

EDM searches on atoms with deformed nuclei: Radium-225



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*October 9th, 2006
Flavour in the Era of the LHC, 4th meeting
EDM and g-2 miniworkshop*

Department of Energy, Office of Science, Nuclear physics

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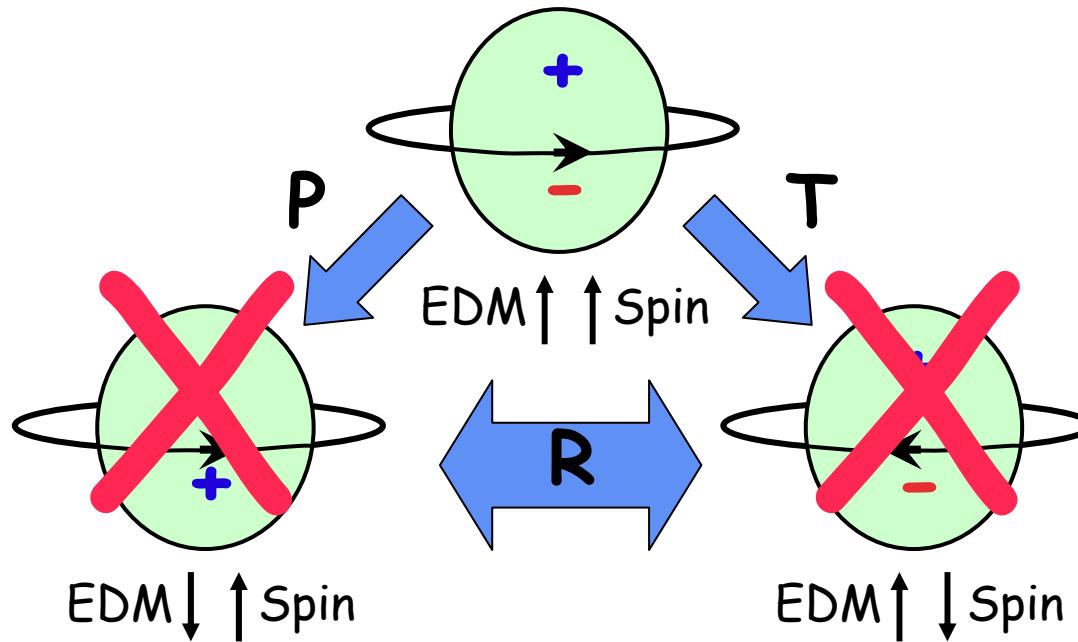
Outline

- EDMs and new physics
- Hg-199
- Enhancement due to octupole deformation
- Ra-225
- Our scheme: laser-cooling + optical dipole trap
- Progress and plans

12	Mg	24.31
20	Ca	40.08
38	Sr	87.62
56	Ba	137.33
88	Ra	(226)

What is an EDM?

A permanent electric dipole moment (EDM) is aligned along the spin axis and violates both time-reversal symmetry and parity

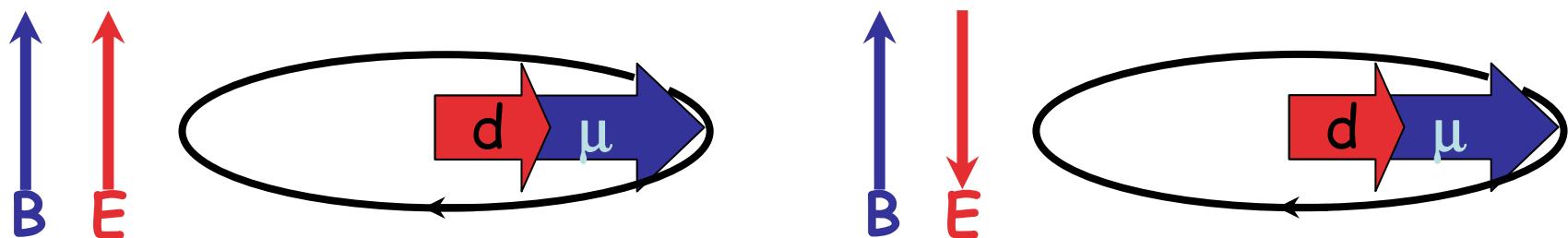


Standard Model predicts EDMs many orders of magnitude below current levels of experimental sensitivity ... BUT

- Theories beyond SM predict EDMs within range of current experiments
- Where has all the antimatter gone? Need stronger CP violation

EDM Measurement

$$H = -(\mu \mathbf{B} + d \mathbf{E}) \cdot \mathbf{I}/I$$



$$\nu_1 = \frac{2\mu B + 2dE}{h}$$

$$\nu_2 = \frac{2\mu B - 2dE}{h}$$

$$d \approx \frac{h(\nu_1 - \nu_2)}{4E} = \frac{h \Delta \nu}{4E}$$

Single atom measured over single coherence time τ :

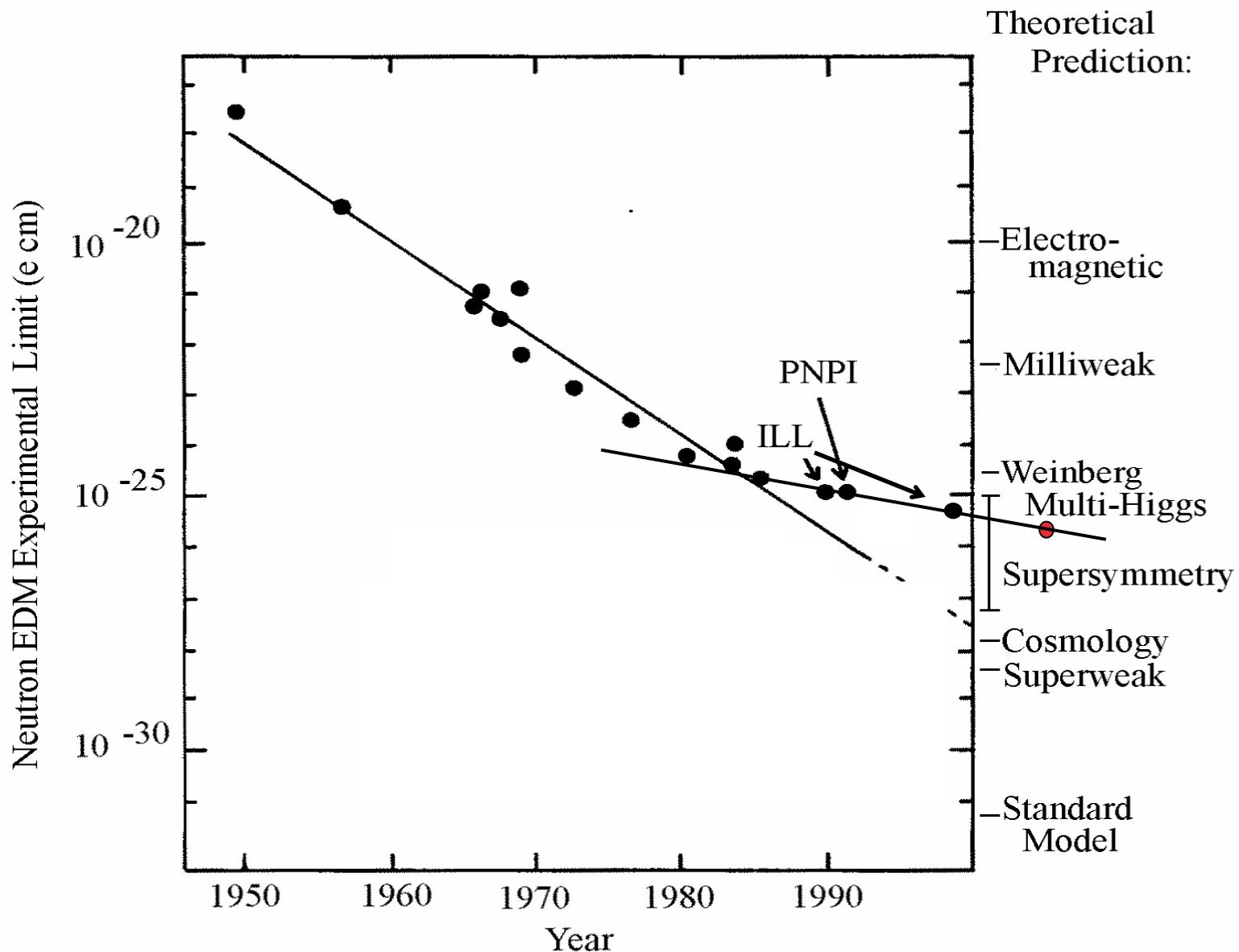
$$\delta d \approx \frac{\sqrt{2}h}{8\pi E \tau}$$



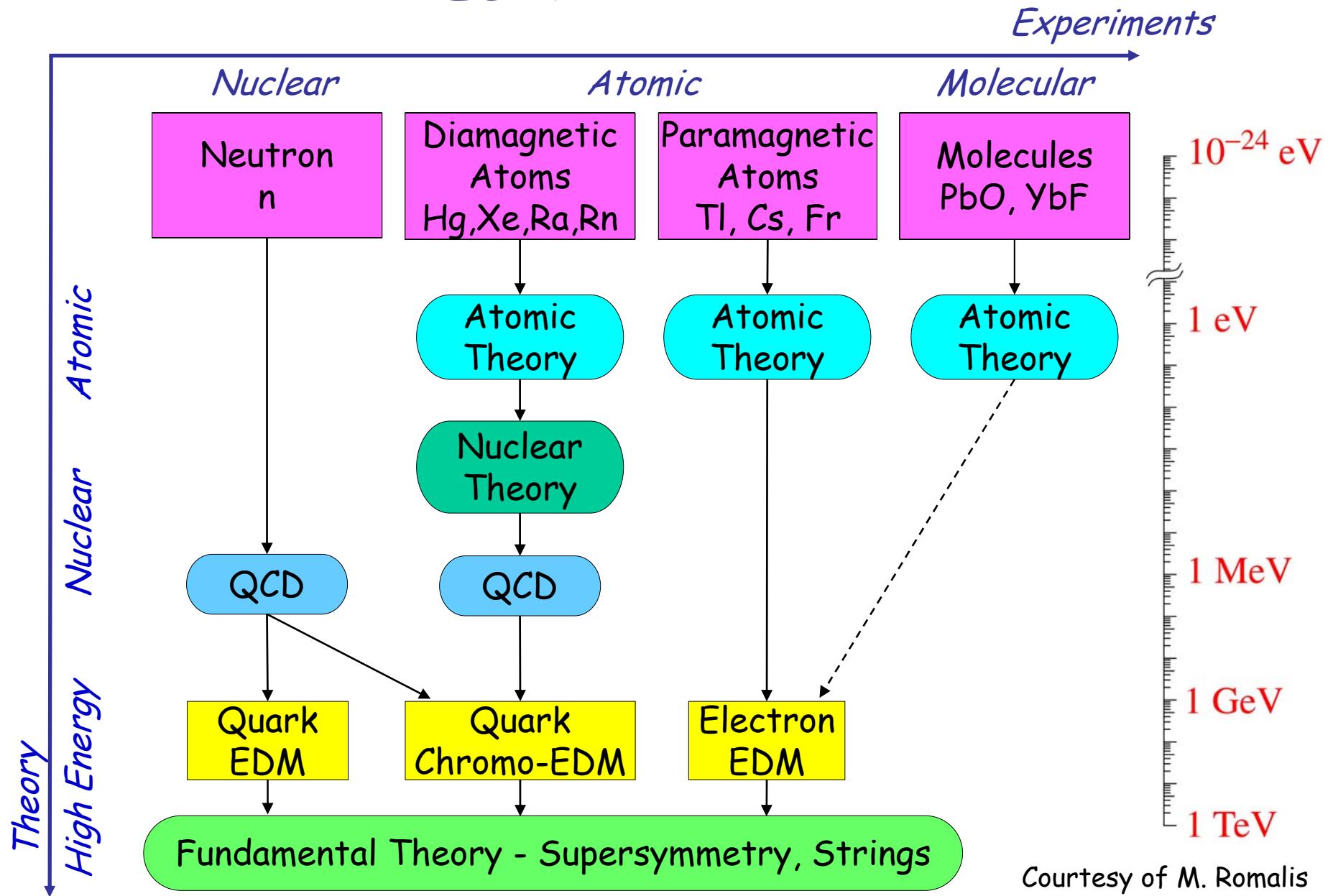
N atoms measured over time T with efficiency ϵ :

