

UHECR anisotropies and the Large-Scale matter distribution

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Outline

Introduction

Matter distribution in the Universe

Propagation of UHECR

Attenuation

Deflections

Flux predictions

Signatures

Conclusions

Introduction

- ▶ Identifying the sources of UHECR is one of the key problems in the field
- ▶ Without knowing the sources, can we still say something about the expected sky distribution of UHECR?
- ▶ In any reasonable model the sources of UHECR are made of baryonic matter \implies their distribution must follow that of the matter in the Universe
- ▶ Caveat:
 - ▶ Different types of objects cluster a bit differently; at this stage we do not need to worry about these details.
- ▶ A key parameter is the overall source density n
 - ▶ If it is smaller than $\sim (50 \text{ Mpc})^{-3}$ the source distribution is essentially random (no structures at large scales)
- ▶ To proceed, we will assume here the opposite case:

$$n \gg (50 \text{ Mpc})^{-3}$$

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MATTER DISTRIBUTION IN THE UNIVERSE

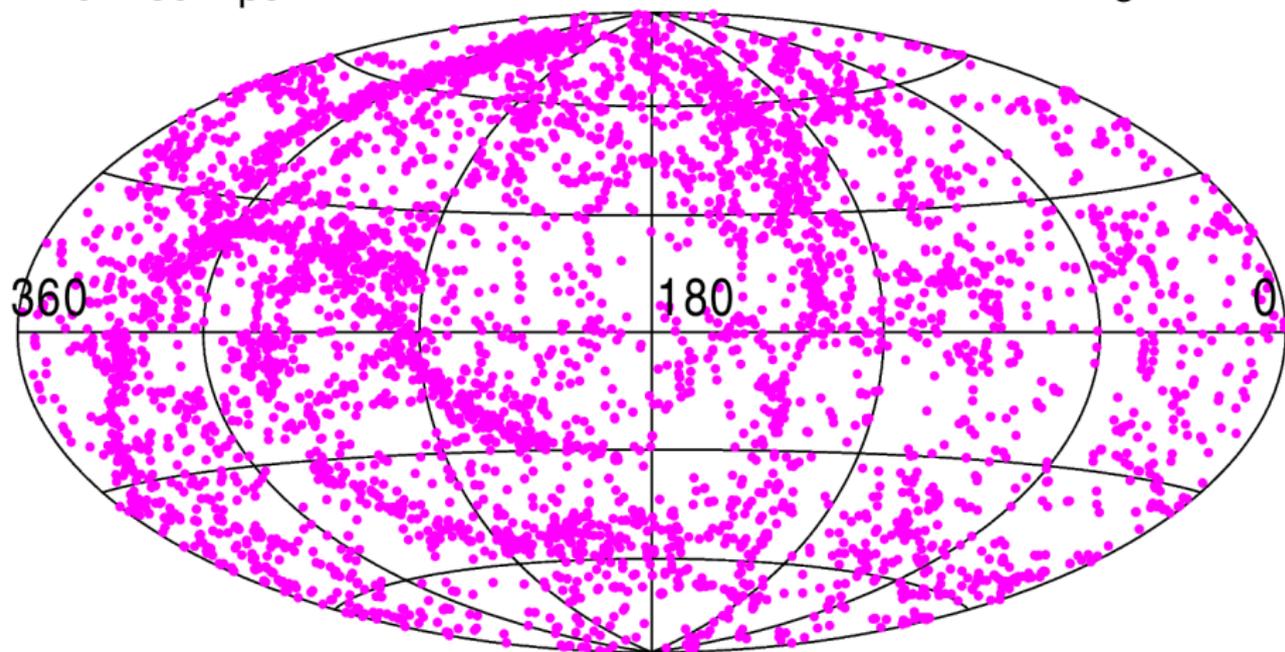
Matter distribution in the Universe

- ▶ Can be deduced from the all-sky complete galaxy catalog
 - 2MASS Redshift Survey (2MRS) *Hucra et al, ApJ (2012) 199, 26*
 - ▶ contains redshifts (therefore, distances) of objects
 - ▶ $\sim 10^5$ objects within 250 Mpc
 - ▶ is complete except around the Galactic plane
 - ▶ is **flux-limited**, so represents better the nearby structures – good
 - ▶ has to be corrected for selection bias – bad

Matter distribution in the Universe

0 – 50 Mpc:

