



Constraints on longitudinal-dependent initial conditions from $dN_{\text{ch}}/d\eta$ and two-particle η -correlation @ LHC

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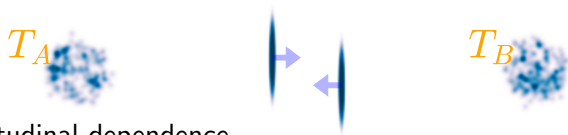
Motivation: a simple 3d-initial condition model

Boost-invariant hydrodynamic-based modelling is successful at mid-rapidity. But,

- model asymmetric collisions like pA;
- EbE longitudinal fluctuations in AA collisions;
- impact on medium evolution, probes propagation and observables.

Extend existing 2d-IC model (T_RENTO) to 3d

- A parametric IC model at $\eta \sim 0$: $T_A(x_{\perp}), T_B(x_{\perp}) \rightarrow s_0(x_{\perp})|_{\tau=\tau_0}$.



Add longitudinal dependence,

$$s(x_{\perp}, \eta_s) = s_0(x_{\perp})g(x_{\perp}, y)\frac{dy}{d\eta}.$$

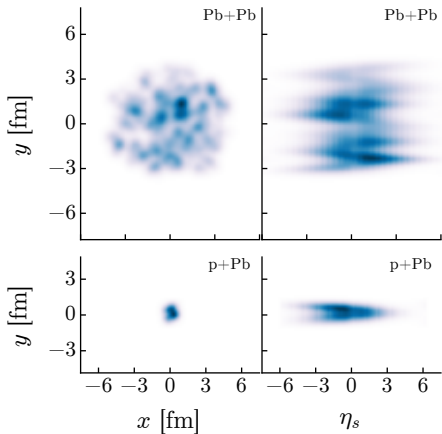
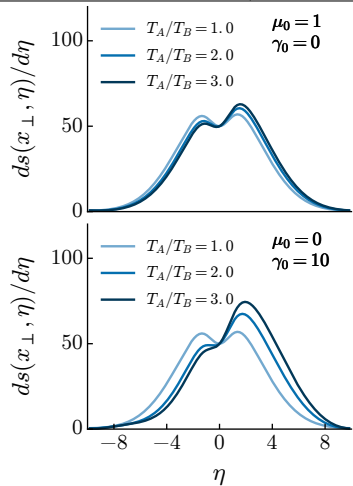
- Difference in $T_A(x_{\perp}), T_B(x_{\perp})$ induces asymmetry in longitudinal profile function $g(x_{\perp}, y)$.
- Normalize $g(x_{\perp}, 0) = 1$ to preserve 2d-model calculation.
- $g(x_{\perp}, y)$ characterized by its first 3 y -cumulants:

| Cumulants | mean | width | skewness |
|--------------------|---|------------|-----------------------------------|
| Param-1 (relative) | $\mu_0 \frac{1}{2} \ln \frac{T_A}{T_B}$ | σ_0 | $\gamma_0(T_A - T_B)/(T_A + T_B)$ |
| Param-2 (absolute) | | | $\gamma_0(T_A - T_B)$ |

$g(x_{\perp}, y)$ reconstructed from cumulant-generating function.

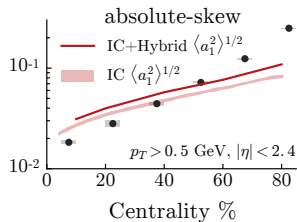
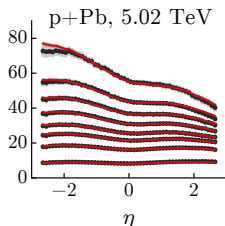
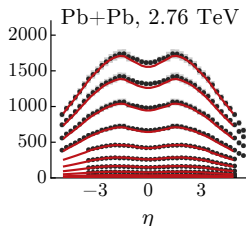
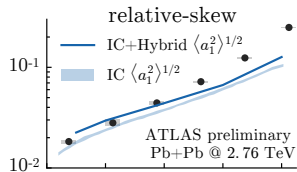
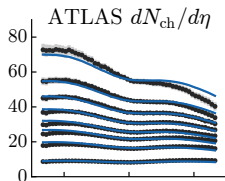
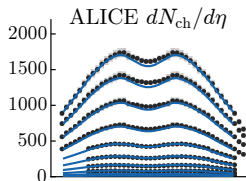
Example events

| Cumulants | mean | width | skewness |
|--------------------|---|------------|--------------------------------------|
| Param-1 (relative) | $\mu_0 \frac{1}{2} \ln \frac{T_A}{T_B}$ | σ_0 | $\gamma_0 (T_A - T_B) / (T_A + T_B)$ |



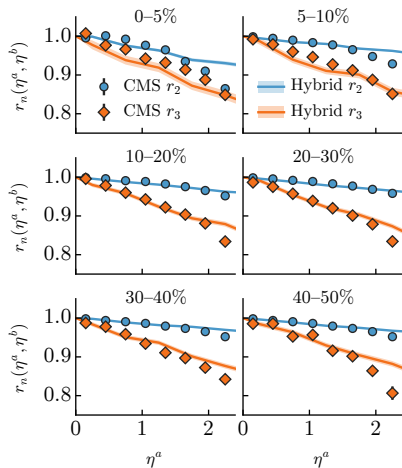
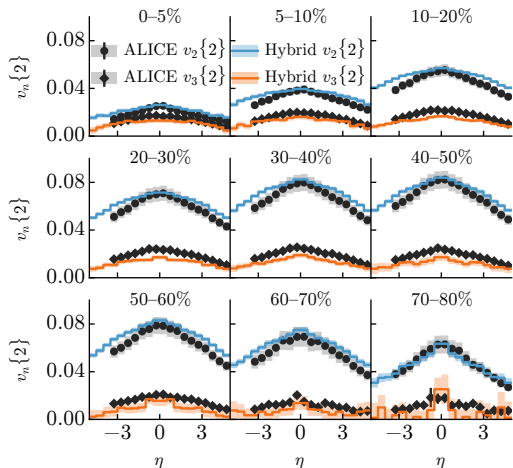
Model Calibration and Selection

- Using Bayesian methodology, globally fit IC to $dN_{ch}/d\eta$
 → data constrained IC parameters distribution.
- Optimal parameters → 3+1D hydro (Iurii Karpenko) + UrQMD.
 Calculate $C_N(\eta_1, \eta_2)$ observable $\langle a_1^2 \rangle$.
- Relative-skew model is better. $\mu_0 \sim 0$, $\gamma_0 \sim 7.2$.



Predictions

- IC model tuned on multiplicity observables (\perp -integrated).
- Predict η -diff flows and event-plane decorrelations (η evolution of \perp structure).



Conclusion

This work:

- A 3d extension of T_RENTo initial condition model.
 - Model tuned on $dN_{\text{ch}}/d\eta$ with Bayesian technique.
 - Achieve a reasonable η -dependence of transverse structure.
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Things to do and limitations:

- Use full model calculation to compare with $dN_{\text{ch}}/d\eta$.
- Study more longitudinal observables.
- Inclusion of proton geometry fluctuation in pA (3 quarks?).
- Lack of early stage dynamical fluctuations.