

Heavy Ion Theory

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[@CASSalgado](#) [@HotLHC](#)

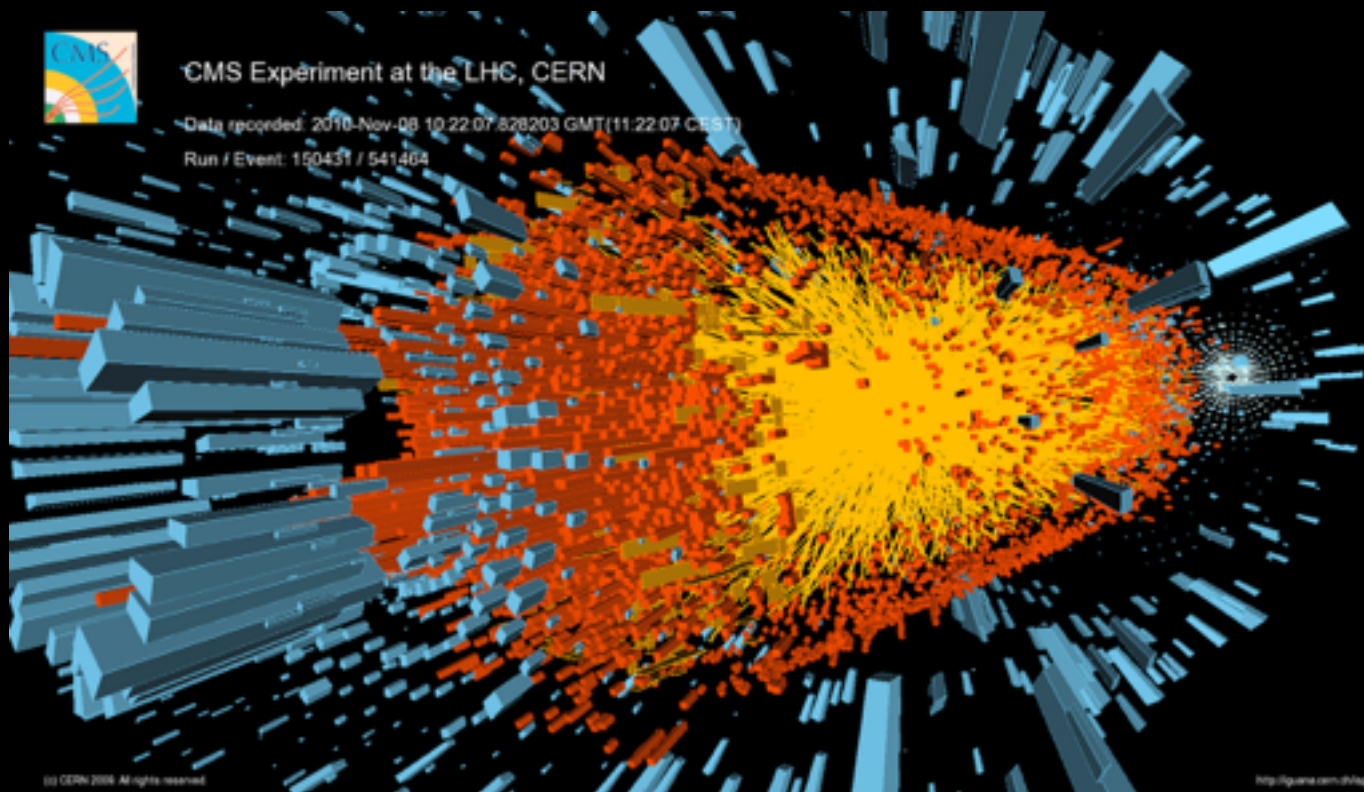


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QCD: An apparently simple lagrangian hides a wealth of emerging phenomena

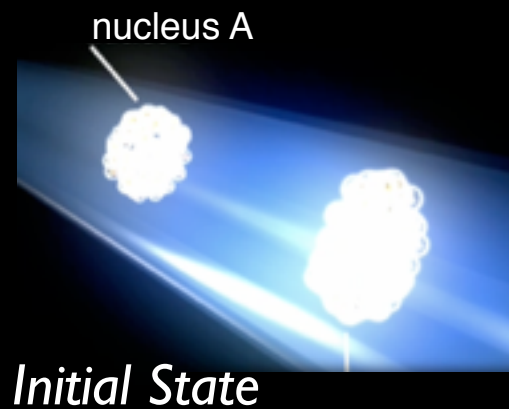
Asymptotic freedom; confinement; chiral symmetry breaking; mass generation; new phases of matter; a rich hadronic spectrum; etc

High-energy nuclear collisions are the experimental tools to access (some of) these collective properties - high density states of matter



Produce "large" objects
↳ Macroscopic in QCD scale
Collide heavy nuclei

Some of the questions accessible with heavy-ion collisions



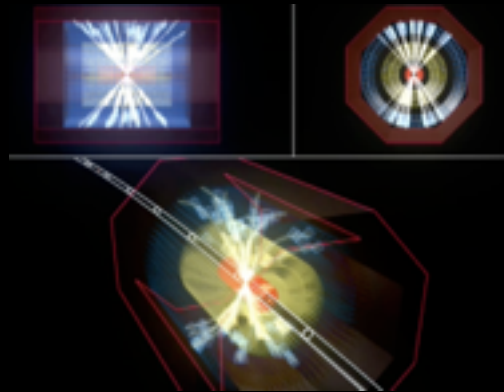
What is the structure of hadrons/nuclei at high energy?

- *color coherence effects in the small-x partonic wave function*
- *fix the initial conditions in well-controlled theoretical framework*

Is the created medium thermalized? How?

- *presence of a hydrodynamical behavior*
- *what is the mechanism of thermalization in a non-abelian gauge theory?*

Final State



What are the properties of the produced medium?

- *identify signals to characterize the medium with well-controlled observables*
- *what are the building blocks and how they organize?*
- *is it strongly-coupled? quasiparticle description? phases?*

Newest questions

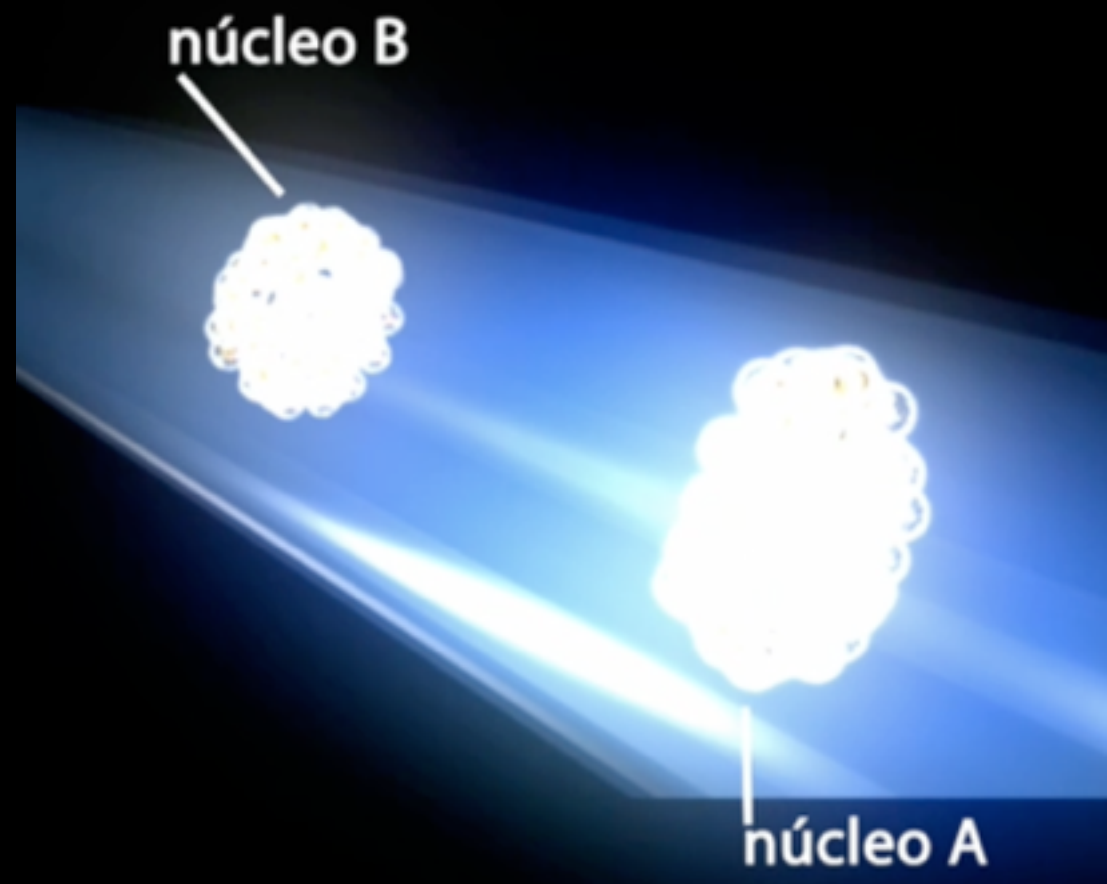
How large is "large"?

↳ Study "Small Systems"

Proton-nucleus collisions

(original main goal:
benchmarking)

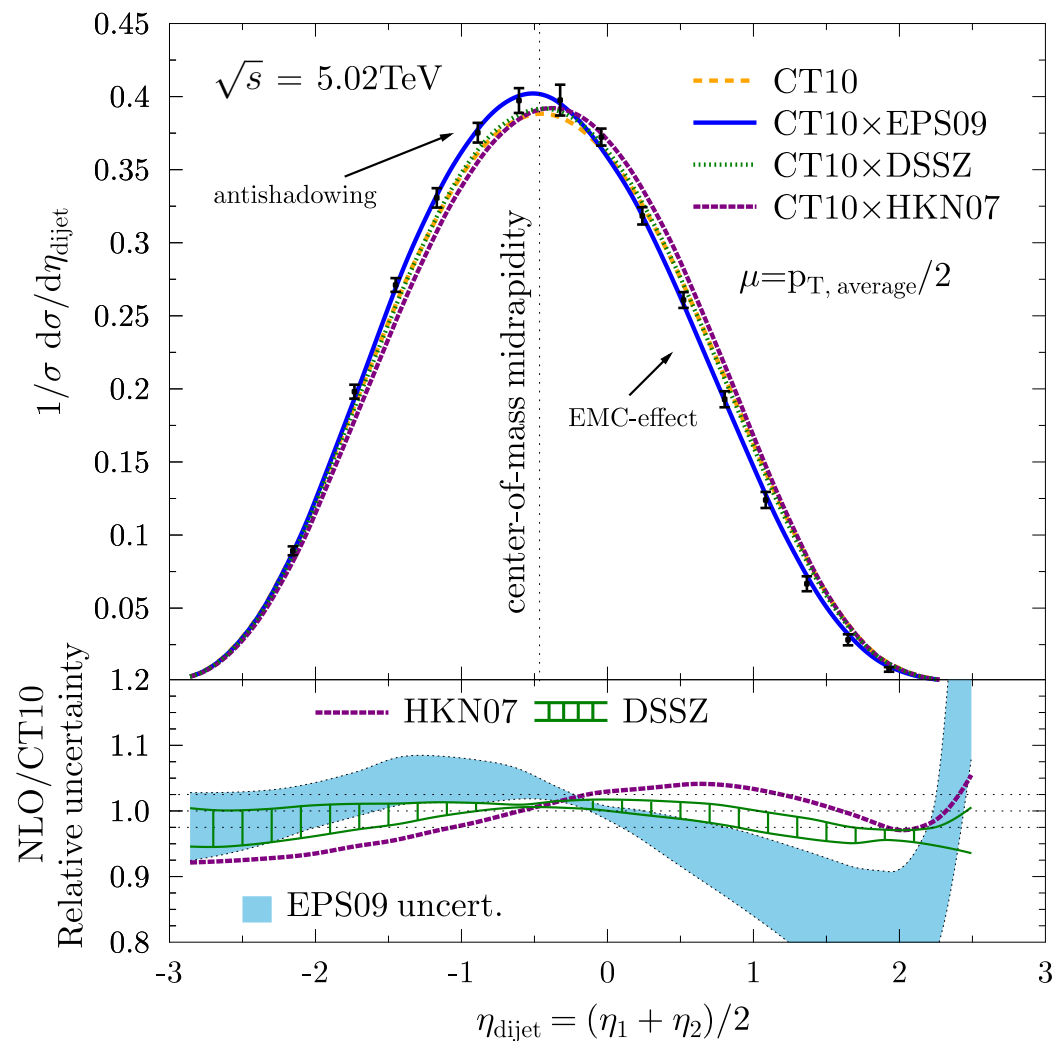
Initial state
Partonic densities
&
Multiparticle Production



Nuclear PDFs

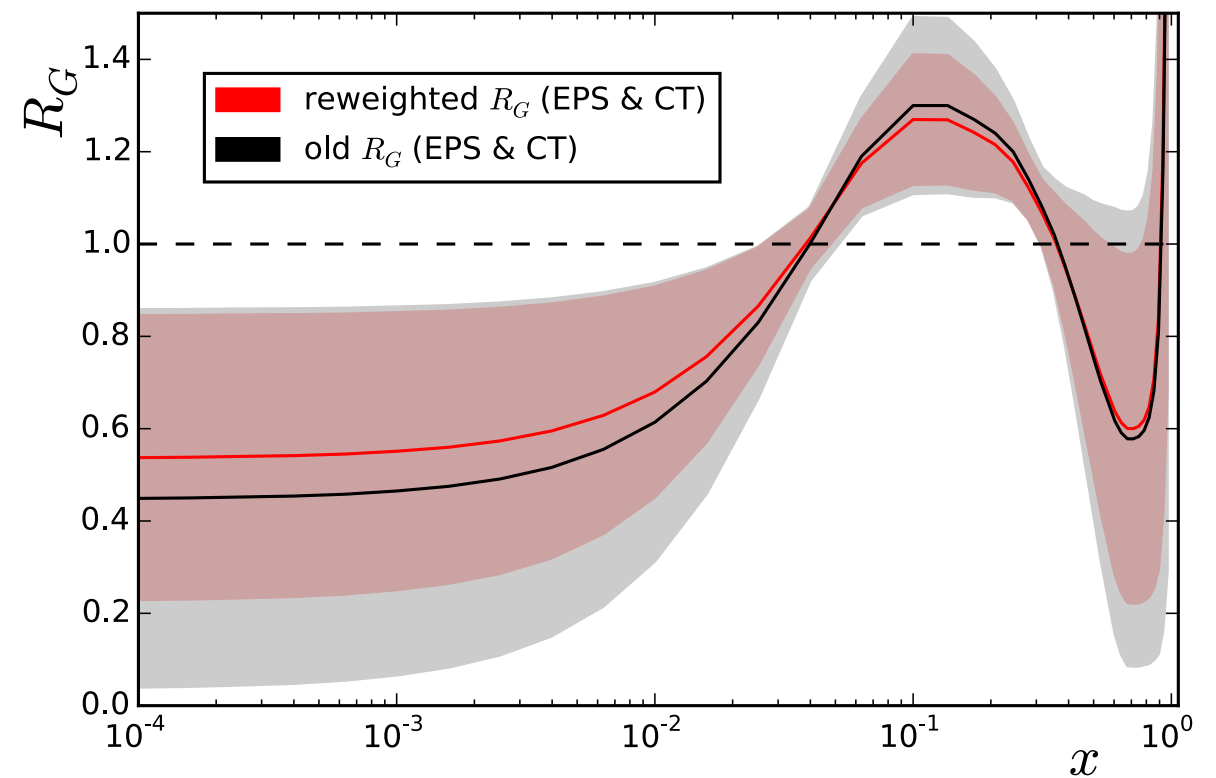
Nuclear PDFs extracted from global fits / DGLAP

- ▶ New constraints from the proton-lead run at the LHC



Reweighting

[Andres et al arxiv:1512.01528]



Excellent description of pPb LHC data by existing sets [RHIC data already in fits]

- ▶ Better control on systematic uncertainties needed for stronger constraints on nPDFs

From Dilute to Dense



Parton Saturation

Color Correlation
in the transverse
plane $\rightarrow \frac{1}{Q_{sat}}$

Color Glass Condensate \rightarrow General framework

$$Q_{sat}^2 \sim \frac{xg(x, Q_{sat}^2)}{\pi R^2} \sim \frac{A^{1/3}}{x^\lambda}$$

Non-linear eqs. - Multiparticle production

⇒ Screening leads to non-linear terms. E.g. Balitsky-Kovchegov eqs.

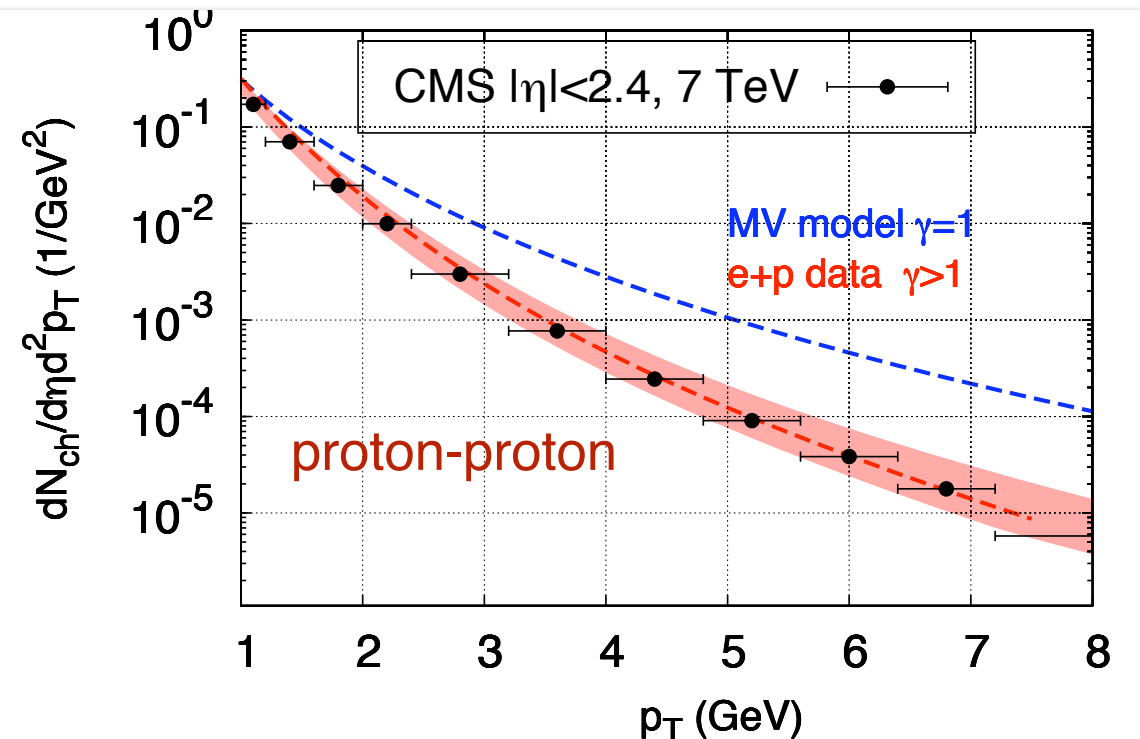
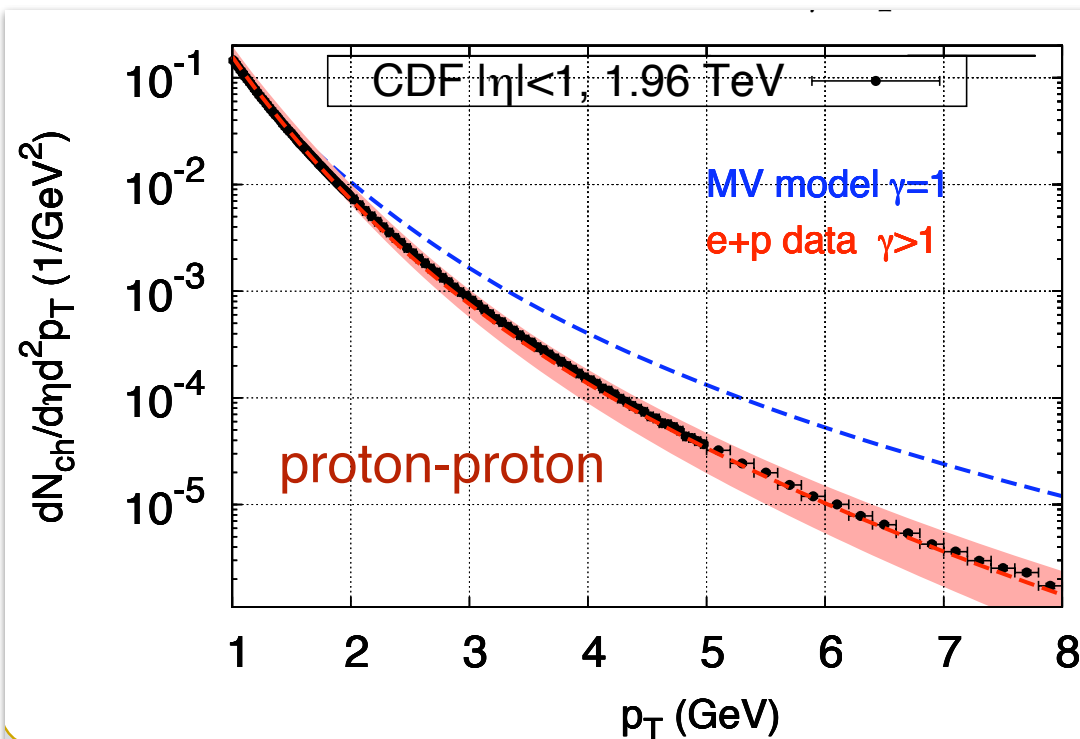
$$\frac{\partial \phi(x, k_t)}{\partial \log(x/x_0)} \approx \mathcal{K} \otimes \phi(x, k_t) - \phi(x, k_t)^2$$

