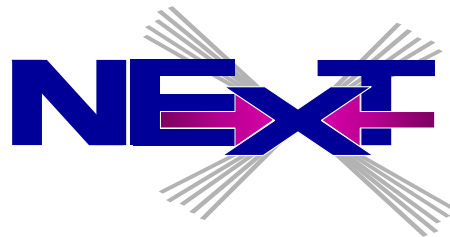


Flasy 2016, Valparaiso, 28-30 Sep 2016

Prospect for Charged Higgs Boson Searches at Colliders

Stefano Moretti (NExT Institute)



Introduction

EWSB dynamics based on Higgs mechanism in SM unsatisfactory

Theory: Higgs boson mass is unstable under radiative corrections (hierarchy problem)

Experiment: Higgs boson discovered in 2012@LHC

Mass (125 GeV) requires NP below Plank scale (vacuum not stable)

Appropriate to explore implications of more complicated Higgs models

Doublet Higgs nature: 2HDMs (see K Yagyu's & I Ivanov's talks for 3HDMs)

Three major constraints to go BSM:

1. EWPTs:

$$\rho \equiv \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} \approx 1$$

2. Limits on the existence of FCNCs

3. BSM Higgses (notably charged ones) may alter (heavy) flavour data

4. Properties of h(125 GeV) state (SM-like) & limits on companions

Electroweak ρ parameter is experimentally close to 1

 constraints on Higgs representations

$$\rho \equiv \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} = \frac{\sum_{T,Y} [4T(T+1) - Y^2] |V_{T,Y}|^2 c_{T,Y}}{\sum_{T,Y} 2Y^2 |V_{T,Y}|^2} \approx 1 ,$$

$$V_{T,Y} = \langle \phi(T, Y) \rangle, \quad c_{T,Y} = \begin{cases} 1, & (T, Y) \in \text{complex representation} \\ \frac{1}{2}, & (T, Y) \in \text{real representation} \end{cases}$$

Real representation: consists of a real multiplet of fields with integer weak isospin and zero hypercharge

Take $c(T, Y) = 1$

$$\rho=1 \rightarrow (2T+1)^2-3Y^2=1.$$

Thus doublets ($T=1/2$, $Y=+1$ or -1) can be added without problems with ρ . Other representations possible ($T=3$, $Y=4$) but rather complicated.

For 'bad' Higgs representations, there are two ways fwd:

1. Take a model with multiple 'bad' Higgs representations and arrange a 'custodial' $SU(2)$ symmetry among the copies (i.e., VEVs arranged suitably), so that $\rho=1$ at tree-level. This can be done for triplets (see MA Diaz' talk).
2. One can choose arbitrary Higgs representations and fine tune the Higgs potential parameters to produce $\rho=1$. This may appear unnatural and we won't consider it here either.

General 2HDM

Take SM with exactly two Higgs doublets ϕ_1 and ϕ_2  $\rho=1$.

The **simplest extension** of the SM with charged Higgs bosons

Five physical Higgs bosons: **h, H, A, H[±]**

The scalar potential

$$V(\phi_1, \phi_2) = \lambda_1 (\phi_1^+ \phi_1 - v_1^2)^2 + \lambda_2 (\phi_2^+ \phi_2 - v_2^2)^2 + \lambda_3 [(\phi_1^+ \phi_1 - v_1^2) + (\phi_2^+ \phi_2 - v_2^2)]^2 \\ + \lambda_4 [(\phi_1^+ \phi_1)(\phi_2^+ \phi_2) - (\phi_1^+ \phi_2)(\phi_2^+ \phi_1)] + \lambda_5 [\text{Re}(\phi_1^+ \phi_2) - v_1 v_2 \cos \xi]^2 \\ + \lambda_6 [\text{Im}(\phi_1^+ \phi_2) - v_1 v_2 \sin \xi]^2$$

Take λ_i 's real, $\xi=0$, $\langle \phi_1 \rangle = \begin{pmatrix} 0 \\ v_1 \end{pmatrix}$, $\langle \phi_2 \rangle = \begin{pmatrix} 0 \\ v_2 e^{i\xi} \end{pmatrix}$, $\tan \beta = \frac{v_2}{v_1}$

Goldstone $G^\pm = \phi_1^\pm \cos \beta + \phi_2^\pm \sin \beta$,

Charged Higgs $H^\pm = -\phi_1^\pm \sin \beta + \phi_2^\pm \cos \beta$,

$$\text{with } m_{H^\pm}^2 = \lambda_4 (v_1^2 + v_2^2), \quad m_W^2 = g^2 (v_1^2 + v_2^2) / 2,$$

Absence of (tree-level) FCNCs  constraints on Higgs couplings

In SM FCNC automatically absent as same operation diagonalising the mass matrix diagonalises the Hff couplings. Not so in 2HDMs.

Again, there are two ways fwd:

1. Make responsible Higgs masses large (1 TeV or more) so that tree-level FCNCs mediated by Higgs are suppressed to comply with experimental data (unattractive phenomenologically).
2. Glashow & Weinberg theorem more elegant: FCNCs absent in models with more than one Higgs doublet if all fermions of a given electric charge couple to no more than one Higgs doublet.

\mathbb{Z}_2 symmetry (Natural Flavour Conservation)

Type I: one Higgs doublet provides masses to all quarks (up- and down-type quarks) (\sim SM).

Type II: one Higgs doublet provides masses for up-type quarks and the other for down-type quarks (\sim MSSM).

Type III,IV: different doublets provide masses for down type quarks and charged leptons.

Interactions of H^\pm with the fermions

- Four types of 2HDM (without tree-level flavour changing currents mediated by scalars)

	X	Y	Z
Type I	$-\cot\beta$	$\cot\beta$	$-\cot\beta$
Type II	$\tan\beta$	$\cot\beta$	$\tan\beta$
Type IV (Lepton-specific)	$-\cot\beta$	$\cot\beta$	$\tan\beta$
Type III (Flipped)	$\tan\beta$	$\cot\beta$	$-\cot\beta$

Type III also Type Y
Type IV also Type X

$$\mathcal{L}_{H^\pm} = - \left\{ \frac{\sqrt{2}V_{ud}}{v} \bar{u} (m_d X P_R + m_u Y P_L) d H^+ + \frac{\sqrt{2}m_e}{v} Z \bar{\nu}_L \ell_R H^+ + H.c. \right\}$$

- Models I and II were in the Higgs Hunters' Guide and are well studied; Model II is the structure in SUSY models
- Only a few studies on H^\pm in Type IV (Lepton-specific) and Type III (Flipped) models prior to 2009, but now the phenomenology is well-studied

If the \mathbb{Z}_2 symmetry of the Yukawas holds in the Higgs potential, entire model symmetric: absence of CP-Violation (CPV)

Consider softly broken \mathbb{Z}_2 -symmetric 2HDM for CPV: $m_{12}^* (\phi_1^\dagger \phi_2) + h.c.$

How to recognise a 2HDM realisation?

H^{\pm} BRs can be very different from type to type (eg, $\tau\nu$) \longrightarrow

$\tan\beta$ is important for phenomenology!

For processes which depend only on quark sector, types II and IV are similar, more than types I and III are

Gauge/Higgs (self-) interactions blur the distinction

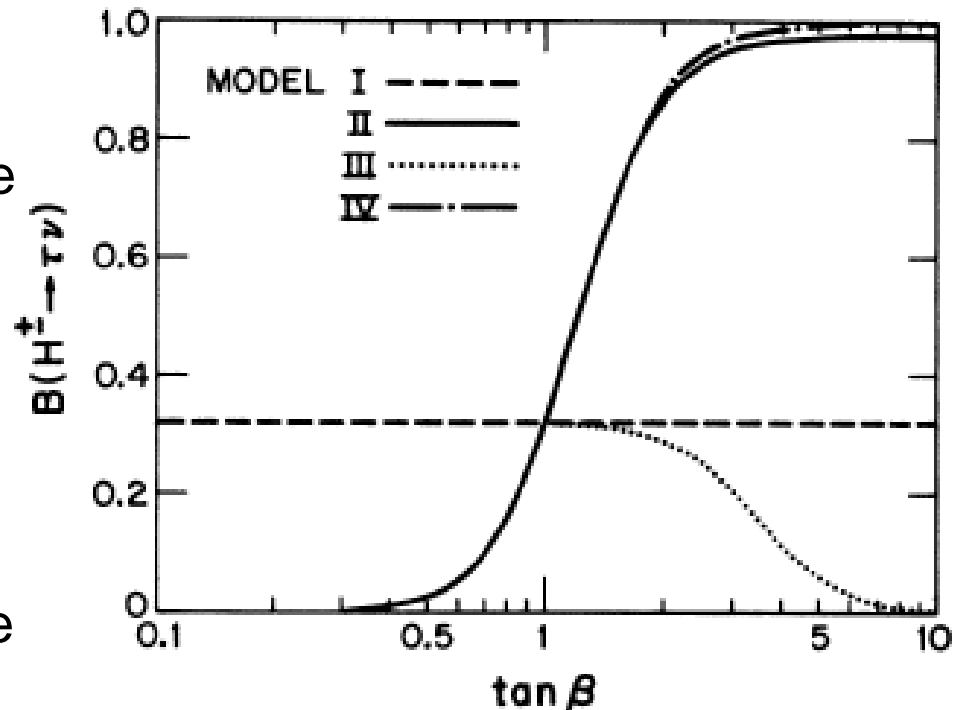


FIG. 1. The branching fraction $B(H^{\pm} \rightarrow \tau\nu)$ vs $\tan\beta$ in models I–IV. We take $m_c = 1.5$ GeV, $m_s = 0.15$ GeV, $m_\tau = 1.784$ GeV, $|V_{cs}| = 1.0$, and $m_{H^\pm} < m_t - m_b$.

