

Lepton Jets from Radiating Dark Matter

based on JHEP 07 (2015) 045 (arXiv:1505.07459)

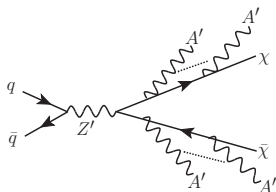
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Model

Use FSR instead of ISR!
 Motivated by self-interacting DM



Relevant Lagrangian:

$$\mathcal{L}_{\text{dark}} \equiv \bar{\chi}(i\not{\partial} - m_{\chi} + ig_{A'}\not{A}')\chi - \frac{1}{4}F'_{\mu\nu}F'^{\mu\nu} + \frac{1}{2}m_{A'}^2 A'_{\mu}A'^{\mu} - \frac{\epsilon}{2}F'_{\mu\nu}F^{\mu\nu} \quad (1)$$

DM pair production for toy model:

$$\mathcal{L}_{Z'} \equiv g_q \sum_f \bar{q}_f Z' q_f + g_{\chi} \bar{\chi} Z' \chi \quad (2)$$

A' Branching Ratios

$m_{A'} > 2 \text{ GeV}$:

For **leptons**: $\Gamma_{\ell^+\ell^-} = \frac{1}{3}\alpha\epsilon^2 m_{A'} \sqrt{1 - 4\frac{m_\ell^2}{m_{A'}^2}} \left(1 + 2\frac{m_\ell^2}{m_{A'}^2}\right)$

For **hadrons**: QCD language applicable, $\Gamma_{q_f\bar{q}_f} = N_c Q_{q_f}^2 \Gamma_{\ell^+\ell^-} \Big|_{m_\ell = m_{q_f}}$

$m_{A'} < 2 \text{ GeV}$:

For **leptons**: $\Gamma_{\ell^+\ell^-} = \dots$

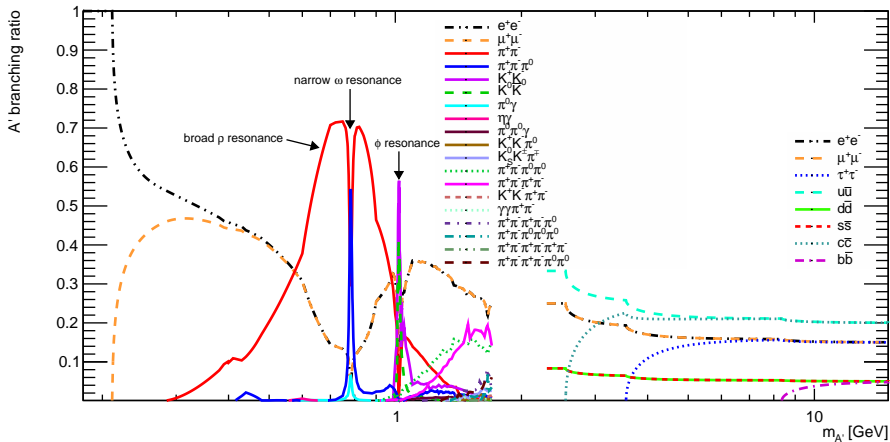
For **hadrons**: Use e^+e^- collider measurements of

$$R(s) = \sigma(e^+e^- \rightarrow \text{hadrons}) / \sigma(e^+e^- \rightarrow \mu^+\mu^-)$$

to determine partial decay width

$$\Gamma_{\text{hadrons}} = \Gamma_{\mu^+\mu^-} R(s = m_{A'}^2)$$

A' Branching Ratios



Benchmarks

	$m_{Z'}$ [TeV]	g_q	g_χ	m_χ [GeV]	$m_{A'}$ [GeV]	$\alpha_{A'}$	$c\tau$ [mm]
A	1	0.1	1	4	1.5	0.2	10
B	1	0.03	0.3	0.4	0.4	0.2	1

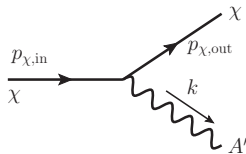
Table 1: Fixed model parameters

	ϵ [10^{-6}]	$\sigma_8(Z')$ [pb]	$\sigma_{13}(Z')$ [pb]	$\text{BR}(Z' \rightarrow \chi\bar{\chi})$	$2\langle n_{A'} \rangle_8$	$2\langle n_{A'} \rangle_{13}$
A	2.8	0.85	2.7	84.8%	3.50	3.51
B	24	0.076	0.244	84.8%	5.15	5.17

Table 2: Derived quantities

Benchmarks not excluded by: mono- and dijet searches, limits on thermal relic density, direct and indirect DM searches, DM self-interactions, limits on ϵ and $m_{A'}$.

