



# $D^0$ -meson yield as a function of event shape variables (Sphero(i)city) in pp collision with ALICE

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*07 Feb 2016, ALICE-India meeting, SINP Kolkata*

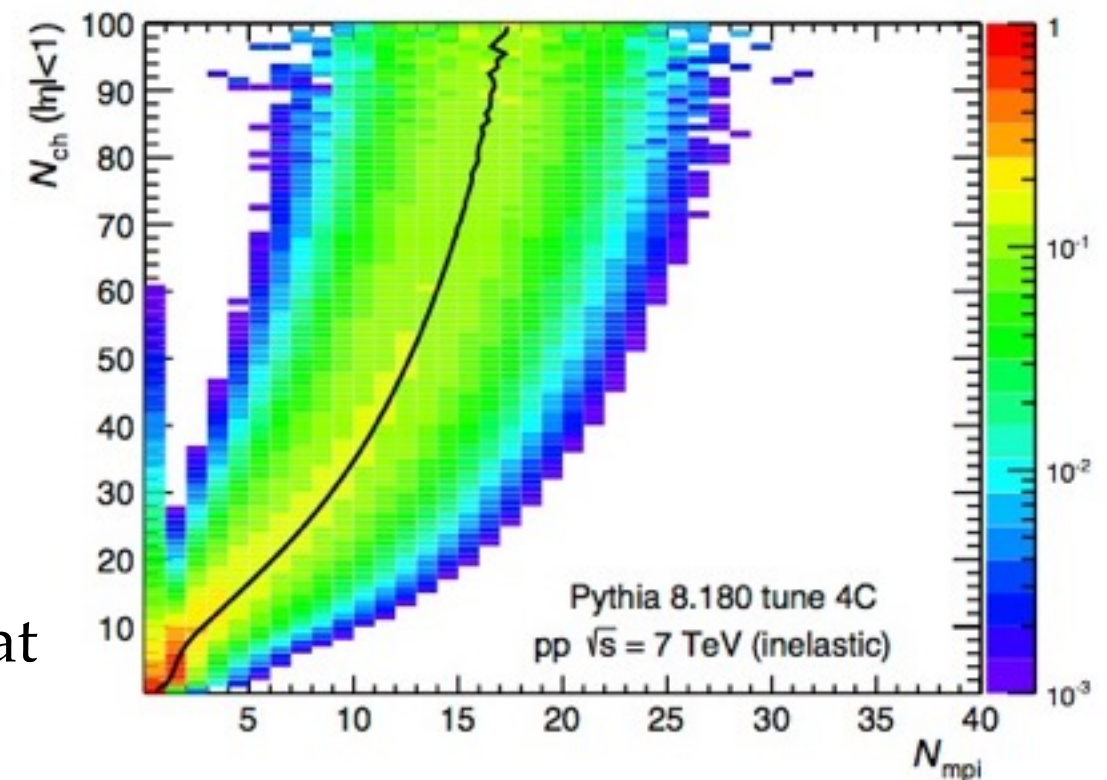
# Outline

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- ❖ Why event shapes?
- ❖ Event shape
- ❖ Data set and  $D^0$  invariant mass
- ❖ Multiplicity study
- ❖ Efficiency  $\times$  Acceptance
- ❖ Cross section
- ❖ Sphericity Results
- ❖ Summary

# Why Event Shapes?

- ❖ The collective flow-like behaviour in hadron collisions
  - ➔ multi-parton interaction (MPI) and color reconnection
- ❖ Figure shows correlation between multiplicity and number of multi-parton interaction ( $N_{\text{mpi}}$ )
  - ➔ width of distribution of MPI - prevents use of multiplicity alone
  - ➔ saturation at high multiplicity
- ❖ The use of event shape allows to isolate jetty-like (high  $p_{\text{T}}$  jets) and isotropic events
- ❖ Average  $N_{\text{mpi}}$  is higher in isotropic events than that of jetty-like events
- ❖ With event shapes, selectivity of events with certain number of MPI can be improved



(arXiv:1503.03129v2)

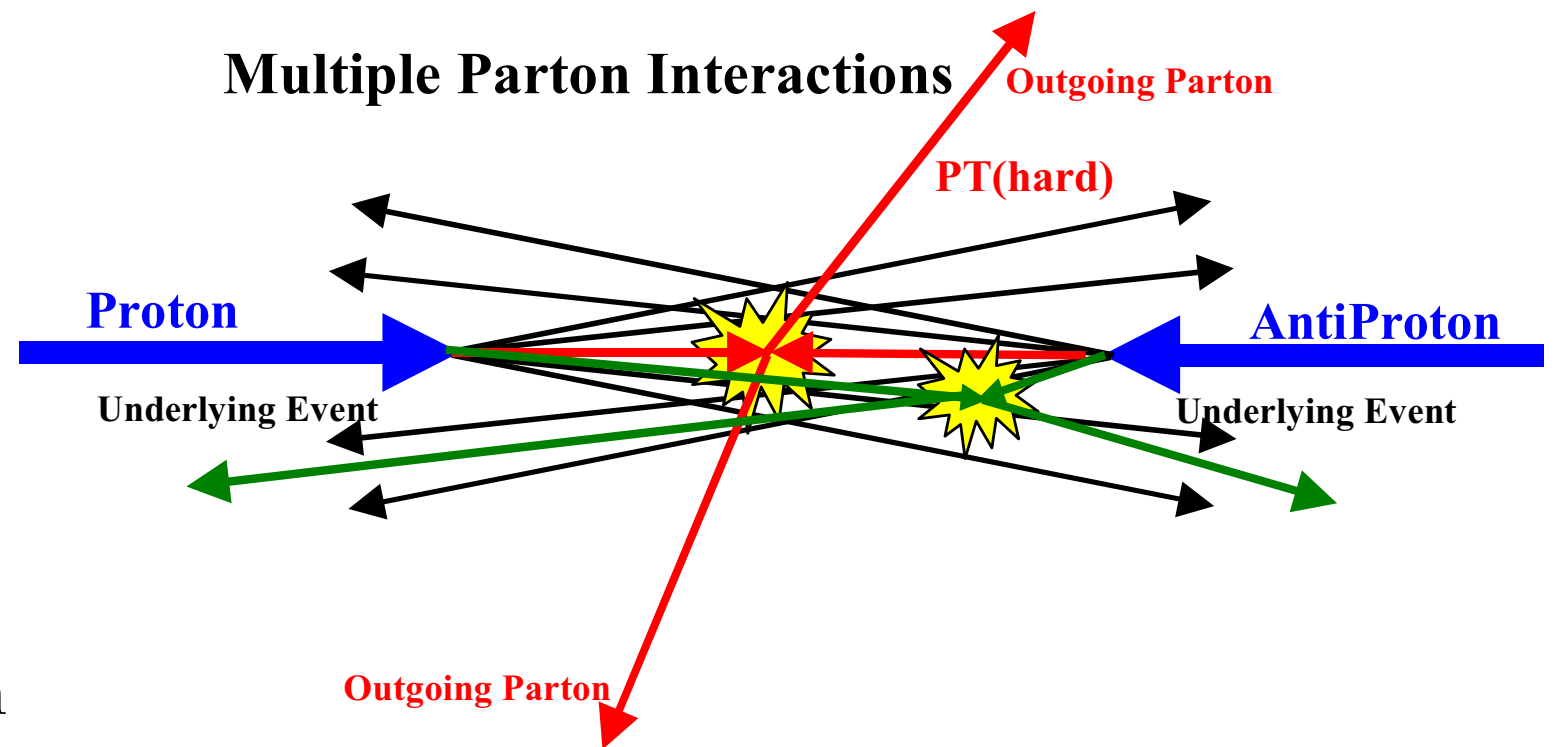
# Event Shapes

## ❖ Jets

- ➔ Hard Scattered partons
- ➔ Final state radiations

## ❖ Underlying events

- ➔ Initial state radiations
- ➔ Beam-beam remnants
- ➔ Multiple parton interaction



❖ Event shapes in Minimum Bias sensitive to underlying events (arXiv:1205.3963v1)

❖ Event Shapes characterise the distribution of the outgoing particle energy from a high energy collision.

❖ In hadron-hadron collisions, event shape analyses are restricted to the transverse component w.r.t. beam axis to avoid the bias from the boost along beam.

# Event Shapes

## Sphericity

In terms of the eigenvalues,  $\lambda_1$  and  $\lambda_2$  of transverse momentum matrix,

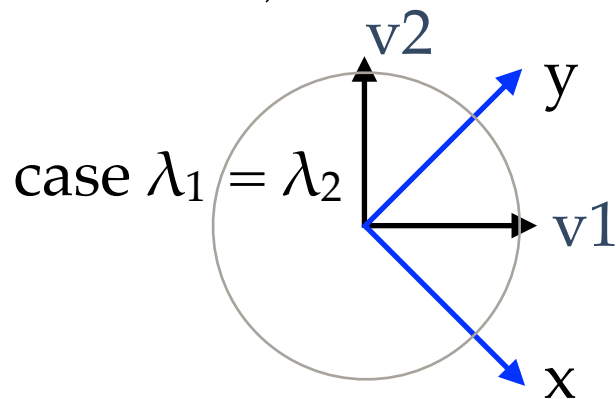
$$S_{xy}^L = \frac{1}{\sum_i p_{T_i}} \sum_i p_{T_i} \begin{pmatrix} p_{x_i}^2 & p_{x_i} p_{y_i} \\ p_{y_i} p_{x_i} & p_{y_i}^2 \end{pmatrix}$$

Where,  $(p_{x_i}, p_{y_i})$  are projection of  $p_{T_i}$

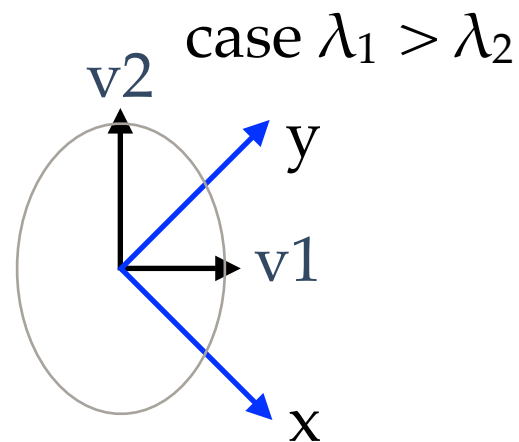
Transverse Sphericity,

$$S_T = \frac{2\lambda_2}{\lambda_1 + \lambda_2}$$

where,  $\lambda_1 \geq \lambda_2$



(arXiv:1205.3963v1)



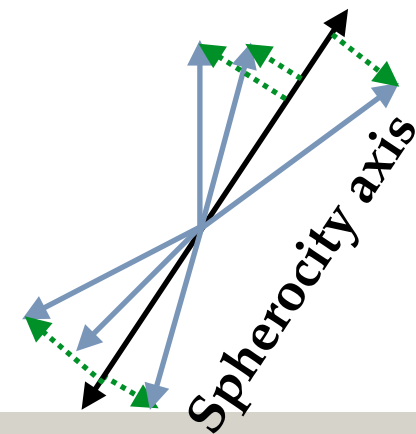
$$S_T, S_0 = \begin{cases} 0 & \text{“pencil-like” limit (hard events)} \\ 1 & \text{“isotropic” limit (soft events)} \end{cases}$$

## Sphericity

Mid rapidity charged hadron transverse sphericity,

$$S_0 = \frac{\pi^2}{4} \left( \frac{|\sum_i \vec{p}_{T_i} \times \hat{n}|}{\sum_i p_{T_i}} \right)^2$$

Where,  $\hat{n}$  is unit transverse vector which minimises the ratio. (arXiv:1503.03129v2)



(arXiv:1001.4082)

$|\eta| < 0.8;$

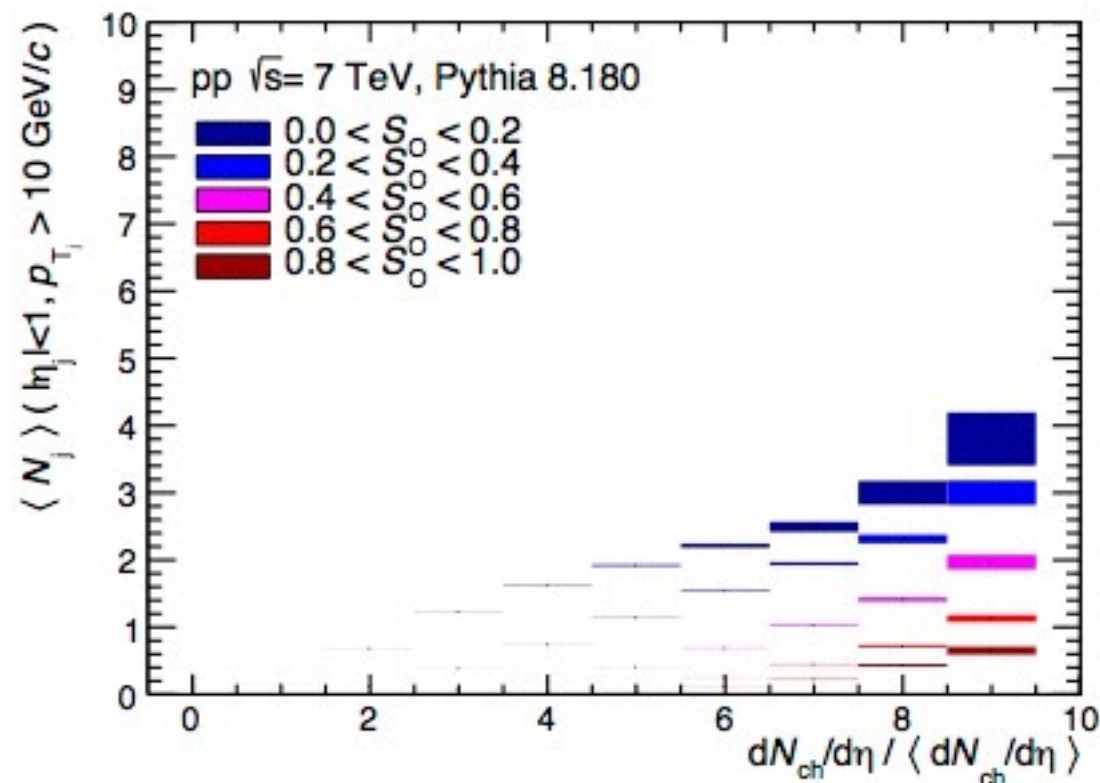
Transverse momentum,  $0.15 < p_T < 10$  GeV/c  
 events with two particles, NTracklets  $> 3$   
 Hybrid track cuts - filter bits 256, 512

(Antonio Ortiz)

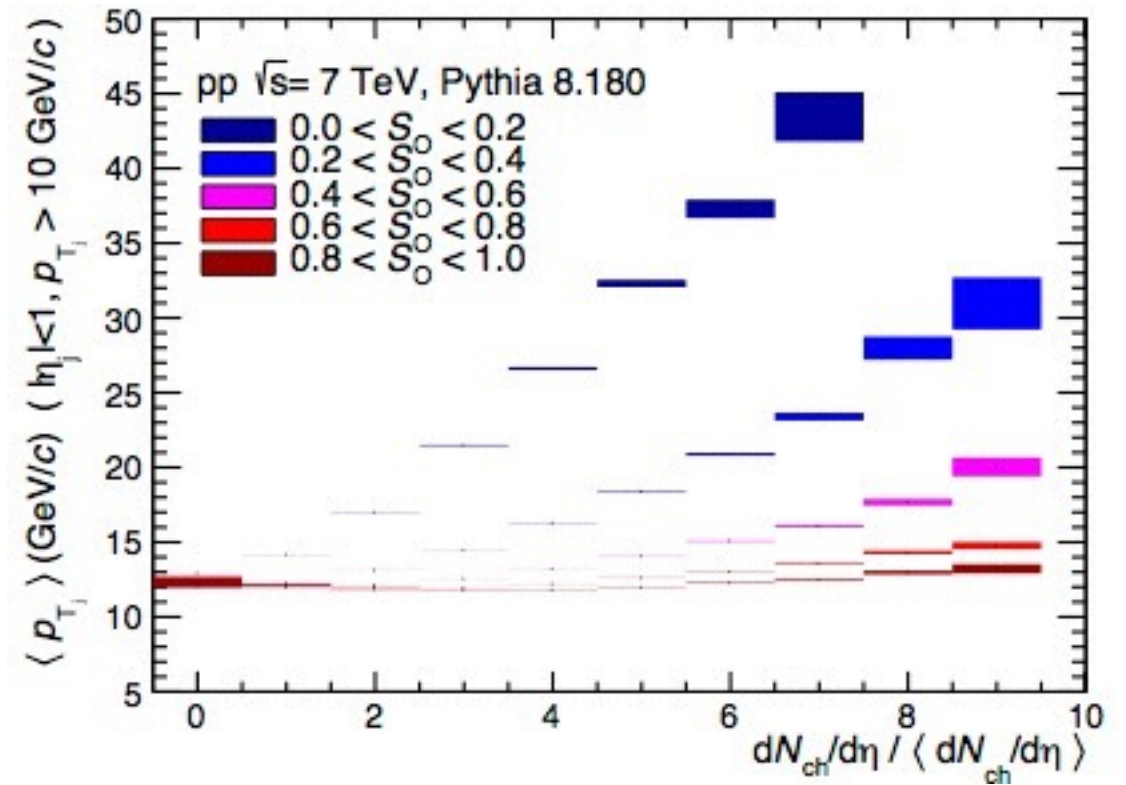
# Event Shapes

- ❖ For isotropic events ( $S_0 > 0.8$ ), the average no. of jets is below 1 and jet production is largest for jetty-like events ( $S_0 < 0.2$ ) (left figure)
- ❖ Small fraction of jet shows flat trend close to 10 GeV for isotropic events (minimum jet  $p_T$  was set to 10 GeV/c). For jetty-like events, the average  $p_T$  is above 30 GeV/c (right figure)
- ❖ Expect to observe the same trend for inclusive charged hadrons instead of jets.

(arXiv:1503.03129v2)



Average no. of jets vs. Event Multiplicity



Average no. of jet  $p_T$  vs. Event Multiplicity



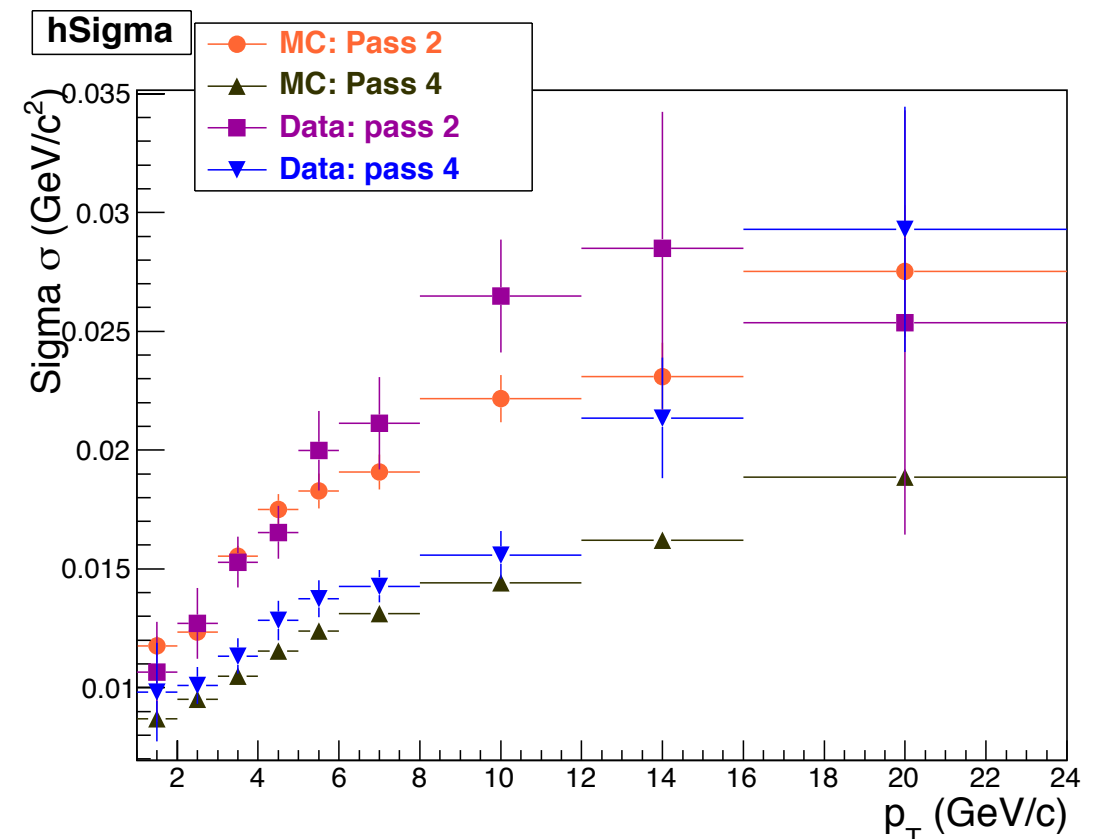
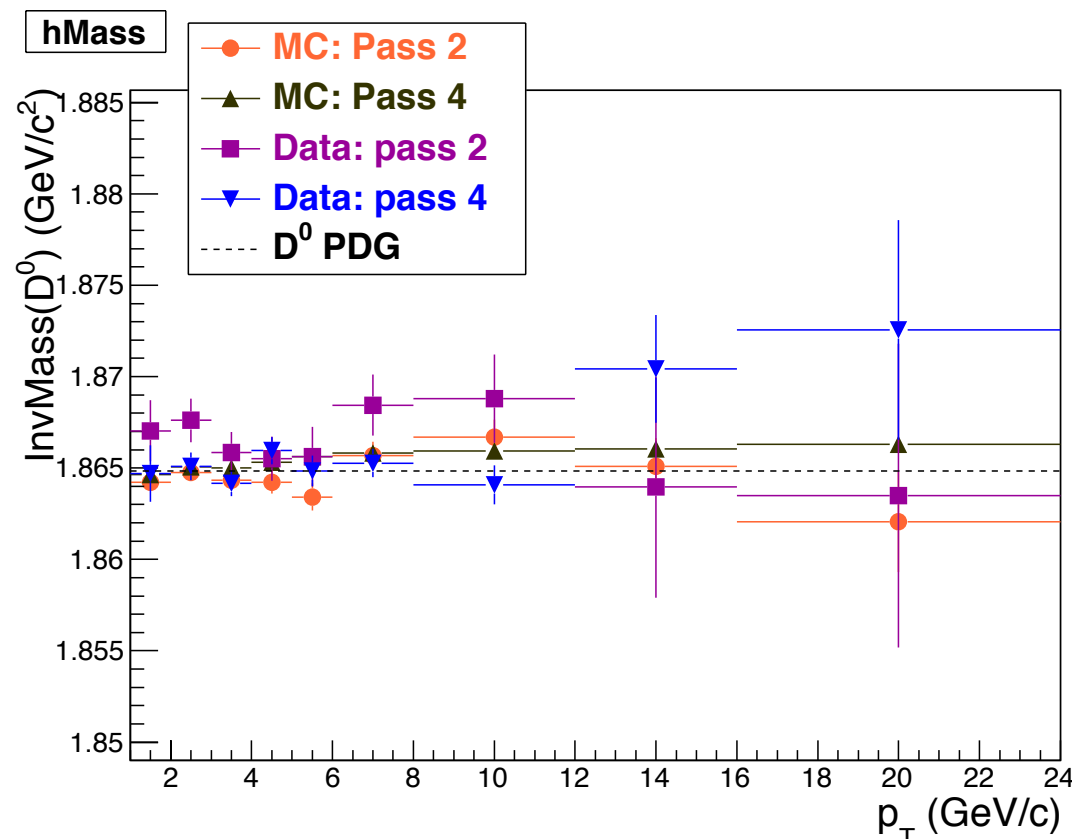
# Data Set and Invariant Mass: $D^0 \rightarrow K^- \pi^+$

$D^0 \rightarrow K^- \pi^+$  (3.9%)

Checks with Pass 4 data to assure it's use

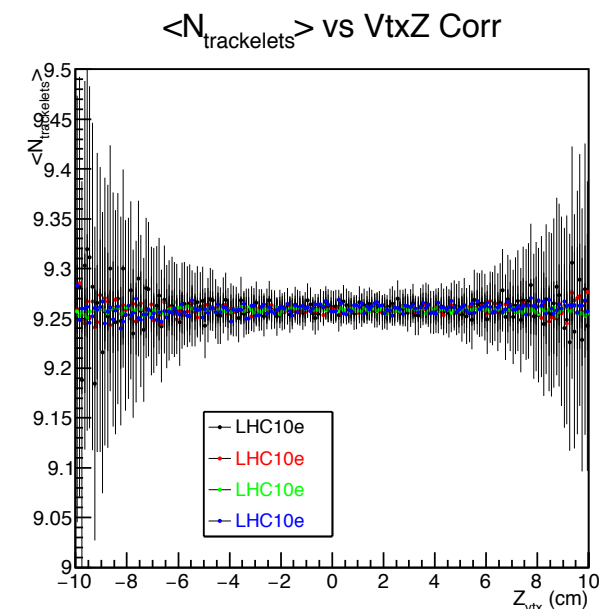
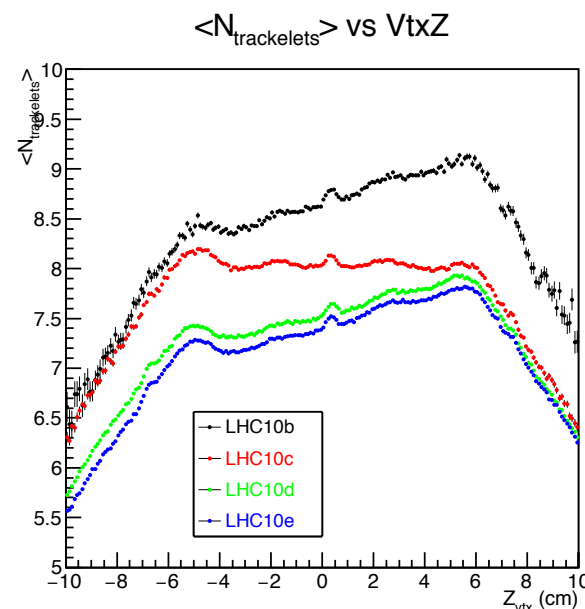
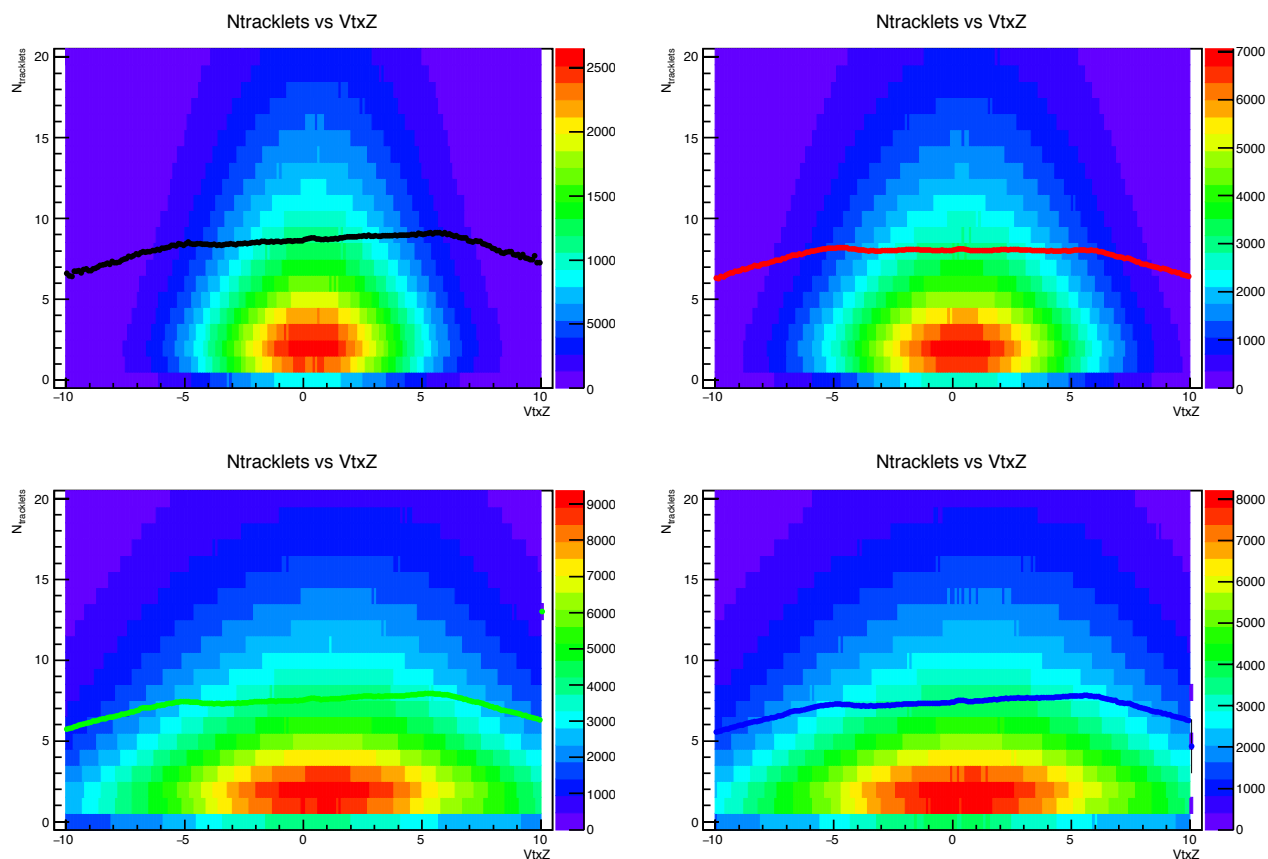
System	Run / Pass	$N_{\text{Events}}$	Period
pp (data)	2010 / pass2	~316M	LHC10b,c,d,e
pp (data)	2010 / pass4	~364M	LHC10b,c,d,e
pp (MC)	Anchor pass2	~23M	LHC10f7a
pp(MC)	Anchor pass4	~57M	LHC15a2a

- ❖ Inner Tracking System (ITS)
- ❖ Time Projection Chamber (TPC)
- ❖ Time Of Flight (TOF)



The sigma is narrower in pass 4  $\Rightarrow$  improved calibration and alignment of the detectors  
 Pass 2 and 4 data, MC are within expected uncertainties  
 Significance is higher for pass 4 data than pass 2

# $N_{\text{tracklets}}$ vs. $Z$ -vertex (Pass 4 data)

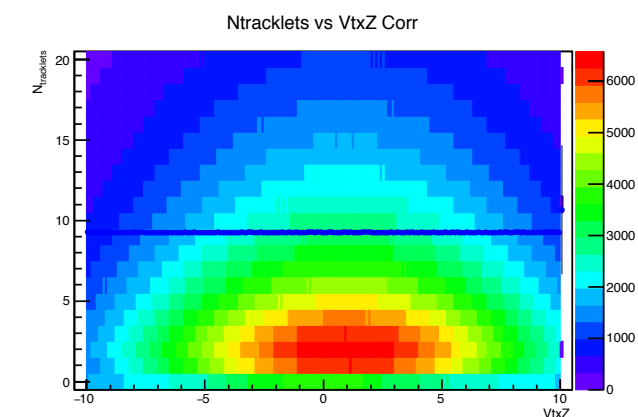
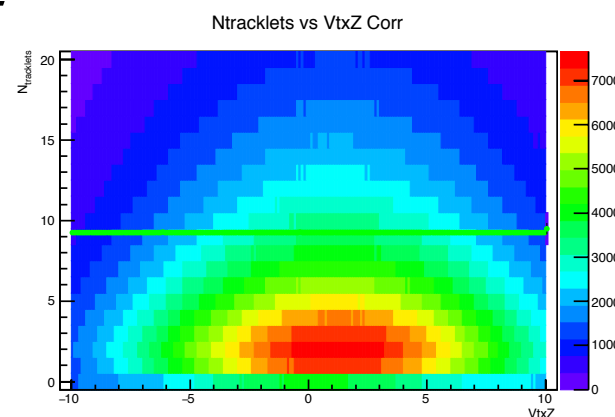
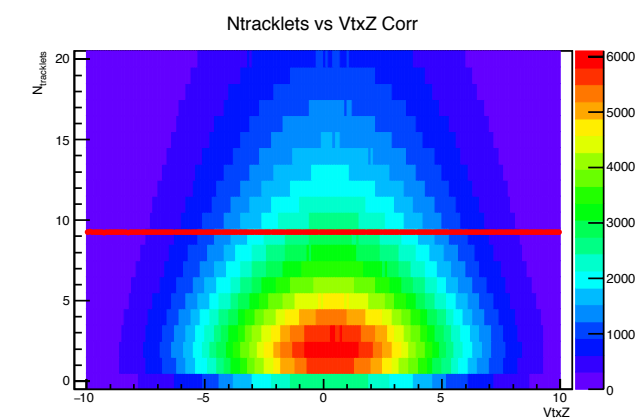
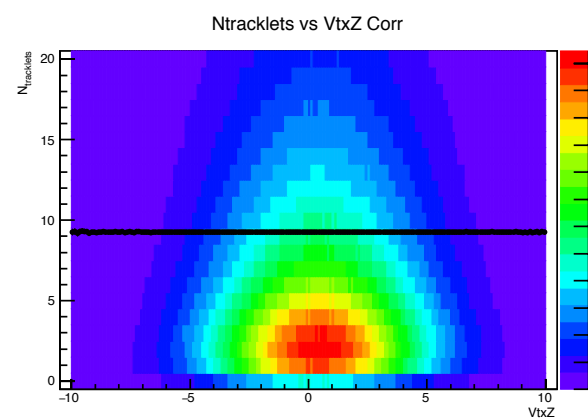


The SPD acceptance drops off with time as well as with the position of the vertex

The number of tracklets  $N_{\text{raw}}$  is corrected event-

by-event to equalise the average number of tracklets among four periods and to correct for the dependence on  $Z_{\text{vtx}}$

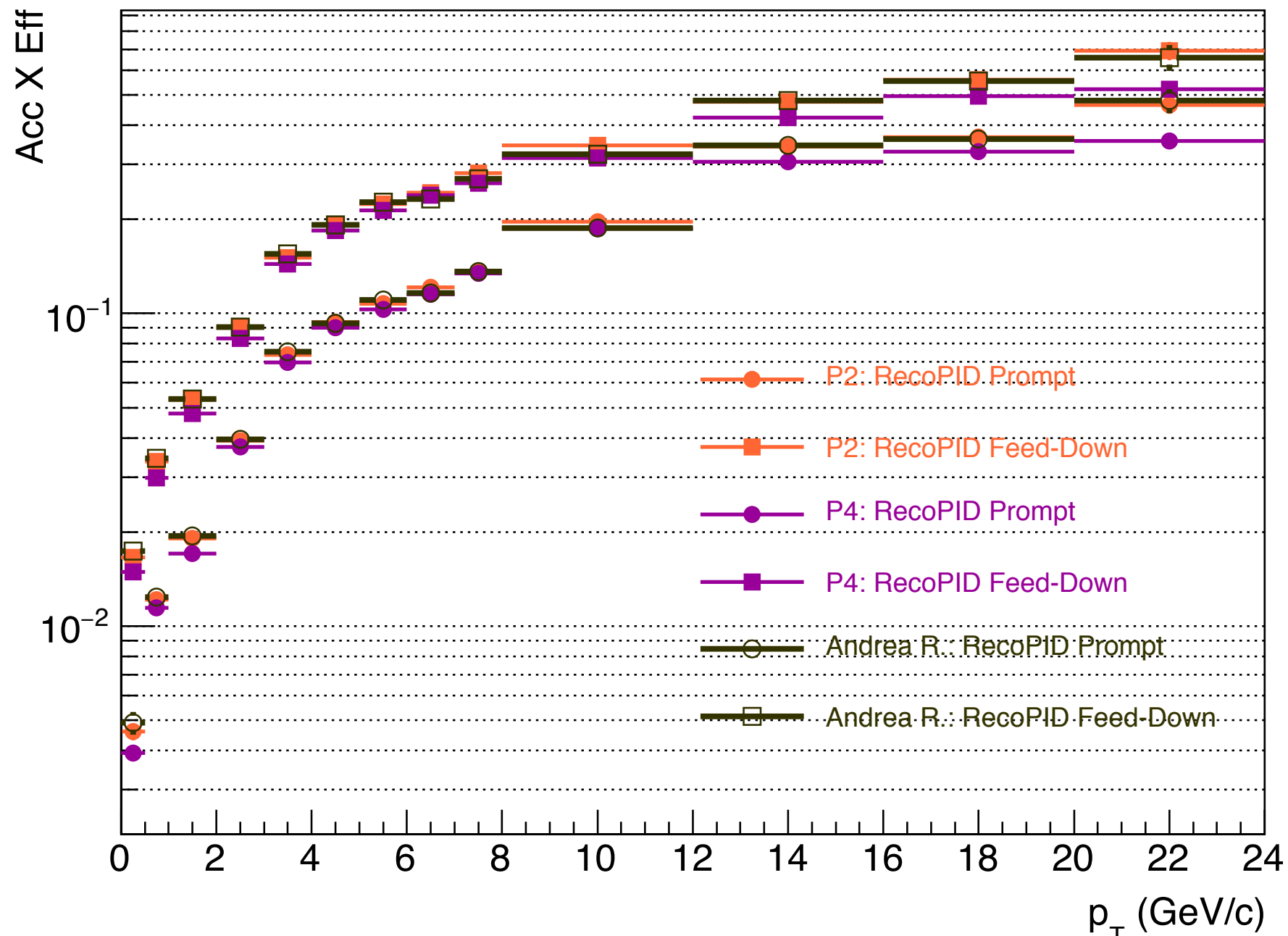
$$N^{\text{corr}} = \frac{\langle N_{\text{ref}} \rangle}{\langle N_{\text{period}}(Z) \rangle} N_{\text{raw}}$$





# Efficiency $\times$ Acceptance<sub>(FastMC)</sub>

Efficiency Results: Pass 2, Pass 4 and Original



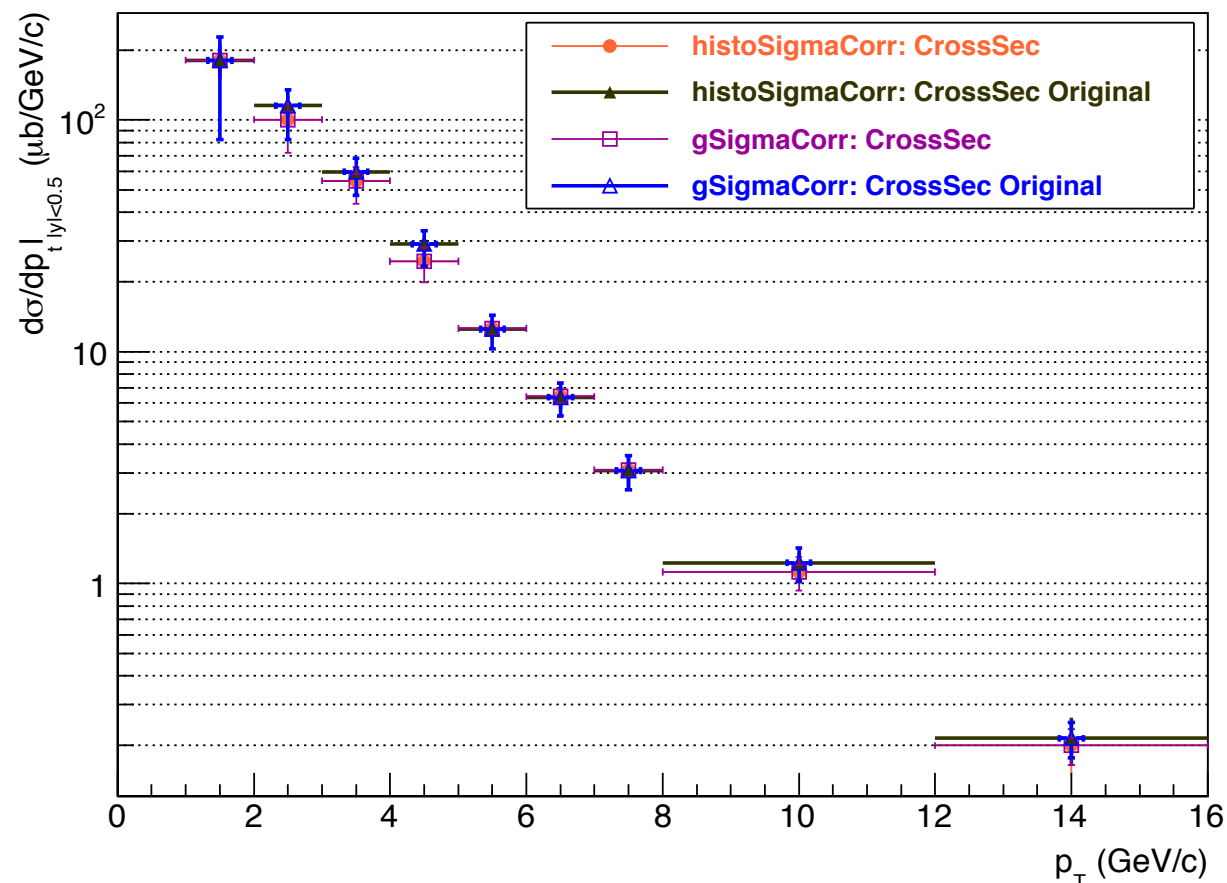
The efficiency of pass 2, pass 4 and published are comparable and they are within 5%

