

Constituents, Currents and Colour

John Dainton†

University of Liverpool, UK

1. Landscape
2. Landmarks
3. Outlook

Humboldt @ Kitzbuehl
27 June to 1 July 2016




1. Landscape

Electron-Proton Physics

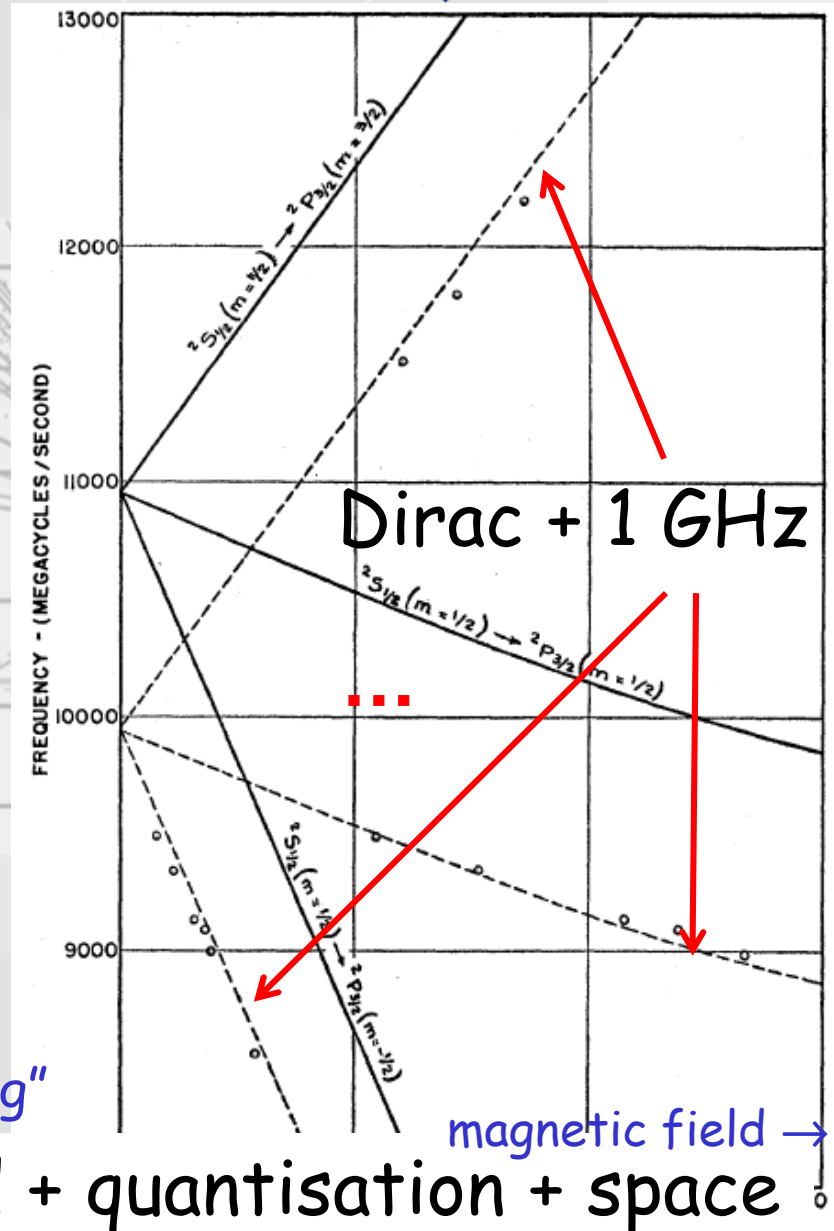
- Dirac 1928
(n integer $j \frac{1}{2}$ -integer)

$$E_{nj} = \frac{mc^2}{\sqrt{1 + \left[\frac{1}{\hbar c} \left(\frac{ze}{n - |j + \frac{1}{2}|} \right)^2 + \sqrt{\left| j + \frac{1}{2} \right|^2 - \frac{Z^2 e^2}{\hbar c}} \right]^2}}$$

- Lamb-Retherford 1947
 - Dirac+3 ppm observed
 - 3 ppm = 1 GHz splitting


 relativity + electron
 + field quantisation →
 mode $E_\nu = \left(n + \frac{1}{2} \right) h\nu$
 integer → "Zitterbewegung"


 relativity + electron + field + quantisation + space



Electron-Proton Physics

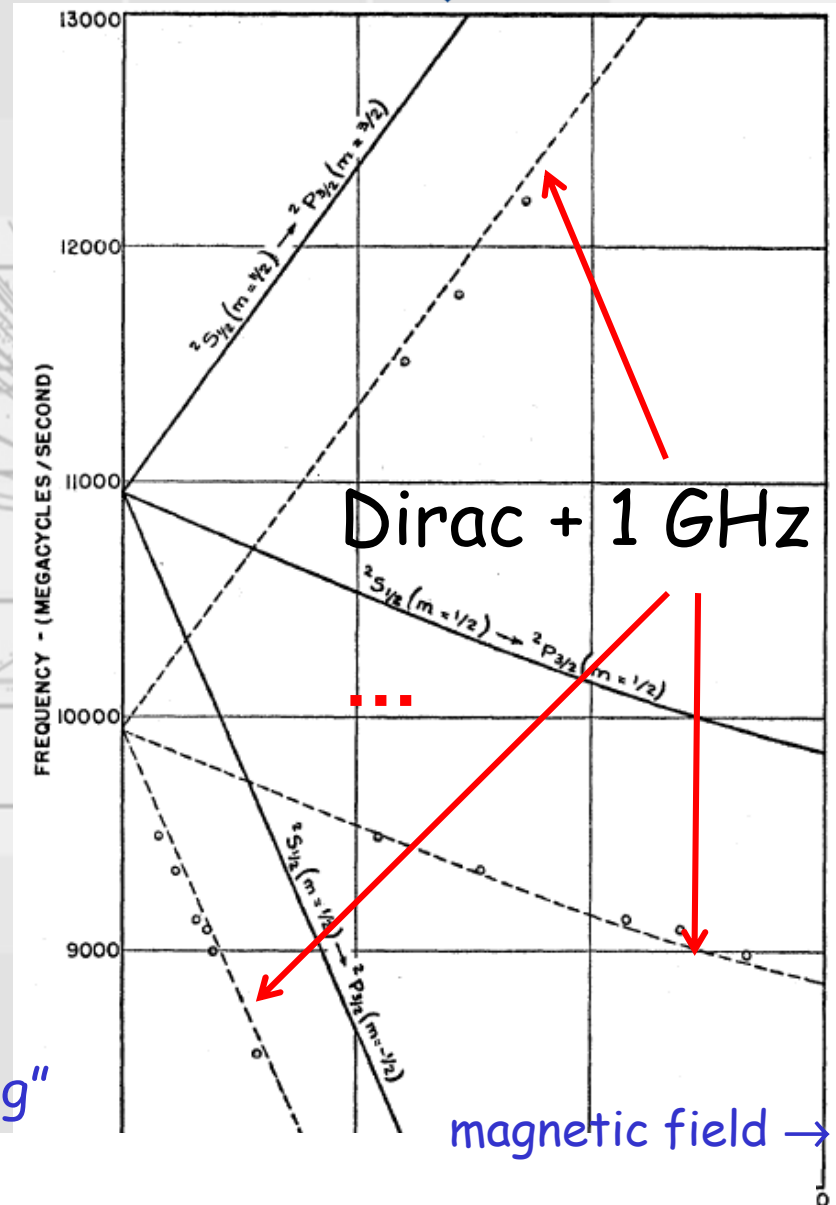
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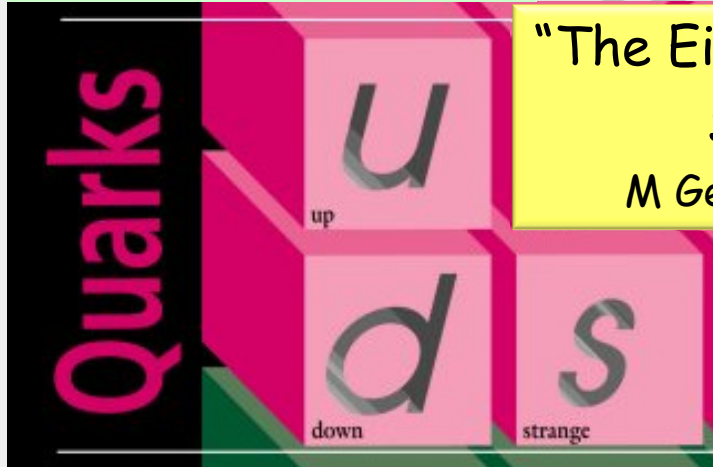
relativity + electron
+ field quantisation →
mode $E_\nu = \left(n + \frac{1}{2} \right) h\nu$
integer → "Zitterbewegung"

relativistic quantum field



Constituents 1970 ?

mass ? GeV



"The Eightfold Way"

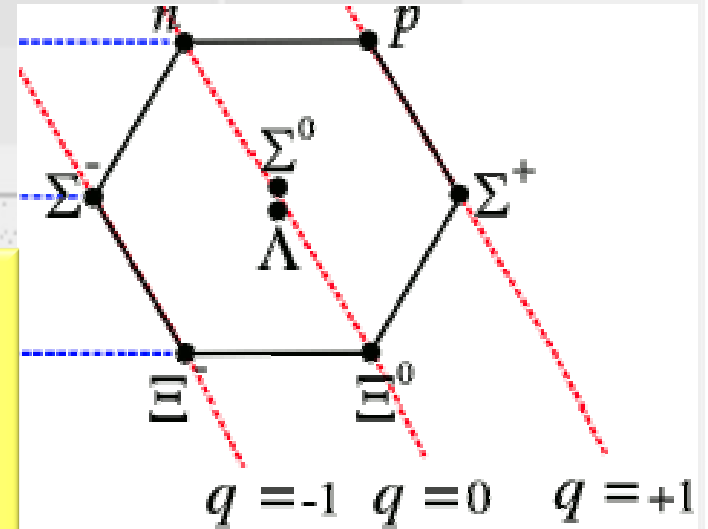
$SU(3)_F$

M Gell Mann, G Zweig

"Three quarks
for Muster Mark"

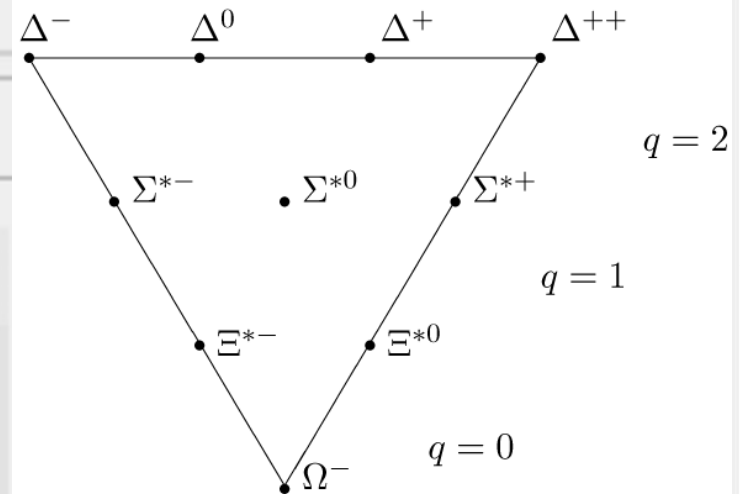
Joyce

"Finnegans Wake"



mass ? GeV

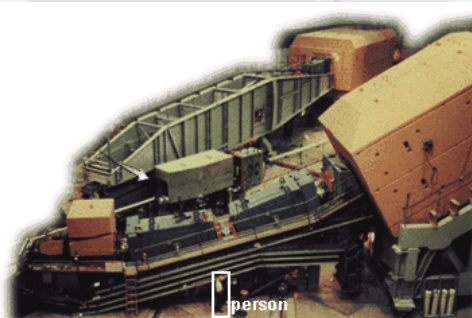
- 3 quarks for a proton $uud \rightarrow 938 \text{ MeV} = ?$ constituent quarks
- and resonances ?
- sub-femtoscopic matter = Dirac fermions ($uds ? + e\nu/\mu\nu$)
- strong, EM, weak: Fermi+unitarity = $W?$



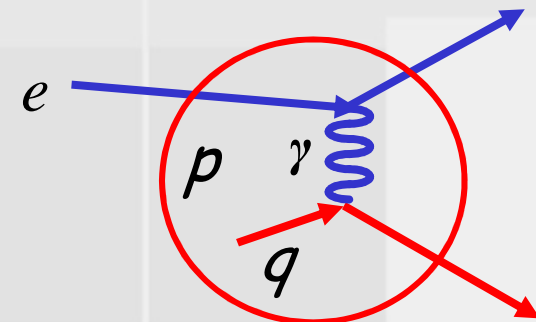
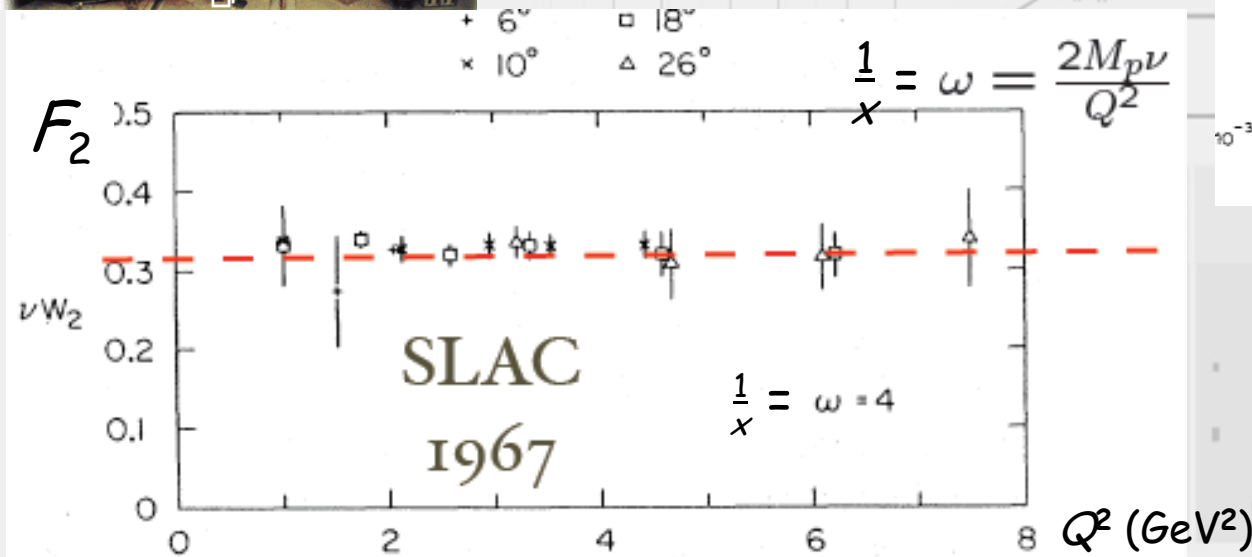
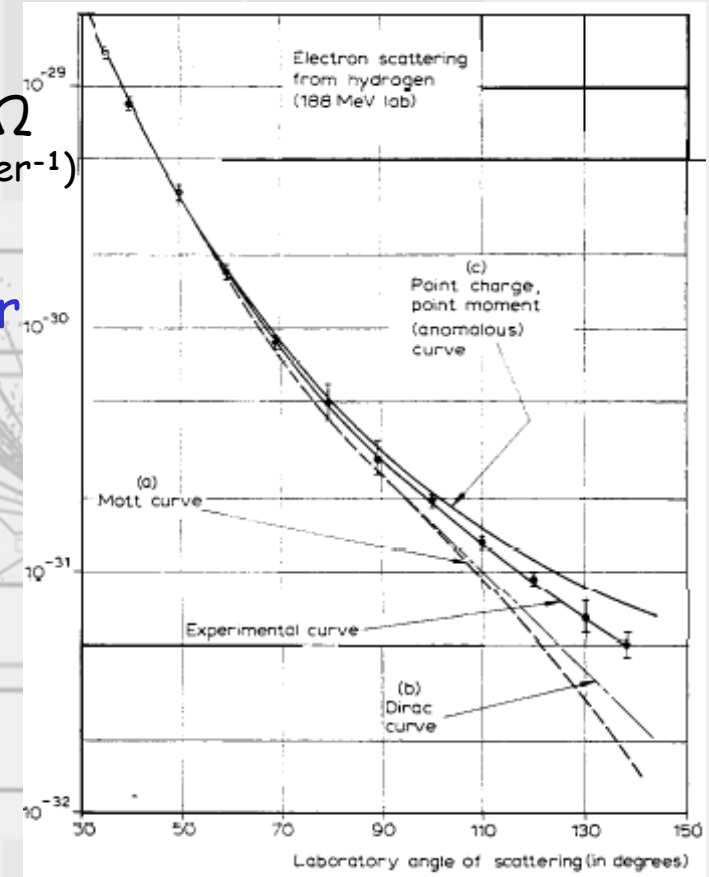
Constituents - quarks ?



- SLAC end station:
 - 1959 nucleus size Hofstädter
 - 1959 nucleon size Hofstädter
 - 1967 partons Friedman Kendall Taylor

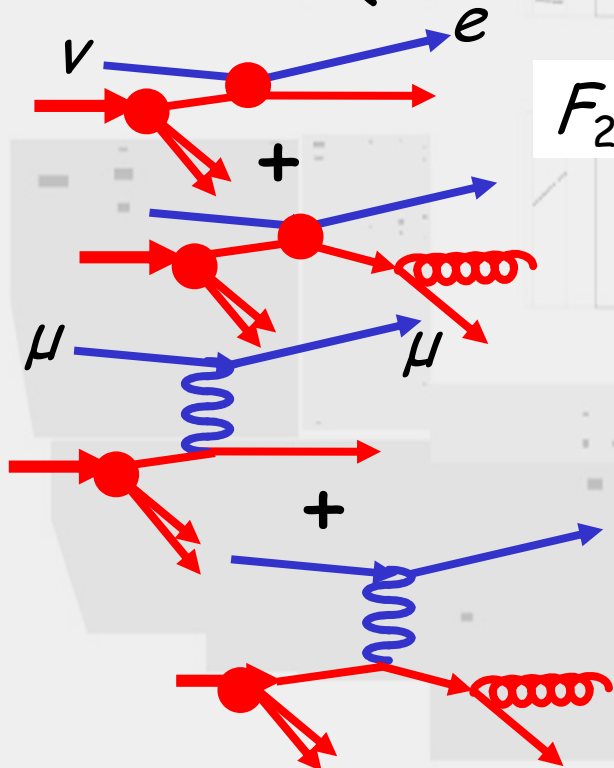
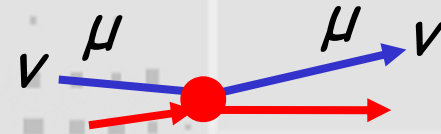


Proposal:
"A general survey of the basic cross sections which will be useful for future proposals"

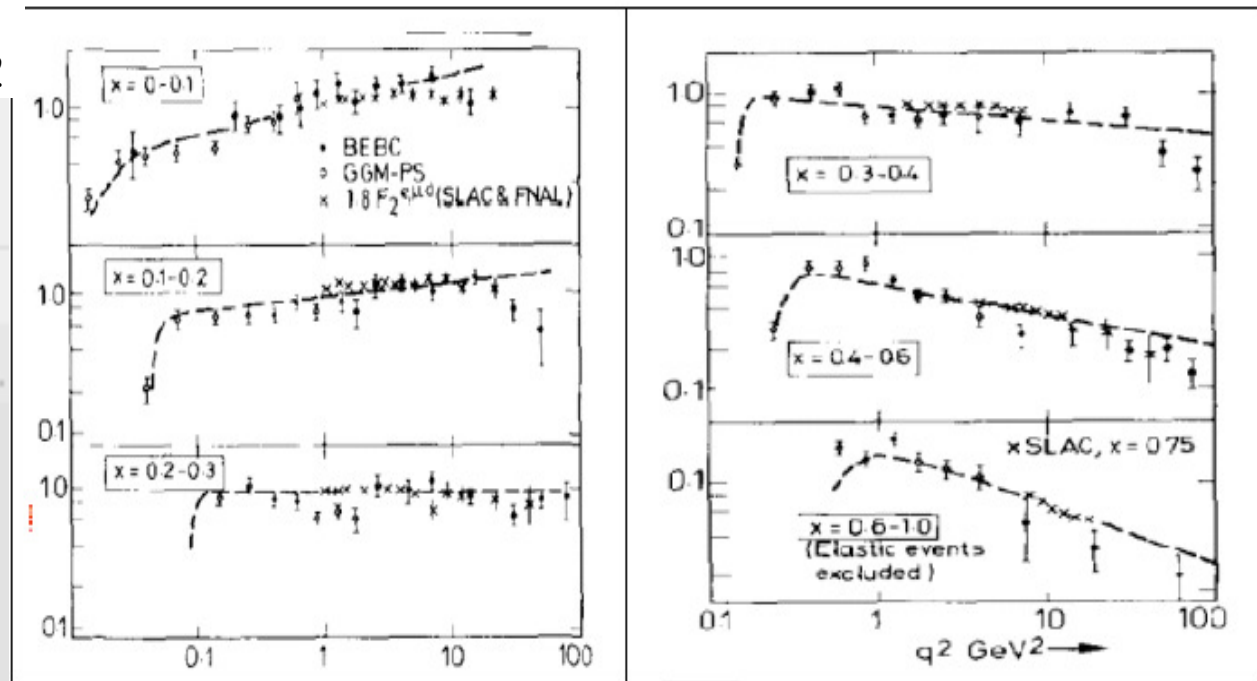


Constituents - quarks

- CERN + Fermilab
 - fixed target νp
 - sub-fm ($Q^2 \leq 20 \text{ GeV}$)
 - 1972 $\frac{\text{NC}}{\text{elm}}$ and $\frac{\text{CC}}{\text{elm}} \rightarrow$ quarks
 - 1977 QCD

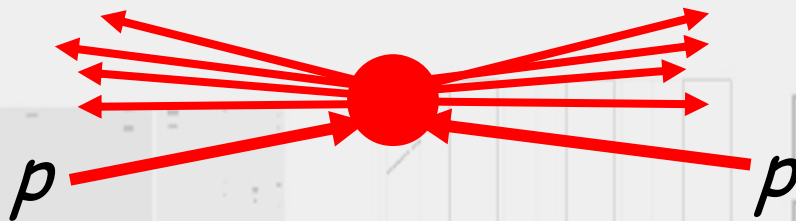


F_2

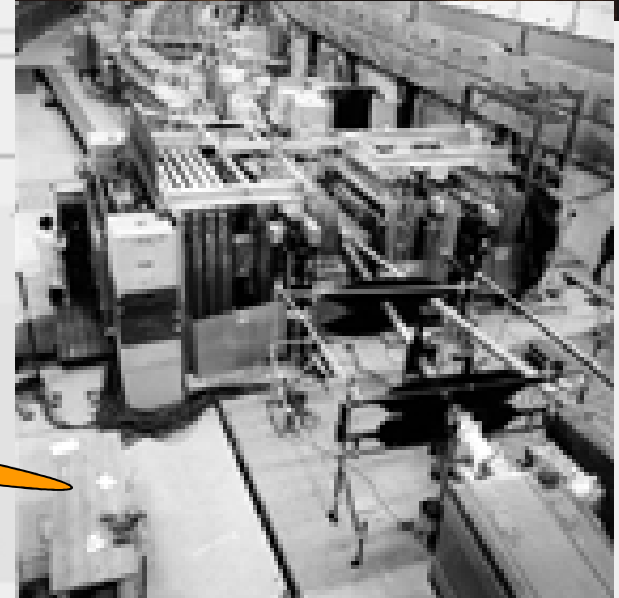
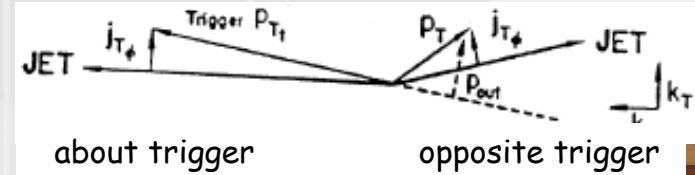


Quark Confinement and Jets

- first collider
CERN ISR ≥ 1972
 - $pp \rightarrow X$



- efficient beam crossing



Quark Confinement and Jets

- first collider
CERN ISR ≥ 1972

- $pp \rightarrow X$

- $pp \rightarrow \text{trigger } \pi^0 + X$

@ 63 GeV CM

p - co-planar p

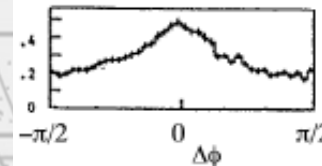
- efficient ~~opposite hemisphere~~ beam crossing
"jets"

- production $k_T \leftrightarrow$
fragmentation p_T



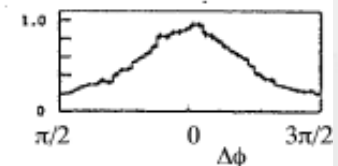
about trigger

$0.3 < p_T < 1.0$

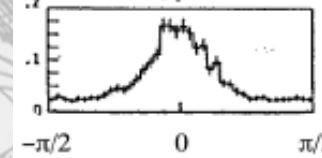


opposite trigger

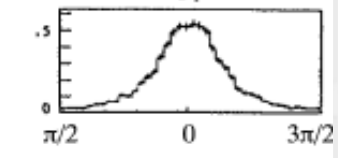
$0.3 < p_T < 1.0$



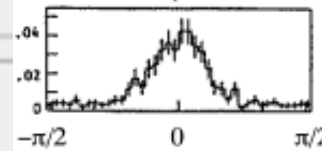
$1. < p_T < 2.$



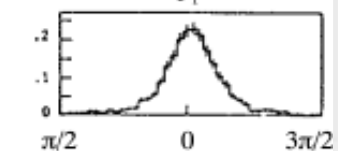
$1. < p_T < 2.$



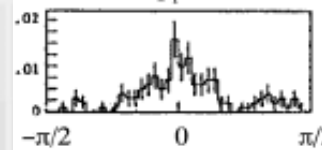
$2. < p_T < 3.$



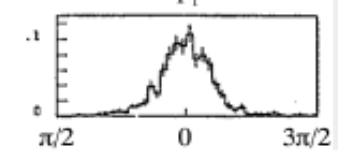
$2. < p_T < 3.$



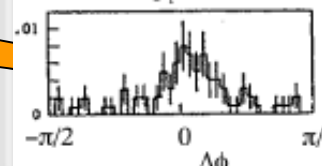
$3. < p_T < 4.$



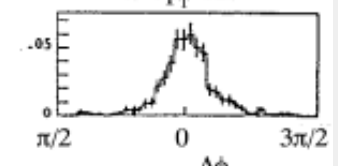
$3. < p_T < 4.$



$4. < p_T < 5.$



$4. < p_T < 5.$

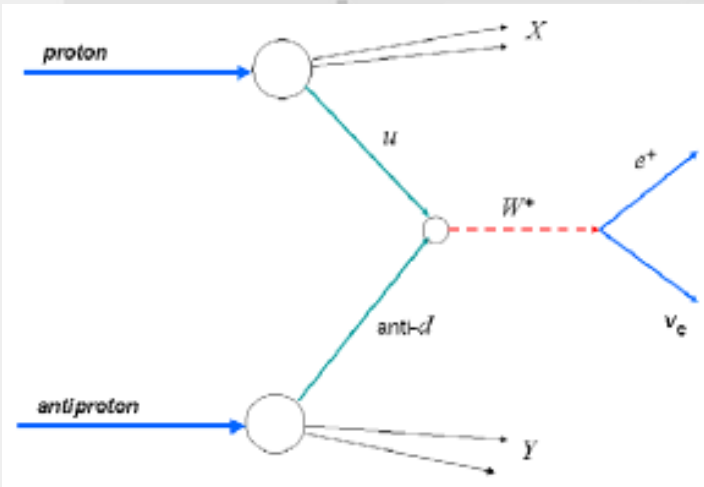


Intermediate Vector Bosons

- $Spp\bar{p}S$ @ CERN: E_T conserved

Nobel

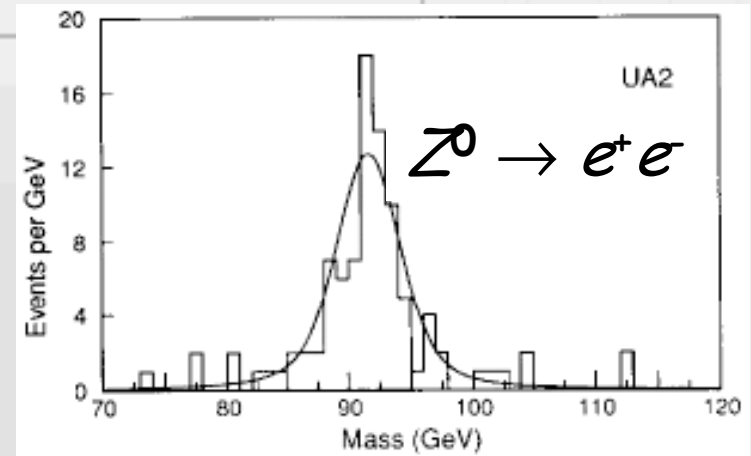
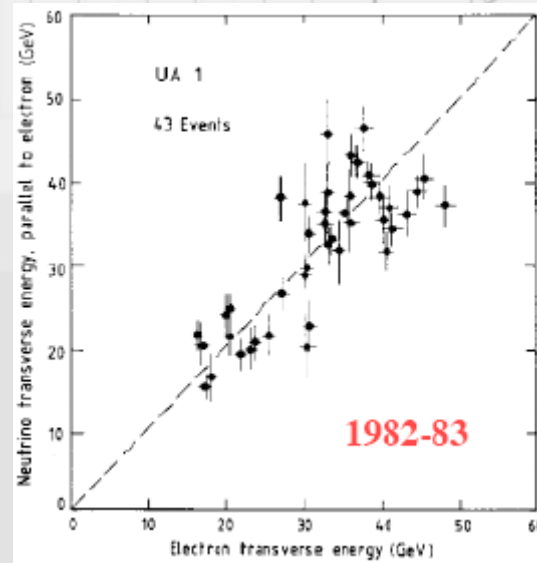
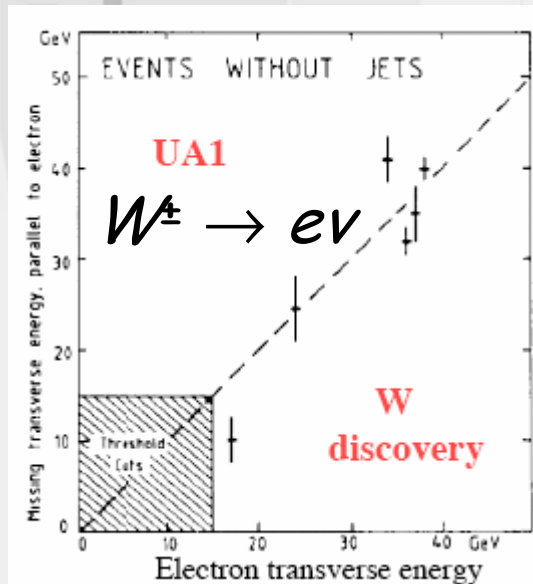
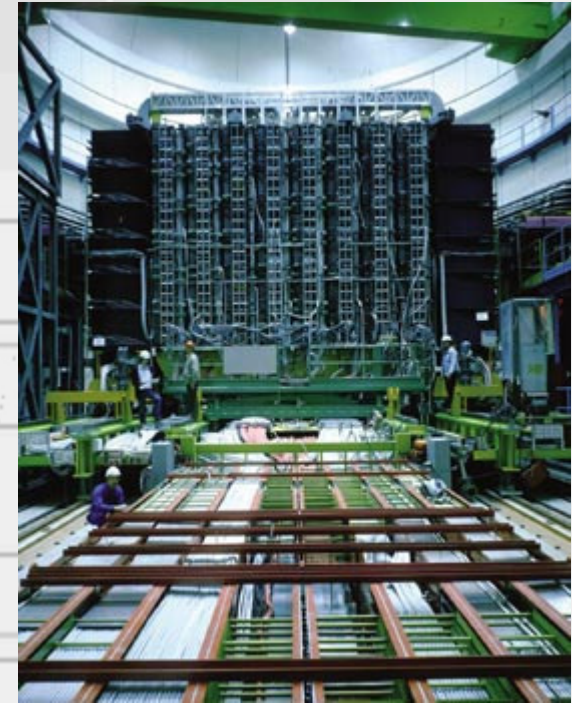
Rubbia+van der Meer



$$pp \rightarrow X + Z^0 \rightarrow e^+ e^-$$

$$\mu^+ \mu^-$$

$$pp \rightarrow X + W^\pm \rightarrow \mu \nu$$

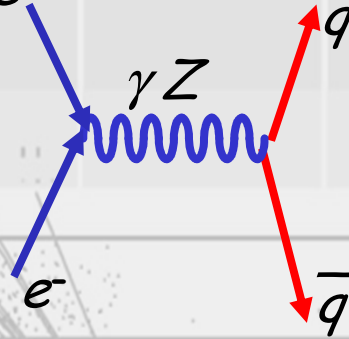


Flavours

- e^+e^- annihilation \rightarrow hadrons

$$q = \begin{pmatrix} u \\ d \end{pmatrix} \begin{pmatrix} c \\ s \end{pmatrix} \begin{pmatrix} t \\ b \end{pmatrix}$$