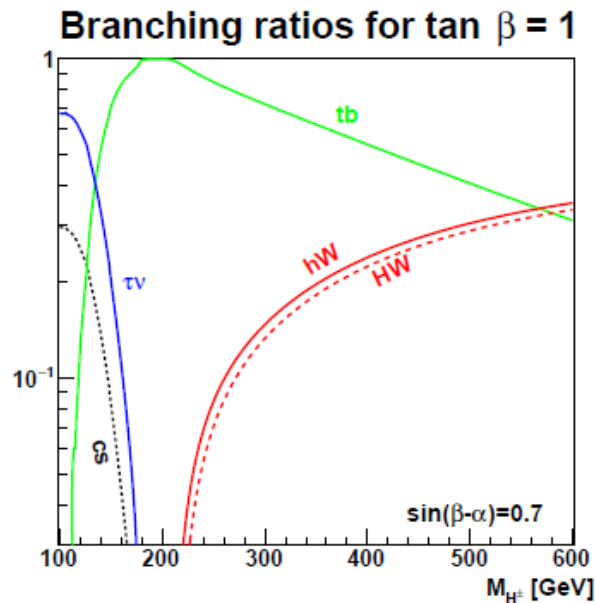
Gauge couplings

$$H^\mp W^\pm h : \frac{\mp ig}{2} \cos(\beta - \alpha)(p_\mu - p_\mu^\mp),$$

$$H^\mp W^\pm H : \frac{\pm ig}{2} \sin(\beta - \alpha)(p_\mu - p_\mu^\mp),$$

$$H^\mp W^\pm A : \frac{g}{2}(p_\mu - p_\mu^\mp).$$

Can be large at any $\tan \beta$
especially at large masses away
from top-bottom threshold



$$(M_H, M_A) = (130 \text{ GeV}, M_{H^\pm})$$

($\tan \beta = 1$: all 2HDM types are the same)

Charged-Higgs branching ratios vs M_{H^\pm} , for $\tan \beta = 1$ and $\sin(\beta - \alpha) = 0.7$.

Charged Higgs boson decays

1. Fermionic:

$$H^+ \rightarrow c\bar{s},$$

$$H^+ \rightarrow c\bar{b},$$

$$H^+ \rightarrow \tau^+ \nu_\tau,$$

$$H^+ \rightarrow t\bar{b},$$

2. To gauge bosons (only one-loop):

$$H^+ \rightarrow W^+ \gamma,$$

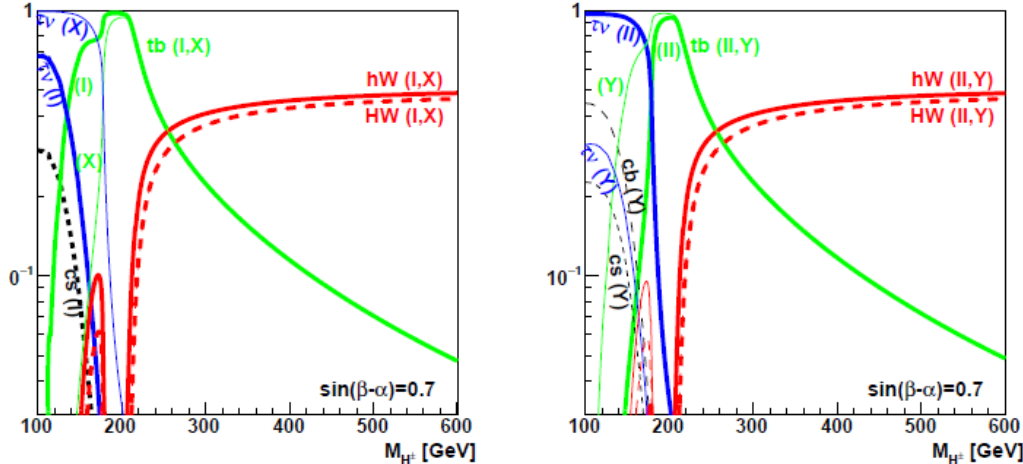
$$H^+ \rightarrow W^+ Z,$$

3. To other Higgs bosons too:

$$H^+ \rightarrow H_j W^+$$

Branching ratios vs M_{H^\pm}

Branching ratios for $\tan \beta = 3$



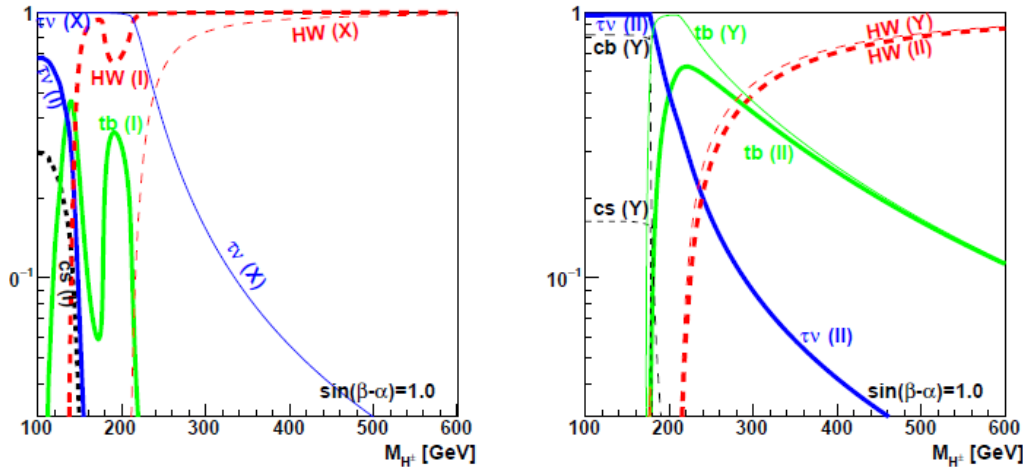
Left: I & X

Right: II & Y

Top: $\sin(\beta - \alpha) = 0.7$

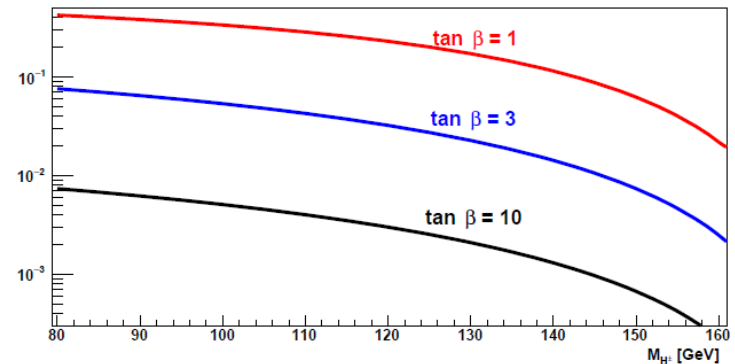
Bottom: $\sin(\beta - \alpha) = 1$

Branching ratios for $\tan \beta = 30$



Top decay to H^+b

Model I: $\text{BR}(t \rightarrow H^+b) \times \text{BR}(H^+ \rightarrow \tau\nu)$



$(M_H, M_A) = (130 \text{ GeV}, M_{H^\pm})$

Model II: min $\rightarrow H^+b\bar{t}$
 @ $\tan \beta = 6-7 \rightarrow H^-t\bar{b}$

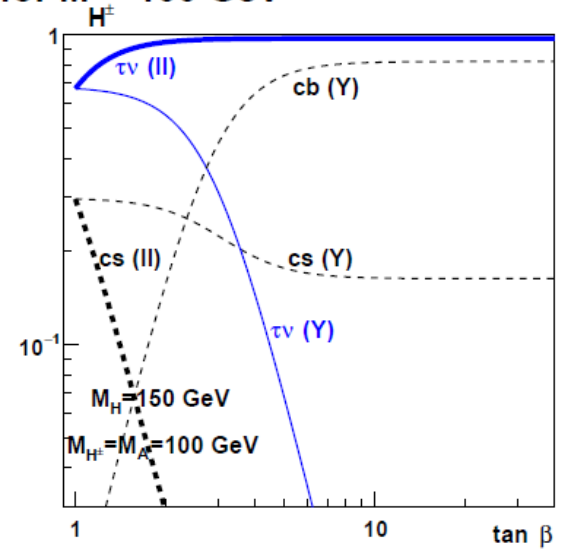
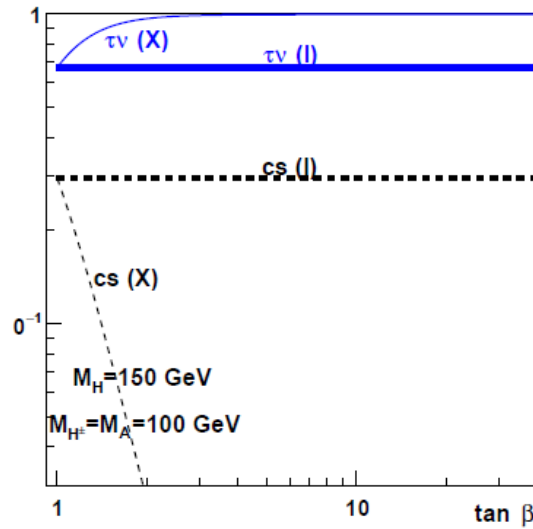
$$\frac{ig}{2\sqrt{2}m_W} V_{tb} [m_b(1 + \gamma_5) \tan \beta + m_t(1 - \gamma_5) \cot \beta],$$

$$\frac{ig}{2\sqrt{2}m_W} V_{tb}^* [m_b(1 - \gamma_5) \tan \beta + m_t(1 + \gamma_5) \cot \beta].$$

Branching ratios vs $\tan\beta$

Branching ratios for $M_{H^\pm} = 100$ GeV

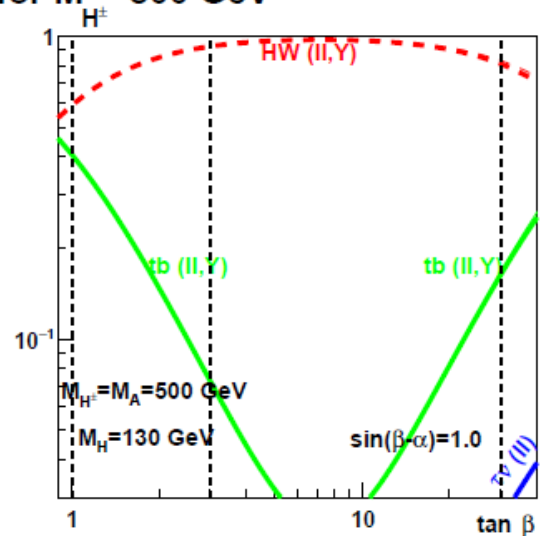
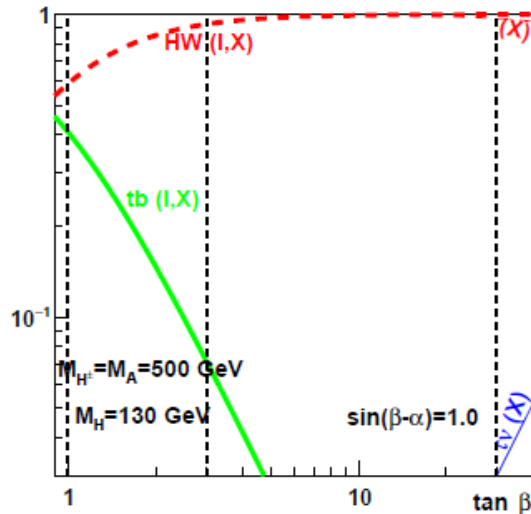
Light H^\pm ($M_{H^\pm} < m_t$)



