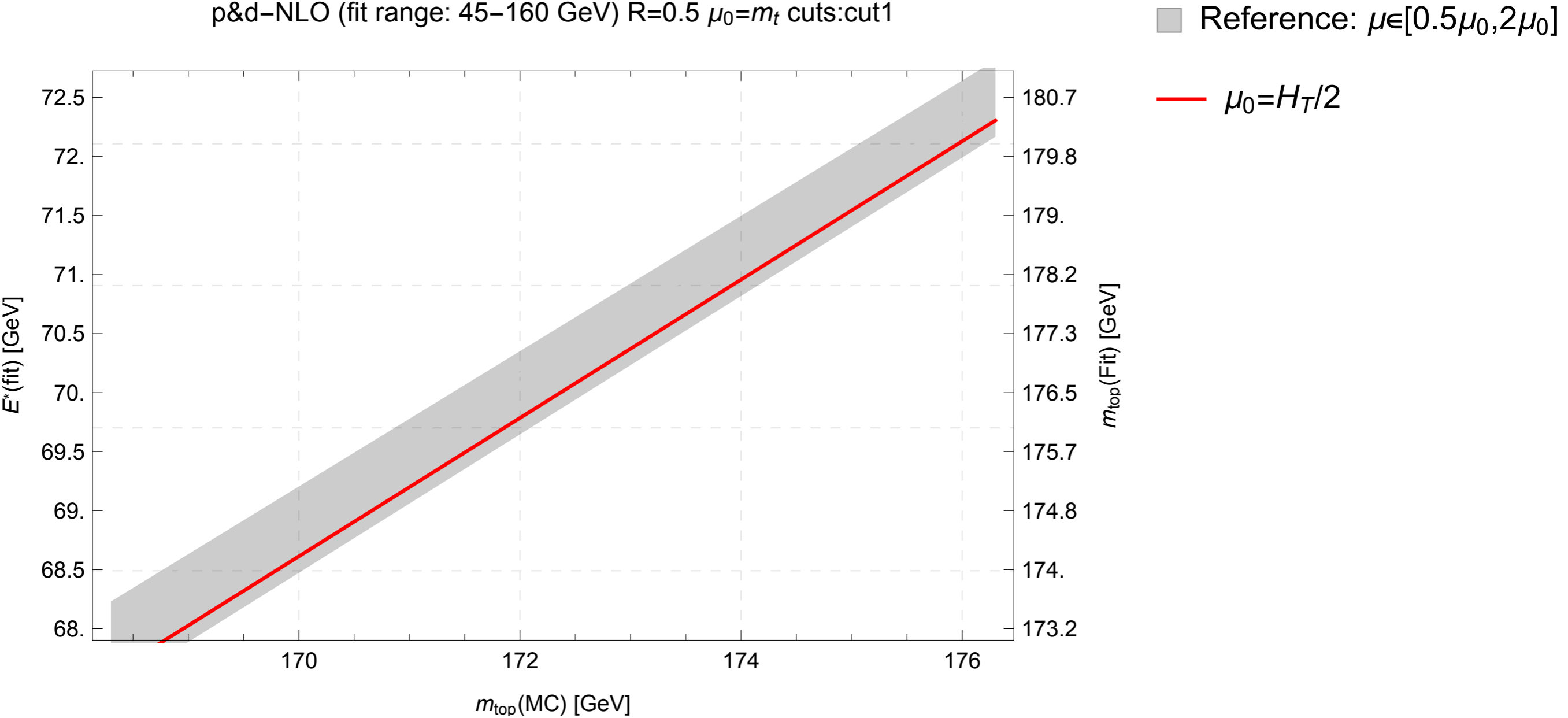
NLO $E^*(m_{\text{top}})$

Agashe, RF, Kim, Schulze - 1603.06536

$pT_j > 30 \text{ GeV}$, $\eta_j < 2.4$, $pT_\ell > 20 \text{ GeV}$, $\eta_\ell < 2.4$

Reference: $\sqrt{S} = 14 \text{ TeV}$ MSTW08NLO

p&d-NLO (fit range: 45–160 GeV) $R=0.5$ $\mu_0 = m_t$ cuts: cut1



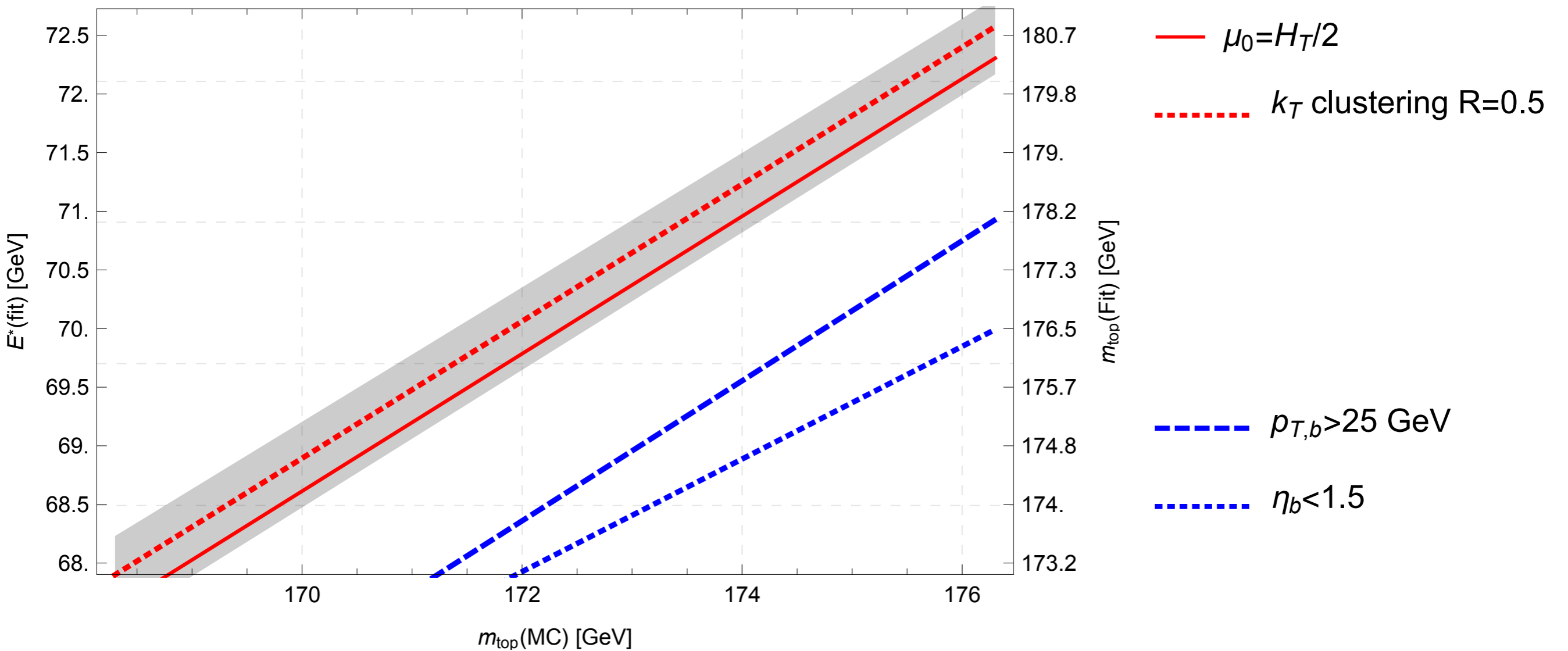
NLO $E^*(m_{\text{top}})$

Agashe, RF, Kim, Schulze - 1603.06536

$p_{Tj} > 30 \text{ GeV}$, $\eta_j < 2.4$, $p_{T\ell} > 20 \text{ GeV}$, $\eta_\ell < 2.4$

Reference: $\sqrt{S} = 14 \text{ TeV}$ MSTW08NLO

p&d-NLO (fit range: 45–160 GeV) $R=0.5$ $\mu_0 = m_t$ cuts: cut1



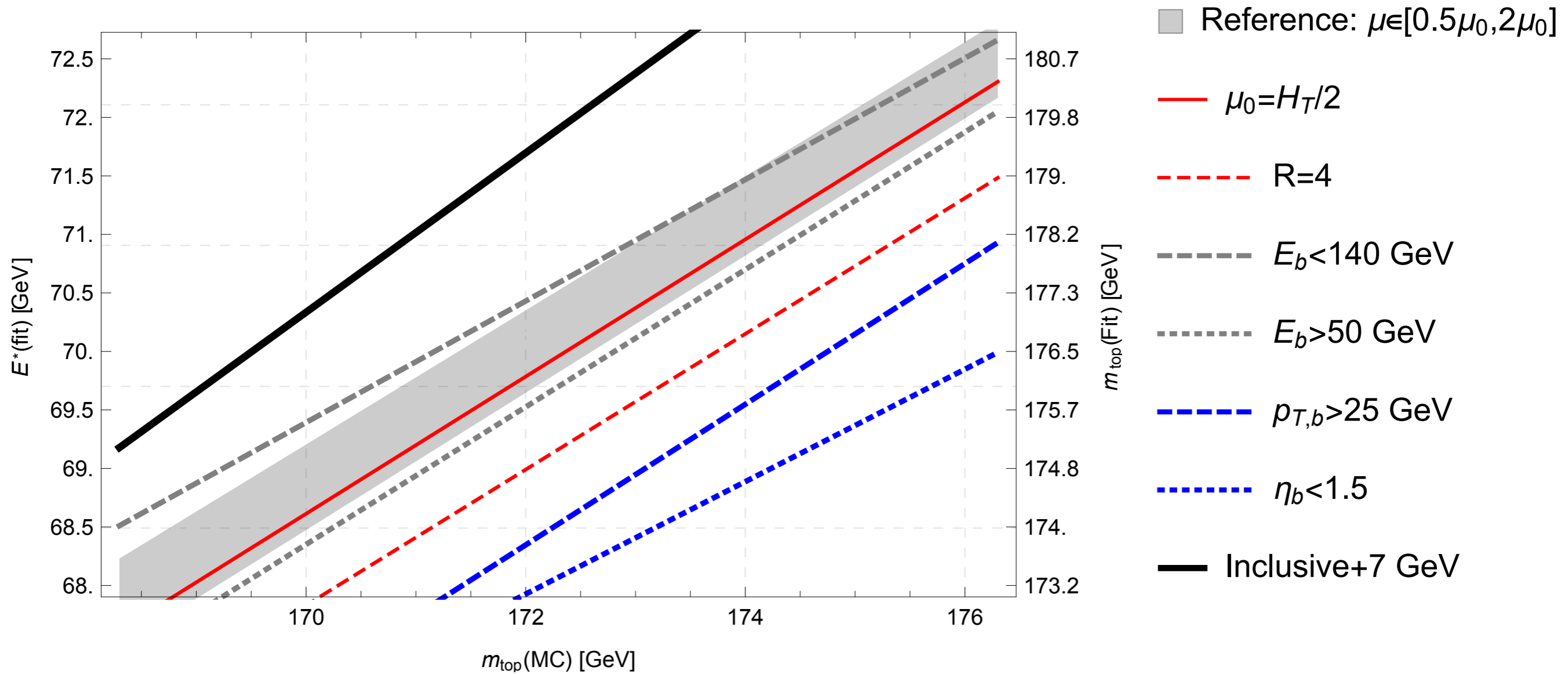
NLO $E^*(m_{\text{top}})$

Agashe, RF, Kim, Schulze - 1603.06536

$pT_j > 30 \text{ GeV}$, $\eta_j < 2.4$, $pT_\ell > 20 \text{ GeV}$, $\eta_\ell < 2.4$

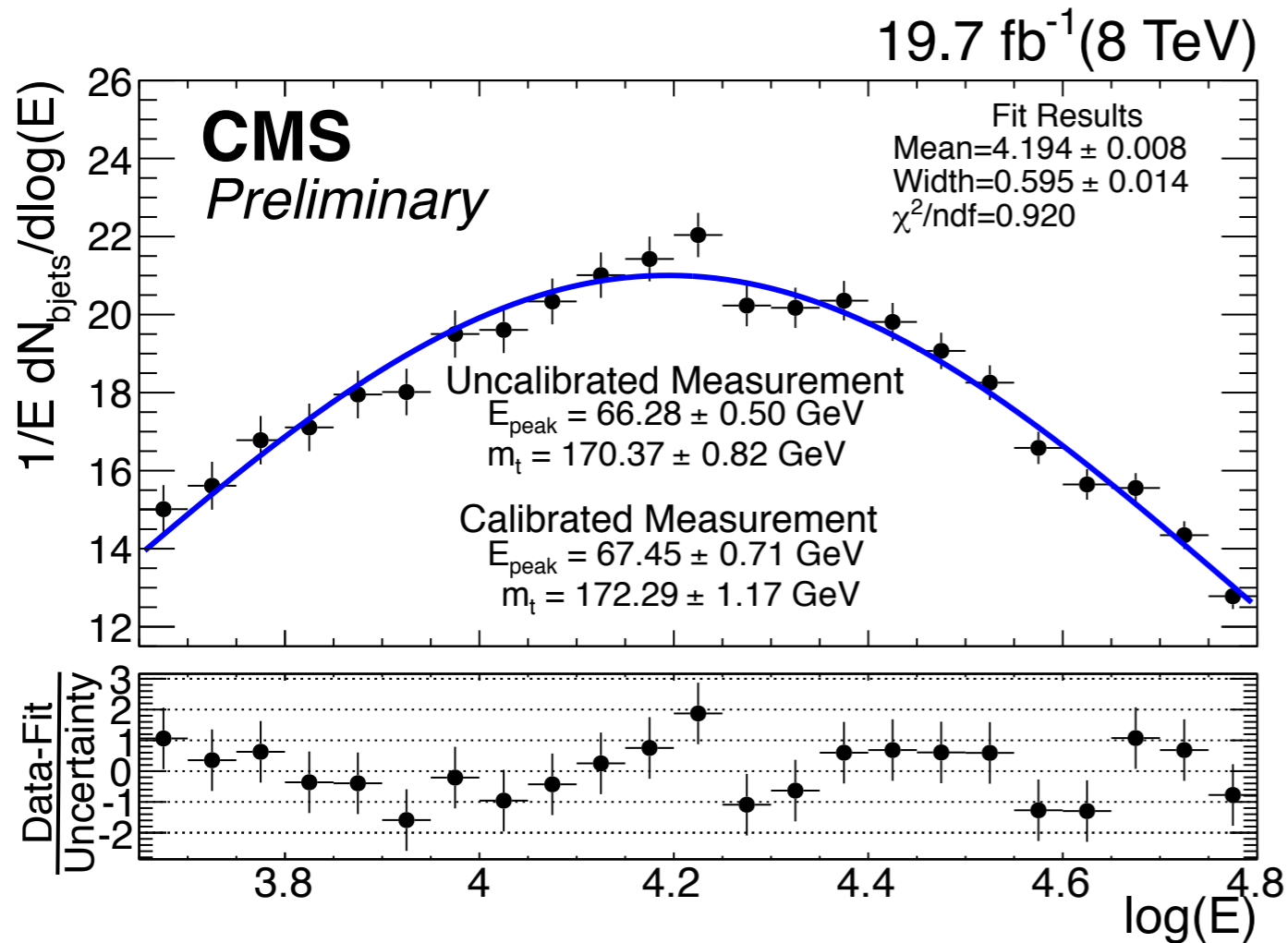
Reference: $\sqrt{S} = 14 \text{ TeV}$ MSTW08NLO

p&d-NLO (fit range: 45–160 GeV) $R=0.5$ $\mu_0 = m_t$ cuts: cut1



CMS PAS TOP-15-002

$$m_t = 172.29 \pm 1.17 \text{ (stat.)} \pm 2.66 \text{ (syst.) GeV}$$



Source of uncertainty	δE_{peak} (GeV)	δm_t (GeV)
Experimental uncertainties		
Jet energy scale	0.74	1.23
b jet energy scale	0.14	0.22
Jet energy resolution	0.18	0.30
Pile-up	0.01	0.02
b-tagging efficiency	0.12	0.20
Lepton efficiency	0.02	0.03
Fit calibration	0.14	0.24
Backgrounds	0.21	0.34
Modeling of hard scattering process		
Generator modeling	0.91	1.50
Renormalization and factorization scales	0.13	0.22
ME-PS matching threshold	0.24	0.39
Top p_T reweighting	0.90	1.49
PDFs	0.13	0.22
Modeling of non-perturbative QCD		
Underlying event	0.22	0.35
Color reconnection	0.38	0.62
Total	1.62	2.66

