

Caliste – MM: A Spectro-Polarimeter for Soft X-Ray Astrophysics

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The 4 faces of light in astrophysics

- **Imaging** : get precise information about the location of the source ("making pictures")
- **Spectroscopy** : get precise evaluation of the energy of the detected light
- **Timing** : study of the time variation of the intensity of the signal
- **Polarimetry** : ??

Polarimetry : Definition

- Light = Electromagnetic Wave
 - Carries oscillating **electric field** and **magnetic field**
- Electric and magnetic fields linked by Maxwell's equations
- **Polarimetry** = study of the orientation of the electric field of light
- Several polarization state possible : none, elliptic, circular, linear



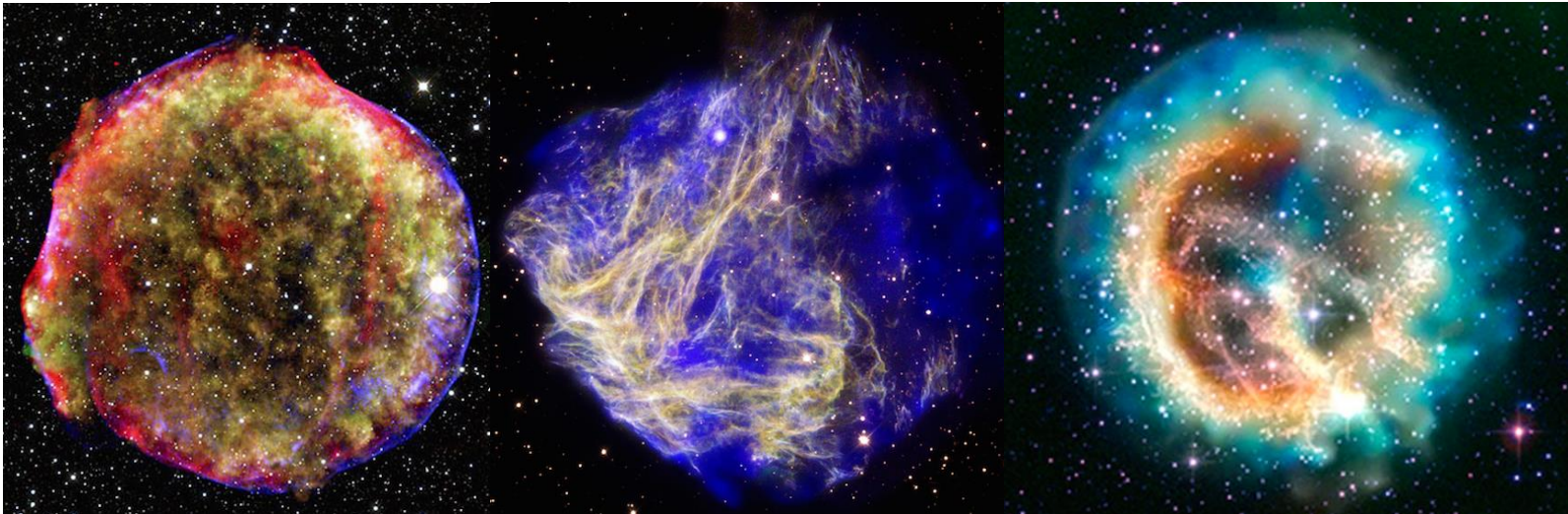
Circular

Linear



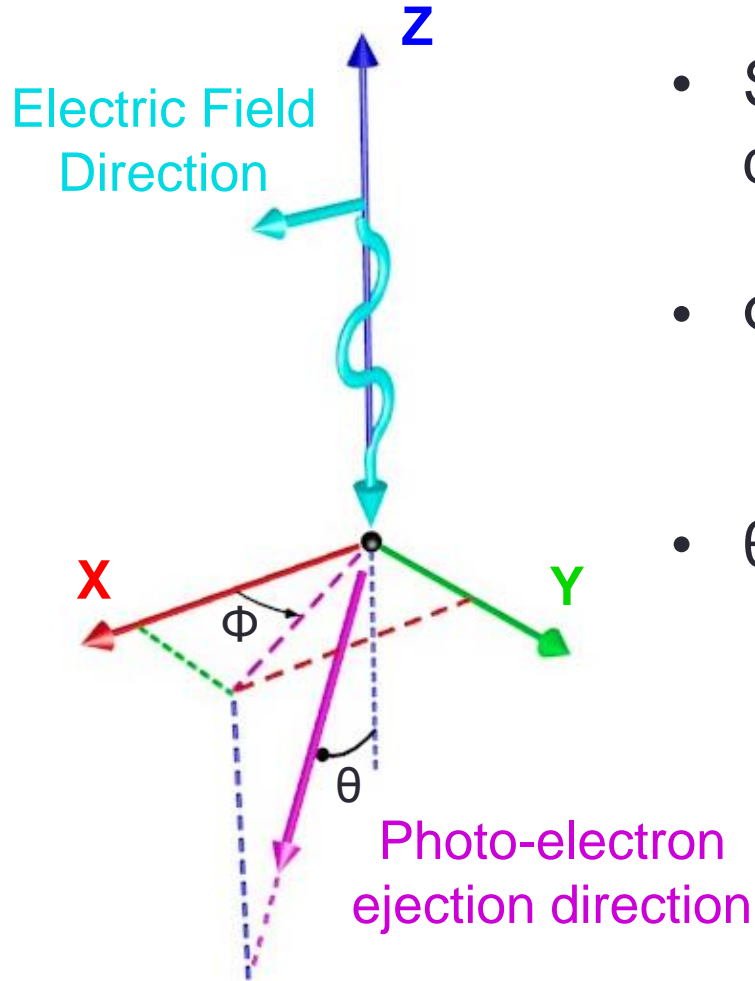
X-ray polarimetry : why ?

- **Polarisation state influenced by the magnetic field of the source**
→ Allows the study of intensity and direction of magnetic field in sources like Supernovae Remnants



- **Polarisation state influenced by the geometry of near objects**
In X rays *low spatial resolution* (hard to make mirrors for telescopes) and *small objects* (fast rotating neutron stars have diameter of ≈ 20 km, and are billions of kms away)
→ Polarimetry gives "indirect" information about the geometry of objects near the source

The Photo-electric effect



- Soft X-Rays (1 keV – 40 keV)
detection done by photo-electric effect
- Φ = azimuth
→ 2D projection of the ejection angle
- θ = polar angle

Polarimetry with the Photo-electric effect

- Differential Cross-Section:

$$\frac{dS_{Ph}}{dW} = r_0^2 a^4 Z^5 \left(\frac{m_e c^2}{E} \right)^2 \frac{4\sqrt{2} \sin^2(q) \cos^2(f)}{(1 - b \cos(q))^4}$$