dots are 2MRS galaxies

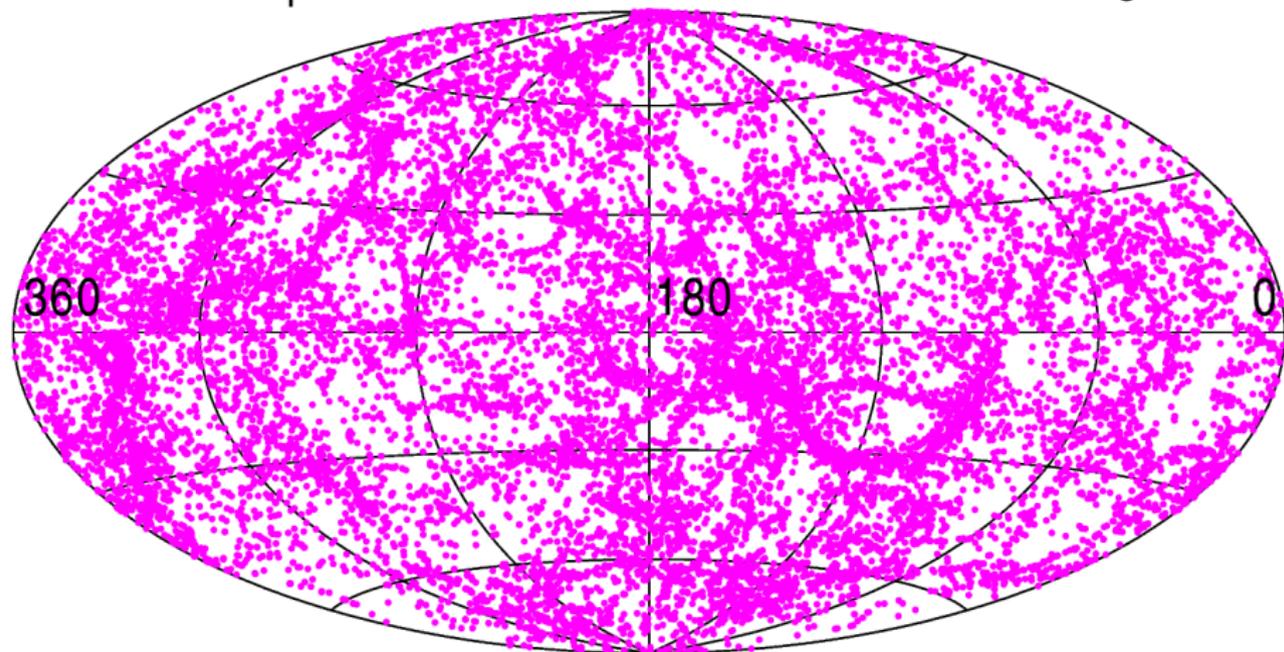


Galactic coordinates

Matter distribution in the Universe

50 – 100 Mpc:

dots are 2MRS galaxies

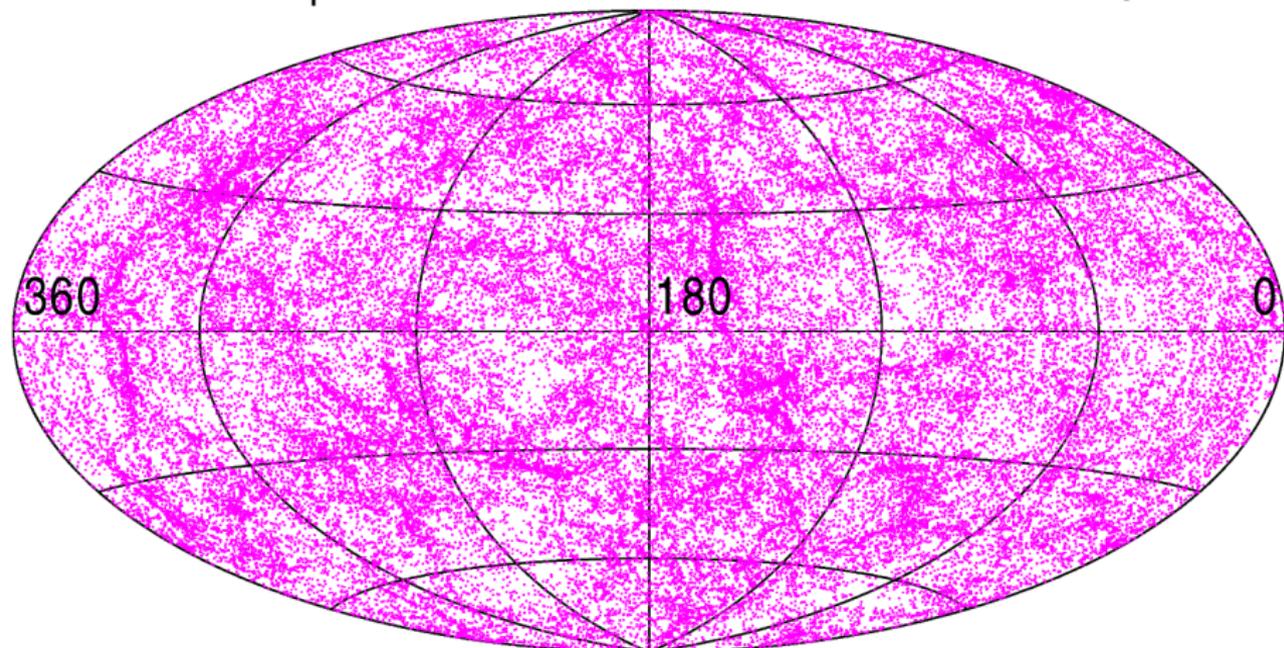


Galactic coordinates

Matter distribution in the Universe

100 – 250 Mpc:

dots are 2MRS galaxies



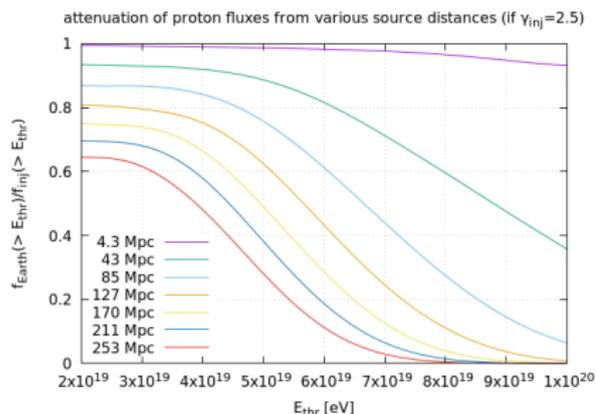
Galactic coordinates

PROPAGATION OF UHECR

Propagation of UHECR: attenuation

[plot by Di Matteo]

