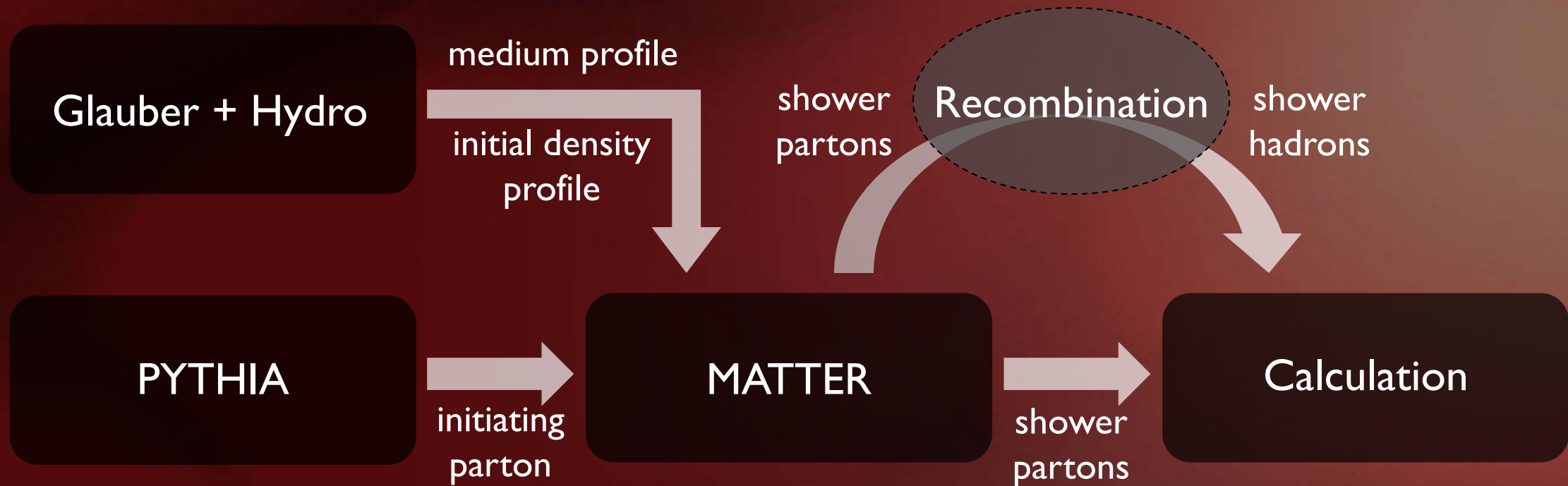


# Event-by-Event Simulations of Jet Modification Using the MATTER Event Generator

Michael Kordell II