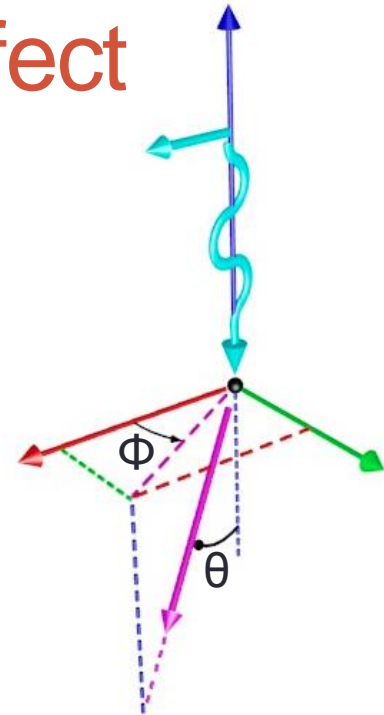
- Probability modulated by $\cos^2(\Phi)$

→ We want to recover Φ for each interaction to make a histogram
 → we want to recover the track of the photo-electron

Need of an efficient material (high Z), but light enough to let the photo-electron recoil

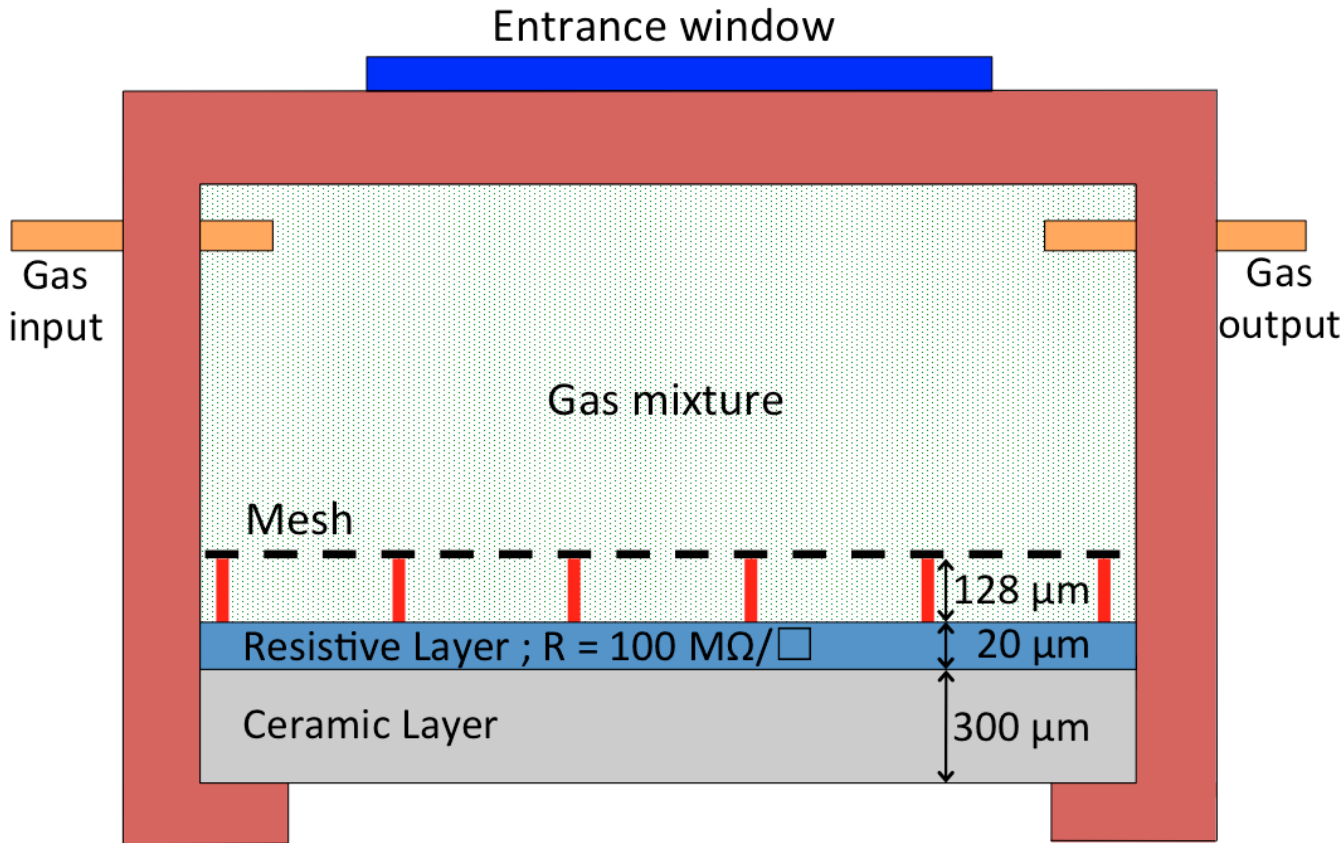
→ **gas = perfect candidate**. But gaseous detectors are very sensitive to sparks
 : huge problem when detector in space

need of a new concept of detector if we want to send it into space





Piggyback Micromegas (1)



- Bulk Principle
- Anode = resistive layer spread on ceramic plate

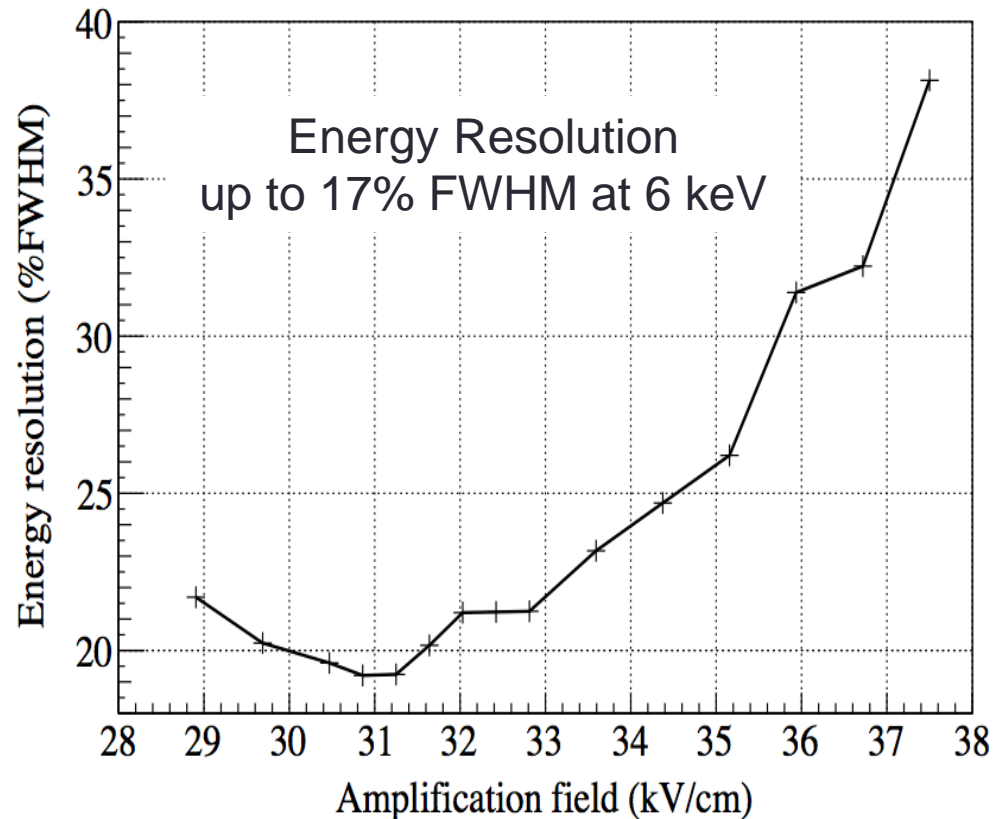
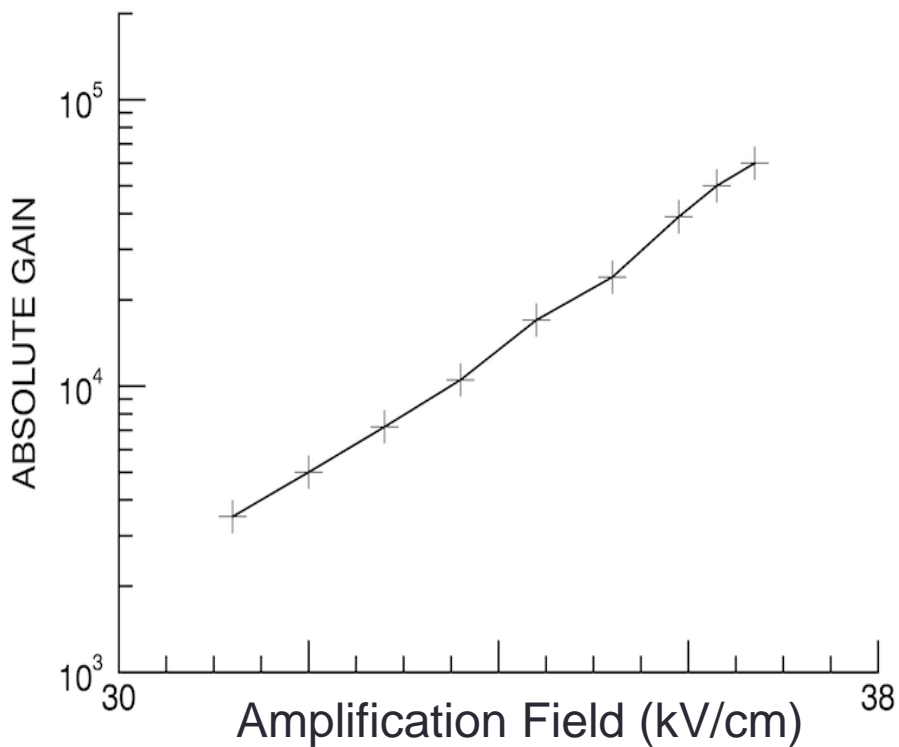
No electronics inside the detector : signal read through the ceramic

