

**LUIGI Marchese (Oxford university),  
on behalf of the CDF collaboration**



September 7, 2016

**CHARM 2016**

Colour by  
QCD





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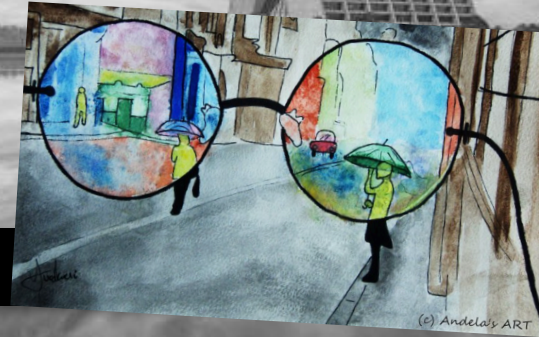
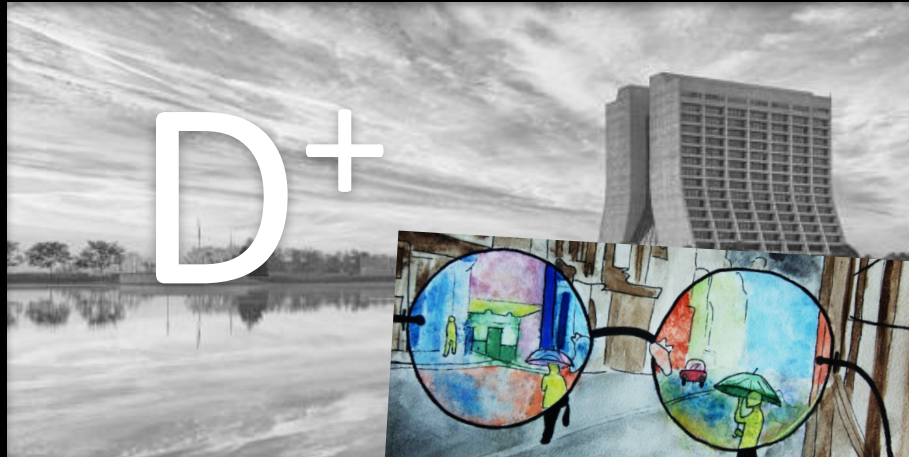


September 7, 2016

**CHARM 2016**

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# Measurement of low- $p_T$ $D^+$ -meson production cross-section at CDF



September 7, 2016

## CHARM 2016

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# CONTENTS



- Motivations
- Signal and Background
- Detector overview
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- Cross Section
- Conclusions



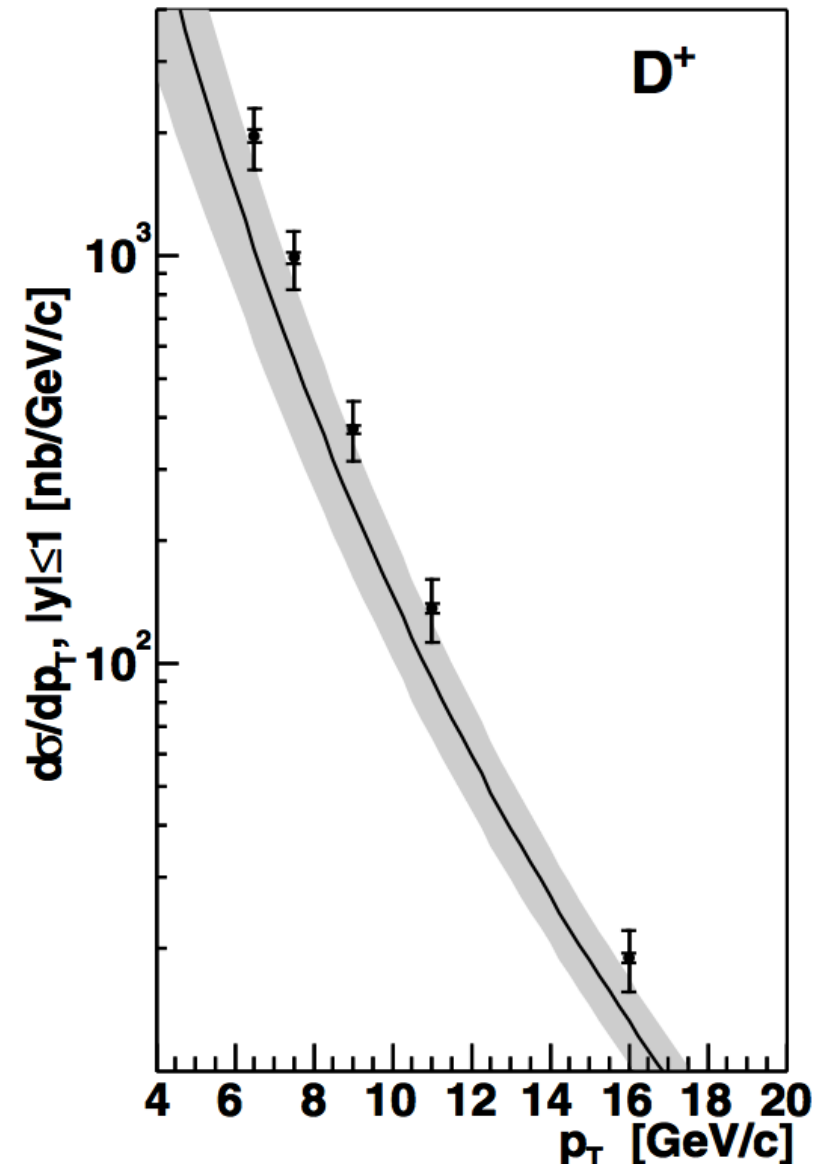
# MOTIVATIONS



PRL 91,241804(2003)

- ❖ Differential cross section for the inclusive hadro-production of charm mesons at low  $p_T$  with initial state  $p\bar{p}$  and  $\sqrt{s} = 1.96 TeV$ : extension of the previous CDF measurements
- ❖ Theoretical models for pQCD have big uncertainties at low  $p_T$  (M. Cacciari et al., JHEP, 05:007, 1998)

Experiment	Initial state	$\sqrt{s}$ [Gev]
Many expt's CERN, FNAL	K, p, $\pi$ Nucl. tgts.	up to 40
LHCb	pp	$7, 13 \cdot 10^3$
ALICE	pp	$7, 2.76 \cdot 10^3$
ATLAS	pp	$7 \cdot 10^3$





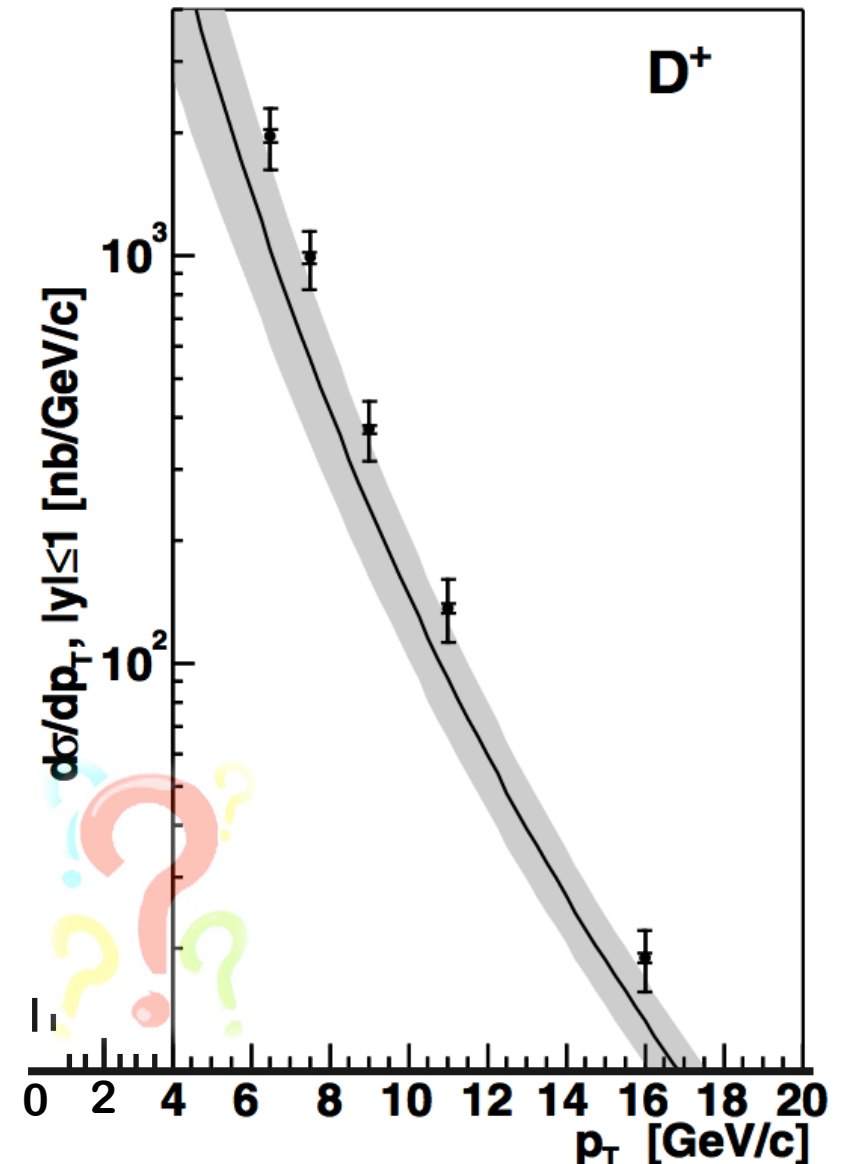
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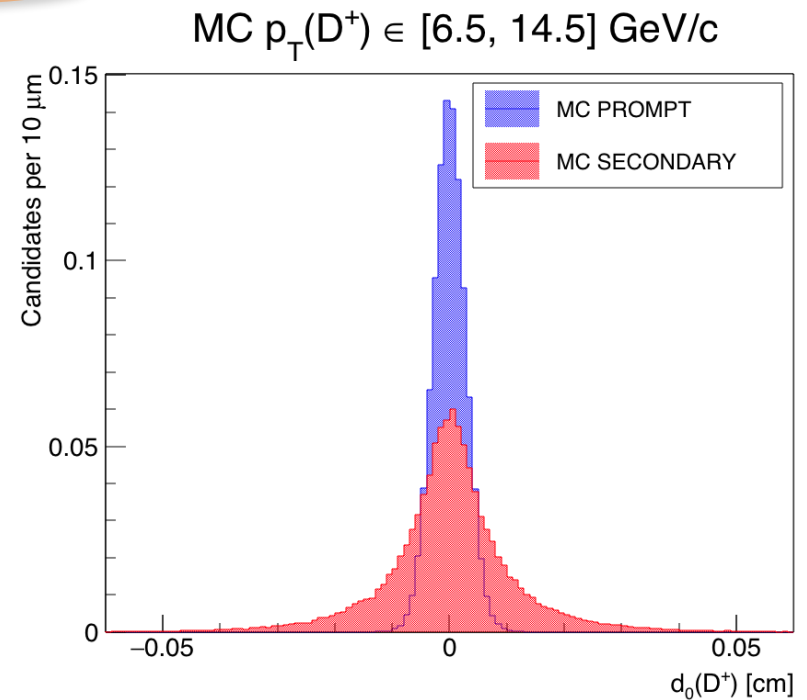
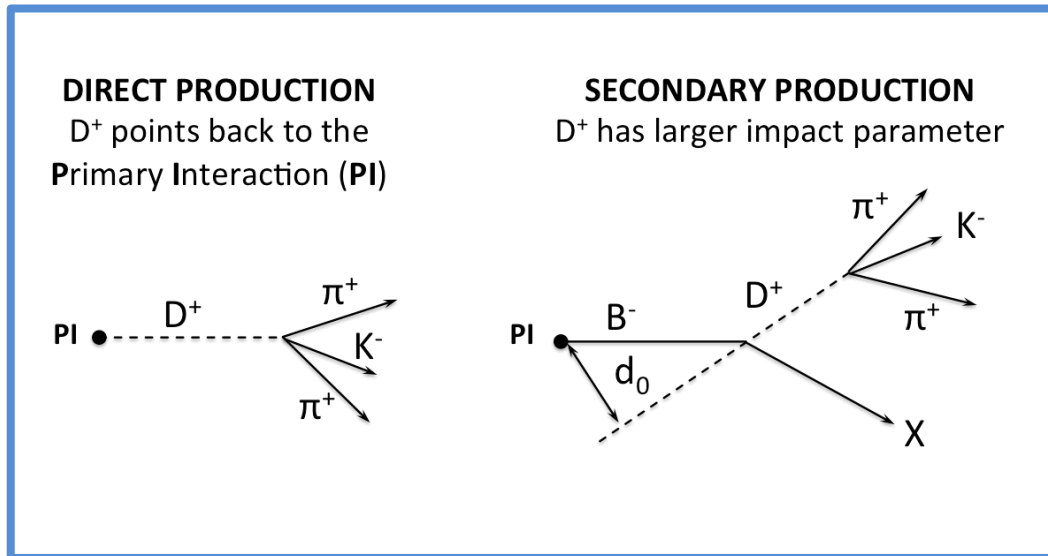


# SIGNAL AND BACKGROUND



**SIGNAL:**  $D^+ \rightarrow K^- \pi^+ \pi^+ (+c.c.)$       **BR:**  $(9.46 \pm 0.24)\%$

**BACKGROUND**  $\rightarrow$  **Secondary component:**  $B \rightarrow D^+ X$   
 $\rightarrow$  **Combinatorics**



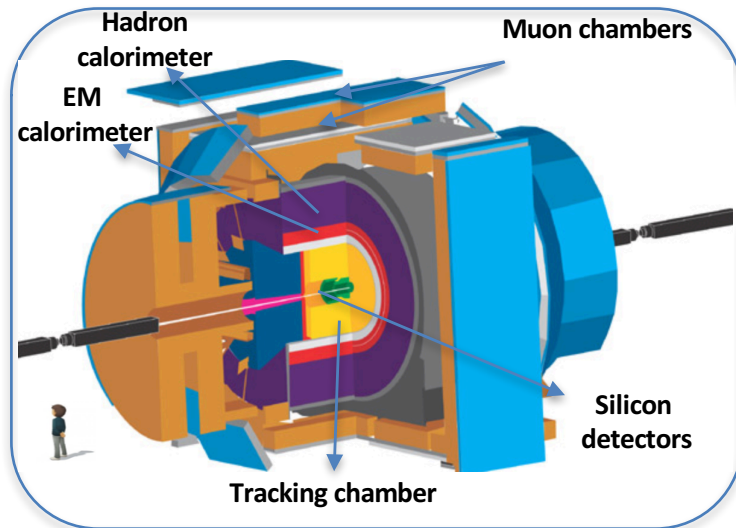
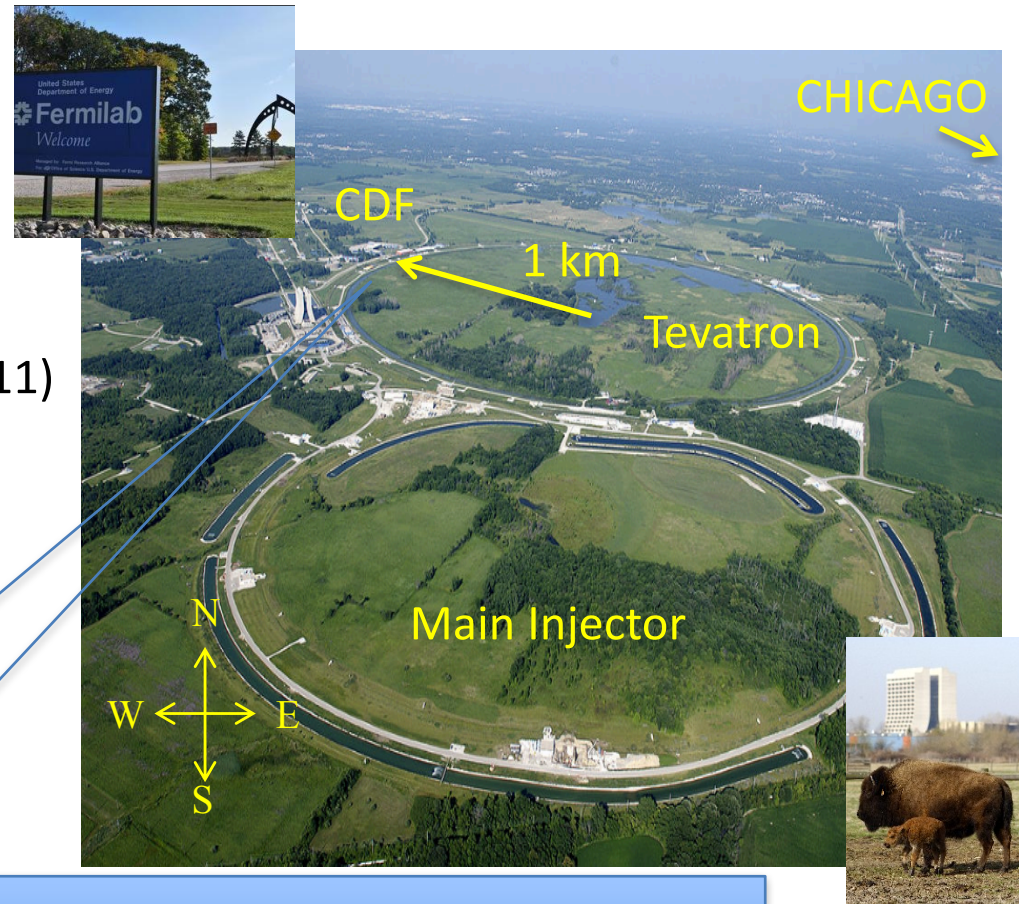
The invariant-mass doesn't distinguish between primary and secondary component



