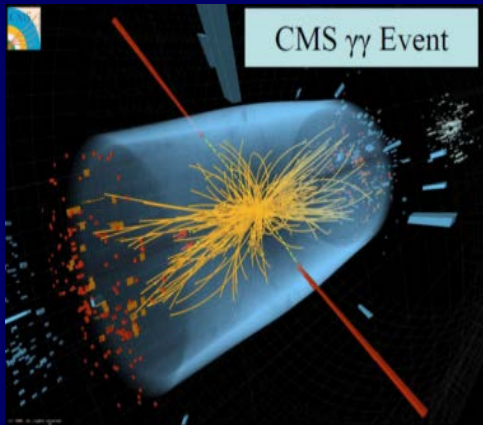
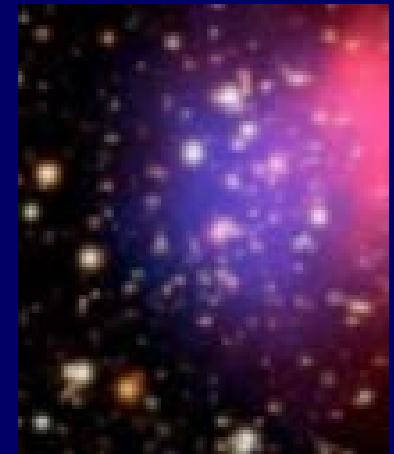


# The Universe in the light of LHC data



Maria Krawczyk  
University of Warsaw



In coll. with I. Ginzburg, K. Kanishev, D. Sokołowska, B. Świeżewska, G. Gil, P. Chankowski, M. Matej, N. Darvishi, A. Ilnicka, T. Robens, L. Diaz-Cruz, C. Bonilla

# Higgs particle at LHC – July, 1 2016

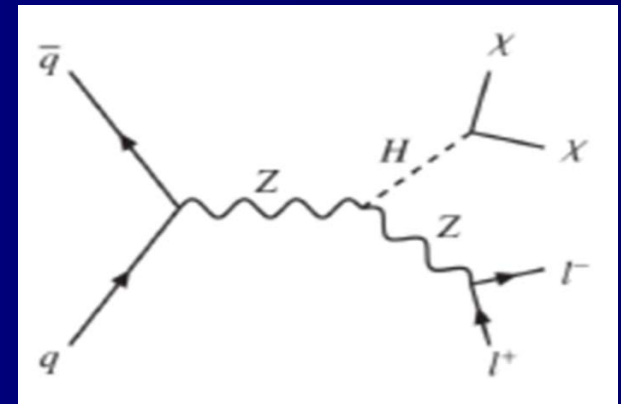
## ATLAS+CMS Run 1

arXiv:1606.02266v1 [hep-ex] 7 Jun

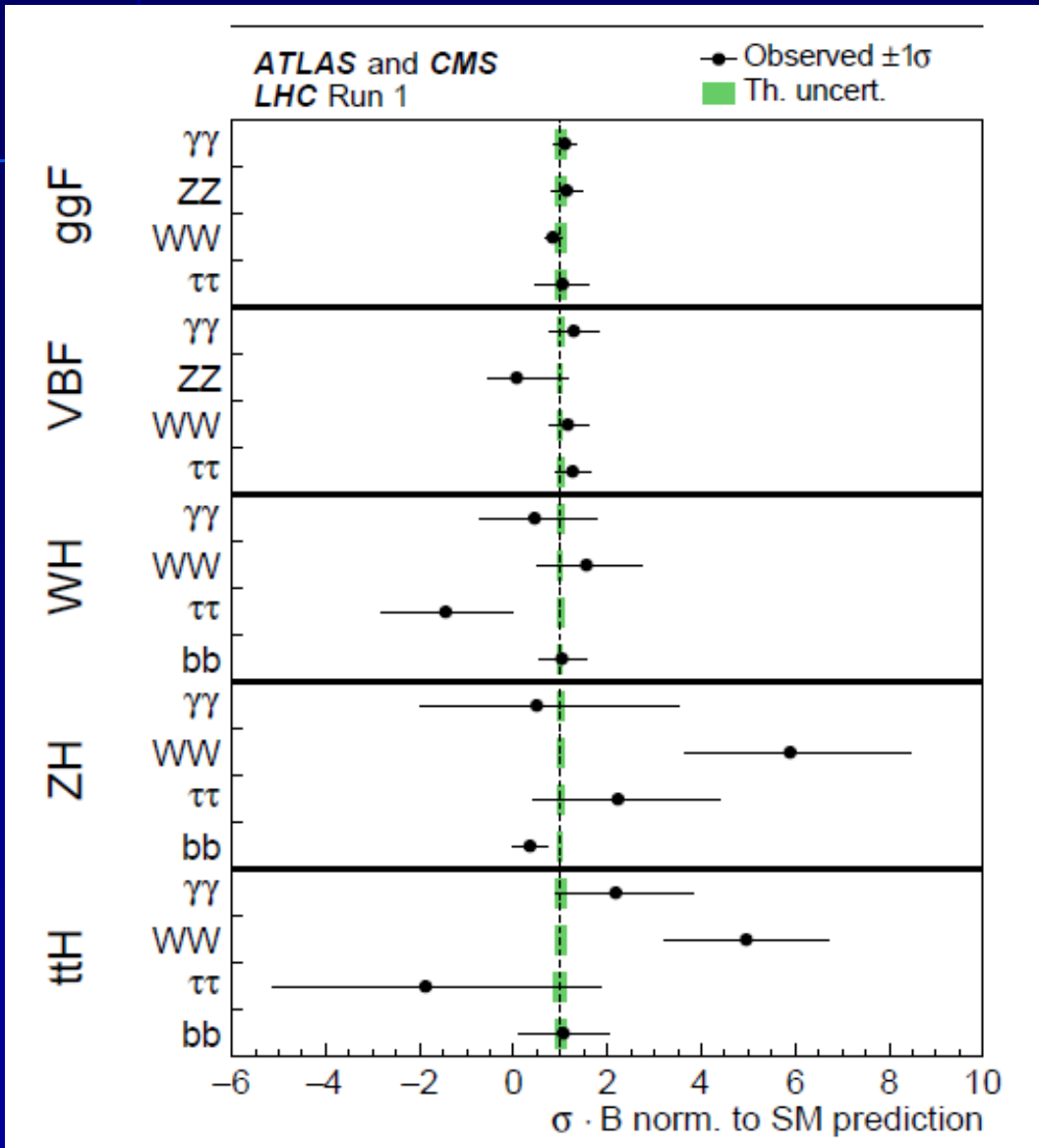
- Mass  $125.09 \pm 0.24 \text{ GeV}$   $ZZ \rightarrow 4 l, \gamma\gamma$
- Total width  $< 23 \text{ MeV}$  (95%CL); SM  $\sim 4 \text{ MeV}$
- Signal strengths ; SM = 1

→ global  $1.09 \pm 0.11/0.10$   
 $\gamma\gamma$   $1.14 \pm 0.19/0.18$

- Invisible decay  
BR  $< 0.34$  (95% CL)
- Spin/CP  $J^{CP}$   $0^+$



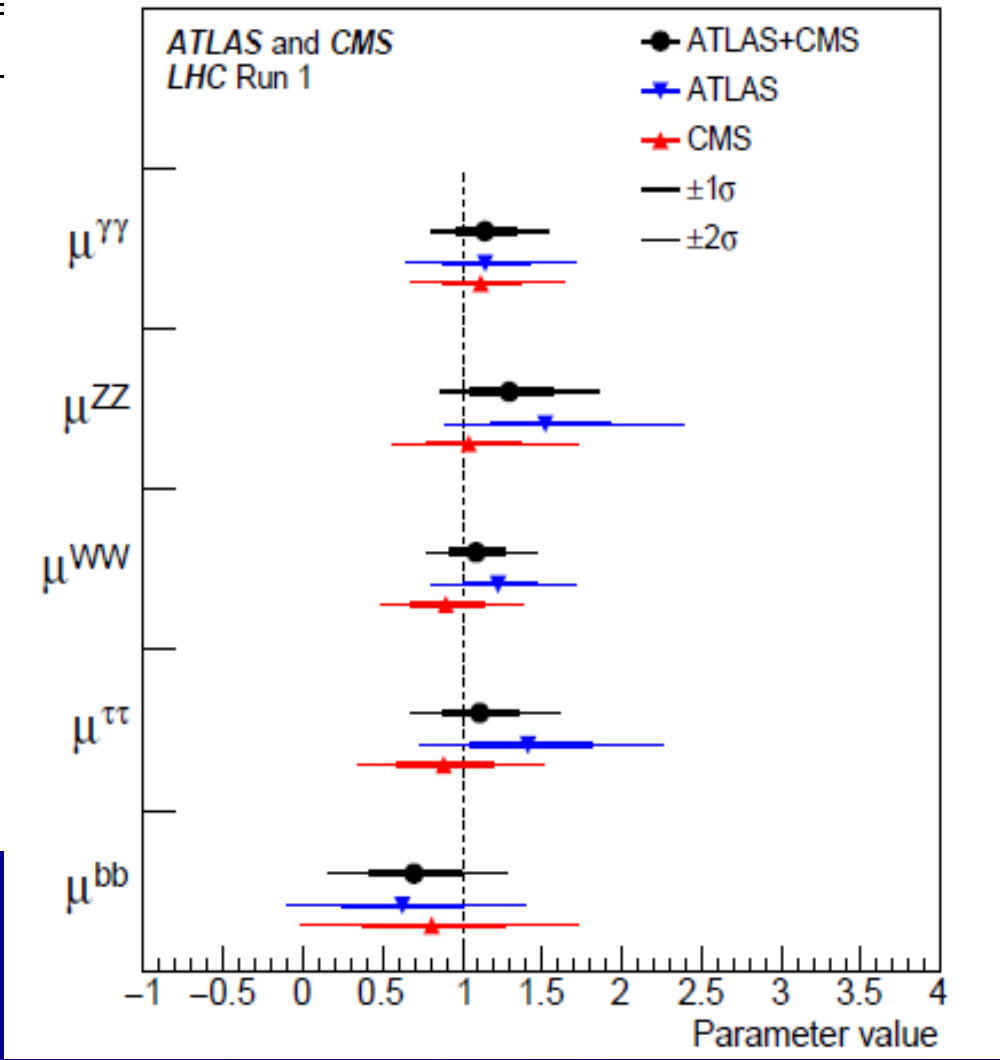
# ATLAS+CMS (June 2016)



signal strength  
(run 1 = 7+8 TeV)

# ATLAS+CMS (June 2016)

Decay channel	ATLAS+CMS
$\mu^{\gamma\gamma}$	1.14 <sup>+0.19</sup> <sub>-0.18</sub> (+0.18) (-0.17)
$\mu^{ZZ}$	1.29 <sup>+0.26</sup> <sub>-0.23</sub> (+0.23) (-0.20)
$\mu^{WW}$	1.09 <sup>+0.18</sup> <sub>-0.16</sub> (+0.16) (-0.15)
$\mu^{\tau\tau}$	1.11 <sup>+0.24</sup> <sub>-0.22</sub> (+0.24) (-0.22)
$\mu^{bb}$	0.70 <sup>+0.29</sup> <sub>-0.27</sub> (+0.29) (-0.28)
$\mu^{\mu\mu}$	0.1 <sup>+2.5</sup> <sub>-2.5</sub> (+2.4) (-2.3)



Signal strength, 7+8 TeV, assuming production as in the SM

# 125 GeV particle

What it is?

$h_{\text{SM}}$  - Higgs boson of SM ?

$h$  or  $H$  of CP-conserving 2HDM, MSSM ?

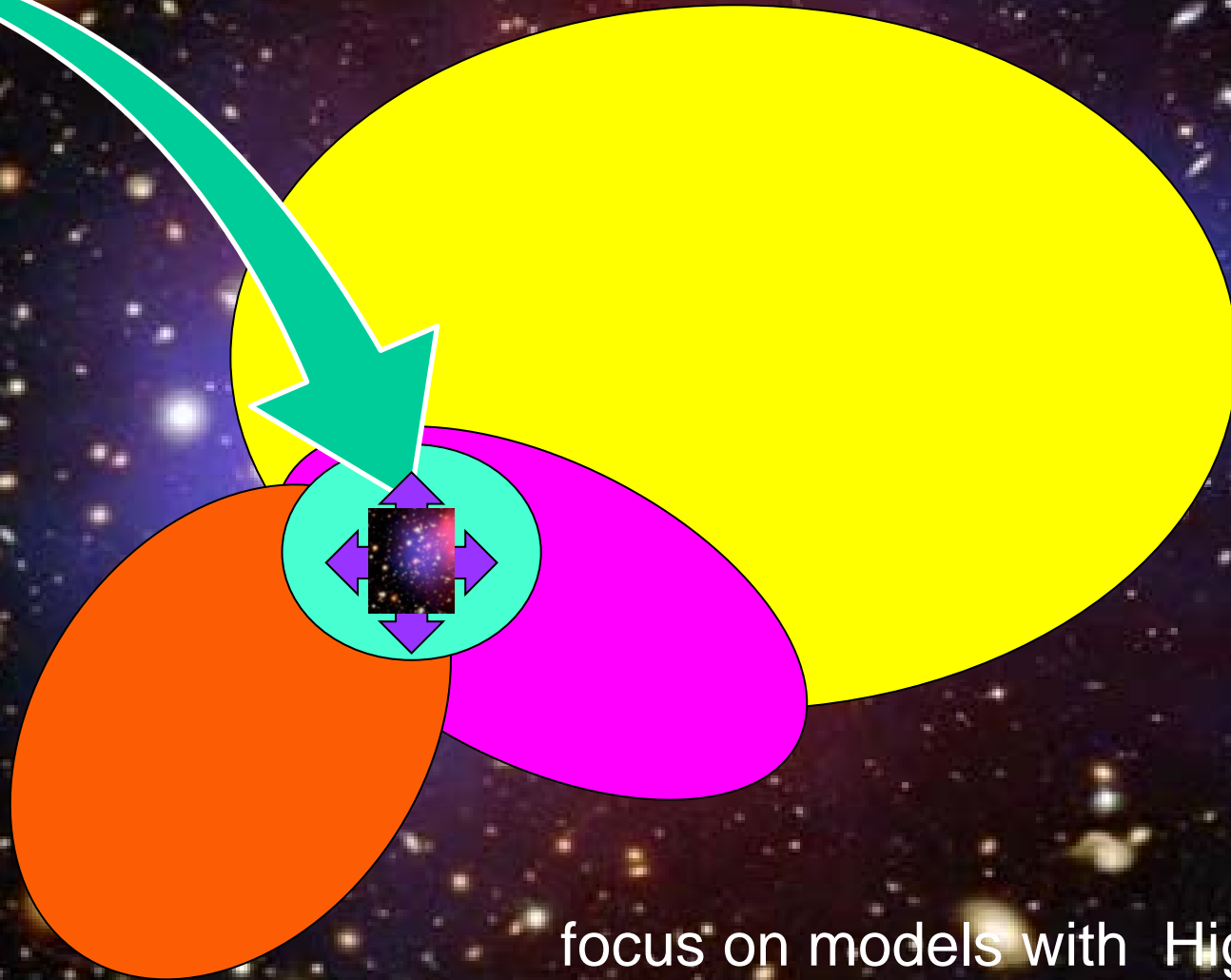
other scalar particle ?