Dark Parton Shower



Differential collinear splitting probability

$$\frac{\alpha_{A'}}{2\pi} dx \frac{dt}{t} P_{\chi \rightarrow \chi}(x, t) \quad \text{with} \quad P_{\chi \rightarrow \chi}(x, t) = \frac{1+x^2}{1-x} - \frac{2(m_{\chi}^2 + m_{A'}^2)}{t} \quad (3)$$

Physical limits:

$$x_{\min} \equiv m_{\chi}/E_0, \quad x_{\max} \equiv 1 - m_{A'}/E_0, \quad (4)$$

$$t_{\min}(x) = m_{A'}^2 + 2(E_0^2 x(1-x) - \sqrt{x^2 E_0^2 - m_{\chi}^2} \sqrt{(1-x)^2 E_0^2 - m_{A'}^2}) \quad (5)$$

$$t_{\max}(x) = m_{A'}^2 + 2p_{\chi, out} \cdot k|_{k_{t, \max}} \quad (6)$$

Via Recursive Formalism

Single splitting (with $X = E_X/E_0$):

$$f_{X,1}(X) \equiv \frac{1}{\langle n_{A'} \rangle} \frac{\alpha_{A'}}{2\pi} \int_{t_{\min}}^{t_{\max}} \frac{dt}{t} P_{X \rightarrow X}(X) \Theta(x_{\min} \leq X \leq x_{\max})$$

Next splittings:

$$f_{X,m+1}(X) = \int_{x_{\min}}^{x_{\max}} dx_m f_{X,1}(x_m) \frac{f_{X,m}(X/x_m)}{x_m} \Theta(x_{\min} \leq X \leq x_{\max})$$

Full DM energy spectrum:

$$f_X(X) = \sum_{m=0}^{\infty} p_m f_{X,m}(X),$$

where $f_{X,m}$ are energy distribution with exactly m emitted A' .

A' spectrum analogue!

Via Mellin Transform

Mellin transform:

$$\{\mathcal{M}f\}(s) = \varphi(s) = \int_0^\infty x^{s-1} f(x) dx$$

Idea: Calculate moments of energy spectrum first

First moment:

$$p_1 \langle X^s \rangle_{1A'} = e^{-\langle n_{A'} \rangle} \frac{\alpha_{A'}}{2\pi} \int_{x_{\min}}^{x_{\max}} dx x^s \int_{t_{\min}}^{t_{\max}} \frac{dt}{t} P_{\chi \rightarrow \chi}(x) \equiv e^{-\langle n_{A'} \rangle} \langle n_{A'} \rangle \overline{X^s}.$$

Second moment:

$$\begin{aligned} p_2 \langle X^s \rangle_{2A'} &= e^{-\langle n_{A'} \rangle} \left(\frac{\alpha_{A'}}{2\pi} \right)^2 \int_{x_{\min}}^{x_{\max}} dx x^s \int_{t_{\min}}^{t_{\max}} \frac{dt}{t} \int_{x_{\min}}^{x_{\max}} dx' x'^s \int_{t_{\min}}^t \frac{dt'}{t'} P_{\chi \rightarrow \chi}(x) P_{\chi \rightarrow \chi}(x') \\ &\simeq e^{-\langle n_{A'} \rangle} \frac{\langle n_{A'} \rangle^2}{2!} \overline{X^s}^2. \end{aligned}$$

m th moment:

$$p_m \langle X^s \rangle_{mA'} = e^{-\langle n_{A'} \rangle} \frac{\langle n_{A'} \rangle^m}{m!} \overline{X^s}^m.$$

Via Mellin Transform

Then: Sum moments ...

$$\varphi(s+1) = \sum_{m=0}^{\infty} p_m \langle X^s \rangle_{m_{A'}} = e^{-\langle n_{A'} \rangle (1 - \bar{X}^s)}.$$

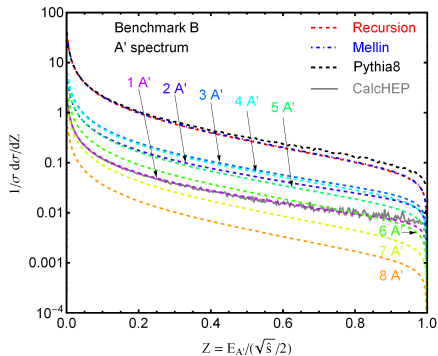
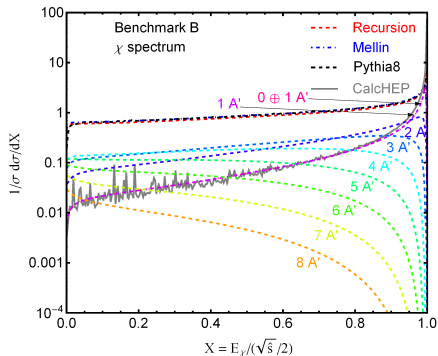
... and use inverse Mellin transformation to obtain $f_X(X)$:

