

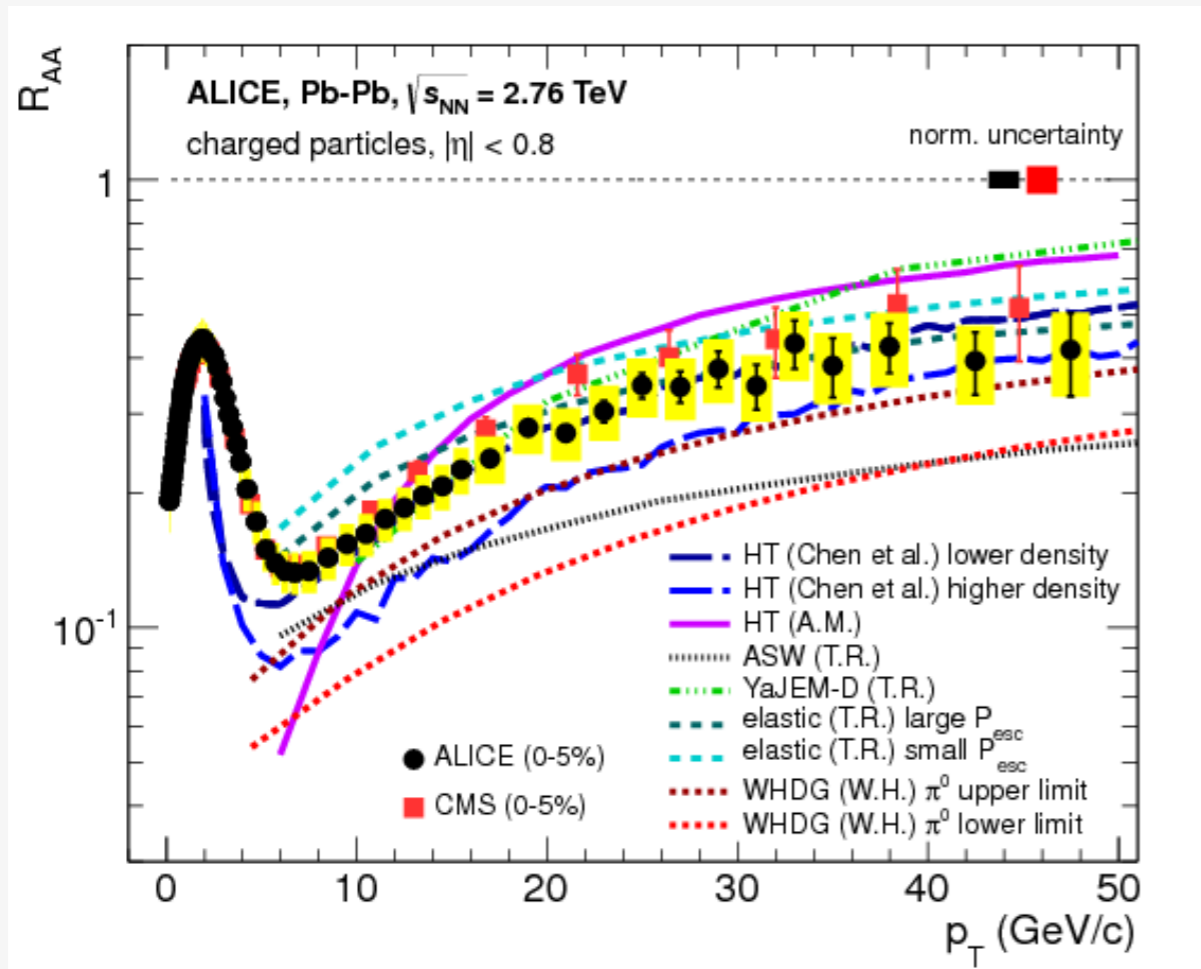


Yale

# Advanced jet modification observables explored with Monte Carlo models

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# Introduction: $R_{AA}$ and beyond



arxiv:1301.5285

- ▶  $R_{AA}$  can be described well by a variety of models
- ▶ Explore the sensitivity of other observables
- ▶ Focus of this talk:
  - ▶ Jet-hadron correlations  
(soft large-angle radiation)
  - ▶ Jet substructure  
(hard splittings within a jet)
- ▶ Use YaJEM and JEWEL models

# Models

**JEWEL** — explicit pQCD treatment of hard partons scattering on the quasi-free partons of the medium (recoils can be kept or discarded before hadronization)

K. Zapp *et al.* JHEP 1303 (2013) 080, EPJC C60 (2009) 617

**YaJEM-DE** — scattering on QGP constituents is not modeled explicitly

Hard parton acquires additional virtuality from the medium:

$$\Delta Q^2 = \kappa \int \epsilon^{3/4}(\xi) d\xi$$

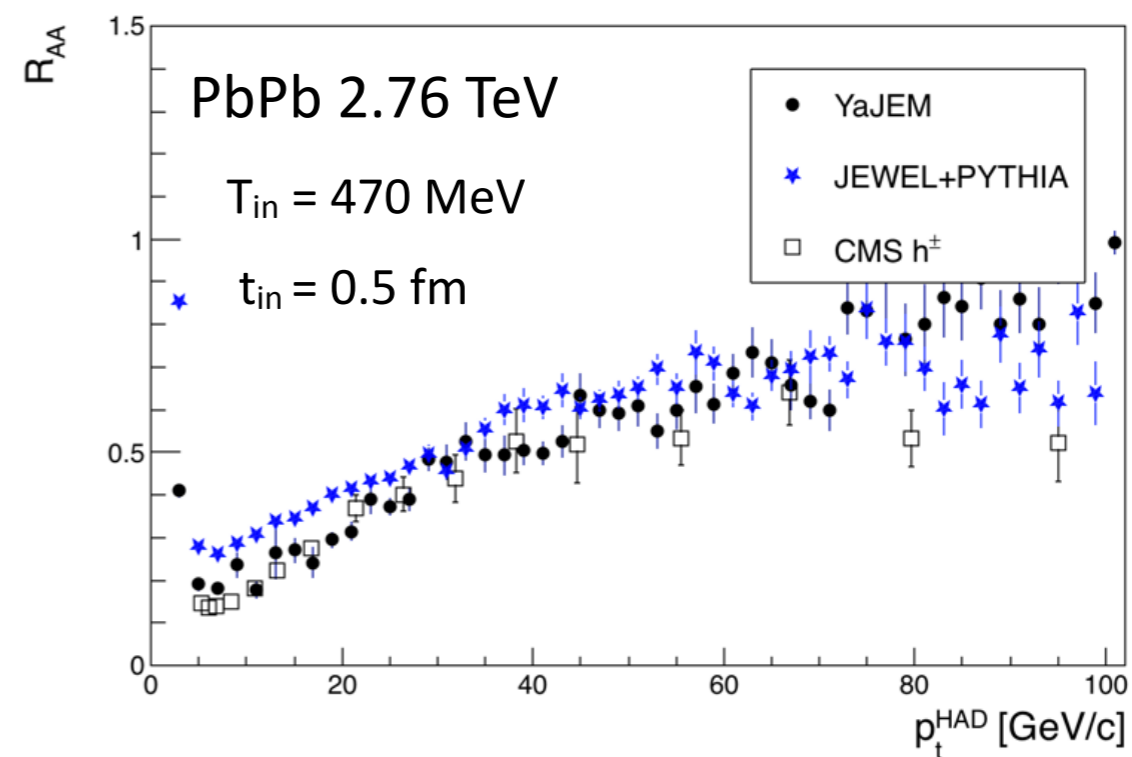
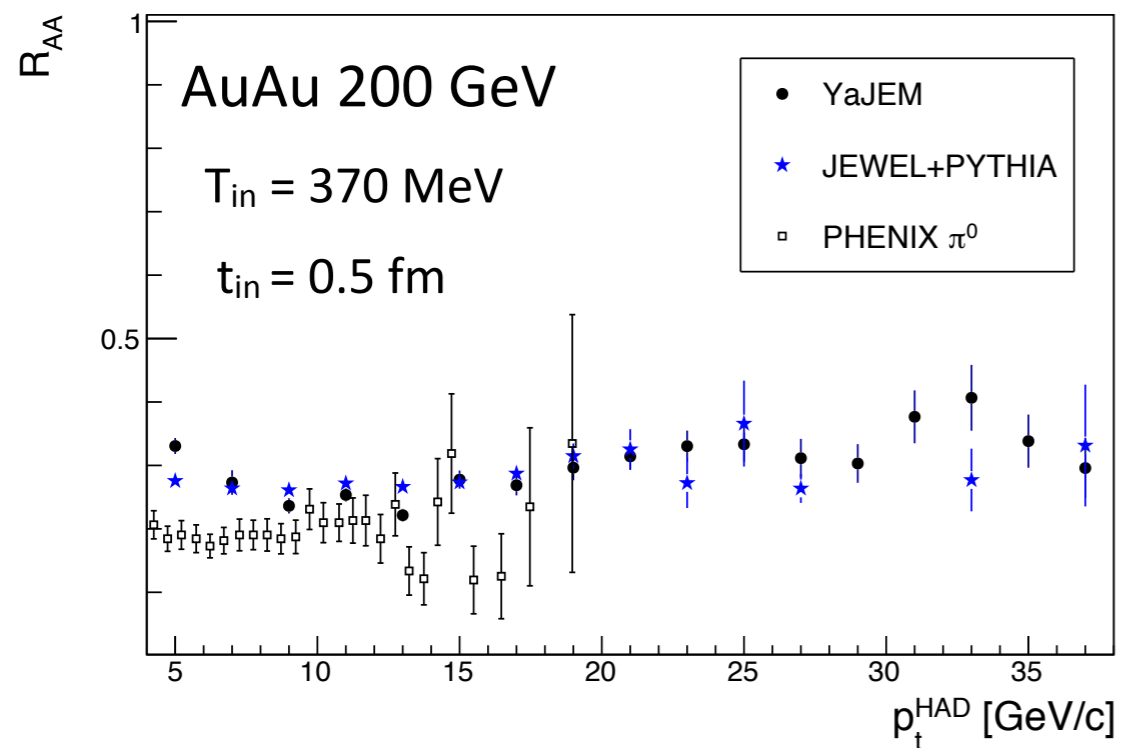
enhanced radiation  $\Rightarrow$  broadening and softening of the shower

