

Longitudinal Asymmetry and its Measurable Effects in Pb-Pb Collisions at 2.76 TeV

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Plan of the Talk

Introduction

Experimental and Data Details

Analysis and Systematic Errors

Results

Comparison with Simulations

Conclusions

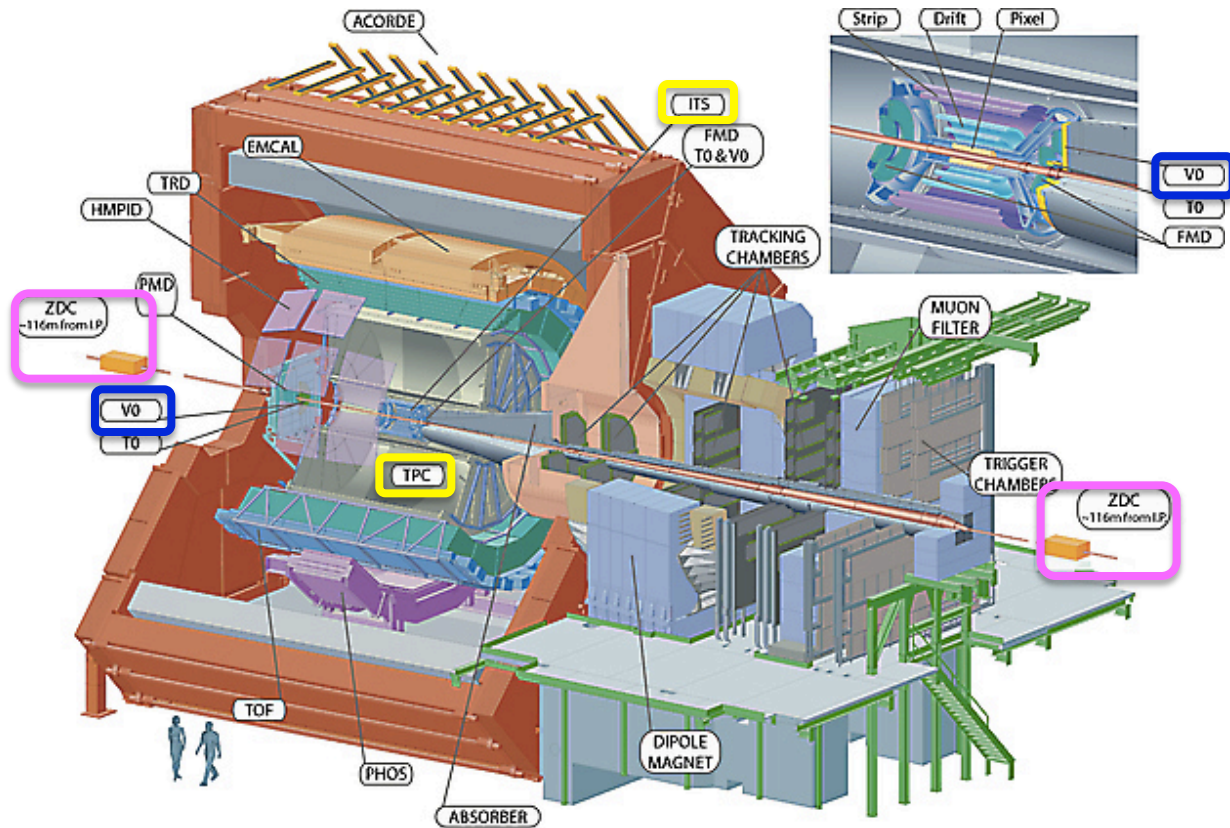


Introduction

- In most collisions of identical nuclei
 - Unequal number of participants \Rightarrow Collision asymmetric
 - Longitudinal asymmetry
 - Consider p-A collisions
 - No symmetry about the N-N CM frame
(ALICE Collaboration: PRL 110, 032301 (2013))
- Asymmetry in collisions may affect all measurements affected by Fluctuations, Number of participants, Symmetry about N-N CM frame (Rapidity distributions !)
- A and B nucleons from each nucleus \Rightarrow a shift in rapidity of participant zone $y_0 = \frac{1}{2} \ln (A/B) = \frac{1}{2} \ln (1+\alpha_{\text{part}})/(1-\alpha_{\text{part}})$
For a typical case
(at ~ 6.5 fm impact parameter for Pb-Pb, using Glauber MC)
 $A = 126, B = 114$ and $\alpha_{\text{part}} = 0.05$ and $y_0 = 0.05$
$$\alpha_{\text{part}} = (A-B)/(A+B)$$



EXPERIMENTAL AND DATA DETAILS



Pb-Pb Collision
 $\sqrt{s_{NN}} = 2.76 \text{ TeV}$

~3M Minimum bias
events in 0-40%

Centrality using

- V0A and V0C
(V0M Centrality)
- Track Multiplicity
(Track Centrality)

▪ ZDC, ITS, TPC, V0, Centrality Triggers

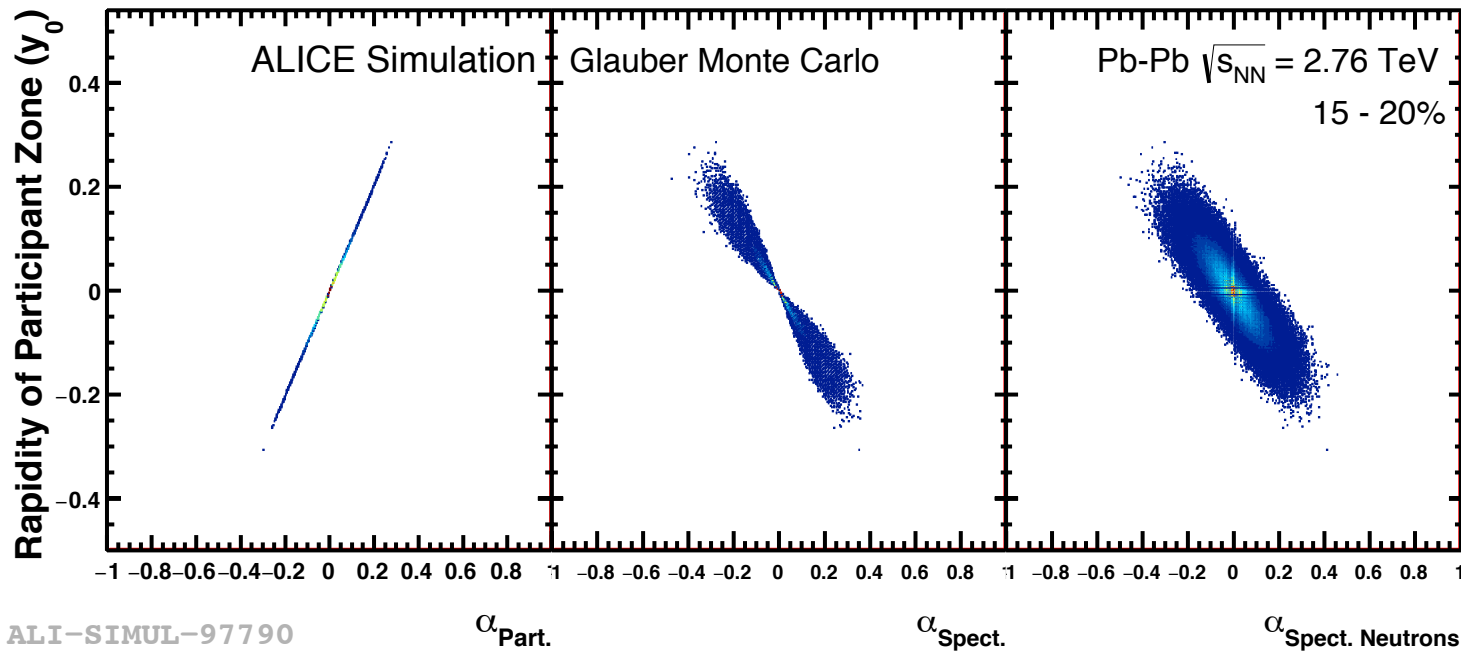
Acceptance, tracks / hits, quality, normalisations (scaling in ZNA and ZNC), Mention quality checks for different runs