$$\delta d \approx \frac{h}{4\pi E \sqrt{\tau N T \epsilon}}$$

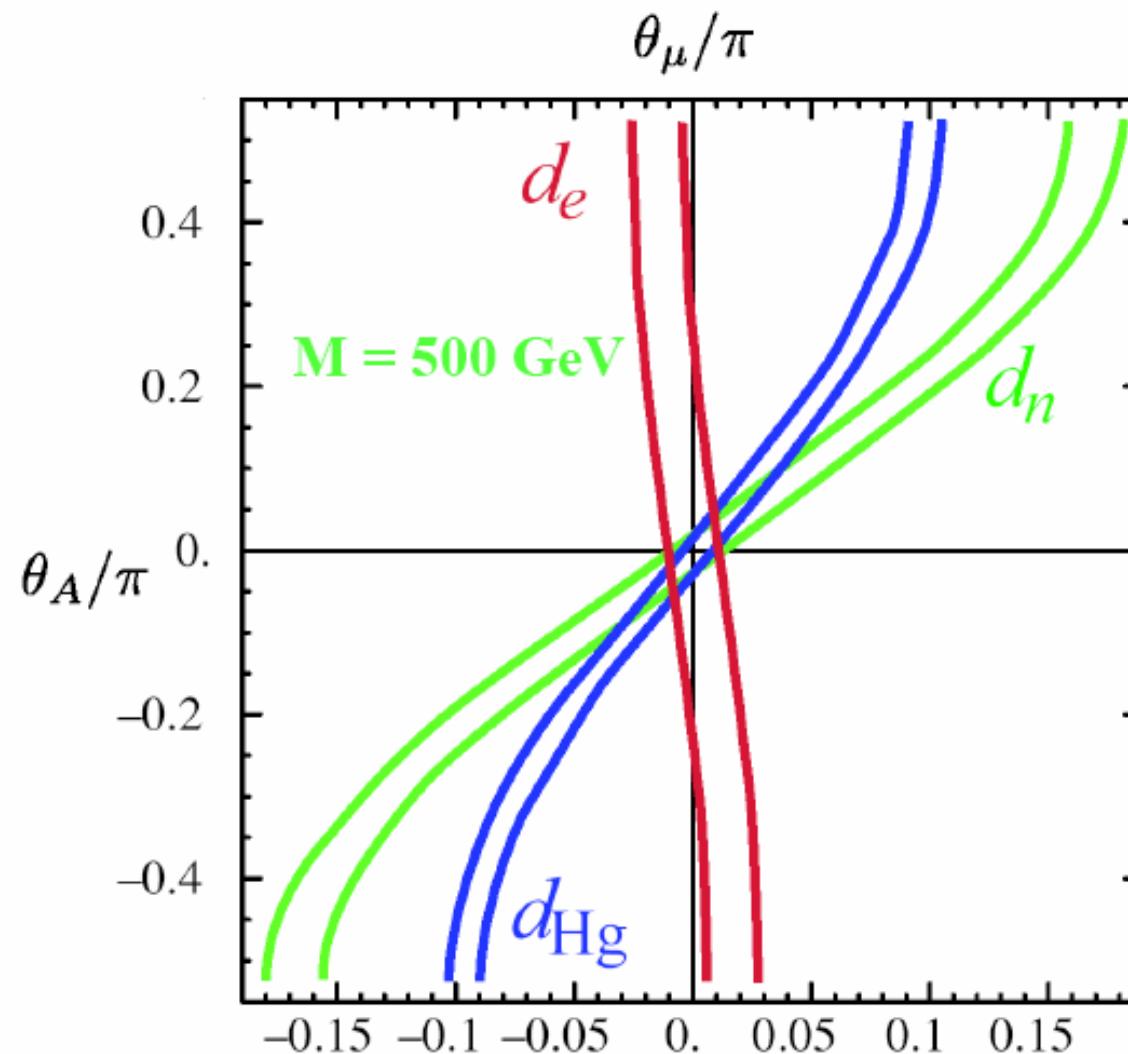
Neutron EDM limits: the first 50+ years



EDM Searches



Limits on CP-violating SUSY phases



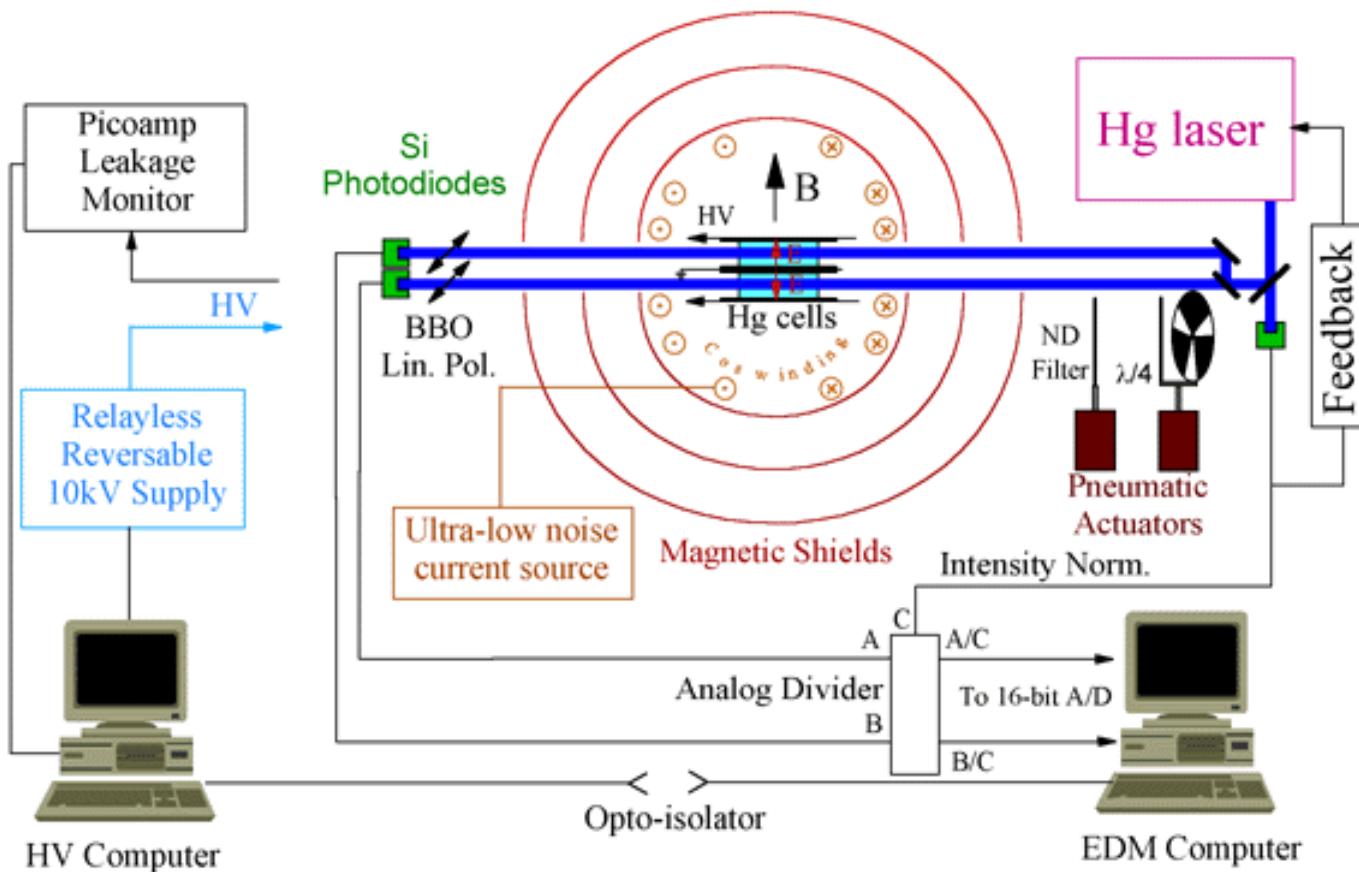
Norval Fortson,
Lepton moments 2006

T. Falk, K. Olive, M. Pospelov, R. Roiban, Nucl.
Phys. B560 3 (1999). Update M. Pospelov.

The Seattle ^{199}Hg EDM Experiment

M. V. Romalis, W. C. Griffith, J. P. Jacobs and E. N. Fortson
Phys. Rev. Lett. 86, 2505 (2001)

$$d(^{199}\text{Hg}) = - (1.06 \pm 0.49 \pm 0.40) \cdot 10^{-28} \text{ e cm}$$



- $E = 10 \text{ kV/cm}$
- $B = 15 \text{ mG}$
- $dB < 25 \text{ ppb (100s)}$
- $dv = 0.4 \text{ nHz}$
- Double cell

T-violating interaction -> atomic EDM

Nuclear charge is screened from applied electric fields by electrons.

But, if dipole moment distribution is different than charge distribution, and there is a gradient in the electronic wavefunction, then the atomic EDM is proportional to the nuclear **Schiff moment**:

$$d_z(V_{PT}) = k S_z(V_{PT})$$

k ↓ ↓
Atomic Nuclear

[10^{-17} cm/fm^3]

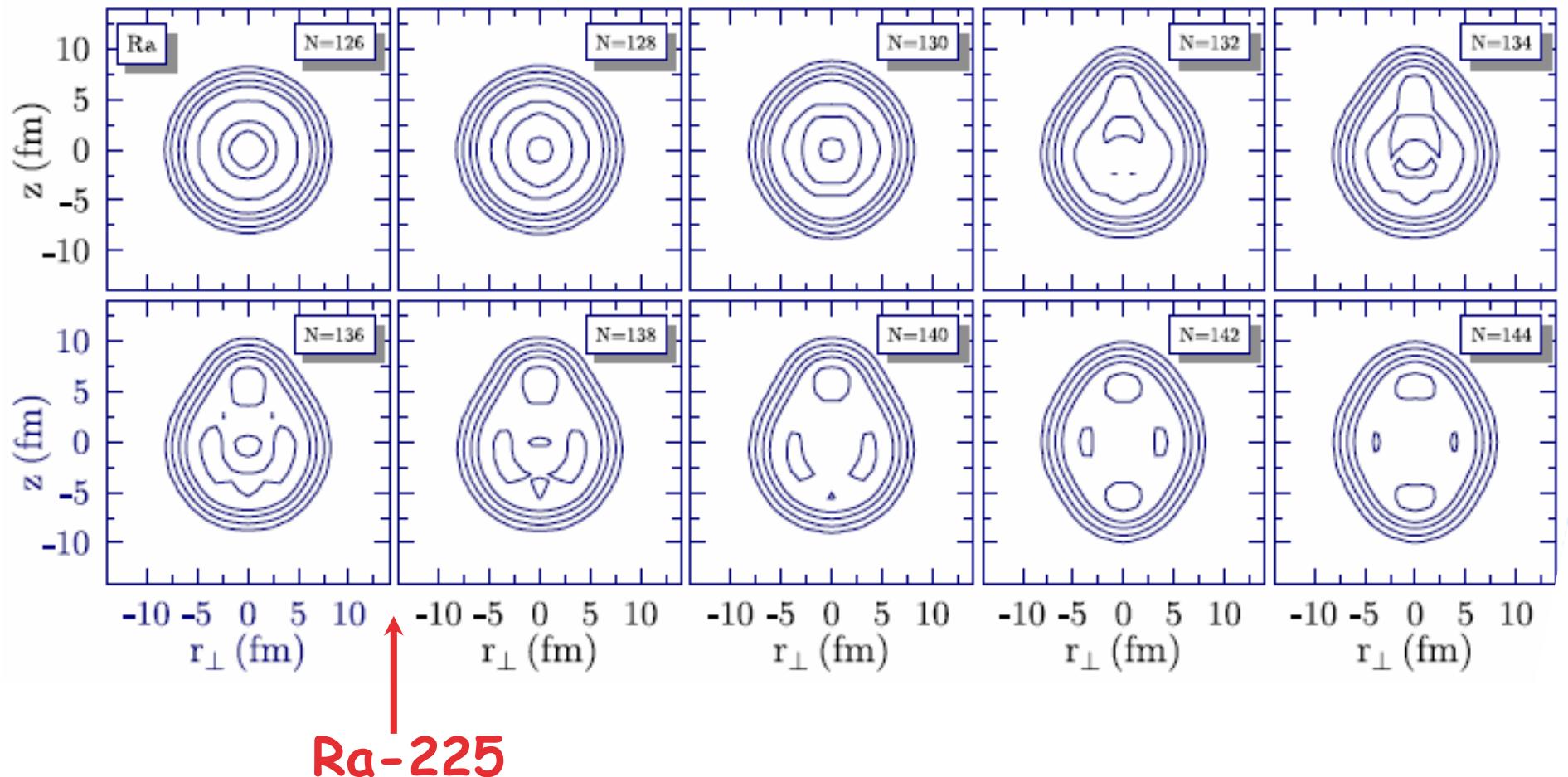
Xe-129	0.38
Hg-199	-2.8
Rn-223	2.0
Ra-225	-8.5

$$\langle \vec{S} \rangle = \left\langle \frac{e}{10} \sum_p \left(r_p^2 - \frac{5}{3} \bar{r}_{ch}^2 \right) \vec{r}_p \right\rangle$$

a 'radially-weighted dipole moment'

Density distributions of the radium isotopes

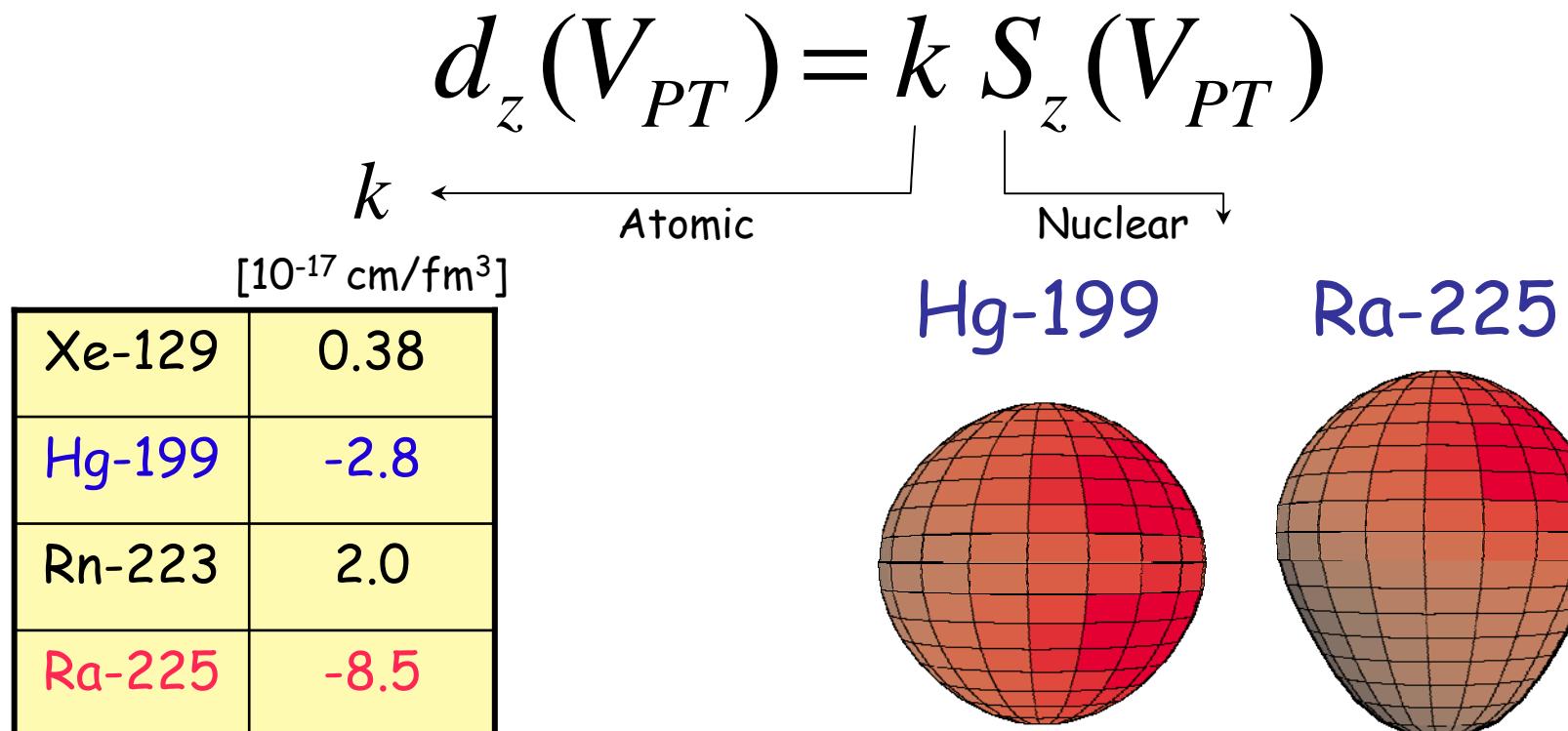
Contours of constant density for series of even-N radium isotopes



T-violating interaction -> atomic EDM

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V.A. Dzuba *et al.*,
PRA 66, 012111 (2002)