- ▶ CRs **attenuate** while propagating over large distances
- ▶ Attenuation grows with energy
- ▶ In case of primary protons — GZK effect
- ▶ In case of nuclei — spallation processes
- ▶ Qualitatively, the attenuation is similar for protons and heavy nuclei; light nuclei attenuate much faster
- ▶ Quantitatively: numerical codes CRPropa, SimProp, TransportCR, ...
- ▶ For concreteness **we take proton attenuation as a model**; this is not quantitatively accurate in case of heavy nuclei, but there are larger uncertainties anyway



Propagation of UHECR: magnetic deflections

- ▶ Barring exotic possibilities, CRs are **electrically charged**
⇒ they are deflected by cosmic magnetic fields

$$\text{regular : } \theta = 0.52^\circ Z \left(\frac{E}{10^{20} \text{eV}} \right)^{-1} \left(\frac{D}{1 \text{kpc}} \right) \left(\frac{B_\perp}{10^{-6} \text{G}} \right)$$

$$\text{random : } \theta = 1.8^\circ Z \left(\frac{E}{10^{20} \text{eV}} \right)^{-1} \left(\frac{l_c D}{50 \text{Mpc}^2} \right)^{1/2} \left(\frac{B}{10^{-9} \text{G}} \right)$$

- ▶ **Extragalactic** magnetic field is thought to be random with the correlation length $\lesssim 1$ Mpc. The current bound on the magnitude is $B \lesssim 1$ nG *Pshirkov et al, PRL 116 (2016), 191302*
 - ▶ Caveat: B in filaments may be stronger — important if we are in a filament ourselves!
- ▶ **Galactic** field has both regular and random components. The regular field is thought to dominate the deflections.
- ▶ Fortunately, we know the Galactic field better than EGMF.

Regular GMF models

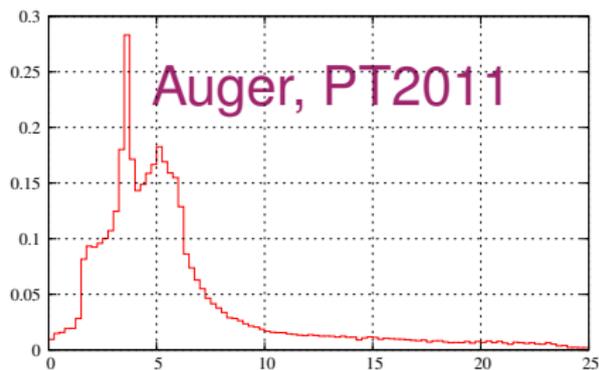
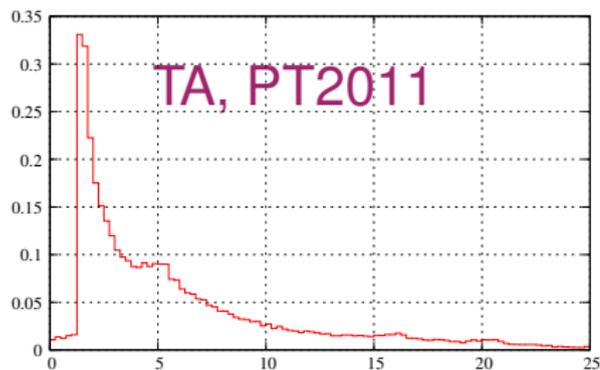
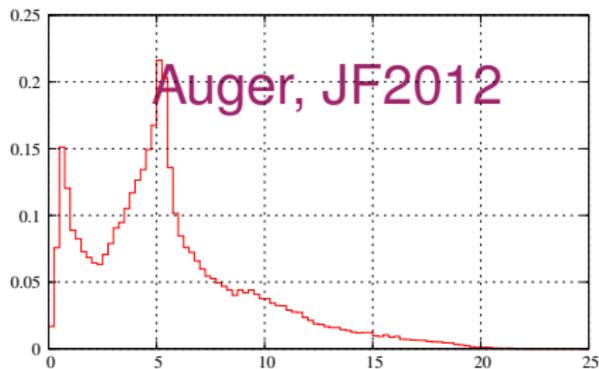
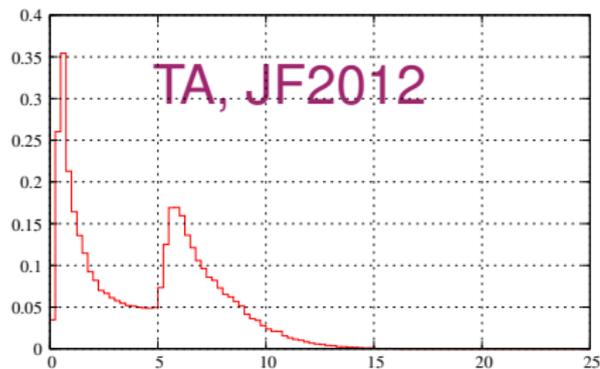
Old models based on pulsar data — some refs