SM-like scenario observed: all direct couplings  
are close to the SM predictions

*(for absolute value)*

*look at decay to  $\gamma\gamma$ ,  $Z\gamma$  - 2001 I. Ginzburg, P. Osland, MK*

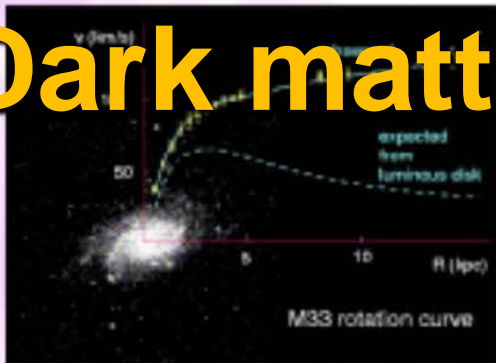
# SM - like scenario in many models



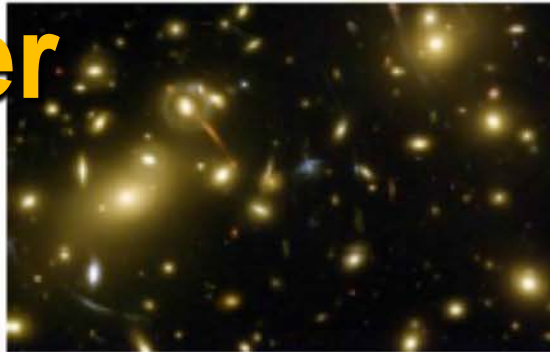
focus on models with Higgs Portal  
to the Dark Matter

Rotation curves of galaxies

# Dark matter



Gravitational lensing



Bullet cluster



Morsolli, Corfu 2014

## Relic DM density

3 sigma:

WMAP

$$0.1018 < \Omega_{DM} h^2 < 0.1234$$

PLANCK

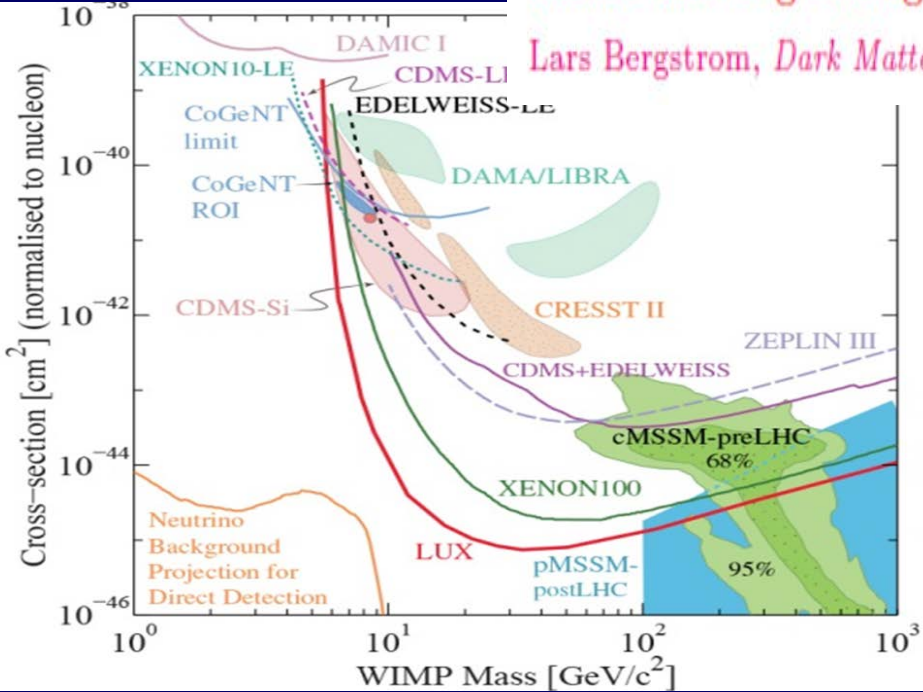
$$0.1118 < \Omega_{DM} h^2 < 0.128$$



# Direct detection

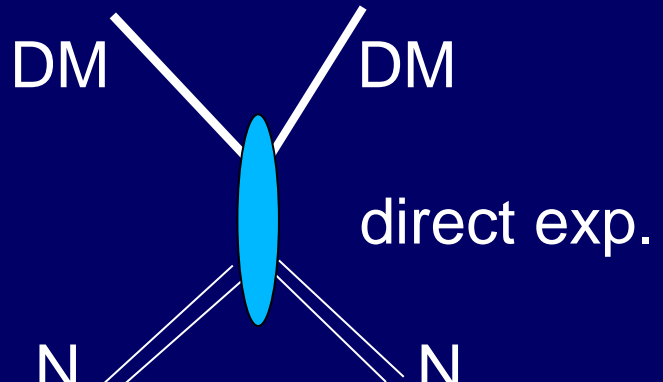
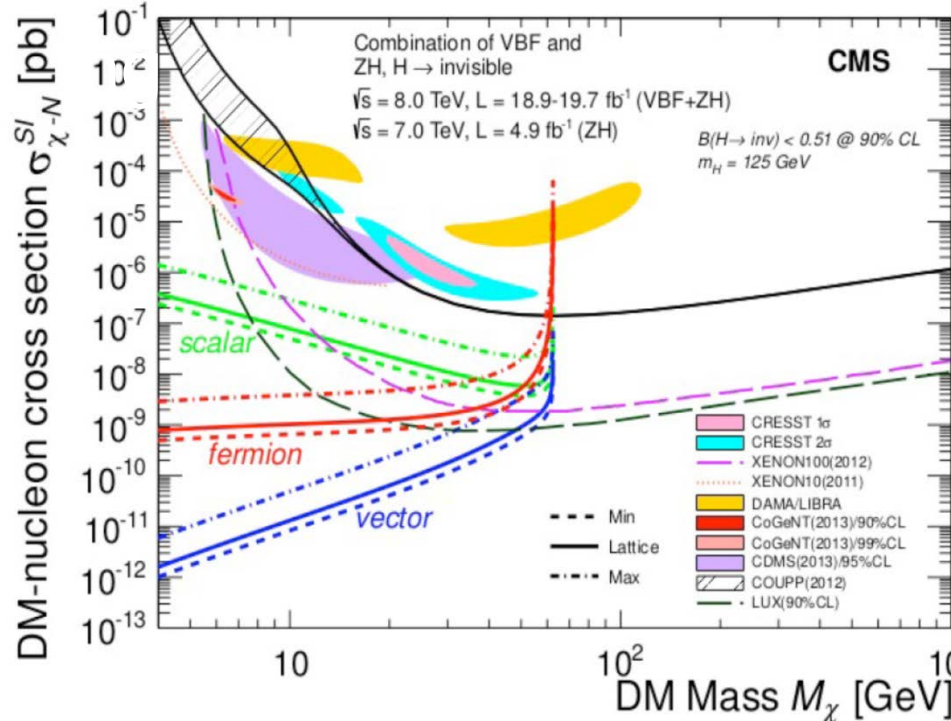
"One should be aware, however, that this area of investigation is at present beset with large controversies, and one should allow the dust to settle before drawing strong conclusions in either directions." **2012**

Lars Bergstrom, *Dark Matter Evidence, Particle Physics Candidates and Detection Methods*,



**DM N → DM N**

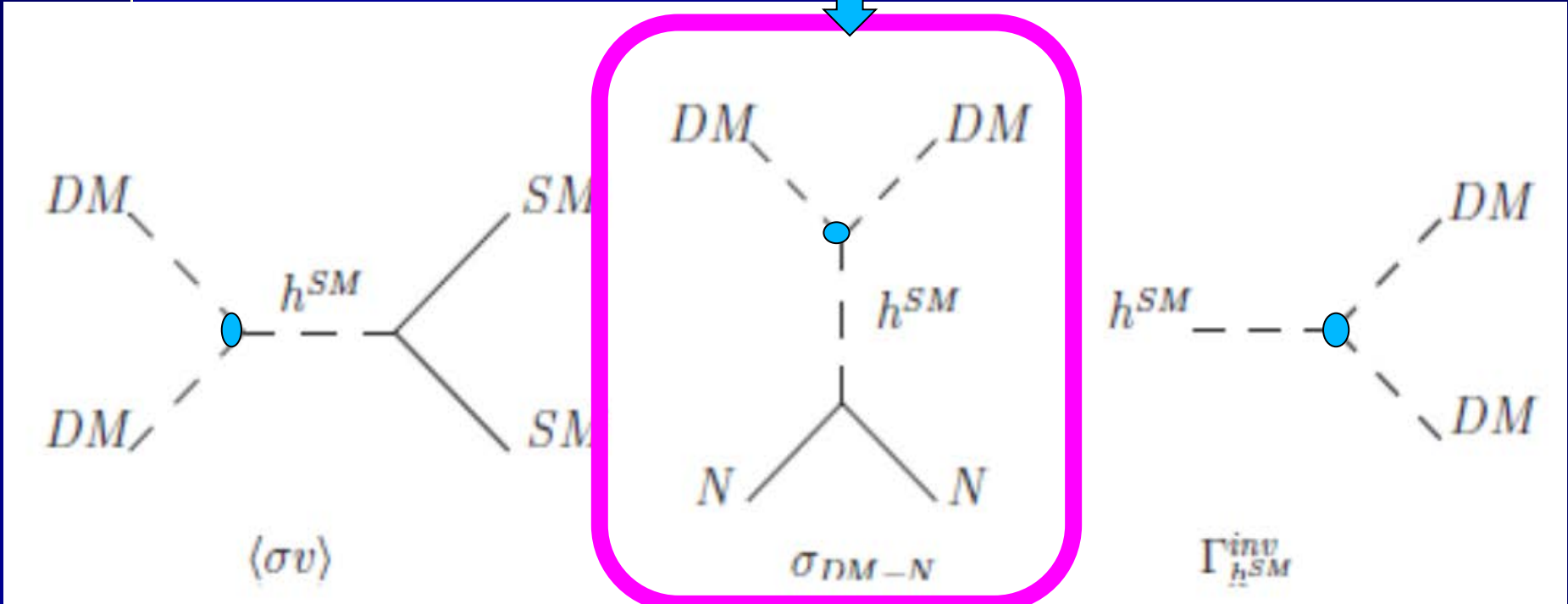
**2015**

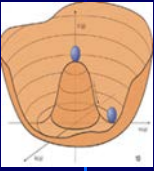




# Higgs portal with the SM-like $h$

direct detection





# 2HDM's

Branco, Rebelo, Ferreira  
Silva, Lavoura, Sher, Ma  
Haber, Gunion, Grimus  
Ginzburg, MK, Osland,  
Grzadkowski, Ivanov  
Nachtmann, Maniatis,  
Pilaftsis, ... Pich

Potential

Vacuum

Yukawa

## Two Higgs Doublet Models

Two doublets of  $SU(2)$  ( $Y=1, \rho=1$ ) -  $\Phi_1, \Phi_2$

Masses for  $W^{+/-}, Z$ , no mass for photon?

Fermion masses via Yukawa interaction –

various models: Model I, II, III, IV, X, Y, ...

5 scalars: 3 neutral and 2 charged

# Inert Doublet Model (IDM)

*Ma, ... '78*  
*Barbieri.. '06*

- a model with two SU(2) doublets  
with an **exact**  $Z_2$  symmetry (L & vacuum)  
**Higgs and Dark Matter sectors OK**

● Evolution of Universe from EWs to Inert phase in one, two or three steps, with 1<sup>st</sup> or 2<sup>nd</sup> order phase transitions (*T2 evolution, Ginzburg ,.. PRD2010*)

● Strong enough first-order phase transition needed for baryogenesis (*G. Gil Msc'2011, G.Gil, P.Chankowski, MK PL.B 2012*)

● Metastability of vacua in IDM (*B. Świeżewska 2015*)

● IDM+complex singlet *Bonilla, DiazCruz, Sokołowska, Darvishi, MK'14*

# $Z_2$ symmetric Lagrangian of 2HDM

Potential  $V =$

*Branco, Rebelo ,85: CP conserved*

$$\begin{aligned} & \frac{1}{2}\lambda_1(\Phi_1^\dagger\Phi_1)^2 + \frac{1}{2}\lambda_2(\Phi_2^\dagger\Phi_2)^2 - \frac{1}{2}m_{11}^2(\Phi_1^\dagger\Phi_1) - \frac{1}{2}m_{22}^2(\Phi_2^\dagger\Phi_2) \\ & + \lambda_3(\Phi_1^\dagger\Phi_1)(\Phi_2^\dagger\Phi_2) + \lambda_4(\Phi_1^\dagger\Phi_2)(\Phi_2^\dagger\Phi_1) + \frac{1}{2}[\lambda_5(\Phi_1^\dagger\Phi_2)^2 + \text{h.c.}] \end{aligned}$$
$$\lambda_{345} = \lambda_3 + \lambda_4 + \lambda_5$$

$Z_2$  symmetry transf.:  $\Phi_1 \rightarrow \Phi_1$   $\Phi_2 \rightarrow -\Phi_2$

Yukawa interaction

**Model I** – one doublet  $\Phi_1$  couples to all fermions

Vacuum state ?  
various possible

M. Krawczyk, Kitzbuhel 2016

**positivity (stability) constraints**

$$\lambda_1 > 0, \quad \lambda_2 > 0, \quad R + 1 > 0, \quad R_3 + 1 > 0$$

$$\lambda_{345} = \lambda_3 + \lambda_4 + \lambda_5, \quad R = \lambda_{345}/\sqrt{\lambda_1\lambda_2}, \quad R_3 = \lambda_3/\sqrt{\lambda_1\lambda_2}.$$

# Extrema ( $\rightarrow$ vacua)

Ma78, Velhinho, Santos, Barroso..94

$Z_2$  symmetry  $\Phi_1 \rightarrow \Phi_1, \Phi_2 \rightarrow -\Phi_2$

notation:  $\Phi_1 \rightarrow \Phi_S$  &  $\Phi_2 \rightarrow \Phi_D$  (**D symmetry**)

$$\langle \phi_S \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v_S \end{pmatrix}, \quad \langle \phi_D \rangle = \frac{1}{\sqrt{2}} \begin{pmatrix} u \\ v_D \end{pmatrix}$$

$v_S, v_D, u$  - real

$$v^2 = v_S^2 + v_D^2 + u^2$$

**u=0**

<p>EWs</p> <p><b>Inert</b></p> <p>Inert-like</p> <p>Mixed (Normal, MSSM like)</p>	<p>EWs</p> <p><b>I<sub>1</sub></b></p> <p><b>I<sub>2</sub></b></p> <p><b>M</b></p>	<p><b>v<sub>D</sub> = v<sub>S</sub> = 0</b></p> <p><b>v<sub>D</sub> = 0</b></p> <p><b>v<sub>S</sub> = 0</b></p> <p><b>v<sub>D</sub>, v<sub>S</sub> ≠ 0</b></p>
---	--	--

**u≠0**

<p><b>Charge Breaking</b></p>	<p><b>CB</b></p>	<p><b>v<sub>D</sub> = 0</b></p>
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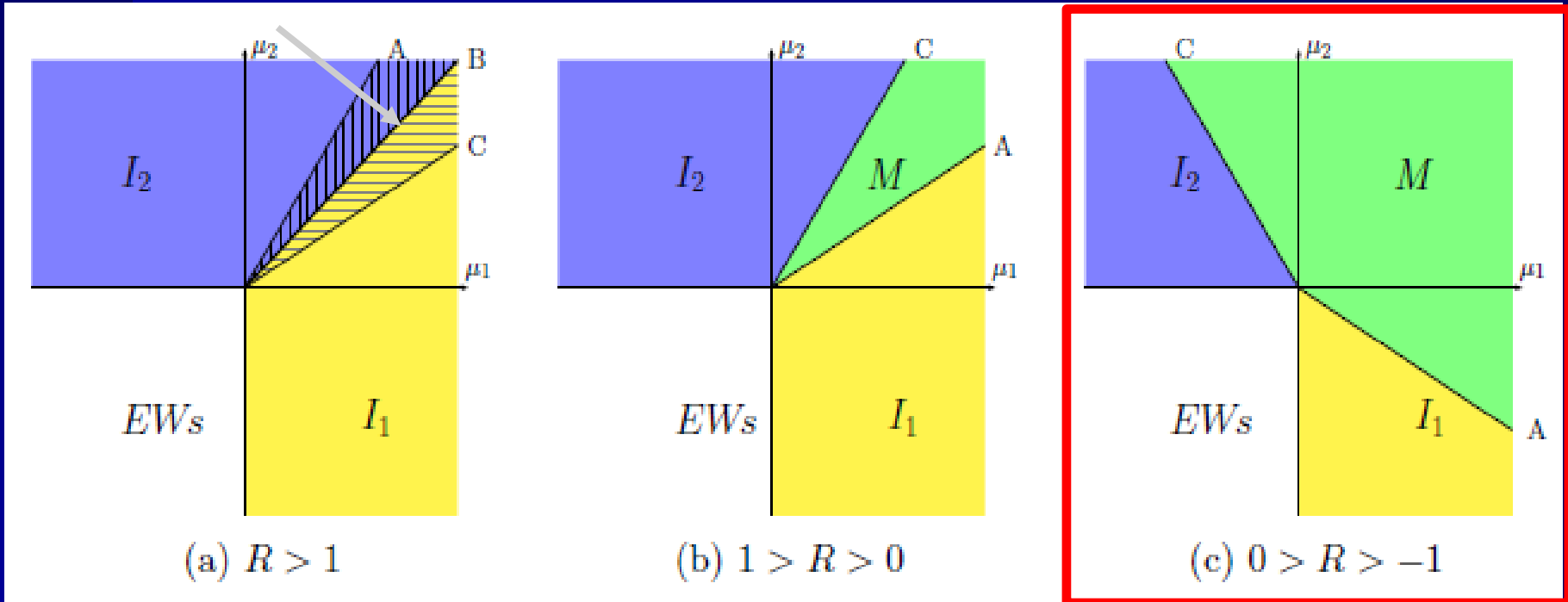
# Phase diagrams for D-sym. V

$$\mu_1 = \frac{m_{11}^2}{\sqrt{\lambda_1}}, \quad \mu_2 = \frac{m_{22}^2}{\sqrt{\lambda_2}}$$

$$\mathcal{E}_{I_1} - \mathcal{E}_M = \frac{(m_{11}^2 \lambda_{345} - m_{22}^2 \lambda_1)^2}{8\lambda_1^2 \lambda_2 (1 - R^2)}$$

$$R = \lambda_{345} / \sqrt{\lambda_1 \lambda_2}$$

coexistence of  $I_1$  and  $I_2$  minima

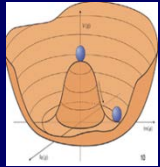


Inert ( $I_1$ ) vacuum  
for  $M_h = 125$  GeV  $\rightarrow$  fixed  $\mu_1$

here  $\lambda_{345} < 0$  !