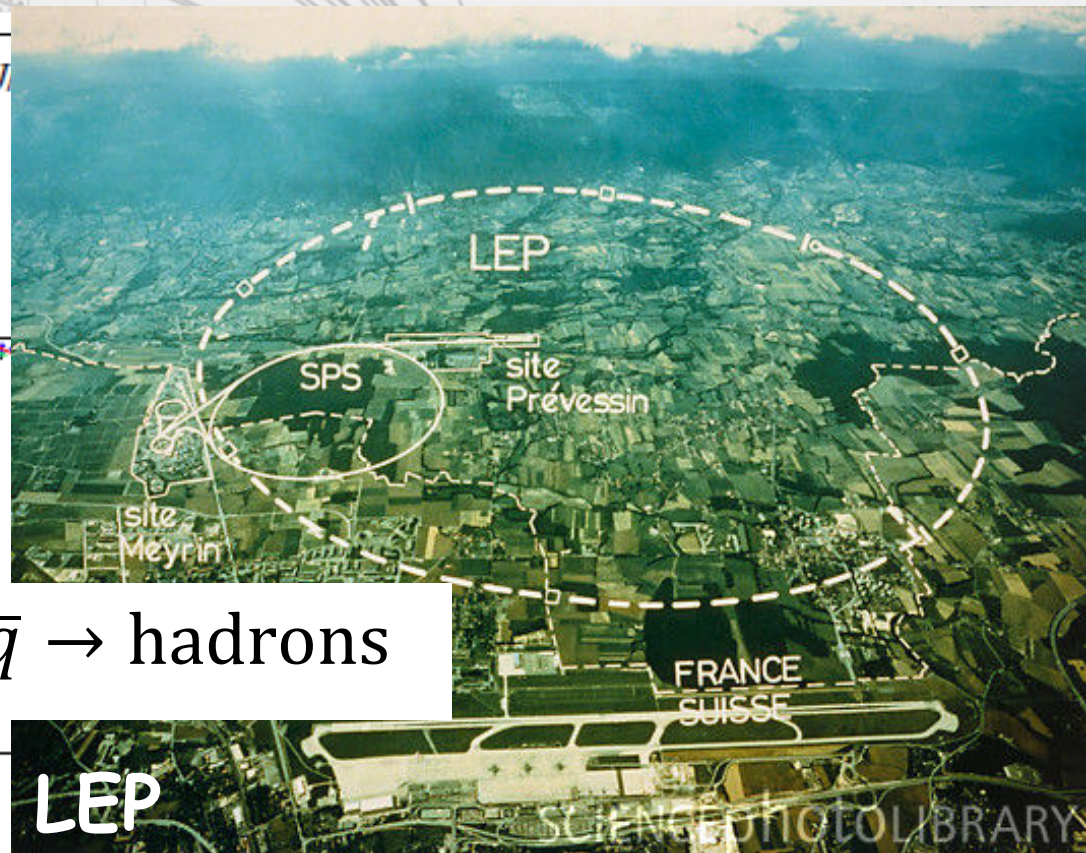
+g in $SU(3)_c$



Nobels
Richter+Ting
Perl



AdA



LEP

$$e^+e^- \rightarrow q\bar{q} \rightarrow \text{hadrons}$$

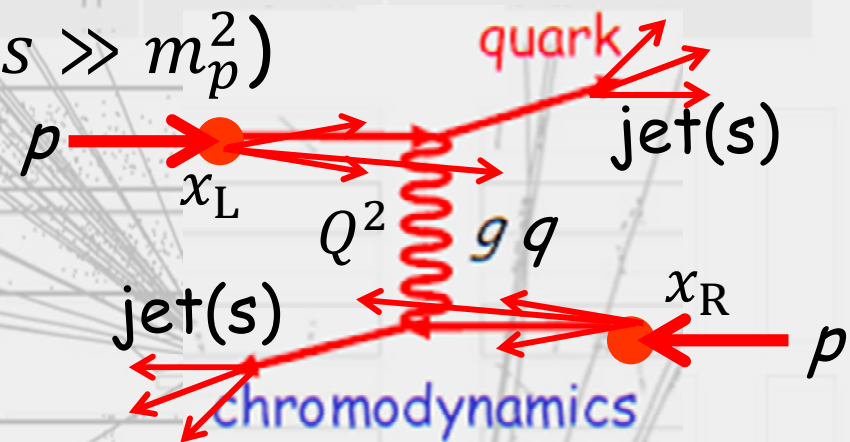
Experiment

- high energy for precision "Rutherford" probe

- deep ($Q^2 \gg m_p^2$) inelastic ($s \gg m_p^2$)

- $pp \rightarrow \text{jet}(s)_1 + \text{jet}(s)_2 + X$

- space-like factorisation



$$d\sigma = \sum_{\text{parton}} f_{p \rightarrow \text{parton}}(x_L, Q^2) \otimes \leftarrow \text{parton density } f_n$$

$$\frac{d\hat{\sigma}_{\text{parton}+\text{parton}}}{dx_L dx_R dQ^2} (\hat{s} = x_L x_R s, Q^2) dx_L dx_R dQ^2$$

$$\otimes \sum_{\text{parton}} f_{p \rightarrow \text{parton}}(x_R, Q^2) \quad (\text{parton} = q, g)$$

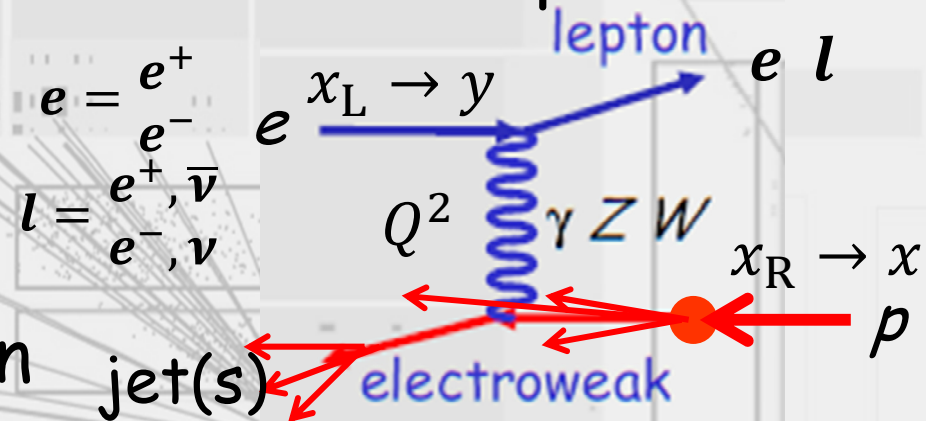
- remnants in+out beam-pipe

$$x_{L,R} = \frac{\text{daughter}_\mu \cdot \text{reference}^\mu}{\text{parent}_\mu \cdot \text{reference}^\mu}$$

Experiment

- high energy for precision "Rutherford" probe

- deep ($Q^2 \gg m_p^2$)
inelastic ($s \gg m_p^2$)
- $ep \rightarrow e/\nu + \text{jet}(s) + X$
- space-like factorisation



$$\sigma_{rNC}^{\pm}(x, Q^2) = \frac{Q^4 x}{2\pi\alpha_{em}^2 Y_+} \frac{d^2\sigma_{rNC}^{e^{\pm}p}}{dx dQ^2} = \tilde{F}_2 - \frac{y^2}{Y_+} \tilde{F}_L \mp \frac{Y_-}{Y_+} x \tilde{F}_3$$

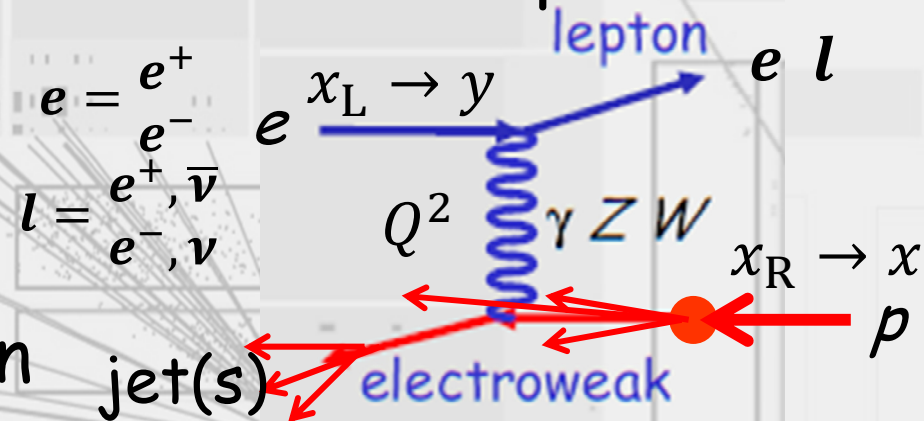
$$\sigma_{rCC}^{\pm}(x, Q^2) = \frac{2\pi x}{G_F^2 Y_+} \left| \frac{M_W^2}{Q^2 + M_W^2} \right|^2 \frac{d^2\sigma_{rCC}^{e^{\pm}p}}{dx dQ^2} = \frac{Y_+}{2} W_2^{\pm} - \frac{y^2}{2} W_L^{\pm} \mp \frac{Y_-}{2} x W_3^{\pm}$$

Fermi constant G_F

Experiment

- high energy for precision "Rutherford" probe

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$$\tilde{F}_2 = F_2 - \kappa_Z v_e F_2^{\gamma Z} + \kappa_Z^2 (v_e^2 + a_e^2) F_2^Z$$

$$\tilde{F}_L = F_L - \kappa_Z v_e F_L^{\gamma Z} + \kappa_Z^2 (v_e^2 + a_e^2) F_L^Z$$

$$x \tilde{F}_3 = -\kappa_Z a_e F_3^{\gamma Z} + 2\kappa_Z^2 v_e a_e F_L^Z$$

$$\kappa_Z(Q^2) = \frac{1}{4 \sin^2 \theta_W \cos^2 \theta_W} \frac{Q^2}{Q^2 + M_Z^2}$$

$$y = \frac{\gamma \cdot p}{e \cdot p} \quad x = \frac{Q^2}{\gamma \cdot p} \quad Y_{\pm} = 1 \pm (1 - y)^2$$

- precision
- structure functions
- remnants in+out beam-pipe

$$\tilde{F}_{2,L,3} \leftrightarrow \text{parton density}$$

$$W_{2,L,3}^{\pm}$$

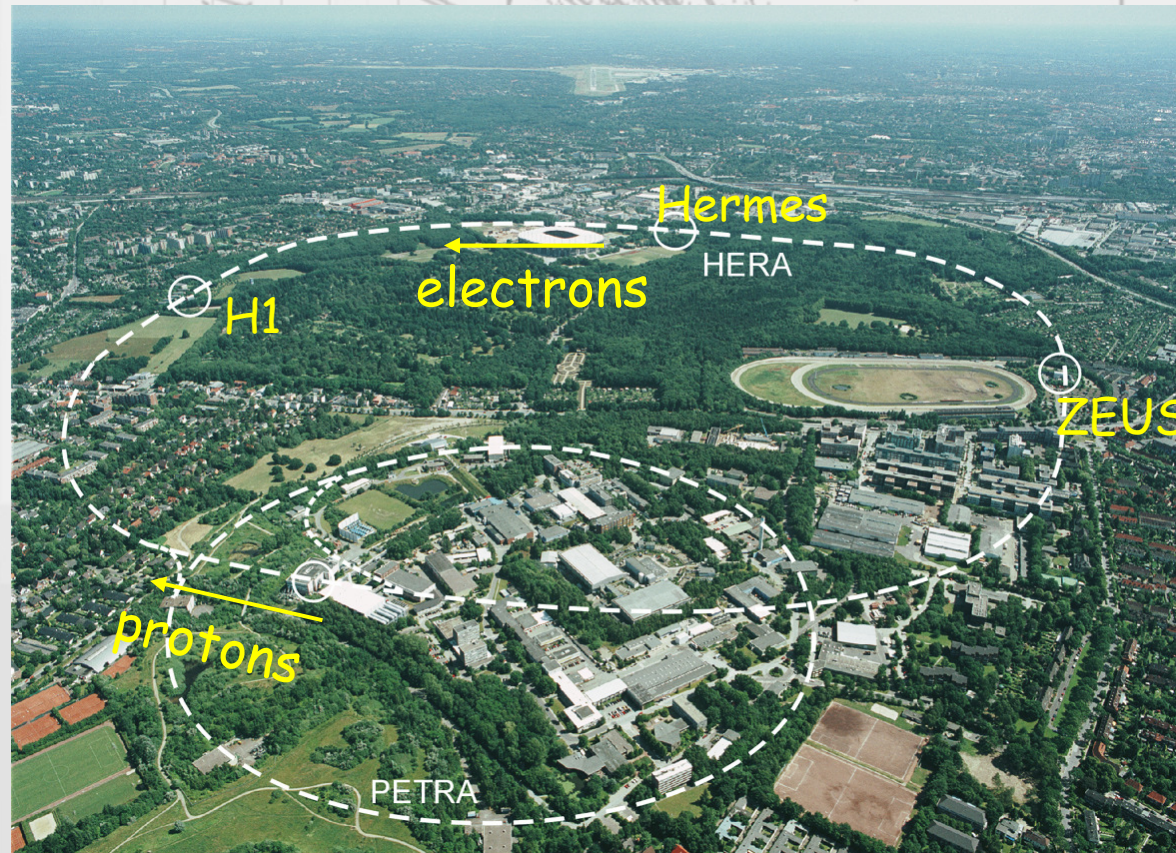
A precision Fermiscale ep Collider HERA @ DESY



- challenge: different particle species ep in collision
27.6 GeV electrons + 920 GeV protons $\leftarrow uud + \text{sea}$
 ep cm energy 314 GeV

lepton

HERA
DESY
Hamburg



HERA

+



1992-2007
RIP

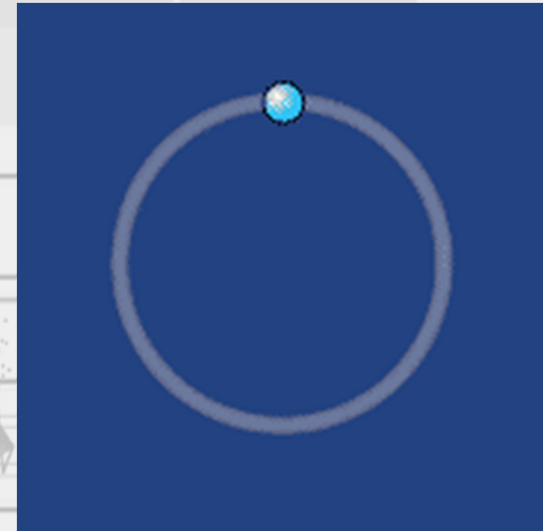
Rotating Spin

- stored e radiates

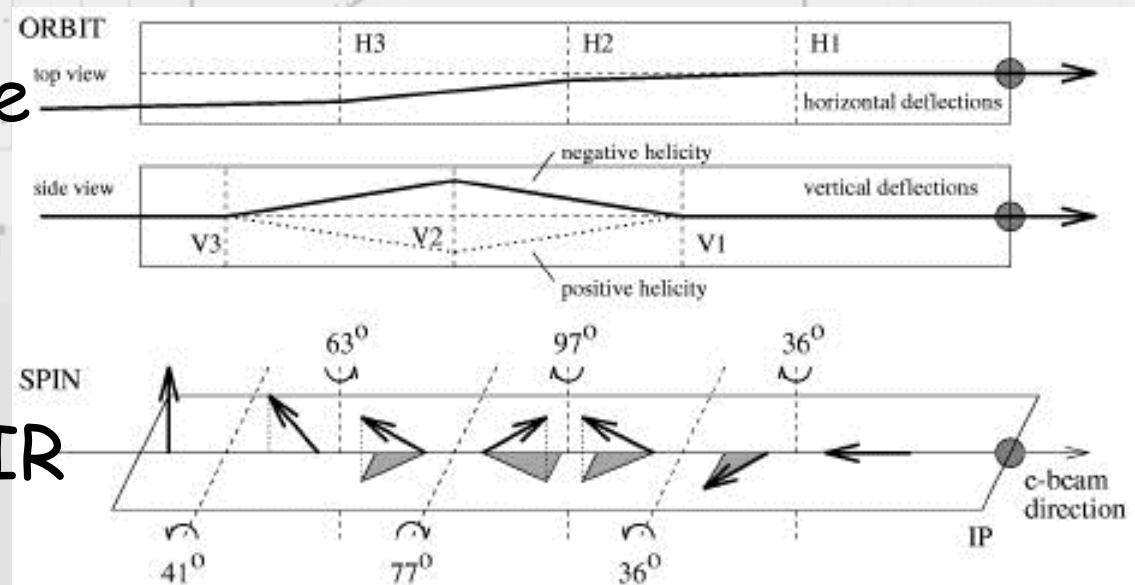
$$e \rightarrow e_T$$

Sokolov-Ternov

transversely polarised e
synchrotron radiation



- "spin-rotator"
 - subtle and precise precession
 - "Siberian snake" insertion device
- $e_T \rightarrow e_{RL} \rightarrow e_T$ at IR



Barber, Steffen (DESY)

Rotating Spin

- stored e radiates

$$e \rightarrow e_T$$

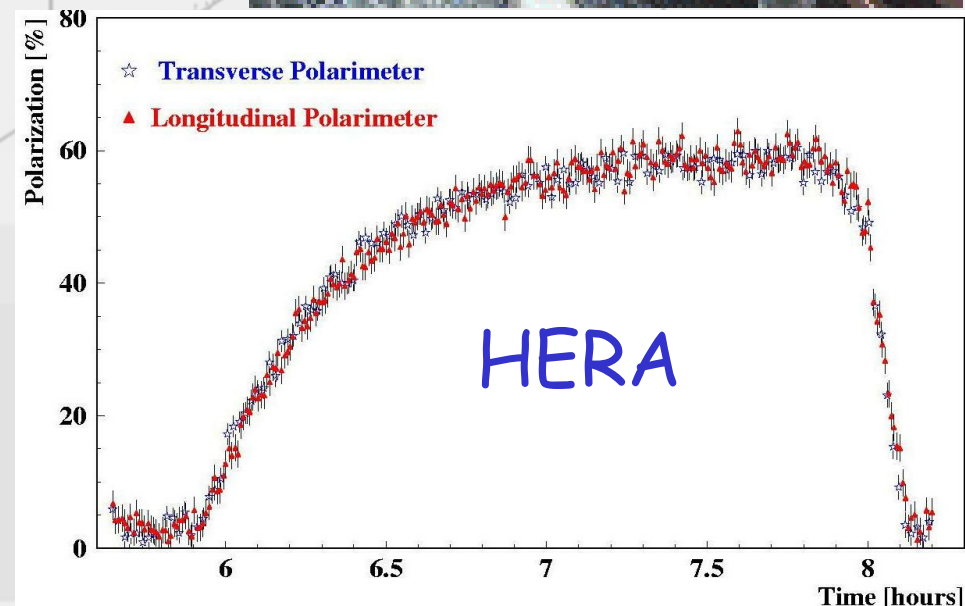
Sokolov-Ternov

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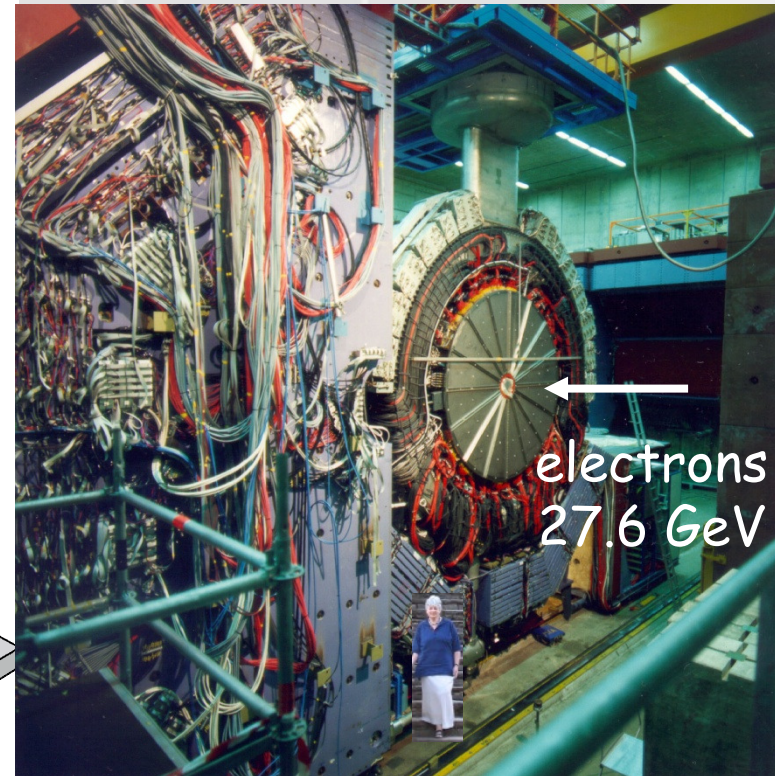
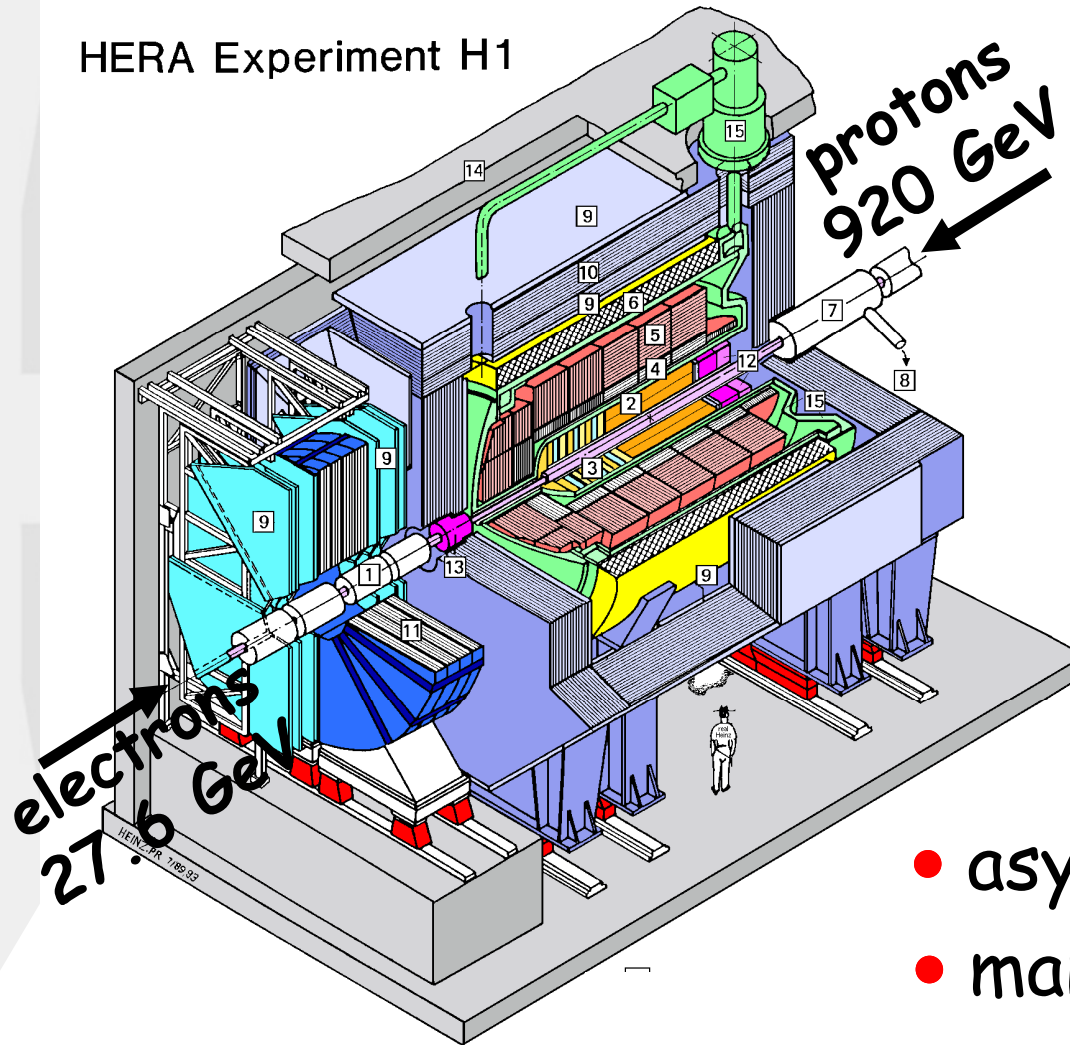
- "spin-rotator"
 - subtle and precise precession
 - "Siberian snake" insertion device
$$e_T \rightarrow e_{RL} \rightarrow e_T \text{ at IR}$$

Barber, Steffen (DESY)