# Code Flowchart

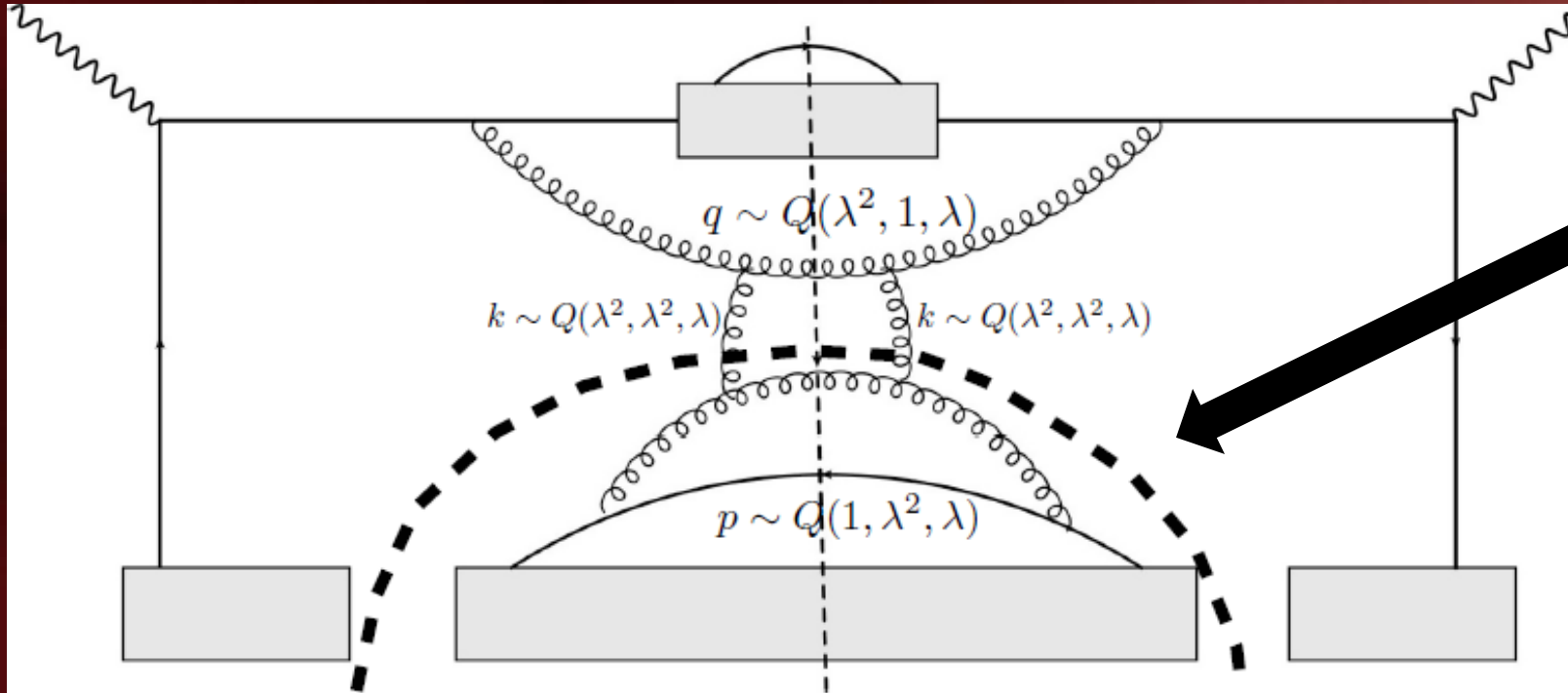


# MATTER

- **M**odular **A**ll **T**wist **T**ransverse **E**lastic scattering and **R**adiation