- Protection from Sparks thanks to resistive layer
- Interchangeable Electronics

Piggyback Micromegas (2)

Source = ^{55}Fe (6 keV photons)
Argon – Isobutane 95% - 5%
Signal read on mesh

Gain between 10^3 and 10^5



Piggyback Micromegas (3)

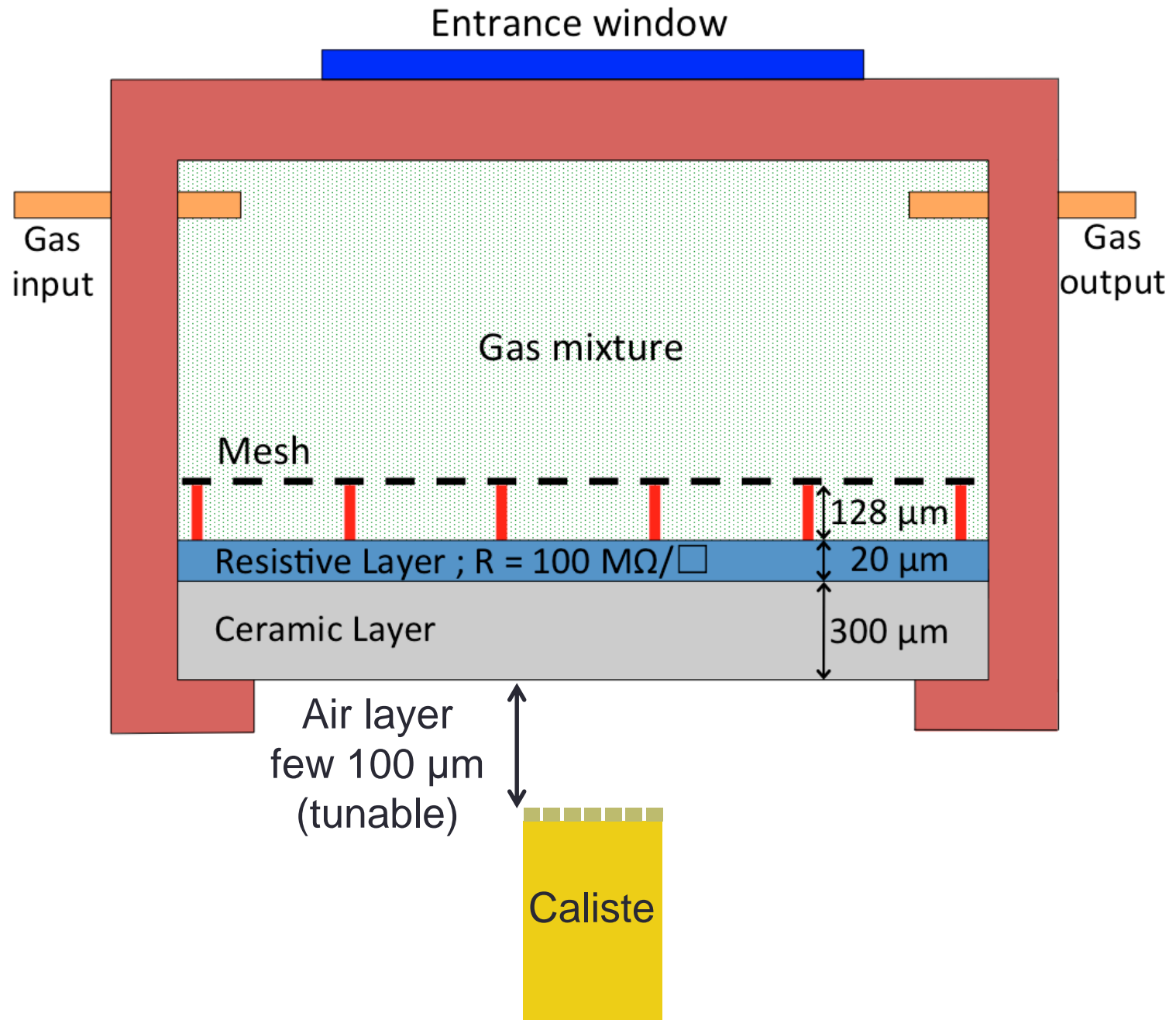
- Readout electronics must have some specificities:
 - Low Noise and sensitive enough to read the signal through the ceramic
 - Small pixels to recover the photo-electron's track for polarimetry
 - Able to perform spectroscopy