# Inert Doublet Model

$\Phi_S$  as in SM (BEH)



$$\Phi_S = \begin{pmatrix} \phi^+ \\ \frac{v+h+i\zeta}{\sqrt{2}} \end{pmatrix}$$

Higgs boson  $h$  (SM-like)

$\Phi_D$  – no vev

$$\Phi_D = \begin{pmatrix} H^+ \\ H+iA \end{pmatrix}$$

(no Higgses!)

4 scalars  $H^+, H^-, H, A$

no interaction with fermions

D symmetry  $\Phi_S \rightarrow \Phi_S$   $\Phi_D \rightarrow -\Phi_D$  exact

▸ D parity

▸ only  $\Phi_D$  has odd D-parity

▸ the lightest scalar stable - DM candidate ( $H$ )

▸ ( $\Phi_D$  dark doublet with dark scalars)



# Inert case - masses

- SM-like Higgs scalar h

$$M_h^2 = m_{11}^2 = \lambda_1 v^2 = (125 \text{ GeV})^2$$

- Dark particles D

$$M_{H+}^2 = -\frac{m_{22}^2}{2} + \frac{\lambda_3}{2} v^2$$

$m_{22}^2$  arbitrary,

so if large negative →  
H, H+, A heavy, degenerate

★ H – dark matter

$\lambda_5 < 0$  and  $\lambda_{45} < 0$

$$M_H^2 = -\frac{m_{22}^2}{2} + \frac{\lambda_3 + \lambda_4 + \lambda_5}{2} v^2$$

$$M_A^2 = -\frac{m_{22}^2}{2} + \frac{\lambda_3 + \lambda_4 - \lambda_5}{2} v^2$$

# Testing Inert Doublet Model

- ❖ Theoretical constraints  
vacuum stability,  
perturbative unitarity
- \*condition for Inert vacuum\*

*Ma'2006, Barbieri 2006, Dolle, Su, Gorczyca(Świeżewska), MSc T2011, 1112.4356, ...5086, ..1305. Posch 2011, Arhrib..2012, Chang, Stal ..2013*

$$\frac{m_{11}^2}{\sqrt{\lambda_1}} \geq \frac{m_{22}^2}{\sqrt{\lambda_2}}$$

Swiezewska

- ❖ Detailed study of
  - the SM-like h
- ❖ Study of dark scalars  $D = (\mathbf{H}, A, H^+, H^-)$ 
  - the dark scalars D in pairs!

D couple to  $V = W/Z$  (eg.  $AZH, H^- W^+ H$ ), not  $DVV$ !

Quartic selfcouplings  $D^4$  proportional to  $\lambda_2$

Couplings with Higgs:  $hHH \sim \lambda_{345}$        $h H^+ H^- \sim \lambda_3$

# Inert Doublet Model with $M_h=125$ GeV

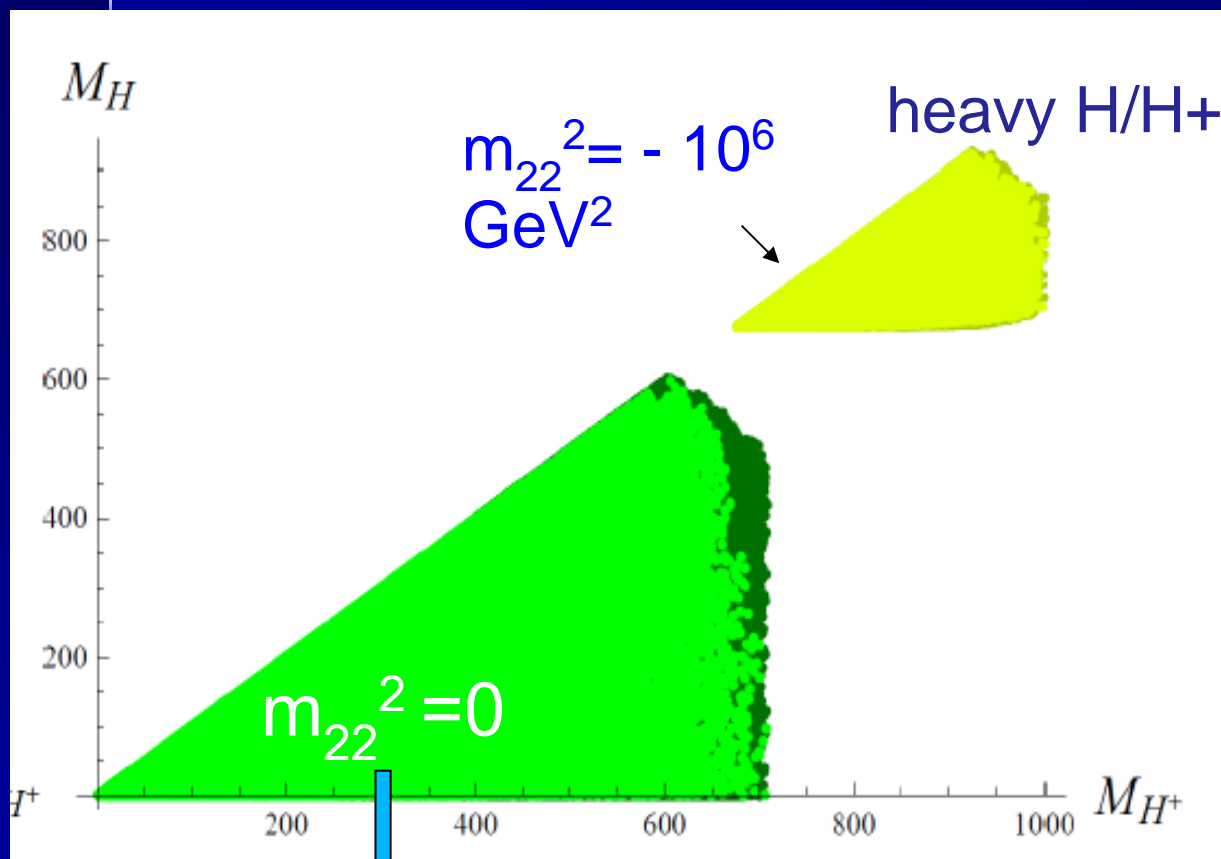
Świeżewska 2011

$$m_{22}^2 = 0$$

$$M_H \leq 602 \text{ GeV}$$

$$M_{H^\pm} \leq 708 \text{ GeV}$$

$$M_A \leq 708 \text{ GeV}$$



Data:

EWPT (S and T)

$$S = 0.03 \pm 0.09$$

$$T = 0.07 \pm 0.08$$

$$\rho = 87\%$$

LEP, no LHC yet

$M_{H^\pm} > 70$  GeV

EWPT (pale regions)

valid up to  $|m_{22}^2| = 10^4 \text{ GeV}^2$

# LHC – Higgs $H_{125}$ data $\rightarrow$ $h$ (IDM)

Direct couplings to W/Z and fermions - as in SM

Loop coupling to gg – as in SM

Loop coupling to  $\gamma\gamma$ ,  $Z\gamma$  – extra contributions due to  $H^\pm$

Total width – extra contributions due to  $h \rightarrow AA, HH, H^+H^-$

Invisible decay

# $\gamma\gamma$ and $Z\gamma$ decay rates of the Higgs boson

[Q.-H. Cao, E. Ma, G. Rajasekaran, Phys. Rev. D 76 (2007) 095011, P. Posch, Phys. Lett. B696 (2011) 447, A. Arhrib, R. Benbrik, N. Gaur, Phys. Rev. D85 (2012) 095021, BŠ, M. Krawczyk, Phys. Rev. D 88 (2013) 035019]

$R_{\gamma\gamma}$  – 2-photon decay rate,  $R_{Z\gamma}$  –  $Z\gamma$  decay rate

signal strength  $\mu$

$$R_{\gamma\gamma} = \frac{\sigma(pp \rightarrow h \rightarrow \gamma\gamma)^{IDM}}{\sigma(pp \rightarrow h \rightarrow \gamma\gamma)^{SM}} \approx \frac{\Gamma(h \rightarrow \gamma\gamma)^{IDM}}{\Gamma(h \rightarrow \gamma\gamma)^{SM}} \frac{\Gamma(h)^{SM}}{\Gamma(h)^{IDM}}$$

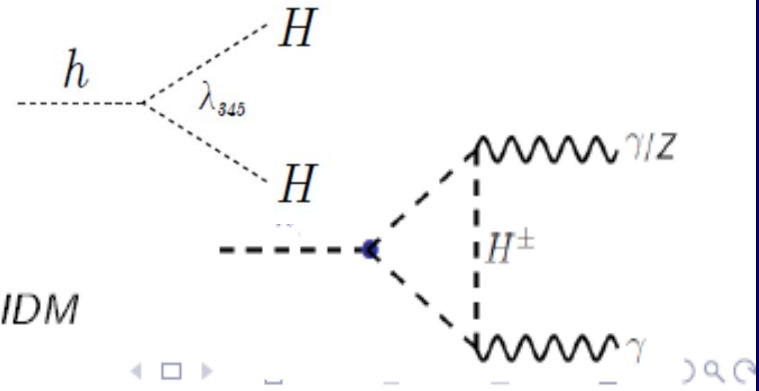
$R_{Z\gamma}$  – treated analogously

narrow width approx

- Largest contribution from  $gg$  fusion
- $\sigma(gg \rightarrow h)^{SM} = \sigma(gg \rightarrow h)^{IDM}$  (not true in other 2HDMs)

Two sources of deviation from  $R_{\gamma\gamma} = 1$

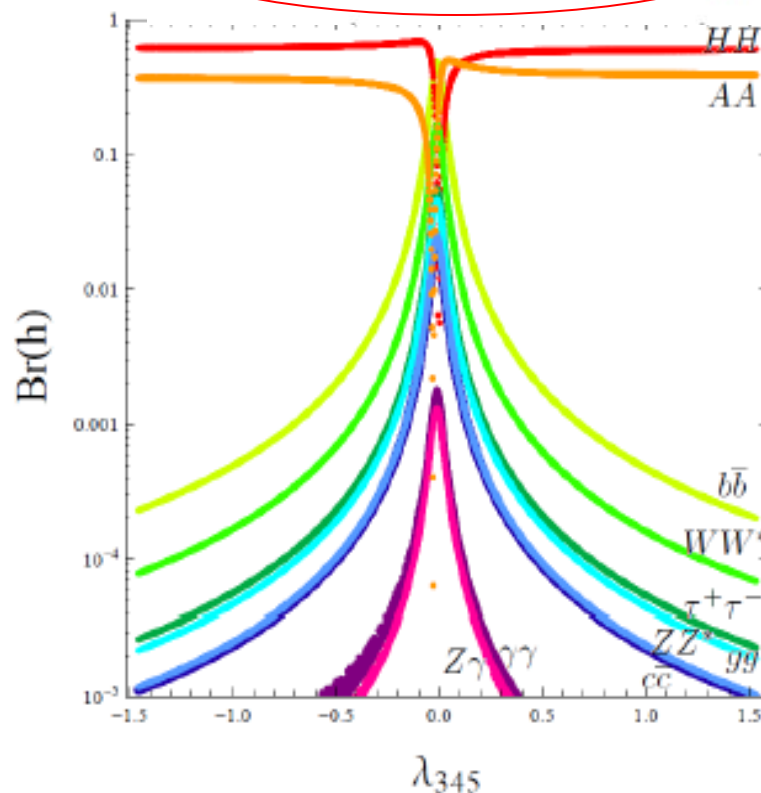
- **invisible decays**  $h \rightarrow HH, h \rightarrow AA$  in  $\Gamma(h)^{IDM}$
- **charged scalar loop** in  $\Gamma(h \rightarrow \gamma\gamma)^{IDM}$



$$\Gamma(h) = \Gamma(h \rightarrow b\bar{b}) + \Gamma(h \rightarrow WW^*) + \Gamma(h \rightarrow \tau^+\tau^-) + \Gamma(h \rightarrow gg) \\ + \Gamma(h \rightarrow ZZ^*) + \Gamma(h \rightarrow c\bar{c}) + \Gamma(h \rightarrow Z\gamma) + \Gamma(h \rightarrow \gamma\gamma) \\ + \Gamma(h \rightarrow HH) + \Gamma(h \rightarrow AA)$$

- Controlled by:  $M_H$ ,  $M_A$ ,  $\lambda_{345} \sim hHH$ ,  $\lambda_{345}^- \sim hAA$
- Invisible decays, if kinematically allowed, dominate over SM channels.
- Plot for  $M_A = 58 \text{ GeV}$ ,  $M_H = 50 \text{ GeV}$

$$\Gamma(h \rightarrow HH) = \frac{\lambda_{345}^2 v^2}{32\pi M_h} \sqrt{1 - \frac{4M_H^2}{M_h^2}}$$



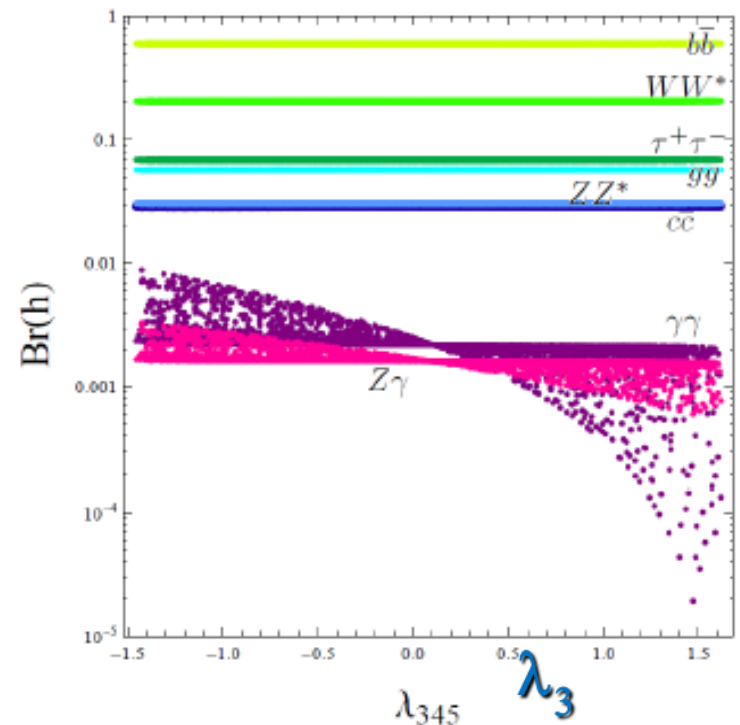
# Charged scalar $H^\pm$ loop

B. Świeżewska

[J. R. Ellis, M. K. Gaillard and D. V. Nanopoulos, Nucl. Phys. B 106 (1976) 292, M. A. Shifman, A. I. Vainshtein, M. B. Voloshin and V. I. Zakharov, Sov. J. Nucl. Phys. 30 (1979) 711 [Yad. Fiz. 30, 1368 (1979)]

$$\Gamma(h \rightarrow \gamma\gamma)^{IDM} = \frac{G_F \alpha^2 M_h^3}{128 \sqrt{2} \pi^3} \left| \mathcal{A}^{SM} + \frac{2M_{H^\pm}^2 + m_{22}^2}{2M_{H^\pm}^2} \overbrace{\lambda_3}^{\lambda_3} A_0 \left( \frac{4M_{H^\pm}^2}{M_h^2} \right) \right|^2$$

