

Vertex Reconstruction at STAR

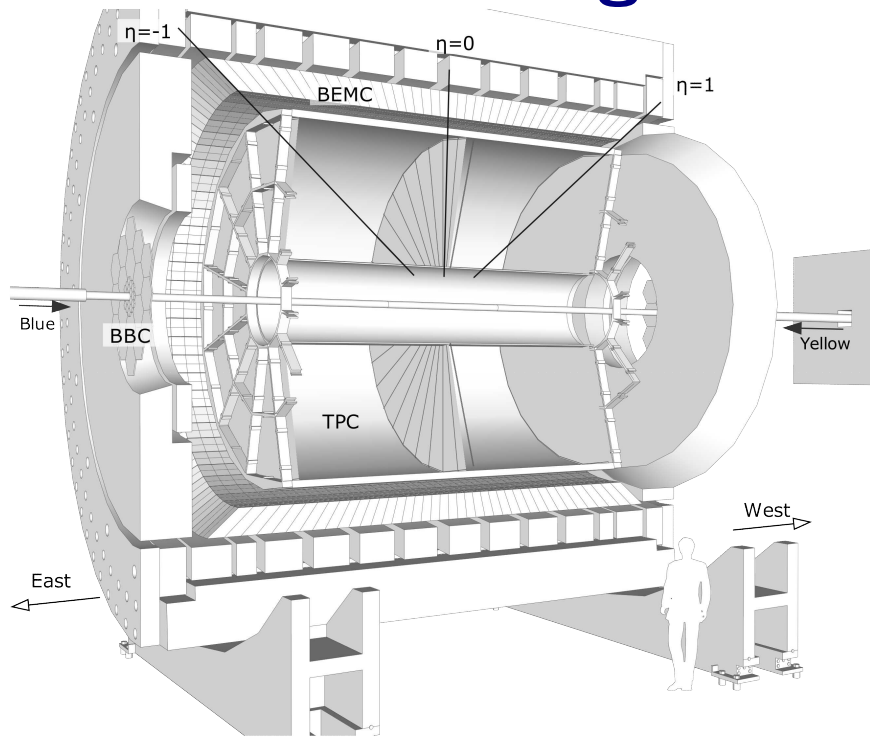
aka “Primary Vertex finding in the RHIC high precision measurement era
enhancement and experience in STAR”