# Cross Section

- ❖ Cross section for pass 2 data and pass 4 data is computed from efficiencies.
- ❖ Raw yield is calculated from invariant mass fitting
- ❖ The computed cross section for pass 2 and pass 4 are compared with originally published results

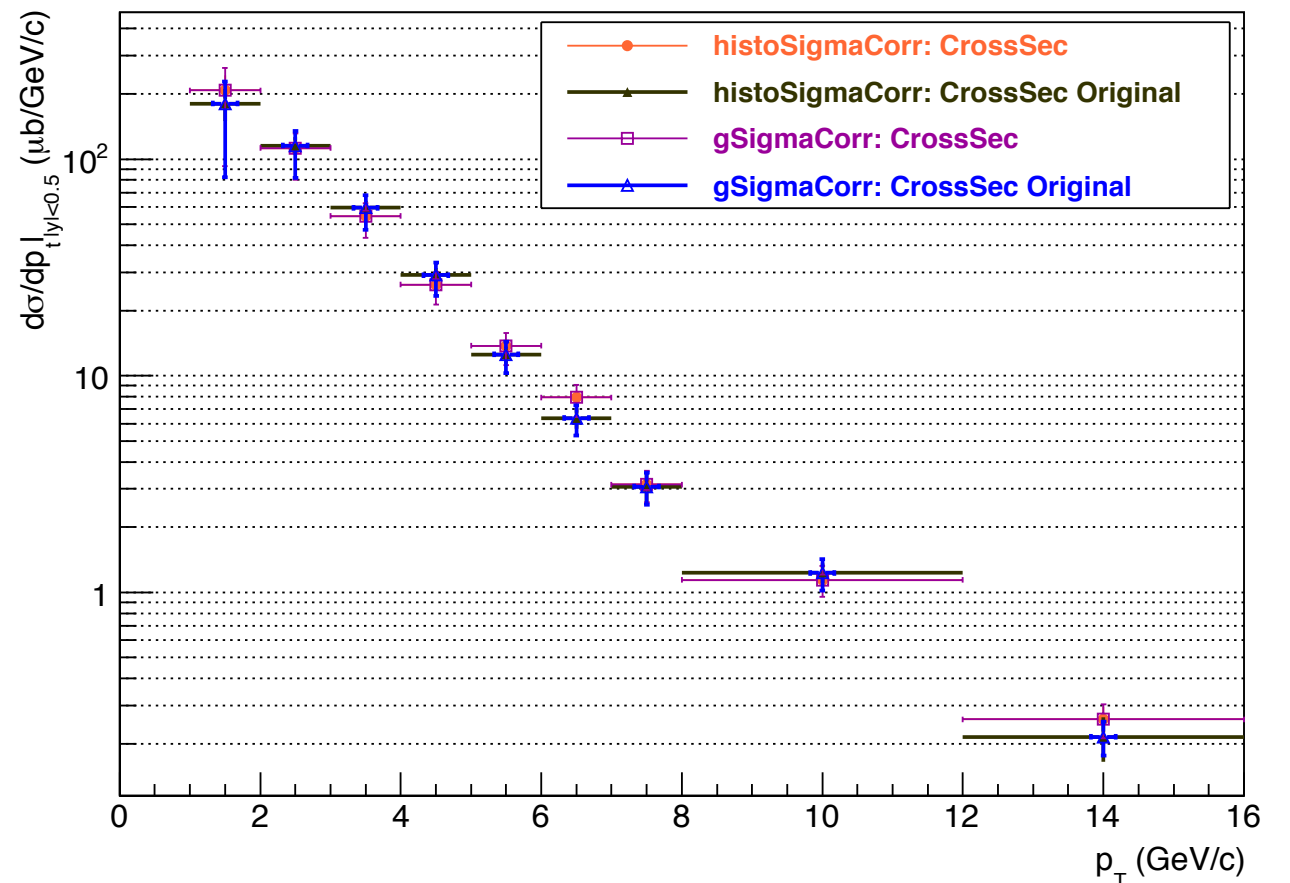
## Pass 2

Cross Section



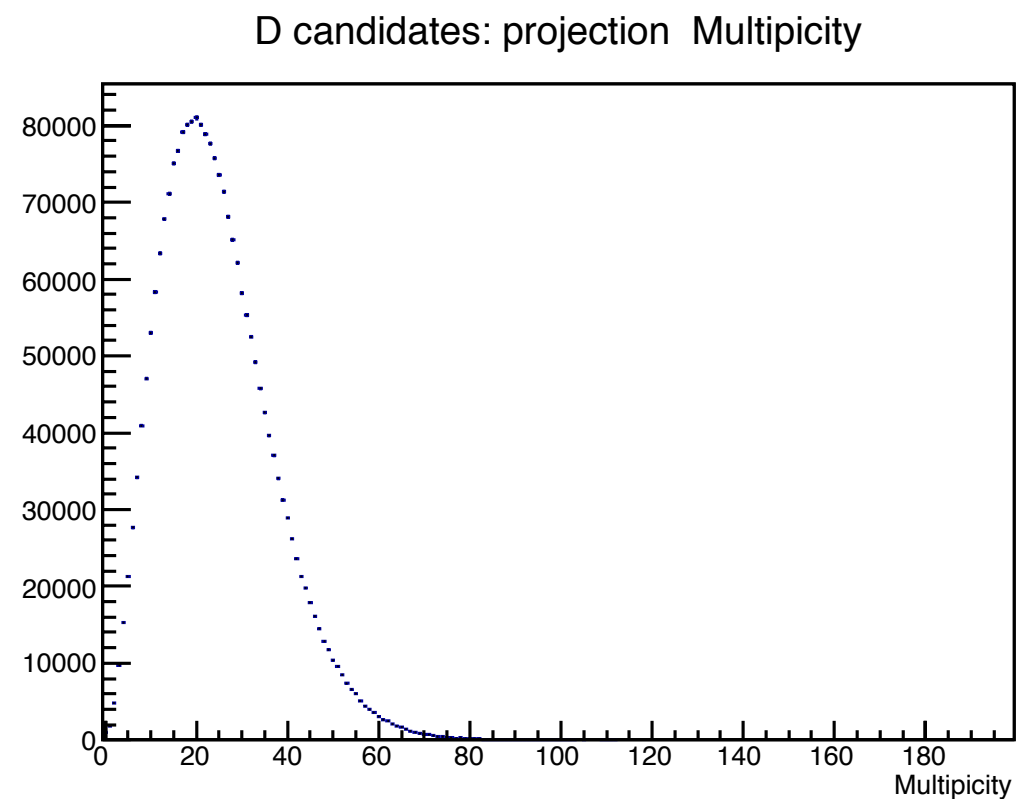
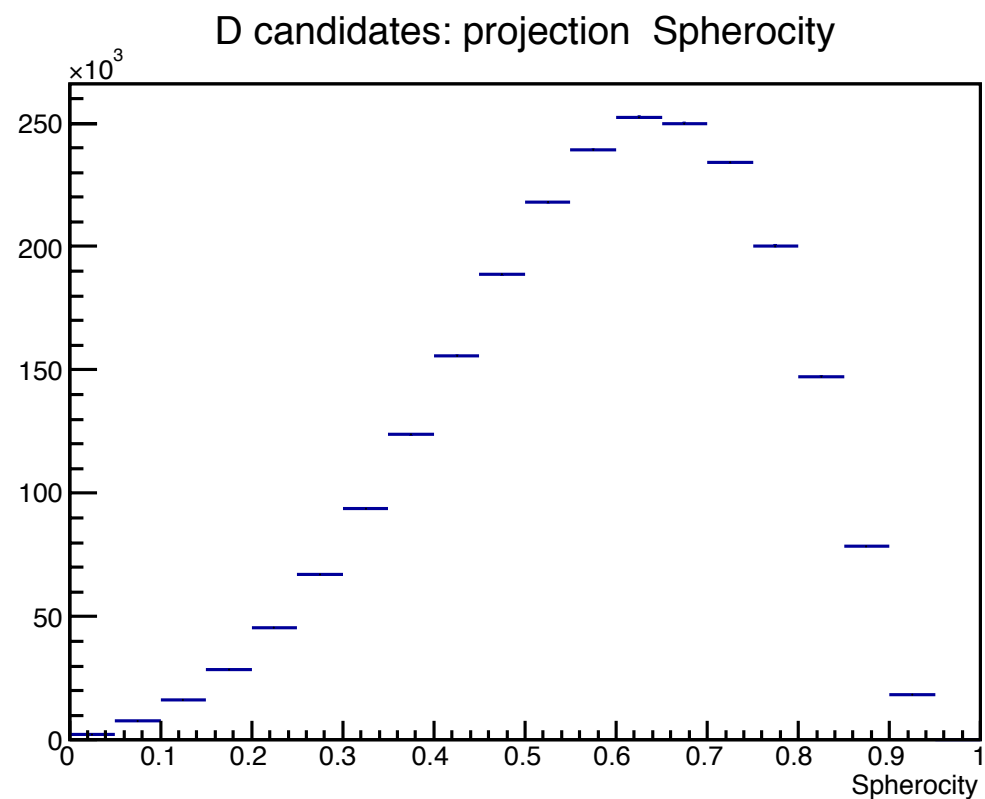
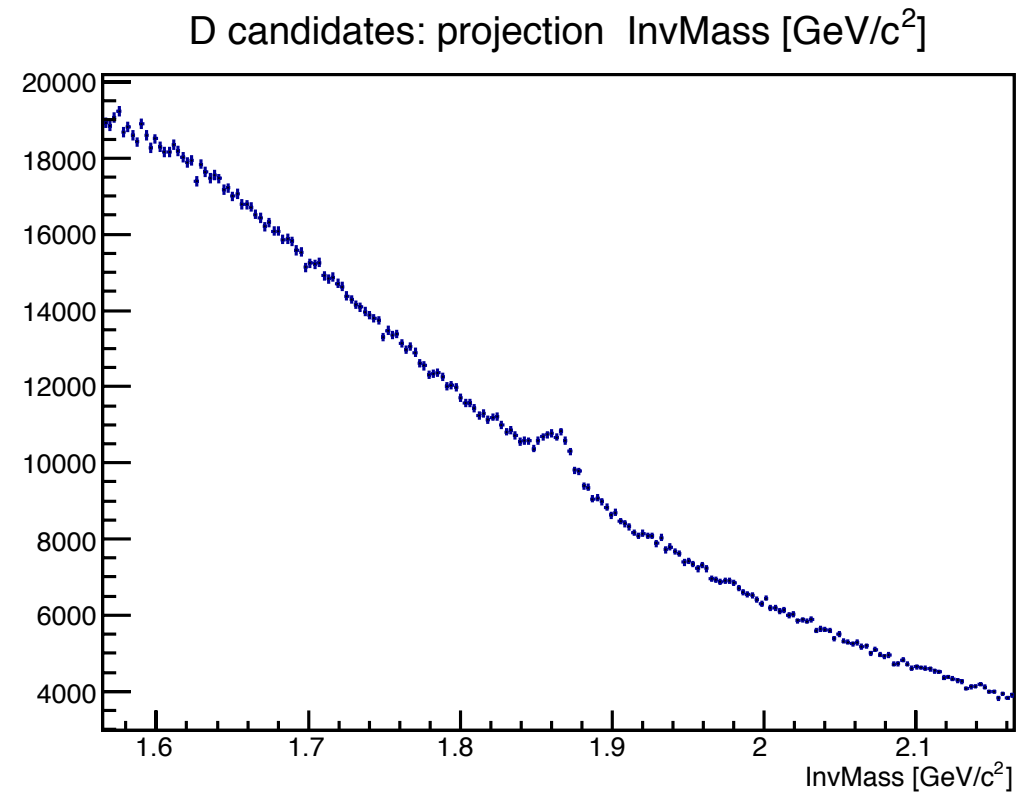
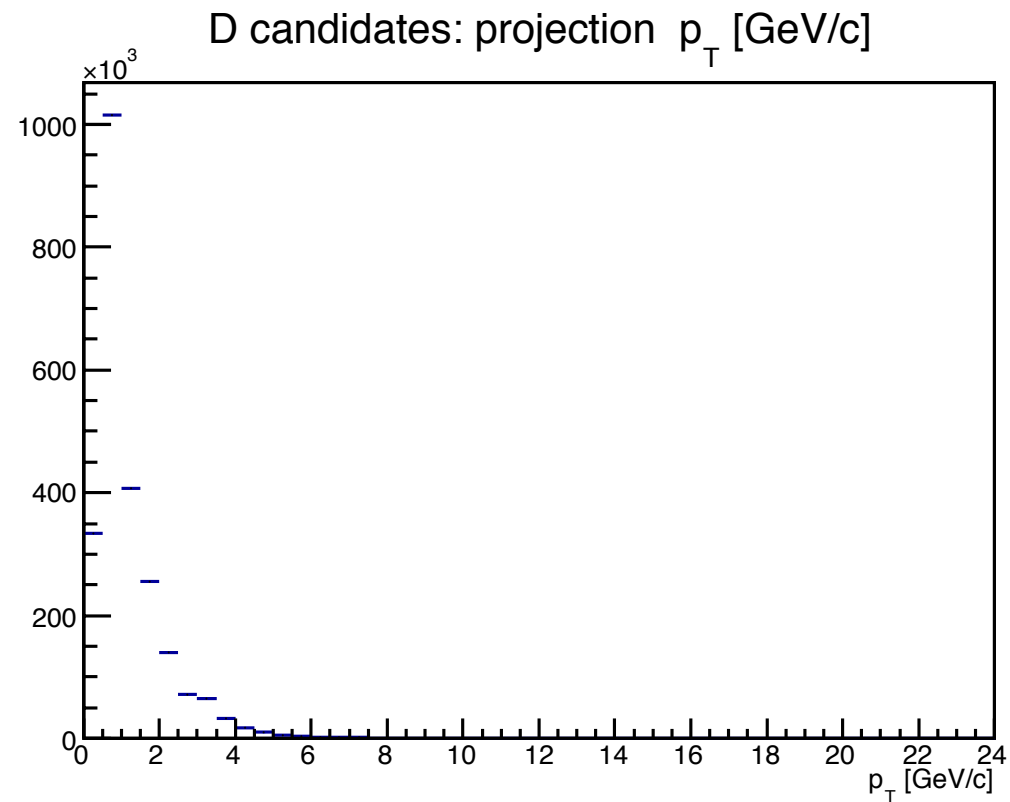
## Pass 4

Cross Section



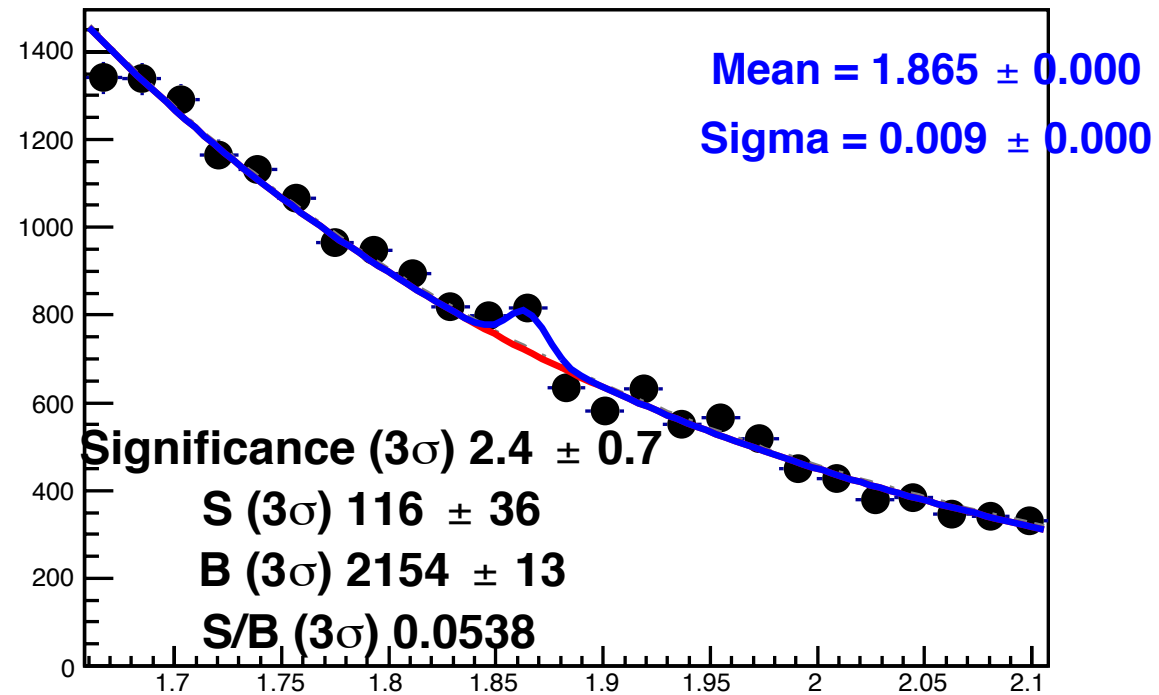
With this we positively concluded our checks for pass 4 data.