Splitting [BFKL]

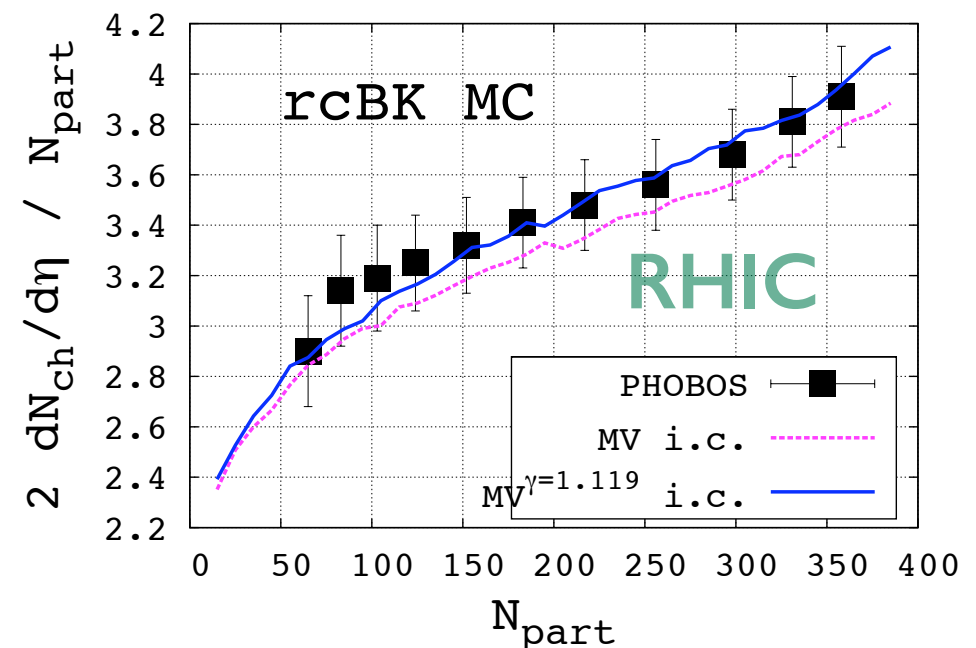
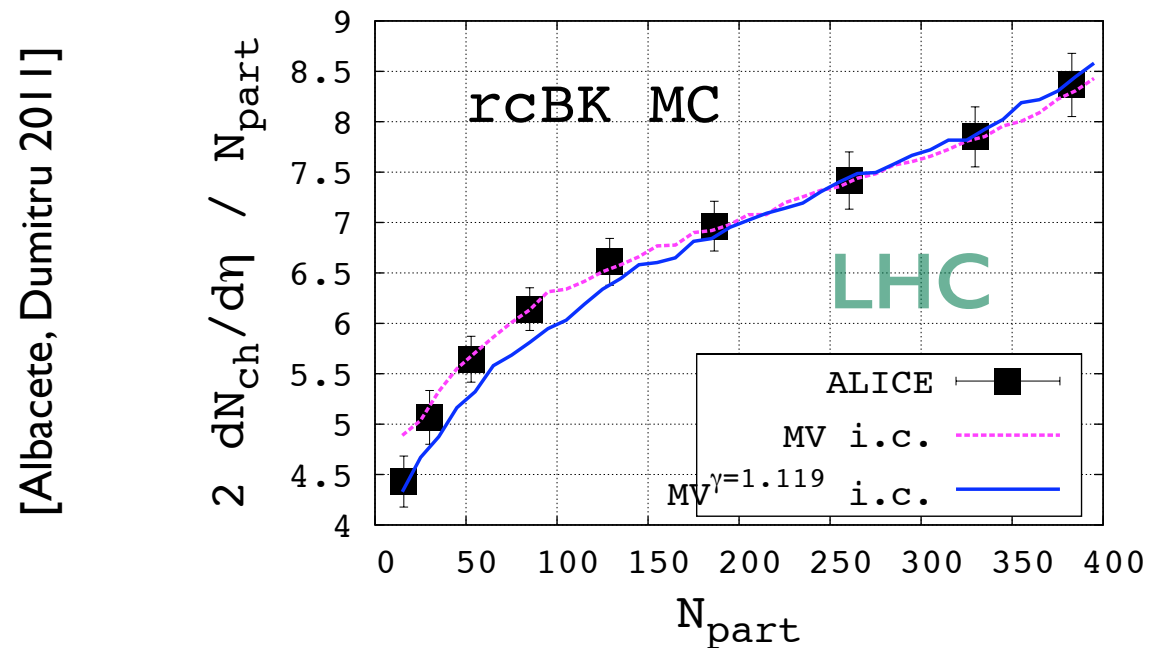
Merging [restores unitarity]

⇒ (unintegrated) gluon distributions fitted to HERA data reproduce pp

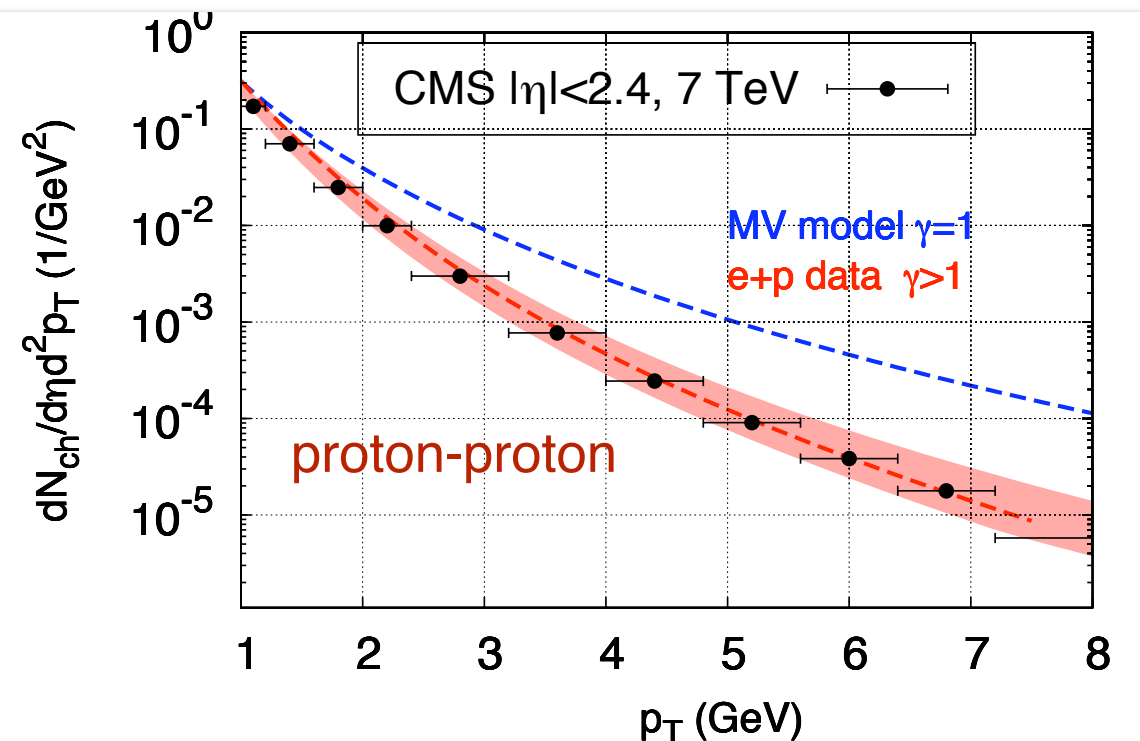
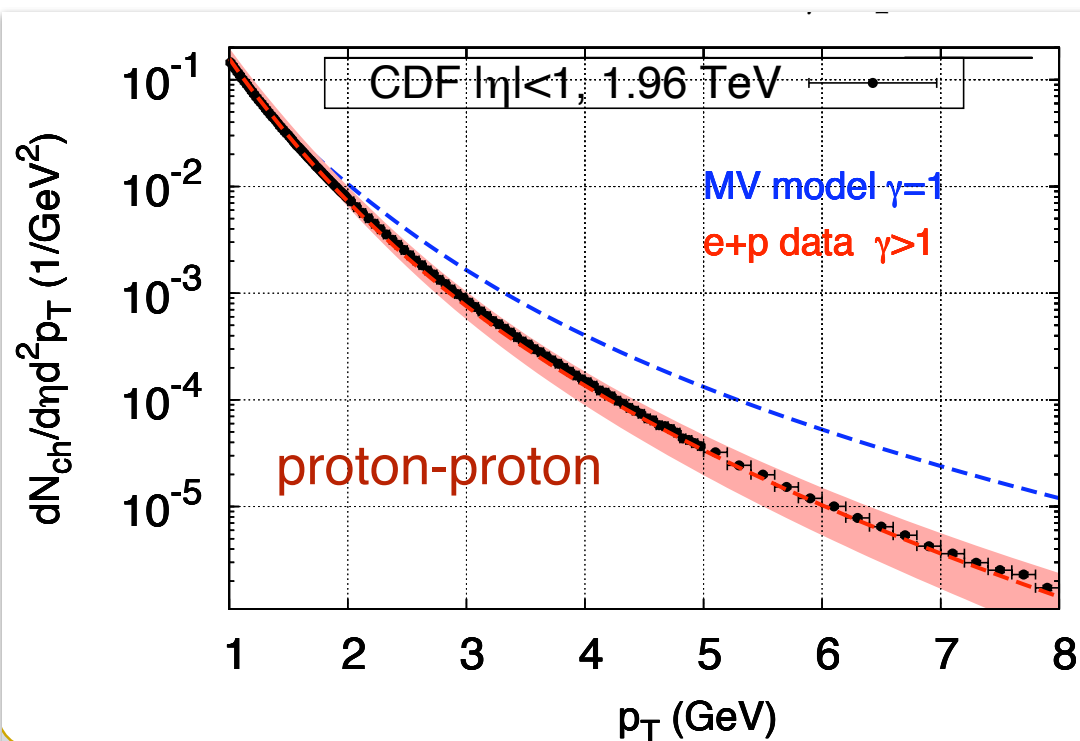
[Albacete, Dumitru 2011]



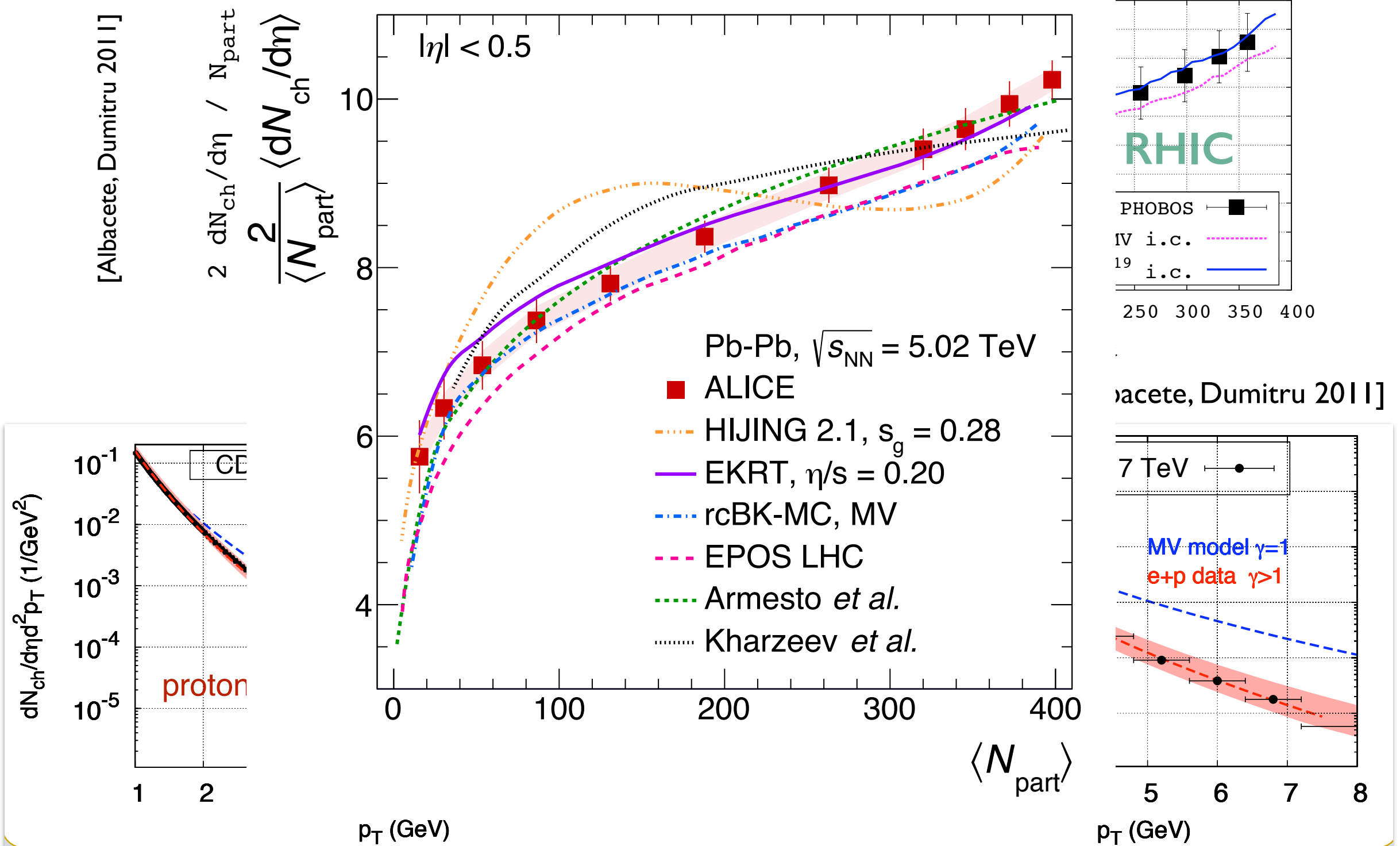
Non-linear eqs. - Multiparticle production



[Albacete, Dumitru 2011]



Non-linear eqs. - Multiparticle production



Hydrodynamics

$$\partial_\mu T^{\mu\nu} = 0$$

$$T^{\mu\nu} = (\epsilon + p) u^\mu u^\nu - p g^{\mu\nu} + \text{viscosity corrections} \\ (+ \text{Equation of State})$$

Does not address the question on how thermal equilibrium is reached

- *Far from equilibrium initial state needs to equilibrate fast (less than 1 fm)*

Most of the theoretical progress in the last years:

- *Viscosity corrections*
- *Fluctuations in initial conditions*



Elliptic flow - a strong signal of hydro behavior

Remember the Euler eq.

$$\frac{\partial \beta}{\partial t} = -\frac{c^2}{\epsilon + P} \nabla P$$

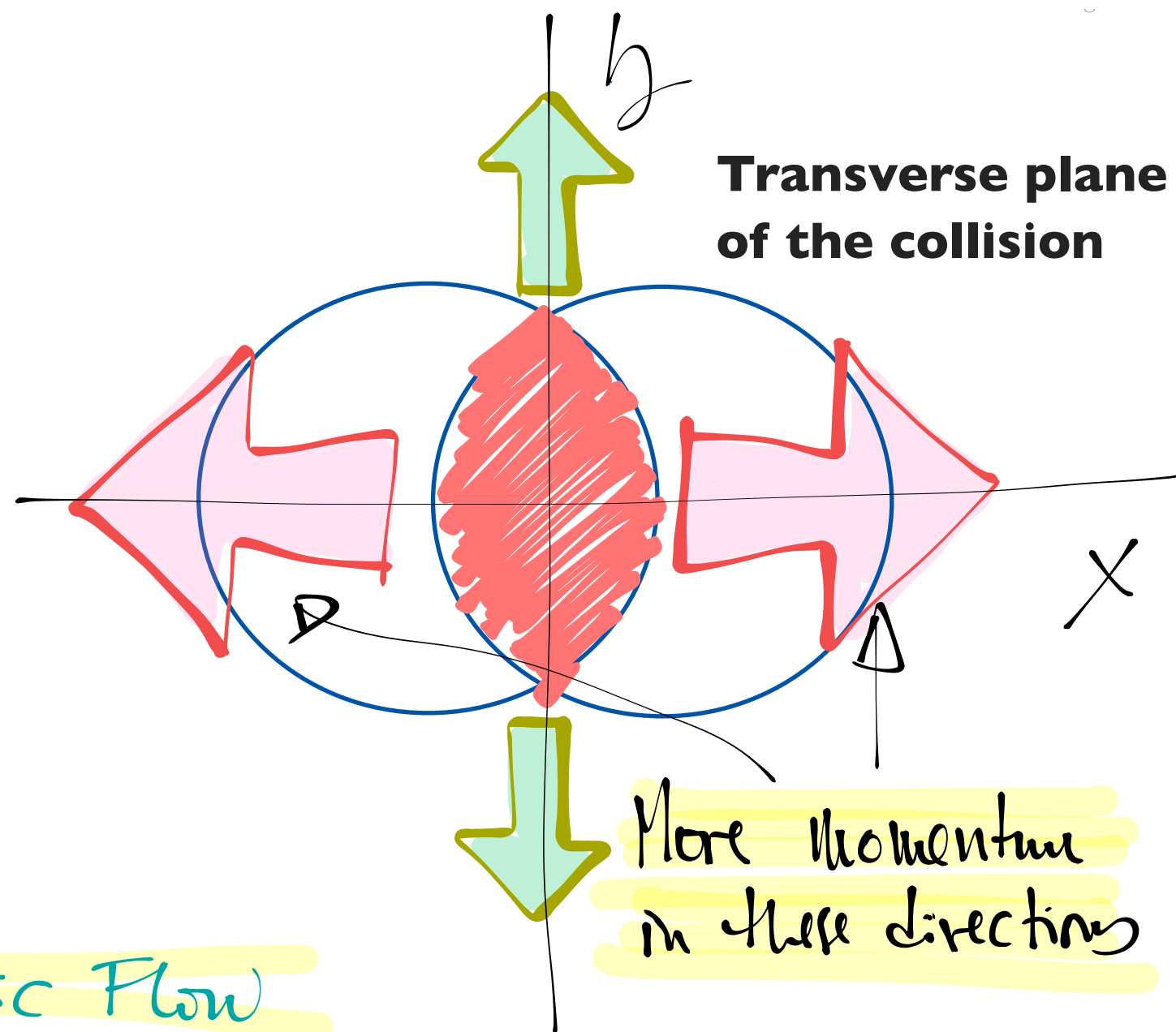
$$\epsilon = 3P \implies \partial_x P > \partial_y P$$