# MATTER details

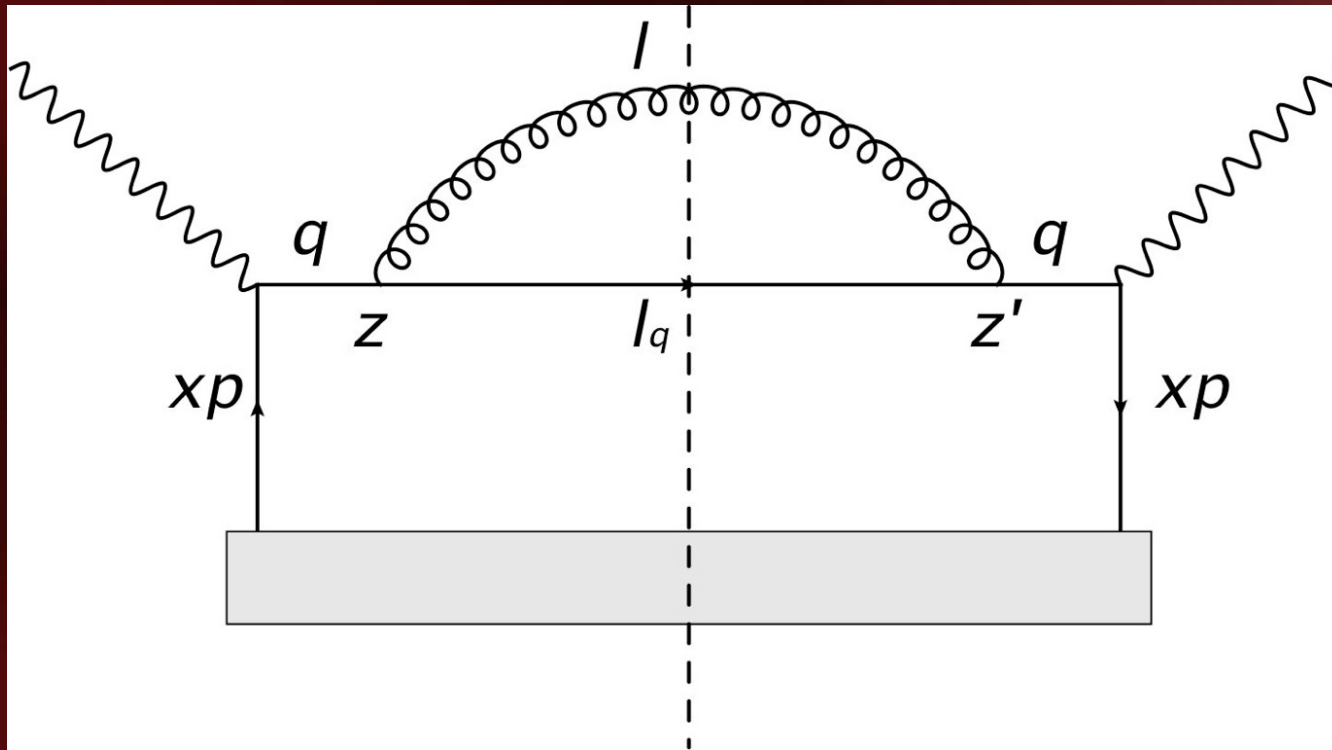
Few scatterings per emission limit



All of this evolution is hiding within  $\hat{q}$ .

Light quark modification is sensitive to the high  $Q^2$ , low- $x$  part of the in-medium gluon distribution.

# MATTER details II



$$\bar{z} = (z+z') / 2 \quad \partial z = z - z'$$

$$\int_0^\infty d^4 \bar{z} \exp[i(\partial q)\bar{z}]$$

$$\int d^4 \partial z \exp[i\partial z \bar{q}]$$

$\partial q$  is the uncertainty in  $q$

# MATTER details III

A reasonable uncertainty is:  $\partial q \ll q$

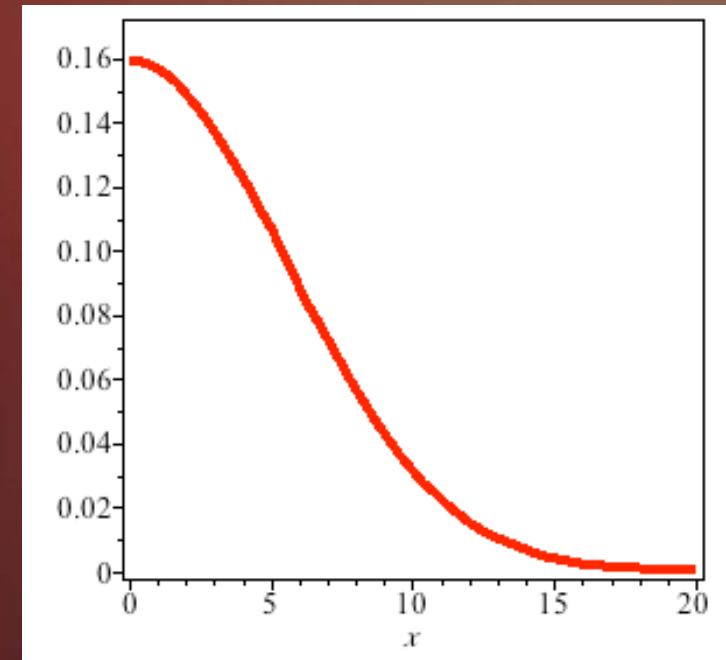
Assume a Gaussian distribution around  $q^+$

Set functional form for the width by imposing:  
 $\langle T \rangle = 2q^- / Q^2$

To get  $z^-$  distribution, only need to assume  
 $\partial q^+$  distribution

Sample the in medium modified Sudakov form  
factor to get virtuality at each step

$$\rho(\delta q^+) = \frac{\exp\left[-\frac{(\delta q^+)^2}{2[2(q^+)^2/\pi]}\right]}{\sqrt{2\pi[2(q^+)^2/\pi]}}$$