# Projection: $p_T$ , Mass, Sphericity, Multiplicity

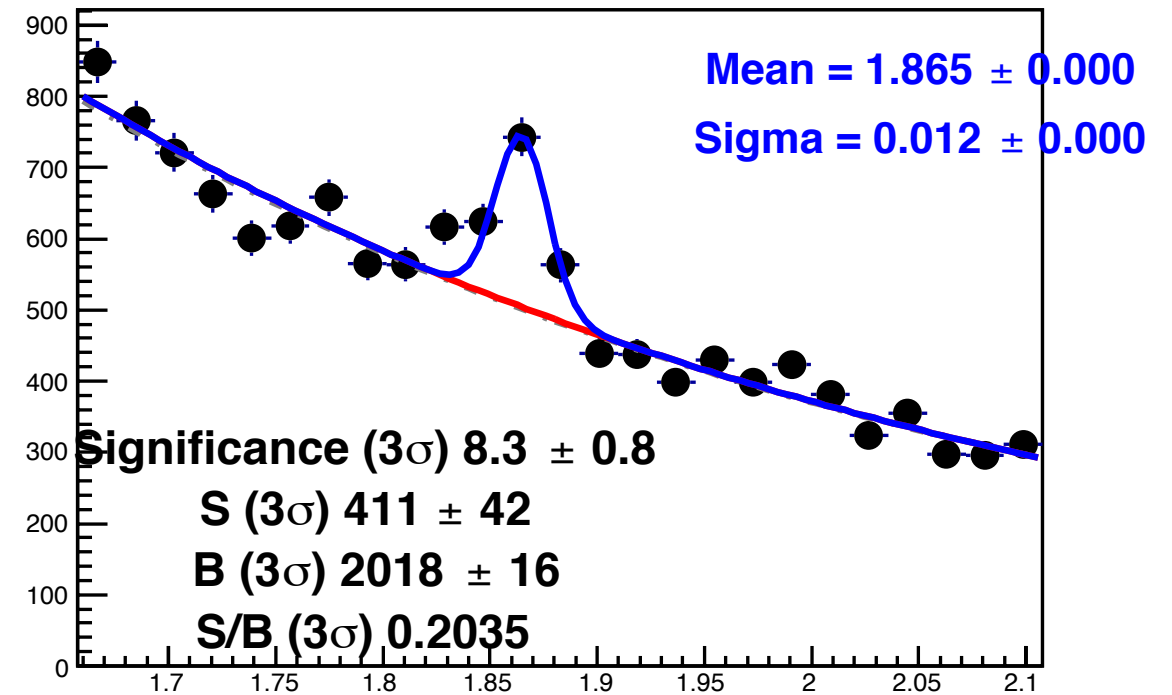


# one Mult Bin: Ntrk[1,81]; Sphero[0.0, 0.3]

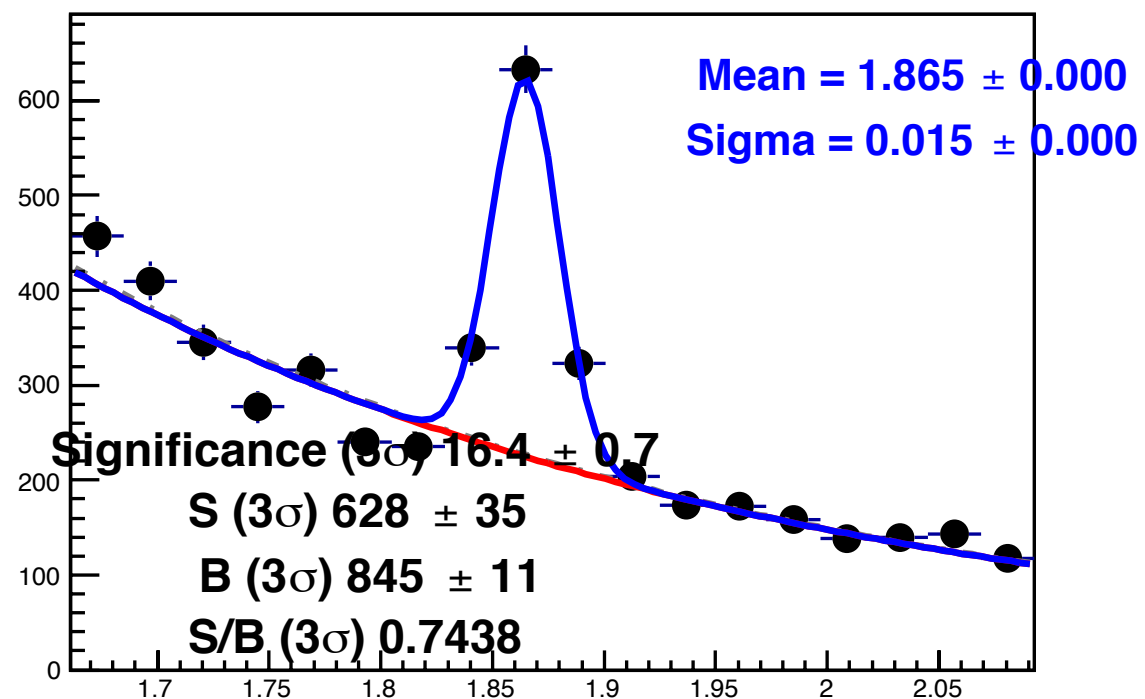
$1 < p_T < 2 \text{ GeV}/c$



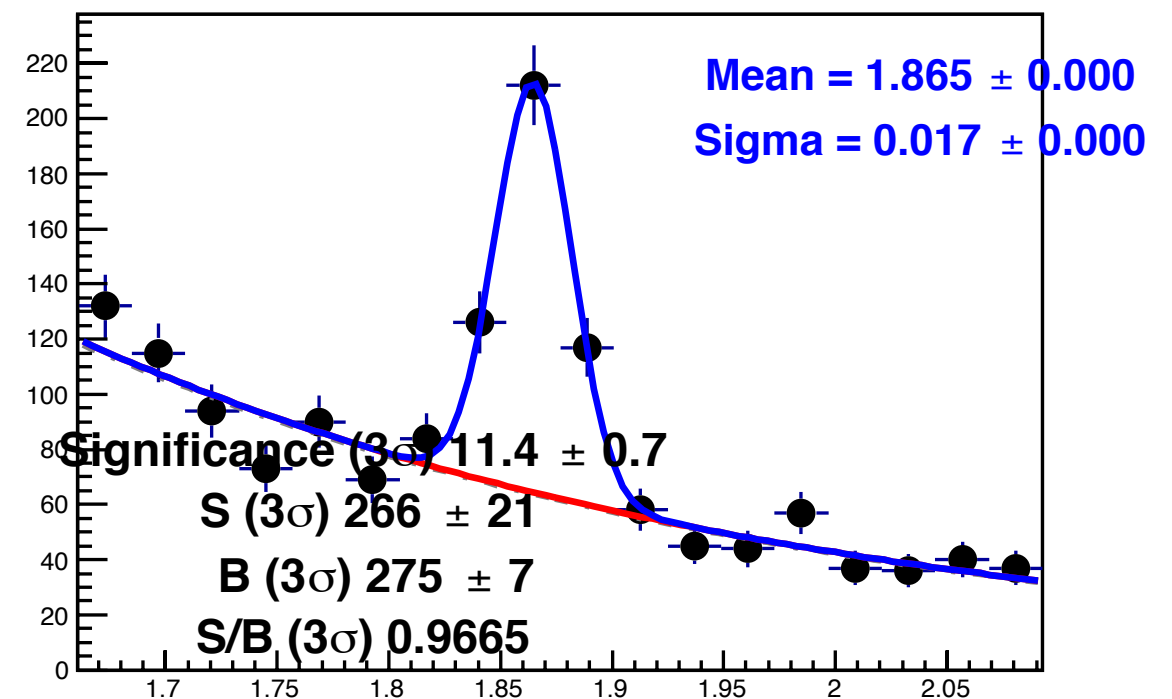
$2 < p_T < 4 \text{ GeV}/c$



$4 < p_T < 8 \text{ GeV}/c$

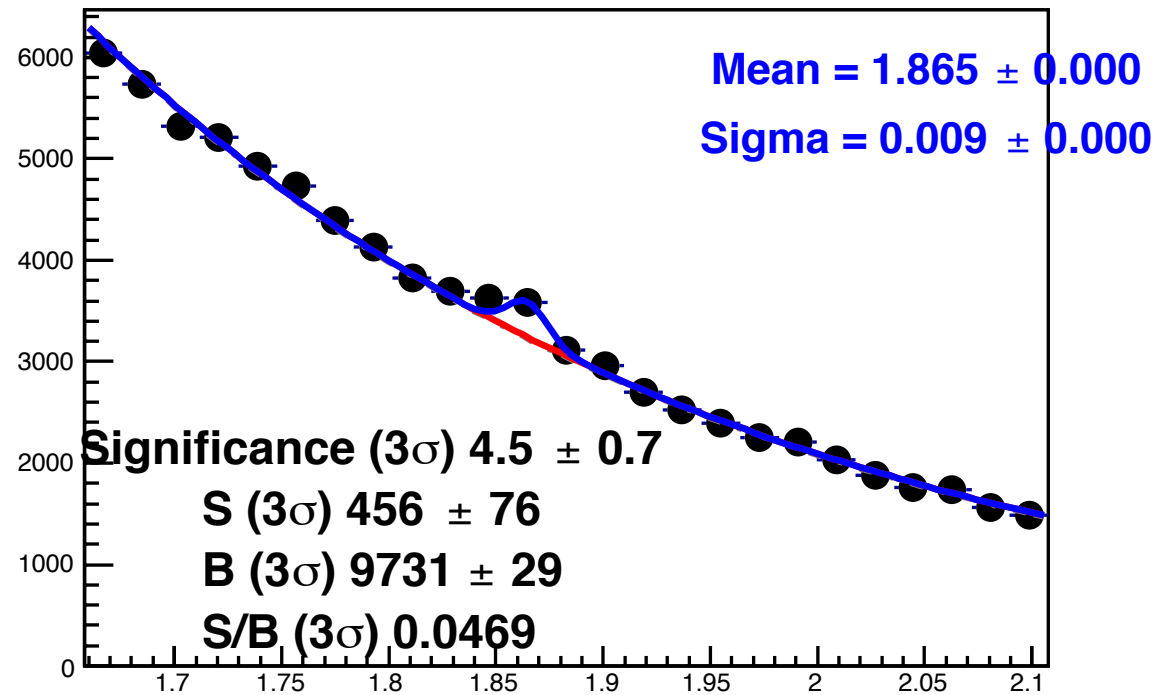


$8 < p_T < 16 \text{ GeV}/c$

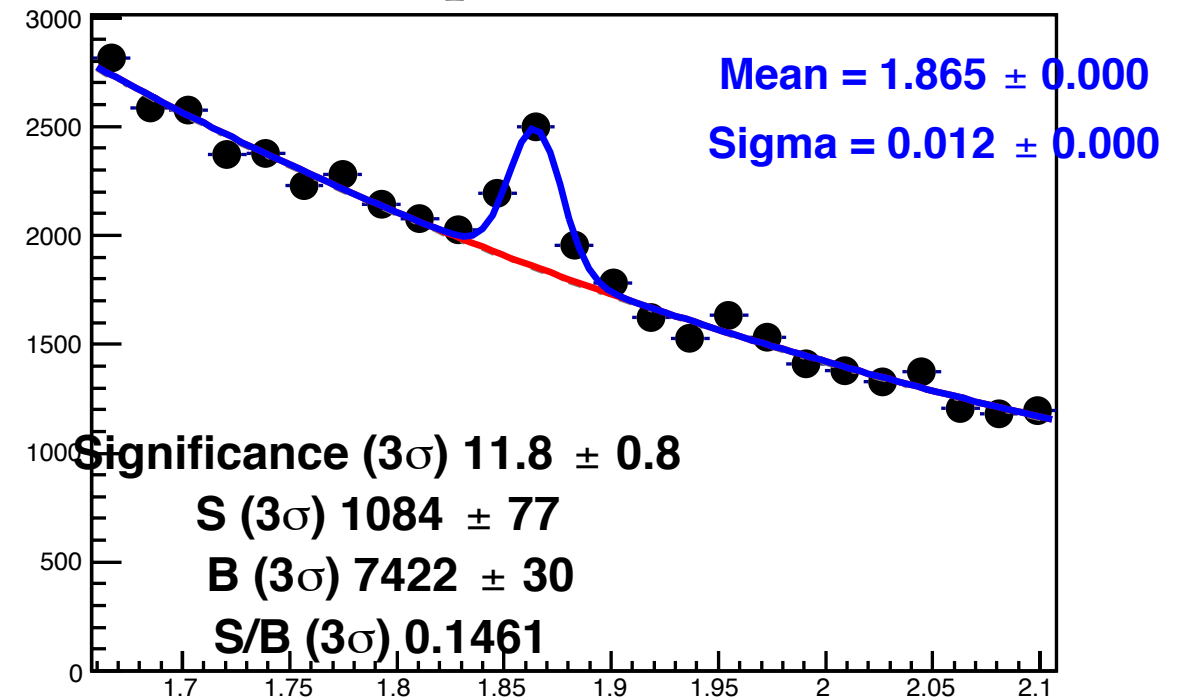


# one Mult Bin: Ntrk[1,81]; Sphero[0.3, 0.5]

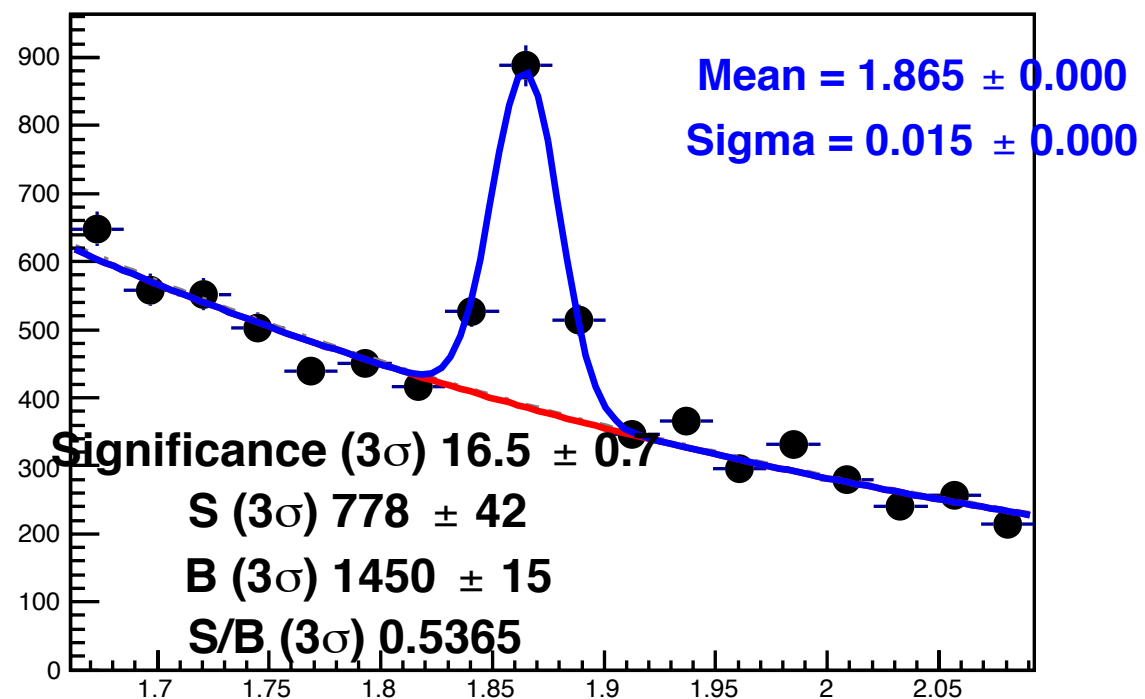
$1 < p_T < 2 \text{ GeV}/c$



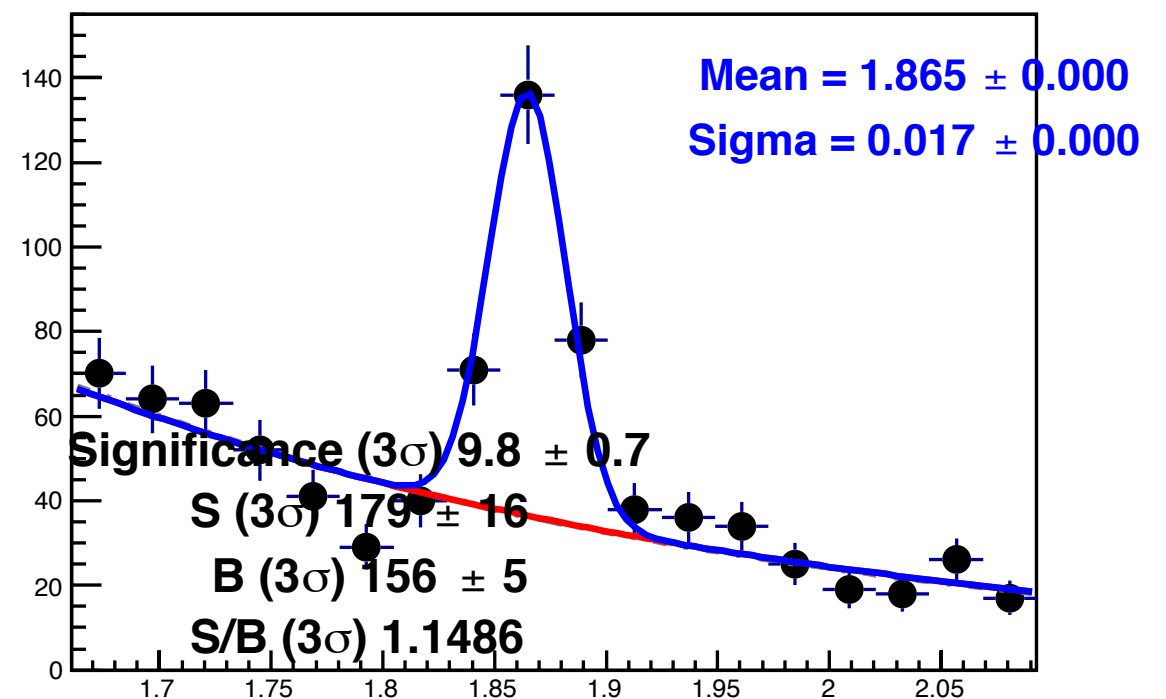
$2 < p_T < 4 \text{ GeV}/c$



$4 < p_T < 8 \text{ GeV}/c$

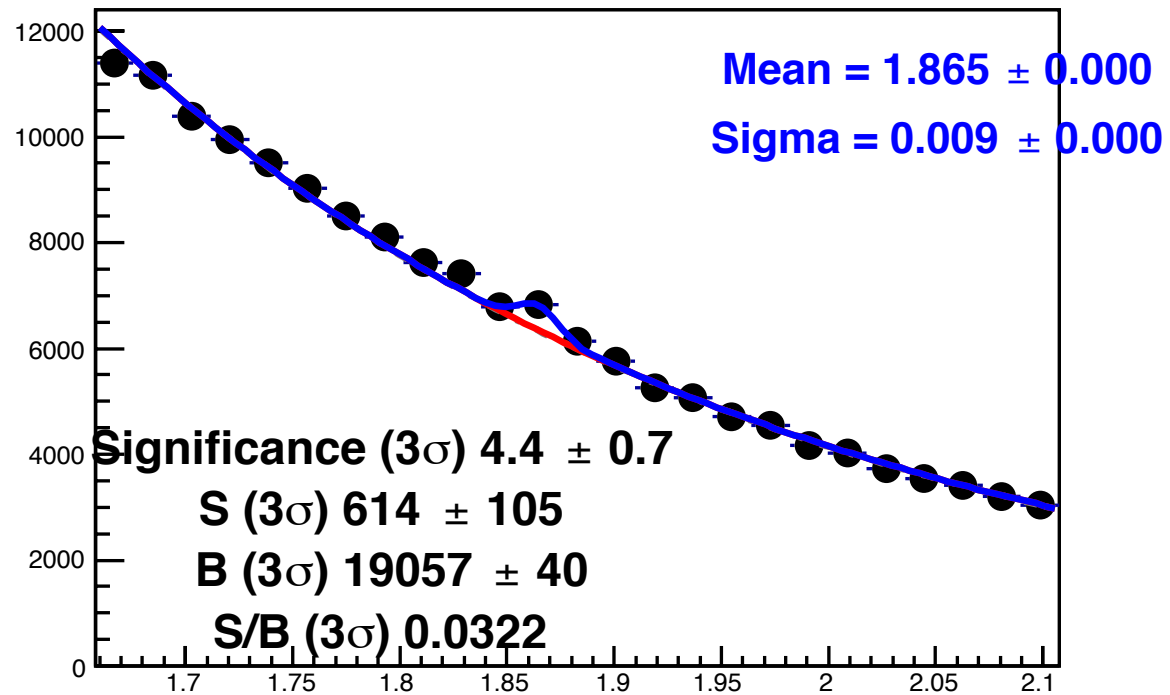


$8 < p_T < 16 \text{ GeV}/c$

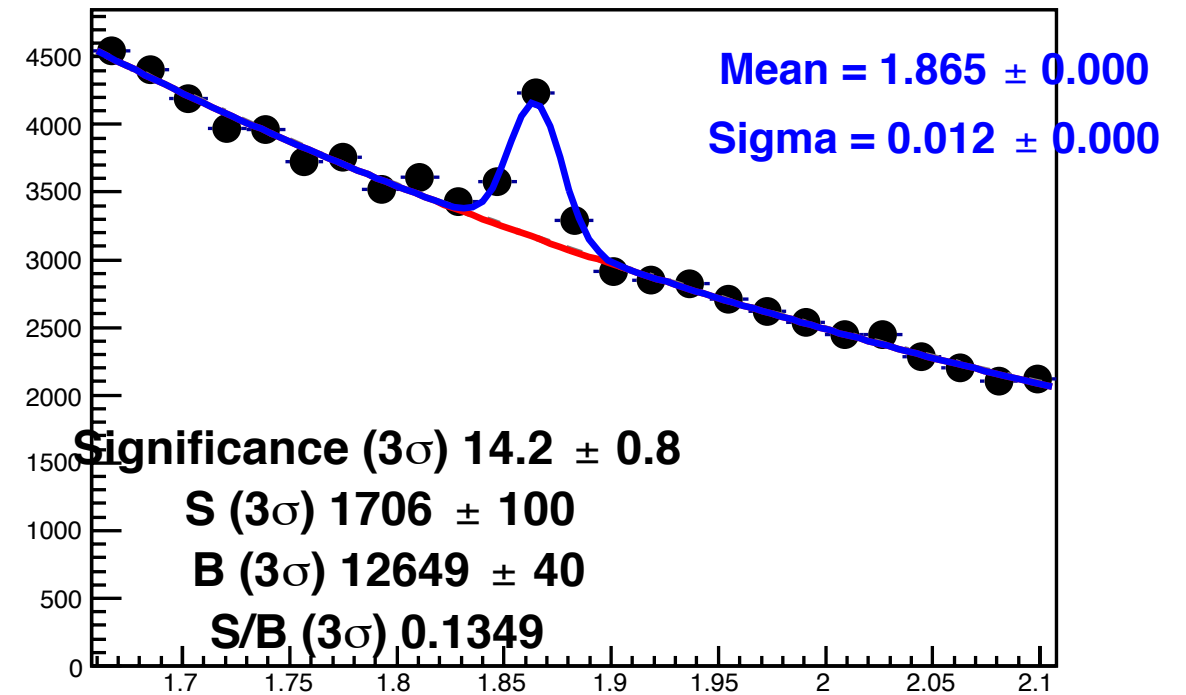


# one Mult Bin: Ntrk[1,81]; Sphero[0.5, 0.7]

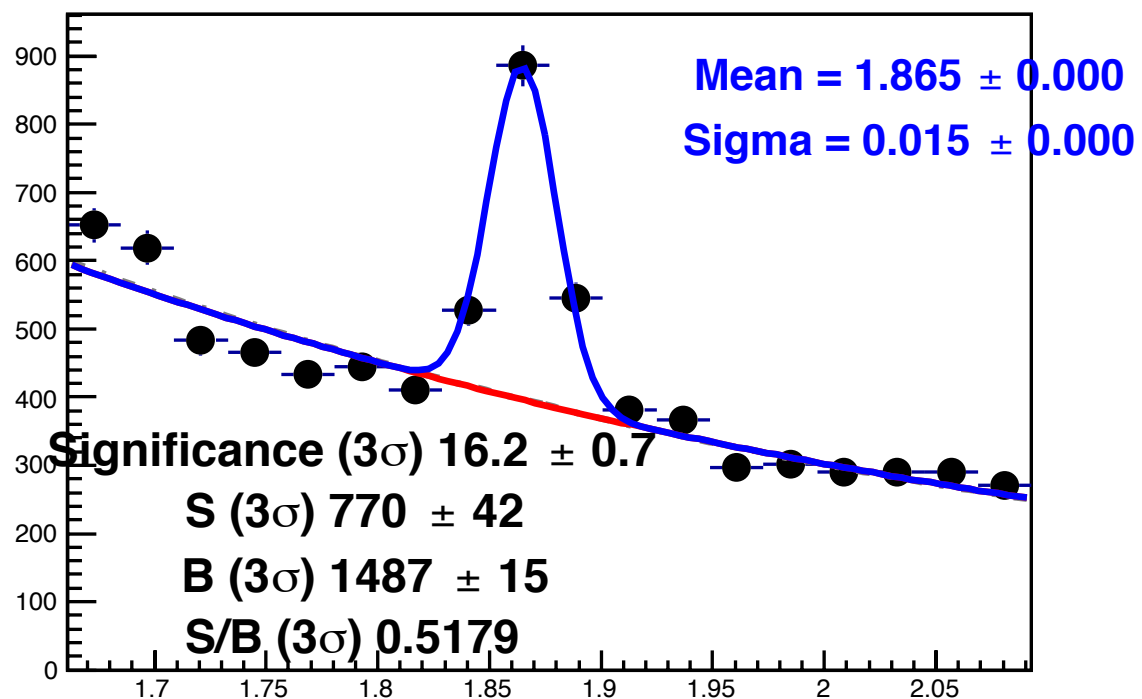
$1 < p_T < 2 \text{ GeV}/c$



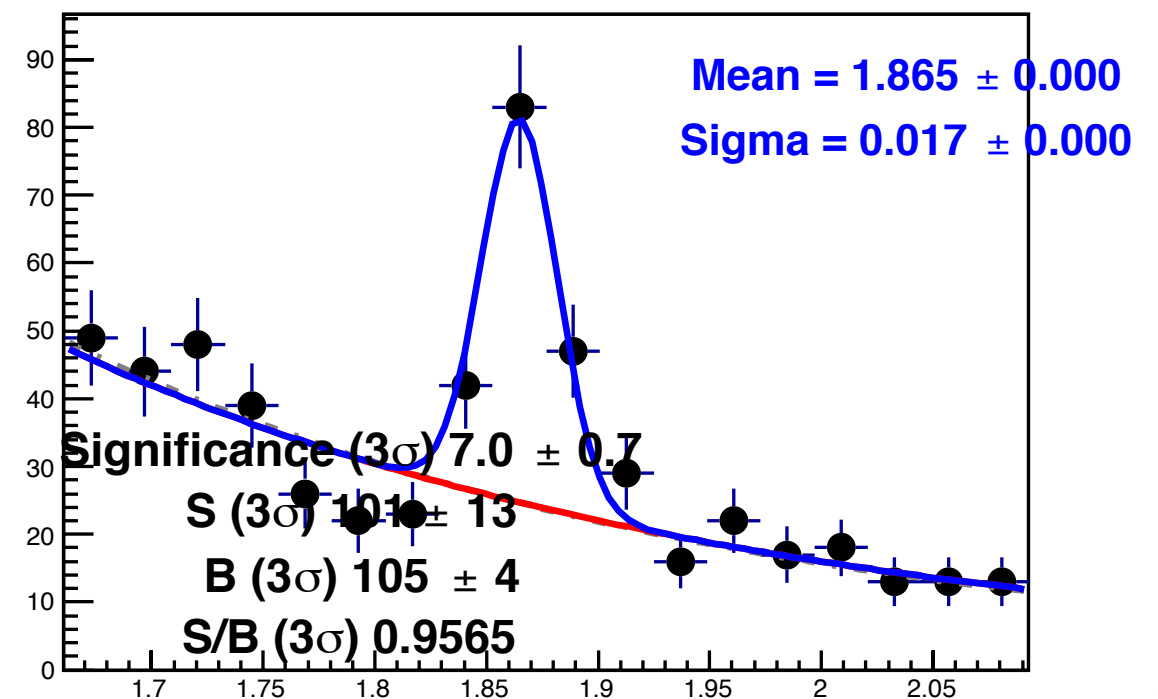
$2 < p_T < 4 \text{ GeV}/c$



$4 < p_T < 8 \text{ GeV}/c$



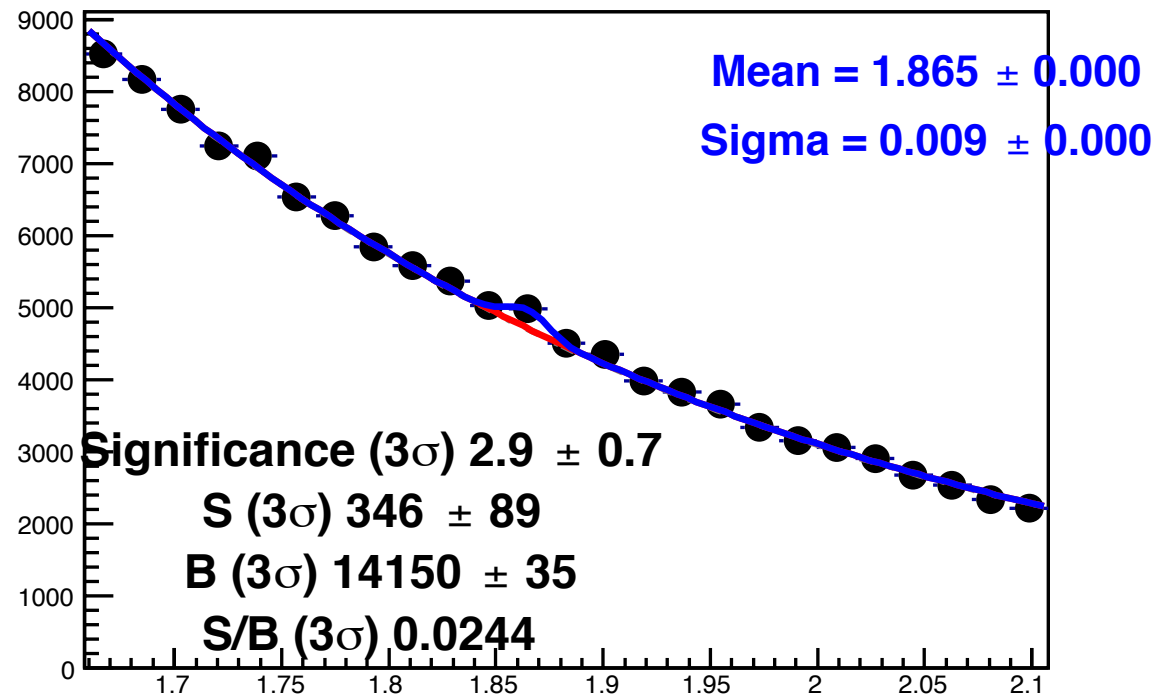
$8 < p_T < 16 \text{ GeV}/c$



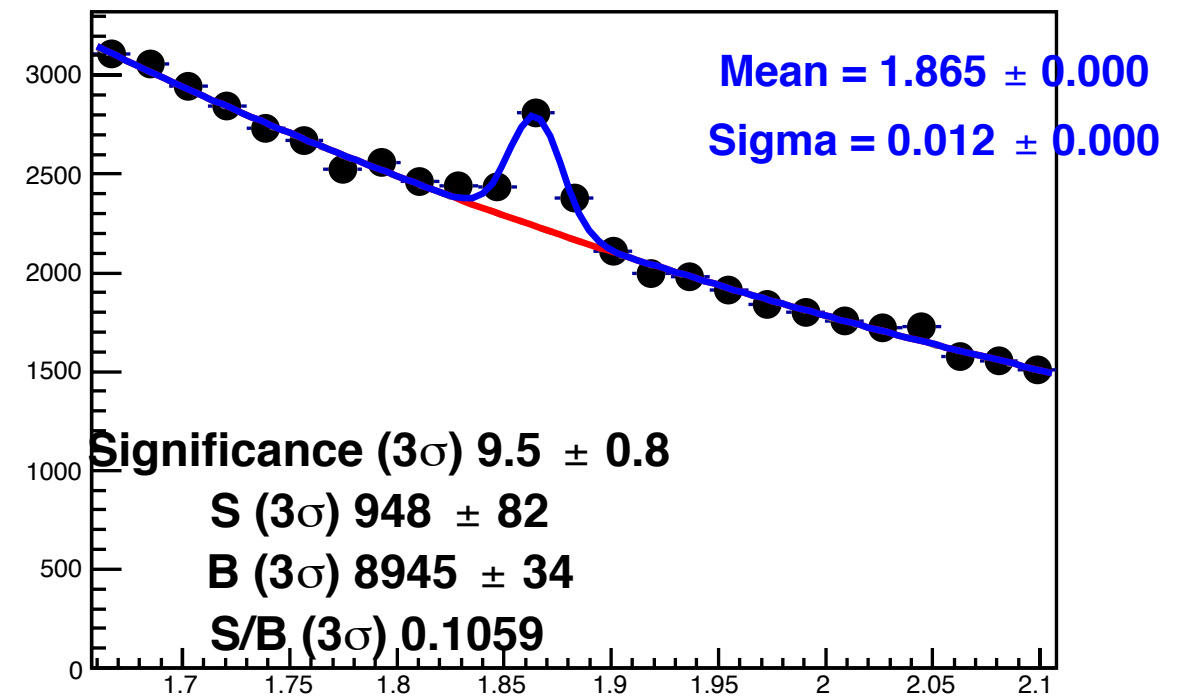


# one Mult Bin: Ntrk[1,81]; Sphero[0.7, 1.0]

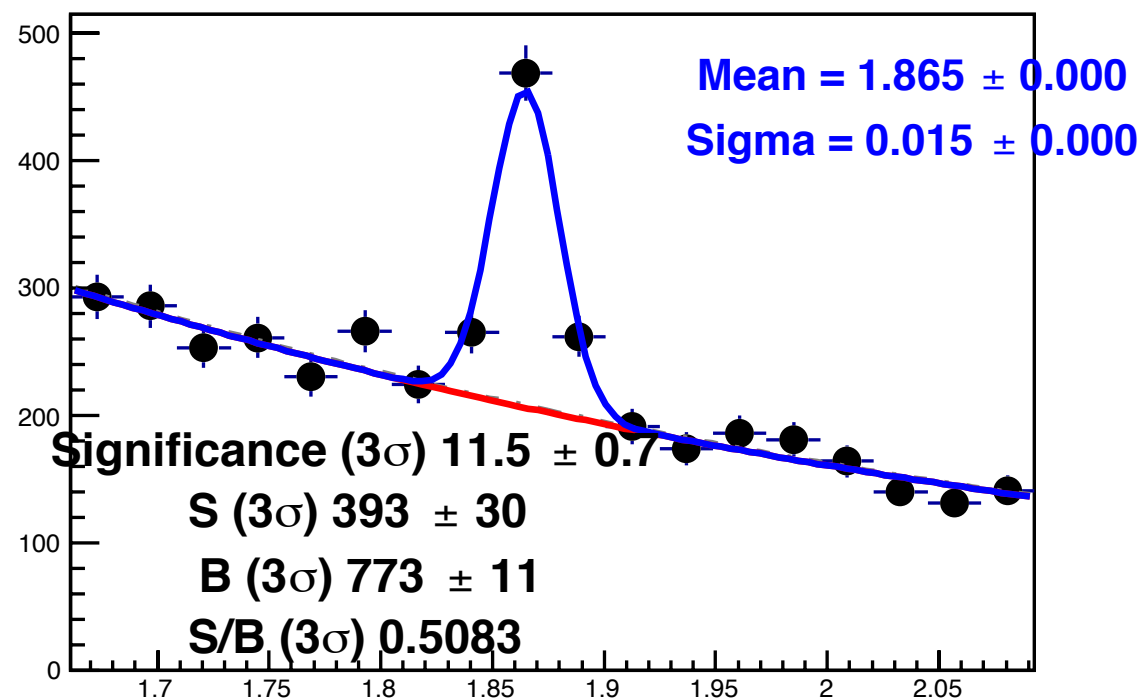
$1 < p_T < 2 \text{ GeV}/c$



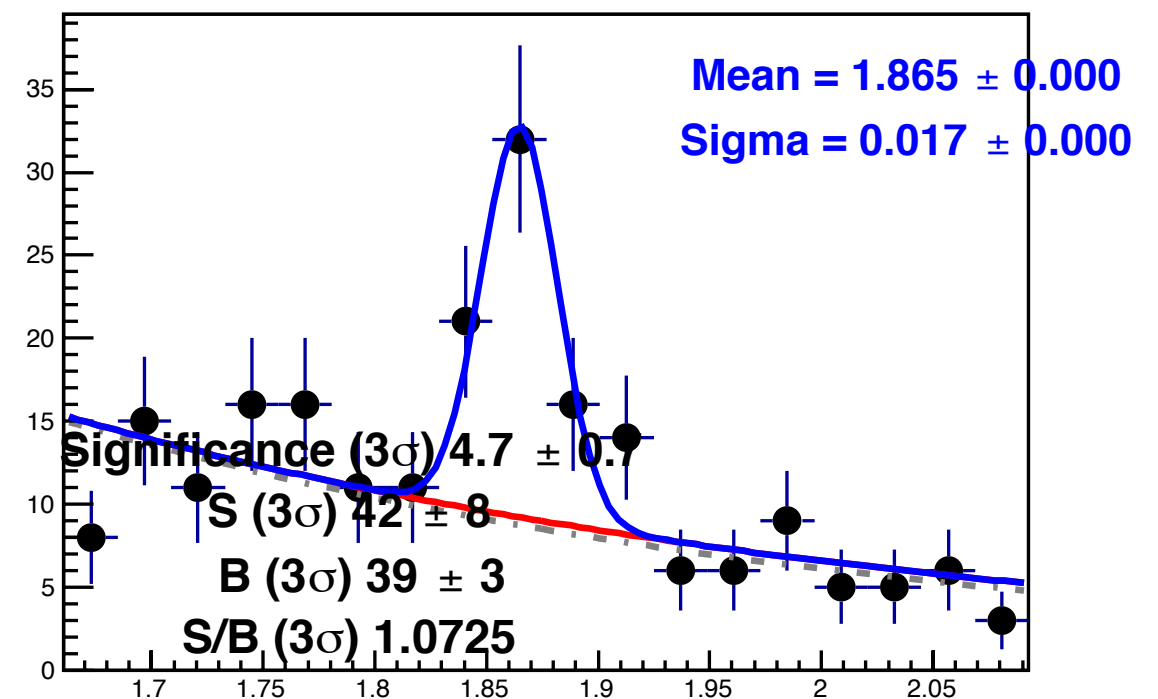
$2 < p_T < 4 \text{ GeV}/c$



$4 < p_T < 8 \text{ GeV}/c$

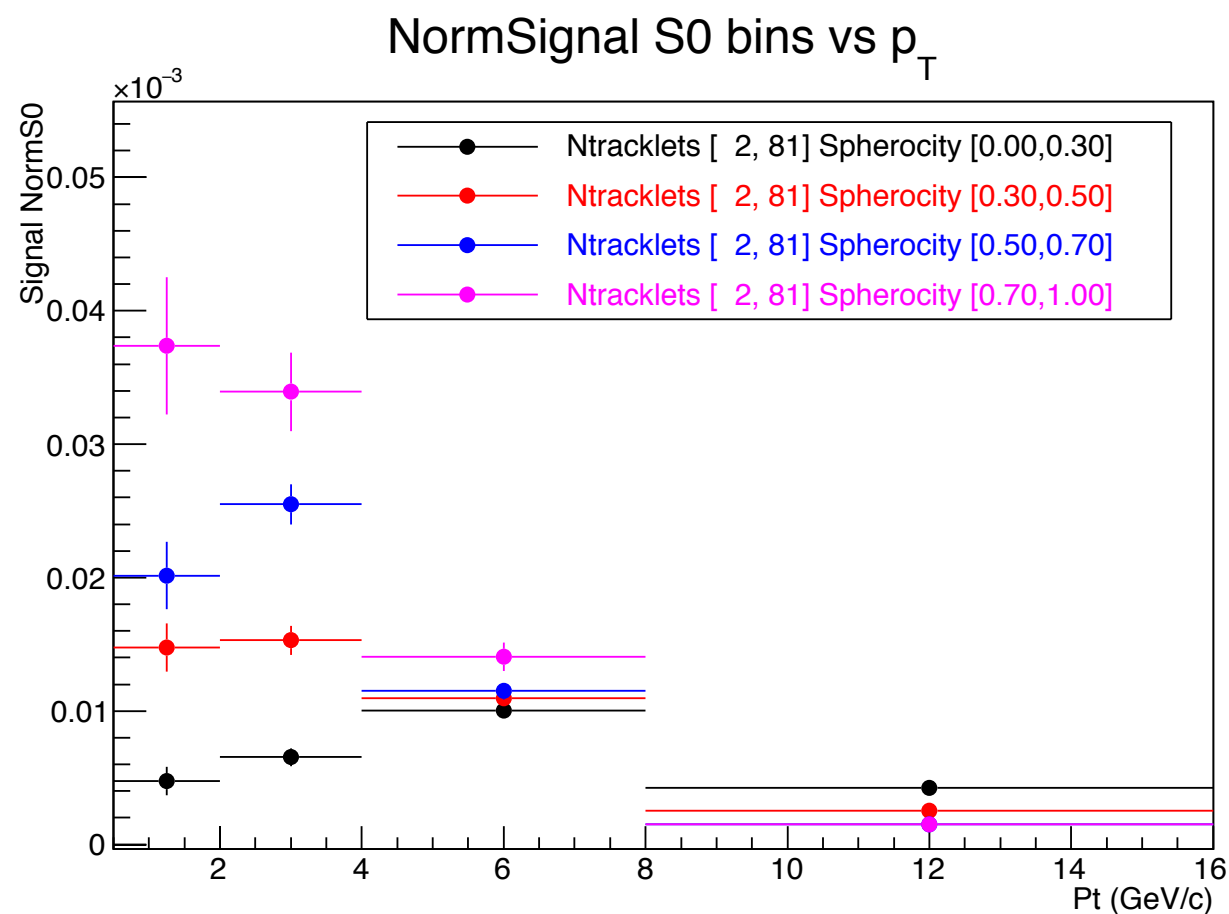


$8 < p_T < 16 \text{ GeV}/c$

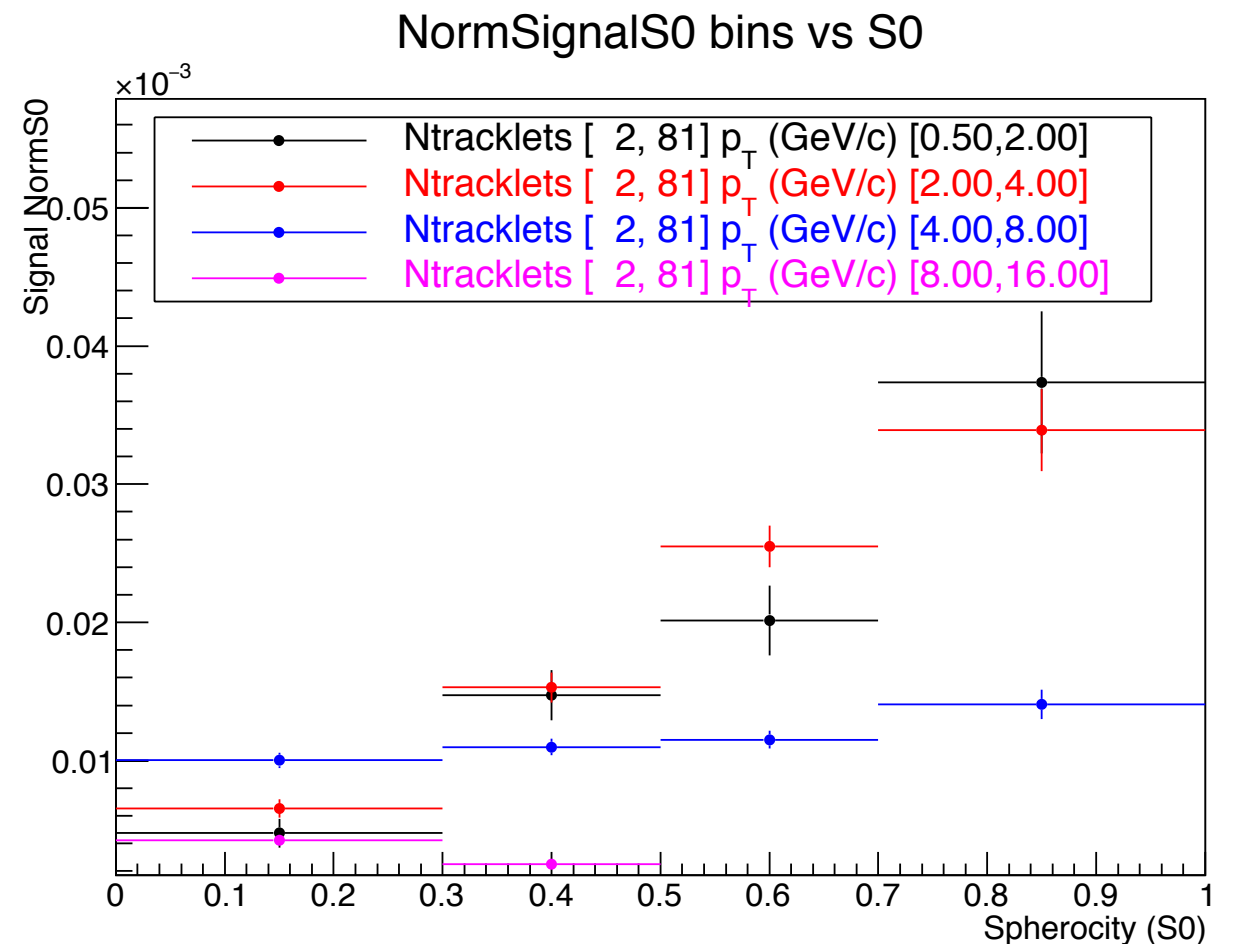


# one Mult Bins: Ntrk[1,81]; SignalNorm

Normalised in each Multiplicity and Sphericity bins



SignalNorm vs  $p_T$



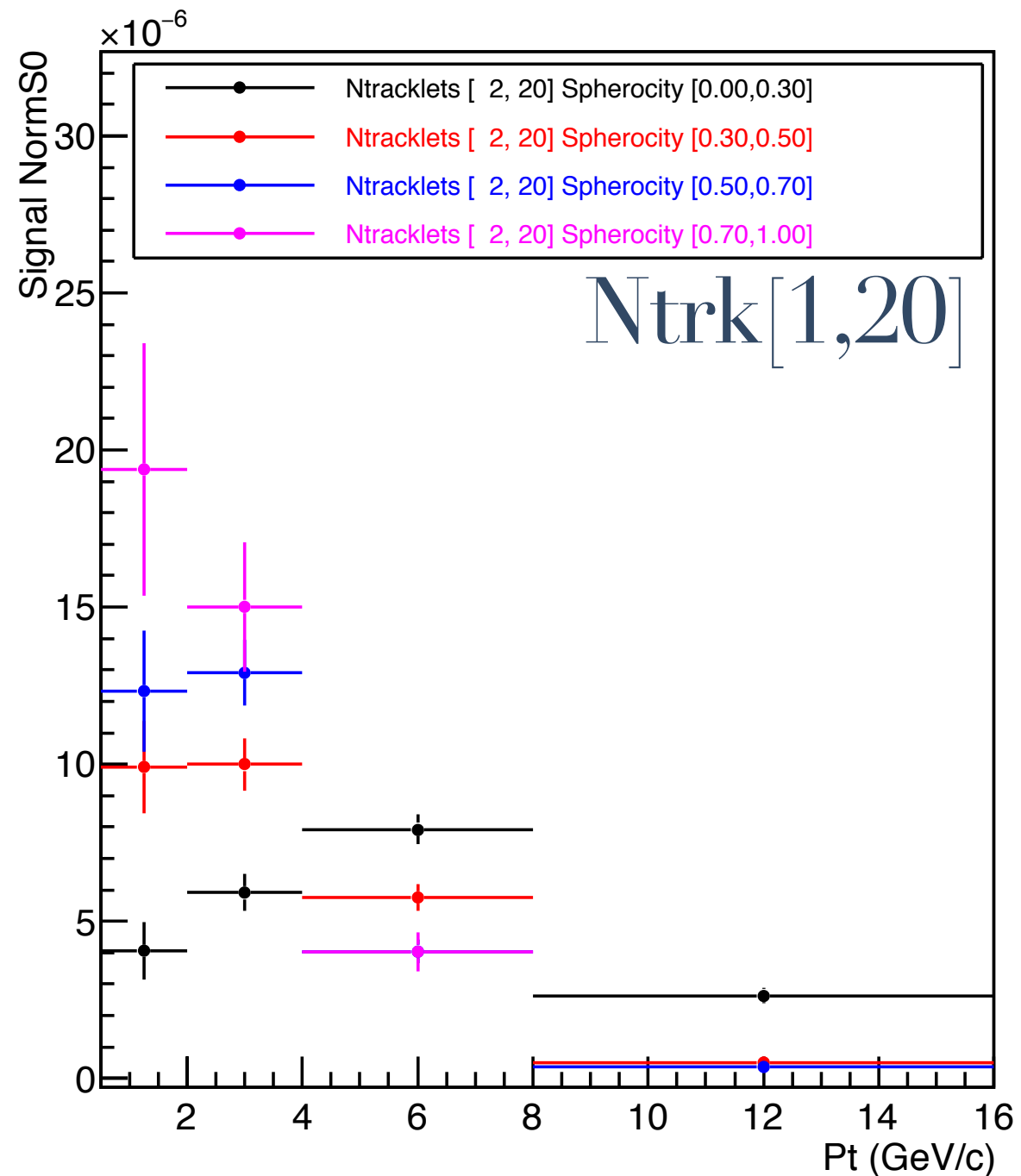
SignalNorm vs  $S_0$

For low  $p_T$  the signal per event is higher in higher  $S_0$  bins

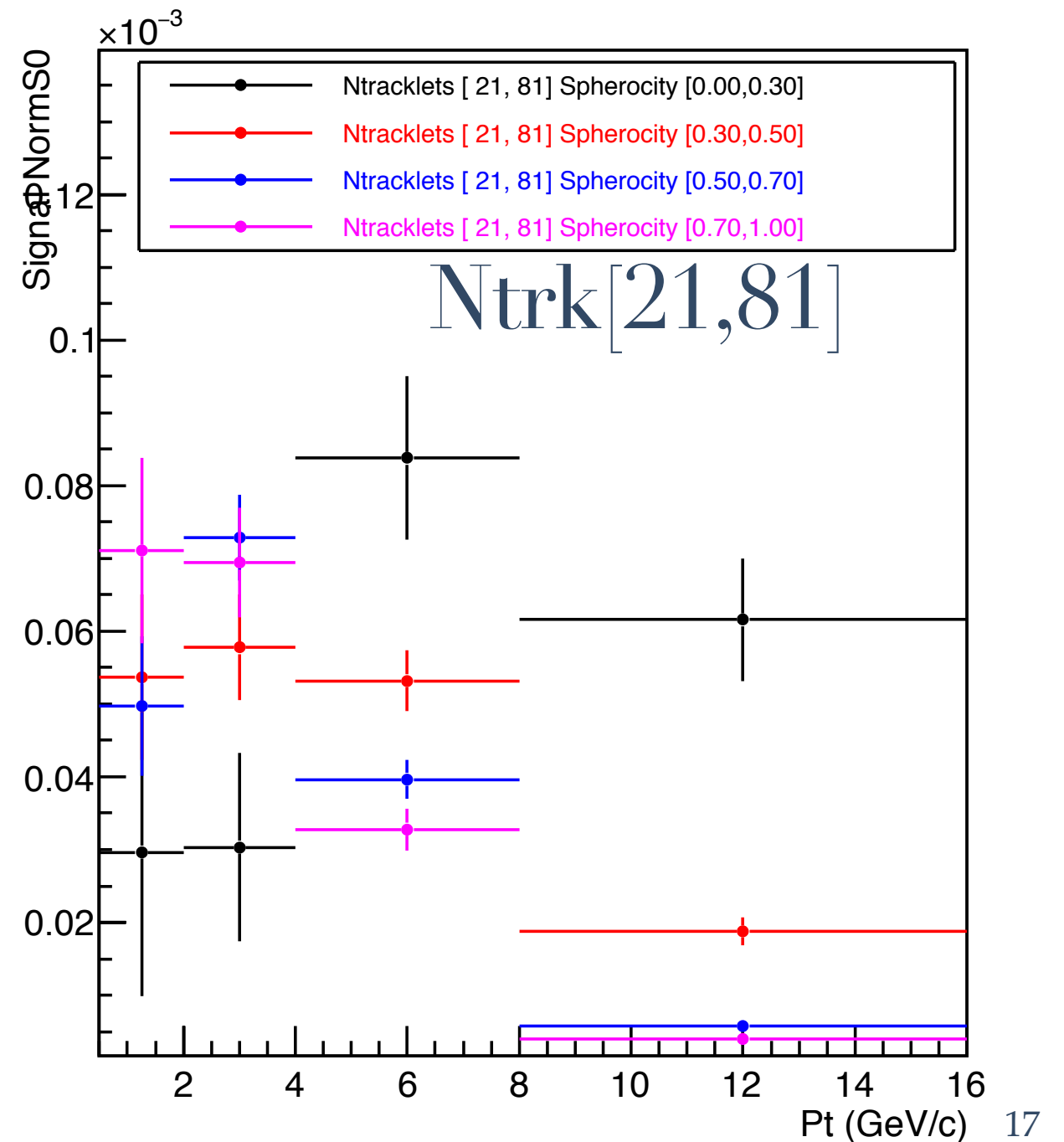
# two Mult Bins: SignalNorm vs. p<sub>T</sub>

Normalised in each Multiplicity and Sphericity bins

NormSignal S0 bins vs p<sub>T</sub>



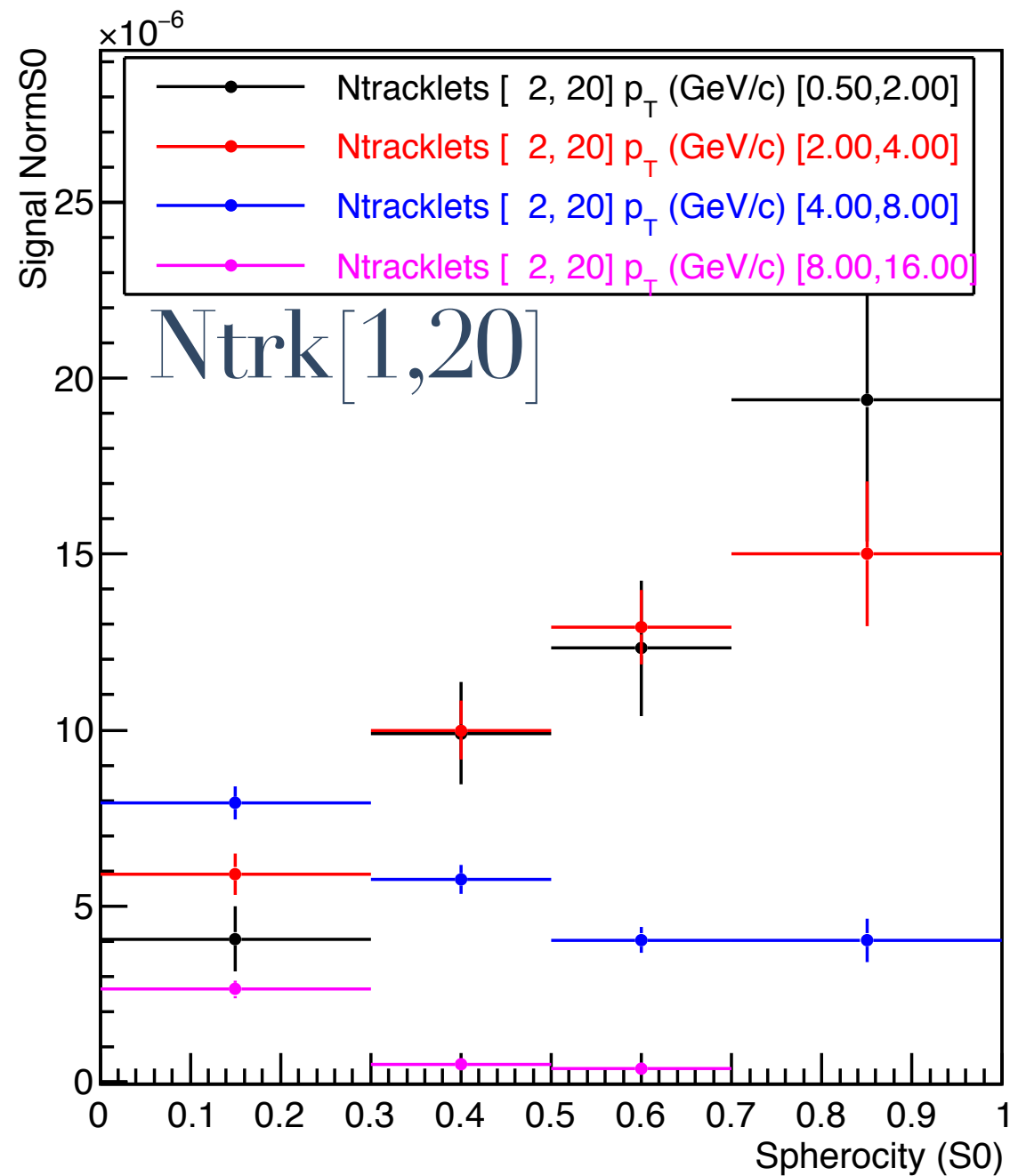
NormSignal S0 bins vs p<sub>T</sub>



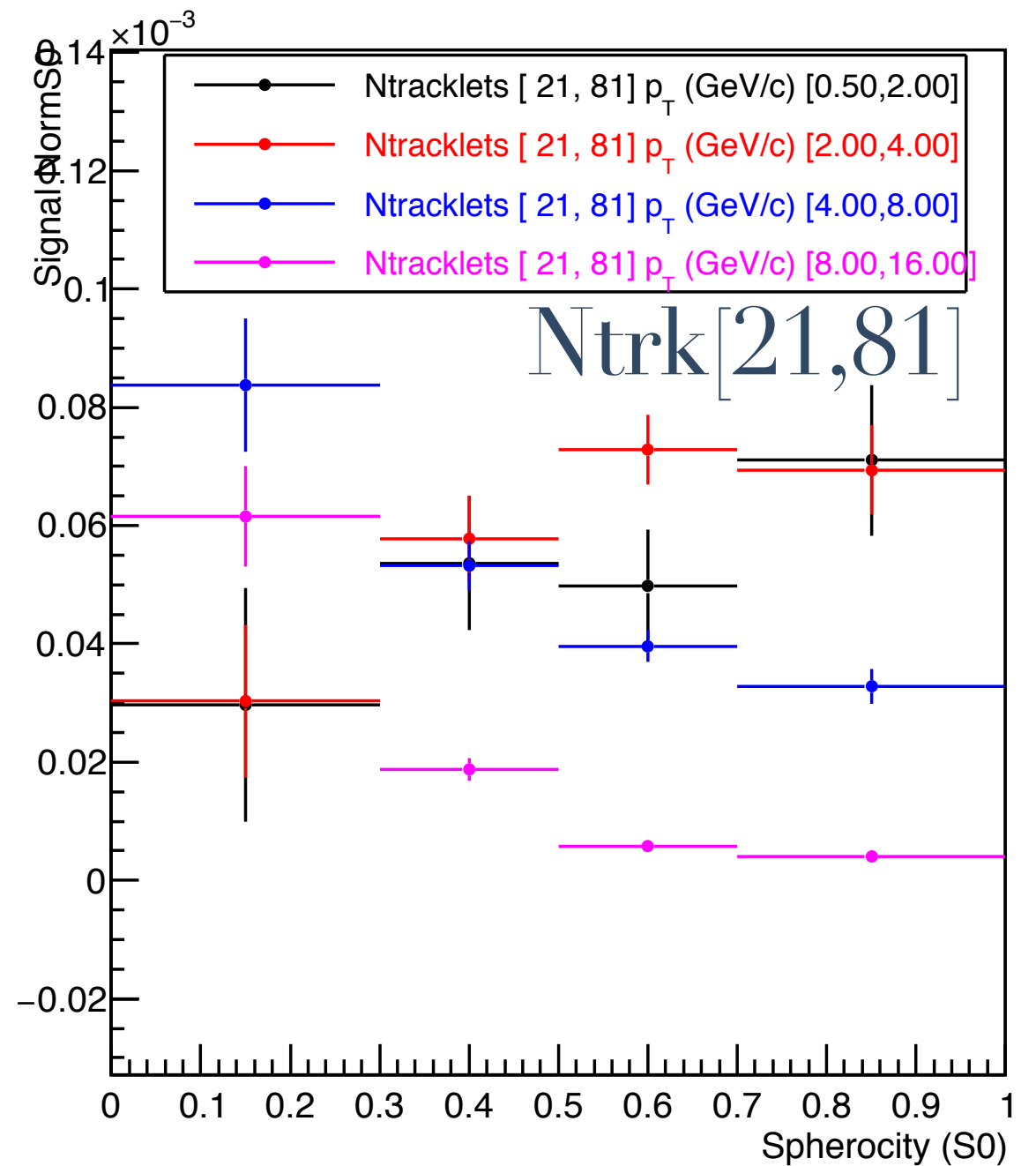
# two Mult Bins: SignalNorm vs. $S_0$

Normalised in each Multiplicity and Sphericity bins

NormSignalS0 bins vs S0



NormSignalS0 bins vs S0



# Summary and Plans

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- Invariant mass fitting
- Multiplicity study
- Efficiency X Acceptance
- Cross section calculation
- Study of Sphericity for event shape analysis
  - Code for Event Shape is working
  - Started with sphericity dependence in one and two multiplicity bins
- Next is efficiency correction with the sphericity ...

