



# **Simulation and Systematic report**

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# The “systematic” work plan

- Map making validation
  - How effectively can we reconstruct polarization without HWP?
  - Aim at single-detector maps
  - Assess noise performance for various strategy via MC analysis
- Cross-correlated noise (cross-talks)
  - Evaluate impact for toy-model. Assess improvement with dedicated treatment (devoted GLS map-maker)
- Band-pass mismatch
  - Assess vulnerability to multi-detector map making
- Non symmetric beams
  - Correct for leakage both at map and harmonic (power spectrum) level
- Correct for toy model of “timeline” systematic

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# Simple model for a calibration related systematic effect

- Set-up a minimal version of the calibration pipeline
  - Assume model for dipole, and Galaxy, plus a mask ( $\sim 20\%$ ), and noise
  - Assume a baseline to calibrate (days?)
  - Reconstruct gain (assume input equal to 1, actual shape unimportant)
- Need to get residual errors correlated across several detectors – otherwise the effect will just wash out
- A way to obtain this  $\Rightarrow$  distort the signal (e.g., Galaxy)
  - What amount reasonable?
- If effect “too large”, we need to implement a correction scheme.
  - Jointly solve for map and gain? Codes exist, but application may require too long
- Still looking for a volunteer (but have good hopes!)



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# Map making validation

- Results for single detector at boresight in hands. Need to move to other cases.
- Two detectors away from boresight: simulations in progress, should get results soon
- Understand constraints when merging single detector maps with respect to multi detector map making
- Monte Carlo ( $\sim 100$  maps) over noise maps to assess level of residual noise  $1/f$  noise for “slow” and “fast” spins: simulations expected soon
- L. Polastri is “volunteer”

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# Cross-correlated noise

- Data model:  $d(t) = [I + Q \cos(2\theta) + U \sin(2\theta)] + n(t)$
- then:  $\tilde{\mathbf{S}} = (\mathbf{A}^T \mathbf{N}^{-1} \mathbf{A})^{-1} \mathbf{A}^T \mathbf{N}^{-1} \mathbf{D}$

$$\mathbf{A} \equiv \frac{1}{2} \begin{pmatrix} A_{tp}^{(1)} & A_{tp}^{(1)} \cos 2\phi_t^{(1)} & A_{tp}^{(1)} \sin 2\phi_t^{(1)} \\ \vdots & \vdots & \vdots \\ A_{tp}^{(k)} & A_{tp}^{(k)} \cos 2\phi_t^{(k)} & A_{tp}^{(k)} \sin 2\phi_t^{(k)} \end{pmatrix}.$$

A. Buazzelli, G. De Gasperis

$$\mathbf{N} \equiv \langle \mathbf{n}_t \mathbf{n}_{t'} \rangle = \begin{pmatrix} \langle n_t^{(1)} n_{t'}^{(1)} \rangle & \cdots & \langle n_t^{(1)} n_{t'}^{(k)} \rangle \\ \vdots & \ddots & \vdots \\ \langle n_t^{(k)} n_{t'}^{(1)} \rangle & \cdots & \langle n_t^{(k)} n_{t'}^{(k)} \rangle \end{pmatrix}$$

- assume  $\langle n_t^{(i)} n_{t'}^{(j)} \rangle \propto f(|t - t'|)$  (quite a strong condition for cross-correlation)...
- Standard solution since  $\mathbf{N}^{-1} = \bar{\mathbf{F}}^T \mathbf{R}^{-1} \bar{\mathbf{F}}$  and  $\mathbf{R}$  is “block-circulant”.

