

Electroweak corrections in SHERPA

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Universität Zürich

SHERPA Meeting, 07/01/2016



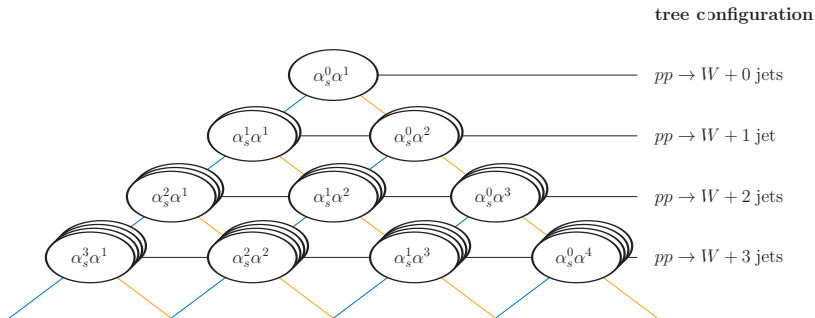
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Process management

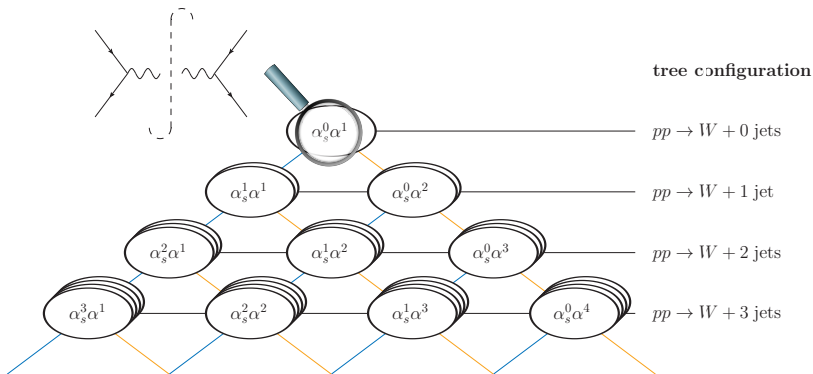
- consistent definition of orders and signature to be calculated needed



- if LO $\mathcal{O}(\alpha_s^n \alpha^m)$, then NLO QCD $\mathcal{O}(\alpha_s^{n+1} \alpha^m)$, NLO EW $\mathcal{O}(\alpha_s^n \alpha^{m+1})$
- incl. tree $\mathcal{O}(\alpha_s^{n-1} \alpha^{m+1})$ for cancel α_s scale dependence in NLO EW

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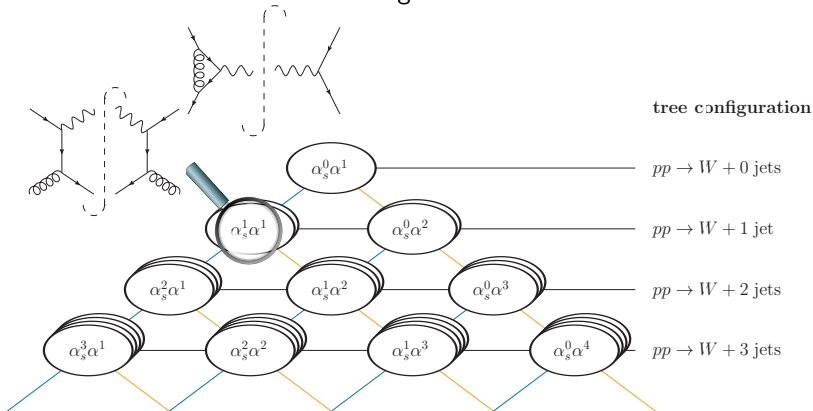
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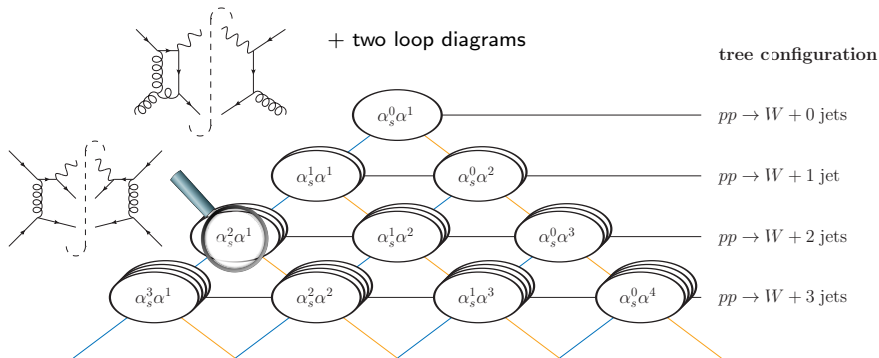
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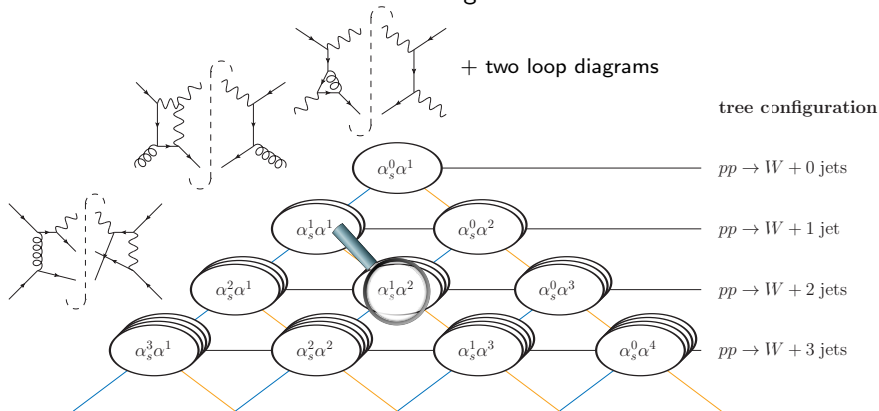
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Process management