Enhancement due to octupole deformation

With no correlation between spin and intrinsic deformation:

$$\langle \Psi^+ | \mathbf{S}_{\text{int}} | \Psi^+ \rangle = 0$$

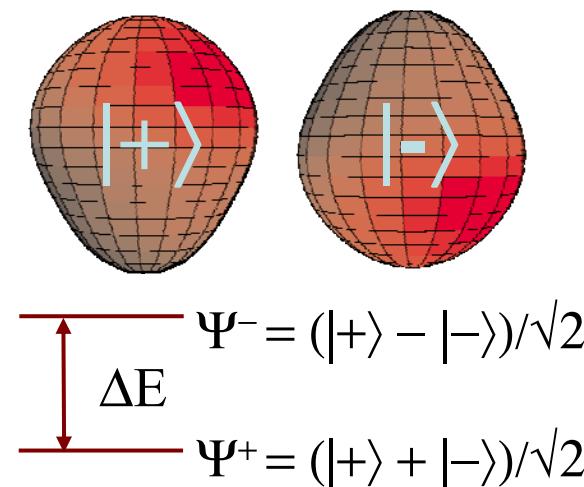
But, with a T-, P-odd interaction V_{PT} :

$$\Psi = \Psi^+ + \alpha \Psi^-$$

$$\alpha = \frac{\langle \Psi^+ | V_{PT} | \Psi^- \rangle}{\Delta E}$$

So, in the lab frame we see:

$$\langle S_z \rangle = 2\alpha S_{\text{int}} \frac{I}{I+1}$$



Enhancement: $\text{EDM}(225\text{Ra}) / \text{EDM}(199\text{Hg})$

Model	Isoscalar	Isovector	Isotensor
SkM*	1500	900	1500
SkO'	450	240	600

PRL 94 232502 (2005), PRC 72 045503 (2005)

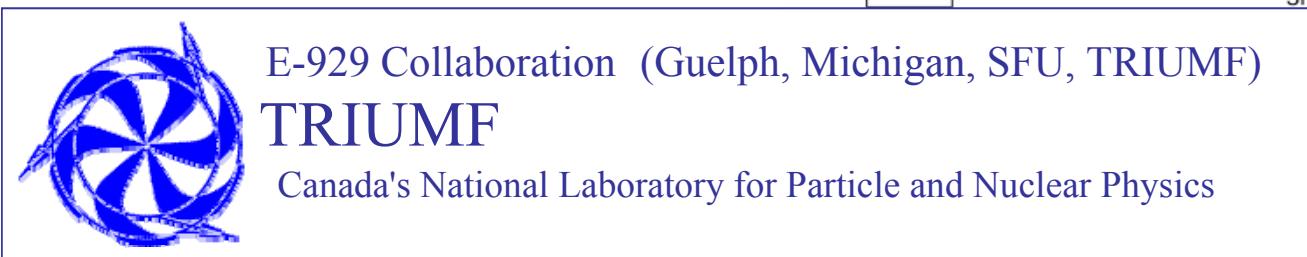
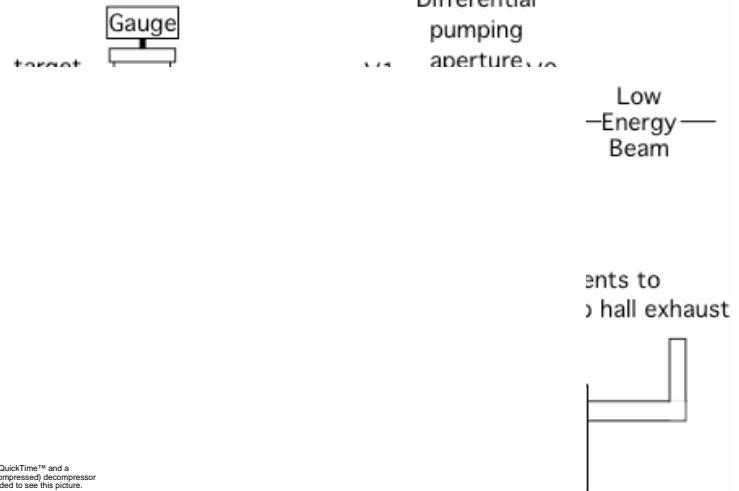
Ra-225:
Spin I = 1/2 (like Hg-199)
 $t_{1/2} = 15$ days

EDM Searches in heavy diamagnetic atoms

Isotope	Current Limit (e cm)	Institution	Factor of Improvement Meas d(A)	T-odd Sensitivity	Technique
Xe-129	(0.7 ± 3.3)E-27 Michigan	Princeton	10 ³ - 10 ⁹	0.47	Liquid cell
Hg-199	-(1.1 ± 0.6)E-28 Washington	Washington	2-4	4	4 cells
Rn-223	N/A	Michigan & TRIUMF	~ Hg	2000	Cell
Ra-225	N/A	Argonne, KVI	~ Hg	2500	Trap

E929: TRIUMF Radon EDM Experiment

- Measure 223Rn levels and octupole deformation (8- π detector)
- Collect and polarize radon
- Measure 223



Si Oring Seals/RTV Si)

Tim Chupp
U of Michigan

Radon EDM Progress

Noble gas (Xe) collected and transferred to cell on-line
- High efficiency: 43% is 3/4 of ϵ_{\max} (@TRIUMF)

^{209}Rn polarized once again (@ Stony Brook)
Systematic studies feasible

^{223}Rn EDM projections ($t_2=100$ s)

Gamma Anisotropy (A=0.2)

$N_\gamma = 2 \times 10^{12}$ (Tigress count rate limit - 3 months)
 $\sigma_d = 2 \times 10^{-27}$ e-cm (10x better than ^{199}Hg)

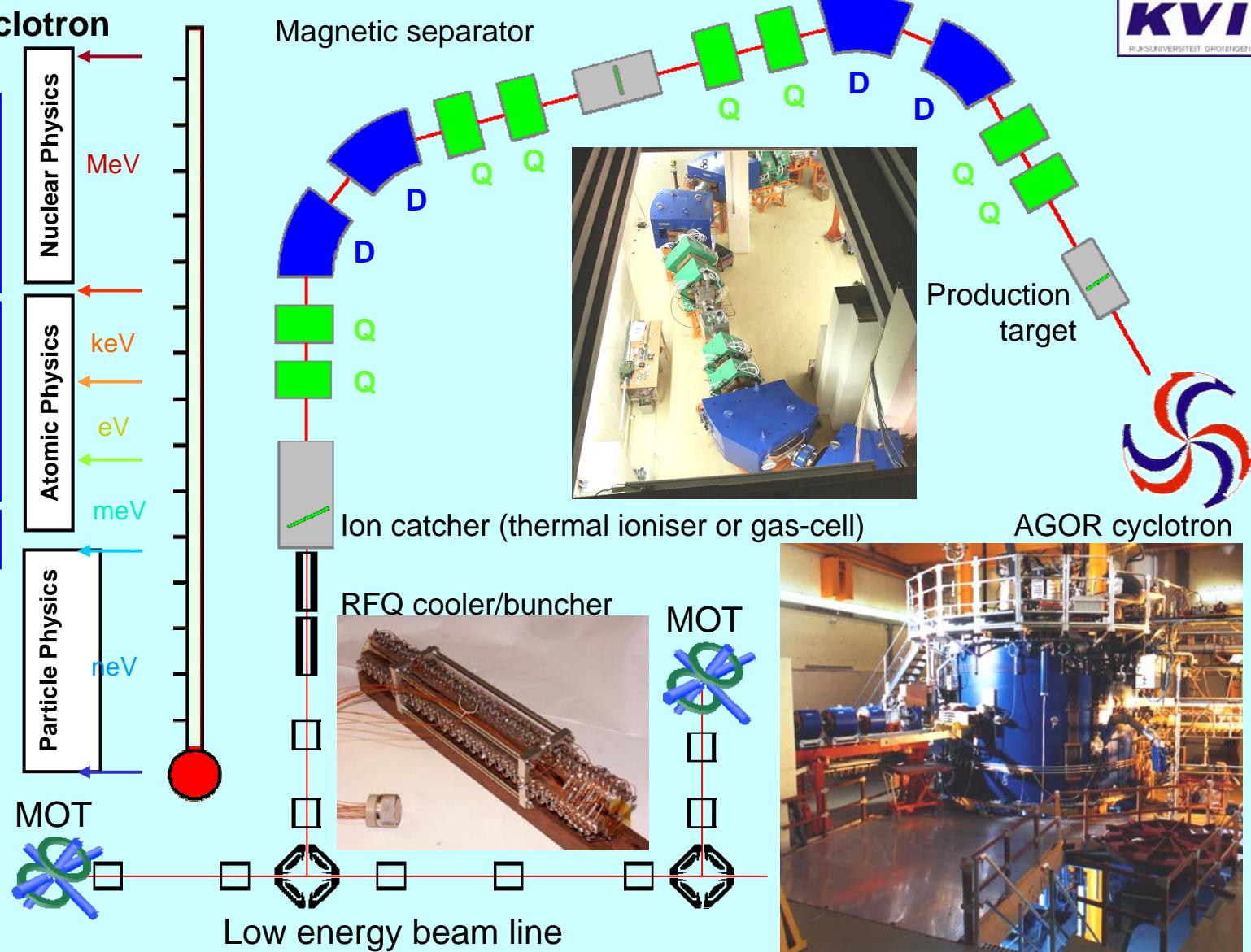
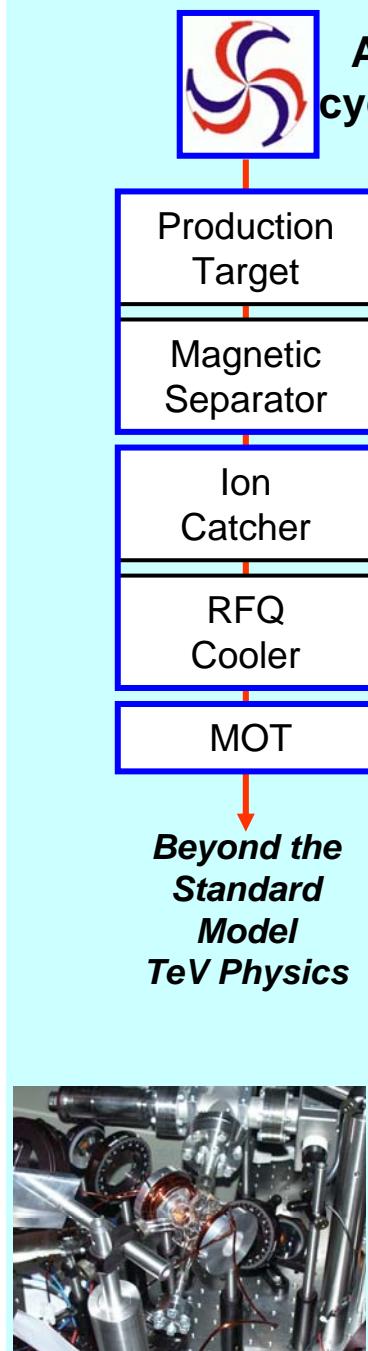
Beta Asymmetry

Rate	σ_d (100 days)
2×10^7	6×10^{-28} e-cm
10^9	1×10^{-28} e-cm

TRIUMF
RIA

Tim Chupp
U of Michigan

TRI μ P Facility



Towards Ra EDM ...

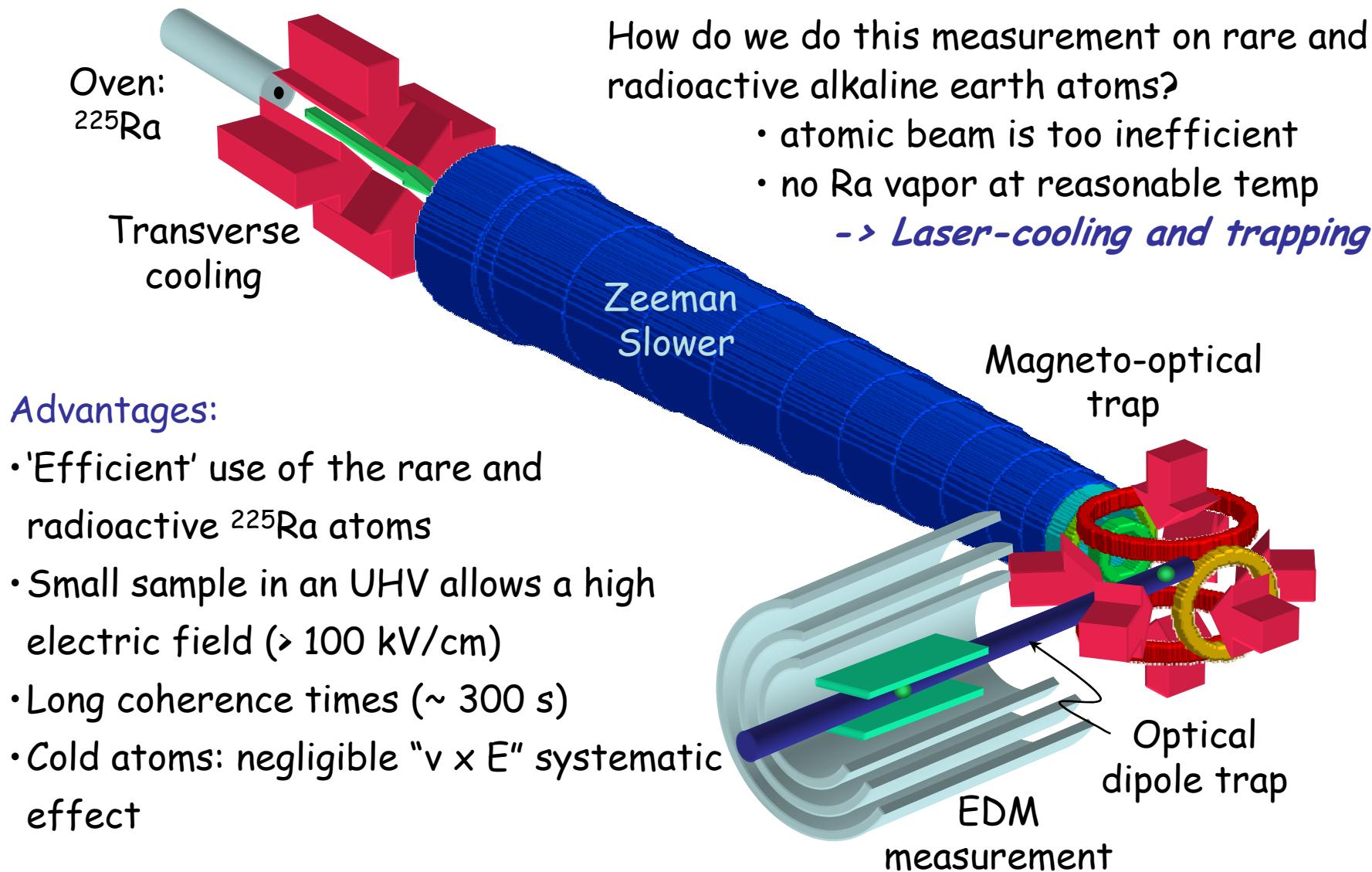
(Klaus Jungmann)