$$f_X(X) = \frac{1}{2\pi i} \int_{c-i\infty}^{c+i\infty} ds X^{-s} \varphi(s).$$

Advantage: (Inverse) Mellin transform are fast and numerically stable when rewritten as a Fourier transform:

$$\{\mathcal{M}f\}(s) = \{\mathcal{F}f(e^{-x})\}(-is)$$

Comparison



Minor discrepancies due to:

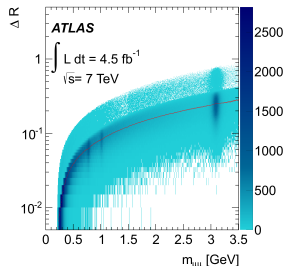
- Integrations limits are not independent of x and t
(Assumption that energy loss in each splitting is small)
- Neglect of t -dependence in splitting kernel $P_{\chi \rightarrow \chi}(x)$

Short A' lifetime: Prompt Search

Based on ATLAS, 7 TeV,
 5 fb^{-1} , arXiv:1212.5409

Muonic lepton jet (LJ)

$\geq 2\mu$'s inside cone $\Delta R = 0.1$



- μ 's have track in inner detector
 (transverse distance from beam $< 122.5\text{mm}$)
- $m_{\mu\mu} < 2 \text{ GeV}$
- Very soft muons: 6 GeV at trigger level (for 3 or more μ)
- LJ isolated in the calorimeter
- 2 LJs required

→ high signal efficiency if $c\tau$ small

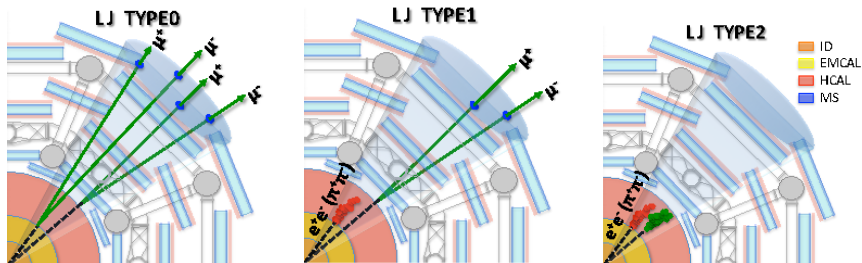
→ rely on branching to muons

Long A' lifetime: Displaced Search

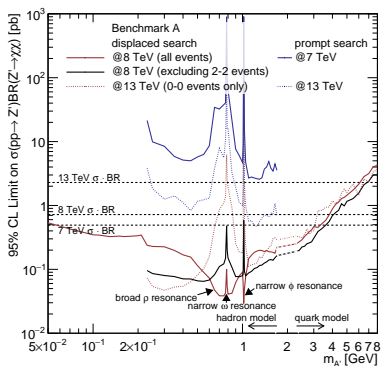
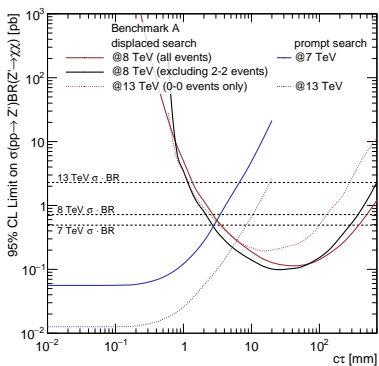
Based on ATLAS, 8 TeV, 20.3 fb^{-1} , arXiv:1409.0746

3 LJ types:

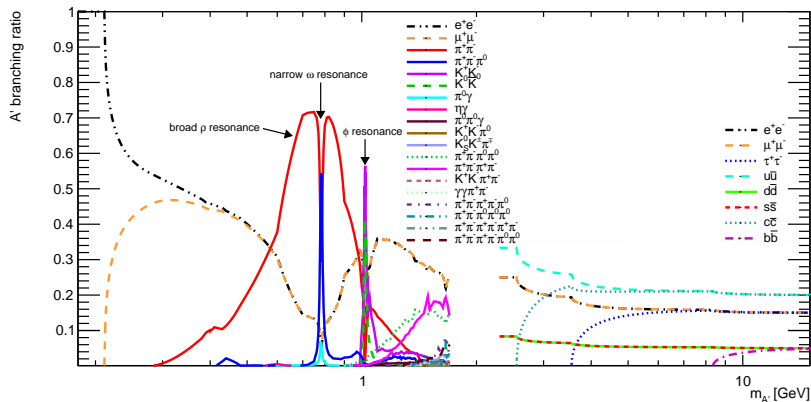
- Muonic (type-0): $\geq 2\mu$'s inside cone $\Delta R = 0.5$
- Mixed (type-1): $\geq 2\mu$'s + 1 jet inside cone $\Delta R = 0.5$
- Calorimeter (type-2): jet with small EM fraction