leading uncertainty from theory can be reduced

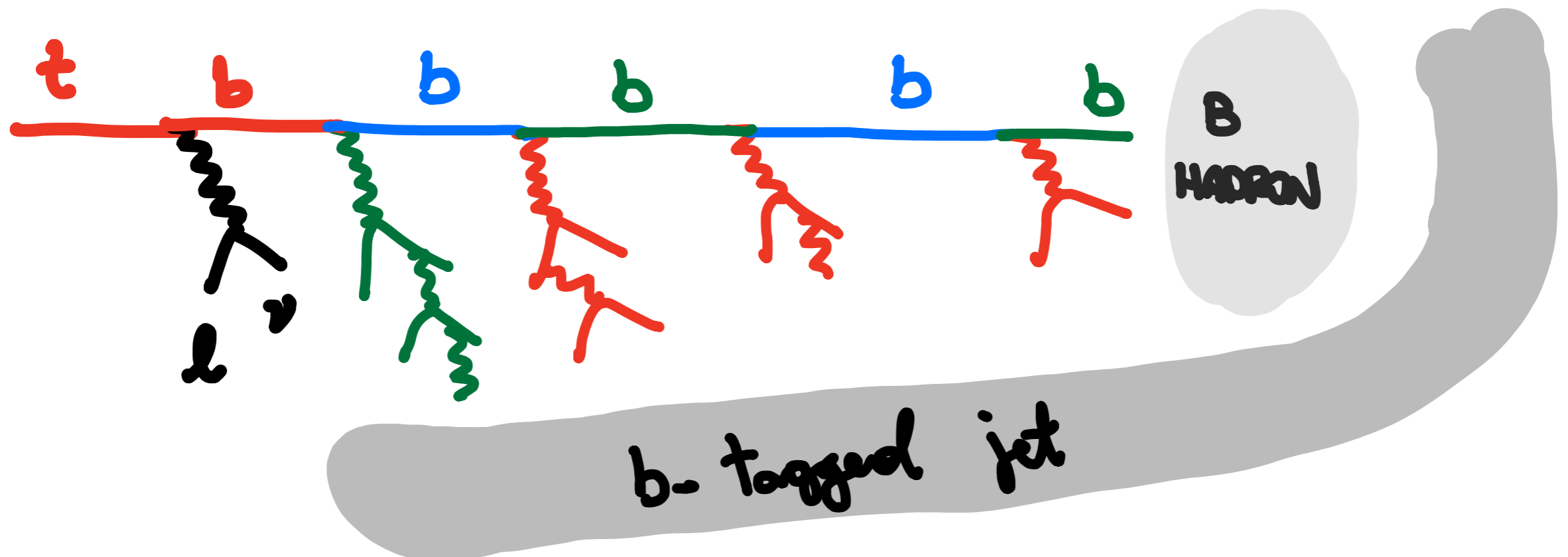
$p_T(\text{top})$ reweighting smaller than other methods (L_{xy} , $p_T \ell$...)

beyond jets

... and their intrinsic uncertainties

B hadron (peak) observables

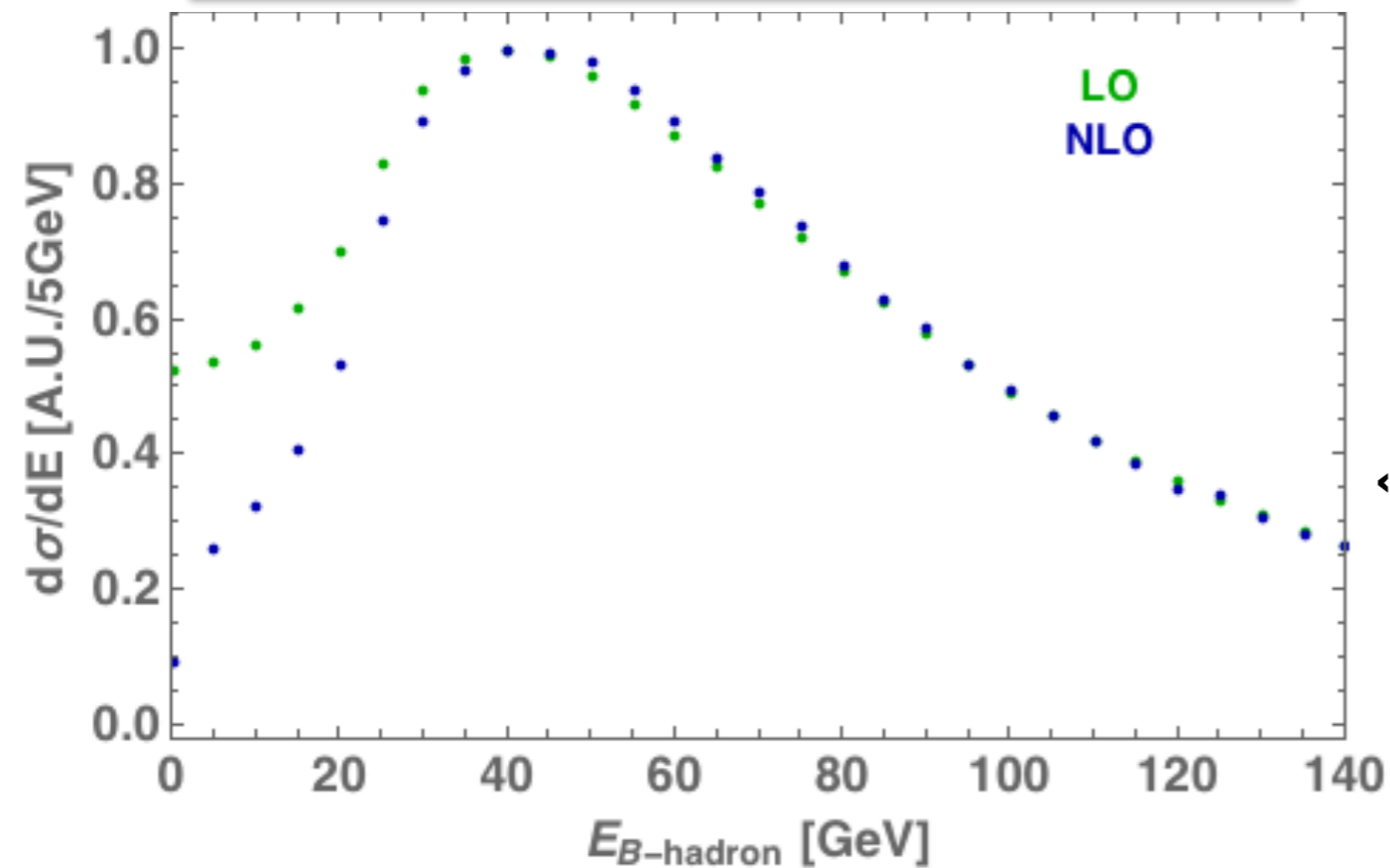
The strength of the future LHC top mass measurement will build on the **diversity of methods**
⇒ not very useful to talk about “*single best measurement*”



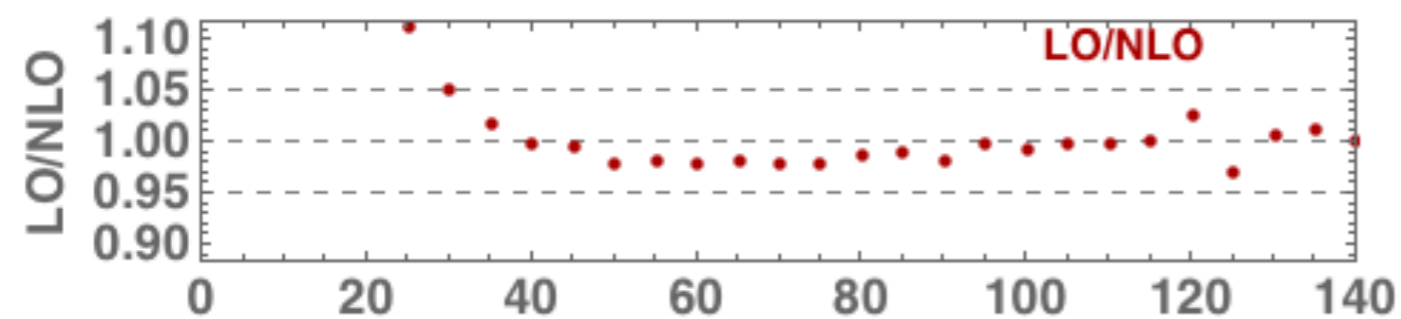
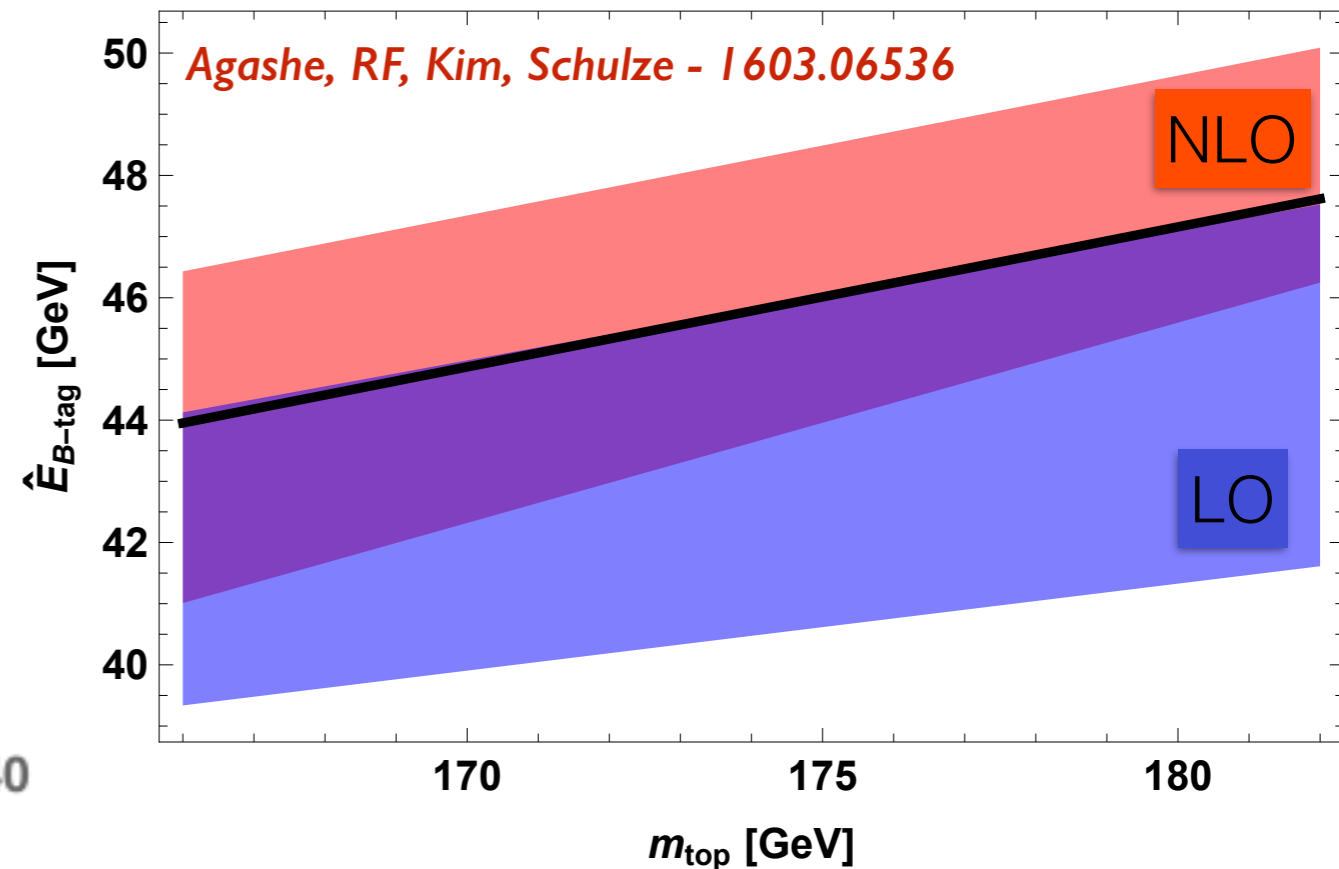
B hadron is a well defined, in principle fully reconstructible, subset of the b -jet