16

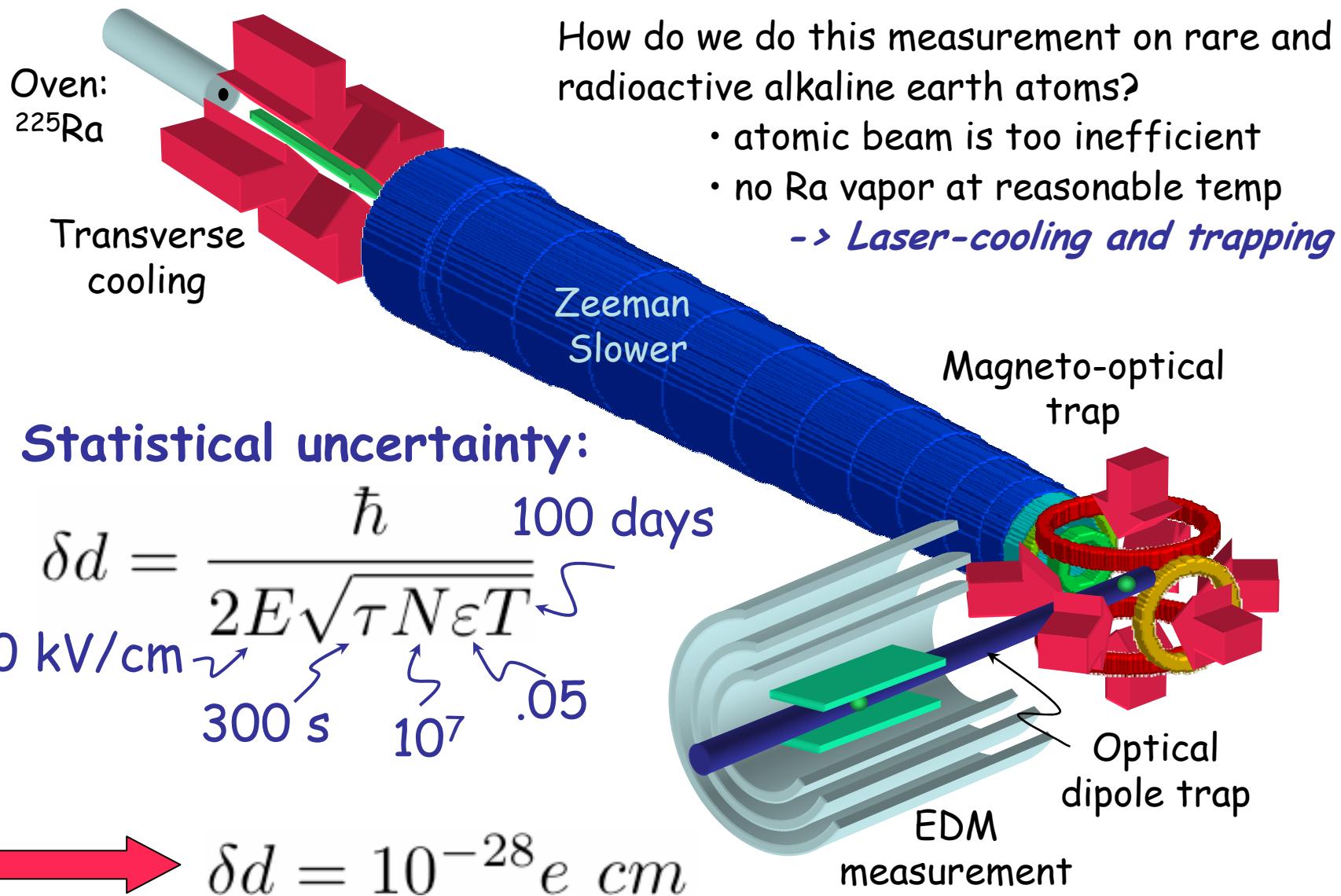
Argonne National Laboratory



EDM measurement on Ra-225



EDM measurement on Ra-225



Where do we get Ra-225?

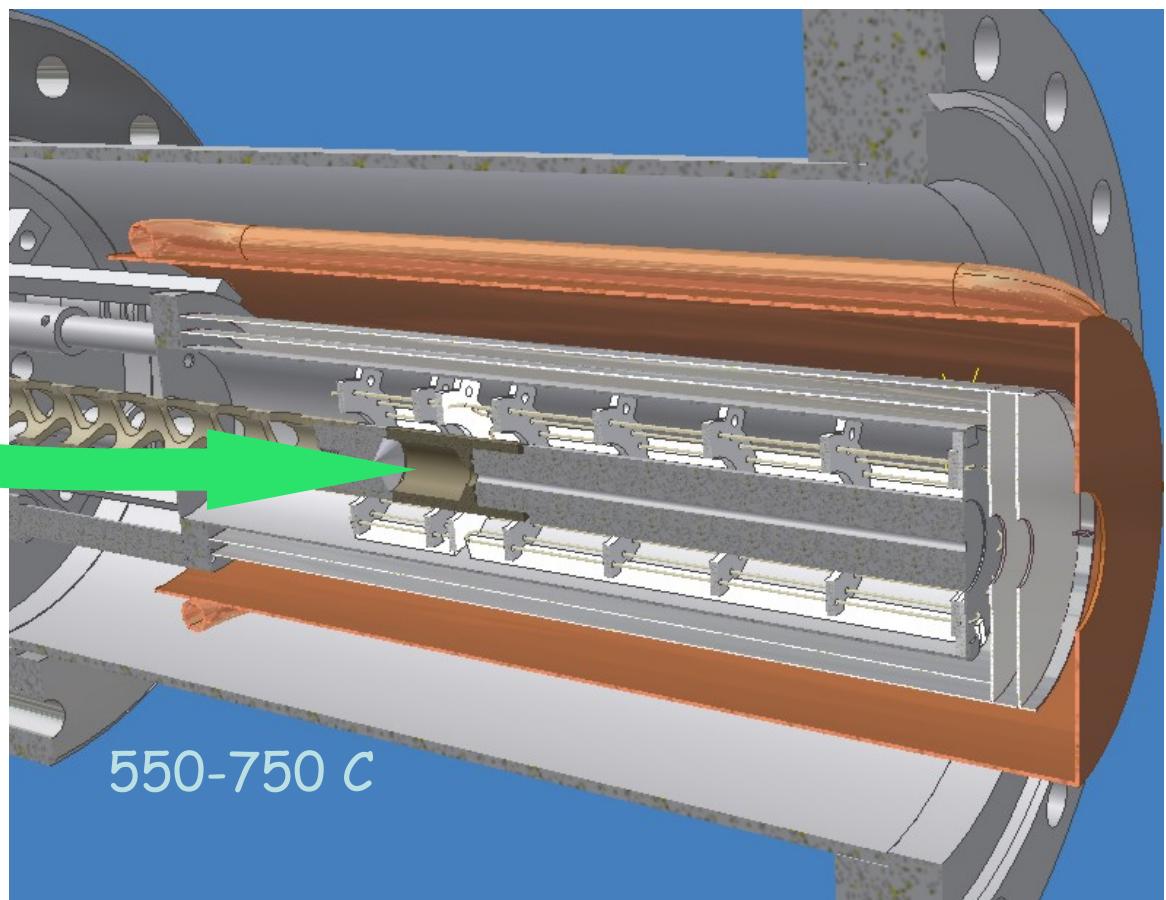


1 mCi ^{225}Ra
(20 nano-g)

+ Al foil
+ 50 mg Ba

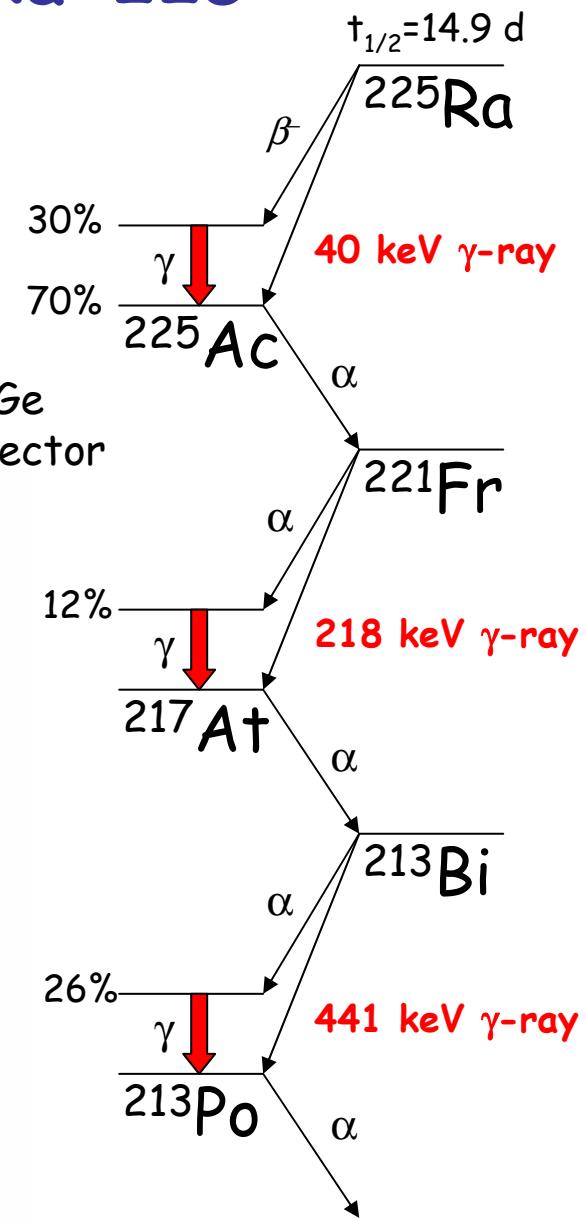
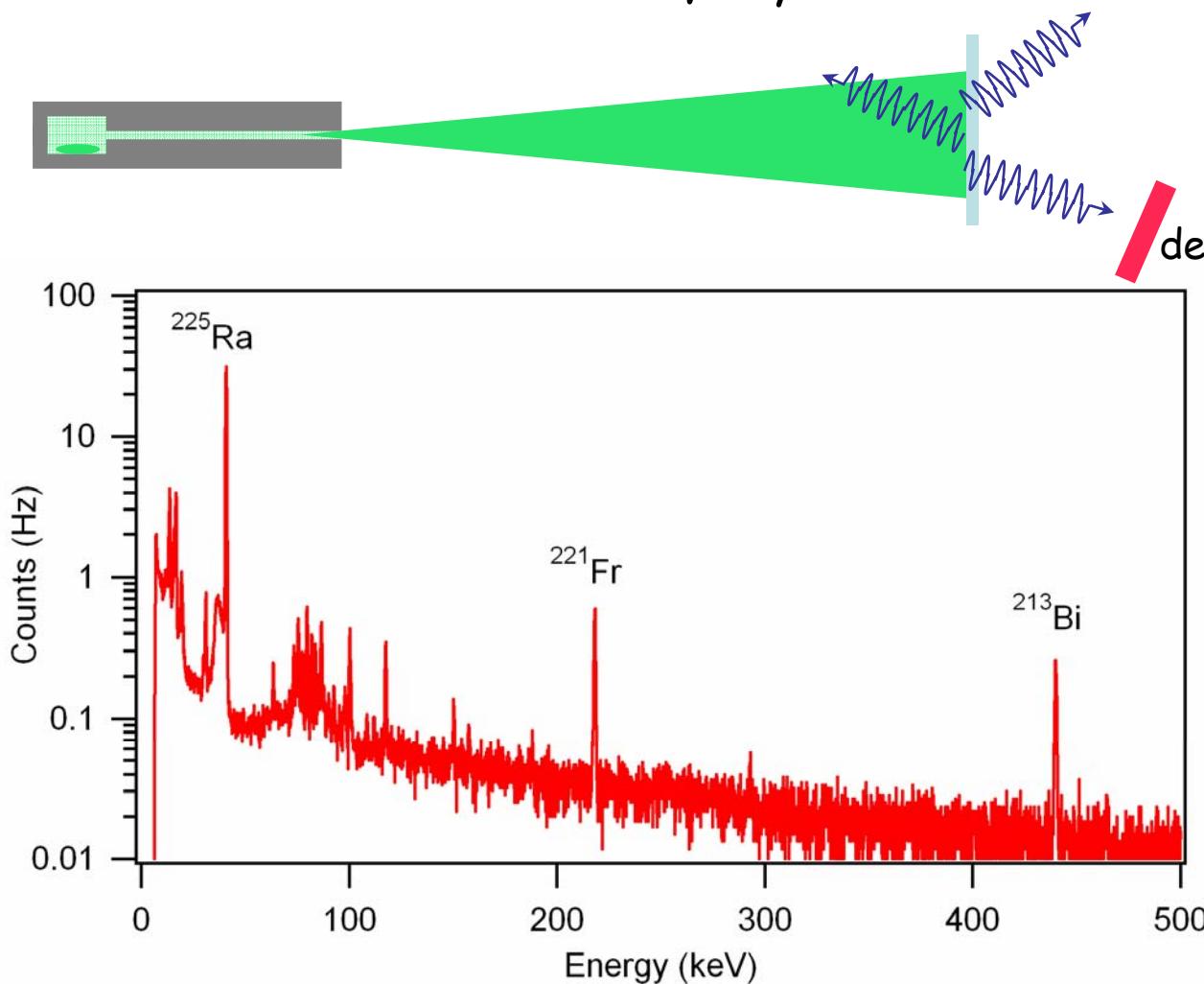
Reduces RaO
Passivates surfaces
Optical tracer

For trap development, using
226Ra ($t_{1/2} = 1600$ yr)
 $\sim 1 \mu\text{Ci}$ ($\sim 1 \mu\text{g}$)