Make a Fourier decomposition

► Elliptic flow is the second component

$$\frac{dN}{d\phi} \propto 1 + 2 \sqrt{2} \cos 2\phi$$

↳ Elliptic Flow

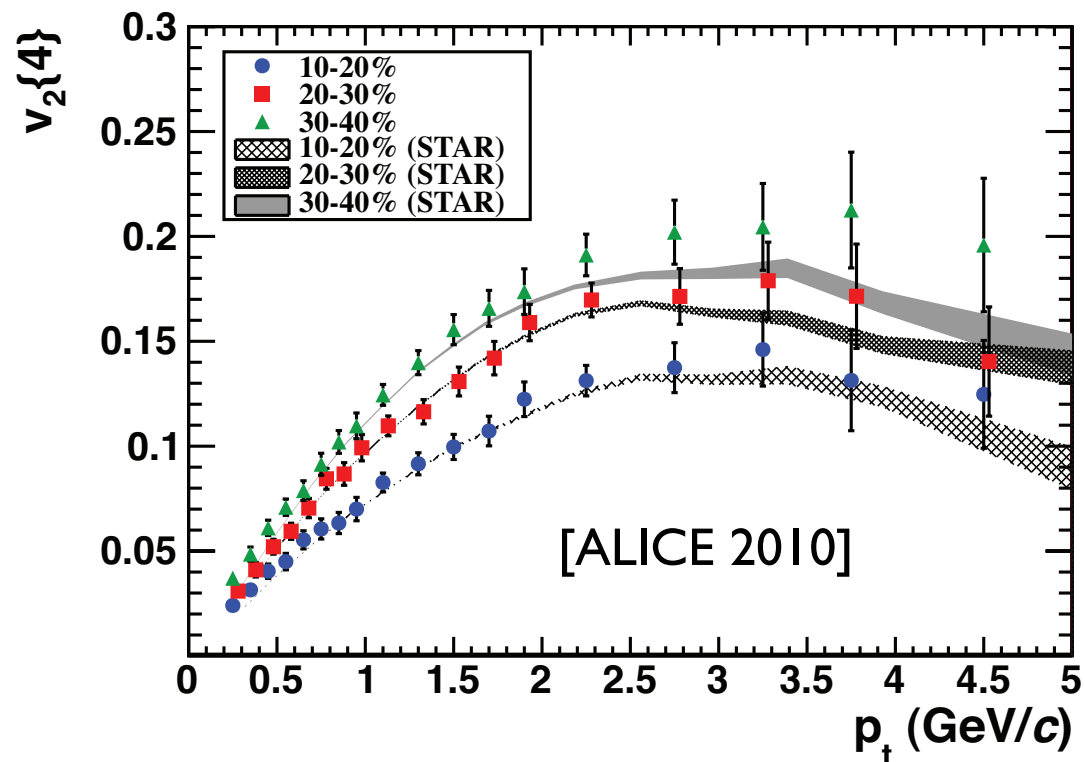


Anisotropies in the initial spacial distributions - geometry - translate into anisotropies in the momentum distributions

► Impossible with instantaneous, point-like, interactions unless initial- or final-state correlations

Fluid behavior from hydro: viscosity of the QGP

LHC flow similar to RHIC



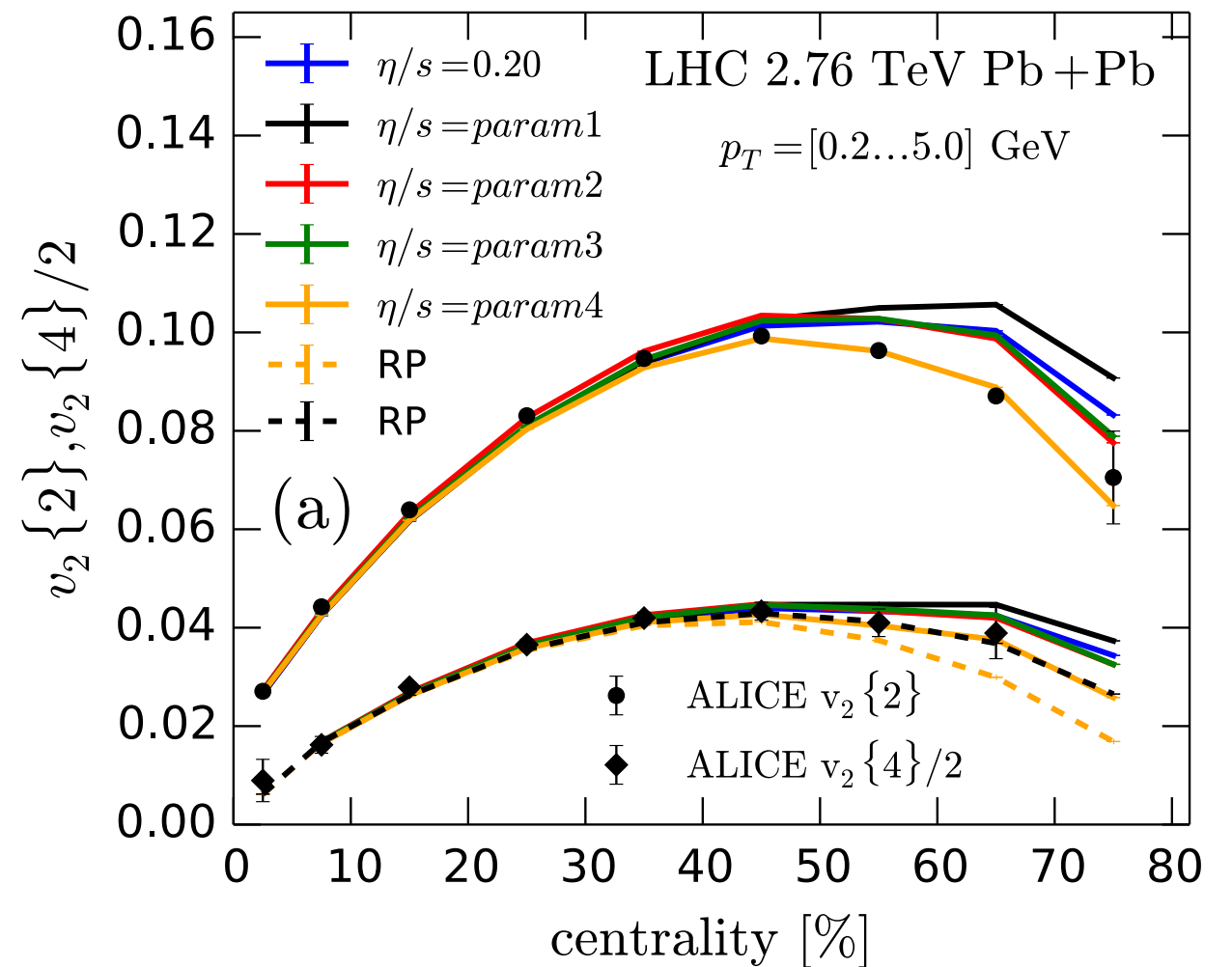
Lowest viscosity known

- ▶ “Perfect liquid”: sQGP
- ▶ AdS/CFT bound

$$\frac{\eta}{s} \geq \frac{1}{4\pi}$$

[Policastro, Son, Starinets, 2001]

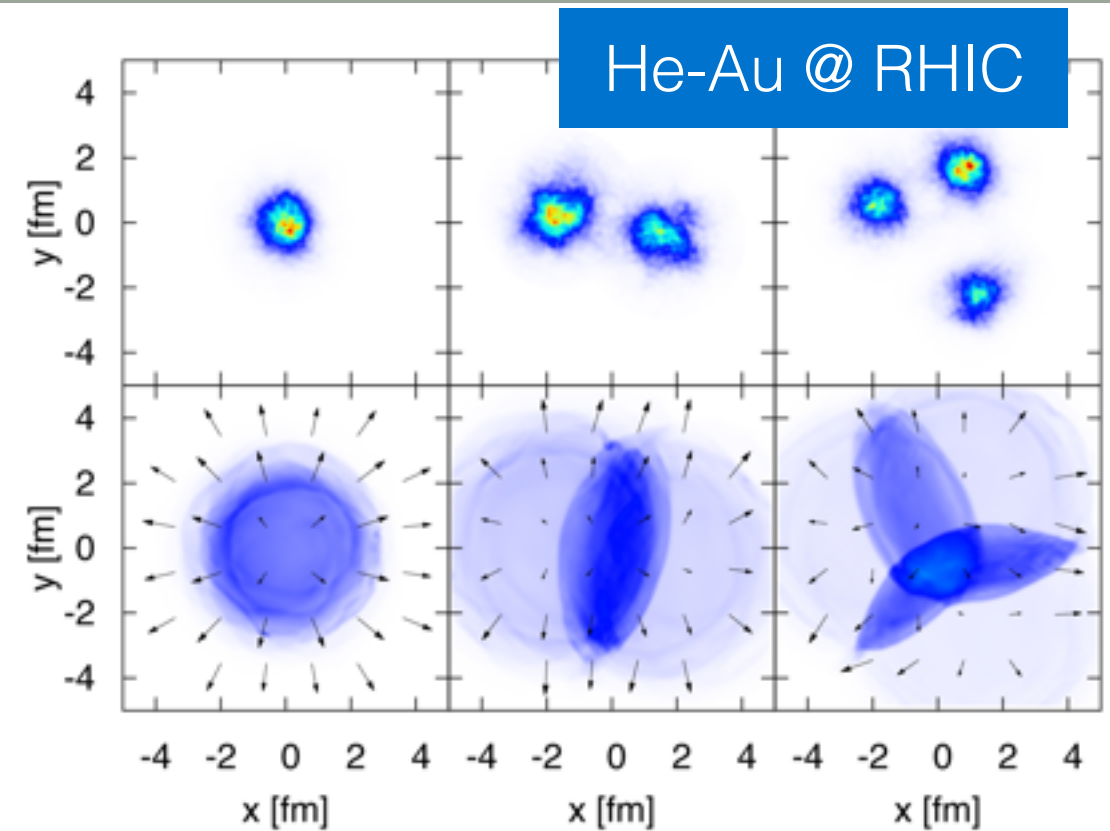
Well described by hydro



[Niemi, Eskola, Paatelainen 2015]

Higher harmonics and event-by-event fluctuations

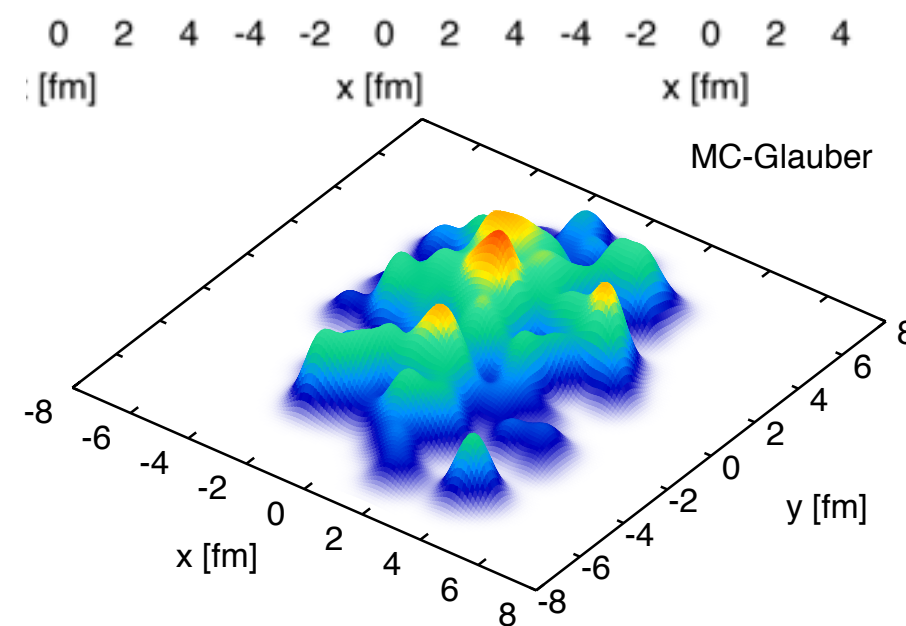
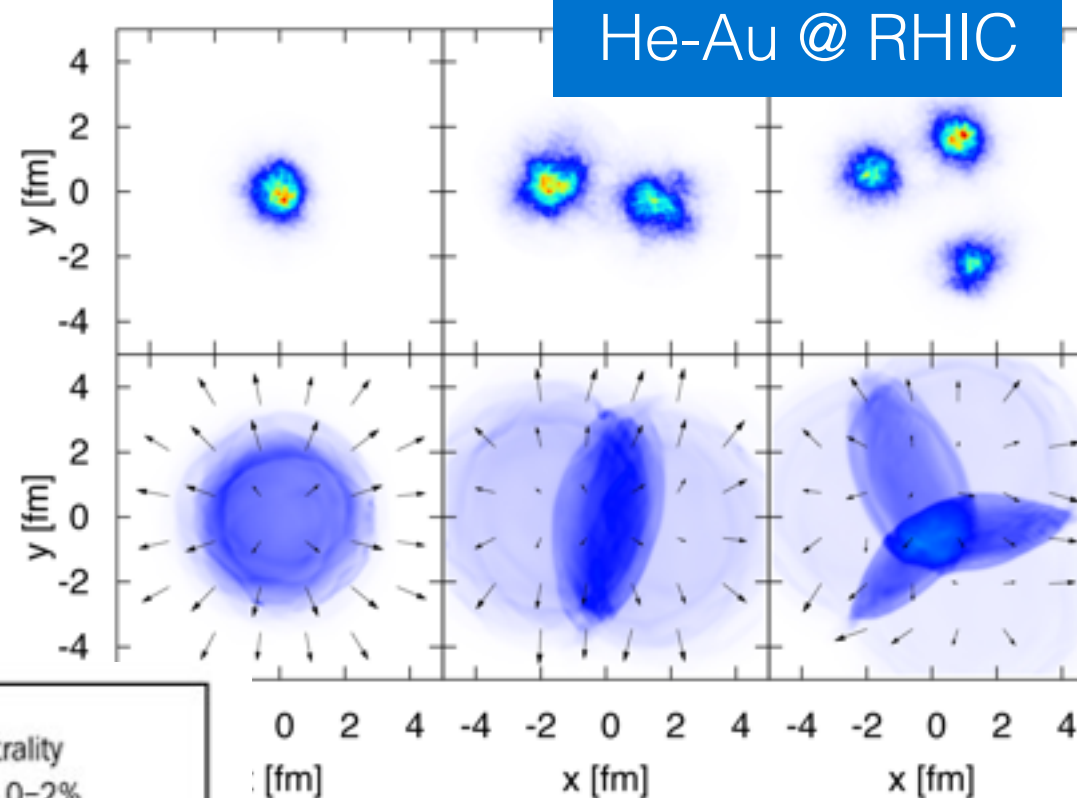
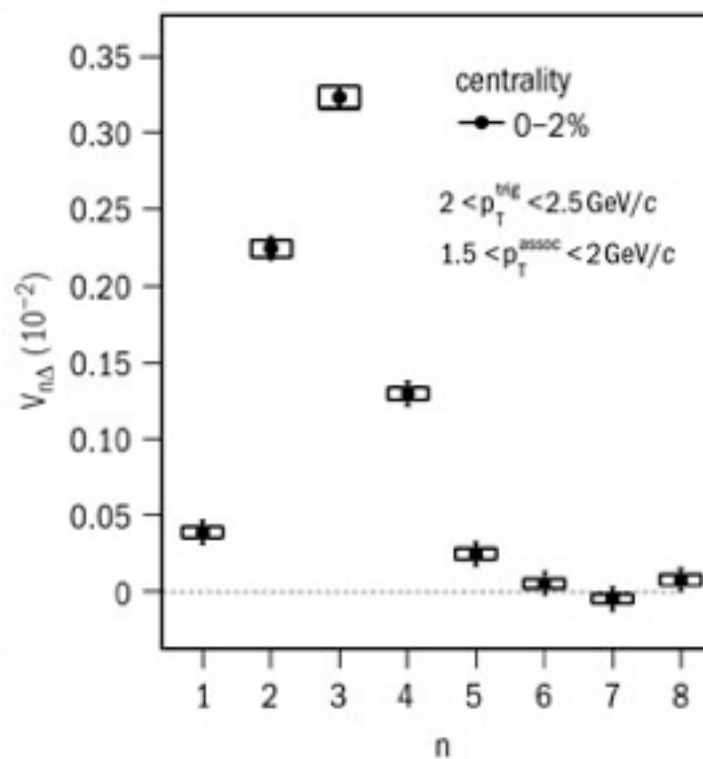
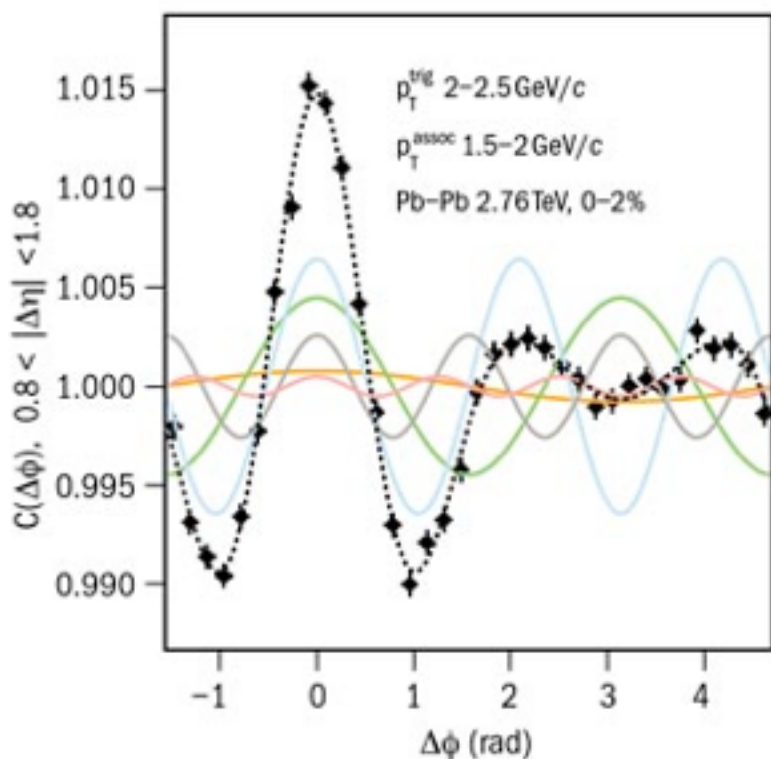
$$\frac{dN}{d\phi} \propto 1 + 2 \sum_n v_n \cos n\phi$$



Higher harmonics and event-by-event fluctuations

$$\frac{dN}{d\phi} \propto 1 + 2 \sum_n v_n \cos n\phi$$

[ALICE 2011]

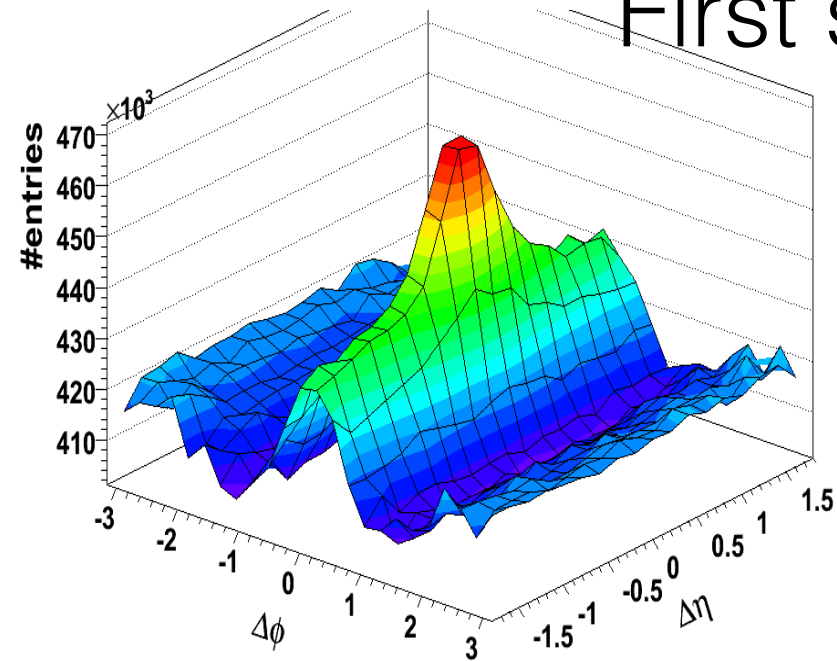


[Gale, Jeon, Schenke]