A Precision Fermiscale Experiment @ HERA

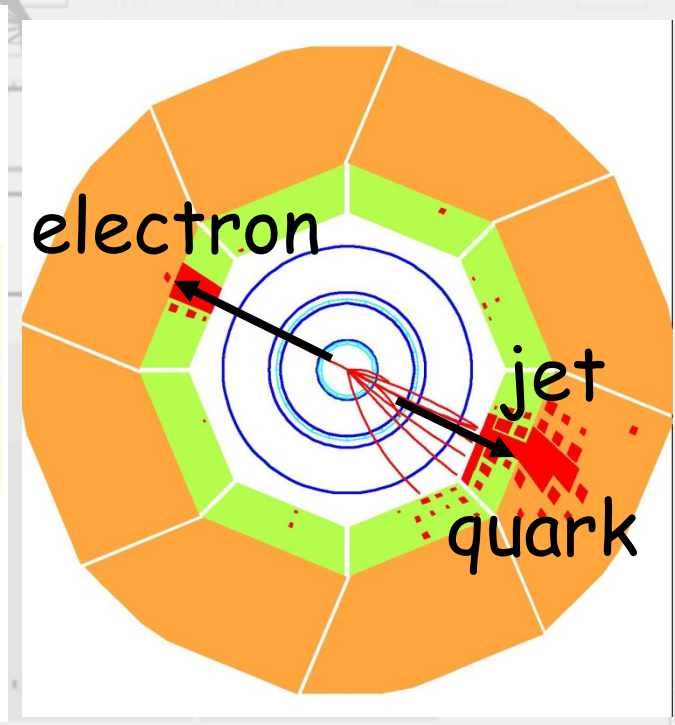
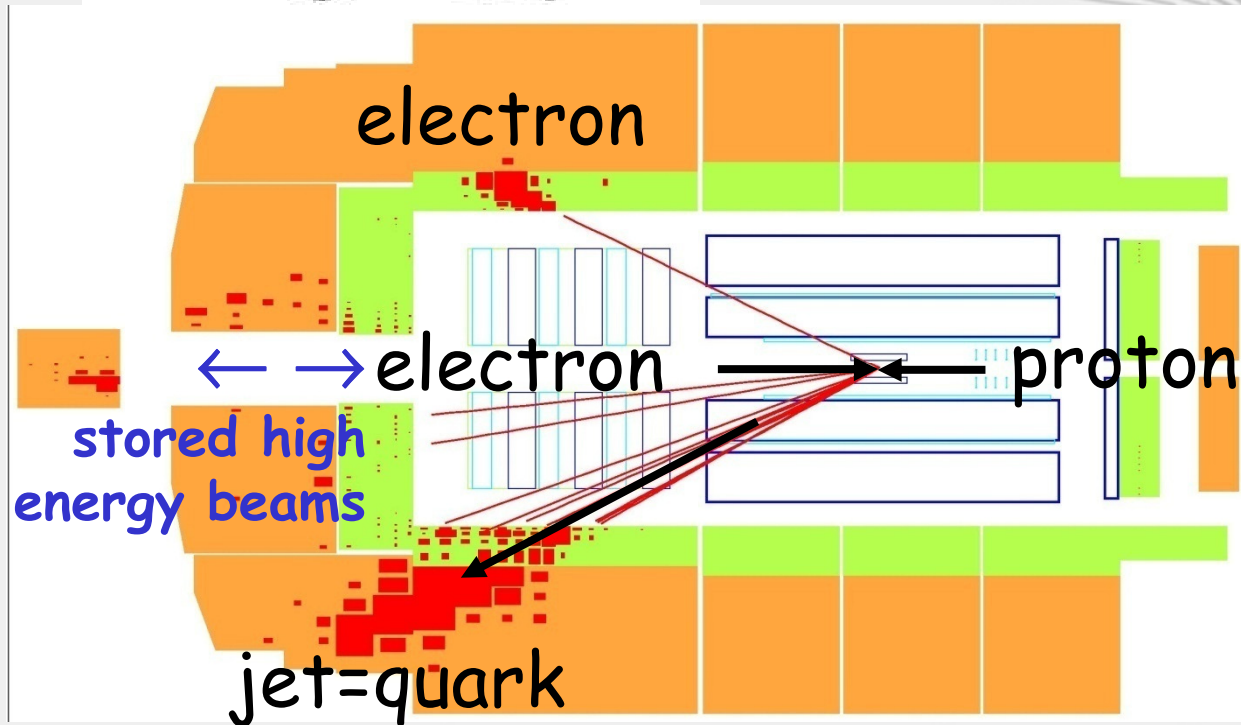
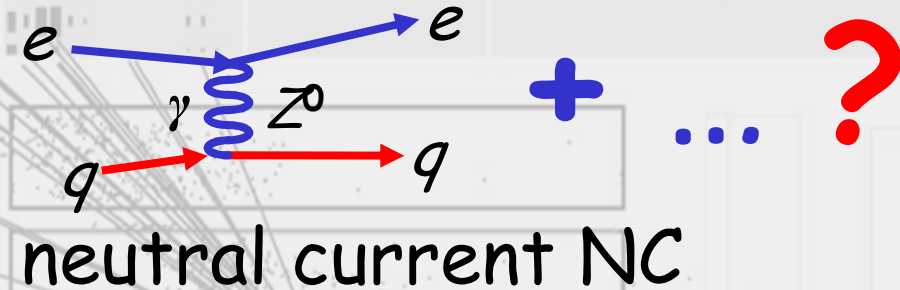
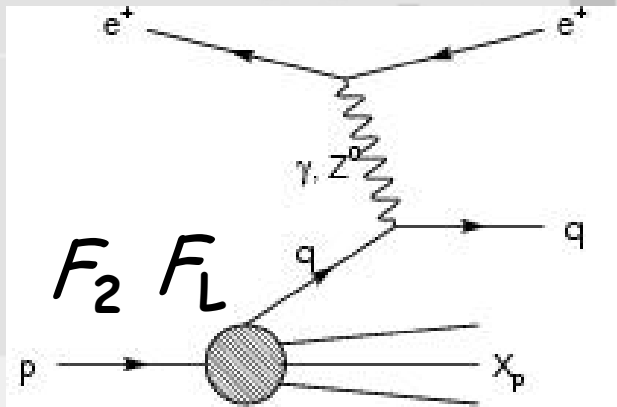
HERA Experiment H1



- asymmetric e and p
- many bunch $\Delta t_{ep} = 75$ ns
- p_T scale ~ 300 GeV (Fermi)

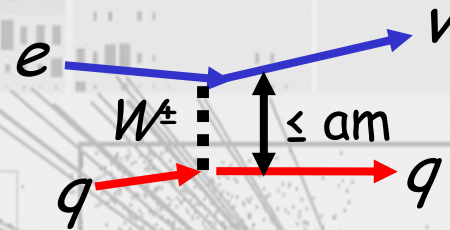
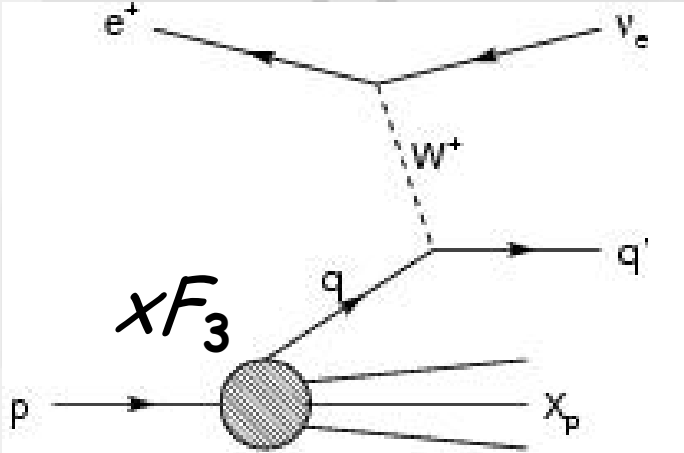
Constituents with Currents

- >1992: Rutherford scattering at the Fermi scale

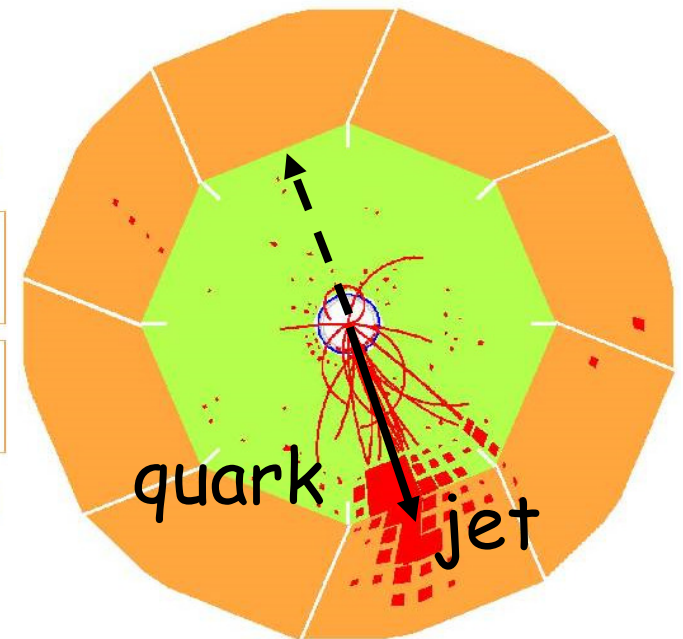
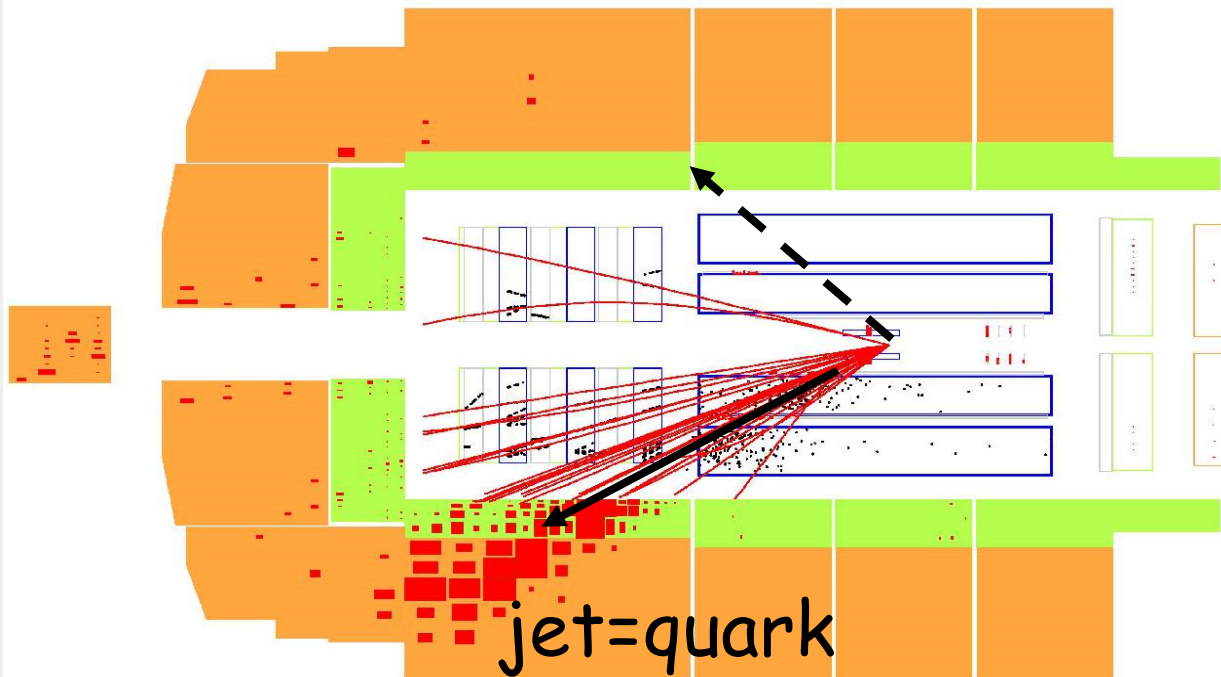


Constituents with Currents

- >1992: inside Fermi's β -interaction



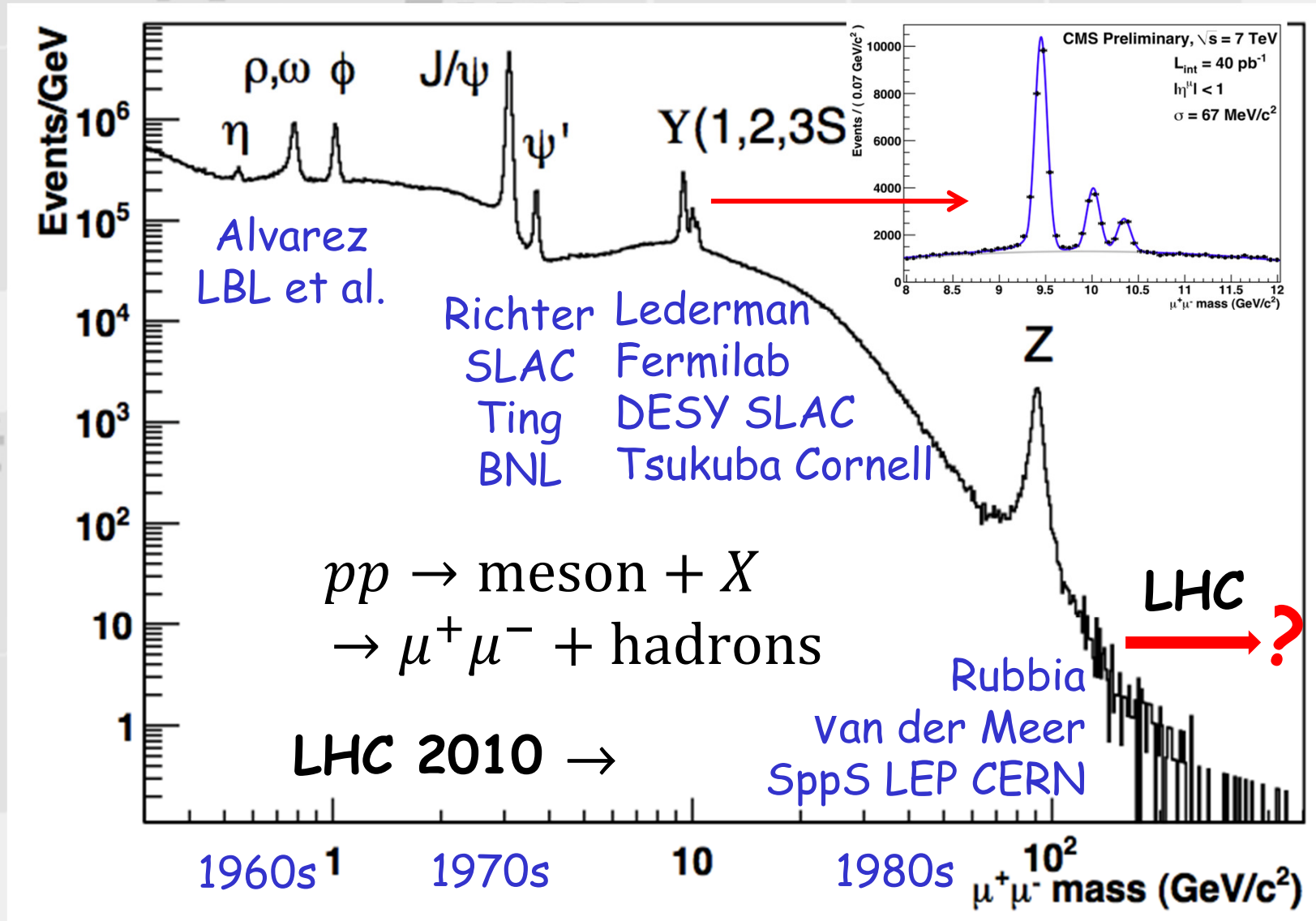
charged current CC



The LHC Triumph

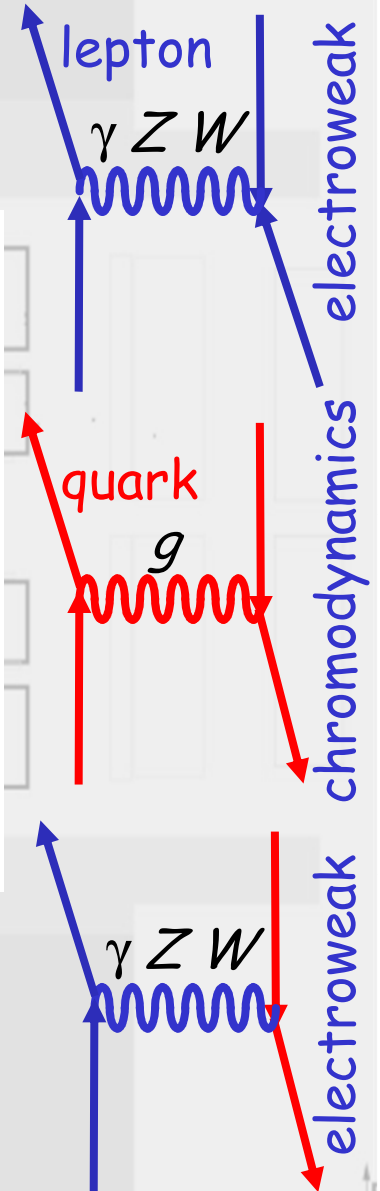
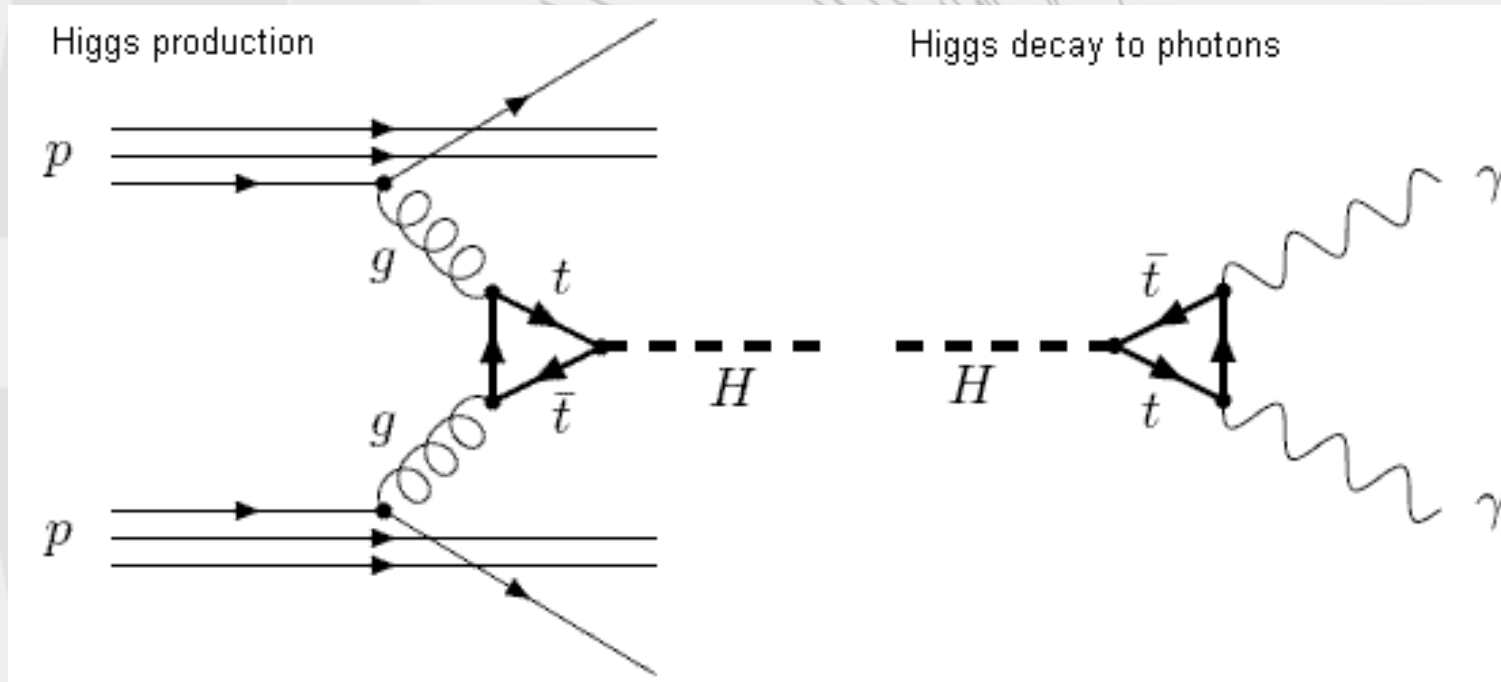


- 60 years of physics in 40 pb^{-1} at LHC 2010!



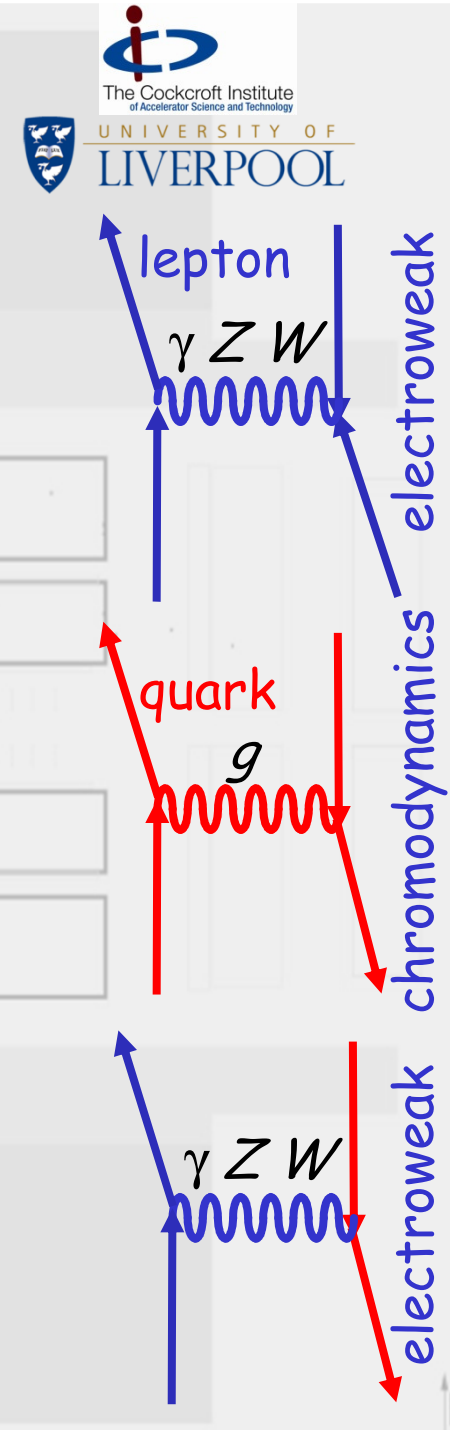
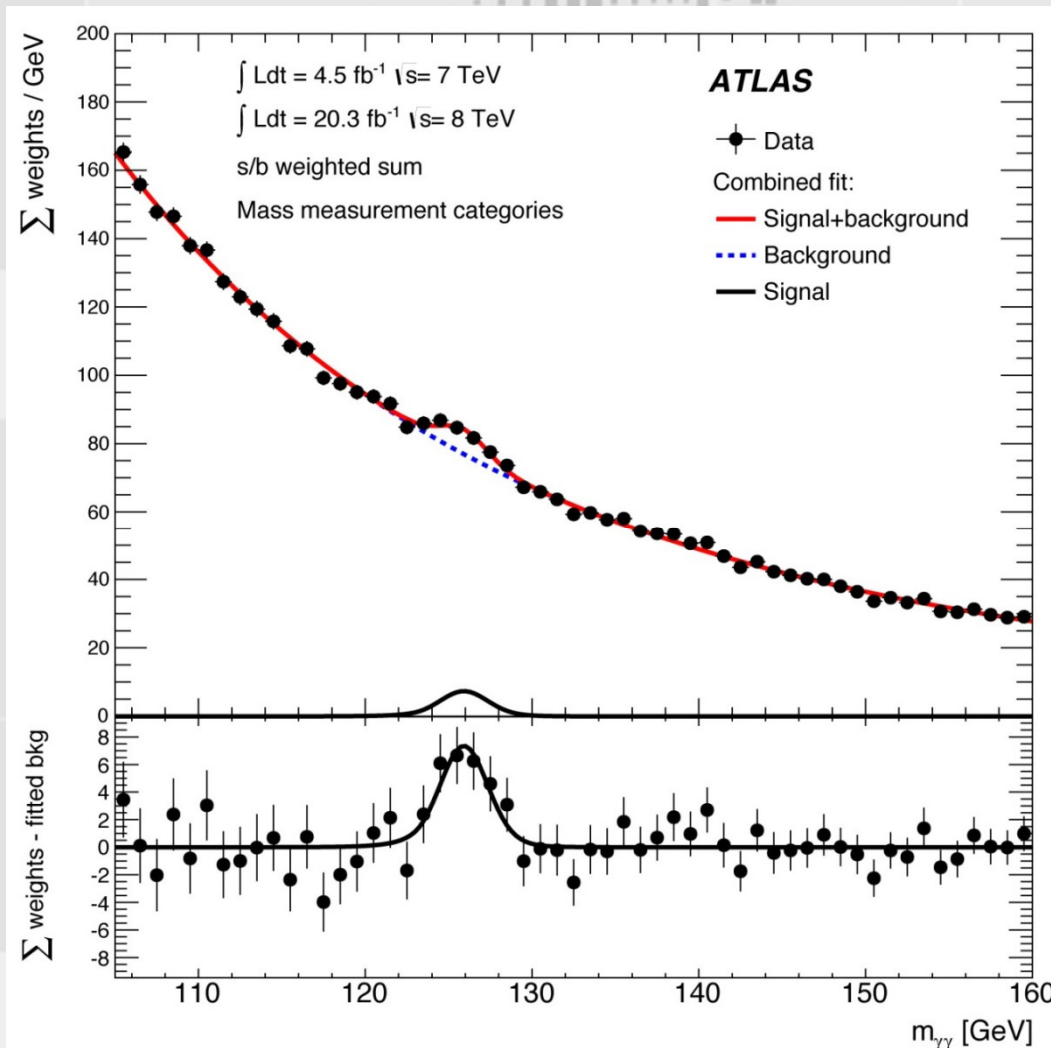
Fermi Scale complete

- EW unification @ Fermi scale
- $pp \rightarrow \gamma\gamma X$



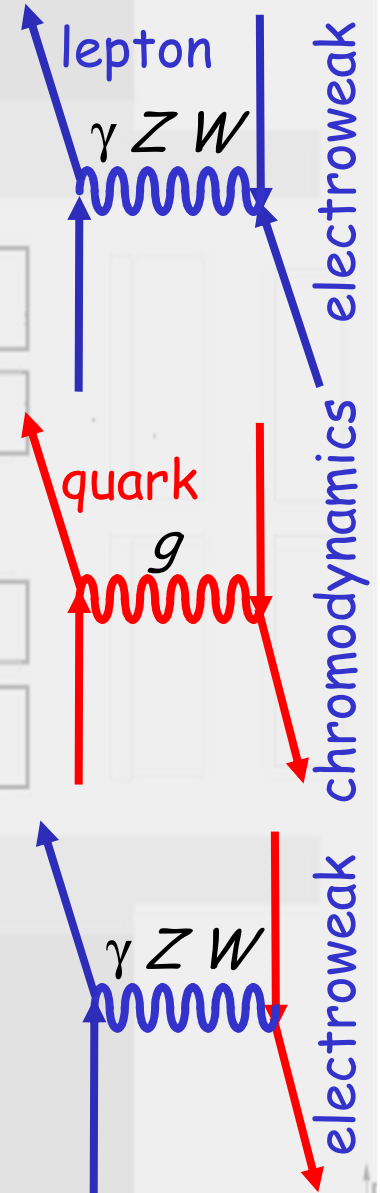
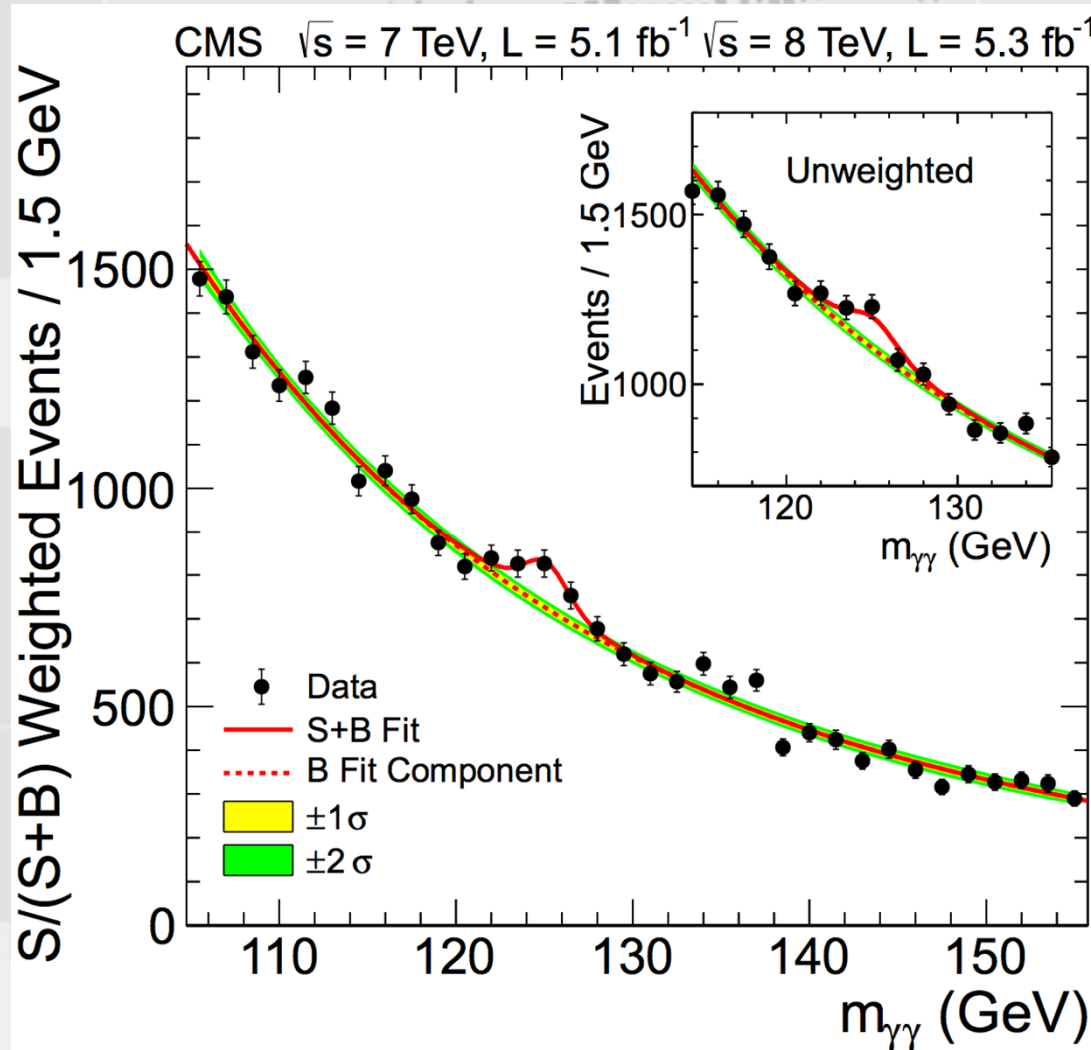
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Fermi Scale complete