# TEVATRON AND CDF



- $p\bar{p}$  hadron collider  $\sqrt{s} = 1.96\text{TeV}$
- Peak Luminosity:  $\mathcal{L} \approx 3.8 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
- CDF recorded luminosity:  $10 \text{ fb}^{-1}$  (2002 – 2011)
- We use the entire 1.96TeV-dataset



CDF: Collider Detector at Fermilab

- Multi purpose detector
- Inner tracking system, solenoidal magnet (1.4 T)
  - Calorimeters and muon detectors



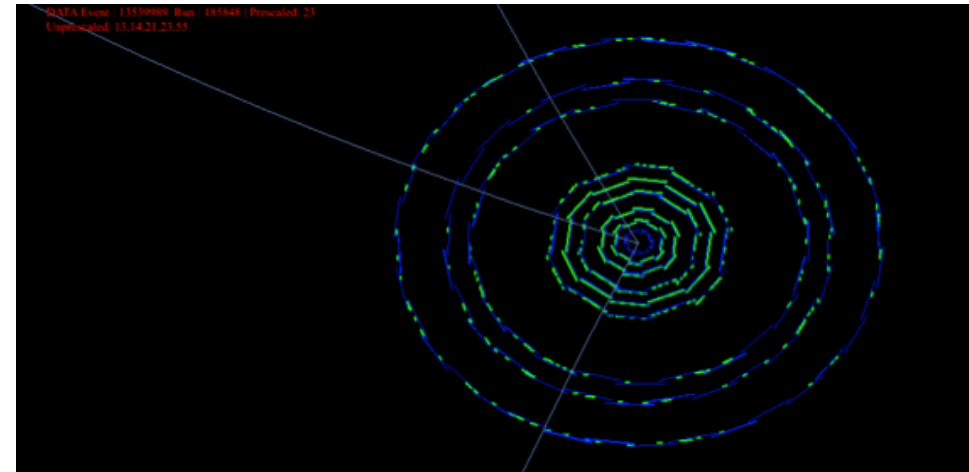


# TRACKING SYSTEM



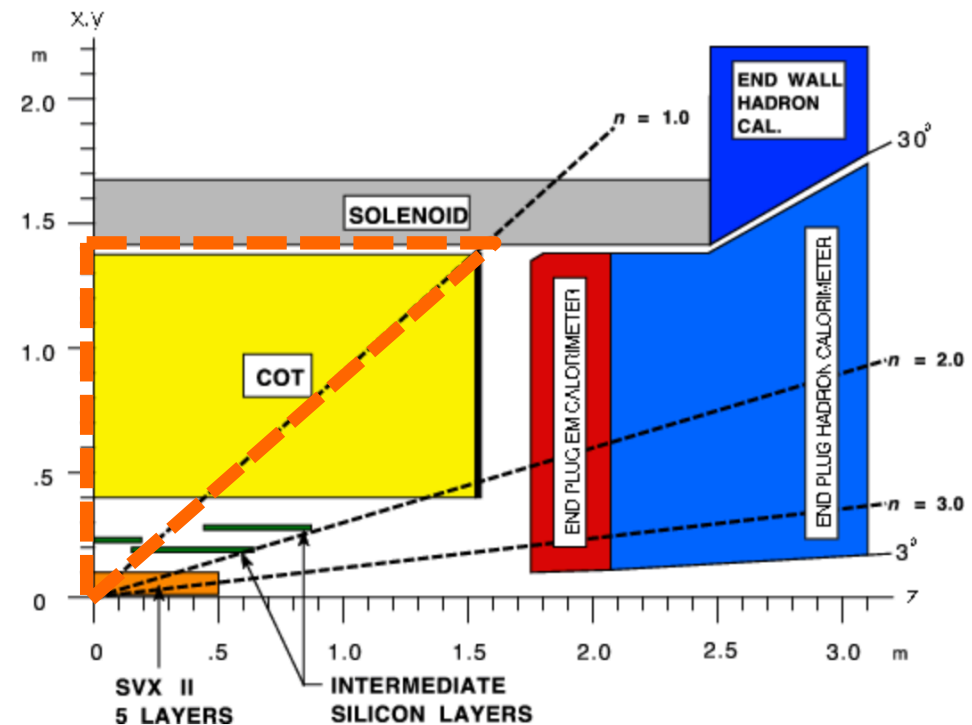
## Tracking-system performance

For  $|\eta| \leq 1$  :  
 $\sigma_{p_T}/p_T^2 \approx 0.0015 \text{ c/GeV}$   
 $\sigma_{d0} \approx 40 \mu\text{m}$



## 3D charged-particle tracking

- Seven-layer silicon inner detector
- Large outer drift chamber





# DATA SELECTION



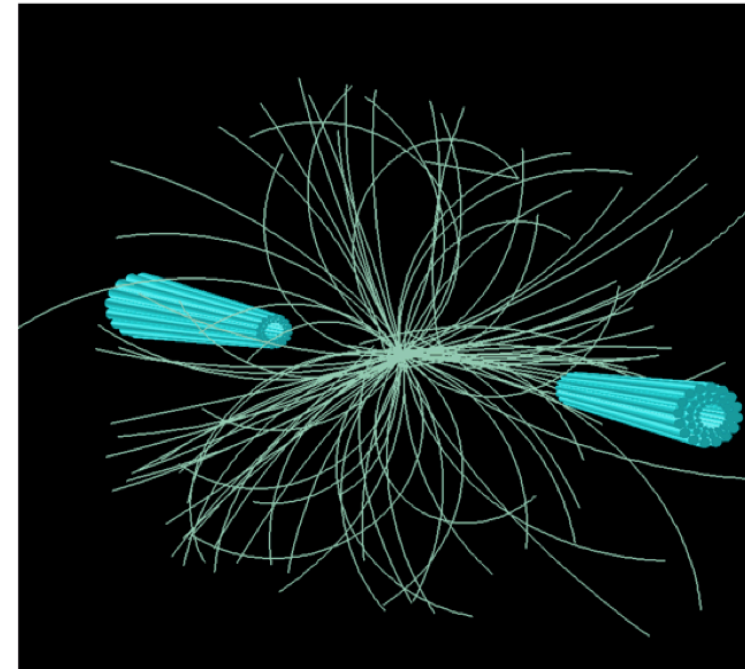
Data collected by two triggers:

## 1. Zero Bias (ZB)

- Events collected every bunch crossing whether or not collisions occur
- Rate  $\sim 1.7$  ev/s

## 2. Minimum Bias (MB)

- At least one inelastic  $p\bar{p}$  collision
- CLC, “Cherenkov Luminosity counter ( $3.7 < |\eta| < 4.7$ ) Coincidence”
- Rate  $\sim 1$  ev/s.





# FULL ANALYSIS IN A NUTSHELL



The goal is to measure the  **$p_T$ -averaged and  $y$ -integrated cross section**

$$\frac{d\sigma_{D^+ \rightarrow K^- \pi^+ \pi^+}}{dp_T}(p_T; |y| \leq 1) = \frac{N_{D^+}(p_T)}{\Delta p_T \cdot L \cdot \varepsilon \cdot BR(D^+ \rightarrow K^- \pi^+ \pi^+)} \Big|_{|y| \leq 1}$$

- ❑ DATA-DRIVEN OPTIMIZATION in each  $p_T(D^+)$  with the EVEN/ODD method
- ❑ 2D-FITTING PROCEDURE on the (mass,  $d_0$ ) –space to extract the YIELD as a function of  $p_T(D^+)$ :  $N_{D^+}(p_T)$
- ❑ INTEGRATED LUMINOSITY OF OUR SAMPLE:  $L$
- ❑ DECAY BRANCHING RATIO of the channel:  $BR(D^+ \rightarrow K^- \pi^+ \pi^+)$
- ❑ RECONSTRUCTION (based on MC simulations) and TRIGGER EFFICIENCY:  $\varepsilon$

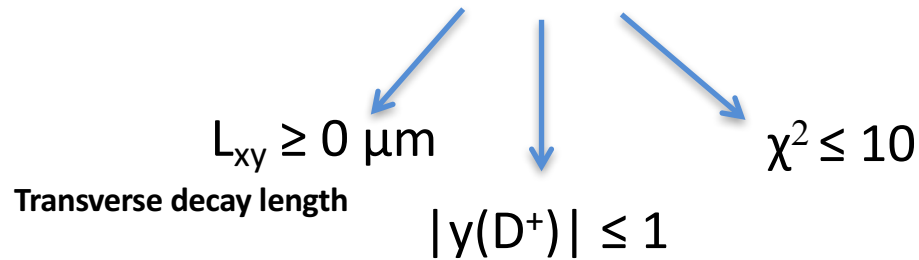


# SIGNAL: BASE SELECTION



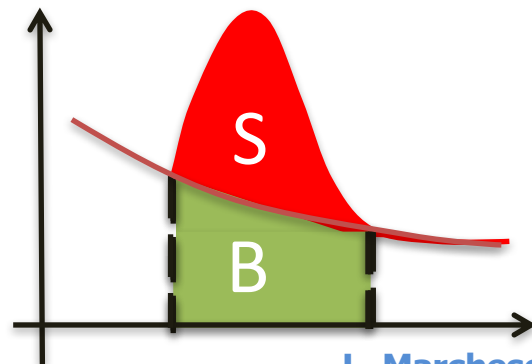
## D<sup>+</sup> reconstruction:

- Fit on triplet of tracks combined together in each event
- Common origin for the triplet of tracks? **→ D<sup>+</sup> CANDIDATE**