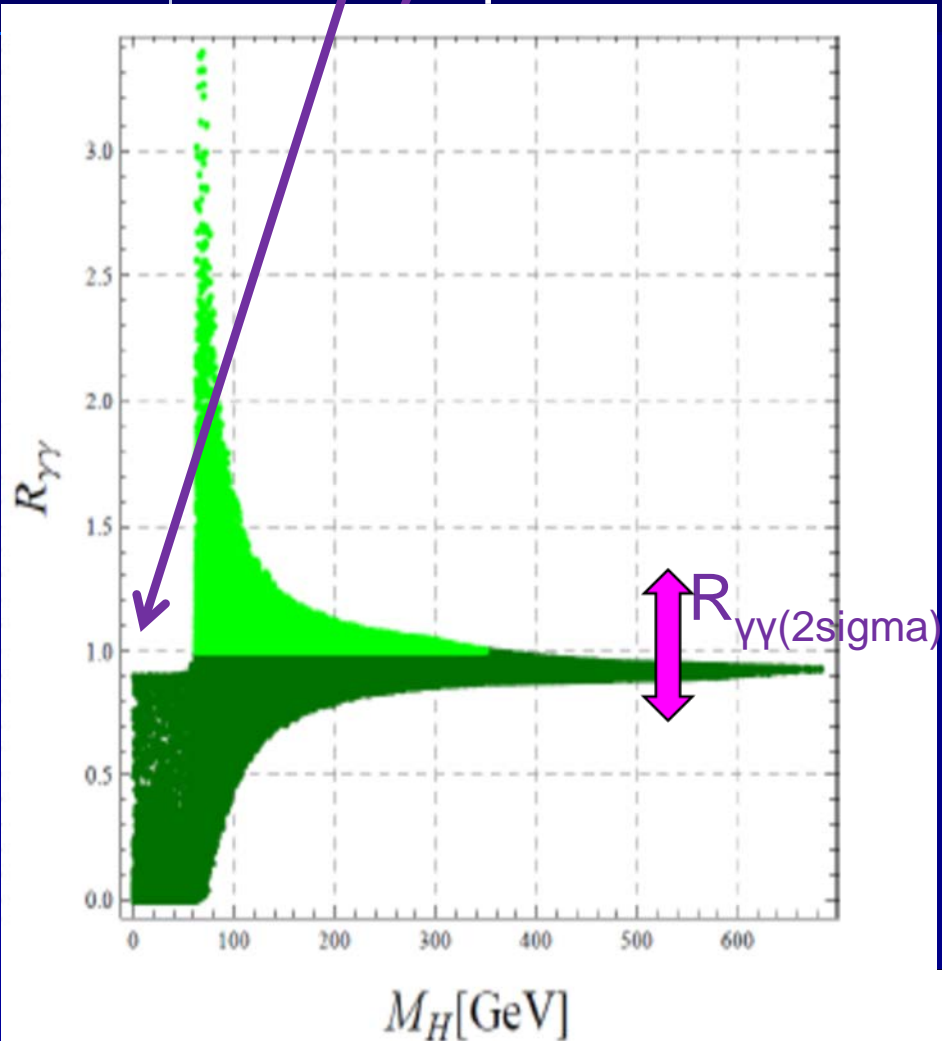
- Constructive or destructive interference between SM and  $H^\pm$  contributions
- Controlled by  $M_{H^\pm}$  and  $2M_{H^\pm}^2 + m_{22}^2 \sim \lambda_3 \sim hH^+H^-$
- Invisible channels closed  $\Rightarrow H^\pm$  contribution visible



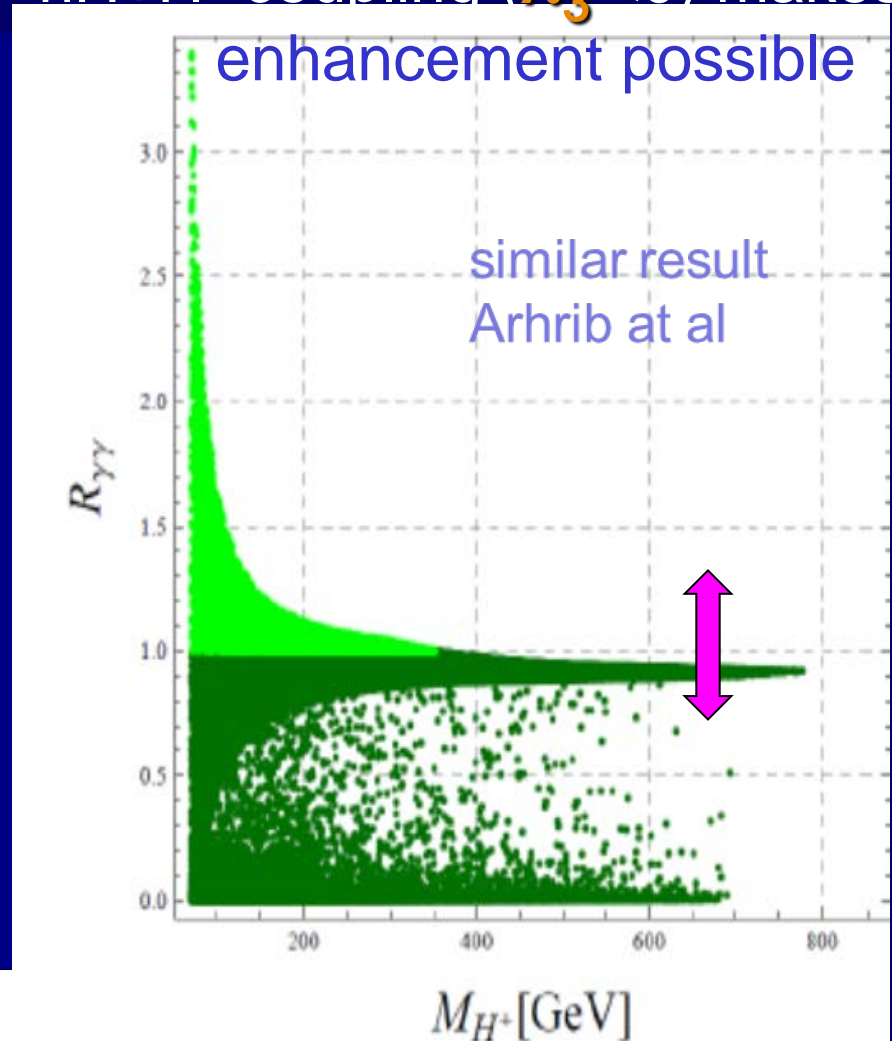


# $R_{\gamma\gamma}$ as a function of mass $H, H^+$

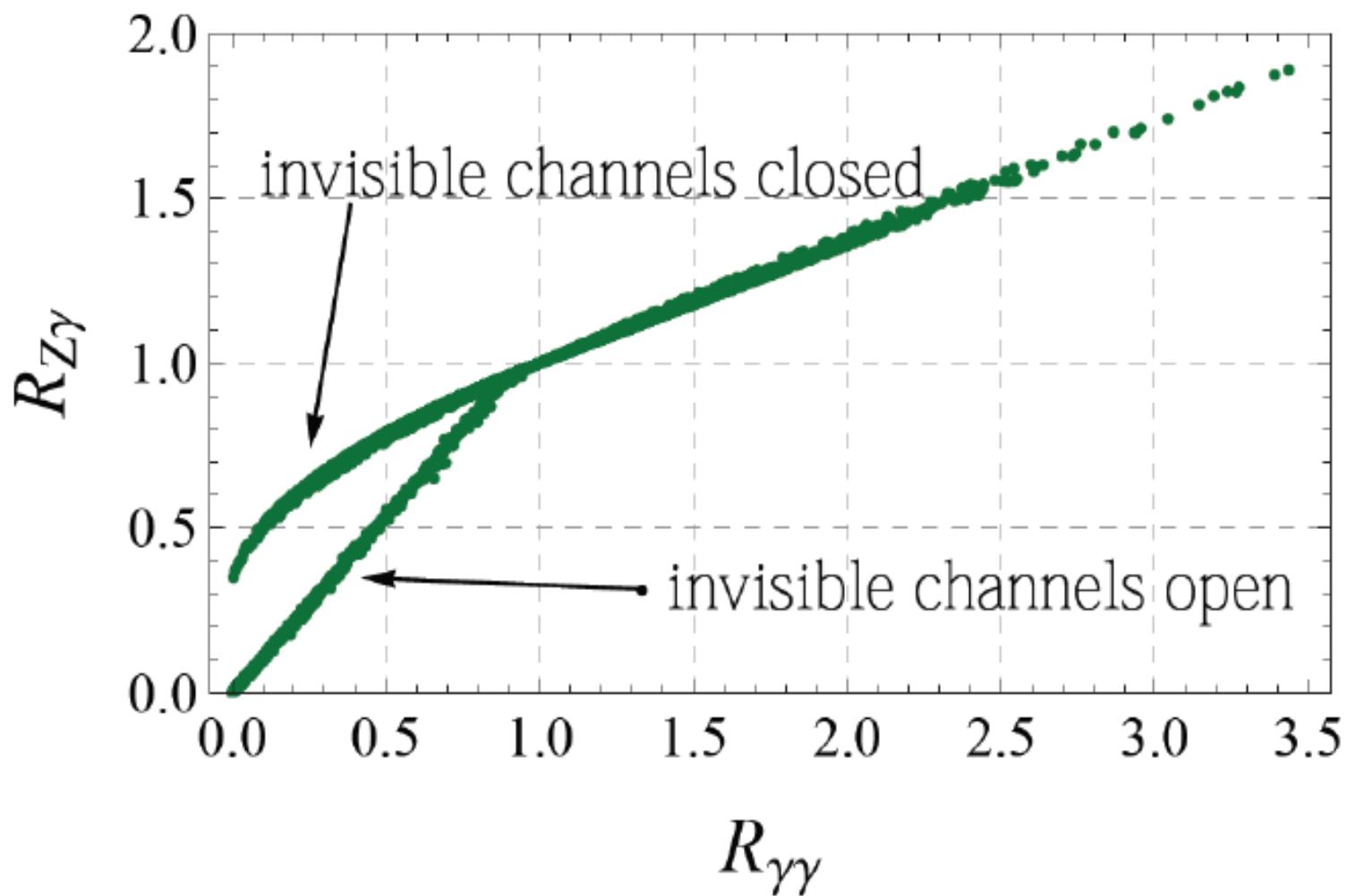
Invisible decays makes enhancement impossible



Light  $H^+$  with proper sign of  $hH^+H^-$  coupling ( $\lambda_3 < 0$ ) makes enhancement possible

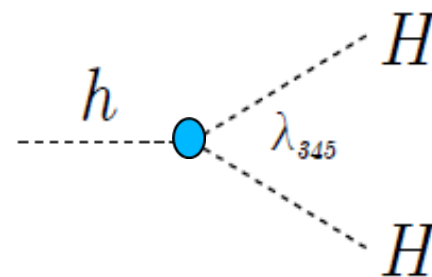


# $\gamma\gamma$ versus $Z\gamma$ in IDM



# Invisible h decay $\rightarrow$ coupling hHH

- $h \rightarrow HH$  – invisible decay ( $H$  is stable)
- augmented total width of the Higgs boson,  $\Gamma(h \rightarrow HH) \sim \lambda_{345}^2$

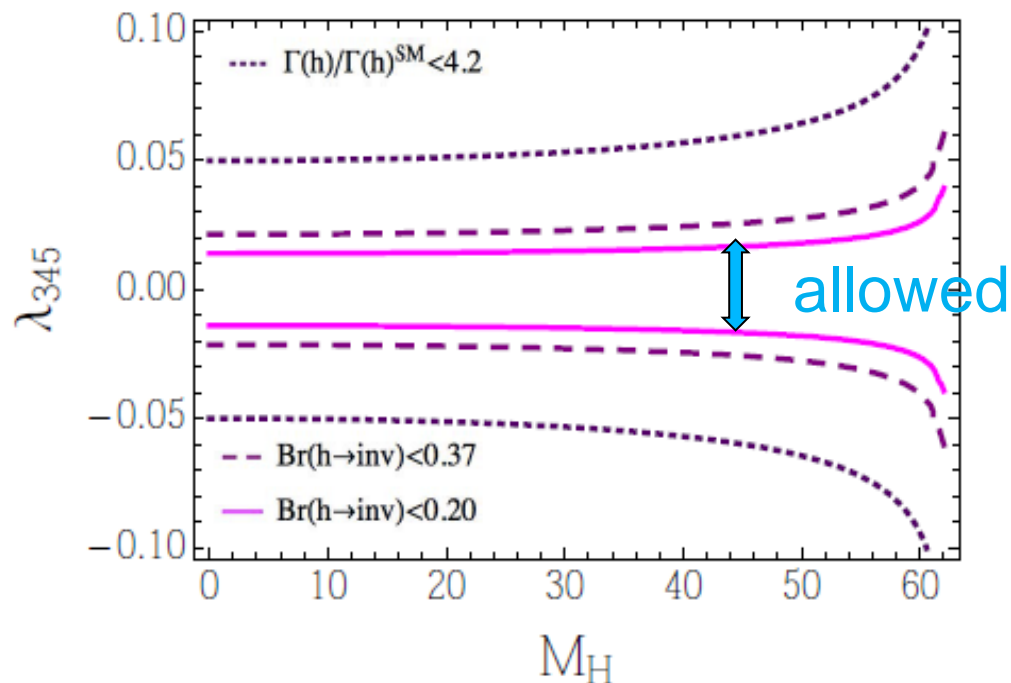


LHC:

- $\text{Br}(h \rightarrow \text{inv}) < 37\%$ ,
- $\Gamma(h)/\Gamma(h)^{\text{SM}} < 4.2$

global fit:

- $\text{Br}(h \rightarrow \text{inv}) \lesssim 20\%$



[G. Bélanger, B. Dumont, U. Ellwanger, J. F. Gunion, S. Kraml, PLB 723 (2013) 340; ATLAS-CONF-2014-010; 2014 CMS-PAS-HIG-14-002]

# Constraining Inert Dark Matter by $R_{\gamma\gamma}$ and WMAP data

M. Krawczyk, D. Sokolowska, P. Swaczyna, B. Swiezewska

Relic DM density

$$\Omega_{DM} h^2 = 0.1126 \pm 0.0036.$$

LHC data

$$\begin{aligned} \text{ATLAS} & : R_{\gamma\gamma} = 1.65 \pm 0.24(\text{stat})_{-0.18}^{+0.25}(\text{syst}), \\ \text{CMS} & : R_{\gamma\gamma} = 0.79_{-0.26}^{+0.28}. \end{aligned}$$

hep-ph/  
1305.6266  
JHEP 2013

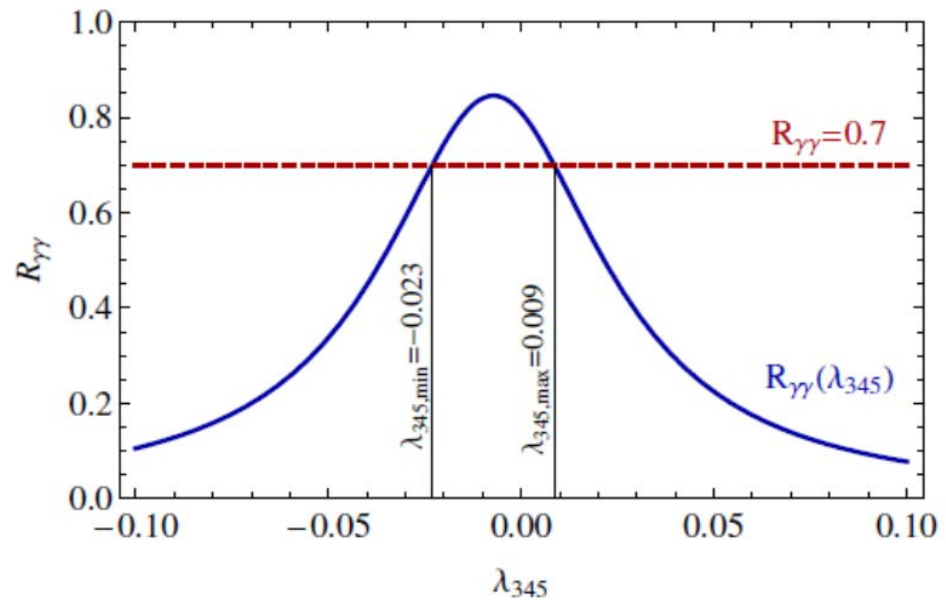
ATLAS+CMS 2016  $1.14 \pm 0.19$

$R_{\gamma\gamma} > 1$  possible  
DM mass only above 62.5  
GeV allowed

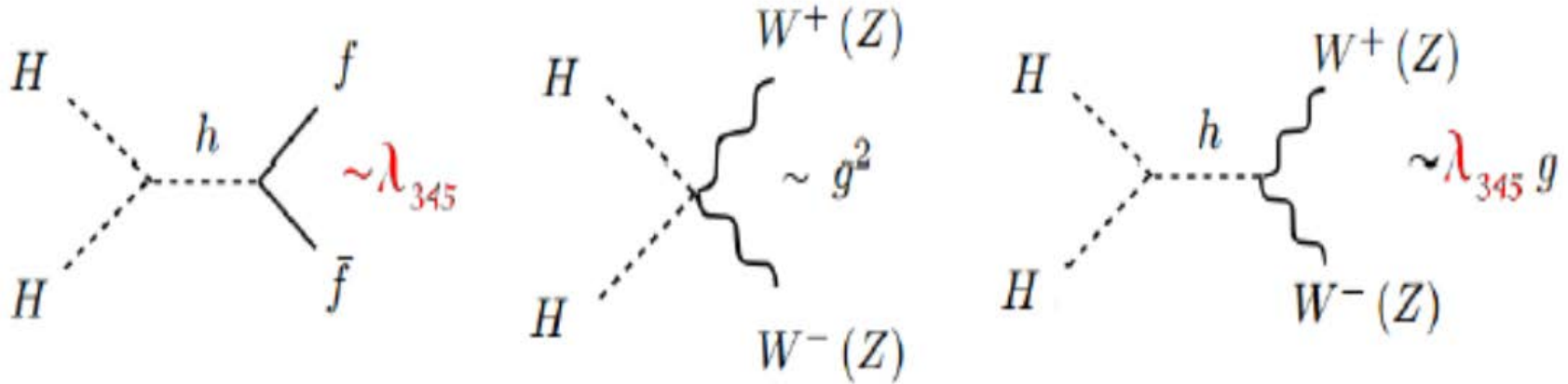
DM mass below 62.5 GeV  
allowed only if