$$\langle n_1 n_1 \rangle = \langle n_2 n_2 \rangle = A [1 + (f/f_0)^{-1}]$$

$$\langle n_3 n_3 \rangle = A [(f/f_1)^{-2} + c]$$

$$n_a = n_1 + n_3$$

$$n_b = n_2 + n_3$$

Model by G. Patanchon

Planck-ish values for  $f_0 = 110$  mHz,  $f_1 = 21$  mHz



# Cross-correlated noise

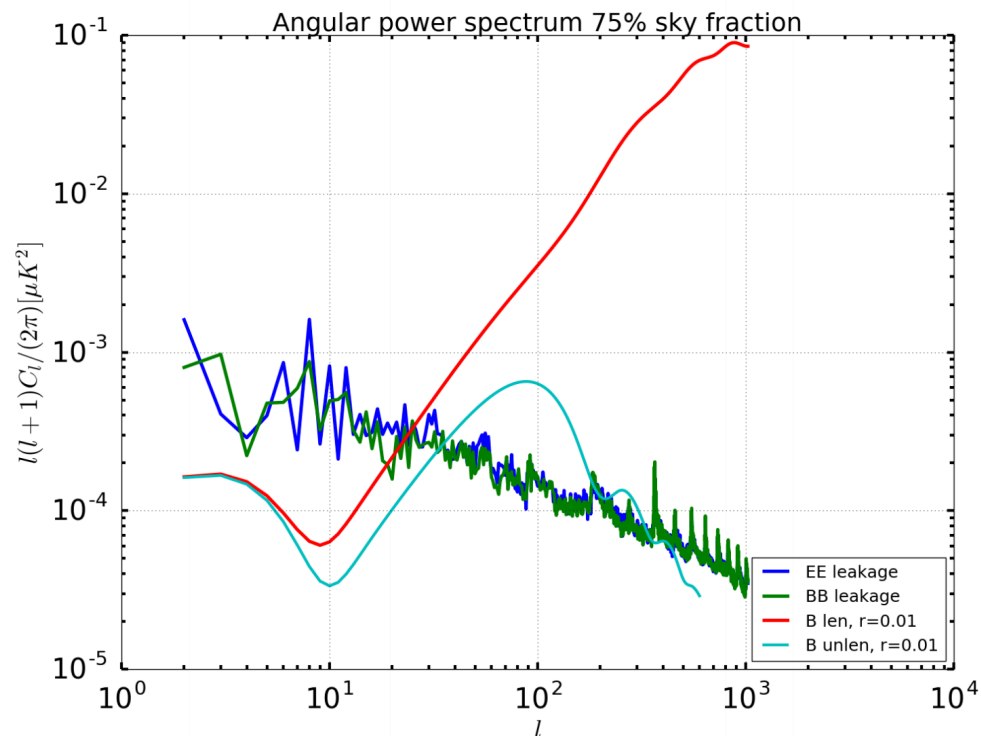
- Status: issues in interfacing proprietary map-making to TOAST
- Getting assistance from Berkeley
- Timescale?

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# Bandpass mismatch

- Preliminary results for COre ++ already available (G. Patanchon)  
COre scanning strategy angles  
10 detectors
- Will use the TOAST simulations, to increase number of detectors 10  $\rightarrow$   $\sim$  100 (Should reduce the effect to manageable level)
- Sky model: three frequencies: 60, 145, 360 GHz
- If residual unacceptable will correct with dedicated code (e.g. IQUS)
- Timescale: can start as soon as simulations are ready