Branching ratios for $M_{H^\pm} = 500$ GeV

Heavy H^\pm ($M_{H^\pm} > m_t$)

$$\sin(\beta - \alpha) = 1$$



Scenario of large $\text{BR}(H^\pm \rightarrow cb)$

For $m_{H^\pm} < m_t$

- $\text{BR}(H^\pm \rightarrow \tau\nu)$ and $\text{BR}(H^\pm \rightarrow cs)$ dominate in three versions of the 2HDM (Model I, Model II, Model IV)
- $\text{BR}(H^\pm \rightarrow cb)$ is always $< 1\%$ due to small V_{cb}

A distinctive signal of H^\pm from a 3HDM would be:

Large $\text{BR}(H^\pm \rightarrow cb)$ Grossman 94, Akeroyd/Stirling 94

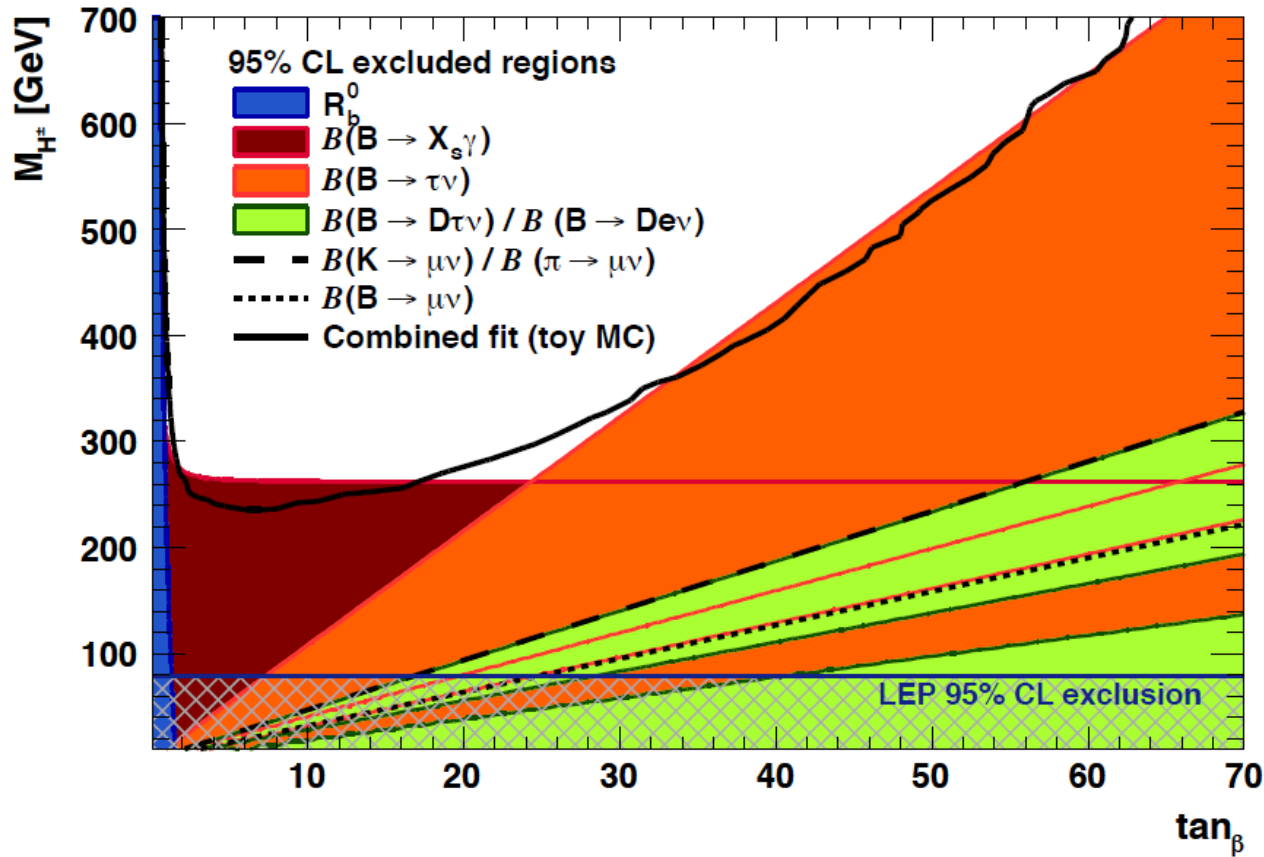
The necessary condition is: $|X| \gg |Y|, |Z|$

- This condition is possible in the 2HDM-III (aka Flipped 2HDM)
- ATLAS/CMS $H^\pm \rightarrow cs \rightarrow$ applies to case of dominant $H^\pm \rightarrow cb$
- Estimate gain in sensitivity as:

$$\frac{[S/\sqrt{B}]_{\text{btag}}}{[S/\sqrt{B}]_{\text{cbtag}}} \sim \frac{\epsilon_b \sqrt{2}}{\sqrt{(\epsilon_j + \epsilon_c)}} \sim \boxed{2.13}$$

Low-energy constraints

Model II 95% CL exclusion regions in the $(\tan \beta, M_{H^\pm})$ plane.

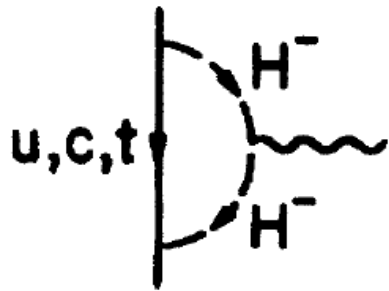


Also:

B^0/\bar{B}^0 mixing, muon anomalous magnetic moment, electron EDM, S & T parameters

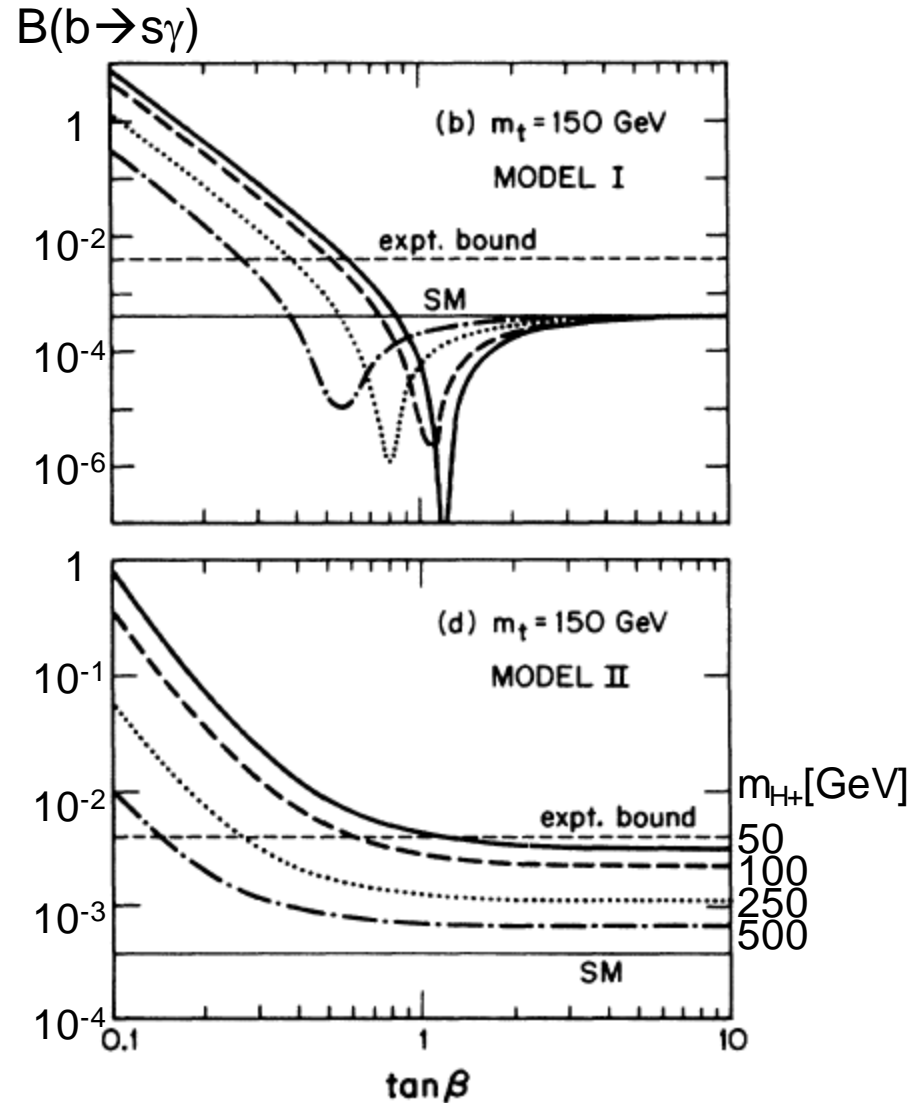
Limits from $b \rightarrow s\gamma$ in 2HDM

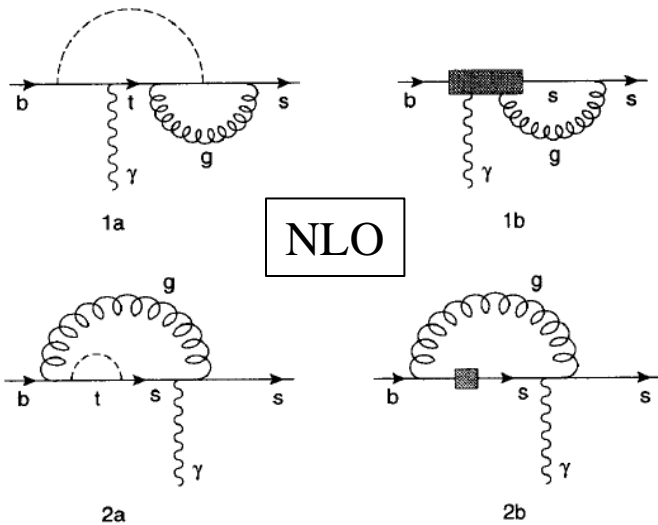
In model II the contribution is always bigger than in the SM, while in model I one can have strong cancellations due to $-\cot \beta$ in the coupling.



