

Ionospheric Langmuir probe electron temperature asymmetry and magnetic field orientation

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Outline

T_e anisotropy

Numerical
approach

Results

Summary

- ① CHAMP electron temperature anisotropy
- ② Numerical approach
- ③ Simulation results
- ④ Summary

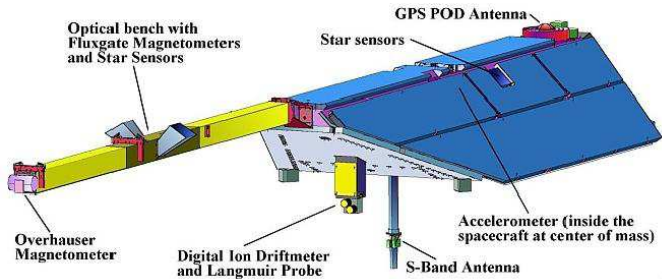
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¹http://op.gfz-potsdam.de/champ/systems/main_SYSTEMS.html

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- In orbit from July 15, 2000 until September 19, 2010
- Map Earth magnetic and gravitational fields.
- Atmospheric research
- Monitor ionospheric plasma parameters: n_e , T_e .

Problem: Electron temperature anisotropy²

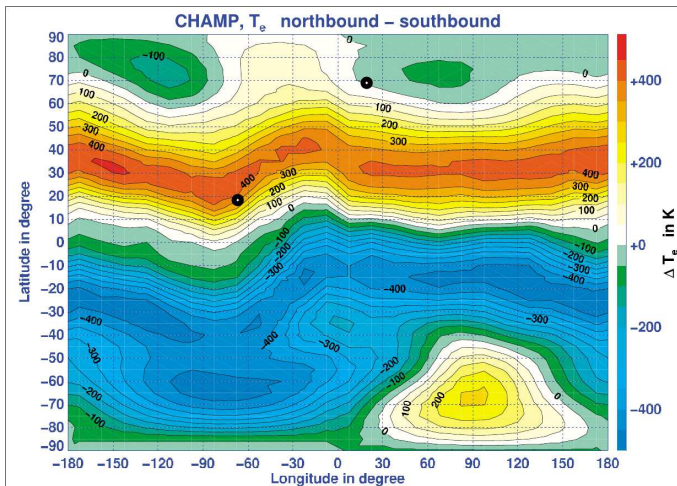
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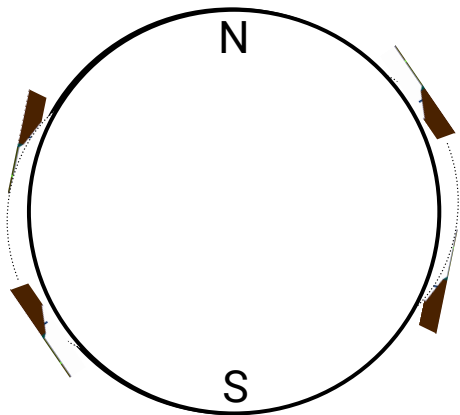
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The distribution function of collected electrons depend on whether or not the Planar Langmuir Probe (PLP) is “magnetically connected” with other upstream satellite components.

Numerical approach - PTetra¹

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- Fully kinetic PIC with physical charges and masses.
- Explicit, electrostatic.
- Unstructured adaptive tetrahedral mesh.
- Arbitrary distribution functions of background particles.
- Photoelectron and secondary electron emission.
- Optional biasing of selected satellite components.
- Null collision model of charge exchange collisions.
- Single-processor and multi-processor (MPI) versions.
- **1st order perturbed magnetic fields.**
- **Extended to account for electrons or ions injection:**
 - from any number of satellite components,
 - with arbitrary particle distribution functions.