Free parameter  $\kappa$  must be tuned to reproduce exp. data ( $R_{AA}$ )

T. Renk, Phys. Rev. C 84 (2011) 067902 and refs therein

► This study: run both models using the same hydro (1D Bjorken-type) to isolate the implementations of jet quenching

# First step: hadron $R_{AA}$

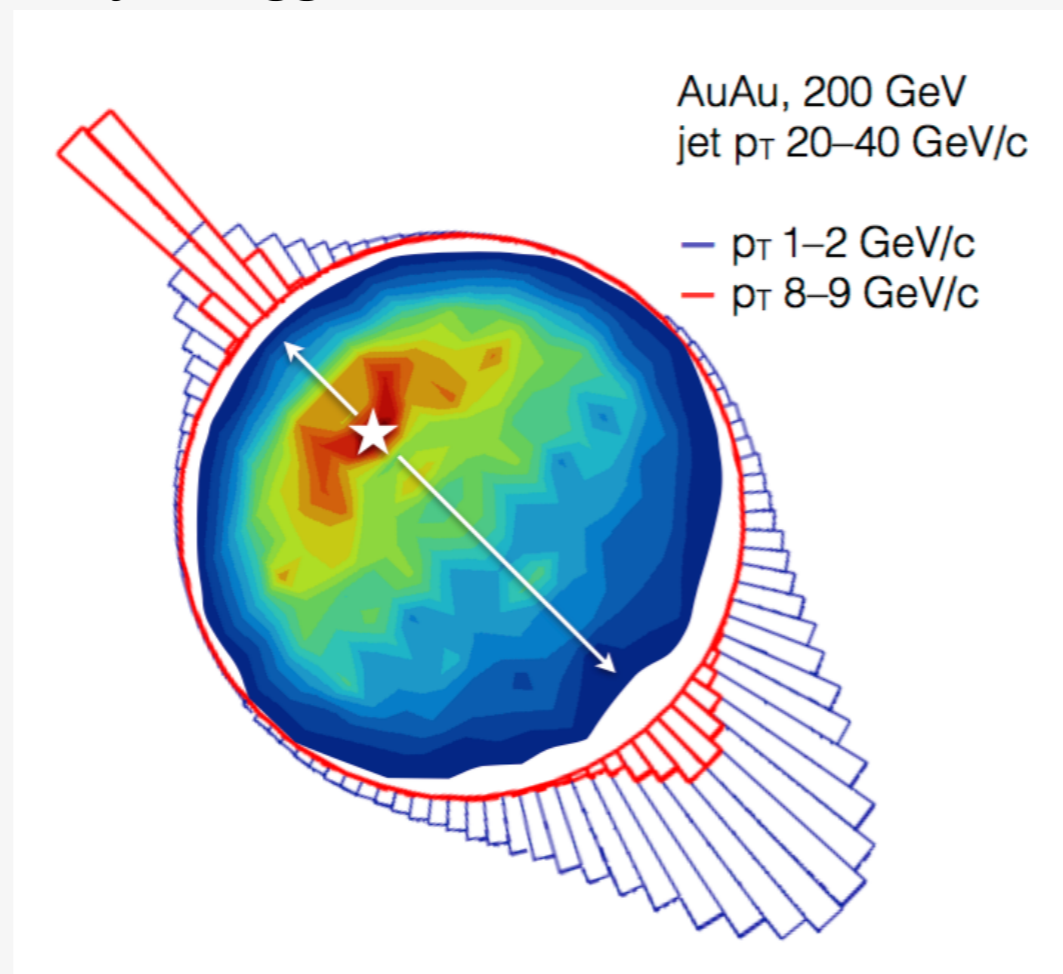


- ▶ Model parameters fixed at RHIC energy
- ▶ YaJEM tuned to reproduce hadron  $R_{AA}$  at RHIC,  $\kappa \sim 2$
- ▶ JEWEL — default parameters v2.0.2

# Jet-Hadron Correlations

## Azimuthal distribution of hadrons in jet-triggered events

Near-Side Peak:  
 ▶ surface biased  
 (trigger conditions)



Away-Side Peak:  
 ▶ longer in-medium path  
 ▶ shower broadening  
 ▶ softening of the FF