Caliste

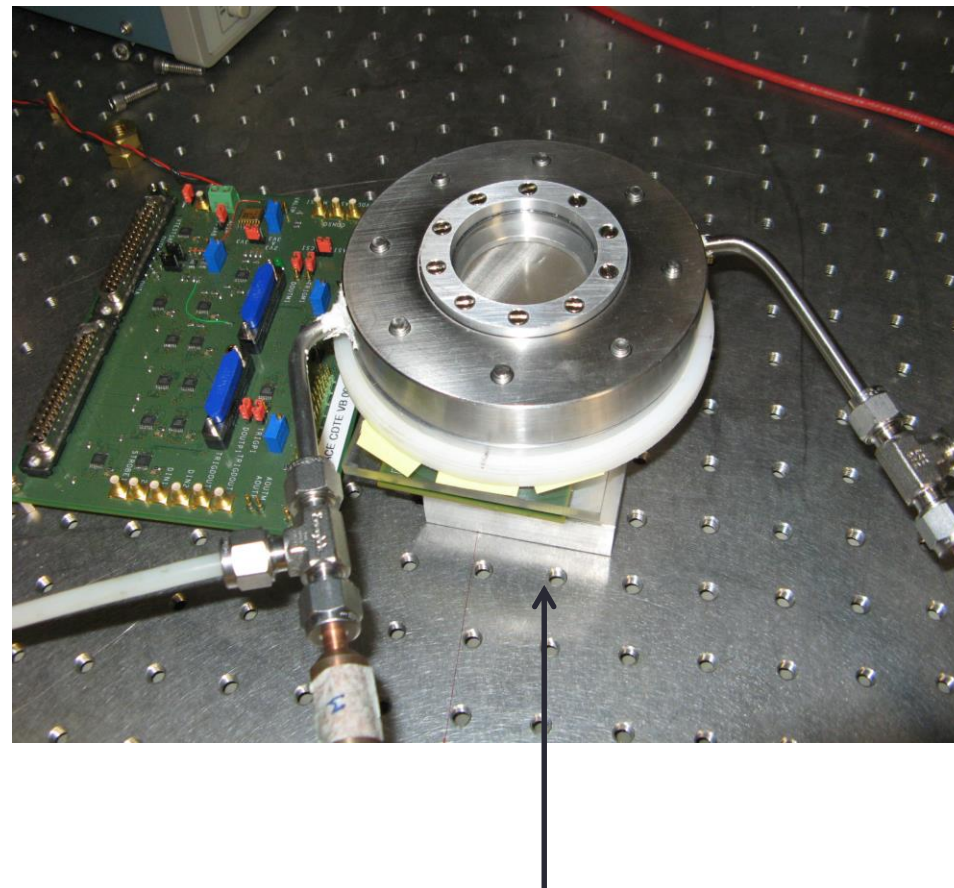
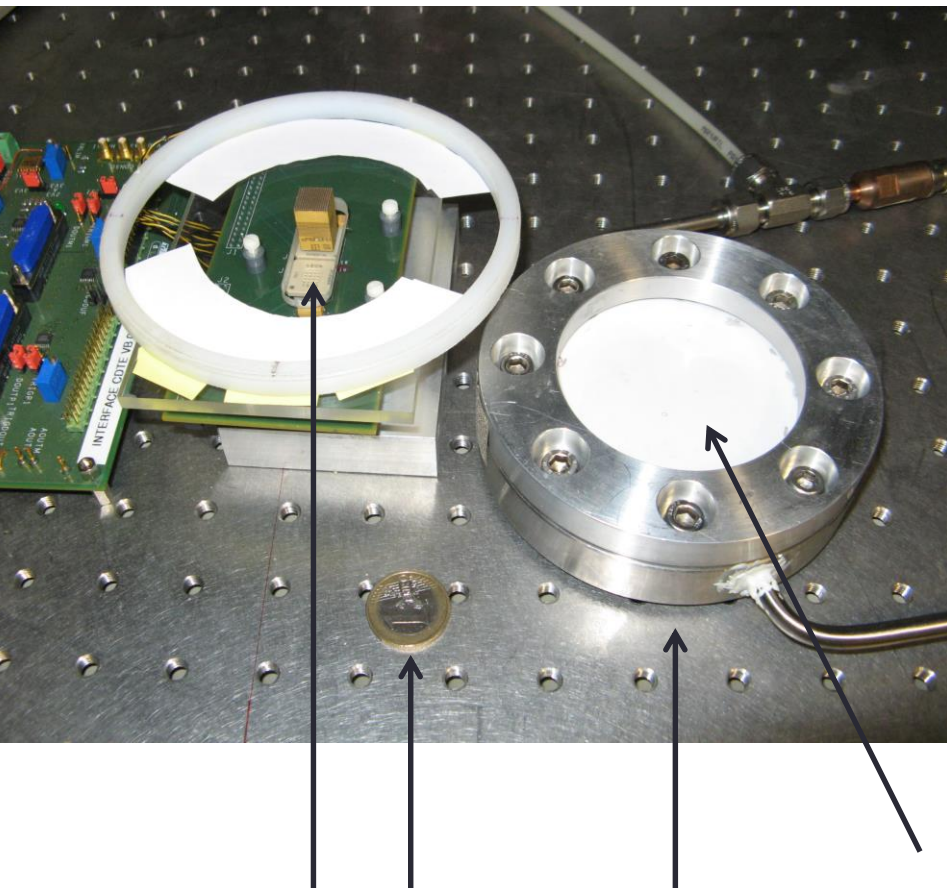


Initially for semiconductor space detectors

- 3D
- $10 \times 10 \times 20.7 \text{ mm}^3$ (Compact)
- 16×16 pixels : 8 ASICs of 32 channels
- Pixel $\varnothing = 500 \text{ }\mu\text{m}$; Pixel Pitch = $580 \text{ }\mu\text{m}$
- Consumption = $850 \text{ }\mu\text{W/channel}$ (218 mW in total)
- Low Noise (ENC = $50 \text{ e}^- \text{ rms}$)
- Space Qualified
- Self-Triggered



SETUP Caliste-MM

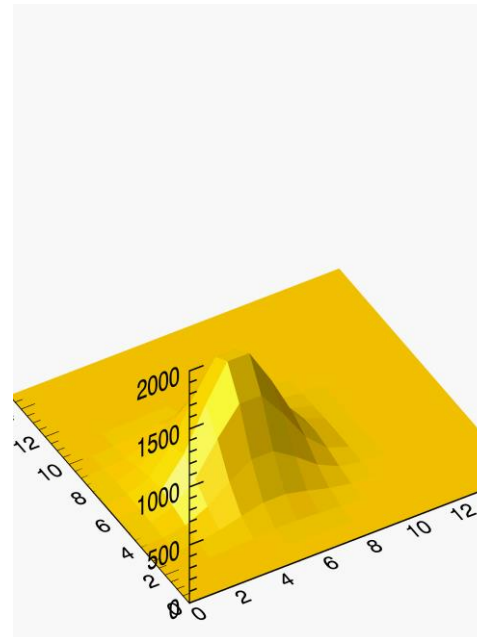
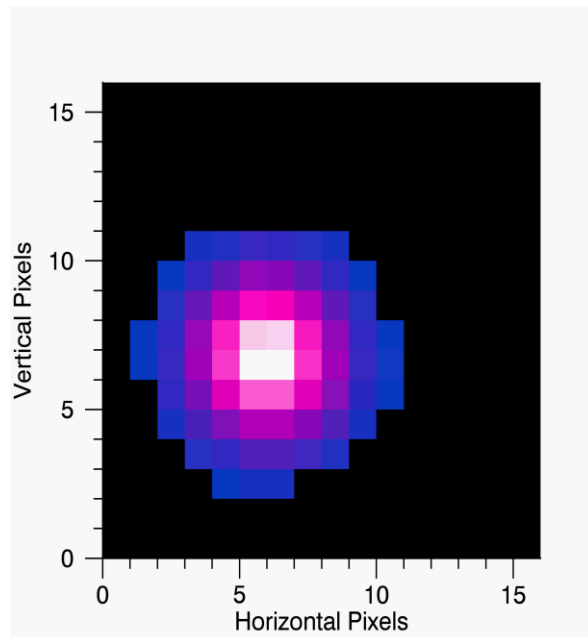