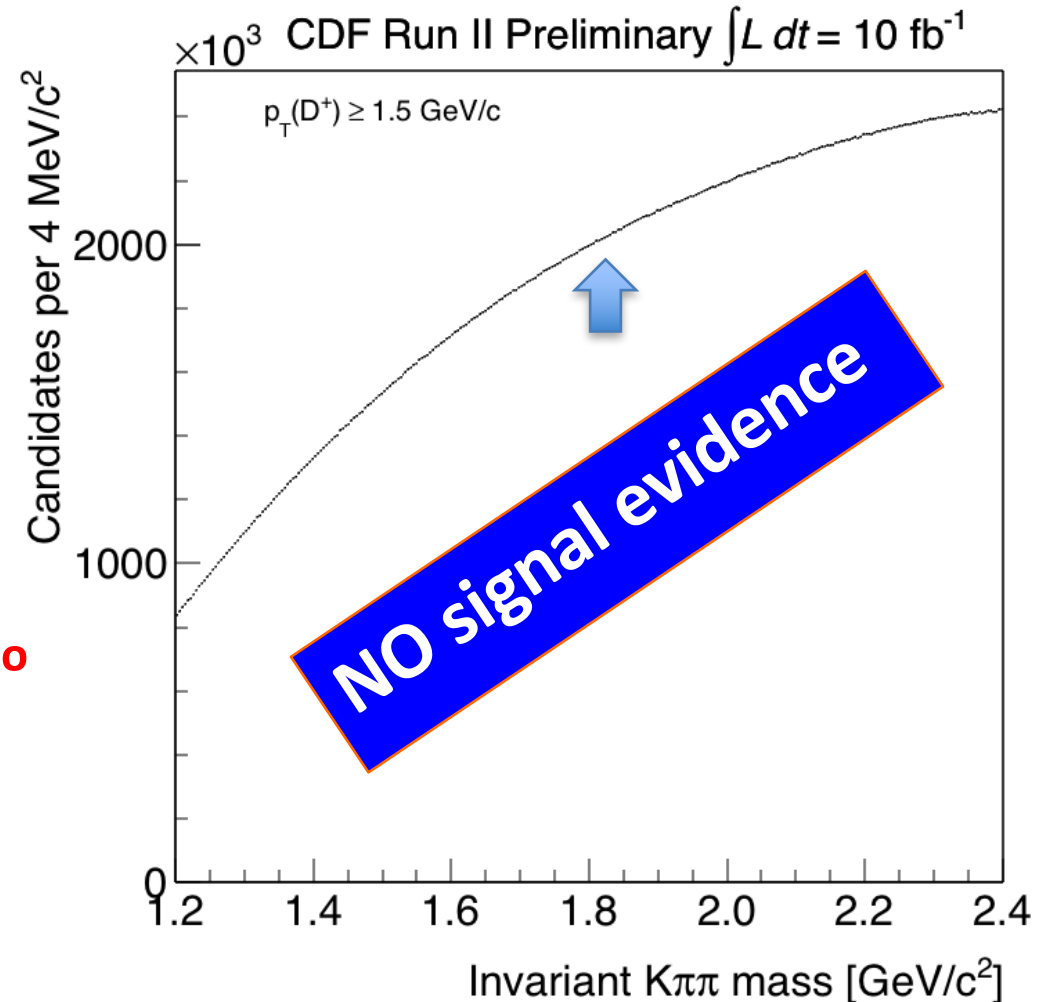


1. Selection optimization is mandatory to unfold the signal
2. We perform it in five  $p_T(D^+)$ -bins

$$f(S,B) = \frac{S}{\sqrt{S+B}}$$



L. Marchese

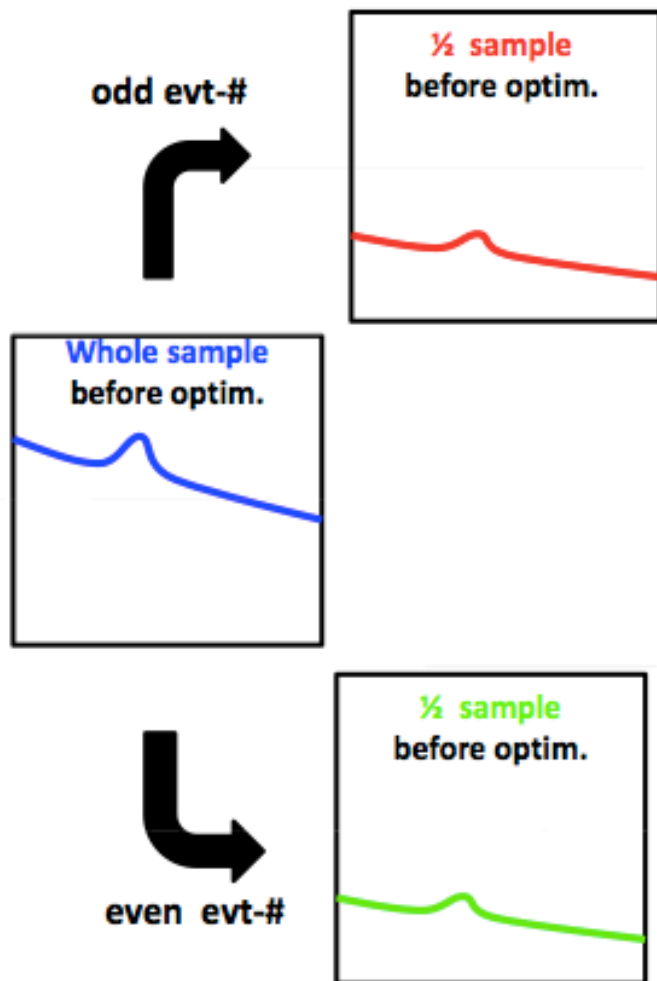


## 3 OPTIMIZATION VARIABLES:

$p_T(\text{tracks})$ ,  $\chi^2$  and  $L_{xy}$

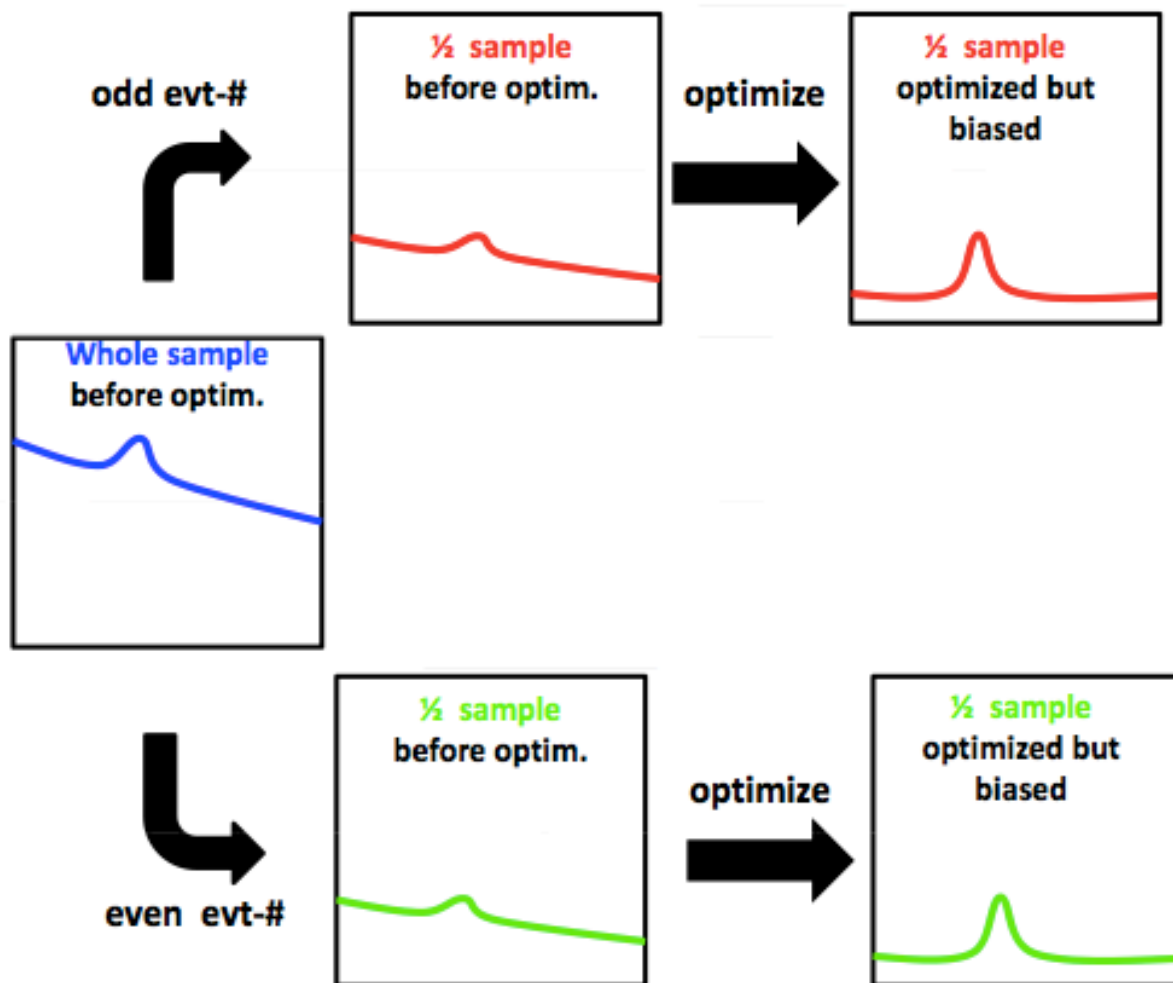


# SELECTION OPTIMIZATION



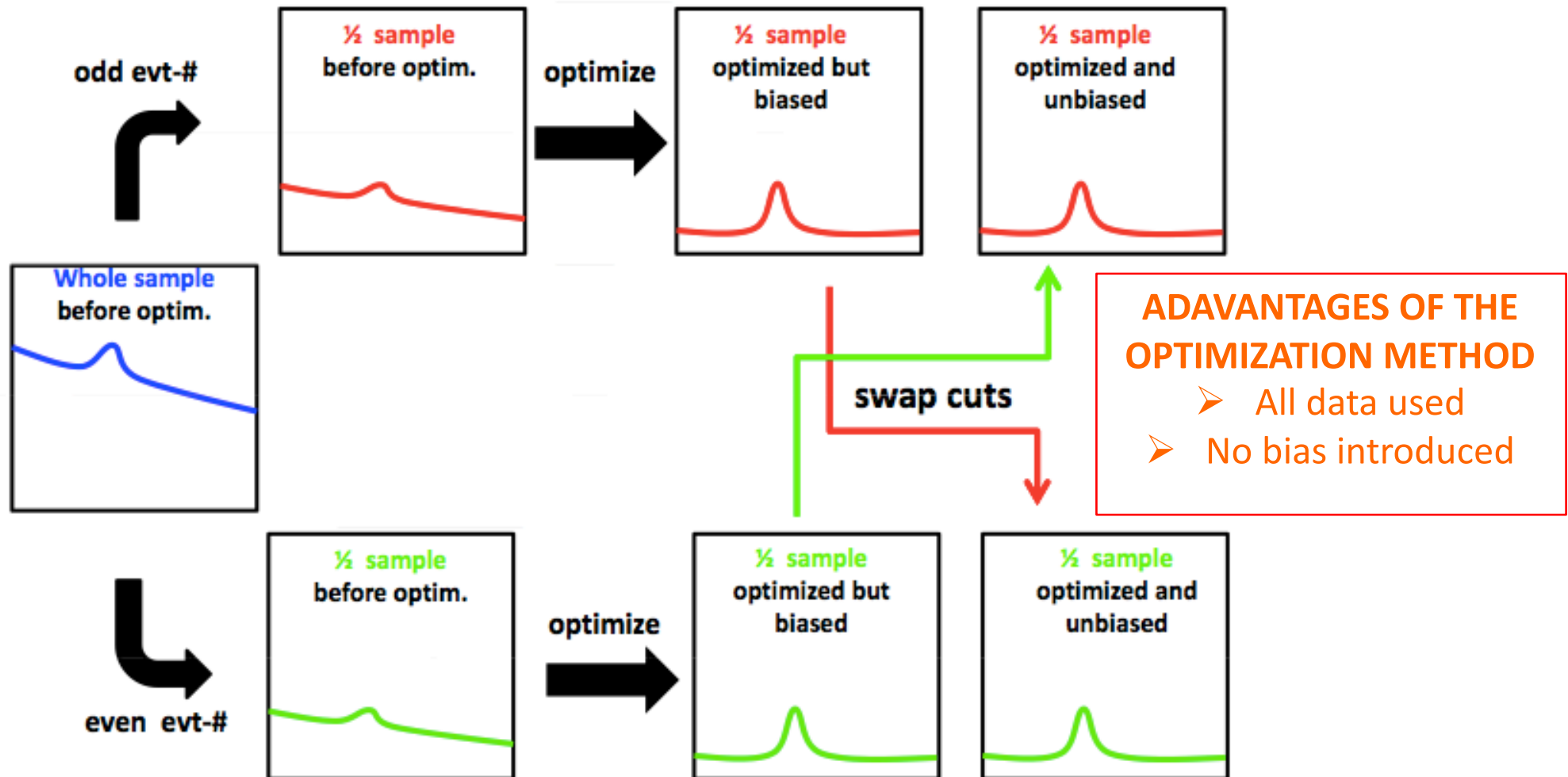


# SELECTION OPTIMIZATION





# SELECTION OPTIMIZATION





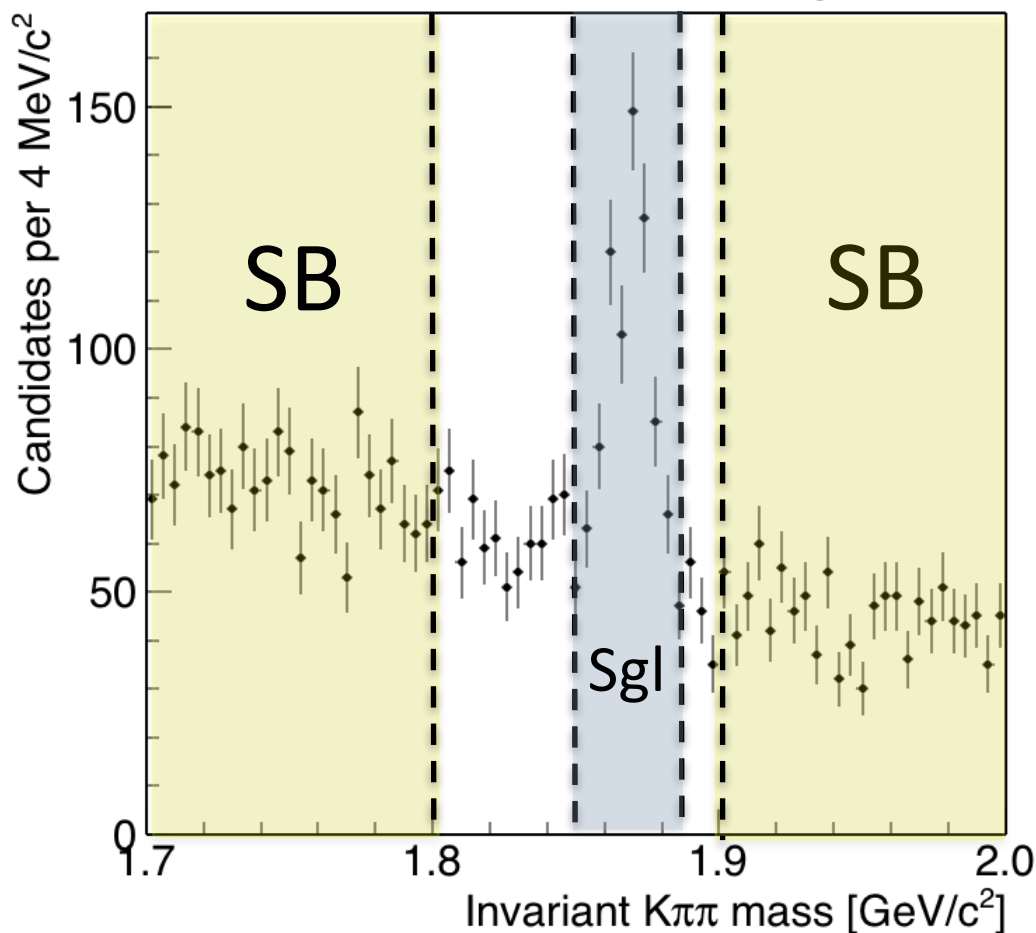
# DEFINITIONS



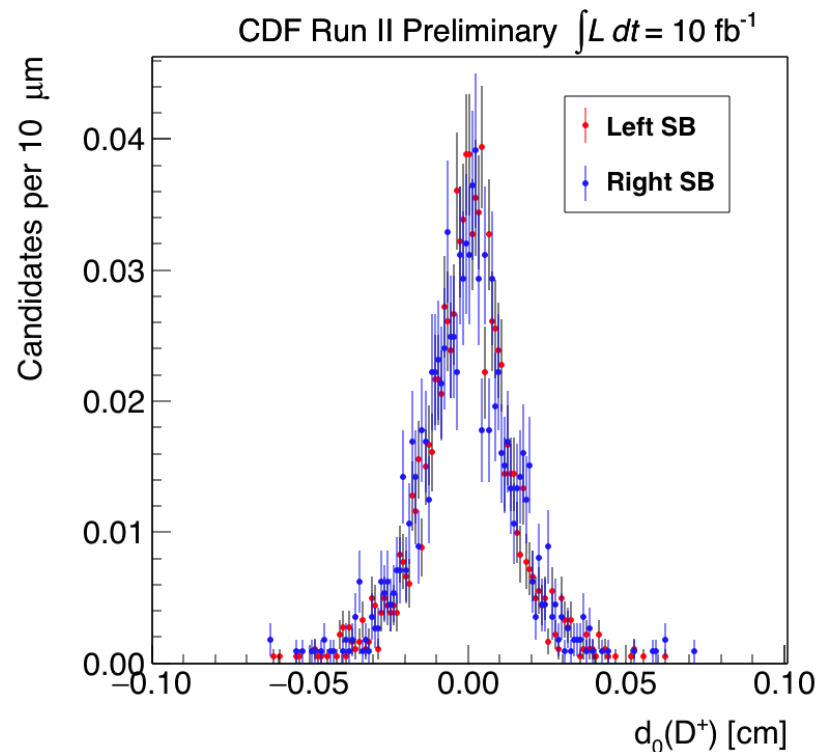
**SIGNAL REGION:**  $[m_D - 3\sigma, m_D + 3\sigma]$   $\sigma$  from MC

**ODD sample**  $3.5 < p_T(D^+) < 4.5 \text{ GeV}/c$

CDF Run II Preliminary  $10 \text{ fb}^{-1}$



Compare  $d_0$  distributions for left and right Sidebands



**KOLMOGOROV – SMIRNOV TEST: 90%**

We handle them together

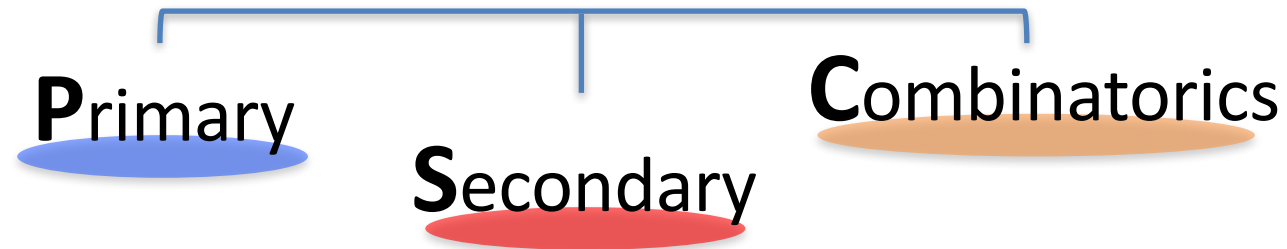




# PROMPT SIGNAL EXTRACTION



- Assumption:  
in the signal region three components



- For each component, the distributions in mass ( $m$ ) and impact parameter ( $d_0$ ) are **uncorrelated**
- Two parameters ( $f_P, f_S$ )-unbinned likelihood fit**

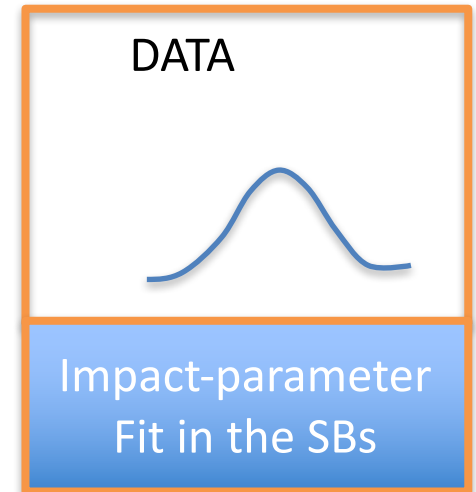
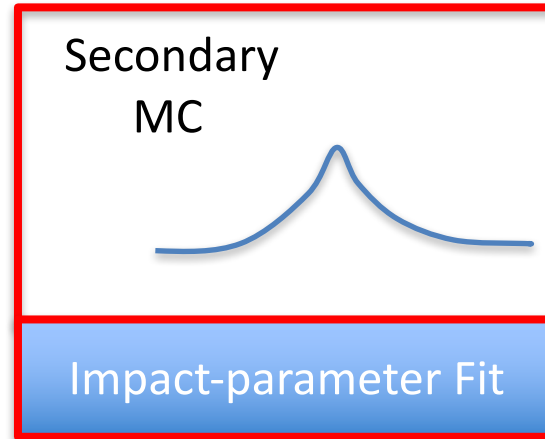
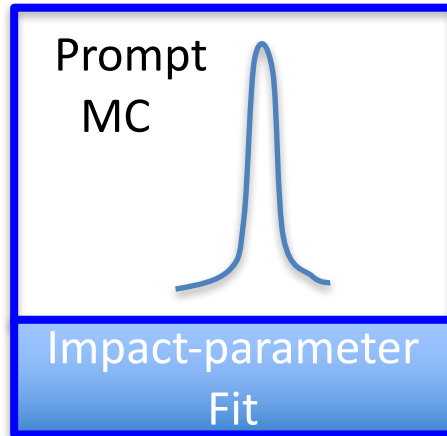
$$\mathcal{L}(f_P, f_S) = f_P \cdot F_{S,P}(m)F_P(d_0) + f_S \cdot F_{S,P}(m)F_S(d_0) + (1 - f_P - f_S) \cdot F_C(m)F_C(d_0)$$



# SHAPE EXTRACTION



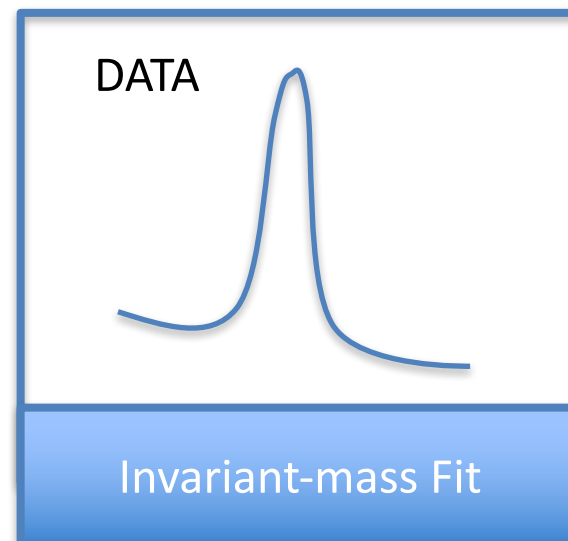
$d_0(D^+)$



$$L(f_P, f_S, \vec{\theta}_P, \vec{\theta}_S, \vec{\theta}_C) = f_P \cdot F_P(m, d_0; \vec{\theta}_P) + f_S \cdot F_S(m, d_0; \vec{\theta}_S) + (1 - f_P - f_S) \cdot F_C(m, d_0; \vec{\theta}_C)$$

MASS

- Primary component
- Secondary component
- Combinatorics



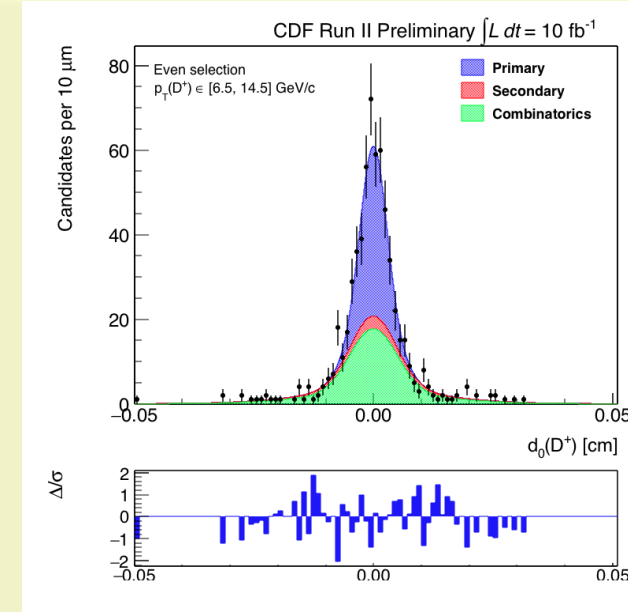
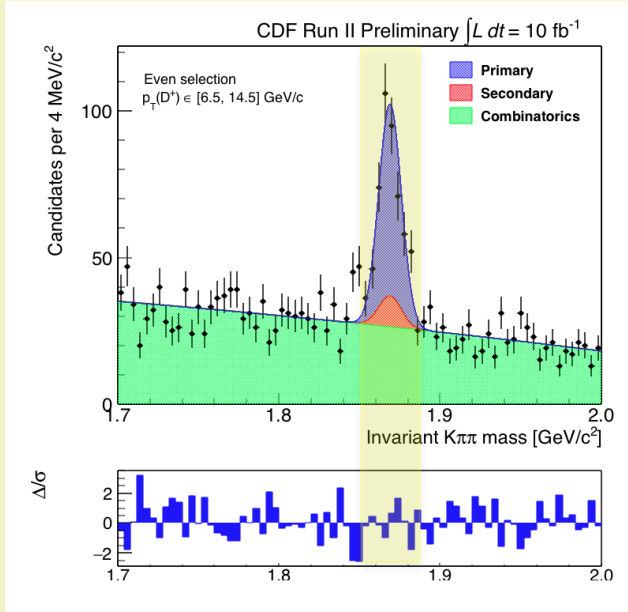