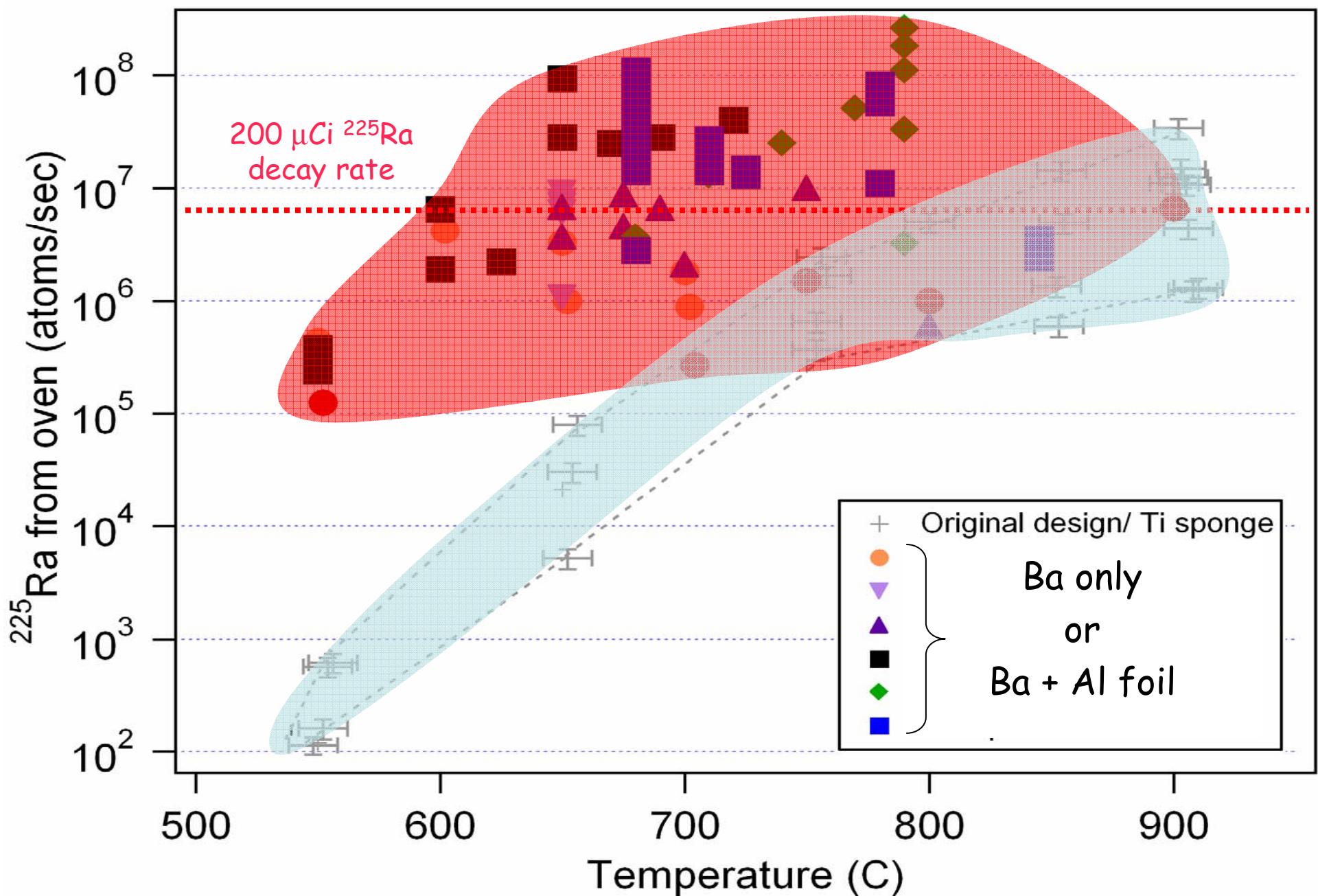


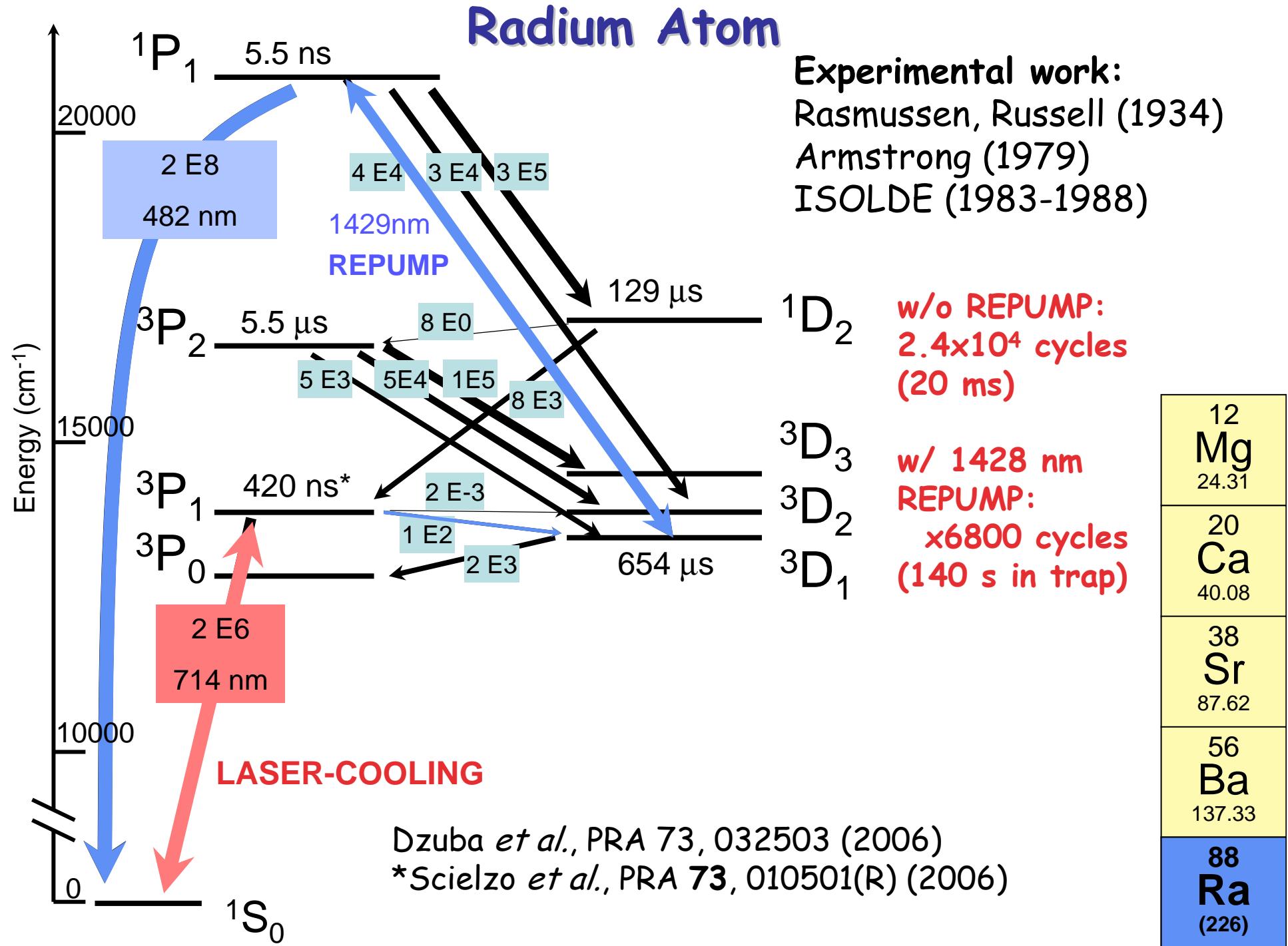
Gamma-ray detection of Ra-225

^{225}Ra can be monitored by watching for its characteristic γ -ray line

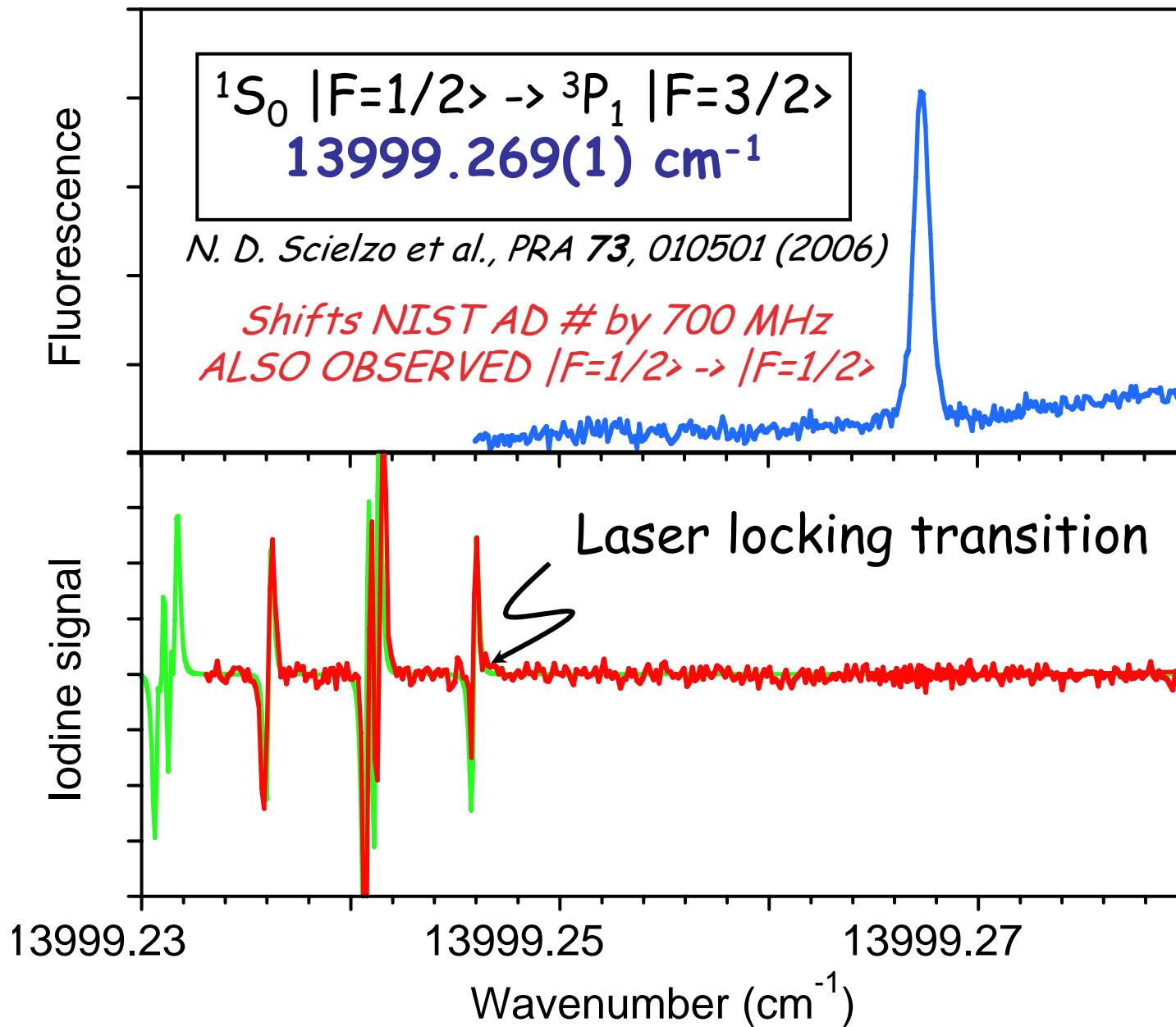


^{225}Ra atomic beam ($\sim 200 \mu\text{Ci}$ source)