# MATTER details IV

The Sudakov form factor:

$$S_\zeta(Q_0^2, Q^2) = \exp\left[-\int_{2Q_0^2}^{Q^2} \frac{d\mu^2}{\mu^2} \frac{\alpha_S(\mu^2)}{2\pi} * \int_{Q_0/Q}^{1-Q_0/Q} dy P_{qg}(y) \left\{1 + \int_{\zeta_i^-}^{\zeta_i^- + \tau^-} d\zeta K_{p^-, \mu^2}\right\}\right]$$

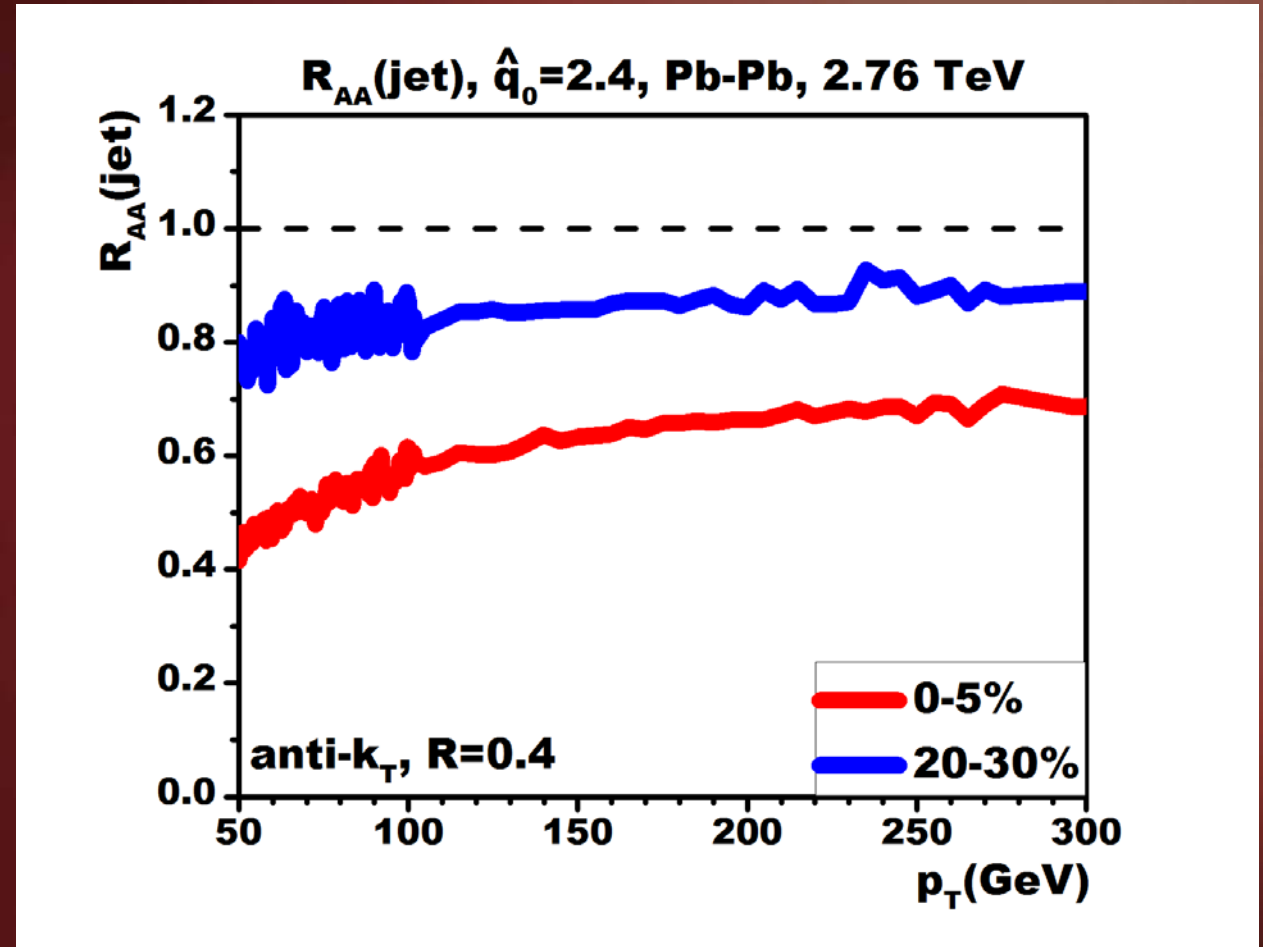
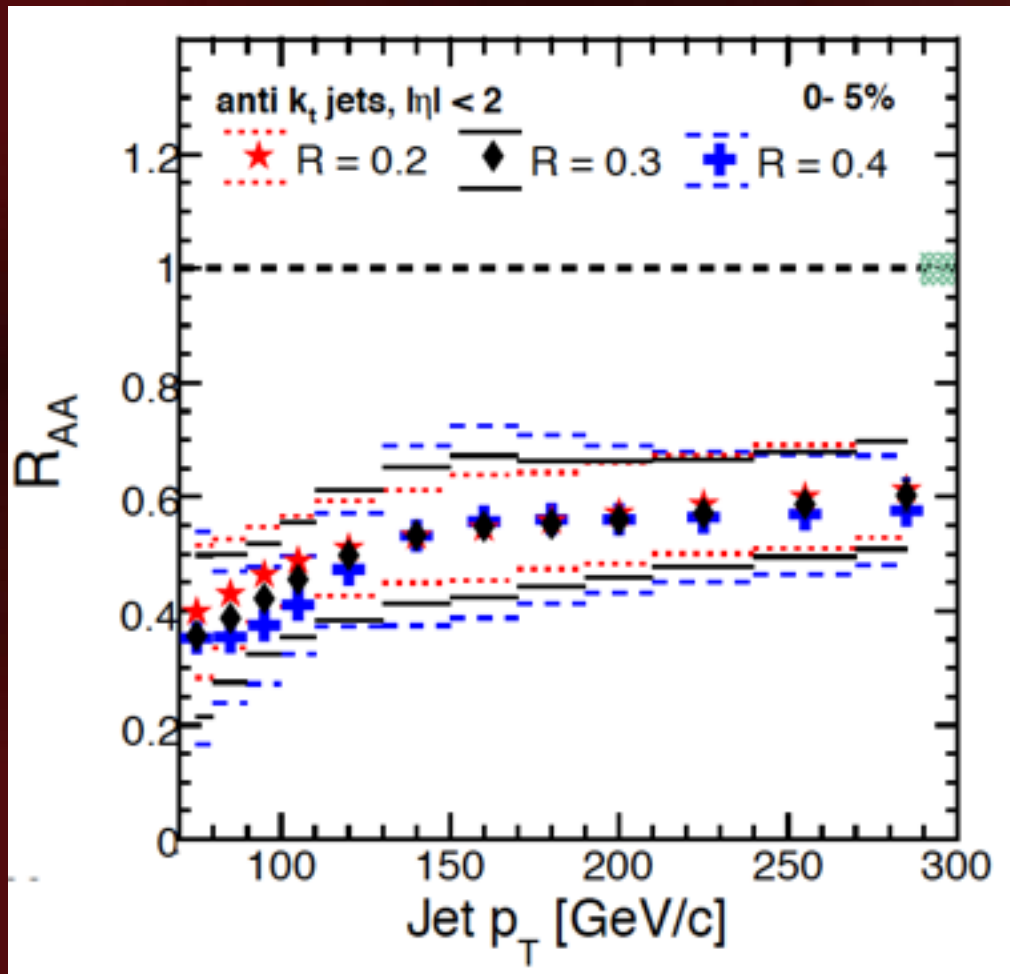
$$K_{p^-, \mu^2}(y, \zeta) = \frac{2\hat{q}}{\mu^2} \left[2 - 2 \cos \left\{ \frac{\mu^2(\zeta - \zeta_i)}{2p^- y(1-y)} \right\}\right]$$

Which is valid while  $A \frac{\hat{q}\tau}{\mu^2} \lesssim 1$ .