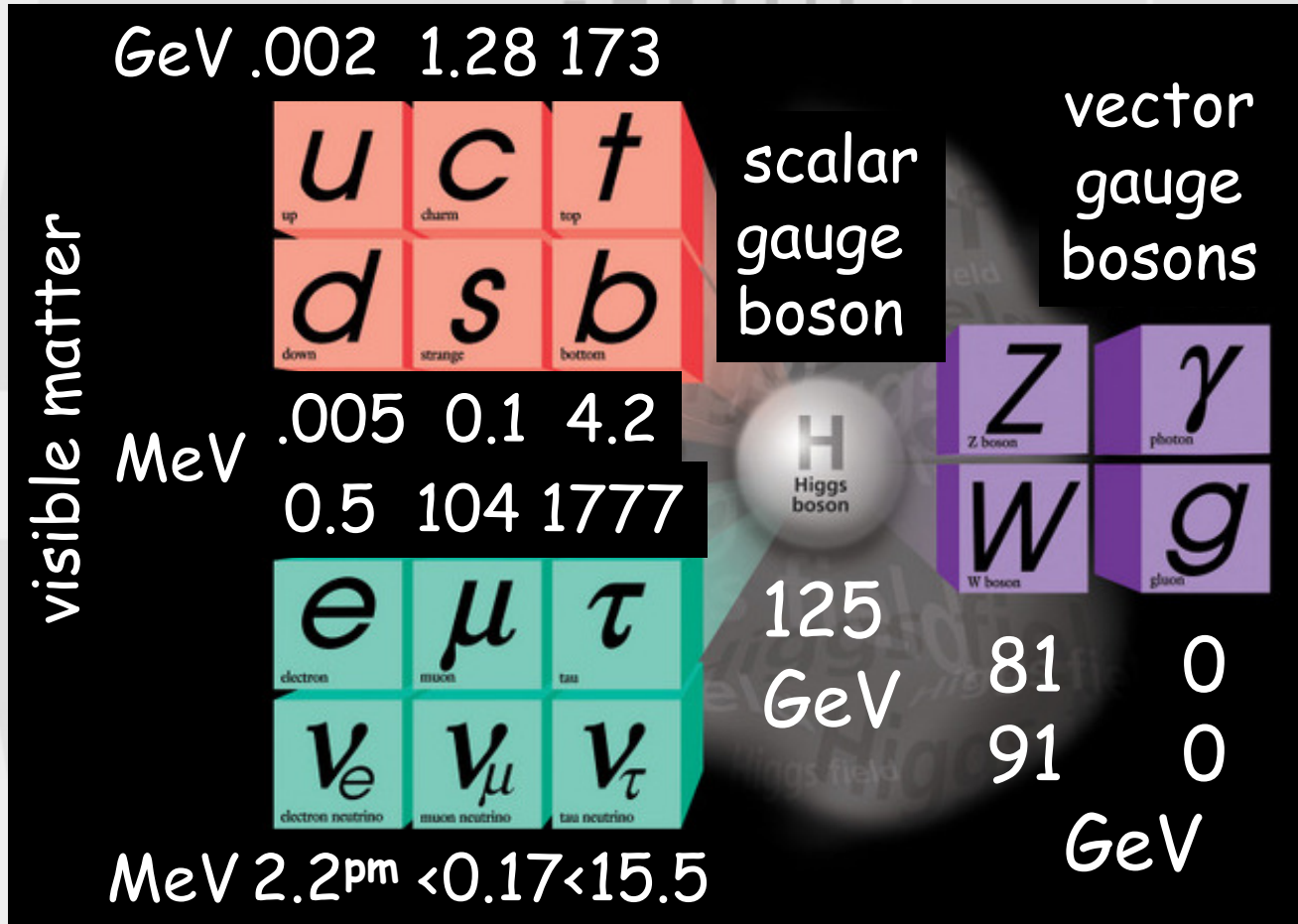
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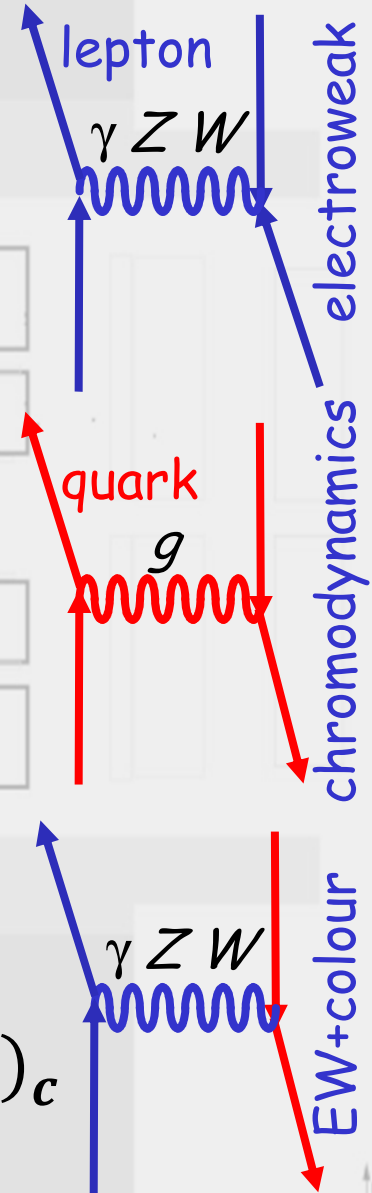
Constituents and Currents



- the Standard Model landscape 2016



Glashow Salam Weinberg



Dirac fermions in $SU(2)_L \otimes U(1) \otimes SU(3)_c$
force = colour + GSW + gauge bosons

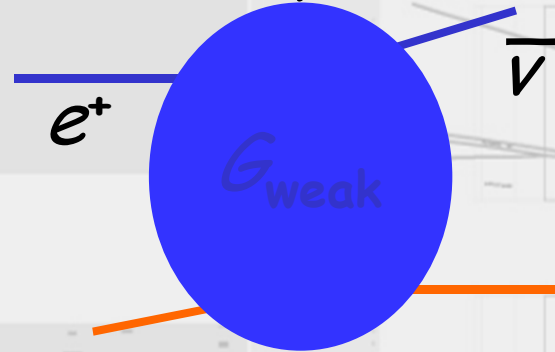


2. Landmarks

GSW Current

- then: point-like Fermi- β $\sigma_{tot}^{\nu N}(E_\nu) \propto E_\nu$
1993: hint of weak unitarity = GSW unification ?

- from $ep \rightarrow \bar{\nu} X$

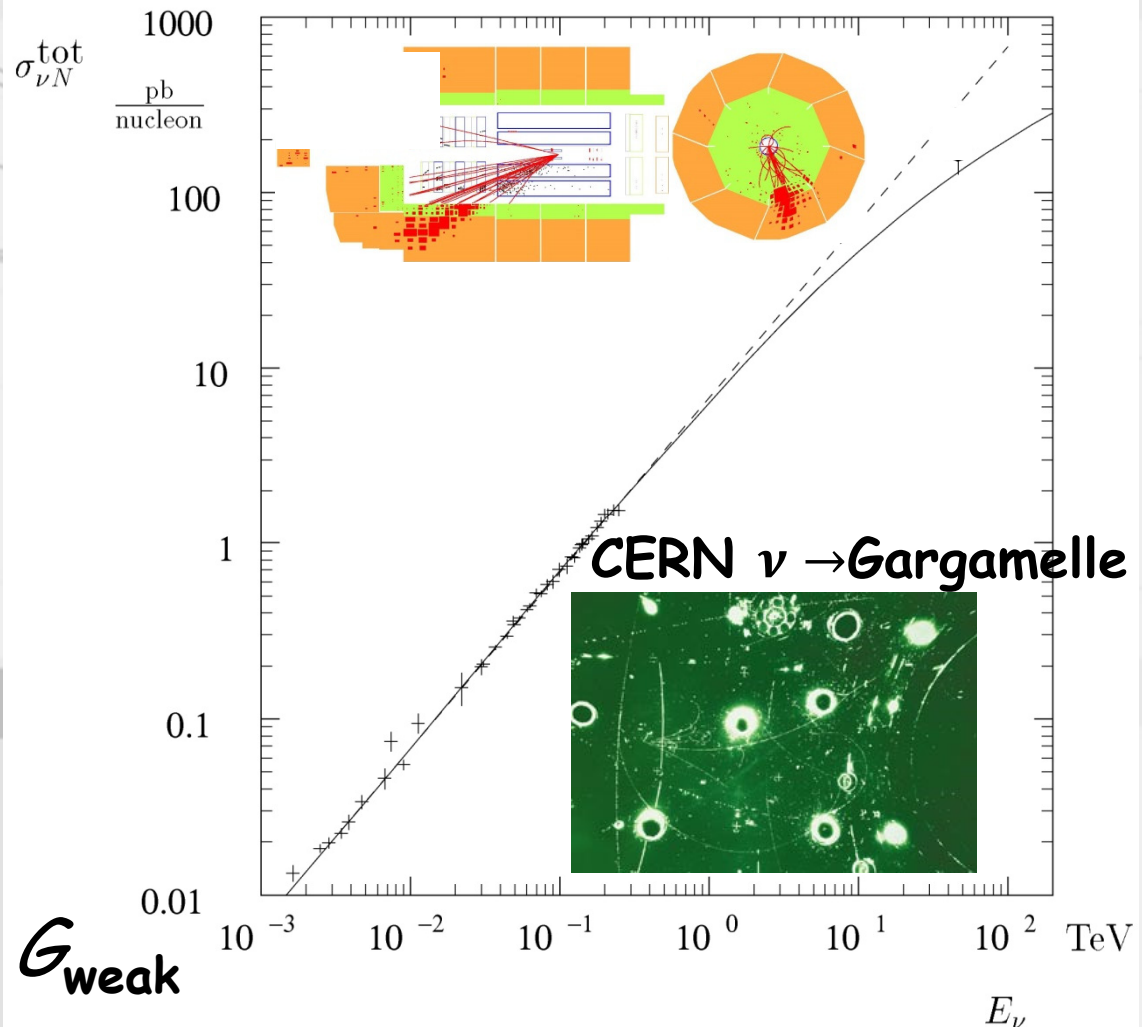


to $\nu p \rightarrow e X$

- IVB in CC

- EW probe

- structure of
Fermi constant G_{weak}



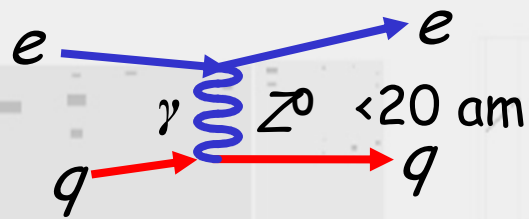
GSW Current



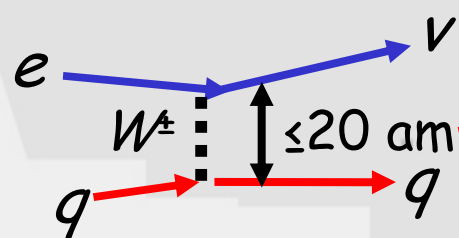
- now: resolved structure in GSW $SU(2)_L \otimes U(1)$ force

resolution $\sim \frac{0.2 \text{ TeV} \cdot \text{am}}{Q}$

- Rutherford scattering
 $eq \rightarrow eq$ NC

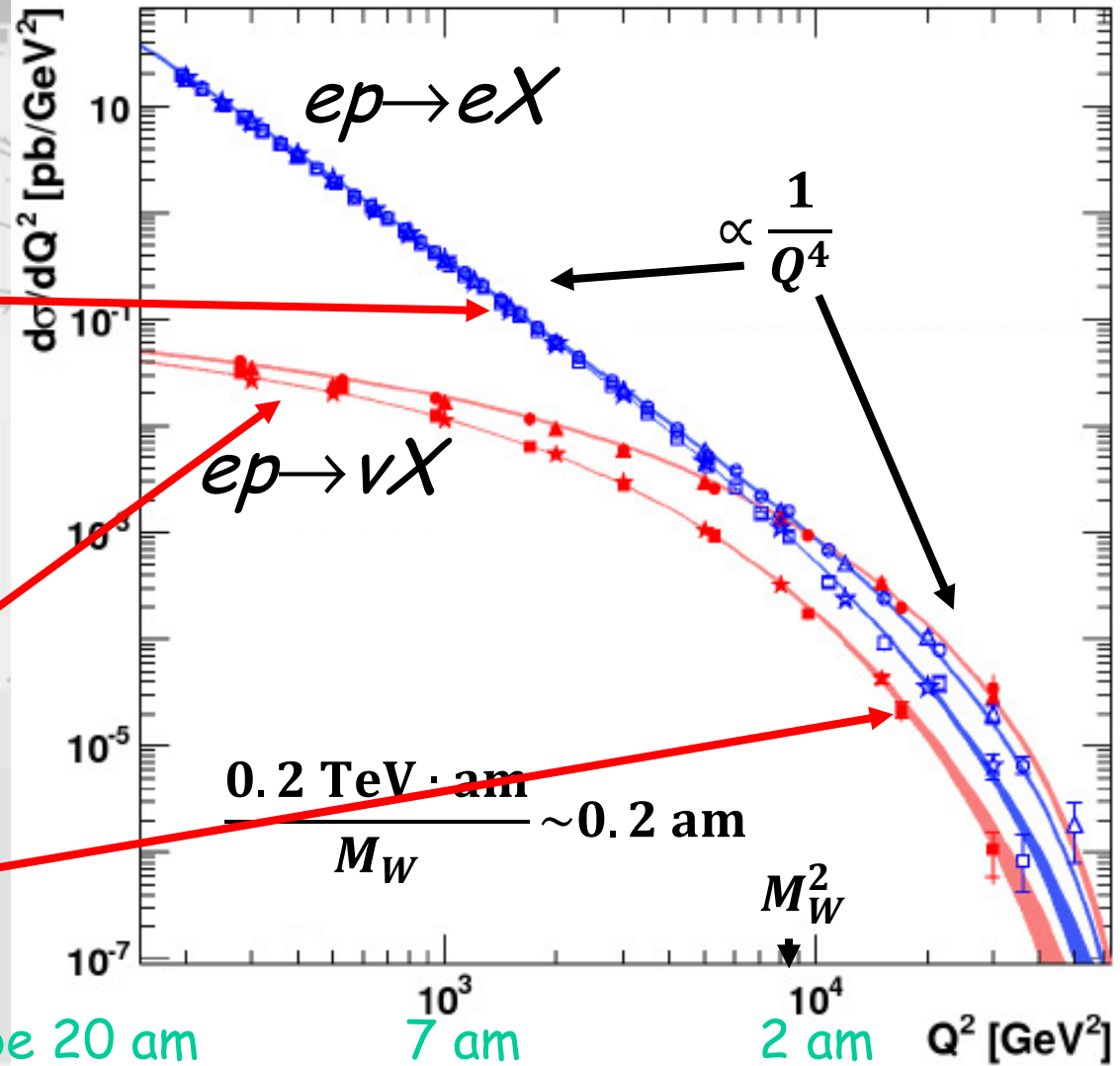


$eq \rightarrow \nu q$ CC



probe 20 am

HERA

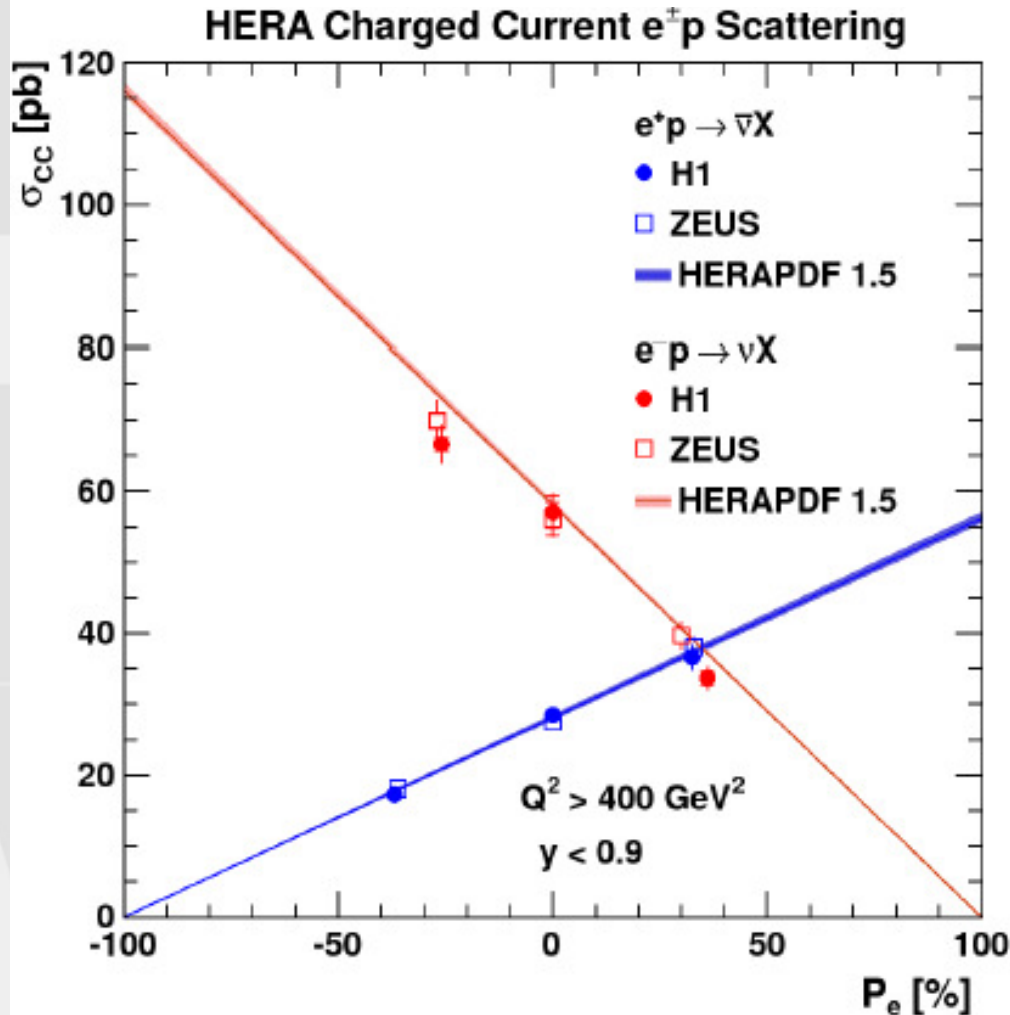
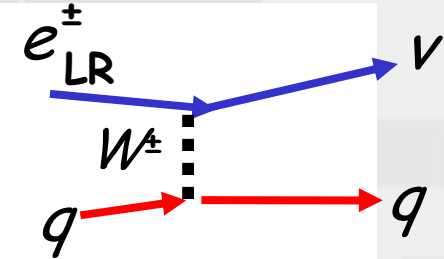


7 am

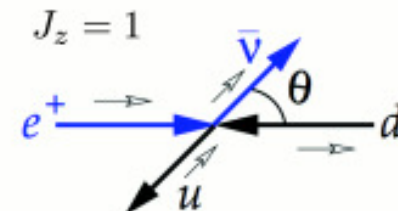
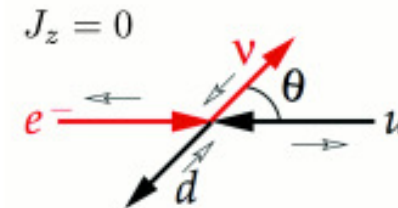
2 am

GSW Current Chirality

- quarks = L(R) Dirac (anti-)fermions
L(R) (anti-)leptons



- Chiral structure of EW interactions probed
- No sign for right-handed currents

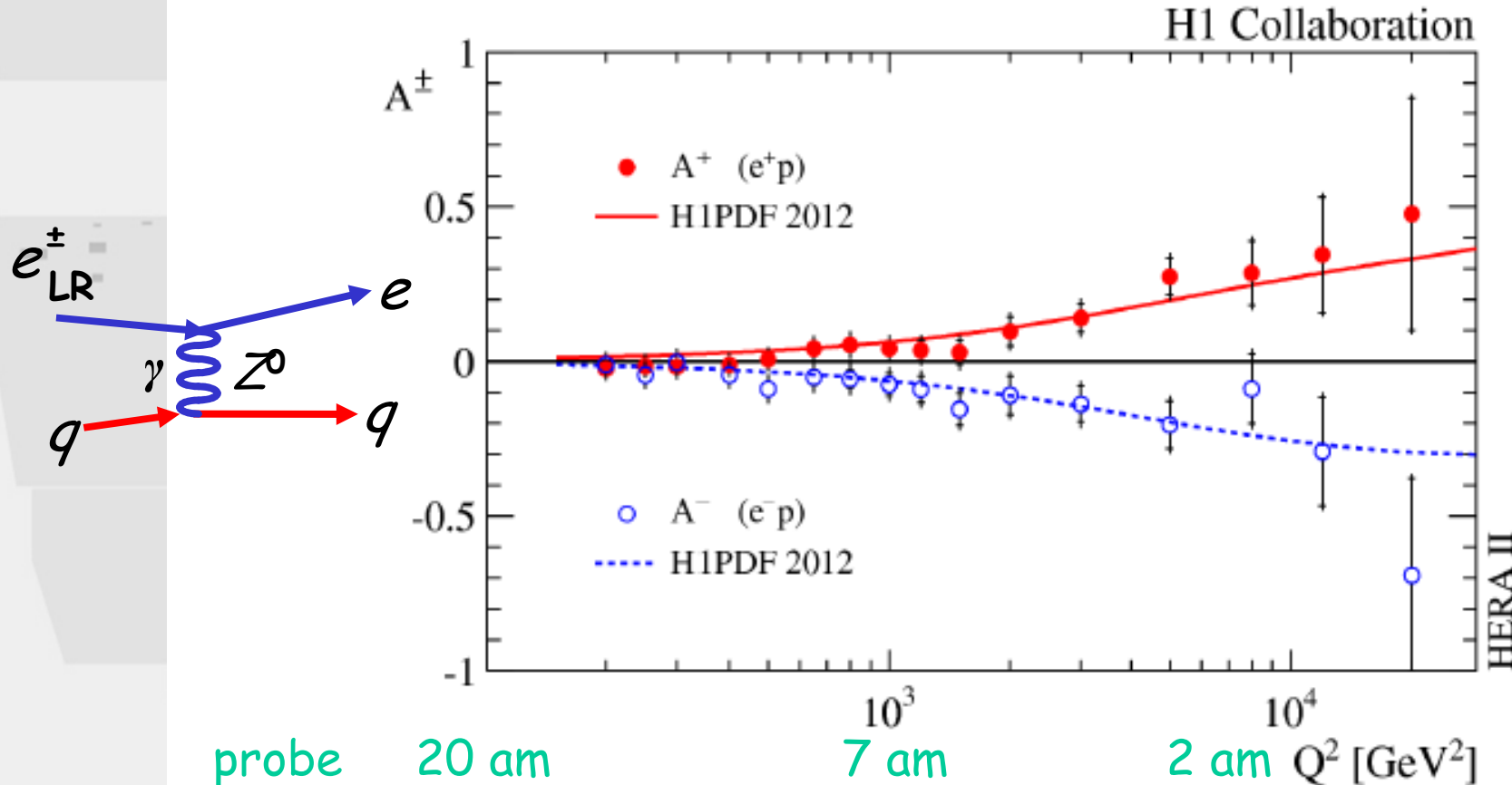


GSW Current

- polarisation asymmetry: $e^\pm q \rightarrow$ NC parity violation

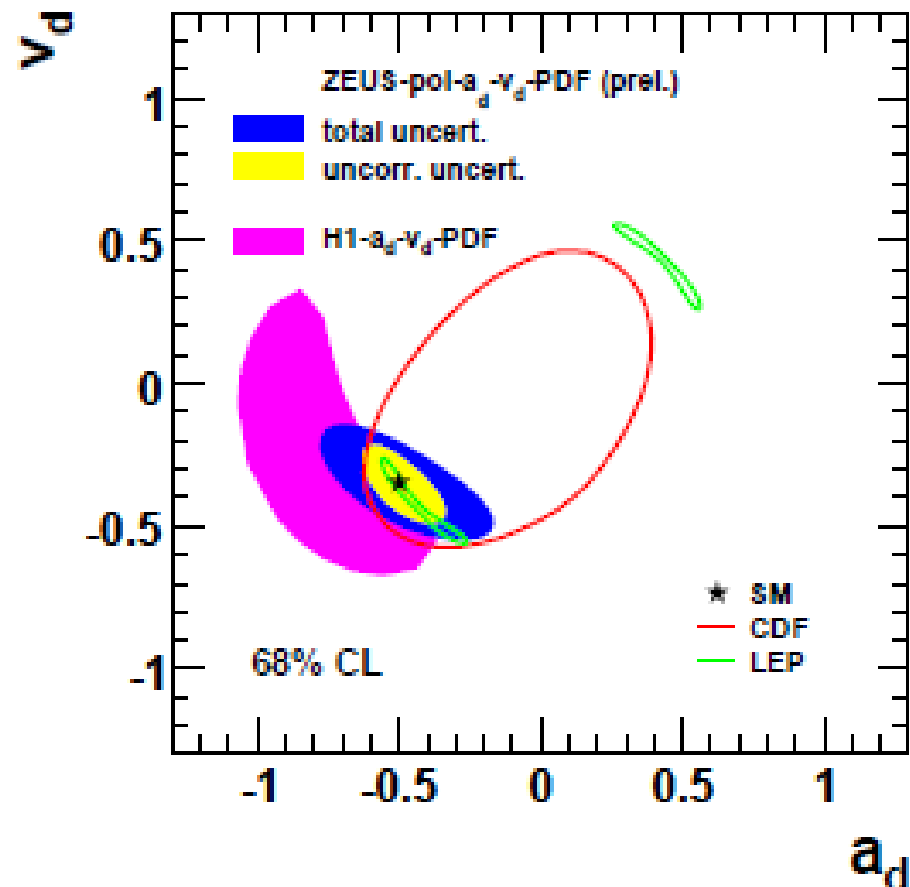
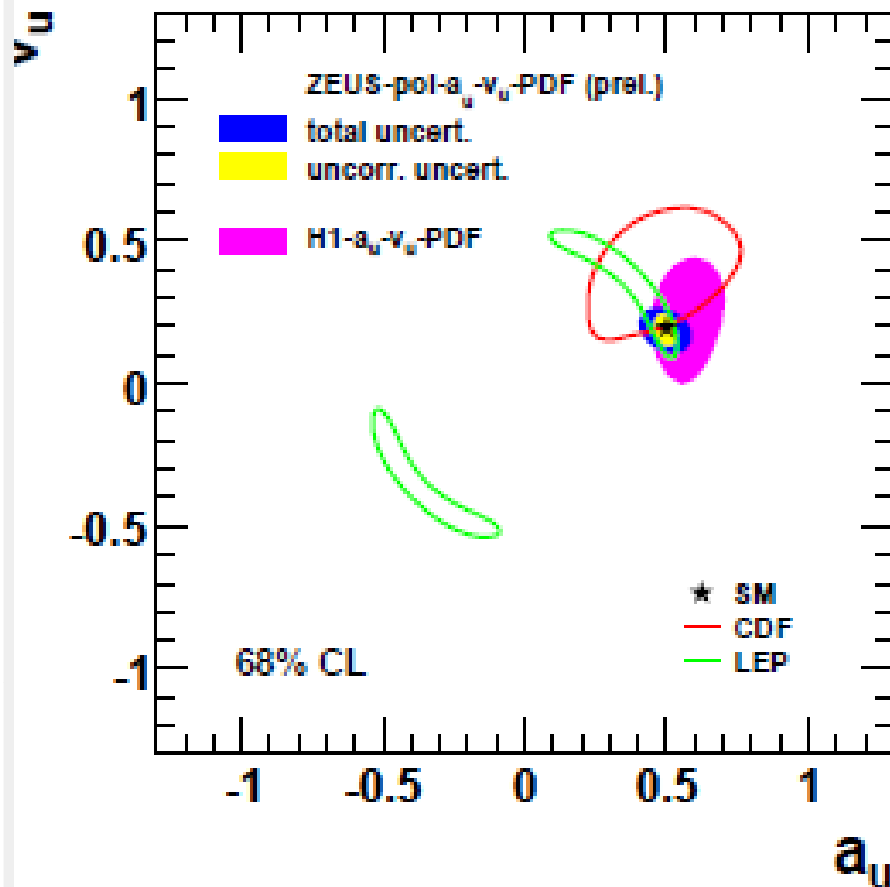
NC polarization asymmetry

$$A^\pm = \frac{2}{P_L^\pm - P_R^\pm} \cdot \frac{\sigma^\pm(P_L^\pm) - \sigma^\pm(P_R^\pm)}{\sigma^\pm(P_L^\pm) + \sigma^\pm(P_R^\pm)}$$