- ▶ Y. Sofue and M. Fujimoto, Ap. J. 265 (1983) 722.
- ▶ T. Stanev, Ap. J. 479 (1997) 290, astro-ph/9607086.
- ▶ J. L. Han and G. J. Qiao, Astron. Astrophys. 288 (1994) 759.
- ▶ J. L. Han, R. N. Manchester, and G. J. Qiao, MNRAS 306 (1999) 371 [astro-ph/9903101]
- ▶ P.G. Tinyakov and I.I. Tkachev, Astropart.Phys. 18 (2002) 165-172

Recent models

- ▶ **PT2011 model** *Pshirkov et al, Astrophys.J. 738 (2011) 192*
 - ▶ Based on the NVSS Faraday rotation data
 - ▶ Fits Faraday rotation at Galactic $|b| > 10^\circ$
 - ▶ 10 (15) free parameters
- ▶ **JF2012 model** *Jansson and Farrar. Astrophys.J. 757 (2012) 14*
 - ▶ Based on NVSS Faraday rotations + synchrotron polarization data
 - ▶ 22 free parameters

DEFLECTIONS: regular GMF, protons of 57 EeV



In numbers:

Deflections of protons of $E = 57$ EeV in the regular GMF:

	mean	median	rms
PT2011 model, TA	6.0	4	5.2
PT2011 model, PA	6.1	5	4.5
JF2012 model, TA	4.4	4.5	3.2
JF2012 model, PA	5.7	5	3.8

RANDOM DEFLECTIONS

- ▶ Look in a few selected patches on the sky where the random field has been measured and calculate deflections. Outcome: random deflections are subdominant by a factor **0.3 – 0.1** *PT, Tkachev, Astropart.Phys. 24 (2005) 32-43*
- ▶ Bypass reconstruction of GMF, infer deflections directly from the RM distribution \Rightarrow consistent with the above *Pshirkov, PT, Urban MNRAS 436 (2013) 2326*

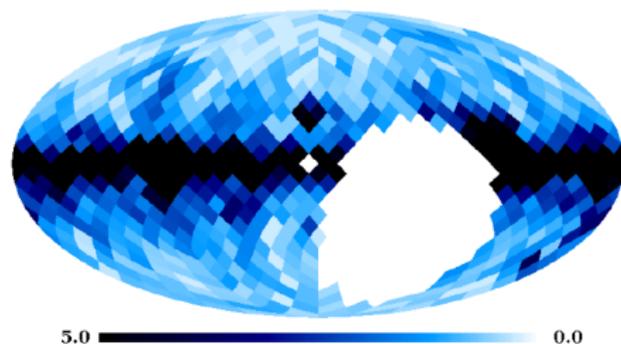


Figure 1. The map of displacements $\sqrt{\langle \theta^2 \rangle}$ of protons with energy $E = 4 \times 10^{19}$ eV due to the random component of the GMF

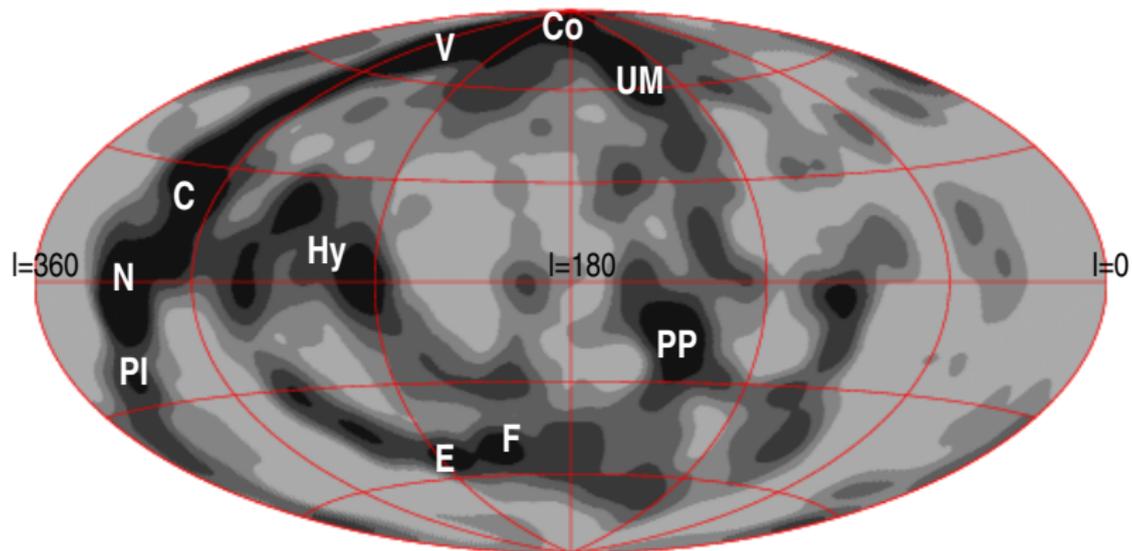
SUMMARY OF MAGNETIC DEFLECTIONS

- ▶ Typical deflections in existing models recalculated to $E = 100\text{EeV}$ are $\sim 2^\circ - 3^\circ$ (median or mean)
- ▶ Distributions are not Gaussian; deflections are direction-dependent
- ▶ **Caveat: large uncertainties in GMF modeling**
- ▶ Random deflections are subdominant in all known scenarios