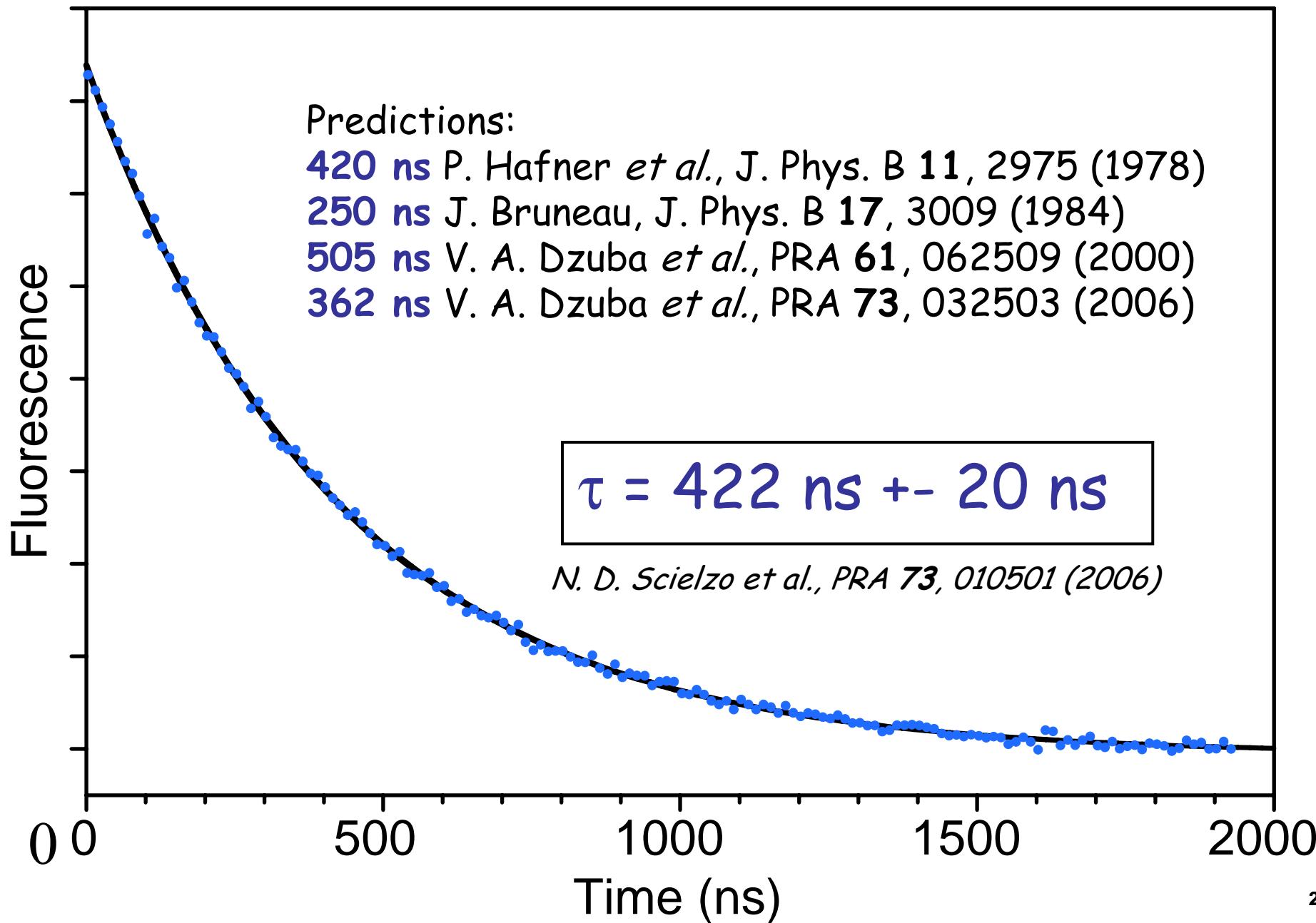


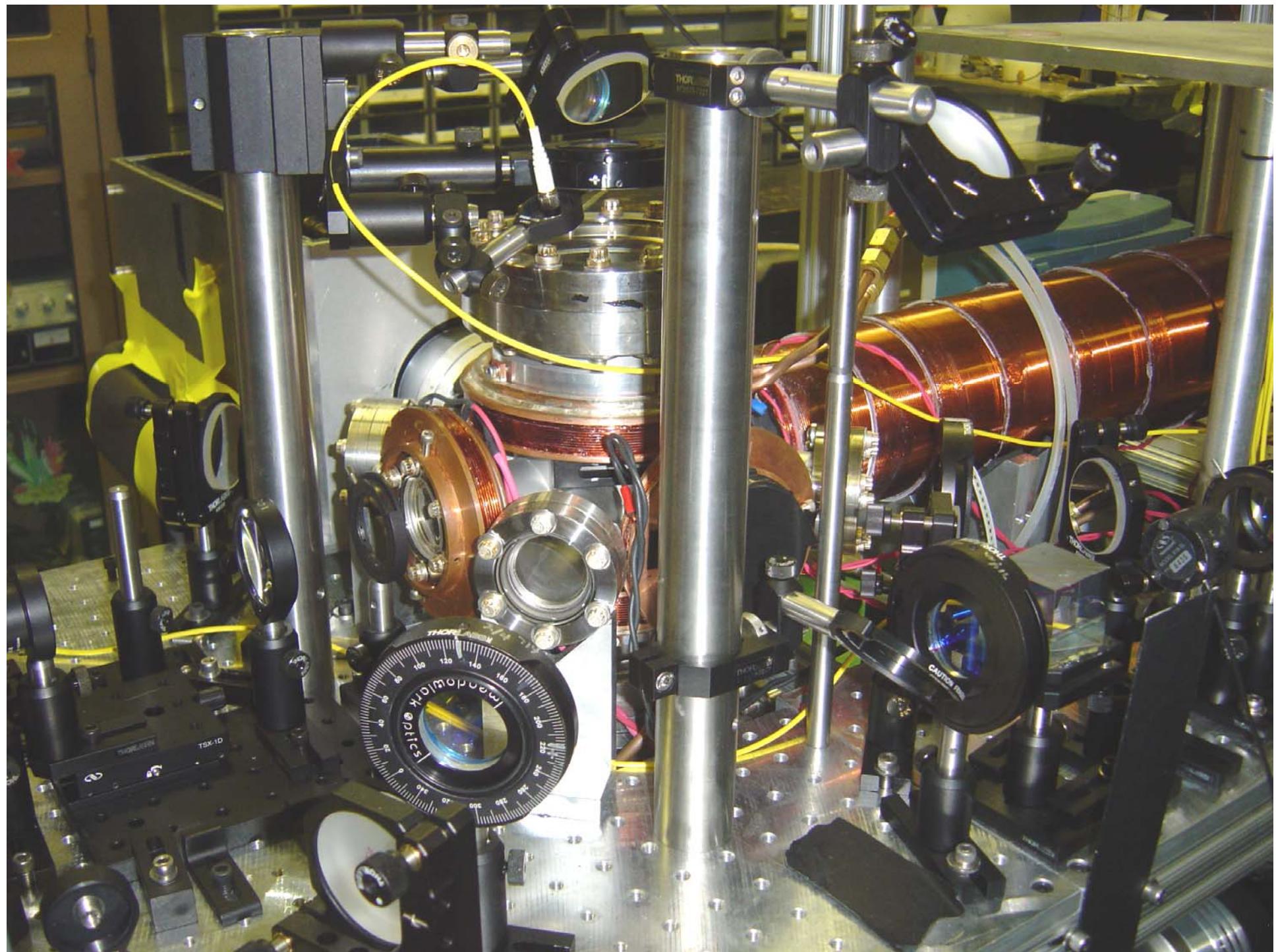


Ra-225 atomic beam

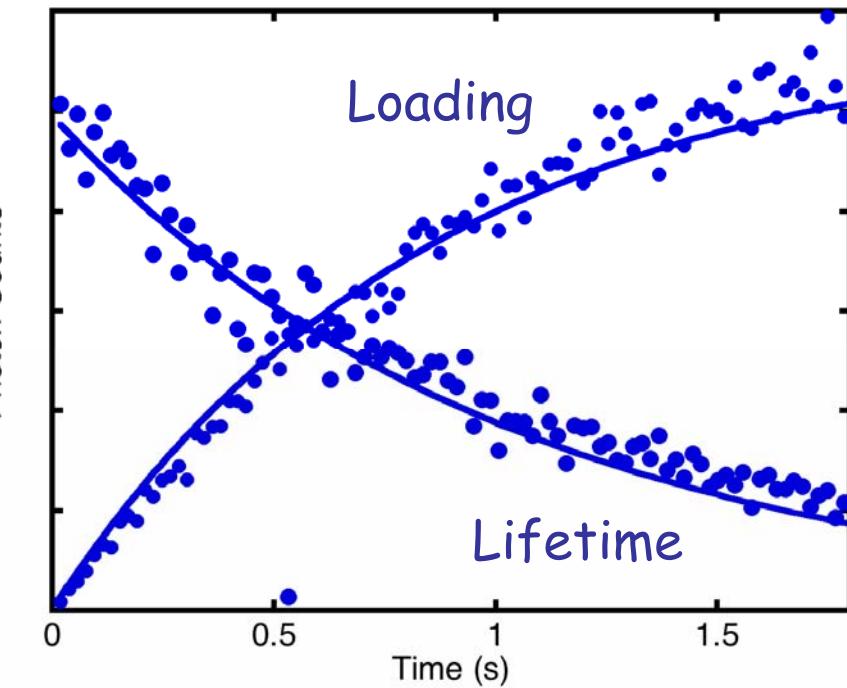
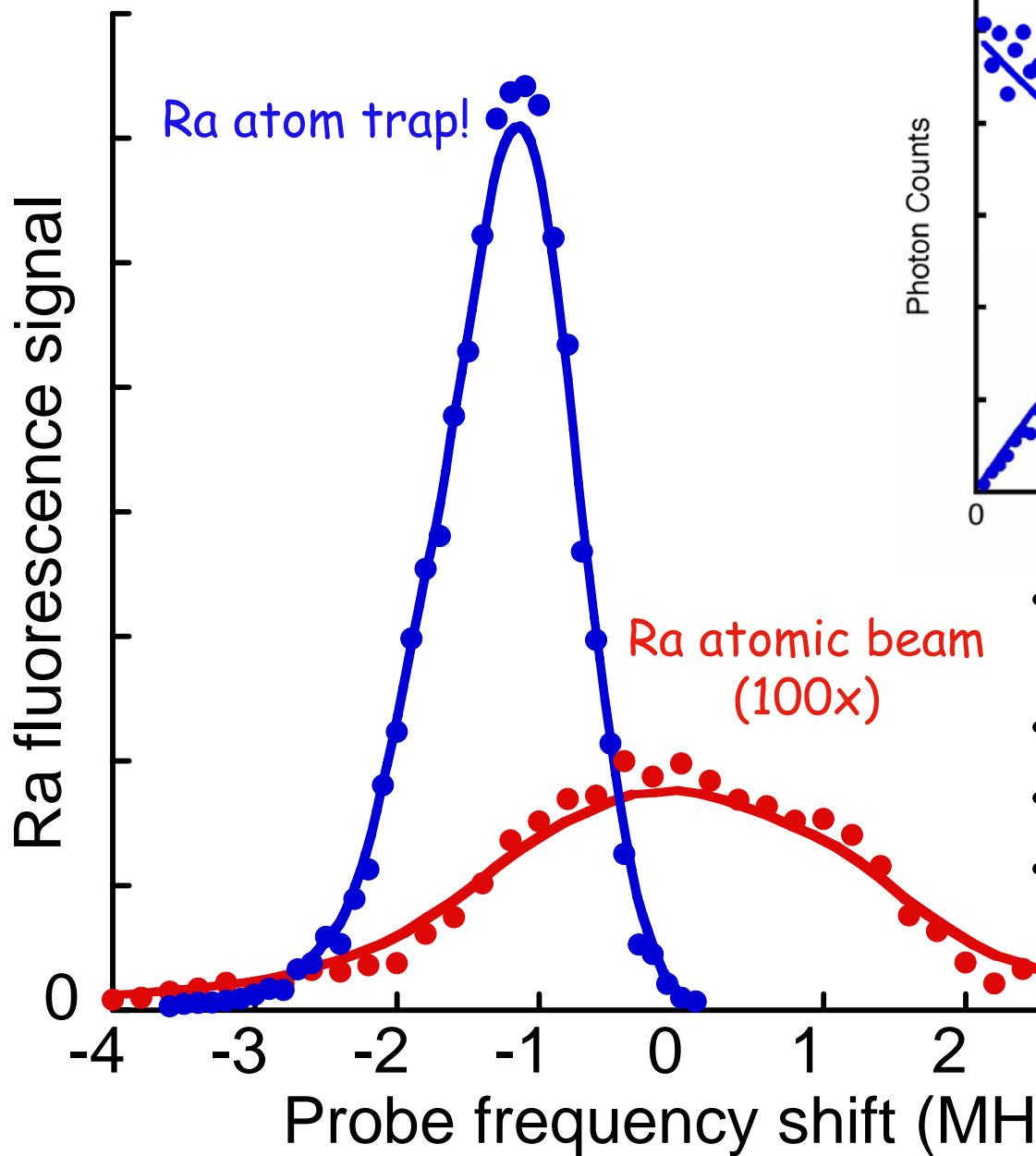


Ra 7s7p 3P_1 lifetime measurement



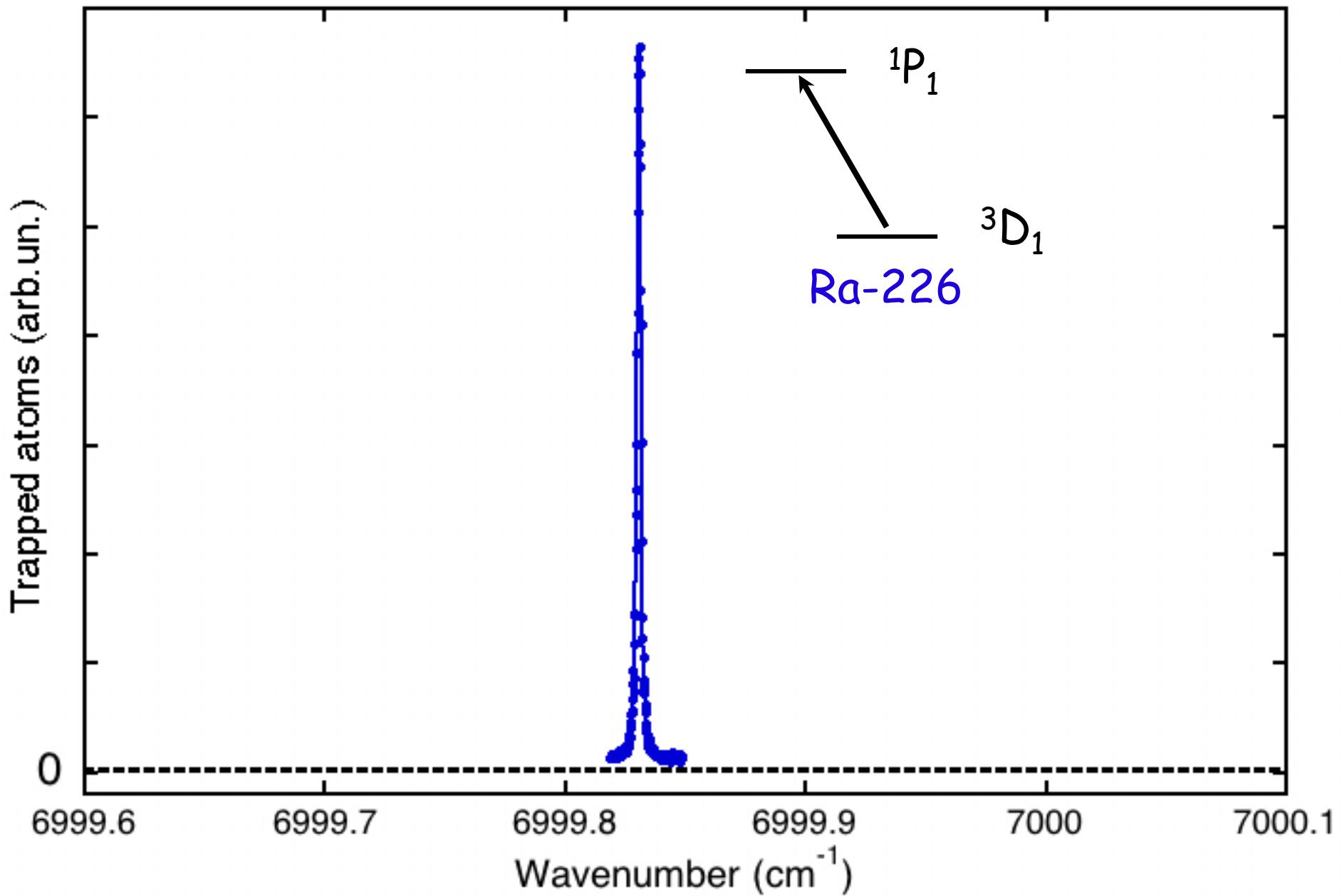


Ra-226 atom trap

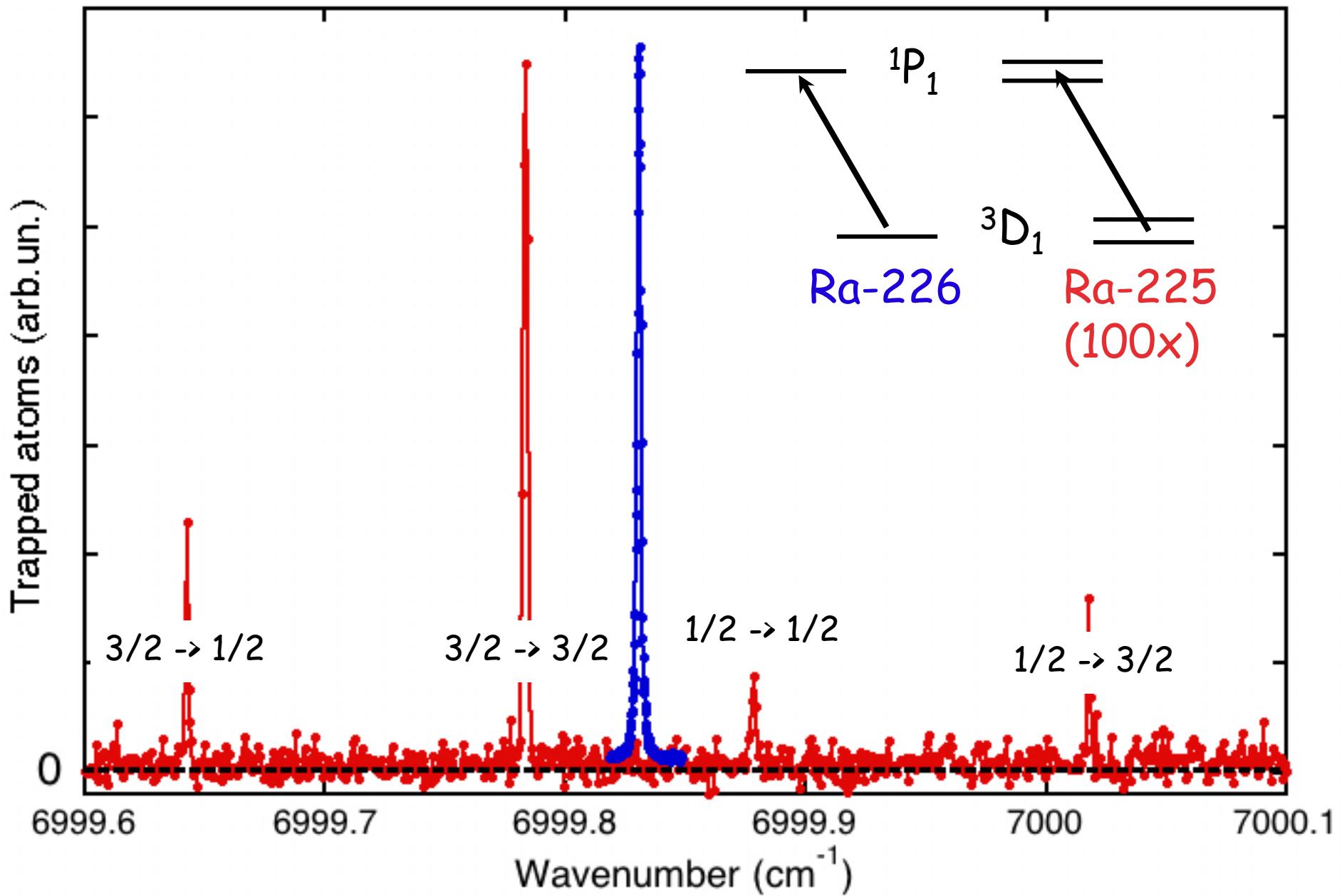


- Loading efficiency $\sim 7 \times 10^{-7}$
- $\sim 2,000$ trapped atoms
- 1-2 s lifetime
- Repump critical