Current Quark GSW Couplings

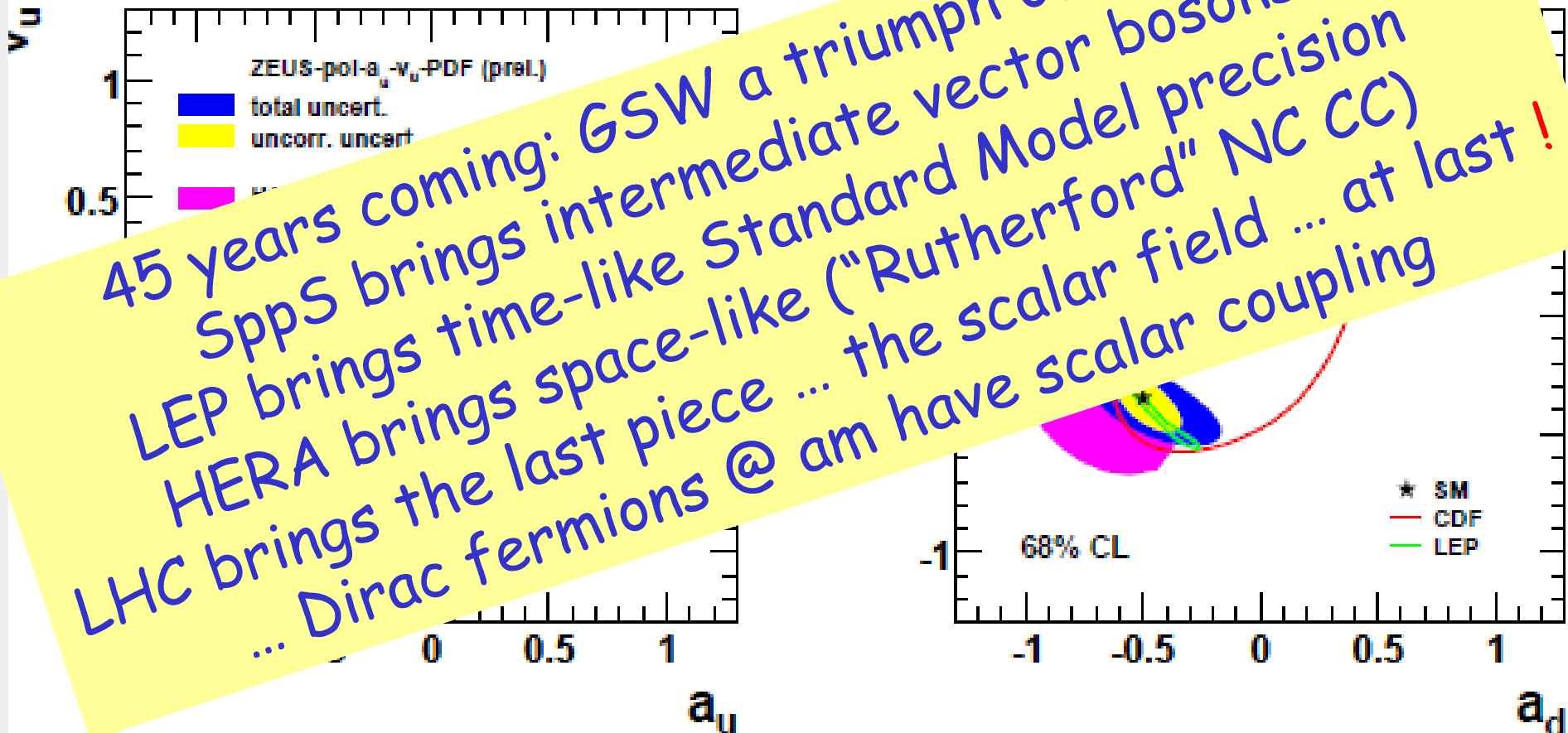
- V and A current quark couplings:
 e polarisation and γ^*Z interference



- space-like (HERA) and time-like (LEP+Tevatron)

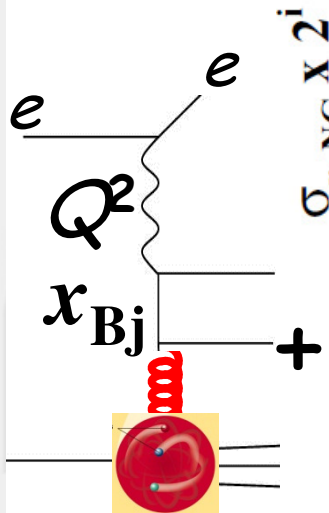
Current Quark GSW Couplings

- V and A current quark couplings:
e polarisation and γ^*Z interference

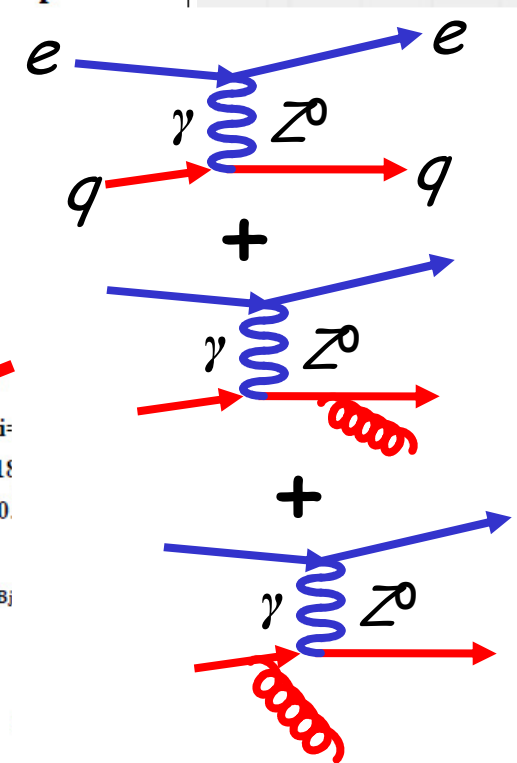
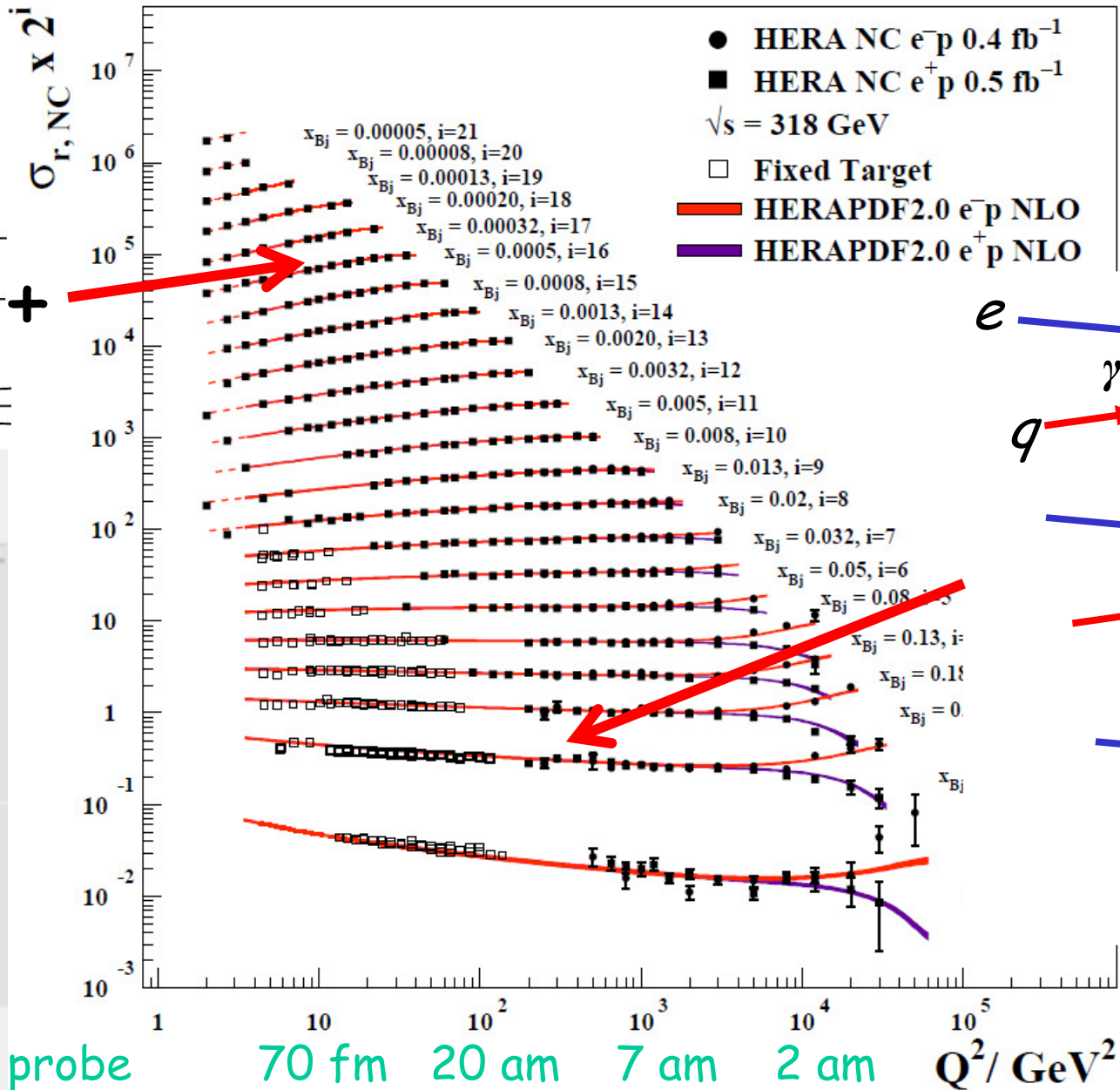


- space-like (HERA) and time-like (LEP+Tevatron)

Constituents with GSW Currents



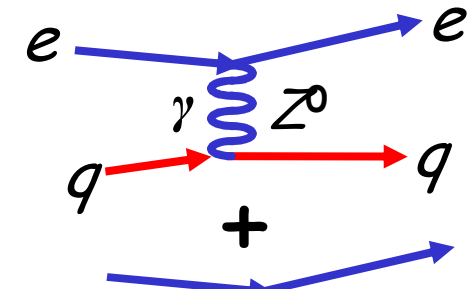
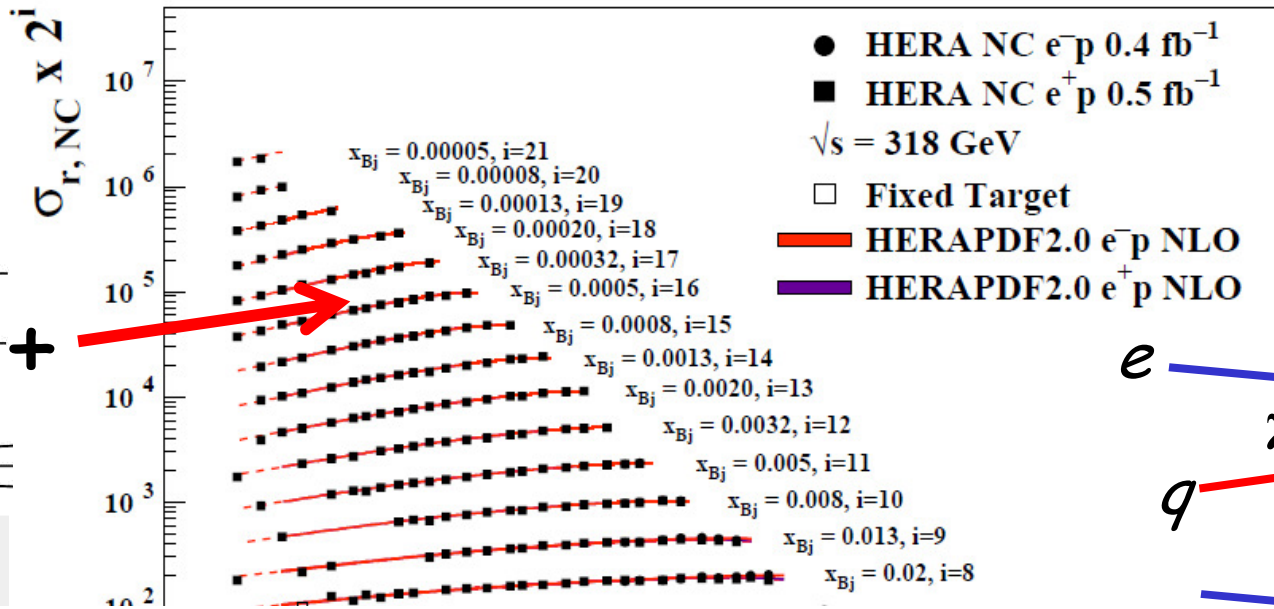
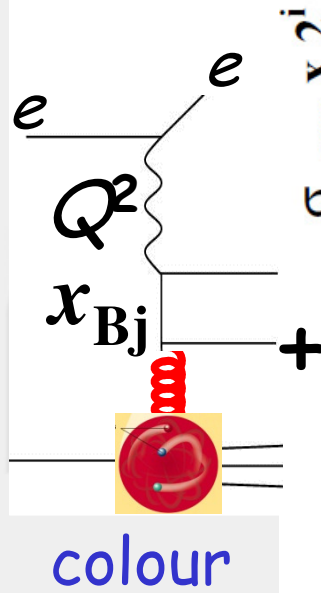
colour driven



valence driven

probe

Constituents with GSW Currents



$$\sigma_{rNC}^{\pm}(x, Q^2) = \frac{Q^4 x}{2\pi\alpha_{em}^2 Y_{\pm}} \frac{d^2\sigma_{rNC}^{e^{\pm}p}}{dx dQ^2} = \tilde{F}_2 - \frac{y^2}{Y_{\pm}} \tilde{F}_L \mp \frac{Y_{\mp}}{Y_{\pm}} x \tilde{F}_3$$

$$\tilde{F}_2 = F_2 - \kappa_Z v_e F_2^{\gamma Z} + \kappa_Z^2 (v_e^2 + a_e^2) F_2^Z$$

$$\tilde{F}_L = F_L - \kappa_Z v_e F_L^{\gamma Z} + \kappa_Z^2 (v_e^2 + a_e^2) F_L^Z$$

$$x \tilde{F}_3 = -\kappa_Z a_e F_3^{\gamma Z} + 2\kappa_Z^2 v_e a_e F_L^Z$$

$$\kappa_Z(Q^2) = \frac{1}{4 \sin^2 \theta_W \cos^2 \theta_W} \frac{Q^2}{Q^2 + M_Z^2}$$

$$y = \frac{\gamma p}{e p} \quad x = \frac{Q^2}{\gamma p} Y_{\pm} = 1 \pm (1 - y)^2$$

$$\tilde{F}_{2,L,3} \leftrightarrow \text{parton density}$$

$$W_{2,L,3}^{\pm}$$

Colour Driven

- precision $\sigma_r^{epNC}(x, Q^2)$: quarks in quantum field
quarks and gluons in chromodynamics

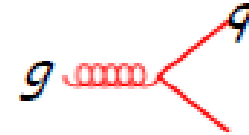
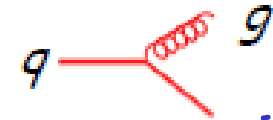
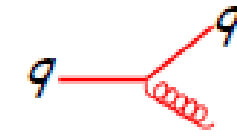
splitting functions

$$P_{qq} = \frac{4}{3} \left[\frac{1+x^2}{(1-x)_+} + \frac{3}{2} \delta(1-x) \right] + o(\alpha_s) \rightarrow \frac{4}{3} \frac{dx}{dt}$$

$$P_{gq} = \frac{4}{3} \frac{1+(1-x)^2}{x} + o(\alpha_s) \rightarrow \frac{4}{3} \frac{dx}{x} \frac{dt}{t}$$

$$P_{qg} = \frac{1}{2} [x^2 + (1-x)^2] + o(\alpha_s) \rightarrow \frac{1}{2} \frac{dx}{dt}$$

$$P_{gg} = 6 \left[\frac{x}{(1-x)_+} + \frac{1-x}{x} + x(1-x) \right] + \frac{33-2n_f}{6} \delta(1-x) + o(\alpha_s) \rightarrow 6 \frac{dx}{x} \frac{dt}{t}$$



g → g dominates

$$x = \frac{\text{parent}_\mu \cdot \text{reference}^\mu}{\text{daughter}_\mu \cdot \text{reference}^\mu}$$

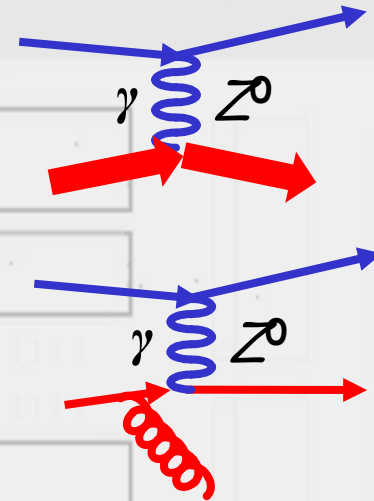
- parton densities $f_{p \rightarrow q, g}(x, Q^2) \propto (\ln Q^2 + \dots)_x$

Valence Driven

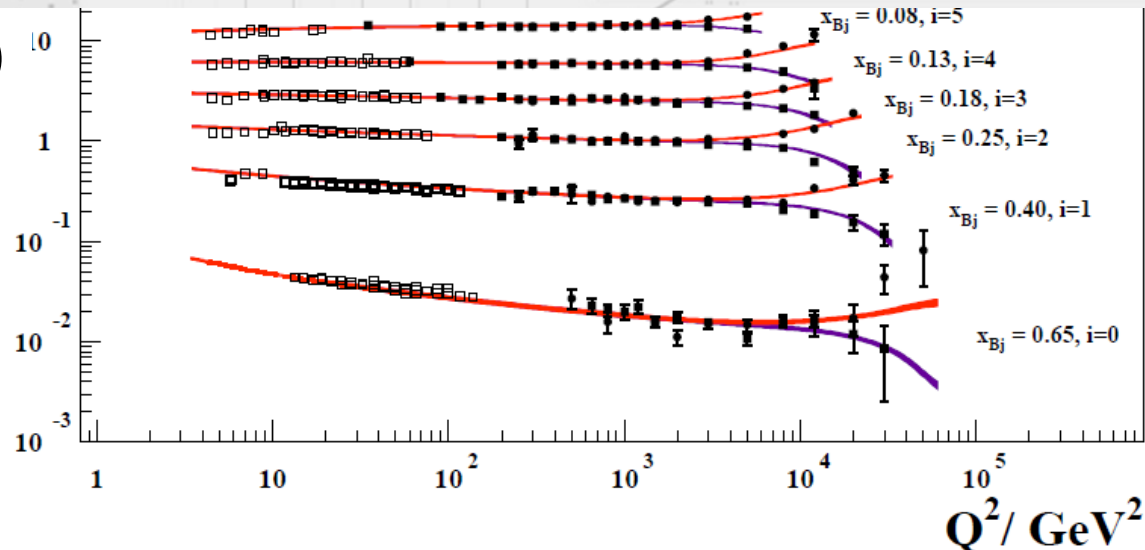
- precision $\sigma_r^{epNC}(x, Q^2)$ at larger x :

low Q^2 : valence q presence,
but not structure, resolved

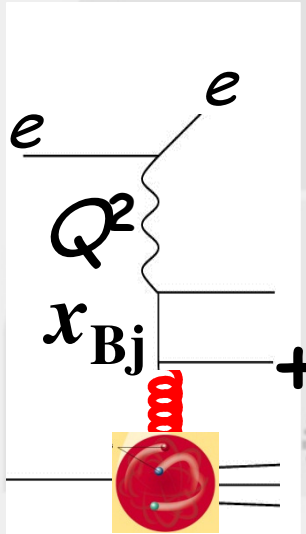
larger Q^2 :
valence q "field structure" resolved,
therefore "struck q " at lower x



$$\sigma_r^{epNC}(x, Q^2)$$

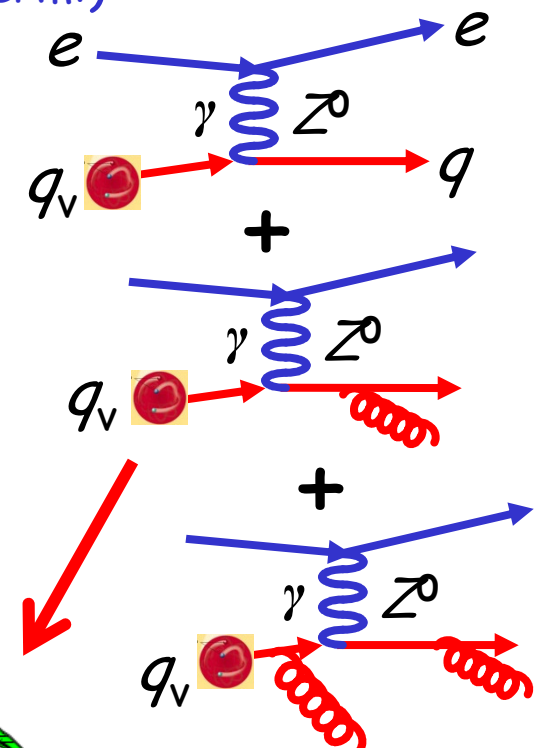
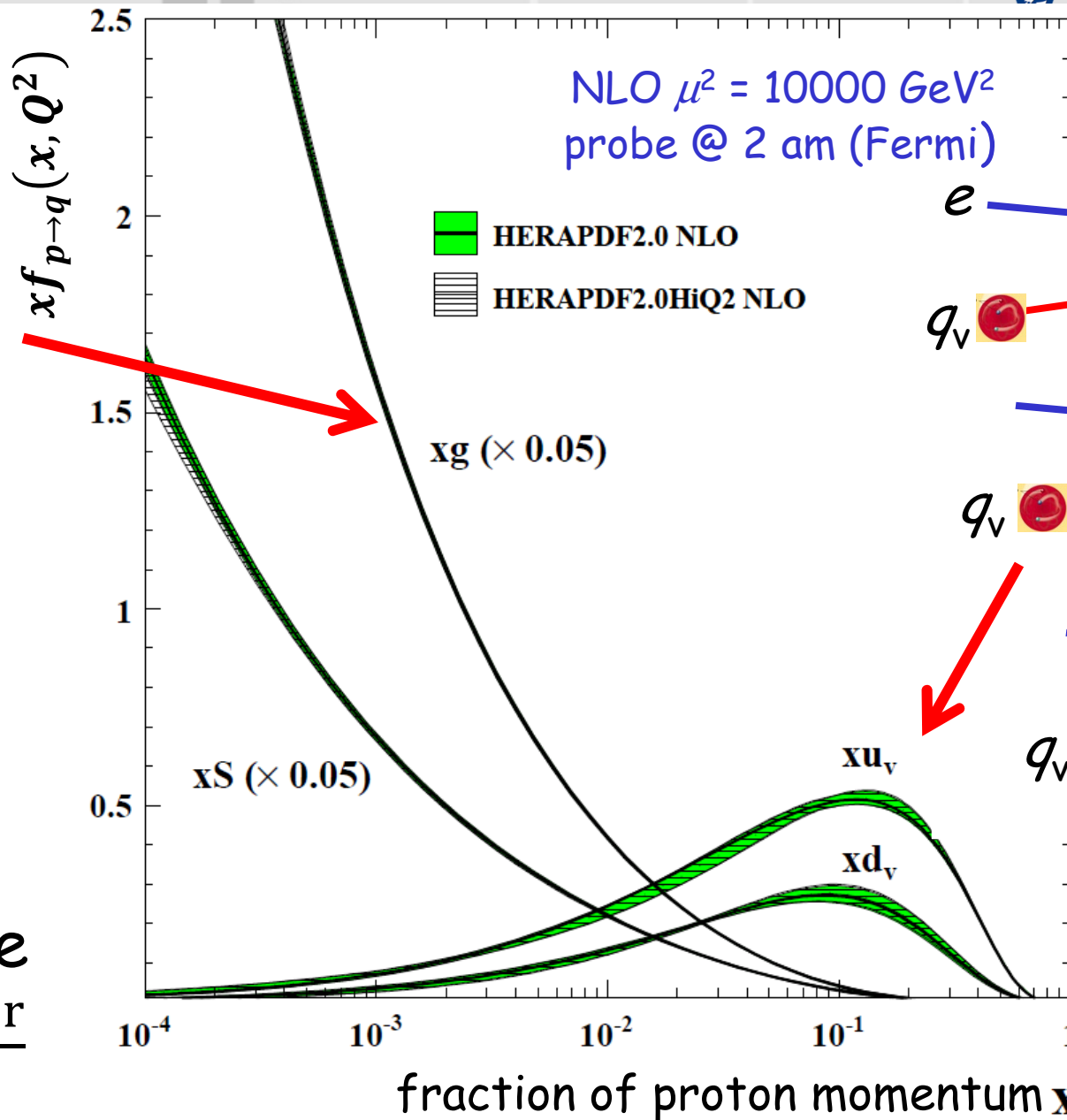


Constituents with Currents



colour driven

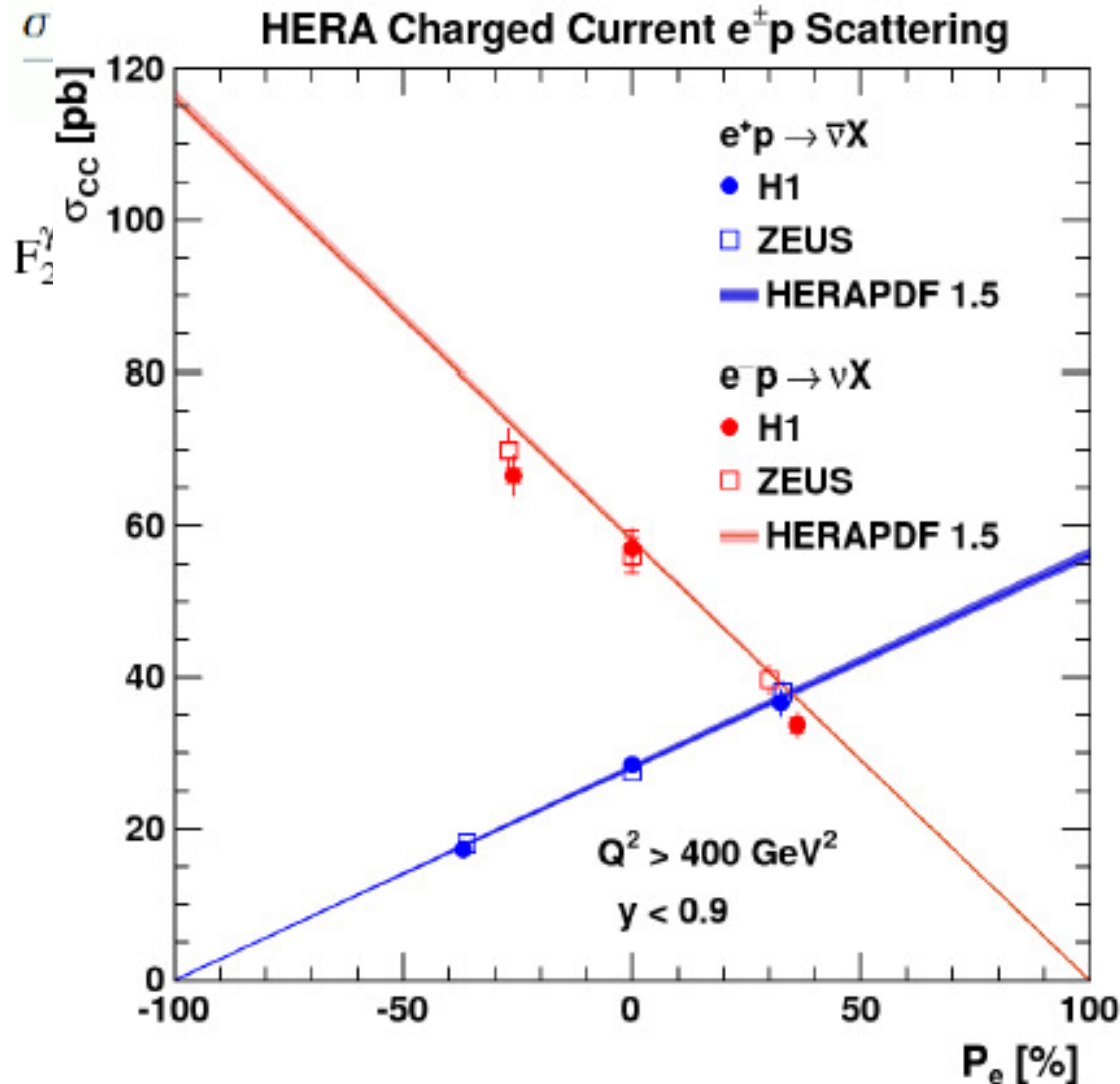
proton structure
@ $\frac{\text{diameter}}{1000}$