FLUX PREDICTIONS

PUTTING EVERYTHING TOGETHER

protons, $E = 57 \text{ EeV}$, smearing $\theta = 6^\circ$; Galactic coordinates

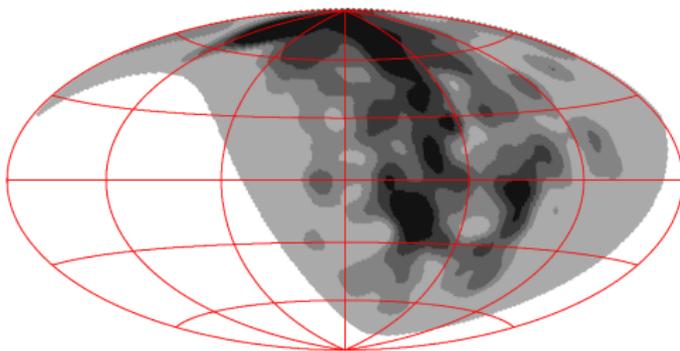


C: Centaurus supercluster (60 Mpc); Co: Coma cluster (90 Mpc); E: Eridanus cluster (30 Mpc); F: Fornax cluster (20 Mpc); Hy: Hydra supercluster (50 Mpc); N: Norma supercluster (65 Mpc); PI: Pavo-Indus supercluster (70 Mpc); PP: Perseus-Pisces supercluster (70 Mpc); Ursa Major North group (20 Mpc) South group (20 Mpc); V: Virgo cluster (20 Mpc).

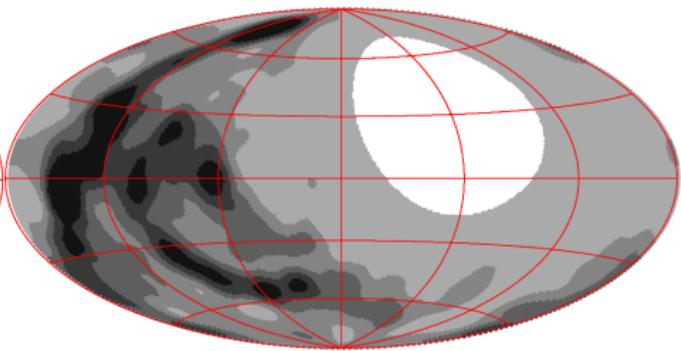
SUPERIMPOSED WITH EXPOSURE

Galactic coordinates; protons $E > 57$ EeV, smearing 6°

TA, $\theta < 55^\circ$



Auger, $\theta < 80^\circ$

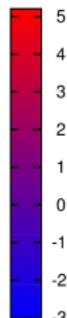
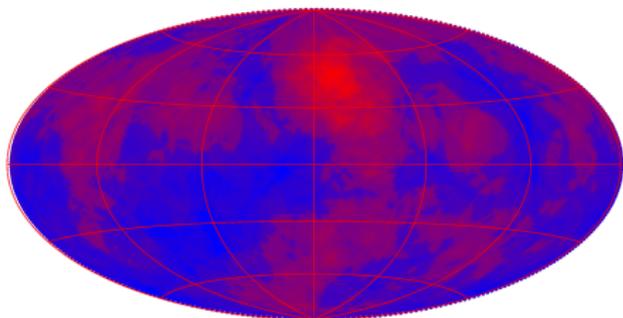
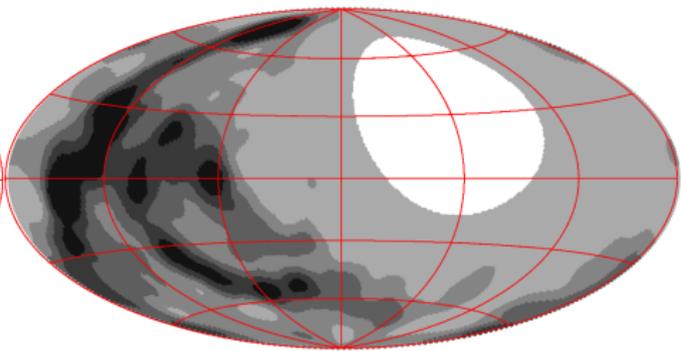
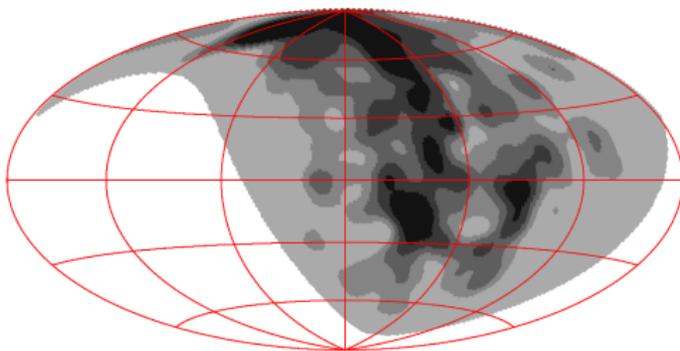