Hadron Spectrum

$pp \rightarrow t\bar{t} \otimes$ NLO fragmentation function

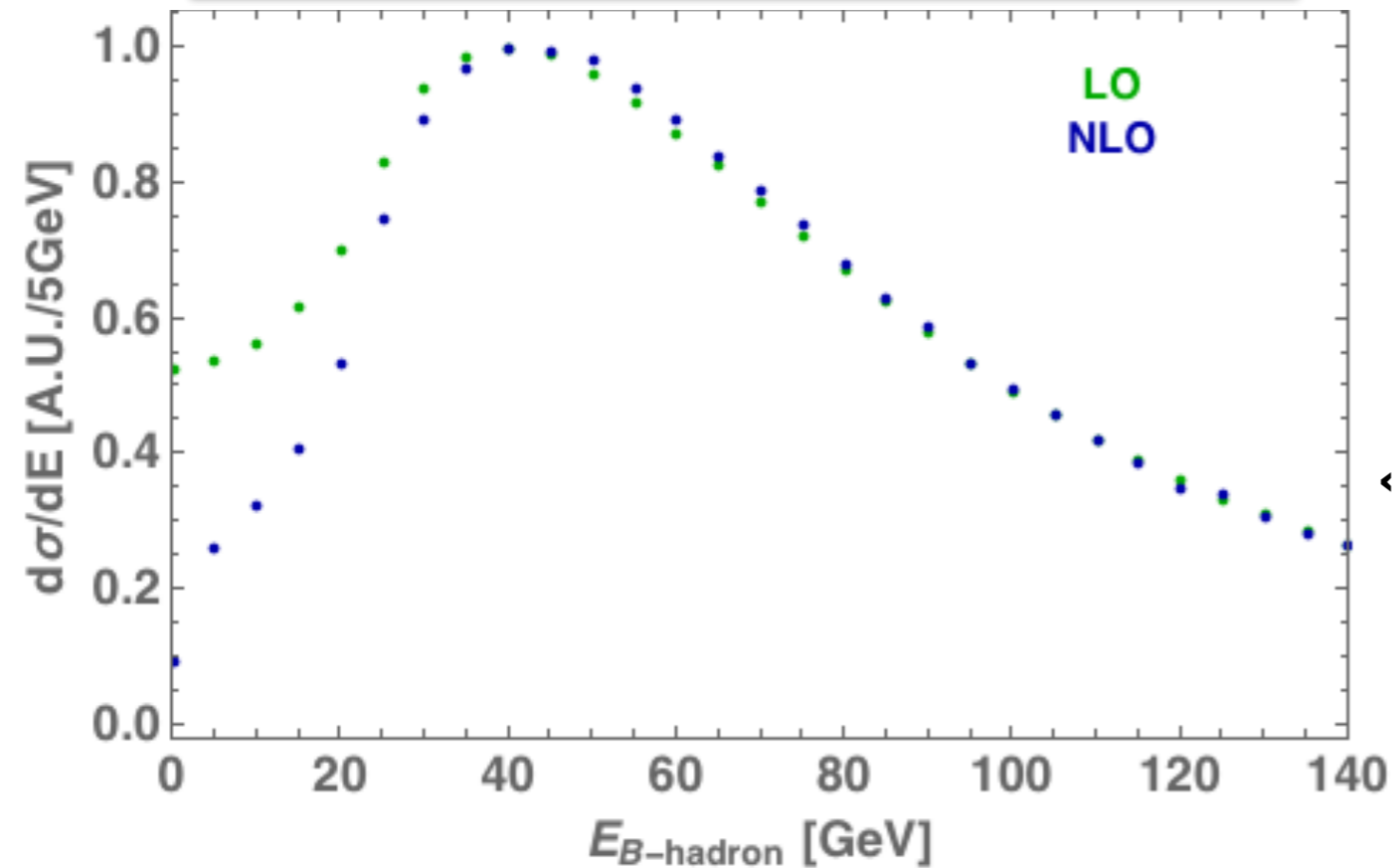


dominated by fragmentation scale

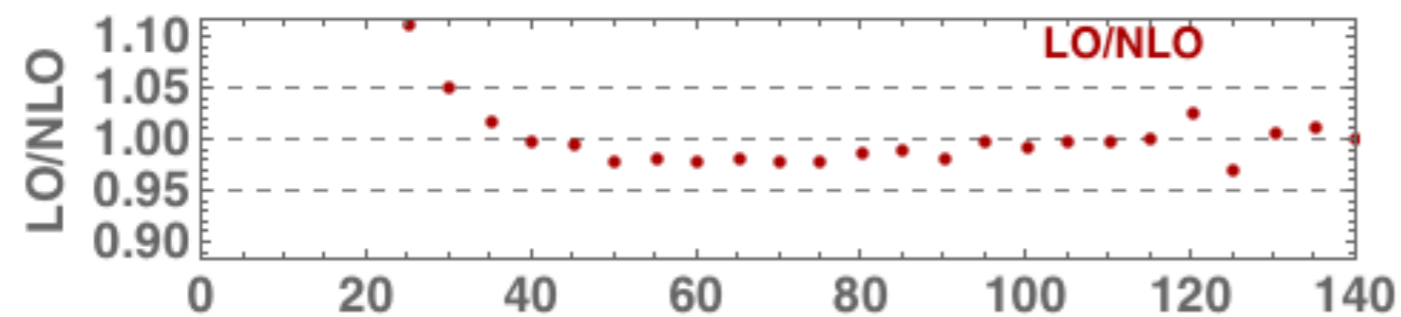
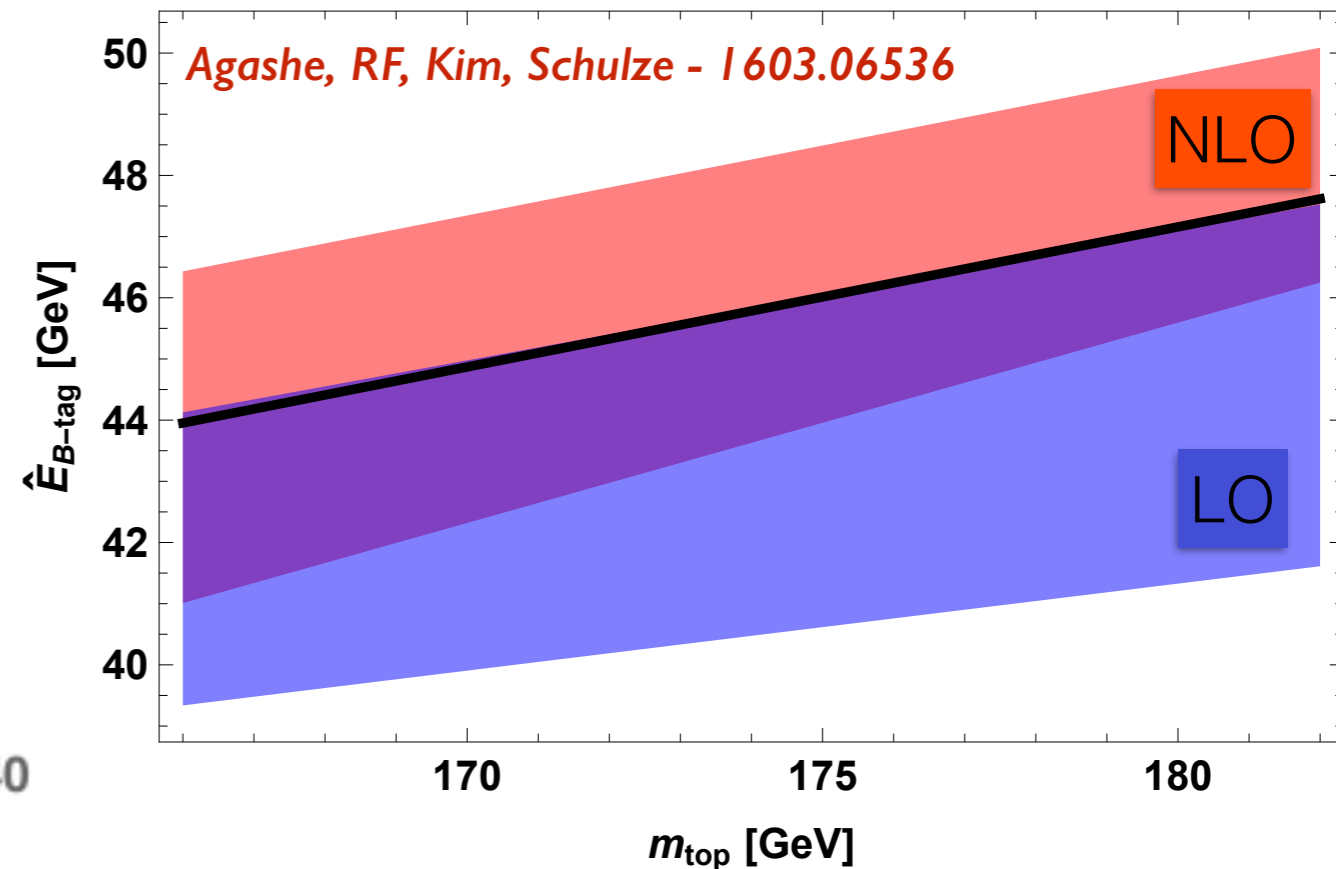


Hadron Spectrum

$pp \rightarrow t\bar{t} \otimes$ NLO fragmentation function



dominated by fragmentation scale



NLO sensitive to the scale choice: ± 3.5 GeV on m_{top}

insisting on hadrons

For each observables used in top quark mass measurement with b-jets a derived observable can be defined using the B-hadron instead of the b-jet (and JES \leftrightarrow Hadronization)

$$E(\text{b-jet}) \Rightarrow E(\text{B-hadron})$$

$$p_{\text{T}}(\text{b-jet}) \Rightarrow p_{\text{T}}(\text{B-hadron})$$

$$E(\text{b-jet}) + E(\text{b-jet}) \Rightarrow E(\text{B-hadron}) + E(\text{B-hadron})$$

$$m(\text{b-jet}, \text{lepton}) \Rightarrow m(\text{B-hadron}, \text{lepton})$$

What is the current uncertainty from hadronization modeling?

How precisely we need to tune the models on (top quark specific) data?

insisting on hadrons

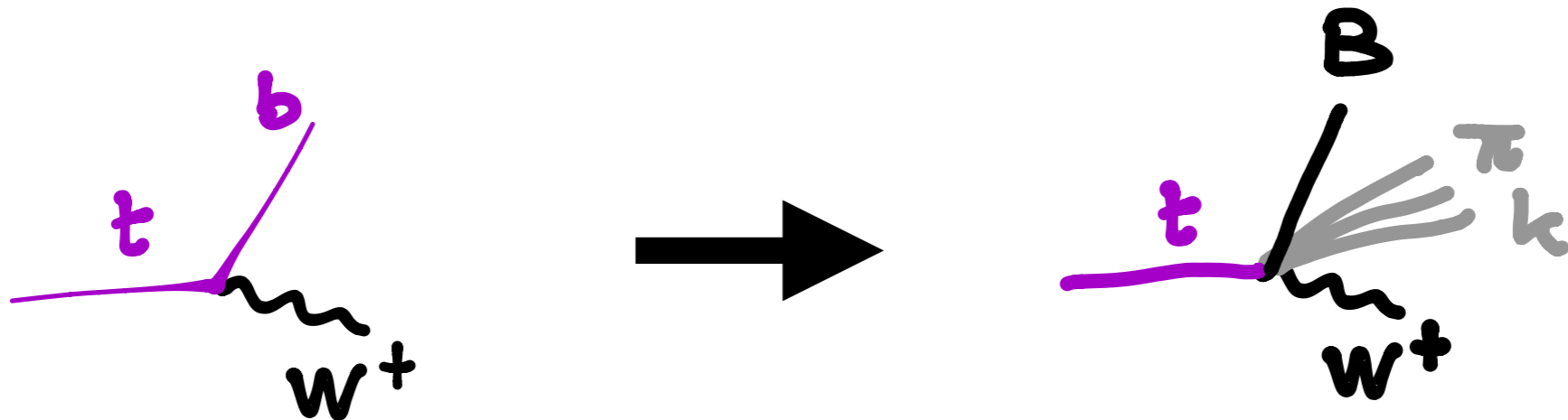
For each observables used in top quark mass measurement with b-jets a derived observable can be defined using the B-hadron instead of the b-jet (and JES \leftrightarrow Hadronization)

	FWHM Mellin-1	Peak-fit	End-fit
$E(\text{b-jet}) \Rightarrow E(\text{B-hadron})$	★	★	
$p_T(\text{b-jet}) \Rightarrow p_T(\text{B-hadron})$	★		
$E(\text{b-jet}) + E(\text{b-jet}) \Rightarrow E(\text{B-hadron}) + E(\text{B-hadron})$	★		
$m(\text{b-jet}, \text{lepton}) \Rightarrow m(\text{B-hadron}, \text{lepton})$	★		★

What is the current uncertainty from hadronization modeling?

How precisely we need to tune the models on (top quark specific) data?

B hadron energy peak

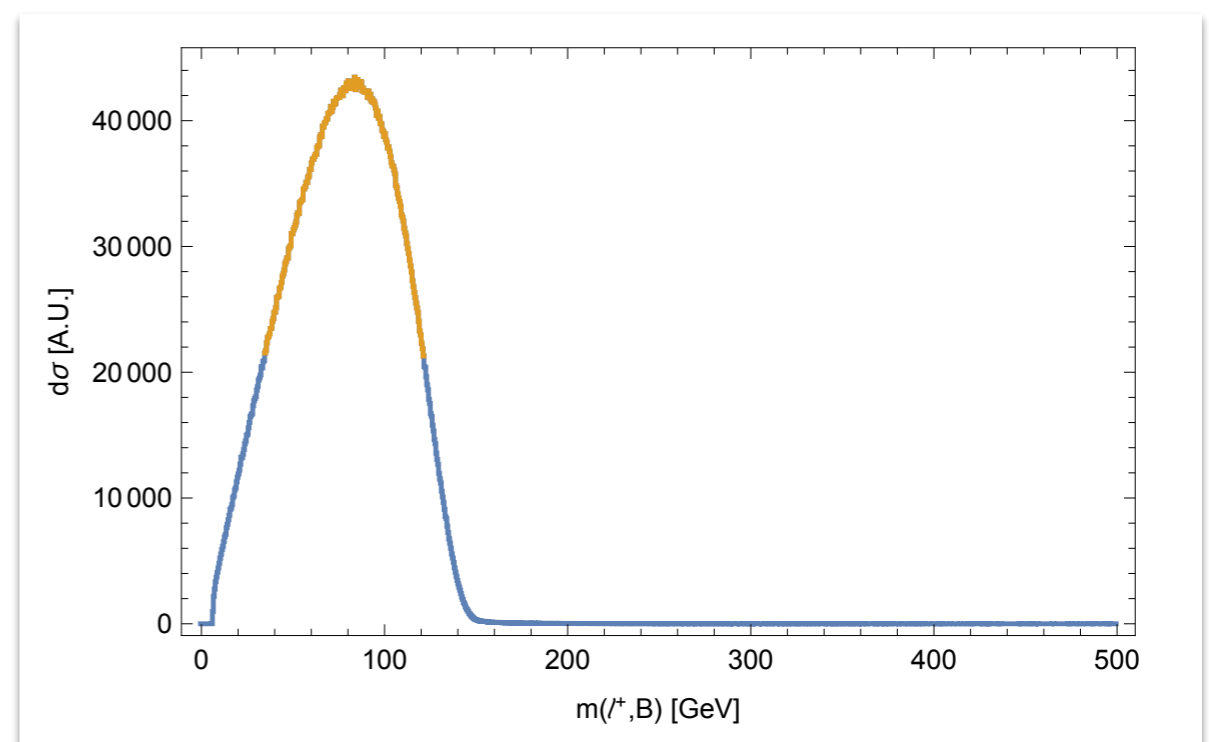
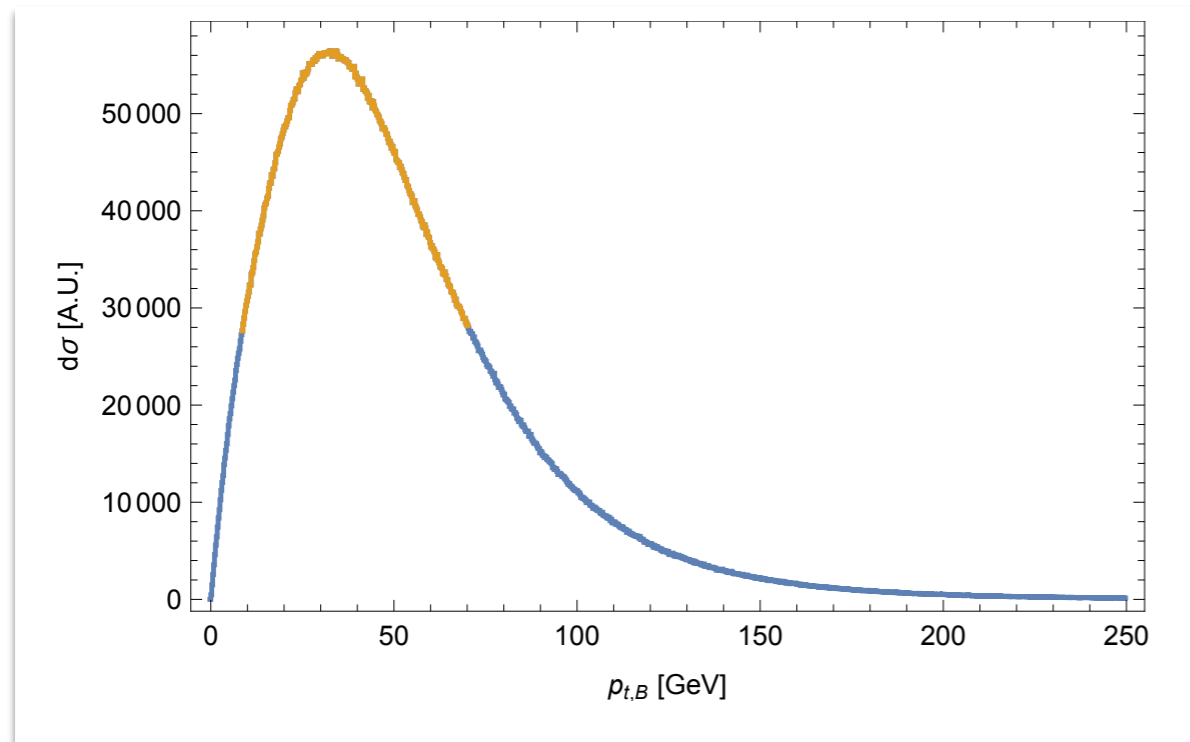
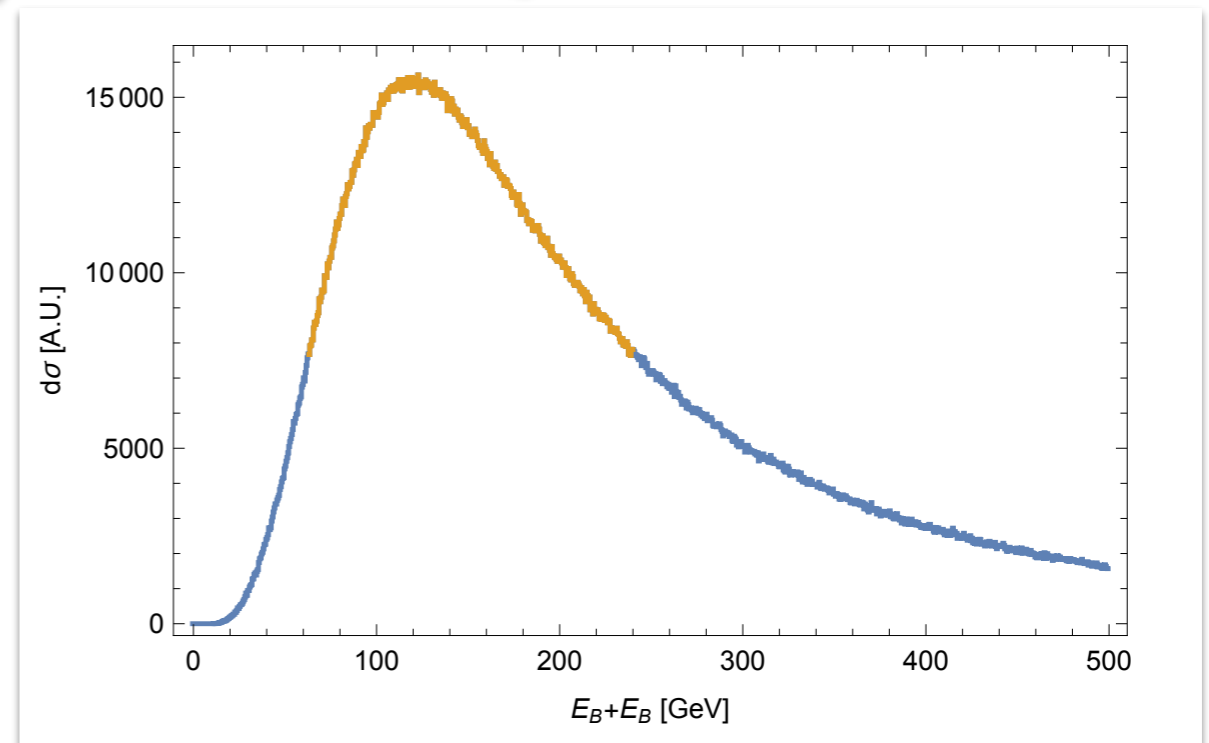
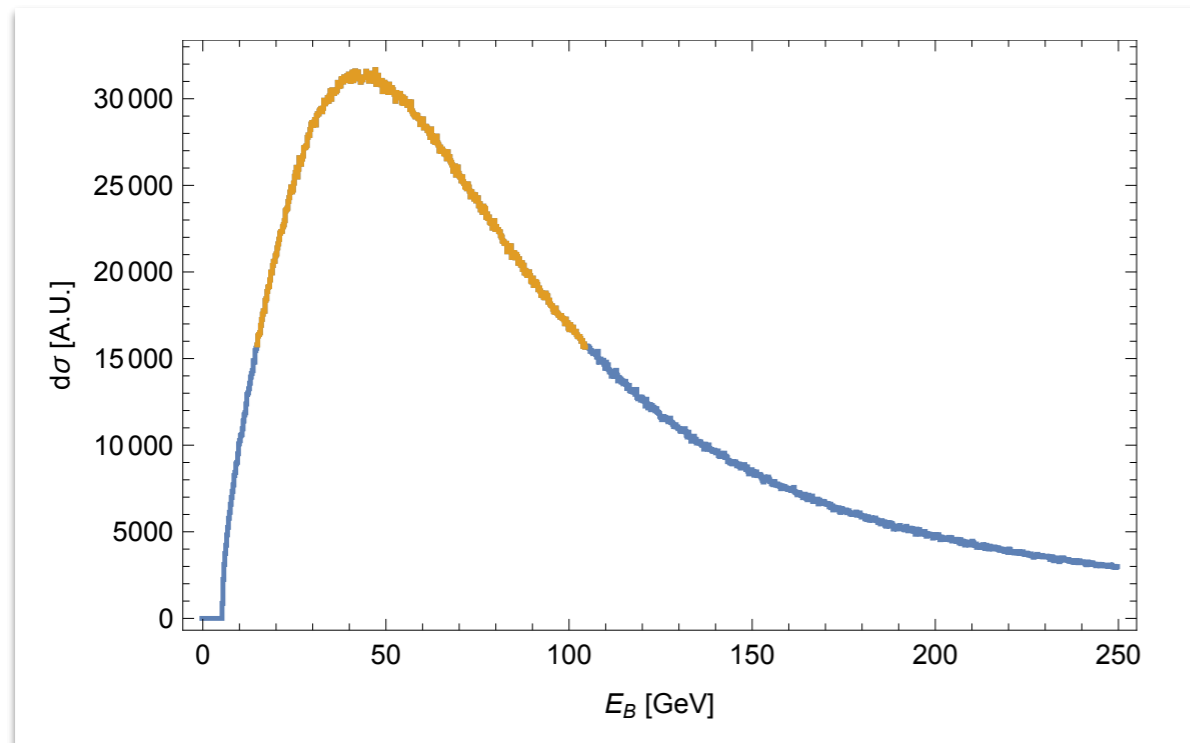