Anisotropic initial conditions : all harmonics (in particular odd) present

The ridge

STAR Au+Au 0-10%

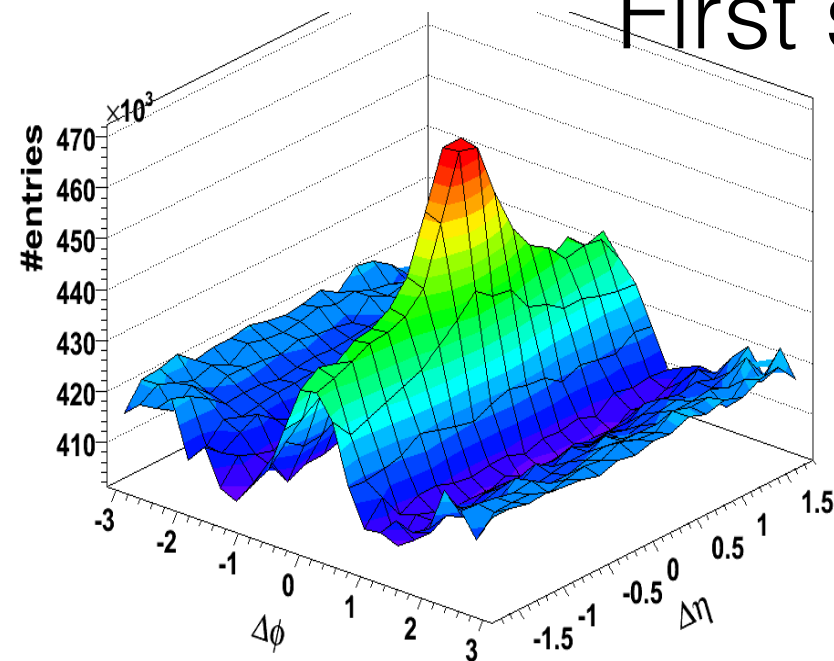


First seen (2008) in AuAu, STAR @ RHIC.
Generated lot of discussion

- ▶ Long-range (in rapidity) angular correlations indicates collective phenomena

The ridge

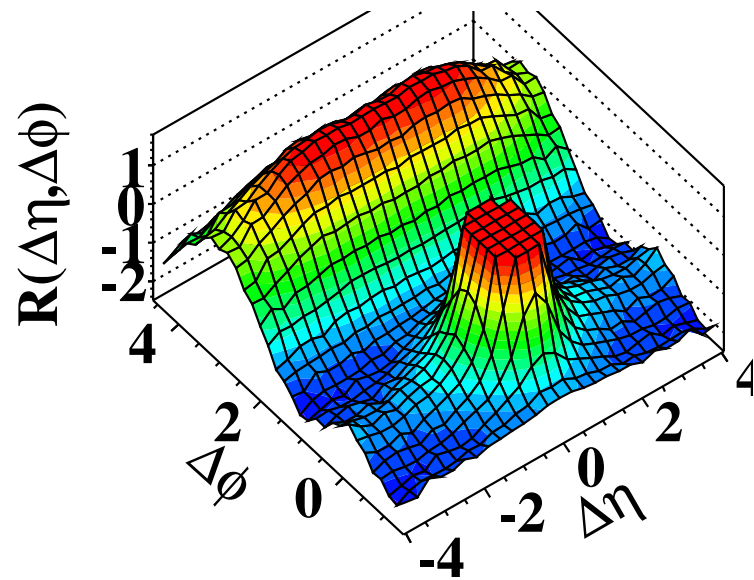
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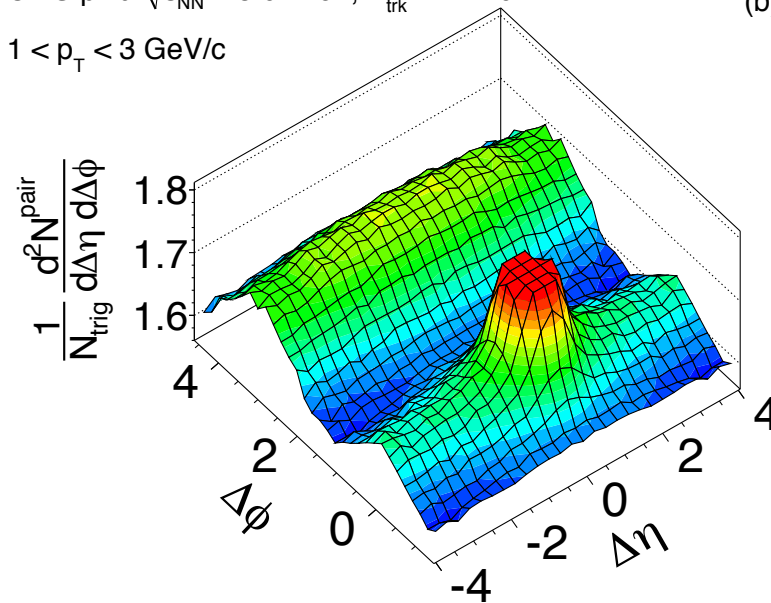
- ▶ Long-range (in rapidity) angular correlations indicates collective phenomena

(d) CMS $N \geq 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



high multiplicity pp

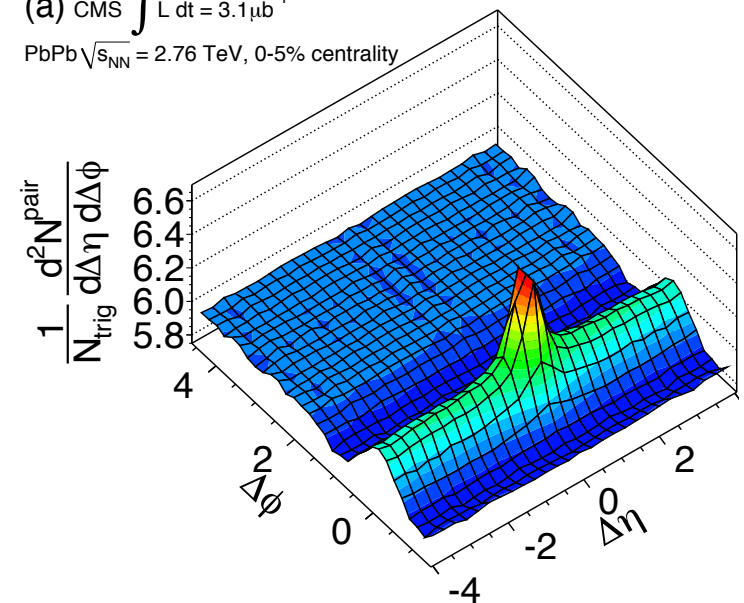
CMS pPb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$, $N_{\text{trk}}^{\text{offline}} \geq 110$
 $1 < p_T < 3 \text{ GeV}/c$



high multiplicity pPb

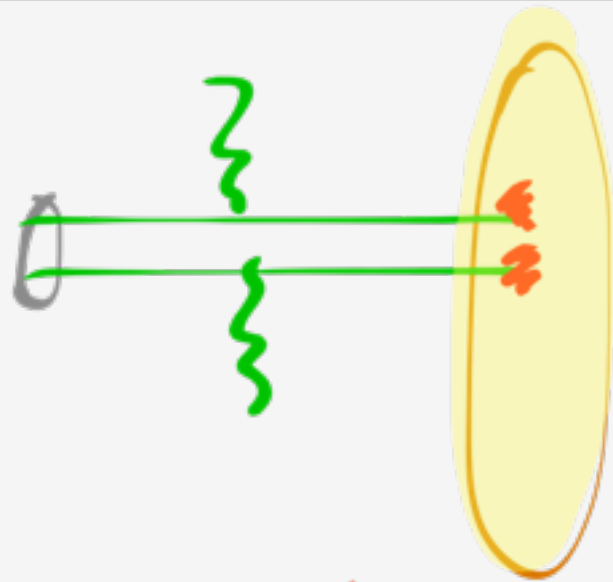
(b)

(a) CMS $\int L dt = 3.1 \mu\text{b}^{-1}$
PbPb $\sqrt{s_{NN}} = 2.76 \text{ TeV}$, 0-5% centrality

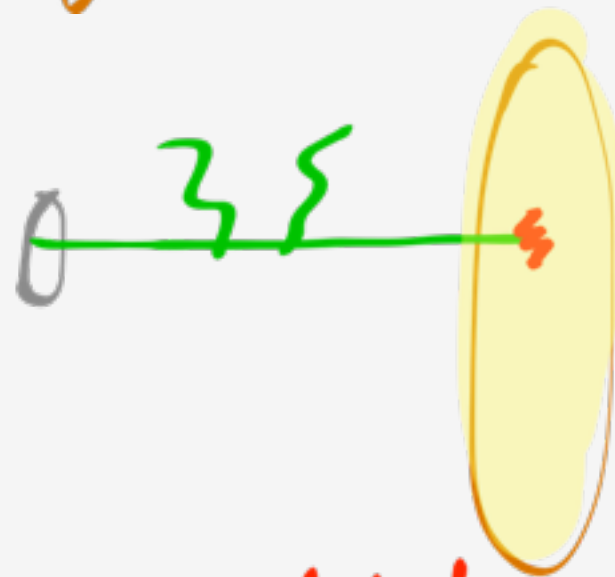


everywhere in PbPb

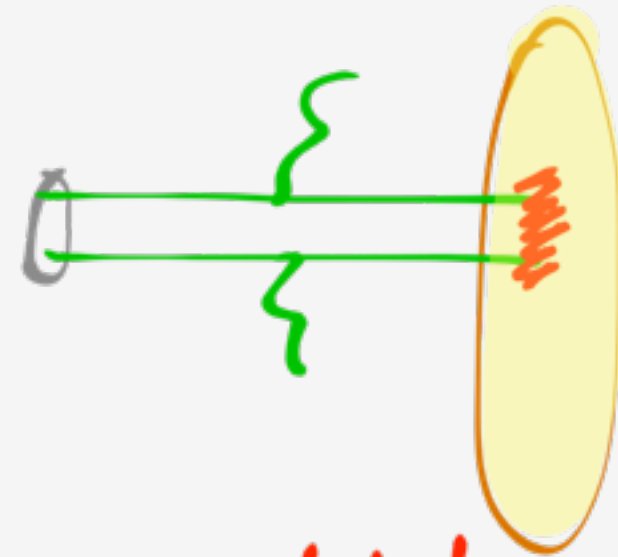
The Ridge Δ the CGC



Uncorrelated



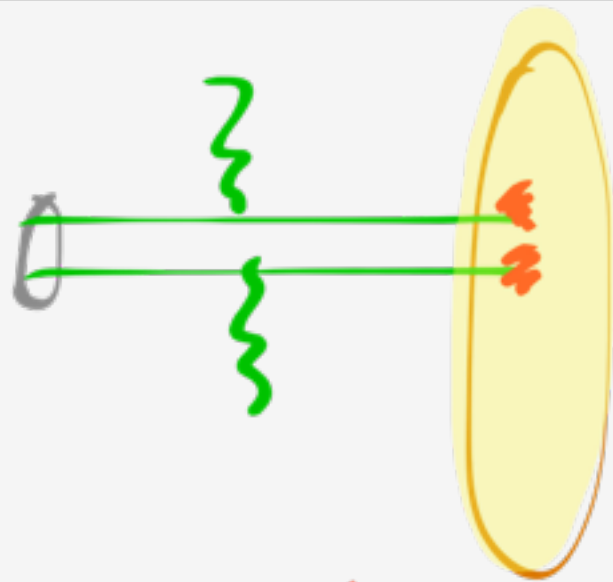
Correlated
(short range)



Correlated
(long range)

COLOR Correlations in transverse plane $\sim Q_{sat}^{-1}$

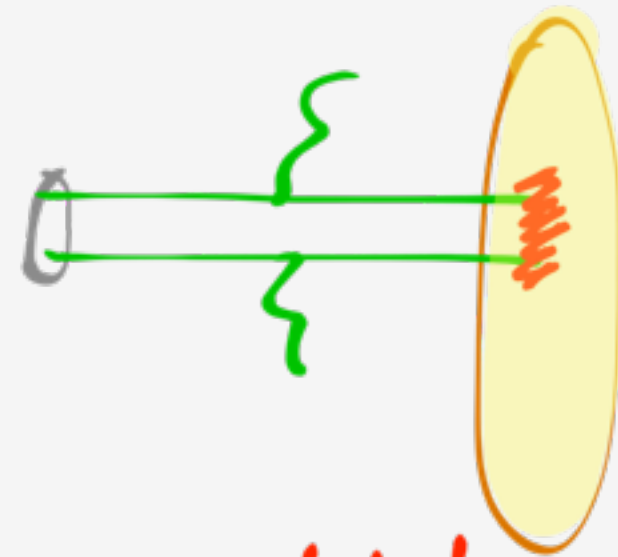
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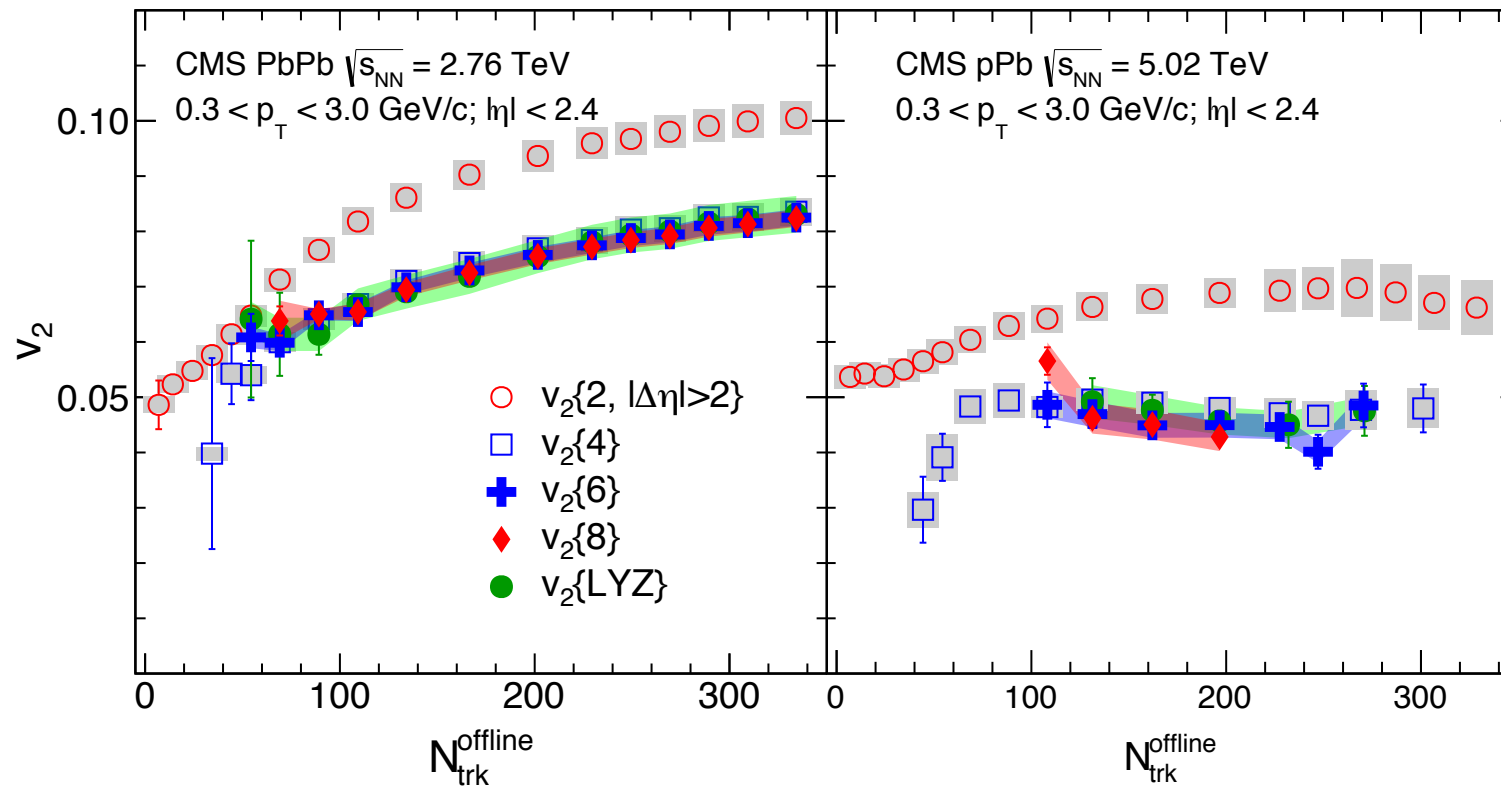


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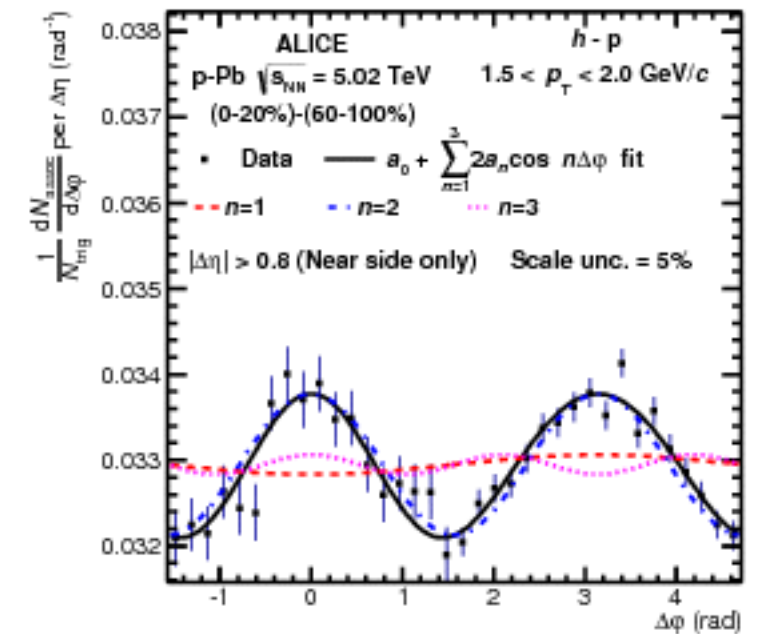
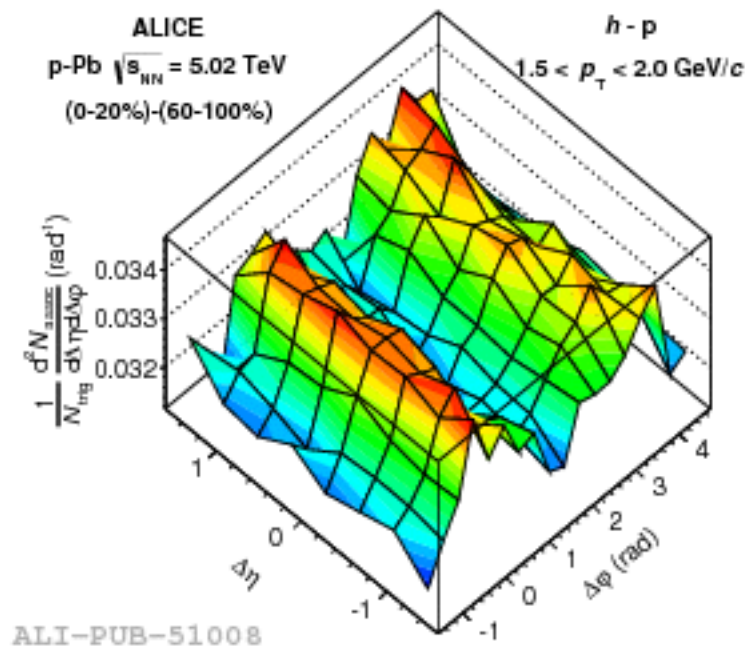
Is the Ridge Initial State / Final State / Both?