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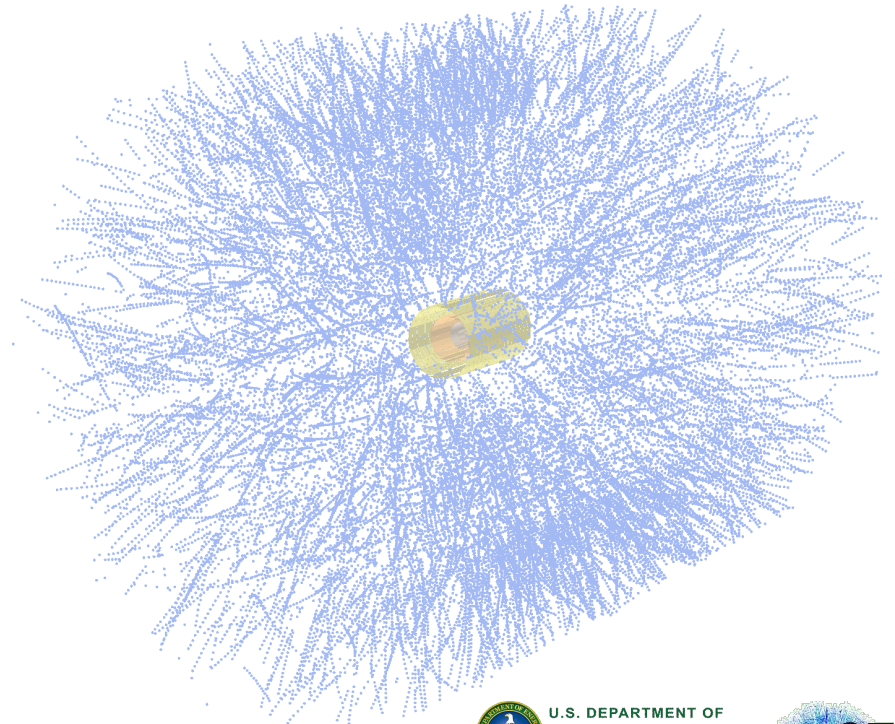
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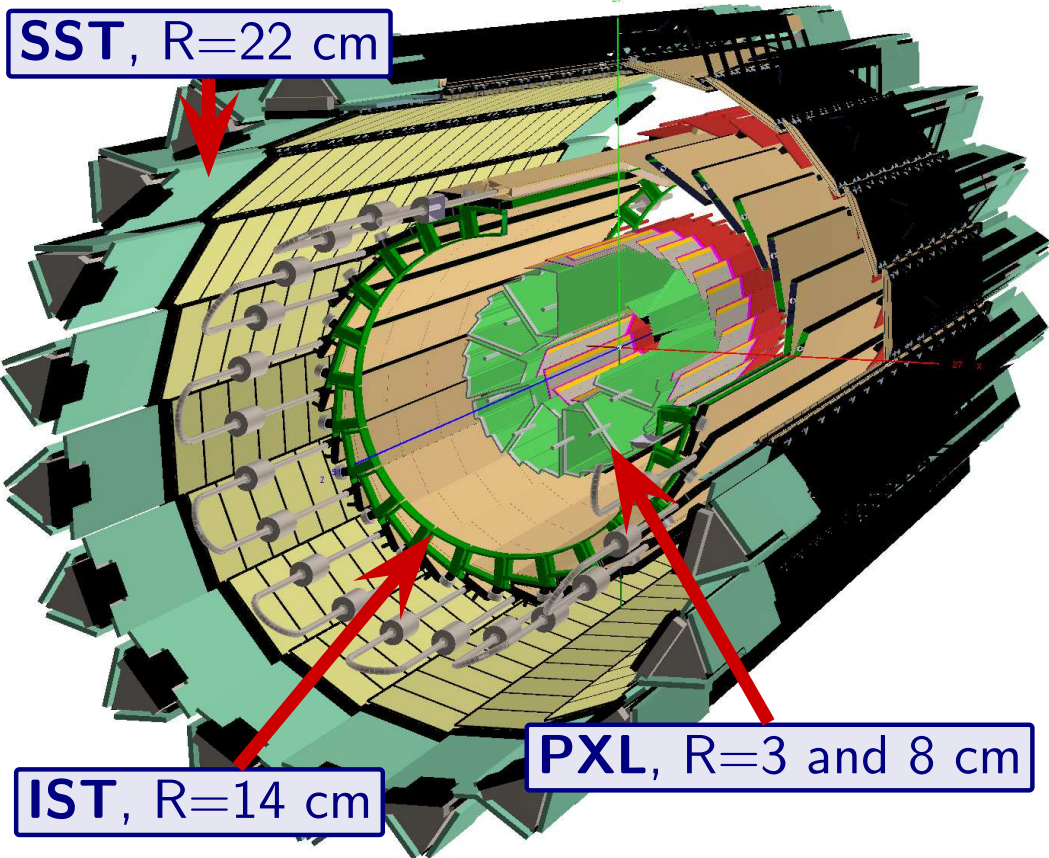
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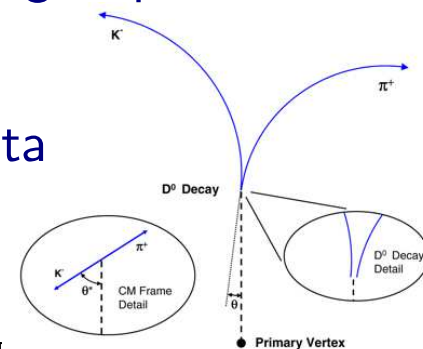
- **STAR** is a versatile collider detector capable of detecting products of hadronic interactions
- **RHIC** provides polarized **pp** and unpolarized **heavy ion** (Au-Au, d-Au, Cu-Au, U-U, . . .) beams with $\sqrt{s_{NN}}$ up to 510 GeV
- **Rich physics program:** quark-gluon plasma, spin asymmetries, strange and charm particle decays
- Tracking at STAR is done by means of **Time Projection Chamber (TPC)**

- STAR tracking delivered quality results for over a decade
 - STAR tracking is a robust deterministic algorithm consisting of seed finding stage followed by KF-based fitting
- For STAR tracking details see talk by Jason Webb (contribution #286)