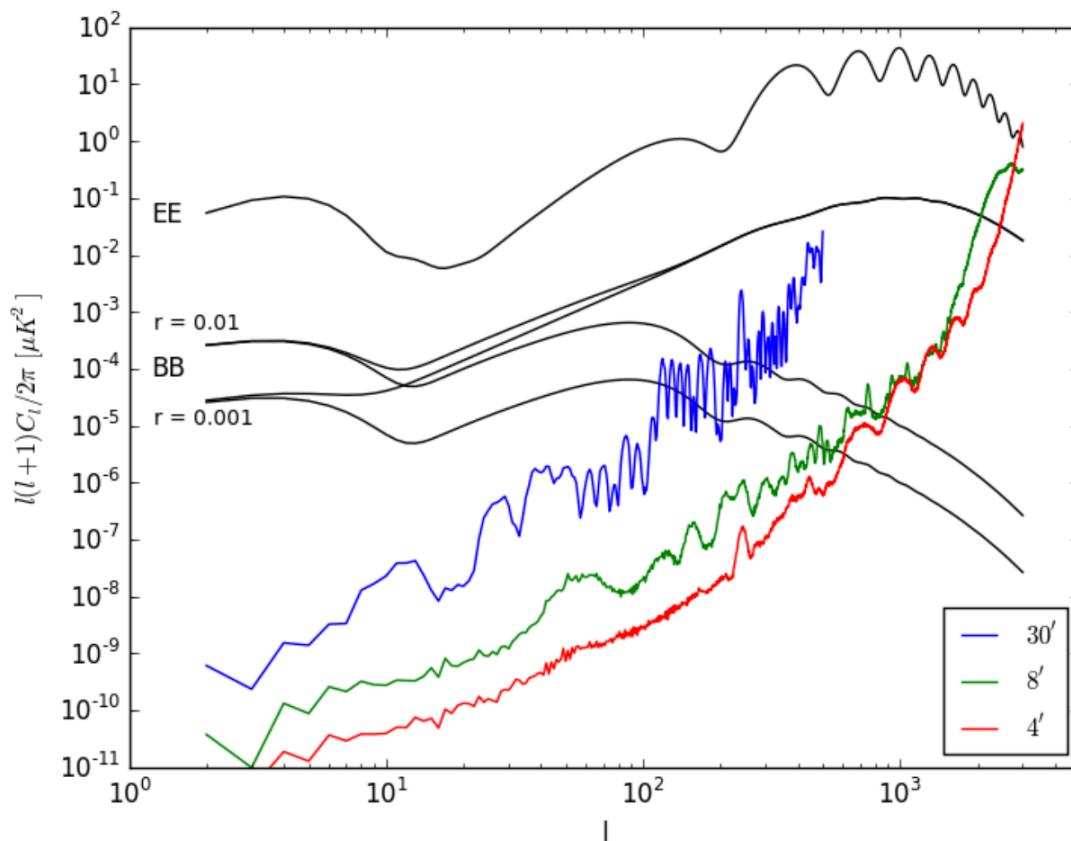
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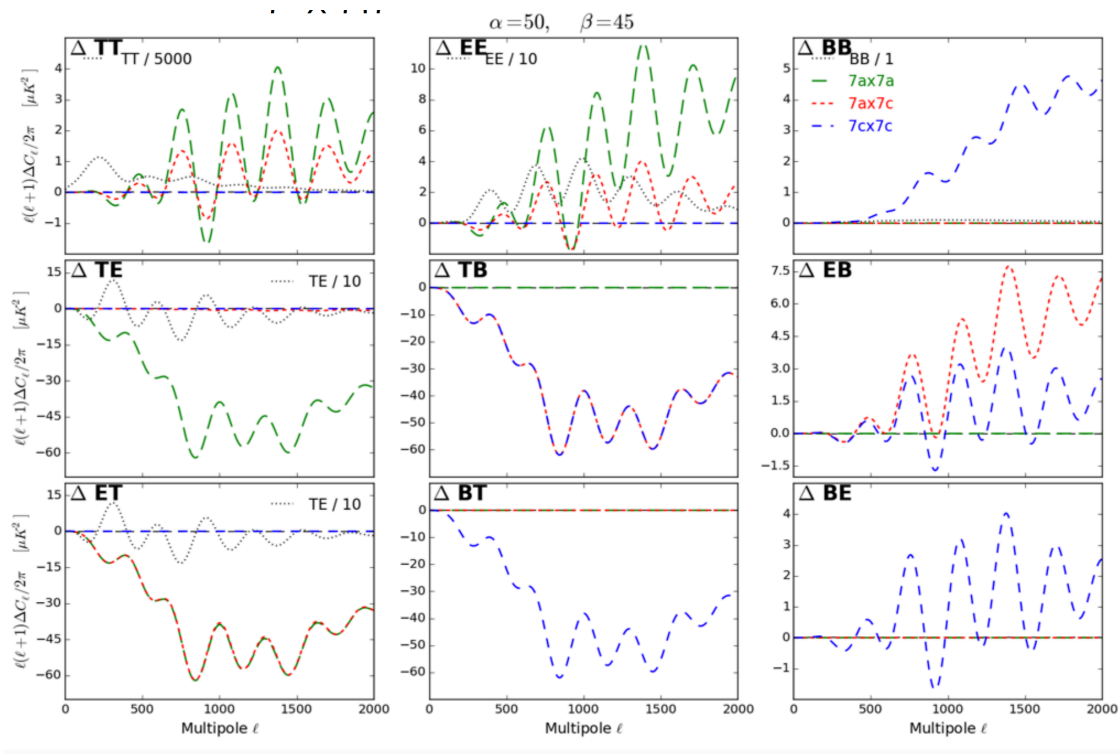
# Non symmetric beam: real space

1. Preliminary results already available
2. Correction scheme successfully implemented, preliminary results available
3. Responsible: R. Banerji
4. Need to check consistency with TOAST "official" simulations



# Non symmetric beam: QuickPol

1. Code succesfully used for Planck (and available)
2. Responsible: E. Hivon
3. Status: preliminary results promising but need to be benchmarked against simulation.
4. Beam simulation is on way (based on a rescaled HFI-217 beam for now)
5. Scan information needed, will get from interface to TOAST



# Paper status

- If there will be a paper, it will rather be a “systematics” paper that uses custom made simulations, rather than a pure simulation paper.
- The structure will closely follow the work plan, plus a section to describe common level simulation tools (TOAST)
- Remarks and questions
  - This assumes that if specific simulation request from other papers arrive (?) they will be described elsewhere.
  - Feedback about the work plan is appreciated. In particular, are we satisfied with the content? Do we need anything else?
  - Help is needed, especially in running/validating the simulations. If you feel you have time to do it, please contact me and Mark.