Characterizing the ridge

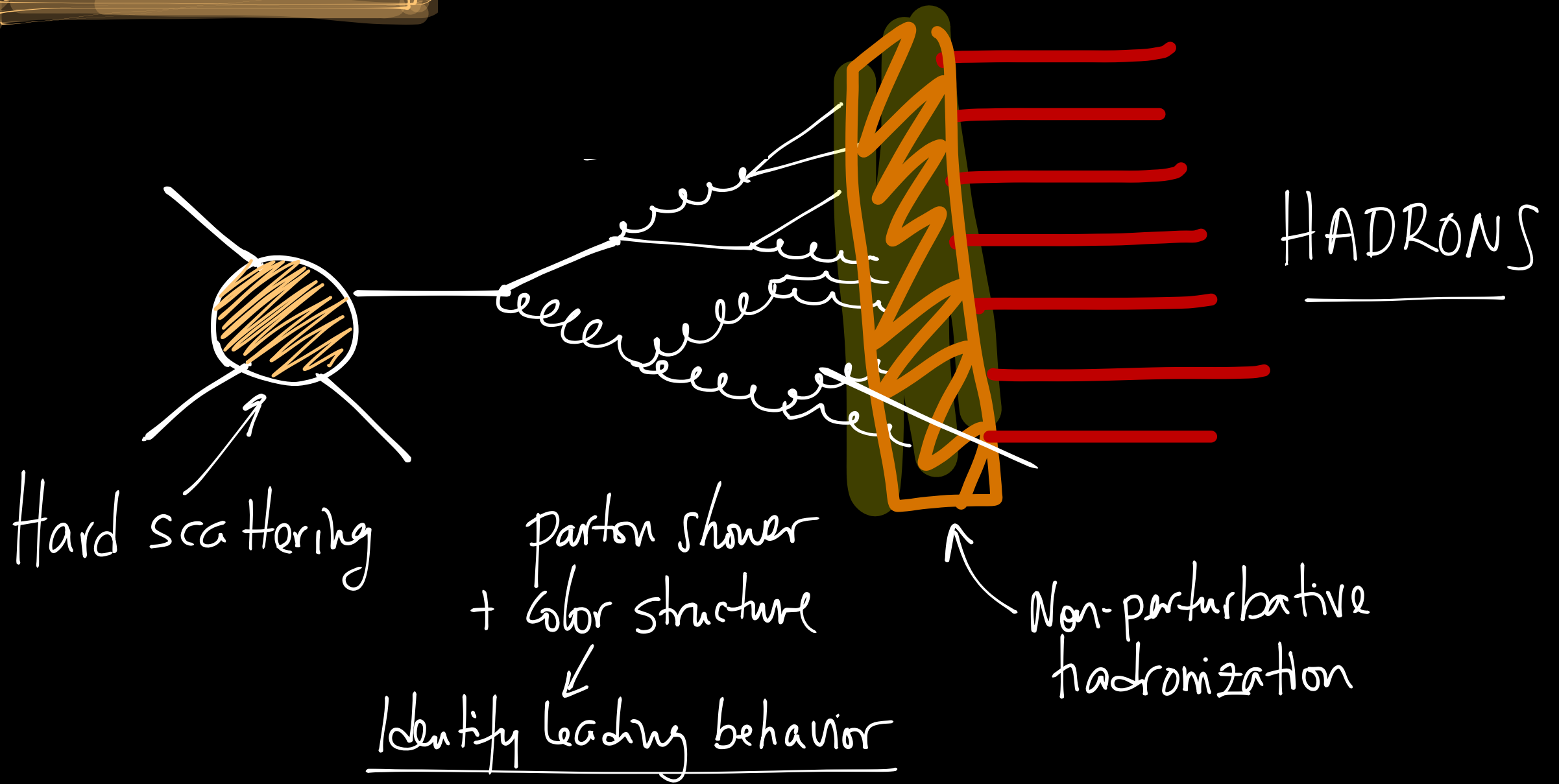


Factorization - natural in hydro difficult to compute in CGC

Double-ridge predicted in CGC
 [Kovchegov, Wertepny / Dusling, Venugopalan]
 also natural in hydro

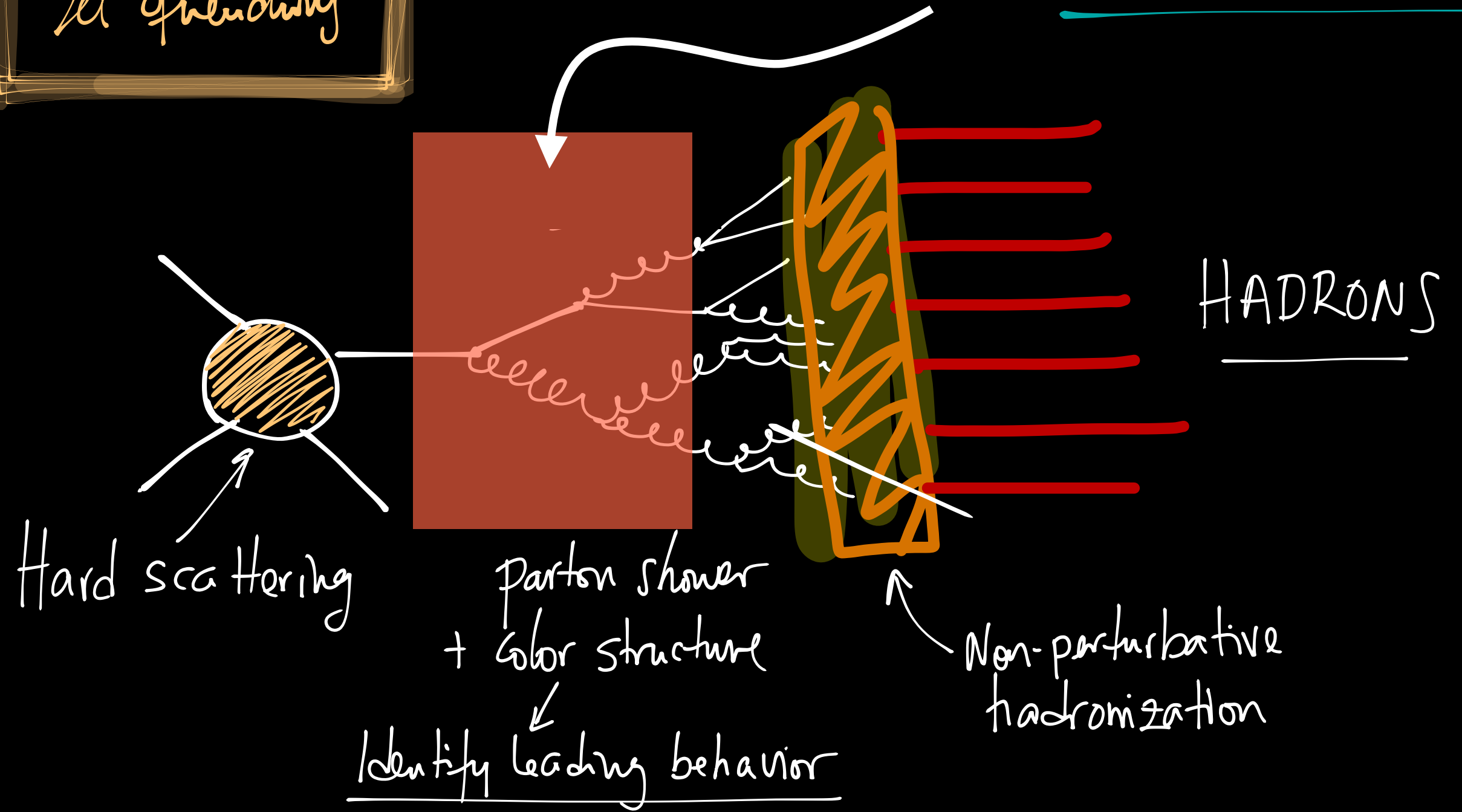


Jets in medium
Jet quenching

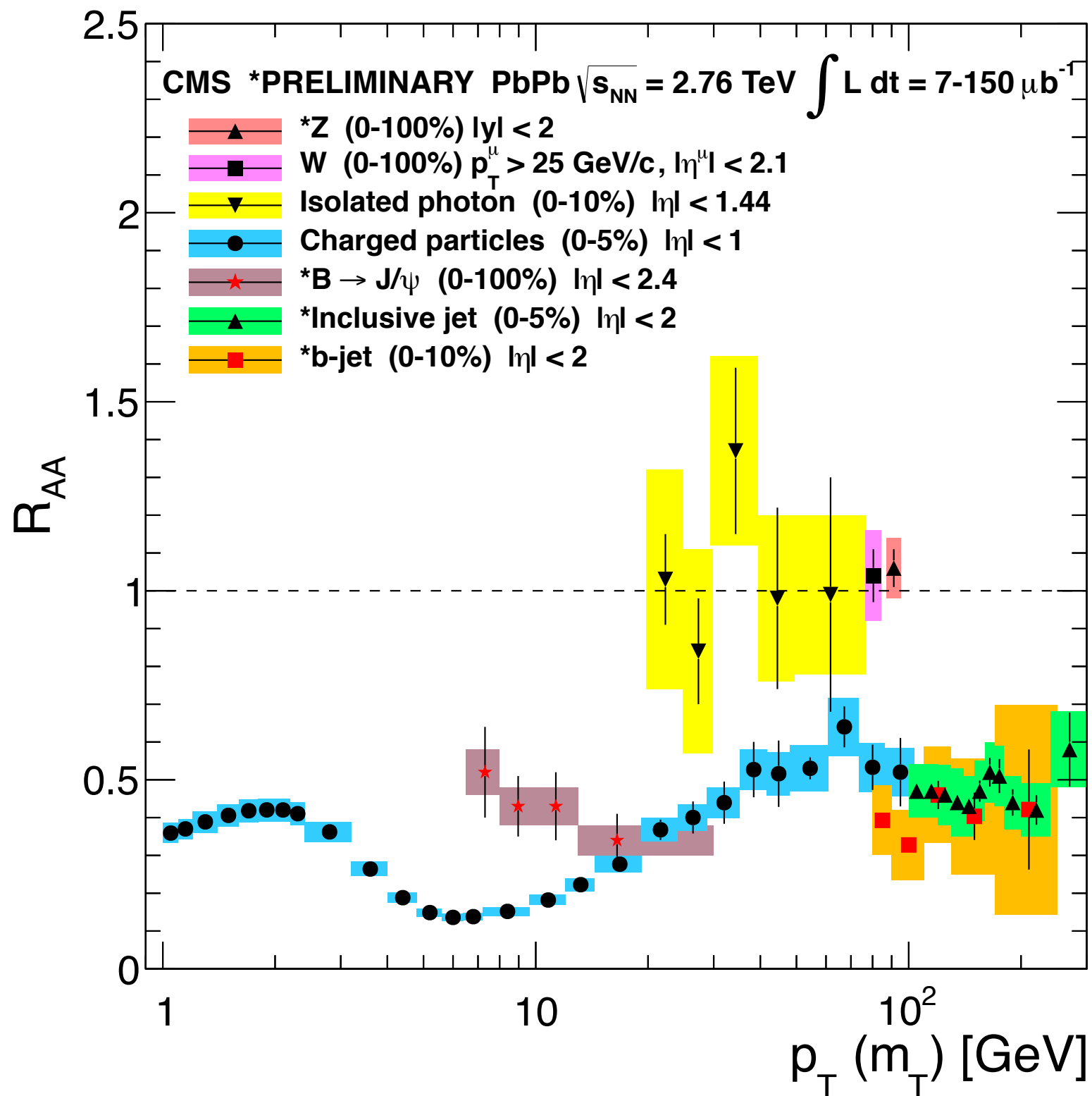


Jets in medium
Jet quenching

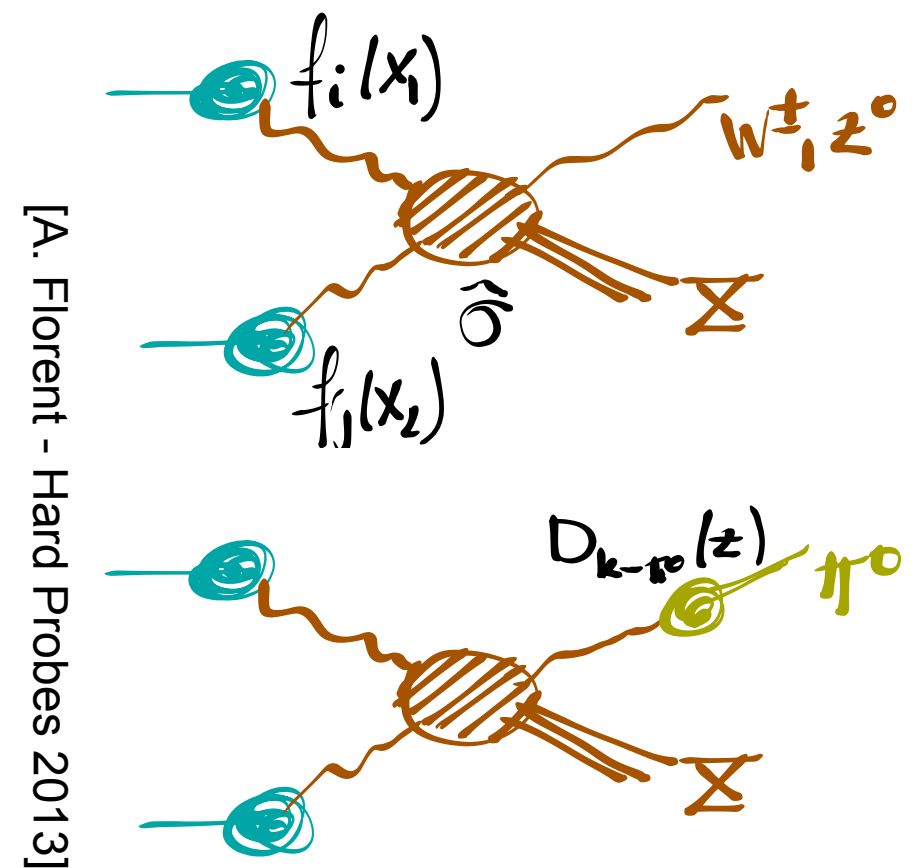
Put now a medium here



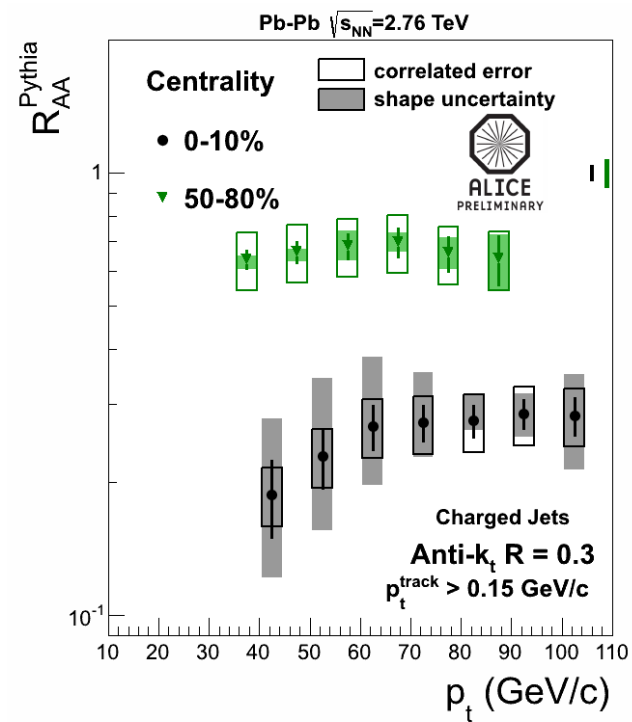
Suppression in one plot (LHC)



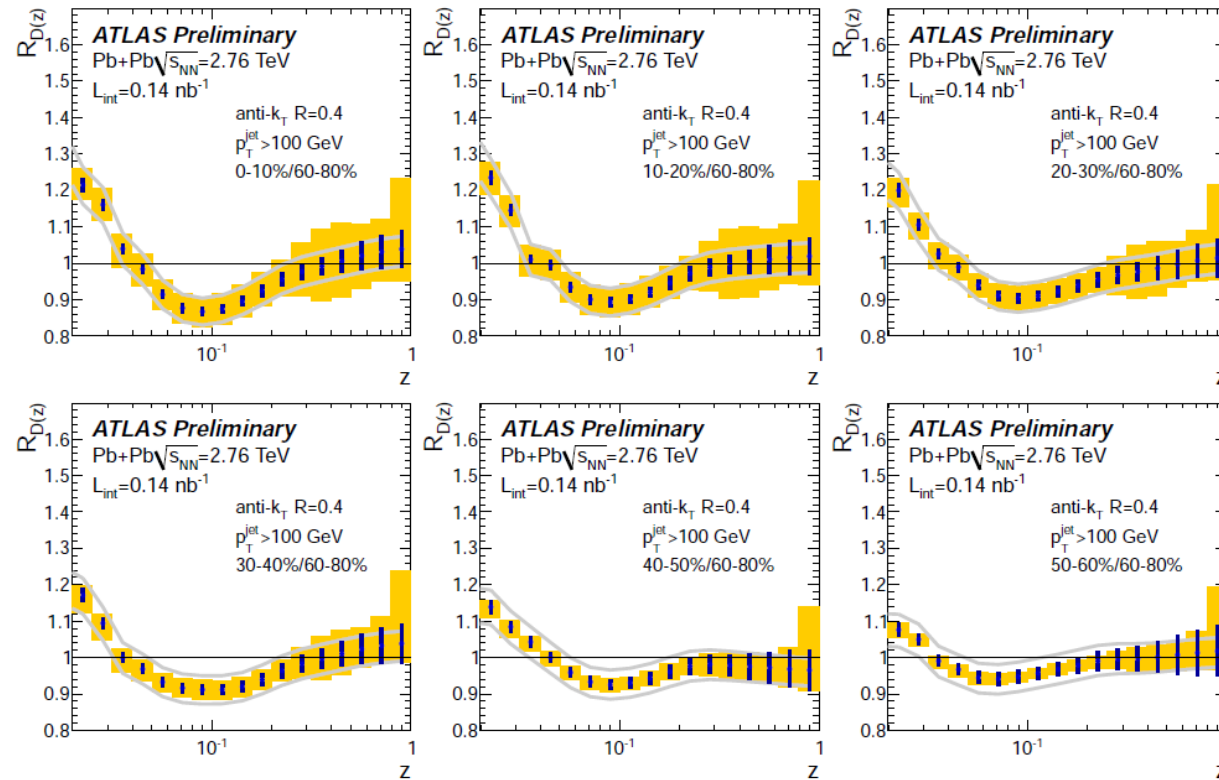
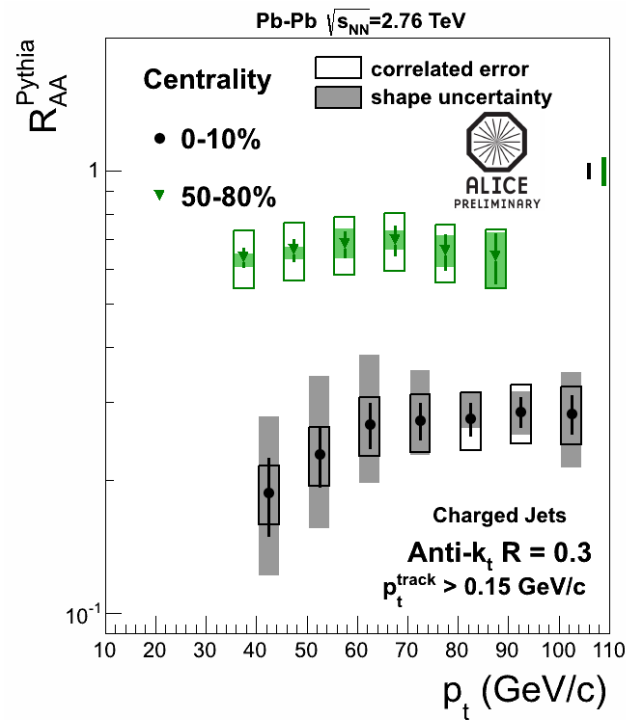
$$R_{AA} = \frac{dN^{AA} / dp_T}{\langle N_{coll} \rangle dN^{pp} / dp_T}$$