Caliste - MM: Events

Gas = Argon-Ethane 90% - 10%

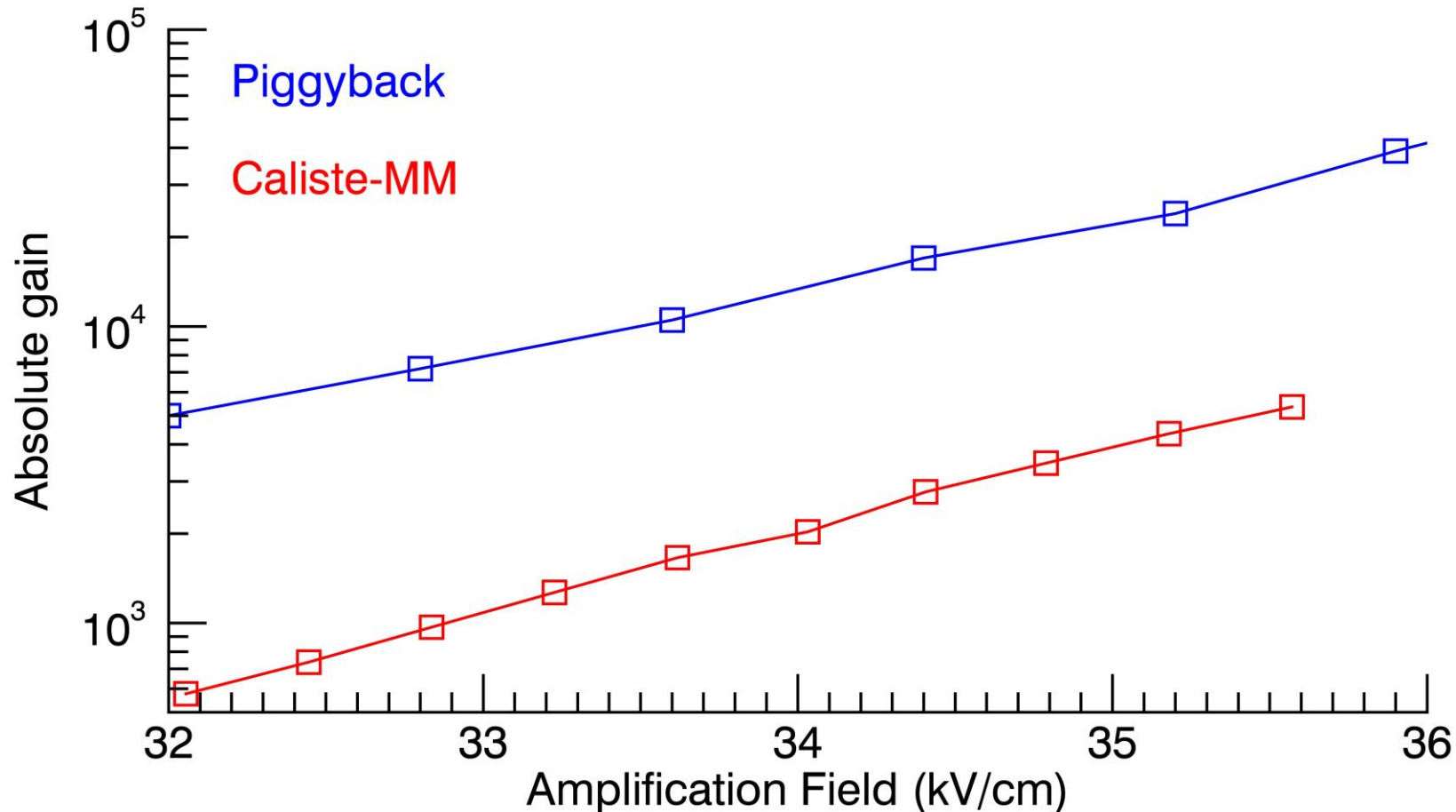
Caliste at 500 μm from the ceramique: contactless configuration