Relation of Asymmetries with Rapidity-Shift

Asymmetry in participants,
 α_{part} , related to y_0

Asymmetry in spectators,
 α_{spec} , related to y_0

Asymmetry in neutron spectators,
 $\alpha_{\text{spect-neutrons}}$, related to y_0

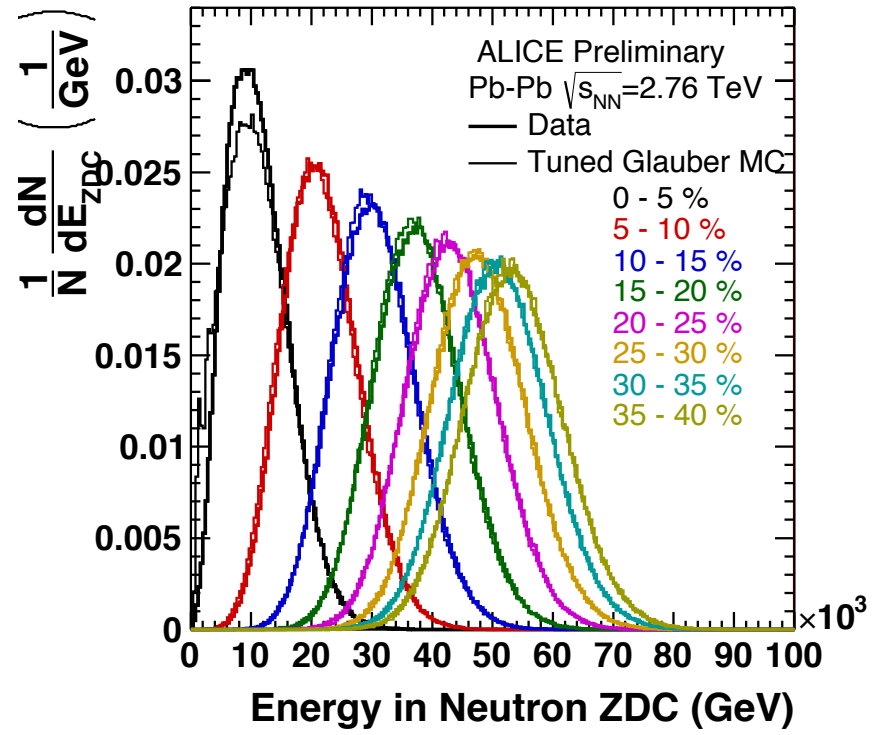


Estimate asymmetry by measuring energy in neutron ZDCs



Distribution of Energy in ZDC from : Experiment and Tuned Glauber MC (TGMC)

Neutron spectators from Glauber MC + ZDC Resolution + tuning loss of neutrons due to fragment formation reproduces the ZDC energy distribution.



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(PHOBOS) Glauber MC: Alver, Baker, Loizides, Steinberg arXiv: 0805.4411

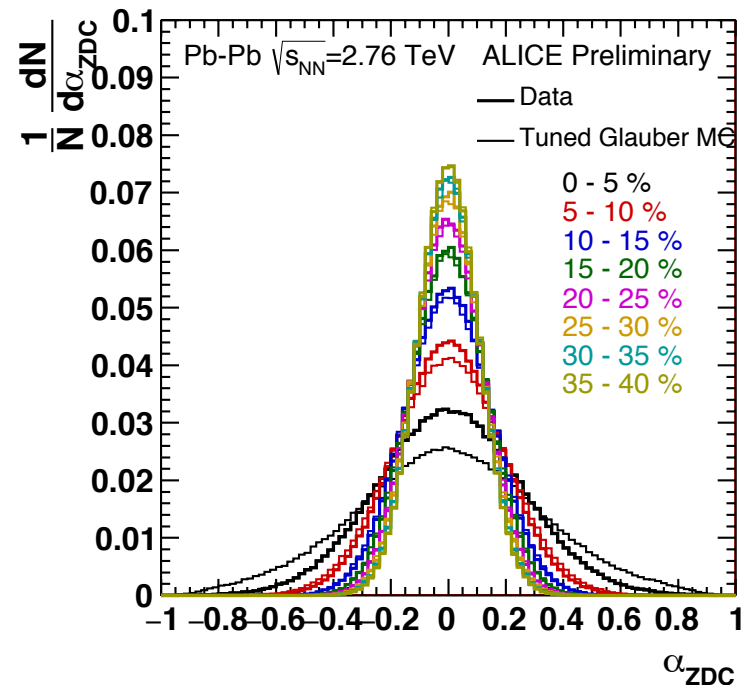


Distribution of Asymmetry α_{ZDC} : Experiment and Tuned Glauber MC

Obtain asymmetry $\alpha_{\text{ZDC}} = (\text{ZDC}_1 - \text{ZDC}_2) / (\text{ZDC}_1 + \text{ZDC}_2)$

For each simulated event we know y_0 and α_{ZDC} .