Reference:  
 “vacuum” AS peak,  
 measured in pp collisions

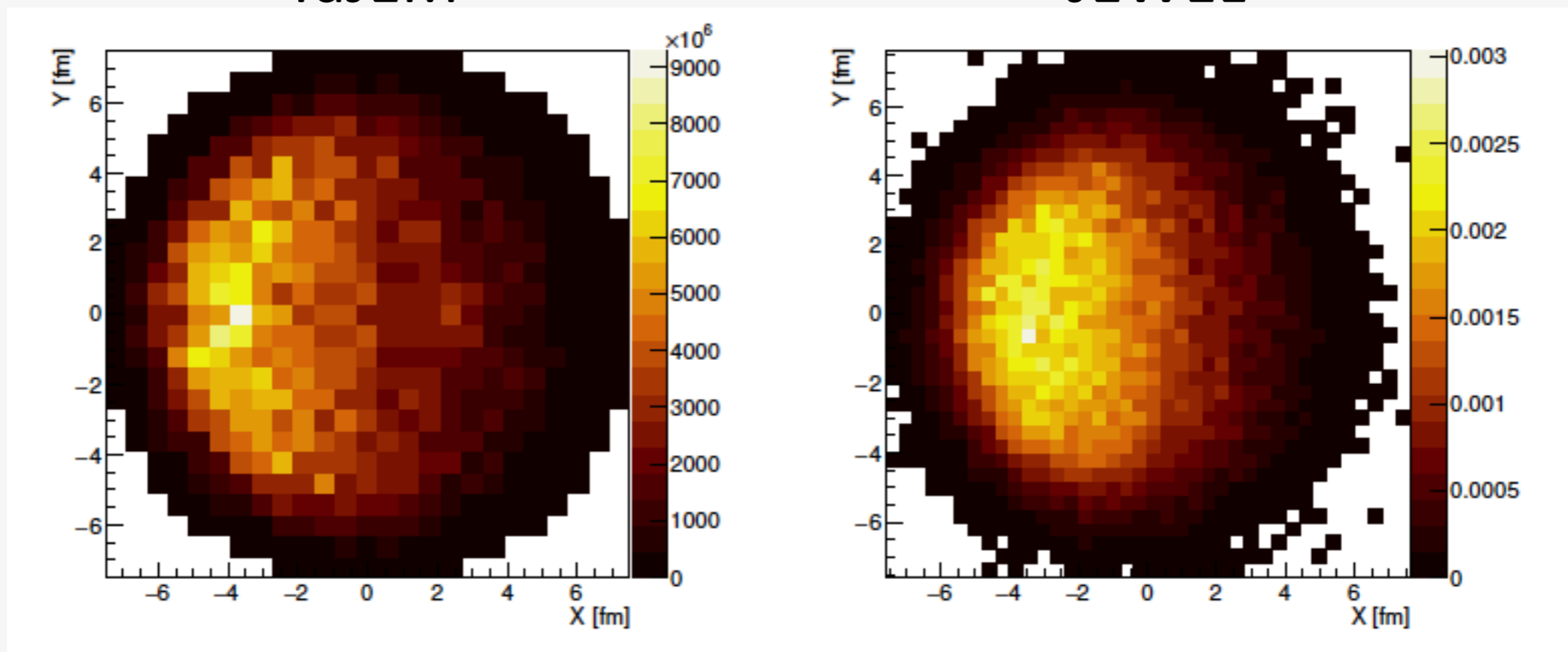
# Surface bias with jet trigger

AuAu at 200 GeV

YaJEM

JEWEL

trigger jet direction



constituents  $p_T > 2$  GeV

$R = 0.4$  leading jet 20-40 GeV

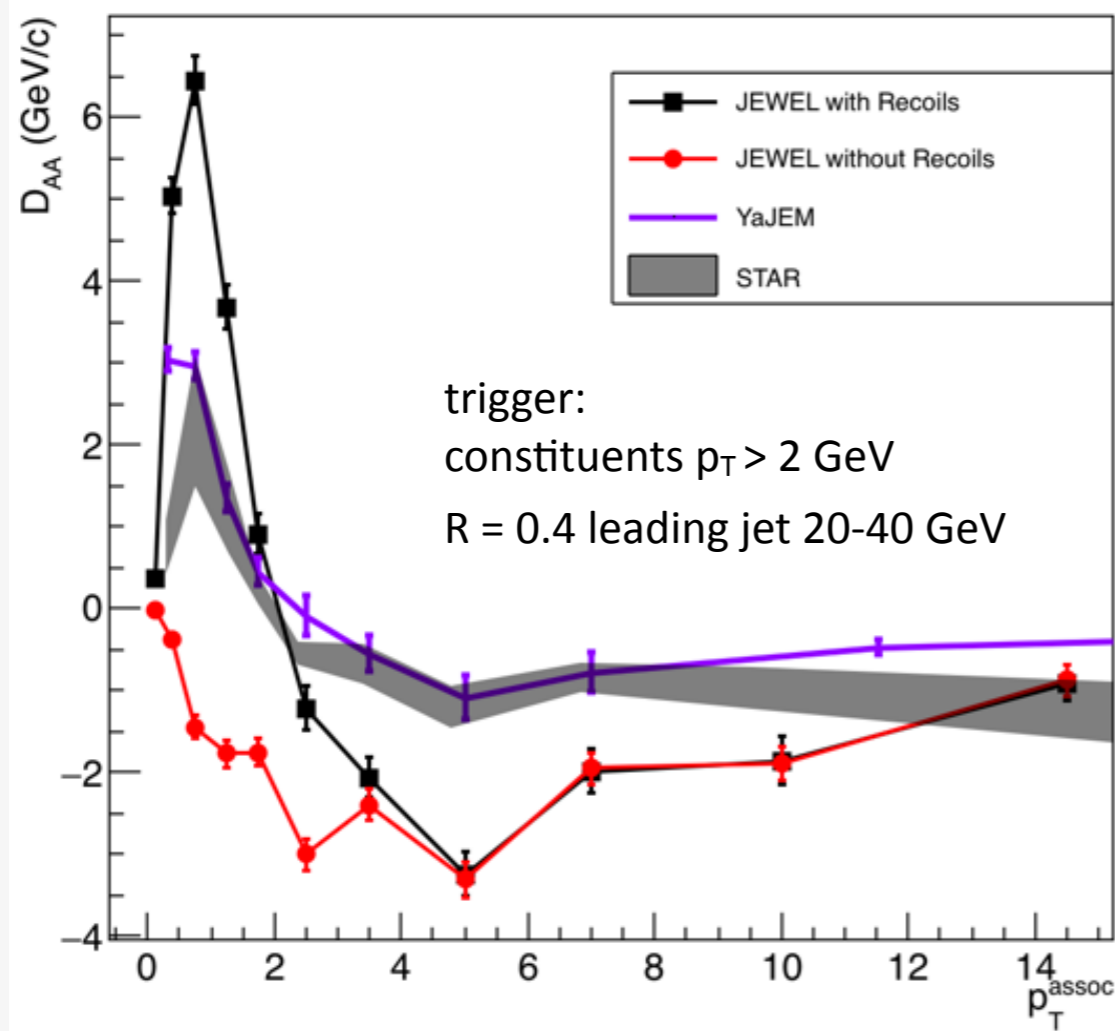
(Kinematic selection used by STAR for j-h correlations)

- ▶ Large surface bias in AuAu 200 GeV
- ▶ Very similar results using YaJEM and JEWEL
- ▶ Trigger jet is pp-like

# $D_{AA}$ AuAu 200 GeV JEWEL vs YaJEM

$$D_{AA}(p_T^{\text{assoc}}) \equiv Y_{\text{Au+Au}}(p_T^{\text{assoc}}) \cdot \langle p_T^{\text{assoc}} \rangle_{\text{Au+Au}} - Y_{p+p}(p_T^{\text{assoc}}) \cdot \langle p_T^{\text{assoc}} \rangle_{p+p}$$

away side



STAR data: Phys. Rev. Lett. 112 (2014) 12, 122301

- ▶ qualitatively similar results by YaJEM and JEWEL with recoils ( $\varphi$ -uniform background subtracted)
- ▶ lost energy redistributed to soft particles  $p_t < 2$  GeV
- ▶ JEWEL without recoils — energy balance not restored