6 keV photons source



Typical events
read on
Caliste

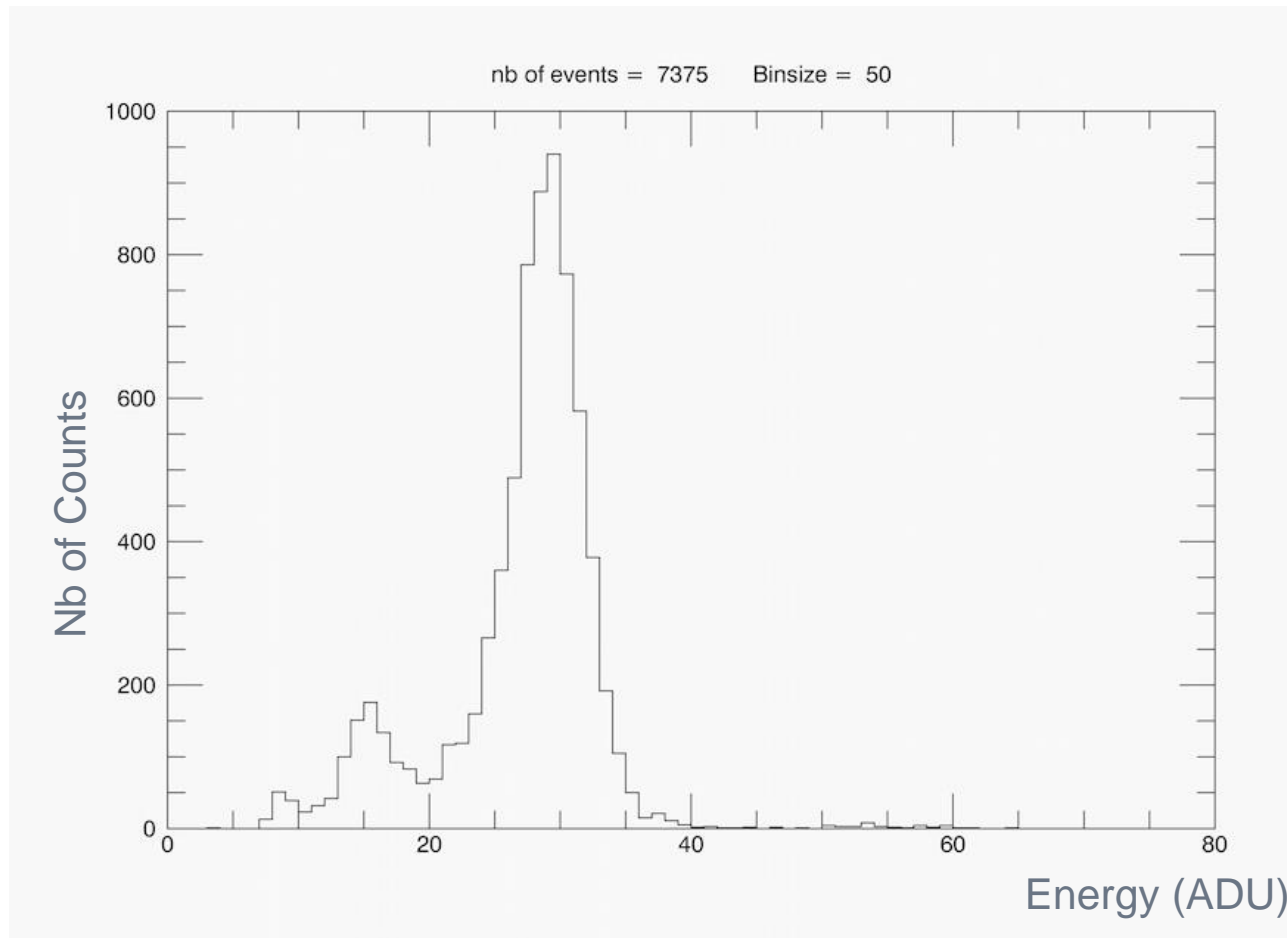
Caliste - MM: Gain



Gain of whole setup smaller

But still of around 10^3 thanks to high gain of Micromegas detectors

Caliste - MM: Spectroscopy



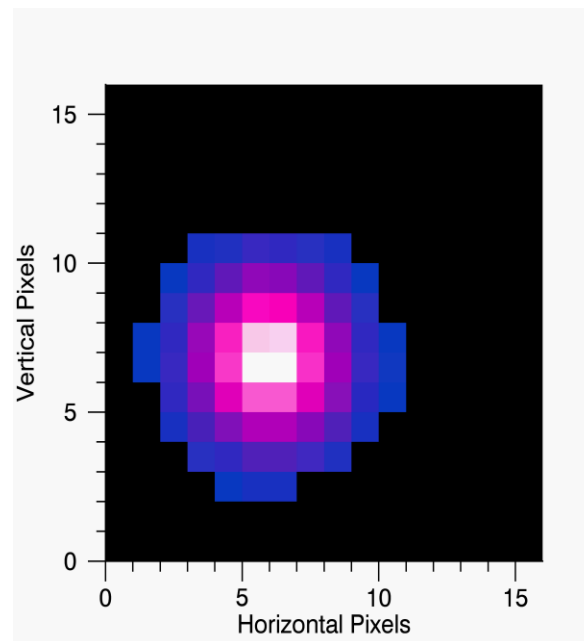
Resolution = 17.8% FWHM at 6 keV

As good as expected for a micromegas using a bulk technology

Having outer and contactless electronics does not degrade the energy resolution

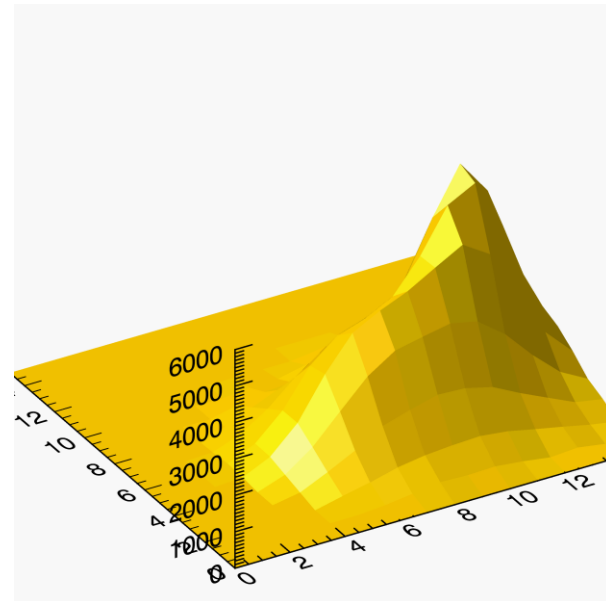
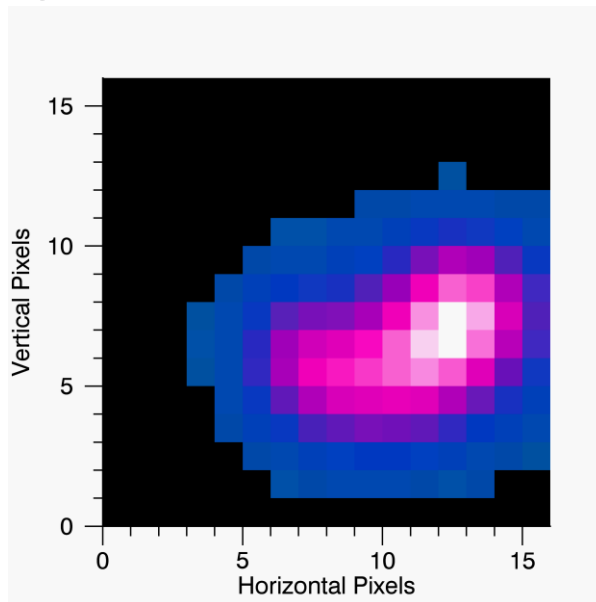
Caliste - MM: Polarimetry (1)

Photo-electron's track impossible to see in Argon



Caliste - MM: Polarimetry (2)

- Using a mixture of He-CO₂, 8keV source



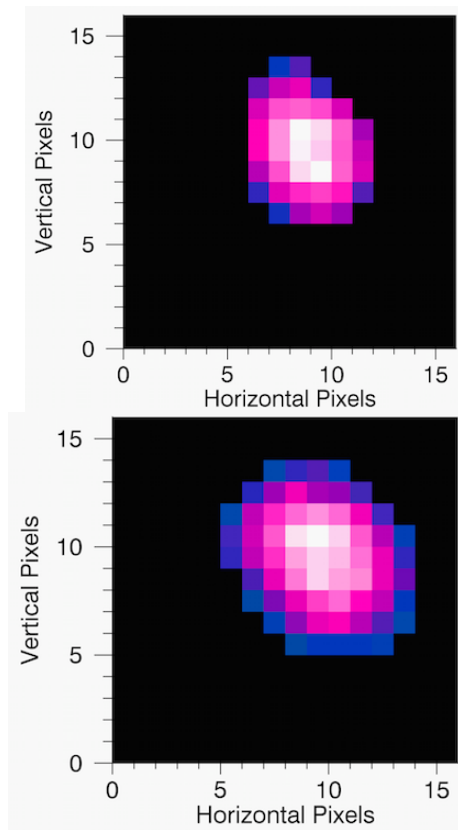
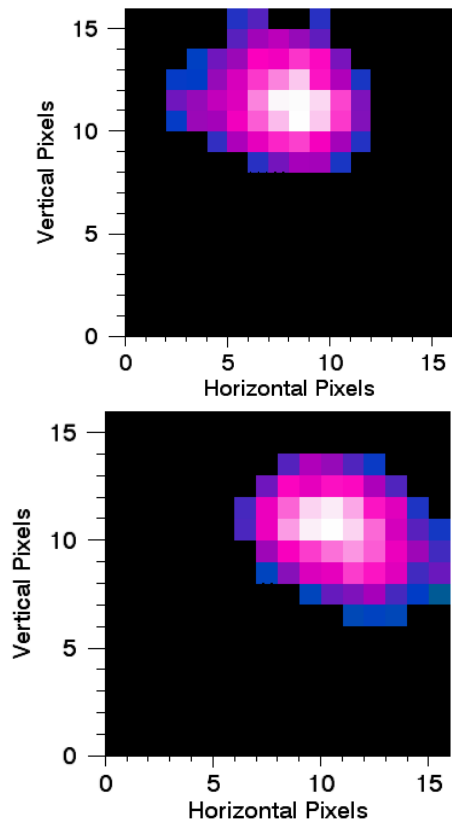
Helium lighter than Argon: it lets the photo-electron recoil
→ We can recover the track, and then perform a polarimetry measurement