¹Marchand, IEEE Trans. Plasma Sci., Vol. 40, 2012

Geometry and simulation parameters

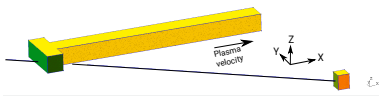
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$n_e = n_i$	10^{10} m^{-3}
$T_e = T_i$	0.1 eV
ion species	100% H^+
\vec{B}	$(36.6, 0, \pm 8.56) \mu\text{T}$
electron plasma frequency	$5.64 \times 10^6 \text{ s}^{-1}$
electron thermal Larmor radius ρ_e	2.84 cm
ion thermal Larmor radius ρ_i	1.21 m
electron Debye length λ_{De}	2.35 cm
plasma ram velocity \vec{v}_r	$(7673, 0, 0) \text{ m/s}$

n_e at steady state

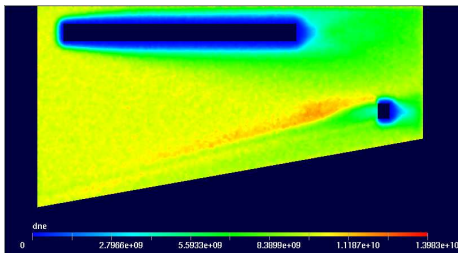
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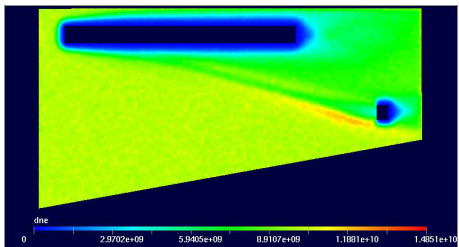
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PLP not magnetically
connected with the
boom.



PLP magnetically
connected with the
boom.

Computed with $V_{bias} = 1$ V.

Steady state with $V = 1. V$

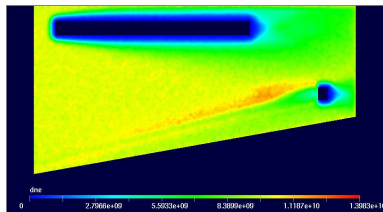
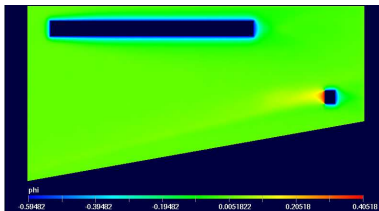
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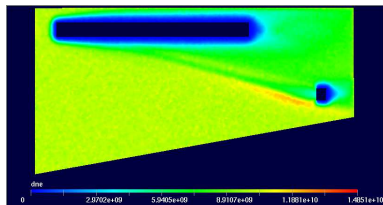
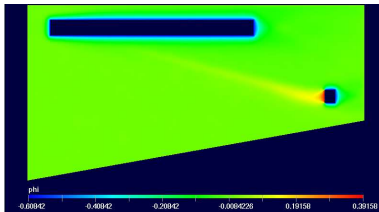
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ϕ and n_e With magnetic connection



ϕ and n_e Without magnetic connection

Computed characteristics

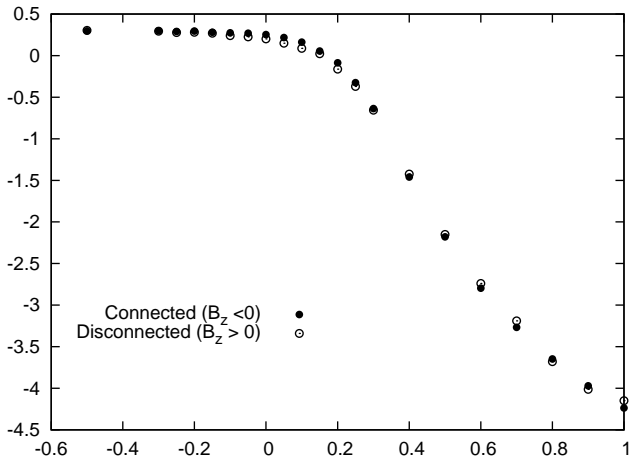
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An approximate equation for the PLP characteristic was derived by Ruther, et al.³

$$I_P = -en_e v_{orbit} A_P \left[\frac{\frac{A_P}{A_{Se}} + \frac{A_{Si}}{A_{Se}}}{\frac{A_P}{A_{Se}} + e^{-\frac{eV}{kT_e}}} - 1 \right], \quad (1)$$

where

- e is the elementary charge,
- A_P is the probe area,
- A_{Se} and A_{Si} are respectively the effective satellite electron and ion collection areas (excluding PLP),
- v_{orbit} is the satellite orbital speed.