Thank You...

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# BACK-UP SLIDES



# Event shapes: Hybrid track cuts

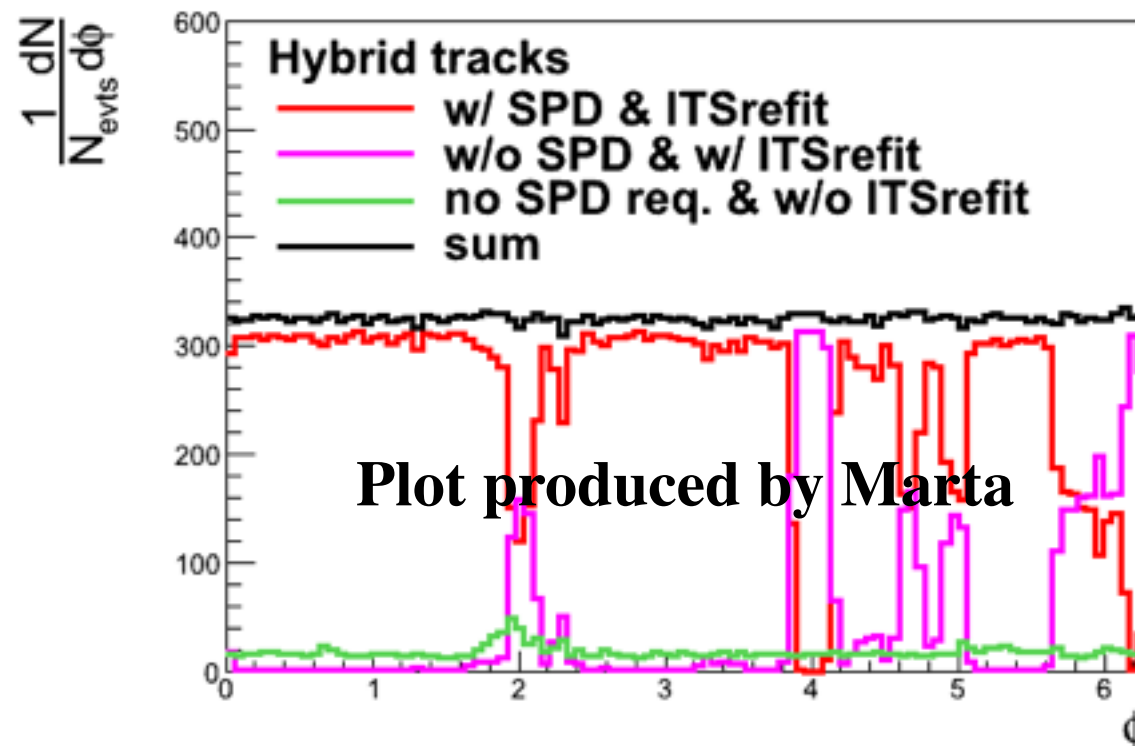
**Tested three different sets of cuts.**

**TPC-only:** flat eta and phi distributions, but large contamination from secondaries.

**Golden:** non uniform phi distribution (this is not optimal for the  $S_0$  calculation).

**Hybrid track cuts:** developed by Marta Verweij: uniform phi and eta distributions, larger tracking efficiency than for golden track cuts, smaller contribution from secondaries than for TPC-only track cuts. More details can be found here:

<https://twiki.cern.ch/twiki/bin/viewauth/ALICE/HybridTracks>



**A. Ortiz**

**Good track pT resolution, uniform phi distribution, but track quality is mixed.**

# Event shapes: Hybrid track cuts

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**Hybrid:** Good global tracks if available, otherwise global constrained tracks.

## ❖ Cuts for good global tracks:

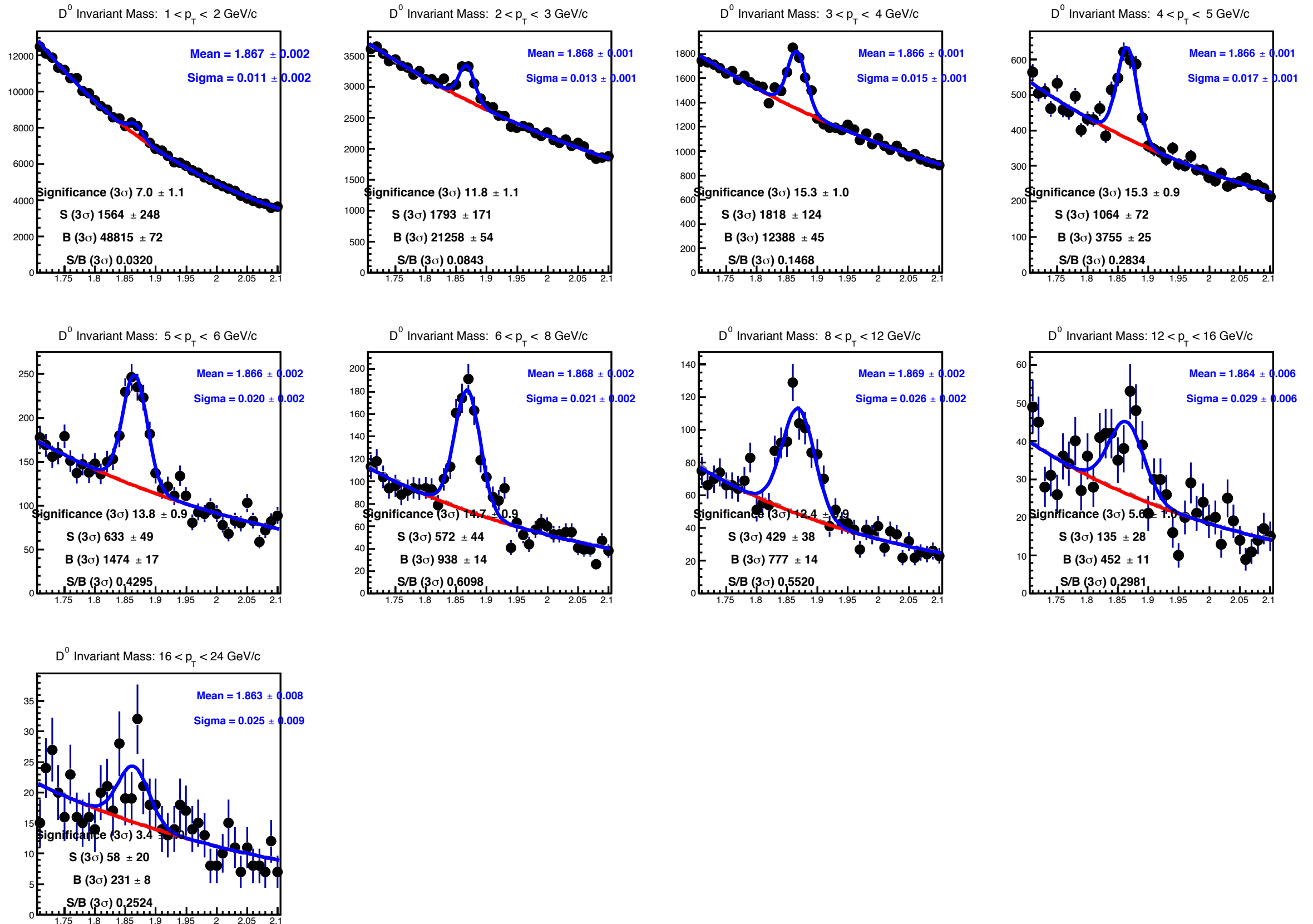
- ➔ pT dependent cut on # of TPC clusters in 1<sup>st</sup> it.
- ➔  $\chi^2$  p/ TPC cluster in 1<sup>st</sup> it. < 4
- ➔ No kink daughters
- ➔ Require TPC refit
- ➔ Frac. of shared TPC clusters < 0.4
- ➔ Require ITS refit
- ➔ Chi2 per ITS cluster < 36
- ➔  $DCA_x y < 2.4\text{cm}$
- ➔  $DCA_z < 3.2\text{cm}$
- ➔ At list one hit on SPD
- ➔  $\chi^2$  between TPC constrained and global < 36

## ❖ Cuts for global constrained tracks:

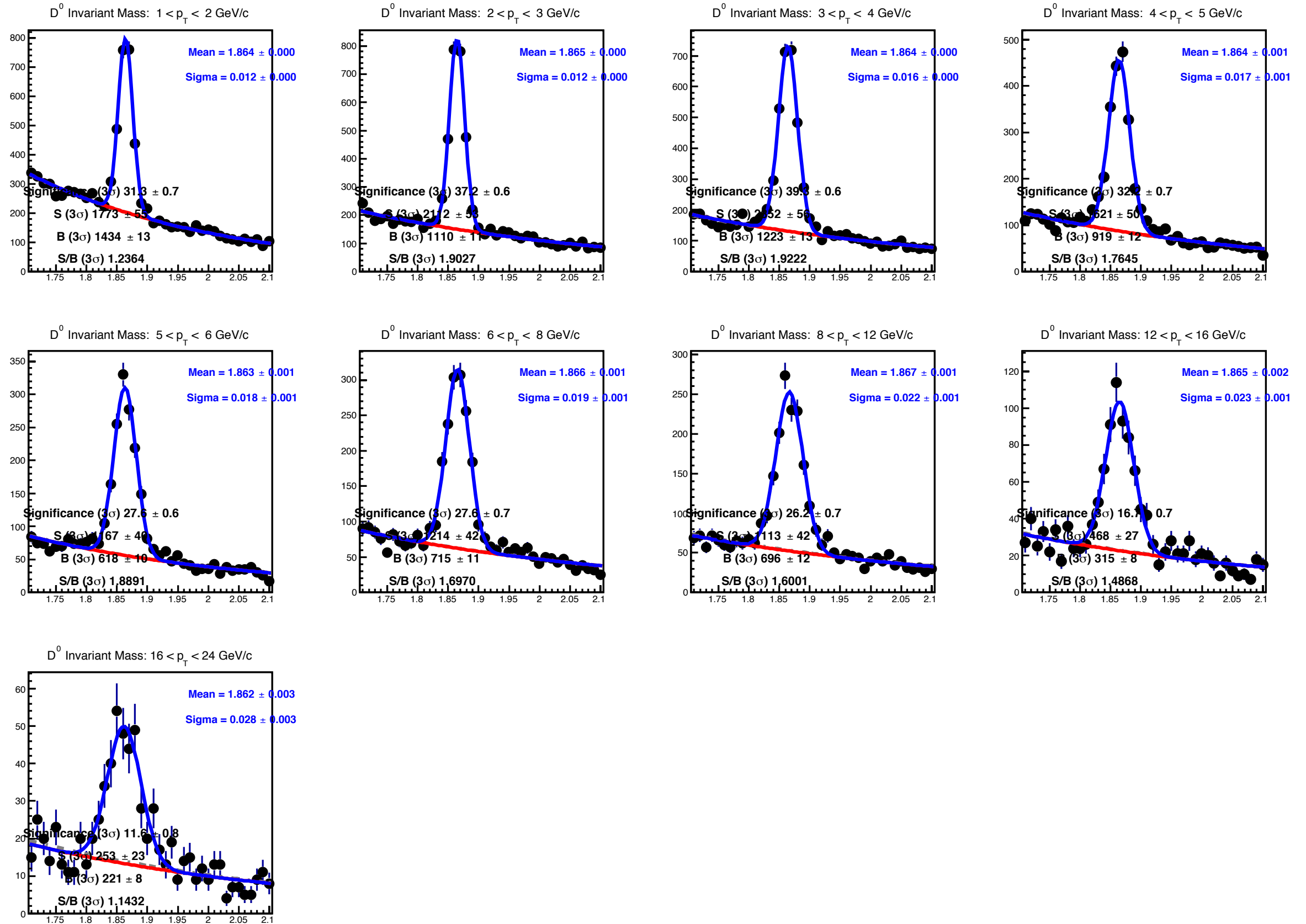
- ➔ Same cuts as for the good global tracks shown above except no ITS refit or SPD hits requirement
- ➔ Constrained to primary vertex to improve pT resolution

**Good track pT resolution, uniform phi distribution, but track quality is mixed.**

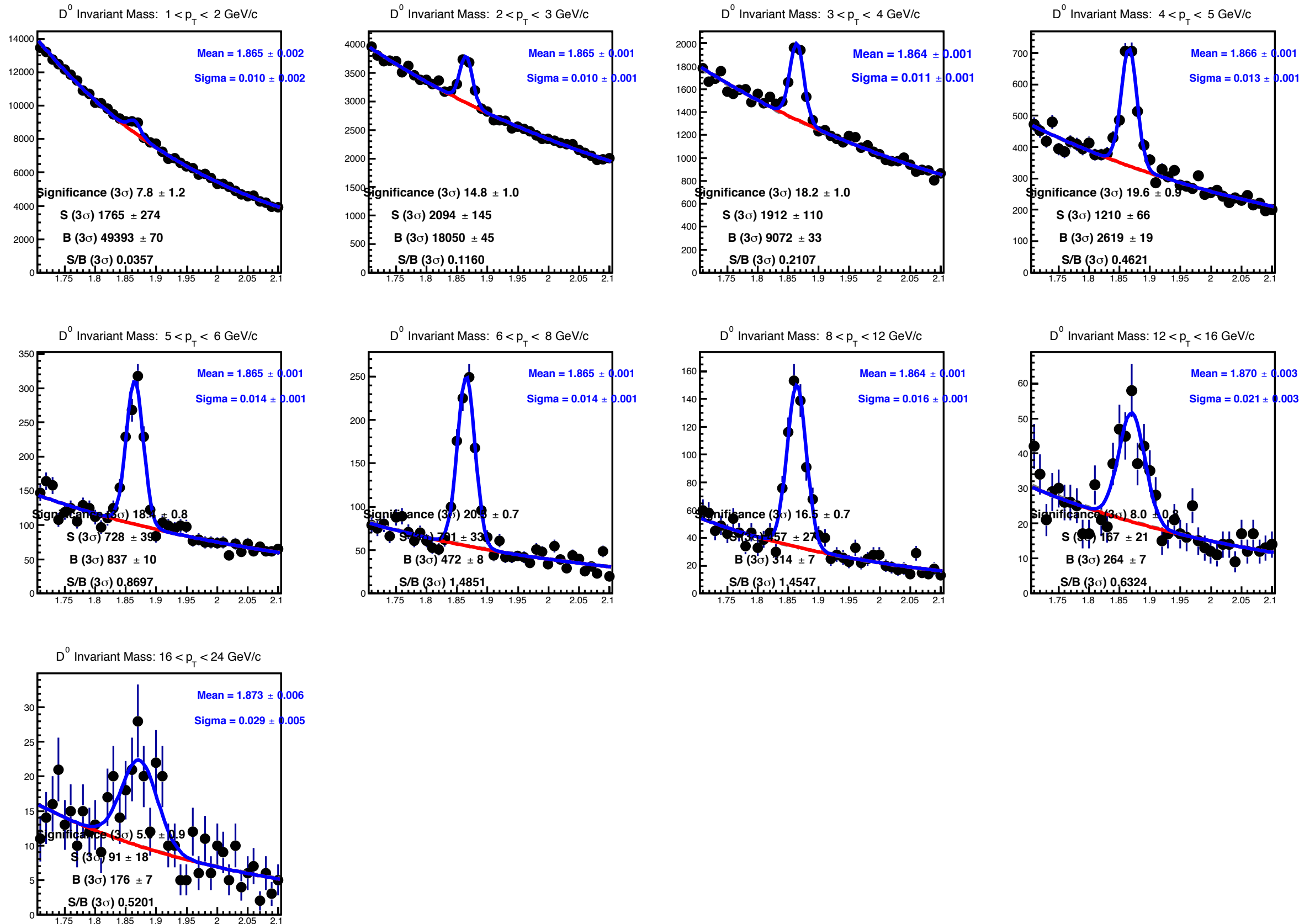
# InvMass Fitting: Pass 2



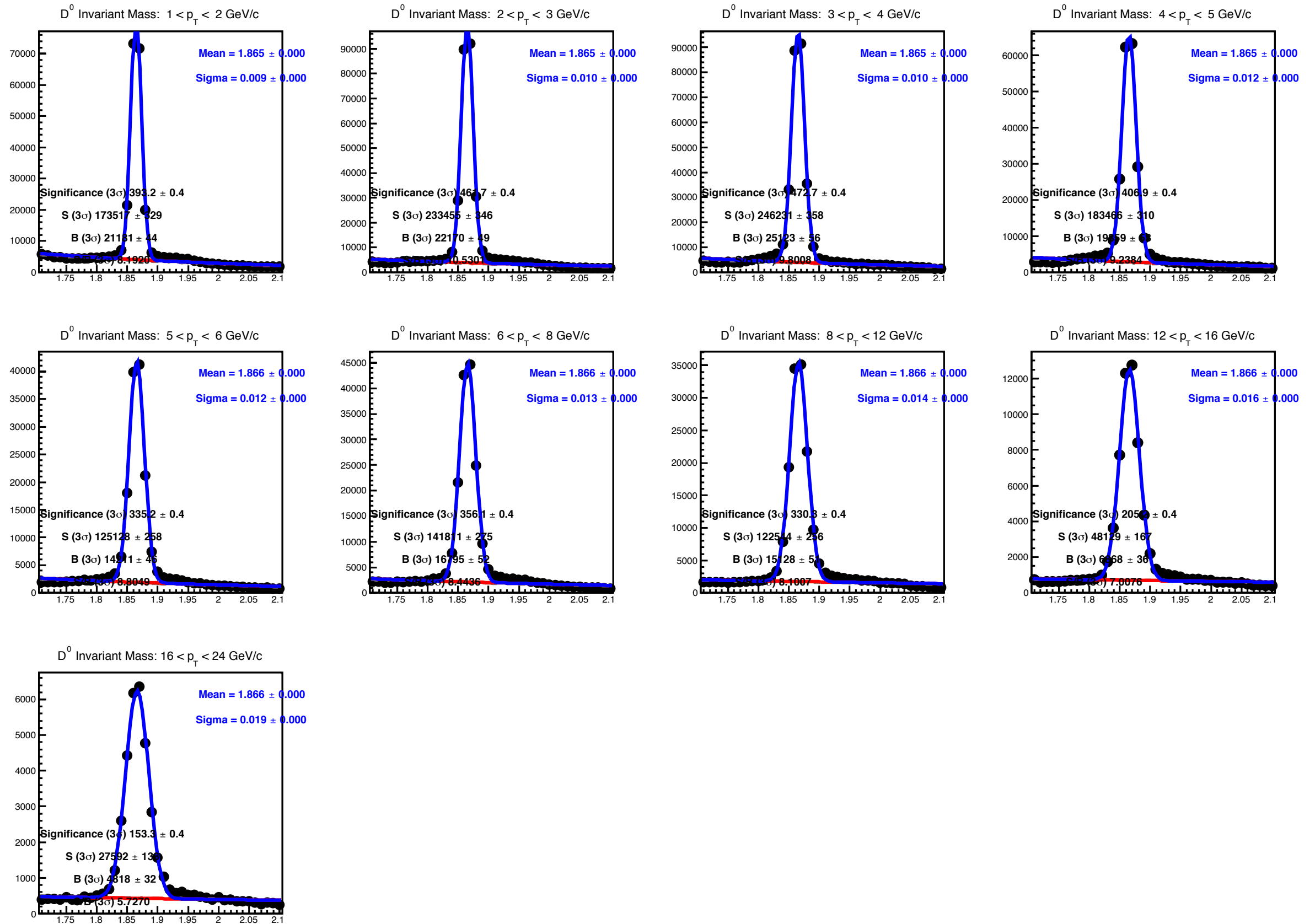
# InvMass Fitting: MC Pass 2



# InvMass Fitting: Pass 4

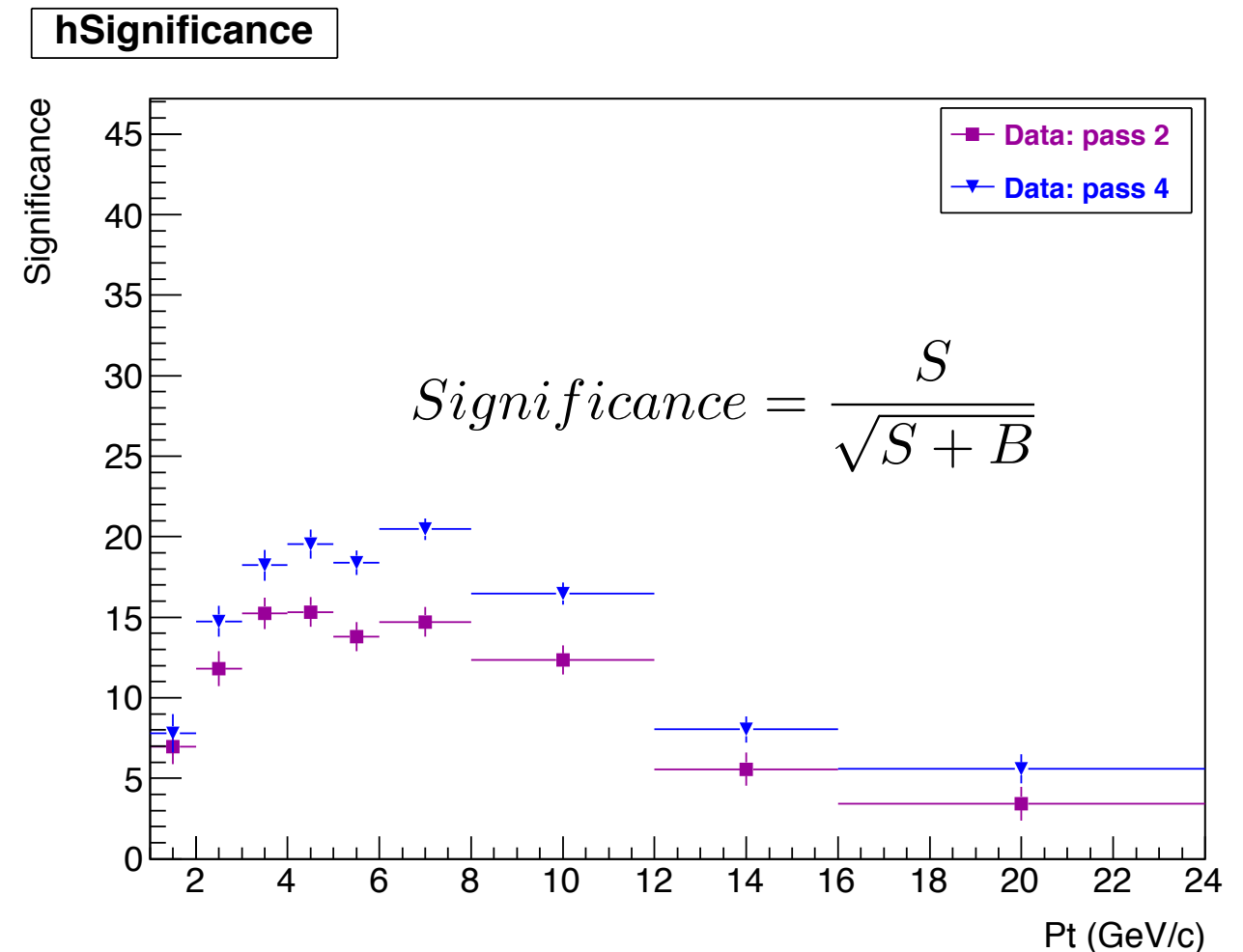
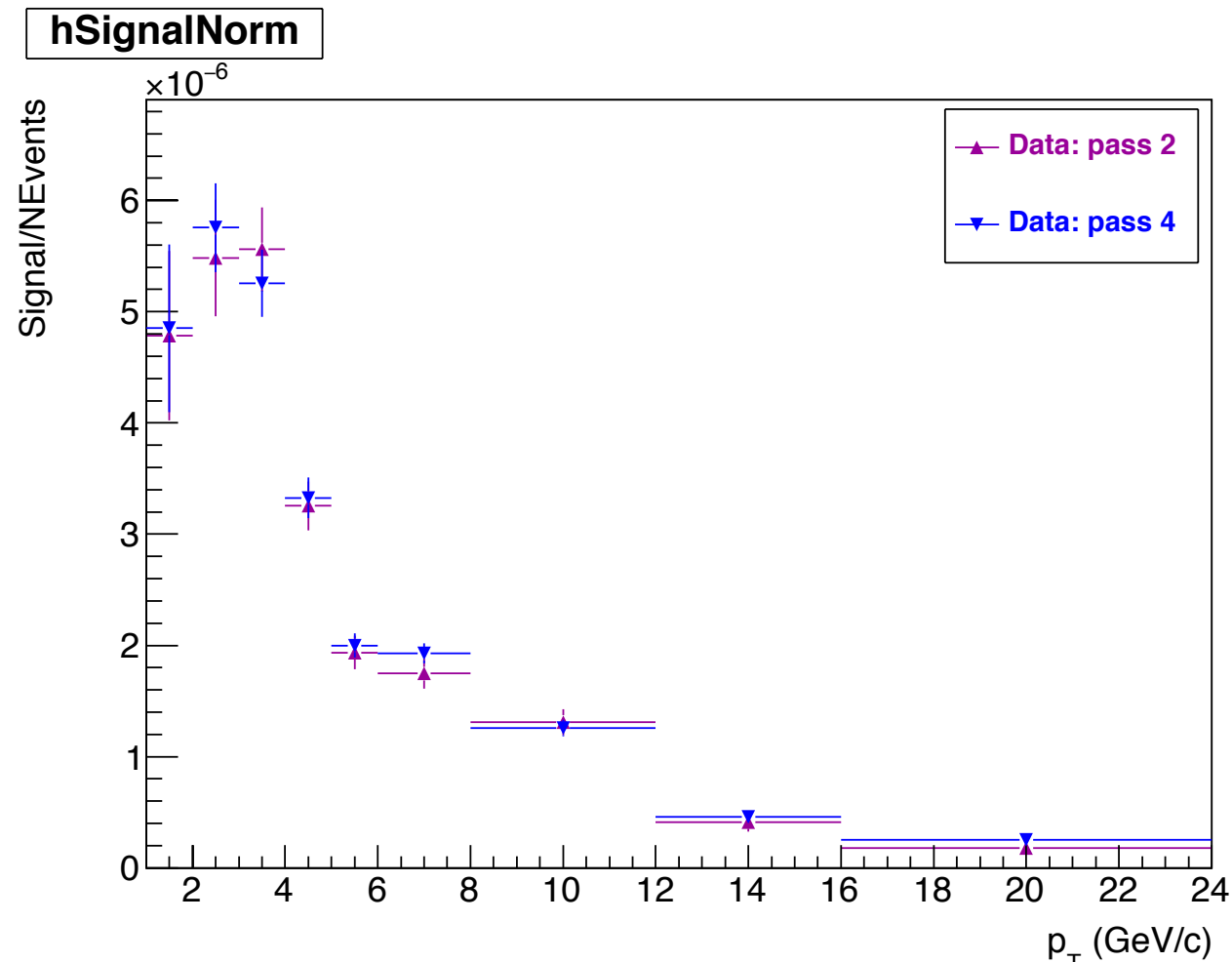


# InvMass Fitting: MC Pass 4





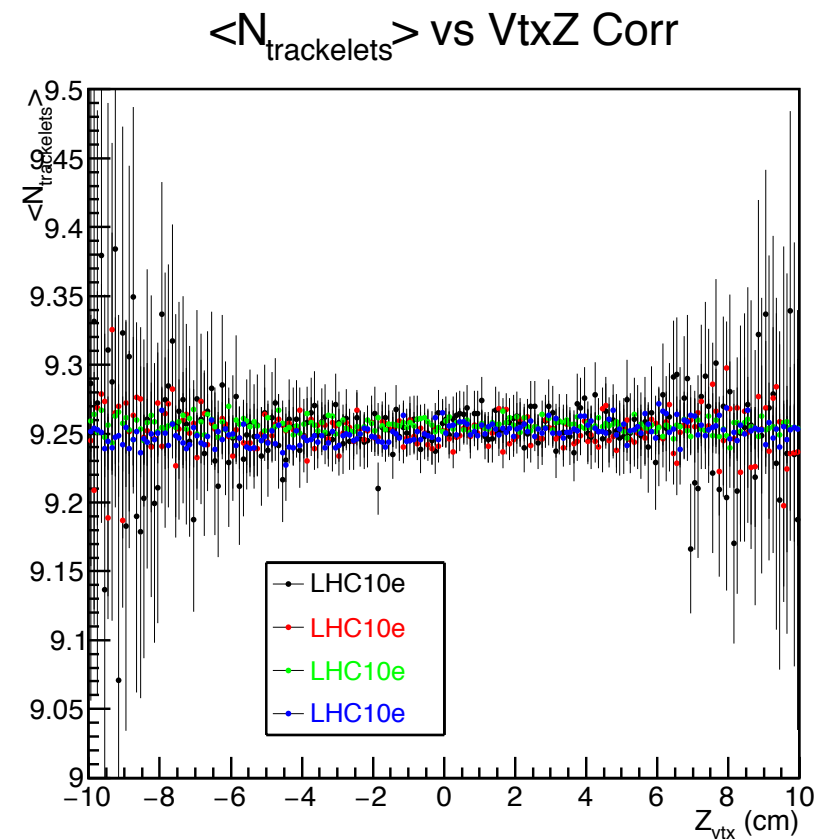
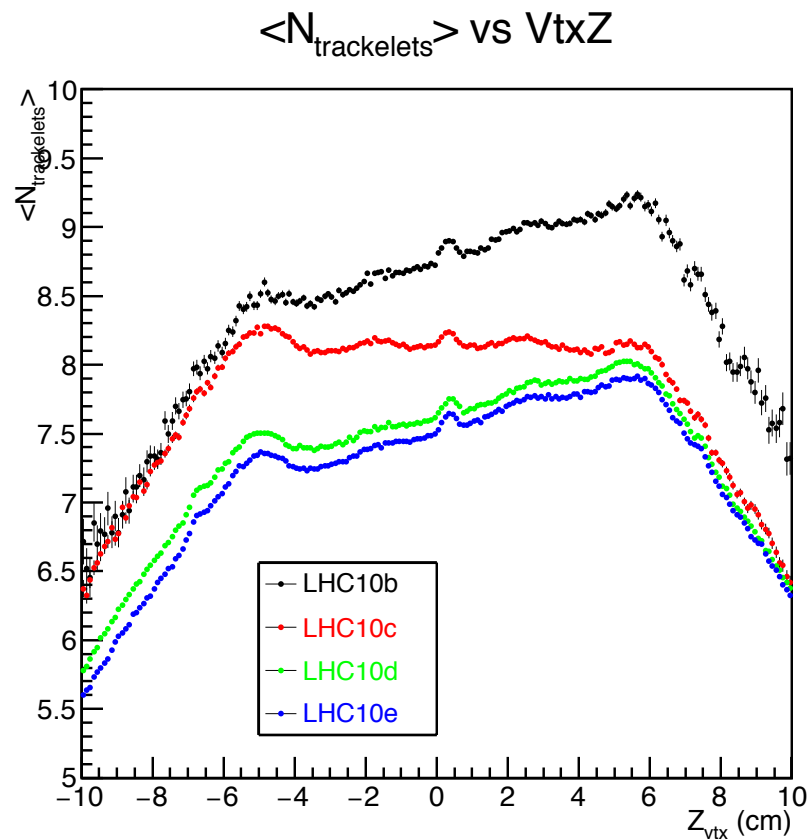
# Signal and Significance



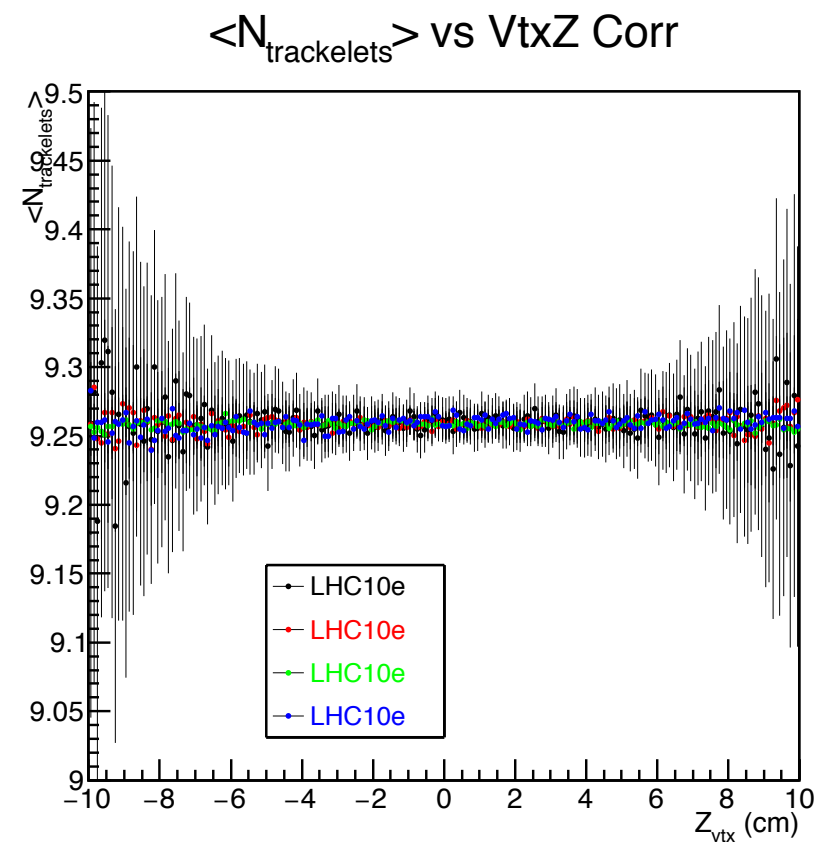
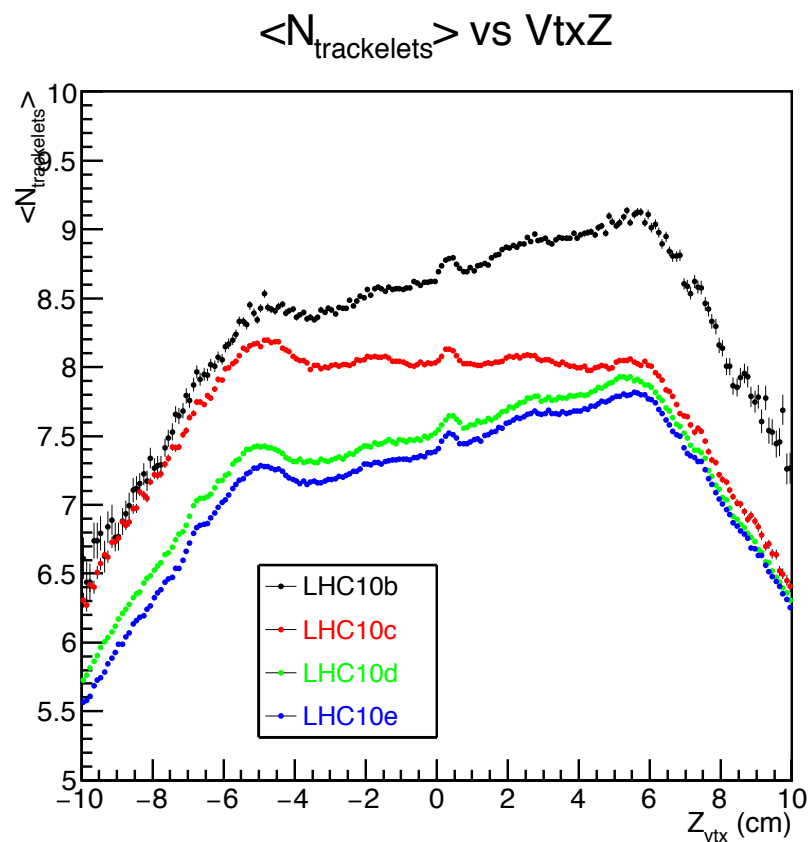
- Pass 2 and 4 data, MC are within expected uncertainties
- Signal and Background in  $\pm 3\sigma$  ( $\sigma$  from fitting) for pass 2 and pass 4 are compared
- As number of events are different in two, these values are normalised by total number of events in respective data
- Significance is higher for pass 4 data than pass 2