Repump spectrum

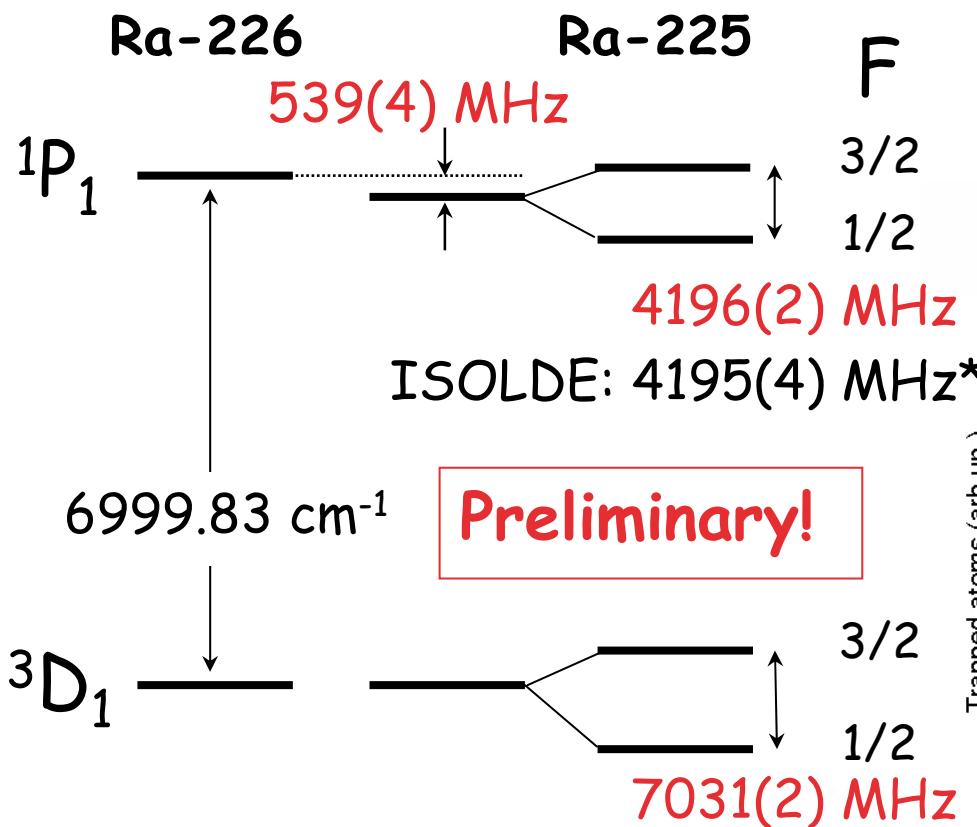


Repump spectrum

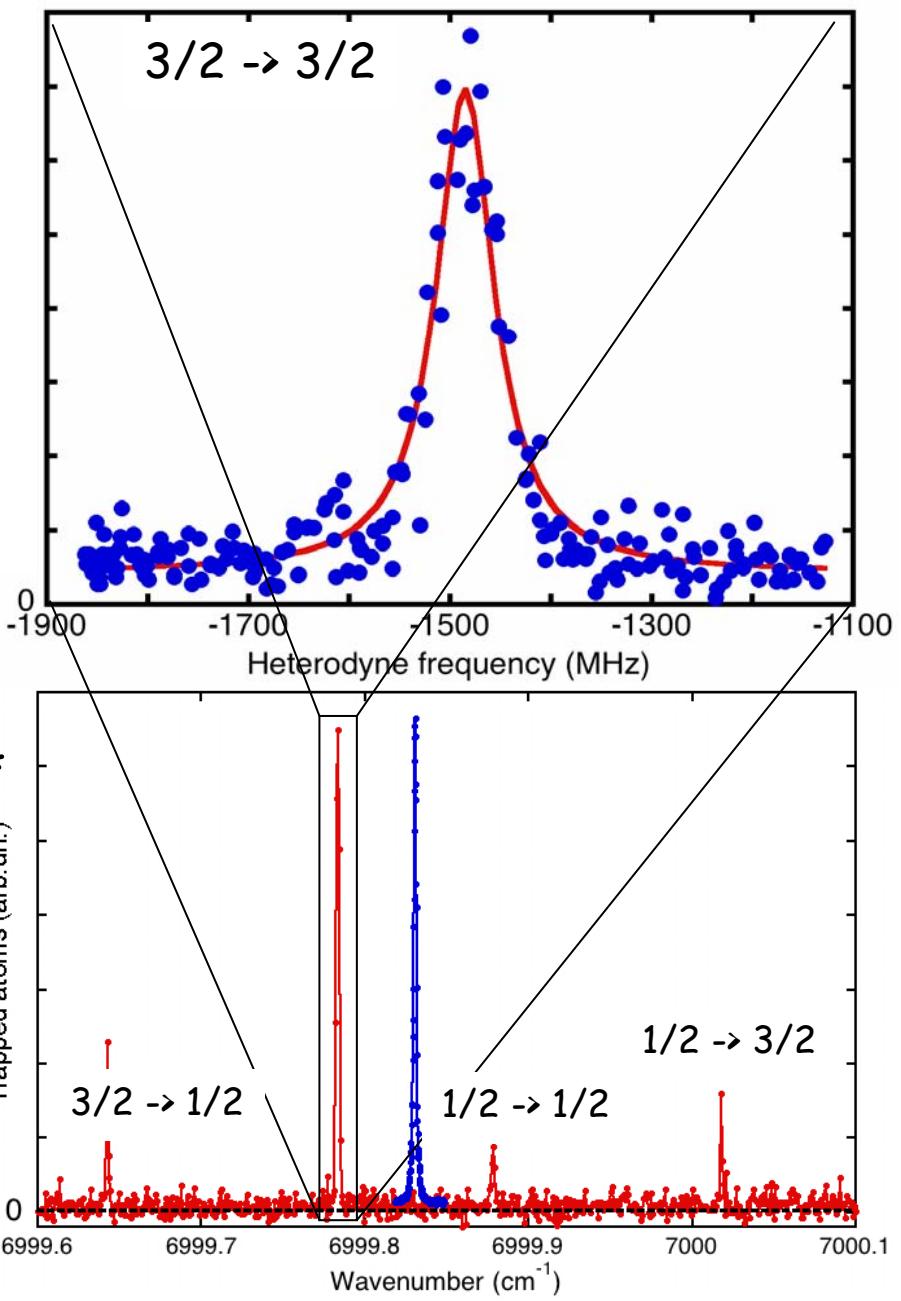


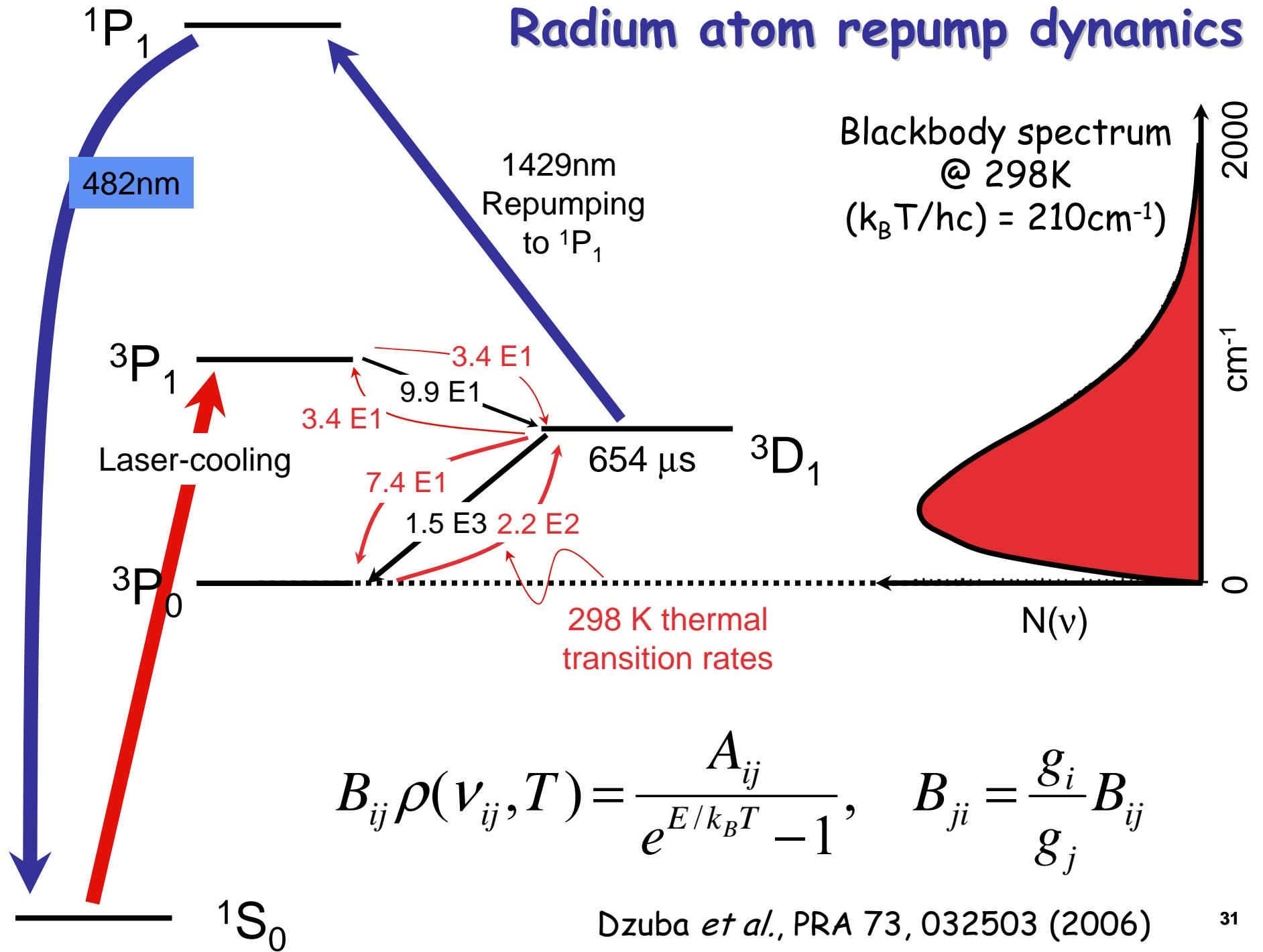
Hyperfine constants and isotope shift on ${}^3D_1 - {}^1P_1$

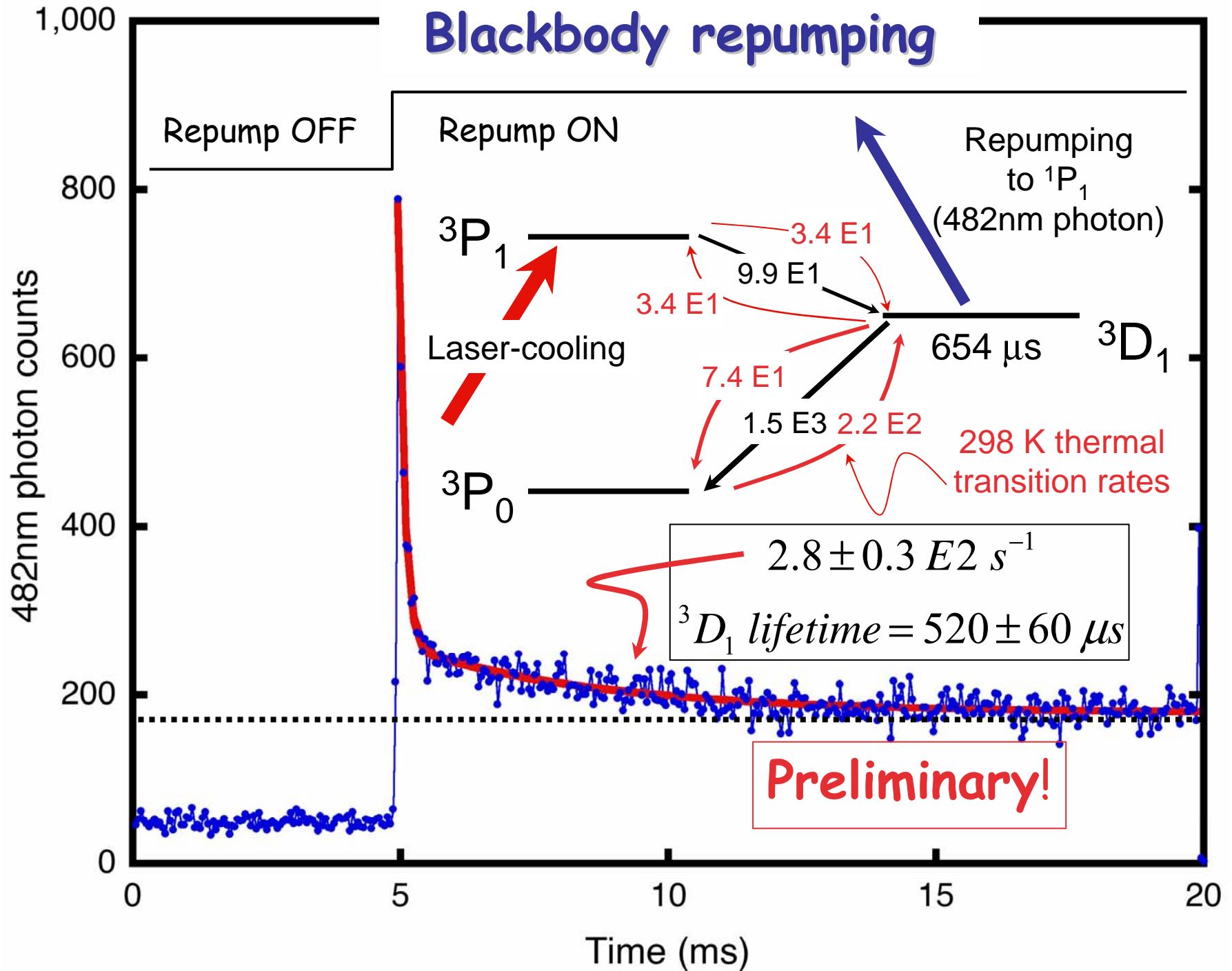
Repump laser is heterodyned with 2nd laser locked to stabilized Fabry-Perot