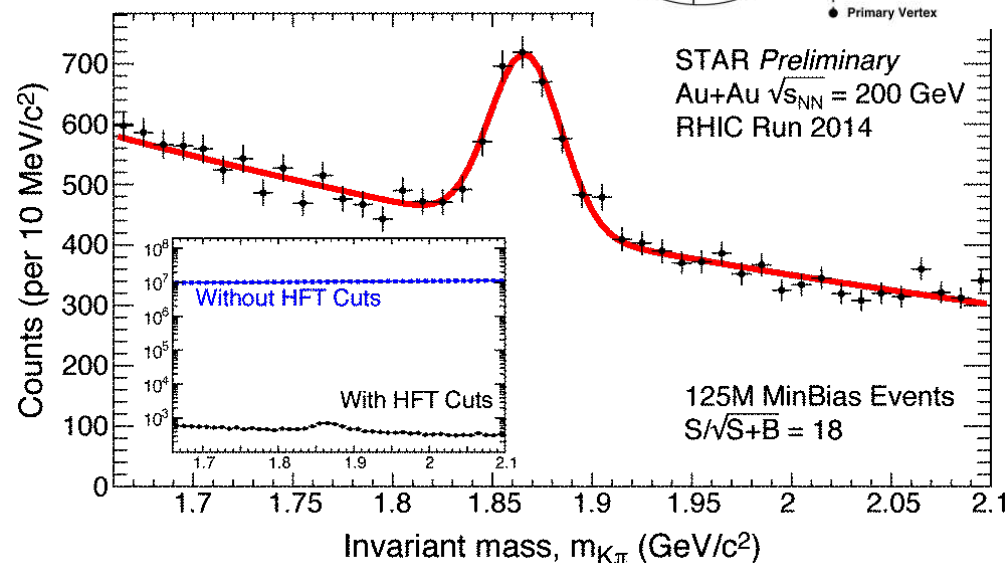




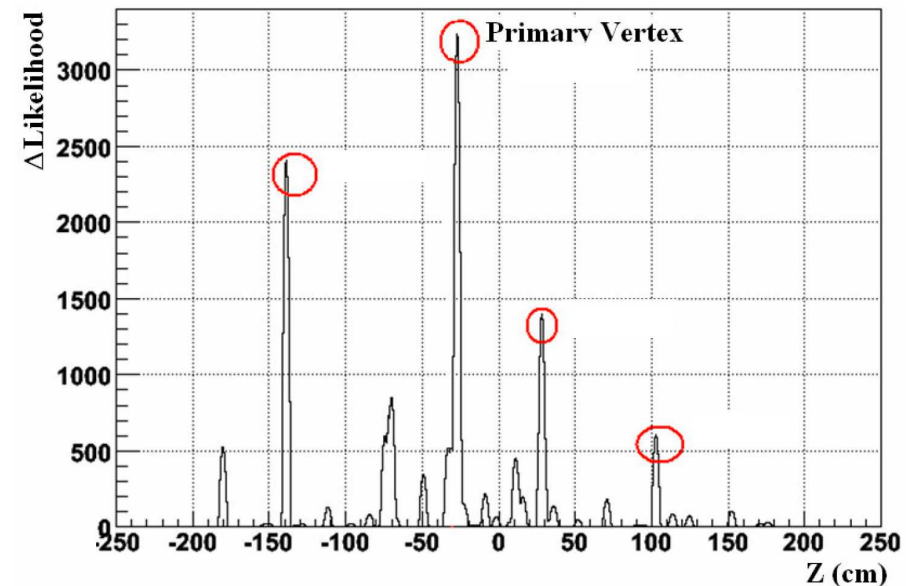
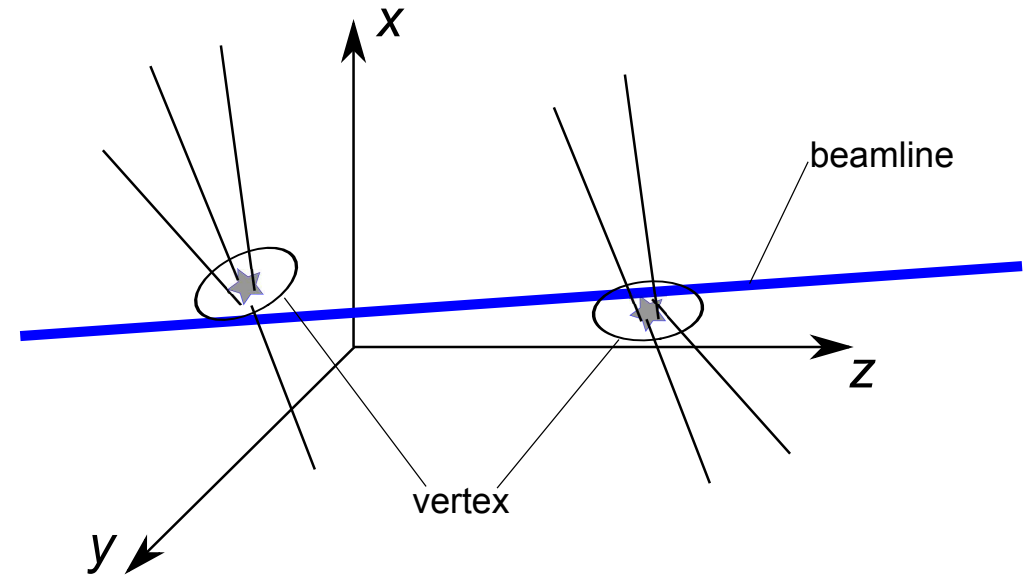
- **HFT** includes three silicon detectors: SST, IST, and two layers of PXL
- **HFT** was installed to detect charm decays such as $D^0 \rightarrow K\pi$ with small decay length
- Direct topological reconstruction of D mesons is done by resolving displaced vertices ($50\text{--}100 \mu\text{m}$)
- **HFT** recorded physics data during three RHIC runs since 2014