$R_{\gamma\gamma} < 1$

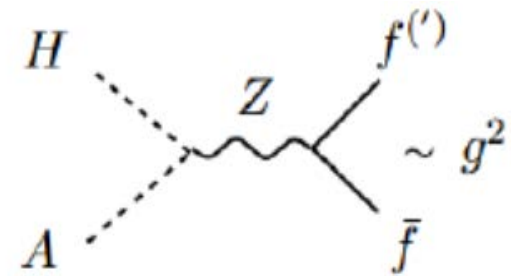
M. Krawczyk, Kitzbuhel 2016



# Relic density constraints on masses and couplings of DM

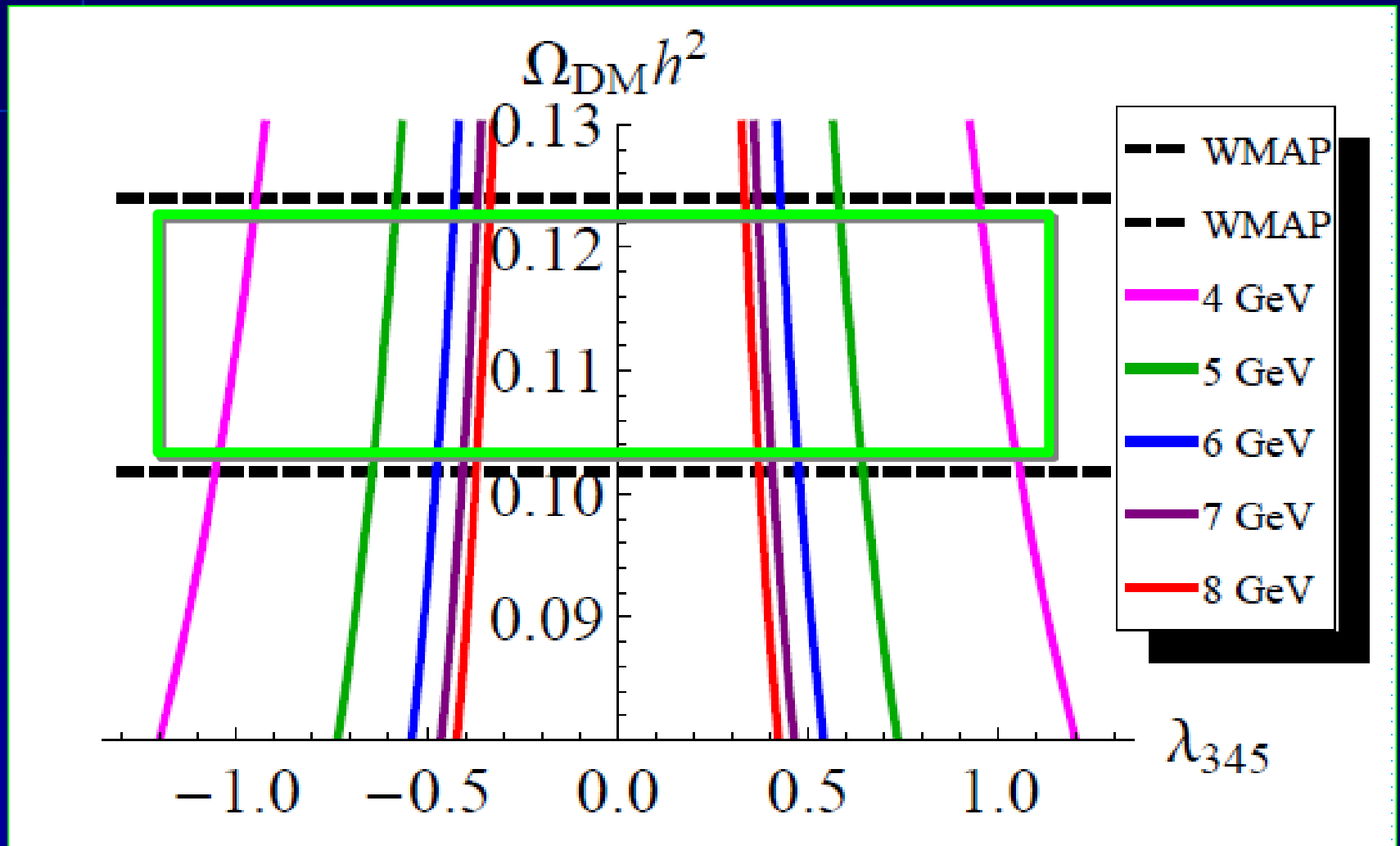


Coannihilation possible for small (AH) mass splitting



- low DM mass  $M_H \lesssim 10$  GeV,  $g_{HHh} \sim \mathcal{O}(0.5)$
- medium DM mass  $M_H \approx (40 - 160)$  GeV,  $g_{HHh} \sim \mathcal{O}(0.05)$
- high DM mass  $M_H \gtrsim 500$  GeV,  $g_{HHh} \sim \mathcal{O}(0.1)$

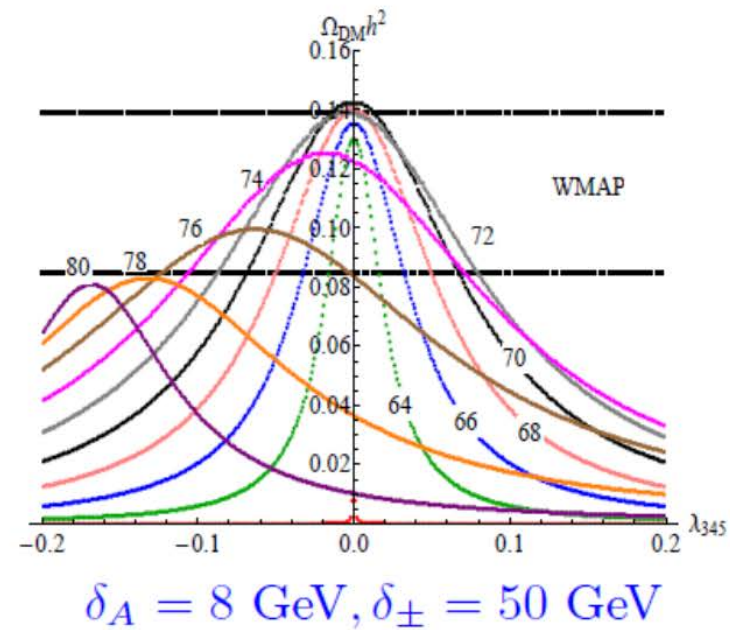
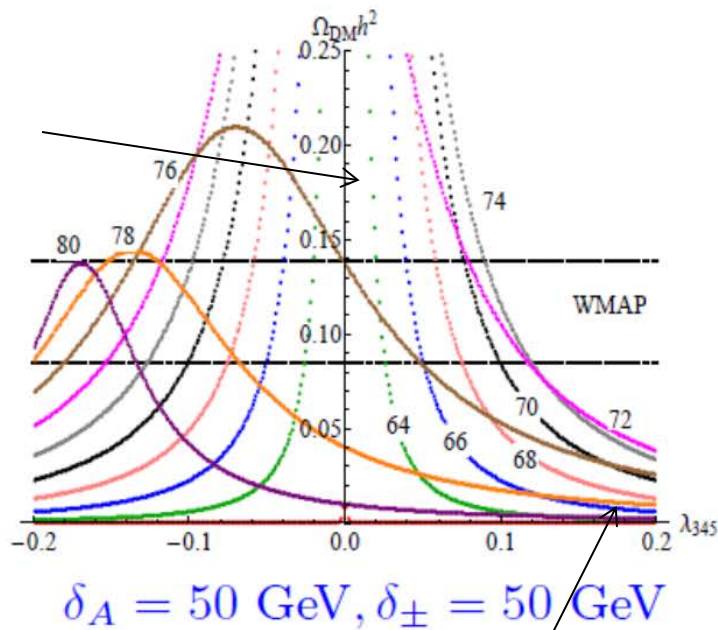
# WMAP window for light H (DM)



# Relic density for DM with mass 64,...,80 GeV

D. Sokołowska, 2013

$$M_{A,H^\pm} = M_H + \delta_{A,\pm}$$



↙

above 76 GeV asymmetry due to annihilation to gauge bosons



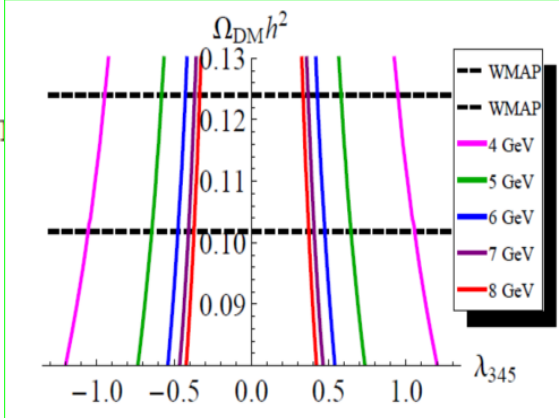
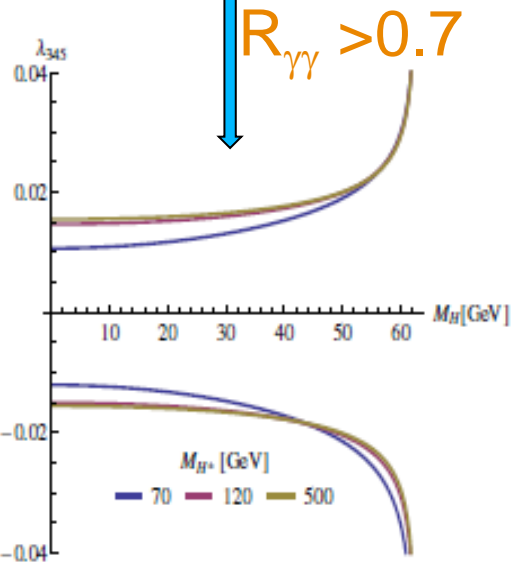
# Low mass H – excluded by LHC!

## $R_{\gamma\gamma}$ constraints on $\lambda_{345} \sim hHH$

[M. Krawczyk, D. Sokołowska, P. Swaczyna, BŚ, arXiv:1305.6266 [hep-ph], JHEP 2013]

$$M_H \lesssim 10 \text{ GeV}, \quad M_A \approx M_{H^\pm} \approx 100 \text{ GeV}$$

$h \rightarrow AA$  channel closed,  $h \rightarrow HH$  channel open



- Proper relic density

$$0.1018 < \Omega_{DM} h^2 < 0.1234 \Rightarrow |\lambda_{345}| \sim \mathcal{O}(0.5)$$

- CDMS-II reported event:

$$M_H = 8.6 \text{ GeV} \Rightarrow |\lambda_{345}| \approx (0.35 - 0.41)$$

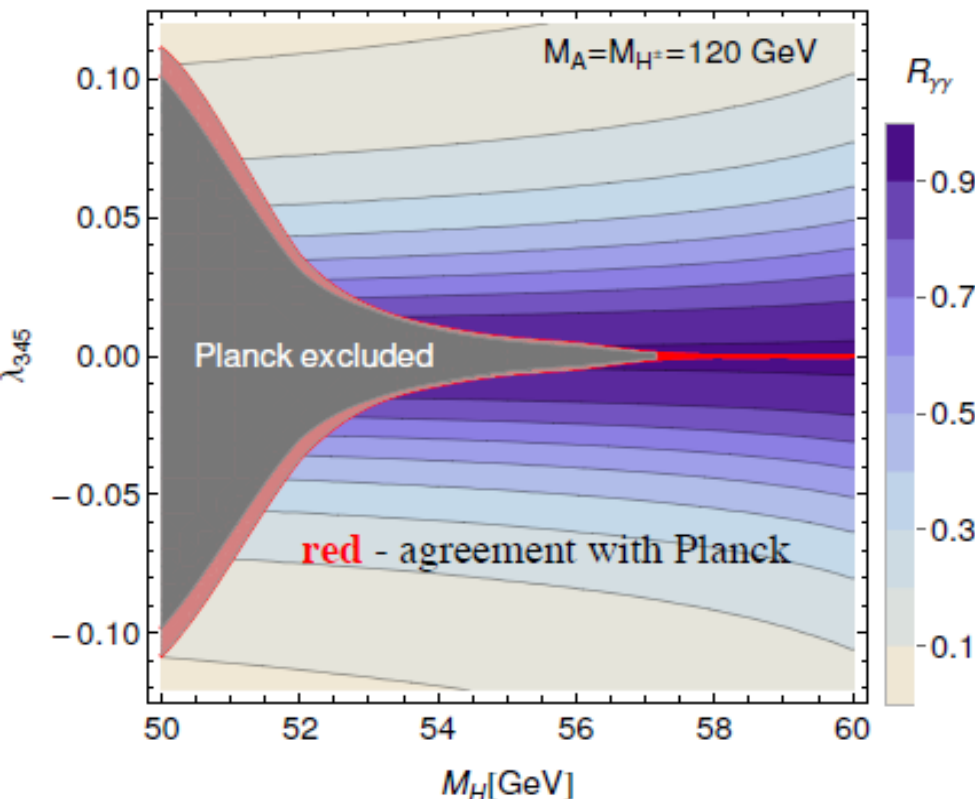
- $R_{\gamma\gamma} > 0.7 \Rightarrow |\lambda_{345}| \lesssim 0.02 \Rightarrow$

Low DM mass excluded

# Using PLANCK data

[Planck update: D. Sokołowska, P. Swaczyna, 2014]

$h \rightarrow HH$  open



$50 \text{ GeV} < M_H < M_H/2, M_A = M_{H^\pm} = 120 \text{ GeV}$

- light DM ( $M_H < 10 \text{ GeV}$ )  
 $\Rightarrow$  excluded
- intermediate DM 1  
( $50 \text{ GeV} < M_H < M_H/2$ )  
 $\Rightarrow M_H > 53 \text{ GeV}$
- intermediate DM 2  
( $M_H/2 < M_H \lesssim 82 \text{ GeV}$ )  
 $\Rightarrow R_{\gamma\gamma} < 1$
- heavy DM  
( $M_H > 500 \text{ GeV}$ )  
 $\Rightarrow R_{\gamma\gamma} \approx 1$