# Extra Slides





# LiteCoRE fast

Precession period = 4 days

Spin rate = 1rpm

4 hits per beam: samplerate = 175.86 Hz

# LiteCOrE slow

Precession period = 8 days

Spin rate = 0.5rpm

4 hits per beam: samplerate = 87.93 Hz

Common: 200 Hz 1/f knee, slope = 1, precession angle =  $50^\circ$ , spin angle =  $45^\circ$ , NET =  $52.3 \mu\text{K} \cdot \sqrt{s}$ , 5.79' FWHM (150 cm aperture)

,

# LiteBird

NET =  $60 \mu\text{K} \cdot \sqrt{s}$

Knee frequency = 50 mHz

Slope = 1

Sample rate = 23 Hz

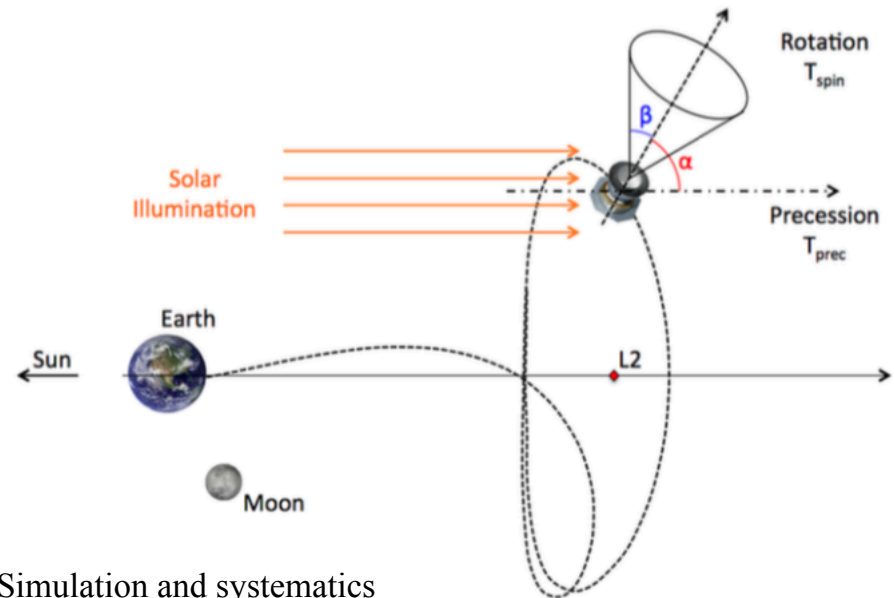
HWP rotating at 88 rpm