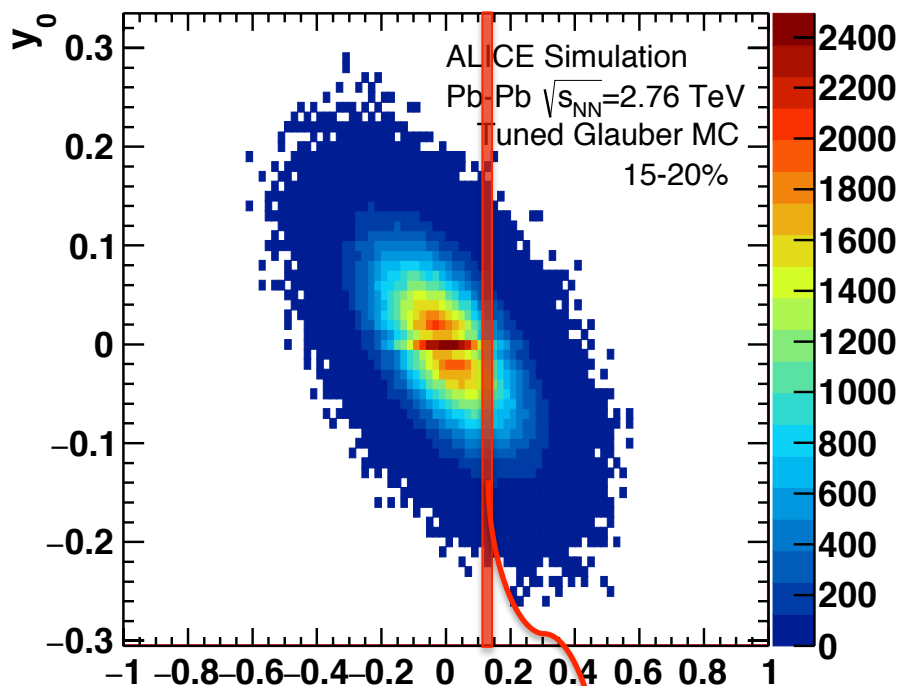
Similar distributions of asymmetry for data and Tuned Glauber MC (TGMC).



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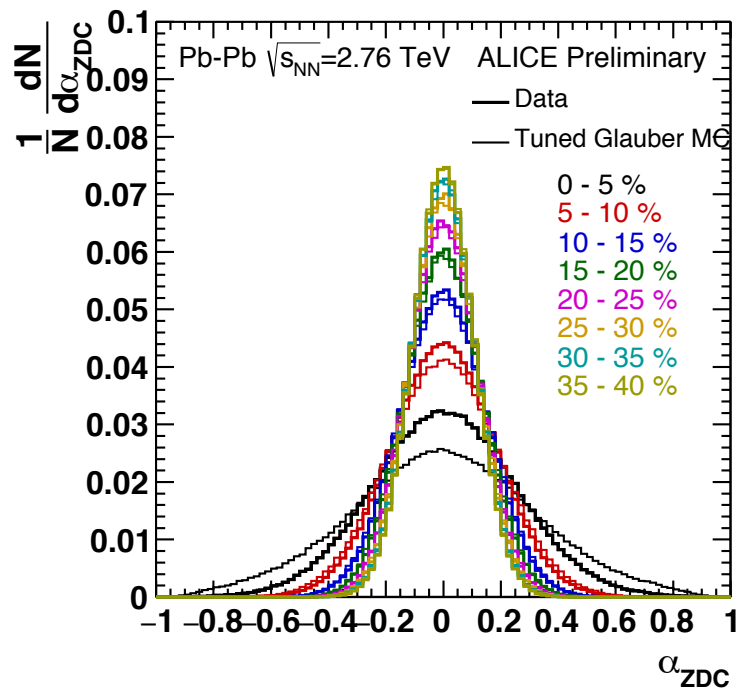
Response Matrix



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$$f(y_0, \alpha_{ZDC}^{DATA}) = f(y_0, \alpha_{ZDC}^{SIM}) \frac{N_{events}^{DATA}}{N_{events}^{SIM}}$$

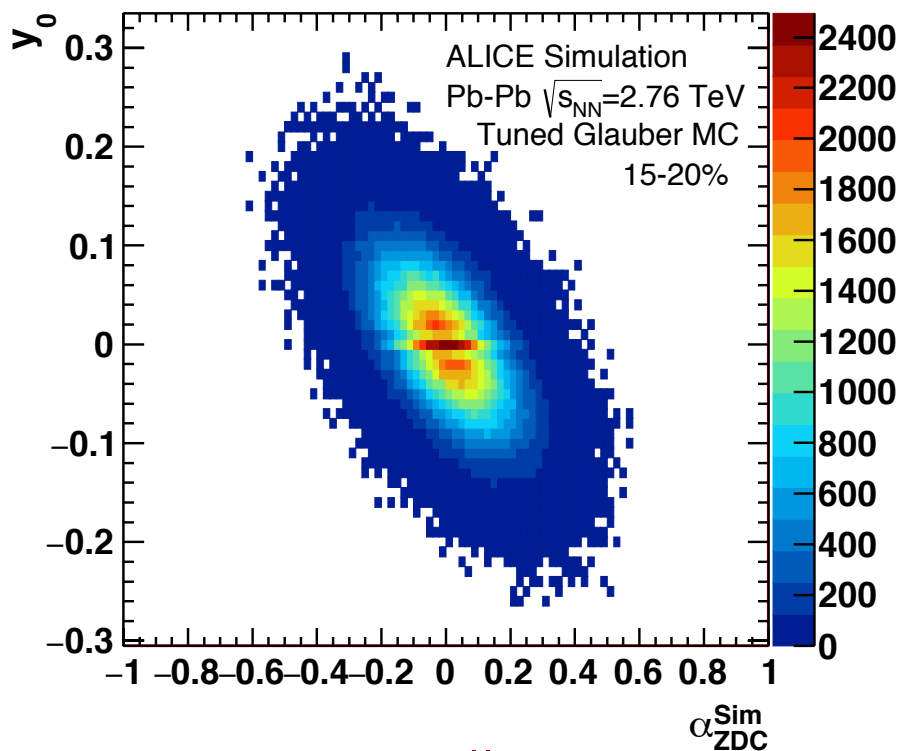
For each centrality class, there exists a distribution in y_0 for events with a given α_{ZDC}



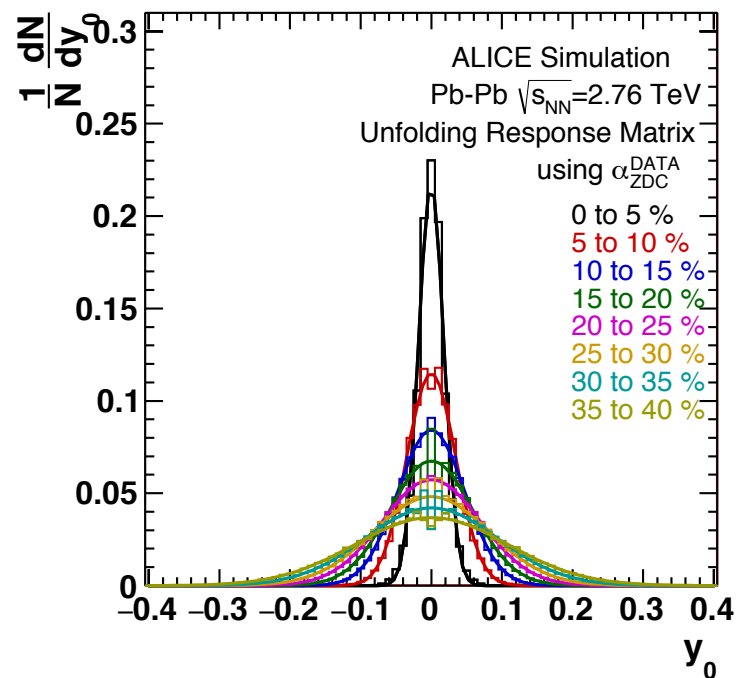
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Response Matrix