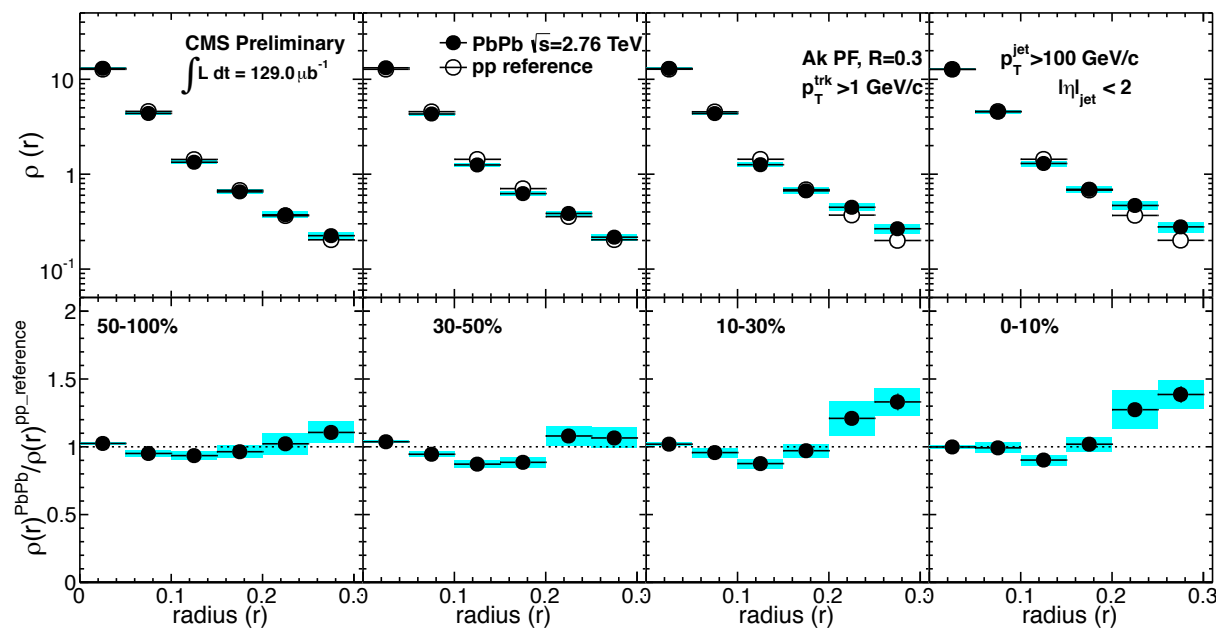
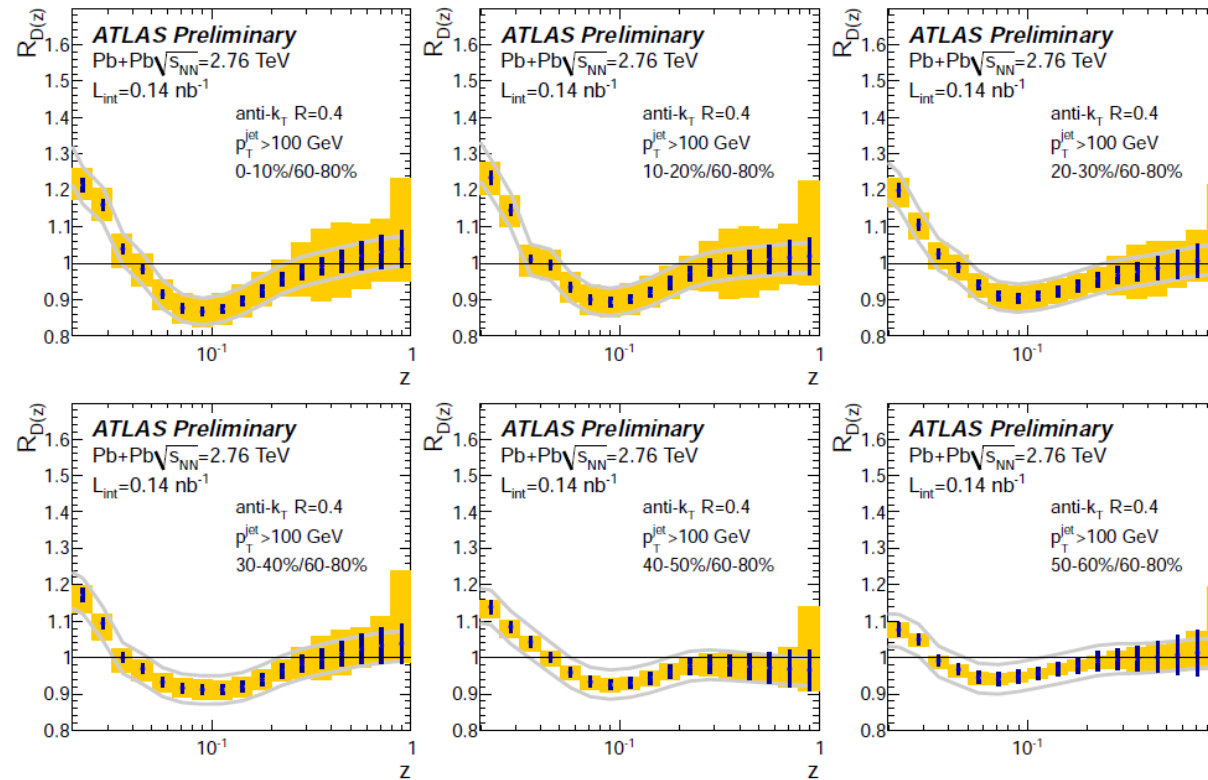
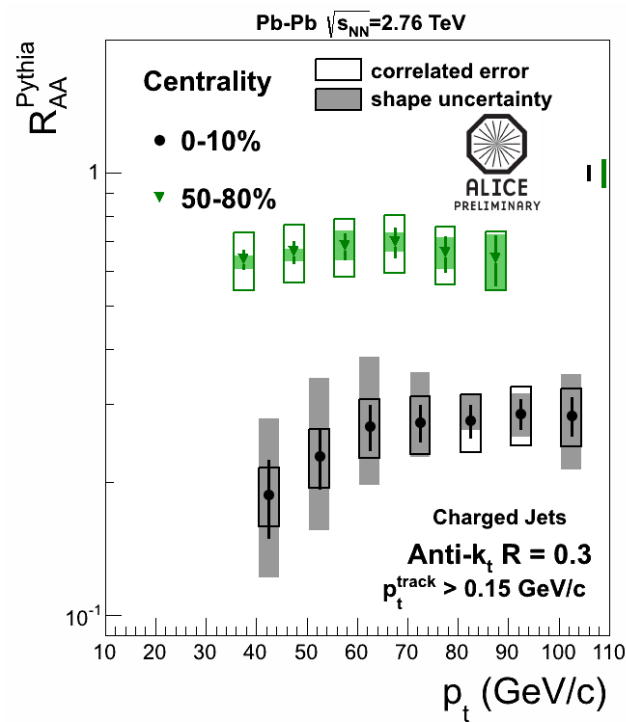
Reconstructed jets - plenty of data now



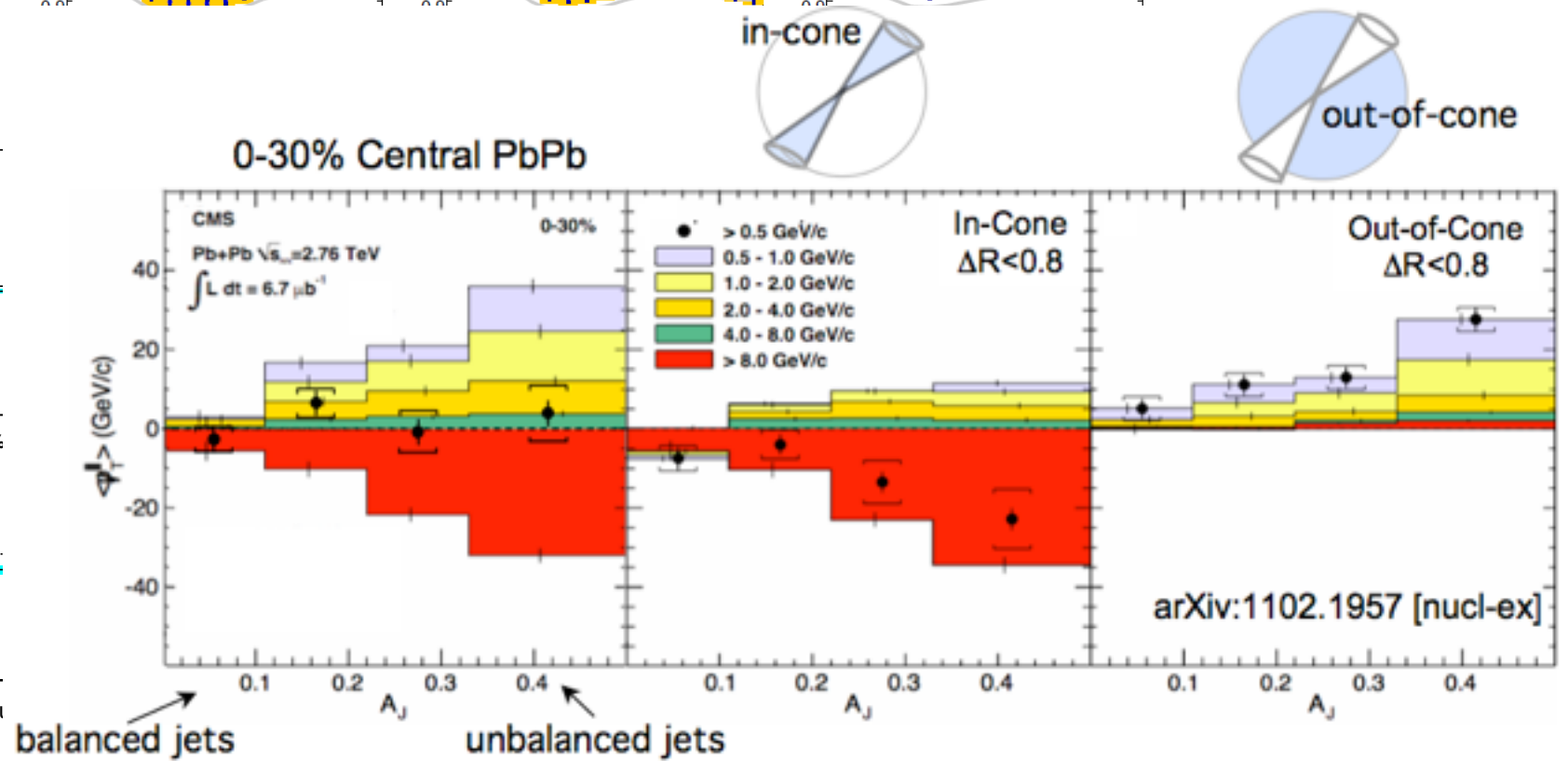
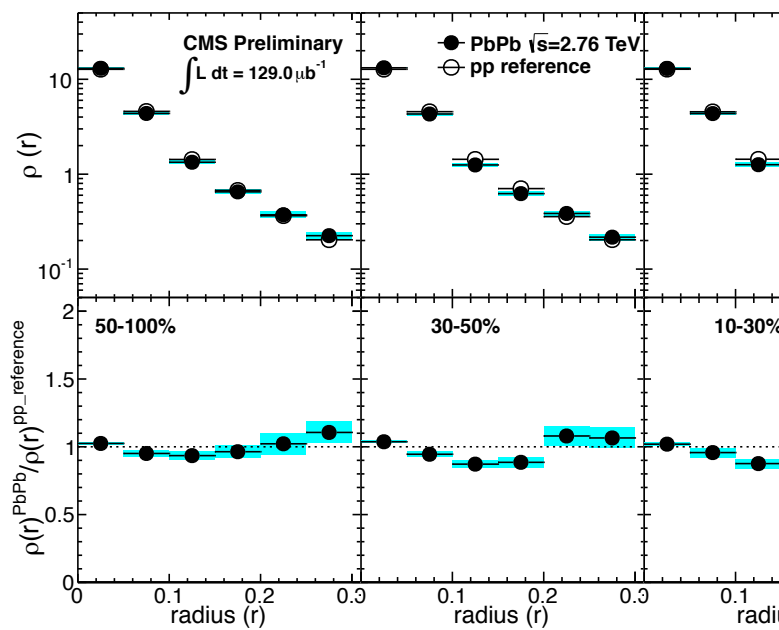
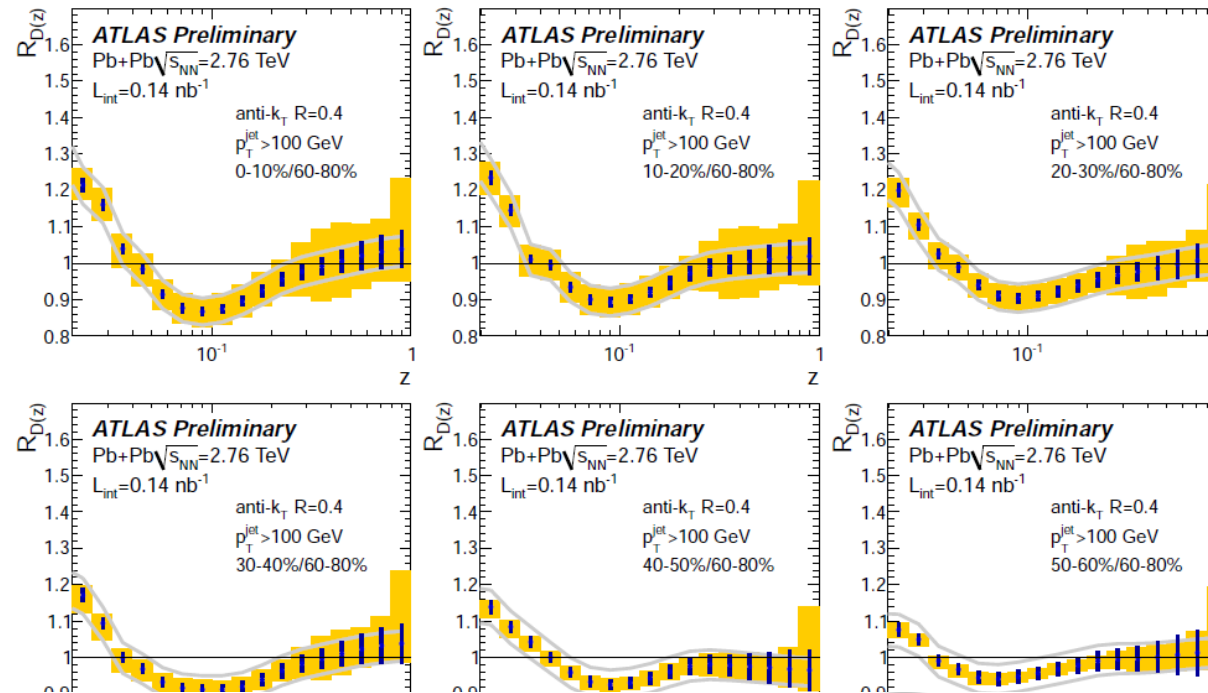
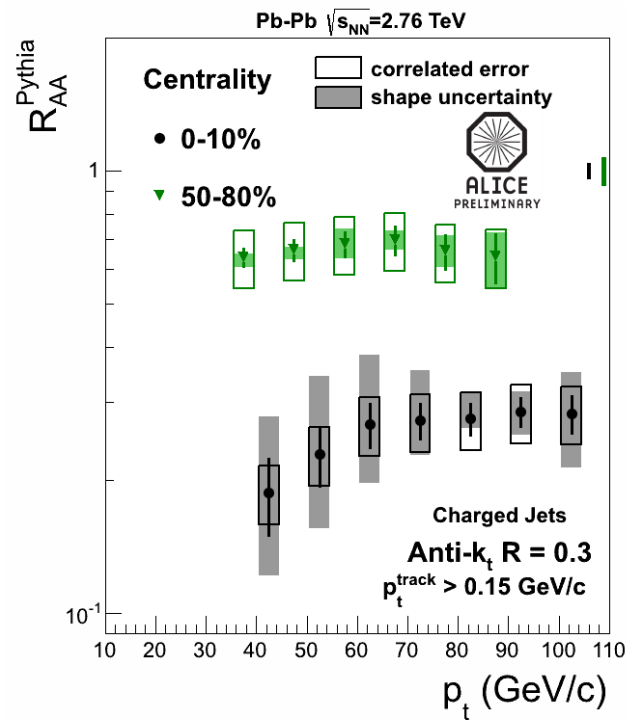
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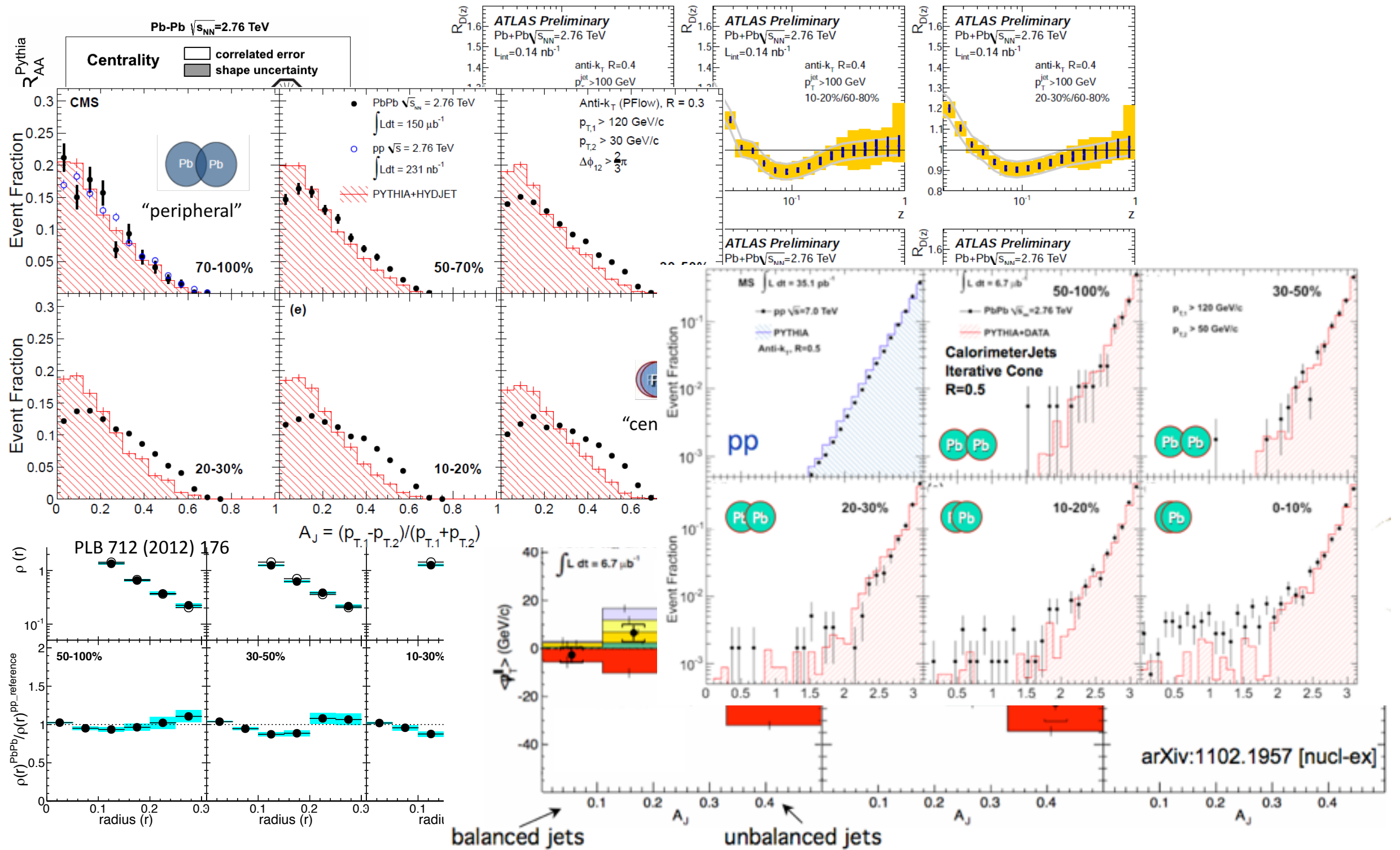
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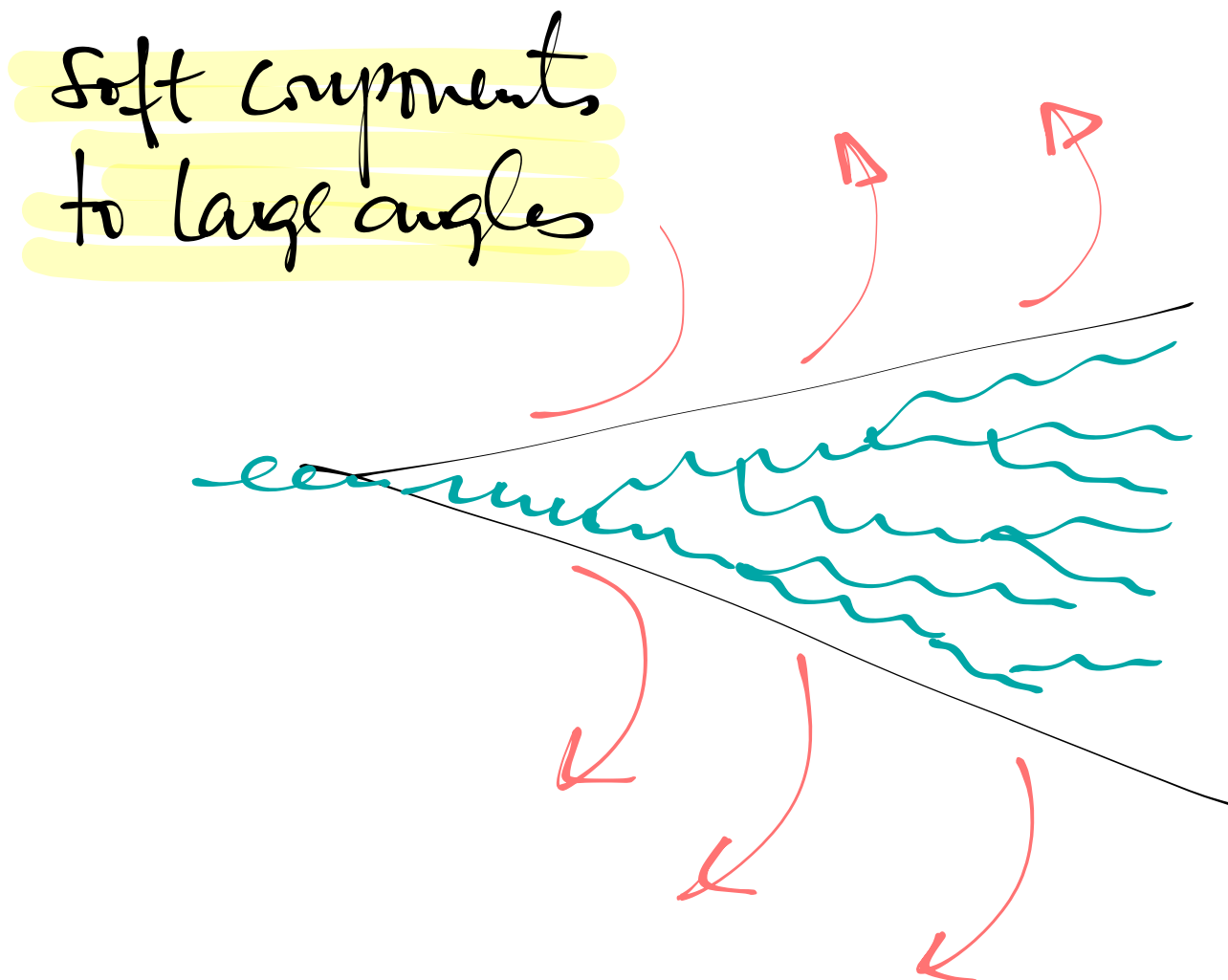
Reconstructed jets - plenty of data now