Precession opening angle =  $65^\circ$

Spin opening angle =  $30^\circ$

Precession period = 93 minutes

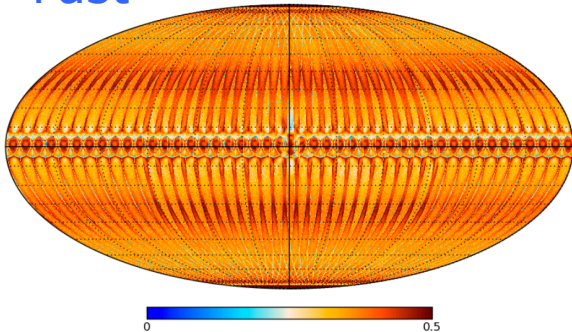
Spin period = 10 minutes



# 3x3 pixel condition numbers

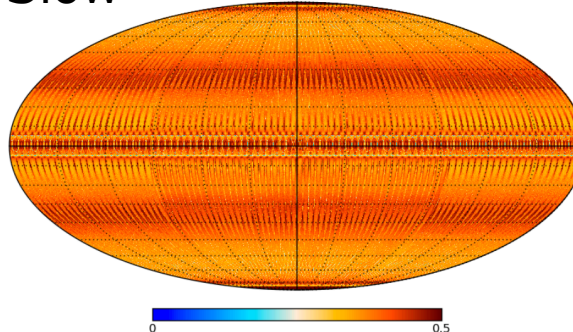
Fast

Pixel condition number



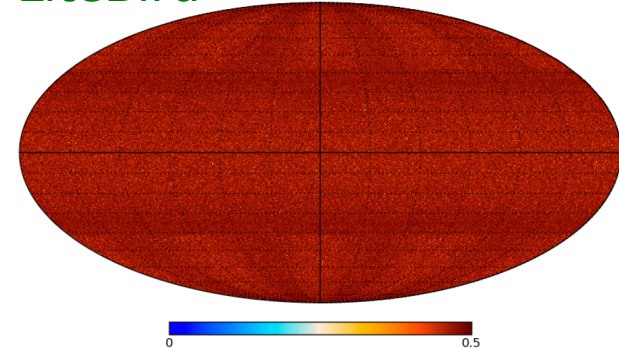
Slow

Pixel condition number

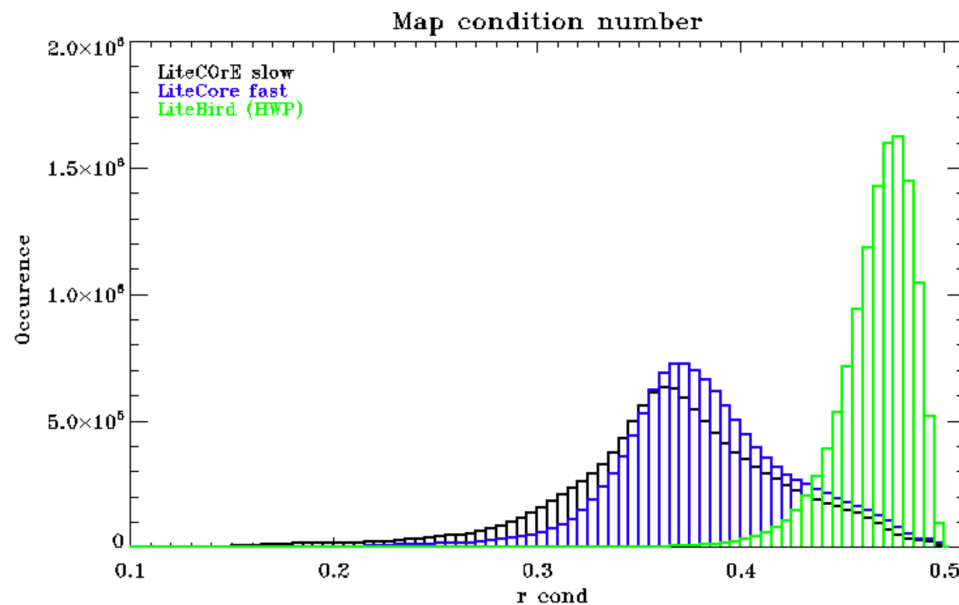


LiteBird

Pixel condition number



- Optimal condition  $r$  is  $\frac{1}{2}$  here
- No significant difference between slow and fast scans
- Both achieve very reasonable condition numbers