THDM II: $m_{H^+} > (244 + 63/\tan \beta) \text{ GeV@LO}$

(Grinstein/Springer/Wise, 1990)





Now NNLO QCD results for SM and 2HDM (Misiak et al)

2HDM-II ($\tan\beta \rightarrow \text{infinity}$):

$$M_{H^\pm} > 480 \text{ GeV} \quad \text{at 95\% C.L.},$$

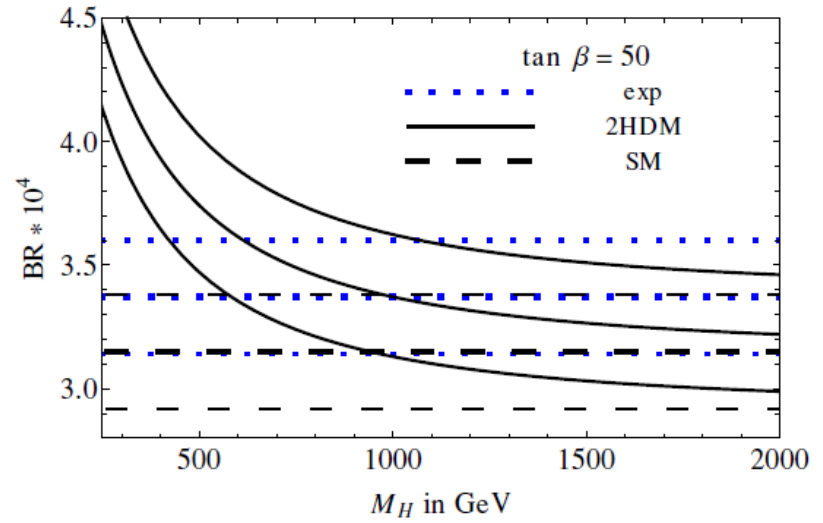
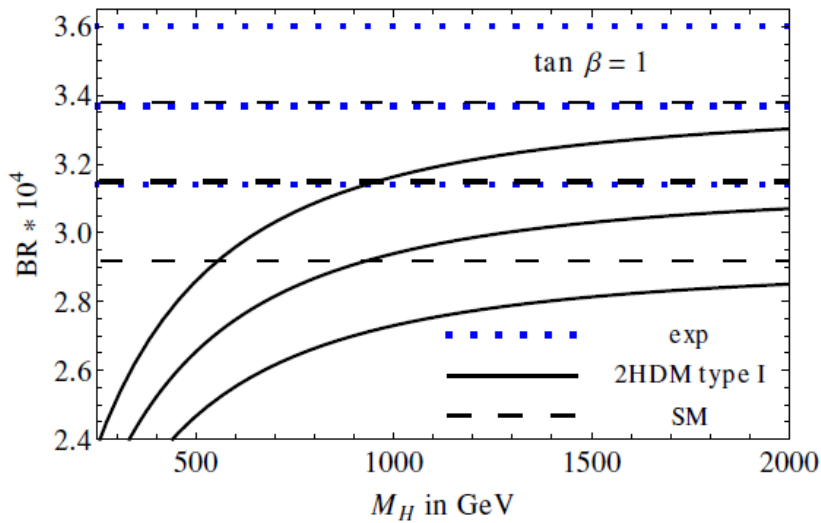
$$M_{H^\pm} > 358 \text{ GeV} \quad \text{at 99\% C.L.}$$

Models II and Y

$$m_{H^\pm} \gtrsim 360 \text{ GeV}$$

Best available bound on the charged Higgs mass

Any $\tan\beta$



(Shown are central values with $\pm 1\sigma$ shifts.)

High-energy constraints

Charged Higgs mass limit from LEP: pair production is model independent

Assumed decay channels

$$H^+ \rightarrow c\bar{s}, \tau^+\nu$$

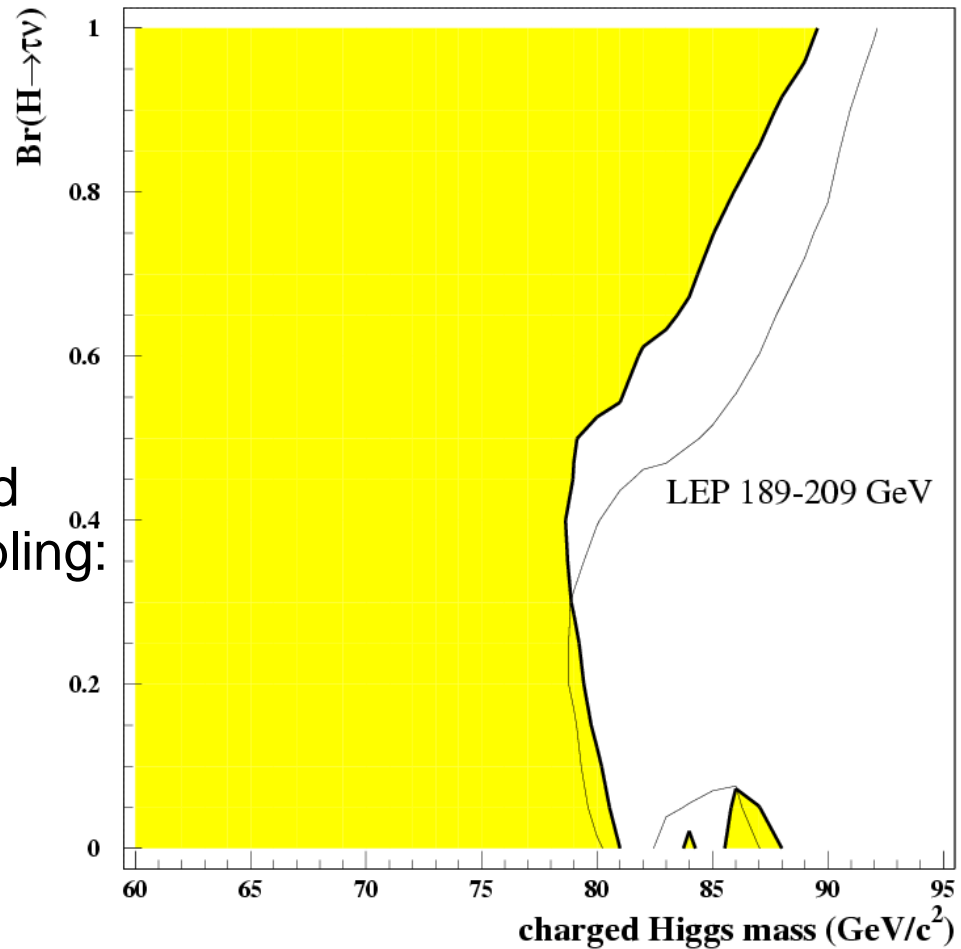
→ Saturate BRs

$$m_{H^+} > 78.6 \text{ GeV}$$

Note that photon/Z to charged Higgs coupling is gauge coupling:
(ie, no model dependence)



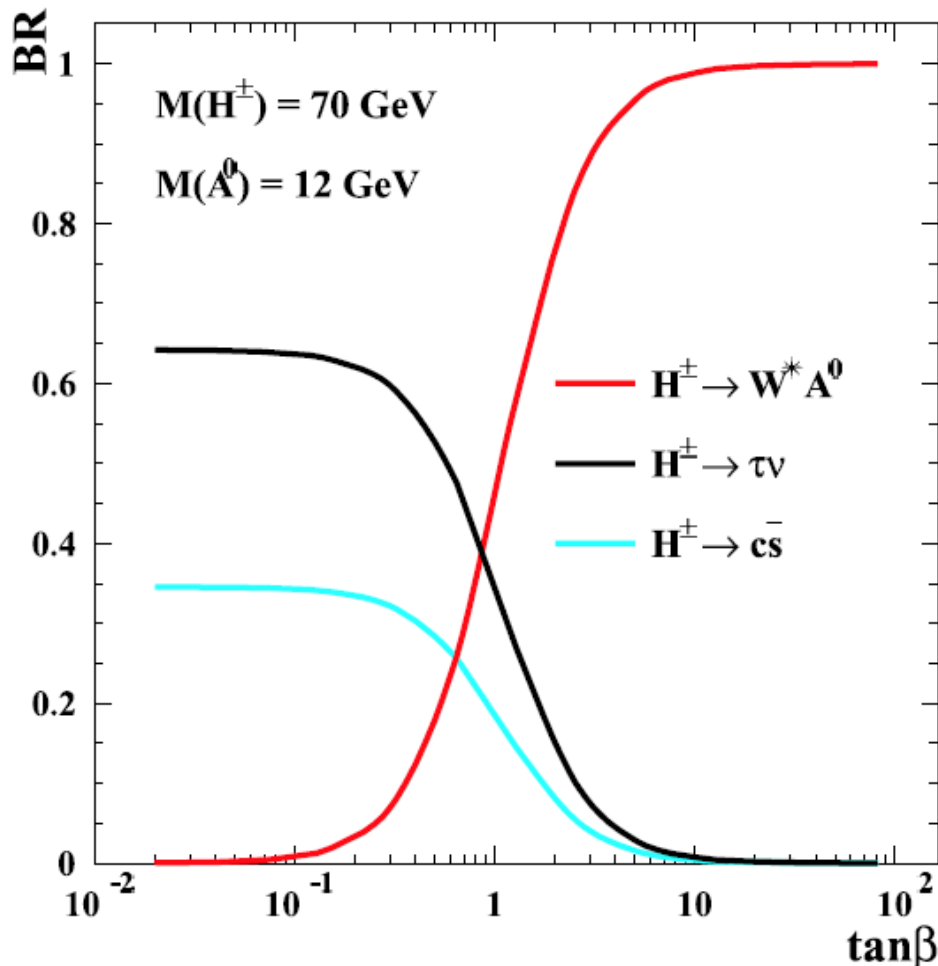
Irreducible WW background
overwhelming above 80 GeV