Widths increasing with decreasing centrality
Ranges from ~ 0.02 to 0.11



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Summing over all α_{ZDC}^{SIM} gives

$$f(y_0) = \sum_{\alpha_{ZDC}^{DATA}} f(y_0, \alpha_{ZDC}^{SIM}) \frac{N_{events}^{DATA}}{N_{events}^{SIM}}$$



Effect on Pseudorapidity Distributions

Particle production is symmetric about CM in N-N collisions

- There is a shift of CM rapidity in asymmetric collisions
- We assume that particle production is symmetric about the shifted rapidity.
- Look at ratios of rapidity distributions

$$\frac{(dN/dy)_2}{(dN/dy)_1} = \frac{N \exp\left(-\frac{(y-y_0)^2}{2\sigma_y^2}\right)}{N \exp\left(-\frac{y^2}{2\sigma_y^2}\right)} \Rightarrow \frac{(dN/dy)_2}{(dN/dy)_1} \approx 1 + \frac{yy_0}{\sigma_y^2} \approx 1 + c_1 y$$

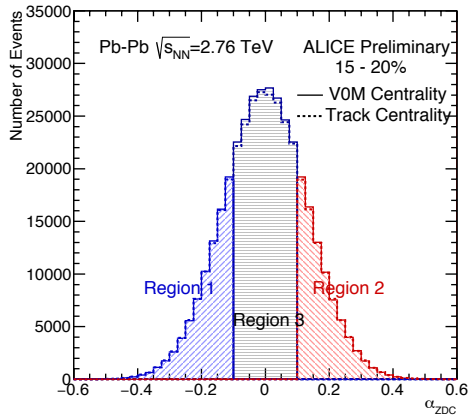
In the experiment

- Select symmetric and asymmetric events
- Measure their pseudorapidity distributions
- The ratio $(dN_{ch}/d\eta)_2 / (dN_{ch}/d\eta)_1 \approx 1 + c_1 \eta$
- We observe from simulations, and from HIJING,

- $y_0 \approx c_1 \sigma_n^2 !$

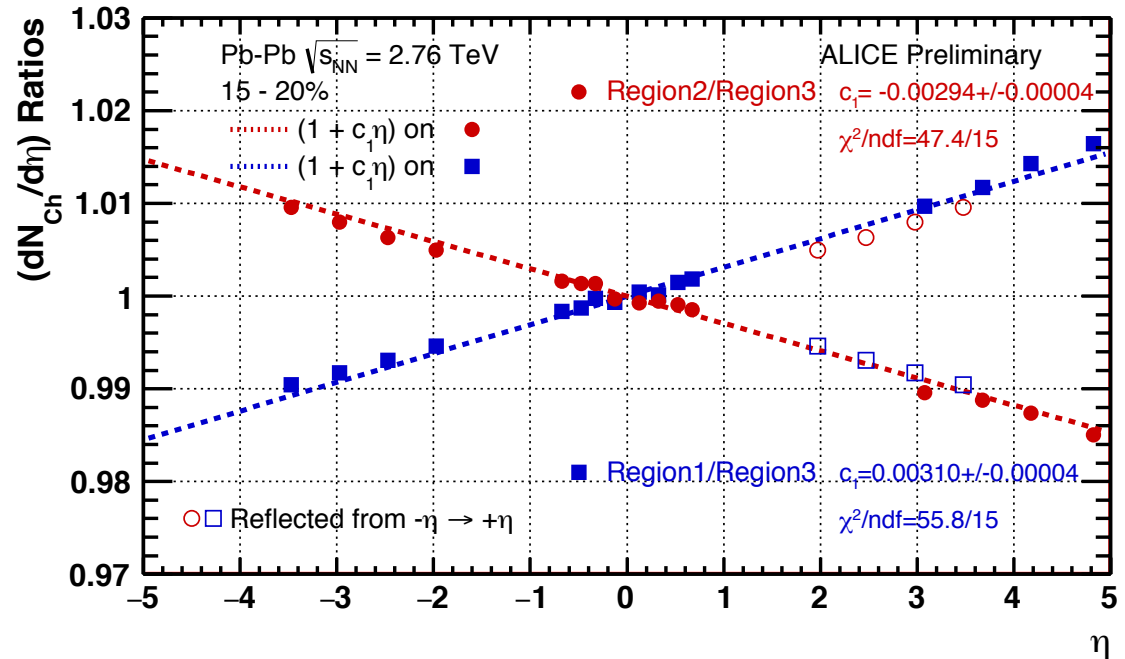


Ratio of $dN_{ch}/d\eta$ --- (Asymmetric/Symmetric)



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- Classify events on the basis of asymmetry in ZDC
- Obtain ratios of $dN_{ch}/d\eta$ distributions of events corresponding to different (a)symmetries.
- Fit a function linear in η to the ratio of $dN_{ch}/d\eta$

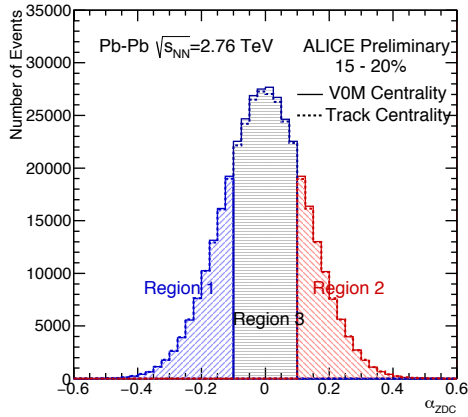


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$-3.7 < \eta < -1.7$ V0C
 $2.8 < \eta < 5.1$ V0A
 $-0.8 < \eta < 0.8$ TPC + ITS