- HFT hits significantly improve resolution of TPC track projections to beam from 1–2 mm to $\sim 30 \mu\text{m}$
- High precision tracking with HFT prompted us to revisit STAR tracking and vertexing algorithms

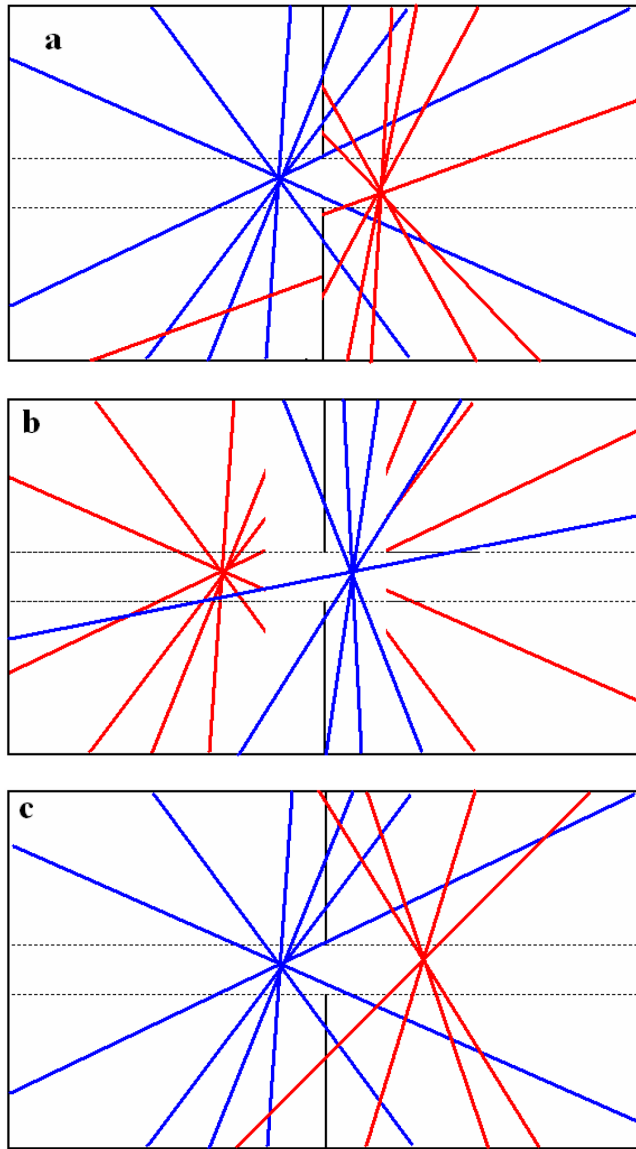


- Two vertex reconstruction algorithms:
 - **Pile-up Proof Vertexer (PPV)**
 - **Minuit-based Vertex Finder (MinuitVF)**
- STAR is also evaluating an adaptive vertexer, KFV, based on Kalman Filter
- **PPV** and **MinuitVF** are traditional algorithms with dominating seeding/finding stage
 - Rely on similar track preselection
 - Seeding performed in 1D along the beam with predetermined initial binning
 - **PPV** and **MinuitVF** reconstruct different event topologies: **pp** and **heavy ion** collisions respectively