# $6.5 < p_T(D^+) < 14.5 \text{ GeV}/c$



## EVEN EVENTS

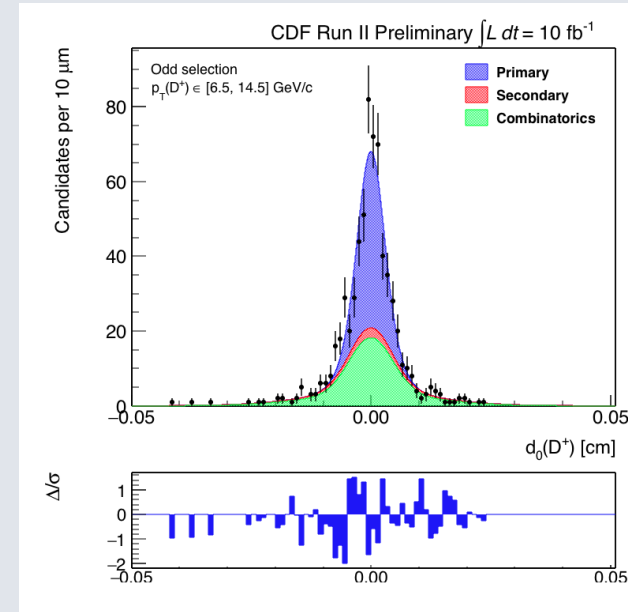
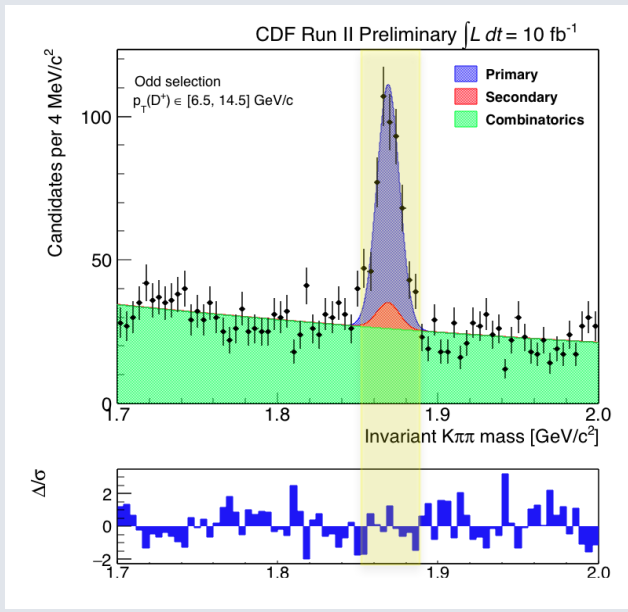
$D^+_{\text{prompt}} = 278 \pm 24$



$d_0(D^+)$   
SIGNAL REGION

## ODD EVENTS

$D^+_{\text{prompt}} = 327 \pm 27$



$d_0(D^+)$   
SIGNAL REGION

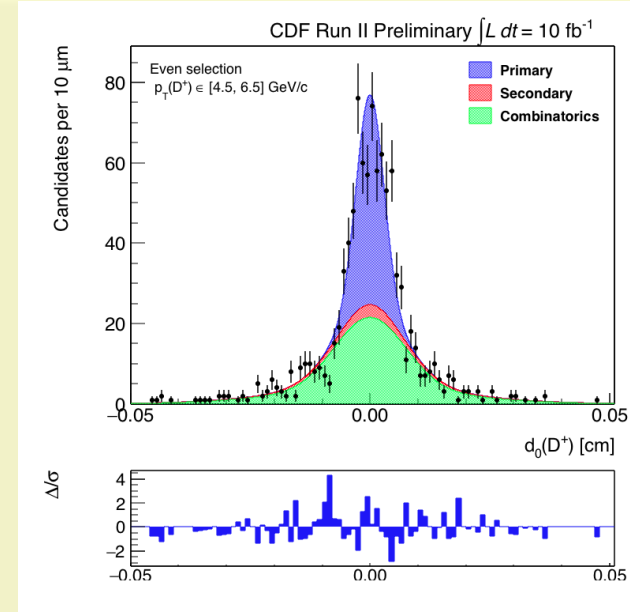
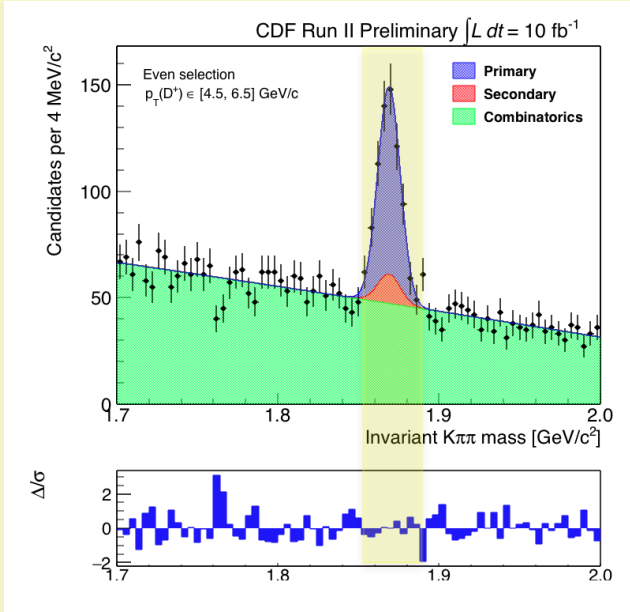


# 4.5 < p<sub>T</sub>(D<sup>+</sup>) < 6.5 GeV/c



## EVEN EVENTS

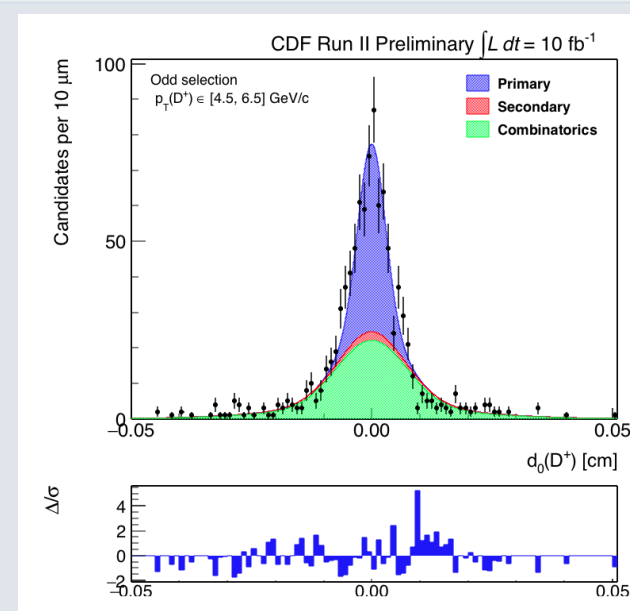
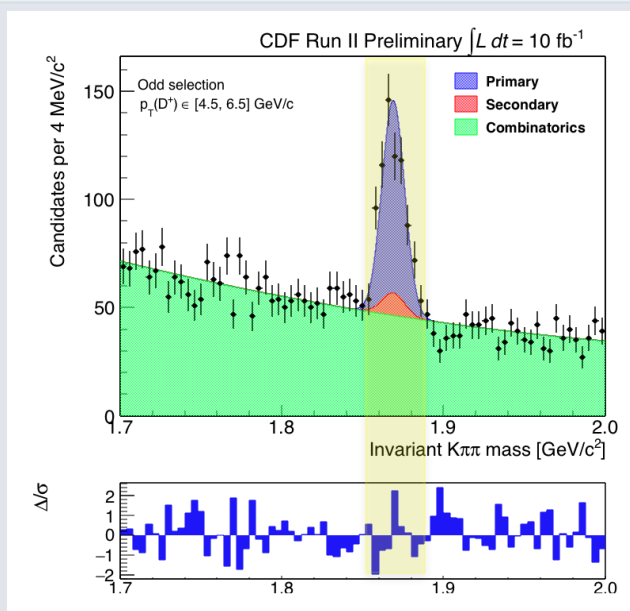
D<sup>+</sup><sub>prompt</sub> = 384±29



d<sub>0</sub>(D<sup>+</sup>)  
SIGNAL  
REGION

## ODD EVENTS

D<sup>+</sup><sub>prompt</sub> = 389±29



d<sub>0</sub>(D<sup>+</sup>)  
SIGNAL  
REGION

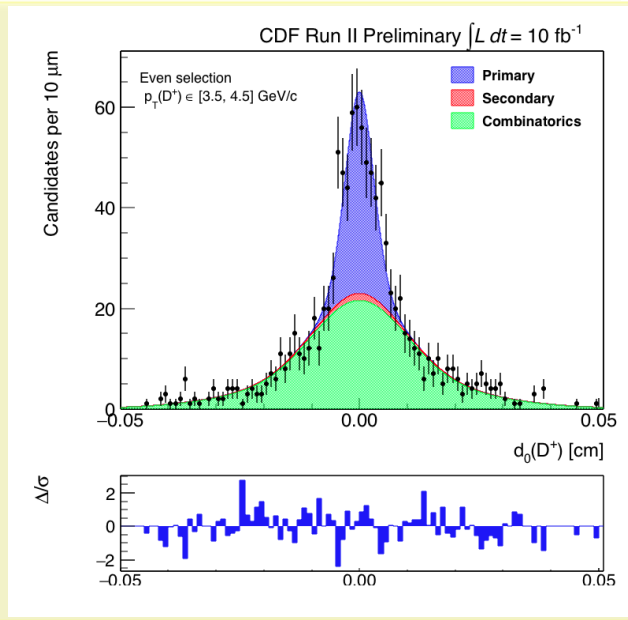
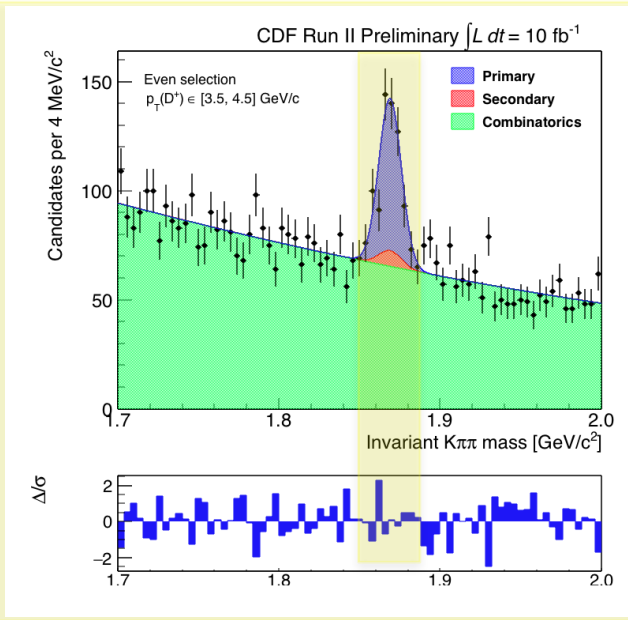


# $3.5 < p_T(D^+) < 4.5 \text{ GeV}/c$



## EVEN EVENTS

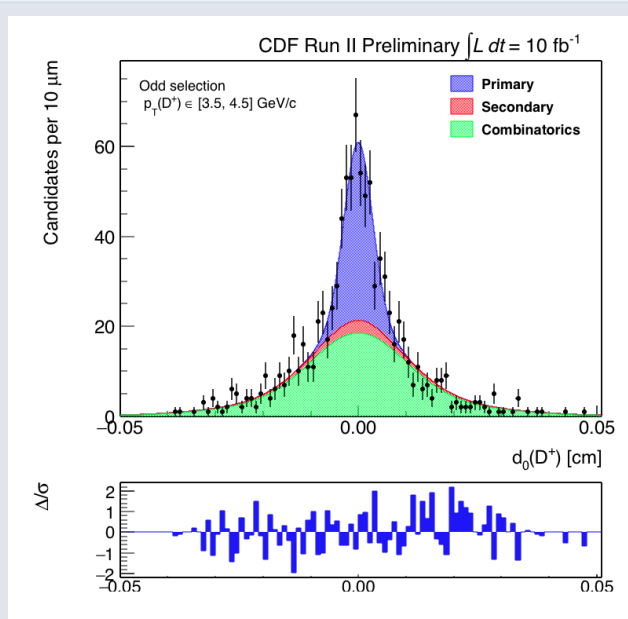
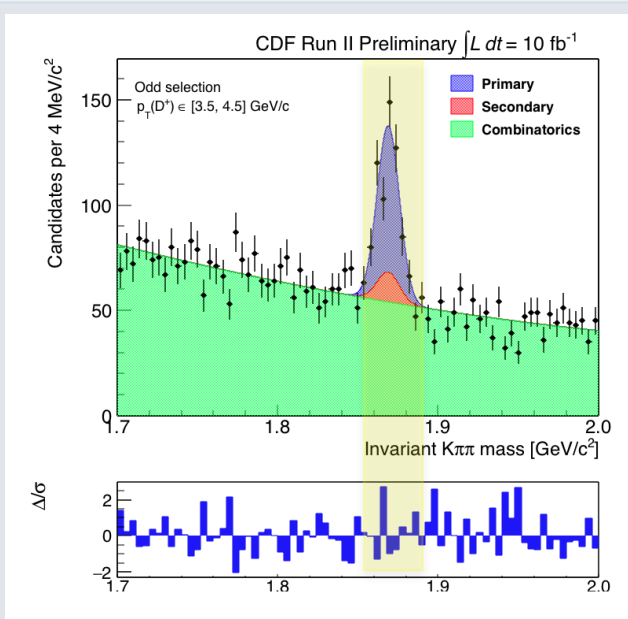
$D^+_{\text{prompt}} = 301 \pm 28$



$d_0(D^+)$   
SIGNAL REGION

## ODD EVENTS

$D^+_{\text{prompt}} = 304 \pm 28$



$d_0(D^+)$   
SIGNAL REGION

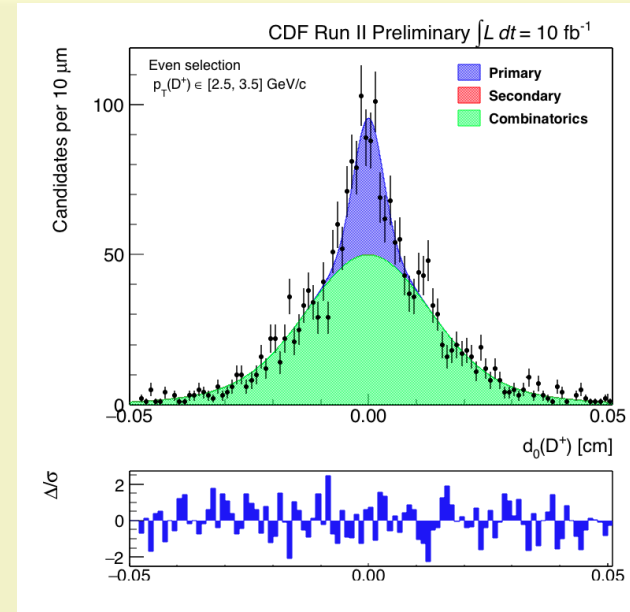
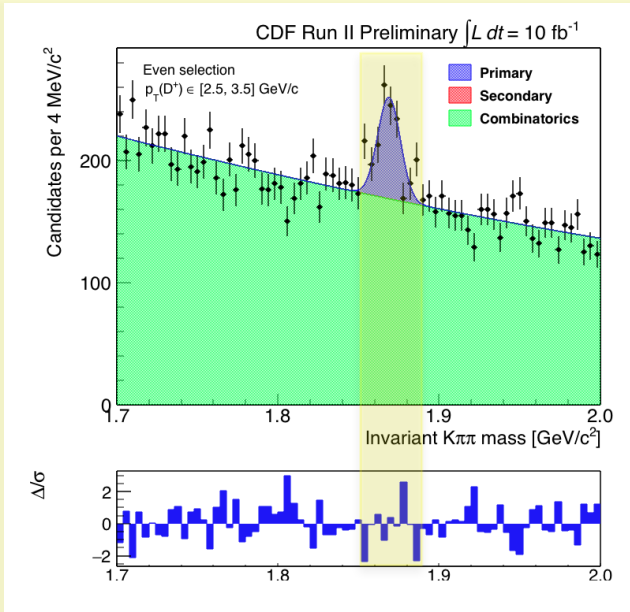