NLO QCD process setup

```
(processes){  
  Process 98 98 -> 11 -11 98 98;  
  NLO_Mode Fixed_Order;  
  NLO_Part BVIRS;  
  NLO_Order (1,0);  
  Order (2,2);  
  Print_Graphs Graphs;  
  Loop_Generator OpenLoops;  
  End process;  
}(processes);
```

NLO EW process setup

```
(processes){  
  Process 98 98 -> 11 -11 98 98;  
  NLO_Mode Fixed_Order;  
  NLO_Part BVIRS;  
  NLO_Order (0,1);  
  Order (2,2);  
  Print_Graphs Graphs;  
  Loop_Generator OpenLoops;  
  End process;  
}(processes);
```

- NLO_Order specifies the relative coupling powers to Born process
- for RS additional 98 added in final state
- 98 contains 93 + 22 (photon)
→ need to add leptons for processes with photons at Born level

Generalised infrared safe phase space boundaries

```
(selector){
  DressedParticleSelector {
    DressingAlgorithm Cone 0.1
    % selectors on dressed momenta
    Jet_Selector {
      Input_Particles 98;
      Jet_Algorithm antikt PT:30. R:0.4 ETA:4.5;
      Identify_As 22 E>0.5[rel];
      NMin 2;
      % selectors on clustered jets
      PT      -11 25.    E_CMS;
      Y       -11 -2.5   2.5;
      PT      11 25.    E_CMS;
      Y       11 -2.5   2.5;
      Mass 11 -11 66.    116.;
      DR  11 -11 0.2 1000.;
      DR  93 11 0.5 1000.;
      DR  93 -11 0.5 1000.;
    }
  }
}(selector);
```


Infrared safe scale setting

```
(run){  
  ..  
  % standard BlackHat HT'/2 (not infrared-safe in NLO EW)  
  SCALES VAR{FSF*H_Tp2}{RSF*H_Tp2};  
  ..  
  % infrared safe definition HT'/2 by dressing partons first  
  SCALES VAR{FSF*DH_Tp2(Cone,0.1)}{RSF*DH_Tp2(Cone,0.1)};  
  ..  
}(run);
```

- scales like H_{T2} , H_{TM2} are infrared safe by constructions
- H_{Tp2} , $DH_{Tp2}(\langle \text{dressing-algo} \rangle, \langle dR \rangle)$ expect two leptons

QED subtraction

- QED real subtraction terms (RS)

$$|\mathcal{M}_{n+1}|^2 \propto \sum_{i,j} \sum_{k \neq i,j} \mathcal{D}_{ij,k} + \sum_{i,j} \sum_a \mathcal{D}_{ij}^a + \sum_{a,j} \sum_{k \neq j} \mathcal{D}_k^{aj} + \sum_{a,j} \sum_{b \neq a} \mathcal{D}_{aj,b}$$

with

$$\mathcal{D}_{ij,k} = - \frac{1}{(p_i + p_j)^2 - m_{\tilde{\nu}}^2} \frac{Q_{\tilde{\nu}} Q_{\tilde{k}} \theta_{\tilde{\nu}} \theta_{\tilde{k}}}{Q_{ij}^2} m \langle \dots, \tilde{\nu}, \dots, \tilde{k}, \dots | \mathbf{V}_{ij,k} | \dots, \tilde{\nu}, \dots, \tilde{k}, \dots \rangle_m$$

- inspect all parton pairs, check whether combination leads to divergence (splitting function exist, underlying Born exist), build subtraction term, either QCD or QED
- external massive charged bosons can be subtracted using heavy fermion, heavy boson or pure eikonal subtraction