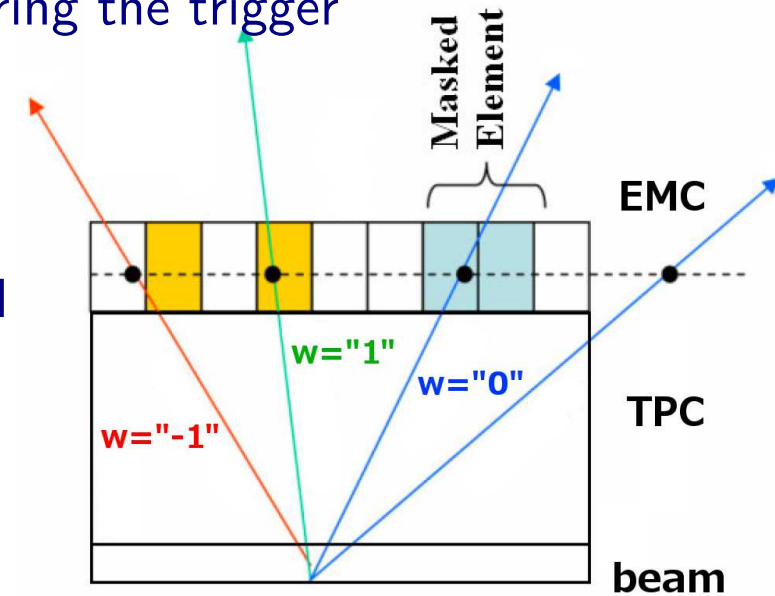


- A few areas for improvements have been identified:
 - **PPV** is lacking the final fitting stage
 - No beamline uncertainties utilized by either vertexer

Dealing with Pile-up Tracks: Vertex Ranking



- 400 bunch crossings per acquired STAR TPC event
⇒ pile-up tracks
- When pile-up collisions occur before or after the triggered event the tracks in STAR TPC appear to be split
- Tracks are given weights based on the probability that they originated in the collision firing the trigger
 - Fast non-tracking detectors, e.g. EM calorimeter and Time of Flight detector, employed to mitigate the effect
 - Total weight is used in ranking tracks and vertices
- Identification of pile-up vertices produced in the same bunch crossing as the triggered one is left to analyzers



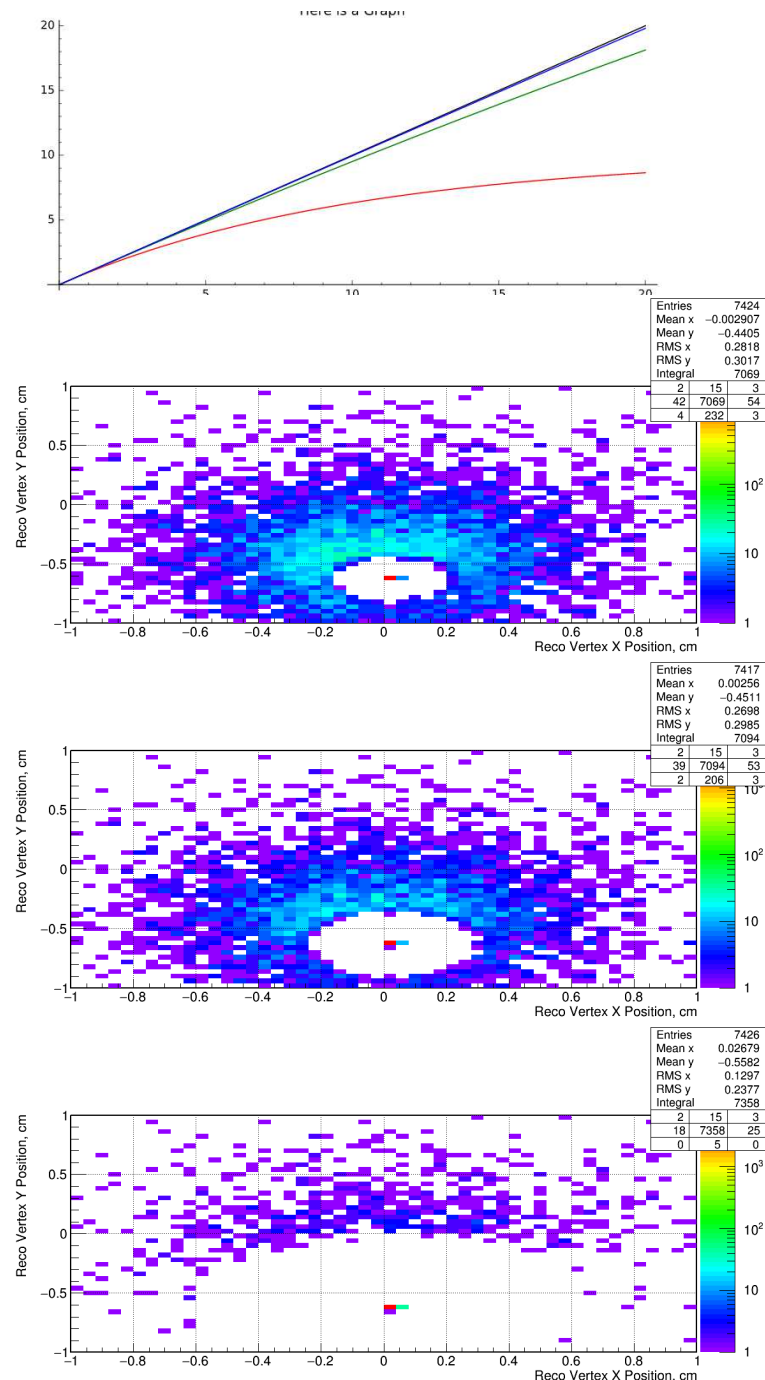
Dealing with Pile-up Tracks: Robust Potential