# $2.5 < p_T(D^+) < 3.5 \text{ GeV}/c$



## EVEN EVENTS

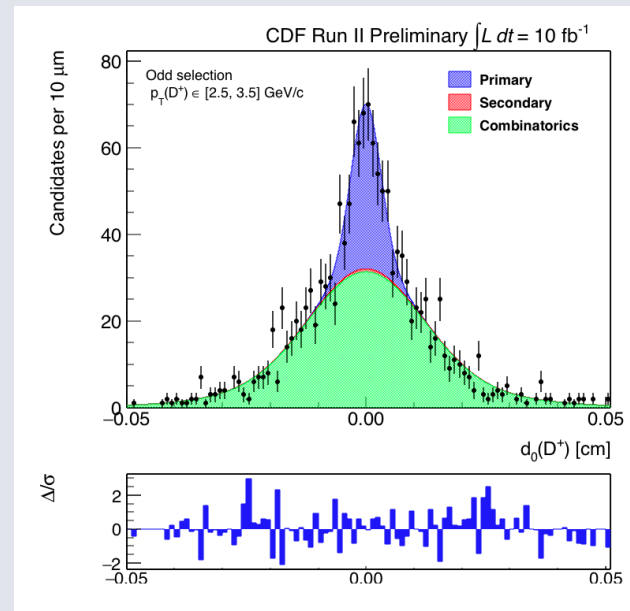
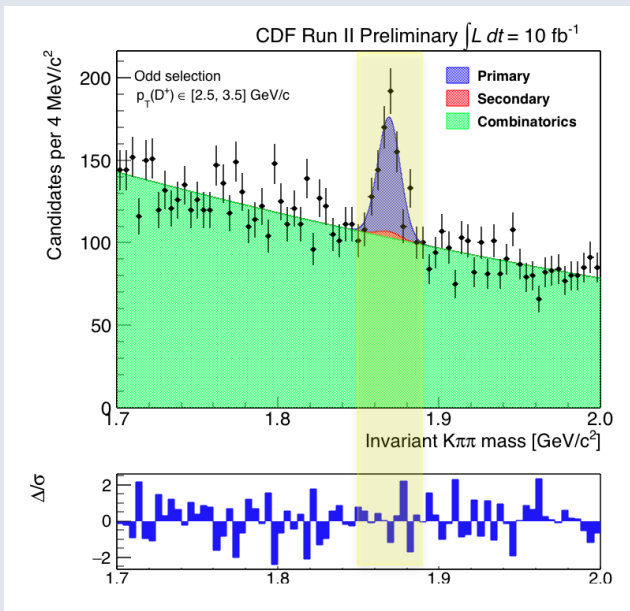
$D^+_{\text{prompt}} = 366 \pm 27$



$d_0(D^+)$   
SIGNAL  
REGION

## ODD EVENTS

$D^+_{\text{prompt}} = 307 \pm 34$



$d_0(D^+)$   
SIGNAL  
REGION

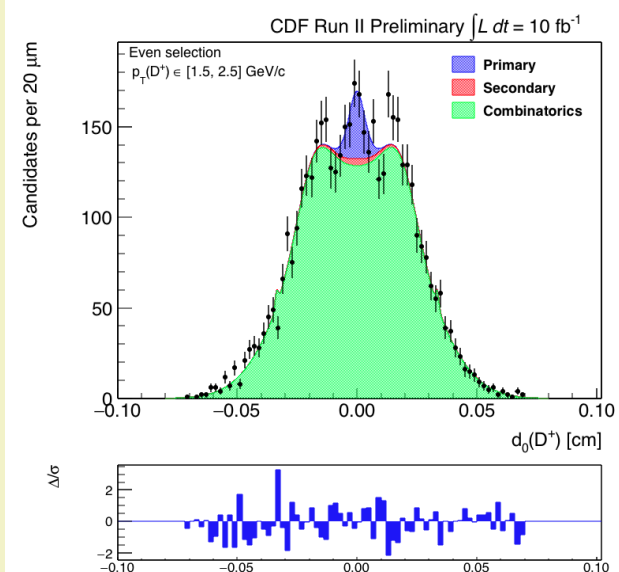
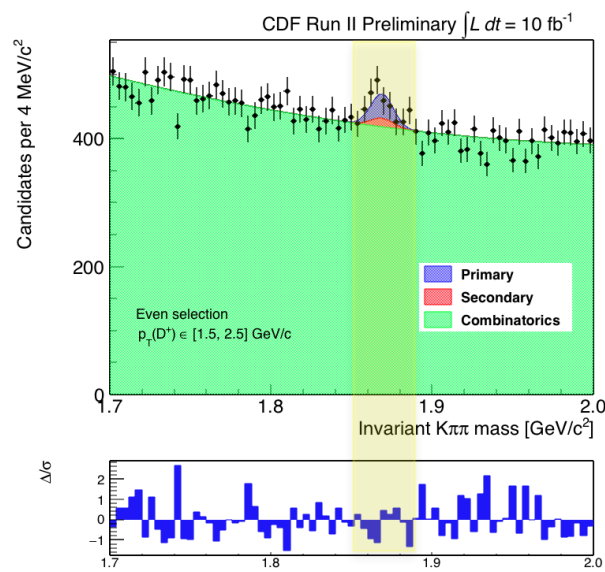


# $1.5 < p_T(D^+) < 2.5 \text{ GeV}/c$



## EVEN EVENTS

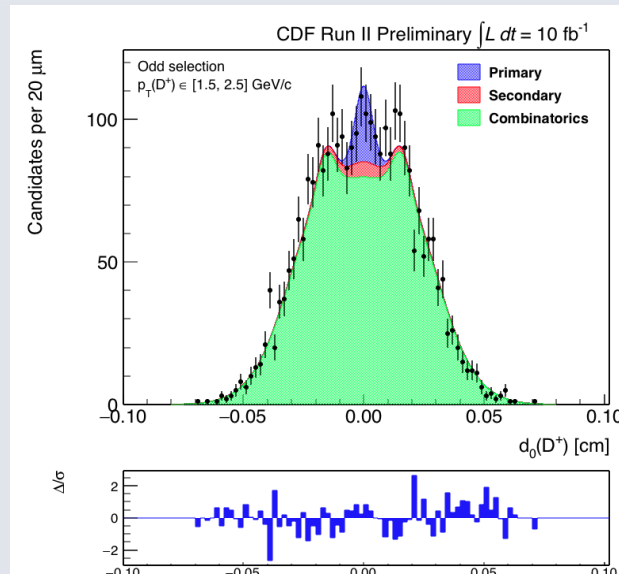
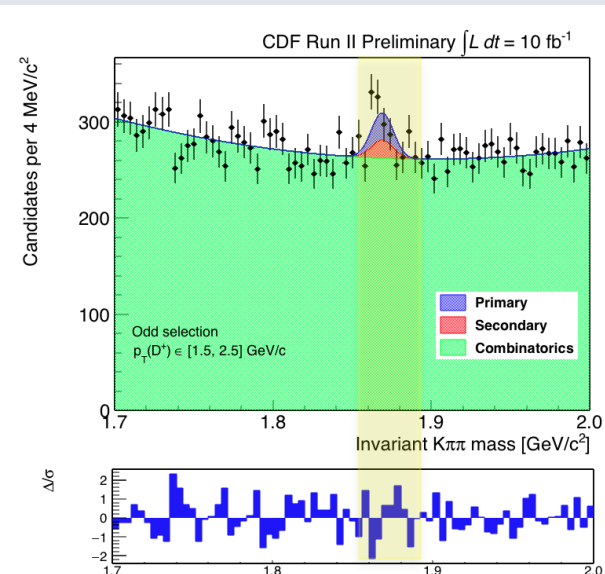
$D^+_{\text{prompt}} = 170 \pm 40$



$d_0(D^+)$   
**SIGNAL REGION**

## ODD EVENTS

$D^+_{\text{prompt}} = 125 \pm 40$



$d_0(D^+)$   
**SIGNAL REGION**



# EFFICIENCY



$$\varepsilon(D^+; p_T) = \varepsilon_{trig} \cdot \varepsilon_{rec}(p_T) \Big|_{|y| \leq 1}$$

$$\varepsilon_{rec}(D^+; p_T) = \frac{N_{Candidates}(p_T) \text{ passing the Rec Selections}}{N_{Generated}(p_T)} \Big|_{|y| \leq 1}$$

TRIGGER EFFICIENCY	RECONSTRUCTION EFFICIENCY
<ul style="list-style-type: none"><li>➤ No <math>p_T</math>-dependence</li><li>➤ Negligible effect: 1.7‰</li><li>➤ We handle it as a systematic uncertainty</li></ul>	<ul style="list-style-type: none"><li>➤ <math>p_T</math>-dependence</li><li>➤ MC based</li><li>➤ Since it is the first CDF low-<math>p_T</math> cross-section measurement, we performed additional cross-checks (see back-up slides)</li></ul>





# RECONSTRUCTION EFFICIENCY



CDF Run II Preliminary

$p_T(D^+)$ [GeV/c]	Subsample	$\varepsilon_{\text{rec}}(D^+)$ [%]
1.5–2.5	Even	$0.331 \pm 0.011$
	Odd	$0.267 \pm 0.010$
2.5–3.5	Even	$1.142 \pm 0.026$
	Odd	$1.020 \pm 0.025$
3.5–4.5	Even	$2.098 \pm 0.047$
	Odd	$2.110 \pm 0.047$
4.5–6.5	Even	$3.936 \pm 0.073$
	Odd	$3.936 \pm 0.073$
6.5–14.5	Even	$7.46 \pm 0.15$
	Odd	$7.36 \pm 0.15$



# SYSTEMATIC UNCERTAINTIES

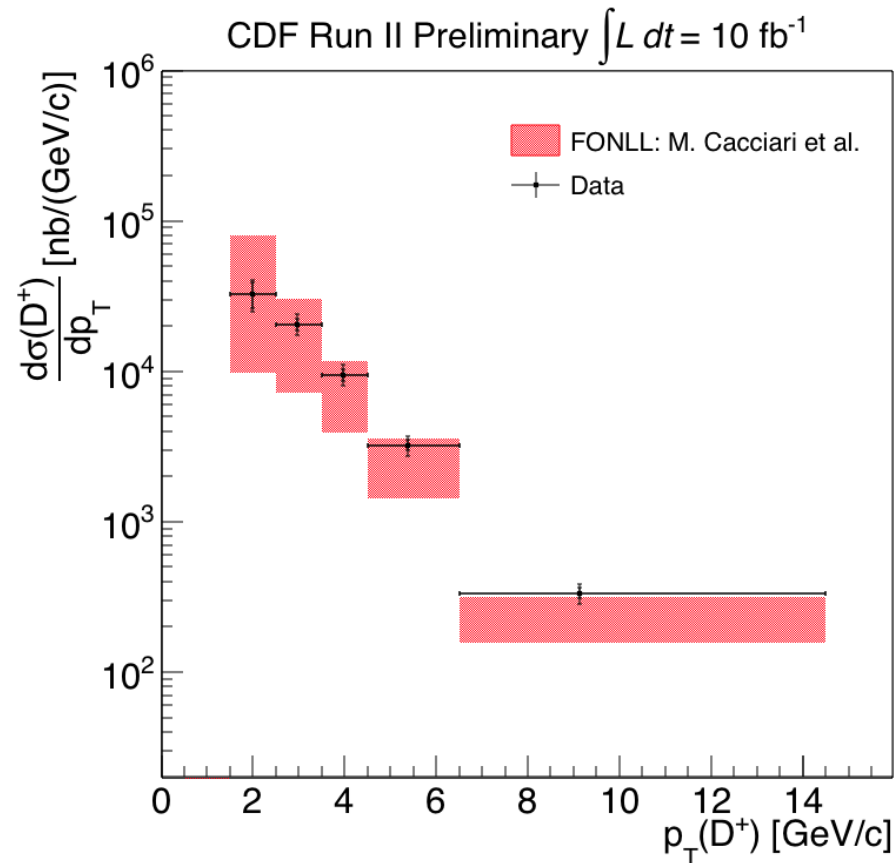


- **Reconstruction-efficiency procedure**  
We perform some MC/Data tests on control-samples to evaluate possible inaccuracies in the MC simulation of the silicon
- **Background and signal shape**  
We change the signal or the background shape and evaluate the effect on the final number
- **Trigger Efficiency**
- **Luminosity**
- **D<sup>+</sup> Branching Ratio**

CDF Run II Preliminary					
$\sigma_{L\text{trig}}^{\text{sys}}$ [%]	$\sigma_{\text{shape}}^{\text{sys}}$ [%]	$\sigma_{\varepsilon_{\text{trig}}}^{\text{sys}}$ [%]	$\sigma_{\varepsilon_{\text{rec}}}^{\text{sys}}$ [%]	$\mathcal{B}(D^+ \rightarrow K^- \pi^+ \pi^+)$ [%]	$\sigma_{\text{tot}}^{\text{sys}}$ [%]
5.8	0.9-1.5 depending on the bin	0.17	11.5	0.24	13



# RESULTS: CROSS SECTION



The cross section we measure is  **$p_T$ -AVERAGED** and  **$y$ -INTEGRATED**

The horizontal bars represent the  **$p_T$ -interval** over which we average in  $p_T$

The markers are placed at the  $p_T$  point-value at which the cross section equals the predicted values of the cross section.

FONLL reference: *M. Cacciari et al., JHEP 1210 (2012) 137*

**Uncertainties on scales, masses and PDFs have been considered for the theoretical prediction**



# COMPARISON WITH PREVIOUS CDF-RESULT



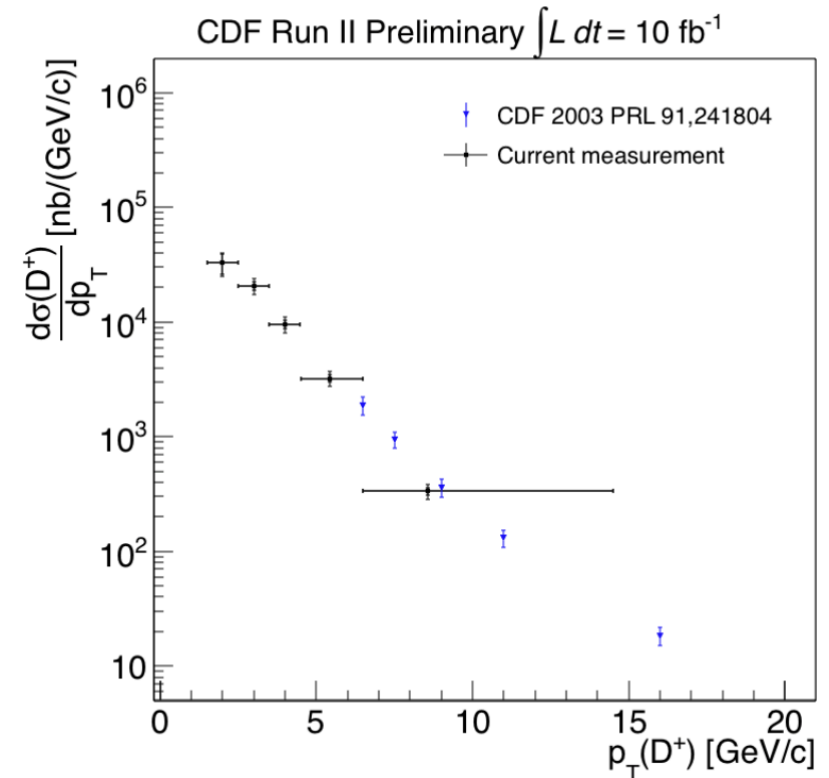
- ◆ The comparison with the previous CDF result, *PRL 91*-measurement, is an important consistency check of the analysis, but doing it properly is not straightforward:
  1. The *PRL91*-analysis published the cross section at a given  $p_T$  value within each bin while we measure the cross section averaged across each bin
  2. The *PRL91* and this measurement cover different  $p_T$  ranges: [6, 20] vs [1.5, 14.5] GeV/c
  
- ◆ A simple direct comparison is not possible



# COMPARISON WITH PRL-91 RESULT



- To overcome the problem of the different binning and different cross-section definition we compare the measurements by using the theoretical prediction as a reference to normalize both measurements
- We consider all experimental uncertainties except the common luminosity contribution
- **We agree within  $\Delta/\sigma = 0.5$**



The markers for this measurement are placed at the average- $p_T$  within the bin.