³Radio Science, VOL. 45, RS6020, doi:10.1029/2010RS004445, 2010 

- Equation 1 is an equation for I_P vs. V depending nonlinearly on four adjustable parameters α_{1-4} .

$$\alpha_1 = en_e v_{orbit} A_P \mu A$$

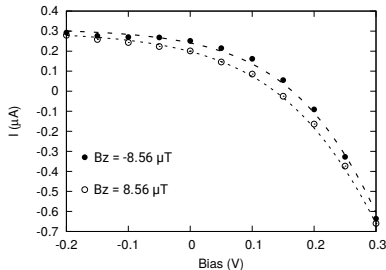
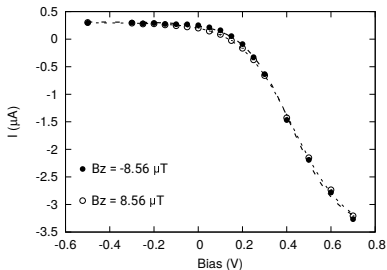
$$\alpha_2 = (A_P + A_{Si}) / A_{Se}$$

$$\alpha_3 = A_P / A_{Se}$$

$$\alpha_4 = T_e \text{ (eV)}$$

- An absolute minimum is found with a straightforward Monte Carlo minimization of the square difference between the analytic and computed characteristics:

Fitted characteristics



$$I_P = -en_e v_{orbit} A_P \left[\frac{\frac{A_P + A_{Si}}{A_{Se}} + \frac{A_{Si}}{A_{Se}}}{\frac{A_P}{A_{Se}} + e^{-\frac{eV}{kT_e}}} - 1 \right]$$

$\alpha_{1-4} \setminus B_z$	$8.56 \mu\text{T}$ disconnected	$-8.56 \mu\text{T}$ connected
$\alpha_1 = en_e v_{orbit} A_P \mu\text{A}$	0.2976	0.3112
$\alpha_2 = (A_P + A_{Si})/A_{Se}$	0.3433	0.2230
$\alpha_3 = A_{Si}/A_{Se}$	0.02671	0.01908
$\alpha_4 = T_e$ (eV)	0.1187	0.1060

Comparison with observation

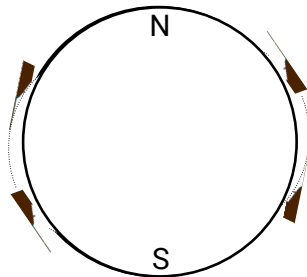
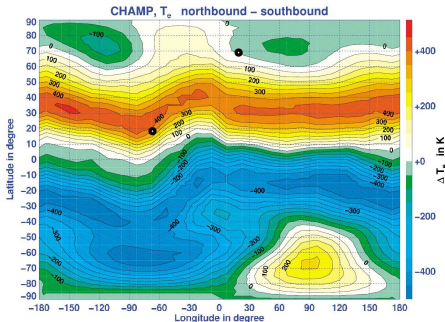
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- In the northern hemisphere, northbound - southbound \Leftrightarrow disconnected - connected, $\Rightarrow \Delta T_e \simeq 0.013 \text{ eV} \simeq 150 \text{ K}$.
- This agrees qualitatively with observation at mid-latitudes.
- Quantitative agreement is also found within a factor $\sim 2 - 3$.

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- Kinetic simulations were made to understand observed mid-latitude electron temperature northbound and southbound legs of the CHAMP orbit.
- "Magnetic connection" of the Planar Langmuir Probe (PLP) with other satellite components affects computed characteristics, and inferred temperatures.
- Differences between northbound and southbound inferred temperatures agree qualitatively with observation.
- Quantitatively computed differences compare with observation within a factor $\sim 2 - 3$.

Caveat:

- The anisotropy reverses in polar regions where \vec{B} is nearly vertical.
- This could be due to physical processes not included in the simulations, such as incident energetic particle beams, non Maxwellian electron distributions.