- In presence of HFT, high precision pile-up tracks can significantly bias primary vertex due to acceptance of such tracks at seeding phase
- This effect is alleviated by limiting contribution from measurements many sigmas away from the vertex candidate
- The usual χ^2 function is modified as

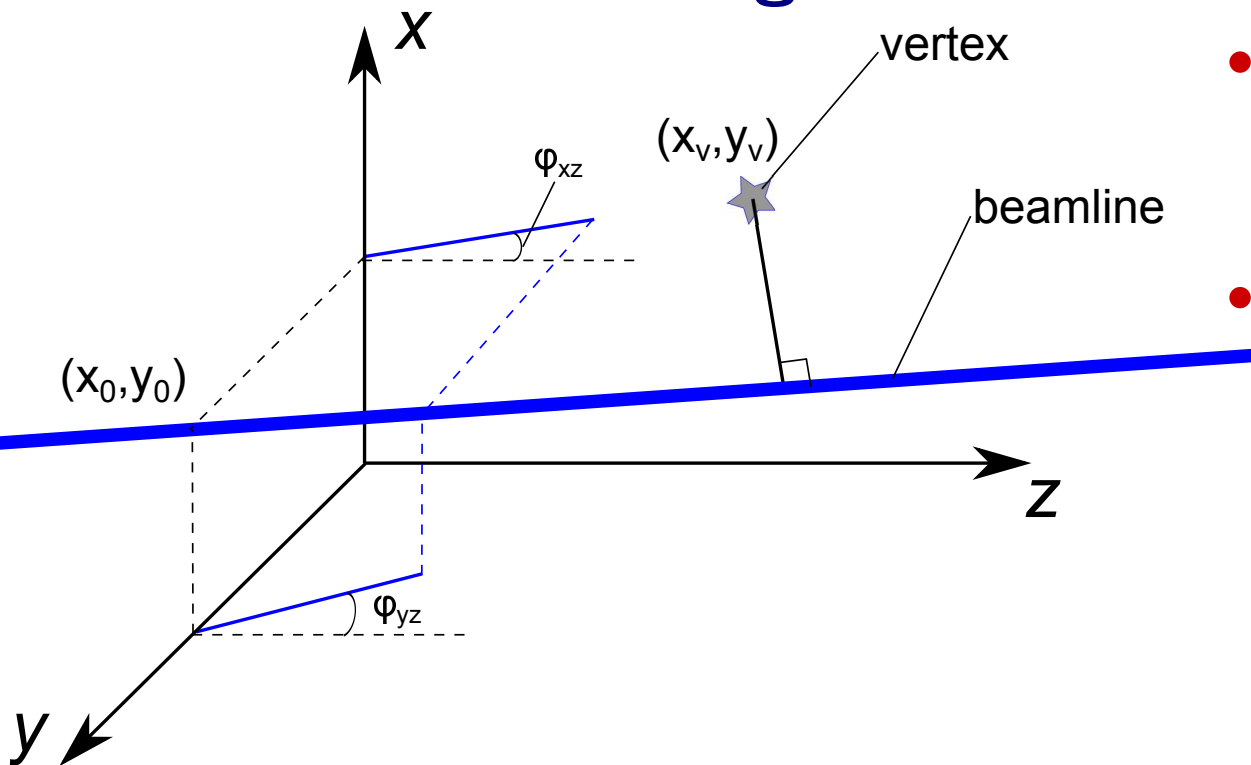
$$f = \sum_{\text{tracks}} k_{\text{seed}} \left(1 - e^{-\frac{\chi_{\text{track}}^2}{k_{\text{seed}}}} \right)$$

where $k_{\text{seed}} > 0$ is an adjustable scale factor

- Similarly, vertex fits with high precision beamline contribution benefit from “robust potential” by avoiding track originated from secondary vertices