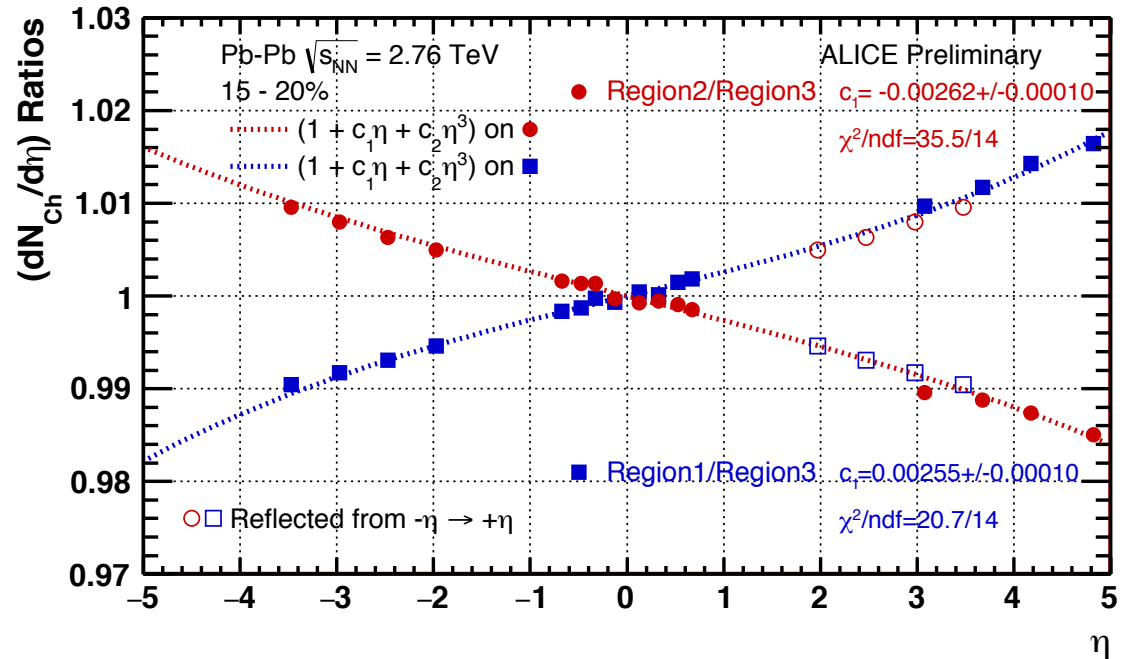


Ratio of $dN_{ch}/d\eta$ --- (Asymmetric/Symmetric)



ALI-PREL-98164

- Classify events on the basis of asymmetry in ZDC
- Obtain ratios of $dN_{ch}/d\eta$ distributions of events corresponding to different (a)symmetries.
- Fit a function linear in η to the ratio of $dN_{ch}/d\eta$
 - Add a term cubic in η

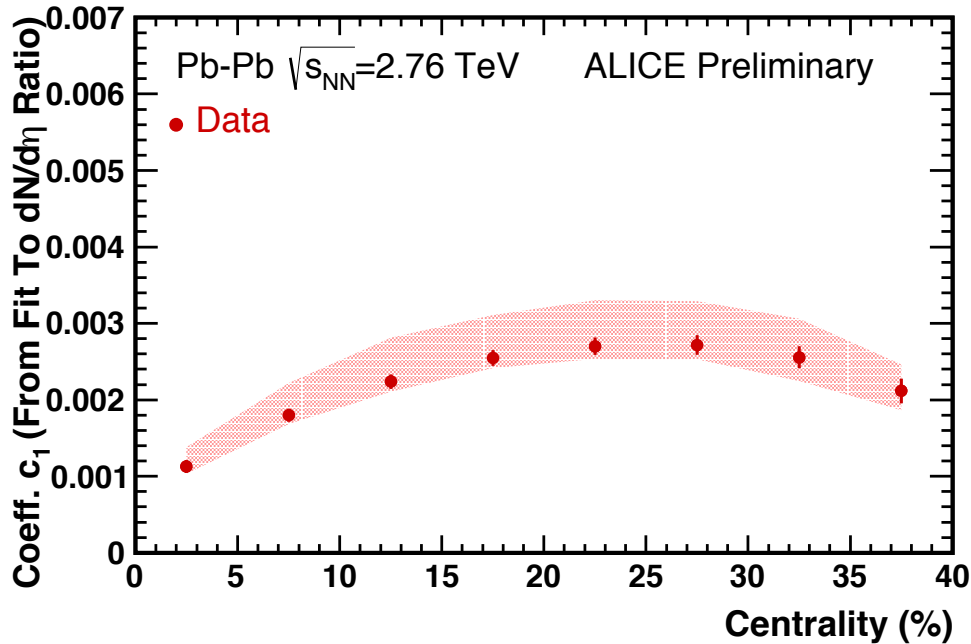


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$-3.7 < \eta < -1.7$ V0C
 $2.8 < \eta < 5.1$ V0A
 $-0.8 < \eta < 0.8$ TPC + ITS



Coefficient c_1 of Term Linear in η

$$f(\eta) = 1 + c_1\eta + c_2\eta^3$$


Significance of c_1 ?

Recall: $y_0 \approx c_1 \sigma_\eta^2$
(~within 5%)

Systematic errors due to change in centrality criteria, vertex cuts, difference in region 1 and region 2 and difference in linear and cubic function fit

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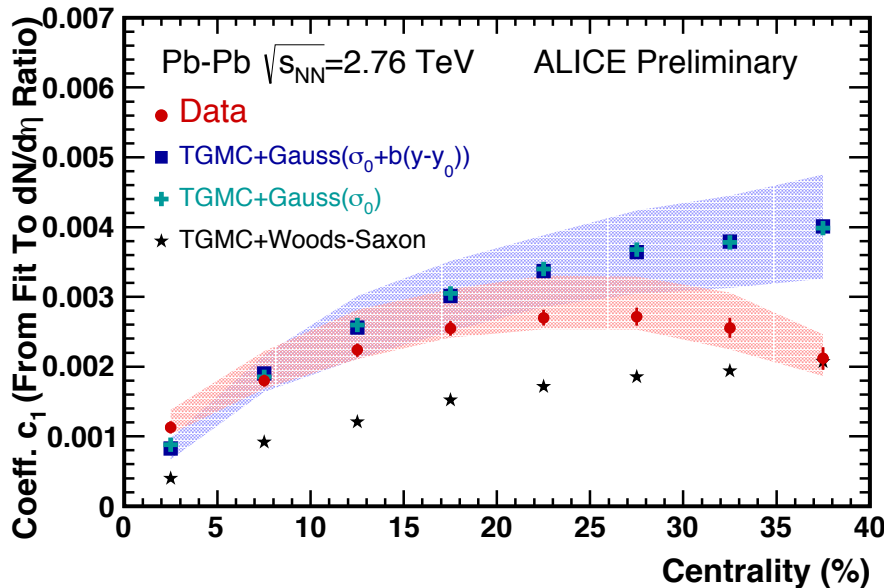
c_1 for Different Rapidity Distributions

For symmetric and asymmetric events

Assume certain rapidity distribution

Use rapidity-shift y_0 from tuned Glauber MC (TGMC)

Obtain η distributions (realistic p_T distributions and particle ratios)