Qualitative description: jet collimation

Lessons from experimental data on jet reconstruction

- ▶ Suppression similar to inclusive hadrons for similar p_T
- ▶ Fragmentation functions are mildly modified - more in soft
- ▶ Jet shapes have mild modifications
- ▶ Azimuthal decorrelation of di-jets as in proton-proton
- ▶ Energy taken by soft particles at large angles

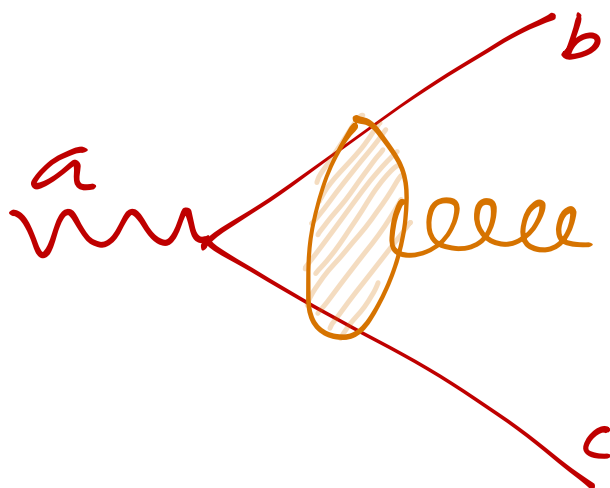


Soft components
to large angles

Hard components
largely unmodified

Coherence and decoherence in the antenna

Antenna in the vacuum



$$\left. \begin{aligned} r_{\perp} &\sim \Theta t_{\text{form}} \sim \frac{\Theta}{\theta^2 \omega} \\ \lambda_{\perp} &\sim \frac{1}{k_{\perp}} \sim \frac{1}{\omega \theta} \end{aligned} \right\}$$

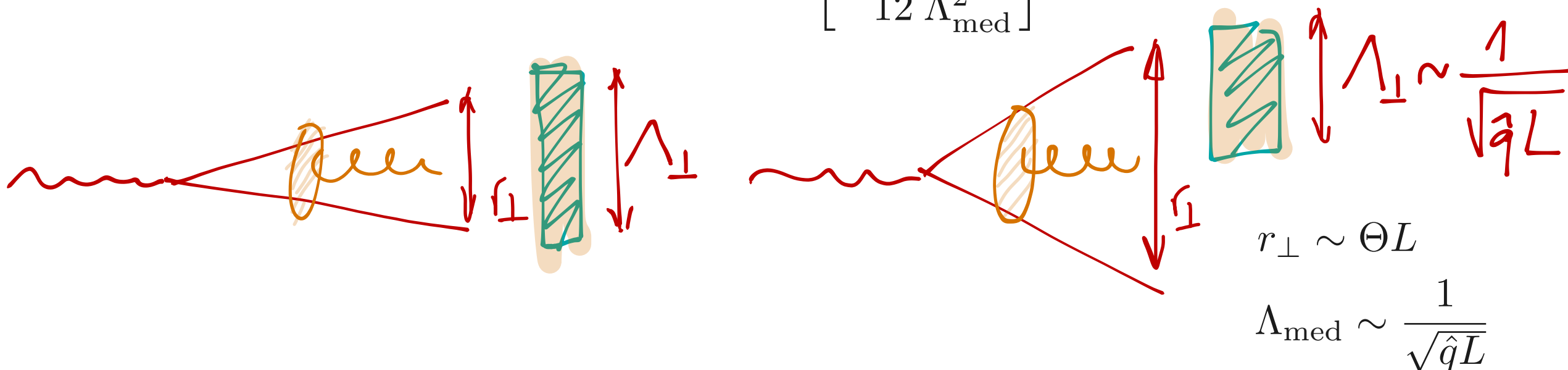
$$r_{\perp} > \lambda_{\perp} \iff \Theta > \theta$$

Coherent emission

Antenna in the medium

► Decoherence parameter

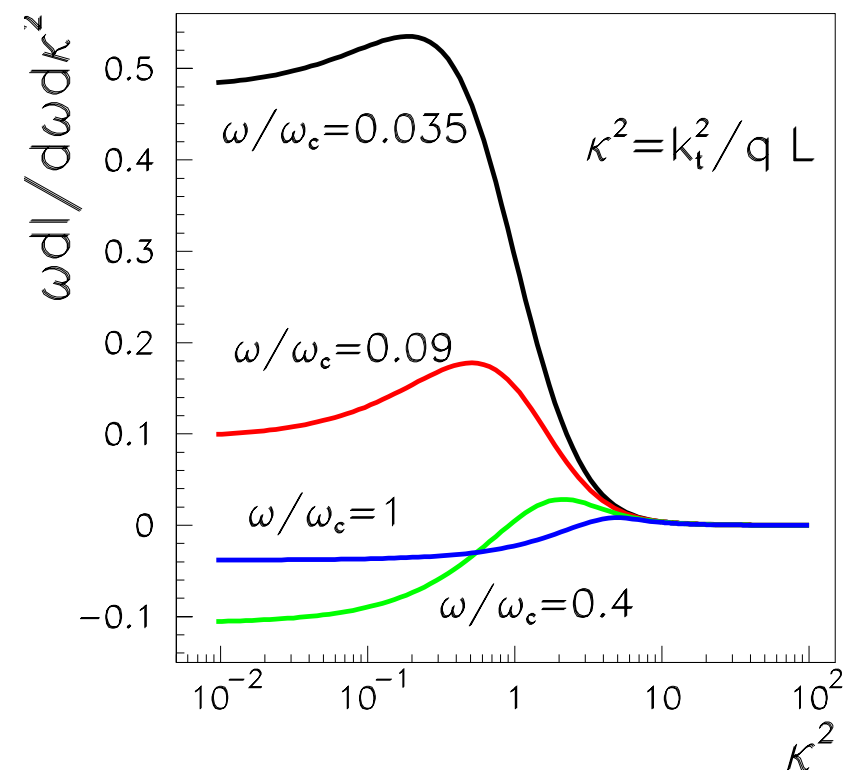
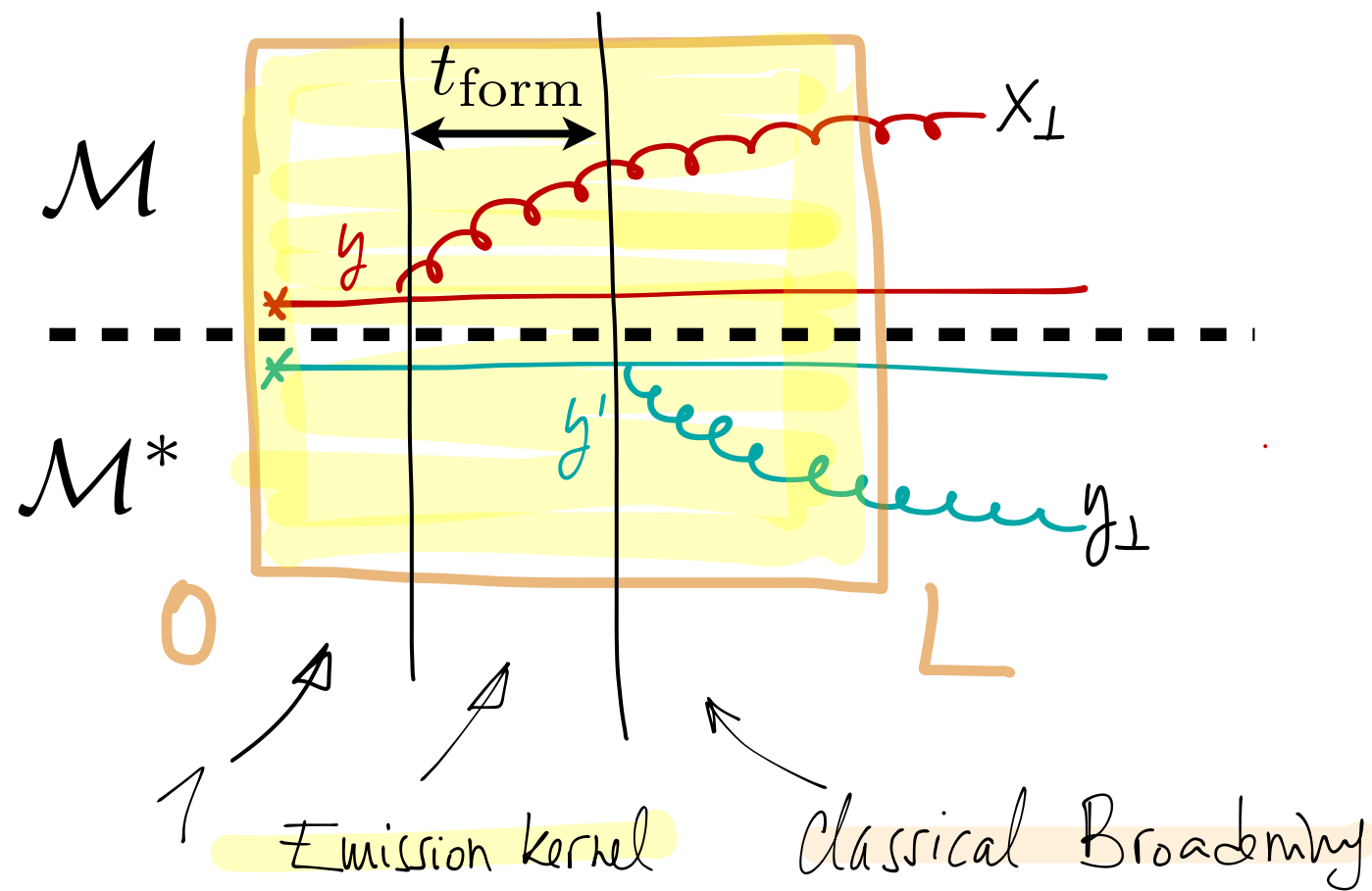
$$\Delta_{\text{med}} = 1 - \exp \left[-\frac{1}{12} \frac{r_{\perp}^2}{\Lambda_{\text{med}}^2} \right]$$



► The medium color-rotates the antenna which eventually loses color coherence

Medium-induced gluon radiation

$$\omega \frac{dI}{d\omega d\mathbf{k}} \sim \alpha_s C_R \int dy \int dy' \int d\mathbf{u} e^{i\mathbf{k}\cdot\mathbf{u}} \partial_{\mathbf{u}} \cdot \partial_{\mathbf{y}} \mathcal{K}(y', \mathbf{u}; y, \mathbf{y}) \Big|_{\mathbf{y}=0} \tilde{\mathcal{P}}(L, y'; \mathbf{u})$$

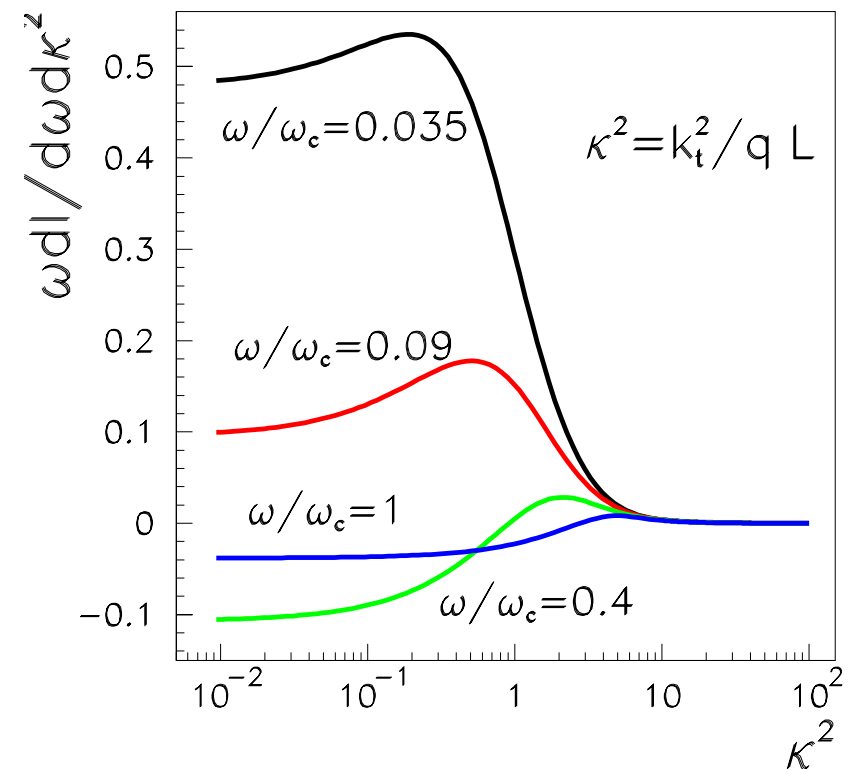
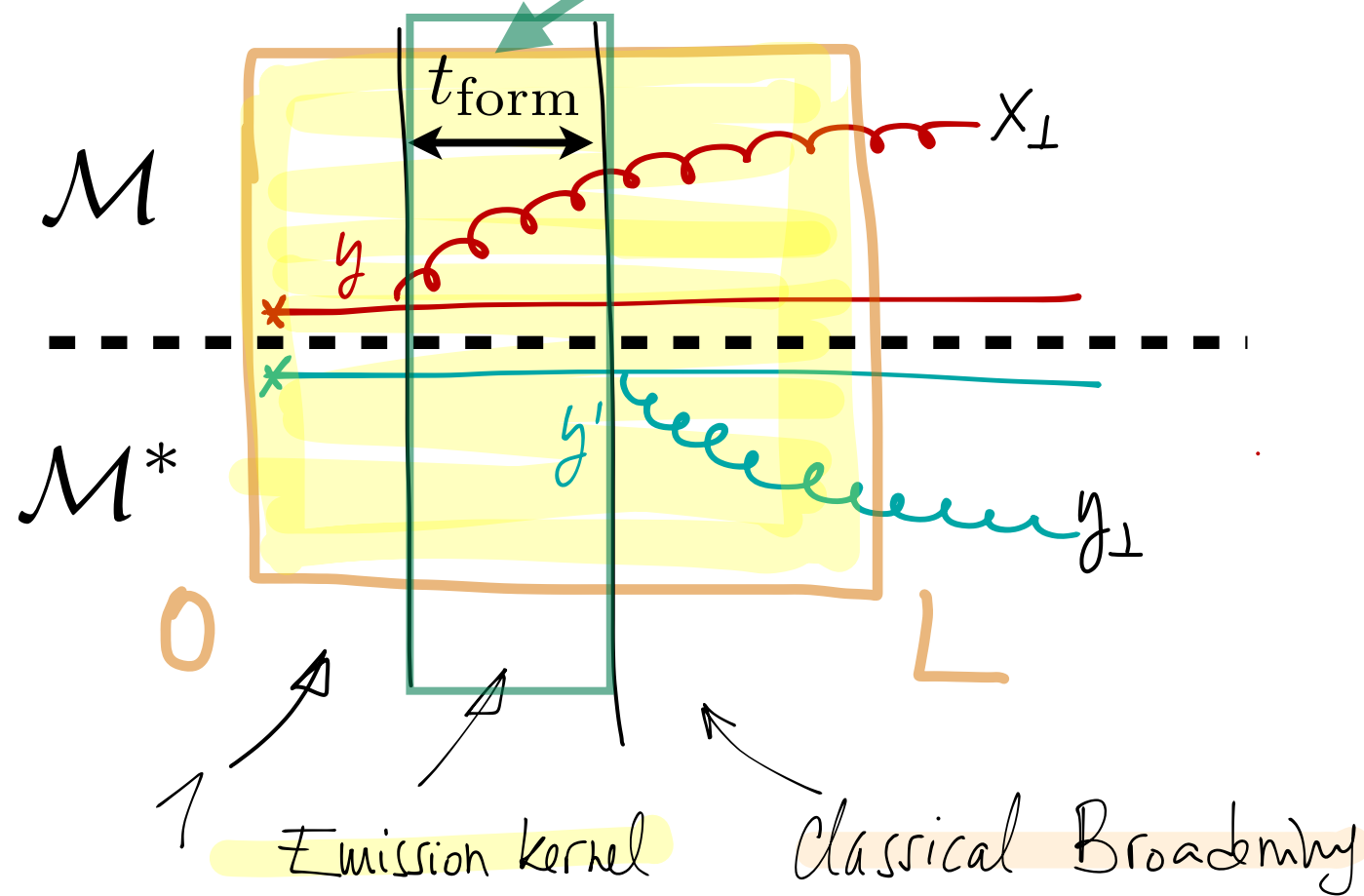


$$\mathcal{K}(y', \mathbf{u}; y, \mathbf{y}) = \int_{\mathbf{y}(y)}^{\mathbf{u}(y')} D\mathbf{r} \exp \left\{ i \frac{\omega}{2} \int d\xi \left(\frac{d\mathbf{r}(\xi)}{d\xi} \right)^2 \right\} \tilde{\mathcal{P}}(y', y, \mathbf{r})$$

[Zakharov, Baier, Dokshitzer, Mueller, Peigne, Schiff, Wiedemann, Gyulassy, Levai, Vitev, and many others...]