Using Beamline in Vertex Fit



- Beamline parameters with uncertainties extracted from a global fit to tracks projected to z axis
- Neglecting the correlation between the observables the beamline equation is trivial:

$$x = x_0 + k_{xz}z$$

$$y = y_0 + k_{yz}z$$

with corresponding uncertainties for intercepts and slopes:
 $\Delta x_0, \Delta y_0,$
 $\Delta k_{xz}, \Delta k_{yz}$

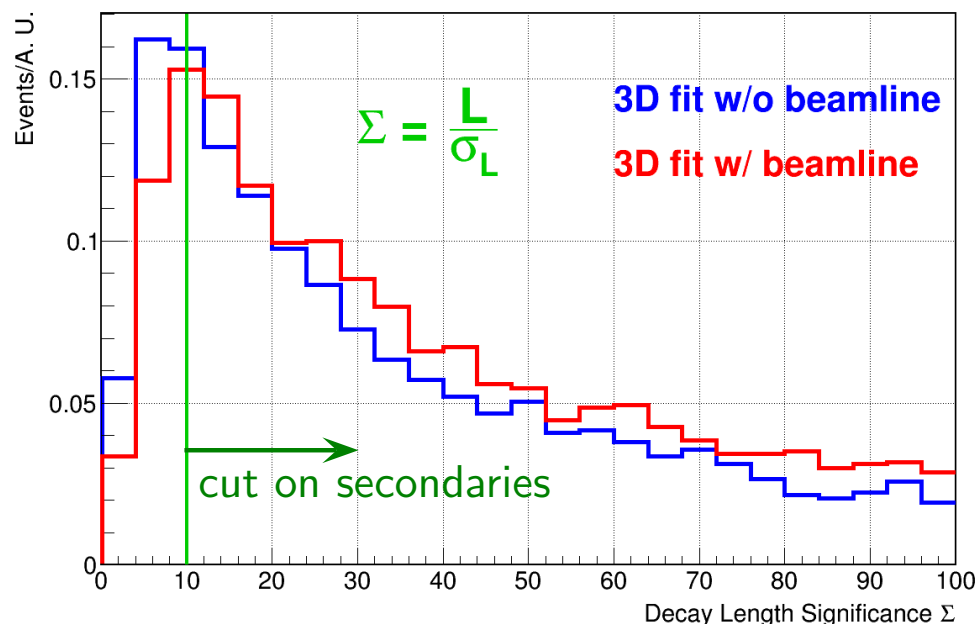
- The full covariance matrix for DCA is also easily calculated:

$$\Sigma' = J\Sigma J^T, \text{ with Jacobian for DCA w.r.t. the beamline parameters}$$

- Beamline can be optionally applied to vertex fit as additional constraint
- The precision in transverse plane is only limited by intrinsic beam width and beam shape systematics ($\lesssim 100 \mu m$)

For implementation details see <https://github.com/star-bnl/star-vertex>

Secondary Decay Vertex



- We test the effect of improved uncertainty on vertex position by reconstructing $\Lambda \rightarrow \pi p$ and $K^0 \rightarrow \pi p$ in simulated pp collisions with pile-up
- We define decay length significance as
$$\Sigma = \frac{|\vec{v}_{\text{prim}} - \vec{v}_{\text{decay}}|}{\sigma_v}$$
- An indication of improvement in S/B of $\approx 10\%$ is seen in reconstructed invariant mass of Λ candidates