Gaussian with constant width
'Gaussian'-like form with width

$$\sigma_y = \sigma_0 + b(y - y_0)$$

Woods-Saxon distribution

$$f(y) = \frac{1}{1 + \exp\left(\frac{(|y - y_0|) - P}{t}\right)}$$

$$P = 4.424 \text{ and}$$

$$t = 1.132$$

Each distribution ~ reproduces experimental width of η distribution

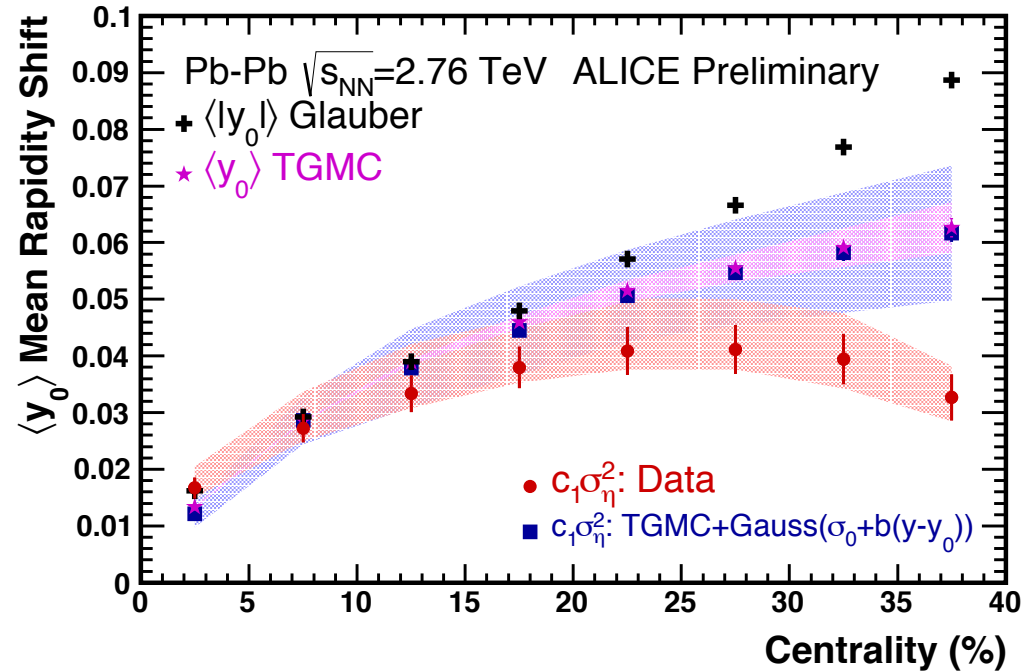


Estimates of $\langle y_0 \rangle$

For a Gaussian Rapidity Distribution

$$y_0 \approx c_1 \sigma_\eta^2$$

y_0 determined from
 Glauber MC
 Tuned Glauber MC
 Ratio of $dN_{ch}/d\eta$ (sim)
 Ratio of $dN_{ch}/d\eta$ (data)



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Summary and Outlook

- Longitudinal asymmetry
 - Shifts rapidity of participant zone by y_0
 - Asymmetry measured using ZDCs
 - Model-dependent estimate of y_0 using asymmetry
 - Width of y_0 distributions more for less central collisions
 - Causes changes in rapidity distributions
 - Manifest in the ratio of $dN_{ch}/d\eta$ distributions
 - Ratios affected by shape of rapidity distribution
 - Gaussian, wider-than-Gaussian, Wood Saxon
 - Measurement of ratio estimates rapidity shifts
- Use asymmetry as a classifier and study its effects on
 - Rapidity distributions (present work), source size, flow and its fluctuations, forward-backward correlations, various global observables
- First results on estimates of rapidity-shifts from data
- First results of effects on $dN/d\eta$ distributions



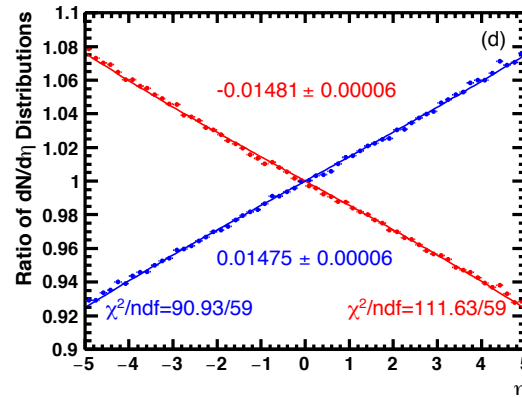
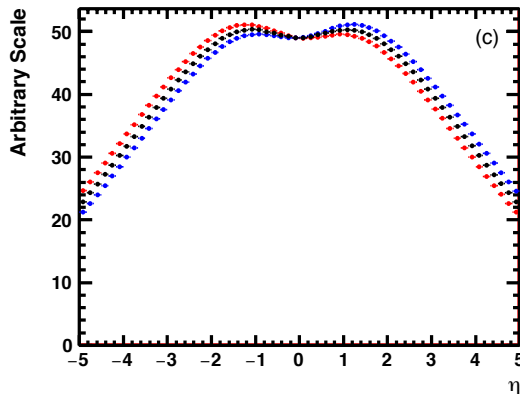
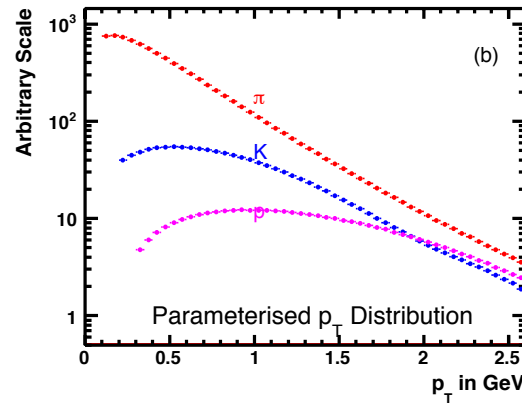
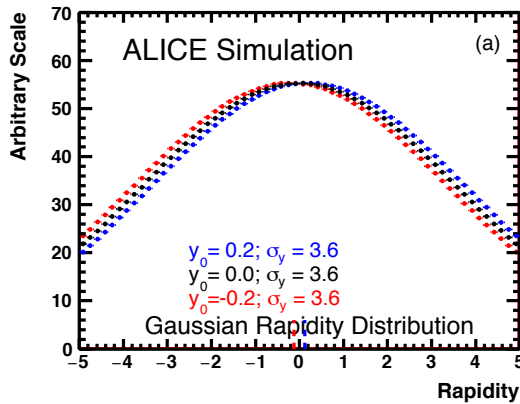
BACKUP SLIDES