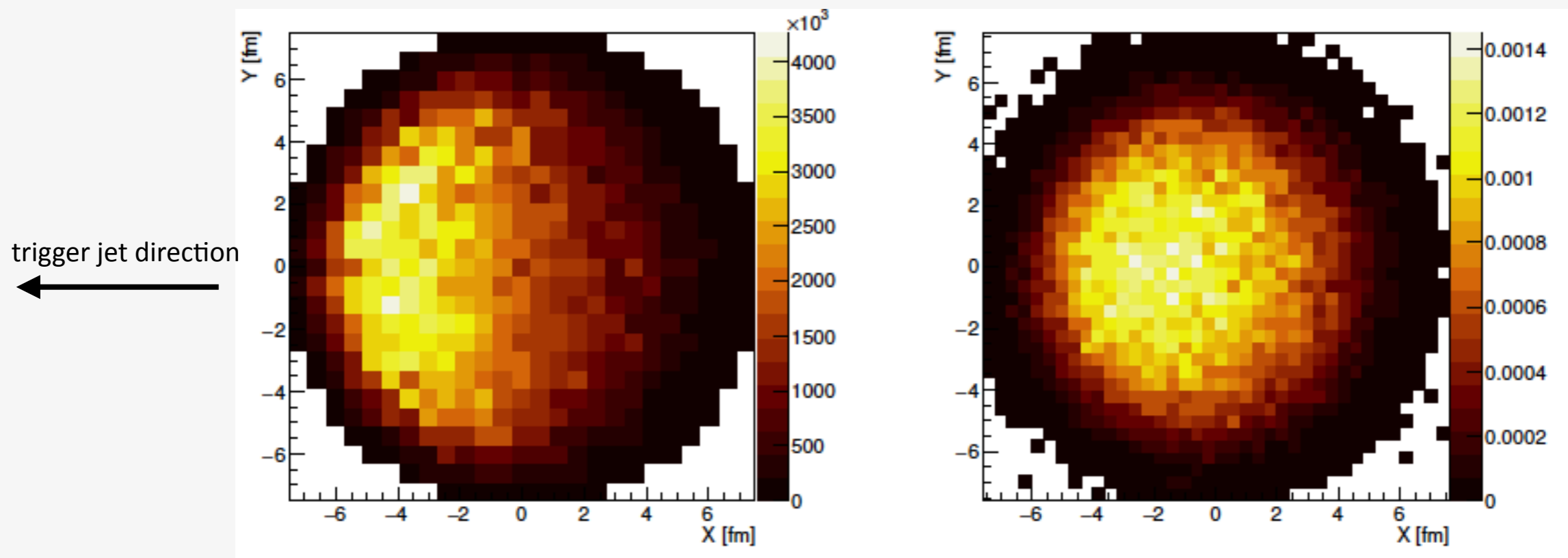


# Surface bias with jet trigger

PbPb at 2.76 TeV

YaJEM

JEWEL



constituents  $p_T > 3$  GeV

$R = 0.2$  leading jet 20-40 GeV

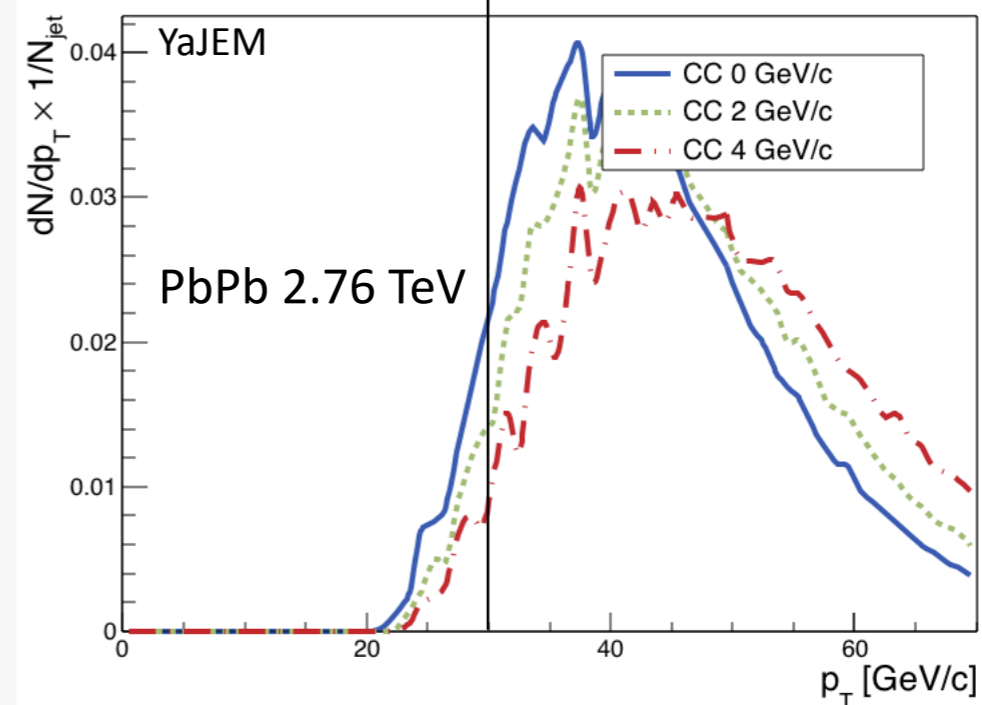
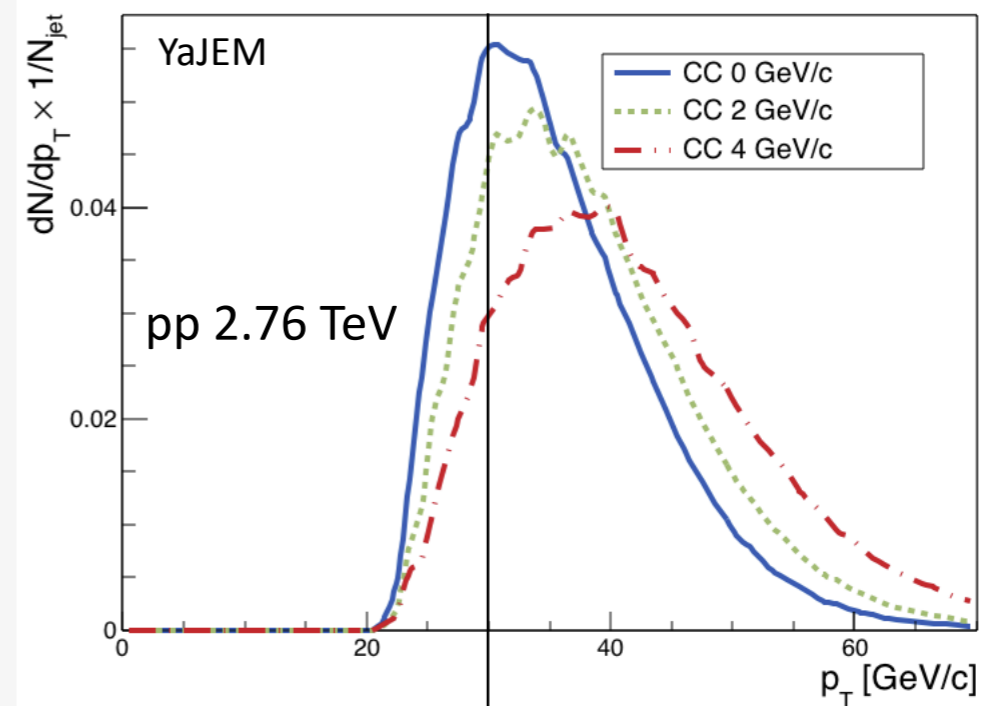
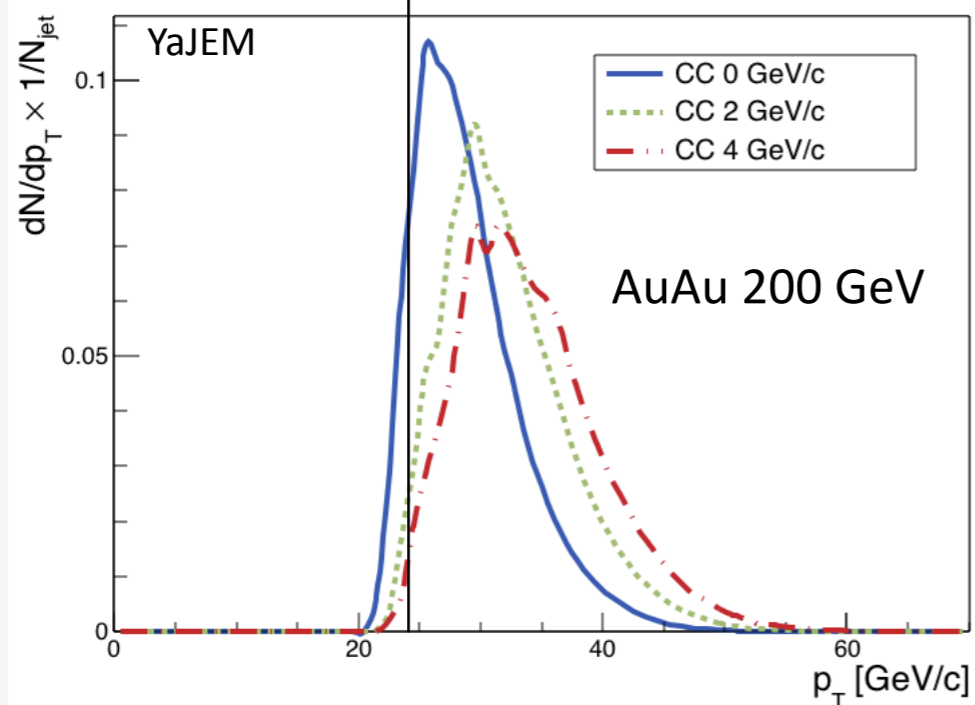
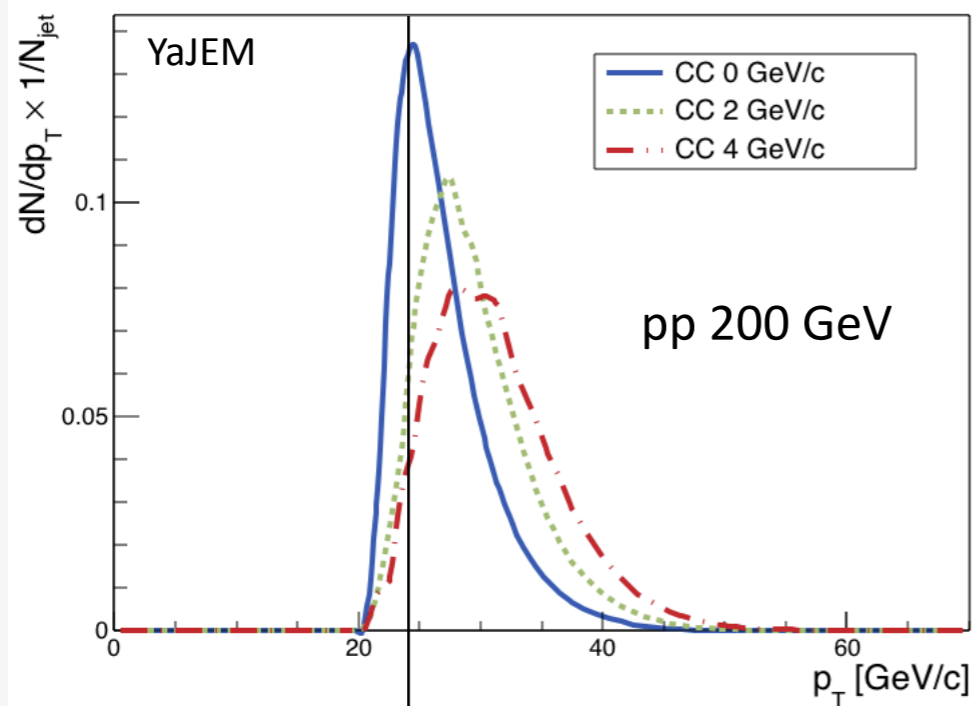
(Kinematic selection relevant for ALICE)