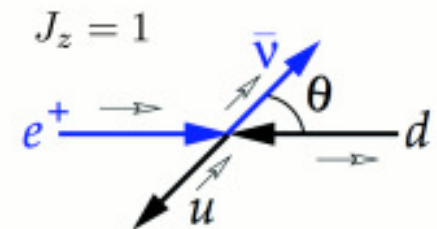
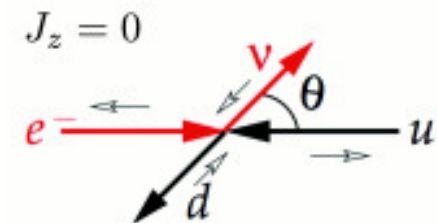
valence driven

GSW Current \rightarrow Proton Anti-matter

- in ep interaction chirality probes anti-matter in p

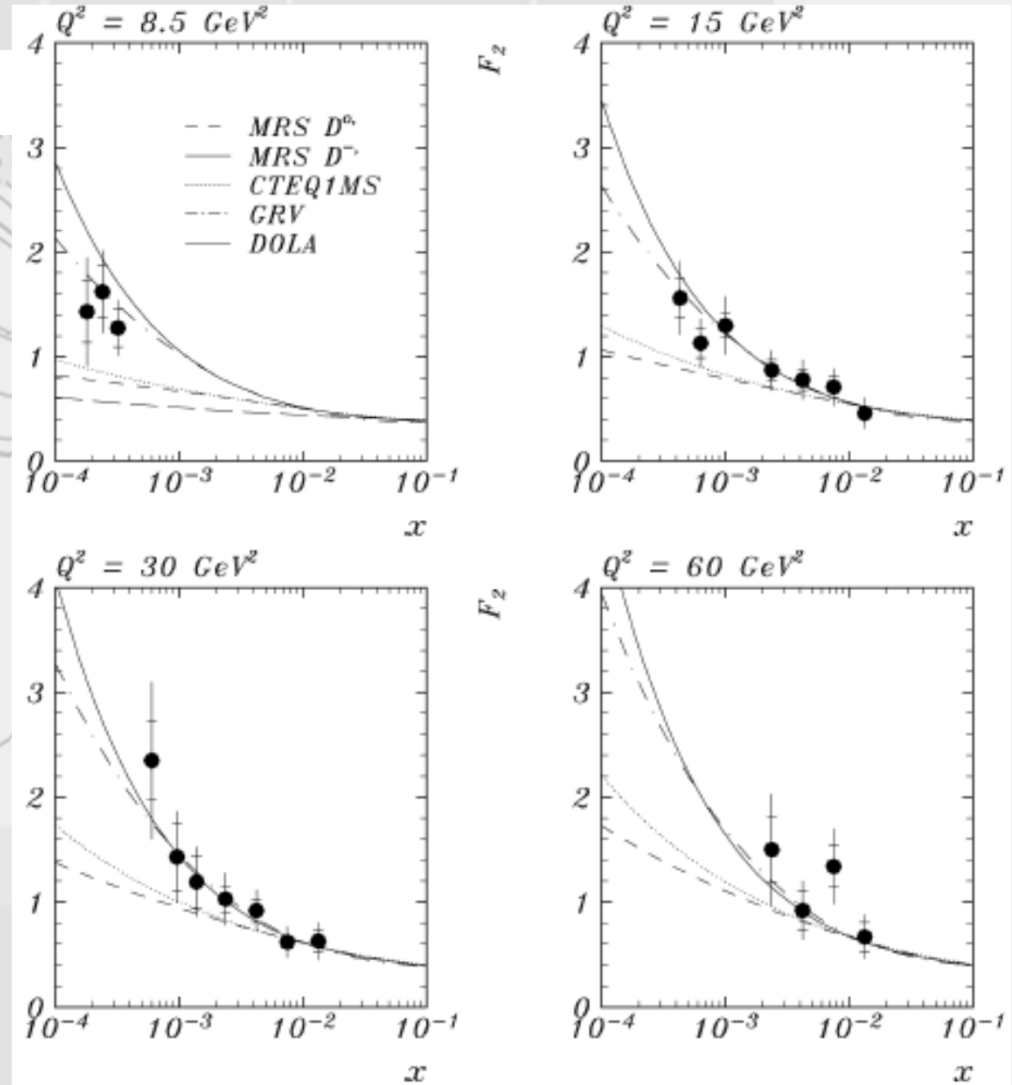
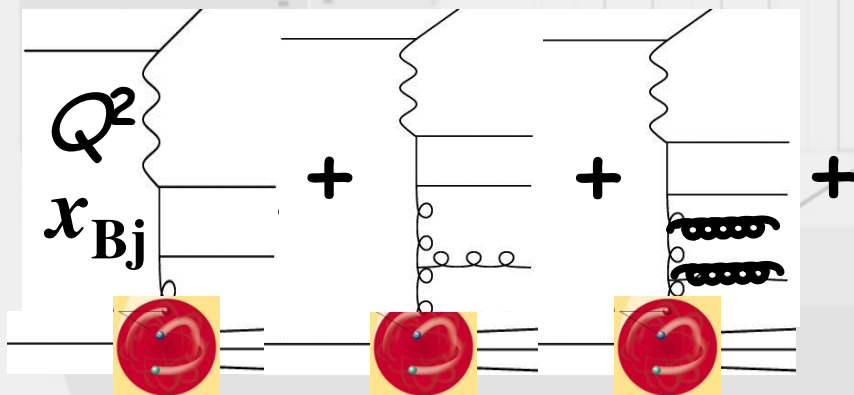


- Chiral structure of EW interactions probed
- No sign for right-handed currents



Colour Field Constituents

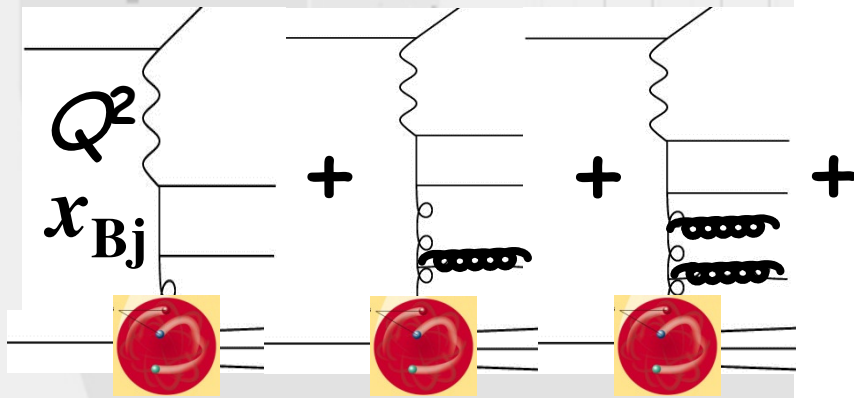
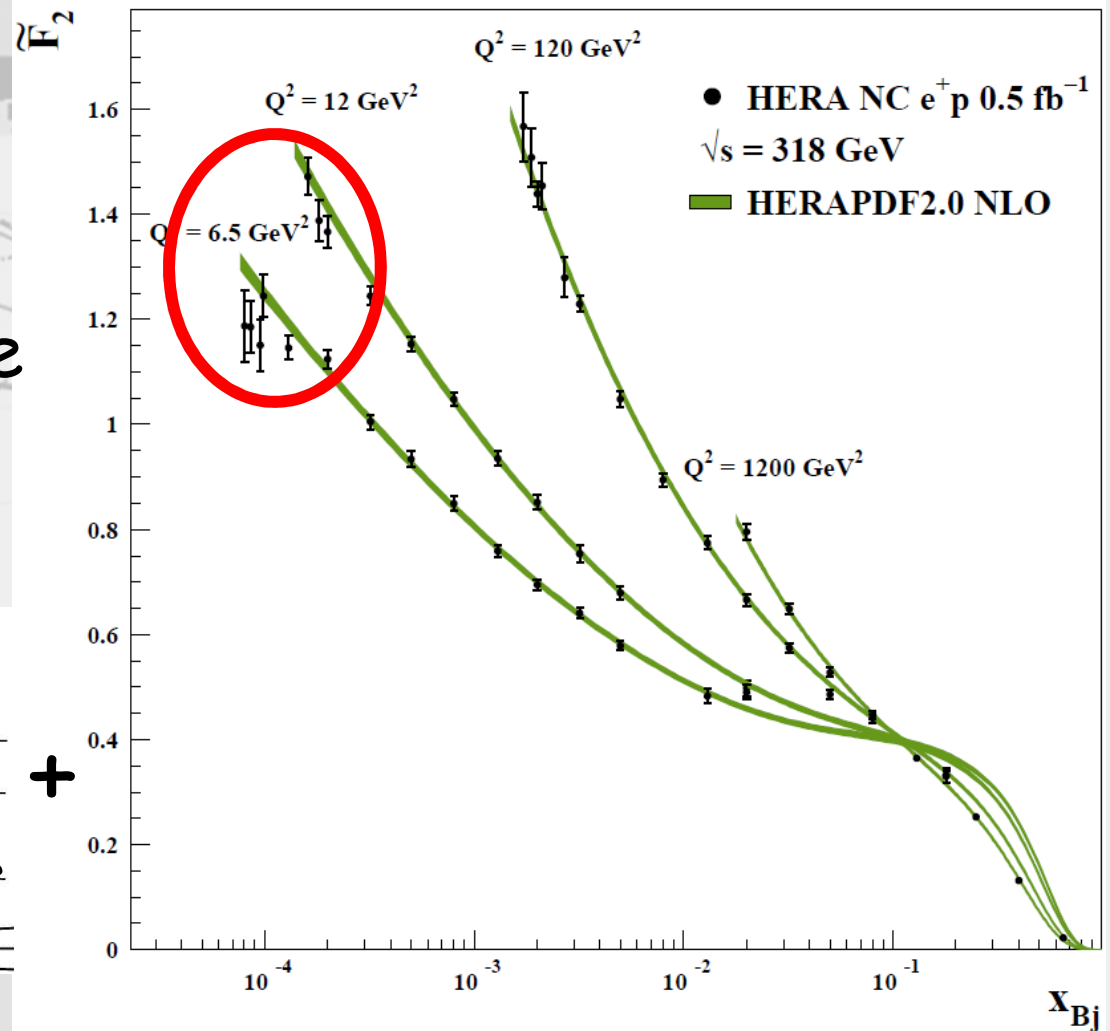
- 1993: rise to low x of proton structure function F_2
 - now: the gauge field theory QCD (gluons) is proton structure



↳ discovery: **we** are (>99%) chromodynamic energy

Colour Conundrum

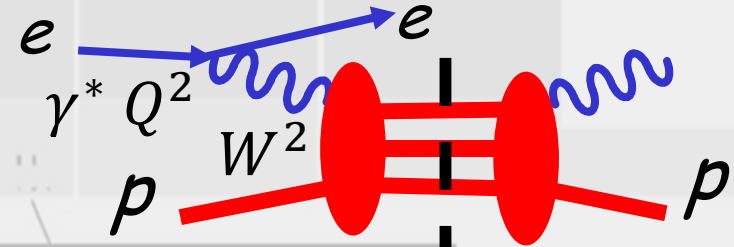
- relentless rise to low x of structure function F_2 ?
- colour gauge field **is** proton structure
- **we** are the colour gauge field



↳ discovery: $g \rightarrow gg \rightarrow ggg \dots$ but : $\ln \frac{1}{x}$?

Multi-gluons in F_2 at low- x

- data $ep \rightarrow eX$ and $\gamma^* p \rightarrow X$



- total cross-section

$$\sigma_{\gamma^* p \rightarrow X}(Q^2, W^2) \xrightarrow[\text{low } x_{Bj}]{\text{large } W^2} \frac{4\pi^2 \alpha_{em}}{Q^2} F_2(Q^2, x_{Bj})$$

$$\sigma_{\gamma^* p \rightarrow X}(Q^2, W^2) \xrightarrow[\text{theorem}]{\text{optical}} \frac{1}{W^2 + Q^2} \text{Im } A_{\gamma^* p \rightarrow \gamma^* p}(Q^2, W^2, t=0)$$

$$\propto \frac{1}{W^2 + Q^2} (W^2 + Q^2)^{1+\lambda(t=0)}$$

↪ proton structure function

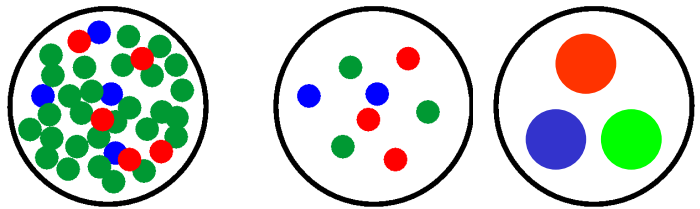
Regge asymptotic ↔
Lipatov multi-gluons

$$F_2(Q^2, x)_{\text{low } x} \propto \left[\left(\frac{1}{x} \right)^\lambda \right]_{Q^2} \sim \left[\left(\frac{W^2}{Q^2} \right)^\lambda \propto \sigma_{\text{tot}}^{\gamma^* p}(\sim W^2) \right]_{Q^2} \quad x = \frac{Q^2}{\gamma \cdot p} = \frac{Q^2}{W^2 + Q^2}$$

↪ "Regge intercept" $1 + \lambda$ from $[F_2(Q^2, x)]_{Q^2}$

Colour Conundrum

- F_2 @ low x
 - saturation in $F_2 \propto x^{-\lambda}$?

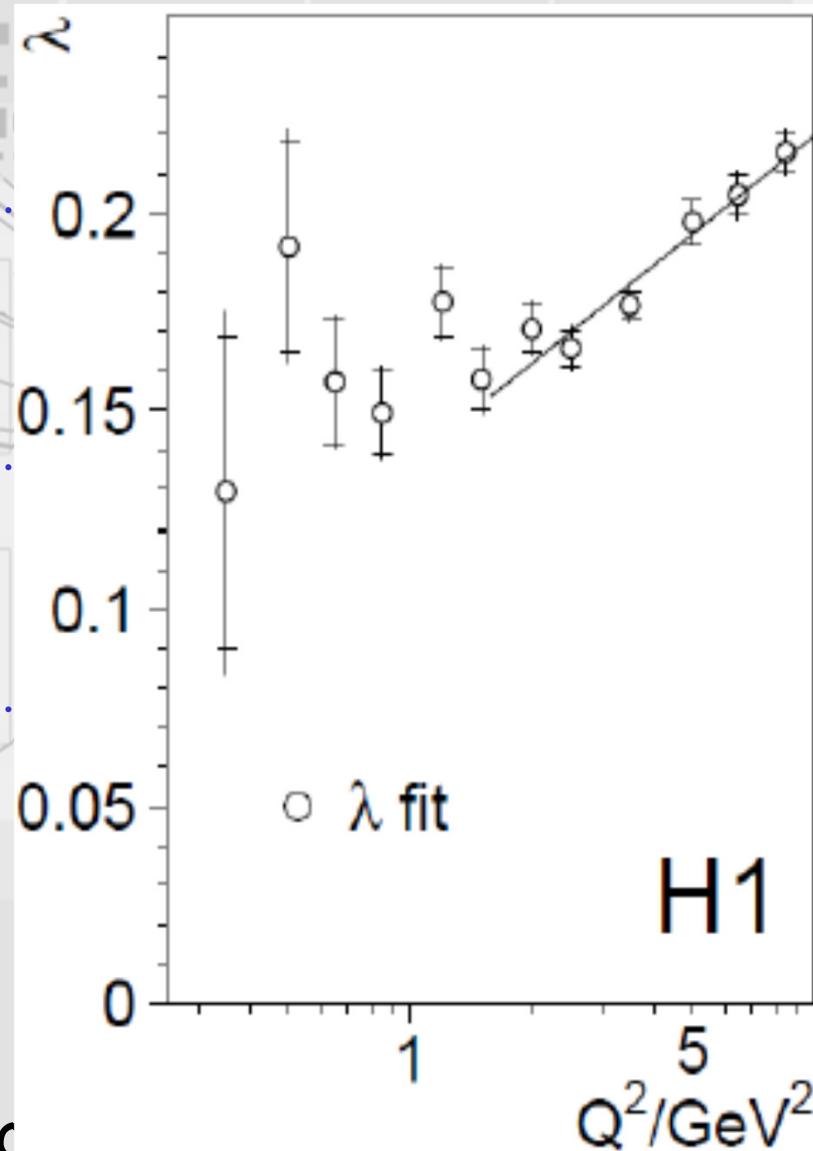


lower x higher x

$$\lambda = -(\partial \ln F_2 / \partial \ln x)_{Q^2}$$

smaller λ larger ?

- experiment \rightarrow observation in measurements?
- unitarity in colour field

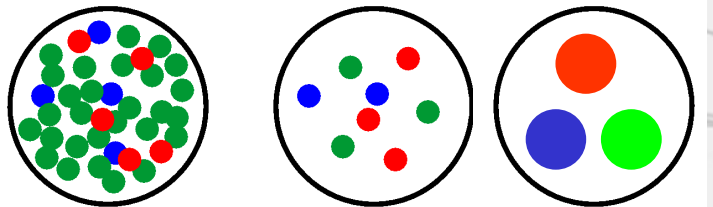


?

H1

Colour Conundrum

- F_2 @ low x
- saturation in $F_2 \propto x^{-\lambda}$?

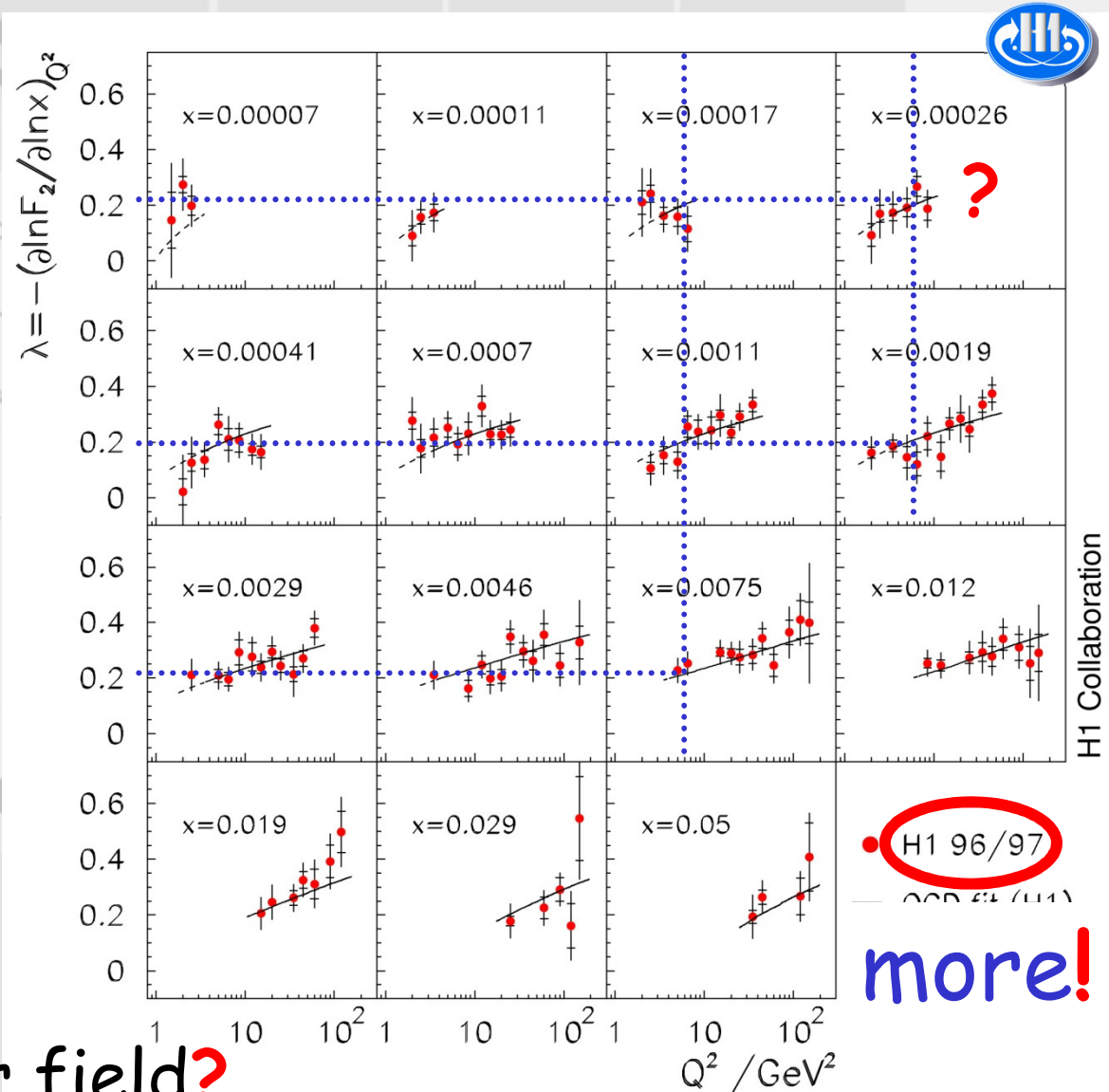


lower x higher x

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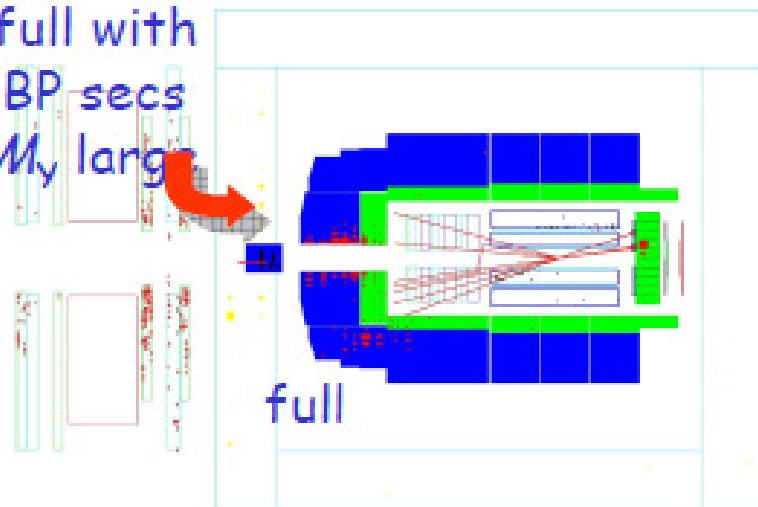
Colour Dynamics

- experiment $ep \rightarrow eXY$ with $Q^{-1} < 50$ am
- p isolated in rapidity
- forward hadrons $M_Y^2 < 2.5 \text{ GeV}^2$ isolated in rapidity

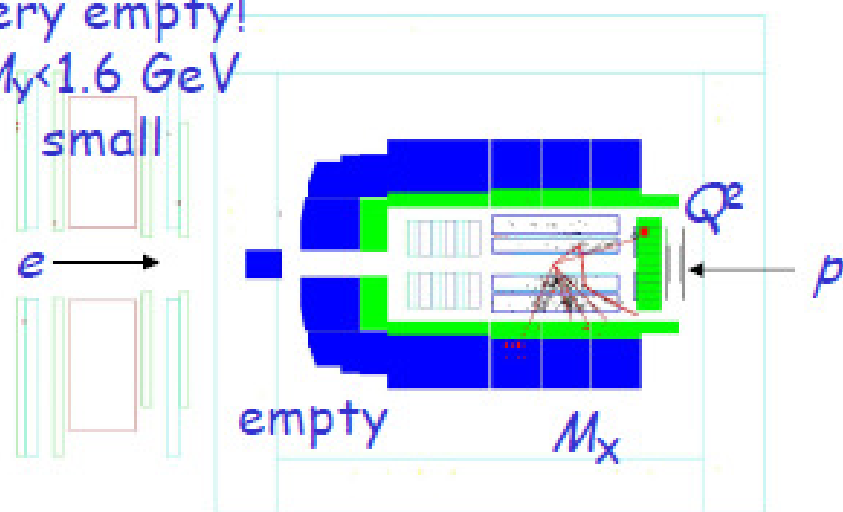
} gap →

precisely defined x-section

full with
BP secs
 M_Y large



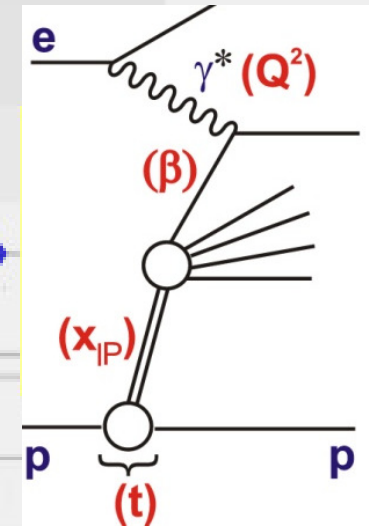
very empty!
 $M_Y < 1.6 \text{ GeV}$
small