# New scan for IDM (2015)

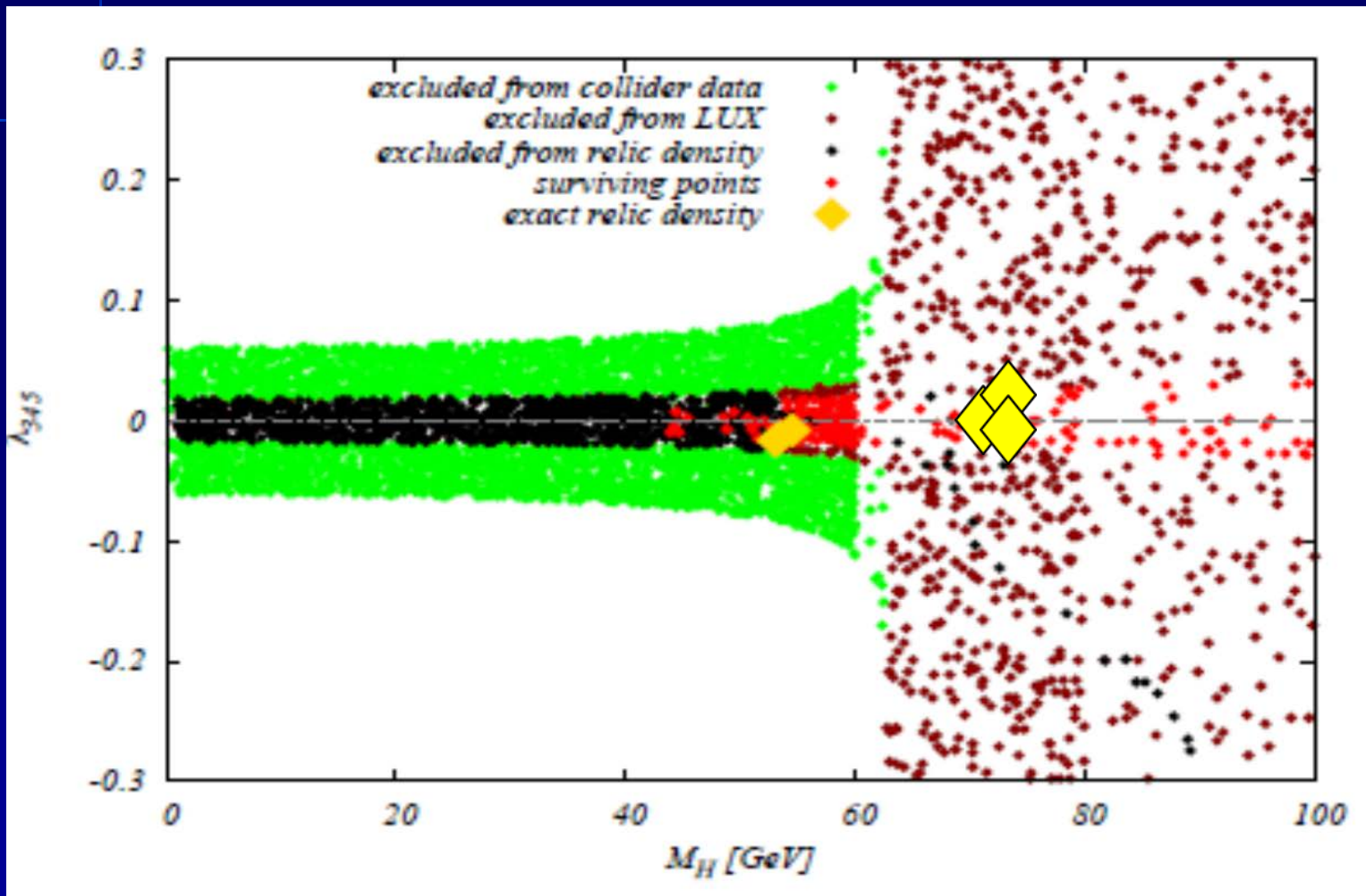
A. Inicka, T. Robens, MK Phys.Rev. D93 (2016)

- Theor. constraints –  
stability of the potential (positivity), pert.unitarity,  
condition for the Inert vacuum
- STU (from 2014)
- Higgs signal/Higgs bounds
- Lifetime of  $H^\pm$  ( $< 10^{-7}$  s to decay inside detector)
- Relic density Planck  $\Omega < 0.1241$  (95% CL)
- Direct detection LUX
- --> scan over  $M_H$  up to 1 TeV

+LEP constraints  
h total width  
W/Z total width

# Low mass H (DM)

1505.04734, 1508.01671

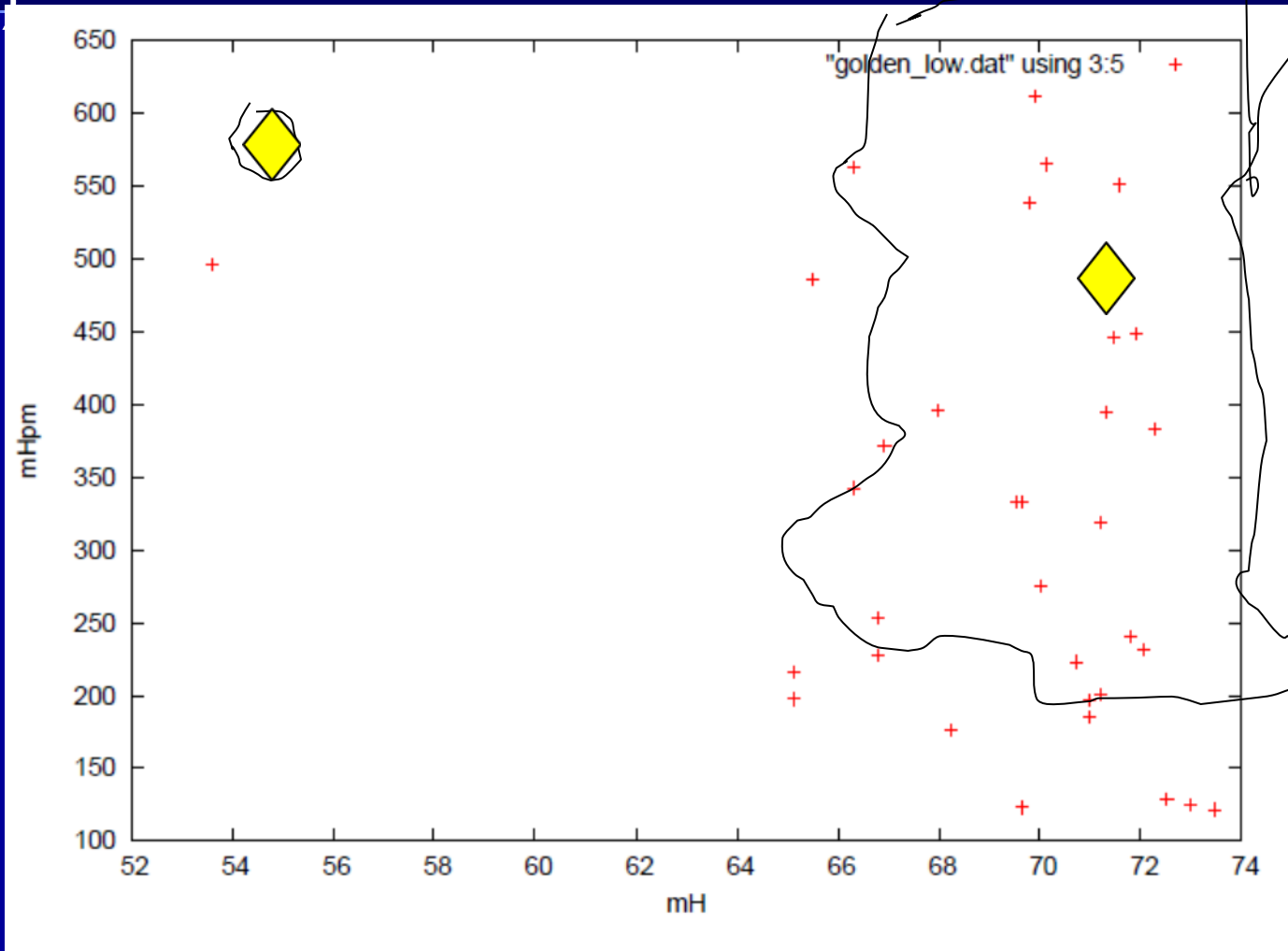


exact relic density

**Limit on mass of DM:  $M_{\text{H}} > 45$  GeV !**

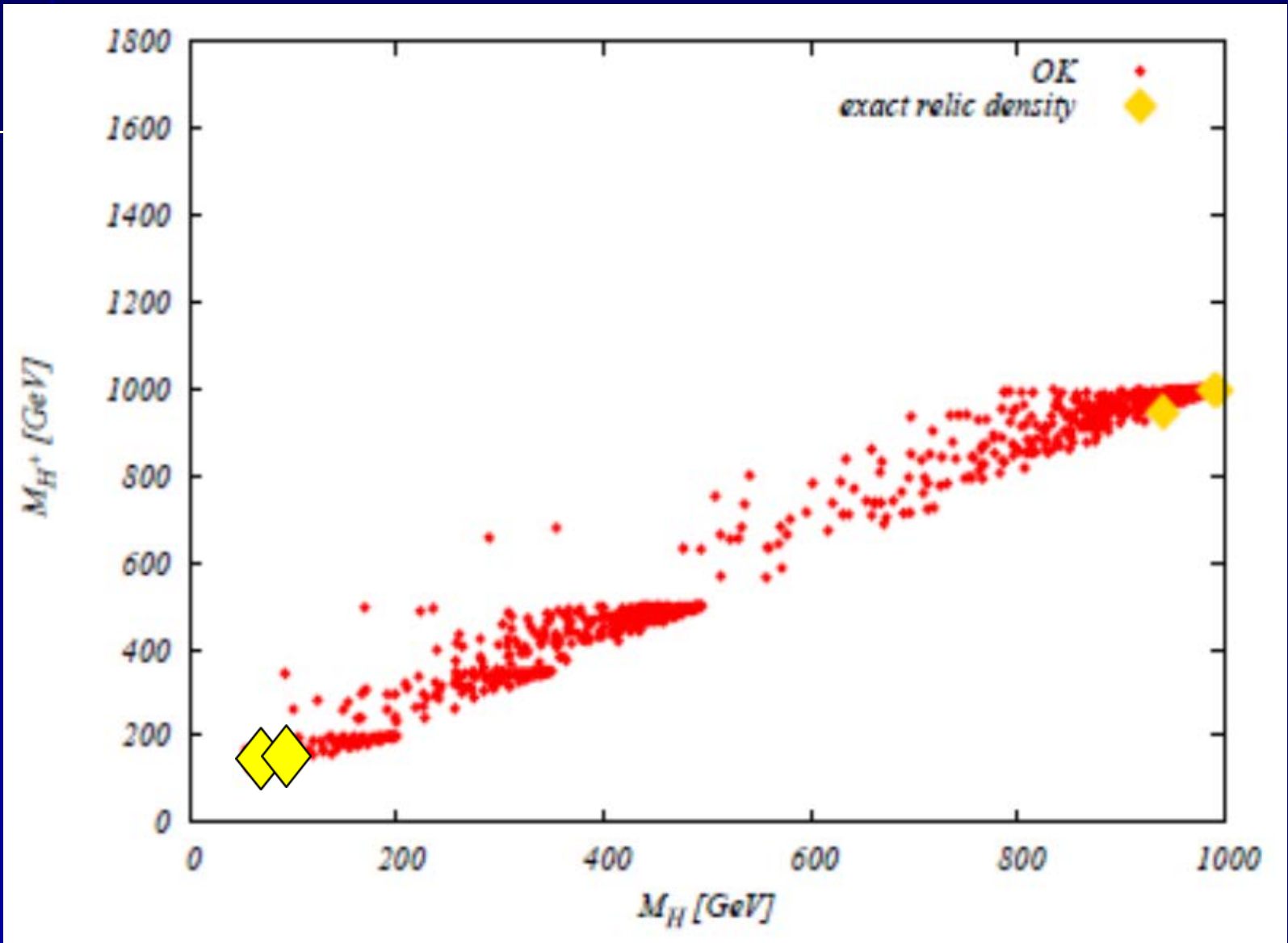
# Exact relic density $\blacklozenge$ medium DM mass

MH+  
(GeV)



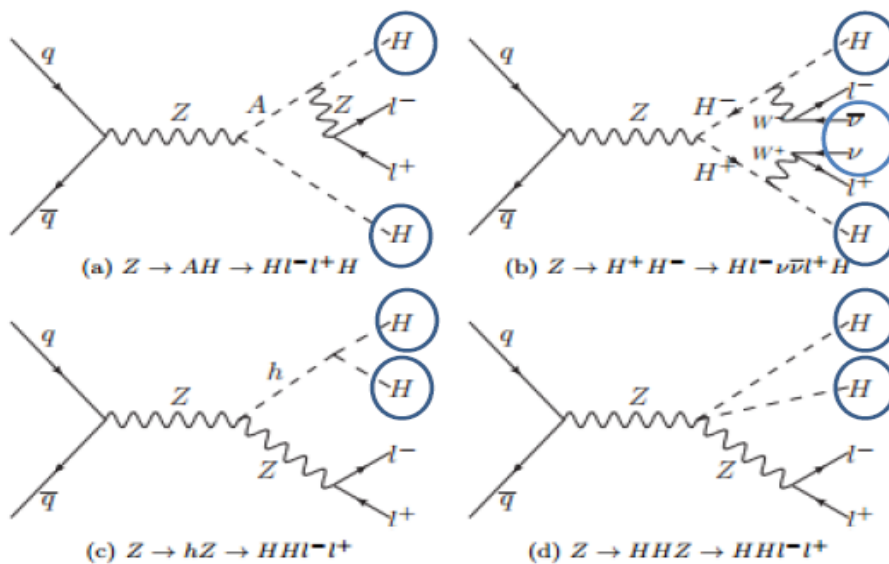
MH  
(GeV)

# dark particles masses



# LHC II – HA and H+H- production

Our signal: 2l+MET





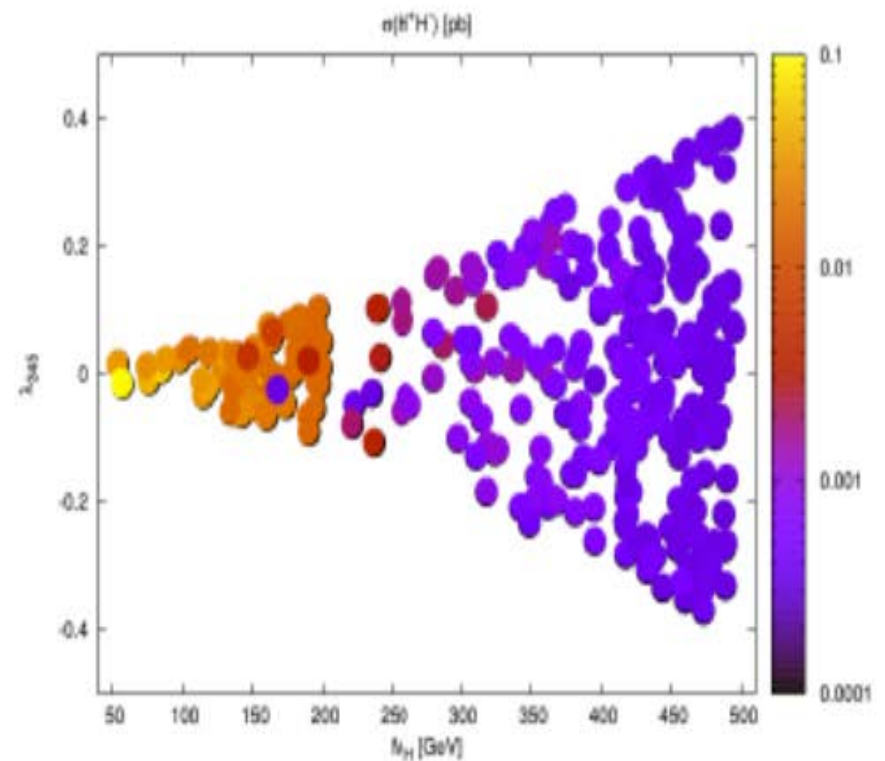
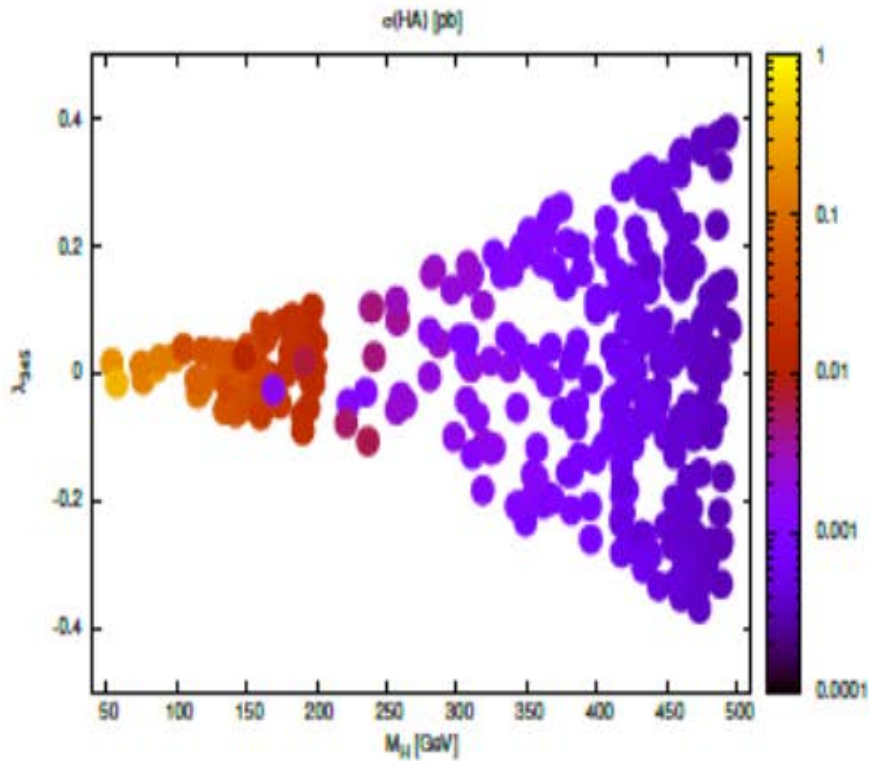
# Benchmarks for LHC II