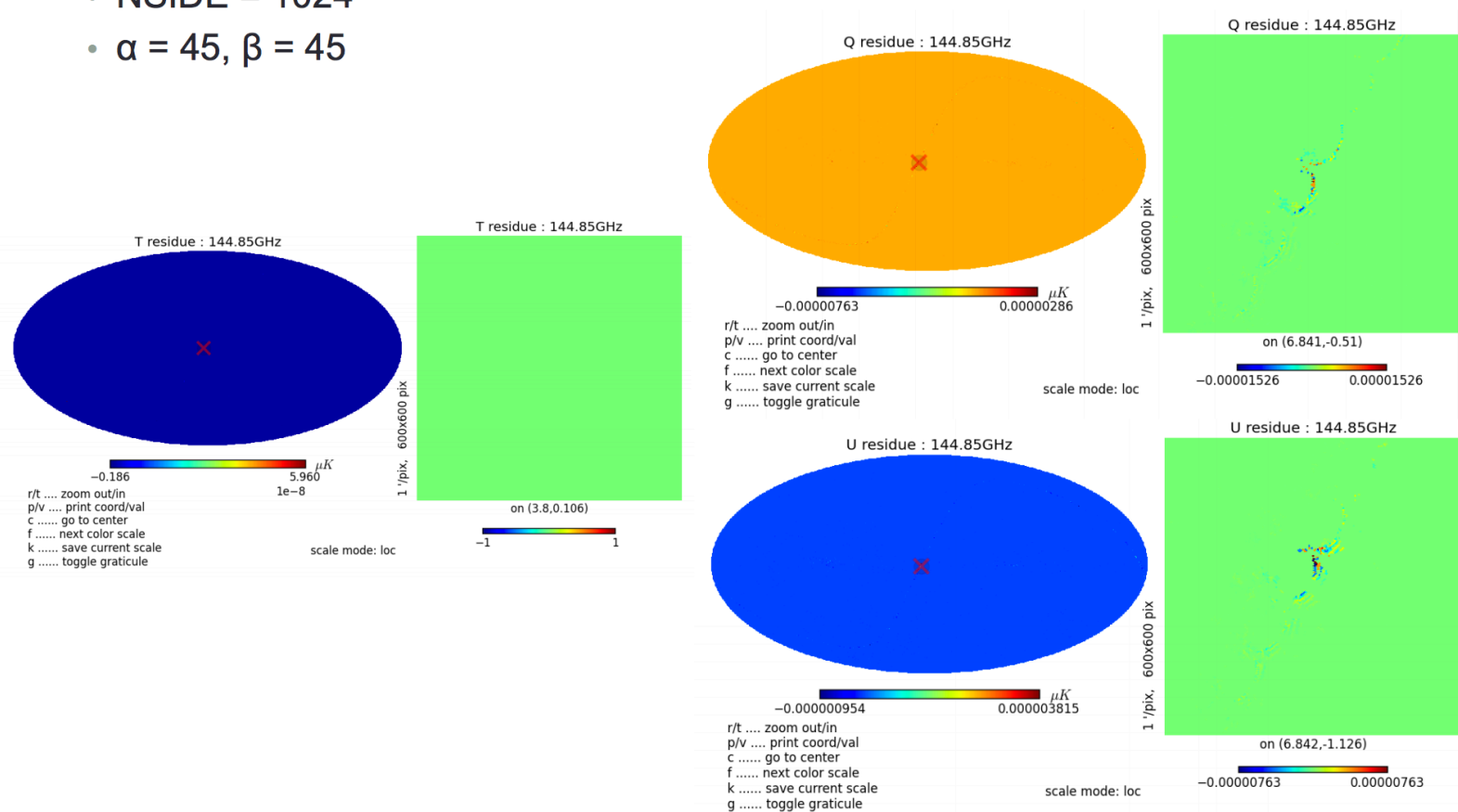
L. Polastri

# Another example (similar setup)

## Residue maps : CMB + Galaxy

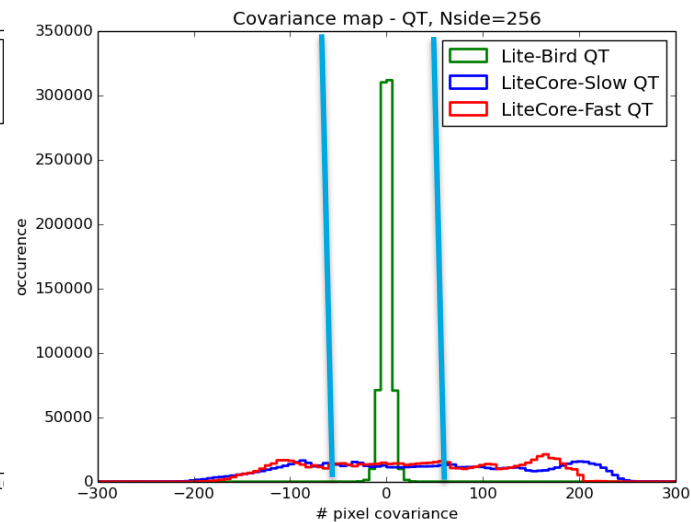
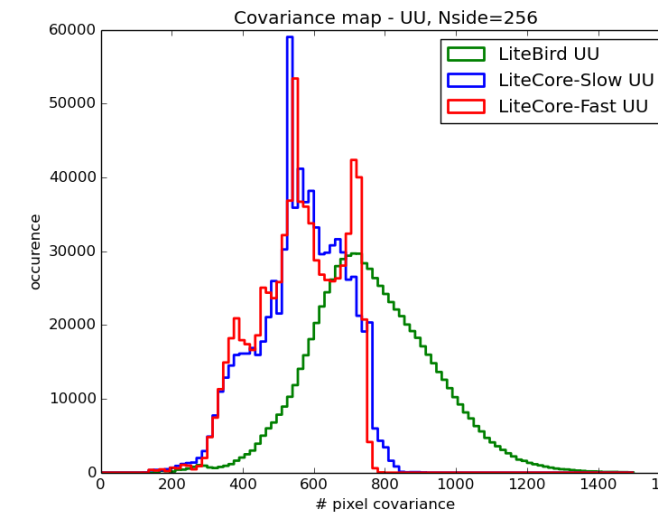
