### Predicting MET Tails in Early Data

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# Background

- $\blacktriangleright$  Due to the intrinsic detector resolution, small amounts of MET will be observed in any given event. Additionally, MET may be observed due to reducible detector effects.
	- ` Such MET will be referred to as 'fake MET'
	- $\blacktriangleright$  Possible sources of fake MET include detector imperfections or mis-modeled material.
- $\blacktriangleright$  To develop techniques to understand and reduce fake MET, Monte Carlo  $\blacktriangleright$ samples with fake MET (cell killed samples) have been created.
	- $\blacktriangleright$  These samples have detector imperfections added at the digitization level.
		- $\mathbf{L}$ This gives a consistent trigger response for the celled killed and normal Monte Carlo
- $\blacktriangleright$  Using the cell killed samples to replace data, direct photon events are used to map the detector response to jets as a function of position and momentum in 'data' and Monte Carlo.
- $\blacktriangleright$  The jet resolution measured in this manner can then be used to predict the MET distributions in other data samples with jets.

Method for Predicting MET Tails

The following is a toy Monte Carlo illustration of how direct photon events may be used to predict MET tails:

The jet resolution (z) is estimated from data using  $\bm{{\mathsf{p}}}_\text{T}$ balance in direct photon events as a function of jet  $\bm{{\mathsf{p}}}_{{\mathsf{T}}}$  and position in the detector:

$$
z = \frac{p_{\text{rjet}} - p_{\text{r}\gamma}}{p_{\text{r}\gamma}} = \frac{p_{\text{rjet}}}{p_{\text{r}\gamma}} - 1
$$





The measured resolution is compared to the resolution in Monte Carlo events. Differences will be seen due to mis ‐modelling of the detector, dead or noisy cells, etc.

A smearing function is created that takes the normal Monte Carlo resolutions to the ones seen in data. $^{\rm 1}$ 

Distributions from the smeared Monte Carlo predictions of data can then be compared with actual data as seen here in the Toy Monte Carlo results:



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This smearing function can be applied to other Monte Carlo Samples with jets.

 $-0.8$   $-0.6$   $-0.4$   $-0.2$ 

 $10^{-3}$ 

 $10^{-3}$ 

MET tails that are not predicted by the smeared Monte Carlo are then postulated to be from sources other thandetector effects.

<sup>1</sup> In the toy Monte Carlo it is found that by taking the jet p<sub>T</sub> resolution distribution from the Cell Killed sample and replacing the Gaussian part by <sup>a</sup> narrower Gaussian an appropriate smearing function is obtained. The Gaussian portion of this smearing function has standard deviation of:  $\sigma_{\text{smearing}} = (\sigma_{\text{cellKilled}}^2 - \sigma_{\text{normalMC}}^2)^{1/2}$ 

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 $-0$ <sub>z</sub>  $0.2$   $0.4$ <sub>2</sub> $0.6$ <sub>true</sub> $-1$ <sub>2</sub>

# Full Simulation: Measured Resolutions

- $\blacktriangleright$  The resolution measured in a bin with an introduced detector problem is seen here.
- $\blacktriangleright$  As expected, the resolution has a widened Gaussian distribution and non Gaussian tails as compared to the regular Monte Carlo.



### Full Simulation: Smearing Function

 $\blacktriangleright$  Using the same technique as the toy Monte Carlo, the Gaussian part of the smearing distribution is given by:

 $\sigma_{\rm smearing}^{\rm}= (\sigma_{\rm cellKilled}^{\rm 2} - \sigma_{\rm normalMC}^{\rm 2})^{1/2}$ 

- $\blacktriangleright$  The full smearing function can then be obtained via:  $s=(d-d_{\text{gaus}})+s_{\text{gaus}}$  where
	- $\blacktriangleright$  $s =$  the smearing histogram
	- $\blacktriangleright$  $d =$  the jet resolution measured in 'data'
	- $\blacktriangleright$  $s(d)_{gauss}$  = the Gaussian portion of  $s(d)$
	- $\blacktriangleright$  $\int s_{\text{gaus}} = \int d_{\text{gaus}}$  over the range -1 to 1