$pp \rightarrow HA : \leq 0.03 \text{ pb},$   
 $pp \rightarrow H^+ H^- : \leq 0.01 \text{ pb},$   
 $pp \rightarrow AA : \leq 0.0005 \text{ pb},$

$\lambda_{345}$

HA

H+H-



$M_H$

Cross section in pb, mass in GeV


# Evolution of Universe to the Inert Phase

# Evolution of the Universe in 2HDM— through different vacua in the past

*Ginzburg, Ivanov, Kanishev 2009*

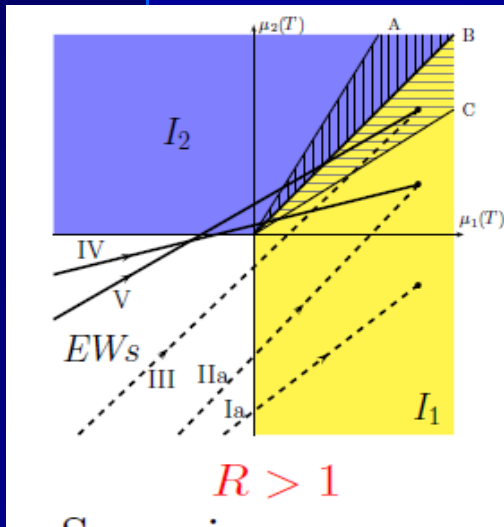
*Ginzburg, Kanishev, MK, Sokołowska PRD 2010,  
Sokołowska 2011*

We consider 2HDM with an explicit D symmetry assuming that today the **Inert Doublet Model** describes reality. In the simplest approximation only *mass terms* in  $V$  vary with temperature like  $T^2$ , while  $\lambda$ 's are fixed

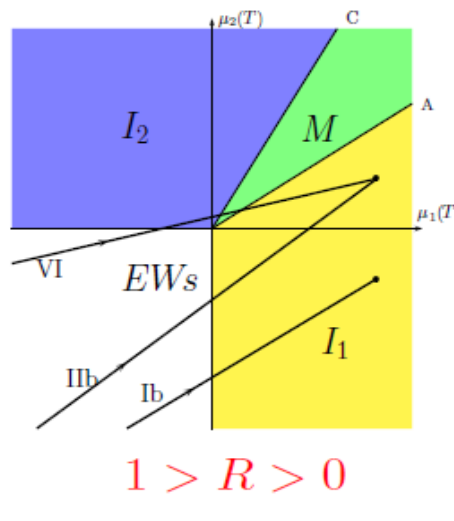
Various evolution from EWs to Inert phase possible in one, two or three steps,   
with 1<sup>st</sup> or 2<sup>nd</sup> order phase transitions...

# Evolution of vacua

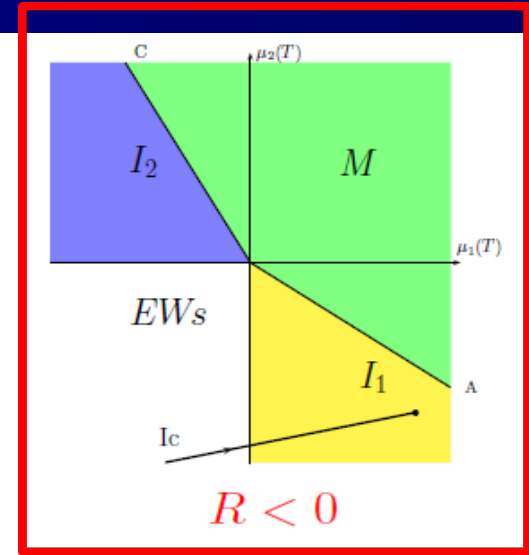
$EWs \rightarrow I_2 \rightarrow I_1$



$R > 1$



$1 > R > 0$



$R < 0$

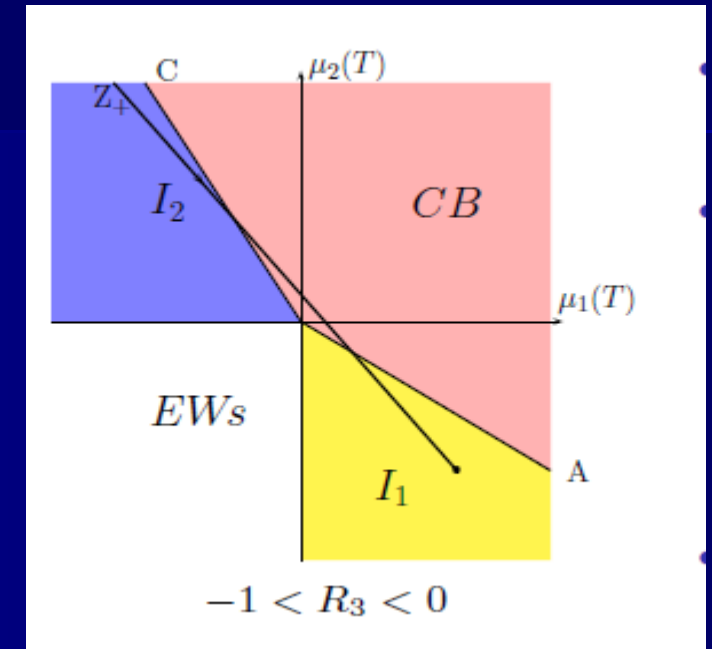
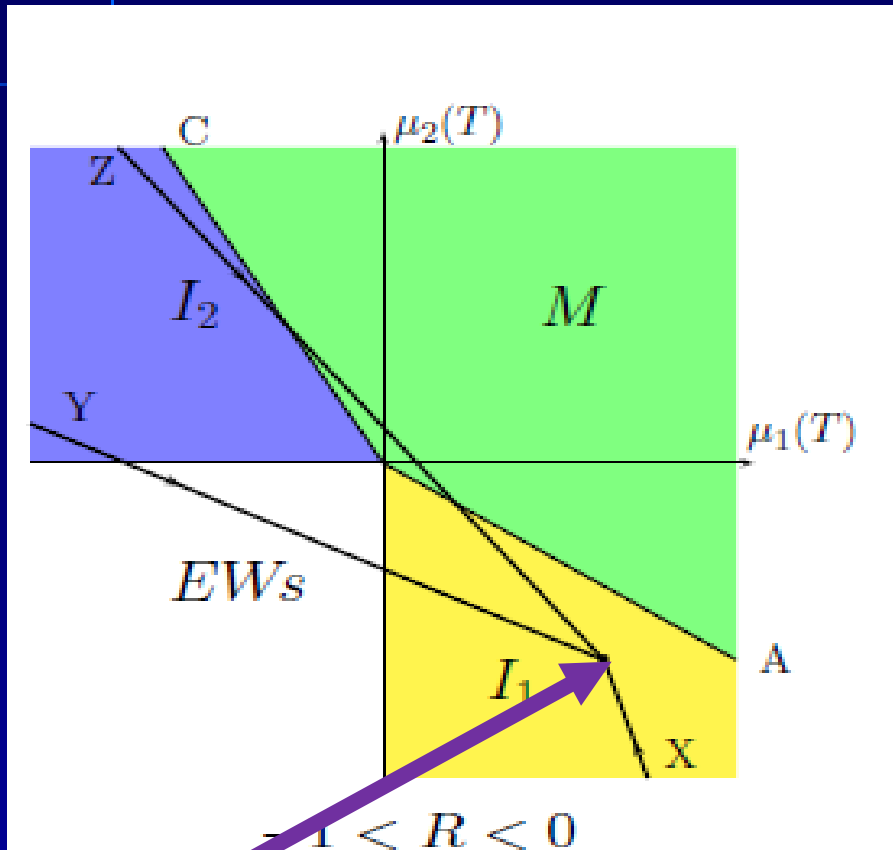
$EWs \rightarrow I_1$

## $T^2$ corrections

→ rays from  $EWs$  phase to Inert phase  
 one, two or three stages of Universe  
 (II order phase transitions, one I order)

$$R = \frac{\lambda_{345}}{\sqrt{\lambda_1 \lambda_2}}$$

# Nonrestoration of EW symmetry for $\lambda_{345} < 0$



Charged breaking phase

Only one ray with EW restoration in the past  
(in one step)

# Beyond $T^2$ corrections $\gg$ strong 1st order phase transition in IDM

## EW baryogenesis?

*G. Gil MsThesis'2011, G. Gil, P. Chankowski, MK 1207.0084 [hep-ph] PLB 2012*

We applied one-loop effective potential at  $T=0$  (Coleman-Wienberg term) and temperature dependent effective potential at  $T \neq 0$  (with sum of ring diagrams)

$$V_T^{(1L)}(v_1, v_2) = V_{\text{eff}}^{(1L)}(v_1, v_2) + \Delta^{(1L)} V_{T \neq 0}(v_1, v_2).$$

The one-loop effective potential  $V_{\text{eff}}(v_1, v_2)$  is given in the Landau gauge by standard formula

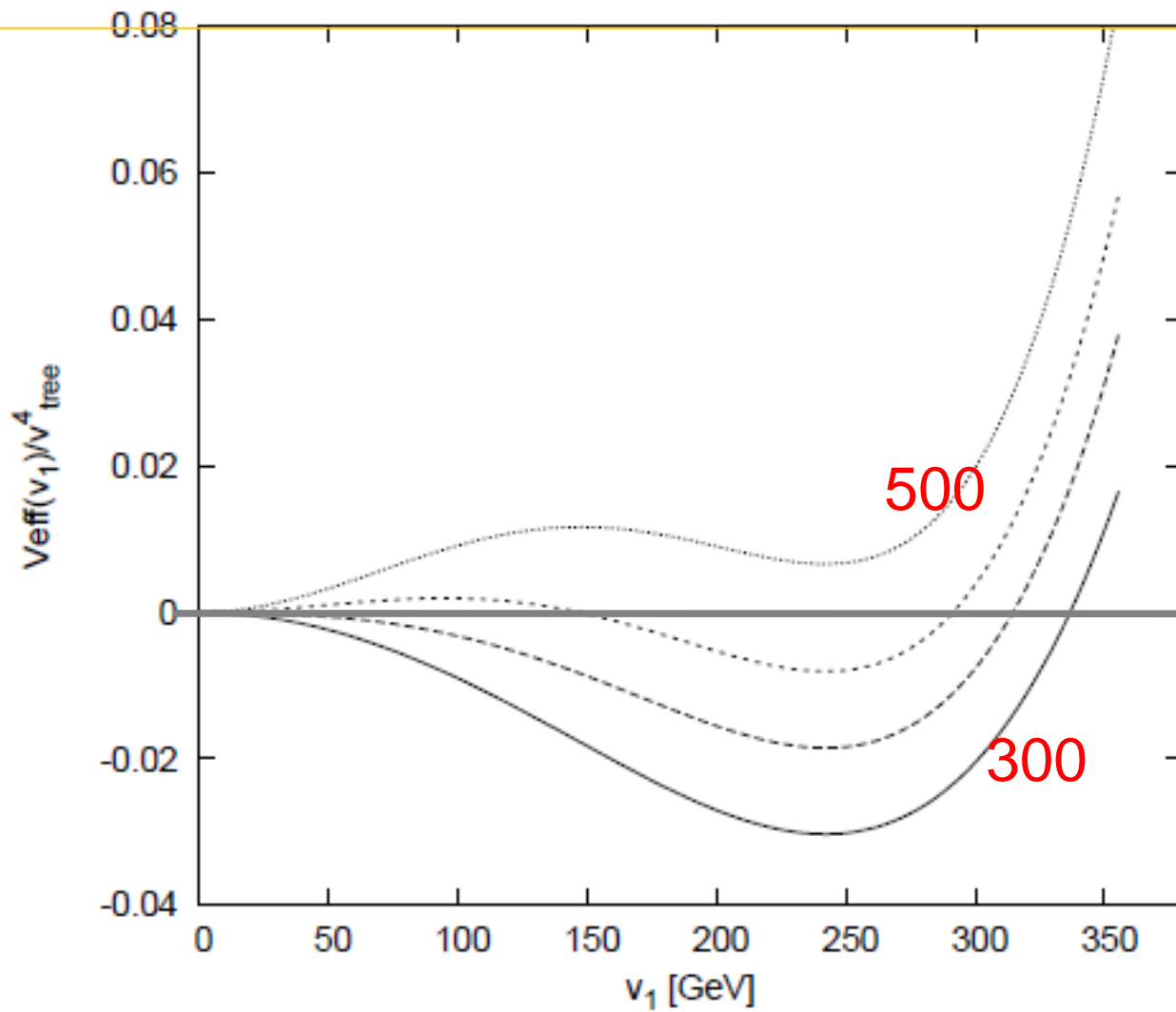
$$V_{\text{eff}}^{(1L)} = V_{\text{tree}} + \frac{1}{64\pi^2} \sum_{\text{fields}} C_s \left\{ \mathcal{M}_s^4 \left( \ln \frac{\mathcal{M}_s^2}{4\pi\mu^2} - \frac{3}{2} + \frac{2}{d-2} - \gamma_E \right) \right\} + \text{CT},$$

mass matrices

number of states

counter terms  $\rightarrow$

# Effective $T=0$ potential



$M_h = 125$  GeV

$M_H = 65$  GeV

$M_H + M_A =$   
500, 450, 400, 300  
GeV

$\lambda_{345} = 0.2,$   
 $\lambda_2 = 0.2$

$v_{2(D)} = 0$

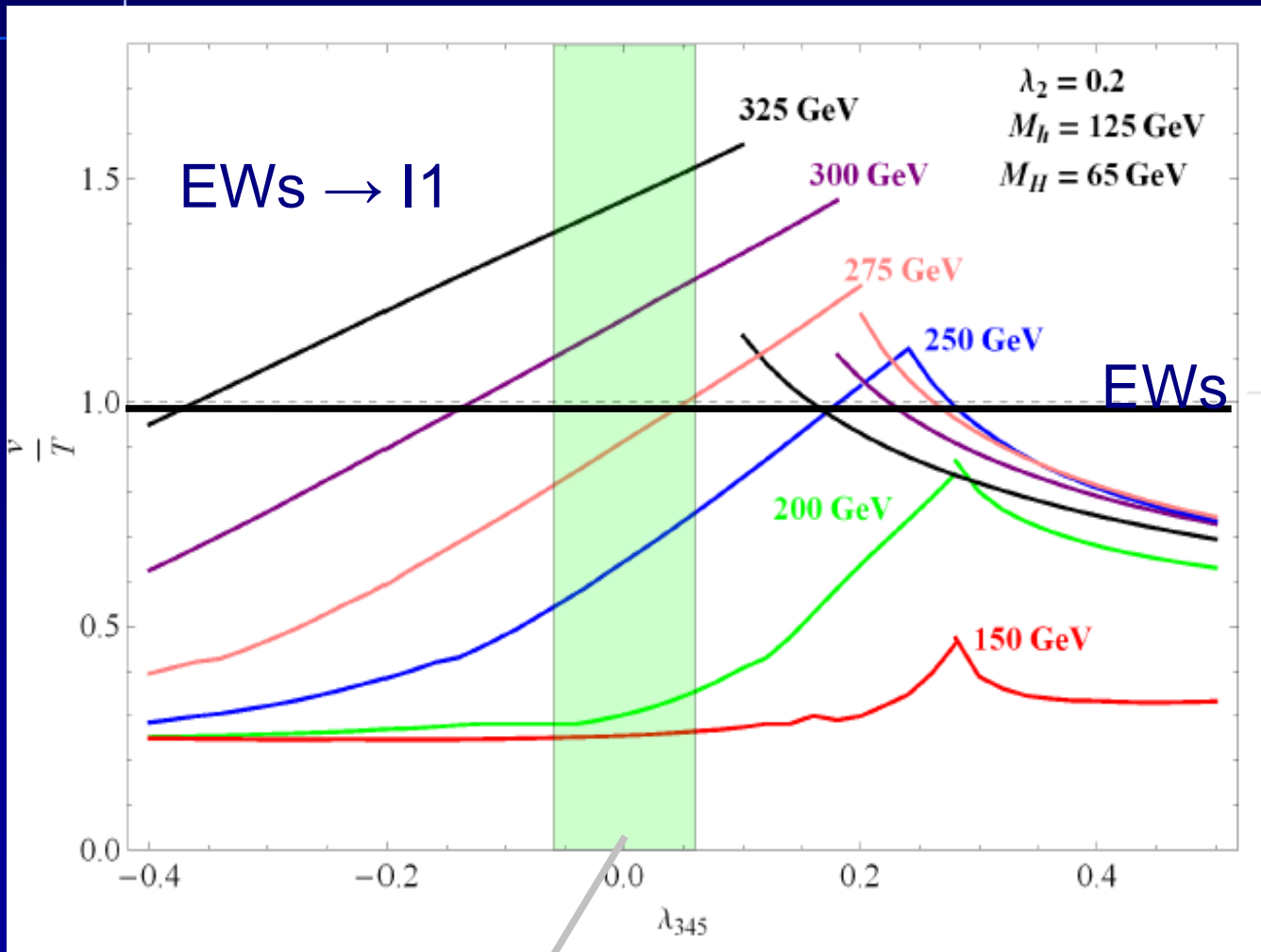
Critical temperature  $T_{EW}$ :  $V$  at new minimum =  $V$  at  $(v_{1(s)} = v_{2(D)} = 0)$  <sub>43</sub>