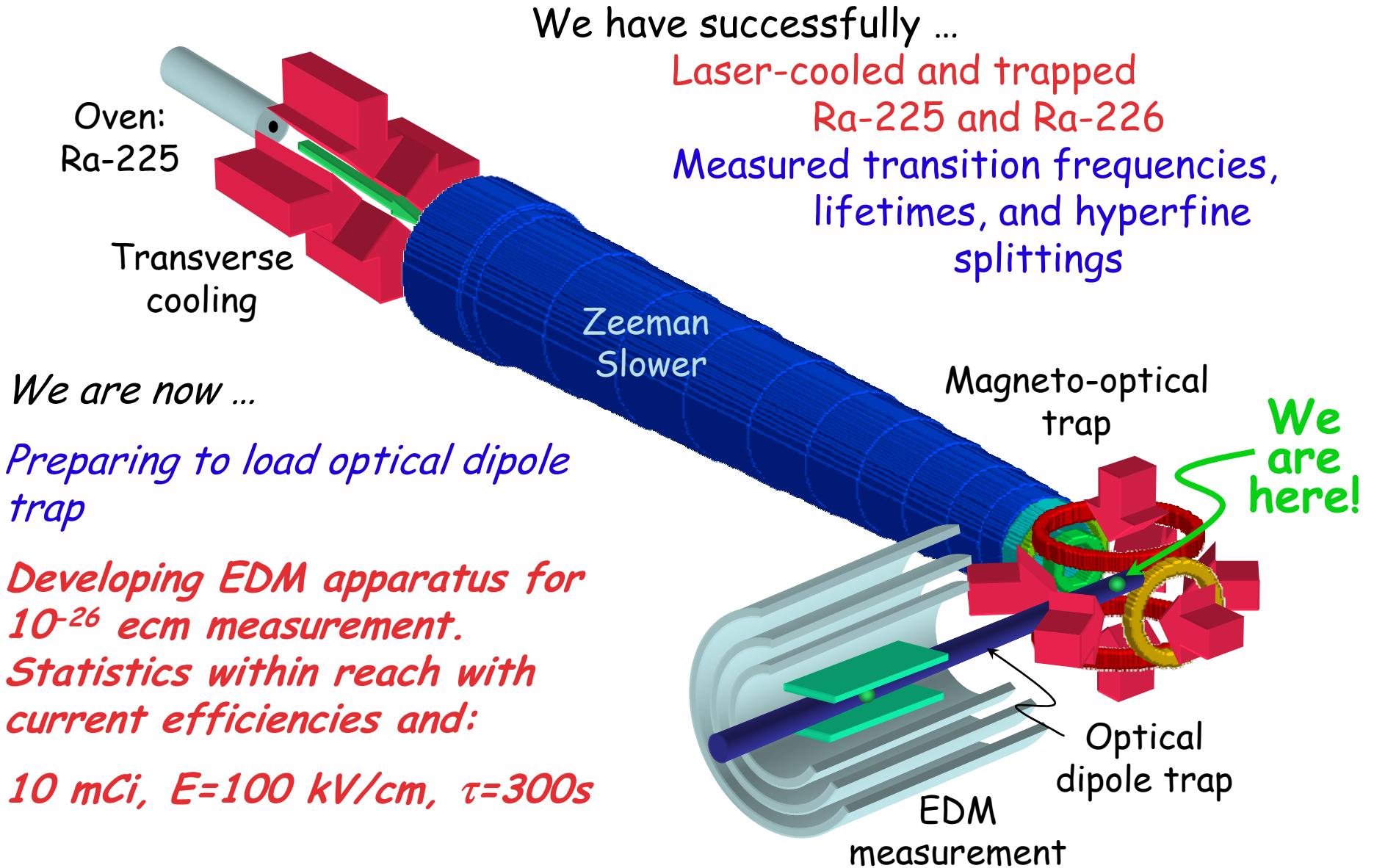
*Ahmad *et al.*, *Phys. Lett.* **133B**, 47 (1983)



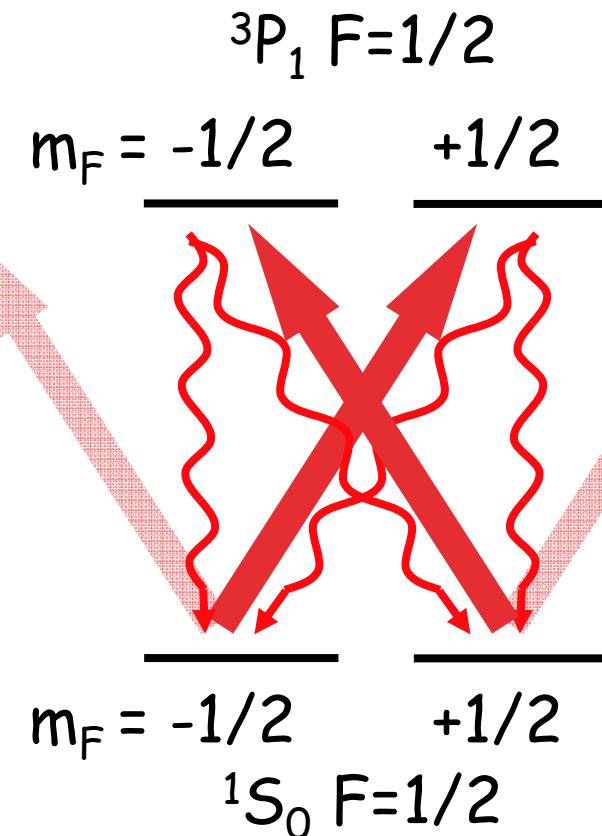
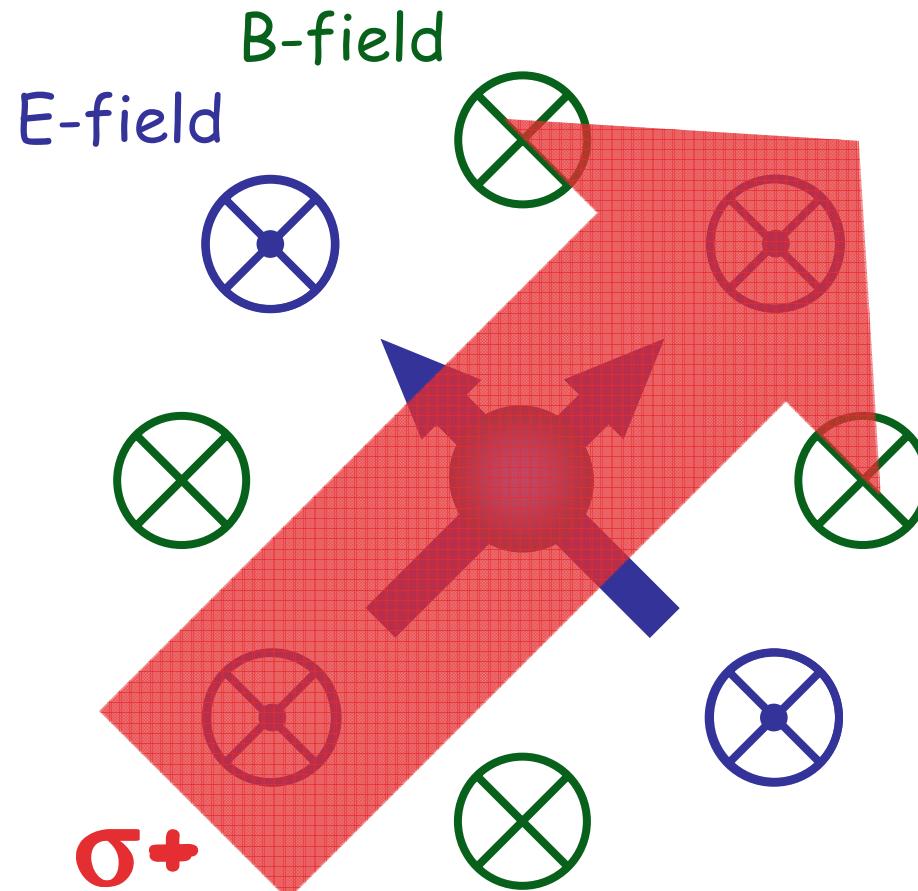




Where we are and where we're going ...



EDM measurement



$$vt \approx \frac{N^+ - N^-}{N^+ + N^-} + 2\pi m$$

$$B = 10 \text{ mG}; v = 10 \text{ Hz}$$

$$E = 100 \text{ kV/cm}; d = 10^{-26} \text{ ecm? } dv = 1 \mu\text{Hz}$$

Systematics and noise

Largest systematics arise from magnetic fields which change with direction of applied electric field

Leakage current between plates could run in loop causing a magnetic field B_{leak} which changes direction with E

Motional magnetic field $B_{\text{mot}} = 1/c^2 \mathbf{v} \times \mathbf{E}$ changes direction with E

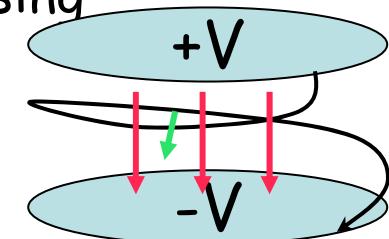
Electric quadrupole terms $H \sim |E|^2$ may lead to systematic with incomplete field reversal (0 for spin-1/2)

Collisions? Cold spin-polarized fermions

Magnetic field noise? Homogeneity?

Stable current supply \rightarrow 40 ppb over 40 s

Magnetic shielding (We have trap fields!)



Possible dipole trap systematics and noise

Systematics:

COM Potentials? $|E_{\text{plat}}|^2 \sim 100 \times |E_{\text{dip}}|^2$

E-field mixes opposite parity states, can cause magnetic dipole shifts

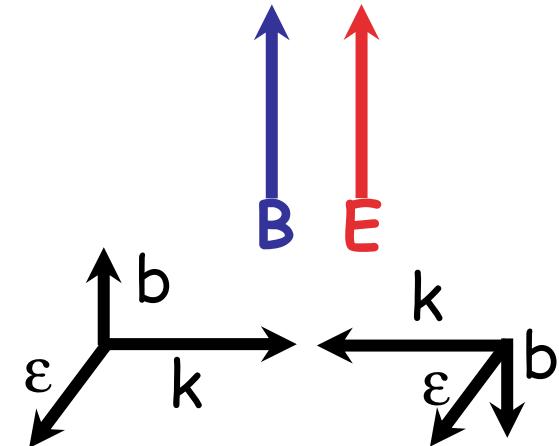
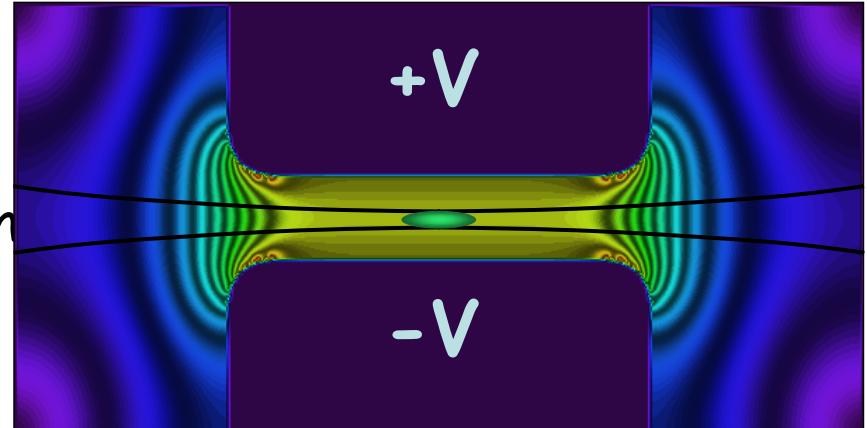
Noise, coherence limiting mechanisms:

Residual circular polarization of dipole laser provide a vector light shift, linear in m (no tensor shift $I=1/2$)

Use trans /lin pol, lattice

M. V. Romalis and E. N. Fortson, PRA 59, 4547 (1999)

C. Chin *et al.*, PRA 63, 033401 (2001)

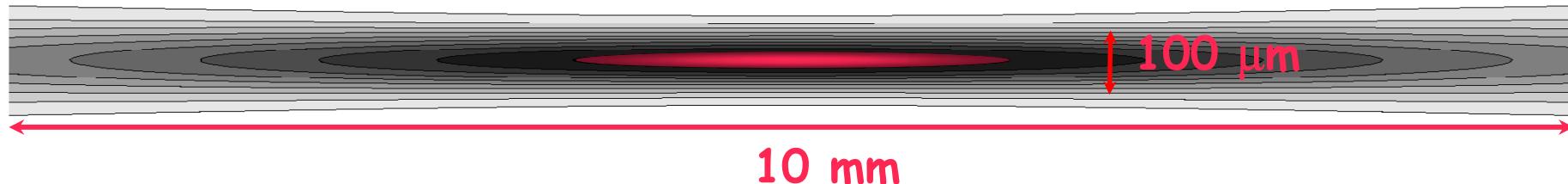


Kr, He, and Ra :) atom trappers



Optical dipole trap

With conservative potential due to AC Stark shift and scalar polarizability, we can trap atoms in the focus of a red-detuned laser:



With intensity $I(r)$, laser frequency Ω , atomic scattering rate Γ_i and frequency ω_i for state i :

Trap potential:

$$U_{dip}(\mathbf{r}) \propto -I(\mathbf{r}) \sum_i \frac{\Gamma_i}{\omega_i^2 (\omega_i^2 - \Omega^2)}$$

Sum over atomic transitions

Scattering rate:

$$\Gamma_{dip}(\mathbf{r}) \propto I(\mathbf{r}) \Omega^3 \sum_i \left(\frac{\Gamma_i}{\omega_i^2 (\omega_i^2 - \Omega^2)} \right)^2$$