# $\langle N_{\text{tracklets}} \rangle$ vs. Z-vertex

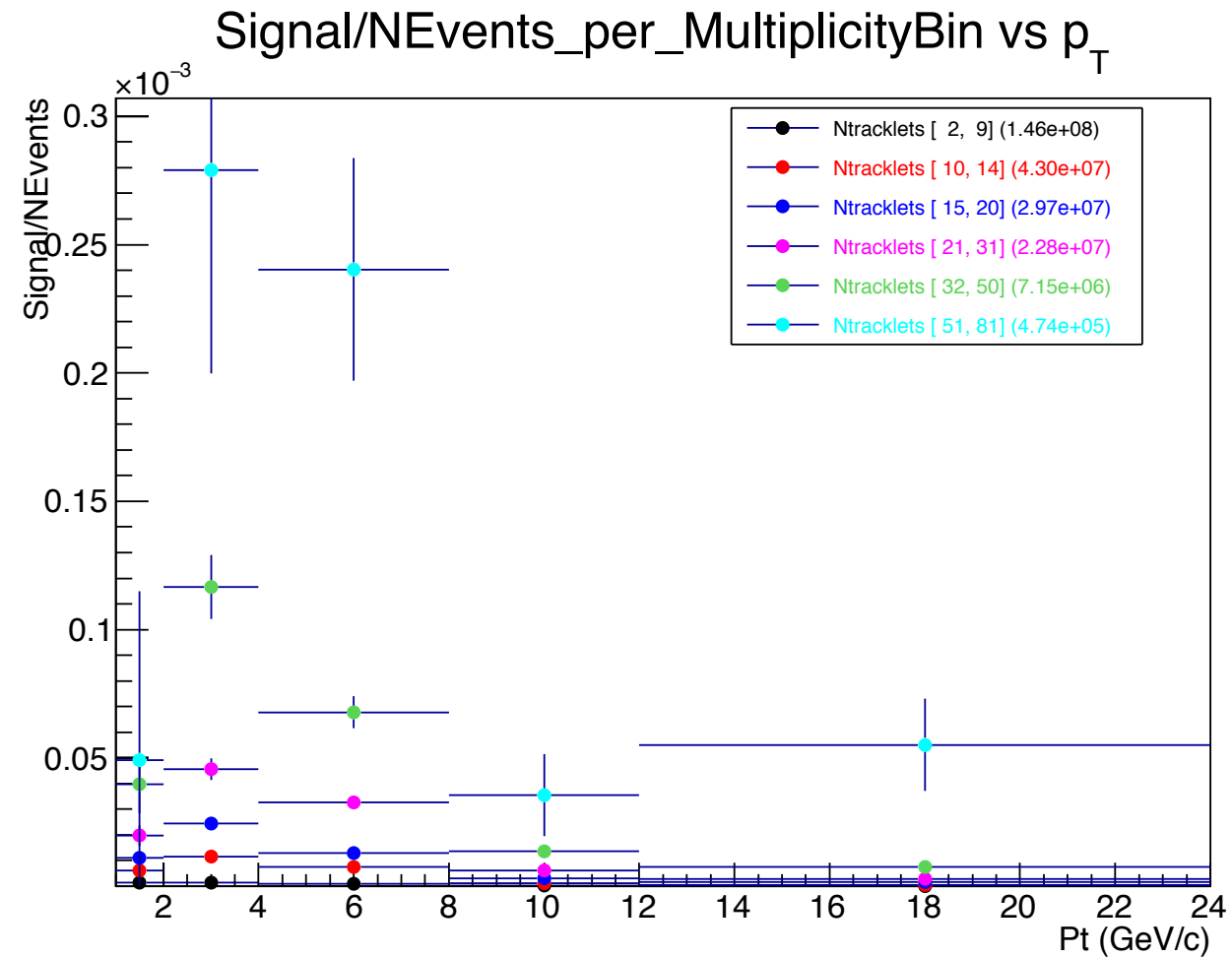
Pass 2 data



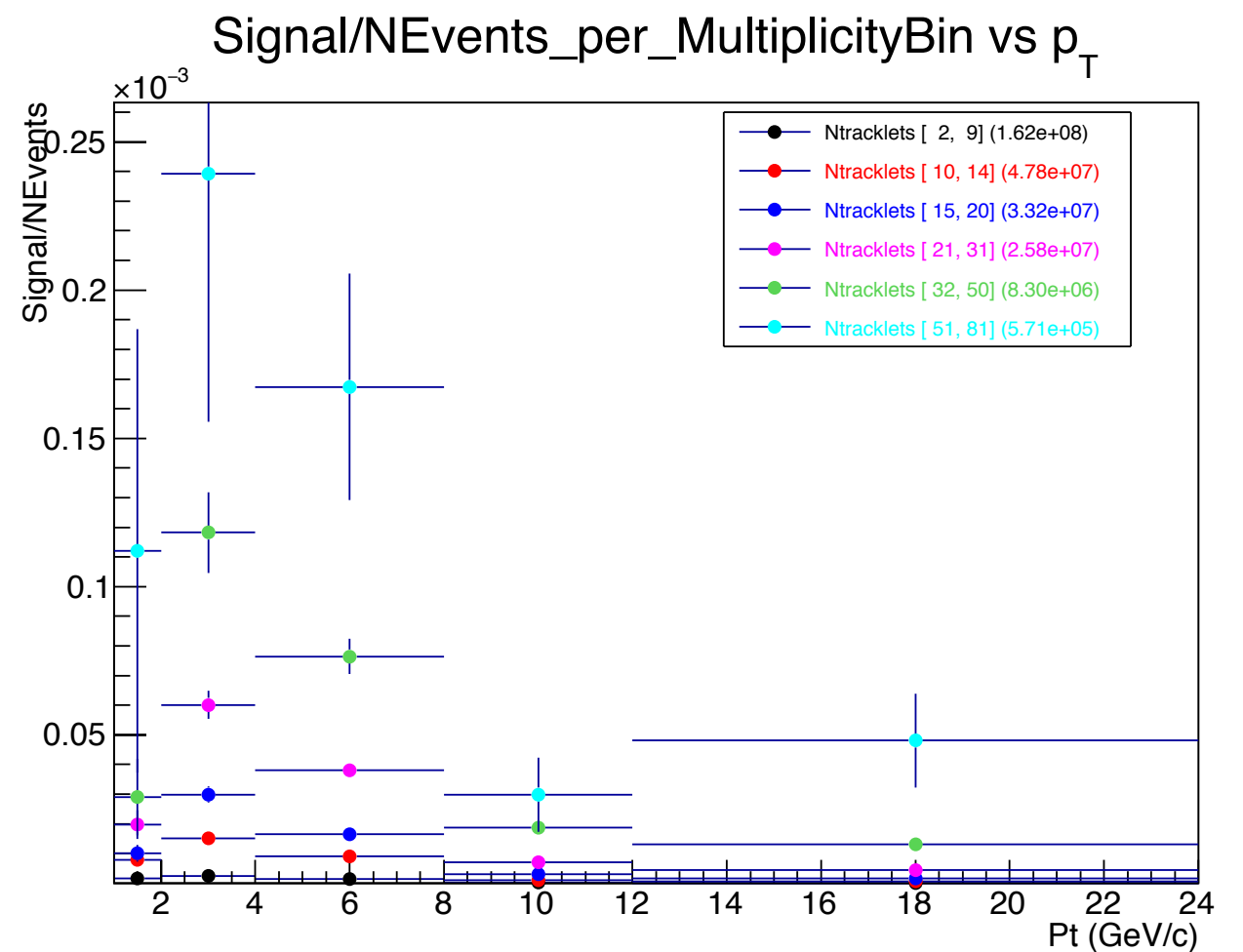
Pass 4 data



# Signal/NEvents in Multiplicity Bins

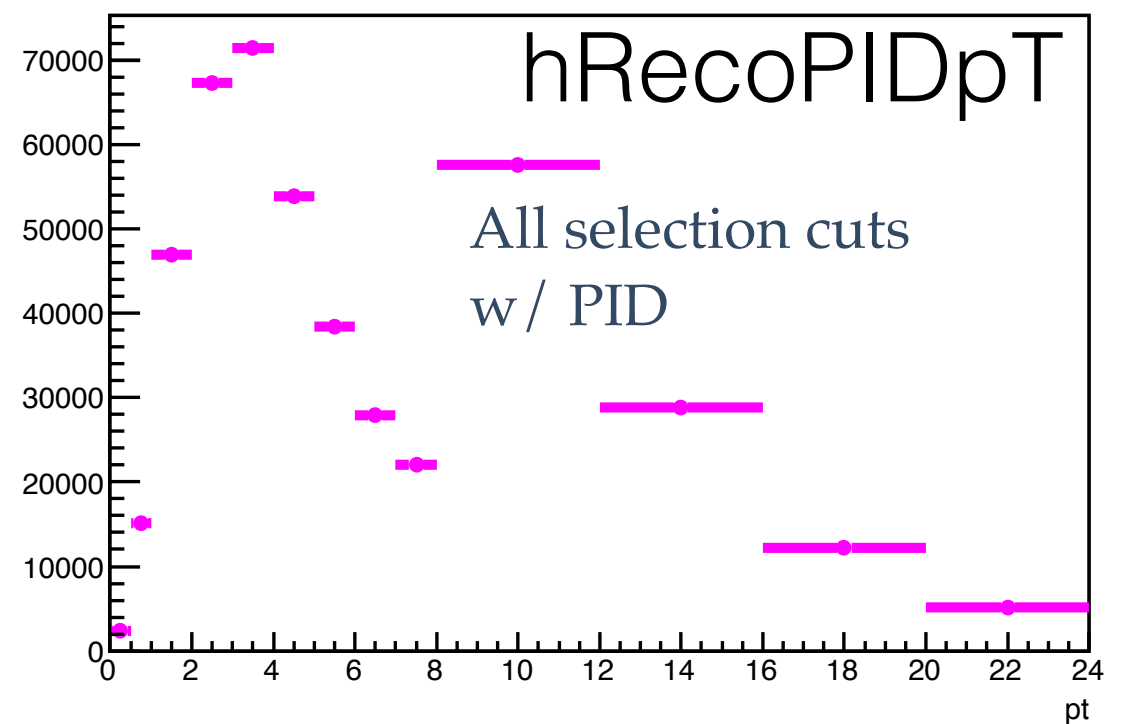
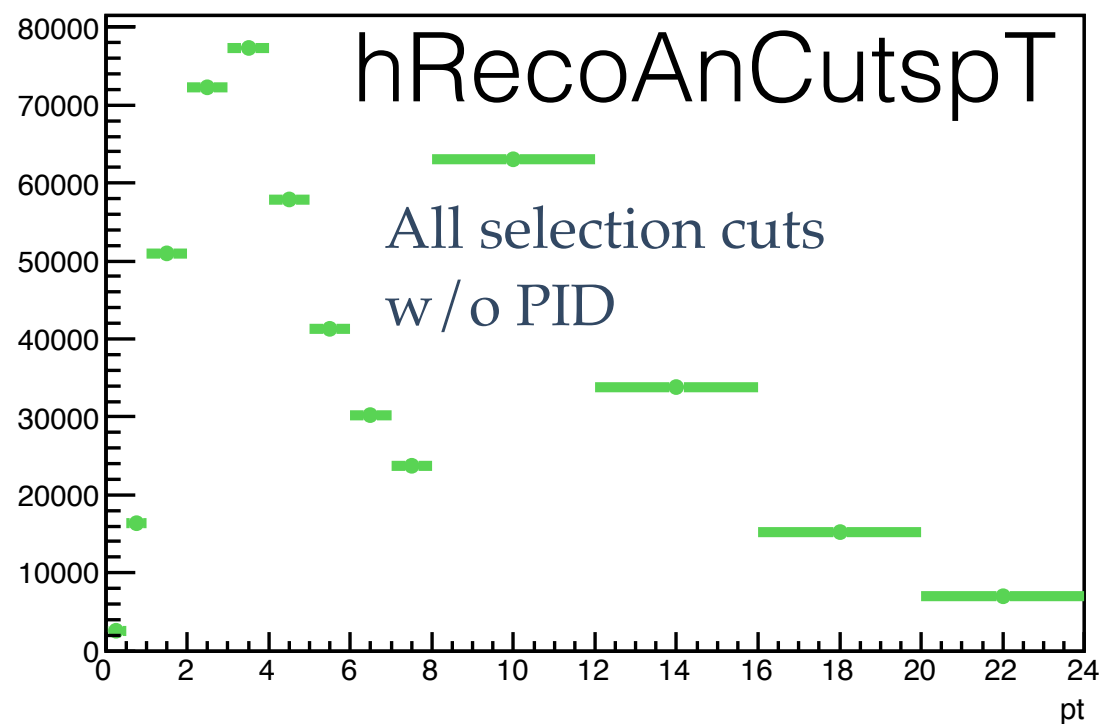
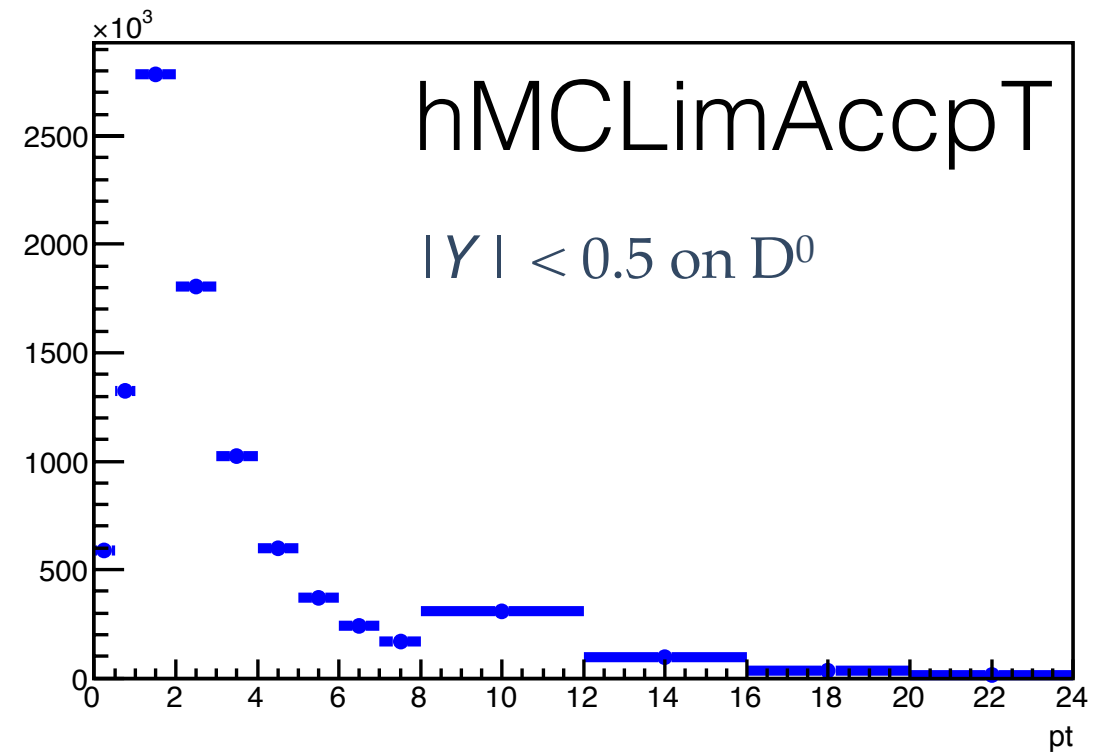
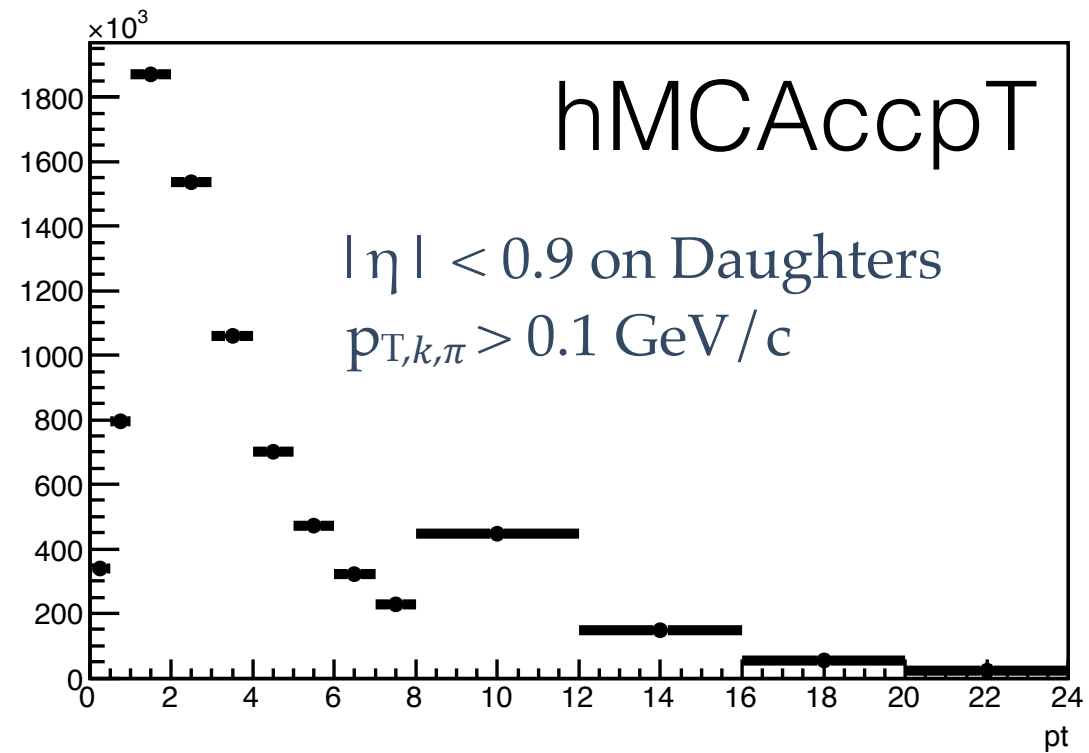


Signal / NEvents using P2 data

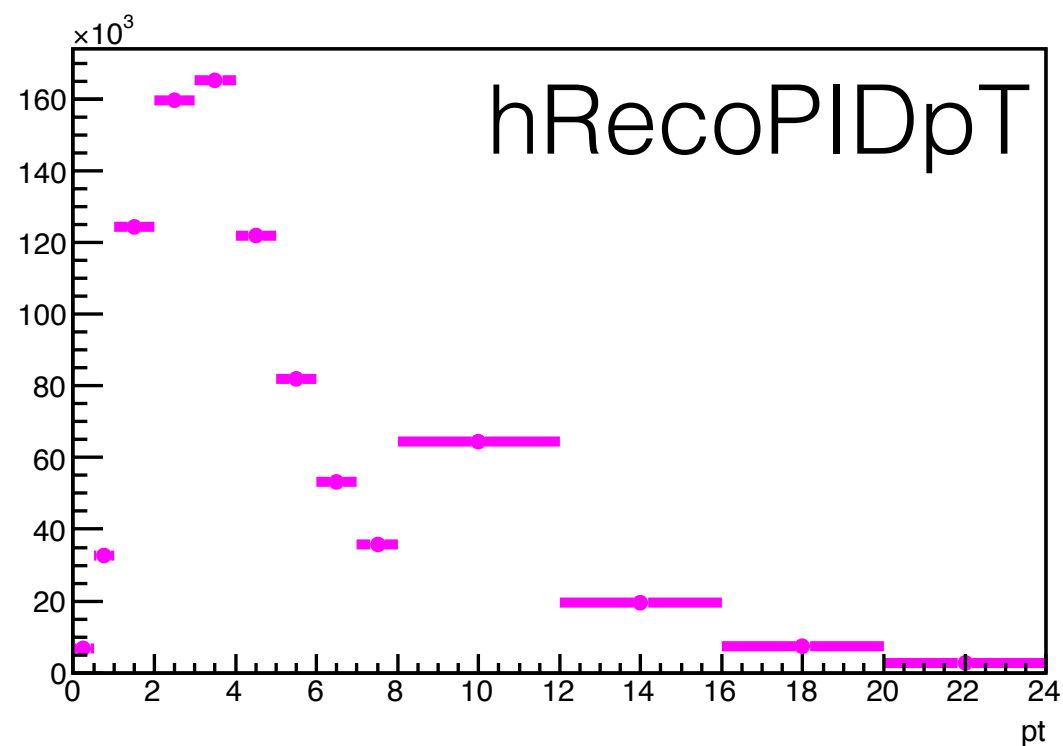
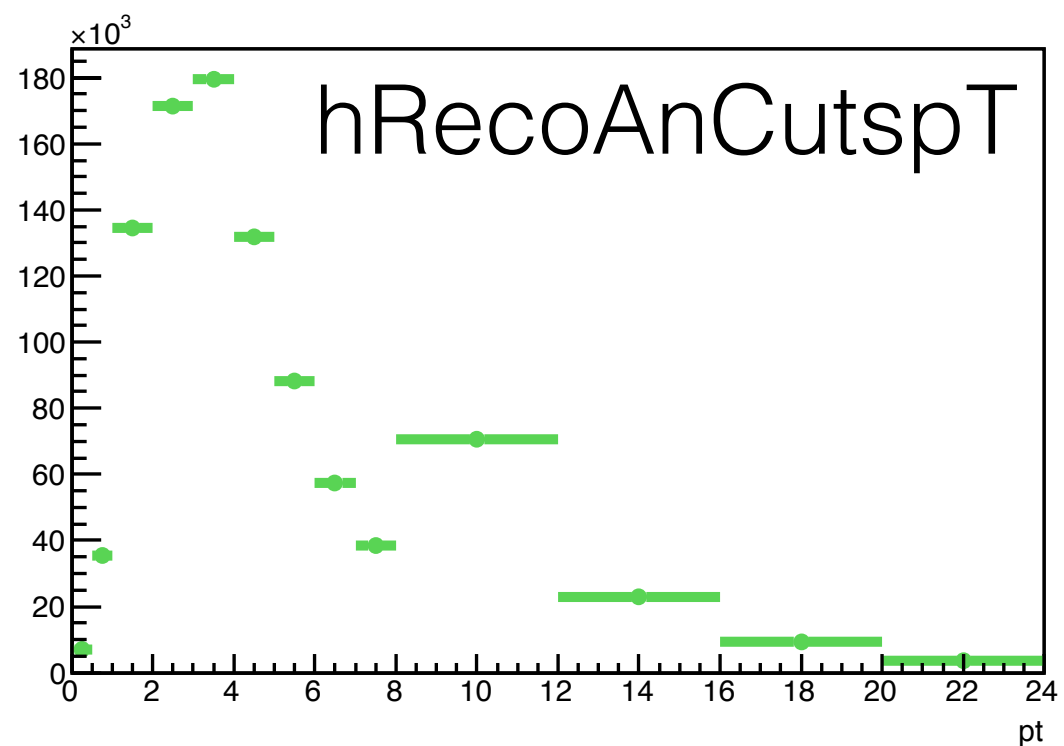
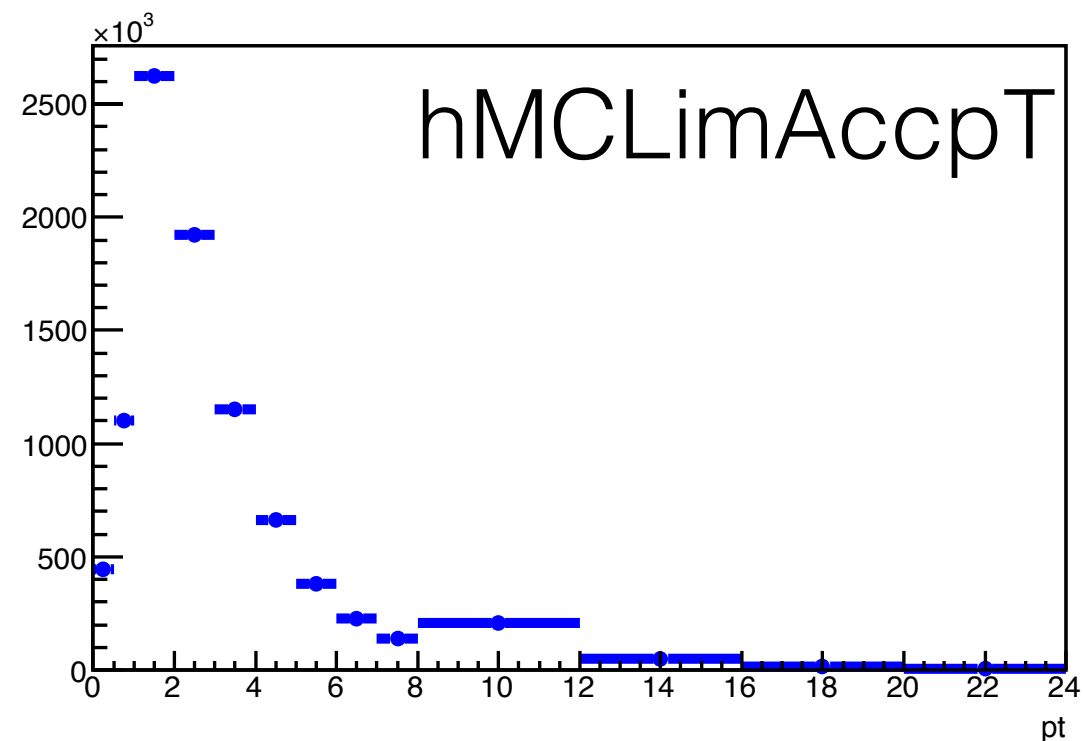
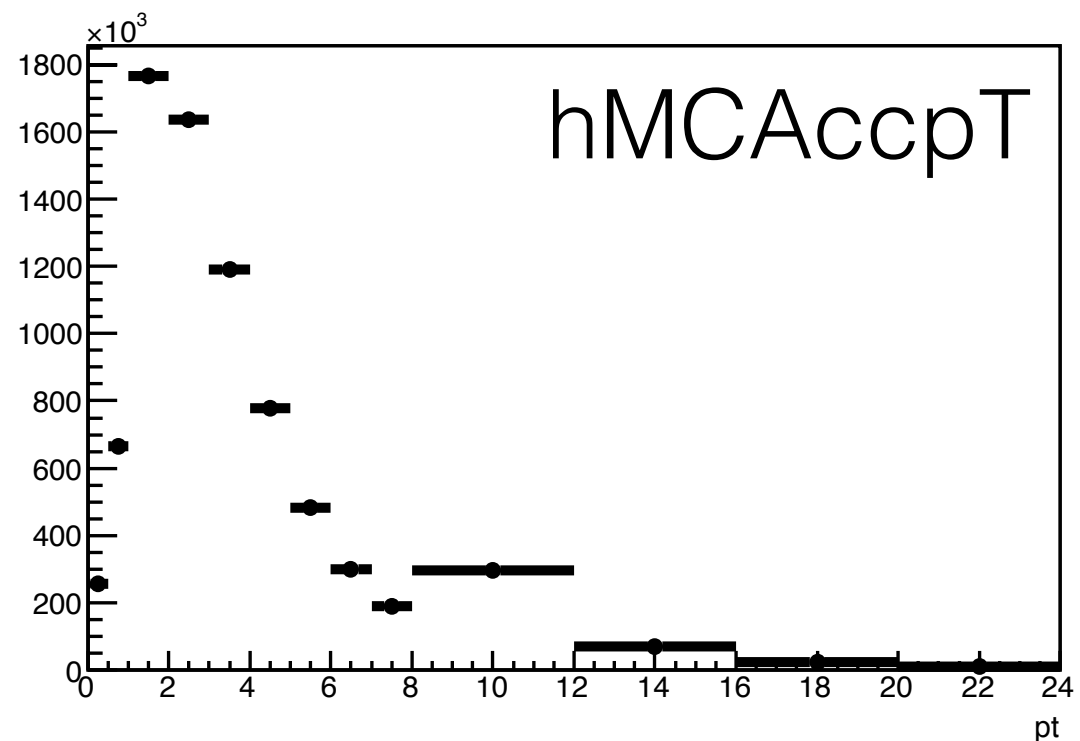