- ▶ YaJEM (1D hydro): still significant surface bias at LHC
- ▶ JEWEL: much smaller surface bias
- ▶ However, both models predict larger energy losses by the trigger jet compared to RHIC, hampers comparison with pp-collisions



# Jet-parton $p_T$ correlation

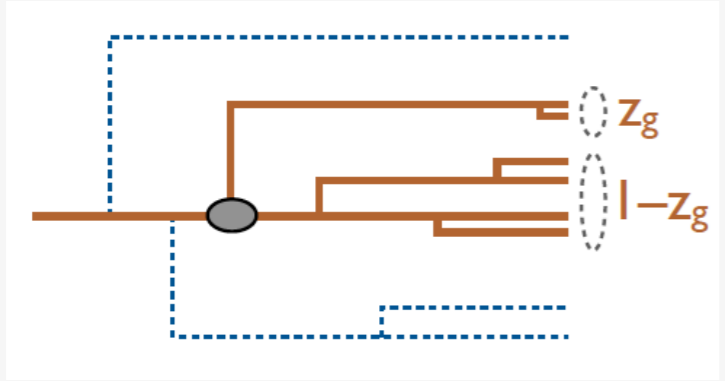
leading jet 20-40 GeV



Jet true energy mismatch 5-10 GeV for PbPb 2.76 TeV

# Hard Jet Splitting probed with Soft Drop

A. J. Larkoski, S. Marzani, G. Soyez, J. Thaler JHEP 05 (2014) 146  
 A. J. Larkoski, S. Marzani, J. Thaler PRD 91, 111501(R)



$$\frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{cut}$$

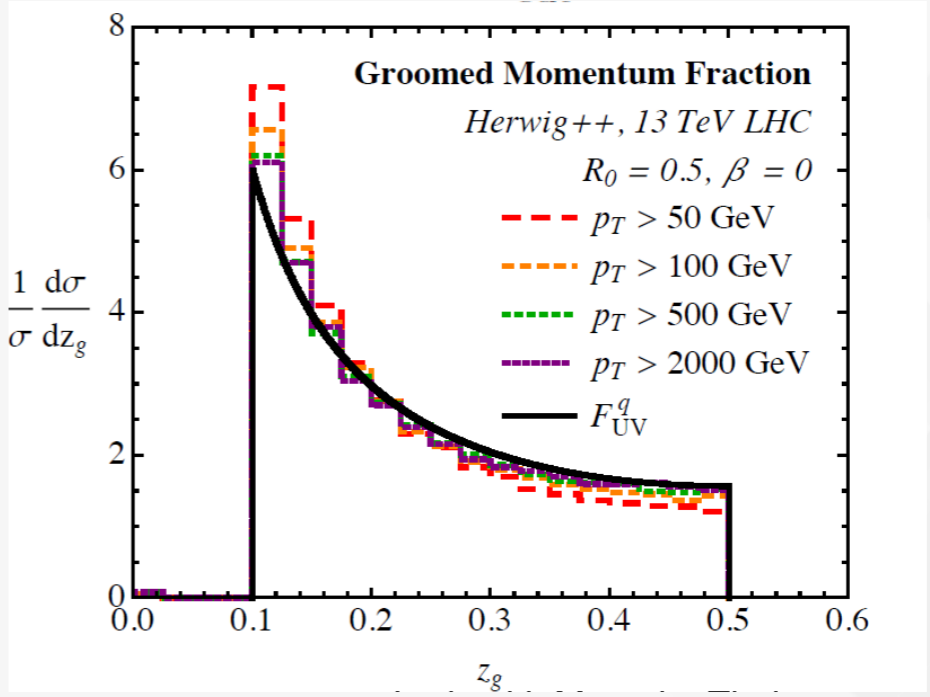
recursively removes soft subjects, until a hard splitting is identified

$$z_g = \frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}}$$

groomed momentum fraction

$$p(z_g) = \frac{\bar{P}_i(z_g)}{\int_{z_{cut}}^{1/2} dz \bar{P}_i(z)} \Theta(z_g - z_{cut})$$