• unquestionably dramatic: void ← 920 GeV proton

Colour Dynamics

- experiment $ep \rightarrow eXY$ with $Q^{-1} < 50$ am
 - p isolated in rapidity
 - forward hadrons $M_Y^2 < 2.5 \text{ GeV}^2$ } gap → isolated in rapidity
- ↳ probe hadronic interaction



full with
BP secs
 M_Y large



very empty!
 $M_Y < 1.6 \text{ GeV}$
small

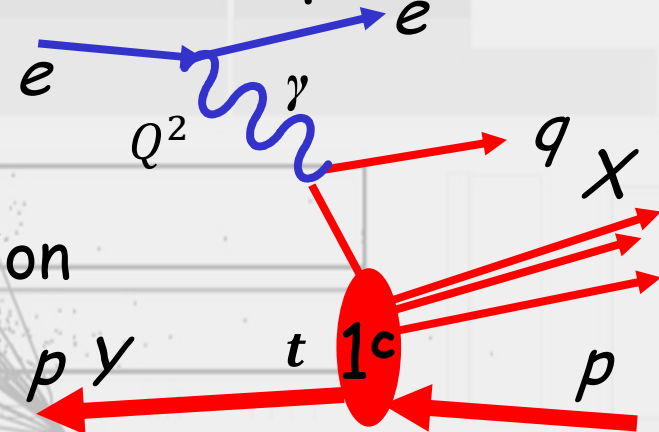


• unquestionably dramatic: void ← 920 GeV proton

Experiment

- high energy for precision "Rutherford" probe
- deep ($Q^2 \gg m_p^2$)
inelastic ($s \gg m_p^2$)
- $ep \rightarrow e + X + p$
- space-like factorisation

q from
hadronic
interaction




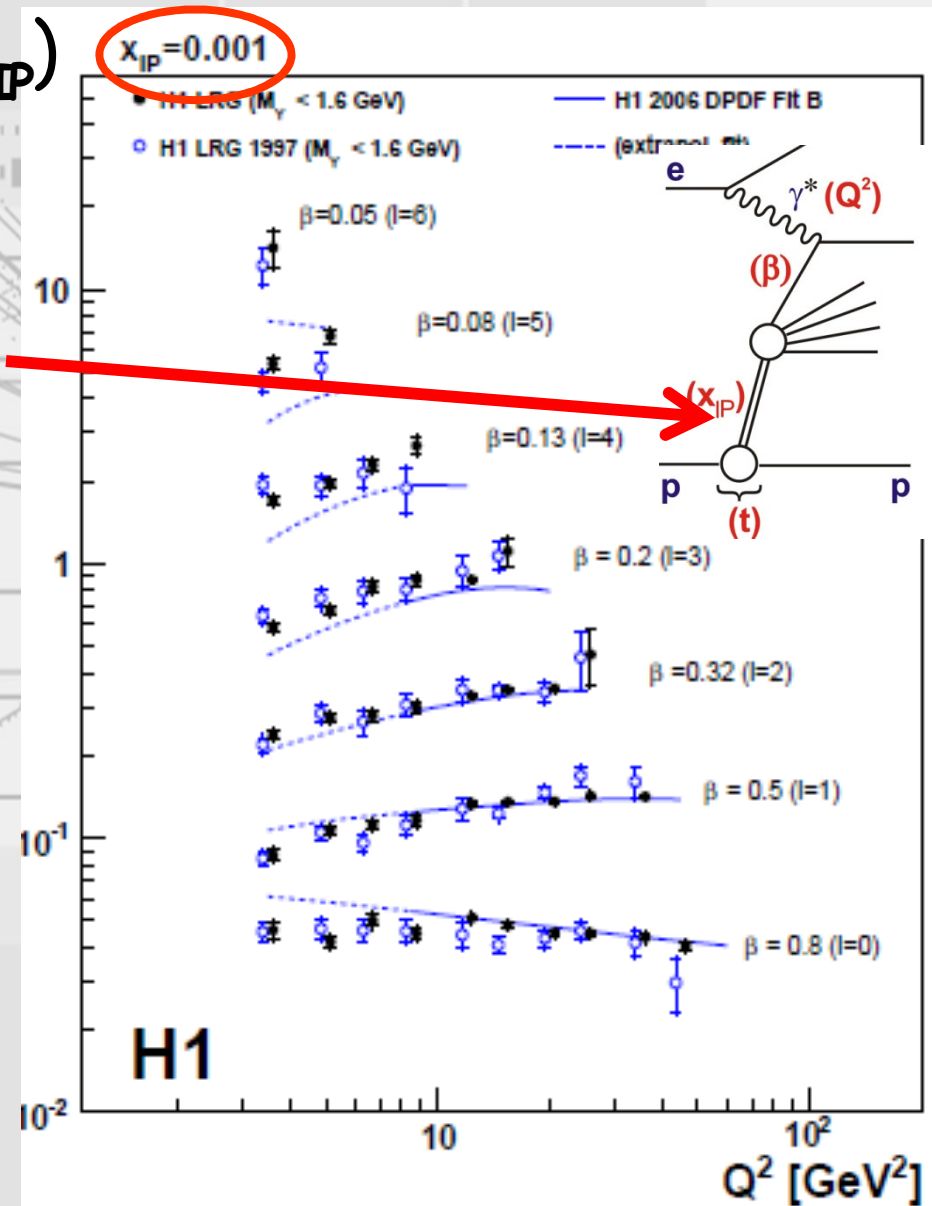
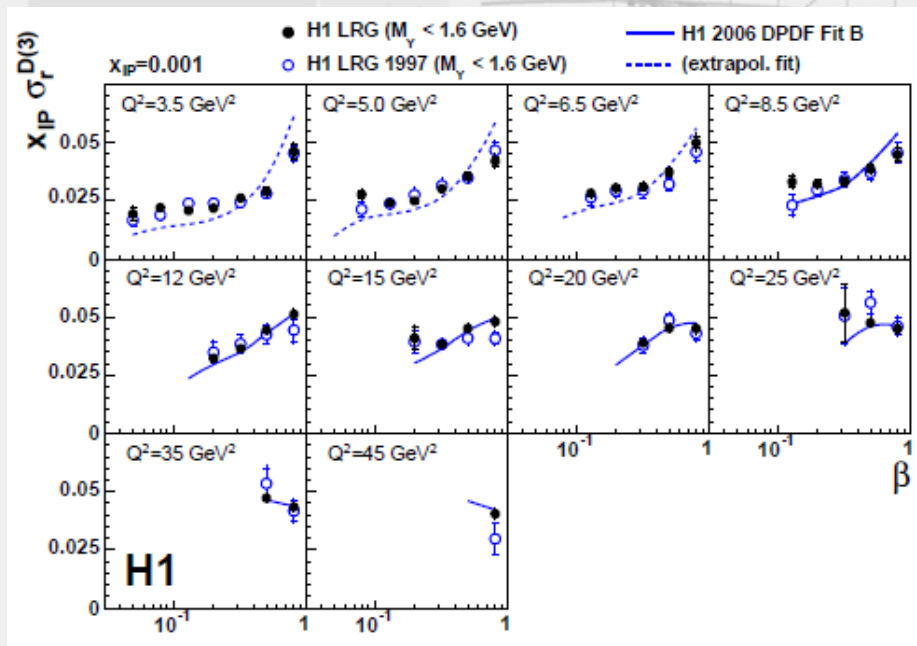
$$\sigma_r^{D(4)}(\beta, x_{IP}, t, Q^2) = \frac{Q^4 \beta}{2\pi\alpha_{em}^2 Y_+} \frac{d^2 \sigma_r^{D(4)}}{d\beta dx_{IP} dt dQ^2} = F_2^{D(4)} - \frac{y^2}{Y_+} F_L^{D(4)}$$

$F_2^{D(4)} \leftrightarrow$ diffractive parton density

- structure of high energy proton interaction
= QCD composition of inter-nucleon force
- remnant in beam-pipe \rightarrow rapidity gap

Colour Interaction Dynamics

- x-section $x_{IP} \sigma_r \sim F_2(\beta, Q^2, x_{IP})$
- scaling violations \rightarrow
 $1_f(q_s)$ QCD evolution
- β dep^c $\rightarrow g \rightarrow q\bar{q}$ 



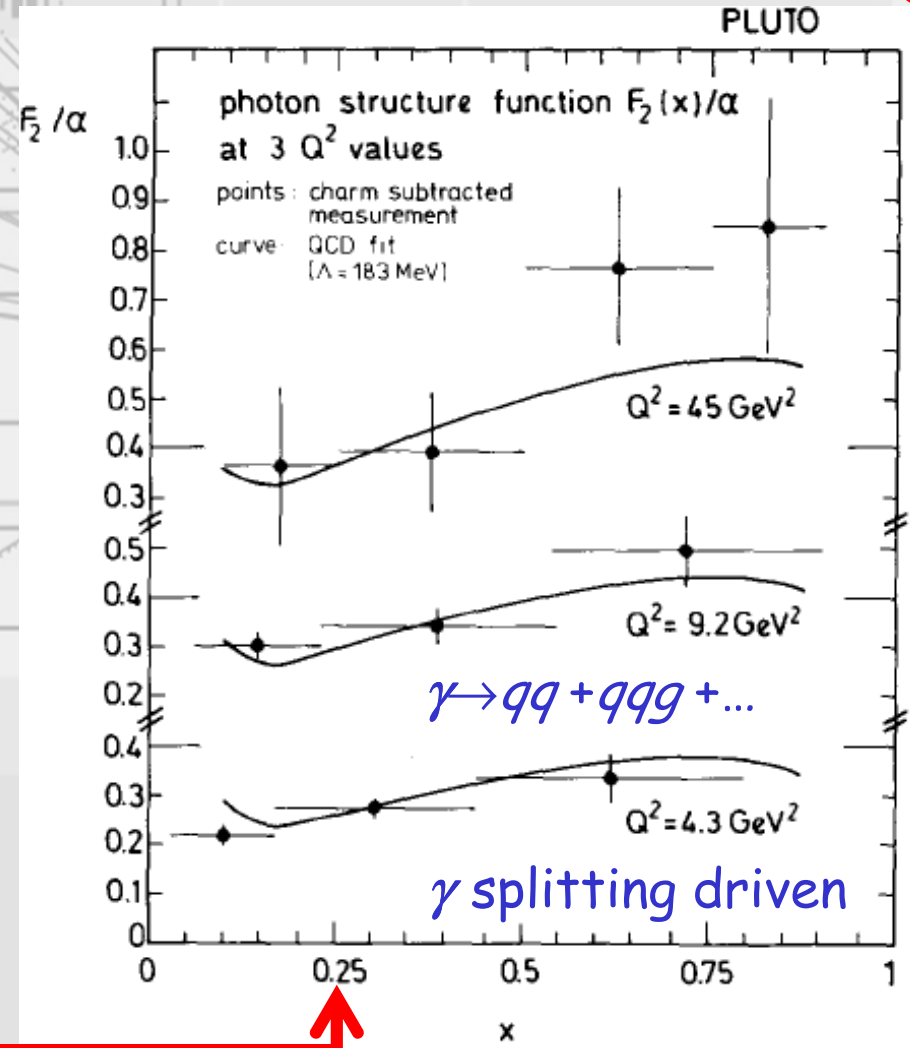
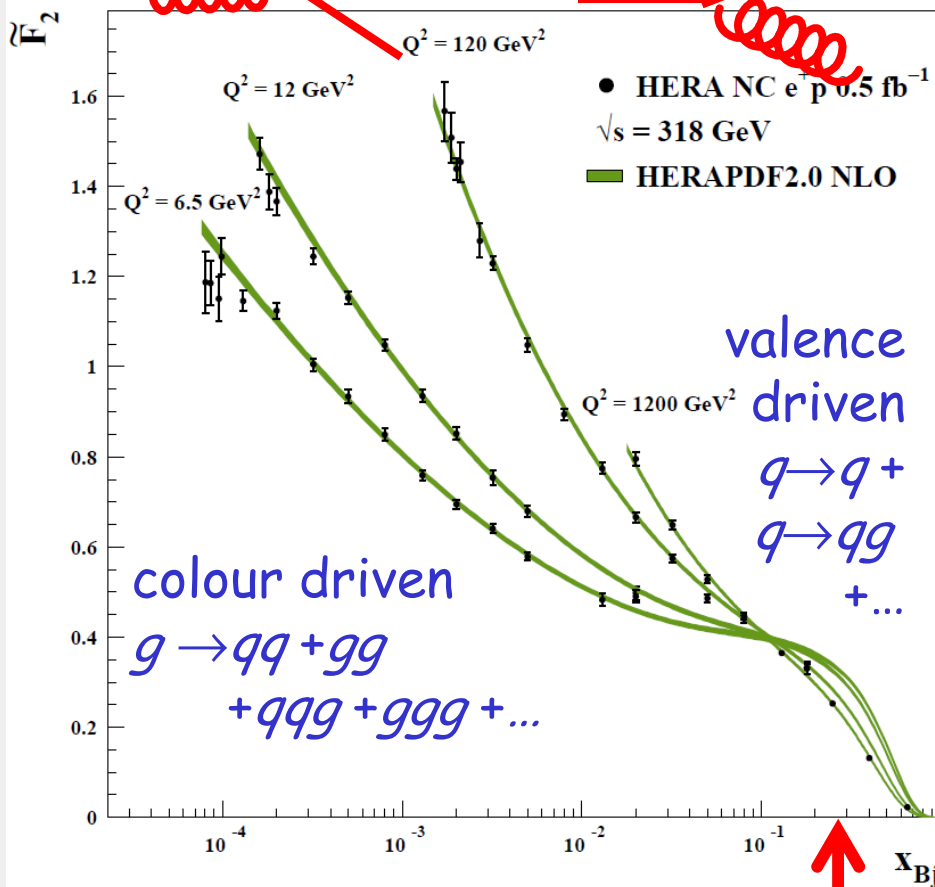
Hadronic Structure



- structure function $F_2(x, Q^2)$
- QCD and hadron

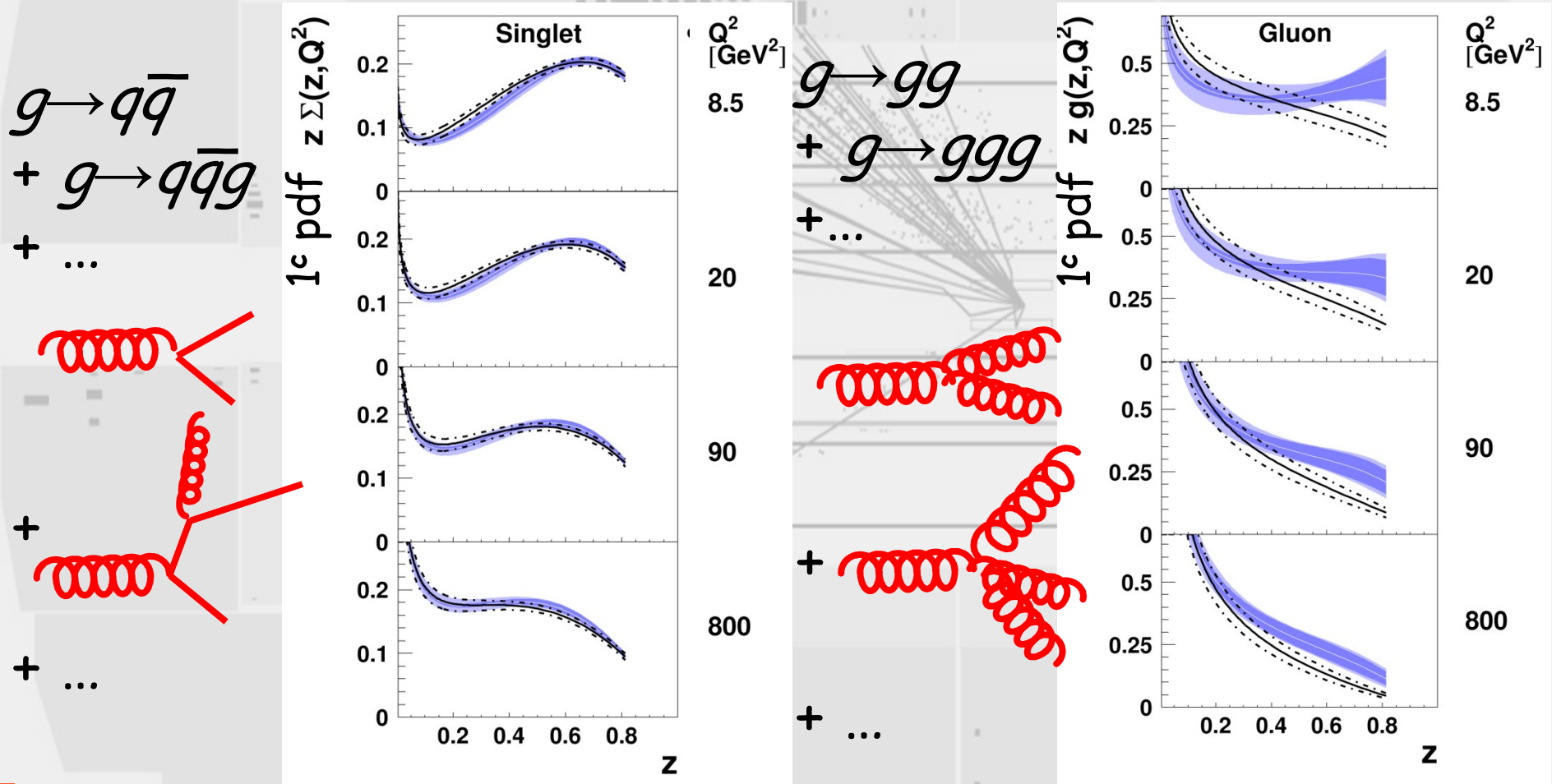
QFD field + QCD
"γ-splitting"

"g-splitting" "q-splitting"



1_c Interaction Dynamics

- the colour dynamics of the nucleon interaction
 - NLO \rightarrow 1_c colour singlet inelastic q interaction



\hookrightarrow internucleon interaction = gluons = $\frac{\text{gluon splitting}}{\text{quark splitting}} = \frac{9}{4}$ LO

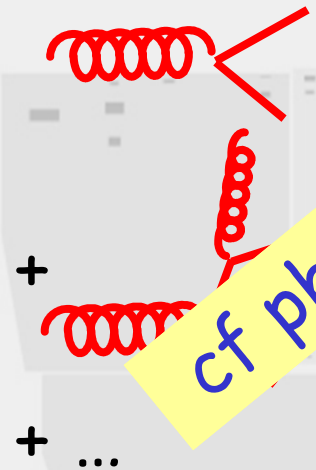
1_c Interaction Dynamics

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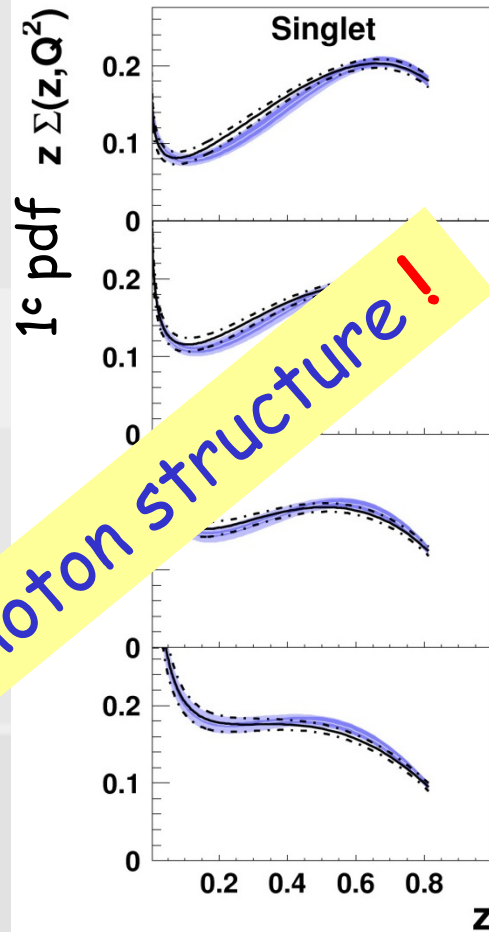
$$g \rightarrow q\bar{q}$$

$$+ g \rightarrow q\bar{q}g$$

$$+ \dots$$



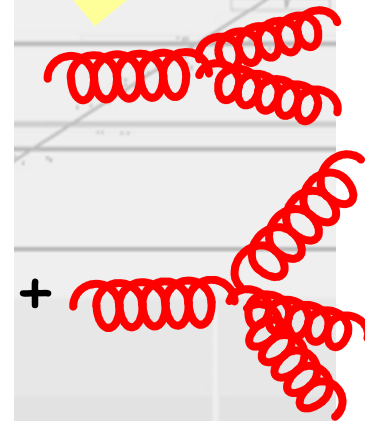
cf photon structure!



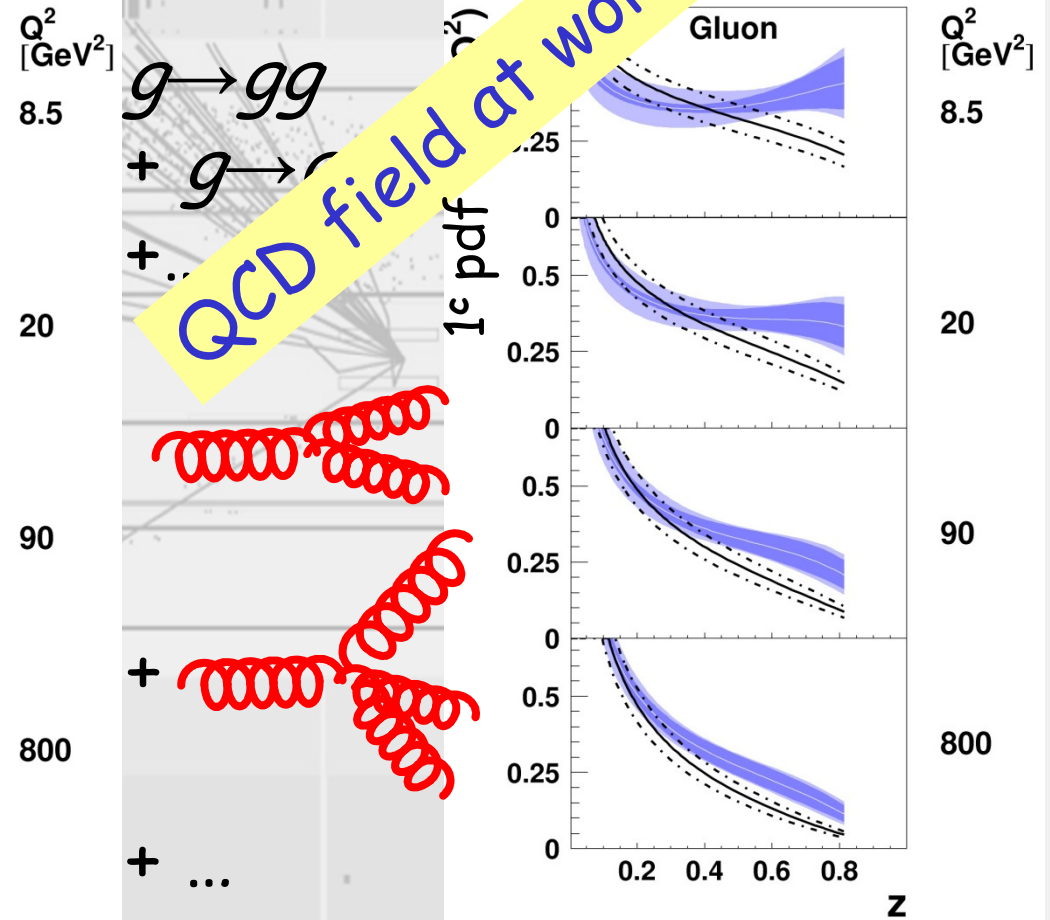
$$g \rightarrow gg$$

$$+ g \rightarrow q\bar{q}g$$

$$+ \dots$$



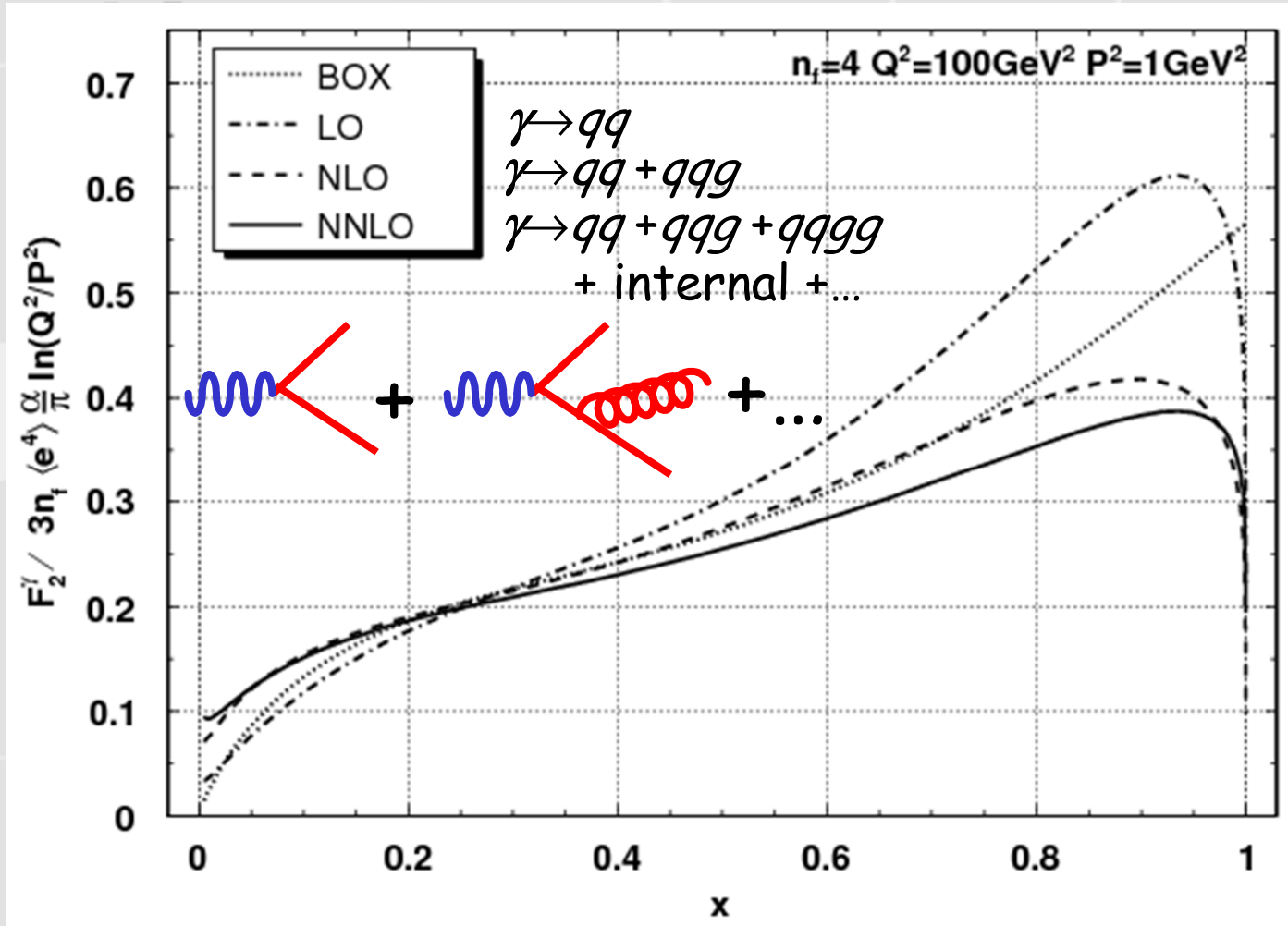
QCD field at work with itself



internucleon interaction = gluons = $\frac{\text{gluon splitting}}{\text{quark splitting}} = \frac{9}{4}$ LO

1_c Interaction Dynamics

- photon structure function $F_2(x, Q^2)$

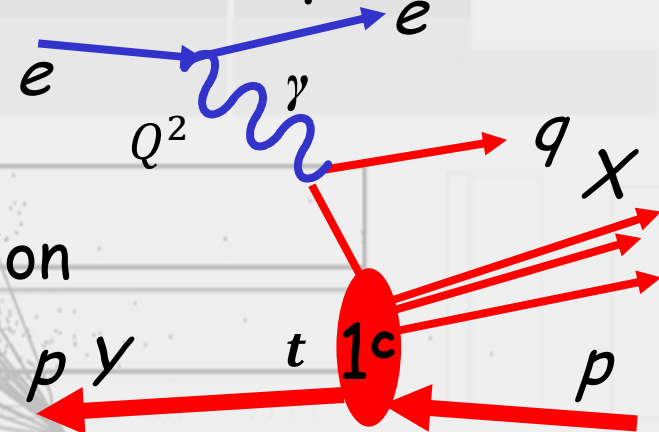


↪ QFD+QCD structure = gauge-invariant vector field

1_c Interaction Dynamics

- high energy for precision "Rutherford" probe
- deep ($Q^2 \gg m_p^2$)
inelastic ($s \gg m_p^2$)
- $ep \rightarrow e + X + p$
- space-like factorisation

q from
hadronic
interaction



$$\sigma_r^{D(4)}(\beta, x_{IP}, t, Q^2) = \frac{Q^4 \beta}{2\pi\alpha_{em}^2 Y_+} \frac{d^2 \sigma_r^{D(4)}}{d\beta dx_{IP} dt dQ^2} = F_2^{D(4)} - \frac{y^2}{Y_+} F_L^{D(4)}$$

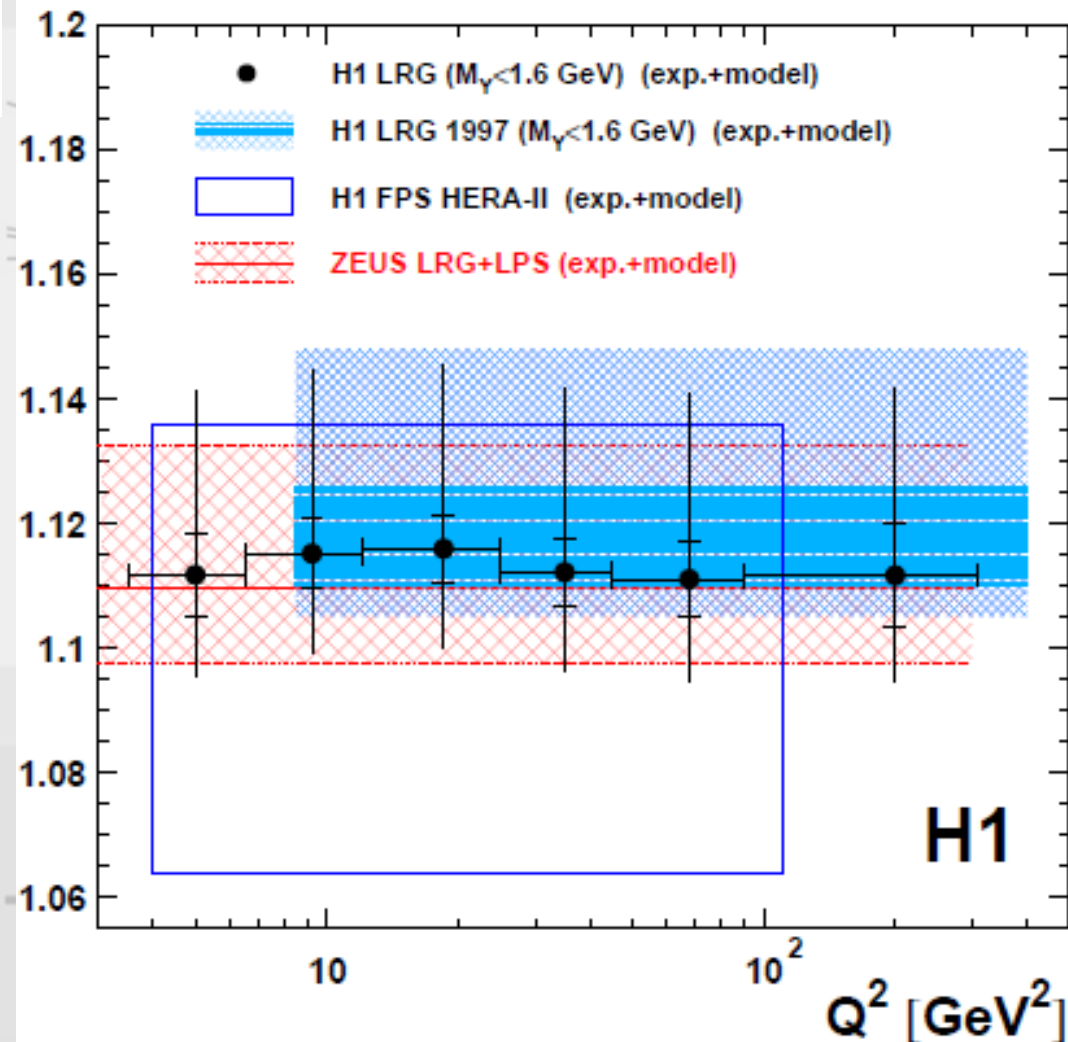
$$\langle \sigma_r^{D(3)}(\beta, x_{IP}, Q^2) \rangle_\beta \propto \left\langle \left(\frac{1}{x} \right)^{\lambda(Q^2)} \right\rangle_\beta$$

- structure of high energy proton interaction
= QCD composition of inter-nucleon force
- multi-gluon exchange ?