# CONCLUSIONS



- ❖ We have measured the low  $p_T$   $D^+$ -meson production cross section at CDF
- ❖ While the measurements lie within the band of theoretical uncertainty, there is a systematic variation suggesting that the shape of the theoretical cross section can benefit by further refinement taking account these results
- ❖ We agree with earlier determination at high momenta
- ❖ Since it is the first measurement of the silicon low  $p_T$  efficiency, it is a benchmark for all other CDF cross section-measurements in these kinematic conditions
- ❖ Further information can be found at: <http://goo.gl/ai9mj2>



*Thank you*





# BACK-UP

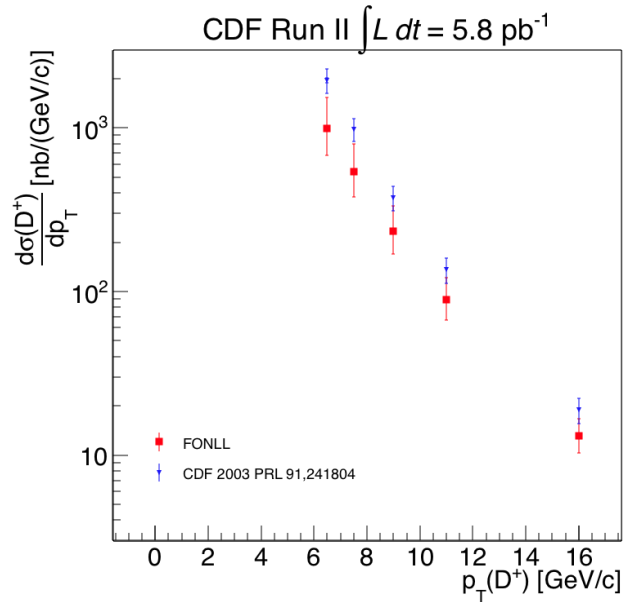




# COMPARISON WITH PRL-91 RESULT

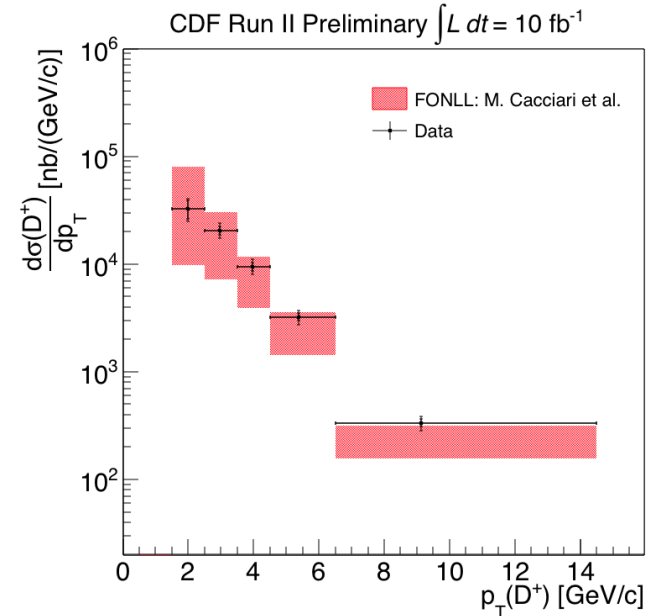


## PRL91-MEASUREMENT AND THEORY



CDF Run II Preliminary

## THIS MEASUREMENT AND THEORY



CDF Run II Preliminary

$p_T(D^+) \text{ [GeV}/c]$	PRL91-meas.[nb/(GeV/c)]*	Theory	PRL91-Data/Theory ratio
6-7	1 886±309	997±541	1.89±1.07
7-8	948±143	537±259	1.77±0.89
8-10	361±57	233±99	1.54±0.70
10-12	131±22	89±32	1.47±0.59
12-20	18.3±3.0	13.0±3.6	1.40±0.46

\*scaled to take into account the current value of the BR =  $9.46 \pm 0.24 \%$

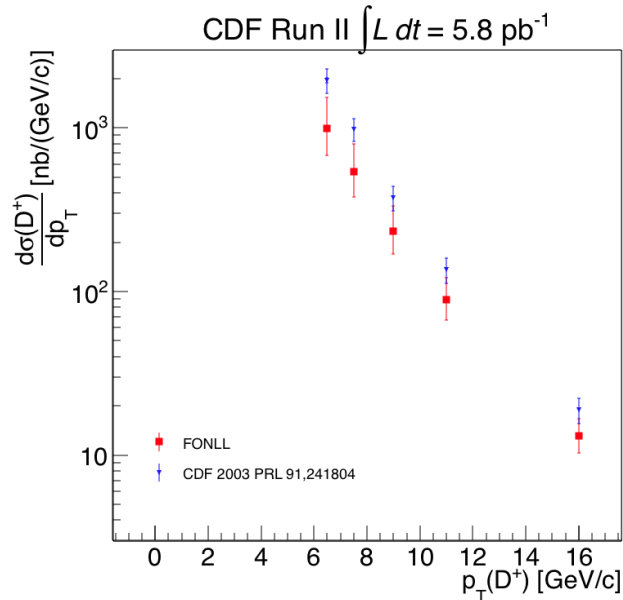
$p_T(D^+) \text{ [GeV}/c]$	This meas.[nb/(GeV/c)]	Theory	This Data/Theory ratio
1.5-2.5	32 700±7 509	36 009±25 847	0.91±0.69
2.5-3.5	20 600±2 975	15 565±14 663	1.32±1.27
3.5-4.5	9 500±1 378	6 538±5 070	1.45±1.15
4.5-6.5	3 230±453	2 176±1 378	1.48±0.97
6.5-14.5	336±47	218±99	1.54±0.74



# COMPARISON WITH PRL-91 RESULT

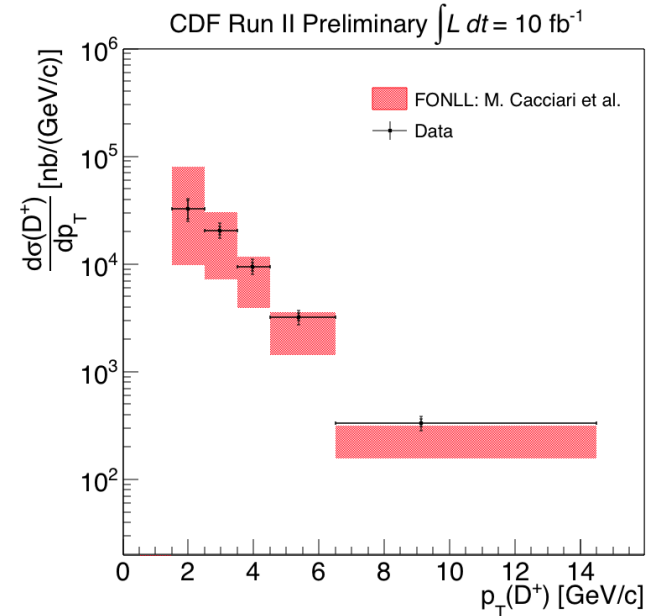


## PRL91-MEASUREMENT AND THEORY



CDF Run II Preliminary

## THIS MEASUREMENT AND THEORY



CDF Run II Preliminary

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## Weighted-averages of the data/theory ratios

CDF Run II Preliminary		
This <Data/Theory ratio>	PRL-91<Data/Theory ratio>	$\Delta/\sigma$
1.54±0.15	1.64±0.13	0.48



# OPTIMIZATION RESULTS



$p_T(D^+)$ [GeV/c]	PARITY	Any two $p_T(\text{TRK}) \geq$ [GeV/c]	$\chi^2/\text{ndf} \leq$	$L_{xy} \geq$ [cm]
[ 2.5, 3.5]	EVEN	0.6	2	0.0600
	ODD	0.6	3	0.0600
[ 3.5, 4.5]	EVEN	0.7	5	0.0750
	ODD	0.7	5	0.0750
[ 4.5, 6.5]	EVEN	0.9	6	0.0750
	ODD	0.9	6	0.0750
[ 6.5, 13.5]	EVEN	1.1	7	0.0750
	ODD	1.1	7	0.0750
[1.5; 2.5]	EVEN	0.7	4	0.0600
	ODD	0.6	4	0.0600

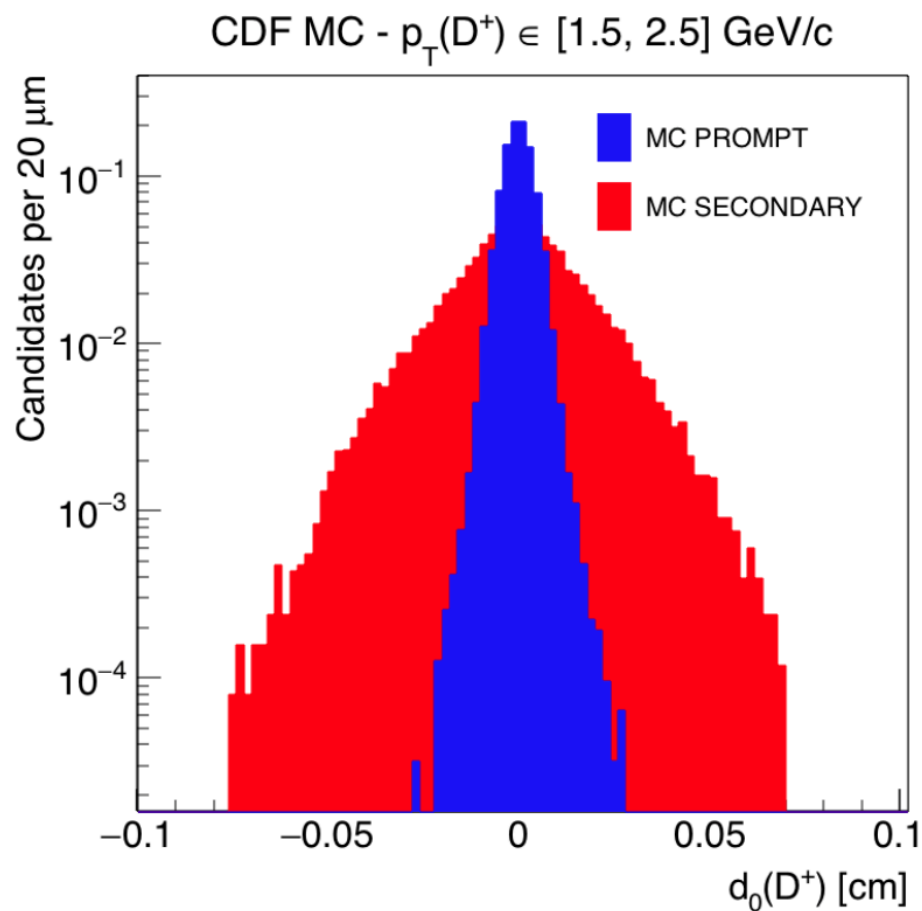
$$|d_0(D^+)| \leq 100 \mu\text{m}$$



# 1.5 < p<sub>T</sub>(D<sup>+</sup>) < 2.5 GeV/c: structures



The structures are not related to the Prompt or Secondary component

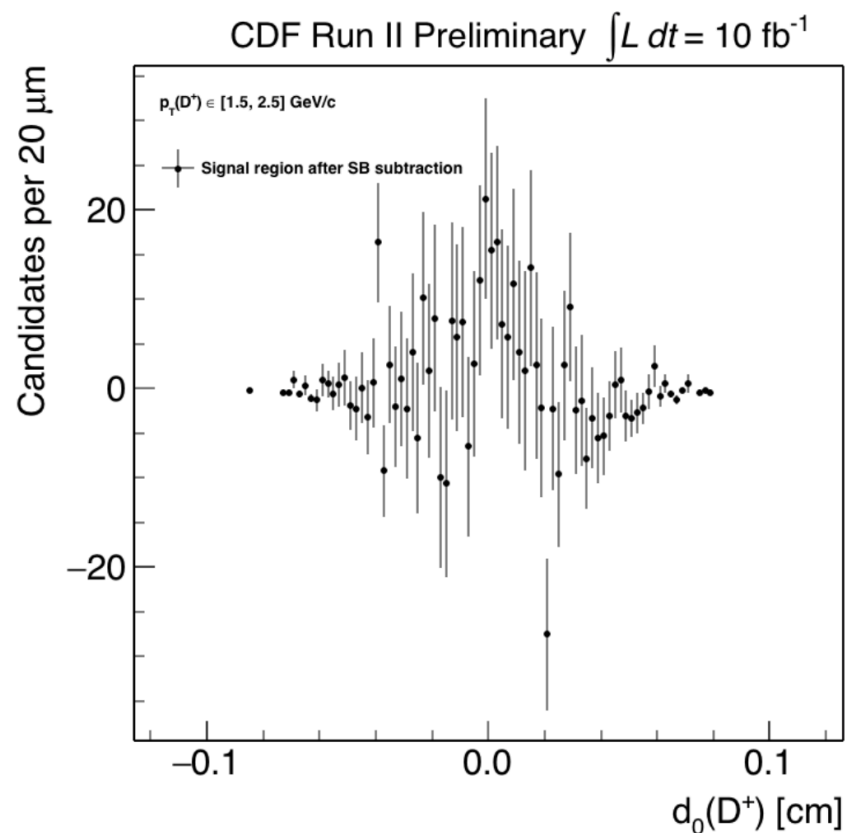
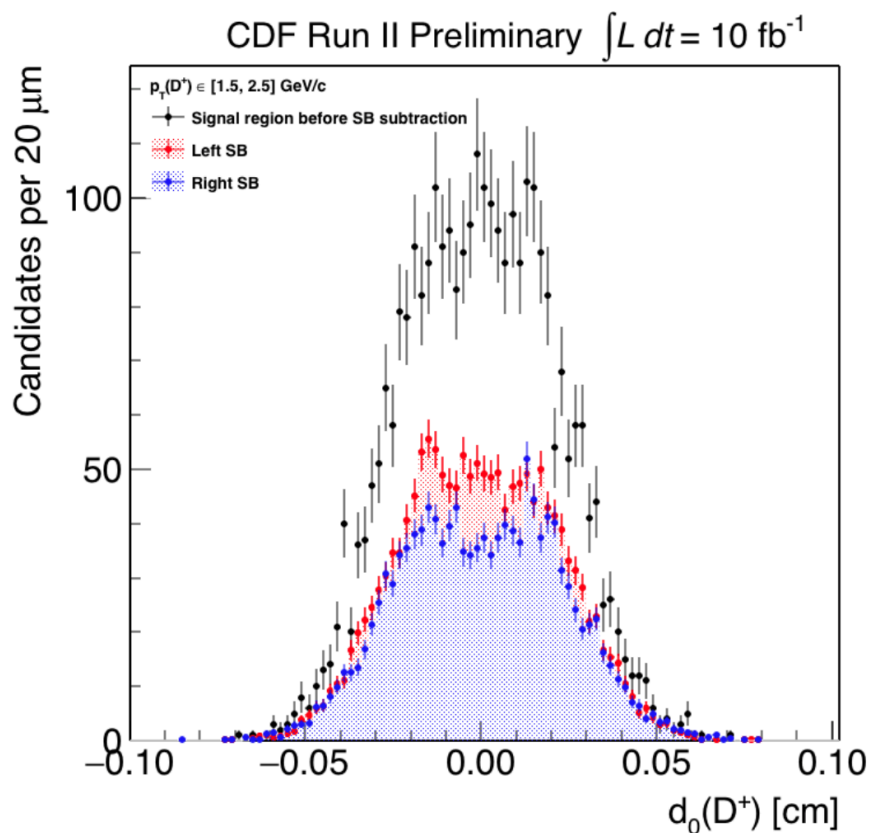




# 1.5 < p<sub>T</sub>(D<sup>+</sup>) < 2.5 GeV/c: structures



They are due to the contribution of combinatorics.  
In SBs-subtracted region they disappear





# CONSISTENCY CHECKS



- We have performed some consistency checks to test all the steps of this analysis
- They do not significantly change the results but led to a more robust analysis and increased our confidence on the validity of the results



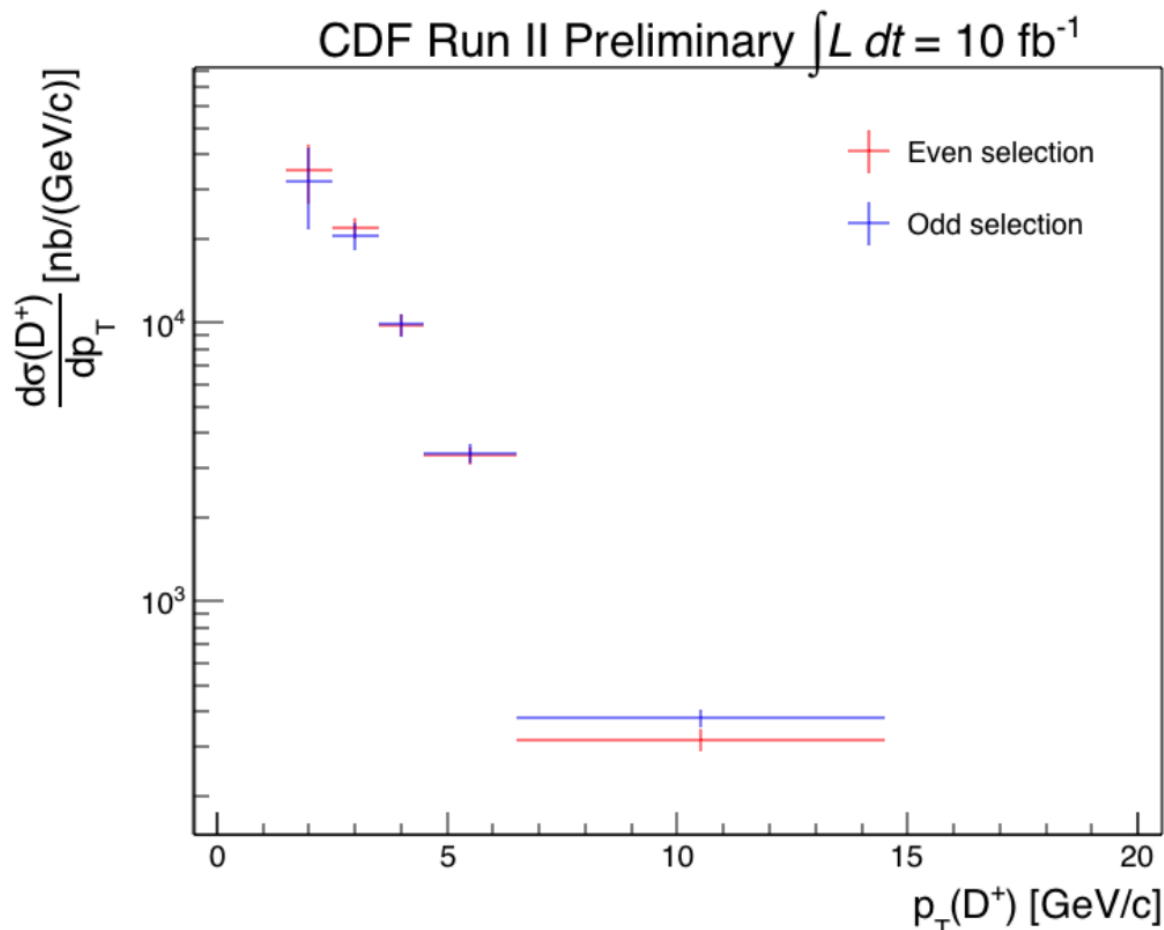
# CONSISTENCY CHECKS



- 1. Optimization procedure**
- 2. Fitting procedure**
- 3. Charge-related effects**
- 4. Triggers consistency**
- 5. Reconstruction efficiency**
- 6. Global procedure**