intrinsically a multi-body decay

less protected by the “invariance”

Pythia 8.2

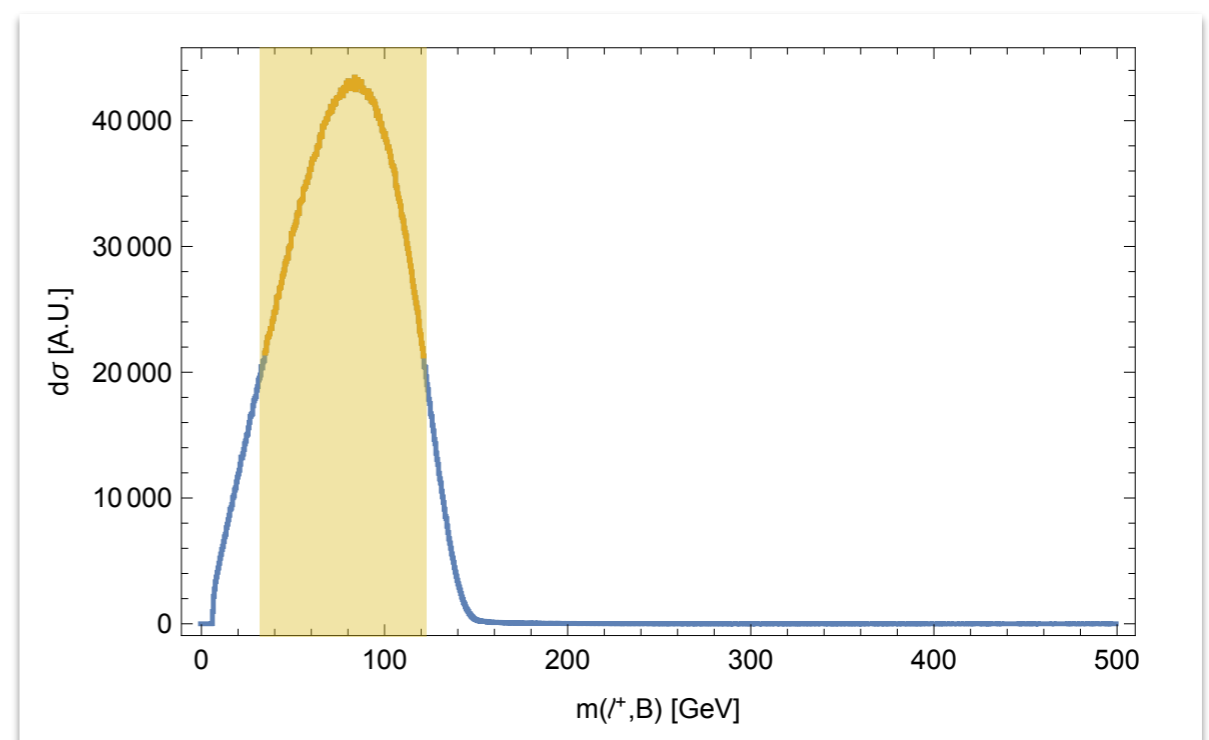
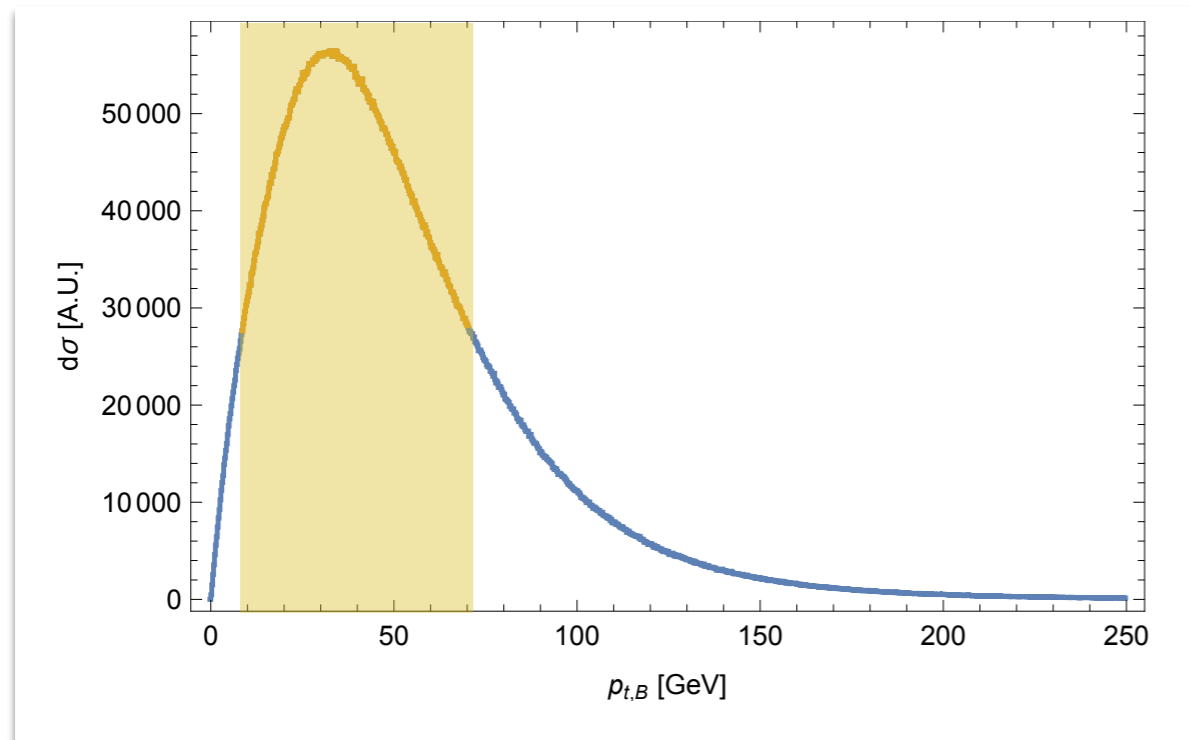
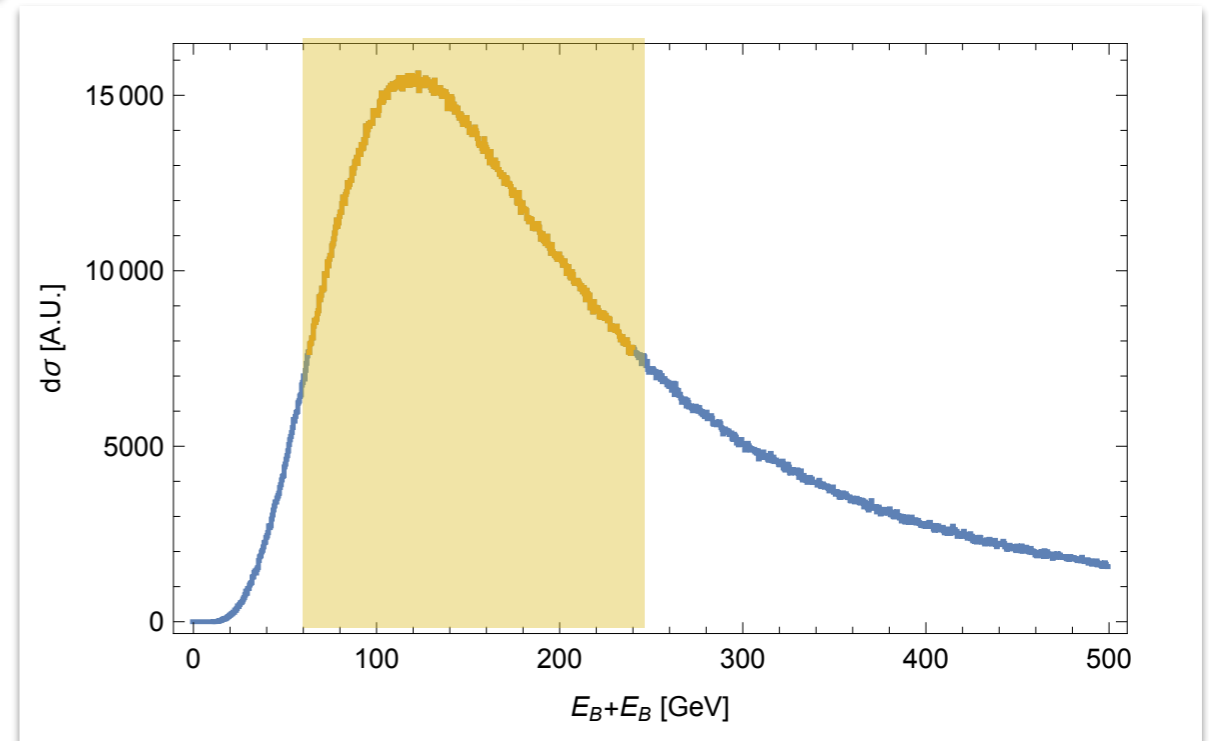
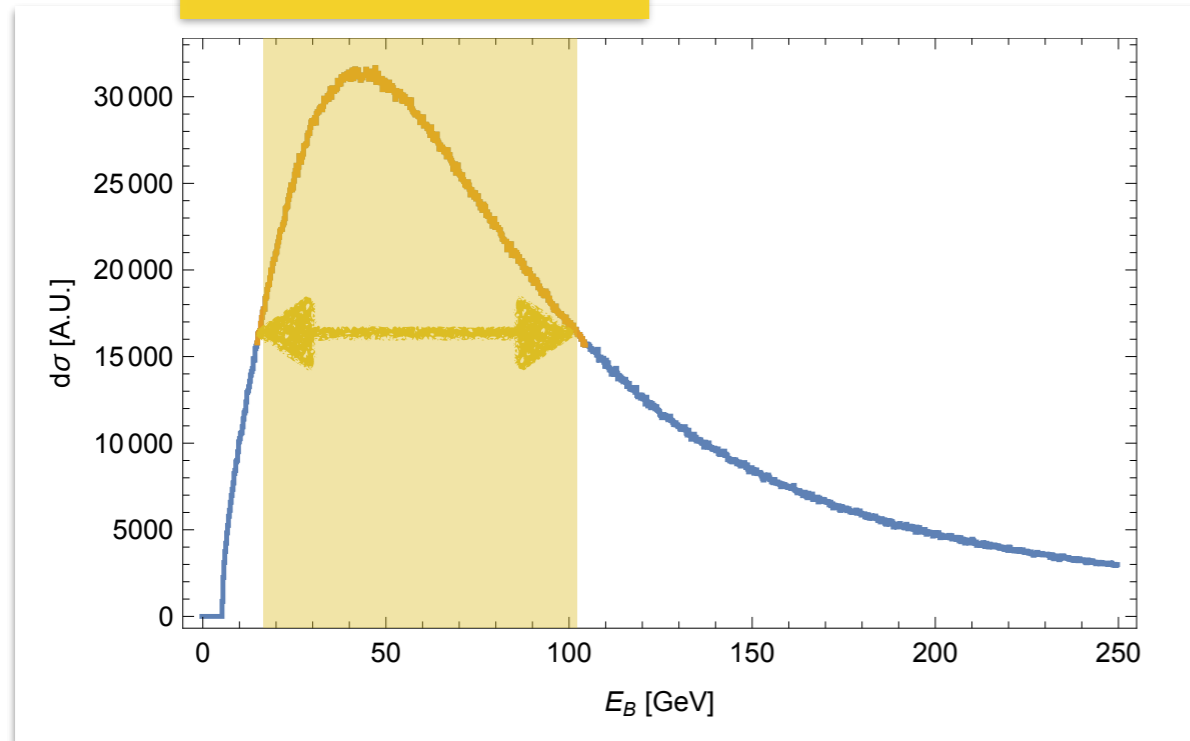
hadron sensitivity to Lund-Bowler r_b