Caliste - MM: The problems with Helium

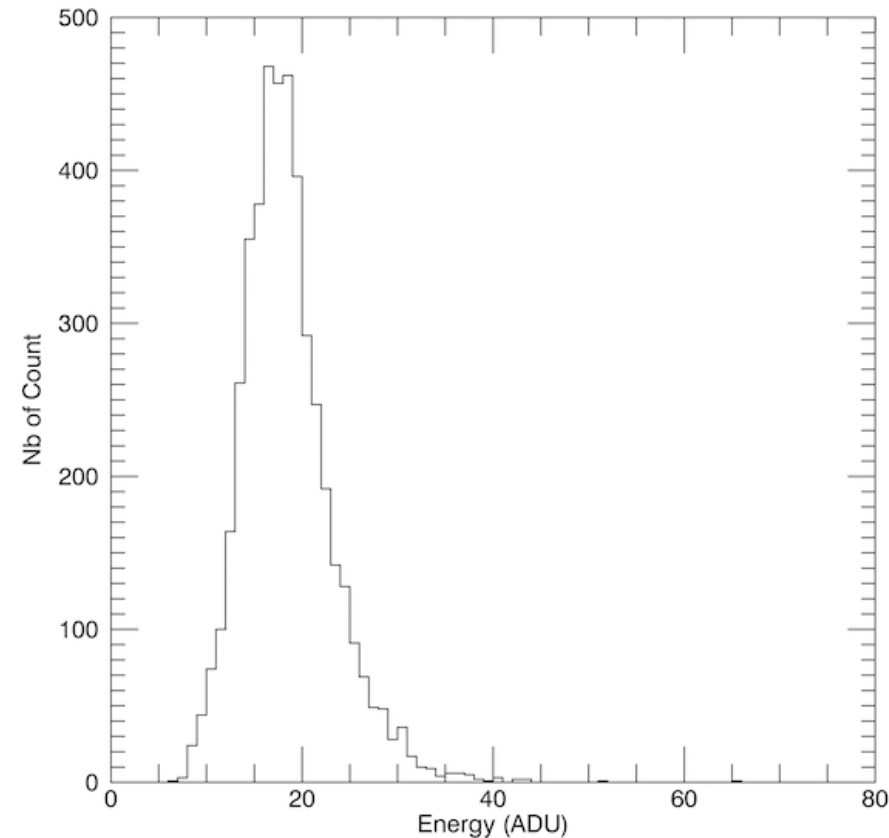
- Helium bad candidate for spectroscopy
- Helium too inefficient for photo-electric effect: efficiency depends on Z^5 , and $Z_{\text{He}} = 2$ ($Z_{\text{Ne}} = 10$, $Z_{\text{Ar}} = 18$)
- Helium = bad candidate for astrophysics: very hard to contain and high leaking probability
- Idea: use Neon or Argon in low pressure conditions

Caliste - MM: Spectro-polarimetry

Mixture of Neon/Ethane/CF₄
P = 375mbar ; 6 keV source



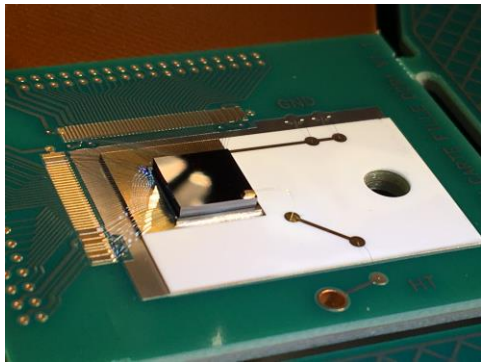
Visible tracks



Resolution \approx 30% FWHM at 6 keV

D²R₁ – MM

- One way to improve the results: to use the concept of non integrated electronics and use another one

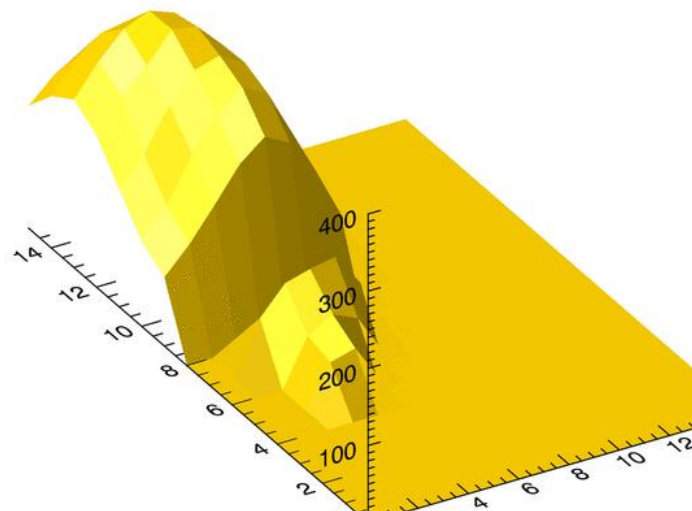
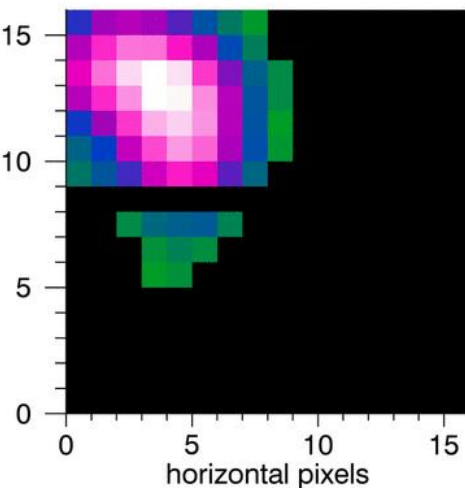


D²R₁ electronics, also inherited from semiconductor detectors

16 x 16 pixels, low noise (25 e⁻ rms)

300 μm pixel pitch

→ **pixels 4 times smaller**



Helium mix
6 keV source

Nice tracks at 6 keV
(before, it was 8 keV)