1_c Interaction Dynamics

- 1_c dynamics \equiv multi-gluons \sim 8_c dynamics \equiv Lipatov

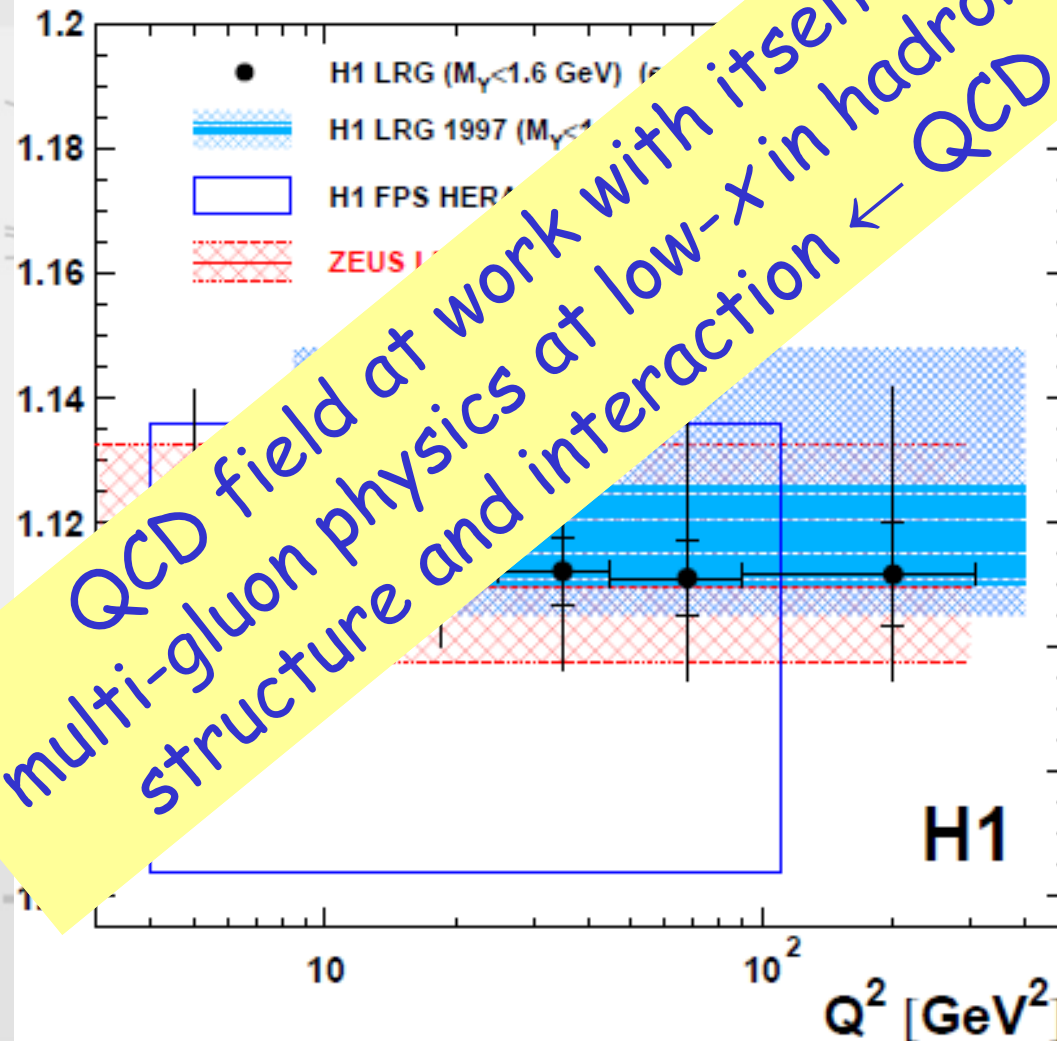
$$\langle 1 + \lambda(Q^2) \rangle_\beta$$



1_c Interaction Dynamics

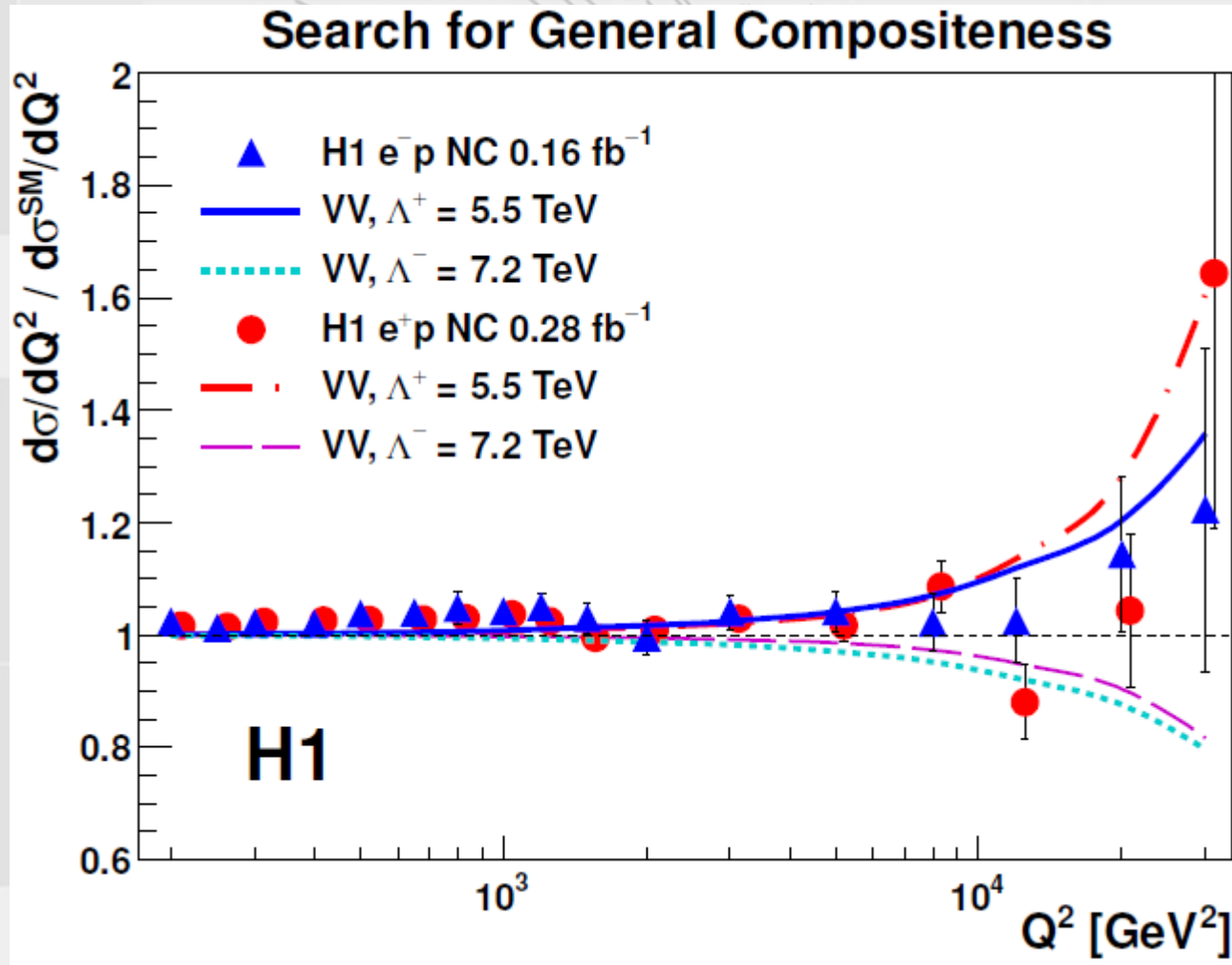
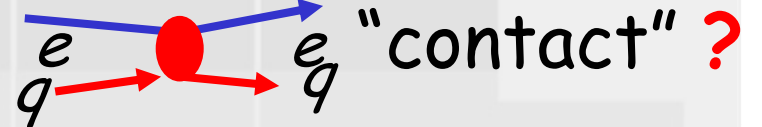
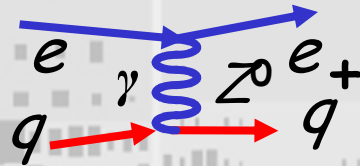
- 1_c dynamics \equiv multi-gluons $\sim 8_c$ dynamics \equiv Lipatov

$$\langle 1 + \lambda(Q^2) \rangle_\beta$$



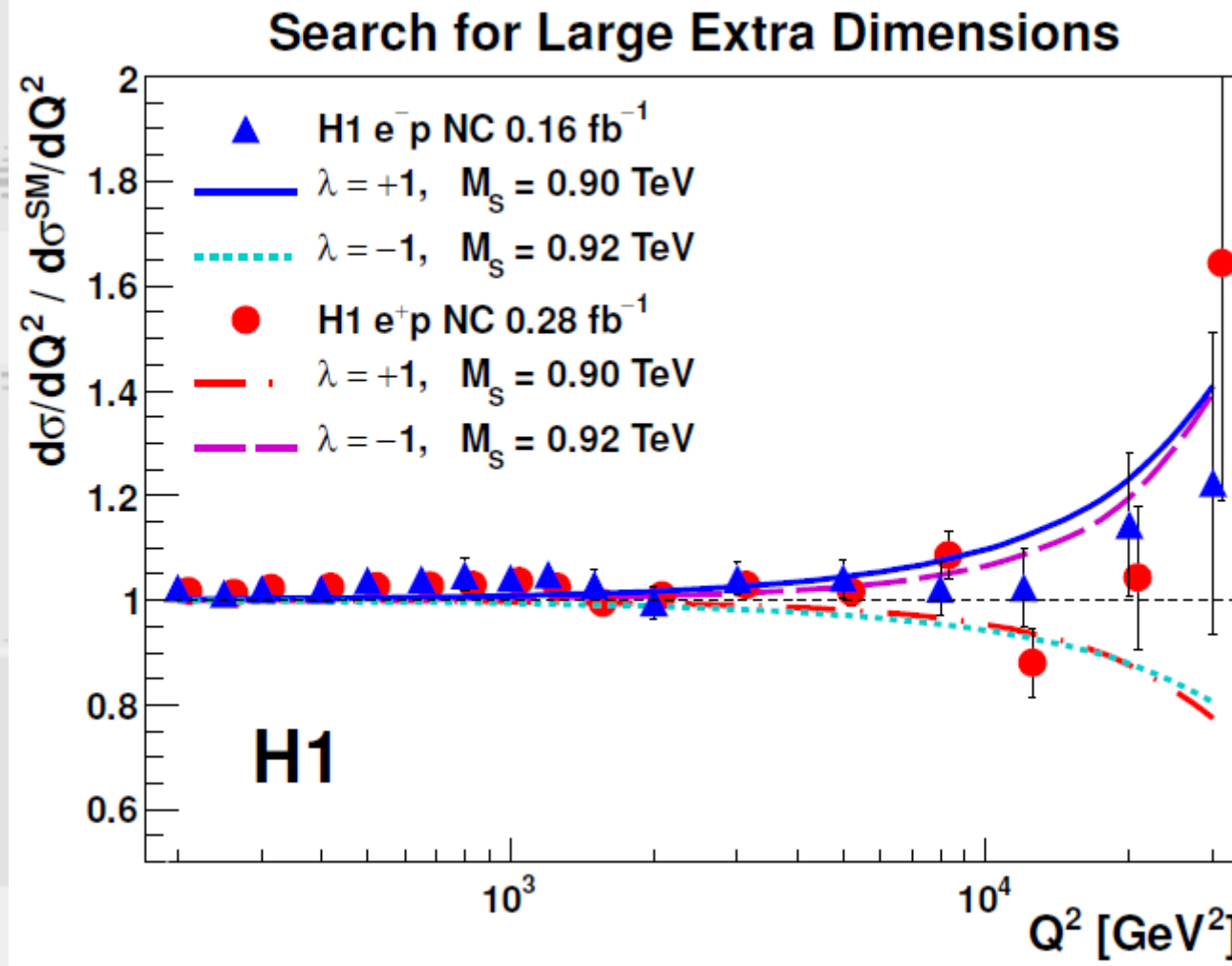
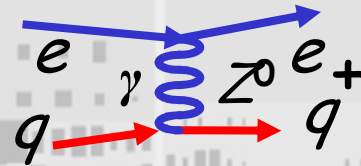
Shortest Distance

- beyond Dirac quark



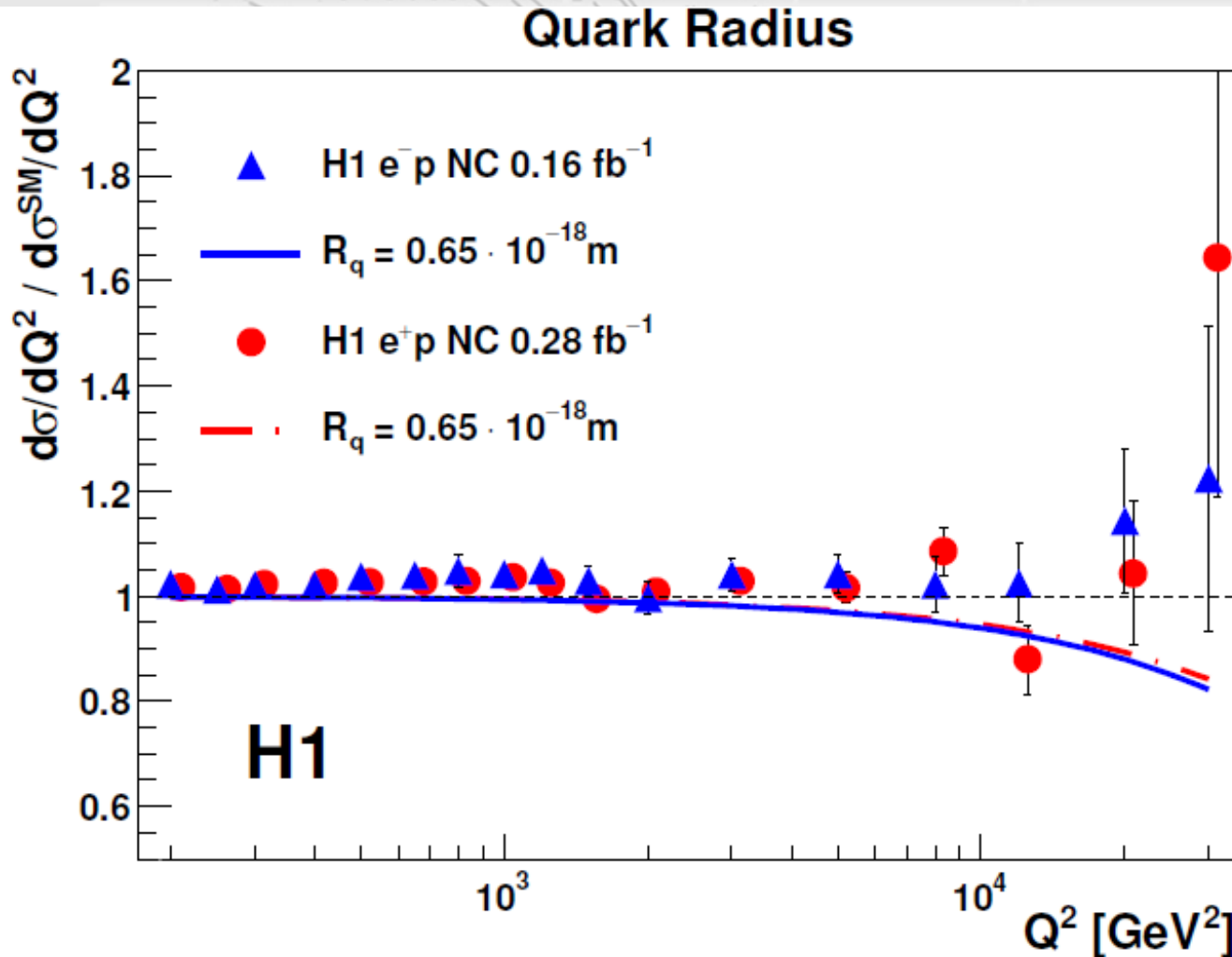
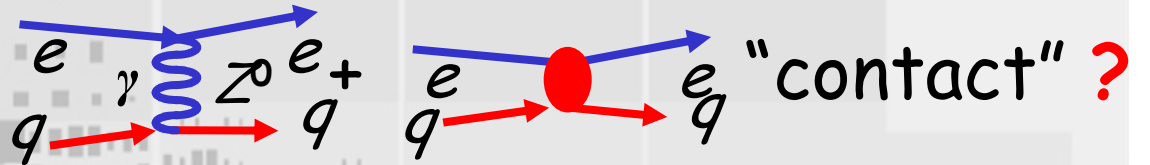
Shortest Distance

- beyond Dirac quark



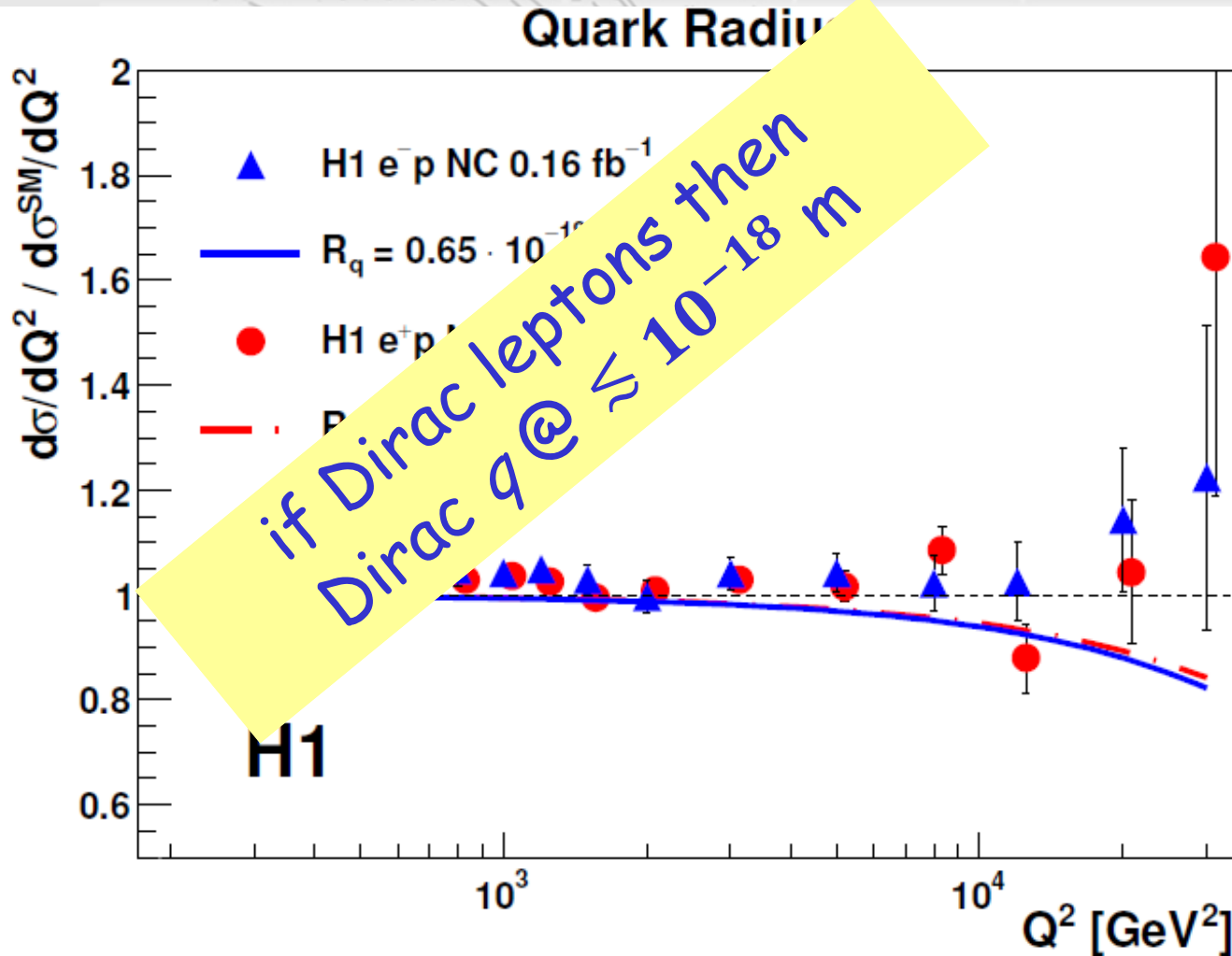
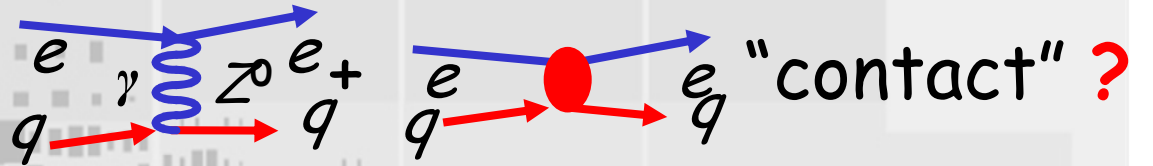
Shortest Distance

- beyond Dirac quark



Shortest Distance

- beyond Dirac quark



Landmarks

- discoveries reveal the landscape
- measurement defines the landmarks

“(The) history of science has shown that even during that phase of her progress in which she devotes herself to improving the accuracy of the numerical measurements of quantities long familiar, she is preparing the materials for the subjection of new regions, which would have remained unknown if she had been contented with the rough methods of her earlier pioneers.”

James Clerk Maxwell

- landmarks signpost and define new discoveries
- paradigm hitherto:
constituents, currents and colour

3. Outlook

With today's Paradigm ?

- example: why leptons and quarks ?

THE UNCONFINED QUARKS AND GLUONS

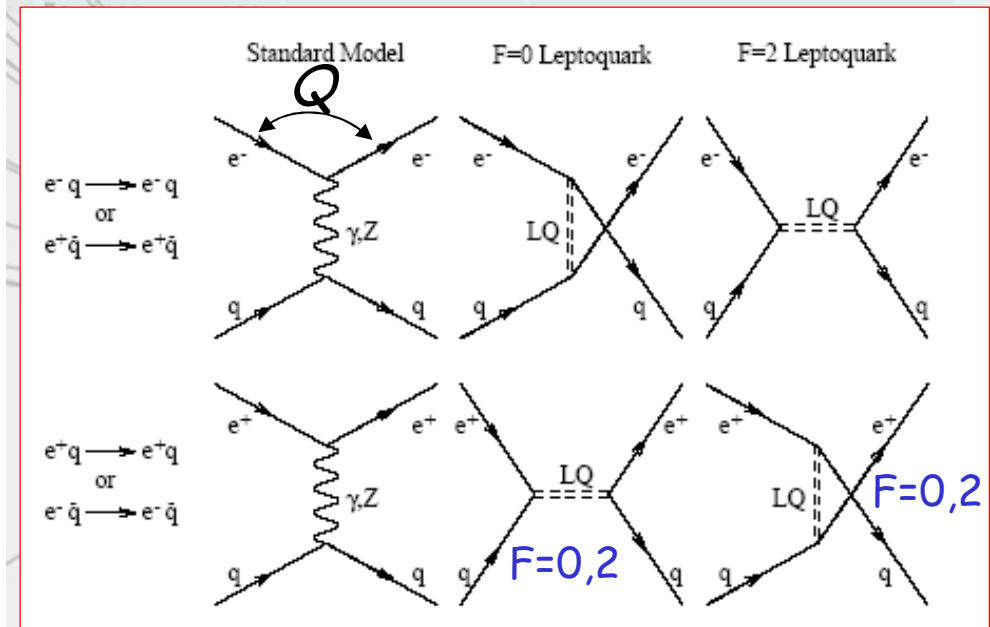
Abdus Salam

International Centre for Theoretical Physics,
Trieste, Italy and Imperial College, London,
England

1. Introduction

Leptons and hadrons share equally three of the basic forces of nature: electromagnetic, weak and gravitational. The only force which is supposed to distinguish between them is strong. Could it be that leptons share with hadrons this force also, and that there is just one form of matter, not two?

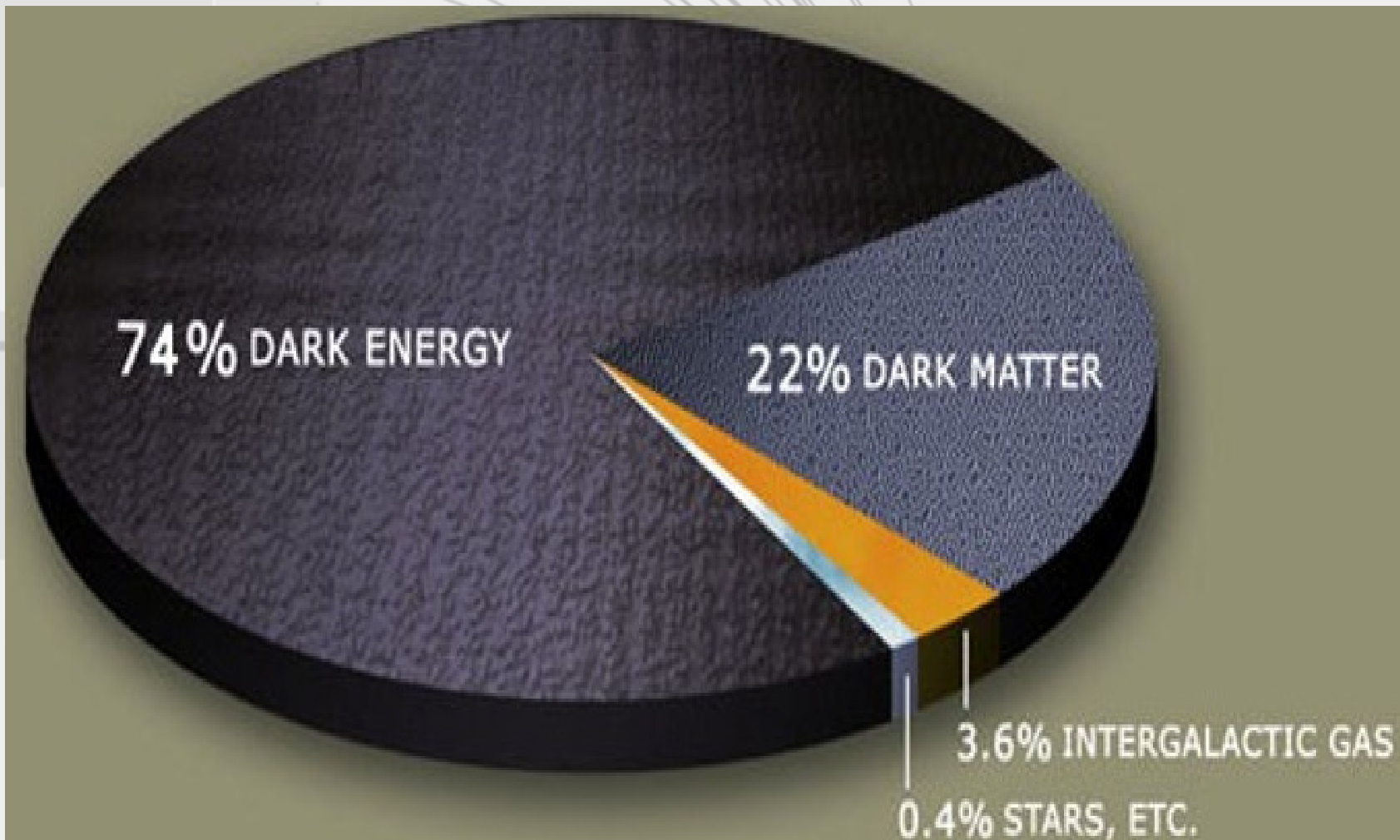
ICHEP76 Tbilisi



- further pursuit of landmarks
 - energy frontier
 - intensity frontier

Beyond today's Paradigm ?

- dark constituents and dark currents ?
- beyond constituents and currents ?




Beyond 1947's Paradigm

- Dirac 1928
(n integer $j \frac{1}{2}$ -integer)

$$E_{nj} = mc^2 \sqrt{1 + \left[\frac{1}{\hbar c} \left(\frac{ze}{n - |j + \frac{1}{2}|} \right)^2 + \sqrt{\left| j + \frac{1}{2} \right|^2 - \frac{Z^2 e^2}{\hbar c}} \right]^2}$$

- Lamb-Retherford 1947
 - Dirac+3 ppm observed
 - 3 ppm = 1 GHz splitting


 relativity + electron
 + field quantisation →
 mode $E_\nu = \left(n + \frac{1}{2} \right) h\nu$
 integer → "Zitterbewegung"


 relativistic quantum field