- **New for STAR:**

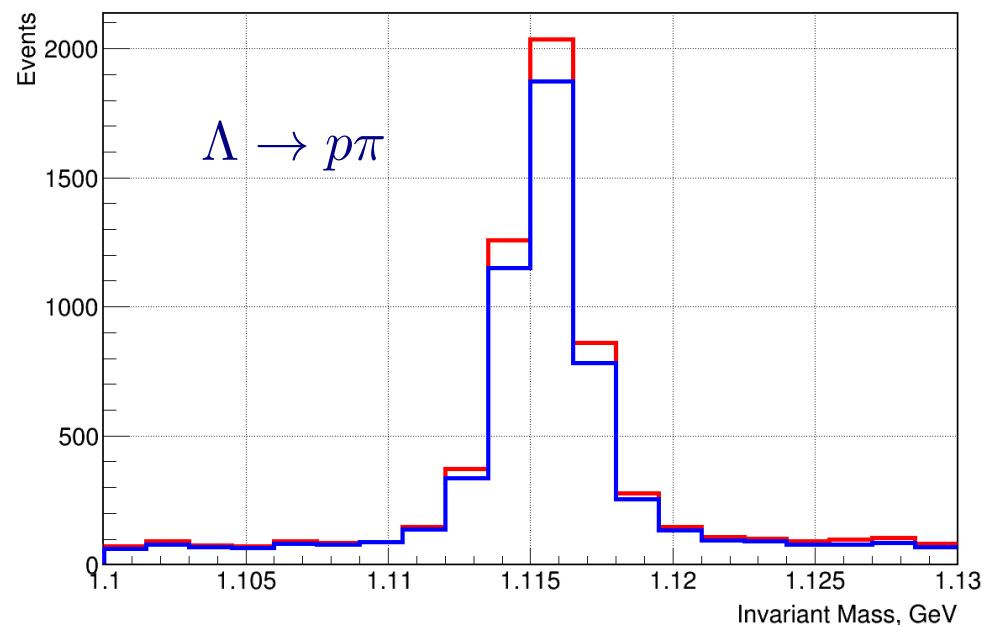
3D fit w/o beamline: Only tracks used in the 3D fit (both VFs)

3D fit w/ beamline: Beamline and tracks used in 3D fit

- **Previously: 1D fit w/ beamline**

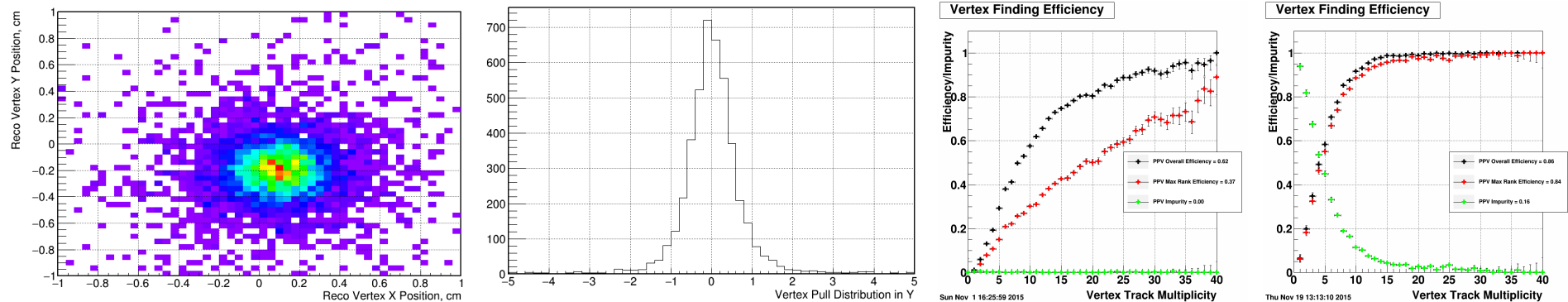
Primary vertex is forced to be on the beamline

\Rightarrow no transverse uncertainties on primary vertex position



Travex: A toolkit for track and vertex reconstruction evaluation

- **Standalone.** No dependencies on specific event data format
- **Experiment independent.** Focus on common physical observables
 - Pull distributions, vertex position, resolution, etc.
 - Vertex finding efficiency, (im)purity based on dominant contributor matches in simulation



Source code openly available <https://github.com/plexoos/travex>

- STAR employs several techniques to overcome pile-up contamination in vertex reconstruction in TPC
 - Vertex ranking based on fast non-tracking detectors
 - Rejection of split tracks
- Developed tools and algorithms can be used by other experiments
 - Laid the groundwork for seamless comparison of vertex finders \Rightarrow code
- **STAR vertex finders have been enhanced by implementing 3D fits to primary vertices with proper beamline constraint and reporting of real uncertainties**
 - Certain analyses relying on topology cuts may benefit from using the new vertex uncertainties
 - In Λ -enriched sample with realistic pile-up we observed an improvement in S/B of $\sim 10\%$