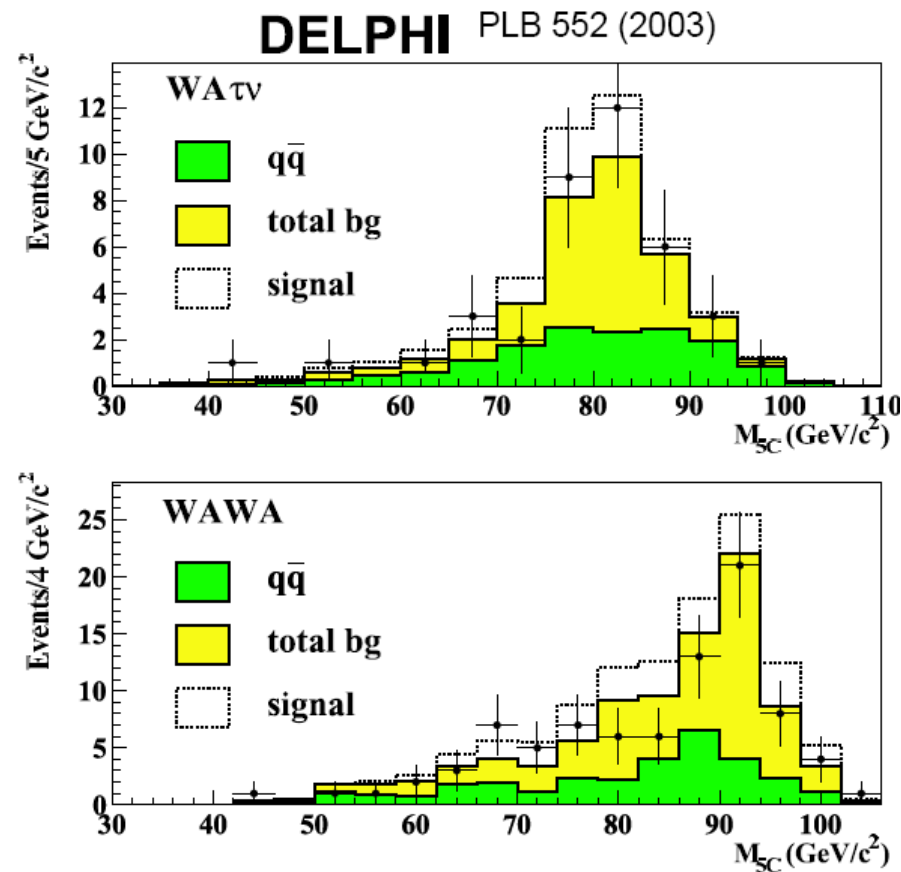
LEP Higgs working group,
LHWG note 2001-05.

Less well known is the LEP search for the decay mode H^+ to AW^* (with A to bb) by DELPHI, 2004.

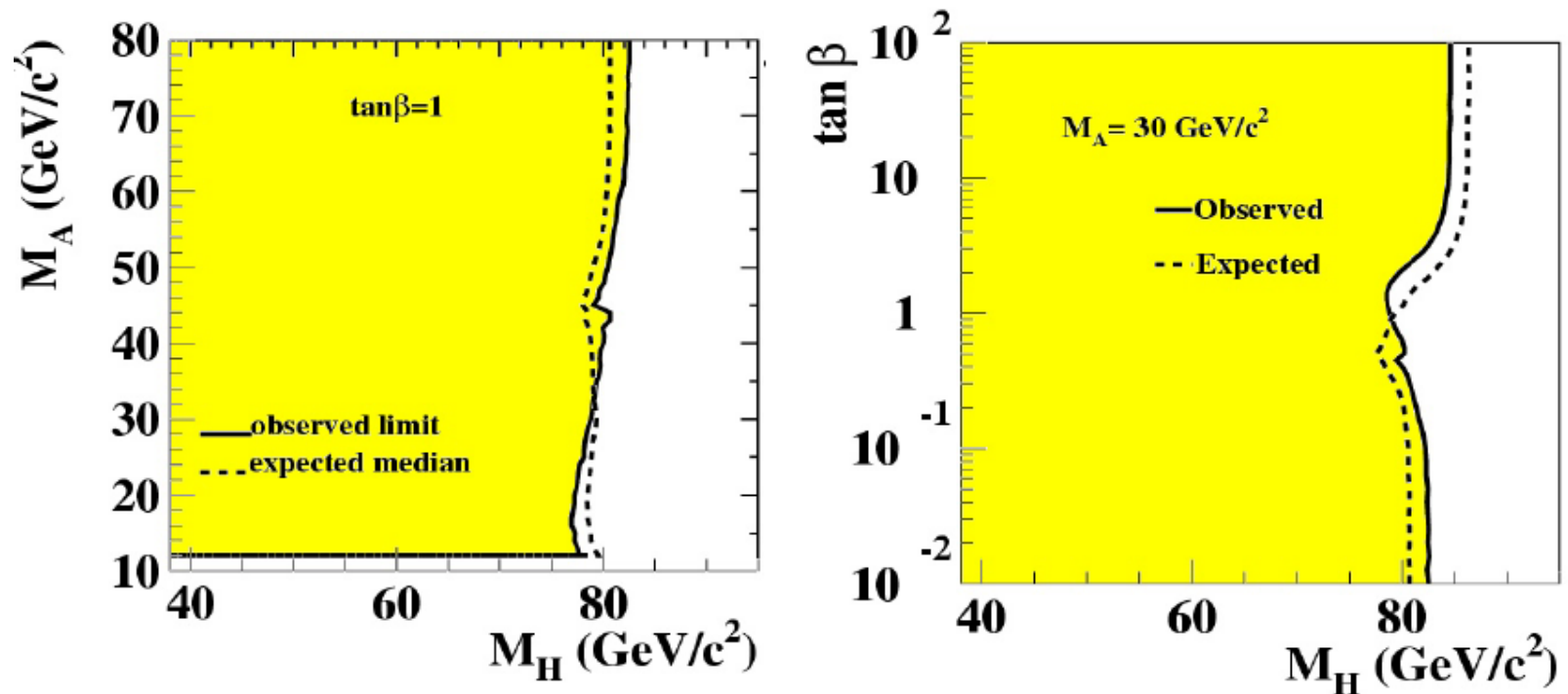
In the 2HDM (type I) this decay mode can be dominant: [Akeroyd, 1999](#) & [Borzumati/Djouadi, 2002](#).



(In Type II ruled out by $b \rightarrow s \gamma$ at such small charged Higgs mass.)



DELPHI Limits from $H^+ \rightarrow WA$



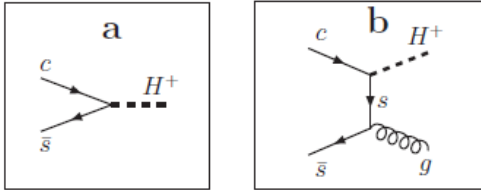
- Type-1 limit at 95% CL: $m_{H^+} > 76.7$ (77.1) GeV for any $\tan\beta$ and $m_A > 12$ GeV.

-
- * Limit in Model I weakened somewhat
 - * Still only limit which is (largely) model independent

H^+ production mechanisms at the LHC

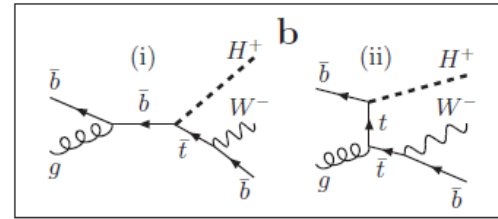
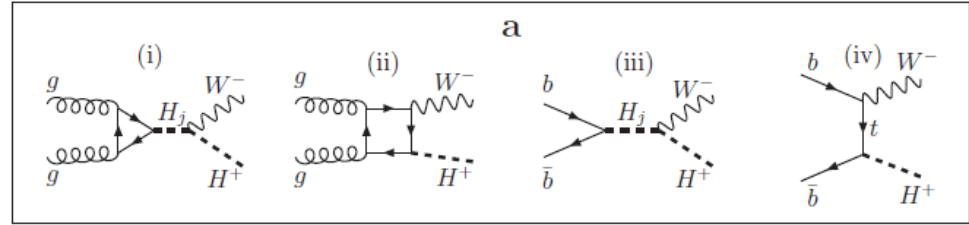
$$c\bar{s} \rightarrow H^+,$$

$$c\bar{s} \rightarrow H^+g.$$



$$gg, b\bar{b} \rightarrow W^- H^+,$$

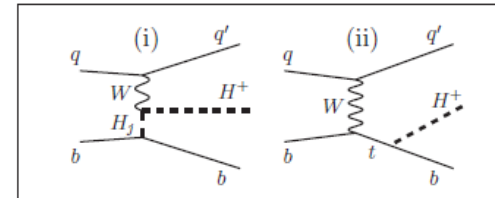
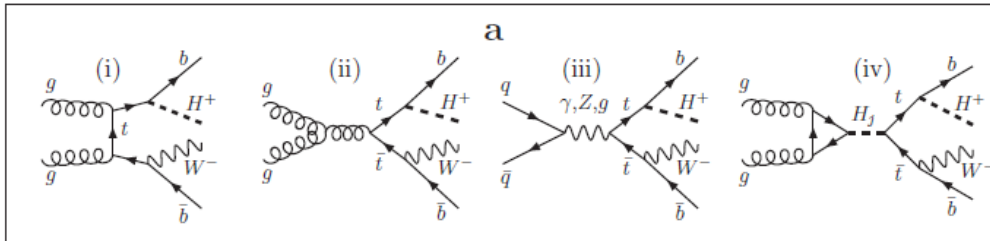
$$g\bar{b} (\rightarrow t\bar{H}^+) \rightarrow \bar{b}W^- H^+.$$