Effect of Shift on η -Distributions

Assume $f(y) \propto e^{-\frac{(y-y_0)^2}{2\sigma_y^2}}$, peaked at 0 and 0.2

Realistic p_T distribution and charged particle composition

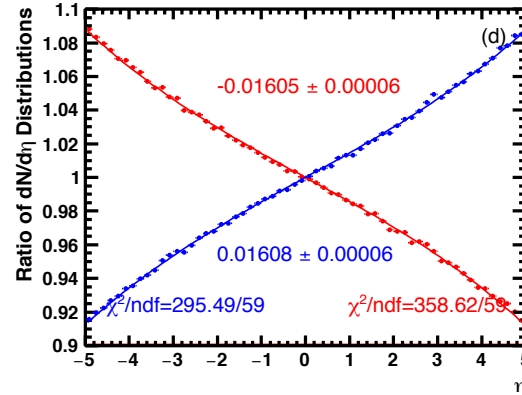
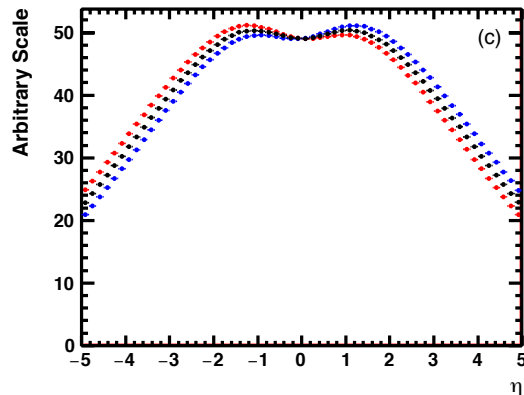
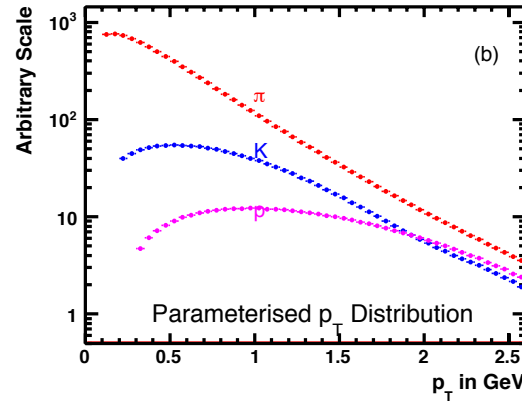
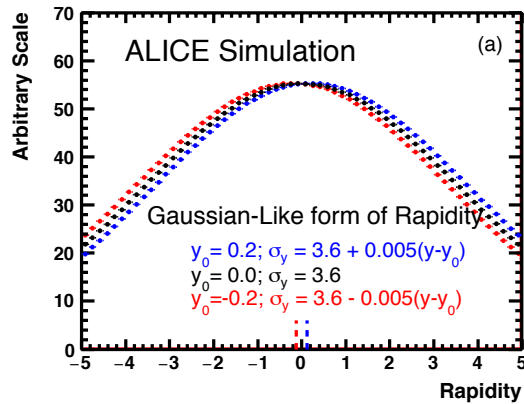


If ratio fitted to
Ratio = $1 + c_1 \eta$;

Slope c_1 related to
the rapidity shift
 $y_0 = N c_1 \sigma_\eta^2$

$N = 1.00 \pm \sim 5\%$,
depending upon p_T
and particle (π -K- p)
composition

Effect of Shifted Rapidity Distribution, Wider on One Side ($\sigma = \sigma_0 + b(y-y_0)$)



If ratio fitted to

$$R = 1 + c_1 \eta + c_2 \eta^3$$

Coefficient c_1 related to the rapidity shift as

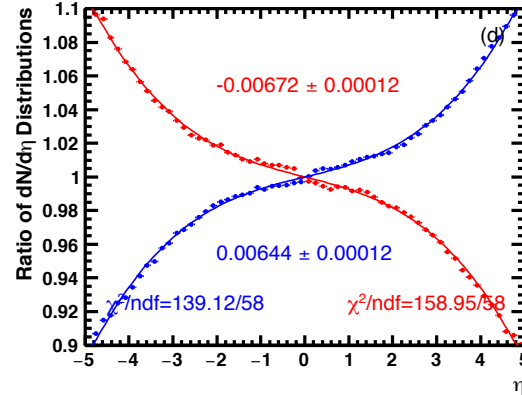
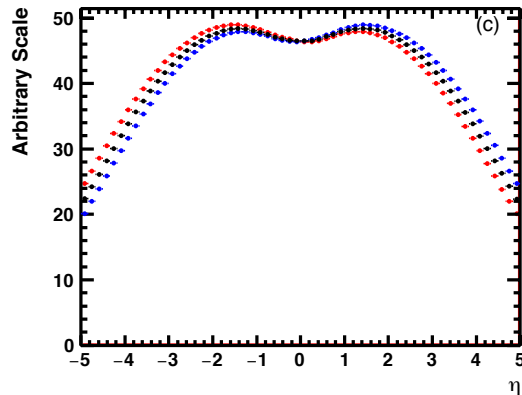
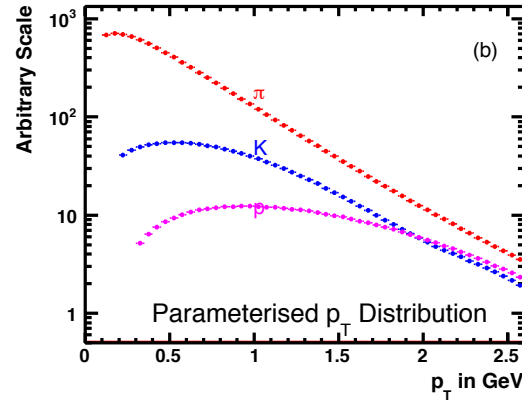
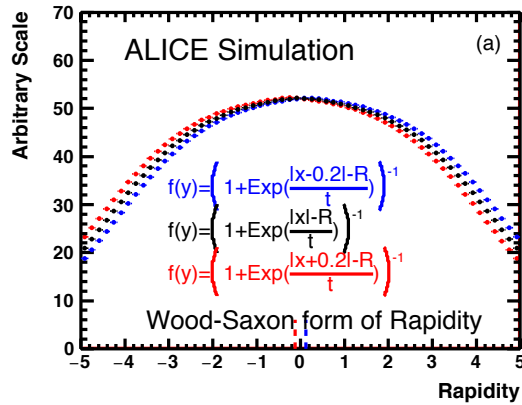
$$y_0 = N c_1 \sigma_\eta^2$$

$N = 1.00 \pm \sim 5\%$,

$c_2 = 0$ for $b=0.0$



Effect of Woods-Saxon Rapidity Distribution



Yields large cubic term

Systematic Errors on c_1 in Data

Source of Error

Estimated range of error (in %) for all centrality intervals

Change in centrality criteria (Trk / V0M)	1 - 7
Cut on vertex position $ V_z < 3$ cm	1 - 4
Difference in c_1 for region 1 and region 2	1 - 11
Total (added in quadrature)*	5 - 12
Additional error on positive side due to difference in c_1 in fits to linear and cubic function	11 - 25
Total (added in quadrature) for positive side	15 - 26

*Also included is an additional contribution of 3% (maximum) due to differences in distributions of vertex position and centrality for symmetric and asymmetric events



Systematic Errors on c_1 in Simulation

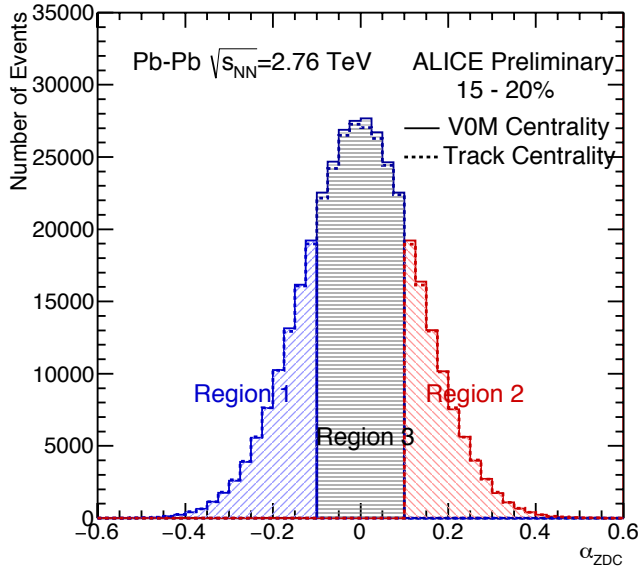
Source of Error

Estimated range of error (in %) for all centrality intervals

Uncertainty in mean $\langle y_0 \rangle$	1 - 9
Uncertainty in width σ_0 of rapidity distribution	13 - 17
Different forms of p_T distributions	1 - 6
Difference in c_1 for region 1 and region 2	0 - 4
Total (added in quadrature)	14 - 19