Pythia 8.2

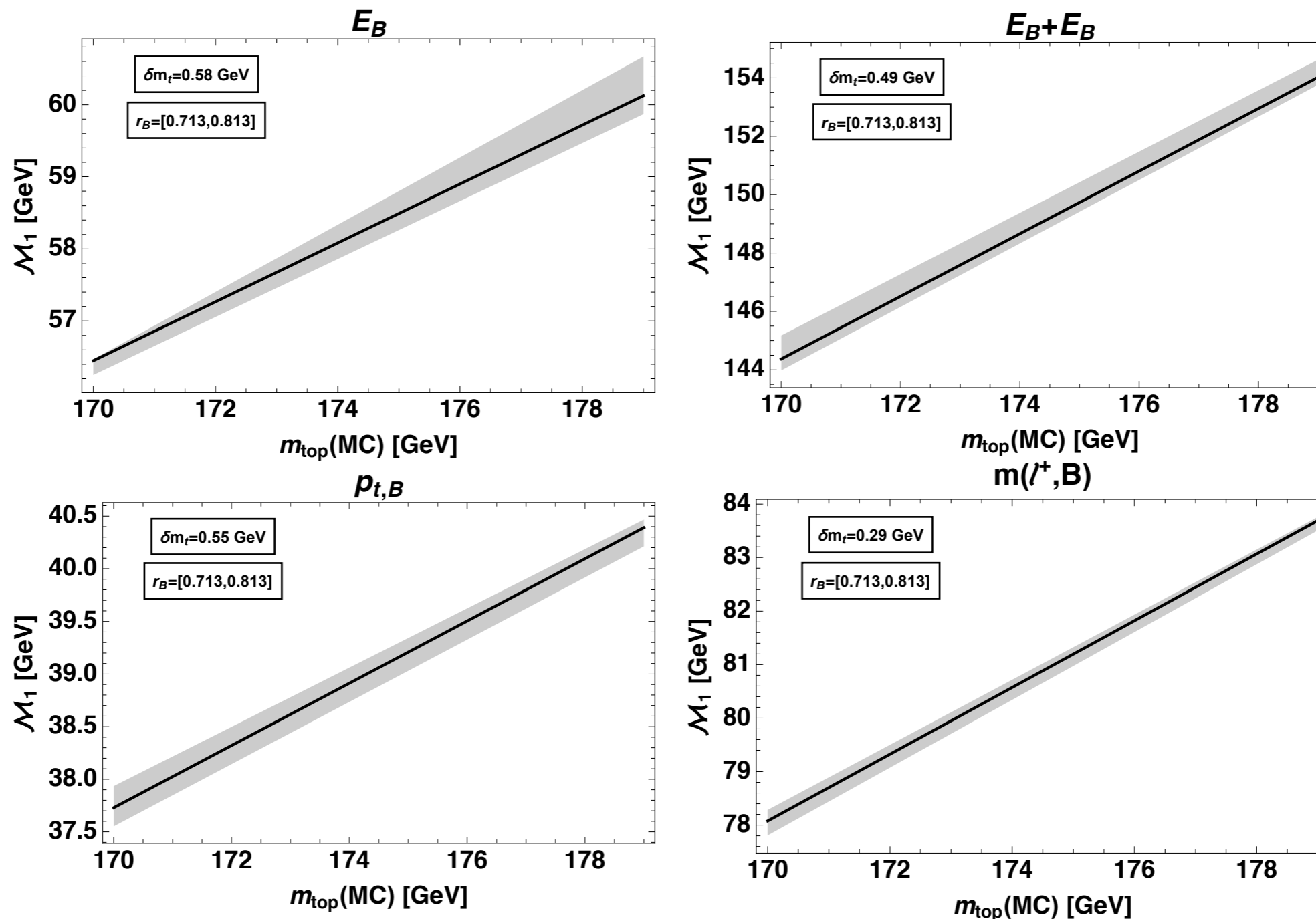
FWHM
used to compute
Mellin-1

hadron sensitivity to Lund-Bowler r_b



Pythia 8.2

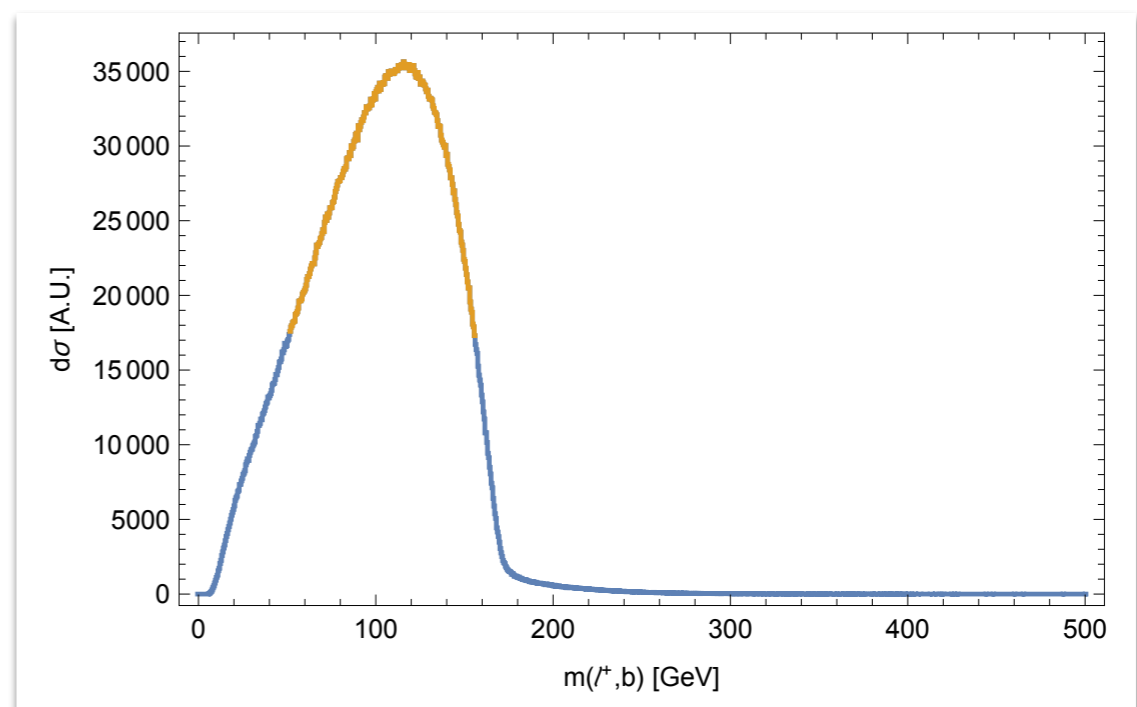
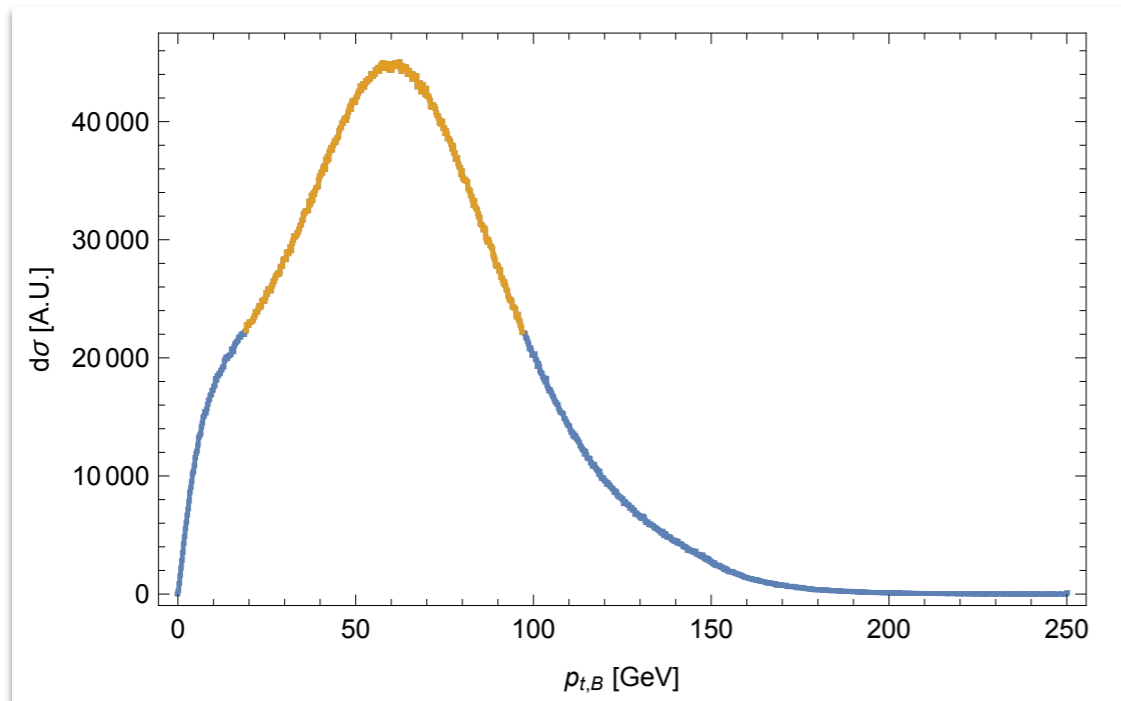
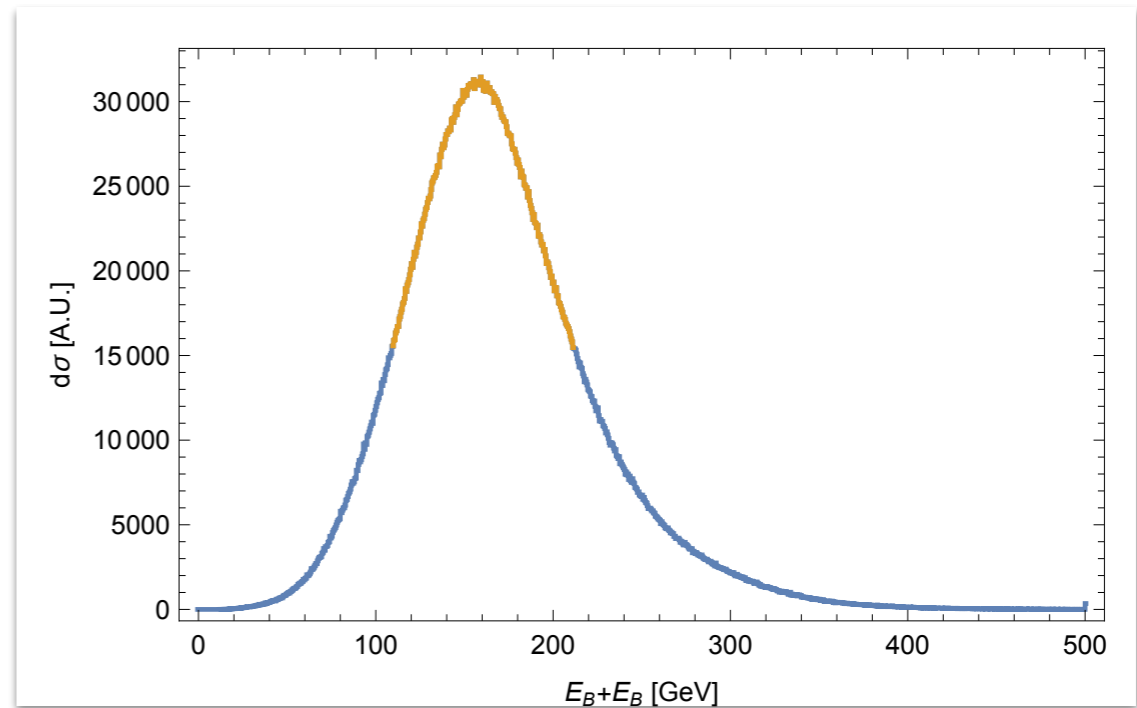
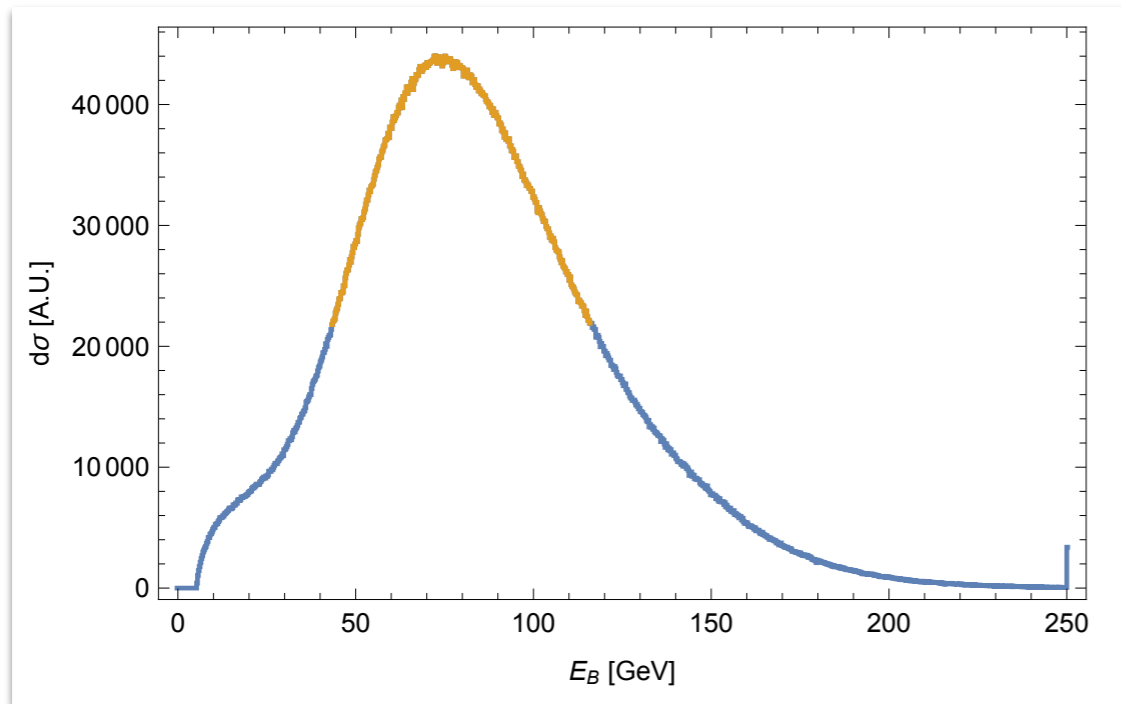
hadron sensitivity to Lund-Bowler r_b