Signal / NEvents using P4 data

# Efficiency kSteps Pass 4, from Prompt

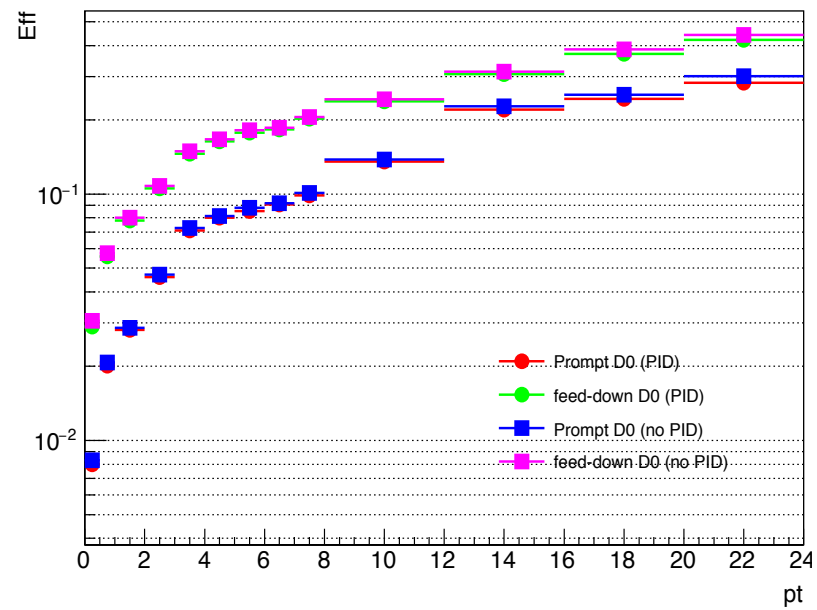


# Efficiency kSteps Pass 4, from feeddown

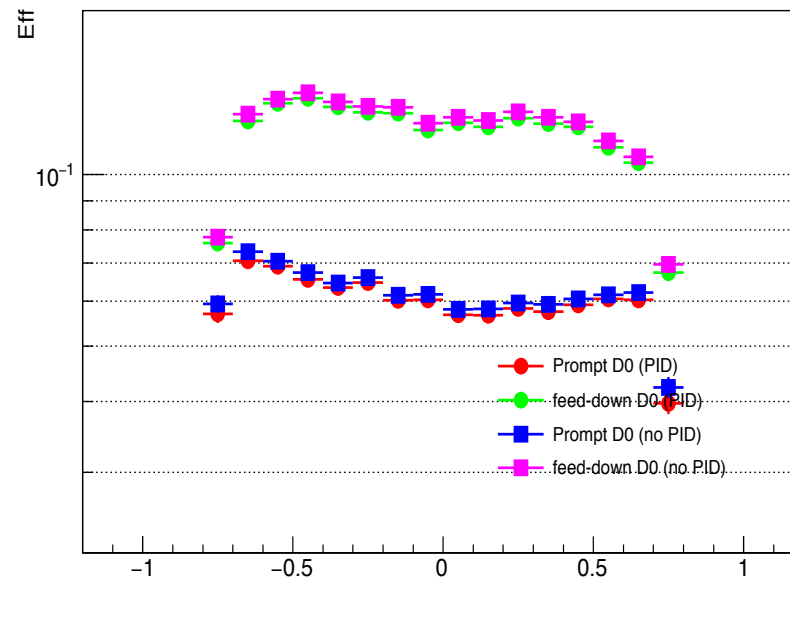


# Efficiency vs. Variables: Pass 2

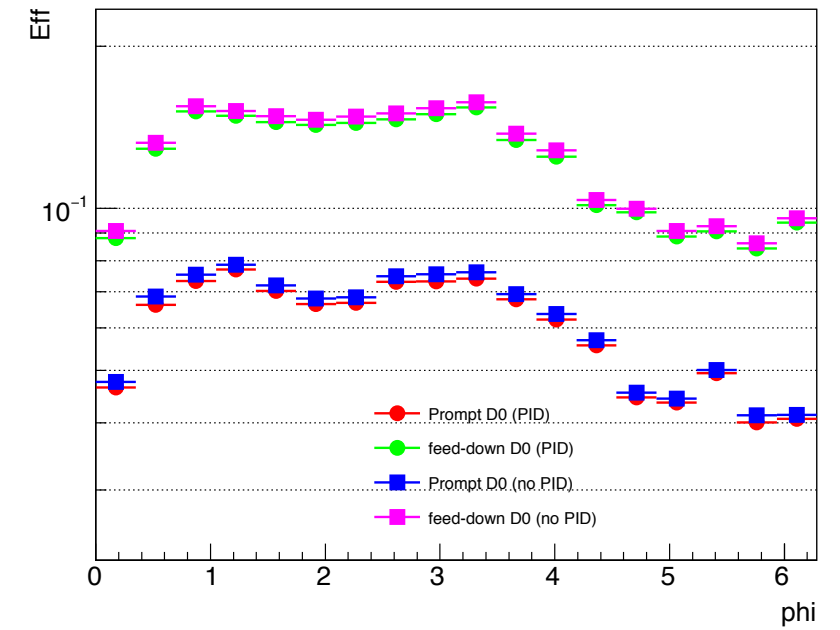
Efficiency vs pt



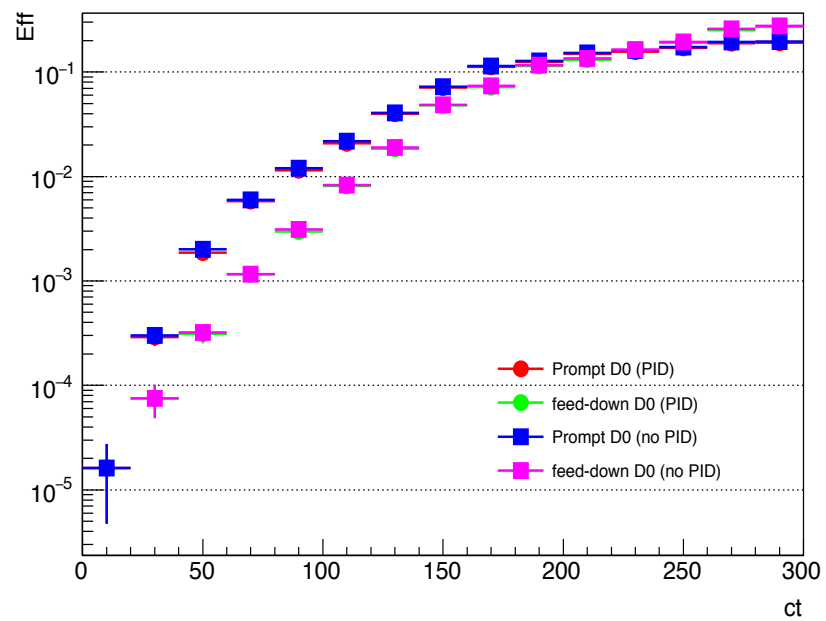
Efficiency vs y



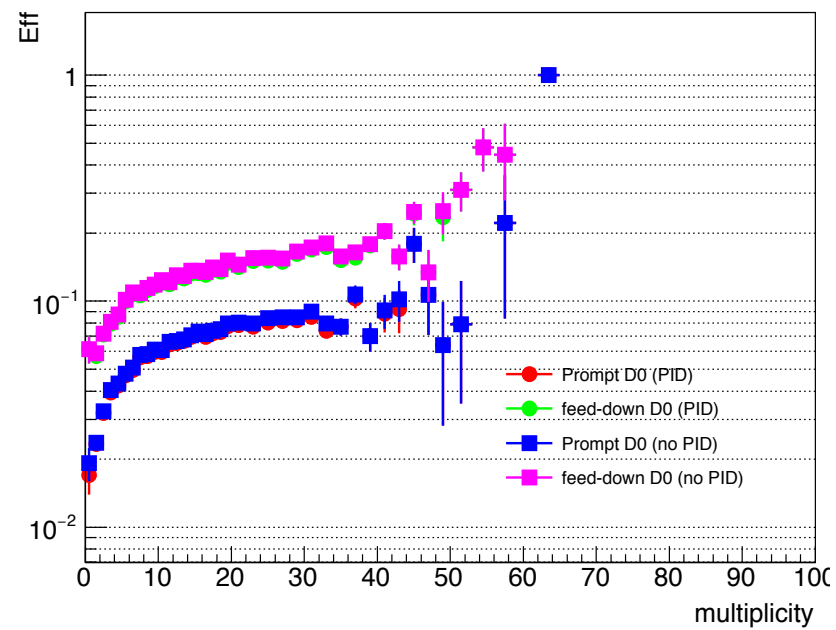
Efficiency vs phi



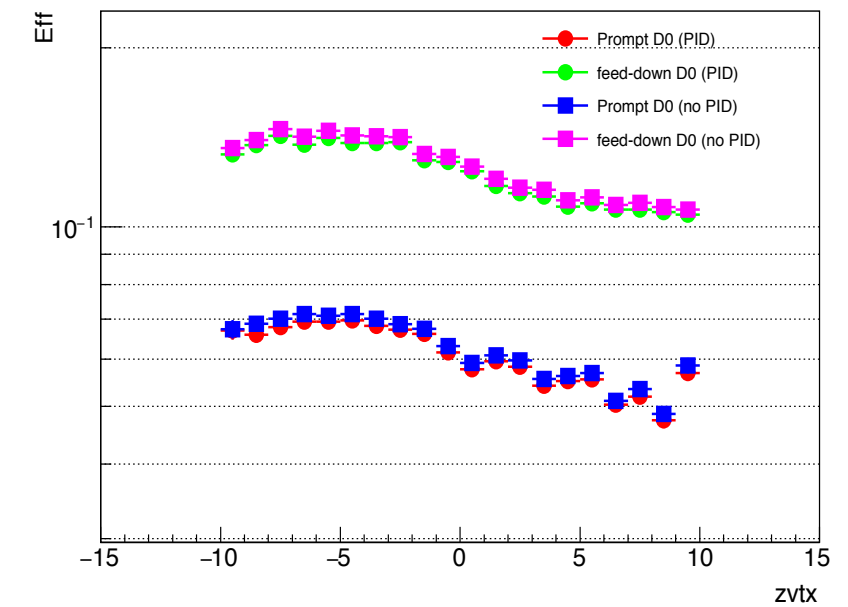
Efficiency vs ct



Efficiency vs multiplicity



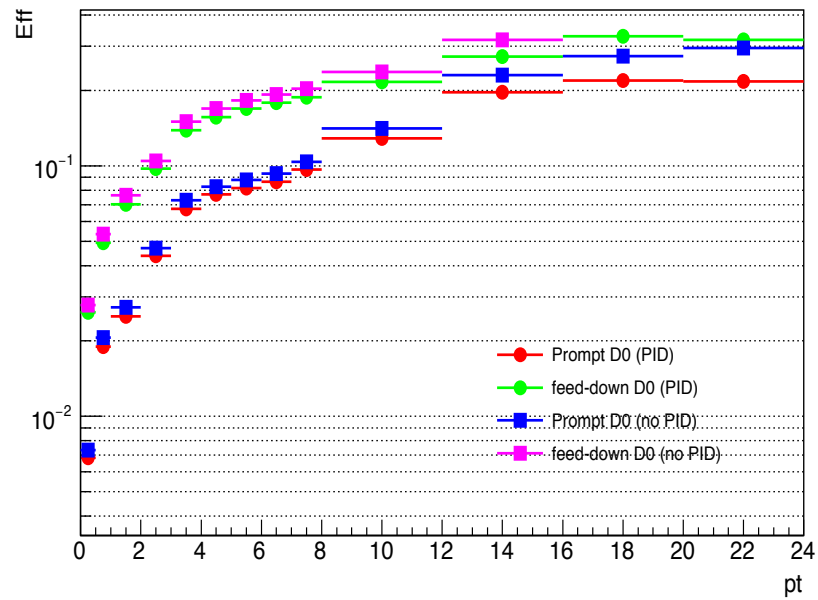
Efficiency vs zvtx



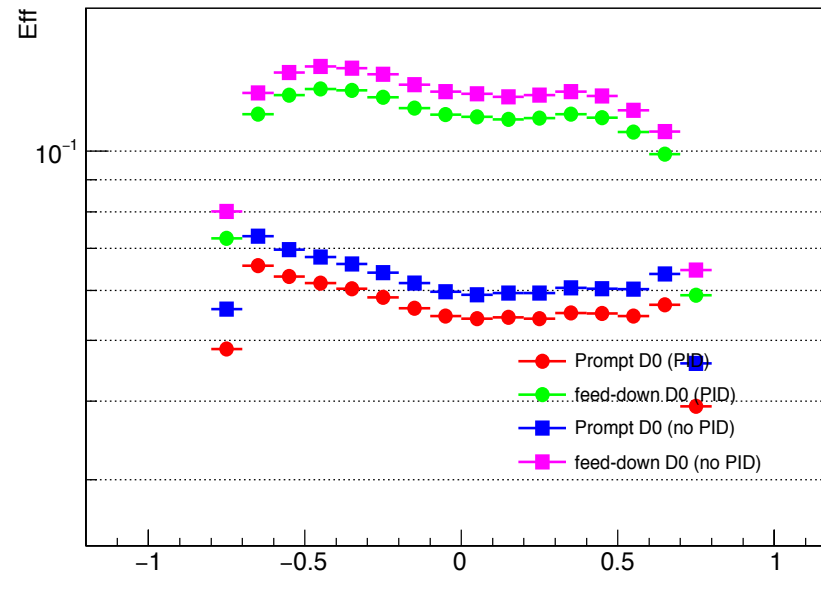


# Efficiency vs. Variables: Pass 4

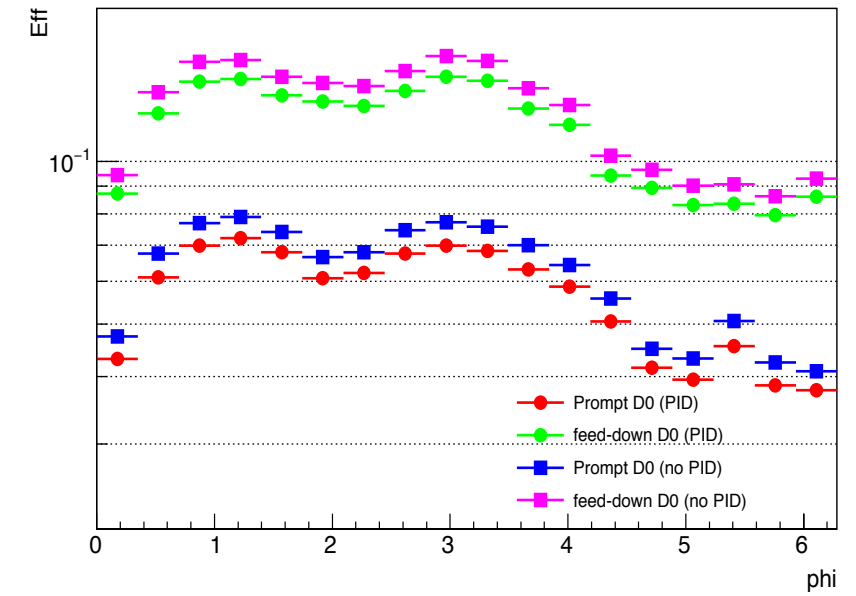
Efficiency vs pt



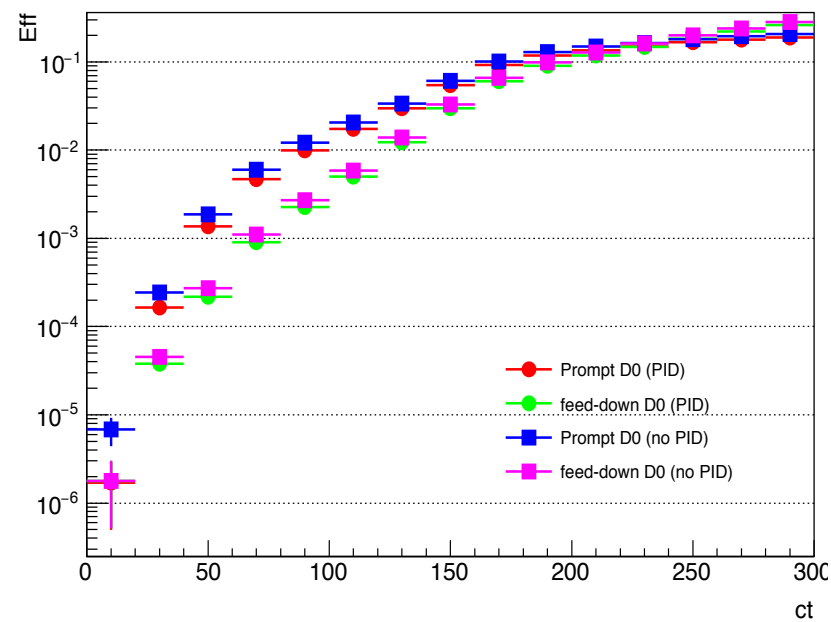
Efficiency vs y



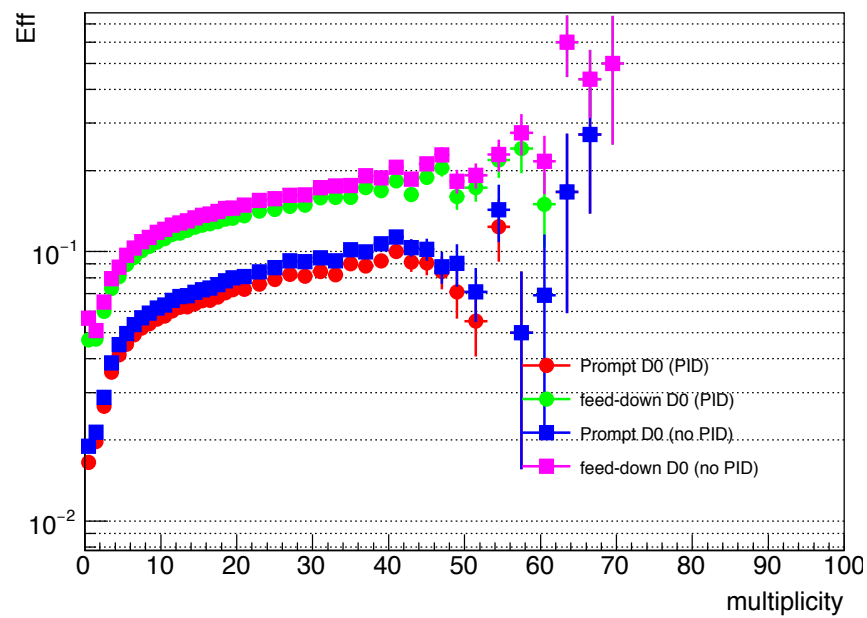
Efficiency vs phi



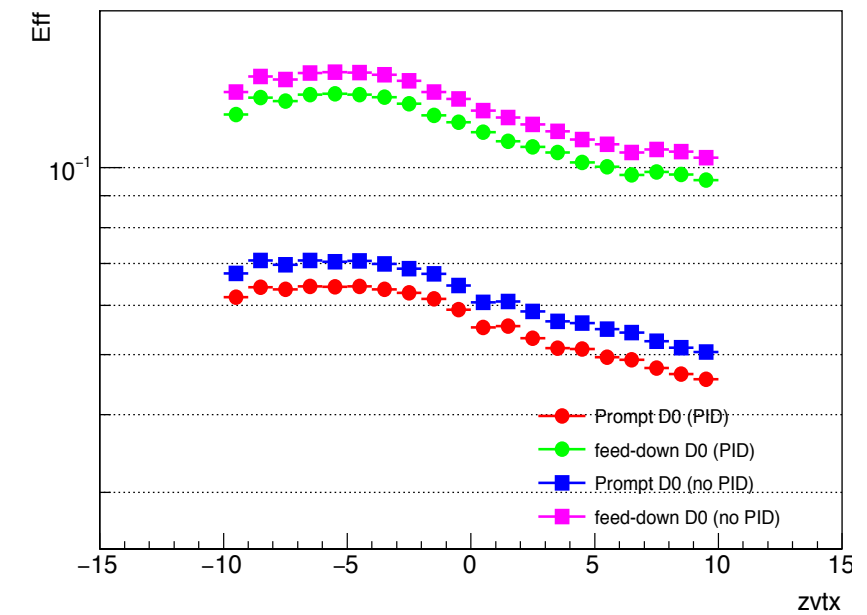
Efficiency vs ct



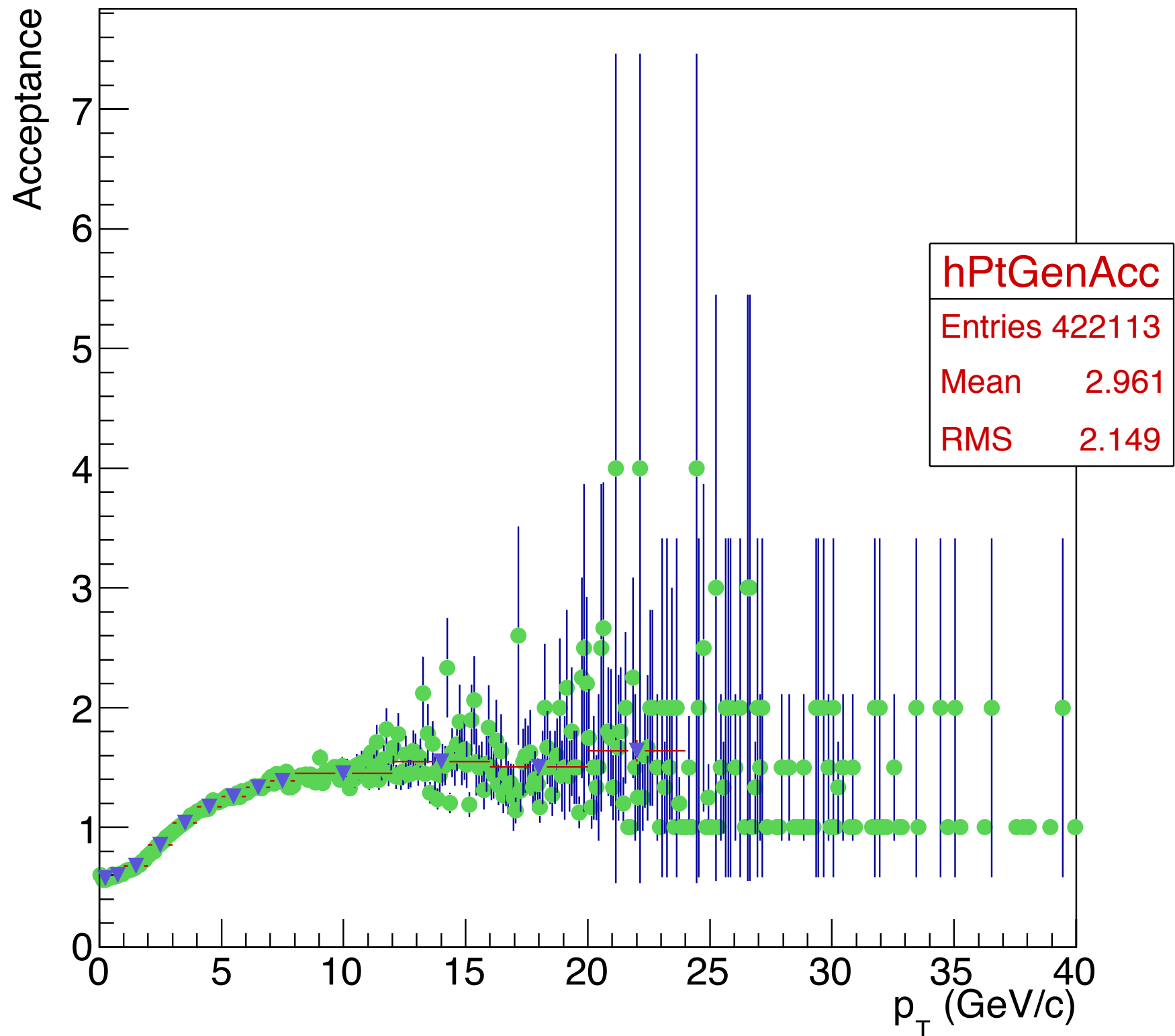
Efficiency vs multiplicity



Efficiency vs zvtx



# Acceptance (FastMC)

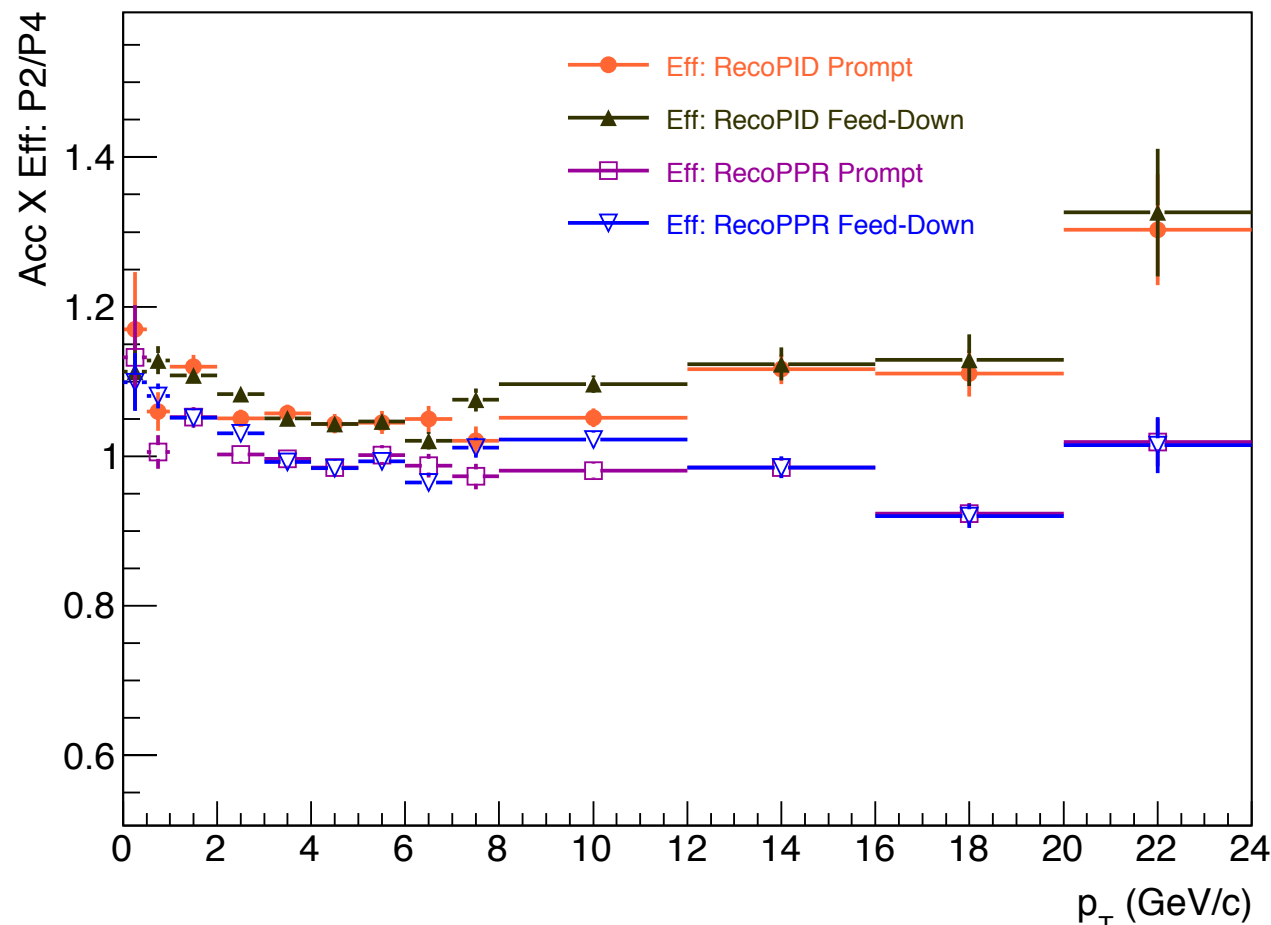


# Efficiency $\times$ Acceptance

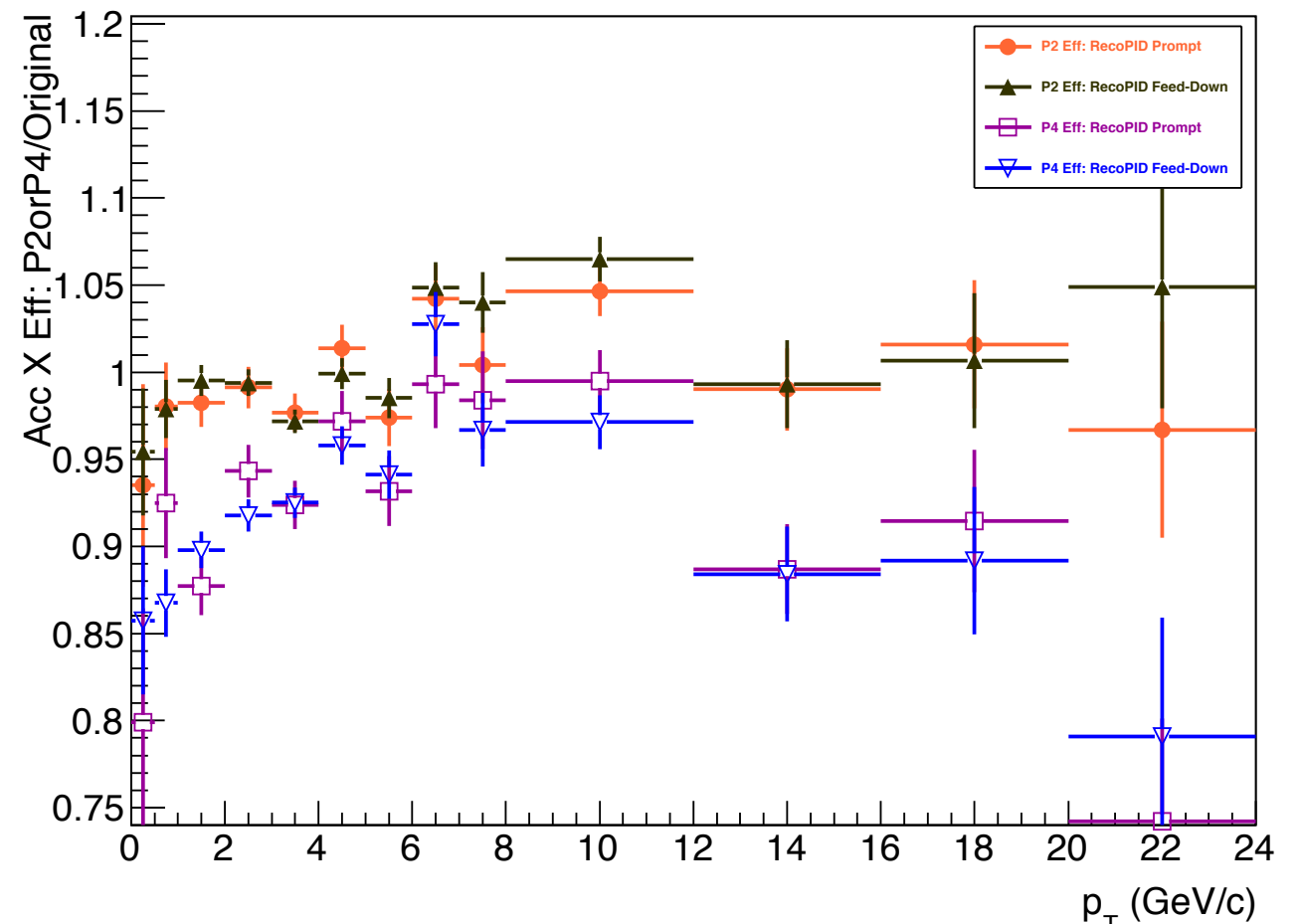
## Comparison of Pass2 and Pass4

## Comparison with original results

Efficiency Comparison: Pass 2 and Pass 4



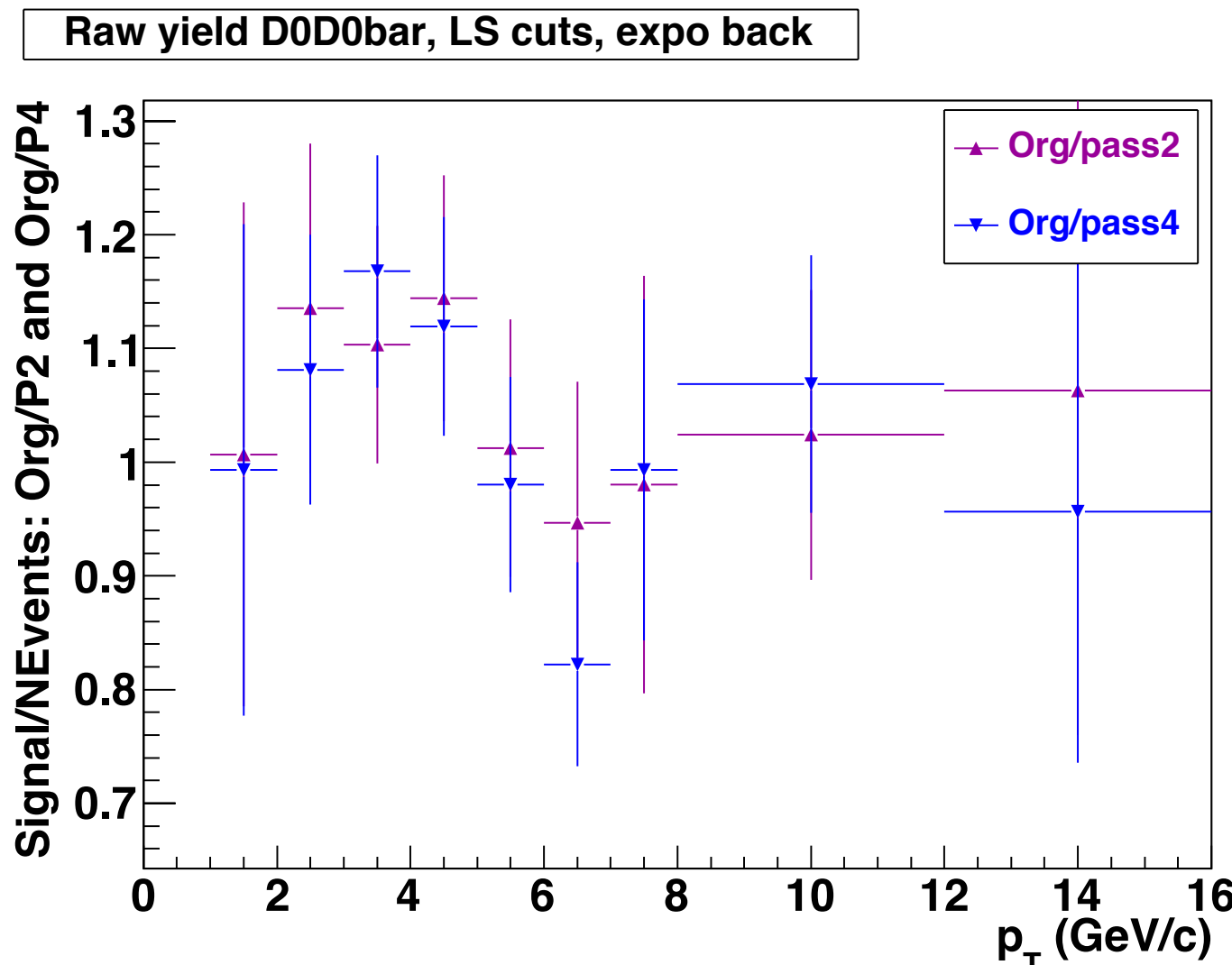
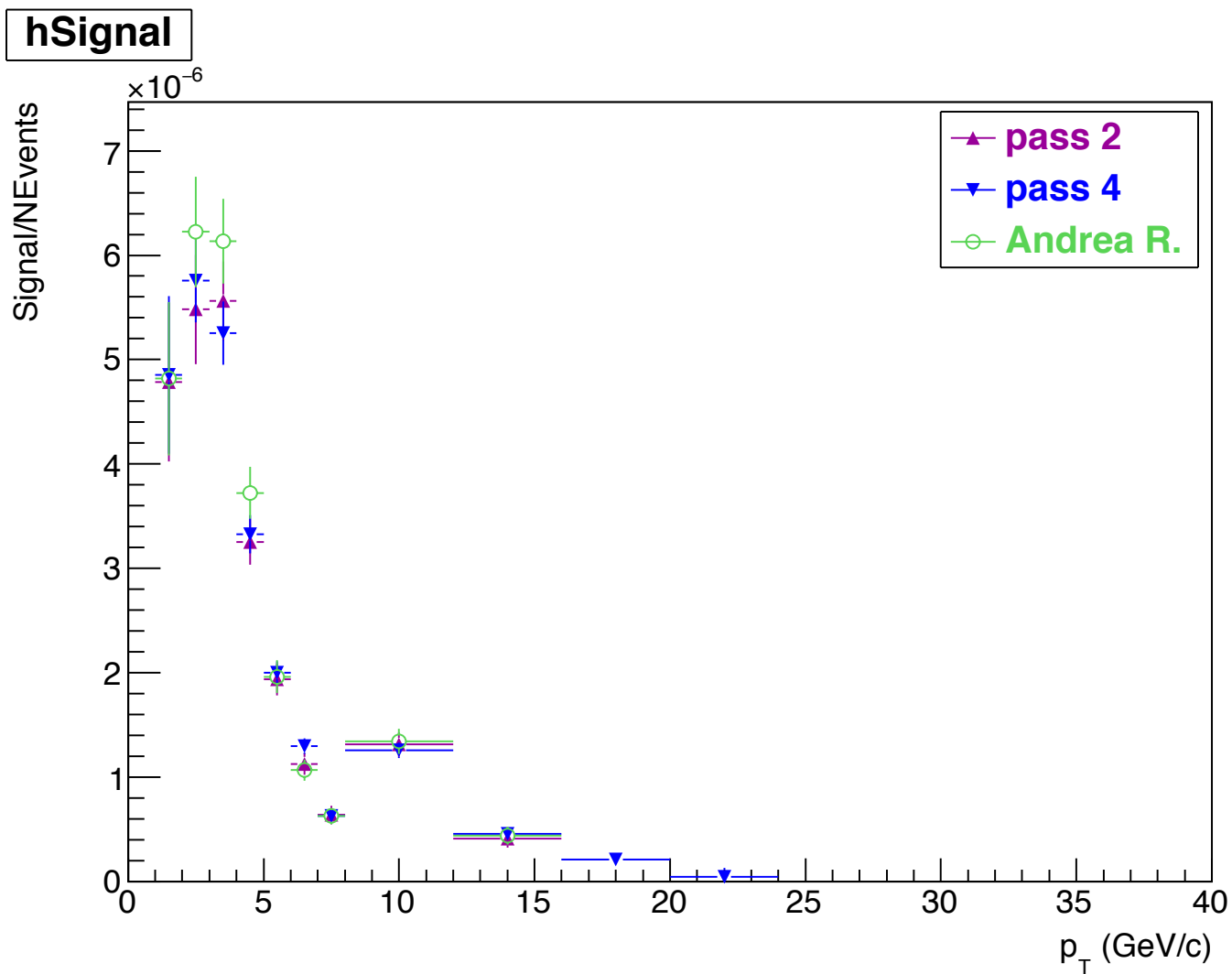
Efficiency Comparison: Pass2/Orig and Pass4/Orig



The ratio of efficiency  $\times$  Acceptance for pass 4 to pass 2 is slightly above 1 for RecoPID

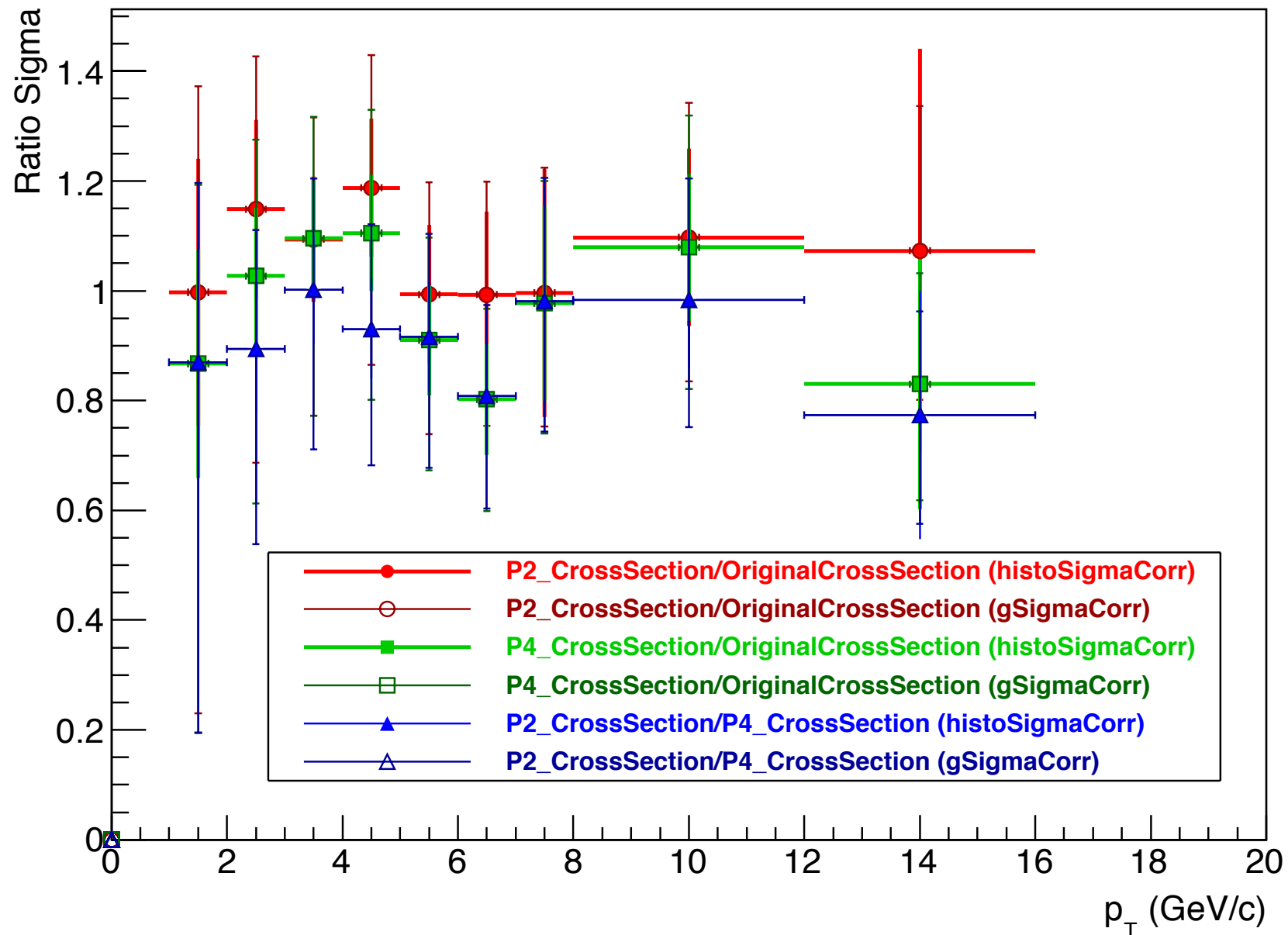
Also, ratio of efficiency of pass 4 to published are comparable and they are within 5%

# Signal Pass 2, Pass 4, Original Results



# Cross Section Comparison

## CrossSection Comparision



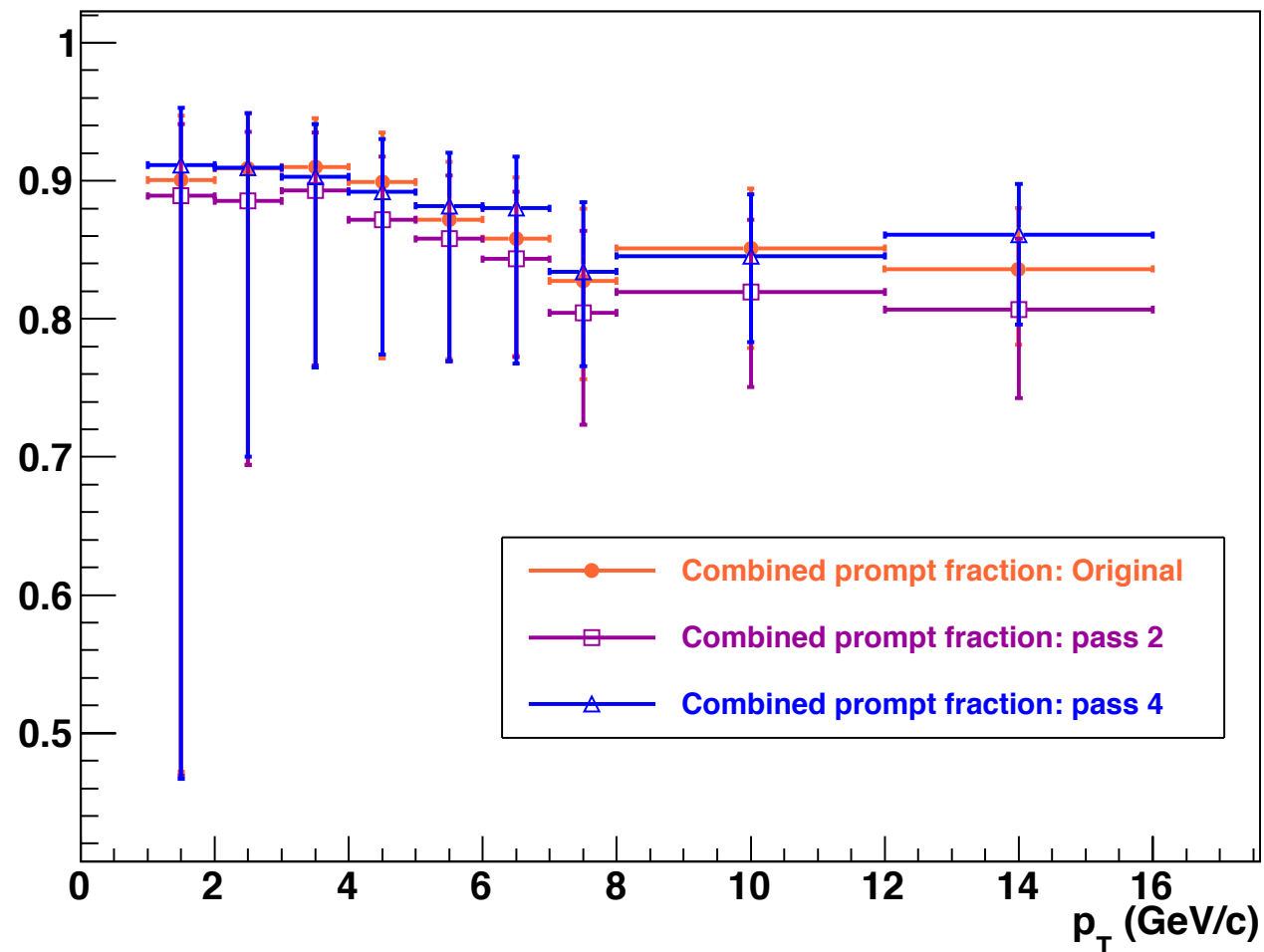
Cross section results for pass 4 and original are matches within some uncertainty which can be explained by differences in pass 2 and pass 4 data

**With this we positively concluded our checks for pass 4 data.**

# Prompt Fraction

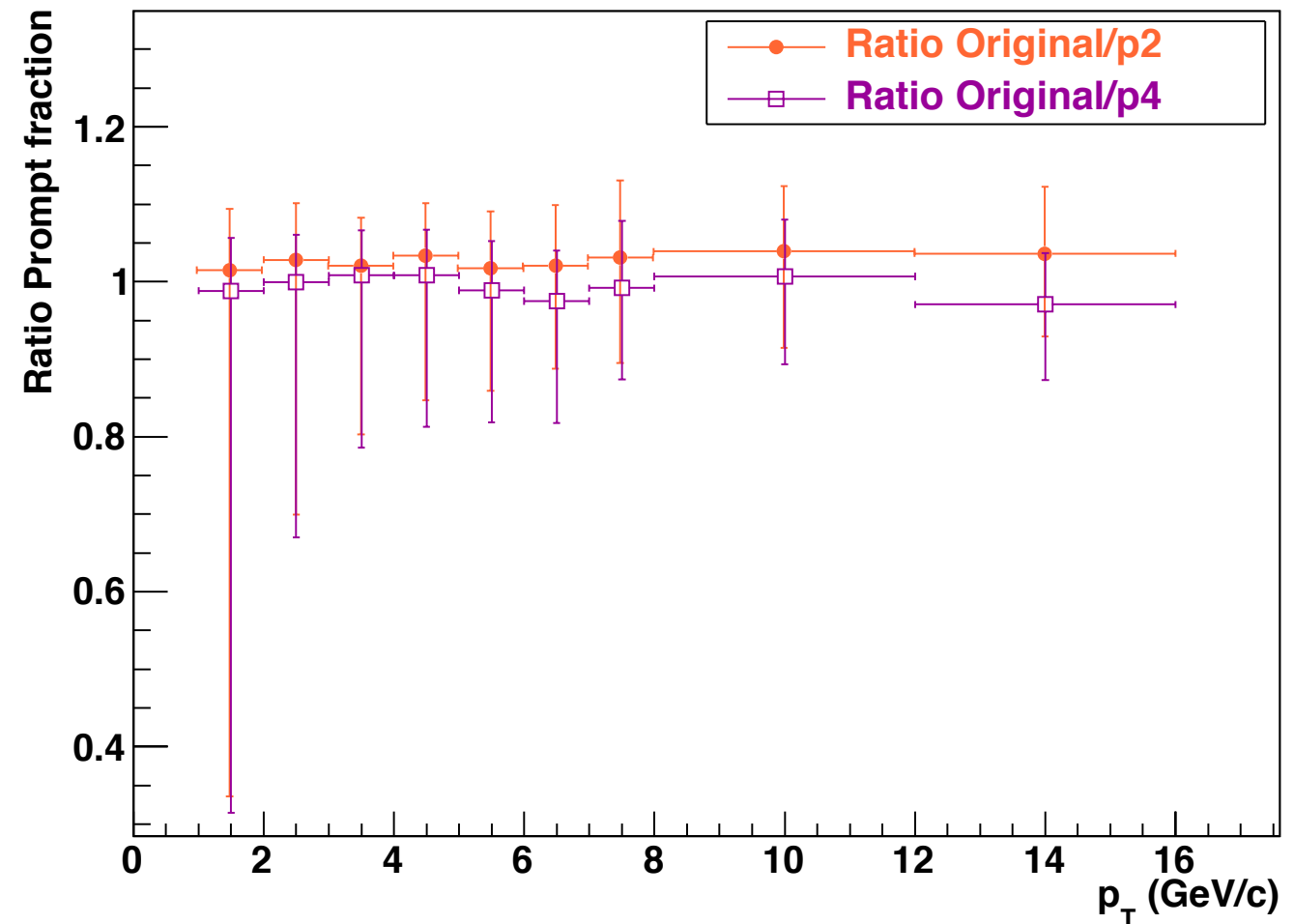
## Prompt Fraction

### Combined prompt fraction



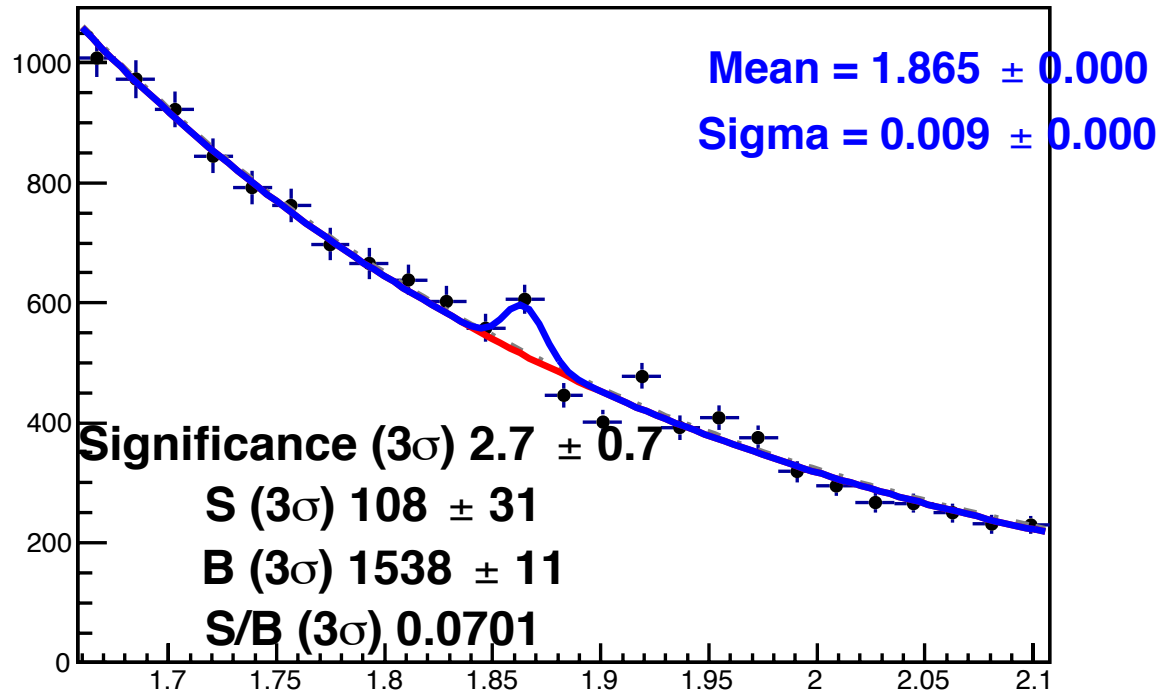
## Ratio of Prompt Fraction

### Combined Prompt Fraction Comparison

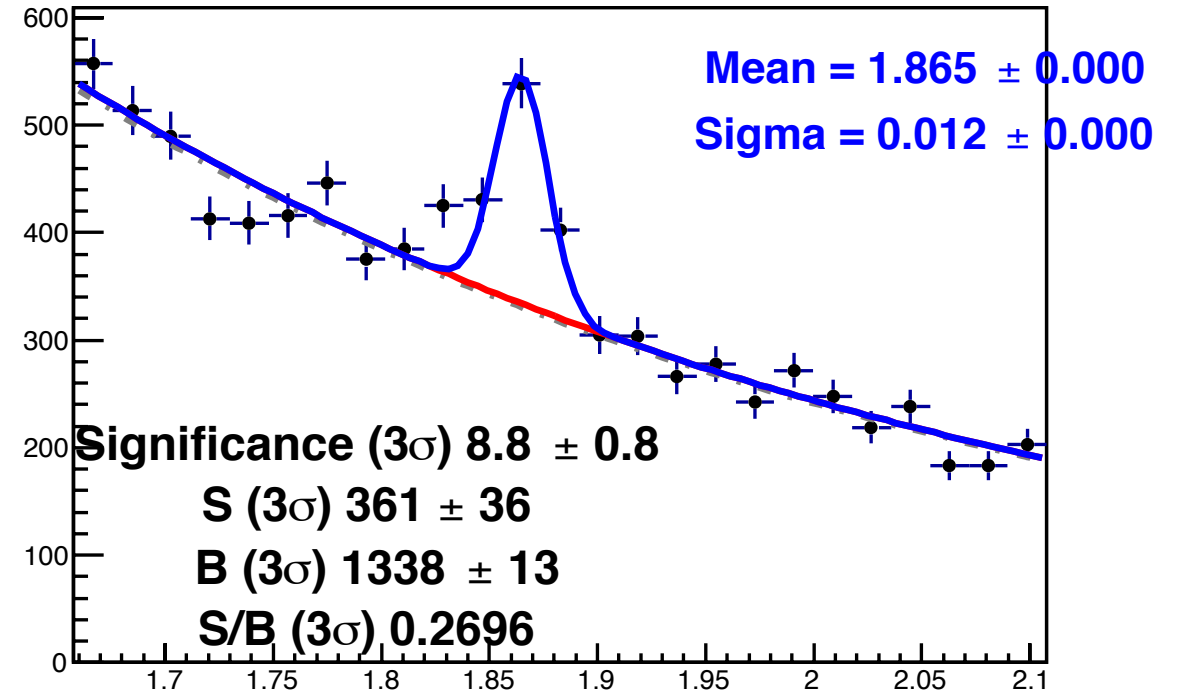


# two Mult Bins: Ntrk[1,20]; Sphero[0.0, 0.3]

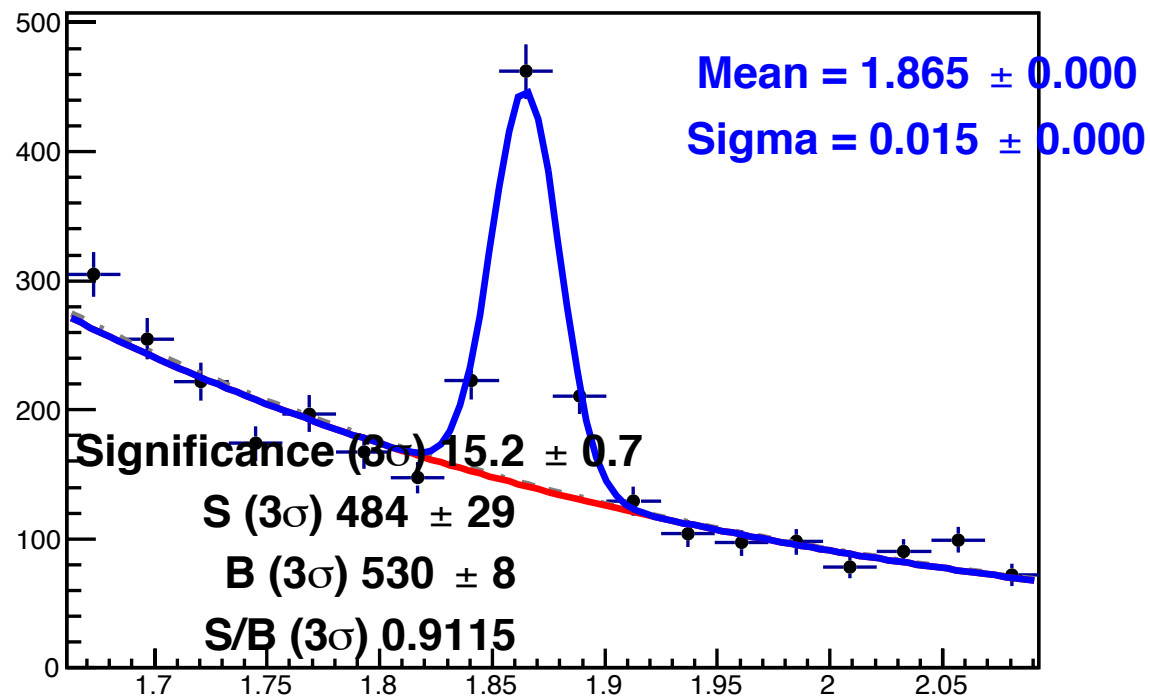
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 1, 20]