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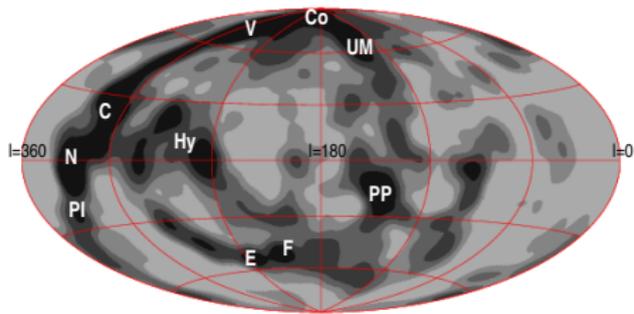
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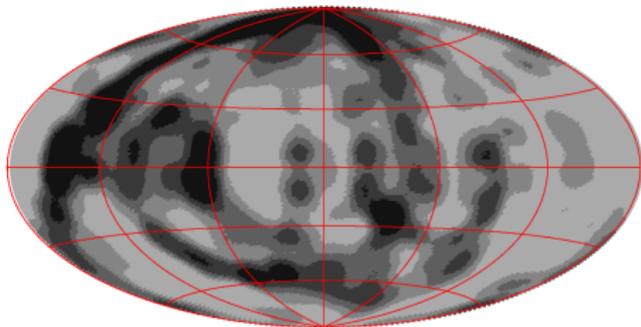
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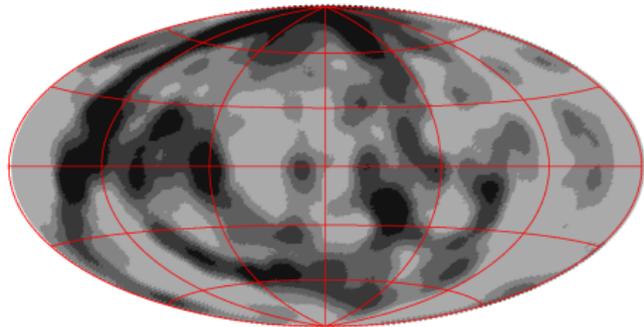
Including GMF deflections: $E = 57$ EeV, protons



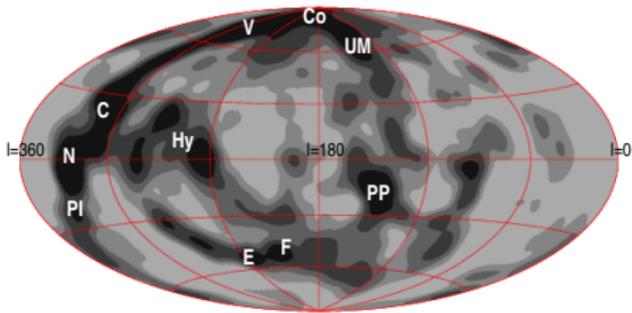
PT2011



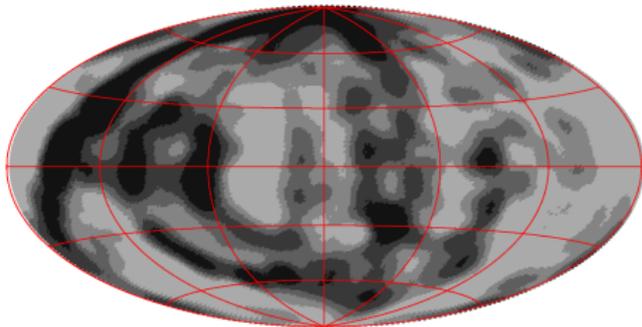
JF2012



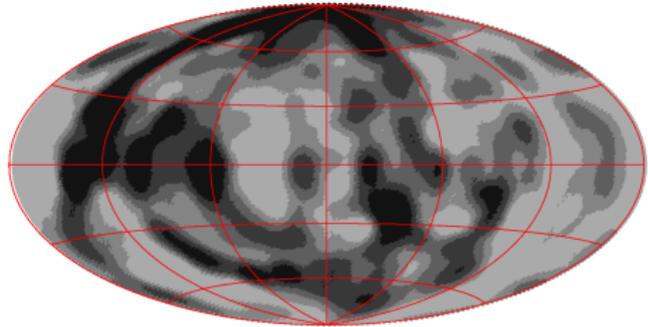
Including GMF deflections: $E = 40$ EeV, protons