### Full Simulation: Results

- $\blacktriangleright$ After smearing all jets in an event, the MET is re-calculated.
- $\blacktriangleright$  If the re-calculated MET is associated to a jet in the sample bin, the event is selected.
	- $\blacktriangleright$  $\blacktriangleright$  The jet associated with the MET is chosen via a  $\Delta$ phi match
- $\blacktriangleright$  The projection of the recalculated MET onto the jet is seen here
	- $\blacktriangleright$  This is used as a measure of how wellMET from jets in this bin are predicted
	- $\blacktriangleright$  The smearing method is able to recreate the cell killed tails!



# Long Term Plans

#### $\blacktriangleright$ Continue first test using full simulation

- $\blacktriangleright$ Refine the method using photon jet events
- $\blacktriangleright$  Test method on dijet events
- $\blacktriangleright$  Test method on events with real MET

#### $\blacktriangleright$ Pick bins using data driven methods

- $\blacktriangleright$  $\blacktriangleright$  Possible to use cuts based on comparison of track jet  $\mathsf{p}_\mathsf{T}$  to calorimeter jet  $\mathsf{p}_\mathsf{T}$  (or  $\mathsf{p}_\mathsf{T}$  of sum of topoclusters)
	- $\blacktriangleright$ In the EtMiss csc note, we showed that problematic regions can be found using track jet cuts
- $\blacktriangleright$  $\blacktriangleright$  Compare method with different jet algorithms (or using a sum of topoclusters)
	- $\blacktriangleright$  In the csc note, performance for topoclusters was shown to be superior to that of jets when matching track jets to calorimeter signals.
	- $\blacktriangleright$  $\blacktriangleright$   $\blacktriangleright$  Will test if a similar benefit is found for calculating resolution using direct photons.
- $\blacktriangleright$  Compare methods to compute resolutions
	- $\blacktriangleright$ One recoiling jet or sum of recoiling jets?
	- $\blacktriangleright$  $\blacktriangleright$  Absolute value of jet  $\mathsf{p}_\mathsf{T}$  or projection of  $\mathsf{p}_\mathsf{T}$  onto photon axis?

### Backup Slides

 $\blacktriangleright$ 

### Overview of Introduced Detector Problems

- $\blacktriangleright$  The signal from a list of channels are set to zero during digitization.
- $\blacktriangleright$  These channels correspond to 0.1% of LAr EM HV lines, 2 LAr FEC, and two Tile drawers (one barrel, one extended barrel).
	- $\blacktriangleright$ This gives two dead crates in LAr at (eta, phi) =  $(-1.5-0.0, 0.8-1.2)$  and  $(2.5-$ 3.2, 0.0-1.6) as well as one dead region in the HEC at (eta, phi) = (1.5-3.2,  $0.0 - 1.6$ .
- $\blacktriangleright$  Note that this does not necessarily correspond to a physical situation
	- $\blacktriangleright$ Killing one HV line would reduce the signal in the LAr cells by  $\sim$  50% not 100%
	- $\blacktriangleright$  However, this is a way to introduce MET tails not otherwise in the Monte Carlo.
- $\blacktriangleright$  The channels affected are plotted in the next slide.

### Location of Introduced Detector Problems



### Using Track Jets to Bin the Detector

- $\blacktriangleright$  $\blacktriangleright$  Track jets are matched to energy summed in the calorimeter with  $\Delta$ R<0.2 of the track jet axis
- $\blacktriangleright$  $\blacktriangleright$  If the track jet  $\mathsf{p}_\mathsf{T}$  > calorimeter  $\mathsf{p}_\mathsf{T}$  the track jet is flagged as unmatched.
- $\blacktriangleright$  Bins may then be created based on regions with a high number of unmatched jets. This will allow us to focus on problem regions.
- $\blacktriangleright$ An example of such a study on a cell killed sample is seen below.



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