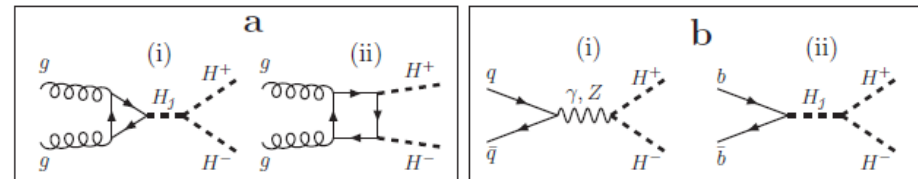
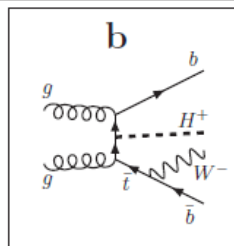
$$gg, q\bar{q}, b\bar{b} (\rightarrow t\bar{t} \rightarrow b\bar{t}H^+) \rightarrow b\bar{b}W^- H^+,$$

$$gg (\rightarrow b\bar{t}H^+) \rightarrow b\bar{b}W^- H^+.$$

$$qb \rightarrow q' H^+ b$$



$$gg, q\bar{q}, b\bar{b} \rightarrow H^+ H^-$$

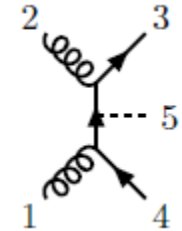


Production cross sections

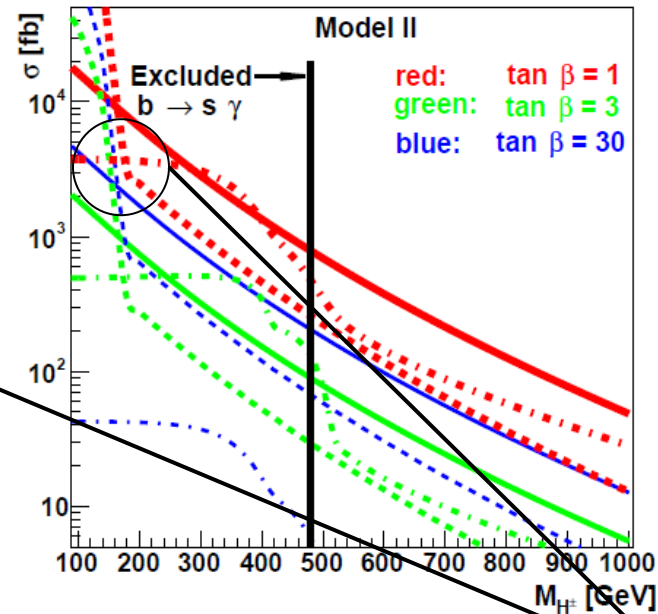
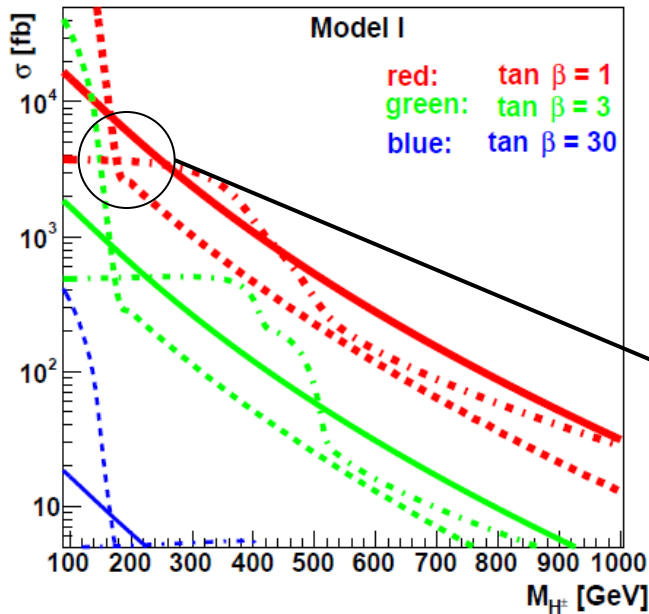
- “fermionic”: $g\bar{b} \rightarrow H^+\bar{t}$, Solid
- “fermionic”: $gg \rightarrow H^+b\bar{t}$, Dotted
- “bosonic”: $gg \rightarrow H_j \rightarrow H^+W^-$, Dot-dashed

These are actually the same process

$$g_1 g_2 \rightarrow t_3 \bar{b}_4 H_5^-$$



Cross sections $pp \rightarrow H^\pm X$



LHC:
 $\sigma = O(100 \text{ pb})$
 at small mass,
 yet rapidly
 decreasing

$$(M_H, M_A) = (500, 600) \text{ GeV}$$

$$\sin(\beta - \alpha) = 1$$

Model X is ~ like II

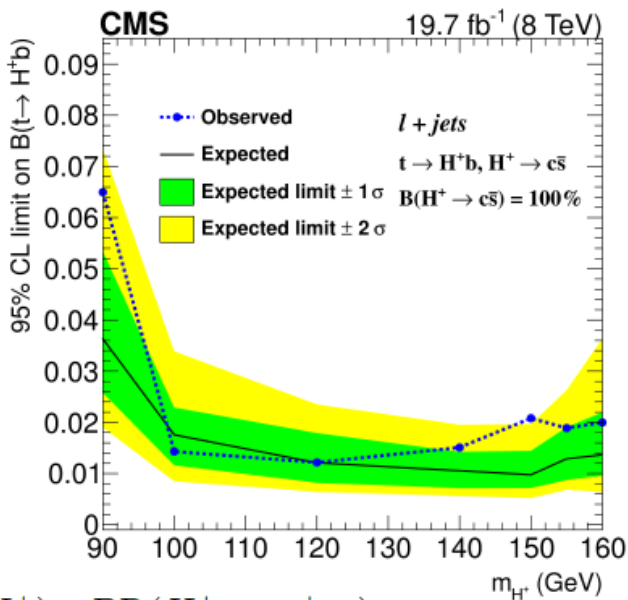
Model Y is ~ like I

$t \rightarrow bH^\pm$ up to
 $M_{H^\pm} < m_t$

LHC constraints (already Run 1's supersede Tevatron ones)



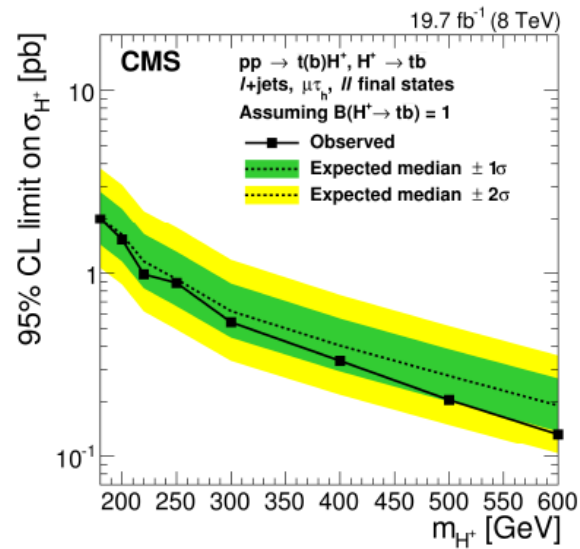
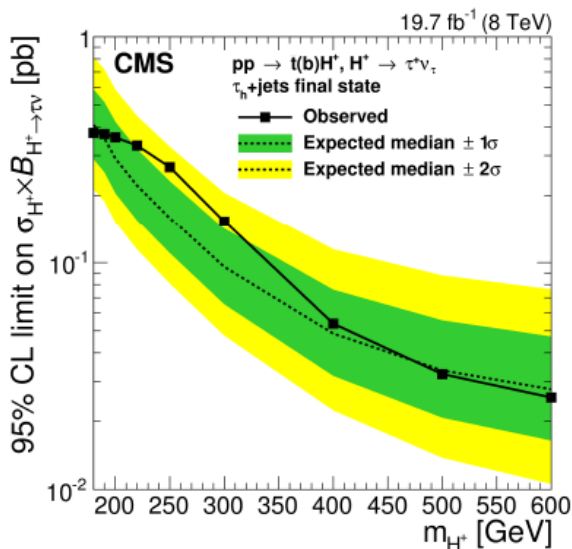
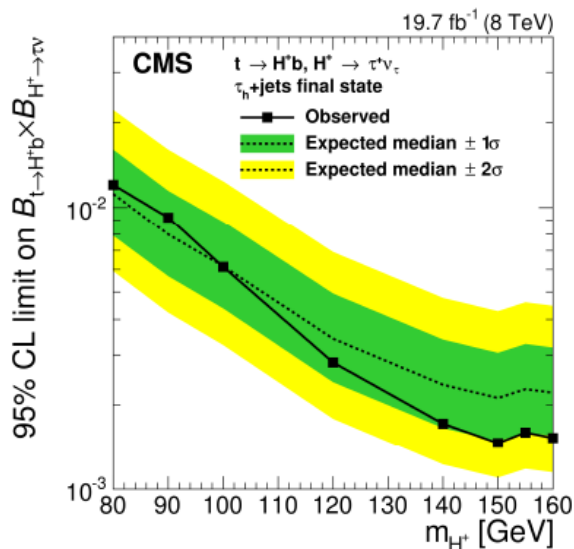
Limits from cs



Limits from tau-nu

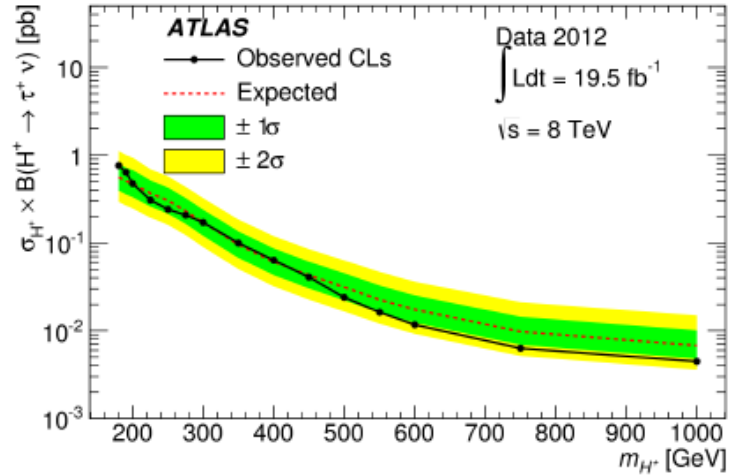
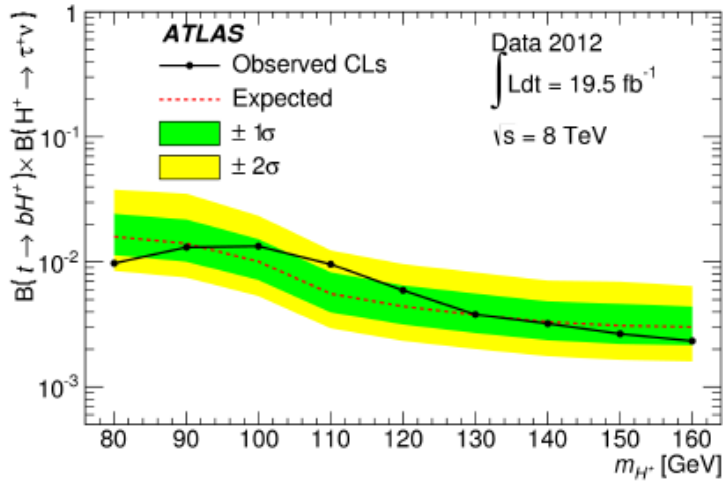
$$BR(t \rightarrow H^+ b) \times BR(H^+ \rightarrow \tau^+ \nu_\tau) \sigma(pp \rightarrow t(b)H^+) \times BR(H^+ \rightarrow \tau^+ \nu_\tau)$$