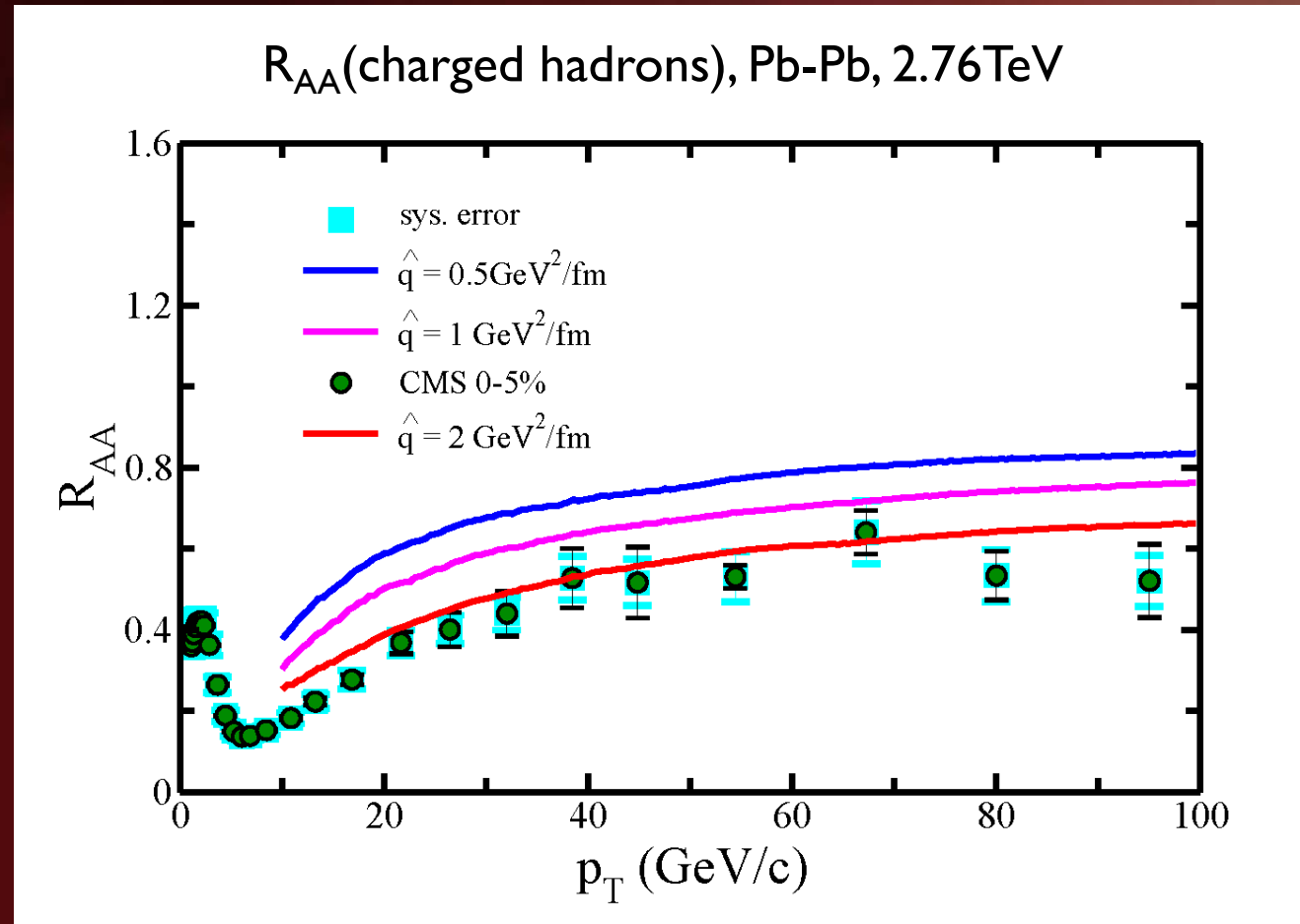


# $R_{AA}$ for jets compared to CMS





# $R_{AA}$ for LHC for varying $\hat{q}_0$ compared to CMS



Fin.

Questions?