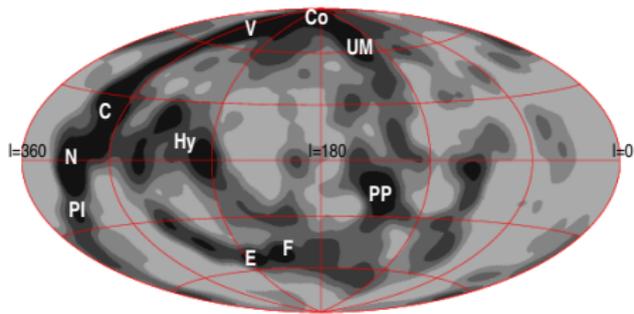
PT2011



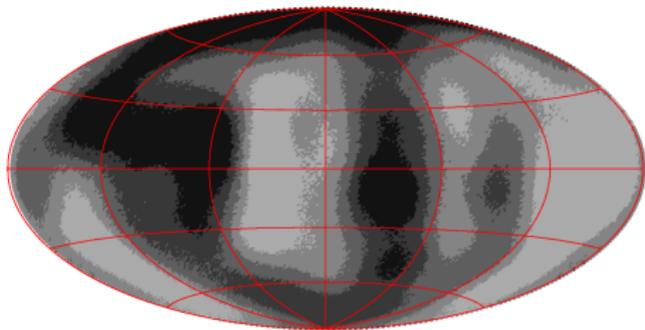
JF2012



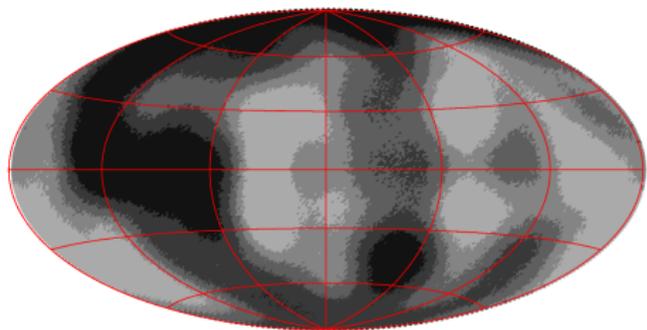
Including GMF deflections: $E = 10$ EeV, protons



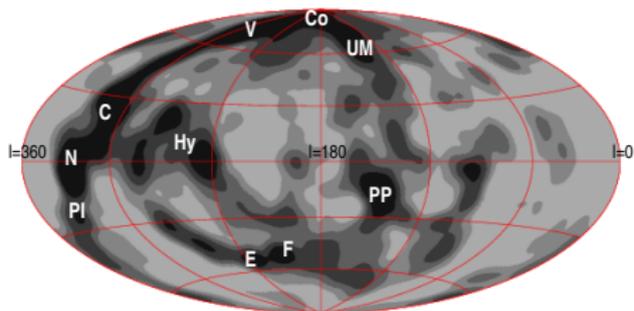
PT2011



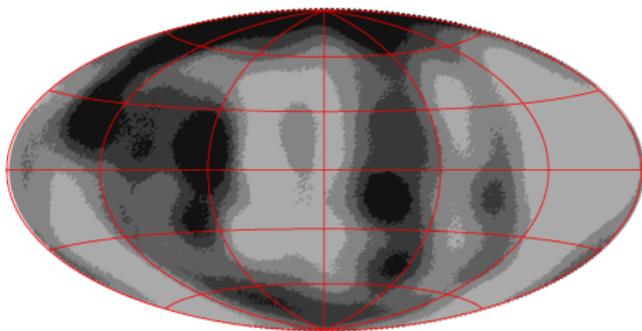
JF2012



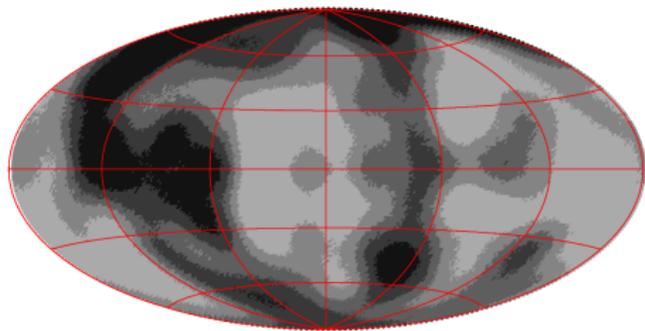
Including GMF deflections: $E = 57$ EeV, carbon $Z = 6$



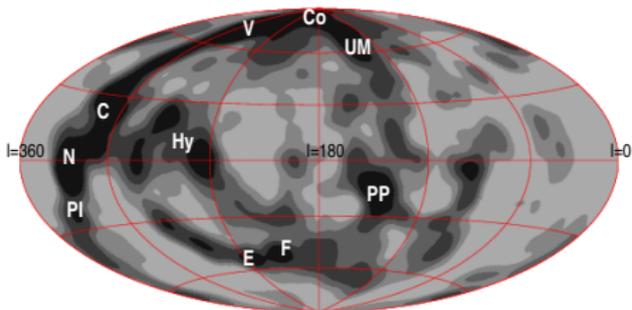
PT2011



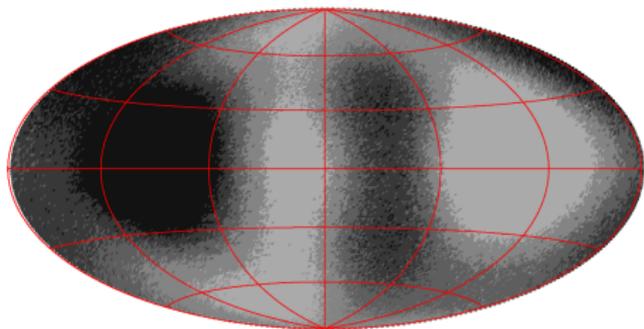
JF2012



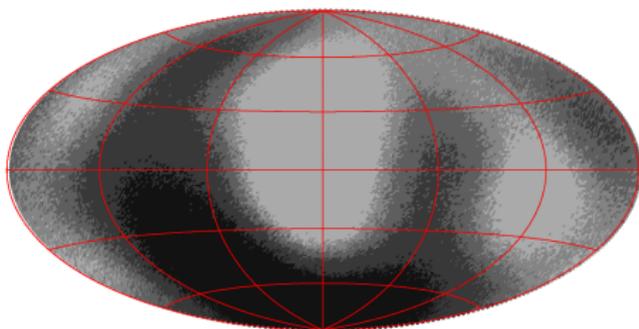
Including GMF deflections: $E = 57$ EeV, iron $Z = 26$