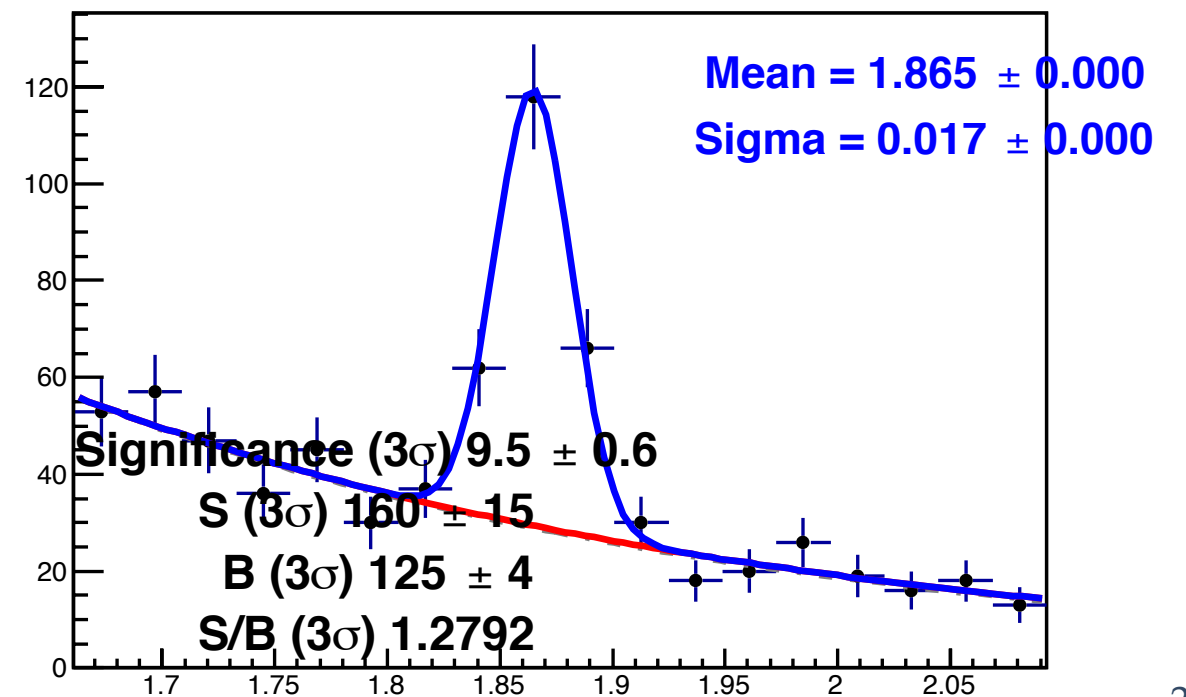
2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 1, 20]



4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 1, 20]



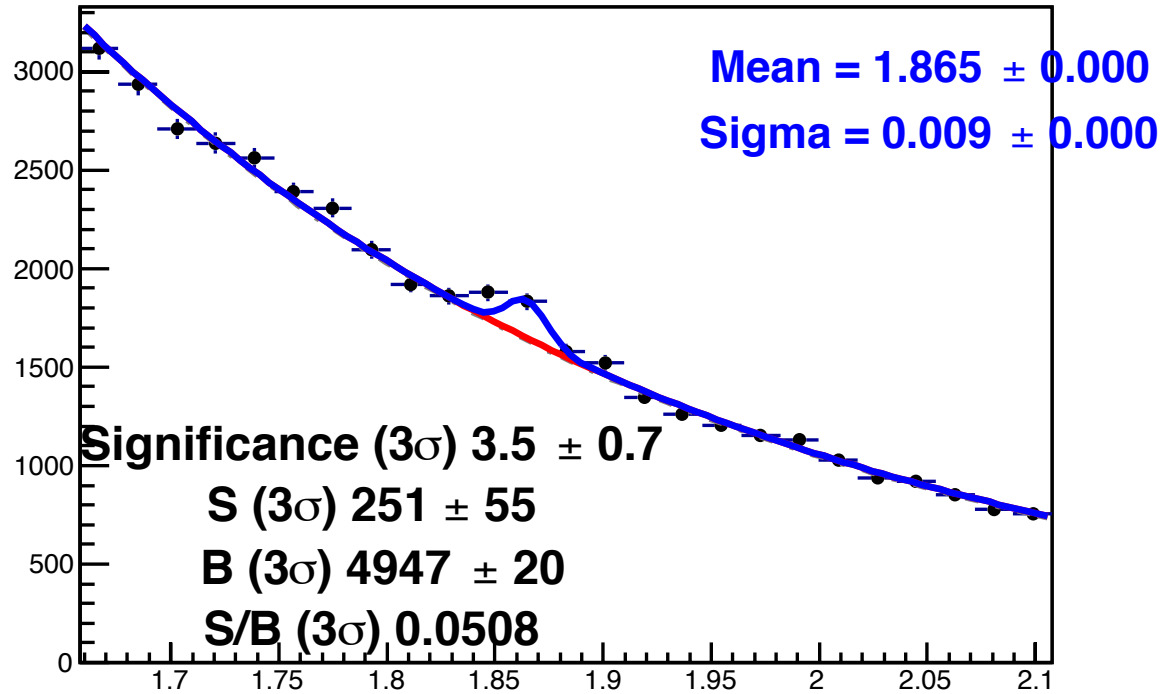
8 < p<sub>T</sub> < 16 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 1, 20]



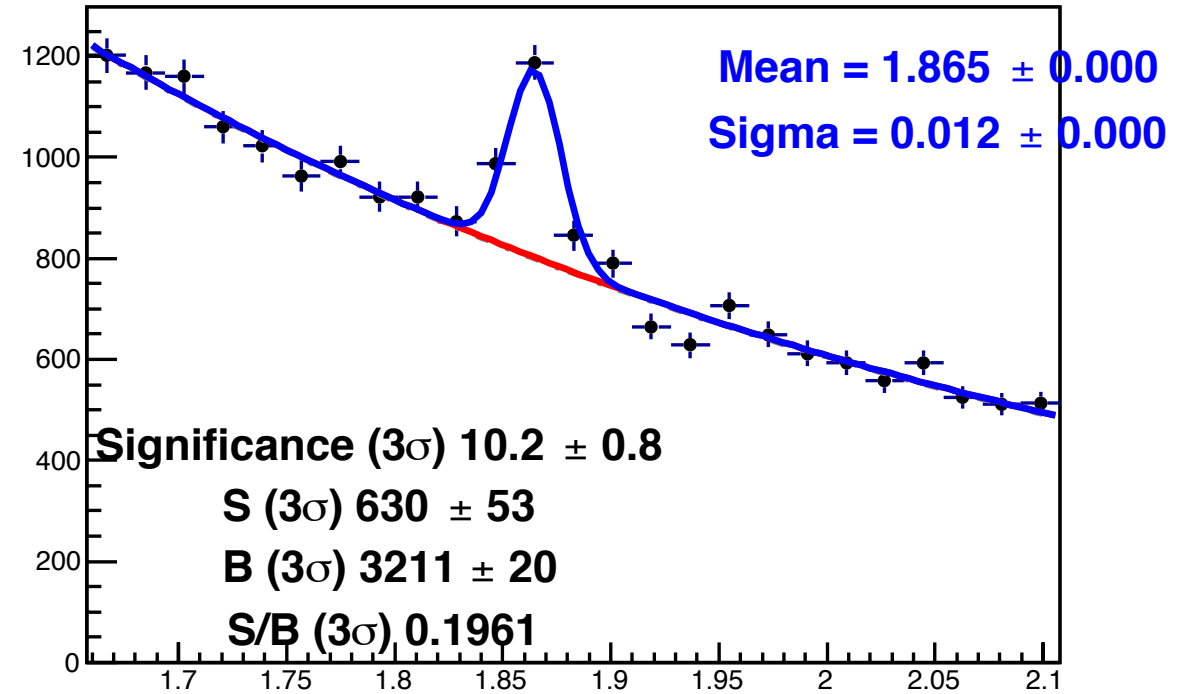


# two Mult Bins: Ntrk[1,20]; Sphero[0.3, 0.5]

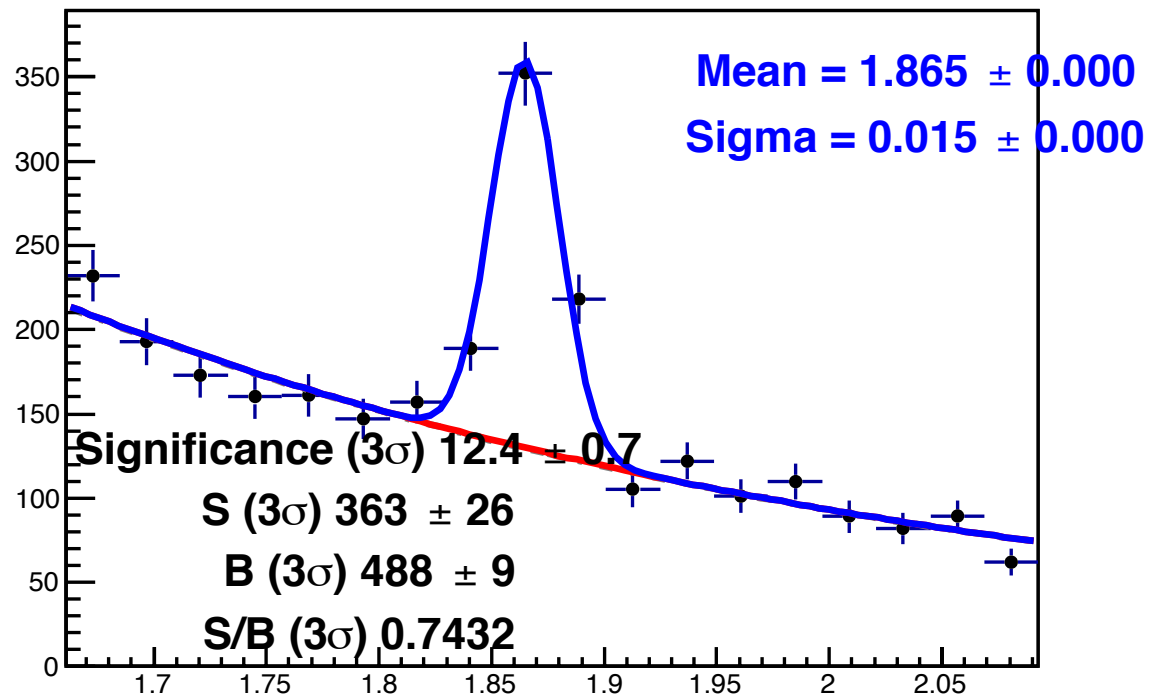
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.30,0.50], Ntracklets [ 1, 20]



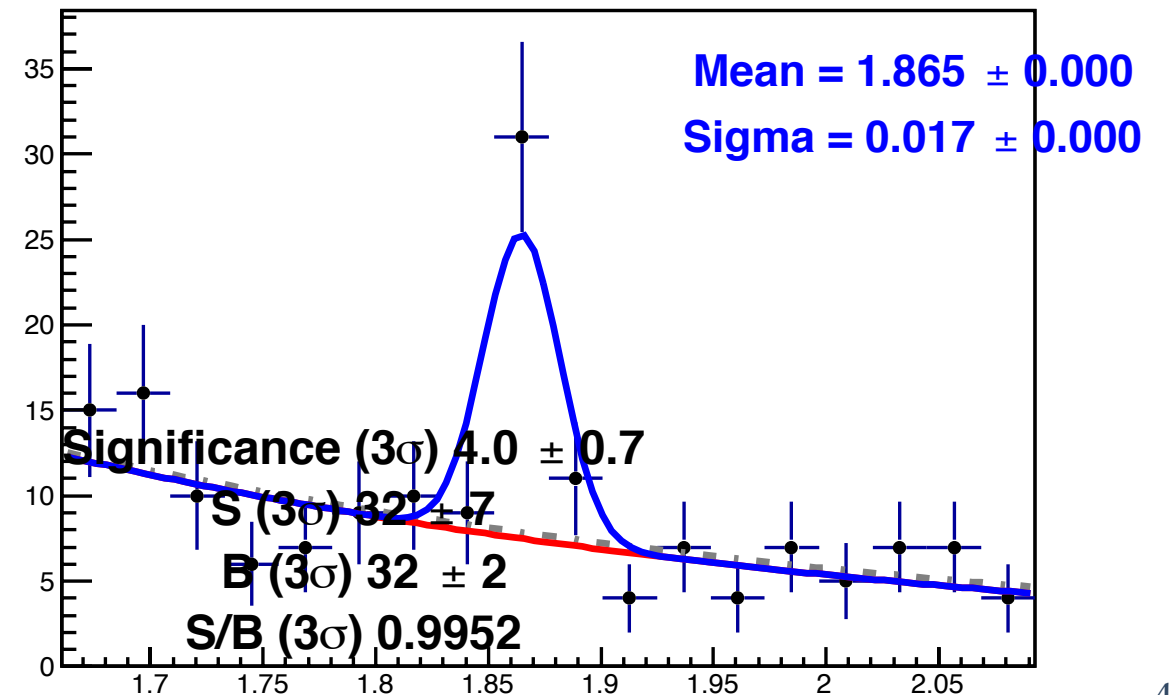
2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.30,0.50], Ntracklets [ 1, 20]



4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.30,0.50], Ntracklets [ 1, 20]

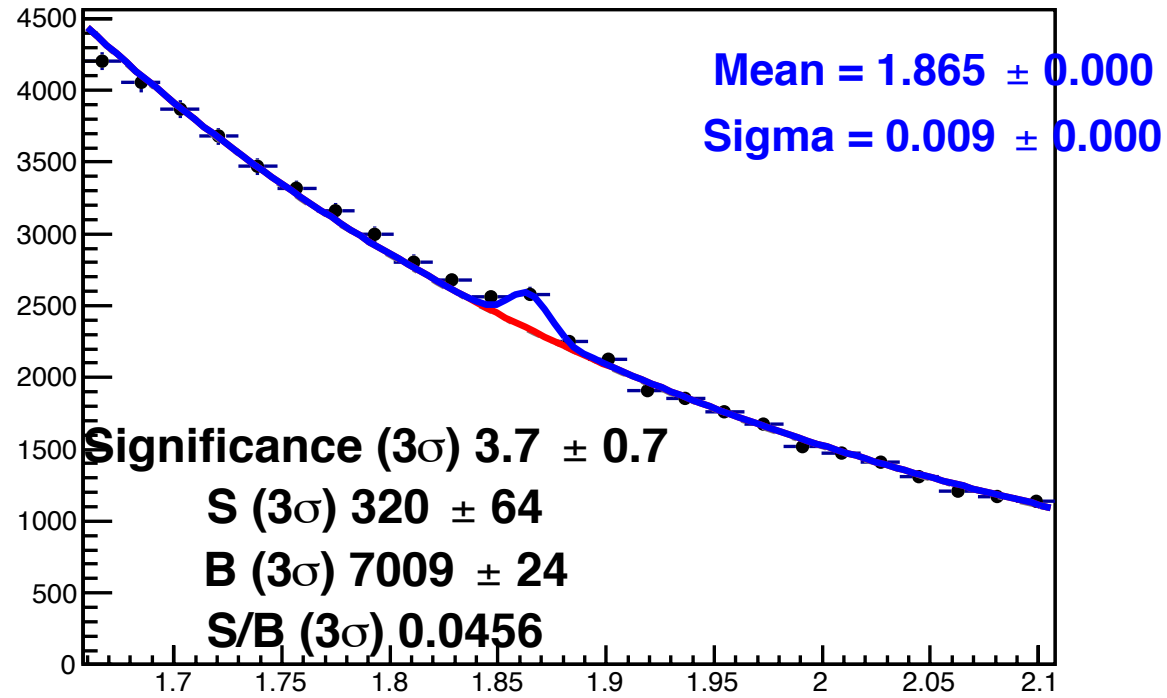


8 < p<sub>T</sub> < 16 GeV/c, Sphericity [0.30,0.50], Ntracklets [ 1, 20]

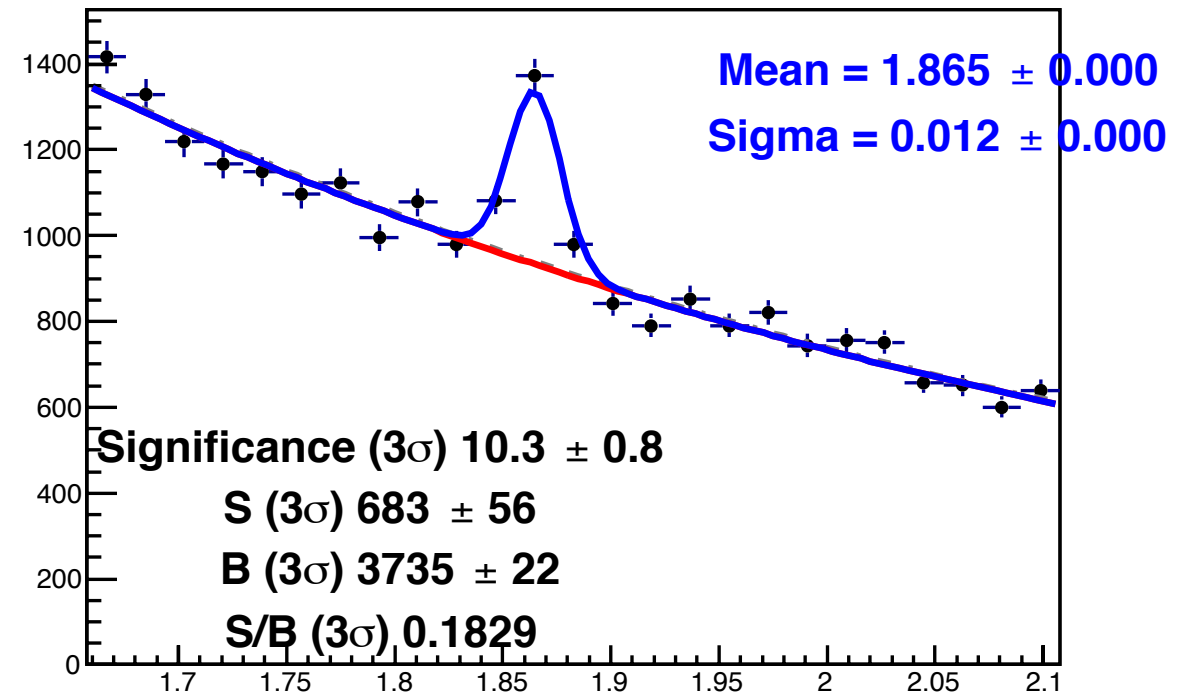


# two Mult Bins: Ntrk[1,20]; Sphero[0.5, 0.7]

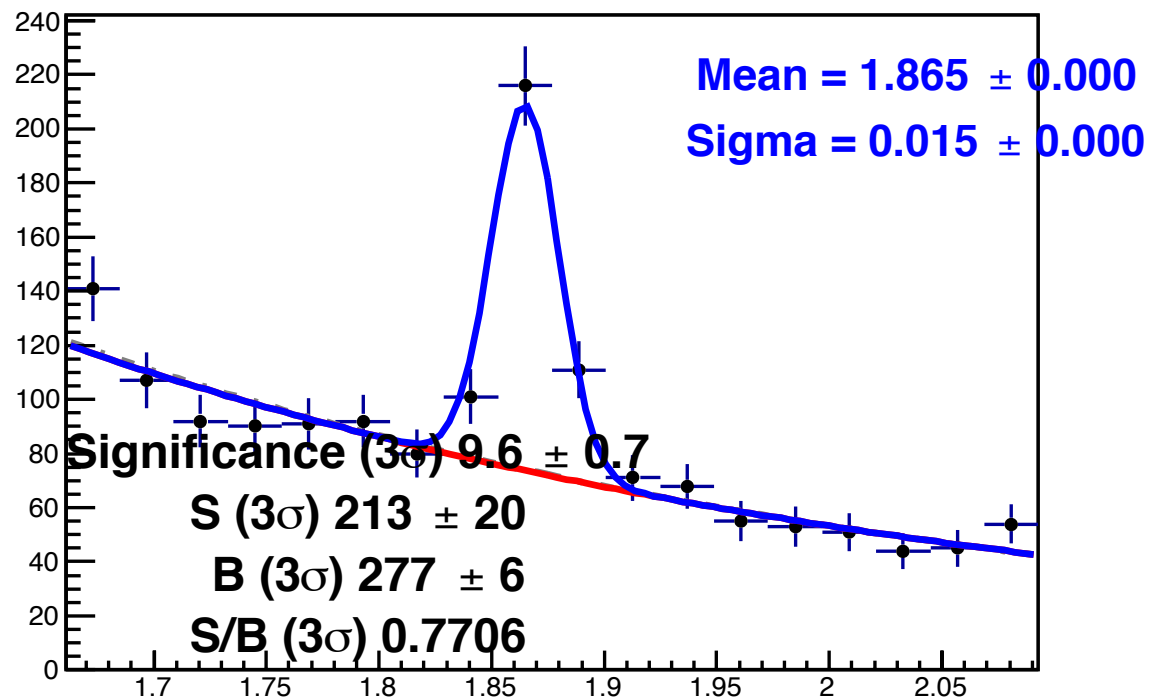
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 1, 20]



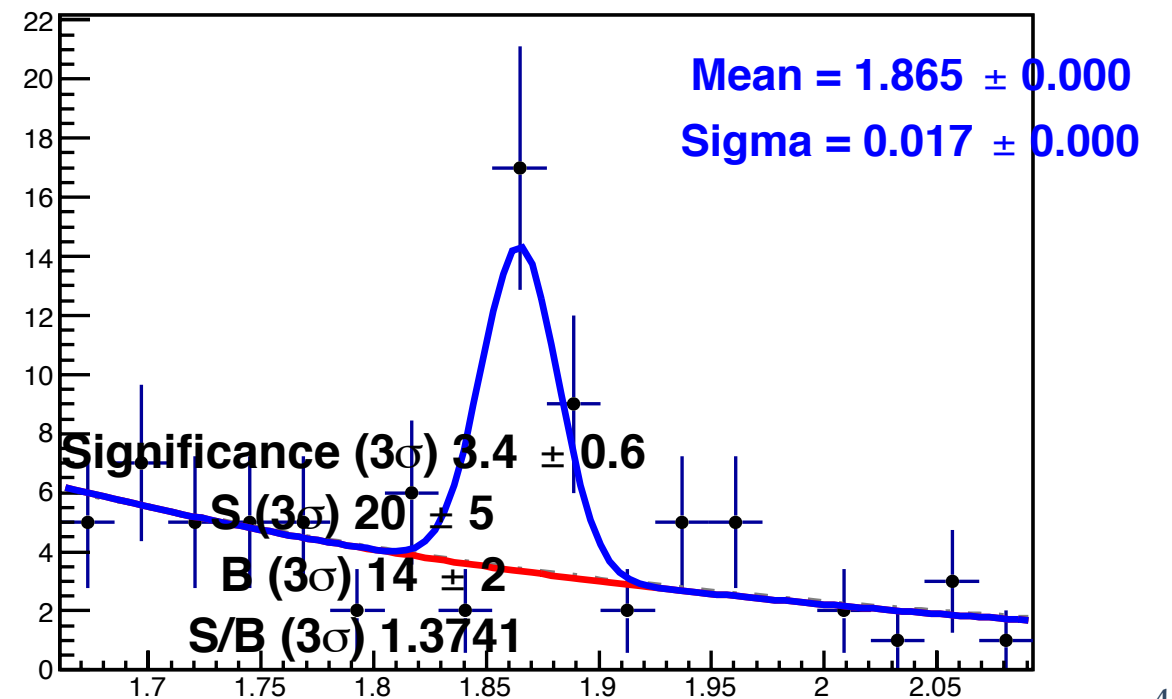
2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 1, 20]



4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 1, 20]

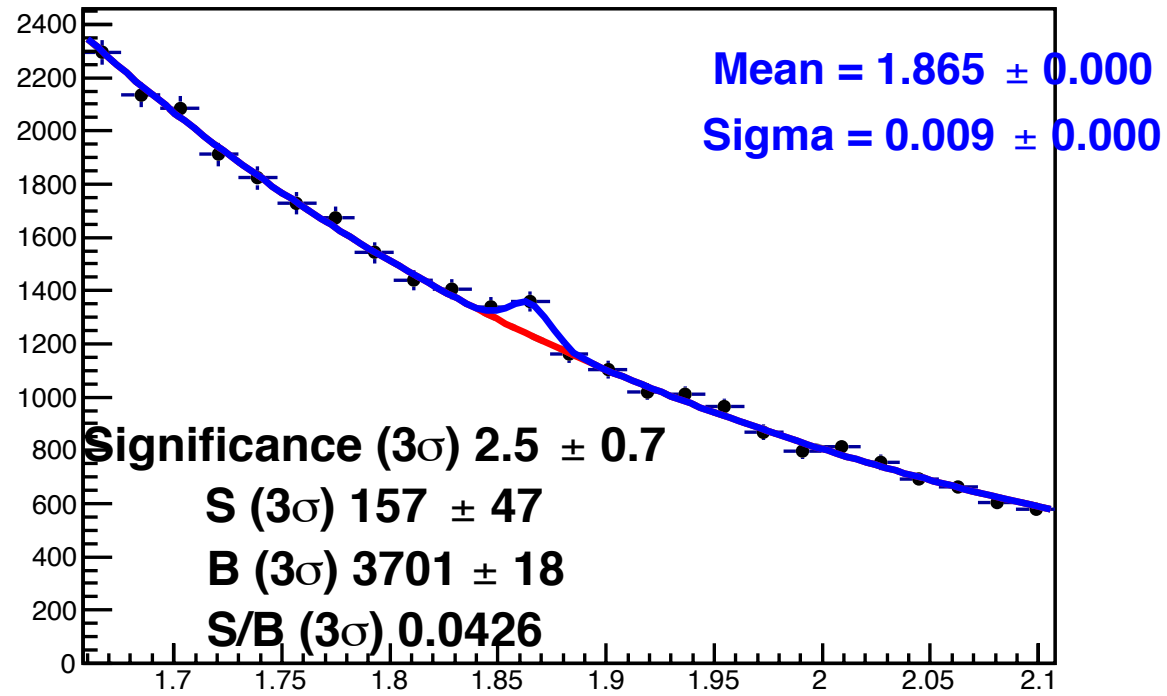


8 < p<sub>T</sub> < 16 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 1, 20]

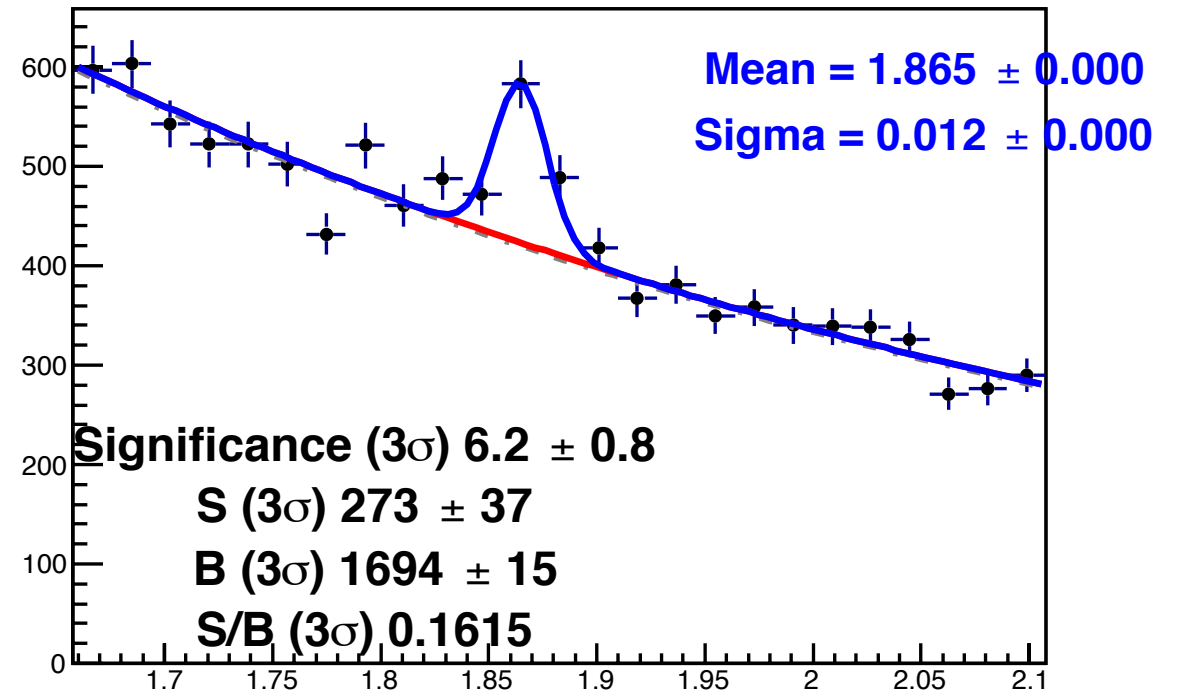


# two Mult Bins: Ntrk[1,20]; Sphero[0.7, 1.0]

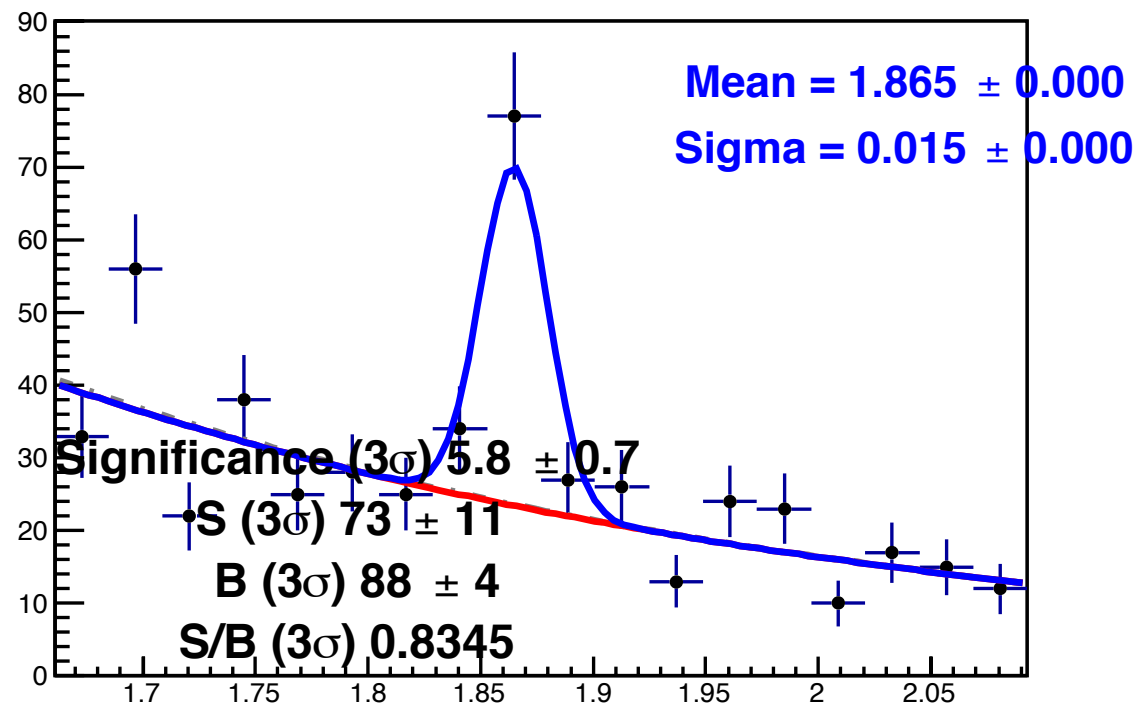
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 1, 20]



2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 1, 20]

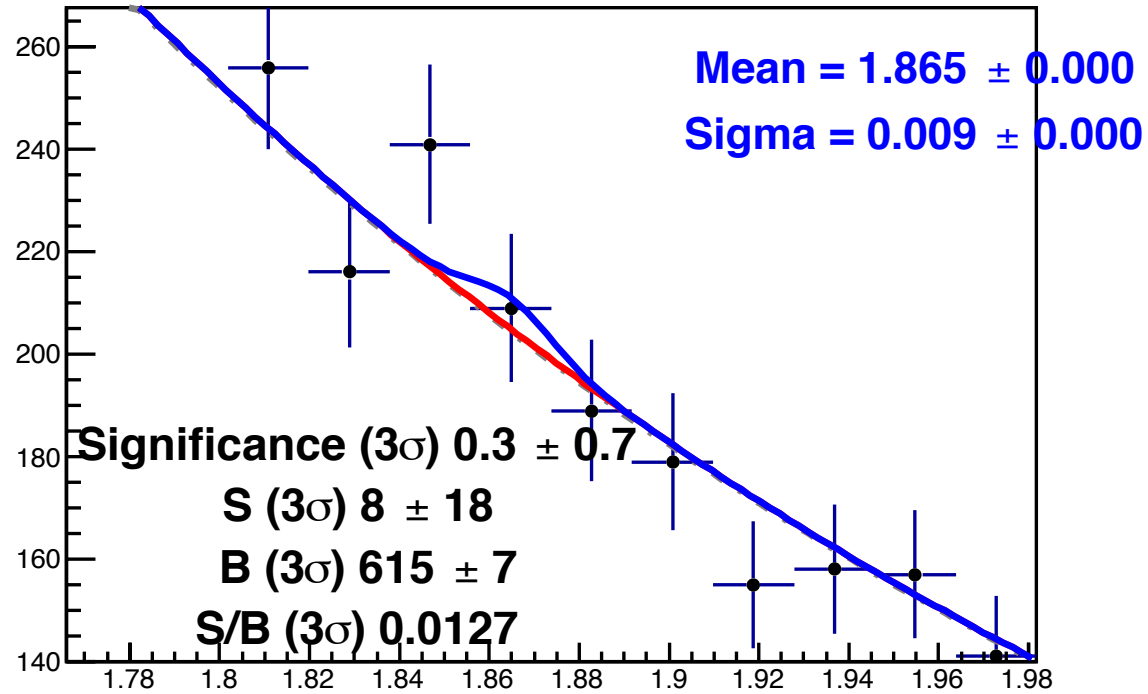


4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 1, 20]