DIPOLE_V_SUBTRACTION_MODE=<scalar|fermionic|eikonal>

QED subtraction

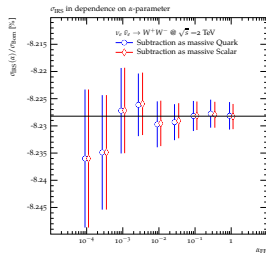
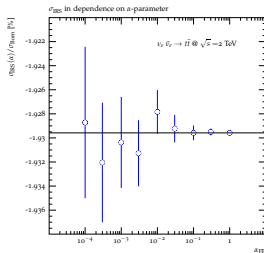
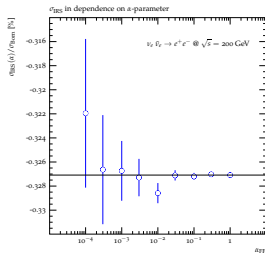
- QED integrated subtraction ($I, \mathbf{K}, \mathbf{P}$)

$$I(\epsilon, \mu^2; \kappa, \{\alpha_{\text{dip}}\}) = -\frac{\alpha}{2\pi} \frac{(4\pi)^\epsilon}{\Gamma(1-\epsilon)} \sum_i \sum_{k \neq i} Q_i Q_k \theta_i \theta_k \left(\frac{\mu^2}{s_{ik}}\right)^\epsilon F_{ik}(\epsilon, \mu^2; \kappa, \{\alpha_{\text{dip}}\})$$

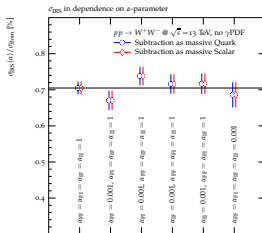
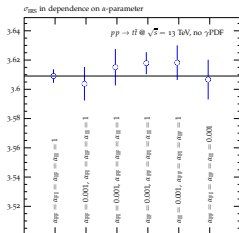
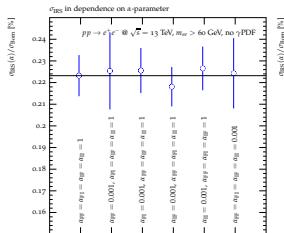
$$\mathbf{KP}(\mu^2; \kappa, \{\alpha_{\text{dip}}\}) = -\frac{\alpha}{2\pi} \sum_i \sum_{k \neq i} Q_i Q_k \theta_i \theta_k [\mathbf{K}_{ik}(\kappa, \{\alpha_{\text{dip}}\}) + \mathbf{P}_{ik}(\mu^2; \kappa, \{\alpha_{\text{dip}}\})]$$

- pair all QCD and QED partons, check whether underlying Born exists, build dipole

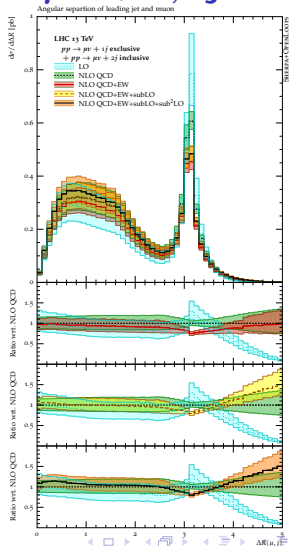
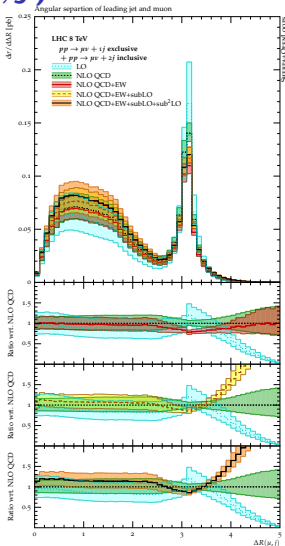
$\{\alpha_{\text{dip}}\}$ dependence – FF dipoles



$\{\alpha_{\text{dip}}\}$ dependence – all dipoles



$\Delta R(\mu, j)$ – exclusive sums $pp \rightarrow \mu\nu + 1, 2j$



External photons in Born process

- external photons need special treatment as $Q_{ij} = 0$
- only $\gamma \rightarrow f\bar{f}$ splittings, no soft singularity
 \Rightarrow no dipole-like subtraction needed
- choose any spectator(s) for momentum conservation only
DIPOLE_PFF_IS_RECOIL_SCHEME/DIPOLE_PFF_FS_RECOIL_SCHEME=<scheme>
 - 0 .. only initial state partons (default)
 - 1 .. only final state partons
 - 2 .. only charged partons
 - 3 .. only neutral partons
- real subtraction:
 \rightarrow straight forward from $g \rightarrow f\bar{f}$
- integrated subtraction terms:
 \rightarrow separate terms $\propto T_R$ from $\propto C_A$ in g results
- carefully check $\{\alpha_{\text{dip}}\}$ -dependence

Conclusion

- implementation basically done, extensive checks to be finished
- will go into trunk, should be in the next major release
- will then need extensive checks of matching/merging machinery

Thank you for your attention!