Limits from tb

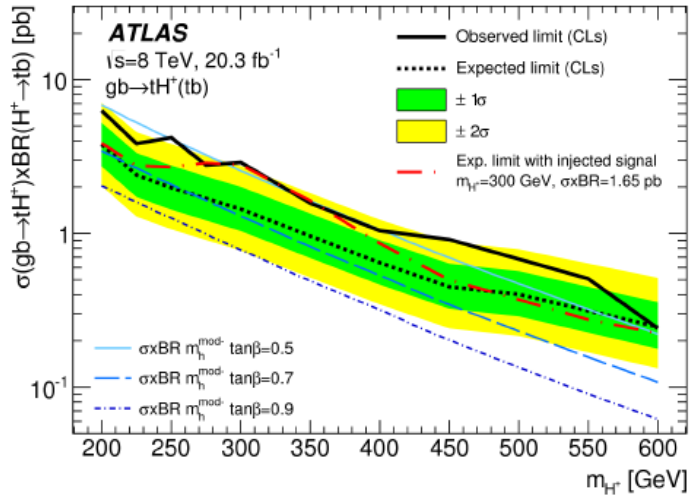


Limits from tau-nu

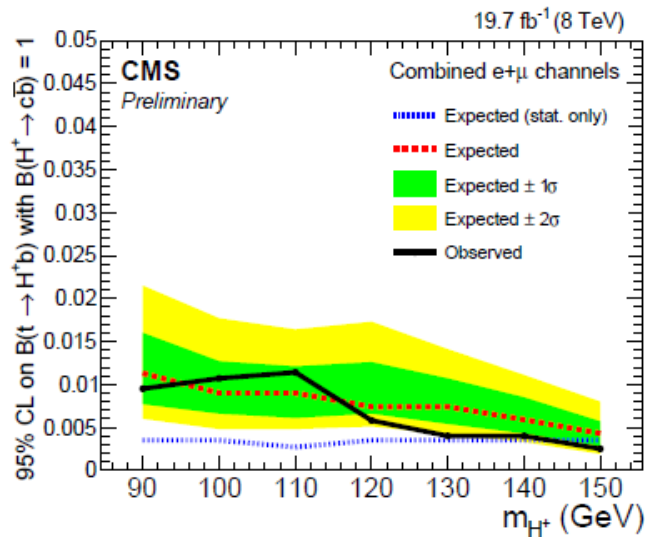
ATLAS



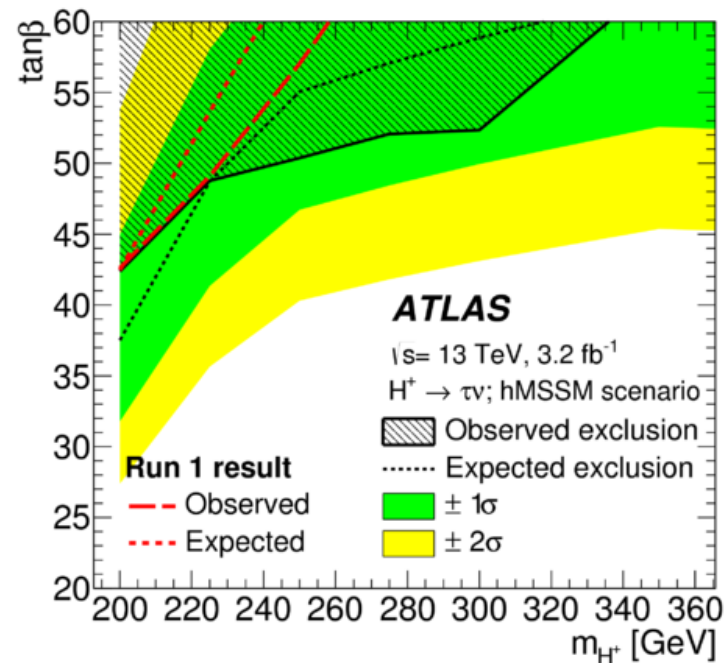
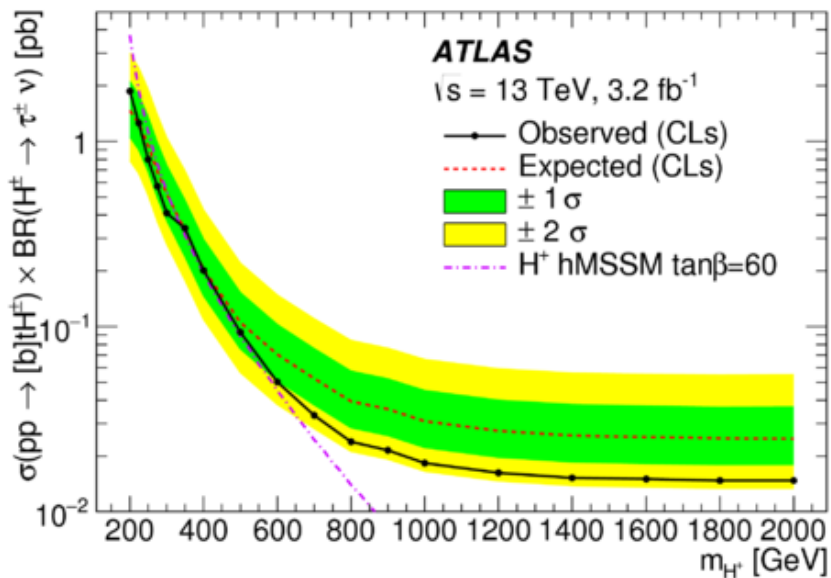
Limits from tb



Limits from cb

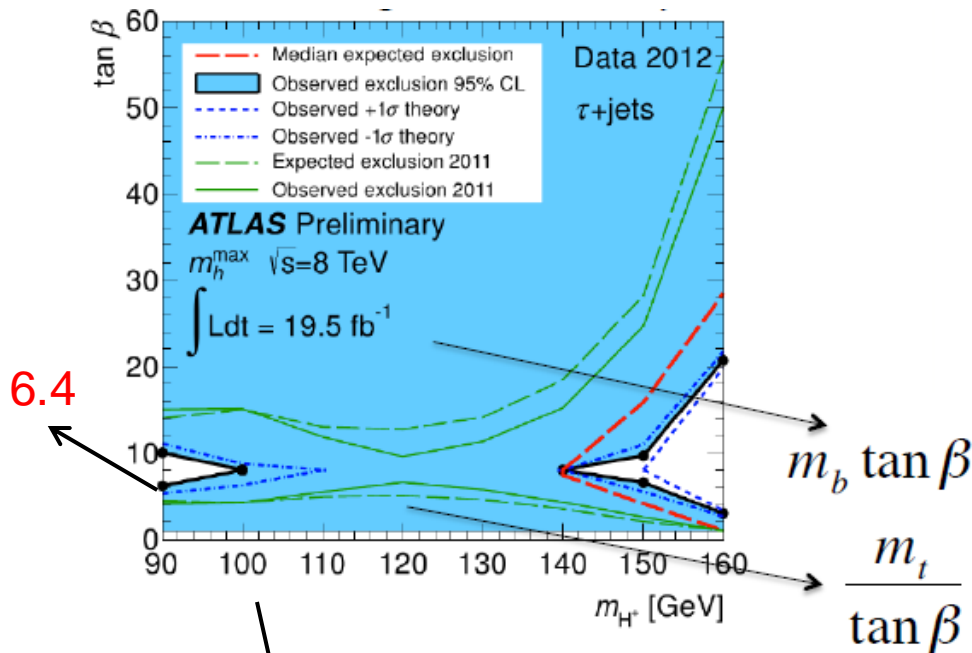


Results from Run 2 ($\tau\nu$) with interpretation



Interpreting exclusion plots (for 7,8 TeV)

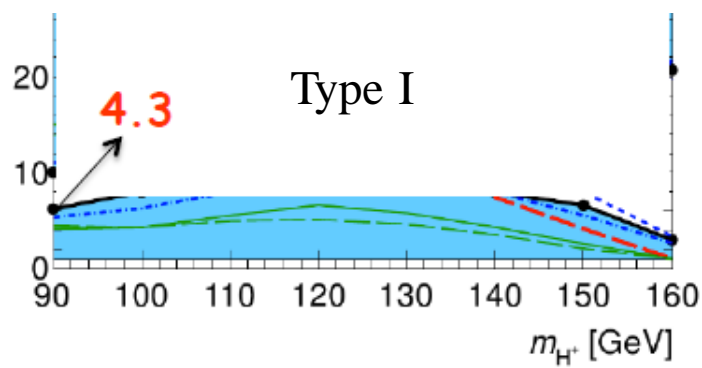
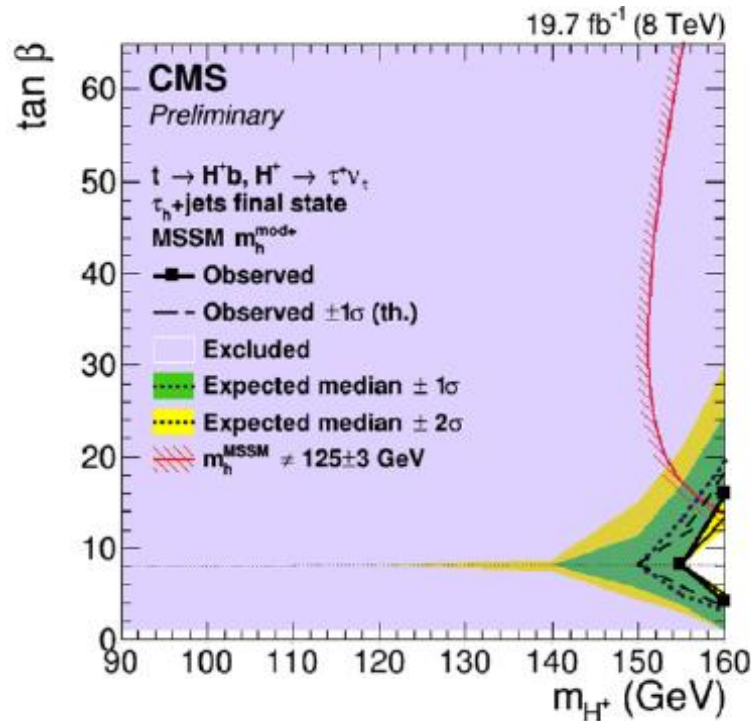
Take tau-nu search & assume 2HDM Type II