Medium-induced gluon radiation

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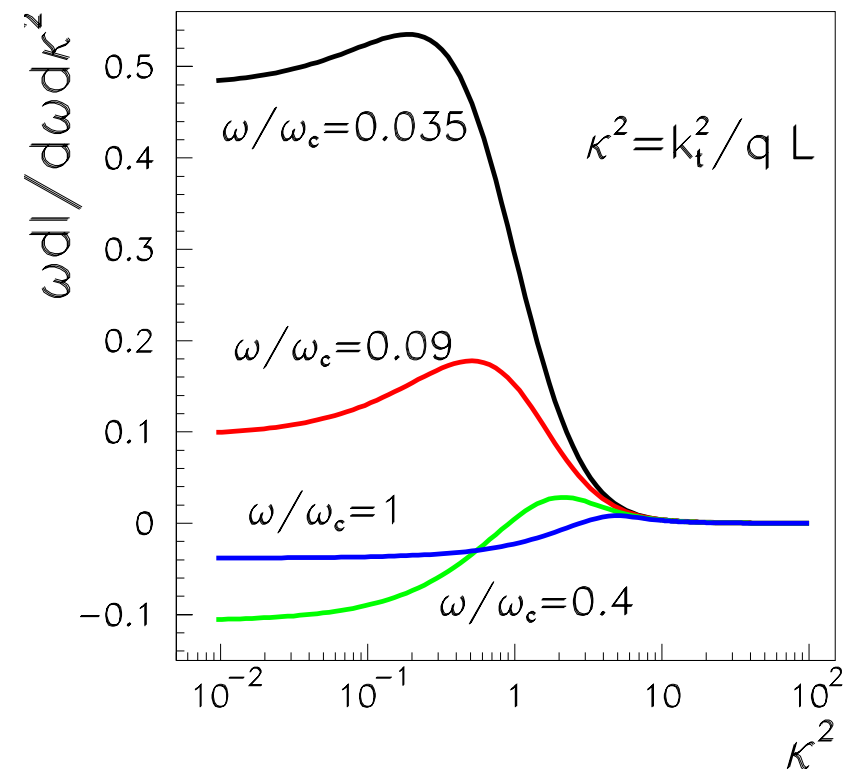
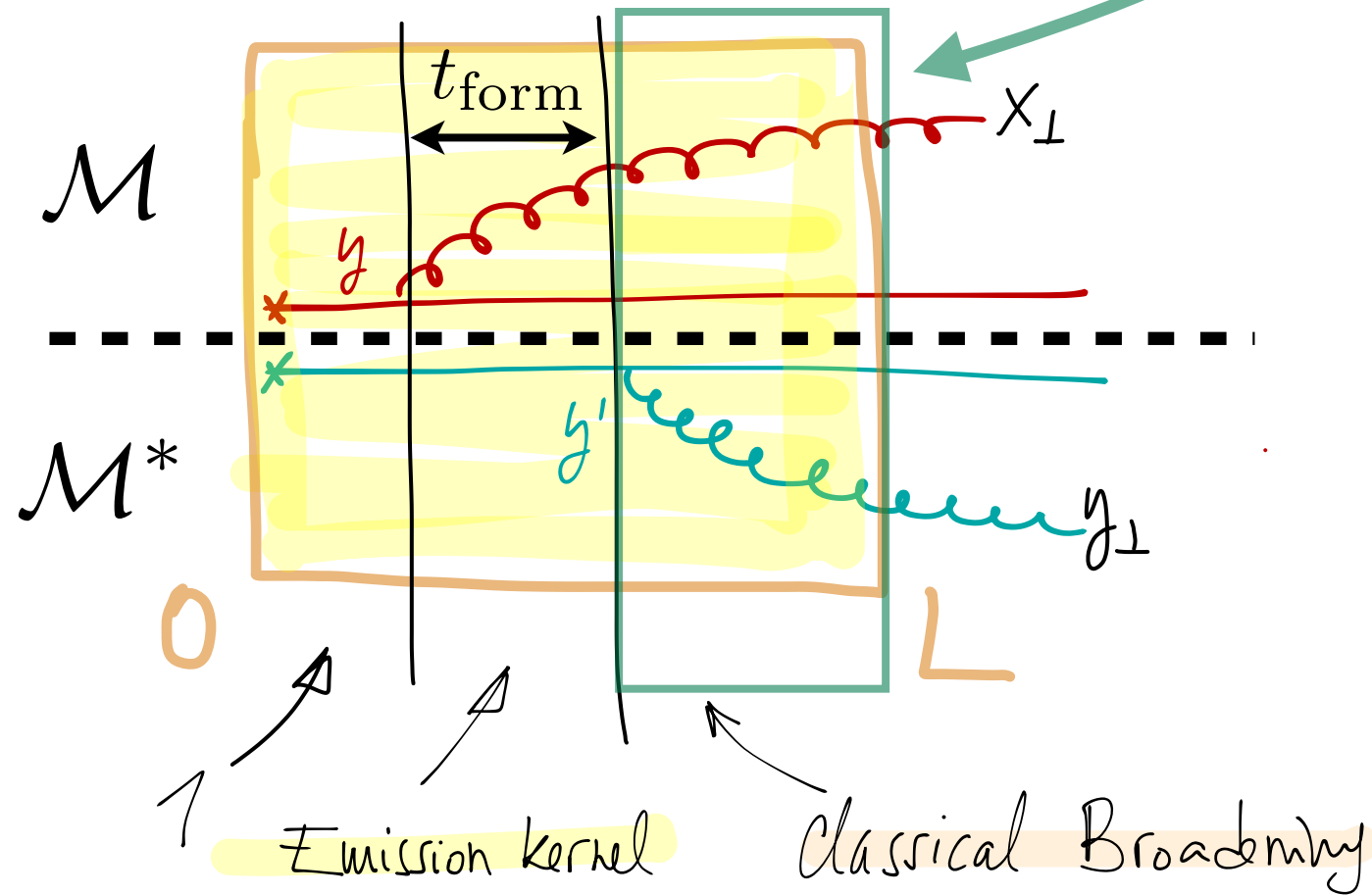


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[Zakharov, Baier, Dokshitzer, Mueller, Peigne, Schiff, Wiedemann, Gyulassy, Levai, Vitev, and many others...]

Medium-induced gluon radiation

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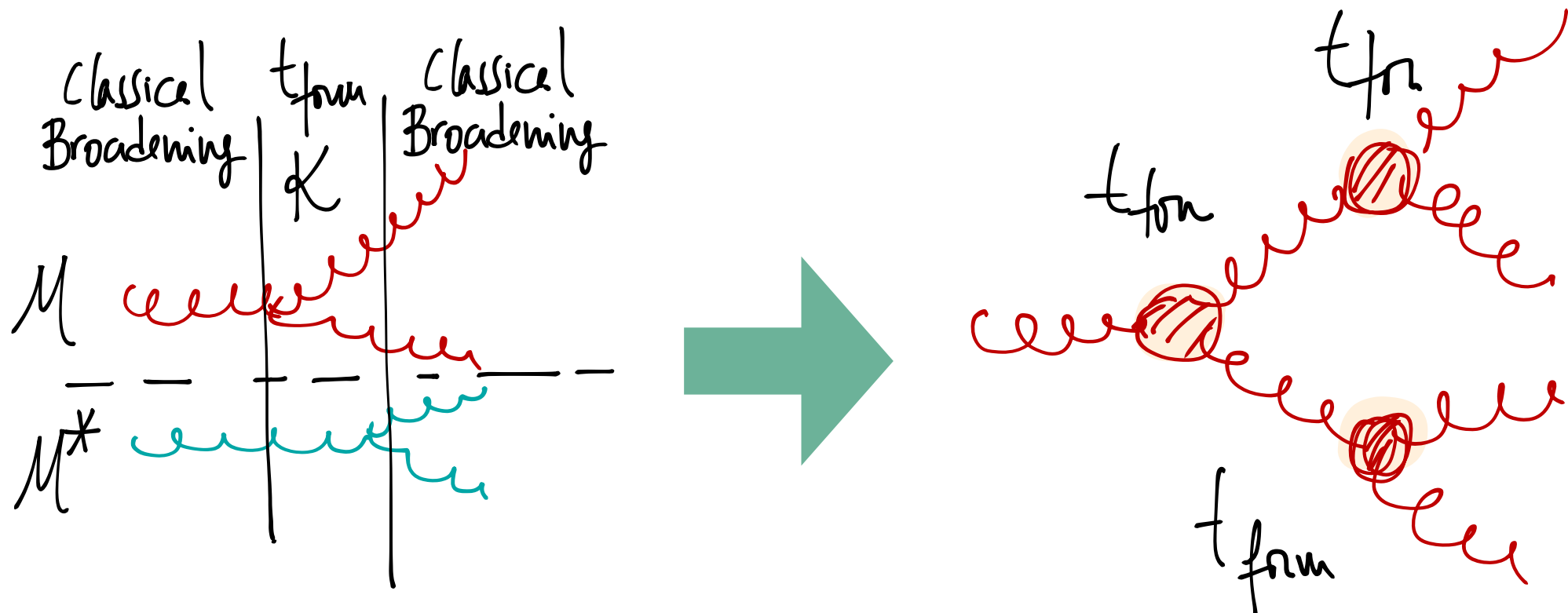
A resummation scheme

Factorization possible for $t_{\text{form}} \ll L$

[Blaizot, Dominguez, Iancu, Mehtar-Tani]

$$\frac{d^2\sigma}{d\Omega_{k_a} d\Omega_{k_b}} = 2g^2 z(1-z) \times \int_{t_0}^{t_L} dt \int_{p_0, q, p} \mathcal{P}(\mathbf{k}_a - \mathbf{p}, t_L - t) \mathcal{P}(\mathbf{k}_b - \mathbf{q} + \mathbf{p}, t_L - t) \times \mathcal{K}(\mathbf{p} - z\mathbf{q}, z, p_0^+) \mathcal{P}(\mathbf{q} - \mathbf{p}_0, t - t_0) \frac{d\sigma_{\text{hard}}}{d\Omega_{p_0}},$$

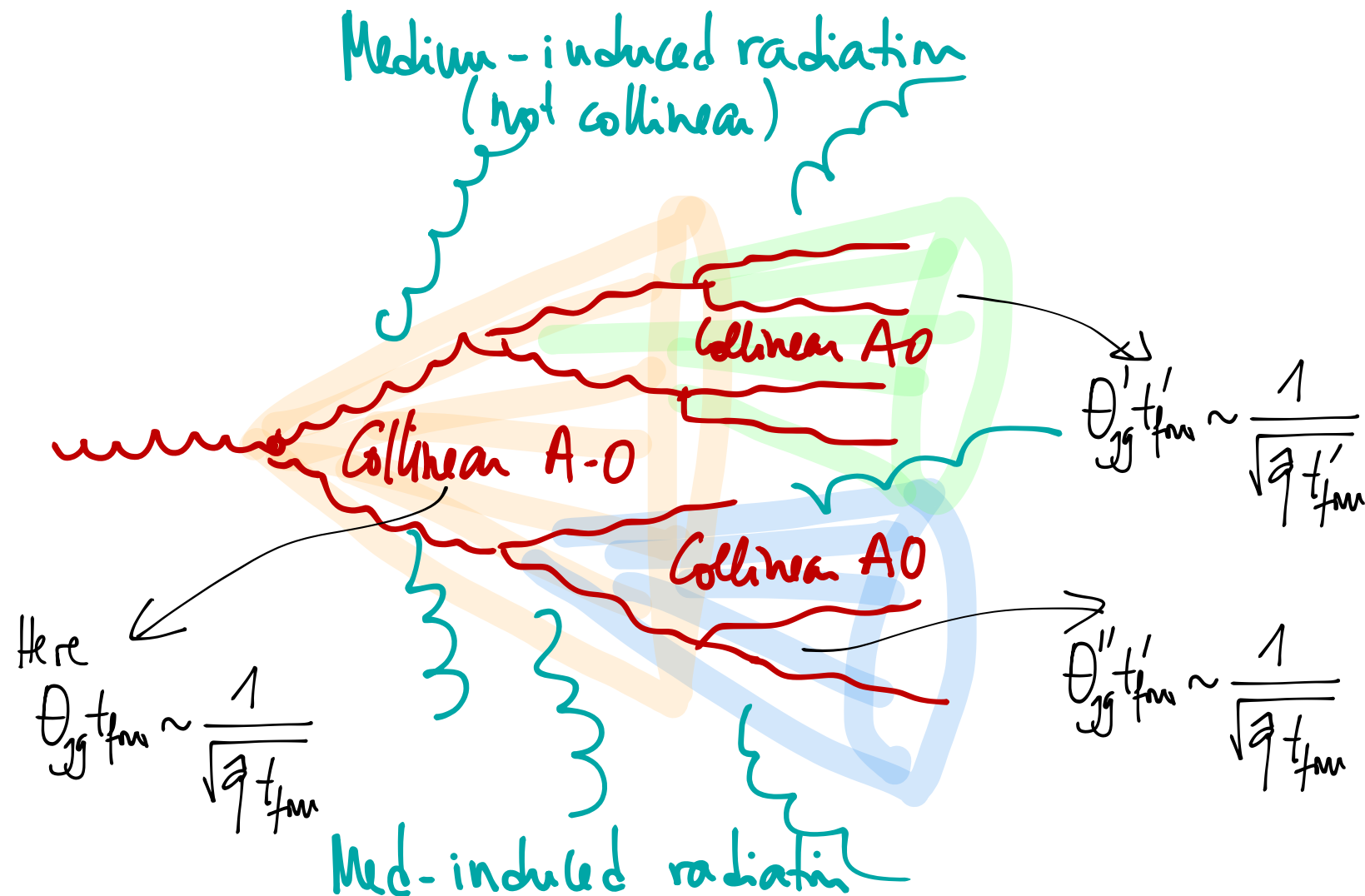
Simple probabilistic interpretation - rate equations



A new picture of jet quenching

The parton shower is composed of **un-modified subjects** (vacuum-like)

- ▶ **With a typical radius given by the medium scale**
- ▶ For medium-induced radiation **each subject is one single emitter**

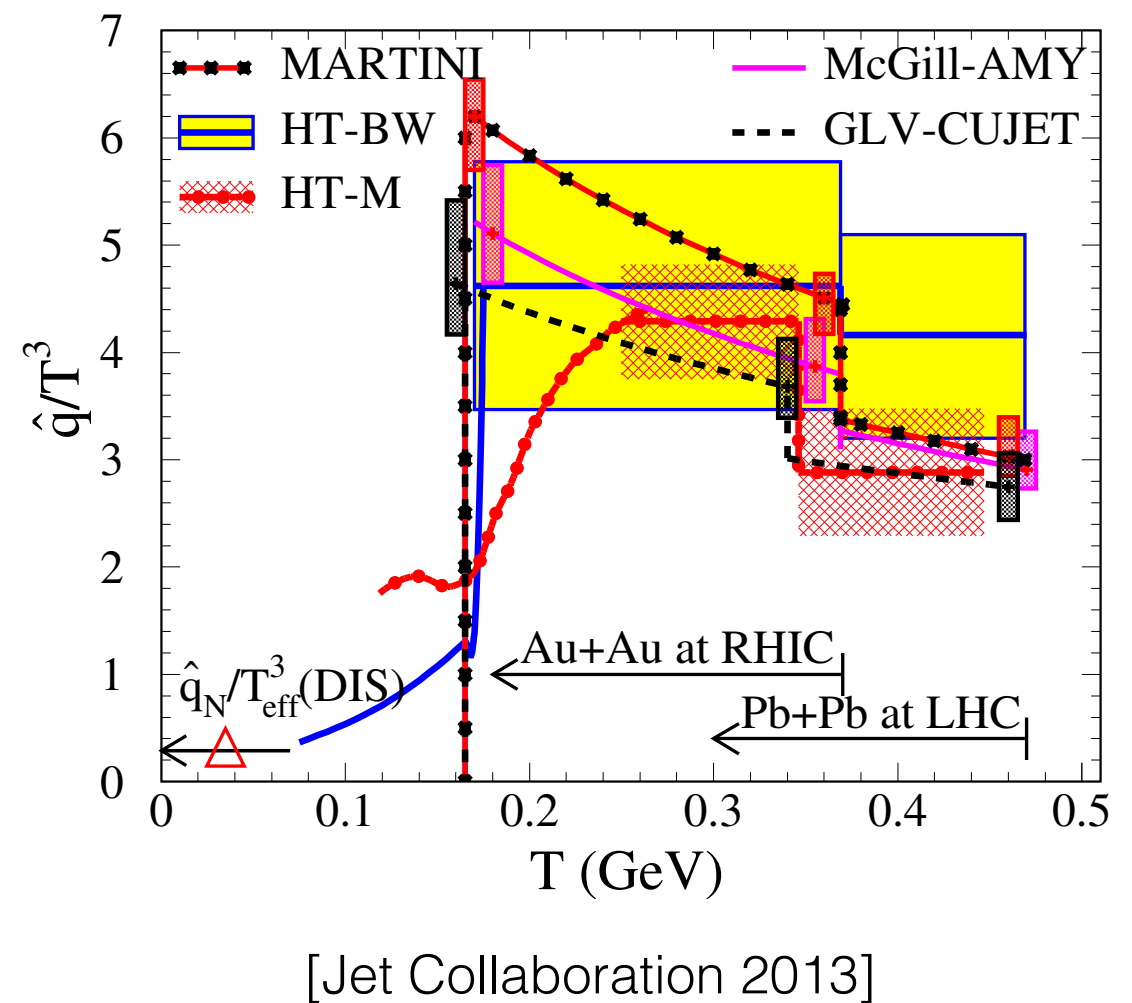
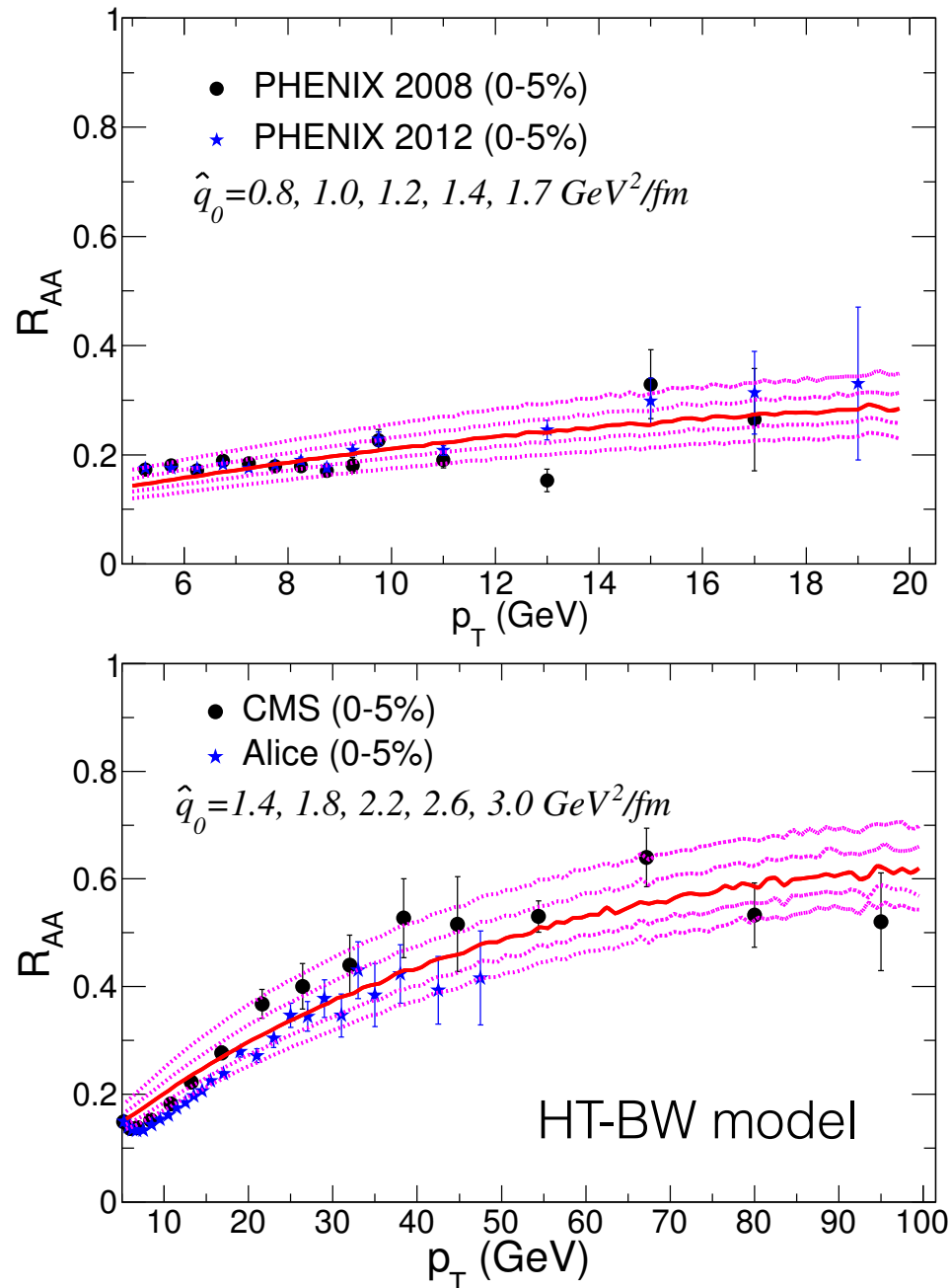


Also, 1st calculation of 1->3 splitting performed in SCET and 1st order in opacity expansion

- ▶ [Fickinger, Ovanesyanyan, Vitev] - [also Arnold, Iqbal 2015; Casalderrey-Solana, Pablos, Tywoniuk 2015]

Extracting the jet quenching parameter from data

Different modeling of the splitting probability and the multi-gluon emission studied by the JET Collaboration to extract \hat{q}



Summary

Nucleus-nucleus data

- *Good description by hydrodynamical models - viscosity*
- *Remarkable progress on the theory of jet quenching*
- *Many other observables not covered here - see next talks*

New questions open by the proton-lead run (small systems)

- *Soft regime presents AA features - thermal system? Initial state? both?*
- *Hard processes in good agreement with nuclear PDFs*
- *Fully consistent picture still missing - strong activity at present*
- **From a dilute system to a hot and dense medium**