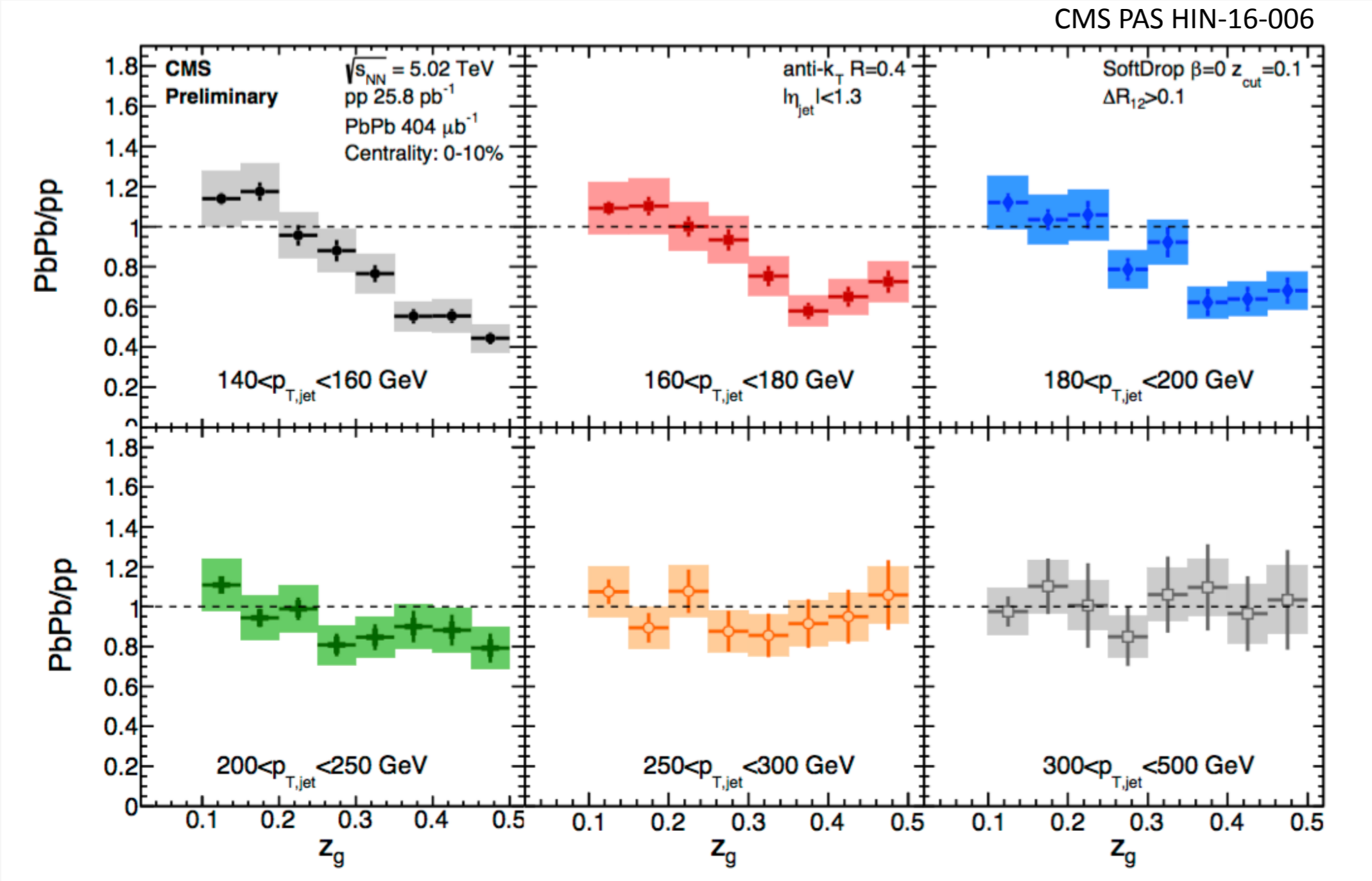
$$\bar{P}_i(z) = P_i(z) + P_i(1 - z)$$



- $p(z_g)$  is approx. independent of:
- jet  $p_t$  and radius
  - $\alpha_s$
  - collision energy

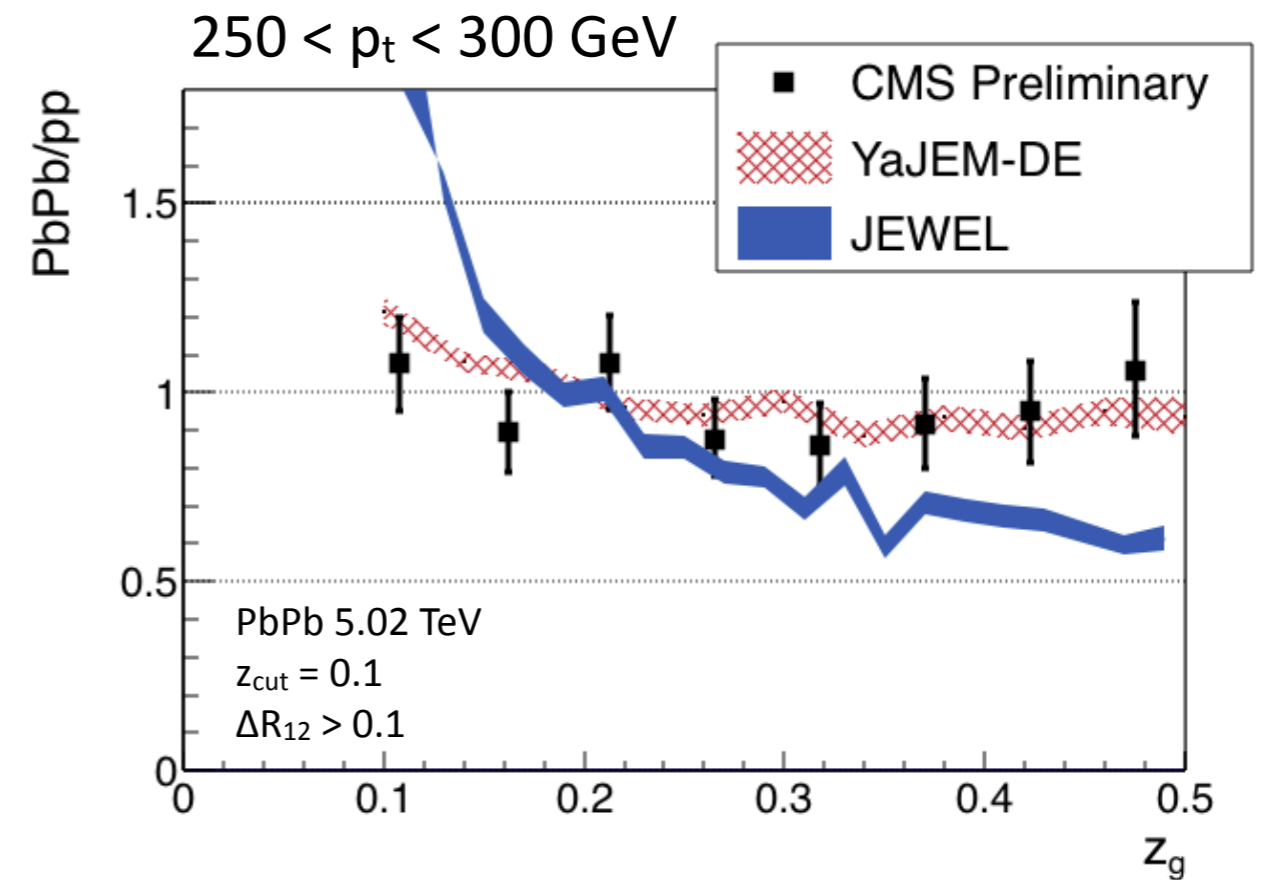
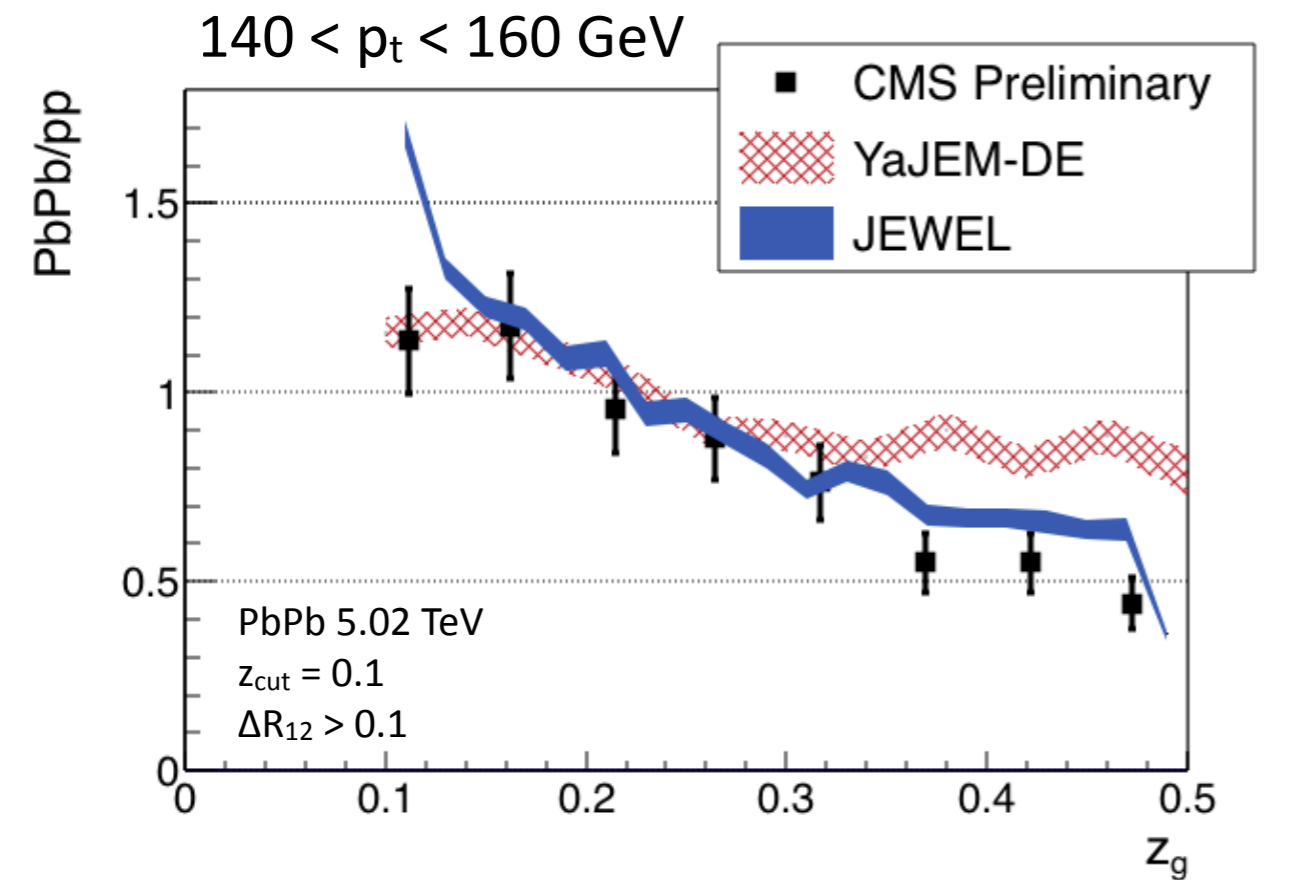
What MC including jet quenching effects predicts?