PT2011



JF2012



Magnetic field deflections: summary

- ▶ Corrections are reasonable for protons of highest energies but **large in all other cases**
- ▶ We cannot predict them reliably with our current knowledge of GMF — not in detail sufficient, e.g., for cross-correlations with catalogs

SIGNATURES

SIGNATURES

- ▶ Anisotropies are largest at high energies where the statistics is small and are small at low energies where the statistics is large \implies **a difficult situation**
- ▶ No reliable predictions can be made at small angles, except perhaps in case of protons at highest energies
- ▶ Several methods may be used to assess anisotropy generated by LSS:
 - ▶ **auto-correlation** — not specific to LSS
 - ▶ **cross-correlations with LSS** — predictions are model-dependent because of GMF; differences between models are not small
 - ▶ **multipole decomposition** — requires full-sky coverage (see talk by Di Matteo at this conference), and is also model-dependent. **However, here there is a trick: power spectrum C_l is much less sensitive to GMF details than individual a_{lm} 's.**

Multipole decomposition, example 1: protons at $E = 57 \text{ EeV}$

- ▶ The **GMF-corrected** flux from LSS can be written as

$$\Phi(\vec{n}) = 1 + \vec{d} \cdot \vec{n} + \text{higher multipoles}$$

- ▶ **PT2011 model:**

$$\vec{d} = (0.23, 0.16, 0.06); \quad |d| = 0.29$$

- ▶ **JF2012 model:**

$$\vec{d} = (0.21, 0.15, 0.09); \quad |d| = 0.27$$

Multipole decomposition, example 2: protons at $E = 10 \text{ EeV}$

- ▶ PT2011 model:

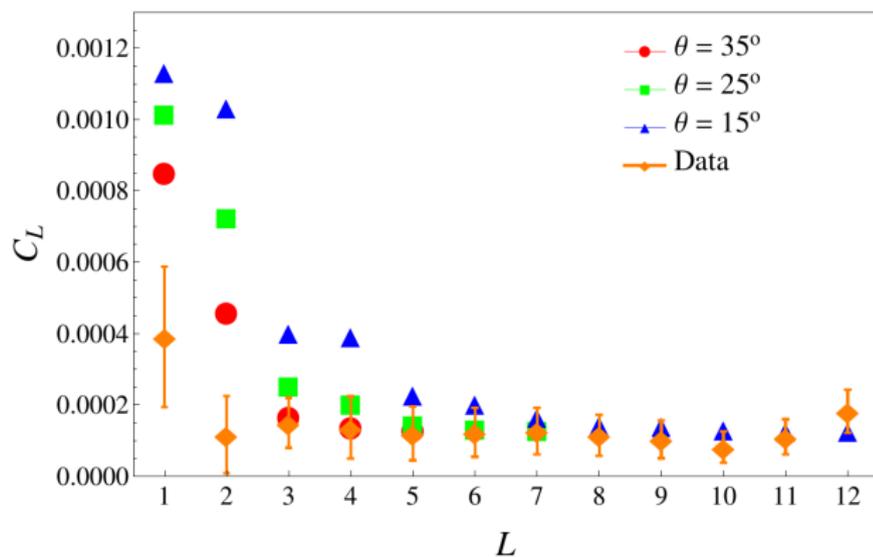
$$\vec{d} = (0.06, 0.06, 0.03); \quad |d| = 0.09$$

- ▶ JF2012 model:

$$\vec{d} = (0.06, 0.04, 0.03); \quad |d| = 0.08$$

Multipole decomposition, example 2: protons at $E = 10$ EeV

- Predictions for multipoles vs. the data (common Auger-TA set, *Astrophys.J.* 794 (2014) 172)



Multipole decomposition, example 3: iron at $E = 57 \text{ EeV}$

- ▶ PT2011 model:

$$\vec{d} = (0.17, 0.02, -0.05); \quad |d| = 0.18$$

- ▶ JF2012 model:

$$\vec{d} = (0.10, -0.18, -0.03); \quad |d| = 0.20$$

- ▶ \implies even though the individual dipole components differ, the multipole C_1 (equivalently, $|d|$) is much less sensitive to model uncertainties

Conclusions

- ▶ Matter inhomogeneities in the nearby Universe create anisotropies in the CR flux that are **potentially measurable**
- ▶ Uncertainties in the **composition** of UHECR and in **magnetic fields** (notably, GMF) make the detailed predictions **difficult at present**
- ▶ There are observables (e.g., C_l 's) that are not very sensitive to these uncertainties \implies **LSS-related anisotropies should be discovered in the very near future**
- ▶ Bottleneck — statistics in the Northern hemisphere

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