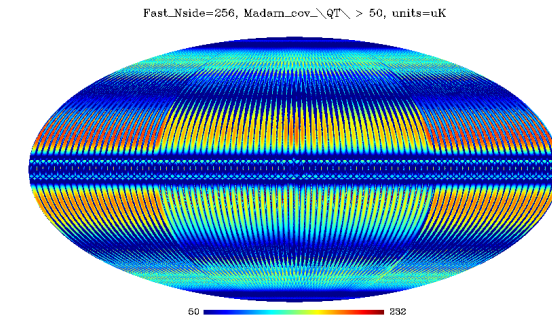
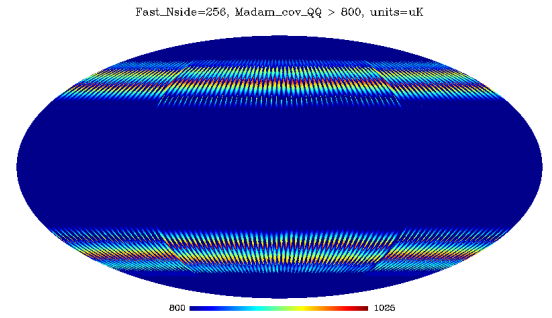
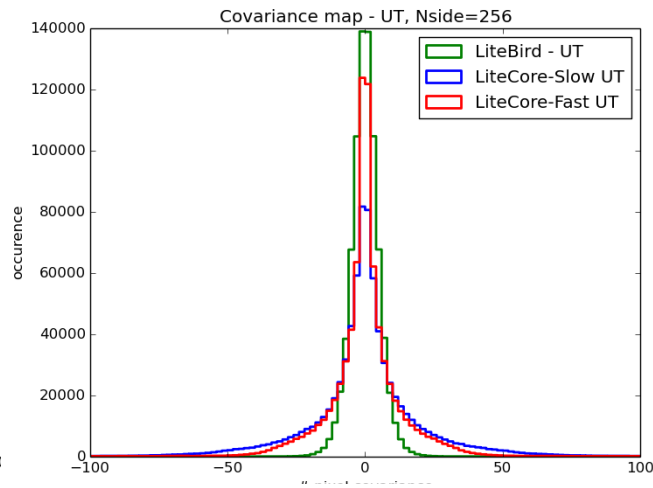
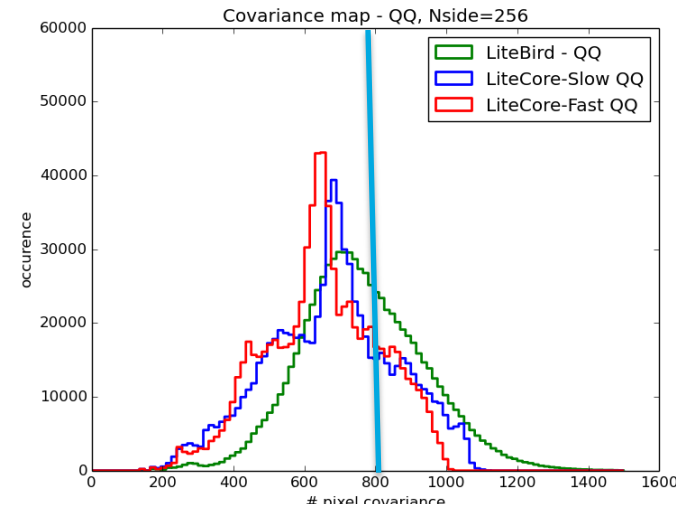
Ranajoy Banerji