FYI: Pythia 8.1 \rightarrow 8.2: r_b 0.67 \rightarrow 0.855

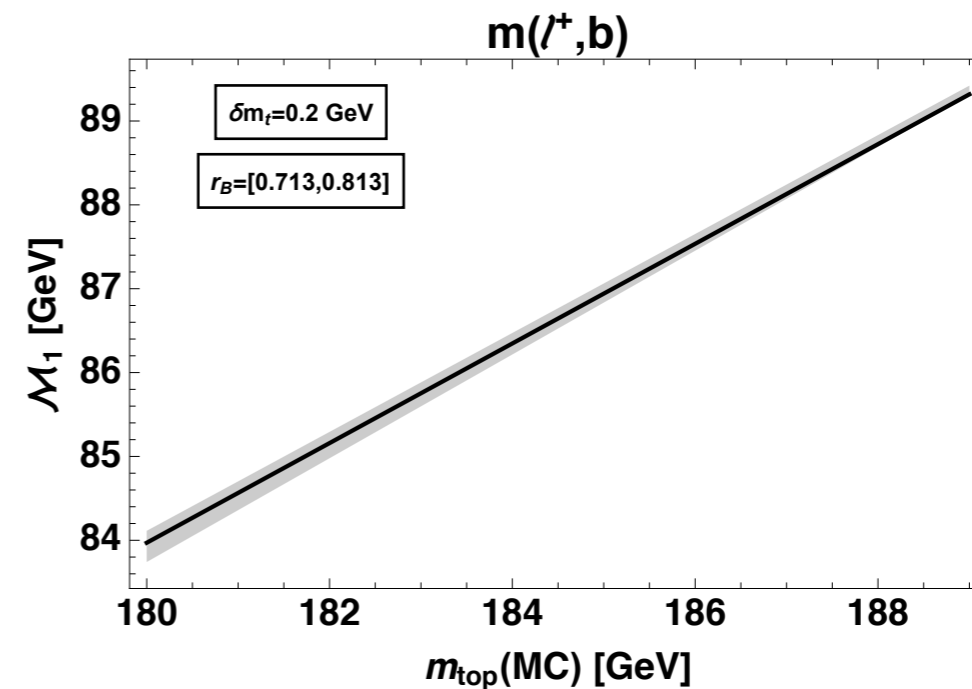
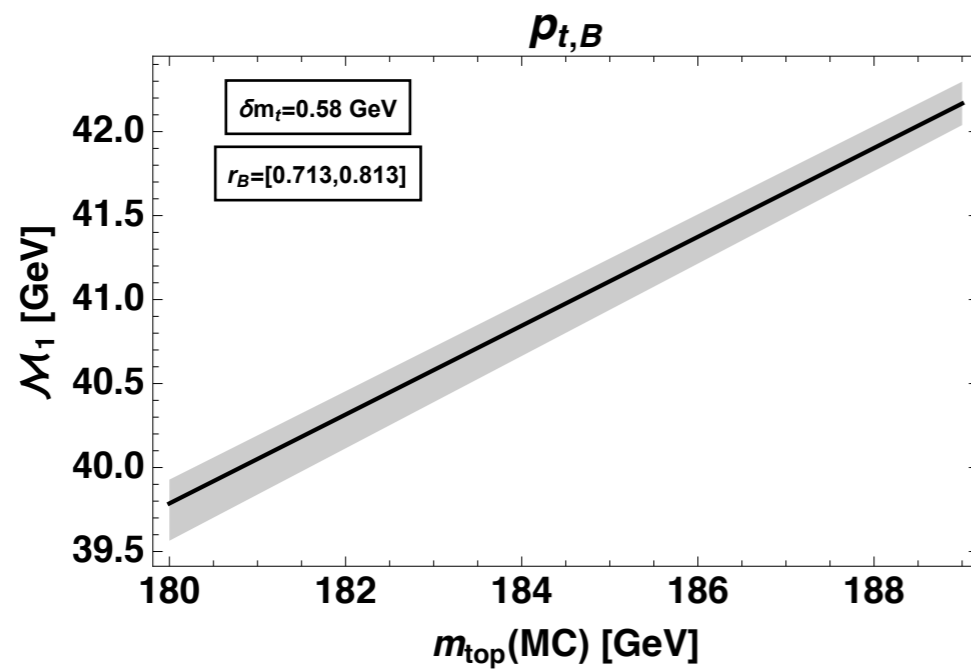
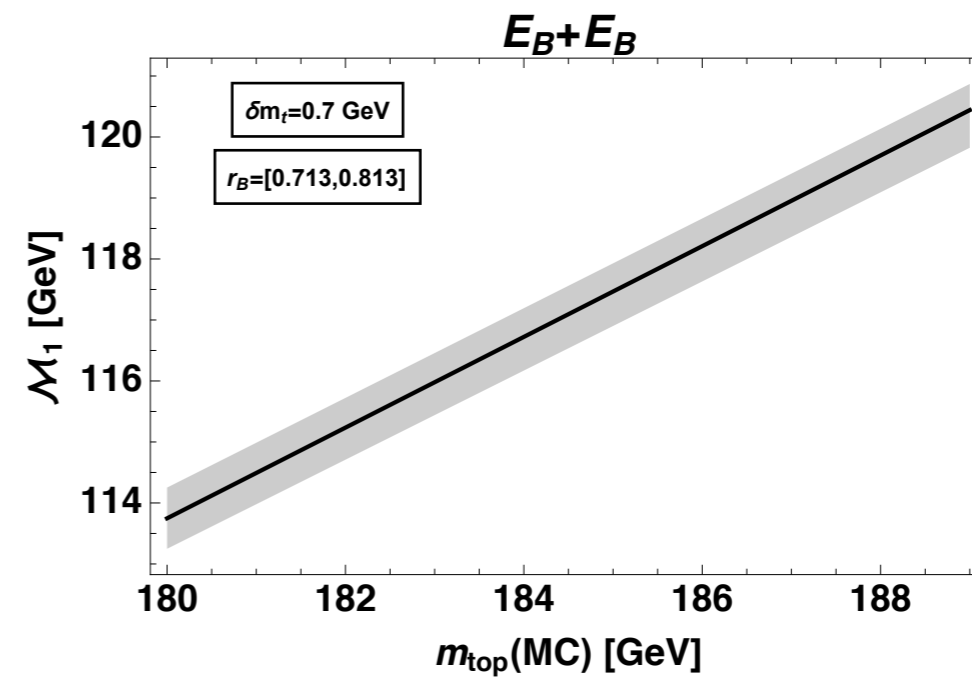
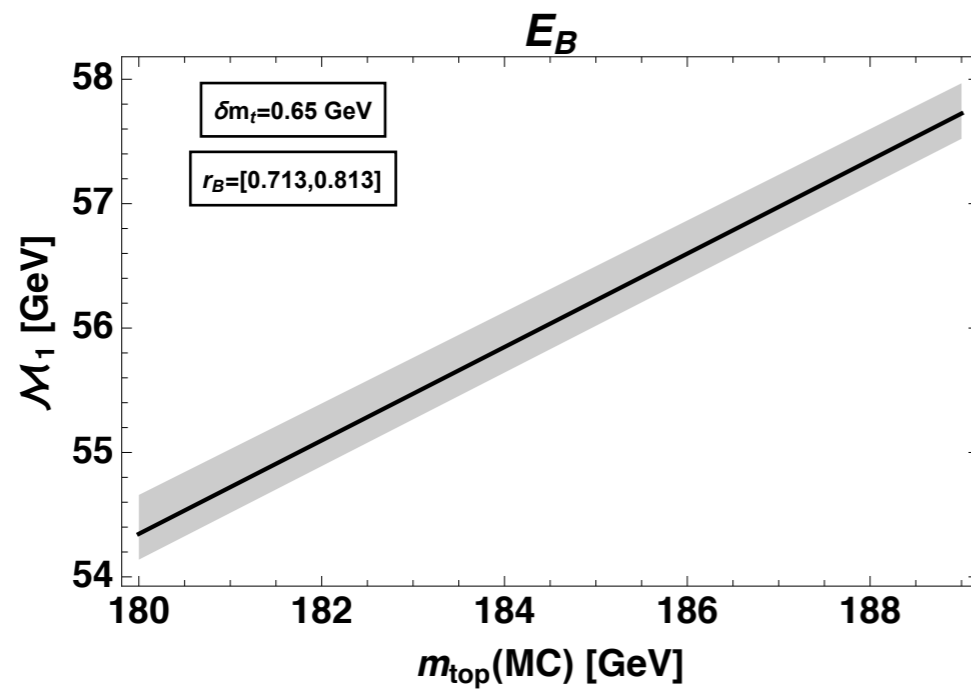
Pythia 8.2

hadron sensitivity to Lund-Bowler r_b



Pythia 8.2

hadron sensitivity to Lund-Bowler r_b



FYI: Pythia 8.1 \rightarrow 8.2: r_b 0.67 \rightarrow 0.855

Herwig 7.0.1

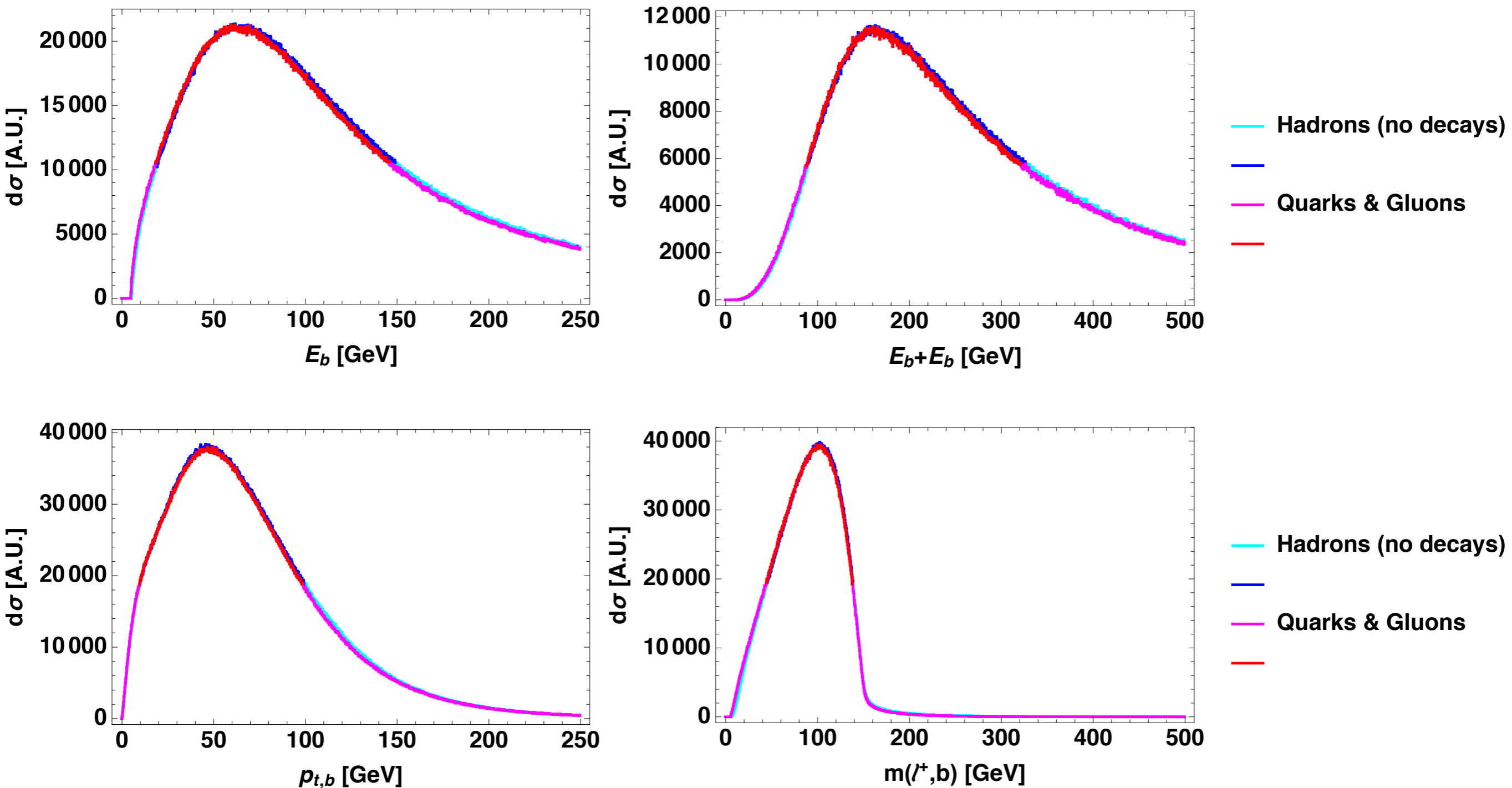
will do

back to jets

... and their intrinsic uncertainties

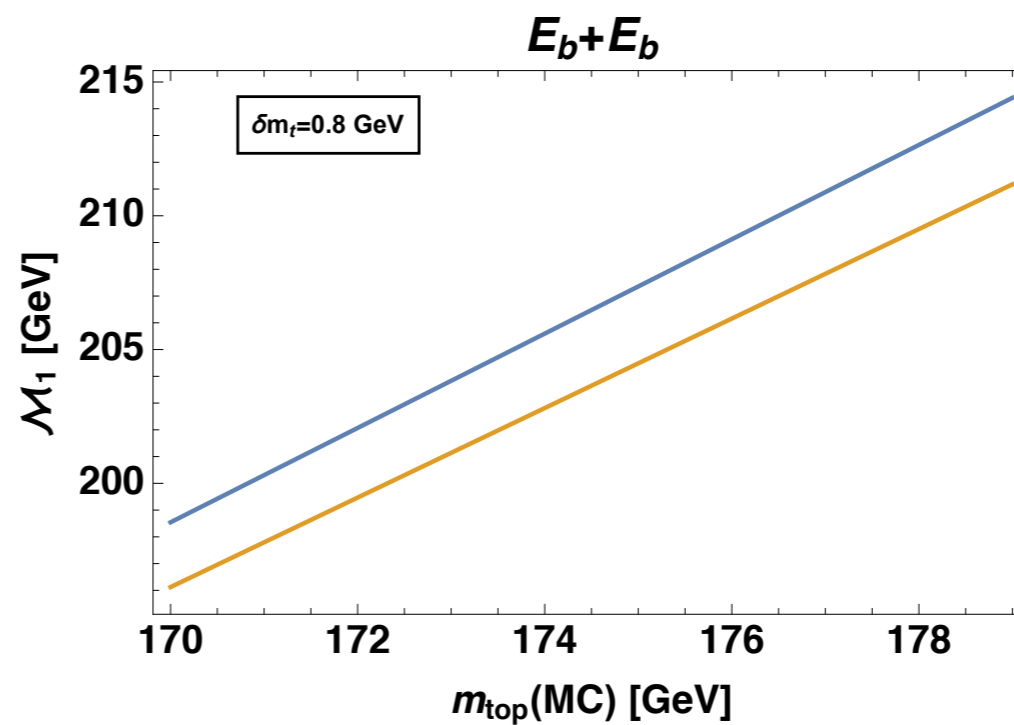
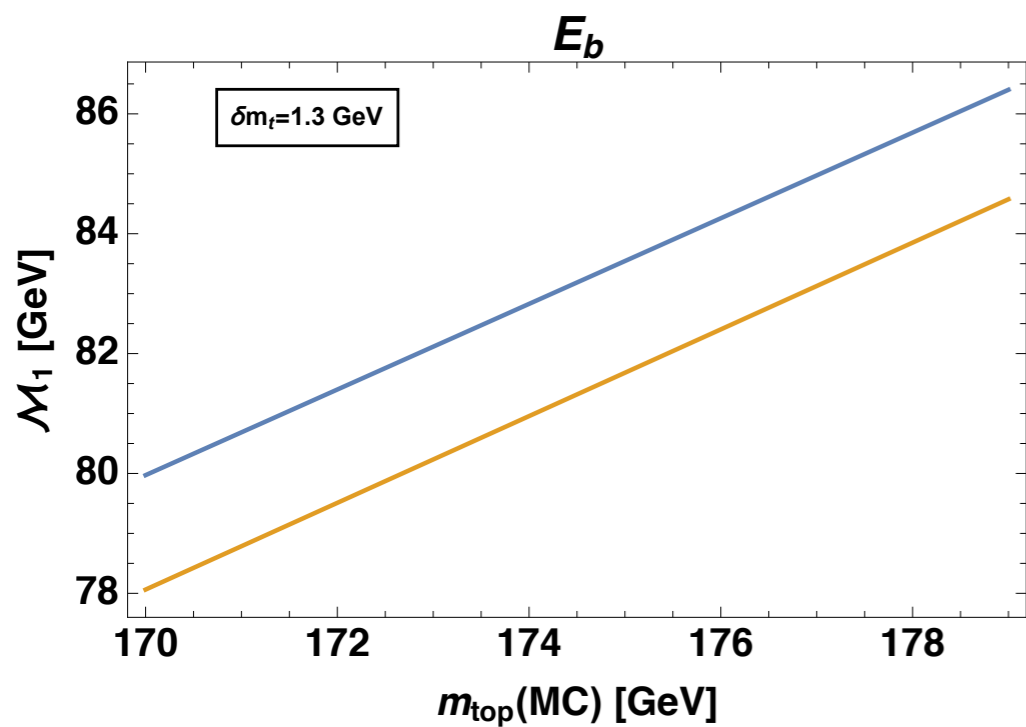
Pythia 8.2