# Results for $v(T_{EW})/T_{EW} > 1$

$M_h=125$  GeV,  $M_H=65$  GeV,  $\lambda_2=0.2$

strong 1st order  
phase transition  
if ratio  $> 1$



Allowed  
MH+=MA  
between 275  
and 380 GeV  
(one step)

R<0      Xenon100 bound      R>0

$\lambda_{345}$

# Summary

- SM-like scenario – still valid (July 2016)
- IDM is a very natural extension of the SM
  - SM doublet → one Higgs SM-like  $h$
  - Dark doublet → 4 scalars (two charged)  
one stable ( $H=DM$ )
- IDM in agreement with LHC data and relic density + direct detection LUX data,  
 $M_H > 45 \text{ GeV}$

Higgs is a sensitive probe of DM !

# Backup

# Conclusion (beyond $T^2$ )

Strong first order phase transition in IDM possible for realistic mass of Higgs boson (125 GeV) and DM ( $\sim 65$  GeV) for

- 1/ heavy (degenerate)  $H^\pm$  and  $A$ : mass 275-380 GeV
- 2/ low value of  $hHH$  coupling  $|\lambda_{345}| < 0.1$
- 3/ Coleman-Weinberg term important

*Borach, Cline 1204.4722*

*Chowdhury et al 1110.5334 (DM as a trigger of strong EW PT)  
(on 2HDM Cline et al, 1107.3559 and Kozhusko..1106.0790)*

# Vacuum metastability of IDM

- Extra scalars improved stability at large scales *Stal'2013*

Effective potential

B. Świeżewska, JHEP 2015

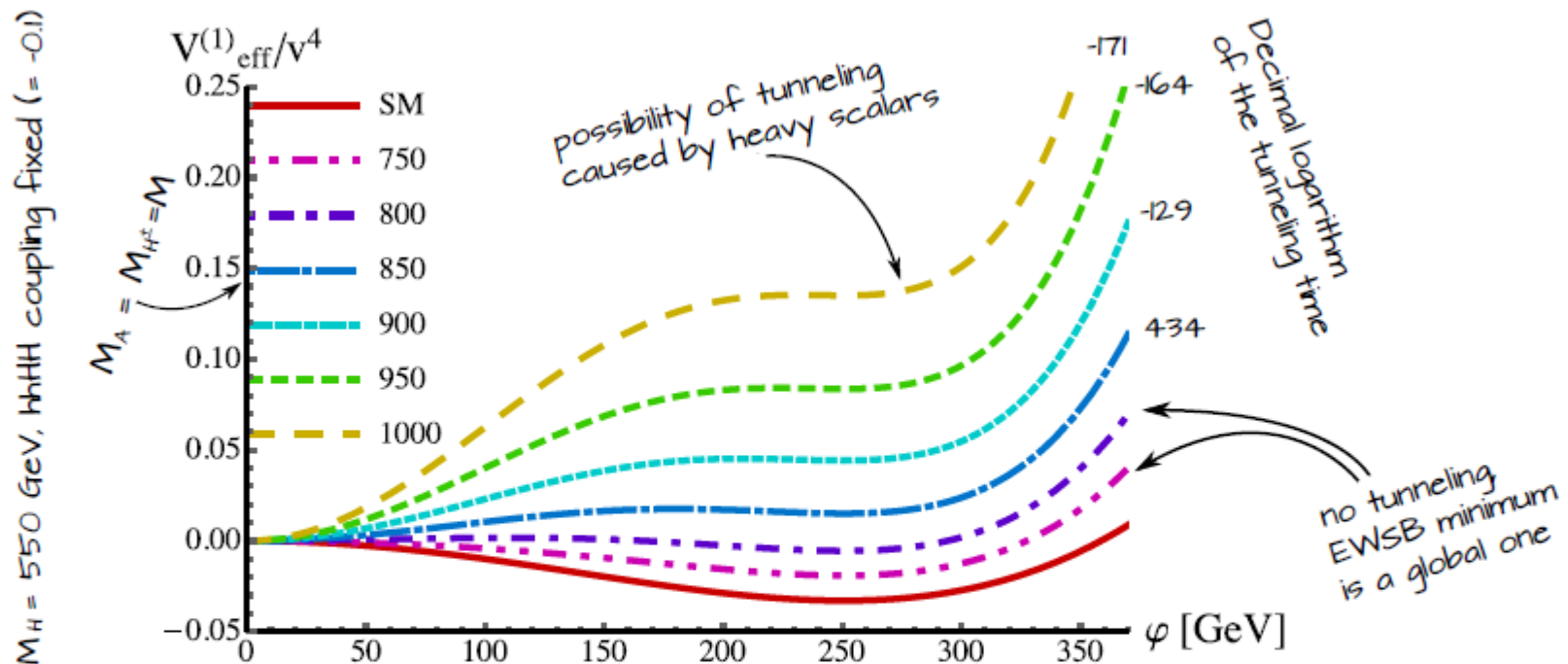
[S. R. Coleman, E. J. Weinberg, PRD 7 (1973) 1888, G. Gil, P. Chankowski, and M. Krawczyk, PLB 717 (2012) 396]

To take into account quantum corrections we analyse one-loop effective potential

$$V_{\text{eff}} = V^{(0)} + \delta V = V^{(0)} + \text{[one-loop diagrams]} + \dots$$

- in 2HDM – in principle all scalar fields allowed on external legs  
⇒  $V_{\text{eff}}$  – multivariable function
- **assumption: inert scalars are heavy, can be integrated out**  
⇒ inert scalars allowed only in the loops, Higgs field on external legs
- on-shell (OS) renormalized potential

# Vacuum stability with extra scalars



- quantum corrections from heavy scalar modify the potential around the EW scale
- maximum at  $\varphi = 0$  becomes a minimum
- for heavy inert scalars – EWSB minimum is highly unstable

IDM, if required to fulfill theoretical and experimental constraints, is safe from vacuum instability around the EW scale

For  $M_A = M_{H^\pm} = M$

- meta/instability when relatively large splitting between  $M_H$  and  $M$ ,  
 $M^2 - M_H^2 \sim \lambda_{\text{scalar}} v^2$   
 $\Rightarrow$  some scalar couplings large
- consistent with perturbative unitarity
- EWPT not constraining ( $T = 0$ )
- however, DM relic abundance requires small splittings,  $\mathcal{O}(10 \text{ GeV})$   
 $\rightarrow$  **inconsistent with Planck measurements for heavy DM**



# IDM vs DATA

Many (scans) analyses of IDM...

theor. conditions (stability(positivity), pert. unitarity.  
condition for Inert vacuum )

STU parameters (some LEP data)

LHC data:

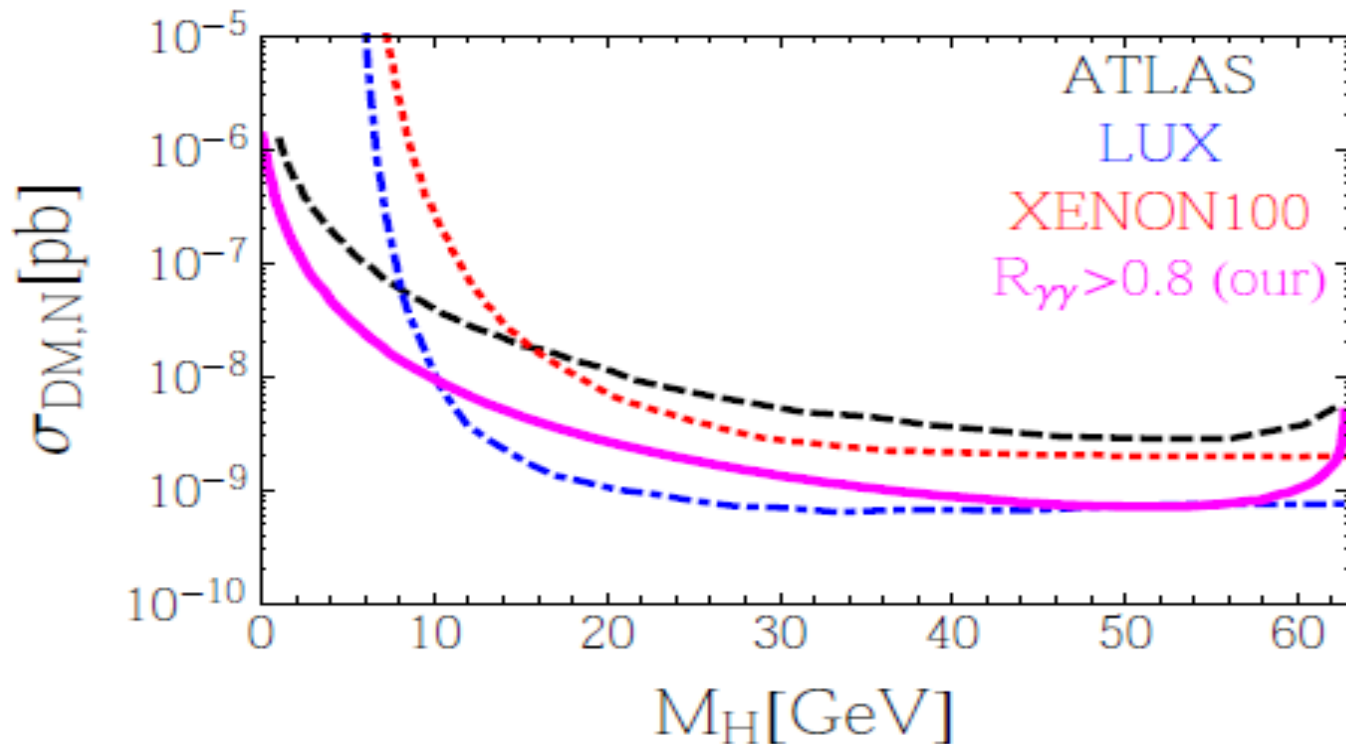
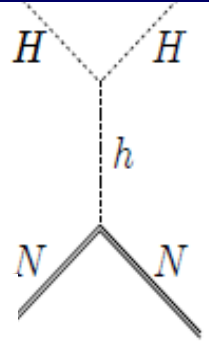
$R_{\gamma\gamma}$  : sensitive to invisible decays ( $\lambda_{345}^2$  and  $M_H$ )  
H+ loop ( $\lambda_3$  (sign !)) ; if  $\lambda_3 < 0$  also  $\lambda_{345} < 0$ )  
enhancement only if  $\lambda_3$  ( $\lambda_{345}$ )  $< 0$

$Br_{inv} < 20\%$ ; total Higgs h width  $< 22$  MeV

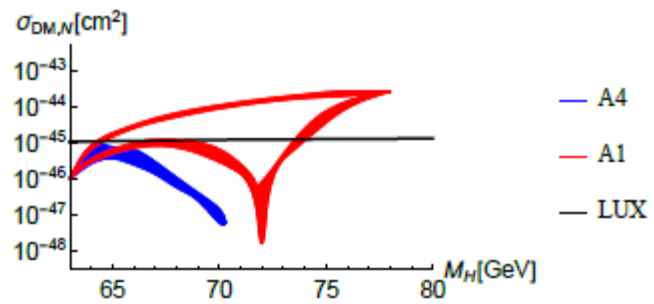
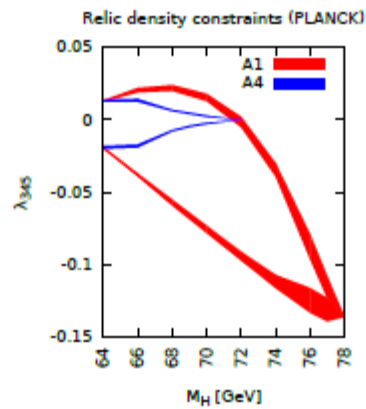
Dark matter exp: relic density (WMAP, PLANCK)

# Direct detection – comparison with LHC, Xenon 100 and LUX

- DM-nucleon scattering cross section  $\sigma_{DM,N} \sim \lambda_{345}^2$
- $R_{\gamma\gamma}$  bounds on  $\lambda_{345}$  translated to  $(M_H, \sigma_{DM,N})$  plane



... stronger than the dedicated DM experiments



# Extrema $\rightarrow$ vacua

( $v = 246$  GeV)

EWs :  $v_D = 0, \quad v_S = 0, \quad \mathcal{E}_{EWs} = 0;$

$I_1$  :  $v_D = 0, \quad v_S^2 = v^2 = \frac{m_{11}^2}{\lambda_1}, \quad \mathcal{E}_{I_1} = -\frac{m_{11}^4}{8\lambda_1};$

$I_2$  :  $v_S = 0, \quad v_D^2 = v^2 = \frac{m_{22}^2}{\lambda_2}, \quad \mathcal{E}_{I_2} = -\frac{m_{22}^4}{8\lambda_2};$

$M$  :  $v_S^2 = \frac{m_{11}^2 \lambda_2 - \lambda_{345} m_{22}^2}{\lambda_1 \lambda_2 - \lambda_{345}^2}, \quad v_D^2 = \frac{m_{22}^2 \lambda_1 - \lambda_{345} m_{11}^2}{\lambda_1 \lambda_2 - \lambda_{345}^2};$

$$\mathcal{E}_M = -\frac{m_{11}^4 \lambda_2 - 2\lambda_{345} m_{11}^2 m_{22}^2 + m_{22}^4 \lambda_1}{8(\lambda_1 \lambda_2 - \lambda_{345}^2)}.$$

$$\mu_1 = \frac{m_{11}^2}{\sqrt{\lambda_1}},$$

$$\mu_2 = \frac{m_{22}^2}{\sqrt{\lambda_2}}.$$

$$\mathcal{E}_{I_1} - \mathcal{E}_M = \frac{(m_{11}^2 \lambda_{345} - m_{22}^2 \lambda_1)^2}{8\lambda_1^2 \lambda_2 (1 - R^2)}$$

CB :  $v_S^2 = \frac{m_{11}^2 \lambda_2 - \lambda_3 m_{22}^2}{\lambda_1 \lambda_2 - \lambda_3^2}, \quad v_D = 0, \quad u^2 = \frac{m_{22}^2 \lambda_1 - \lambda_3 m_{11}^2}{\lambda_1 \lambda_2 - \lambda_3^2},$

$$R = \lambda_{345} / \sqrt{\lambda_1 \lambda_2},$$

$$\mathcal{E}_{CB} = -\frac{m_{11}^4 \lambda_2 - 2\lambda_3 m_{11}^2 m_{22}^2 + m_{22}^4 \lambda_1}{8(\lambda_1 \lambda_2 - \lambda_3^2)}.$$