- NSIDE = 1024
- $\alpha = 45, \beta = 45$





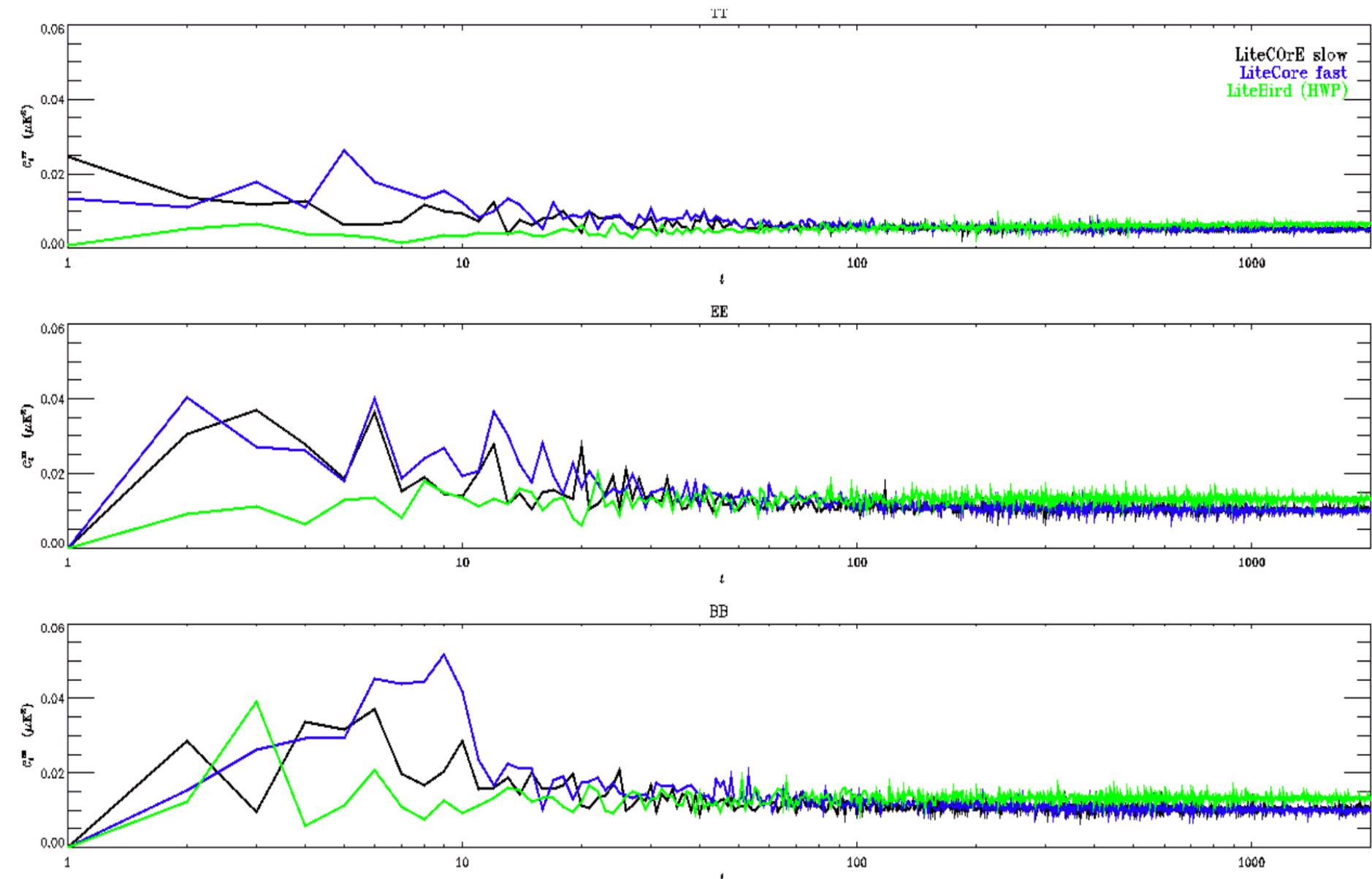
# 3x3 pixel covariance matrices

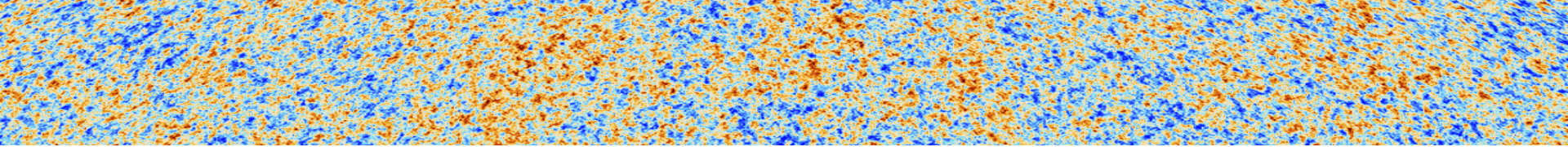


L. Polastri



# Noise power spectra



- 
1. See Linda Polastri's talk tomorrow
  2. Still to do:
    - a. Non boresight detectors ("edge" of focal plane)
    - b. Montecarlo over noise (100 maps for each case)

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# Conclusions

- We have agreed on and started to setup a minimal work plan to produce and analyze simulations aimed at systematic effects.
- The plan is evolving. Some activities well defined and on track, others need better characterization
- Join the group if you feel you can contribute! (email me or Mark)
- There is still a (slim) margin to serve other paper needs. Anyone interested: act fast!