# Experimental data



- ▶ Significant effect observed in the lowest  $p_t$  bin
- ▶ Momentum-dependent behavior

# $z_g$ : Data vs. Models



- ▶ Good discriminating potential of the  $z_g$  observable
- ▶ Momentum dependence is not described well
- ▶ Both models (YaJEM-DE and JEWEL) incorporate unmodified splitting functions

K. Zapp, Phys.Lett. B735 (2014) 157-163

Is  $z_g$  sensitive to a modified  $P(z)$ ?

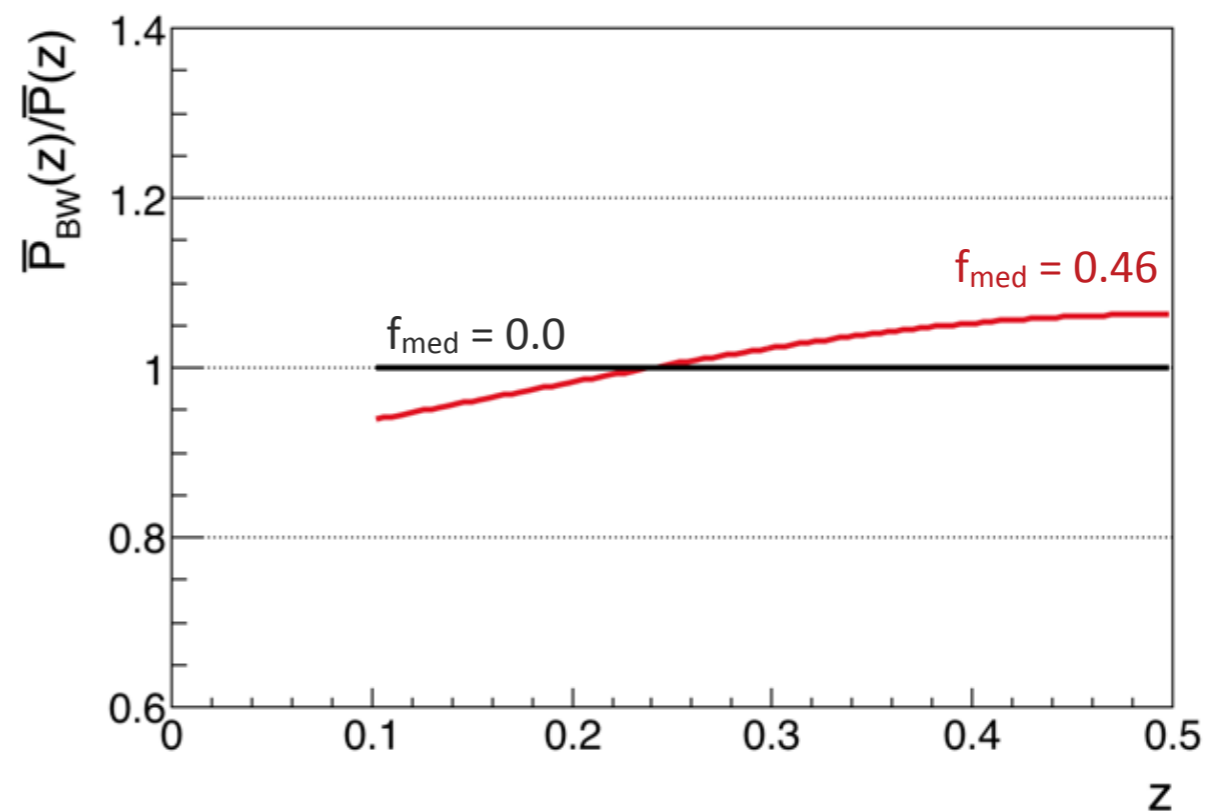
# YaJEM-BW

Does an explicit modification of the splitting function propagate to the  $z_g$  observable?