# OPTIMIZATION PROCEDURE



**The numbers are consistent within errors**

Only statistical uncertainties are considered for both the subsamples





# FITTING PROCEDURE

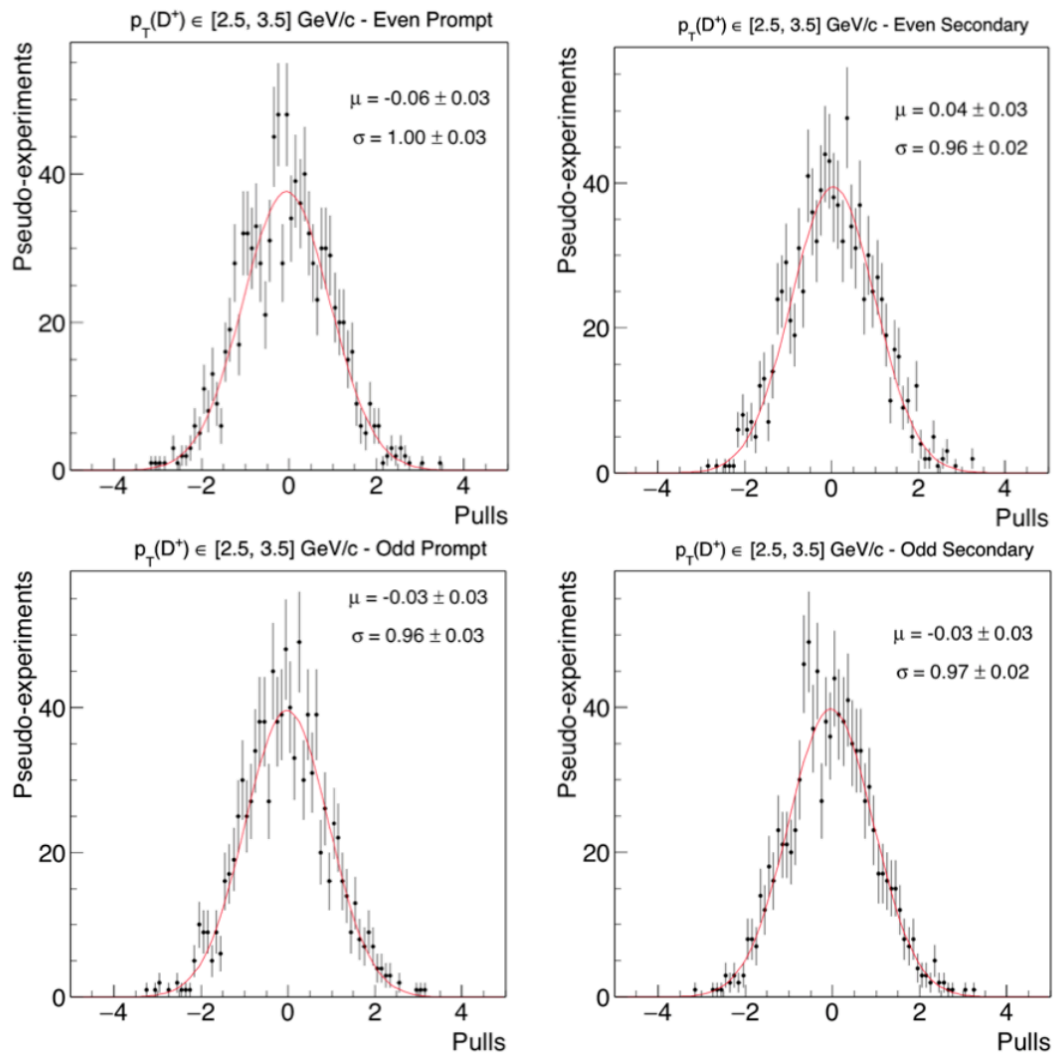


- To test the robust fitting-procedure, for each  $p_T(D^+)$ -bin we have produced 1000 simulated pseudo-experiments that mimic each component (prompt, secondary and combinatorial) according to its pdf.
- The input values for the fraction in generations are those determined by the fit in data.
  - We have performed the 2D-fit on each sample
    - We have evaluate the pulls distribution

**No biases are introduced by the fitting procedure**



# FITTING PROCEDURE





# CHARGE-RELATED EFFECTS



We have measured separately the  $D^+$  and the  $D^-$  production cross section:

- **No new optimization**
- **We perform separately the fitting procedure and the efficiency measurement for the  $D^+$  and the  $D^-$  sample**
  - **Only statistical uncertainties have been considered**
- **It was not possible for the lowest bin,  $p_T(D^+)$  in [1.5; 2.5] GeV/c, because of low statistics**

CDF Run II Preliminary		
$p_T(D^+)$ [GeV/c]	$d\sigma/dp_T(D^-)$ [nb/(GeV/c)]	$d\sigma/dp_T(D^+)$ [nb/(GeV/c)]
2.5–3.5	$20\,600 \pm 2\,200$	$24\,040 \pm 3\,100$
3.5–4.5	$10\,200 \pm 1\,200$	$9\,900 \pm 1\,100$
4.5–6.5	$3\,100 \pm 304$	$3\,700 \pm 360$
6.5–14.5	$383 \pm 38$	$384 \pm 40$

**No charge-related effects are observed**



# TRIGGERS CONSISTENCY



We have measured separately the  $D^+$  cross section in the ZB and MB sample:

- No new optimization or efficiency measurement
- We perform the fitting procedure using the ZB and MB separately
- Only statistical uncertainties have been considered
- It was not possible for the lowest bin,  $p_T(D^+)$  in [1.5; 2.5] GeV/c, because of low statistics

$p_T(D^+)$ [GeV/c]	Subsample	$d\sigma/dp_T(D^+)$ [nb/(GeV/c)]
2.5–3.5	ZB	$20\,200 \pm 2\,500$
	MB	$20\,100 \pm 1\,900$
3.5–4.5	ZB	$9\,900 \pm 1\,100$
	MB	$9\,200 \pm 950$
4.5–6.5	ZB	$3\,220 \pm 314$
	MB	$3\,226 \pm 298$
6.5–14.5	ZB	$315 \pm 34$
	MB	$351 \pm 33$

The two results are consistent



# RECONSTRUCTION EFFICIENCY 1



## SINGLE TRACK EFFICIENCY

First measurement of cross section at low  $p_T$  for CDF

Is the MC reliable

?

**YES** for the COT simulation

**NO** for the Silicon simulation  
The time dependence doesn't take  
into account some dead channels in time

We should check and eventually correct ...

◆ We use DATA  $\longrightarrow$

$J/\psi$	$\longrightarrow$	$\mu^+\mu^-$	DATASET
$D^{*+}$	$\longrightarrow$	$D^0\pi_{\text{soft}}^\pm$	DATASET



# SINGLE-TRACK EFFICIENCY



## HOW TO

In principle the Silicon efficiency per single track already seen in the COT is a 5D-function:

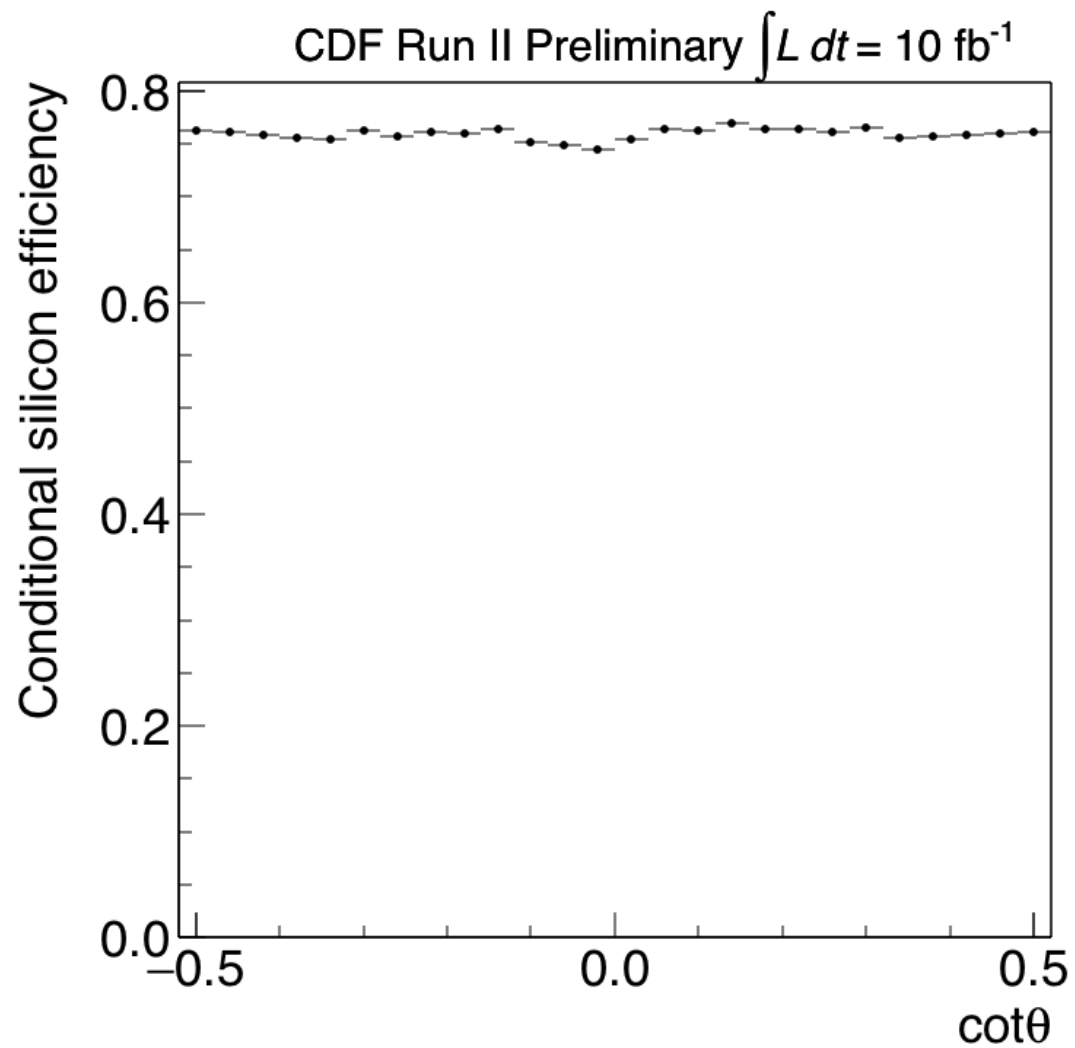
$$\varepsilon(\phi_0, z_0, \theta_0, p_T, t) \quad \longrightarrow \quad \equiv \varepsilon(\phi_0, z_0, t) \cdot \frac{\varepsilon(\cot\theta, t) \cdot \varepsilon(p_T, t)}{\varepsilon_0^2 \text{ Normalization constant}}$$

In our case no  $\varepsilon(\cot\theta, t)$ -dependence is observed, then:

$$\varepsilon \equiv \varepsilon(\phi_0, z_0, t) \cdot \frac{\varepsilon(p_T, t)}{\varepsilon_0}$$



# SINGLE-TRACK EFFICIENCY





# CONDITIONAL-SILICON EFFICIENCY as a function of $p_T$



- The J/Ψ DATASET implements a trigger cut for  $p_T < 1.5$  GeV/c
- Our phase space is densely populated for  $p_T < 1.5$  GeV/c  
**ISSUE: J/Ψ-muons don't probe  $p_T$  as low as we need**
- We expand the DATASET in the low  $p_T$ -region including the Silicon  $p_T$ -efficiency per soft  $\pi$  (from  $D^{*\pm} \longrightarrow D^0 \pi^\pm$ ) already seen in the COT

$$\varepsilon(p_T, t) \begin{cases} p_T \geq 1.5 \text{ GeV/c from J/}\Psi \\ p_T < 1.5 \text{ GeV/c from } \pi_{\text{soft}} \end{cases}$$

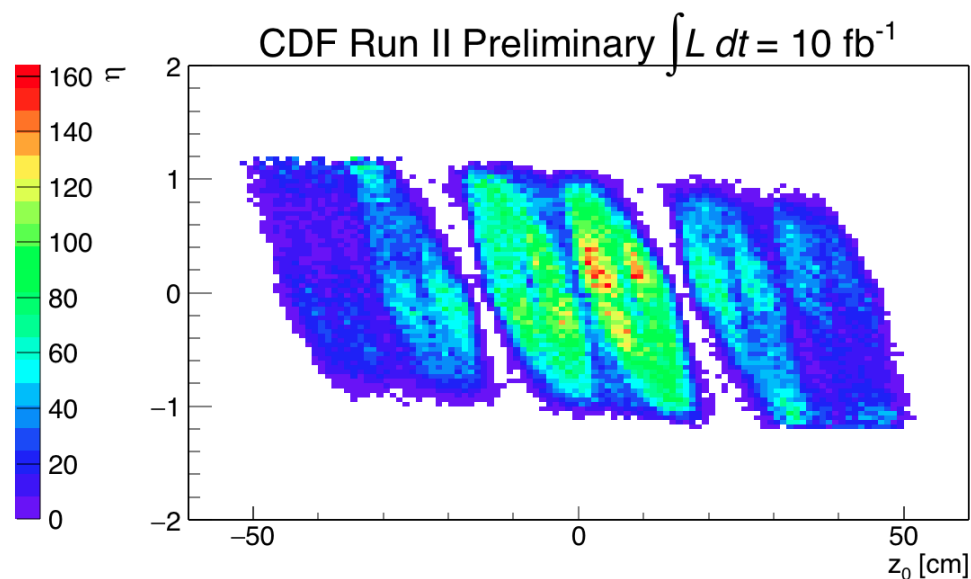
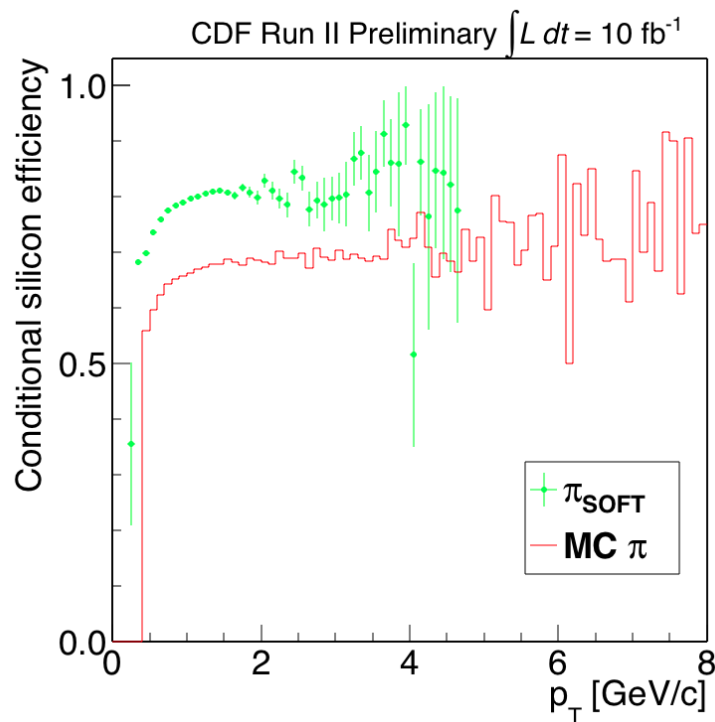




# CONDITIONAL-SILICON EFFICIENCY as a function of $p_T$



- The  $D^0$  is detected only when you have good-quality silicon tracks
- The conditional-silicon-efficiency for the soft  $\pi$  is silicon-biased