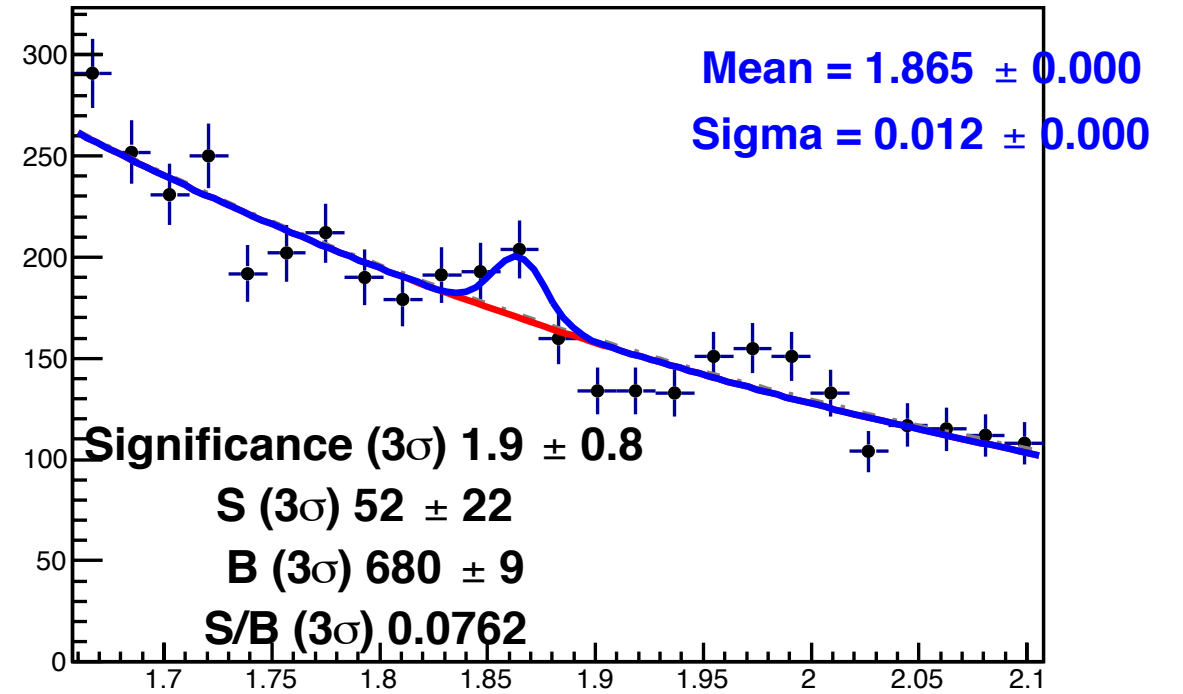


# two Mult Bins: Ntrk[21,81]; Sphero[0.0, 0.3]

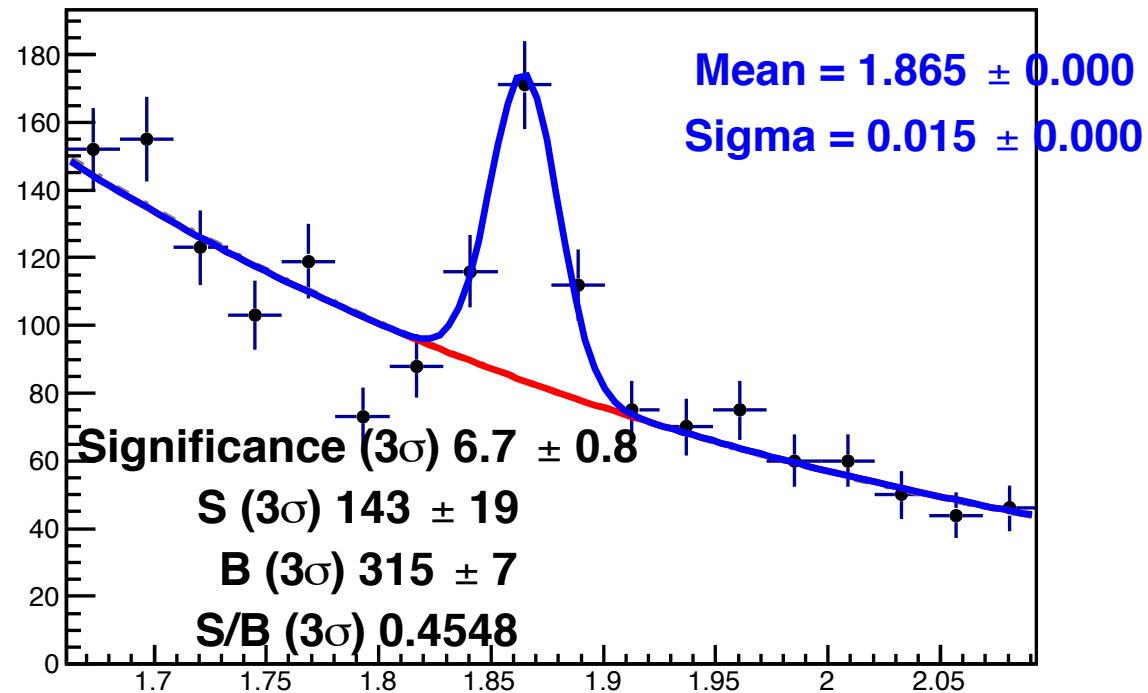
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 20, 81]



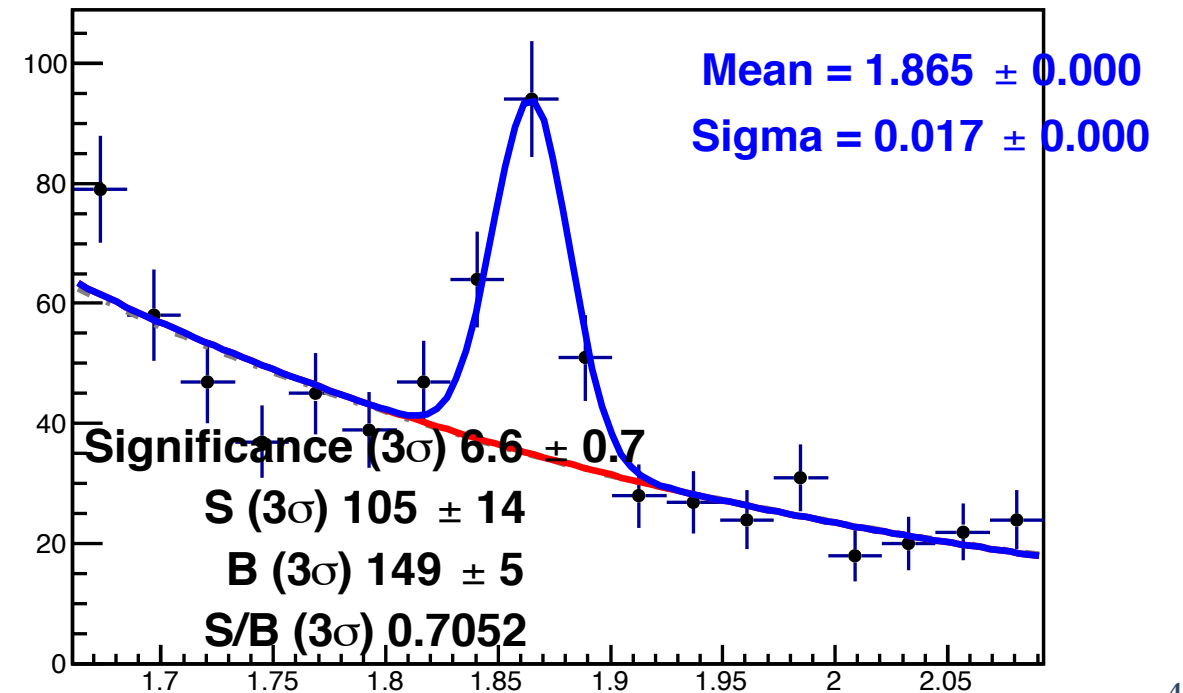
2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 20, 81]



4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 20, 81]

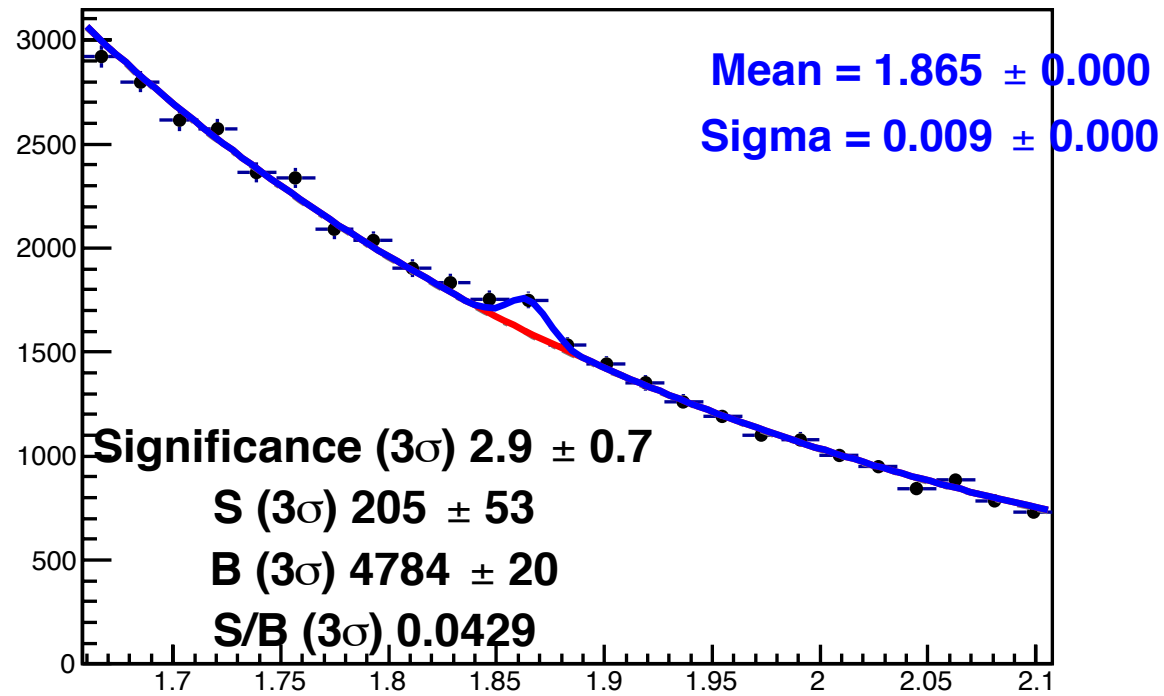


8 < p<sub>T</sub> < 16 GeV/c, Sphericity [0.00,0.30], Ntracklets [ 20, 81]

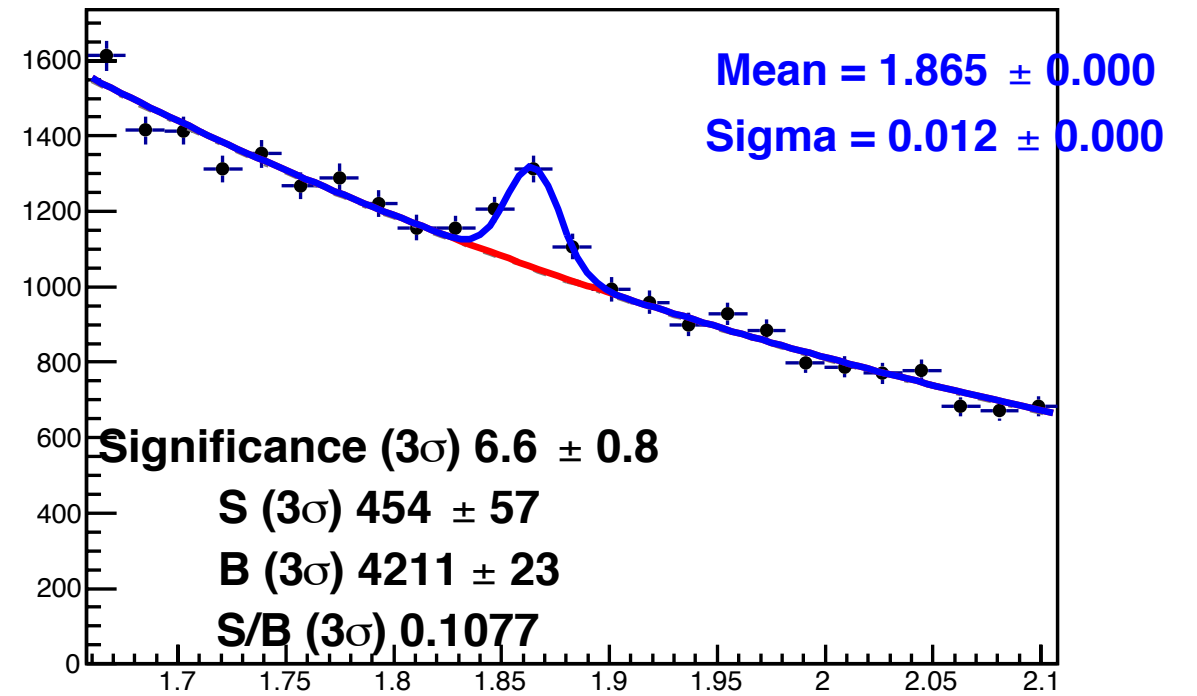


# two Mult Bins: Ntrk[21,81]; Sphero[0.3, 0.5]

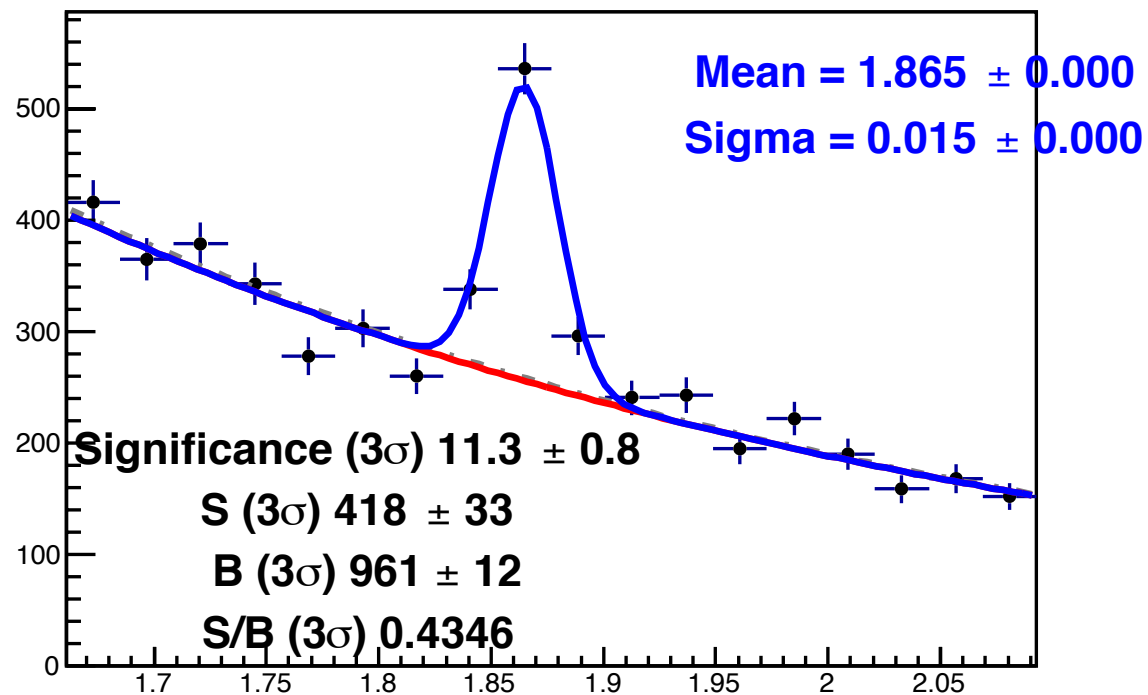
$1 < p_T < 2$  GeV/c, Sphericity [0.30,0.50], Ntracklets [ 20, 81]



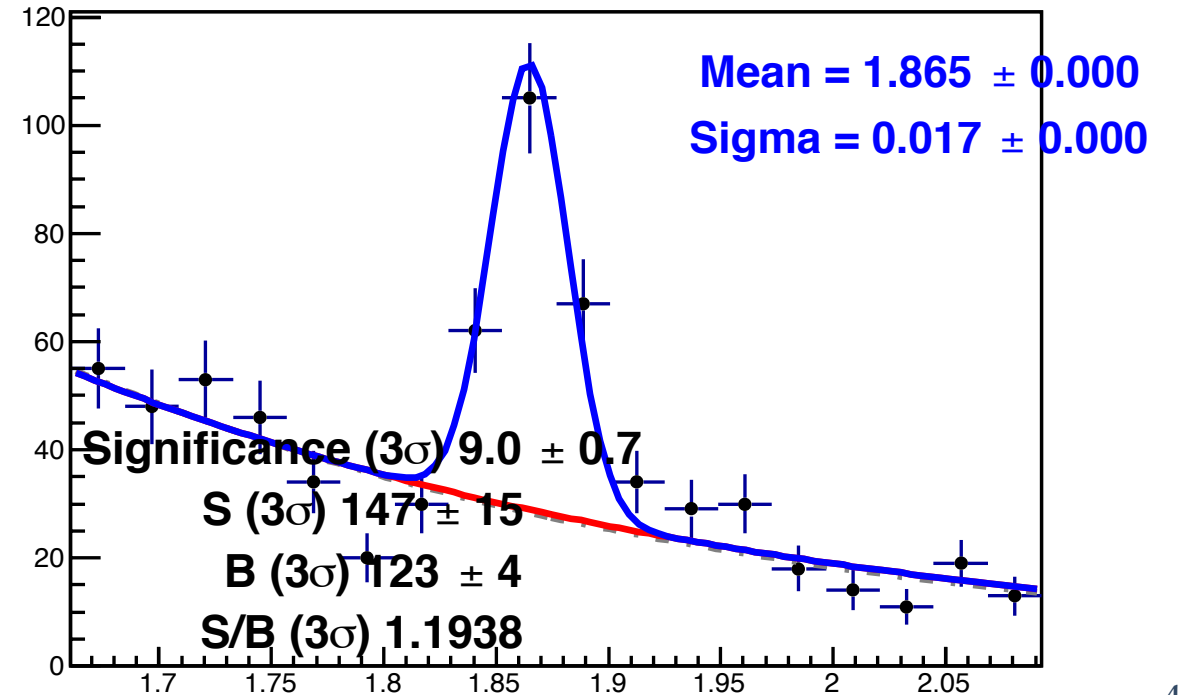
$2 < p_T < 4$  GeV/c, Sphericity [0.30,0.50], Ntracklets [ 20, 81]



$4 < p_T < 8$  GeV/c, Sphericity [0.30,0.50], Ntracklets [ 20, 81]

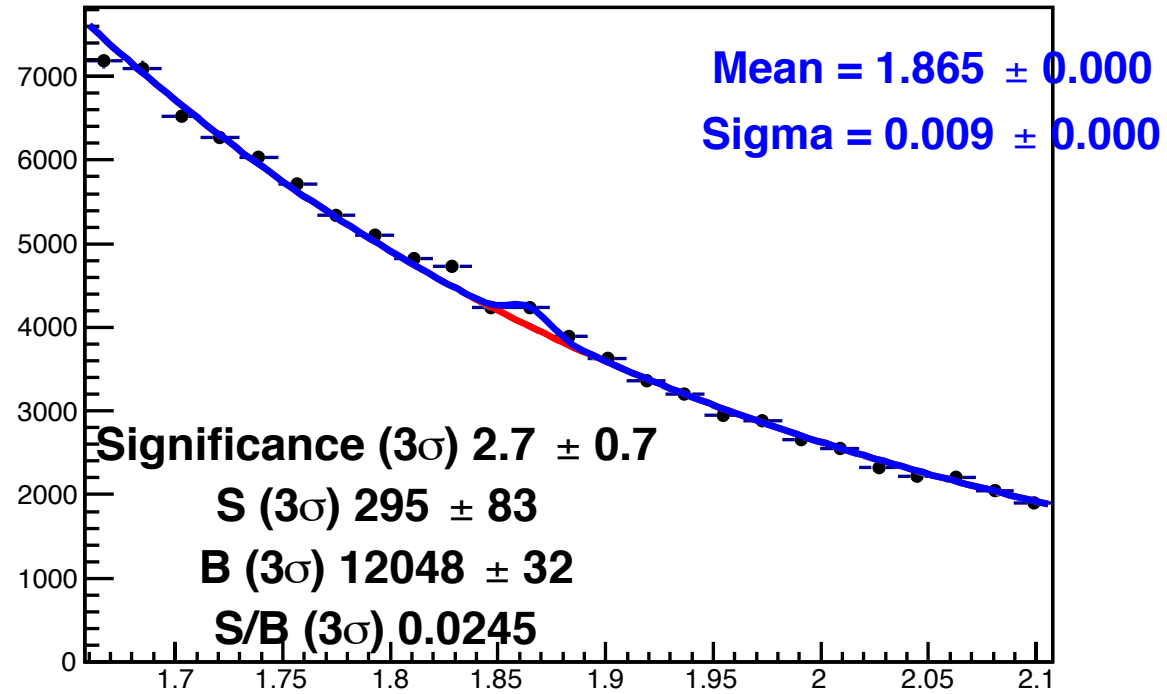


$8 < p_T < 16$  GeV/c, Sphericity [0.30,0.50], Ntracklets [ 20, 81]

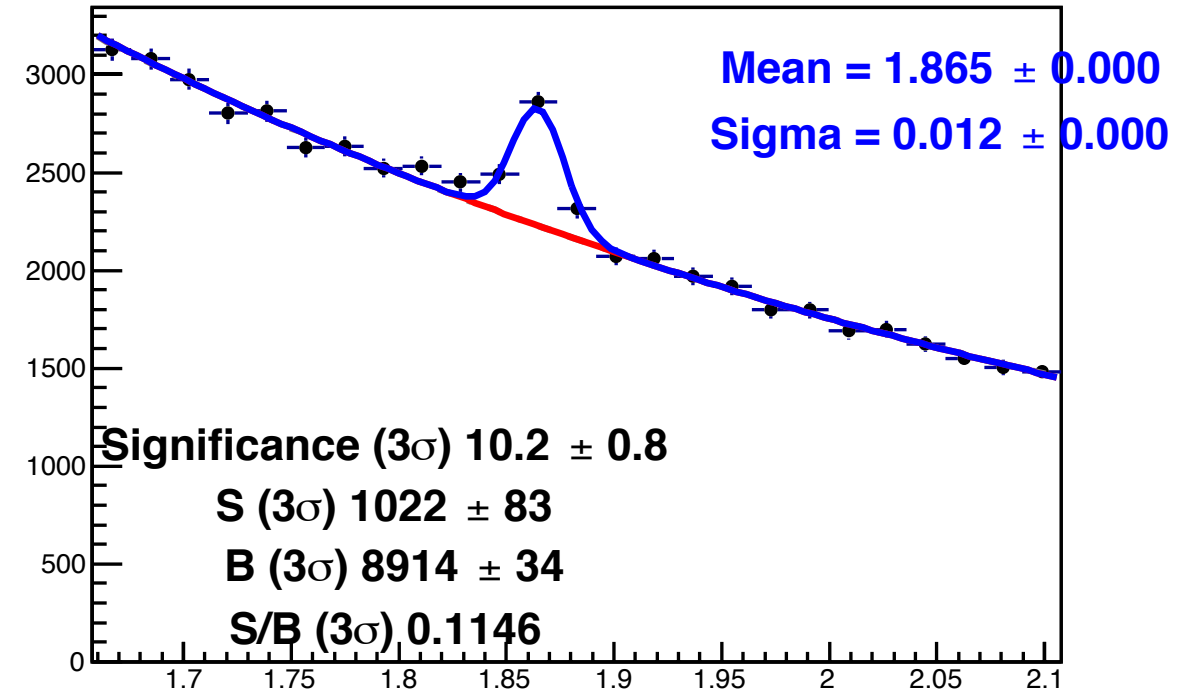


# two Mult Bins: Ntrk[21,81]; Sphero[0.5,0.7]

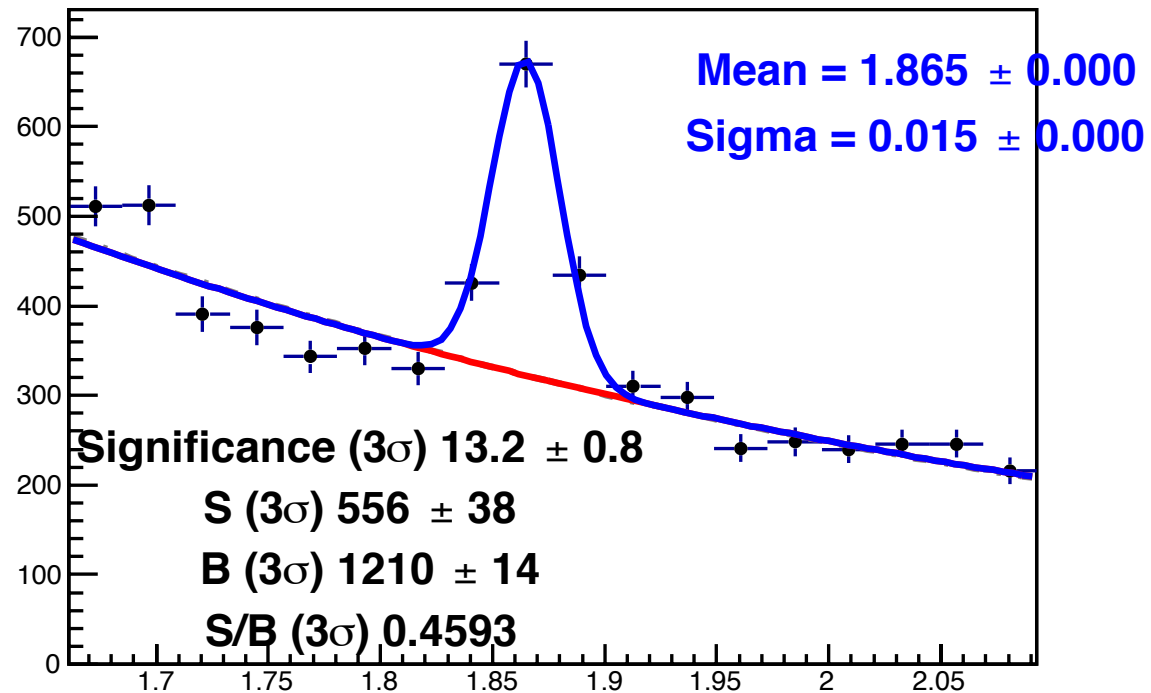
1 <math>p\_T</math> < 2 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 20, 81]



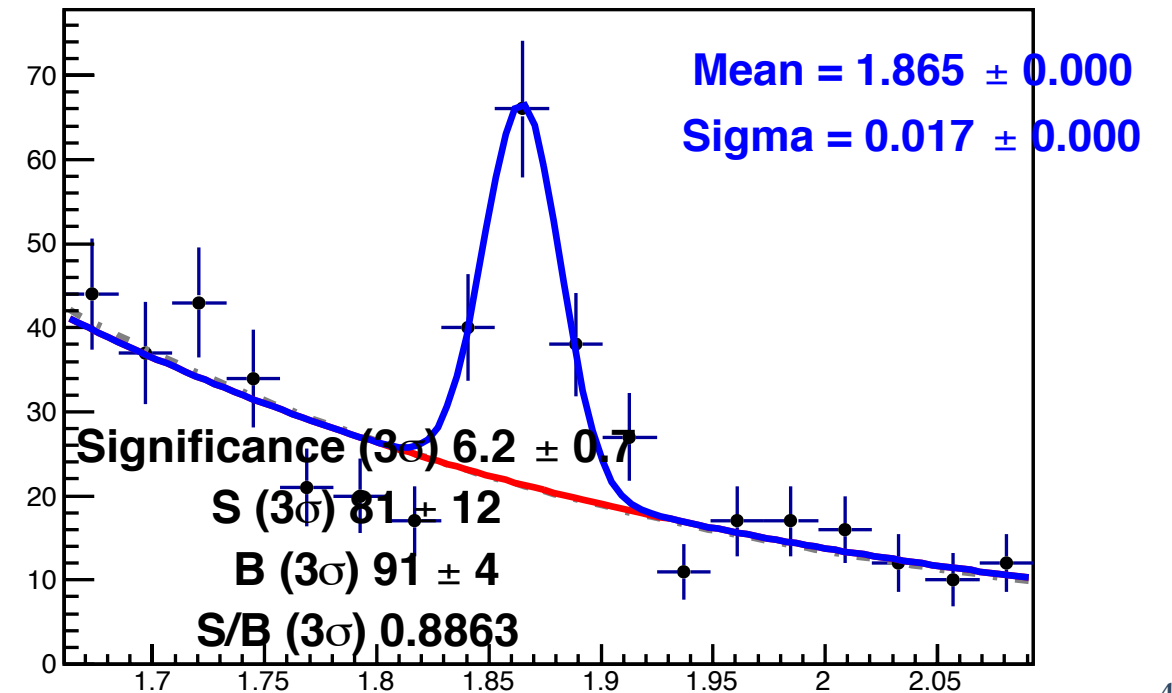
2 <math>p\_T</math> < 4 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 20, 81]



4 <math>p\_T</math> < 8 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 20, 81]

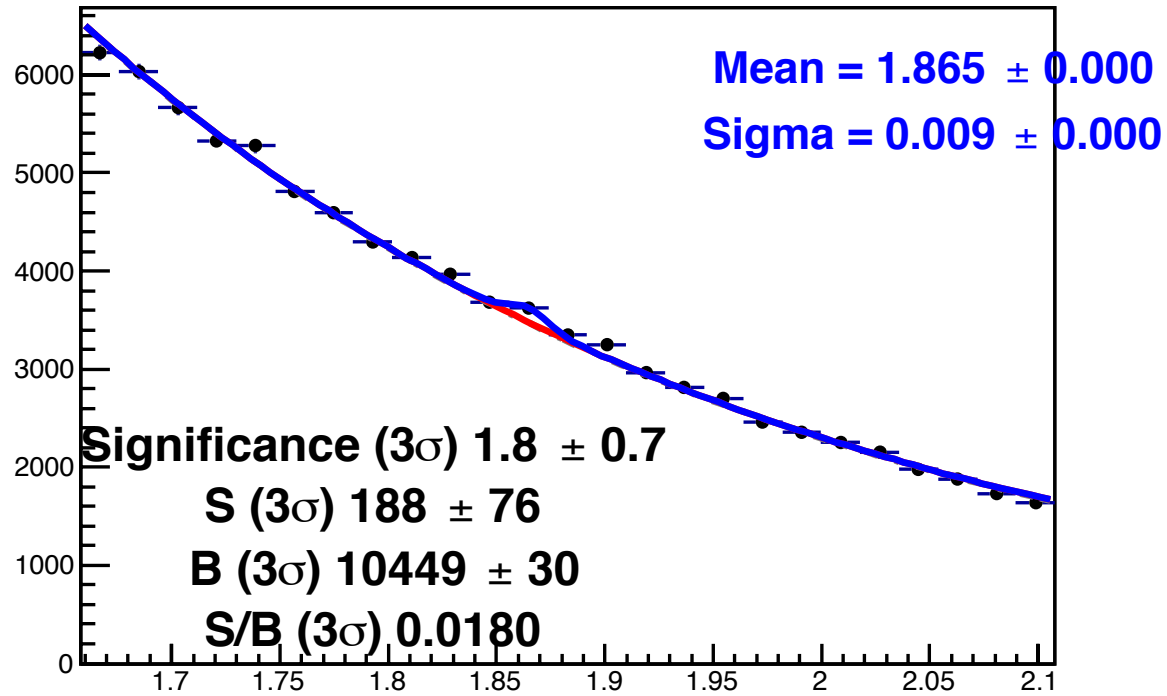


8 <math>p\_T</math> < 16 GeV/c, Sphericity [0.50,0.70], Ntracklets [ 20, 81]

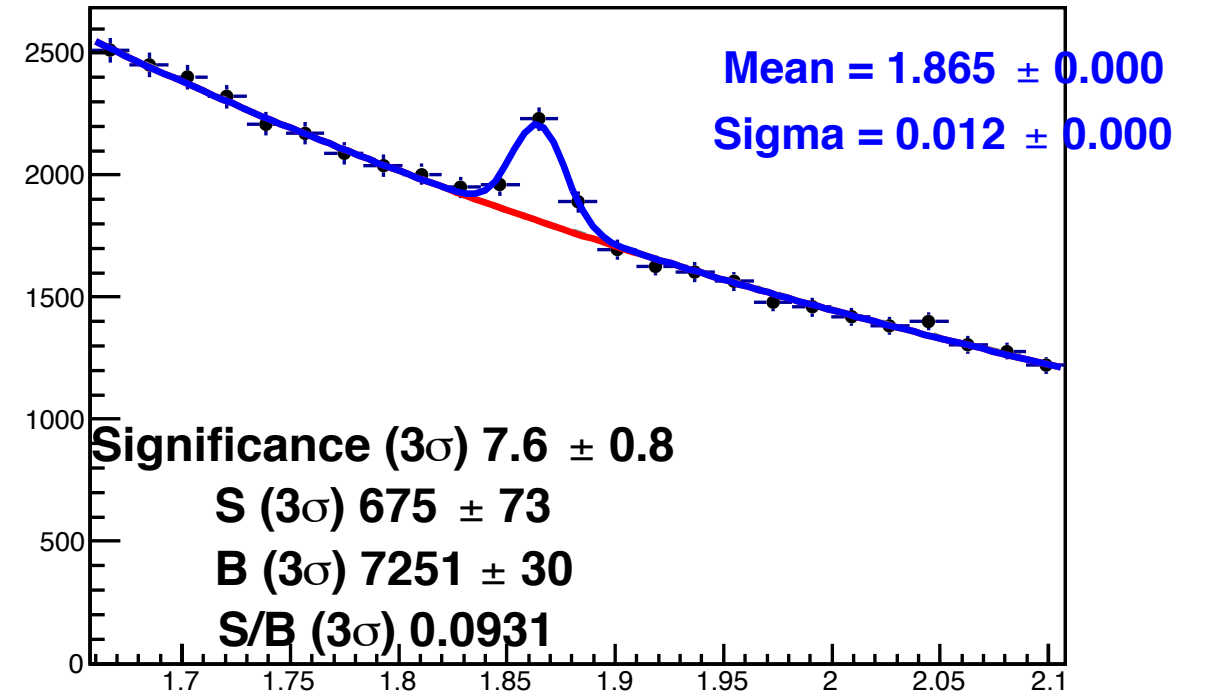


# two Mult Bins: Ntrk[21,81]; Sphero[0.7, 1.0]

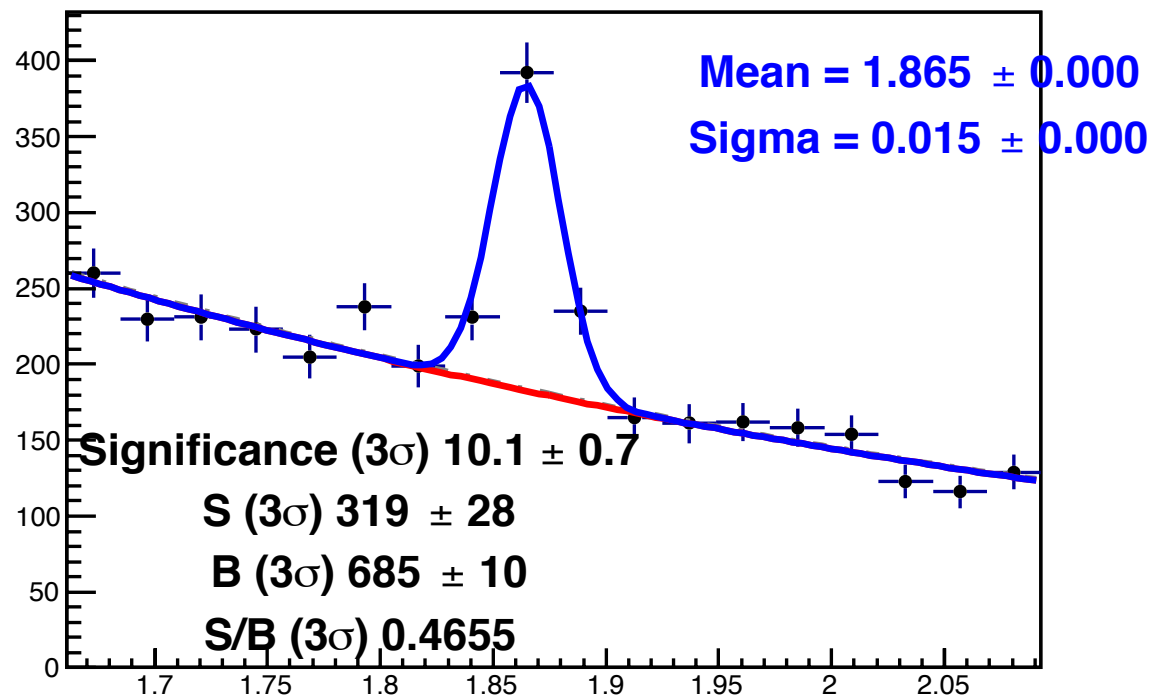
1 < p<sub>T</sub> < 2 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 20, 81]



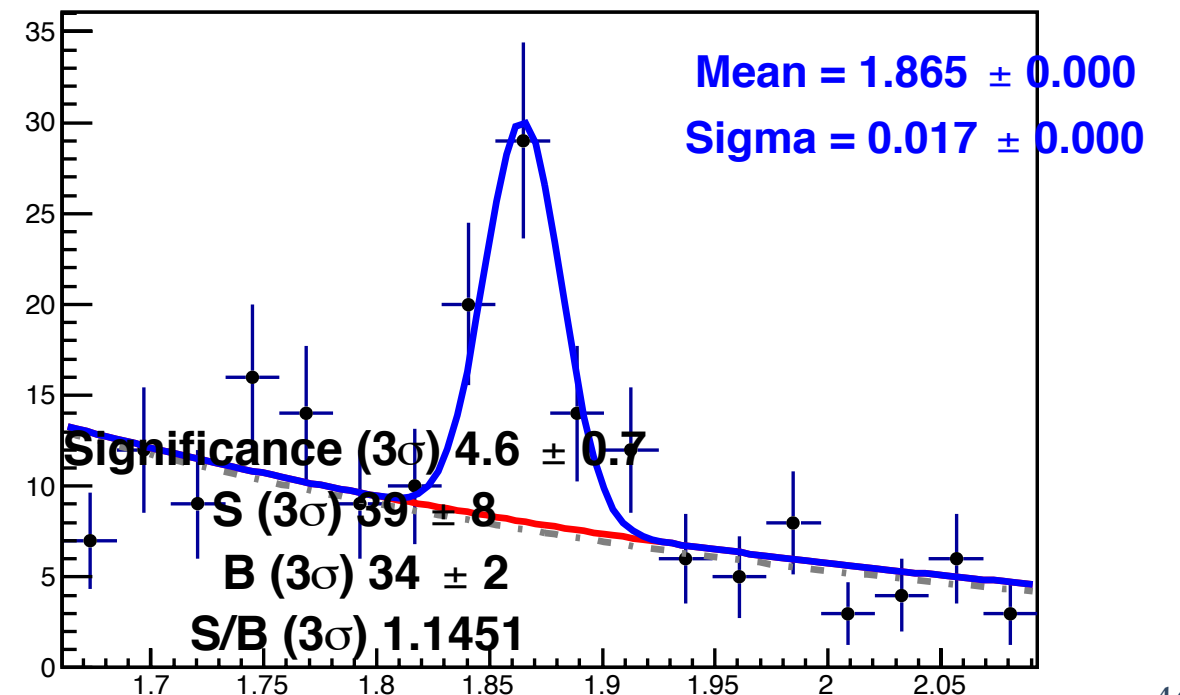
2 < p<sub>T</sub> < 4 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 20, 81]



4 < p<sub>T</sub> < 8 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 20, 81]



8 < p<sub>T</sub> < 16 GeV/c, Sphericity [0.70,1.00], Ntracklets [ 20, 81]





# ALICE Detector