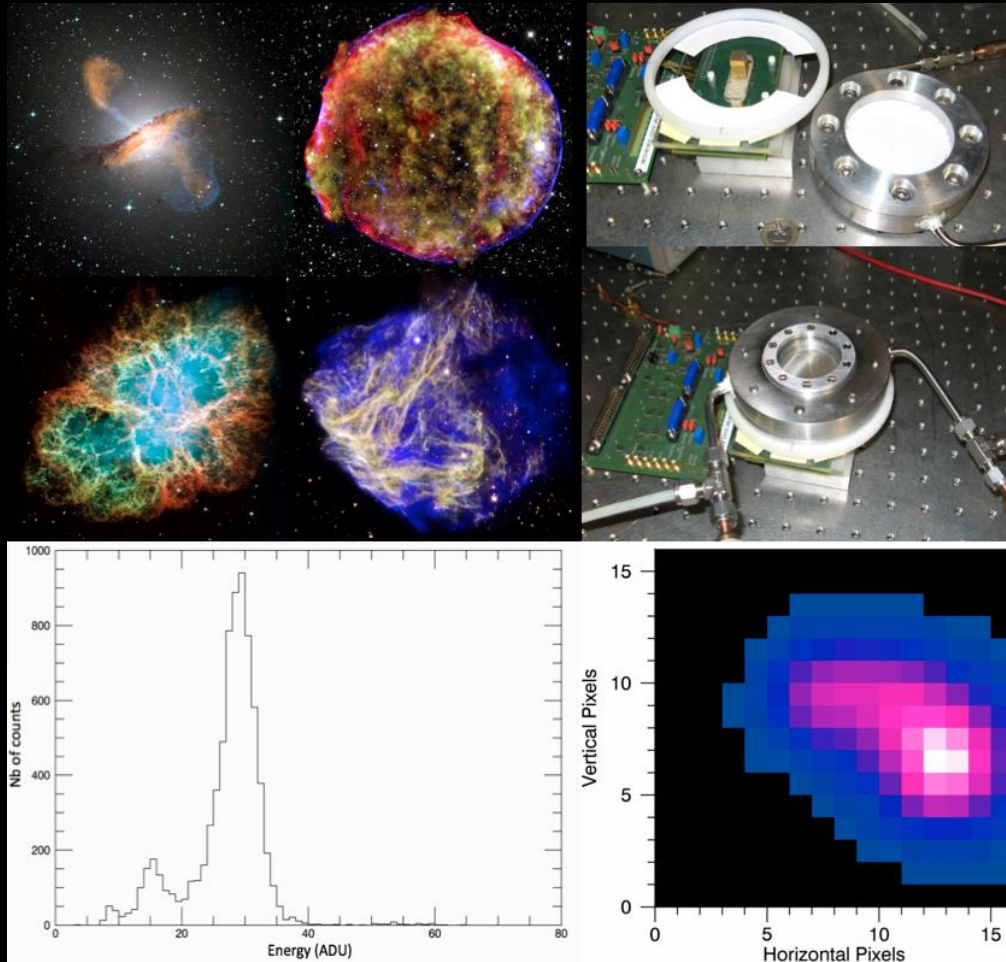
Caliste - MM: Prospects

- Proof of concept of spectro-polarimetry with novel design of detector. Now needs to be improved
- Use of piggybacks with greater gaps (196 μm and 256 μm) will allow to reach higher gains at low pressure and recover better tracks
- Concept of completely uncoupled and easily changed electronics proven

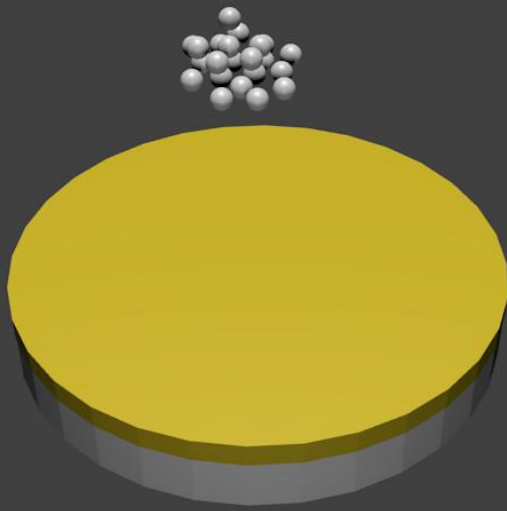
We can design a specific electronics more adapted (pixels' size, gain) without being worried of protecting it from sparks

- Measurement in a 100% polarized beam to measure modulation factor

Thank you



Back-up: Diffusion Model (1)



Charges arrive at the resistive layer of uniform potential

Diffusion inside the resistive layer

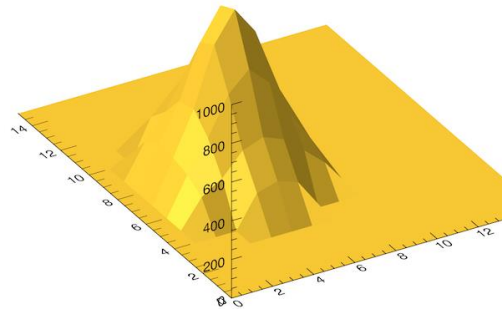
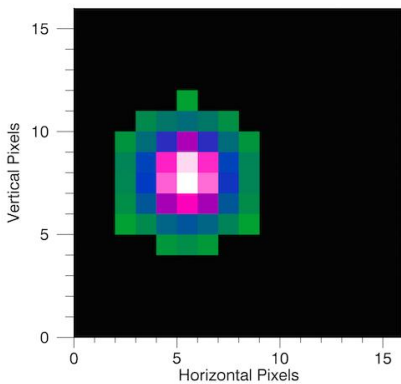
2nd Fick's Law give the equation of charge density :

$$\frac{\partial \rho}{\partial t} = D \left(\frac{\partial^2 \rho}{\partial x^2} + \frac{\partial^2 \rho}{\partial y^2} \right) \quad \text{with} \quad D = \frac{1}{R_{\square} C_S}$$

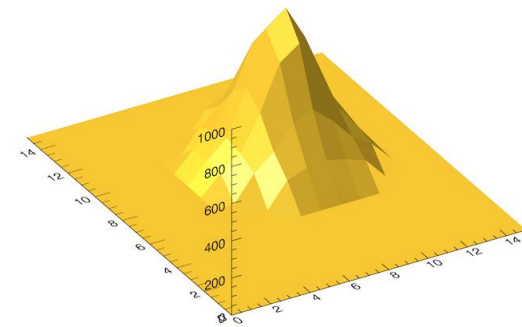
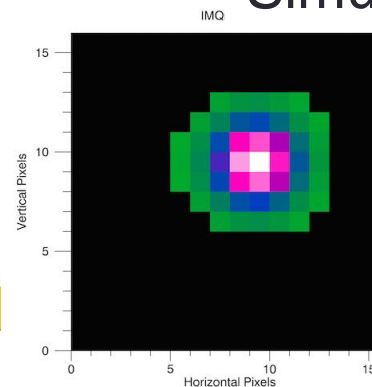
Back-up: Diffusion Model (2)

- We solve and calculate ρ
- Spatial integration to get charge Q read on each pixel
- We take the maximum on this charge on each pixel and convert into ADU units

Real Data



Simulation



- Good agreement in gain and event shape, but still some work to do :
need to fit curve of gain with observable parameters (gain vs distance ; gain vs resistivity, etc..)

Back-up: Gain vs Distance