6.4

Corrected for
 $BR(H^- \rightarrow \tau \bar{\nu})$

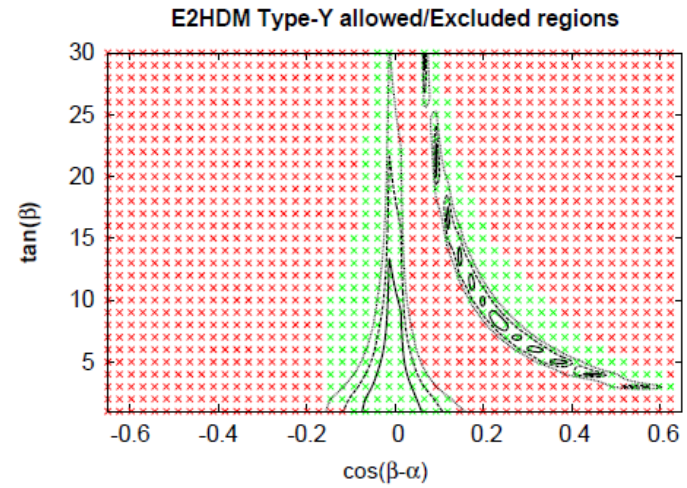
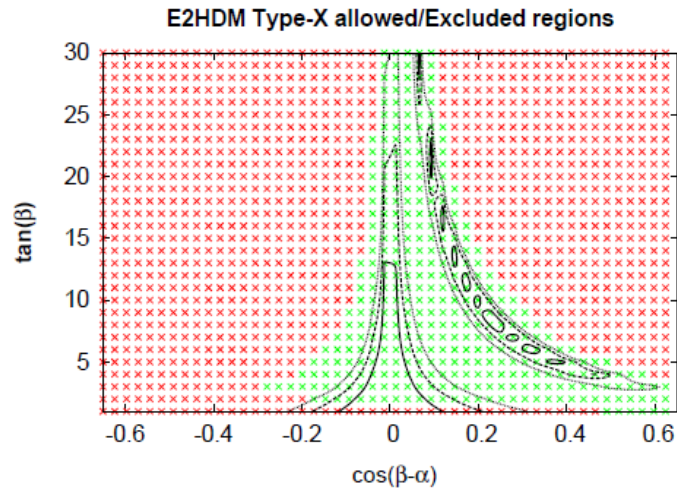
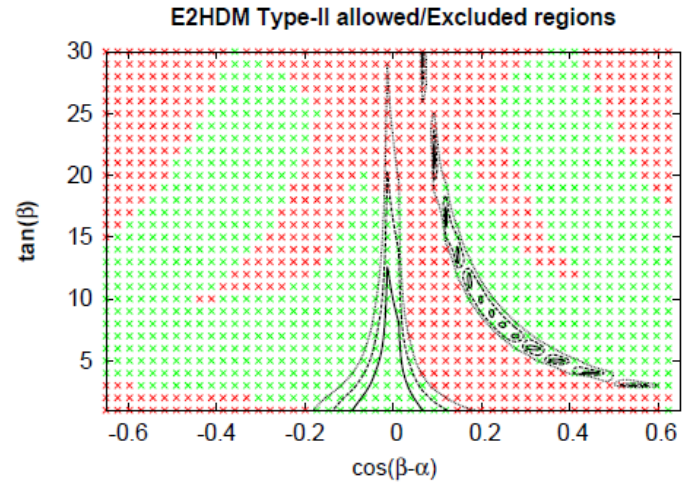
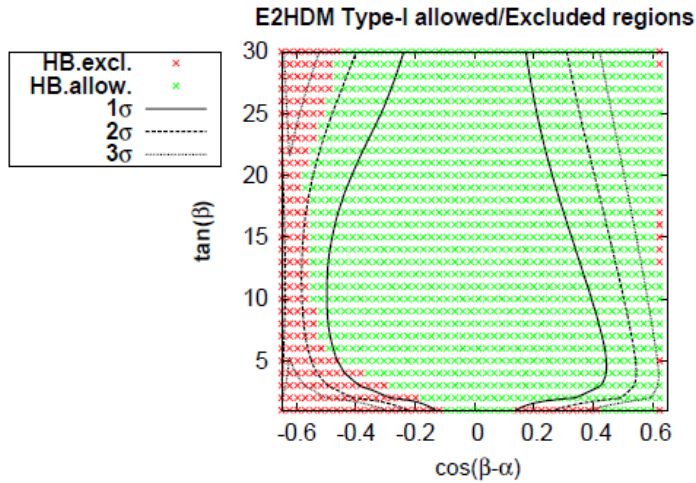
$m_{H^+} = 90 \text{ GeV}$	I	II	F	LS
$\tan \beta$	4.3	6.4	3.2	5.2



4.3

Indirect constraints from $h(125)$ properties ($\gamma\gamma$ & γZ , $h(\text{SM})H+H-$ coupling)

$$m_h = 125 \text{ GeV}, m_H = m_{H^+} = m_A = 500 \text{ GeV}$$



Additional prospects at the LHC (as lumi increases)

Channels for $M_{H^\pm} \lesssim m_t$

Single H^+ production

M_{H^\pm}	100 GeV		150 GeV	
$\tan \beta$	3	10	3	10
$H^+W^-b\bar{b}$ (6.3b)	✓	✓	✓	
H^+bq (6.4)	✓	(✓)	✓	

H^+H^- pair production

M_{H^\pm}	100 GeV			150 GeV		
$\tan \beta$	3	10	30	3	10	30
H^+W^- (6.2a)	✓	(✓)		✓	(✓)	
H^+H^- (6.7a)	✓	✓	✓	✓	✓	✓
$H^+H^-q'Q'$ (6.7b)	✓	✓	✓	✓	✓	✓

Models I and X

Four new production channels coming on line in Run 2

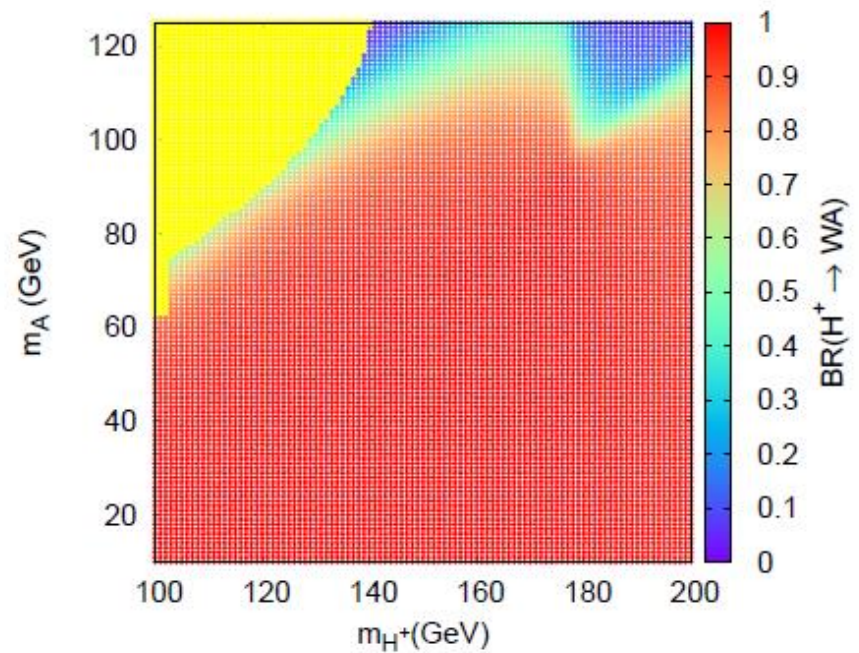
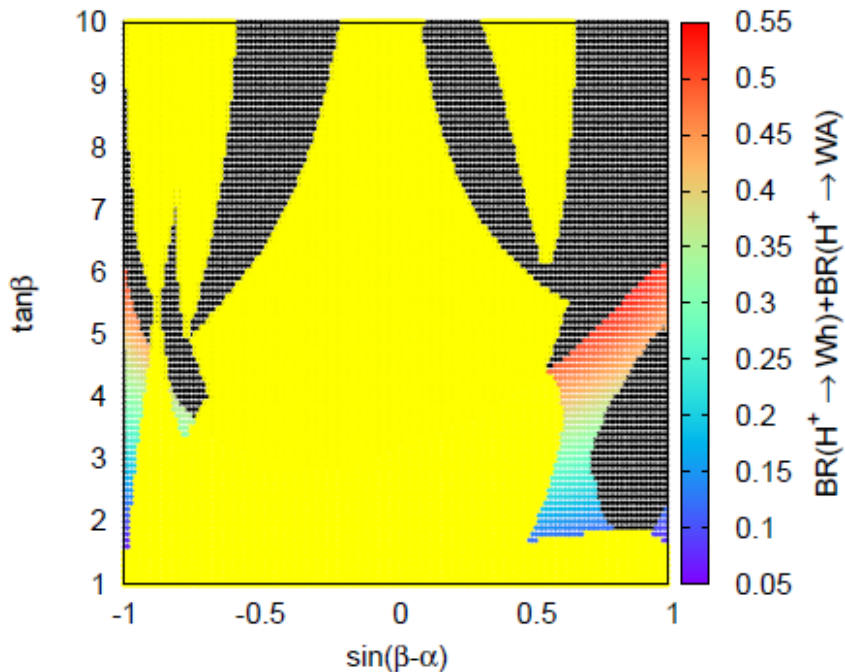
LEP equivalent
@ the LHC

Channels for $M_{H^\pm} > m_t$

$H^+ \rightarrow W^+ H_j \rightarrow W^+ b\bar{b}$ would start playing a role (in most types), eg:

$$pp \rightarrow H^+ W^- X \rightarrow H_1 W^+ W^- X \rightarrow b\bar{b} \ell \nu jj X$$

Take Type I, also for light charged Higgs bosons if A is light (same culprit as at LEP):



Conclusions

Light SM-like Higgs boson discovered in 2012 incompatible with high scale survival/naturalness of SM

Higgs mechanism established in *doublet* form

Consider then MHDMs in going BSM: 2HDM offers minimal realisation

Three new Higgs states appear in the particle spectrum, one is charged

Several charged Higgs production and decay channels afford sensitivity to various Yukawa structures of a 2HDM

Current limits from direct searches of charged Higgs states exclude significant portions of parameter spaces, yet additional sensitivity is enabled by higher luminosities

Combination of fermionic and bosonic decays of charged Higgs states should afford one with the possibility of both discovery and separation of 2HDM scenarios

Other phenomenology: 1. Can make a doublet inert (DM candidate)
2. Type II can be embedded in SUSY (MSSM, etc.)