Parameter Scans

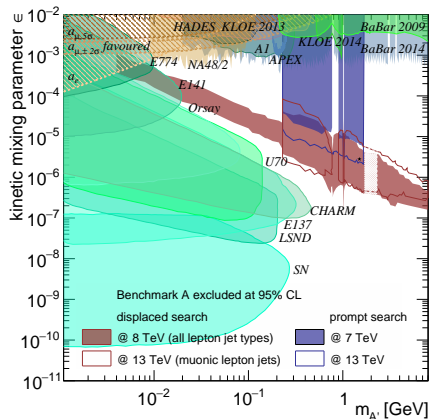


Parameter Scans

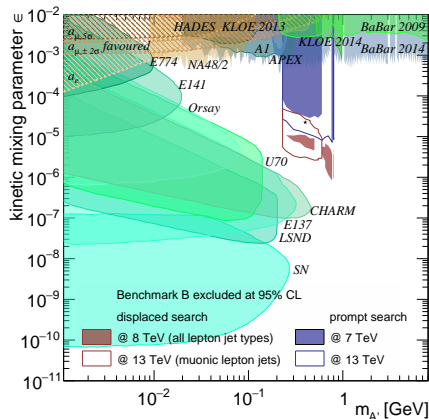


Detector	$A' \rightarrow e^+e^-$	$A' \rightarrow \mu^+\mu^-$	$A' \rightarrow \pi^+\pi^- / K^+K^-$	$A' \rightarrow \pi^+\pi^-\pi^0$	$A' \rightarrow K_S^0 K_L^0$
LJ type	2 (calorimeter)	0 (muonic)	2 (calorimeter)	2 (calorimeter)	2 (calorimeter)
ID	track	track	track	track	(✓)
ECAL	EM fraction	✓	✓	EM fraction	(✓)
HCAL	✓	✓	✓	✓	✓

Exclusion Limits



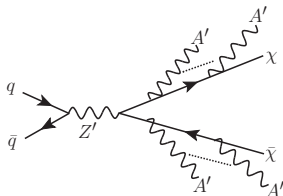
(a)



(b)

Summary

- Semi-analytic description of dark photon radiation via recursive integration and Mellin transform
→ Good agreement with Monte Carlo
- Recast of prompt and displaced ATLAS searches
→ Powerful limits on not yet tested parameter space
- Large improvement at 13 TeV expected



Backup

	7 TeV	13 TeV
Benchmark A	0.8	109
Benchmark B	3.9	334
All background data	0.5 ± 0.3	30 ± 18
	3	

	0-0	0-1	0-2	1-1	1-2	2-2
Cosmic ray bkg.	15	0	14	0	0	11

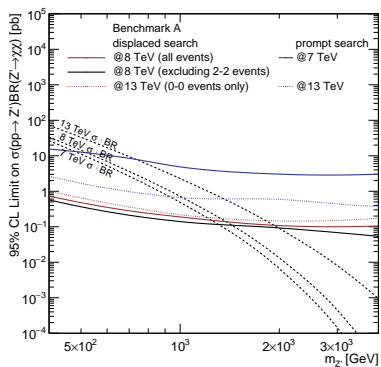
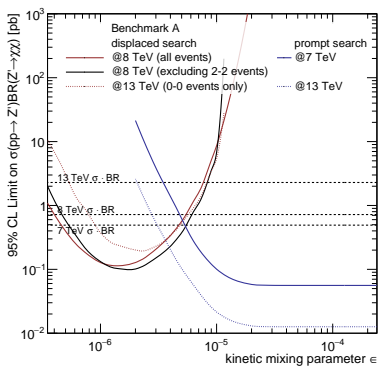
8 TeV

Muli-jet bkg.	0-0	0-1	0-2	1-1	1-2	2-2
Benchmark A	14	3	104	0	14	200
Benchmark B	2.1	0.4	3.0	0	0.3	1.2
data	11	0	11	4	3	90

13 TeV

Benchmark A	169
Benchmark B	28

Backup



Backup