# CONDITIONAL-SILICON EFFICIENCY as a function of $p_T$

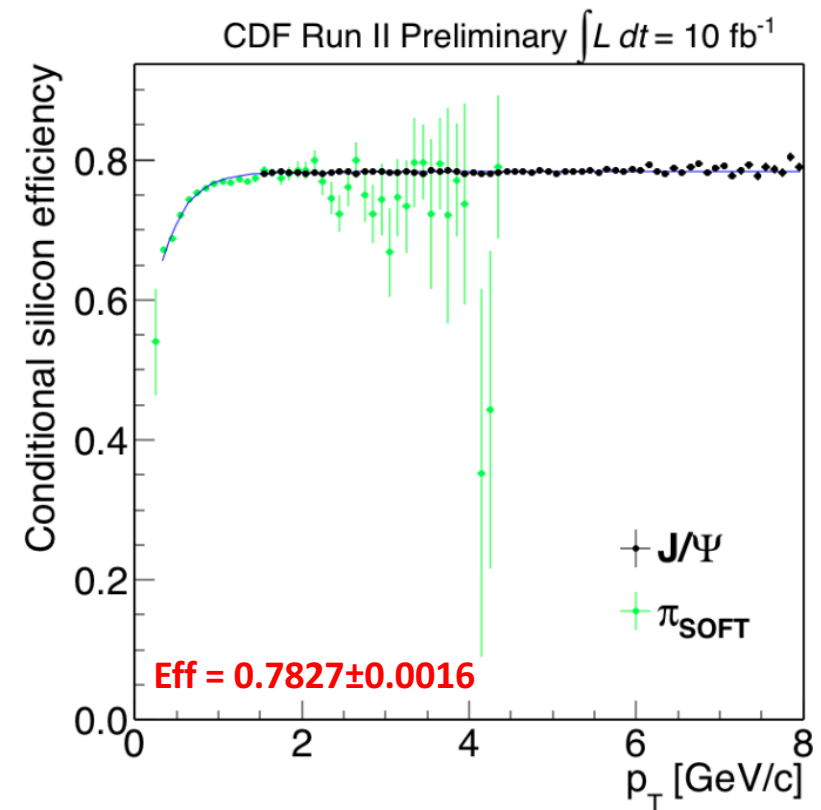
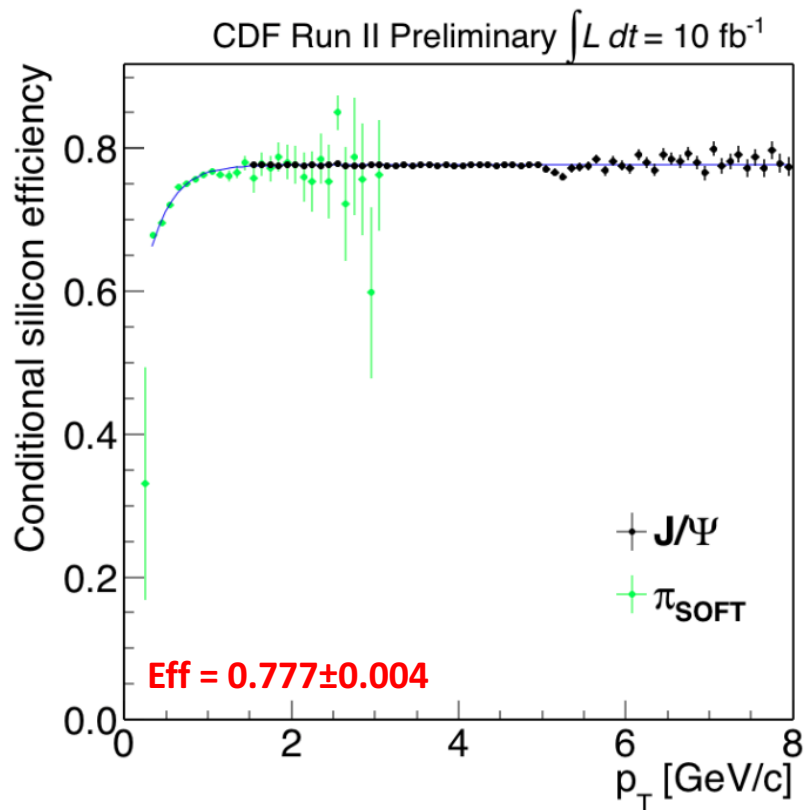


- We use the soft- $\pi$  to model the shape and the  $J/\Psi$  dataset for the plateau

$$Func(p_T) = N \cdot \underbrace{(Const - ae^{-b \cdot p_T})}_{\text{SHAPE from } \pi_{\text{soft}}}$$

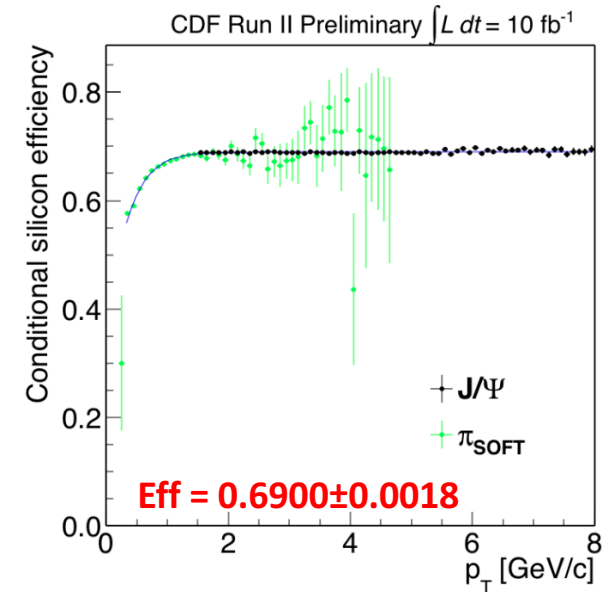
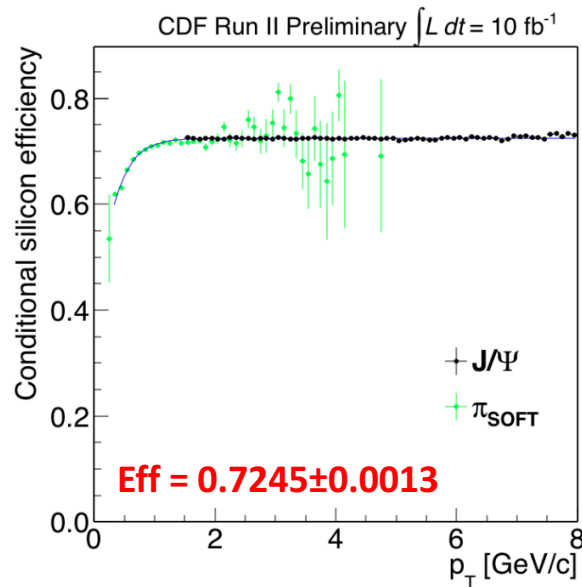
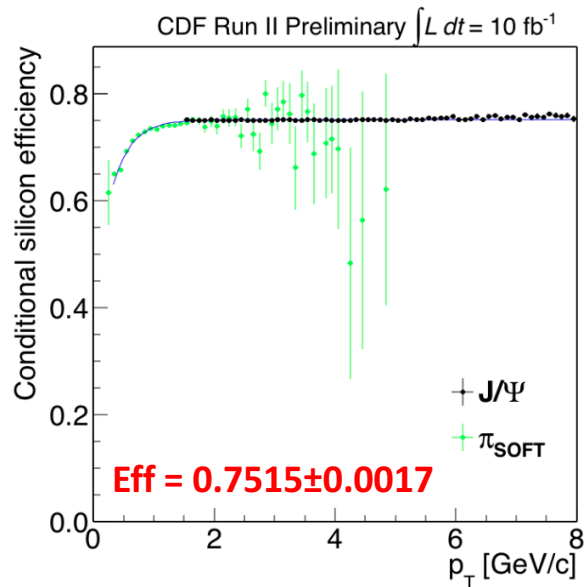
$$Eff = N \cdot Const$$

SHAPE from  $\pi_{\text{soft}}$





# CONDITIONAL-SILICON EFFICIENCY as a function of $p_T$





# D<sup>+</sup> RECONSTRUCTION EFFICIENCY



- ✓ We get the following average data-corrected silicon efficiency for a D<sup>+</sup> already seen in the COT

$$\langle \varepsilon_{data}(D^+) \rangle = \langle \varepsilon(K^-) \cdot \varepsilon(\pi^+) \cdot \varepsilon(\pi^+) \rangle$$

- ✓ Assuming that the MC is reliable in the Silicon simulation, we determine

$$\langle \varepsilon_{MC}(D^+; p_T) \rangle = \langle \frac{N_{Silicon}(D^+; p_T)}{N_{COT}(D^+; p_T)} \rangle$$

- ✓ For each p<sub>T</sub>(D<sup>+</sup>) bin we measure the **Correction Factor** as:

$$CF(D^+; p_T) = \frac{\langle \varepsilon_{data}(D^+; p_T) \rangle}{\langle \varepsilon_{MC}(D^+; p_T) \rangle}$$



# RECONSTRUCTION EFFICIENCY



CDF Run II Preliminary

$p_T(D^+) [\text{GeV}/c]$	CF
[1.5; 2.5]	$0.97 \pm 0.09$
[2.5; 3.5]	$0.96 \pm 0.09$
[3.5; 4.5]	$0.96 \pm 0.09$
[4.5; 6.5]	$0.94 \pm 0.08$
[6.5; 14.5]	$0.94 \pm 0.09$

- This check confirms the reliability of our result



## RECONSTRUCTION EFFICIENCY 2



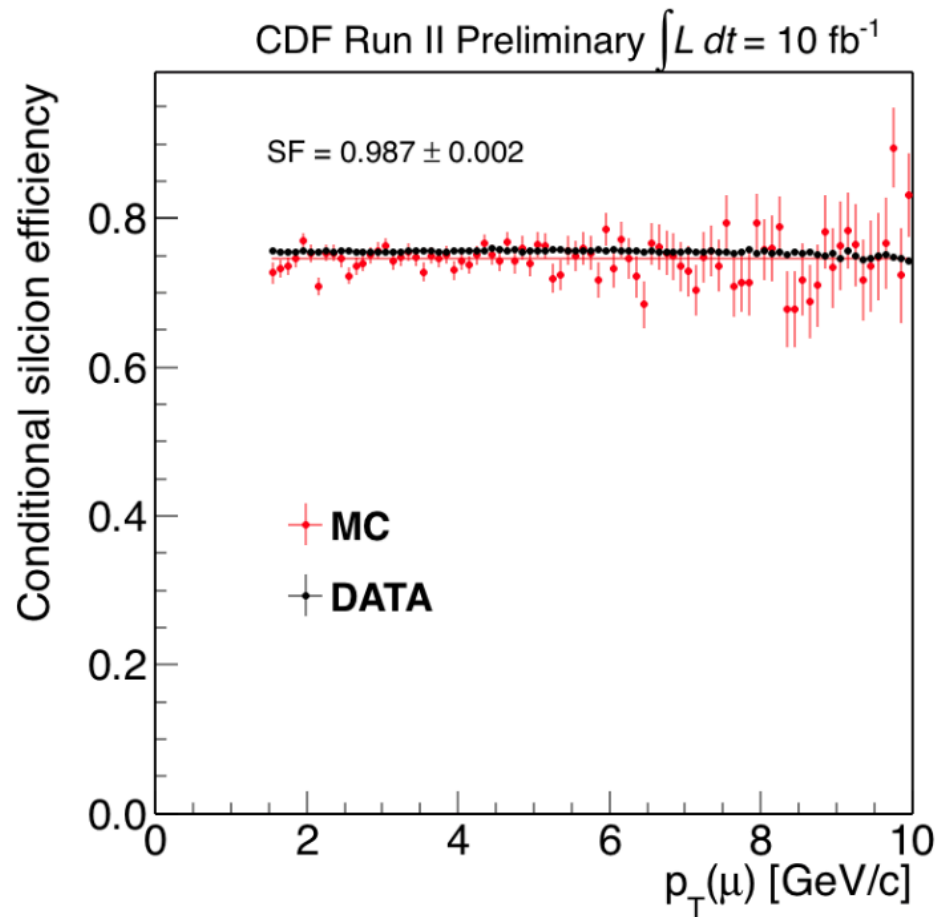
- ✓ The MC simulation for both  $\pi_{\text{soft}}$  and  $\mu$ -samples has confirmed MC-conditional-silicon efficiency doesn't reproduce correctly the real conditional-silicon efficiency per single track. The effect is small. We checked it with some DATA/MC tests.
- ✓ To be conservative, we apply the maximum correction observed to our  $D^+$ -sample. I have three tracks ( $1.037^3$ ). The final effect is a systematic uncertainty of 11.5% on the production cross section for each  $p(D^+)$ -bin.
- ✓ We are assuming that the MC reproduces correctly possible correlation effects. It has been proved using the  $J/\psi$  sample.



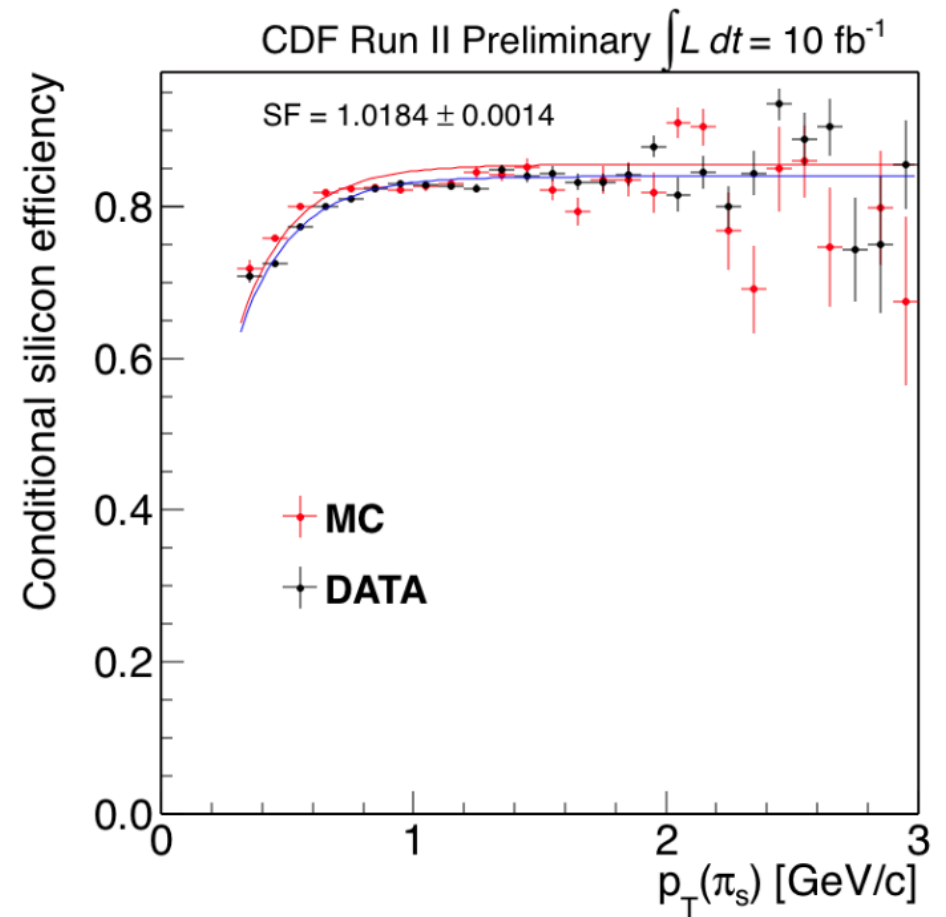
# MC/DATA-test



## High momenta



## Low momenta





# GLOBAL PROCEDURE

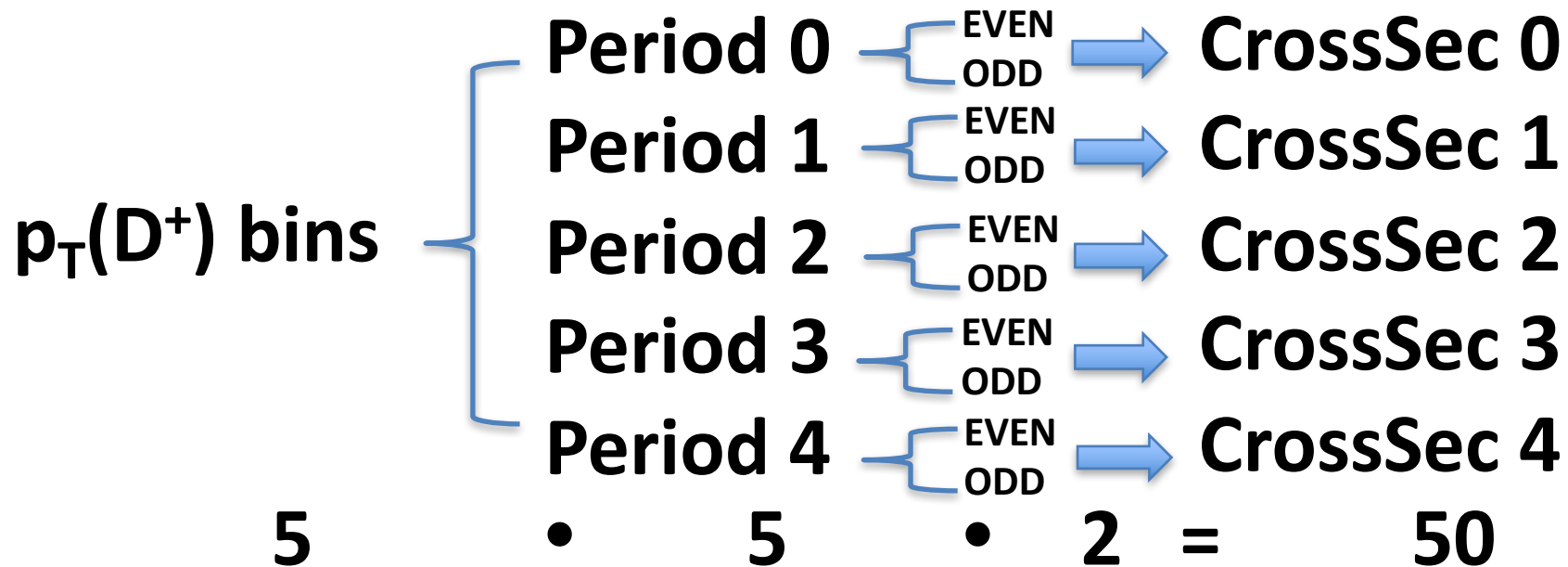


For each  $p_T(D^+)$ -bin we have evaluated the production cross section as a function of the data-taking periods

It was not possible for the lowest bin,  $p_T(D^+)$  in [1.5; 2.5] GeV/c, because of low statistics

**Only statistical uncertainties have been considered**

For each subsample a new optimization has been performed



**No time-dependence is observed**