Symmetric and Asymmetric Events: Use α_{ZDC}

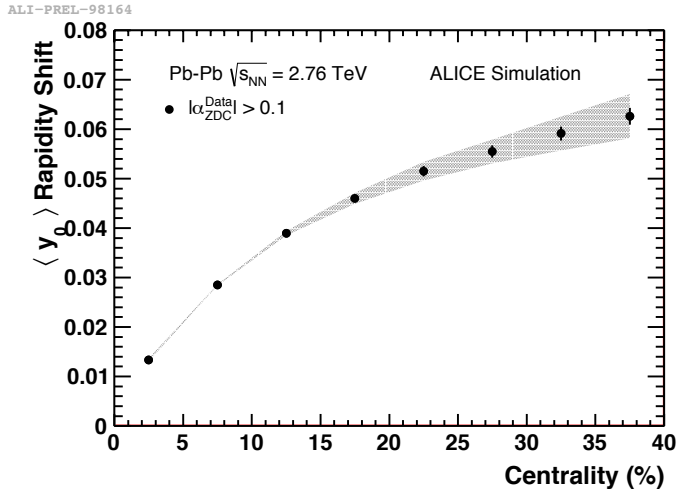
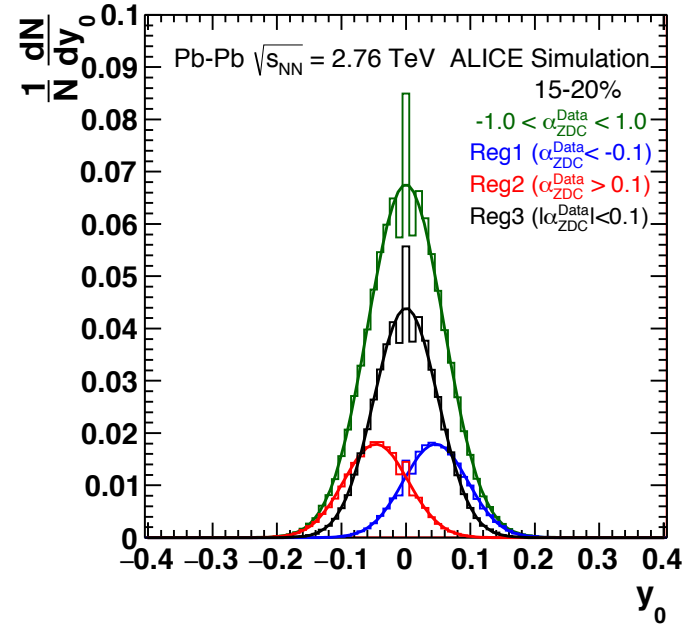


y_0 - distribution
of events
selected using

α_{ZDC}
→

Mean

values $\langle y_0 \rangle$



Systematic errors
correspond to different
tuning parameters for the
ZDC energy distribution

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Estimating y_0 from $dN_{ch}/d\eta$ using HIJING +Geant Events

Recall:

Considered two event samples

- With $\langle y_0 \rangle \neq 0$ and $\langle y_0 \rangle = 0$
- Obtain the ratio of $dN_{ch}/d\eta$
- Slope related to y_0

Asymmetry distribution

- Divide into region 1, 2 and 3
- y_0 distribution for each

We obtained a distribution of y_0 for any event sample

Fit ratio of $dN_{ch}/d\eta$ to cubic function and obtain

$$- y_0 = N c_1 \sigma_\eta^2$$

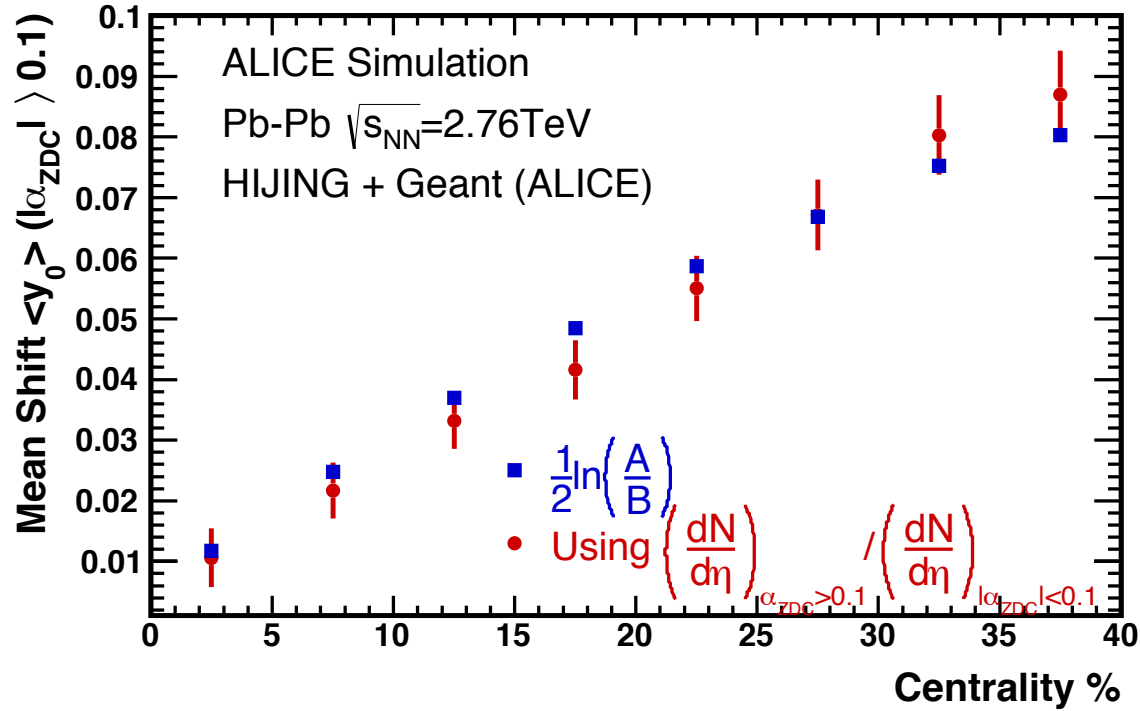
In Glauber MC we know (true) y_0

In data, we know c_1

In HIJING, we know both



Known y_0 from HIJING and $y_0 = N c_1 \sigma_\eta^2$



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Widths σ_η taken from ALICE Data
and vary from 3.85 to 3.93

y_0 values
comparable to
values in data and
also as per TGMC