jet sensitivity to hadronization

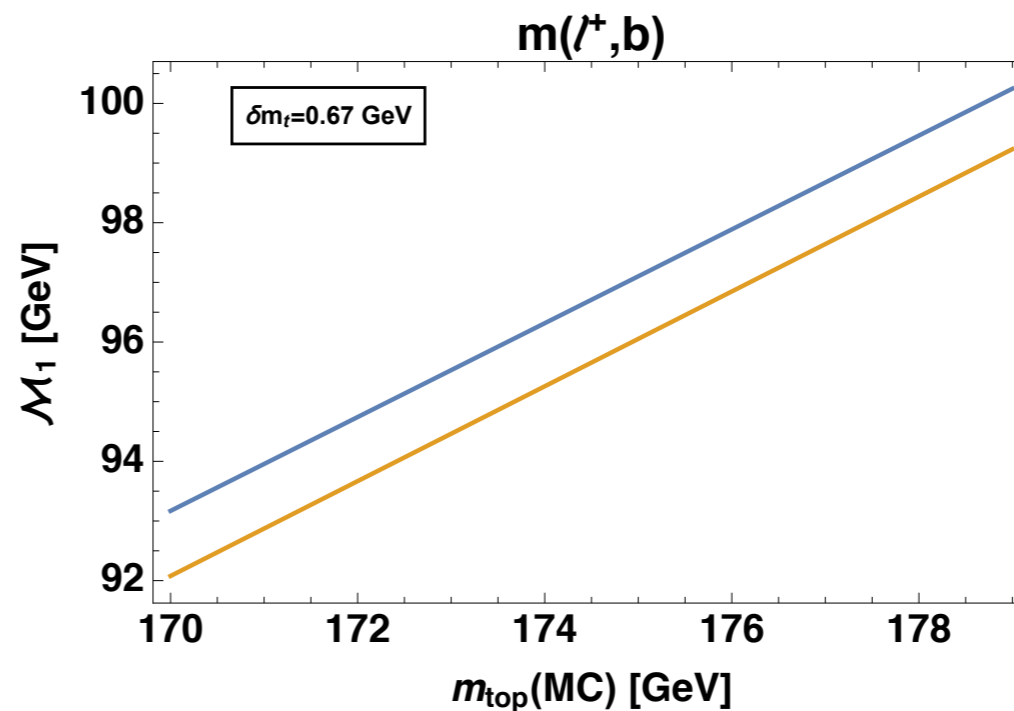
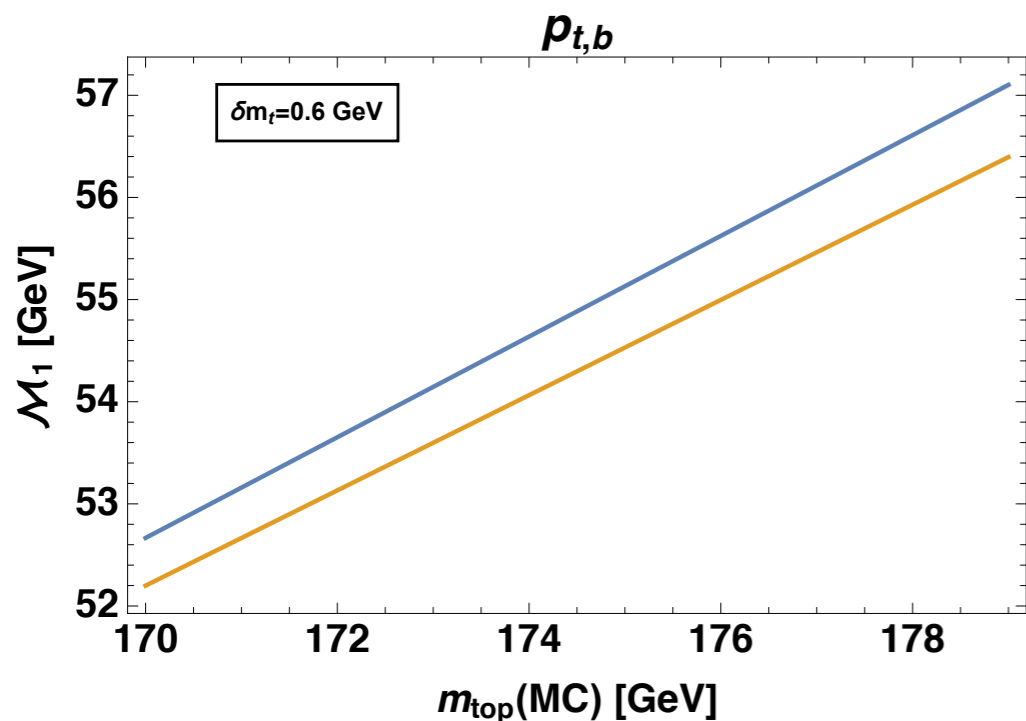


Pythia 8.2

jet sensitivity to hadronization



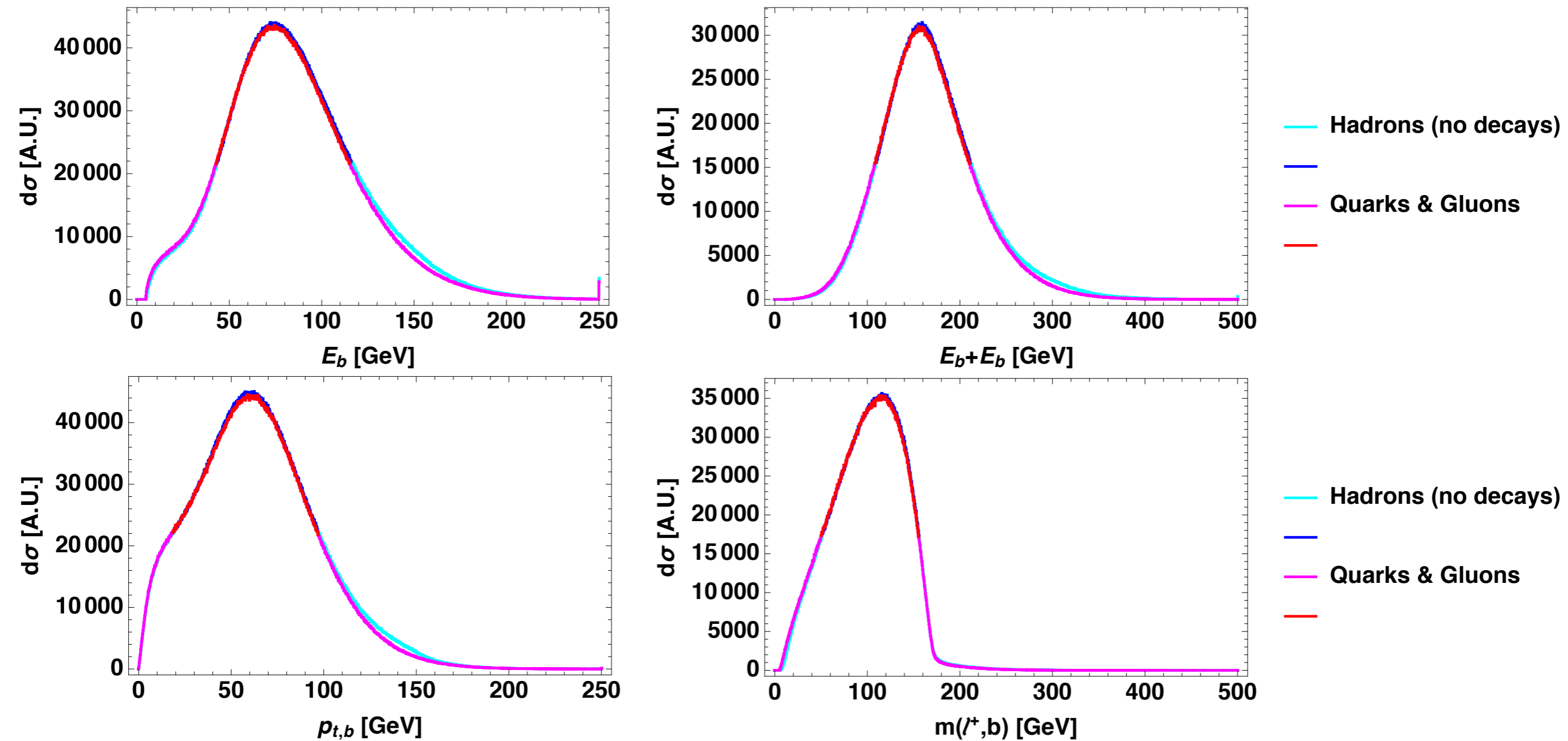
— Hadrons (no decays)
— Quarks & Gluons



— Hadrons (no decays)
— Quarks & Gluons

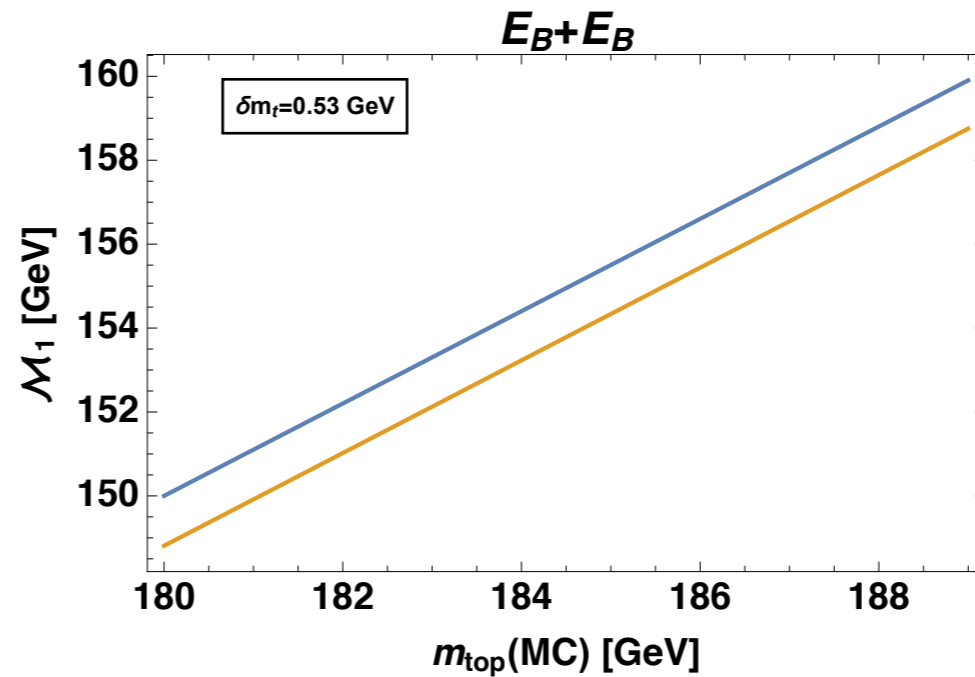
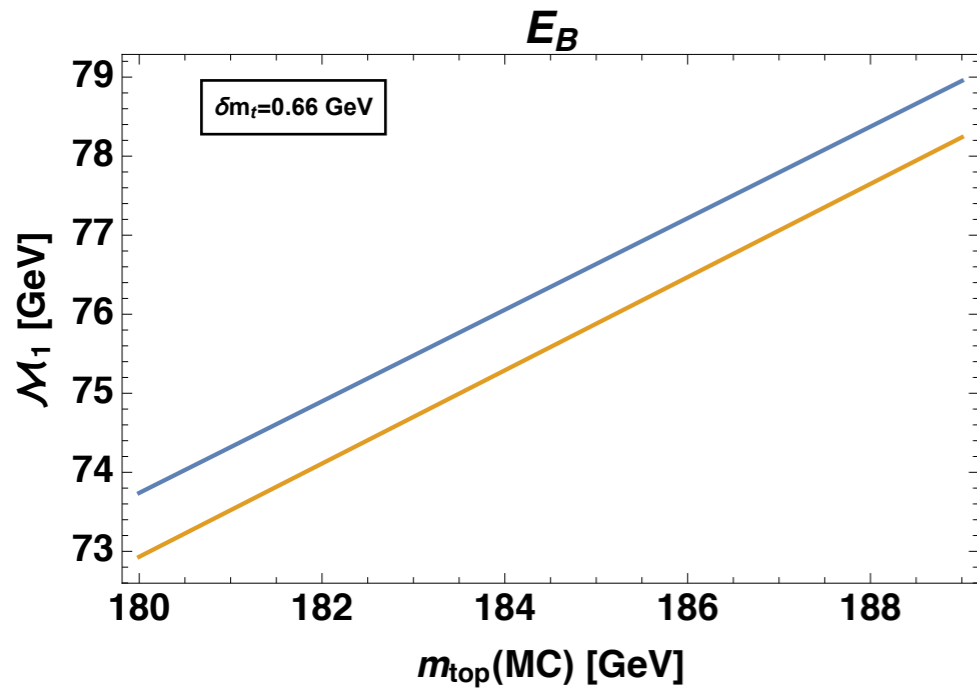
Pythia 8.2

jet sensitivity to hadronization

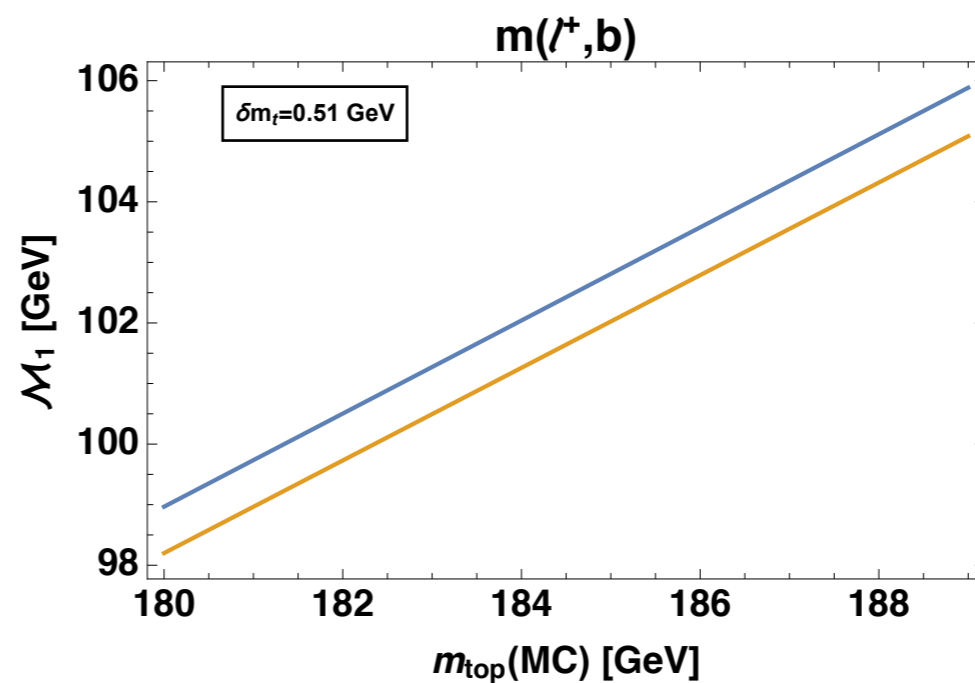
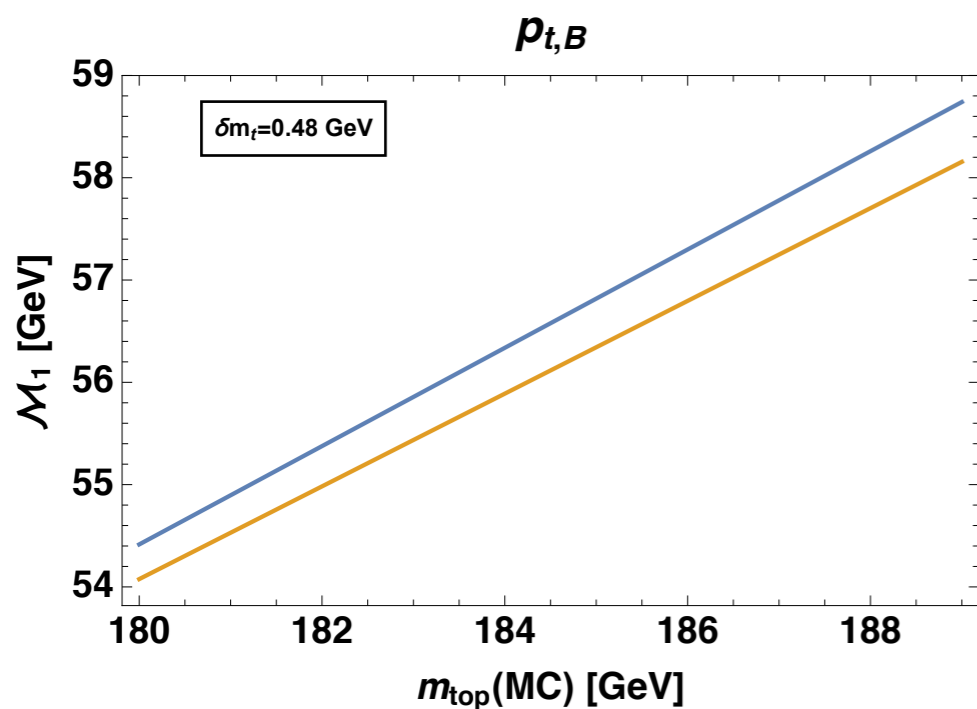