YaJEM-BW: 
$$P_{q \rightarrow qg} = \frac{4}{3} \frac{1+z^2}{1-z} \Rightarrow \frac{4}{3} \left( \frac{2(1+f_{\text{med}})}{1-z} - (1+z) \right)$$

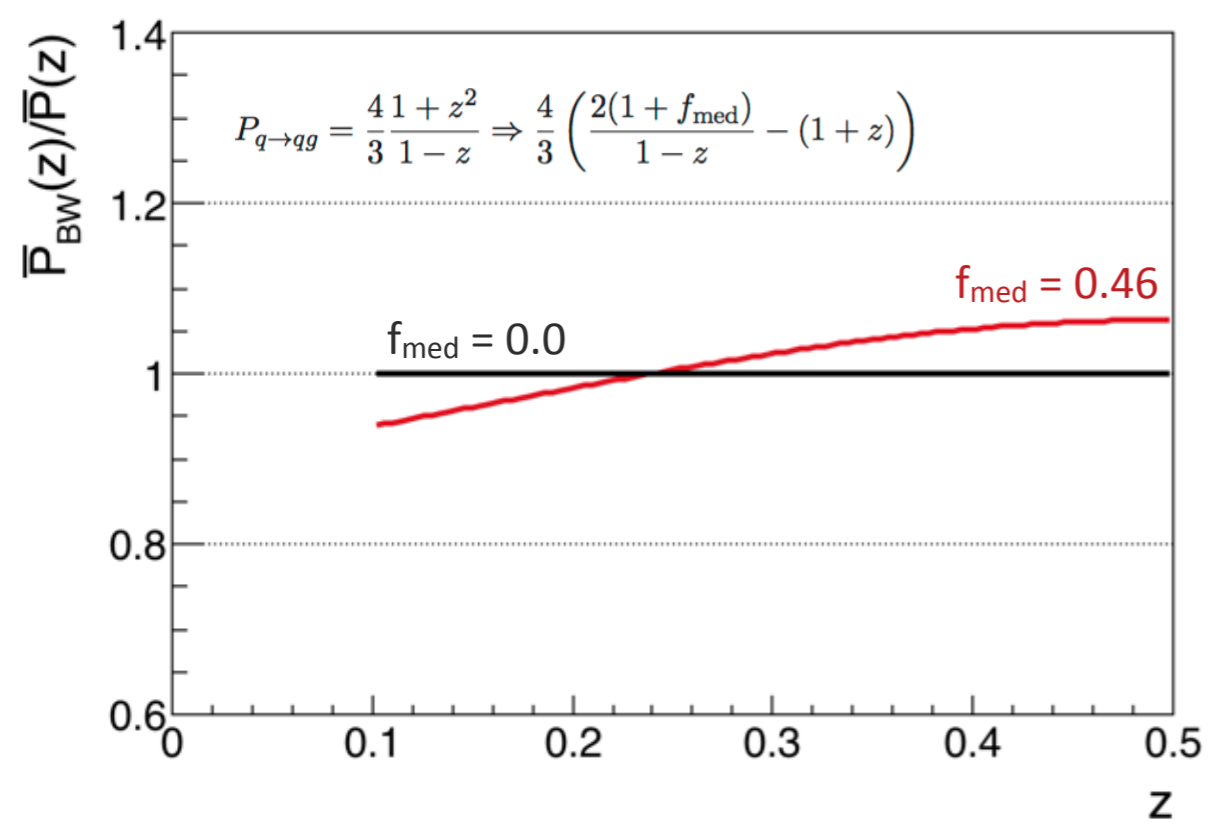
$$p(z_g) = \frac{\bar{P}_i(z_g)}{\int_{z_{\text{cut}}}^{1/2} dz \bar{P}_i(z)} \Theta(z_g - z_{\text{cut}})$$

$$\bar{P}_i(z) = P_i(z) + P_i(1-z)$$

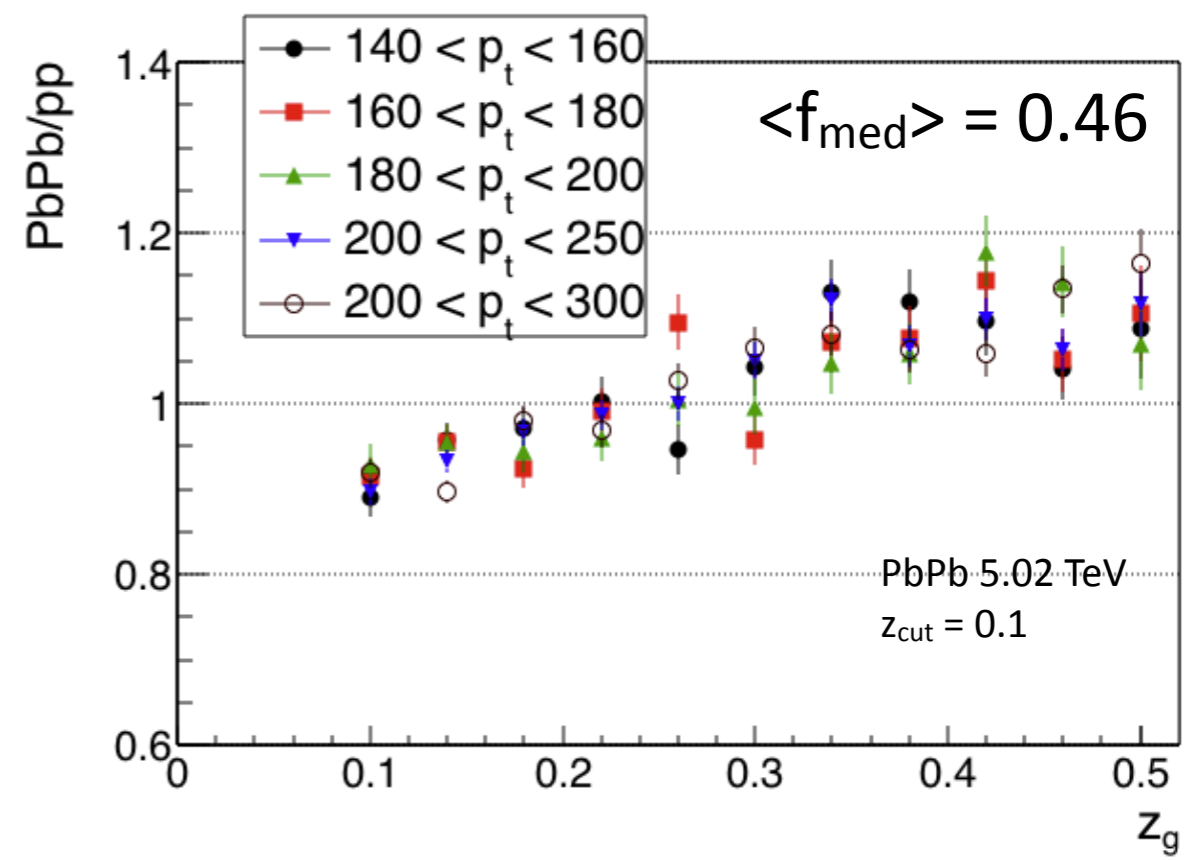


# YaJEM-BW results

MC input: modified P(z)



MC output: modified p(z<sub>g</sub>)



► YaJEM-BW: modification of the P(z) is directly propagated to the measurable z<sub>g</sub>

# Conclusions

- Jet-hadron correlations:
  - $D_{AA}$ : qualitatively similar results by YaJEM and JEWEL with recoils
  - JEWEL without recoils fails to describe  $D_{AA}$
  - Energy loss by the trigger jet is not negligible for LHC
- Hard intra-jet structure probed with Soft Drop:
  - $z_g$  discriminates between YaJEM-DE and JEWEL models
  - Models show approx.  $p_t$ -independent behavior
  - $z_g$  is sensitive to explicit  $P(z)$  modification (YaJEM-BW), but also to other aspects of in-medium parton showers (YaJEM-DE, JEWEL)



# Backup slides



- ▶ Run Monte Carlo model with appropriate settings, kinematic regions, weighting
- ▶ Apply experimental cuts (rapidity,  $p_T$ ); based on ALICE capabilities.
- ▶ Run anti-KT, calculate  $\Delta\phi$  jet-track correlations.
- ▶ Fit to a function with a nearside and away-side peak and constant background.
- ▶ Subtract nearside peak + background from correlations, take integral (Yield), RMS (width) of away-side.
  - ▶ This minimizes dependence on the chosen fit function.
  - ▶ Here, use sum of two Gaussians for nearside peak, generalized gaussian for away-side peak
- ▶ Calculate  $D_{AA} = Y_{AA}(p_{T,AA}^{assoc}) \langle p_{T,AA}^{assoc} \rangle - Y_{pp}(p_{T,pp}^{assoc}) \langle p_{T,pp}^{assoc} \rangle$