Pythia 8.2

jet sensitivity to hadronization



— Hadrons (no decays)
— Quarks & Gluons



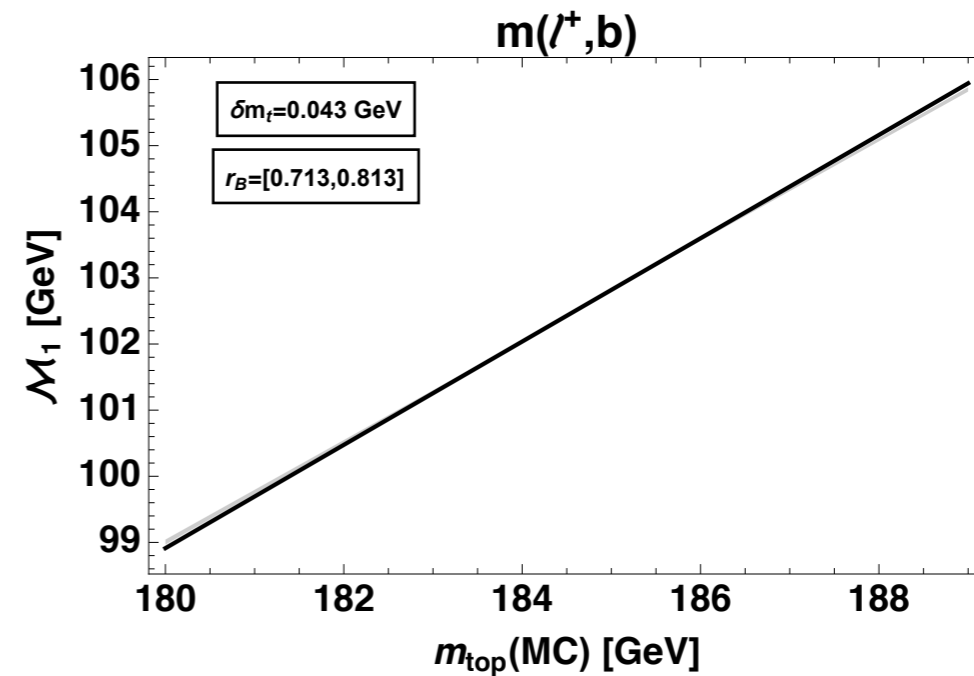
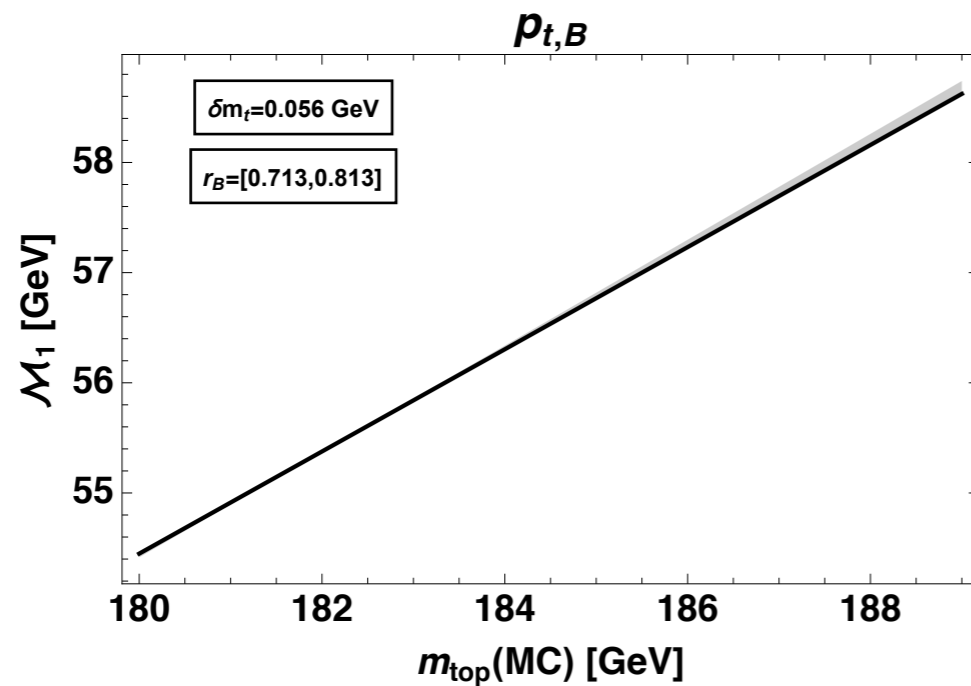
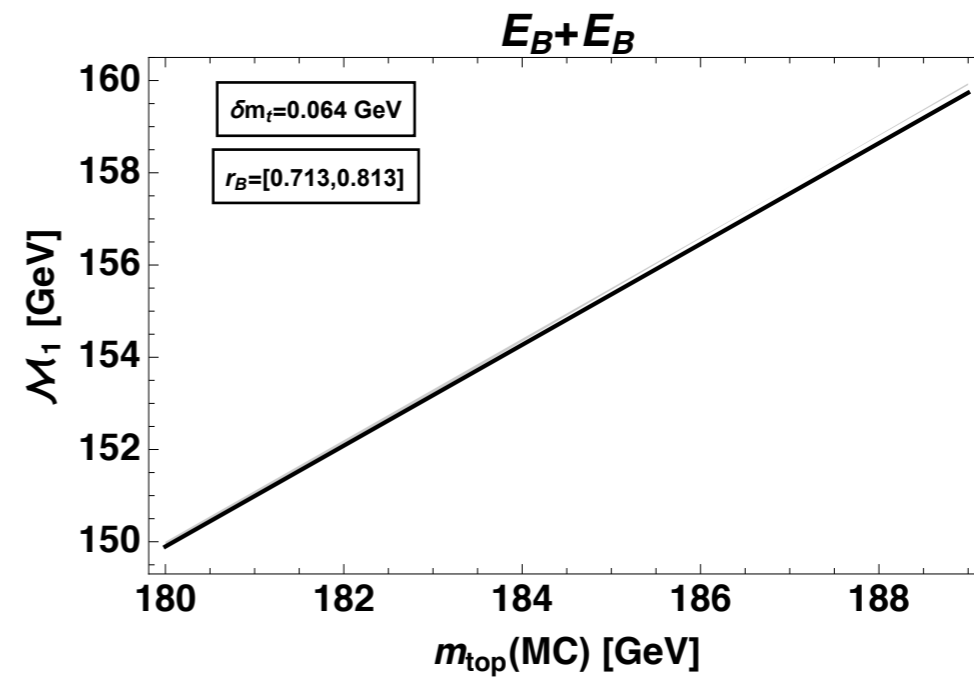
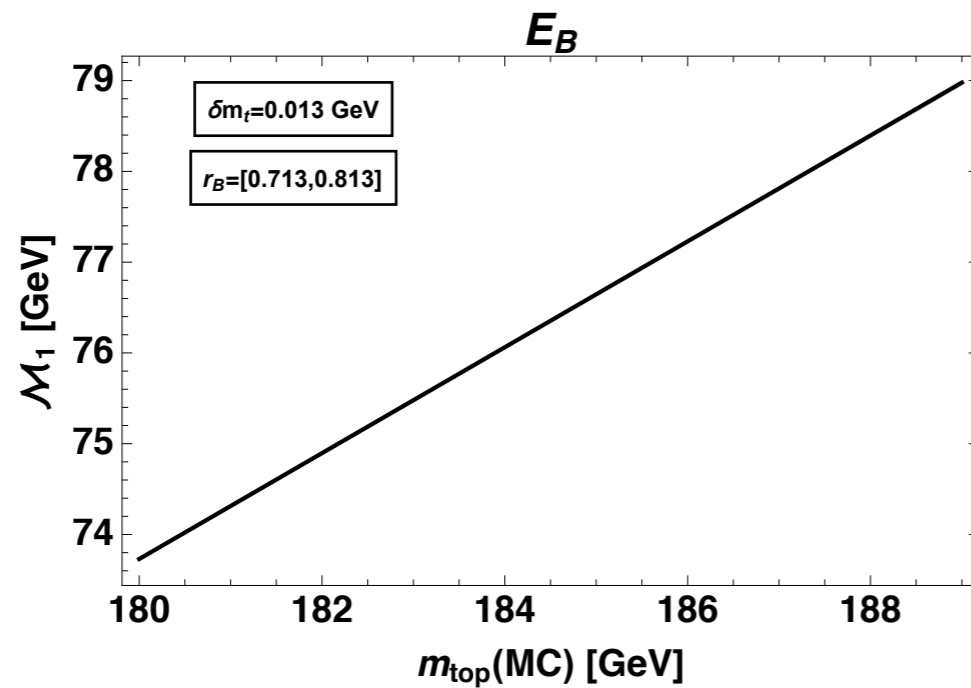
— Hadrons (no decays)
— Quarks & Gluons

Pythia 8.2

$p\bar{p}$ @ $\sqrt{s}=1$ TeV

pp @ $\sqrt{s}=13$ TeV

jet (in)sensitivity to Lund-Bowler r_b



Summary

b-jets

- **b-jet energy peaks “invariance” holds** when only **NLO production** corrections are considered
- full NLO gives **$\delta m_{\text{top}} \approx \pm 0.6$ GeV scale sensitivity** mostly arising from **description of decay**
- **NNLO decay** description of jets would probably be enough to make a solid prediction at **$\delta m_{\text{top}} \approx \Lambda_{\text{QCD}}$**

Summary

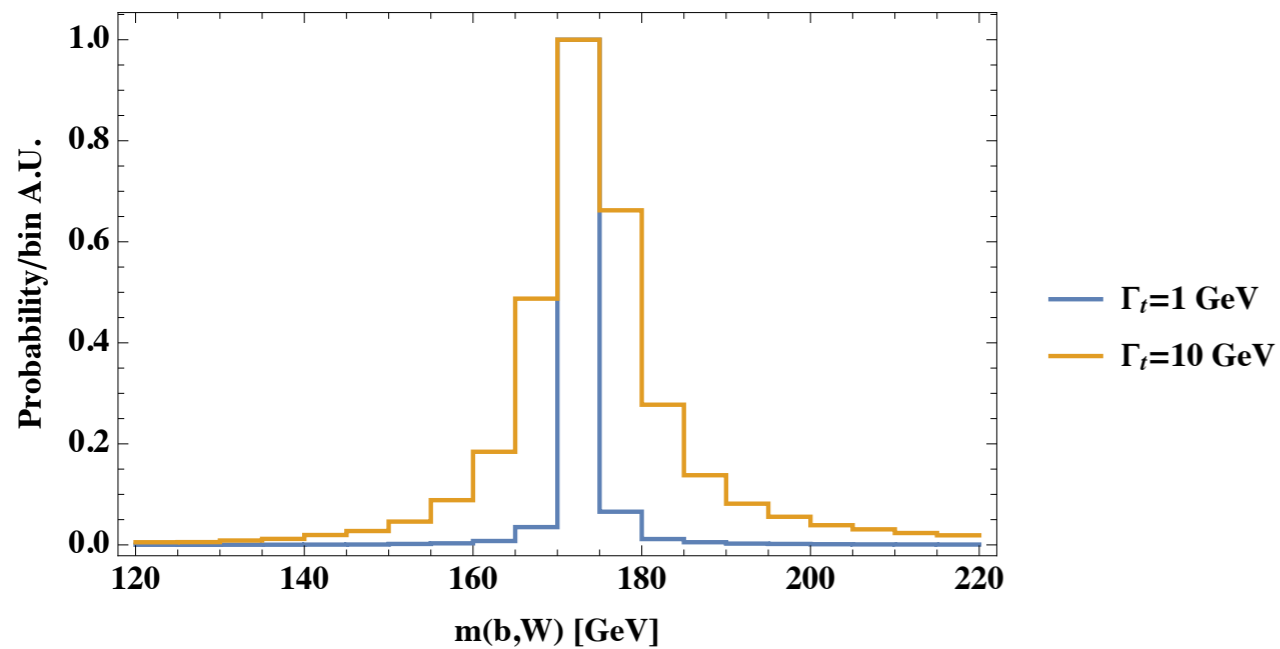
B-hadrons

- **Transform jet observables into B-hadron observables** (JES \leftrightarrow Hadronization)
- B-hadron **fragmentation scale sensitivity** dominates Energy spectrum prediction from fragmentation function
- Fragmentation models in MCs need **tuning in top quark specific data** for other observables

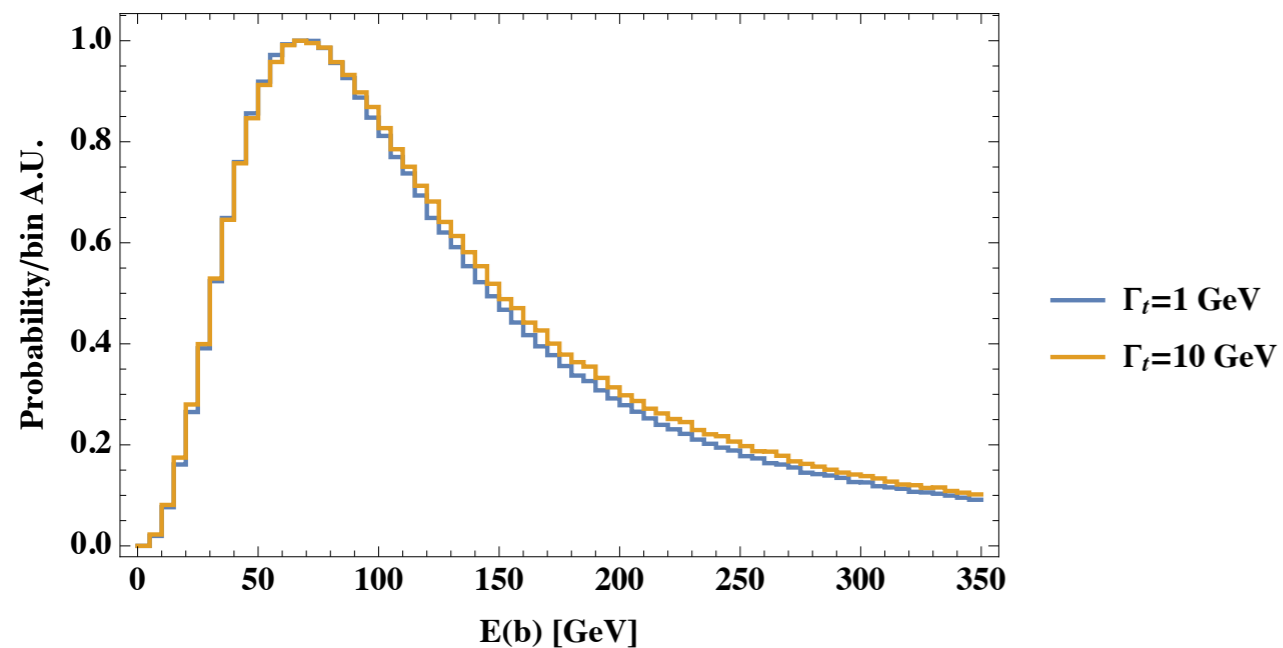
Thank you!

$$\log(1+x) \approx x$$

Width effect



Small effects from the
top width
 $\delta m \sim 0.2 \Gamma$



	Estimate	Error estimate
const	172.767	0.077694
lin	0.194153	0.00544191

